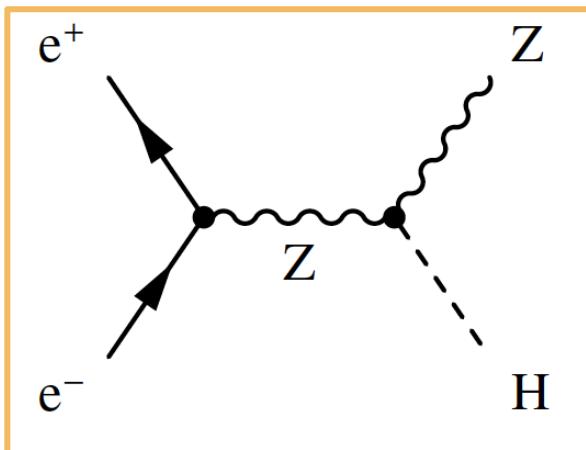


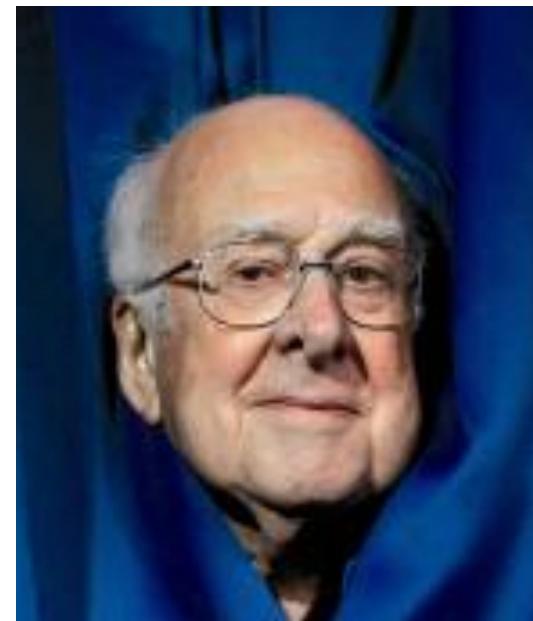


Visible and Invisible Higgs Decays at 350 GeV

Mark Thomson & Kelvin Mei
University of Cambridge



=



+

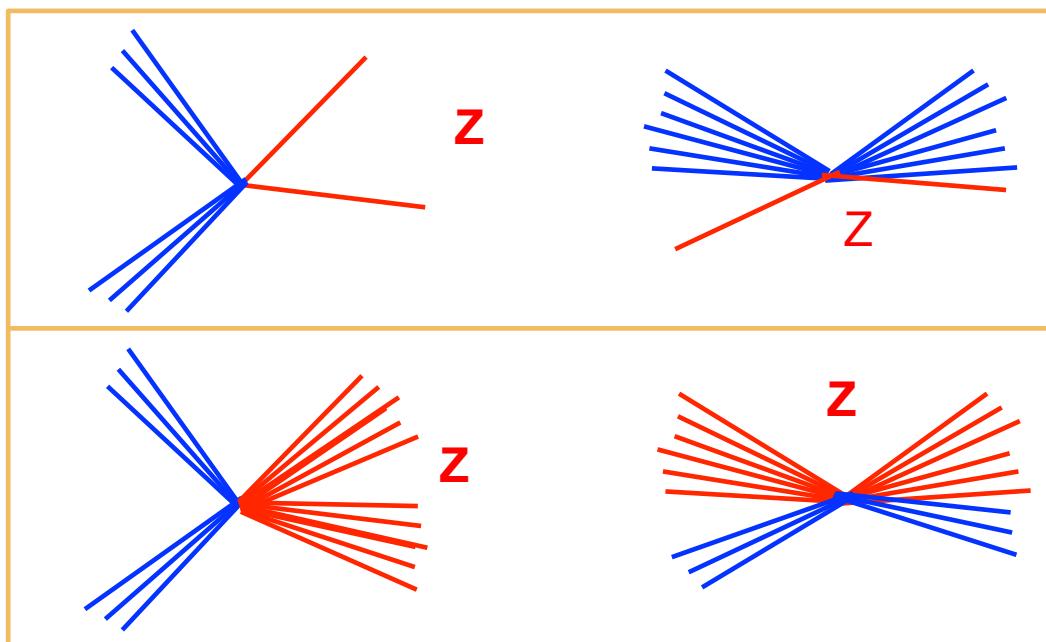




Recoil Mass



- ★ To date, most studies only use $Z \rightarrow \mu\mu$ and $Z \rightarrow ee$
- ★ Statistical precision limited by leptonic BRs of 3.5 %
- ★ Here: extend to $Z \rightarrow qq$ ~ 70 % of Z decays
- ★ Strategy – identify $Z \rightarrow qq$ decays and look at recoil mass
- ★ Can never be truly model independent:
 - unlike for $Z \rightarrow \mu\mu$ can't cleanly separate H and Z decays



Muons “always” obvious

Here jet finding blurs separation between H and Z

→ Different efficiencies for different Higgs decays



Study details



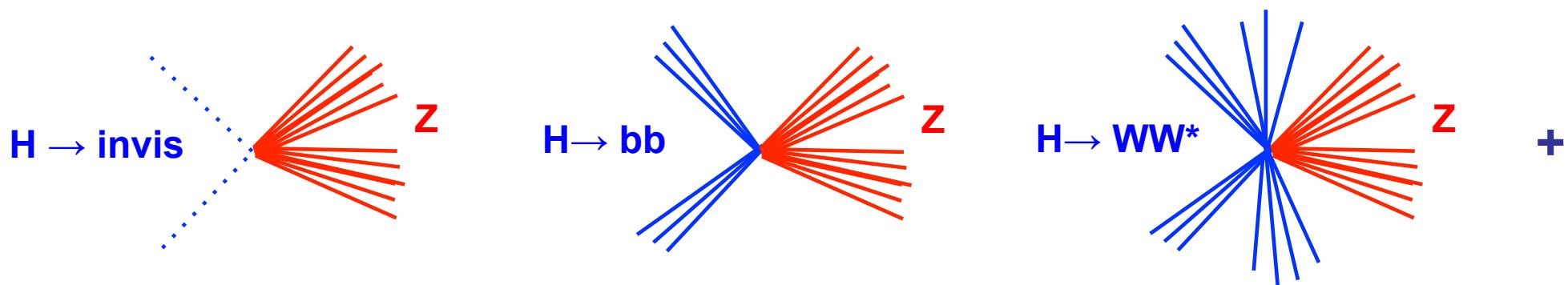
- ★ CLIC 350 GeV beam spectrum
- ★ CLIC_ILD detector model
- ★ Full simulation with overlayed background
- ★ 500 fb⁻¹ unpolarised beams
- ★ Results from new optimised analysis



Analysis Strategy



- ★ Identify a two-jet system consistent with $Z \rightarrow qq$
- ★ Higgs can either decay **invisibly** or **visible**
- ★ For $Z \rightarrow qq$ decays →
 - two jets or two jets + at least two other particles



- ★ ZH signatures: **Z + nothing or Z + other visible particles**

First divide into candidate invisible and visible Higgs decays

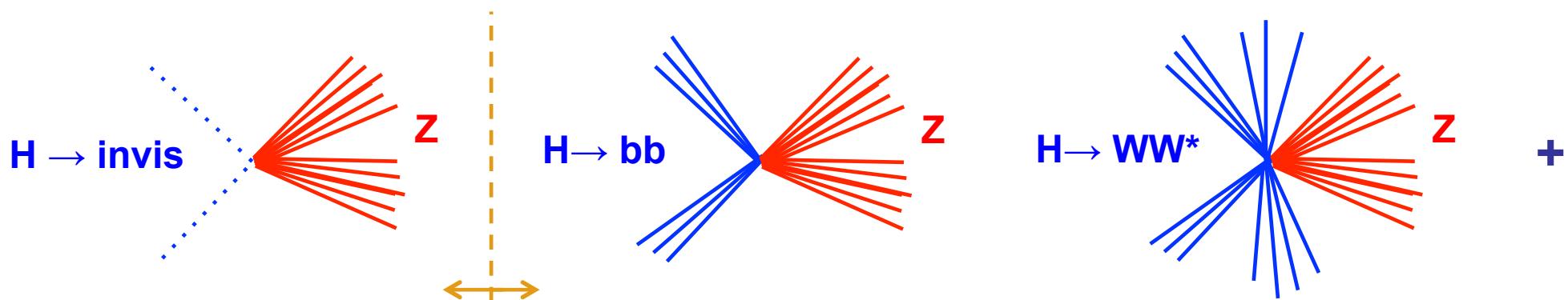
- ★ Aim for same selection efficiency for all Higgs decays
→ for model independence



Analysis Strategy



- ★ Identify a two-jet system consistent with $Z \rightarrow qq$
- ★ Higgs can either decay **invisibly** or **visible**
- ★ For $Z \rightarrow qq$ decays →
 - two jets or two jets + at least two other particles



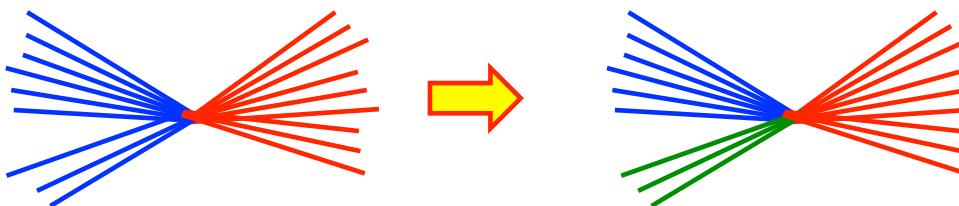
- ★ Force events into:
 - 2-jets: invisible decays [Kelvin's talk]
 - 3-, 4-, 5- and 6- "jet" topologies ($R=1.5$)
 - For each of these six topologies:
 - find two jets (> 3 tracks) most consistent with Z
 - determine mass of system recoiling against this "Z"
- For each event will choose one topology



2 jets vs >2 jets



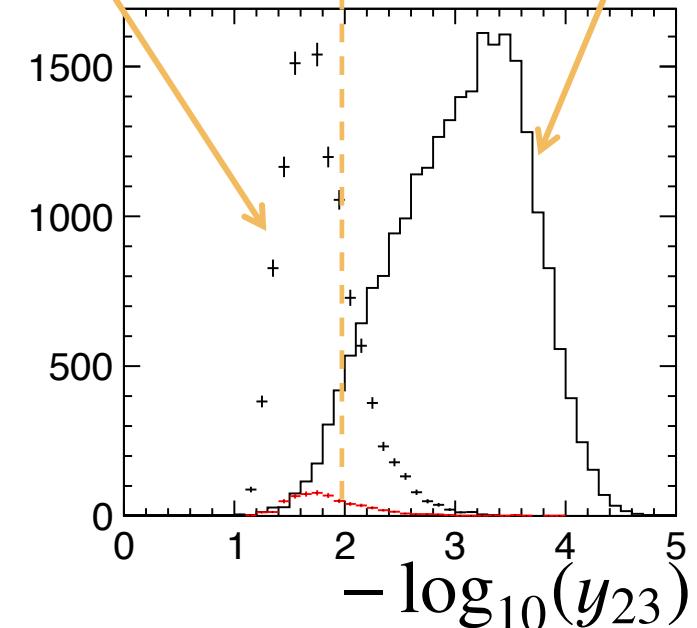
- ★ Require event to have two “jets” or > two “jets”
 - cut on y_{23} : the k_T value at which the event transitions from 2 jets to 3 jets



- ★ Also use y_{34} , the k_T value at which the event transitions from 3 jets to 4 jets

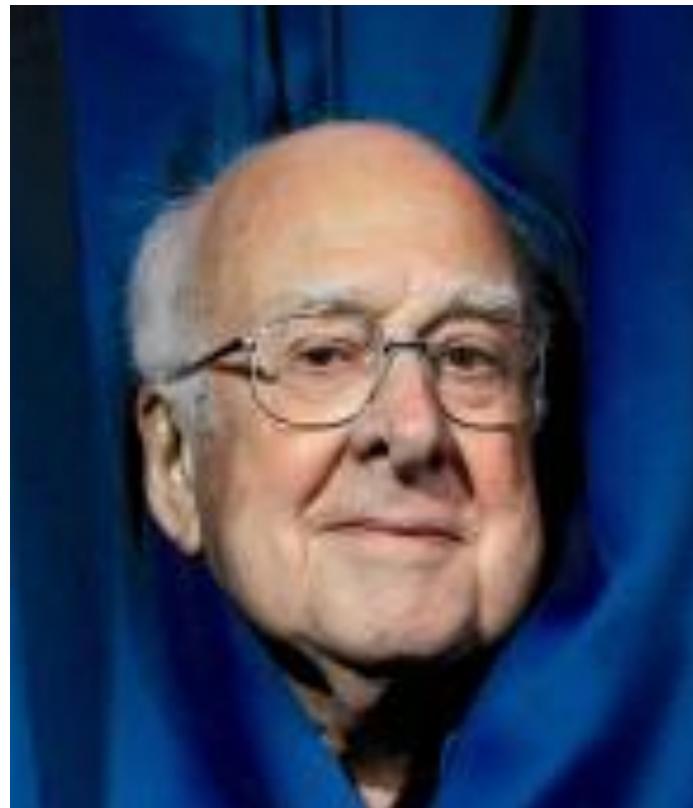
$H \rightarrow qq$

Invisible decays



$$\begin{aligned}-\log_{10}(y_{23}) &> 2 \\ -\log_{10}(y_{34}) &> 3\end{aligned}$$

- ★ *All* events categorised in one of these two samples



Visible Decays

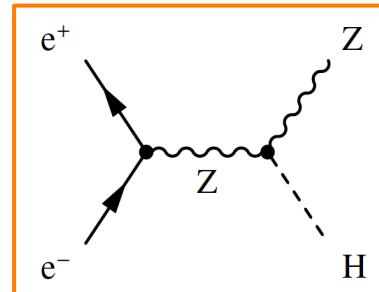
(> 2 jets)



Visible Higgs Decays



- ★ Have two jets from Z + Higgs decay products:
 - ★ $H \rightarrow qq : 4 \text{ quarks} = 4 \text{ "jets"}$
 - ★ $H \rightarrow \gamma\gamma : 2 \text{ quarks} + 2 \text{ photons} = 4 \text{ "jets"}$
 - ★ $H \rightarrow \tau\tau : 2 \text{ quarks} + 2 \text{ taus} = 4 \text{ "jets"}$
 - ★ $H \rightarrow WW^* \rightarrow l\nu l\nu : 2 \text{ quarks} + 2 \text{ leptons} = 4 \text{ "jets"}$
 - ★ $H \rightarrow WW^* \rightarrow q\bar{q}l\nu : 4 \text{ quarks} + 1 \text{ lepton} = 5 \text{ "jets"}$
 - ★ $H \rightarrow WW^* \rightarrow q\bar{q}q\bar{q} : 6 \text{ "jets"}$
 - ★ $H \rightarrow ZZ^* \rightarrow v\bar{v}v\bar{v} : 2 \text{ "jets" (invisible analysis)}$
 - ★ $H \rightarrow ZZ^* \rightarrow v\bar{v}q\bar{q} : 2 \text{ quarks} = 4 \text{ "jets"}$
 - ★ $H \rightarrow ZZ^* \rightarrow q\bar{q}l\bar{l} : 4 \text{ quarks} + 2 \text{ leptons} = 6 \text{ "jets"}$
 - ★ $H \rightarrow ZZ^* \rightarrow q\bar{q}q\bar{q} : 6 \text{ quarks} = 6 \text{ "jets"}$



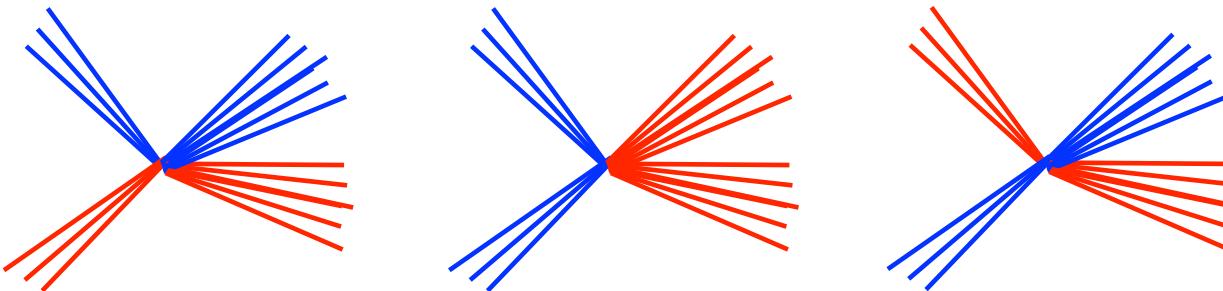
4, 5 or 6 ?



Visible Higgs Decays



- ★ Force event into **4-, 5-, 6- jet topologies**
- ★ For each, look at all jet combinations, e.g. for 4-jet topology



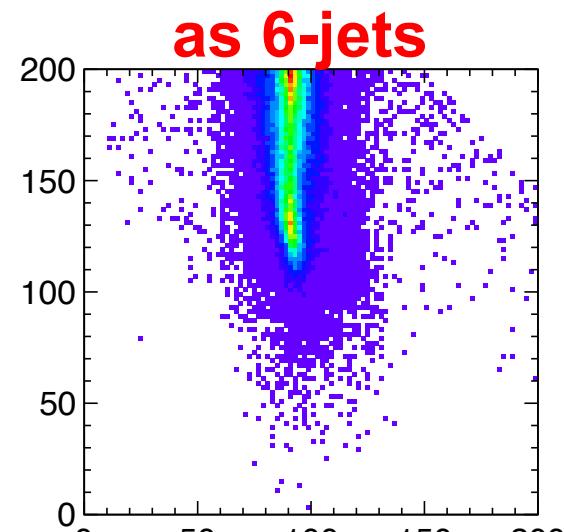
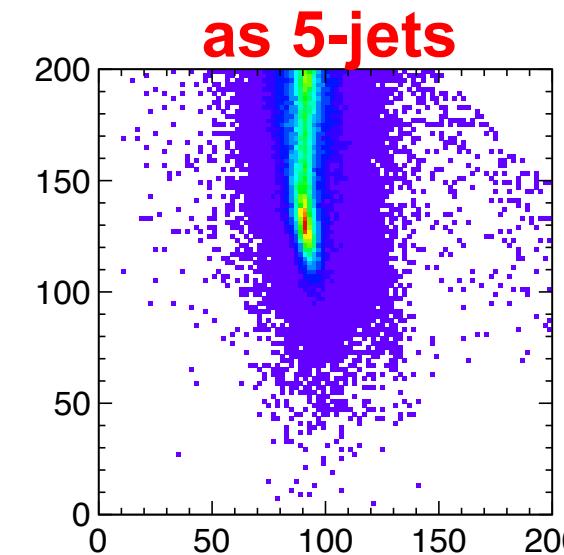
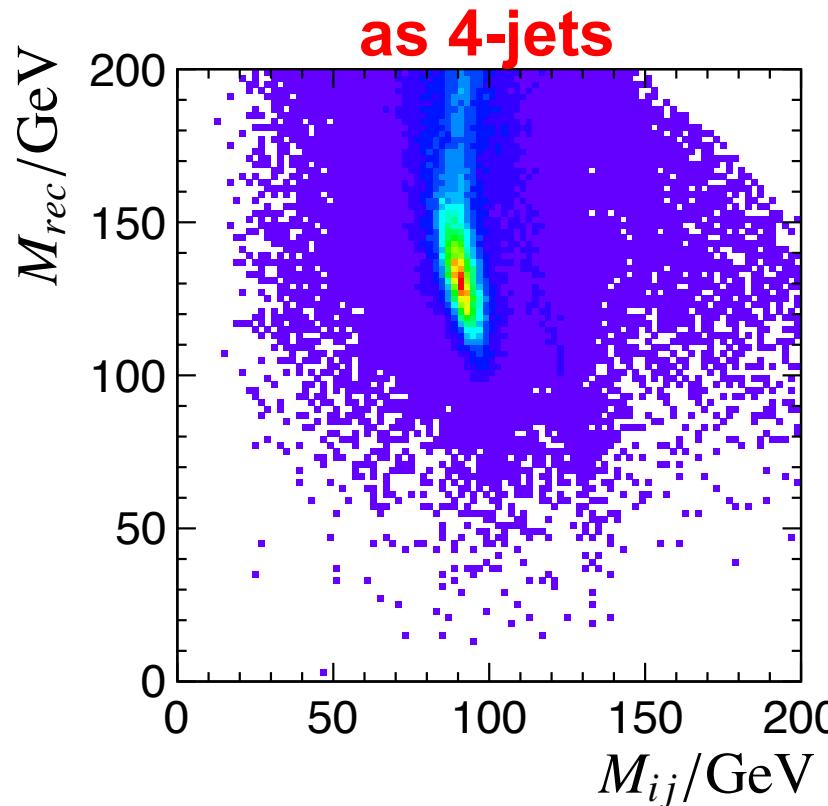
- ★ “Z” candidate = is the di-jet combination closest to Z mass from all three jet combinations, i.e. one per event
- ★ Repeat for 5- and 6-jet topologies...



e.g. $H \rightarrow qq$



- ★ For example, consider genuine $ZH \rightarrow qqqq$ decays
- ★ Plot mass of “candidate Z” vs. recoil mass for 4-, 5-, 6-jet hypotheses



- ★ Clear Z and H signature in 4-jet reconstruction...

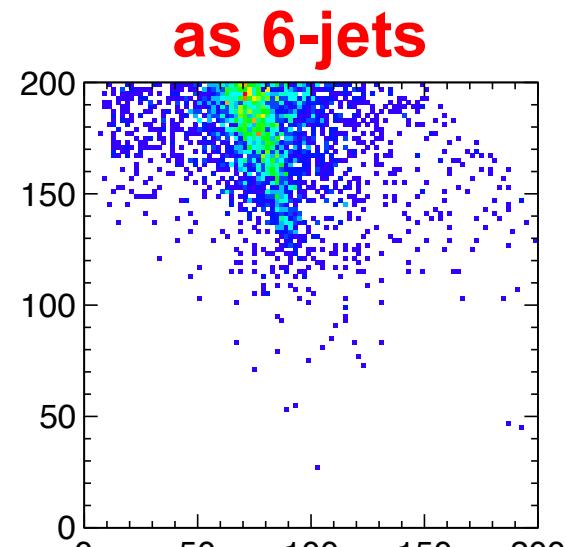
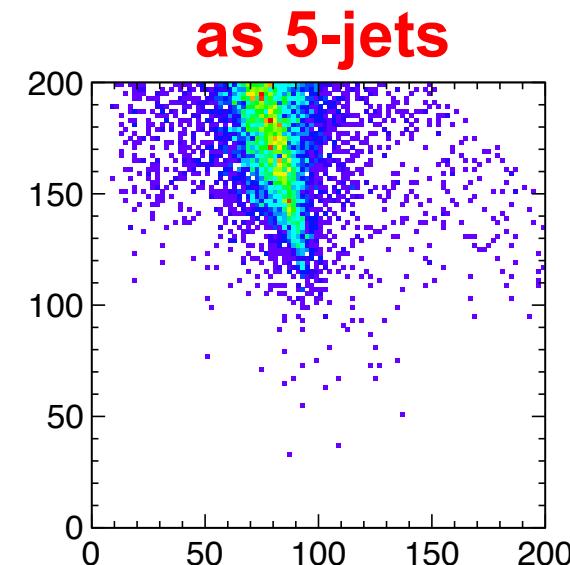
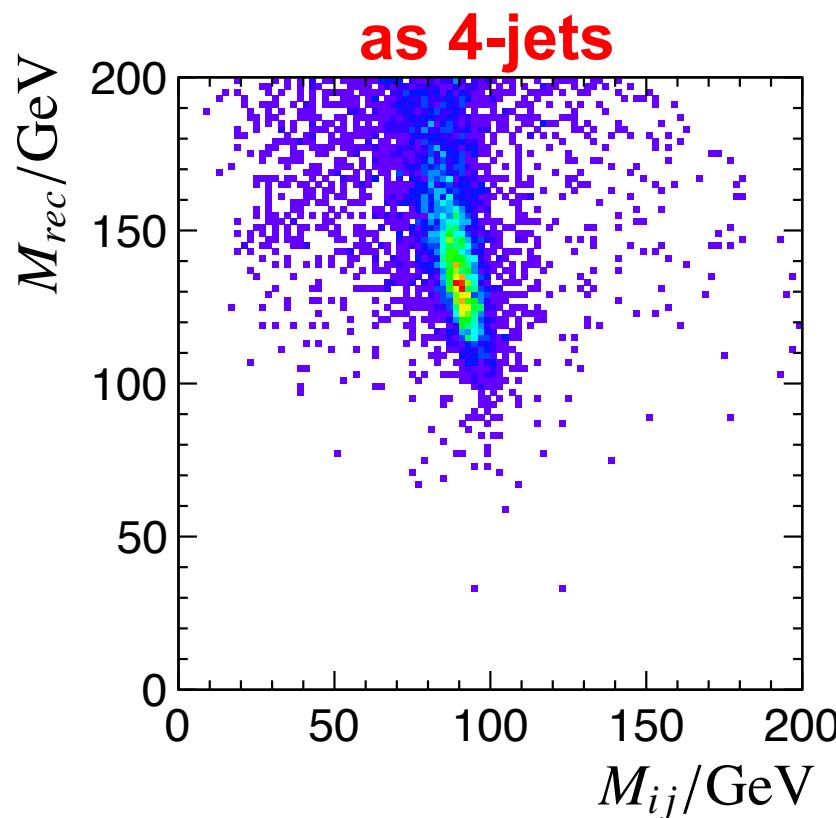




e.g. $H \rightarrow \tau\tau$



★ Similarly for $ZH \rightarrow qq\tau\tau$



★ In 4-jet reconstruction – similar “peaks” to $H \rightarrow qq$



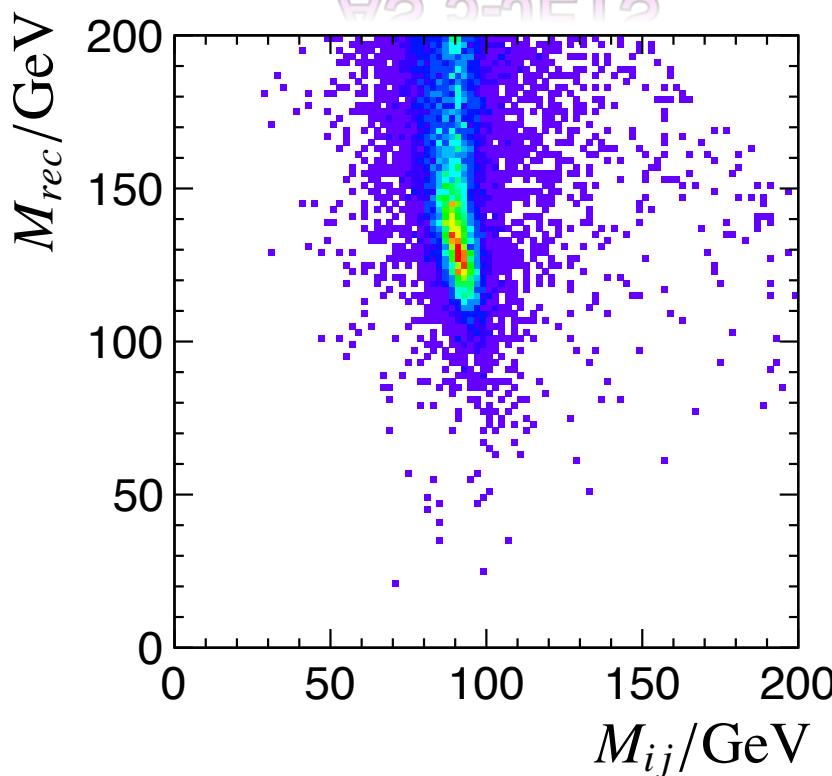


e.g. $H \rightarrow WW^* \rightarrow qq\ell\nu$

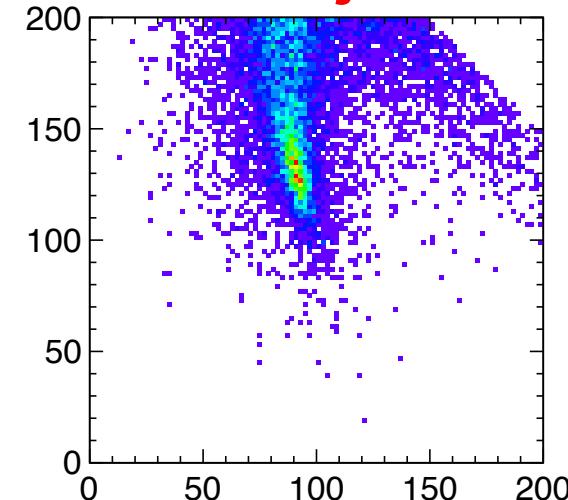


★ Similarly for $ZH \rightarrow qqWW^* \rightarrow qq\bar{q}\ell\nu$

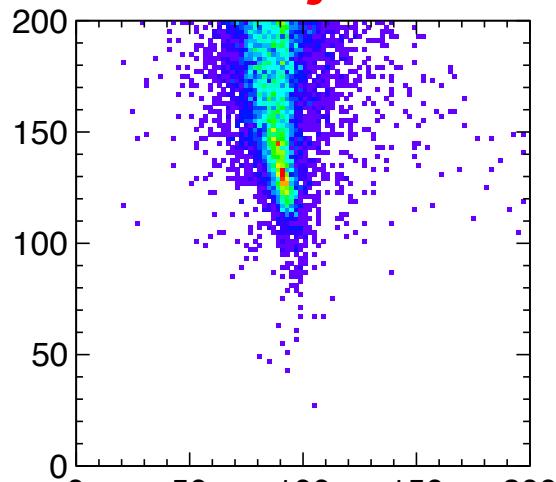
AS 5-JETS



as 4-jets



as 6-jets



★ In 5-jet reconstruction – similar “peaks” to $H \rightarrow qq$





Preselection



★ Preselection now greatly simplified

$$\begin{aligned} -\log_{10}(y_{23}) &> 2 \\ -\log_{10}(y_{34}) &> 3 \end{aligned}$$

Not two-jet like

$$\begin{aligned} 70 \text{ GeV} < m_{q\bar{q}} < 130 \text{ GeV} \\ 80 \text{ GeV} < m_{\text{recoil}} < 200 \text{ GeV} \end{aligned}$$

Very loose mass cuts

★ Targeted background cuts for:

$q\bar{q}$

$W^+W^- \rightarrow q\bar{q}q\bar{q}$

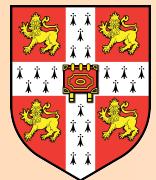
$ZZ \rightarrow q\bar{q}q\bar{q}$

$W^+W^- \rightarrow q\bar{q}\ell\nu$

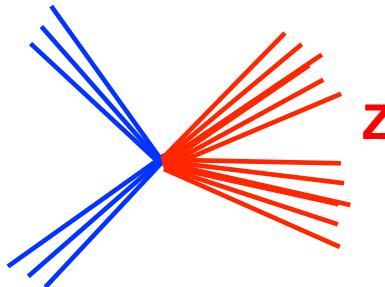
$ZZ \rightarrow q\bar{q}\ell^+\ell^-$

New:

- ★ Simplified
- ★ Optimised

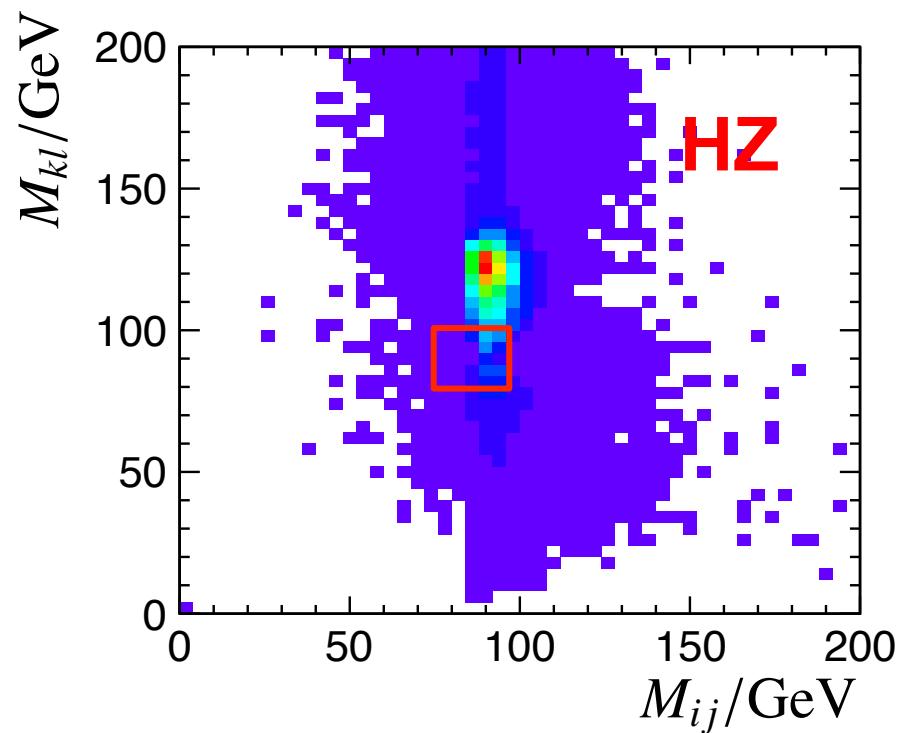
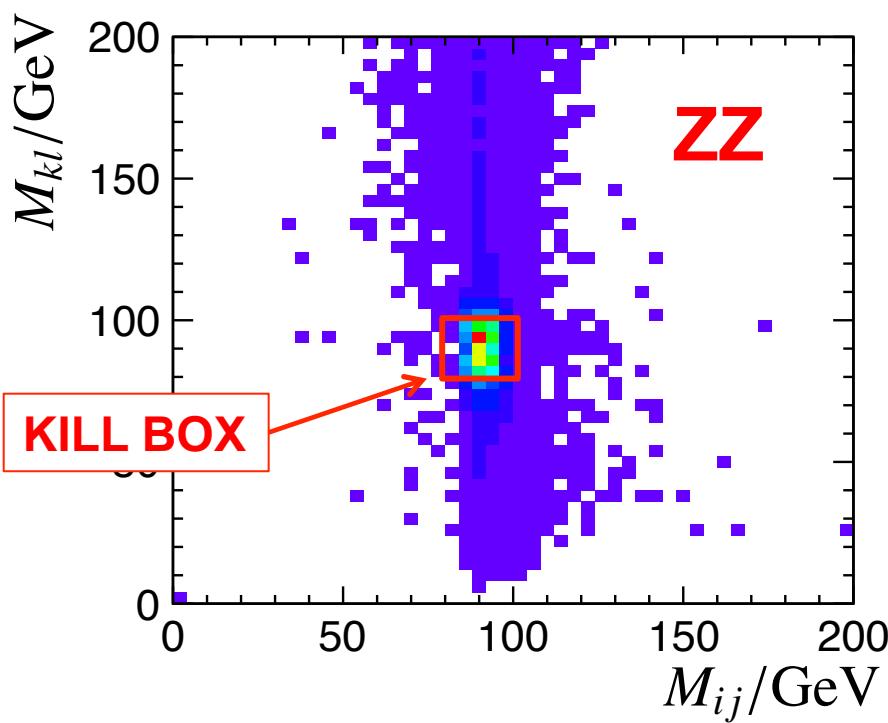


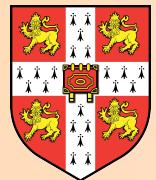
e.g. ZZ → qqqq



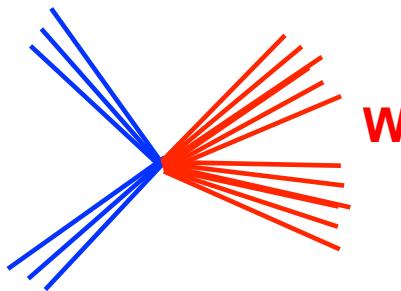
- Assume each event is ZZ → qqqq
- Therefore: force into 4 jets
- Choose jet pairing (12)(34), (13)(24) or (14)(23) with single jet-pair mass closest to Z mass

★ Cut on reconstructed di-jet masses (not recoil mass)

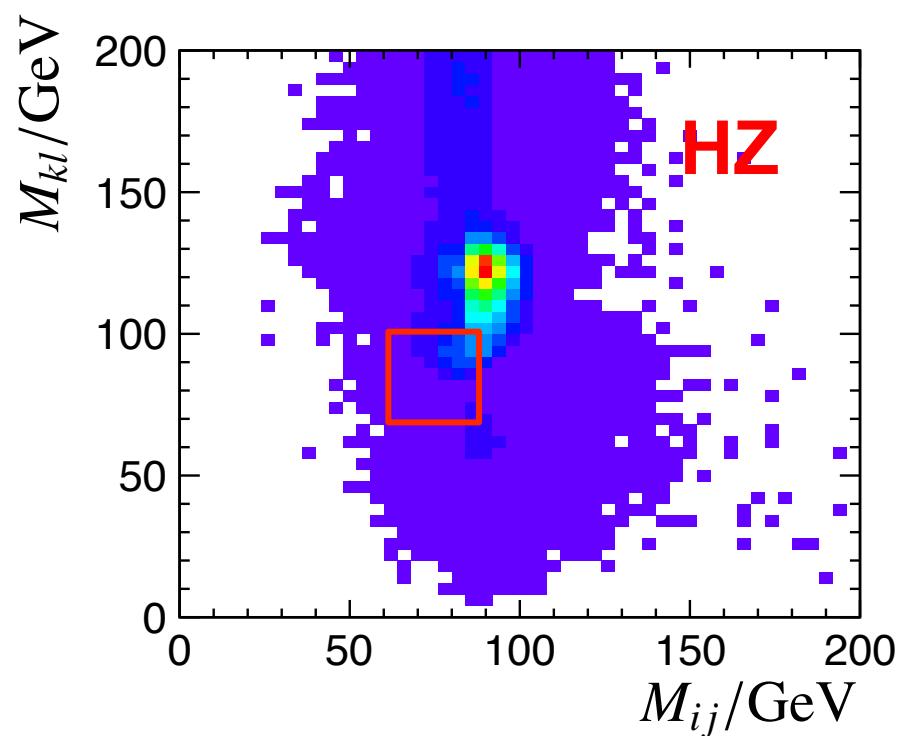
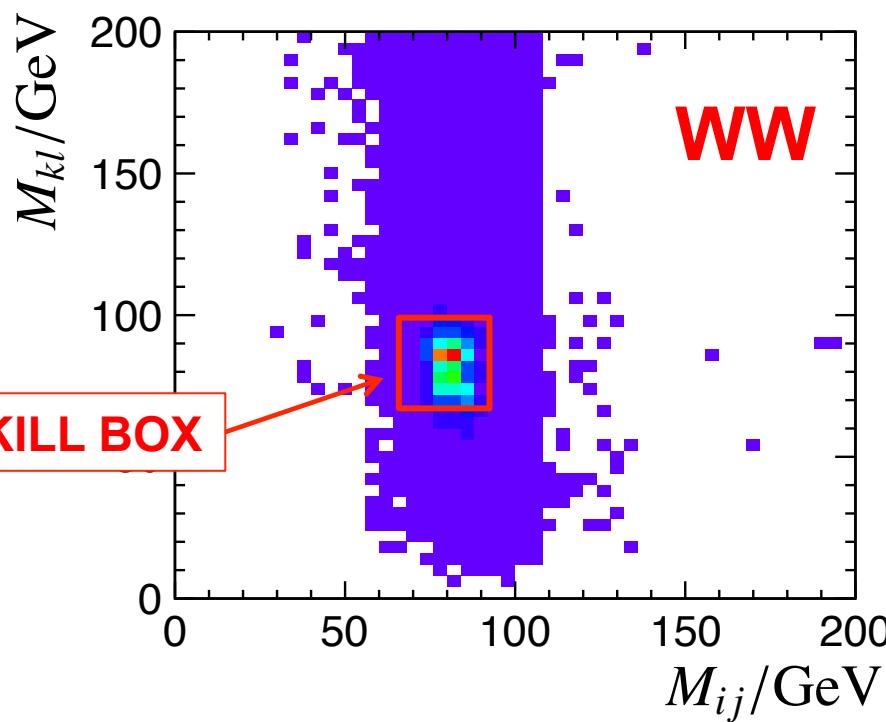


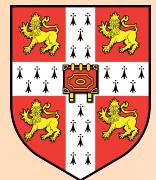


e.g. $WW \rightarrow qqqq$

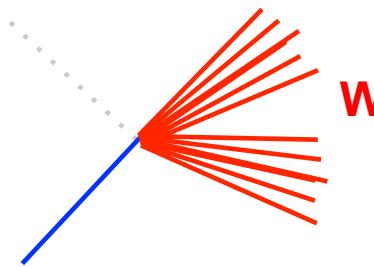


- Assume event is $WW \rightarrow qqqq$
- Therefore: force into 4 jets
- Choose jet pairing (12)(34), (13)(24) or (14)(23) with single jet-pair mass closest to W mass

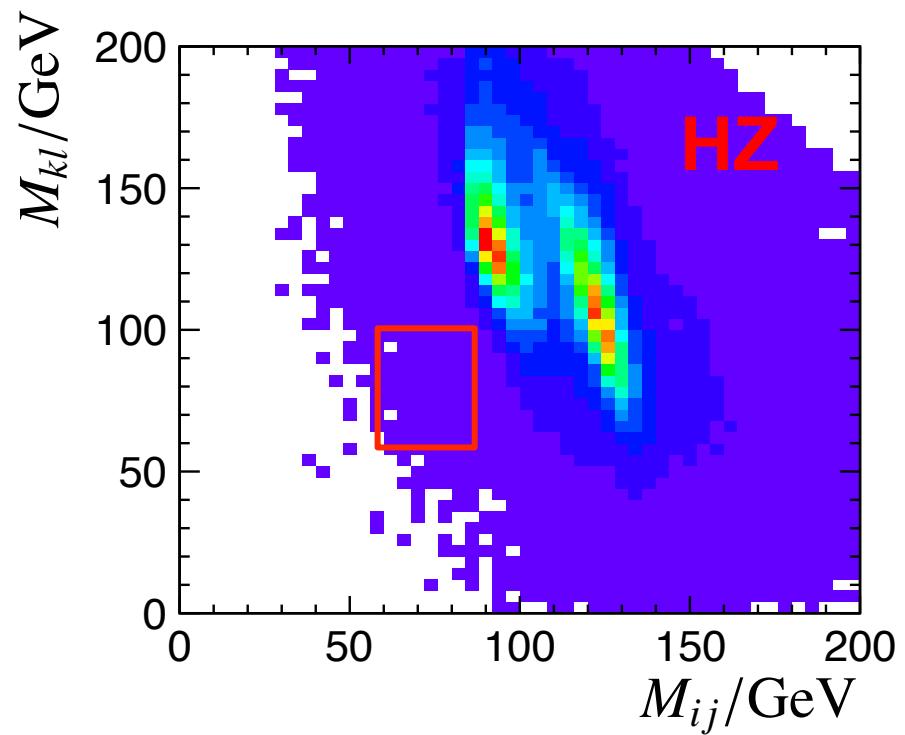
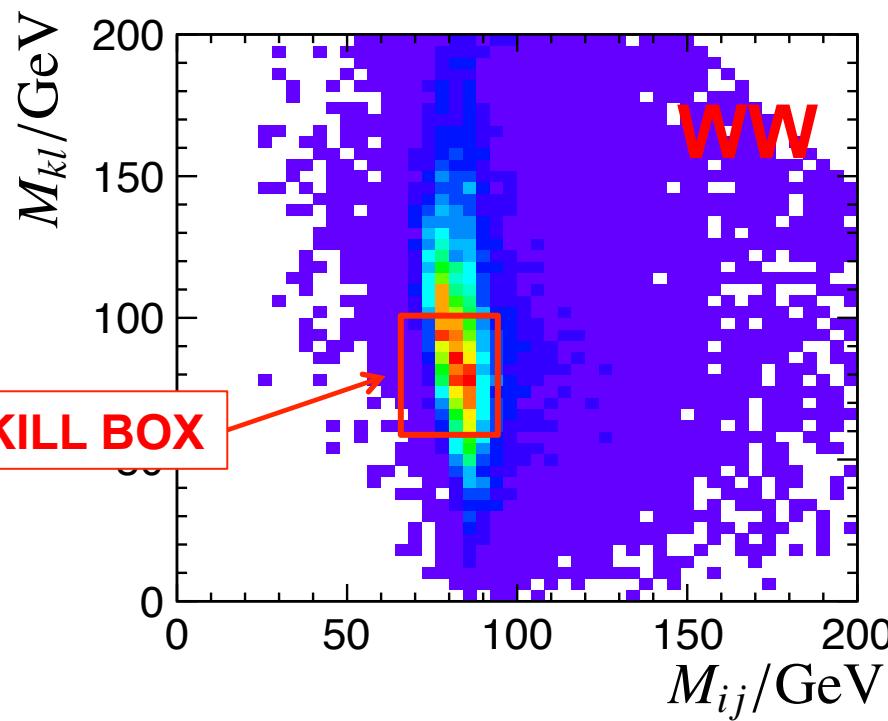




e.g. $WW \rightarrow qq\ell\nu$



- Assume event is $WW \rightarrow qq\ell\nu$
- Therefore: force into 3 jets
- Choose jet pairing (12) (13) (23) closest to W mass, only consider jets with >2 track





Now treat as $ZH \rightarrow qq X$



4, 5, or 6 jets?

- ★ Find that it rarely helps going from 5 → 6:
even if a 6-jet final state, provided reconstruct
two “hard” jets from Z decay OK

So choose between 4 or 5 jet topology:

- ★ Default is to treat as 4-jets
- ★ Reconstruct as 5-jets only if:
 - $-\log_{10}(y_{45}) < 3.5$ AND
 - 5-jet reconstruction gives “better” Z mass and “better” Higgs recoil mass
“better” = closer to true masses

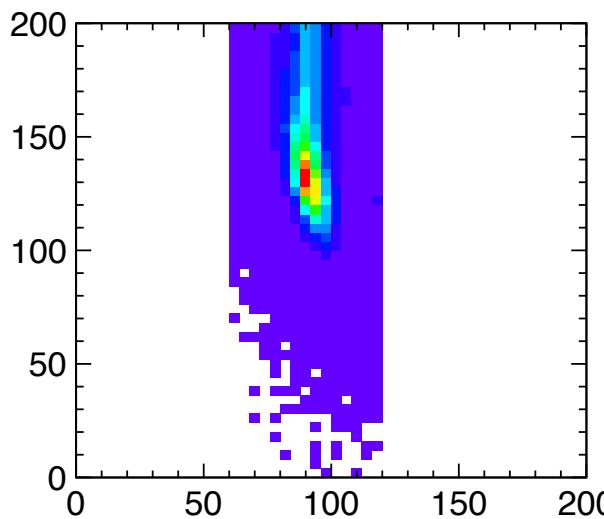


Signal m_{qq} vs m_{rec}

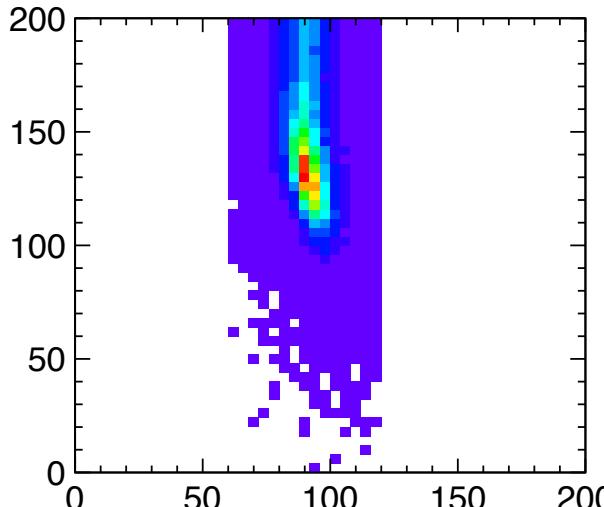


$H \rightarrow qq$

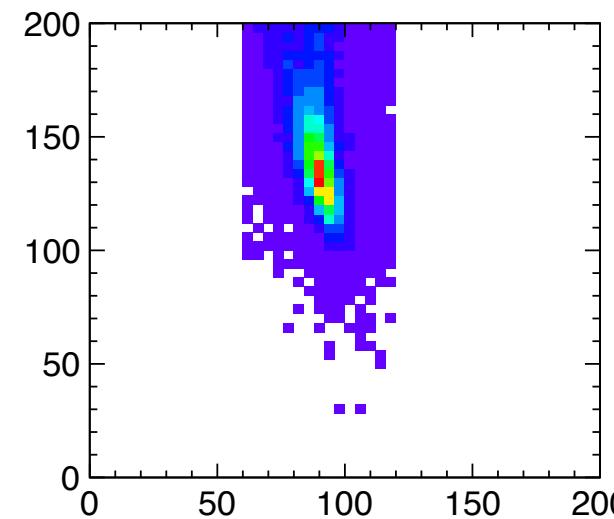
M_{rec}/GeV



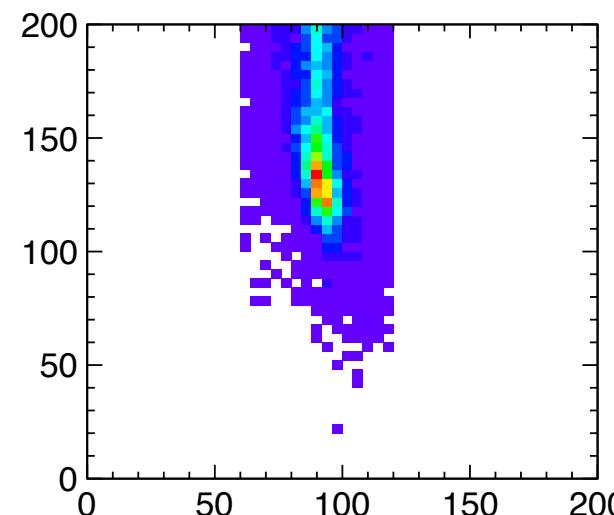
$H \rightarrow WW^*$



M_{ij}/GeV



$H \rightarrow \tau\tau$



$H \rightarrow ZZ^*$

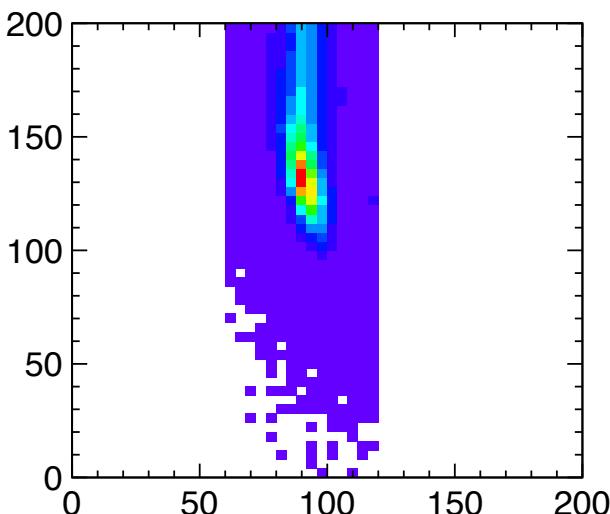


Signal m_{qq} vs m_{rec}



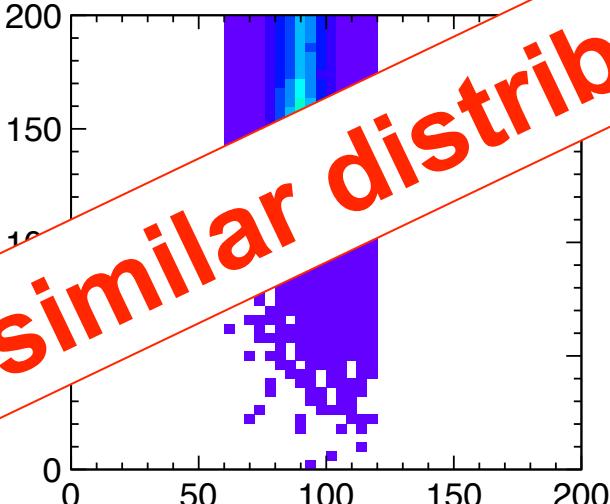
$H \rightarrow qq$

M_{rec}/GeV



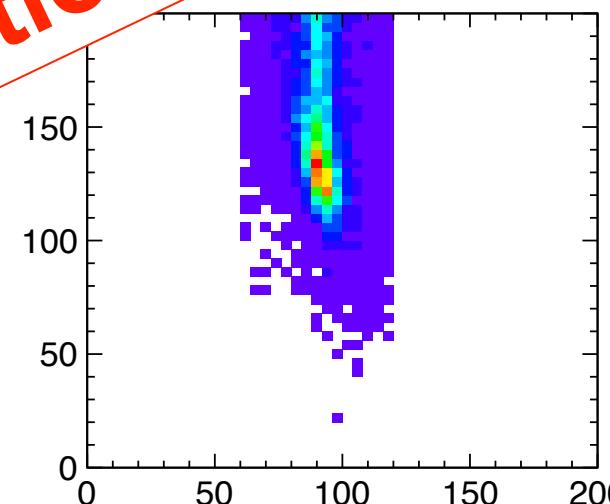
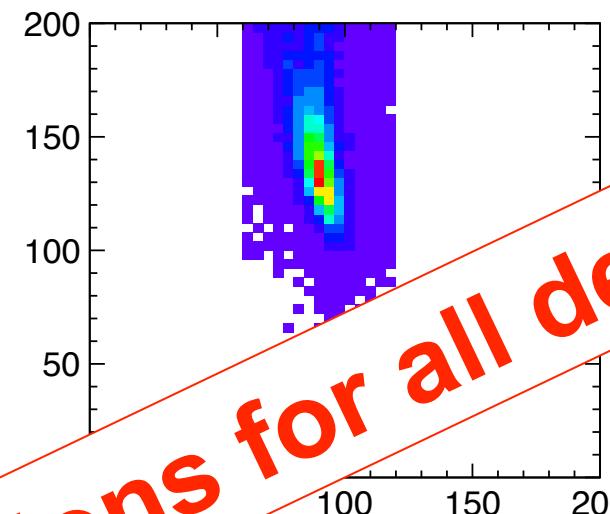
$H \rightarrow WW^*$

M_{rec}/GeV

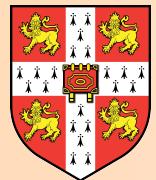


Very similar distributions for all decays

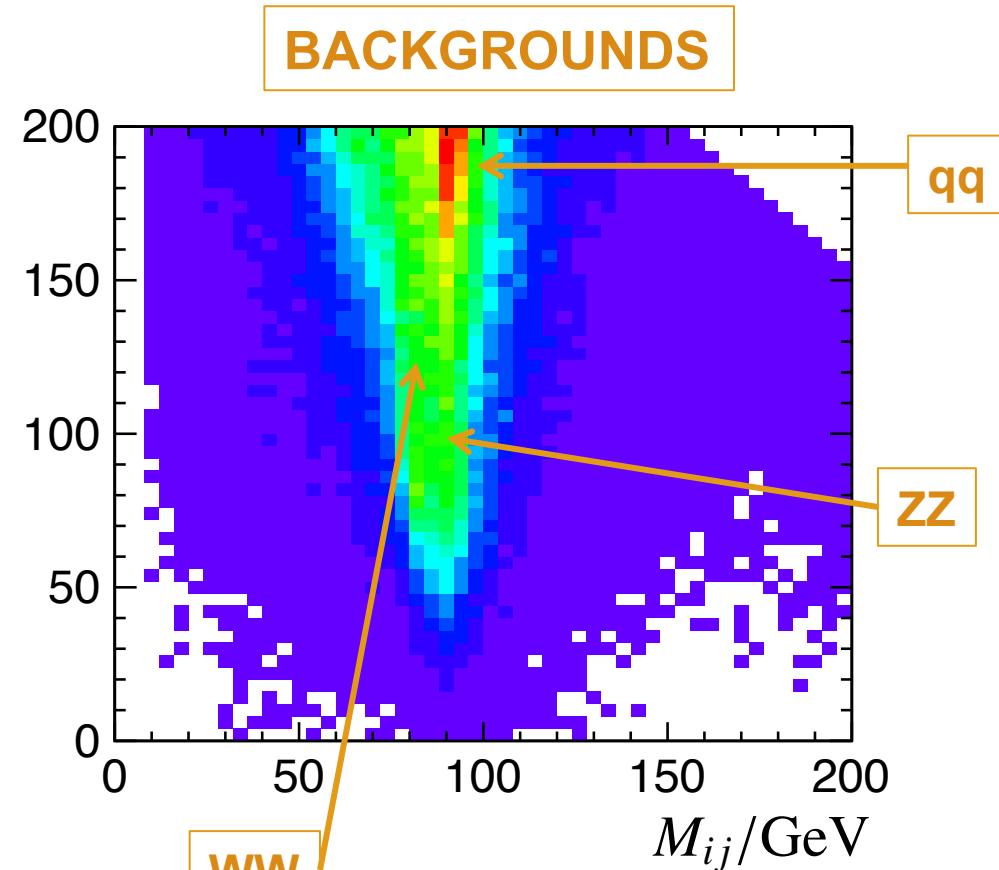
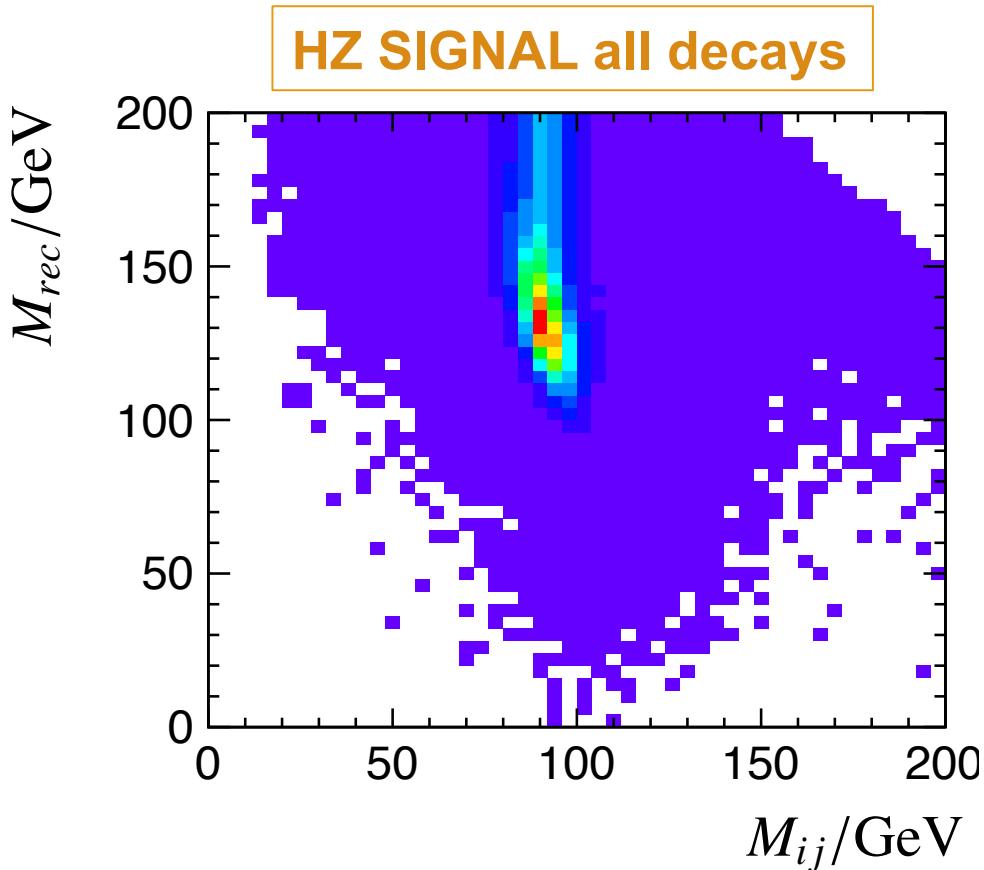
$H \rightarrow ZZ^*$



M_{ij}/GeV

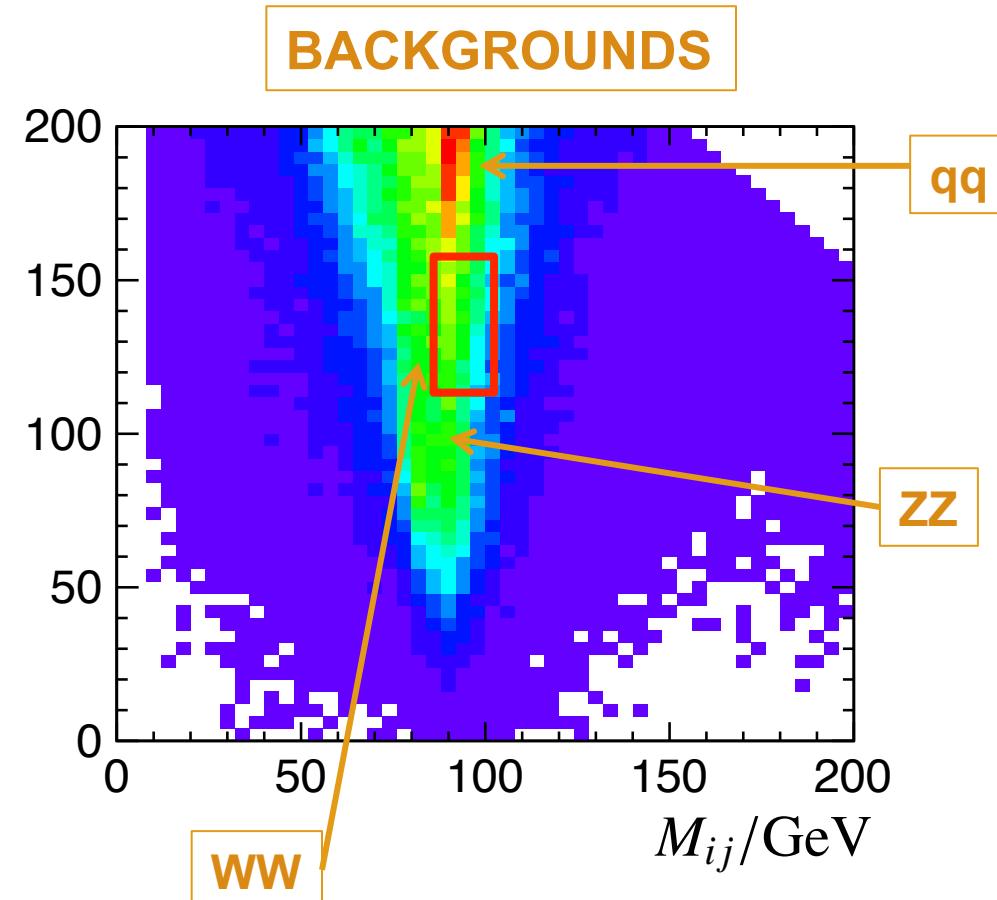
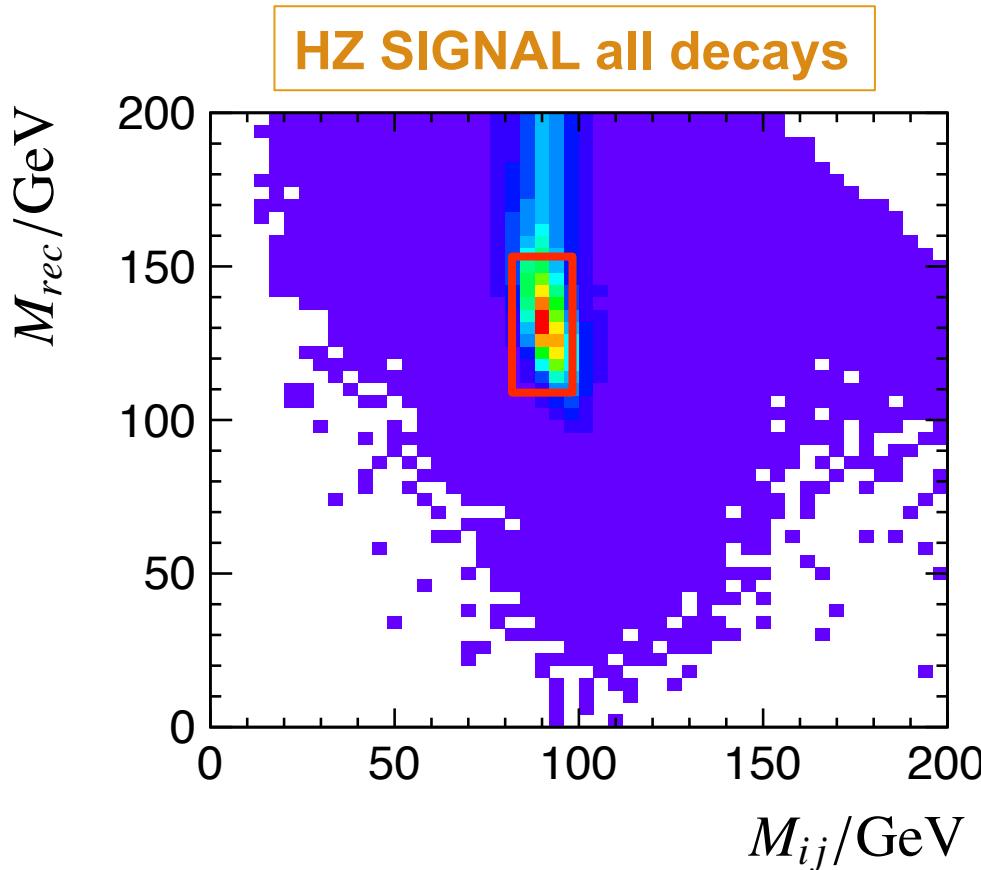


Signal vs Background





Signal vs Background



★ Signal region clearly separated from background



That's about it !



$$|\cos \theta_{\text{jet}}^{1,2}| < 0.95$$

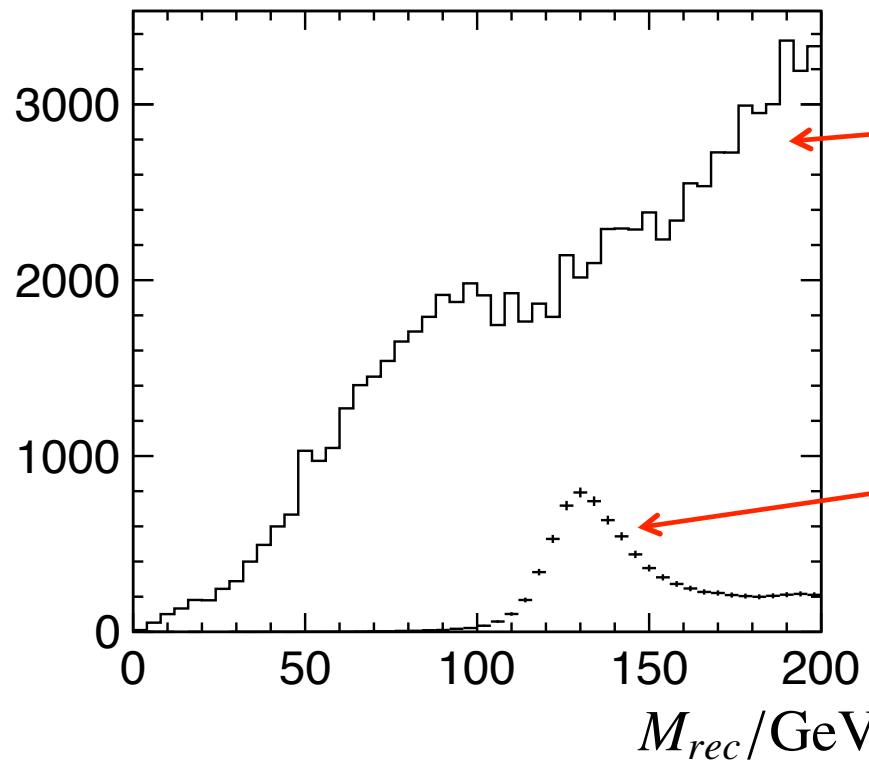
$$84 \text{ GeV} < m_{\text{qq}} < 108 \text{ GeV}$$

$$|\cos \theta_Z| < 0.7$$

Both jets well measured (hopefully)

Looks like Z

Z produced centrally



ZZ, WW and qq

Note more qq MC required

HZ

Clear Higgs “peak”: just a projection, clearer in 2D



Relative Likelihood



- ★ Use relative likelihood selection
- ★ Input variables

- m_{qq} vs. m_{rec}
- $|\cos \theta_Z|$
- $|\cos \theta_q^*|$

Calculate absolute likelihood for given event type

$$L = P(m_{\text{qq}}, m_{\text{rec}}) \times P(|\cos \theta_Z|) \times P(|\cos \theta_q^*|)$$

NOTE: 2D mass distribution includes main correlations

- ★ Absolute likelihoods calculated for two main event types:
- ★ Combined into relative likelihood

$$\mathcal{L}(\text{HZ}) = \frac{L(\text{HZ})}{L(\text{HZ}) + L(\text{back})}$$



Final(?) Results



Process	σ / fb	ϵ_{presel}	$\epsilon_{\mathcal{L} > 0.70}$	$N_{\mathcal{L} > 0.70}$
$q\bar{q}$	25180	0.5 %	<0.1 %	6211
$q\bar{q}\ell\nu$	5914	6.4 %	0.1 %	3895
$q\bar{q}q\bar{q}$	5847	4.2 %	0.4 %	10818
$q\bar{q}\ell\ell$	1704	1.2 %	0.1 %	1218
$q\bar{q}\nu\bar{\nu}$	325	0.6 %	<0.1 %	35
$H\nu_e\bar{\nu}_e$		- %		
 HZ	 93.4	 44.0 %	 20.3 %	 9493
$H \rightarrow \text{invis.}$		0.6 %	<0.1 %	—
$H \rightarrow q\bar{q}/gg$		43.5 %	20.6 %	6211
$H \rightarrow WW^*$		44.7 %	19.5 %	2240
$H \rightarrow ZZ^*$		40.0 %	18.1 %	254
$H \rightarrow \tau^+\tau^-$		47.6 %	21.4 %	738
$H \rightarrow \gamma\gamma$		42.8 %	22.1 %	32
$H \rightarrow Z\gamma$		41.8 %	17.6 %	17
$H \rightarrow \mu^+\mu^-$		39.5 %	20.6 %	3

- ★ For optimal cut
- signal ~9.5k events
 - background ~ 19k events

15 % improvement
c.f. LCWS analysis

Efficiencies same
to ~10 % !!!

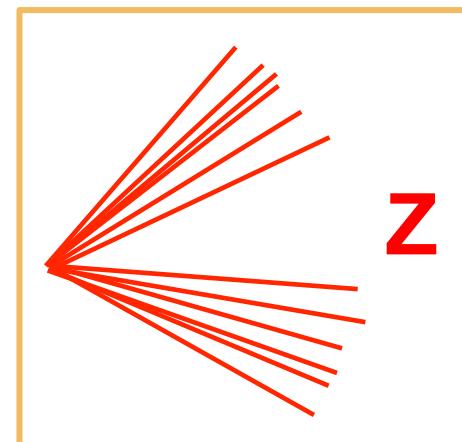
almost model
independent



Analysis performed by:
Kelvin Mei



Invisible Decays

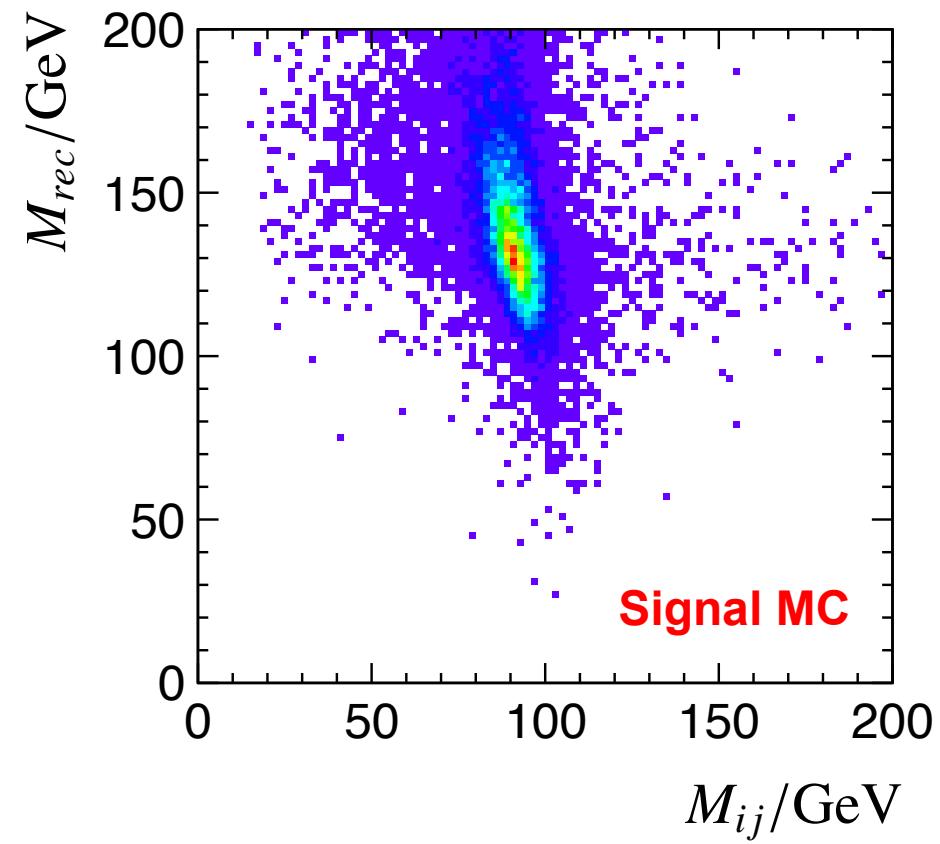
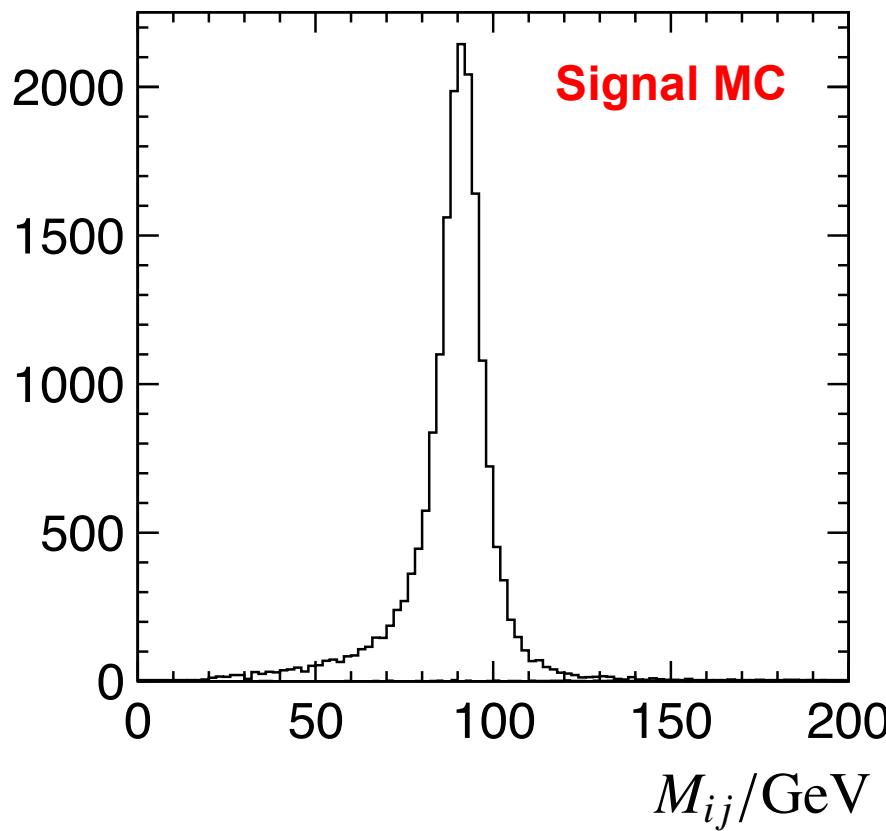




Invisible Higgs Decays



- ★ Start from **2-jet sample**: essentially removes ~all Higgs “background” (except $H \rightarrow ZZ^* \rightarrow vvvv$ and a little $H \rightarrow \tau\tau$)
- ★ Cut on di-jet mass (Z) and recoil mass (H) to select events





That's about it !



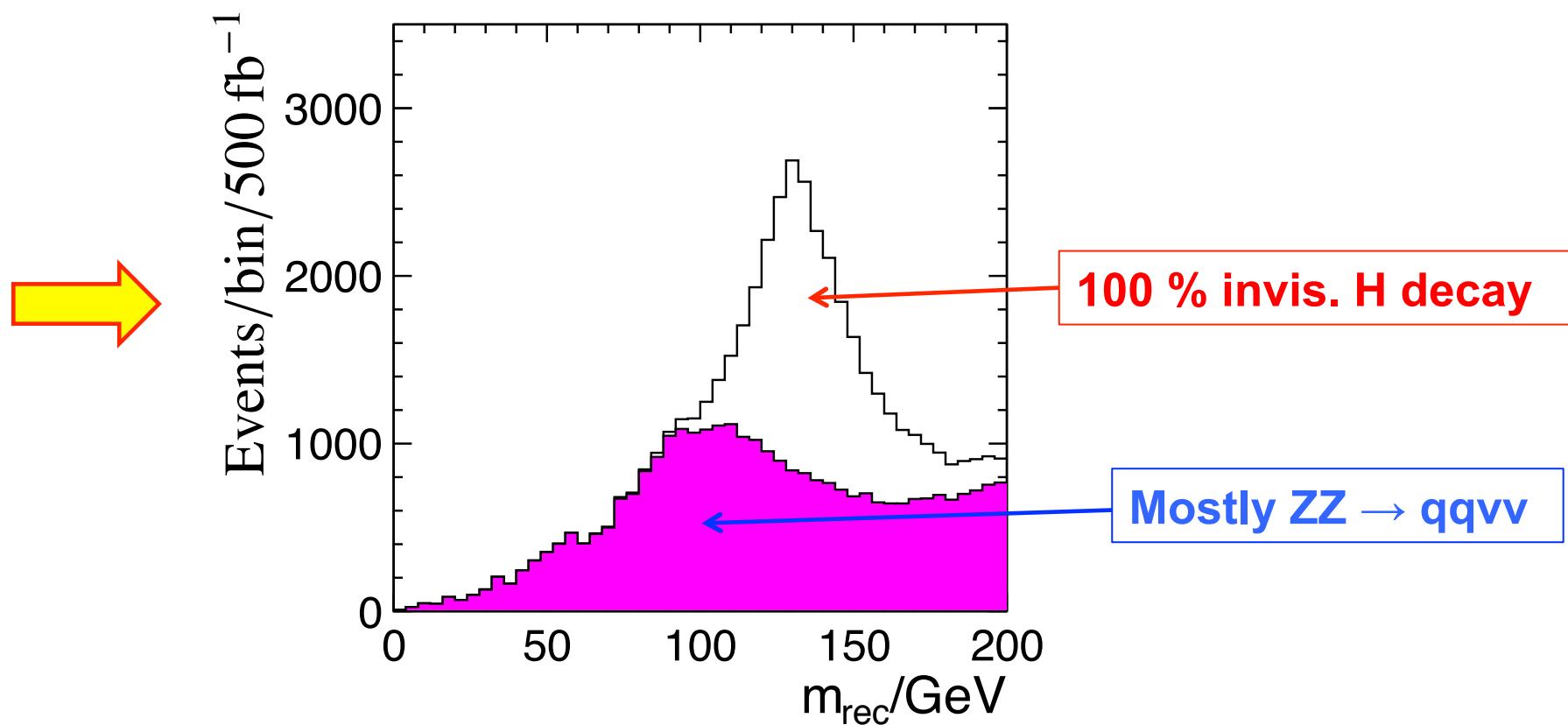
$84 \text{ GeV} < m_{\text{qq}} < 104 \text{ GeV}$

$|\cos \theta_Z| < 0.7$

Both jets well measured (hopefully)

Looks like Z

Z produced centrally

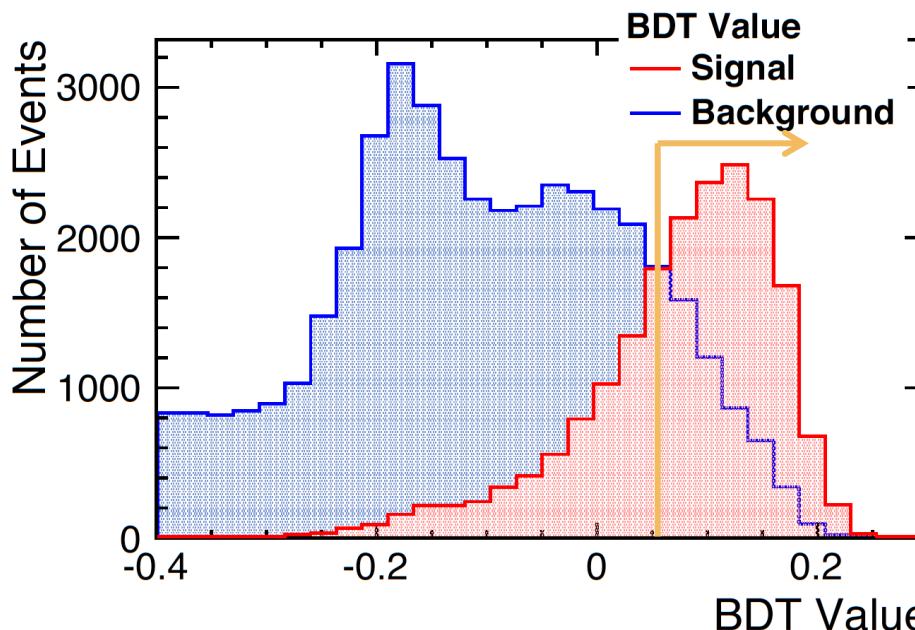




BDT Selection



★ Preliminary results (7 variable BDT selection)



Signal	
Channel	Efficiency
Z H → qq invis.	20.7 %

Backgrounds		
Channel	Efficiency	Events
qqlv	<0.1 %	900
qlll	<0.1 %	4
qqvv	1.5 %	2414

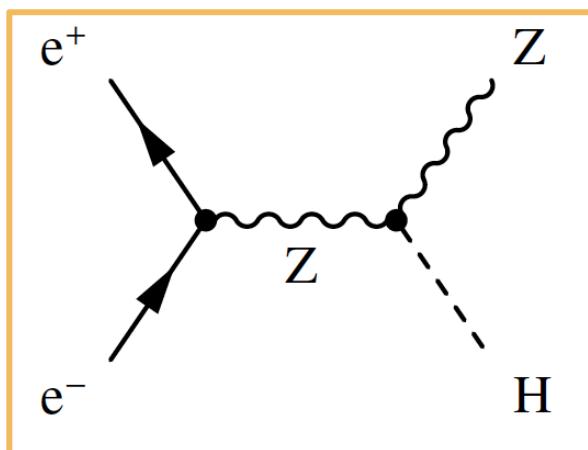
★ Assuming no invisible decays (1 sigma stat. error):

$$\rightarrow \Delta\sigma_{\text{invis}} = \pm 0.57 \%$$

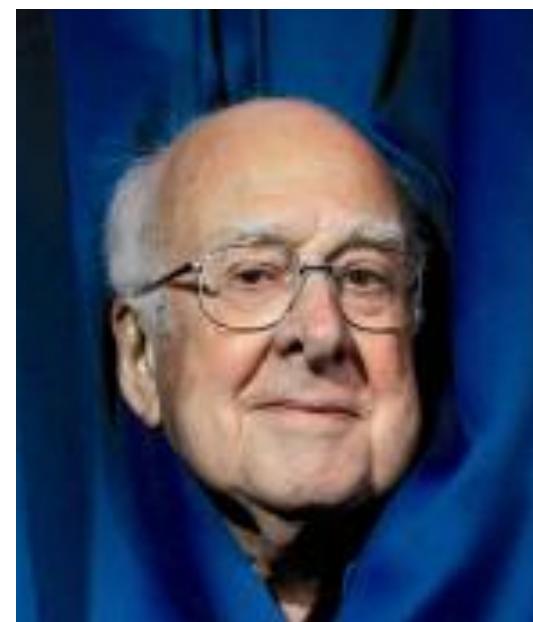
(CLIC beam spectrum, 500 fb⁻¹ @ 350 GeV, no polarisation)



Model Independence



=



+





Model Independence



- ★ Combining visible + invisible analysis: wanted M.I.
 - i.e. efficiency independent of Higgs decay mode

Decay mode	$\epsilon_{\mathcal{L}>0.70}^{\text{vis}}$	$\epsilon_{\text{BDT}>0.08}^{\text{invis}}$	$\epsilon^{\text{vis}} + \epsilon^{\text{invis}}$
H → invis.	<0.1 %	20.7 %	20.7 %
H → q <bar>q>/gg</bar>	20.6 %	<0.1 %	20.6 %
H → WW*	19.5 %	<0.1 %	19.8 %
H → ZZ*	18.1 %	0.9 %	19.0 %
H → τ ⁺ τ ⁻	21.4 %	0.1 %	21.5 %
H → γγ	22.1 %	<0.1 %	22.1 %
H → Zγ	17.6 %	<0.1 %	17.1 %
H → μ ⁺ μ ⁻	20.6 %	<0.1 %	20.6 %

Very similar efficiencies



Model Independence



- ★ Combining visible + invisible analysis: wanted M.I.
 - i.e. efficiency independent of Higgs decay mode

Decay mode	$\epsilon_{\mathcal{L} > 0.70}^{\text{vis}}$	$\epsilon_{\text{BDT} > 0.08}^{\text{invis}}$	$\epsilon^{\text{vis}} + \epsilon^{\text{invis}}$
H → invis.	<0.1 %	20.7 %	20.7 %
H → q <bar>q>/gg</bar>	20.6 %	<0.1 %	20.6 %
H → WW*	19.5 %	<0.1 %	19.8 %
H → ZZ*	18.1 %	0.9 %	19.0 %
H → $\tau^+ \tau^-$	21.4 %	0.1 %	21.5 %
H → $\gamma\gamma$	22.1 %	<0.1 %	22.1 %
H → Z γ	17.6 %	<0.1 %	17.1 %
H → $\mu^+ \mu^-$	20.6 %	<0.1 %	20.6 %
H → WW* → q <bar>q</bar> q <bar>q</bar>	19.3 %	<0.1 %	19.3 %
H → WW* → q <bar>q</bar> lv	19.6 %	<0.1 %	19.6 %
H → WW* → q <bar>q</bar> $\tau\nu$	19.9 %	<0.1 %	19.9 %
H → WW* → lvlv	22.0 %	0.3 %	22.3 %
H → WW* → lv $\tau\nu$	16.7 %	0.3 %	17.0 %
H → WW* → $\tau\nu\tau\nu$	12.2 %	1.3 %	13.6 %

Very similar efficiencies

Look at wide range of WW topologies



Combined Sensitivity



$$\Delta \left(\sigma_{\text{HZ}} \frac{\Gamma_{\text{vis}}}{\Gamma} \right) = \pm 1.7 \%$$

+

$$\Delta \left(\sigma_{\text{HZ}} \frac{\Gamma_{\text{invis}}}{\Gamma} \right) = \pm 0.6 \%$$

→ $\Delta (\sigma_{\text{HZ}}) = \pm 1.8 \%$

(CLIC beam spectrum, 500 fb^{-1} @ 350 GeV, no polarisation)

★ Combined with leptonic recoil mass

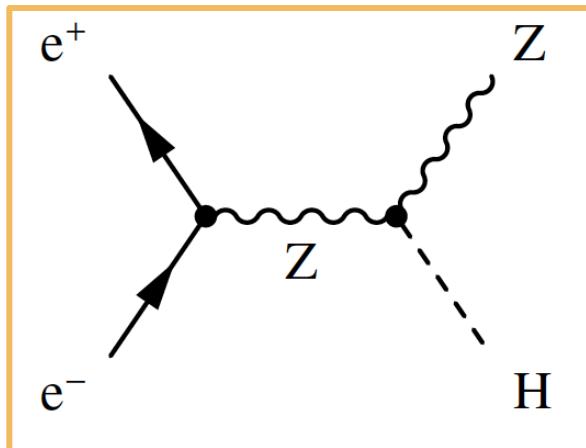


$$\Delta (g_{\text{HZZ}}) \approx \pm 0.8 \%$$

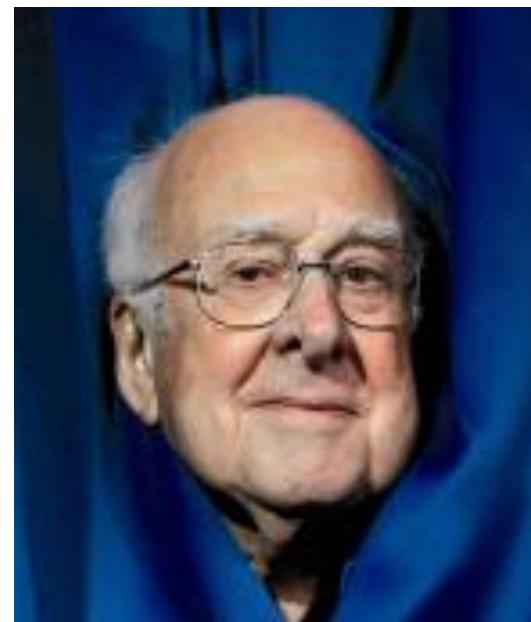
“almost model independent”



Summary



=



+



- ★ Results now “final” ?
- ★ 0.8 % statistical sensitivity to g_{HZZ}