

Update on measurement accuracies of higgs branching fractions in $v\bar{v}h$ at 350 GeV

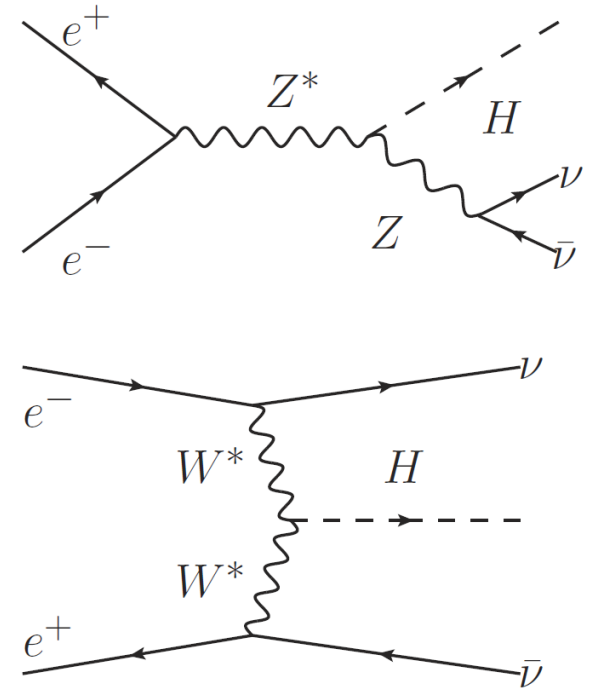
1) Selection Improvements

2) Template fitting results

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ILD analysis/software
01.04.2015

Analysis Goals

- Measure the higgs BR errors for bb,cc,gg at 350 GEV
- previously performed by Hiroaki Ono and Akiya Miyamoto on LOI data samples (arXiv:1207.0300) ($M_{\text{higgs}} = 120 \text{ GeV}$)
- Update study with DBD data samples
- Determine statistical $\Delta(\sigma \cdot \text{BR})$
- Need σ to get BR (higgs strahlung and WW fusion)
- Idea: add missing mass in the fit to get cross section ratio of both processes and Branching ratios directly



BR	bb	cc	gg	$\tau\tau$	WW	ZZ	$\gamma\gamma$	Z γ	$\mu\mu$
LOI	65.7%	3.6%	5.5%	8.0%	15.0%	1.7%	0.3%	0.1%	0.3%
DBD	57.8%	2.7%	8.6%	6.4%	21.6%	2.7%	0.2%	0.2%	0.2%

LOI Cut Flow

- Cut flow in the LOI study focused on hard cuts and a likelihood ratio after several hard cuts

		LOI; $P(e^+e^-) = (-0.8, +0.3)$; 250 fb ⁻¹		
Cut	condition	BG	Signal	Significance
Expected		20855900	26307	5.8
Missing Mass	$240 > M_{\text{miss}} > 50$	5627040	23202	9.8
Transverse P	$140 > P_{t,\text{vis}} > 10$	2271090	22648	15.0
Longitudinal P	$130 > P_{z,\text{vis}} > 0$	2051010	22459	15.6
# of charged tracks	$N_{\text{chd}} > 10$	1936220	21270	15.2
Maximum P	$60 > P_{\text{max}} > 0$	1167050	20556	18.9
Durham plus	$Y_{23} < 0.02$	465461	14992	21.6
Durham minus	$0.8 > Y_{12} > 0.2$	413762	14500	22.2
Di-jet mass	$135 > M_{jj} > 105$	71918	12344	42.5
Likelihood ratio	$LR > -0.47$	11092	9543	66.4



Previously Presented Version

- Following the same procedure and reoptimizing the cuts for significance

	condition	BG	Signal	Signf
Expected		15042827,7	24663,1	6,4
isolated leptons	#iso lep = 0	12579833,8	21924,6	6,2
Transverse P	$240 > P_{t,vis} > 30$	887408,9	18526,5	19,5
Visible Mass	$135 > m_{vis}$	277267,9	17636,8	32,5
Angle between jets	$0.27 > \cos a$	147209,6	16411,2	40,6
# tracks > 1GeV	$N_{chd} > 26$	44616,3	11306,0	47,8
max. jet mass	$135 > M_{j,max} > 40$	26375,8	10166,5	53,2
Durham minus	$Y_{12} > 0.05$	24821,5	10117,7	54,1
BDT	BDT > -0.02	6777,3	9538,1	74,7
LOI Study		11092,0	9543,0	66,4

- BUT: “Signal” was full vvh and not only hadronic decays of the higgs



Revisited Cut Flow

- Hadronic decays of the higgs as signal
- Adding other higgs decays to background
- Added isolated lepton veto (removes a lot of h->other)
- Reoptimized the cuts on missing mass and transverse momentum
- Replace all the other cuts + likelihood by a boosted decision tree (BDT)
- BDT variables:
 - thrust
 - thrust axis
 - jet masses
 - jet momenta
 - transverse momentum
 - longitudinal momentum
 - maximal jet mass
 - angle between jets
 - global $\cos(\Theta)$
 - jet angles
 - Durham parameters
 - visible mass
 - # charged particle > 1 GeV



Revisited Cut Flow

		DBD; $P(e^+e^-)=(-0.8,+0.3)$; 330 fb ⁻¹		
	condition	BG	Signal	Significance
Expected		19866592	22496	5.0
isolated leptons	iso. leptons < 1	16612663	22234	5.5
Missing Mass	$155 > P_{Tvis} > 30$	1173485	19093	17.5
Transverse P	$135 > M_{vis} > 90$	212935	17543	36.5
BDT	BDT > 0.08	5906	12889	94.0

		DBD; $P(e^+e^-)=(+0.8,-0.3)$; 330 fb ⁻¹		
	condition	BG	Signal	Significance
Expected		8335702	7059	2.4
isolated leptons	iso. leptons < 1	7967000	6973	2.5
Missing Mass	$155 > P_{Tvis} > 35$	155106	6462	16.1
Transverse P	$140 > M_{vis} > 95$	20161	5839	36.2
BDT	BDT > 0.03	1723	4890	60.1

	$P(e^+e^-)=(-0.8,+0.3)$	$P(e^+e^-)=(+0.8,-0.3)$
$\epsilon(h \rightarrow bb)$	0.57	0.70
$\epsilon(h \rightarrow cc)$	0.55	0.72
$\epsilon(h \rightarrow gg)$	0.6	0.71
$\epsilon(h \rightarrow \text{other})$	0.09	0.15



Binned Log Likelihood Template Fit

- Create 3D-Templates with b,c and bc likeness of the events
- LOI study used the fit function:

$$N_{ijk}^{Data} = \sum_{x=b,c,g,other} \frac{\sigma \cdot BR(h \rightarrow x)}{(\sigma \cdot BR(h \rightarrow x))^{SM}} \cdot N_{ijk}^{h \rightarrow x} + N_{ijk}^{bkg}$$

with N_{ijk} the number of events in the bin ijk

- $h \rightarrow other$ was fixed
- σ includes Higgs Strahlung and WW-fusion
 - Disentangling both processes done by hand
- Binned log likelihood fit ignoring zero entry bins
 - Zero entry bins do contain information
 - Bias of the fit results

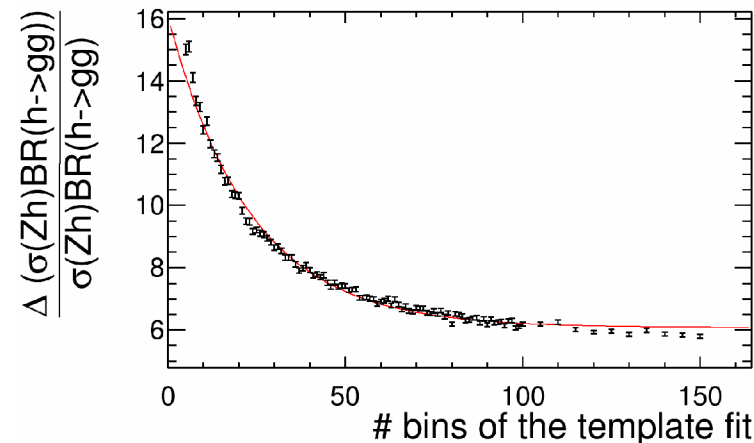
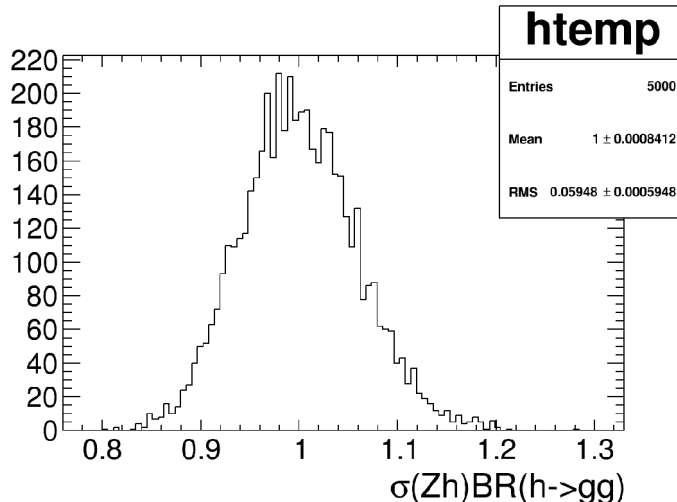


Improved Fit Function

- Assuming the knowledge of $\sigma(Zh)$ from recoil measurements

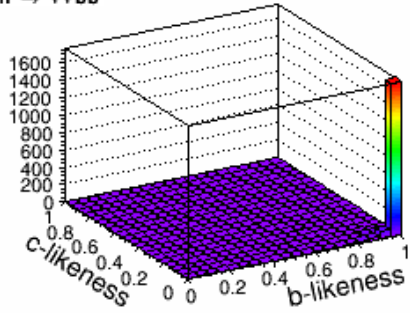
$$\frac{\sigma^{SM}(Zh)}{\sigma(Zh)} N_{ijk}^{Data} = \sum_{t=ZH, WWH} \sum_{x=b, c, g, other} \frac{\sigma^{SM}(Zh)}{\sigma(Zh)} \frac{\sigma(t)}{\sigma^{SM}(t)} \cdot \frac{BR(h \rightarrow x)}{BR^{SM}(h \rightarrow x)} \cdot N_{ijk}^{t \rightarrow x} + \frac{\sigma^{SM}(Zh)}{\sigma(Zh)} N_{ijk}^{bkg}$$

- One can fit the cross section ratio and the branching ratios directly
- Log likelihood fit which also takes zero bins into account
- Determine the error on the fit:
 - Fit 5000 toy MC samples from data
 - Study dependency on the binning (expect convergence)

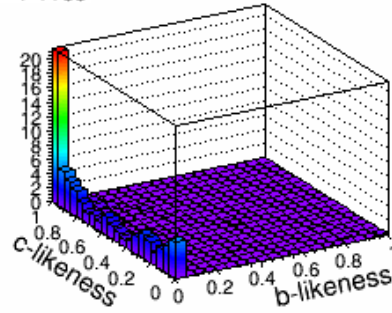


3D-Templates

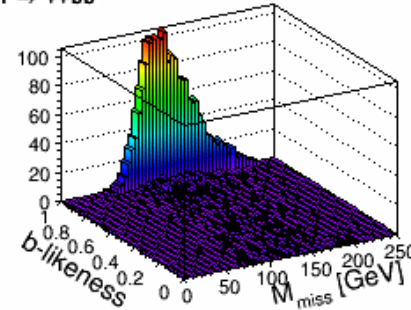
$Zh \rightarrow \nu\nu b\bar{b}$



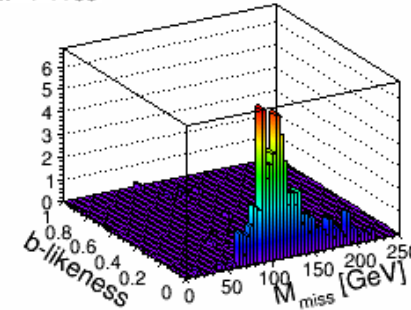
$Zh \rightarrow \nu\nu c\bar{c}$



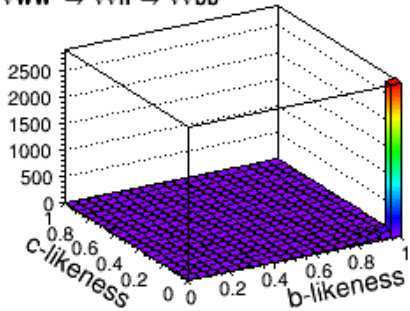
$Zh \rightarrow \nu\nu b\bar{b}$



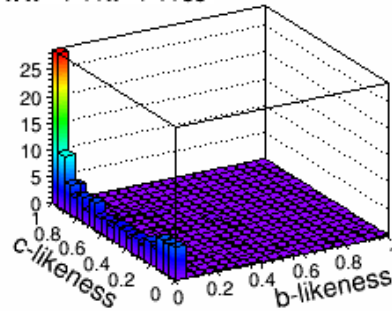
$Zh \rightarrow \nu\nu c\bar{c}$



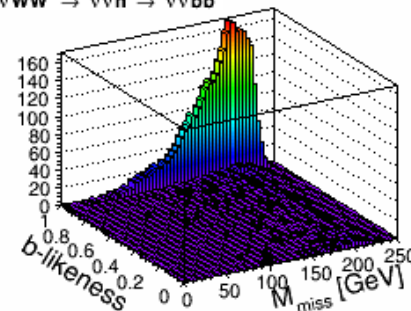
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu b\bar{b}$



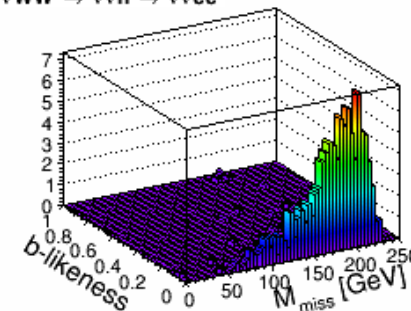
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu c\bar{c}$



$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu b\bar{b}$



$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu c\bar{c}$



Results LOI Fit Function

h->other fitted

	Pol (e-;e+) = (-0.8;0.3)		Pol (e-;e+) = (0.8;-0.3)		LOI
	$\Delta\sigma(\text{ZH})=0$	$\Delta\sigma(\text{ZH})=3.5\%$	$\Delta\sigma(\text{ZH})=0$	$\Delta\sigma(\text{ZH})=3.5\%$	
$\sigma(\text{ZH})\text{BR}(h\rightarrow\text{bb})$	1.7	3.9	1.9	3.9	1.4
$\sigma(\text{ZH})\text{BR}(h\rightarrow\text{cc})$	7.5	8.2	8.1	8.6	8.6
$\sigma(\text{ZH})\text{BR}(h\rightarrow\text{gg})$	4.7	5.8	4.9	6.0	9.2
$\sigma(\text{ZH})\text{BR}(h\rightarrow\text{other})$	5.9	7.0	5.8	6.6	
$\sigma(\text{WW})\text{BR}(h\rightarrow\text{bb})$	1.3	1.3	4.2	4.1	
$\sigma(\text{WW})\text{BR}(h\rightarrow\text{cc})$	6.0	5.9	15.3	15.4	
$\sigma(\text{WW})\text{BR}(h\rightarrow\text{gg})$	3.7	3.6	10.7	10.6	
$\sigma(\text{WW})\text{BR}(h\rightarrow\text{other})$	4.8	4.8	11.1	11.1	

h->other fixed

	Pol (e-;e+) = (-0.8;0.3)		Pol (e-;e+) = (0.8;-0.3)		LOI
	$\Delta\sigma(\text{ZH})=0$	$\Delta\sigma(\text{ZH})=3.5\%$	$\Delta\sigma(\text{ZH})=0$	$\Delta\sigma(\text{ZH})=3.5\%$	
$\sigma(\text{ZH})\text{BR}(h\rightarrow\text{bb})$	1.7	3.8	1.8	3.9	1.4
$\sigma(\text{ZH})\text{BR}(h\rightarrow\text{cc})$	7.3	7.9	8.1	8.6	8.6
$\sigma(\text{ZH})\text{BR}(h\rightarrow\text{gg})$	4.6	5.8	5.0	6.2	9.2
$\sigma(\text{ZH})\text{BR}(h\rightarrow\text{other})$	-	-	-	-	
$\sigma(\text{WW})\text{BR}(h\rightarrow\text{bb})$	1.3	1.4	4.1	4.1	
$\sigma(\text{WW})\text{BR}(h\rightarrow\text{cc})$	5.9	6.0	15.4	15.3	
$\sigma(\text{WW})\text{BR}(h\rightarrow\text{gg})$	3.7	3.6	10.2	10.4	
$\sigma(\text{WW})\text{BR}(h\rightarrow\text{other})$	-	-	-	-	



Results New Fit Function

h->other fitted

	Pol (e-;e+) = (-0.8;0.3)		Pol (e-;e+) = (0.8;-0.3)		LOI
	$\Delta\sigma(\text{ZH})=0$	$\Delta\sigma(\text{ZH})=3.5\%$	$\Delta\sigma(\text{ZH})=0$	$\Delta\sigma(\text{ZH})=3.5\%$	
BR(h->bb)	1.6	3.9	1.8	3.9	3.8
BR(h->cc)	4.8	6.0	7.1	8.1	9.2
BR(h->gg)	3.1	5.2	4.5	6.0	9.8
BR(h->other)	3.9	5.5	4.9	6.3	
$\sigma(\text{WWH})/\sigma(\text{ZH})$	2.1	2.0	4.1	4.1	

h->other fixed

	Pol (e-;e+) = (-0.8;0.3)		Pol (e-;e+) = (0.8;-0.3)		LOI
	$\Delta\sigma(\text{ZH})=0$	$\Delta\sigma(\text{ZH})=3.5\%$	$\Delta\sigma(\text{ZH})=0$	$\Delta\sigma(\text{ZH})=3.5\%$	
BR(h->bb)	1.6	3.8	1.8	3.9	3.8
BR(h->cc)	4.9	5.9	7.2	8.0	9.2
BR(h->gg)	3.1	5.3	4.6	6.3	9.8
BR(h->other)	-	-	-	-	
$\sigma(\text{WWH})/\sigma(\text{ZH})$	2.1	2.1	4.4	4.3	



Summary and Outlook

- The analysis of the measurement accuracies of higgs branching fractions in vvh at 350 GeV was redone with DBD data samples
- Improving the cut flow increased the significance by a factor ~ 1.5
- Added the missing mass of the event as the third dimension in the template fit to differentiate between WW-fusion and higgs strahlung
- Performed the template fit with the original fit function and a modified version to directly extract the branching ratios and cross section ratio
 - Overall improvements in the results

Outlook:

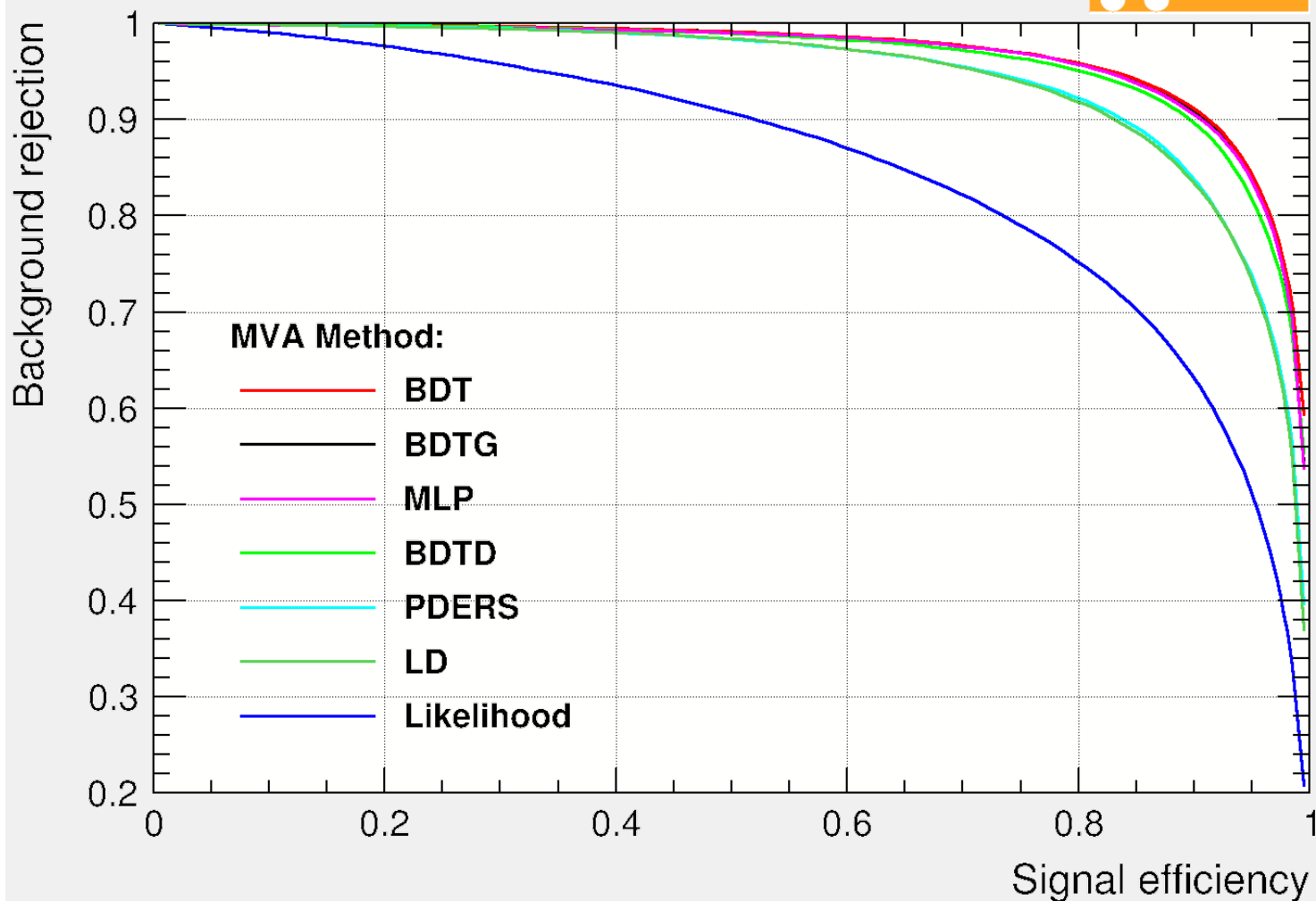
- Write thesis!!! -> “final” version



Backup

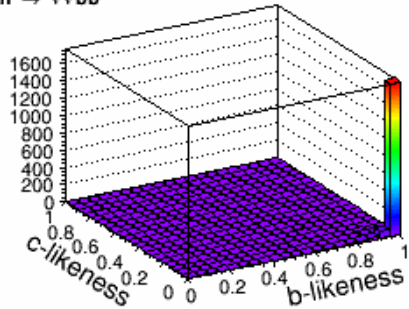


Background rejection versus Signal efficiency

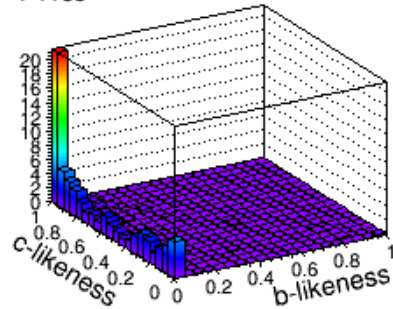


3D-Templates (Branching Ratio)

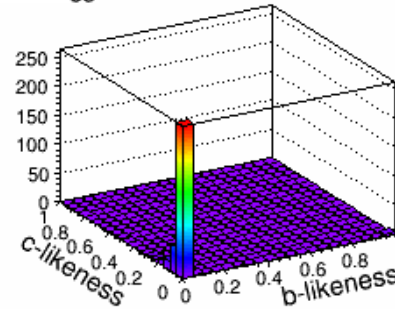
$Zh \rightarrow \nu\nu b\bar{b}$



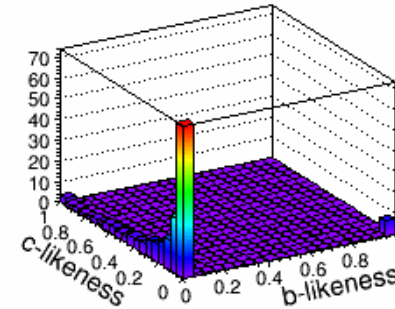
$Zh \rightarrow \nu\nu c\bar{c}$



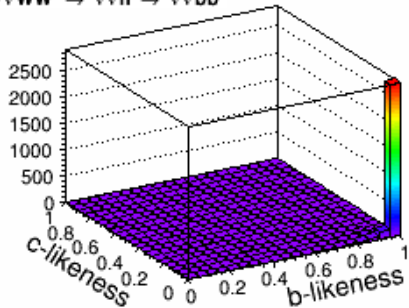
$Zh \rightarrow \nu\nu gg$



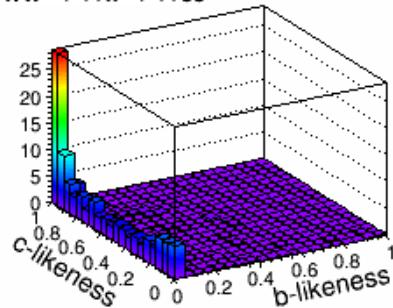
$Zh \rightarrow \nu\nu$ others



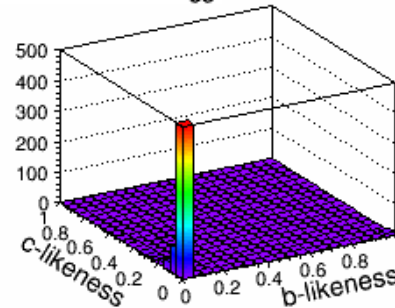
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu b\bar{b}$



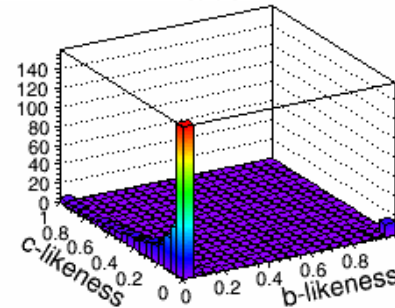
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu c\bar{c}$



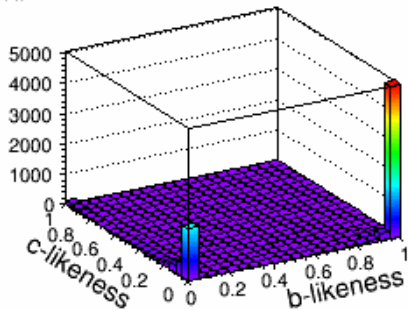
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu gg$



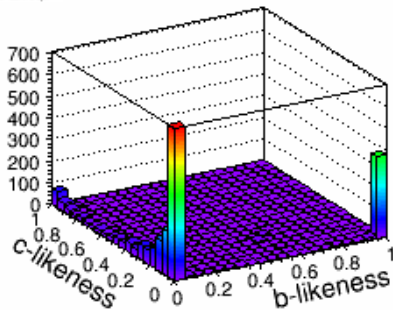
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu$ others



Data

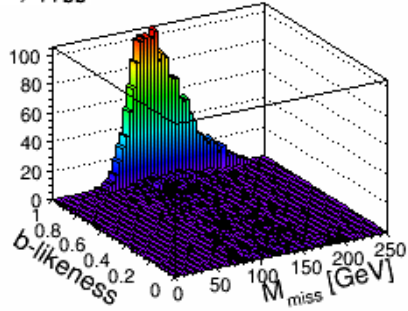


SM BKG

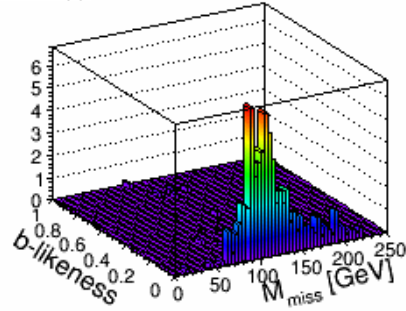


3D-Templates (Cross Section)

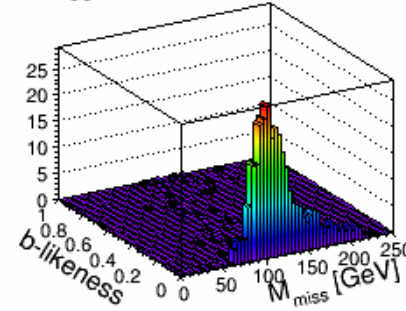
$Zh \rightarrow \nu\nu b\bar{b}$



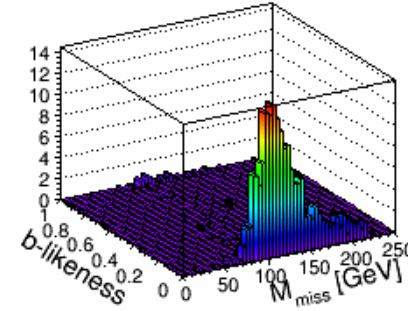
$Zh \rightarrow \nu\nu c\bar{c}$



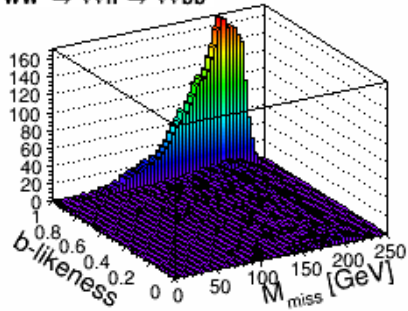
$Zh \rightarrow \nu\nu gg$



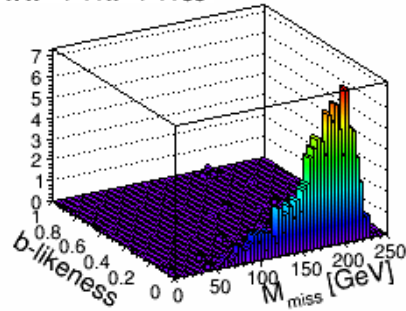
$Zh \rightarrow \nu\nu$ others



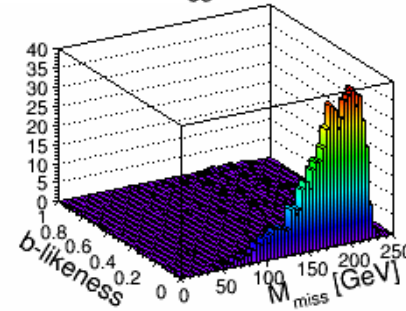
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu b\bar{b}$



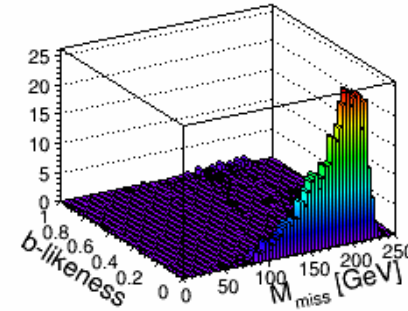
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu c\bar{c}$



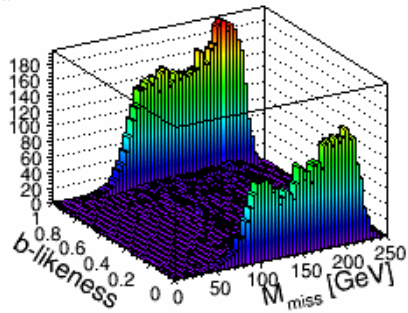
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu gg$



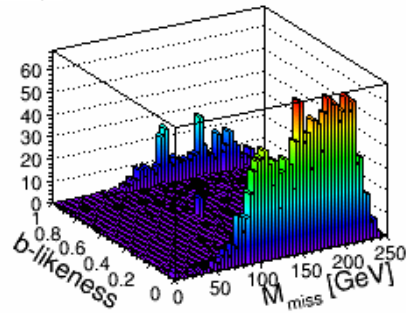
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu$ others



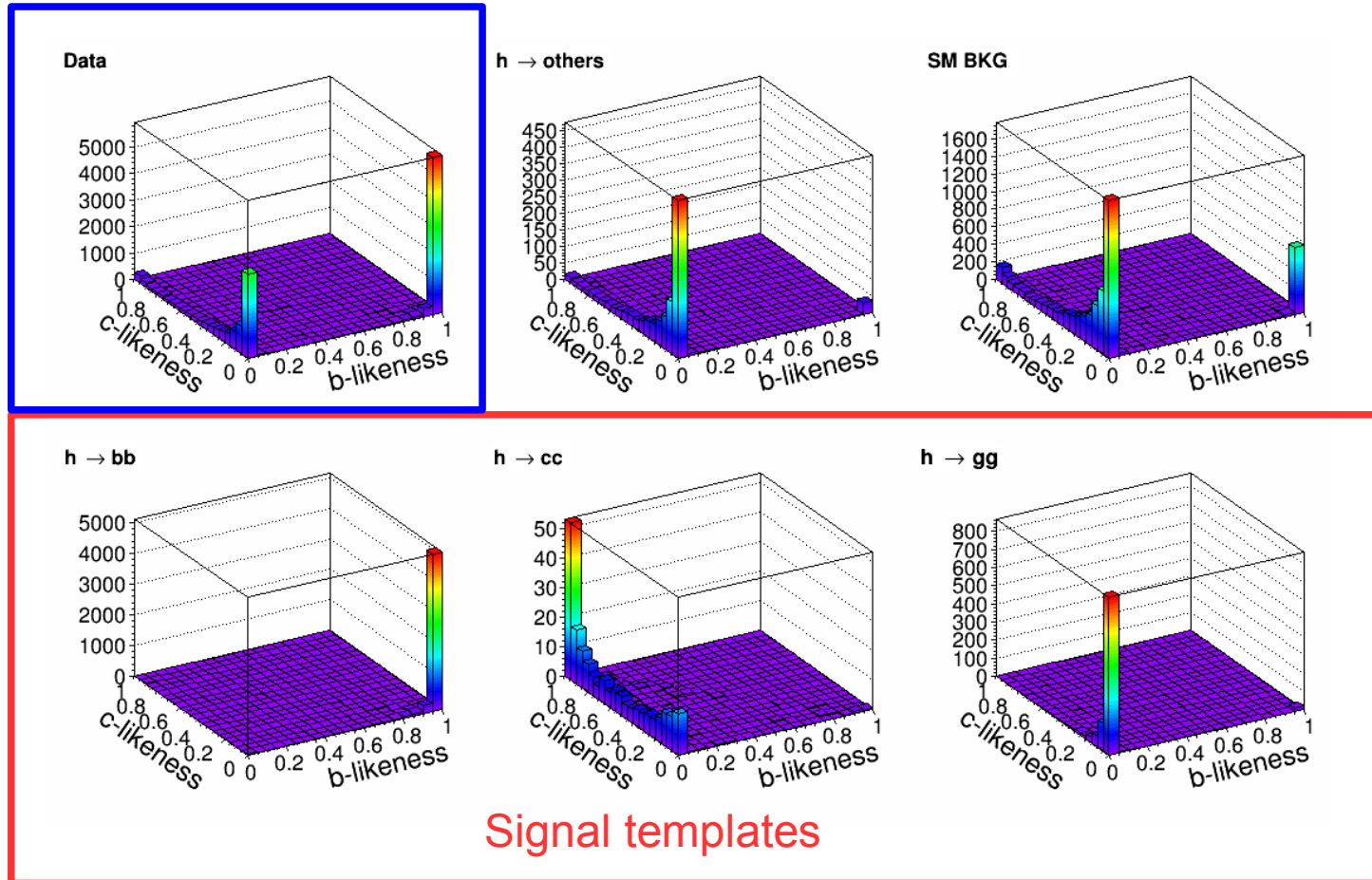
Data



SM BKG



Old 3-D Template Fit



$$\begin{aligned}
 \frac{\sigma^{SM}(ZH)}{\sigma(ZH)} N_{ijk}^{Data} &= \frac{BR(h \rightarrow bb)}{BR^{SM}(h \rightarrow bb)} \cdot N_{ijk}^{Zh \rightarrow bb} \\
 &+ \frac{BR(h \rightarrow cc)}{BR^{SM}(h \rightarrow cc)} \cdot N_{ijk}^{Zh \rightarrow cc} \\
 &+ \frac{BR(h \rightarrow gg)}{BR^{SM}(h \rightarrow gg)} \cdot N_{ijk}^{Zh \rightarrow gg} \\
 &+ \frac{BR(h \rightarrow oth)}{BR^{SM}(h \rightarrow oth)} \cdot N_{ijk}^{Zh \rightarrow oth} \\
 &+ \frac{\sigma^{SM}(ZH)}{\sigma(ZH)} \frac{\sigma(WWH)}{\sigma^{SM}(WWH)} \cdot \frac{BR(h \rightarrow bb)}{BR^{SM}(h \rightarrow bb)} \cdot N_{ijk}^{WWh \rightarrow bb} \\
 &+ \frac{\sigma^{SM}(ZH)}{\sigma(ZH)} \frac{\sigma(WWH)}{\sigma^{SM}(WWH)} \cdot \frac{BR(h \rightarrow cc)}{BR^{SM}(h \rightarrow cc)} \cdot N_{ijk}^{WWh \rightarrow cc} \\
 &+ \frac{\sigma^{SM}(ZH)}{\sigma(ZH)} \frac{\sigma(WWH)}{\sigma^{SM}(WWH)} \cdot \frac{BR(h \rightarrow gg)}{BR^{SM}(h \rightarrow gg)} \cdot N_{ijk}^{WWh \rightarrow gg} \\
 &+ \frac{\sigma^{SM}(ZH)}{\sigma(ZH)} \frac{\sigma(WWH)}{\sigma^{SM}(WWH)} \cdot \frac{BR(h \rightarrow oth)}{BR^{SM}(h \rightarrow oth)} \cdot N_{ijk}^{WWh \rightarrow oth} \\
 &+ \frac{\sigma^{SM}(ZH)}{\sigma(ZH)} N_{ijk}^{bkg}
 \end{aligned}$$



Correlations

> Small correlations with the old fit method

	$\sigma(\text{ZH})\text{BR}$	$\sigma(\text{ZH})\text{BR}$	$\sigma(\text{ZH})\text{BR}$	$\sigma(\text{ZH})\text{BR}$	$\sigma(\text{WW})\text{BR}$	$\sigma(\text{WW})\text{BR}$	$\sigma(\text{WW})\text{BR}$	$\sigma(\text{WW})\text{BR}$	$(\text{h}\rightarrow\text{other})$
$\sigma(\text{ZH})\text{BR}(\text{h}\rightarrow\text{bb})$	1.0000	-0.0007	-0.0023	-0.0053	-0.1689	0.0000	0.0001	-0.0012	
$\sigma(\text{ZH})\text{BR}(\text{h}\rightarrow\text{cc})$		1.0000	-0.0062	-0.0025	-0.0001	-0.0012	-0.0016	-0.0019	
$\sigma(\text{ZH})\text{BR}(\text{h}\rightarrow\text{gg})$			1.0000	-0.0661	-0.0003	-0.0006	-0.0715	-0.0196	
$\sigma(\text{ZH})\text{BR}(\text{h}\rightarrow\text{other})$				1.0000	-0.0013	-0.0018	-0.0203	-0.0067	
$\sigma(\text{WW})\text{BR}(\text{h}\rightarrow\text{bb})$					1.0000	-0.0015	-0.0028	-0.0078	
$\sigma(\text{WW})\text{BR}(\text{h}\rightarrow\text{cc})$						1.0000	-0.0053	-0.0034	
$\sigma(\text{WW})\text{BR}(\text{h}\rightarrow\text{gg})$							1.0000	-0.0823	
$\sigma(\text{WW})\text{BR}(\text{h}\rightarrow\text{other})$								1.0000	

> Large correlations with the new fit method

	$\sigma(\text{WWH})/\sigma(\text{ZH})$	$\text{BR}(\text{h}\rightarrow\text{bb})$	$\text{BR}(\text{h}\rightarrow\text{cc})$	$\text{BR}(\text{h}\rightarrow\text{gg})$	$\text{BR}(\text{h}\rightarrow\text{other})$
$\sigma(\text{WWH})/\sigma(\text{ZH})$	1	-0.94	-0.51	-0.68	-0.59
$\text{BR}(\text{h}\rightarrow\text{bb})$		1	0.46	0.62	0.53
$\text{BR}(\text{h}\rightarrow\text{cc})$			1	0.33	0.28
$\text{BR}(\text{h}\rightarrow\text{gg})$				1	0.33
$\text{BR}(\text{h}\rightarrow\text{other})$					1

