

# New physics at ILC250/500 with ILD

## From b & c quark production with dEdx PID

*SW&ANA group meeting*

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26/04/23



**CSIC**

CONSEJO SUPERIOR DE INVESTIGACIONES CIENTÍFICAS

**AITANA**



- Current status on 250 & 500 GeV studies on  $e^-e^+ \rightarrow q\bar{q}$  production.
  - Focus on (heavy) b & c quarks.
- Experimental techniques:
  - Precision measurements.
  - Flavour tagging (+ dEdx).
  - Full signal+background simulations ILCSoft (ft. LCFI+).

} See A. Irlles [talk in ECFA](#)
- 16 different experimental observables to maximize the discrimination power:
  - 2 observables:  $A_{FB}$  &  $R_q$ .
  - 2 polarisation configurations:  $e^-_L e^+_R$  &  $e^-_R e^+_L$ .
  - 2 energies: 250 & 500 GeV.
  - 2 quarks: b & c.



- Differential Cross-Section:
  - General case with polarisation dependence:

$$\frac{d\sigma^{f\bar{f}}}{d\cos\theta}(P_{e^-}, P_{e^+}, \cos\theta) = (1 - P_{e^-}P_{e^+}) \frac{1}{4} \left\{ (1 - P_{eff}) \frac{d\sigma_{LR}^{f\bar{f}}}{d\cos\theta}(\cos\theta) + (1 + P_{eff}) \frac{d\sigma_{RL}^{f\bar{f}}}{d\cos\theta}(\cos\theta) \right\}$$

$P_{eff} \equiv \frac{P_{e^-} - P_{e^+}}{1 - P_{e^-}P_{e^+}}$

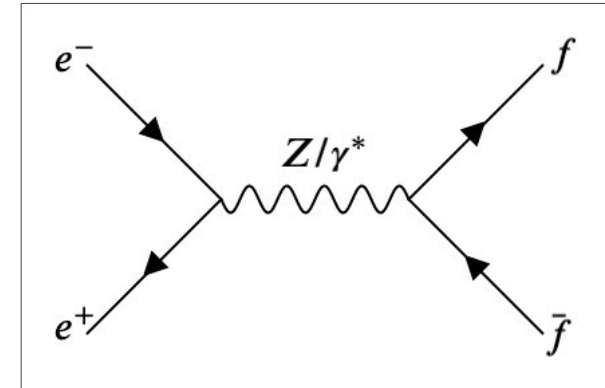
- Polarization contributions:

$$\frac{d\sigma_{LR}^{f\bar{f}}}{d\cos\theta}(\cos\theta) \simeq \frac{s}{32\pi} \left\{ (1 + \cos\theta)^2 |Q_{eLfL}|^2 + (1 - \cos\theta)^2 |Q_{eLfR}|^2 \right\}$$

$$\frac{d\sigma_{RL}^{f\bar{f}}}{d\cos\theta}(\cos\theta) \simeq \frac{s}{32\pi} \left\{ (1 + \cos\theta)^2 |Q_{eRfR}|^2 + (1 - \cos\theta)^2 |Q_{eRfL}|^2 \right\}$$

- Helicity amplitudes from the s-channel (may include BSM mediators):
  - We could only inspect them using polarisation.

$$Q_{exfY} = \sum_i \frac{g_{Vie}^X g_{Vif}^Y}{(s - m_{V_i}^2) + im_{V_i} \Gamma_{V_i}}$$



- Ratios ( $R_q$ ):

- Quark ID (flavour tagging).
- Angular measurement *possible*, but not needed.

$$R_q = \frac{\sigma_{e^-e^+ \rightarrow q\bar{q}}}{\sigma_{hadron}}$$

- Forward-backward asymmetry ( $A_{FB}$ ):

- Quark ID + charge measurement.
- Angular measurement needed.

$$A_{FB} = \frac{\int_0^1 \frac{d\sigma}{d\cos\theta} d\cos\theta - \int_{-1}^0 \frac{d\sigma}{d\cos\theta} d\cos\theta}{\int_{-1}^1 \frac{d\sigma}{d\cos\theta} d\cos\theta}$$

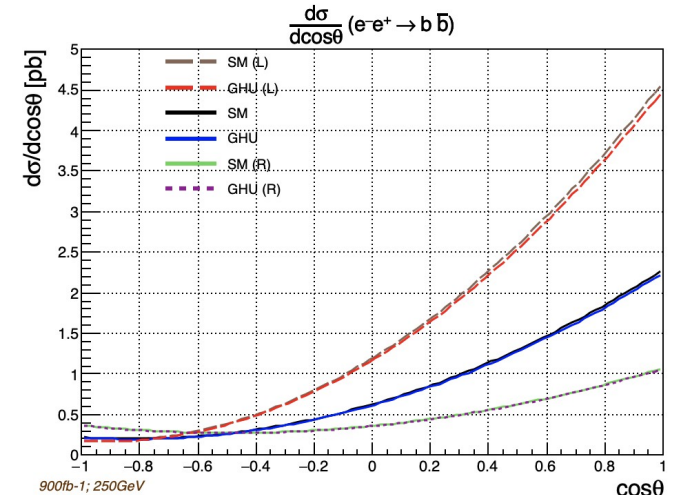
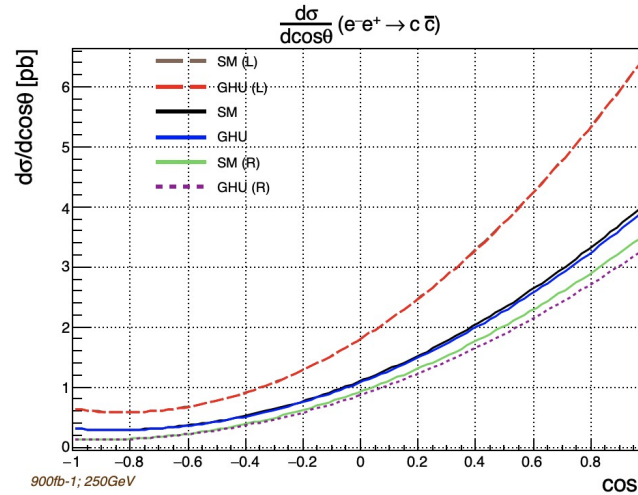
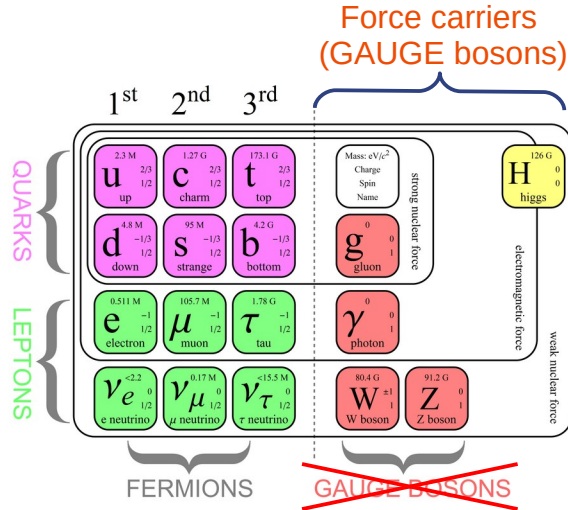
**Normalized & differential** observables are highly preferred:  
Control (removal) of systematic uncertainties

$$A_{FB}^{Exp} = \frac{N_F - N_B}{N_{Total}}$$
$$R_q^{Exp} = \frac{N_q}{N_{hadron}}$$



# Gauge-Higgs Unification (GHU) Models

- In the Hosotani Models the GHU unify all the force carriers under a single gauge group by using an extra physical dimension (Randall-Sundrum metric).



- The breaking pattern is way more complex than in the SM and features the Hosotani's mechanism.
  - Most of the fields are localized in the bulk and we feel the IR-projections.
    - Effects in EW couplings & KK-resonances of Z/γ!
    - Deviations from SM start being noticeable at 250 GeV!
  - We distinguish **A-Models** (GHU) and **B-Models** (GHU+GUT).

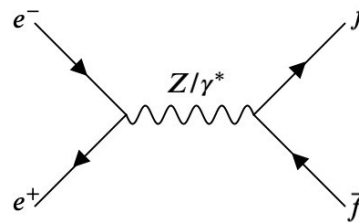
Projection of couplings and EW mixing angle:

$$g_Y^{5D} = \frac{g_A g_B}{\sqrt{g_A^2 + g_B^2}} \quad \sin \theta_W^0 = \frac{s_\phi}{\sqrt{1 + s_\phi^2}}$$



# ILC physics program

- The ILC is more than a Higgs factory:
  - It provides access to **all SM fermions**.
- It also features polarized beams:
  - $P(e^-) \sim 80\%$
  - $P(e^+) \sim 30\%$
- We can aim for specific processes by adjusting:



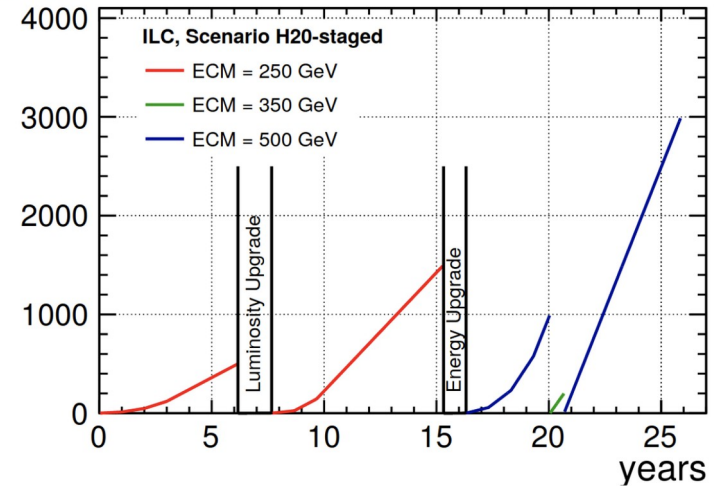
- Center-of-mass energy**
- Beam polarization**

- BSM Models sensitive to polarization can be tested using these all these features.

- ILC run plan:

- 4 different energies: Z-Pole, **250**, **500**, 1000 GeV.
- 4 different polarisation configurations:
  - $\text{sgn}(P(e^-), P(e^+)) = (+,-), (-,+), (+,+), (-,-)$

Integrated Luminosities [ $\text{fb}^{-1}$ ]



Luminosity upgrade: 5 Hz to 10 Hz.  
Energy upgrade: Extend the linac

$\sqrt{s}$	$\text{sgn}(P(e^-), P(e^+))$			
	(-,+)	(+,-)	(-,-)	(+,+)
250 GeV	900	900	100	100
350 GeV	135	45	10	10
500 GeV	1600	1600	400	400



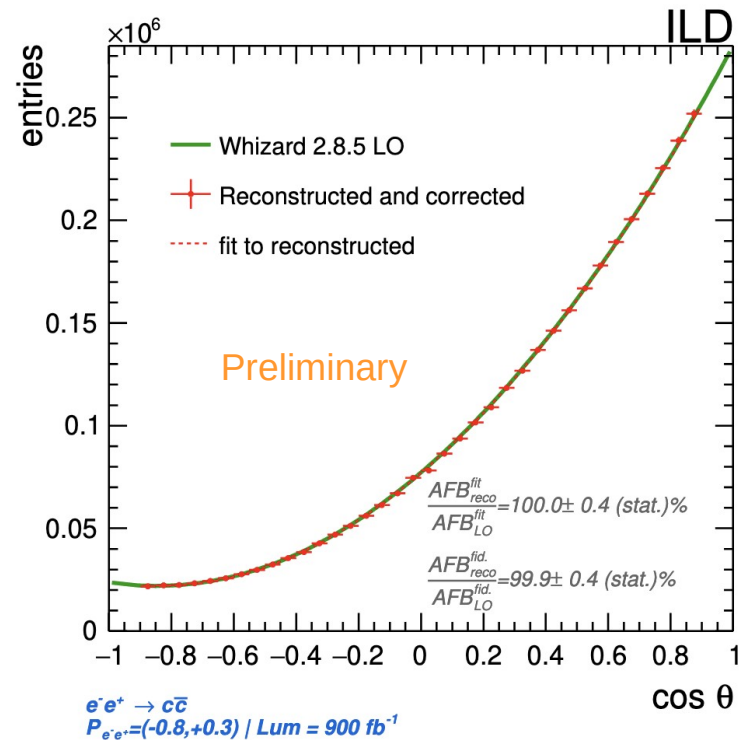
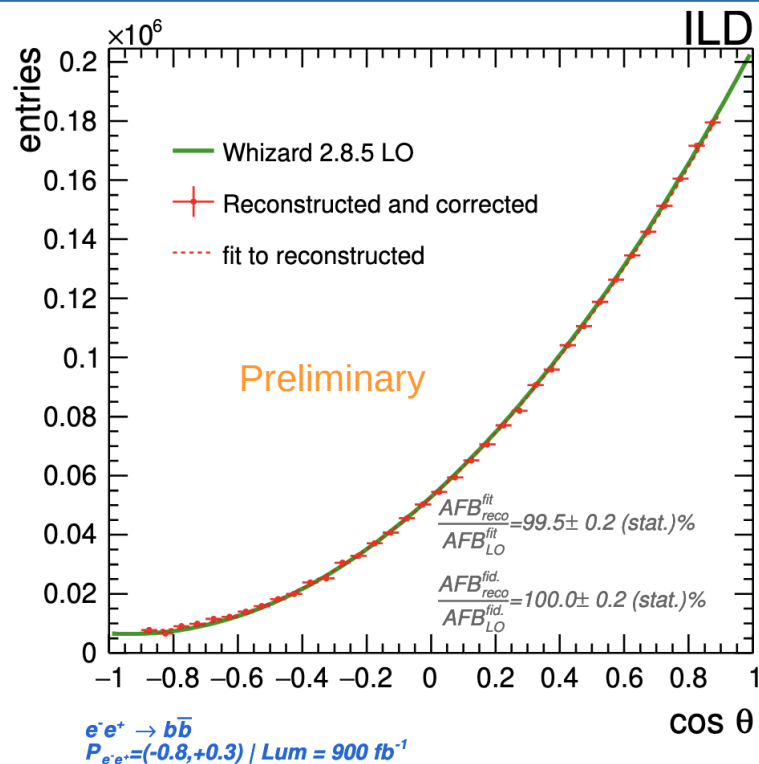
# Status of current studies

Preliminary Results for b & c quark 250 GeV

Presented in ECFA , LCWS19 (and others)

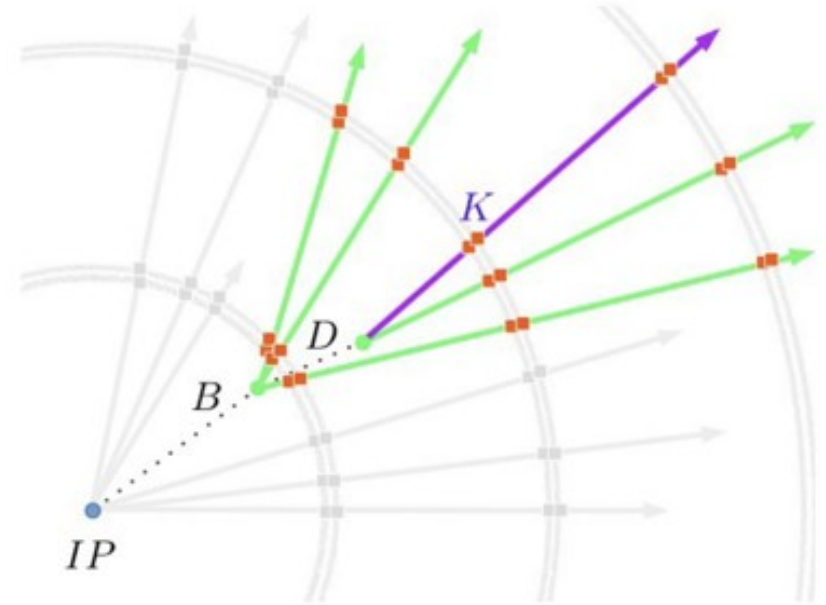
IJCLab/Tohoku/IFIC collaboration: F. Richard, R. Poeschl, T. Okugawa, H. Yamamoto, A. Irles, J. Márquez

Draft for ILD Note to appear soon



# Preselection of $q\bar{q}$ signals

- Experimental procedure:
  - Preselection.
    - To remove backgrounds.
      - Specially **radiative return**.
        - Up to x10 more data than the signal!
  - Flavour tagging.
    - Using standard ILD Tool: **LCFI+**
  - Charge measurement.
    - Using full vertex charge reconstruction and **kaon PID**





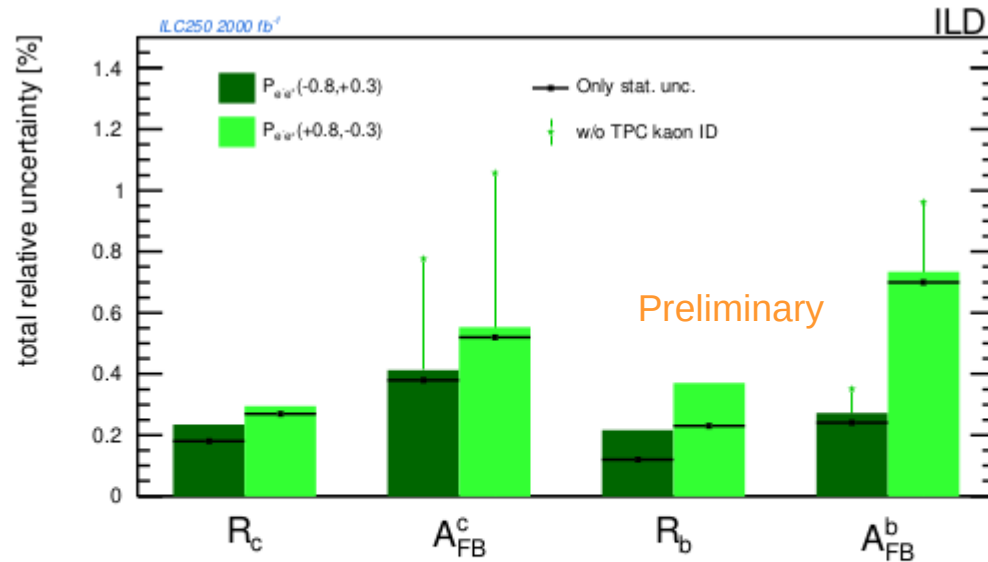


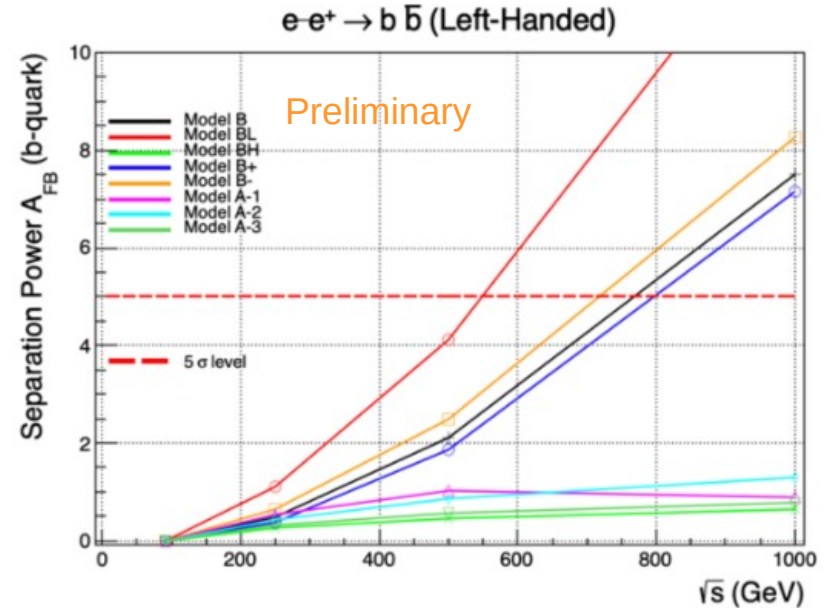
Figure 20: Expected achievable precision for the measurement of electroweak observables  $R_q$  and  $A_{FB}^{q\bar{q}}$  at ILC250 with the ILD. We include the scenario in which no charged hadron identification capabilities is provided by the TPC, hence having only the  $Vtx$ -method for the charge measurement used for  $A_{FB}$ .

A. Irlles, R. Poeschl, F. Richard  
(K. Fuji, M. Berggren as ILD PSB Ed. members)

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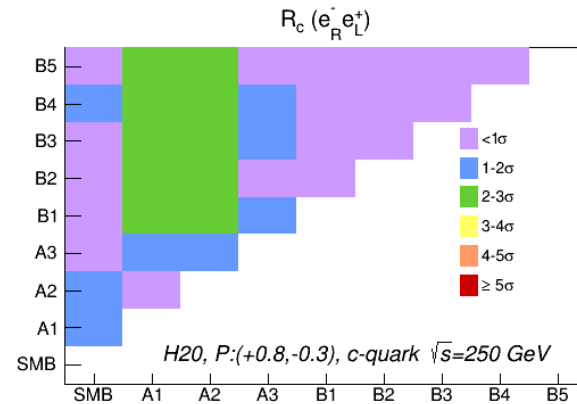
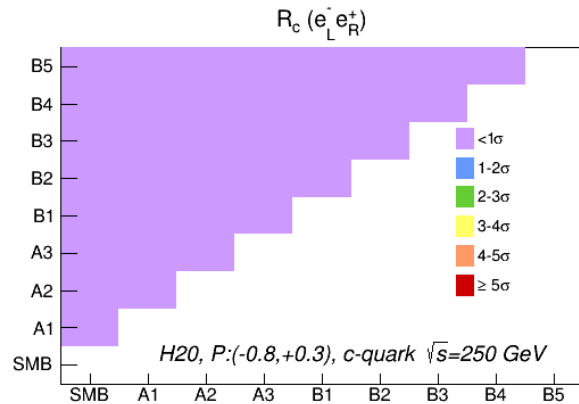
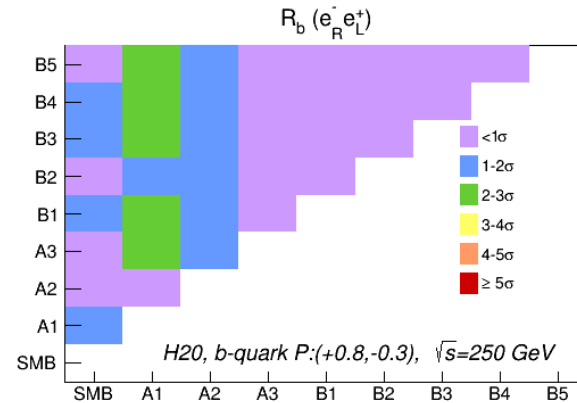
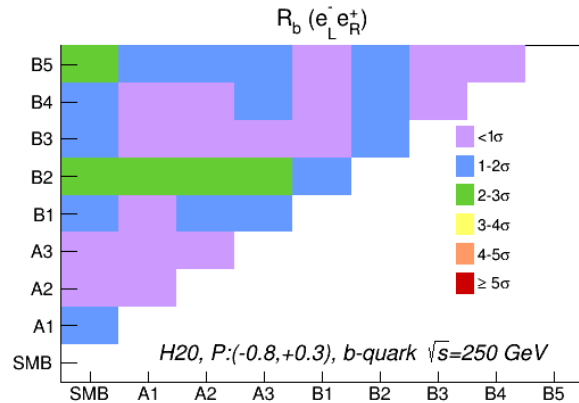
- 2 kinds of models: A & B Models:
  - A & B Models distribute differently the fields along the 5-dimensions (see back-up for more).
    - We consider 3 A-Models & 5 B-Models.
  - B Models are also related to GUT.
- Extra dimension produce KK-resonances:
  - $\sim 10$  TeV: No direct production.
  - Contributions from  $Z^{(1)}$  and  $\gamma^{(1)}$  as virtual particles.
- Projection of the fields affects EW mixing angles and couplings:
  - All bosons are affected (SM and BSM).
  - All fermion channels are affected!
- Higher energy leads to higher deviations.

Example of separation dependence with energy



**Next slides:** Discrimination between models for  $A_{FB}$  &  $R_q$  given the current expected precisions for 250 GeV. For 500 GeV we are using x2 stat. and same syst. uncertainties than the 250 GeV case (real values not still available).

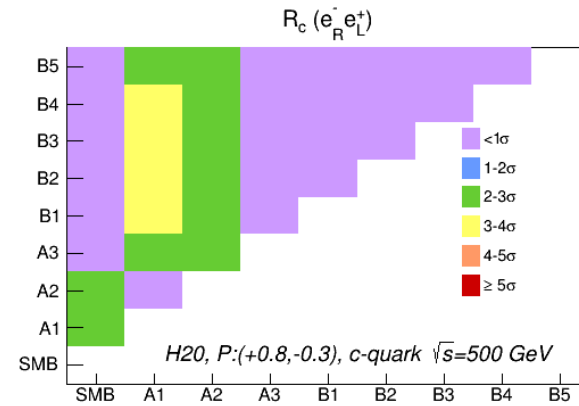
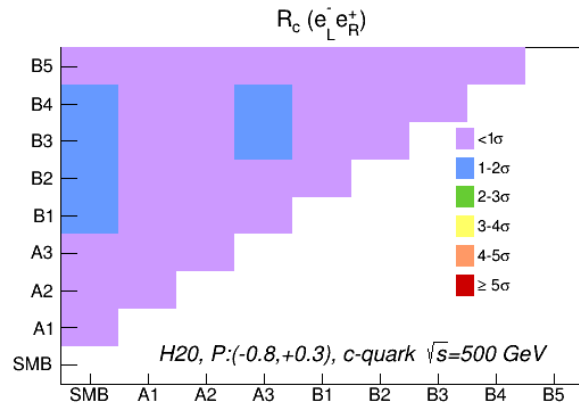
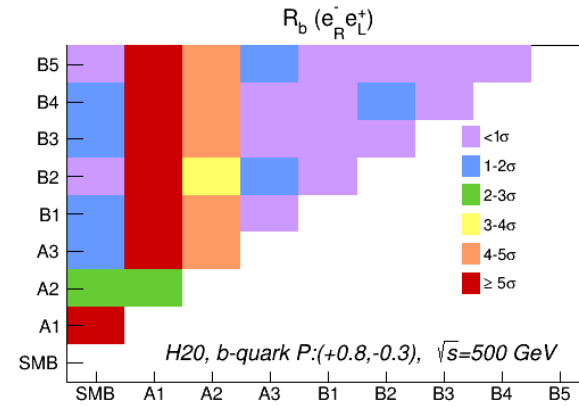
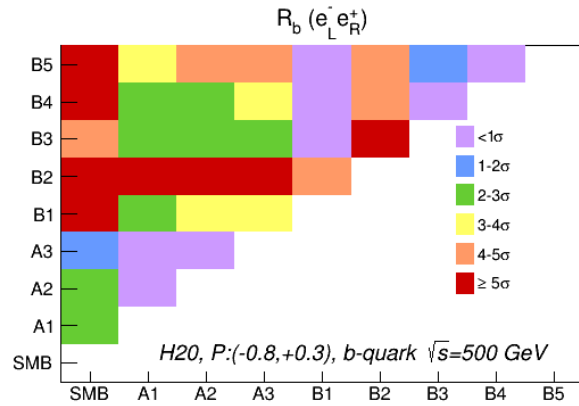




We need a proper estimation of correlations before combining R<sub>q</sub> measurements

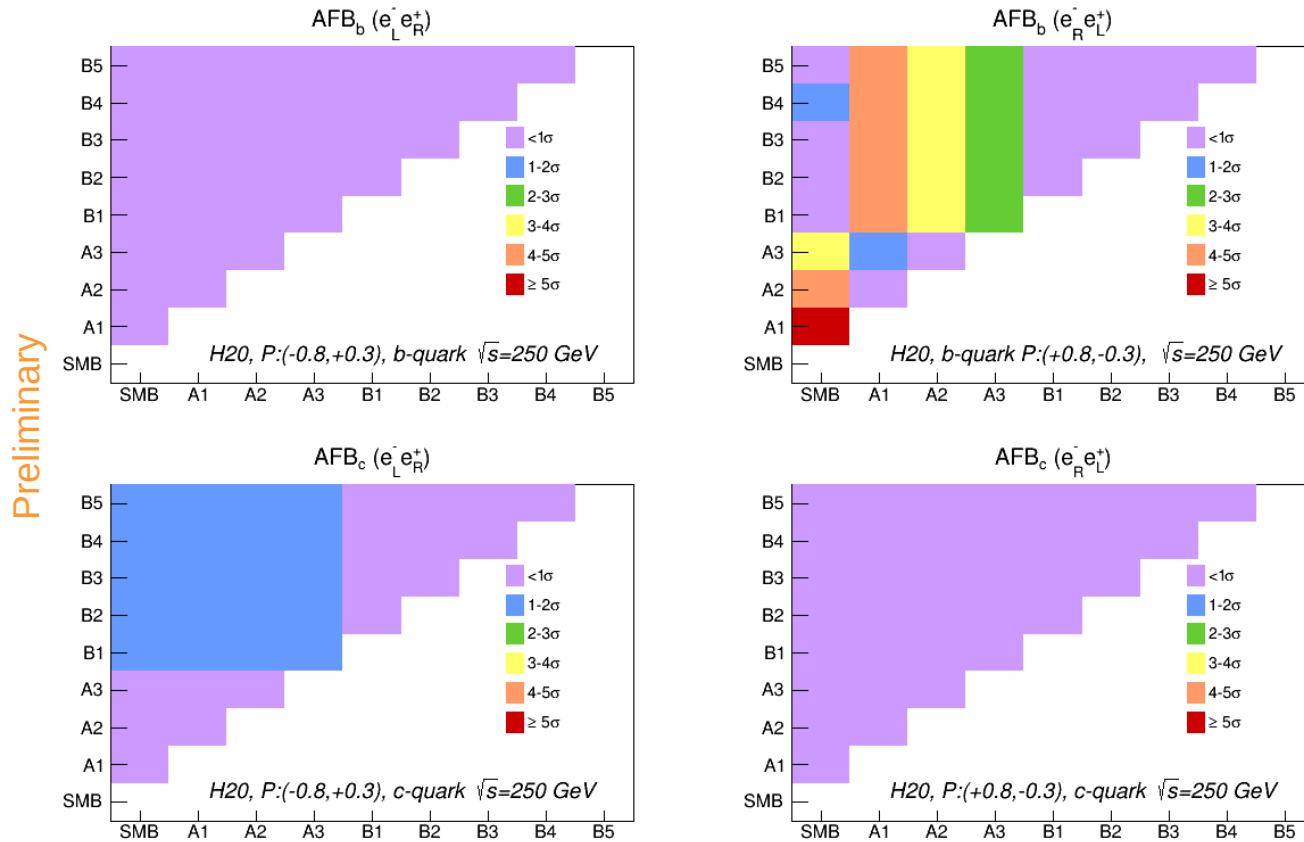
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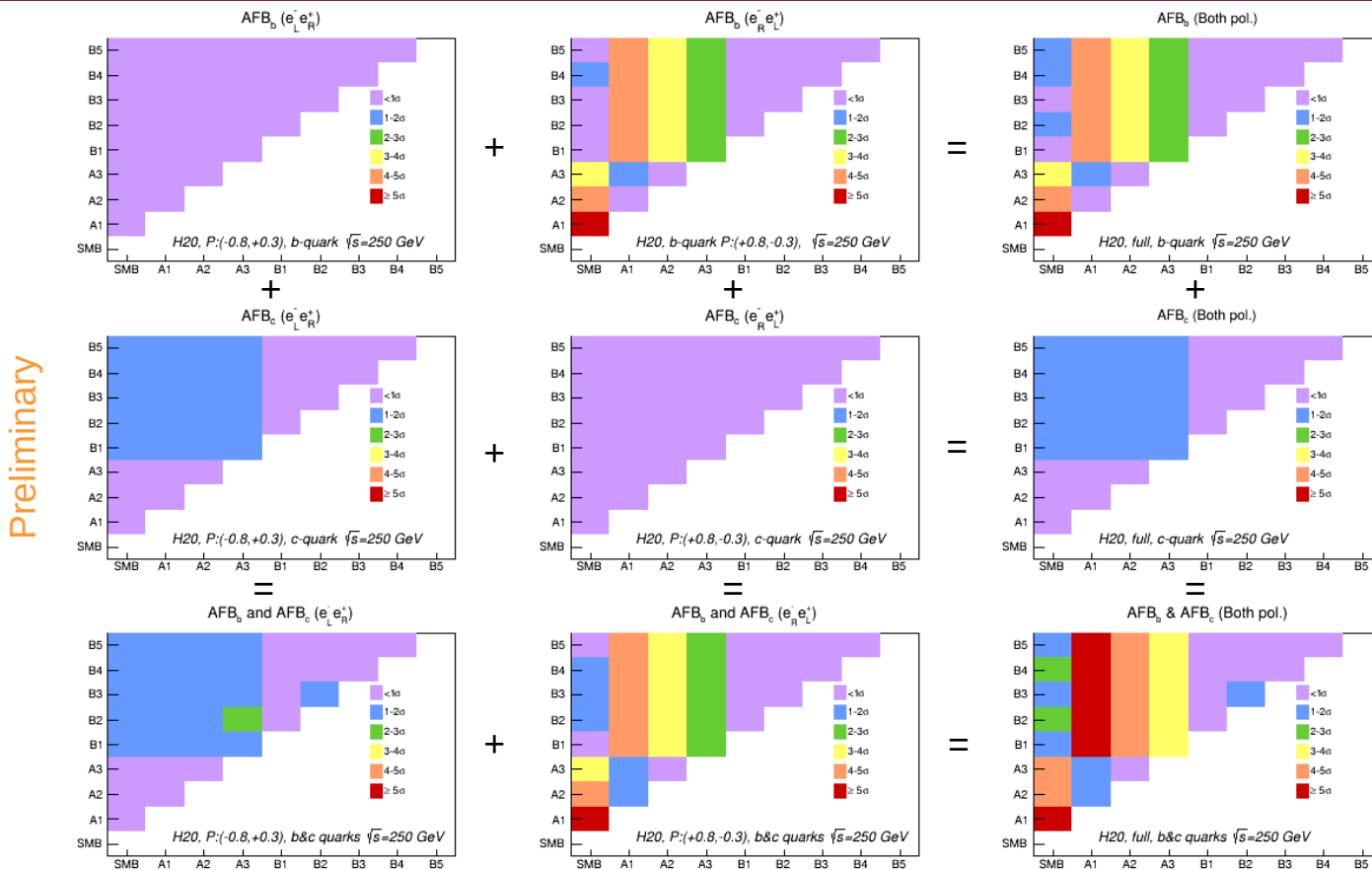




This is only an estimation, full calculation at 500 GeV TBD







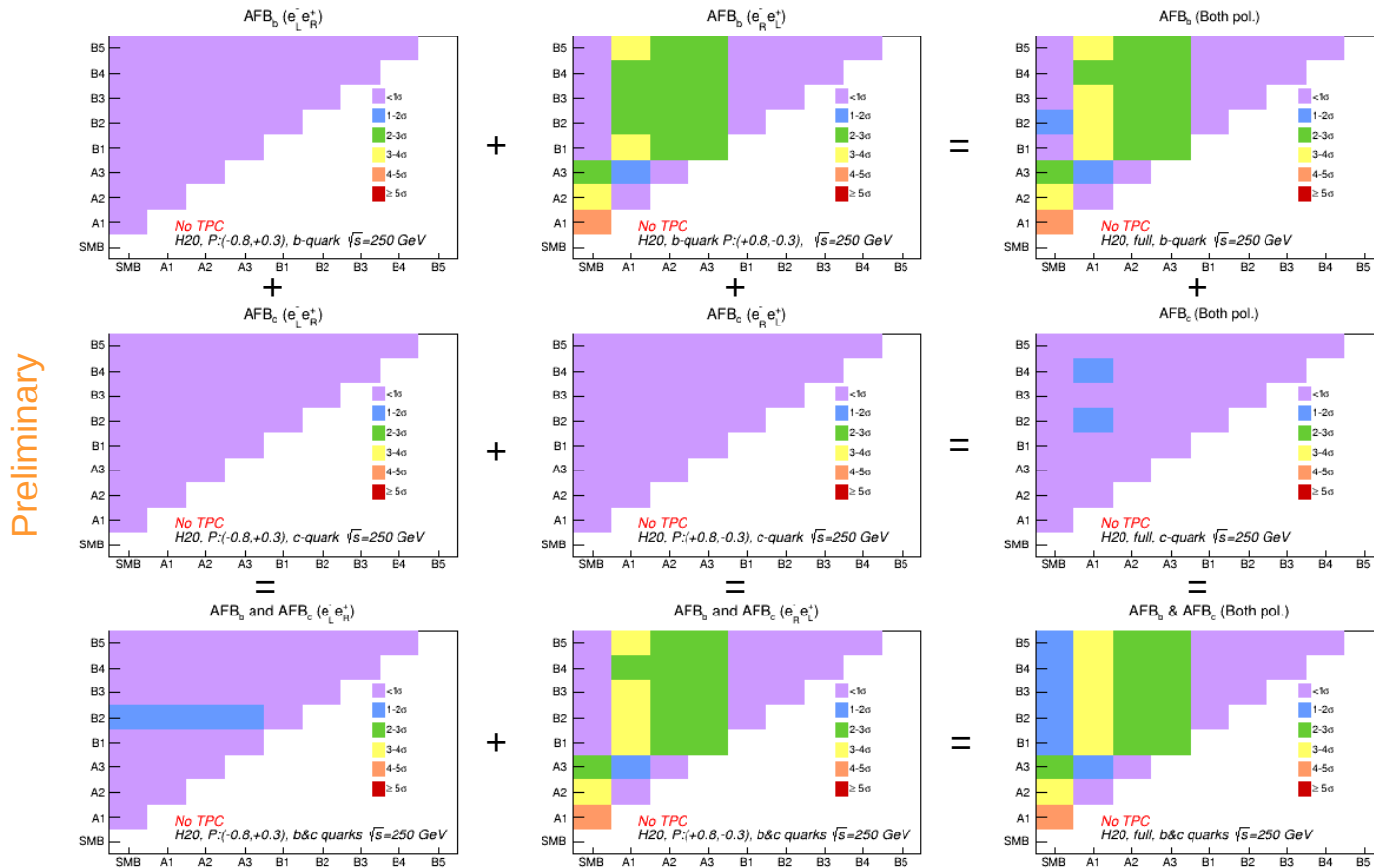
We can combine the measurements as a *diagonal* multivariate gaussian (small correlations)

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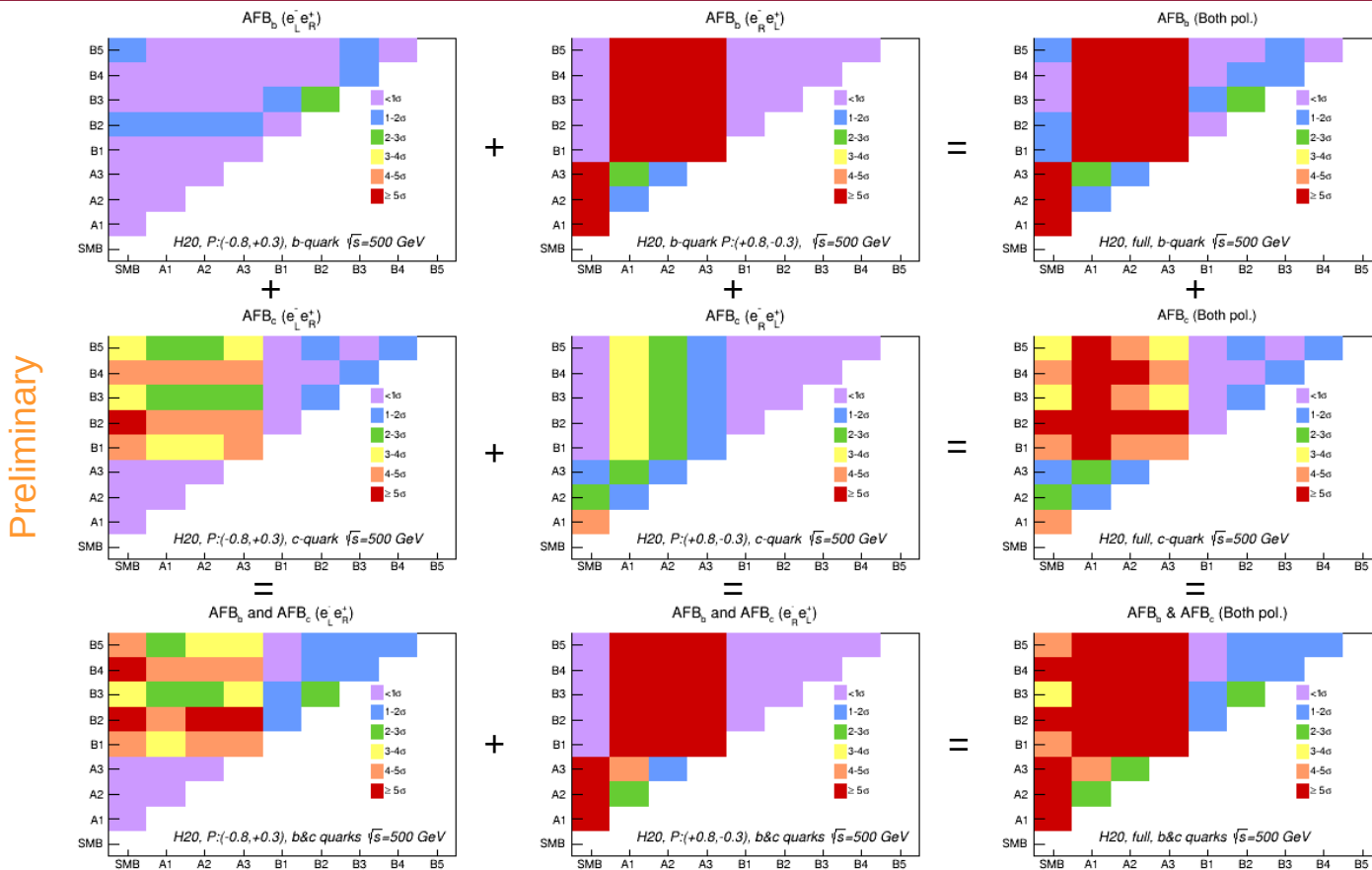




# $A_{FB}$ at 250 GeV (no TPC)



# A<sub>FB</sub> at 500 GeV



**Remember: This is using an estimation for the uncertainties, full calculation at 500 GeV TBD. Preliminary numbers appear slightly larger than the 250 GeV but of the same order**

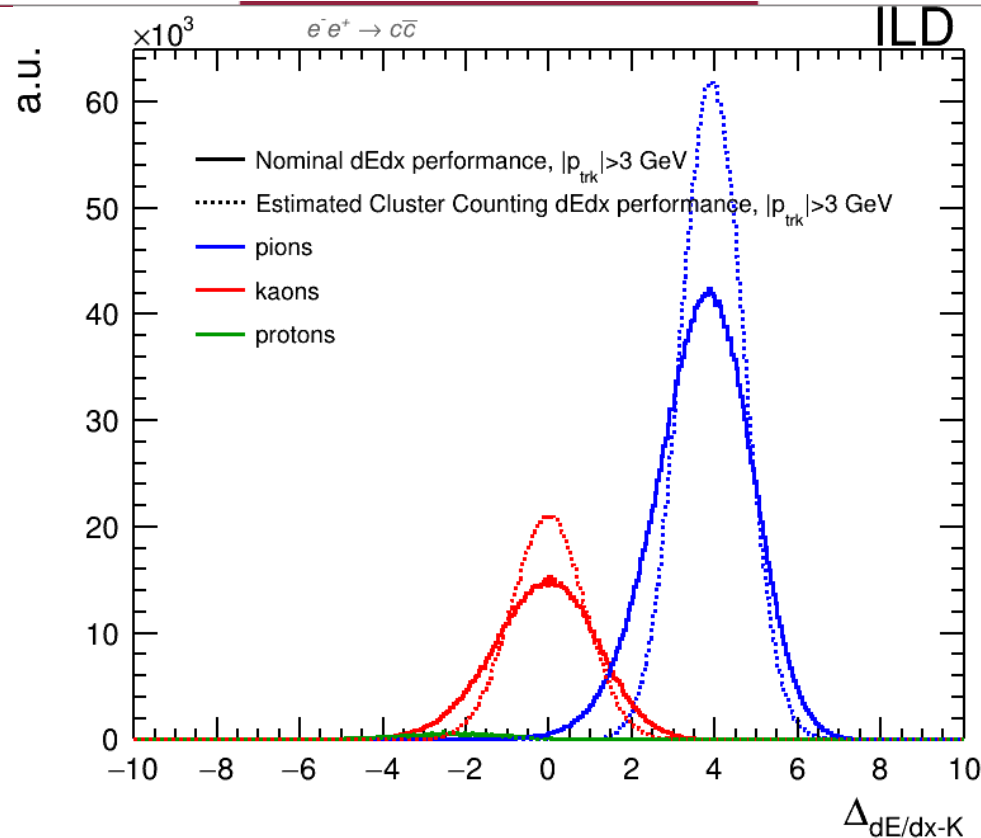
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# Improvements in dEdx

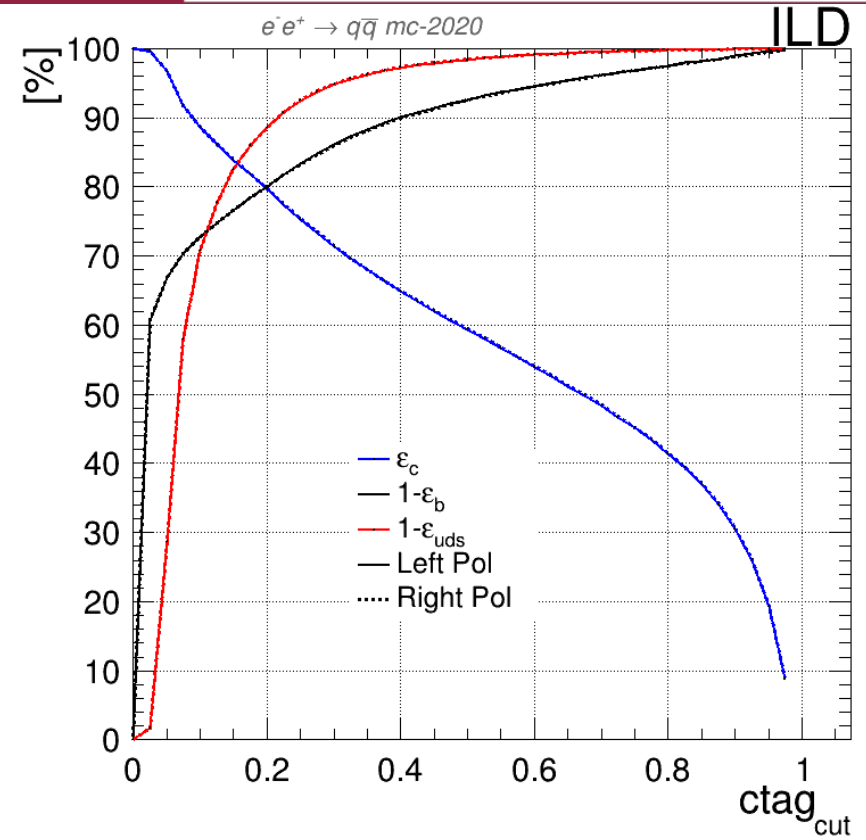
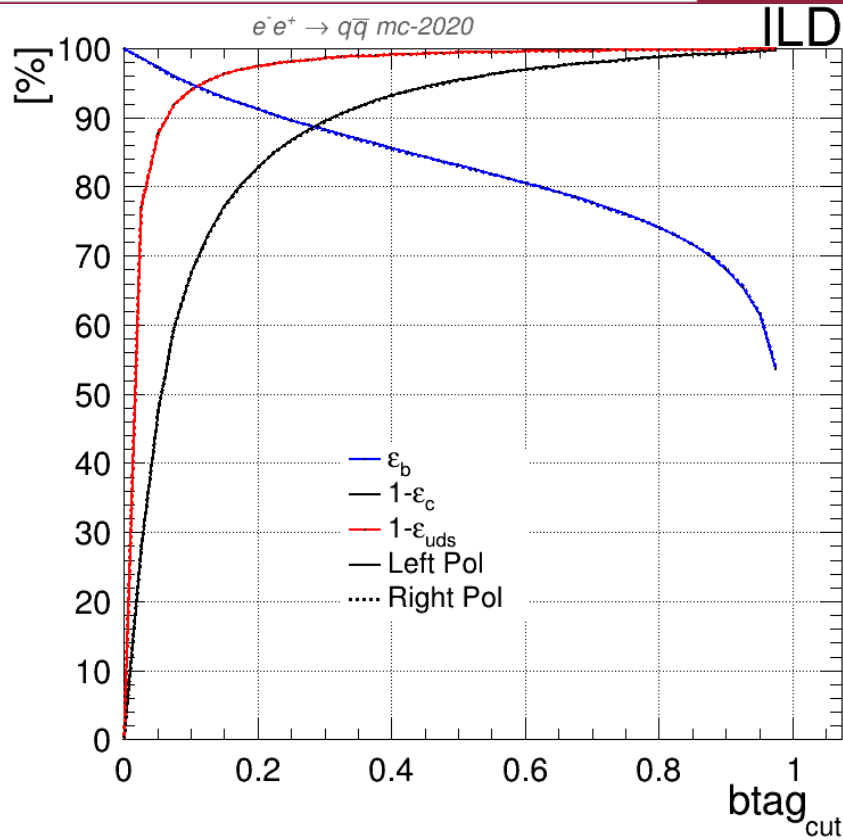


# Prospects for improving dEdx

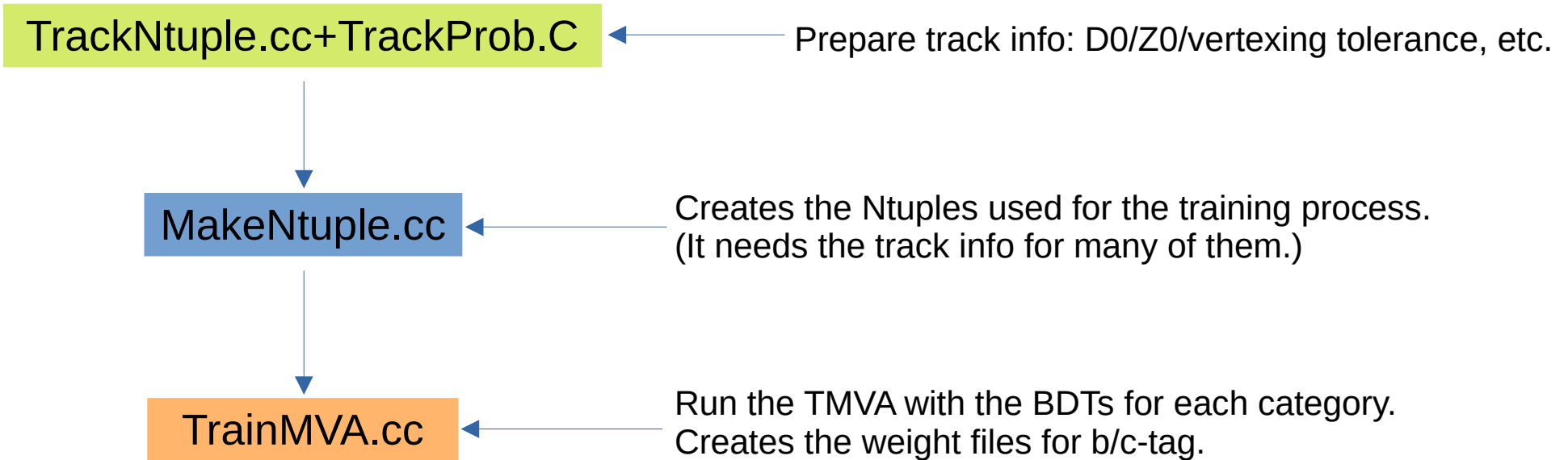


The gaussians represented by each type of particle would be thinner, allowing better classification when we use them to build our variables

# Flavour tagging (250GeV)



Nominal values of Flavour tagging at 250 GeV, without adding dEdx information.  
We will focus in the **useful range (high purity)** in further comparisons.



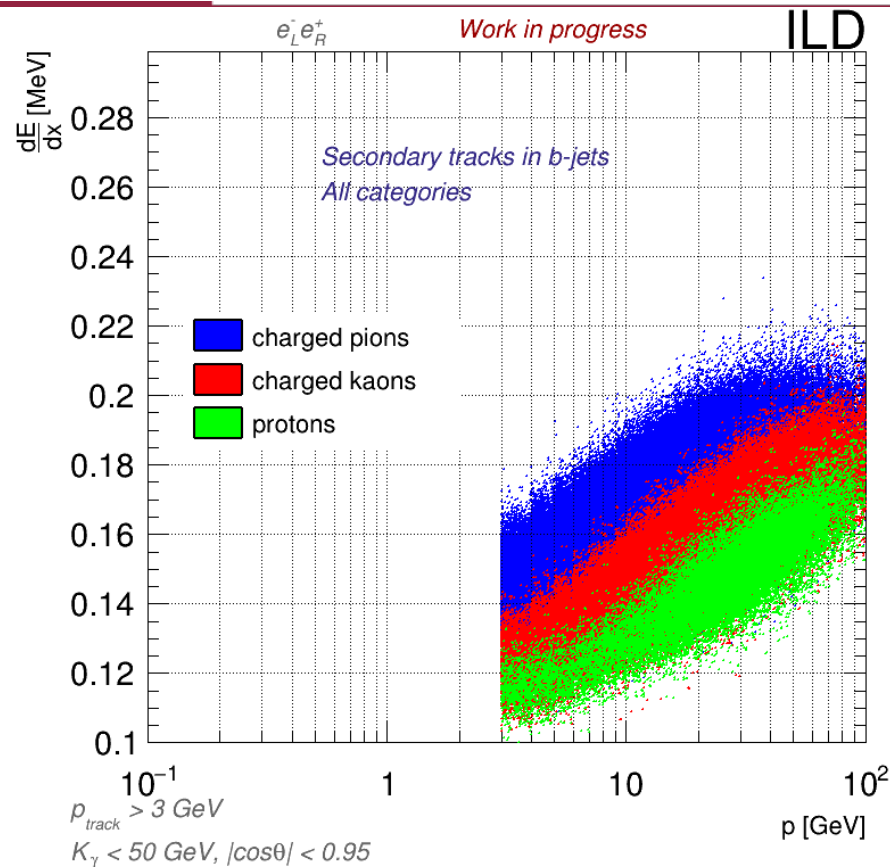
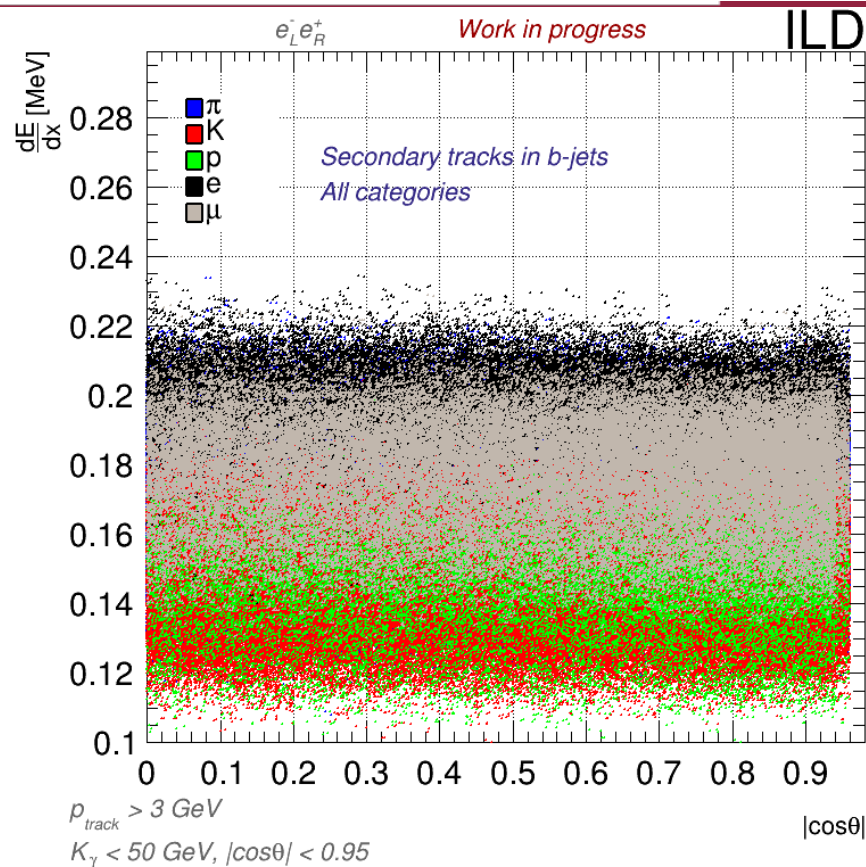
To introduce dEdx in the training process we need to:

1. Load it into the Ntuples when we run MakeNtuple.cc
2. Re-Train to get new weights.
3. Check that this training is optimal:  
3.1 **Particle Swarm Optimization** + Statistical tests (KS & AD)





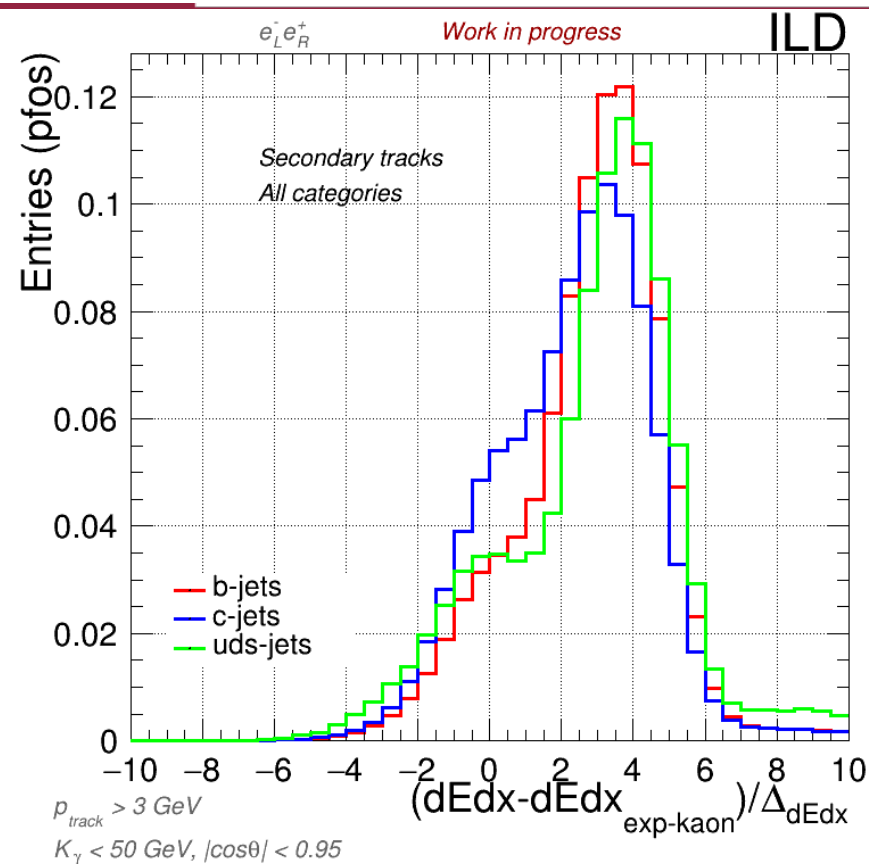
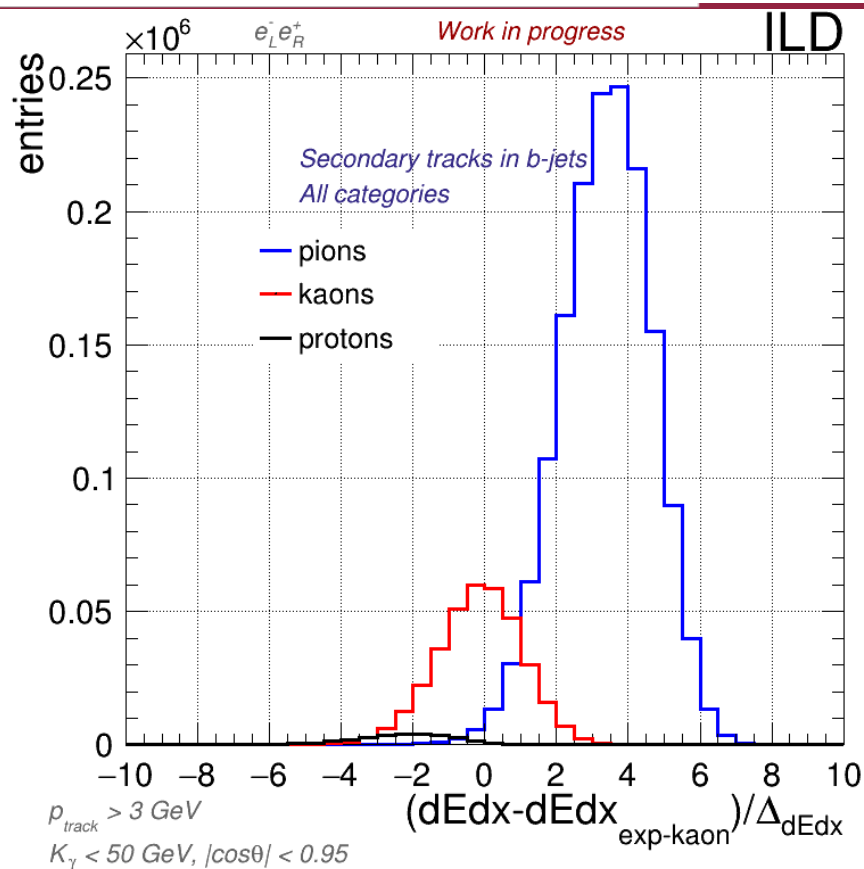
# dEdx – Preselection of pfos



Adjusting this points to the Bethe-Bloch formula: Estimate PID



# dEdx – KDS for different quark flavours

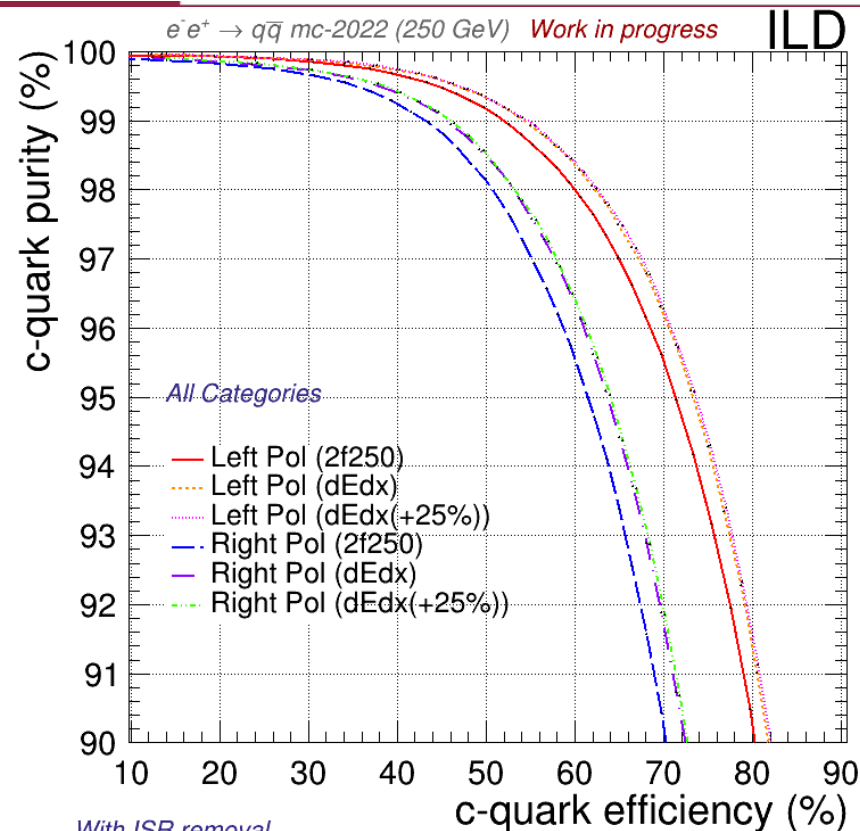
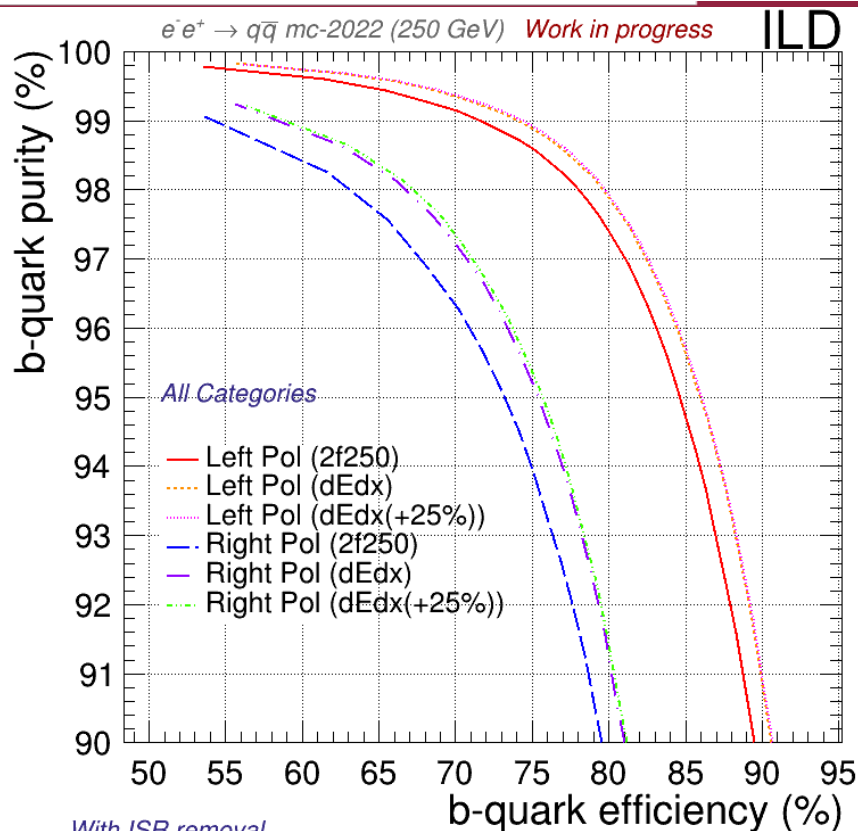


We repeat this also with Pions and Protons.

We build 3 variables  $N_{\text{KaonSec}}$ ,  $N_{\text{PionSec}}$  &  $N_{\text{ProtonSec}}$  and add them to the FT!



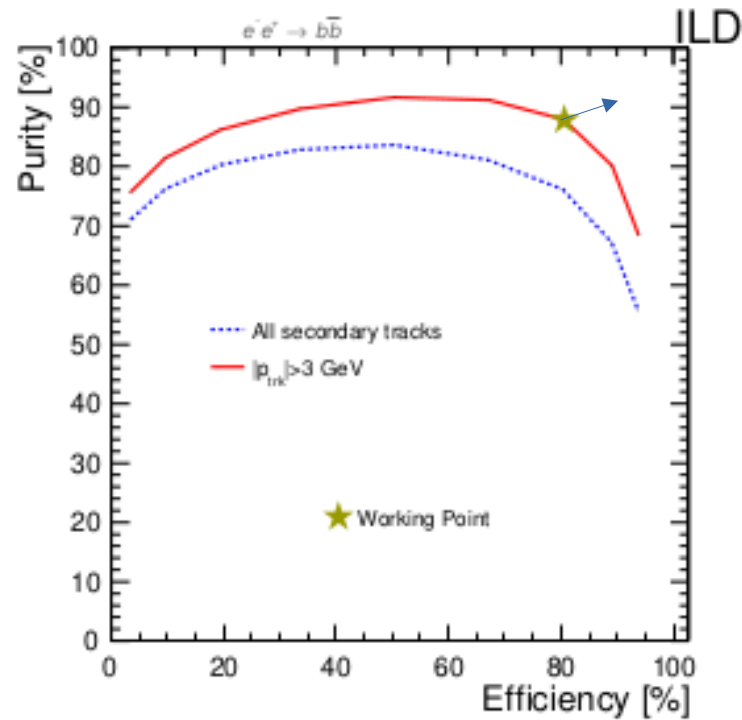
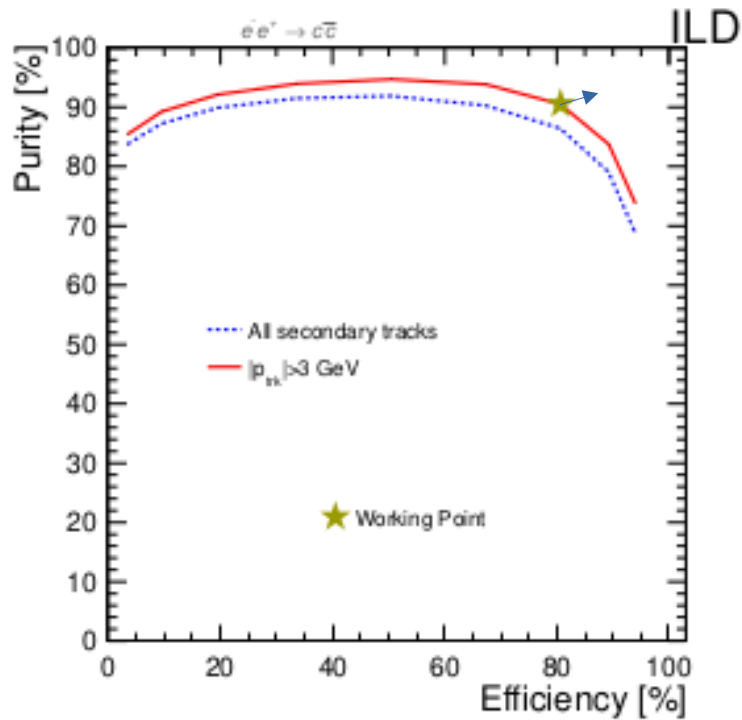
# Efficiency vs Purity (250 GeV) - Tag(+dEdx)



	Ef. (%) impact (90-99% purity range)			
	b-quark		c-quark	
	$e_L^-e_R^+$	$e_R^-e_L^+$	$e_L^-e_R^+$	$e_R^-e_L^+$
dEdx	1.2	1.7	1.7	2.0
dEdx(+25%)	1.3	1.9	1.9	2.5



# Other expected improvements in dEdx



We expect a big impact when measuring the charge of the jets using Kaon ID via dEdx. TBD!



- Beam polarisation, Beam energy upgradability and PID capabilities make ILC+ILD and excellent tool for measuring EW observables with great precision and test BSM Physics!
- We still have work to do (A. Irlles & J. Márquez):
  - Finalize the training of 500 GeV samples (with dEdx & improved dEdx)
  - Implement new FT weights and improved PID into the analysis chain.
    - Get full precision results for all cases.
  - Study the model discrimination power for all different cases!



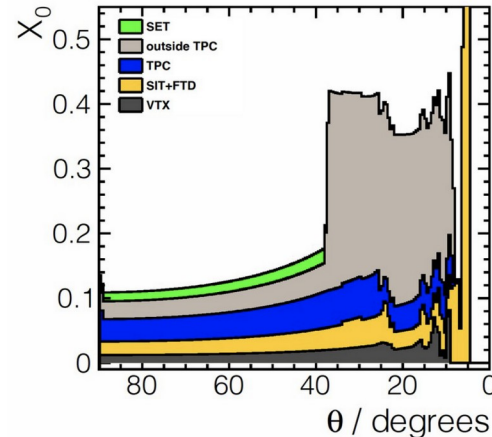
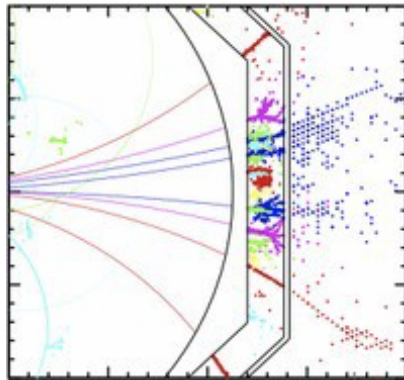
**Thanks for your attention**



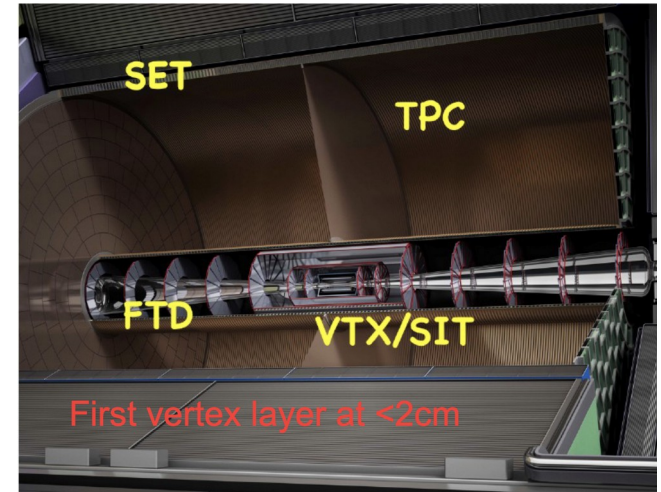
# Back-up



- ILD: International Large Detector.
  - Excellent resolution:
    - Beam IP constraining capability.
    - Tracking efficiency (>99%).
    - Vertexing.
      - Secondary vtxs and flavour tagging!
  - Compact and hermetic high granularity calorimetry system (>10<sup>8</sup> cells!).
  - Optimized for Particle Flow Concept, i.e., single particle reconstruction.



## ILD design



ILD: Interim Design Report.  
ArXiv:1003.01116

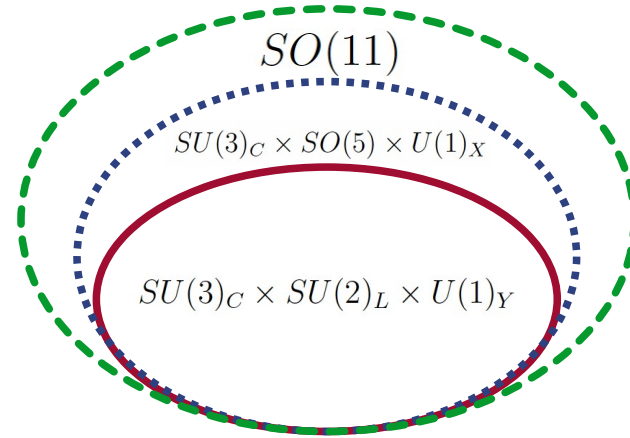
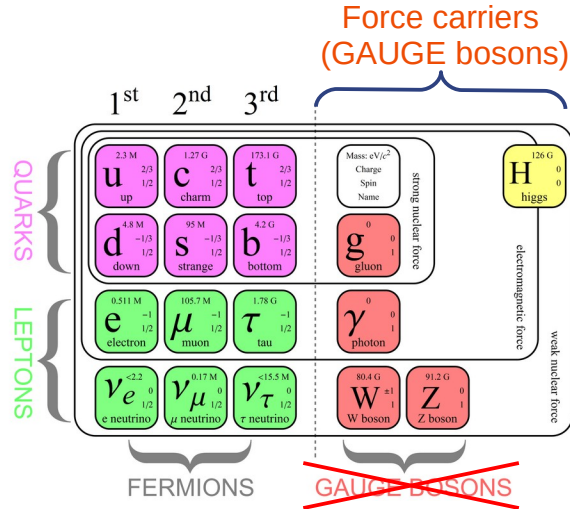


# Hosotani Models

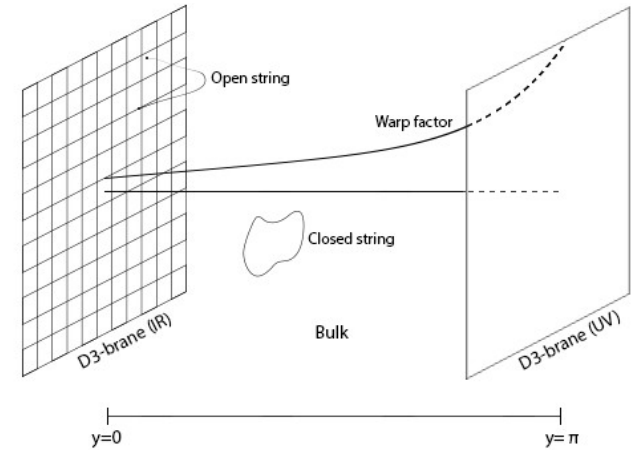


# Gauge-Higgs Unification (GHU) Models

- In the Hosotani Models the GHU unify all the force carriers under a single gauge group by using an extra physical dimension (Randall-Sundrum metric):



$$ds^2 = g_{MN} dx^M dx^N = e^{-2\sigma(y)} \eta_{\mu\nu} dx^\mu dx^\nu + dy^2$$



- The breaking pattern is way more complex than in the SM and features the Hosotani's mechanism.

- Most of the fields are localized in the bulk and we feel the IR-projections.
- We distinguish **A-Models** (GHU) and **B-Models** (GHU+GUT).

Projection of couplings and EW mixing angle:

$$g_Y^{5D} = \frac{g_A g_B}{\sqrt{g_A^2 + g_B^2}} \sin \theta_W^0 = \frac{s_\phi}{\sqrt{1 + s_\phi^2}}$$





- The metric of the warped Randall-Sundrum space-time:

$$ds^2 = g_{MN}dx^M dx^N = e^{-2\sigma(y)}\eta_{\mu\nu}dx^\mu dx^\nu + dy^2,$$

- This is inspired by conformal symmetry, a.k.a. “scale symmetry”; used in cosmology, string theory and holography!

- Conformal coordinates:

$$z = e^{ky}$$

- The metric in conformal coordinates:

$$ds^2 = \frac{1}{z^2} \left( \eta_{\mu\nu} dx^\mu dx^\nu + \frac{dz^2}{k^2} \right)$$

Extra-dimension (+1D)

Minkowski space-time (4D)

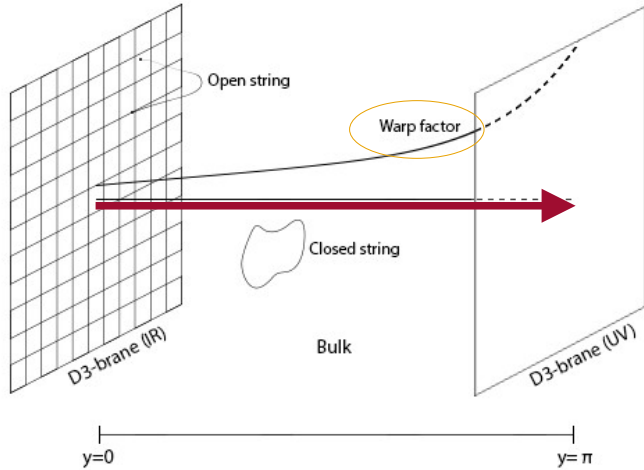


M. C. Escher “Circle Limit 1”. Example of conformal symmetry with hyperbolic scaling



# Gauge-Higgs Unification (GHU) Models

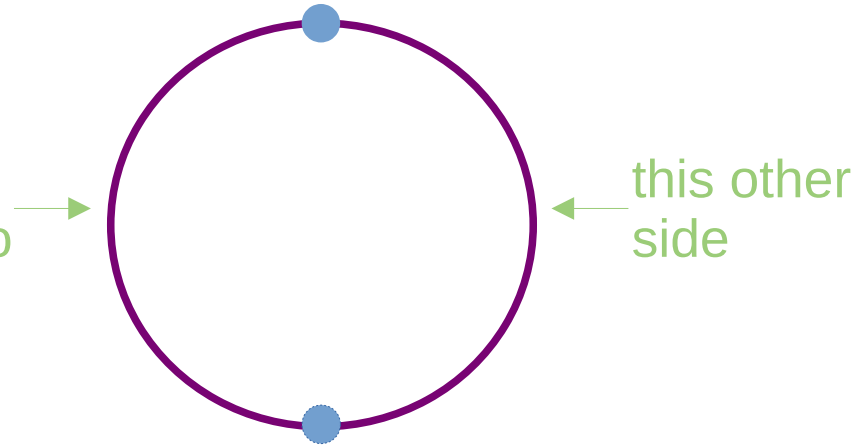
- How the Randall-Sundrum space-time works:



$$ds^2 = g_{MN} dx^M dx^N = e^{-2\sigma(y)} \eta_{\mu\nu} dx^\mu dx^\nu + dy^2,$$

5h dimension compactified in a ring-shaped, two branes at opposite points, orbifold b.c. in both parts of the circle

This side is symmetric to

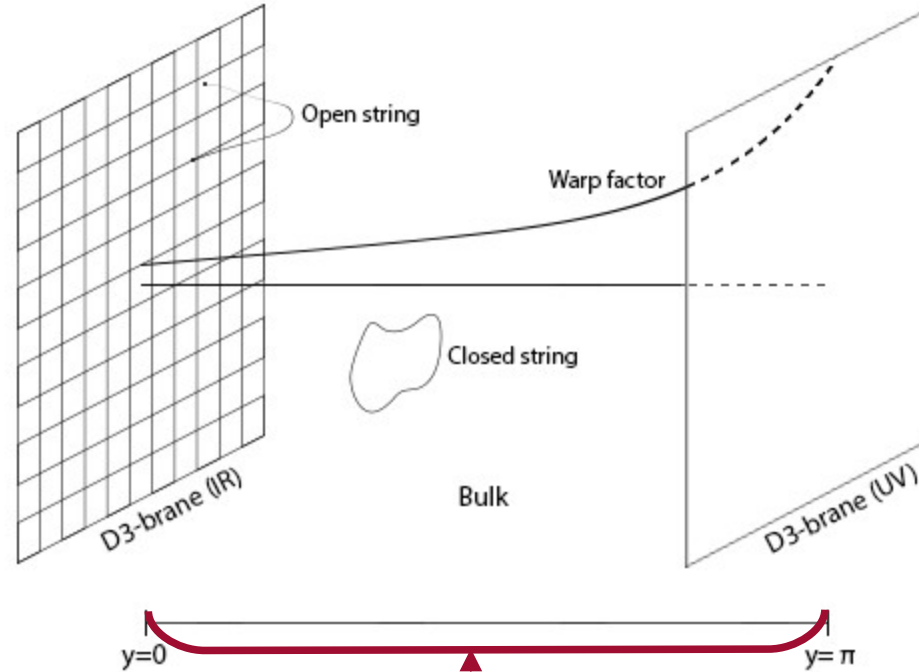


This was proposed as a way to explain why gravity is so much weaker than the rest of the forces: gravitons (closed strings) leak into the extra-dimension



# Gauge-Higgs Unification (GHU) Models

- Kaluza-Klein resonances:



Normal modes over this interval  
(fifth component)

KK-resonances!

- How the Hosotani's Models work:
  - Most of the fields are localized in the bulk and the effects in our brane are projections
  - The original group symmetry is in 5 dimensions
    - ▶ The breaking pattern is way more complex than in the SM and features the Hosotani's mechanism

$$SU(3)_C \times SO(5) \times U(1)_X$$

$$\xrightarrow{BC} SU(3)_C \times SU(2)_L \times SU(2)_R \times U(1)_X \quad \text{at } y = 0, L$$

$$\xrightarrow{\langle \Phi \rangle} SU(3)_C \times SU(2)_L \times U(1)_Y \quad \text{by the VEV } \langle \Phi_{(1,4)} \rangle \neq 0 \text{ at } y = 0$$

$$\xrightarrow{\theta_H} SU(3)_C \times U(1)_{EM} \quad \text{by the Hosotani mechanism,}$$

Remember we will be working with two different kind of models!



	B-model			A-model	
Quark	$(\mathbf{3}, \mathbf{4})_{\frac{1}{6}}$	$(\mathbf{3}, \mathbf{1})_{-\frac{1}{3}}^+$	$(\mathbf{3}, \mathbf{1})_{-\frac{1}{3}}^-$	$(\mathbf{3}, \mathbf{5})_{\frac{2}{3}}$	$(\mathbf{3}, \mathbf{5})_{-\frac{1}{3}}$
Lepton		$(\mathbf{1}, \mathbf{4})_{-\frac{1}{2}}$		$(\mathbf{1}, \mathbf{5})_0$	$(\mathbf{1}, \mathbf{5})_{-1}$
Dark fermion	$(\mathbf{3}, \mathbf{4})_{\frac{1}{6}}$	$(\mathbf{1}, \mathbf{5})_0^+$	$(\mathbf{1}, \mathbf{5})_0^-$	$(\mathbf{1}, \mathbf{4})_{\frac{1}{2}}$	
Brane fermion		$(\mathbf{1}, \mathbf{1})_0$		$(\mathbf{3}, [\mathbf{2}, \mathbf{1}])_{\frac{7}{6}, \frac{1}{6}, -\frac{5}{6}}$	
Brane scalar		$(\mathbf{1}, \mathbf{4})_{\frac{1}{2}}$		$(\mathbf{1}, [\mathbf{2}, \mathbf{1}])_{\frac{1}{2}, -\frac{1}{2}, -\frac{3}{2}}$	

Field content in the group representation

Projection of couplings and EW mixing angle:

$$g_Y^{5D} = \frac{g_A g_B}{\sqrt{g_A^2 + g_B^2}}, \quad \sin \theta_W^0 = \frac{s_\phi}{\sqrt{1 + s_\phi^2}}$$

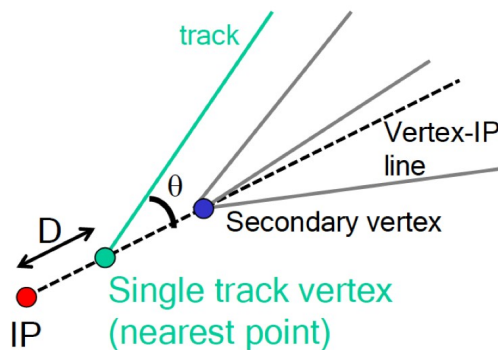
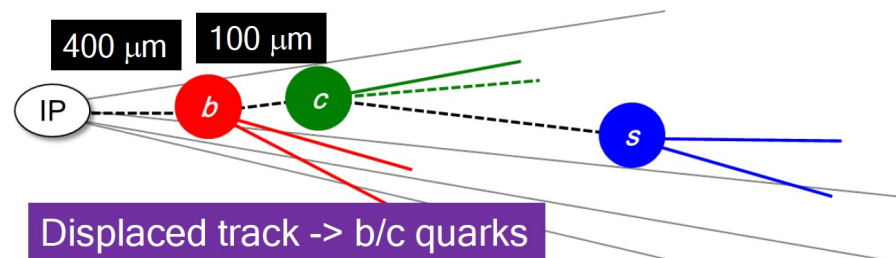


# LCFI+



# Flavour tagging: LCFI+

- Vertex finder:
  - Reconstruct collinear or close-to-collinear vertexes by merging particle tracks from the event information.
  - Distance ( $\tau_q \cdot c$ ) from the IP is key for b and c quark ID: Displaced vertexes.
  - We also encounter single track vertexes: pseudo-vertexes.
- Jet Clustering & vertex refiner:
  - Use the vertexing information.
  - Different algorithms could be used ( $k_T$ , Durham, **VLC**, etc.).
  - In our case, we expect two back-to-back jets with ISR.
- Flavour tagging:
  - TMVA (BDT based).
  - 3-class classifier b/c/uds.



arXiv:1506.08371

- Most of the variables used in the TMVA are derived from  $d_0$ ,  $z_0$ , the number of vertexes, the number of pseudo-vertexes and other kinematical variables (e.g.  $p_T$ ).
  - e.g. b-quark probability in  $d_0$  values for all tracks.
- Classification in categories:
  - The training is performed 4 times (A, B, C, D), *in a single run*, with different selection of vertexing and single track pseudo-vertexing.

Category	A	B	C	D
Number of vertexes	0	1	1	2
Number of single-track pseudovertices	0-2	0	1	0



With ISR removal

Z-Pole (LCFI+ paper<sub>1</sub>)

250 GeV samples

500 GeV samples

Events (%)			
Cat.	b jets	c jets	uds jets
A	22.9	59.5	98.1
B	39.7	39.8	1.80
C	13.5	0.54	0.02
D	23.8	0.19	0.04

Events (%)			
Cat.	b jets	c jets	uds jets
A	13.9	46.2	98.2
B	30.5	51.0	1.59
C	23.9	2.29	0.11
D	31.7	0.55	0.14

Events (%)			
Cat.	b jets	c jets	uds jets
A	11.2	35.8	96.7
B	28.6	58.3	2.64
C	22.9	4.65	0.26
D	37.3	1.27	0.42

1. LCFIPlus: A Framework for Jet Analysis in Linear Collider Studies

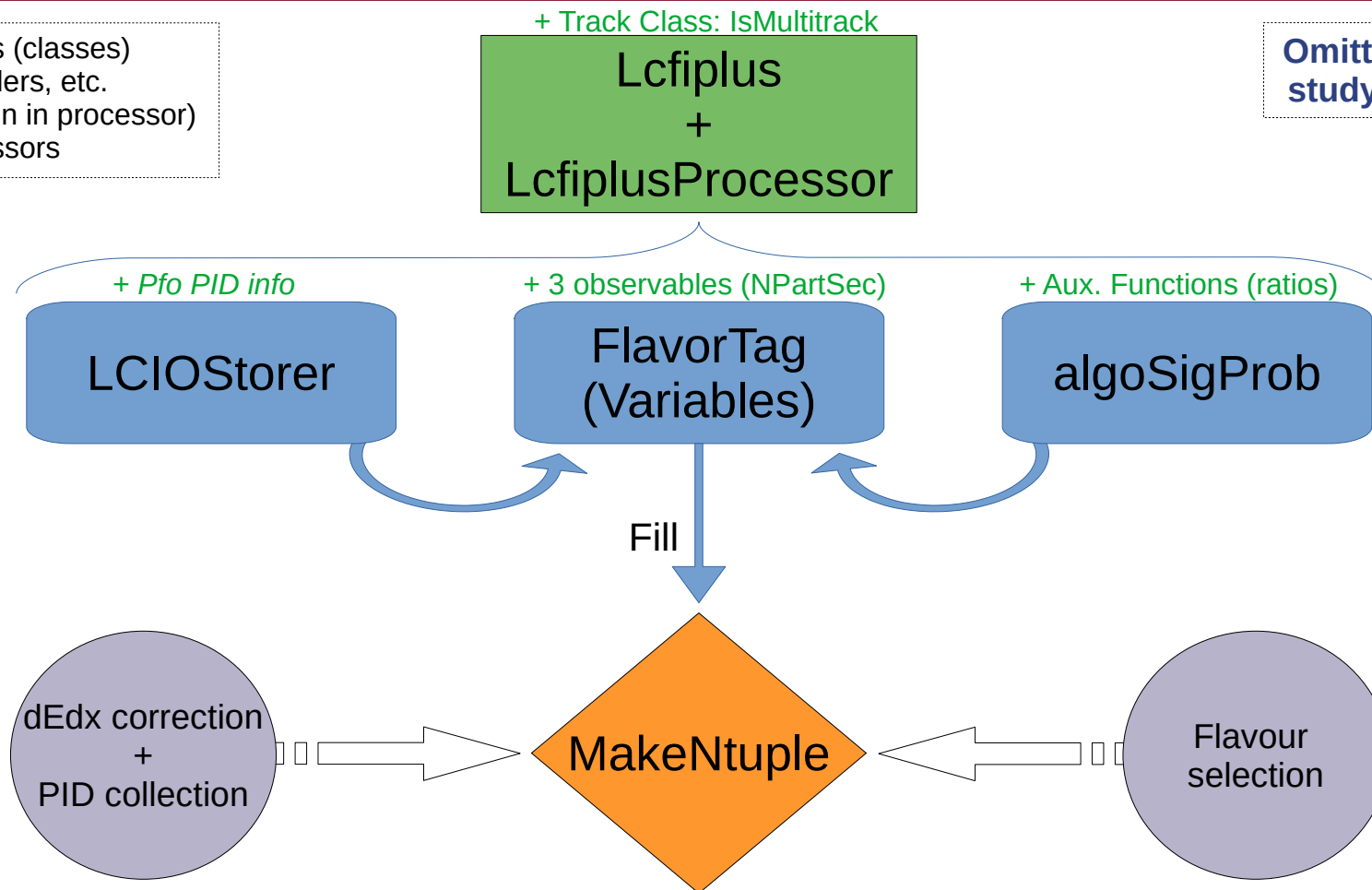
Category	A	B	C	D
Number of vertices	0	1	1	2
Number of single-track pseudovertrices	0-2	0	1	0



# LCFI+ MakeNtuple Workflow (+dEdx)

Omitting parts I didn't study or interact with

- Main definitions (classes)
- Functions, readers, etc.
- Algorithm (to run in processor)
- External processors



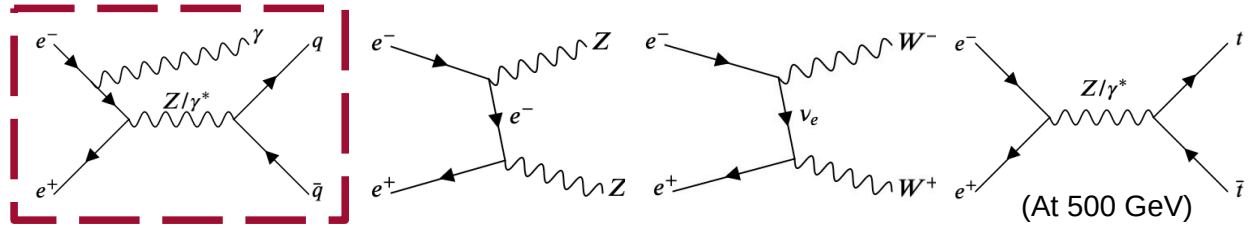
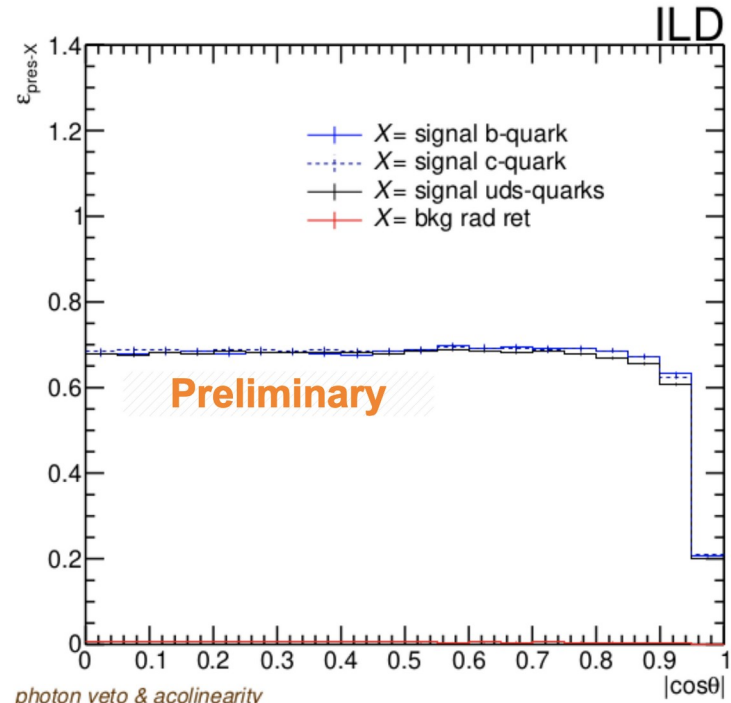


# Experimental methods

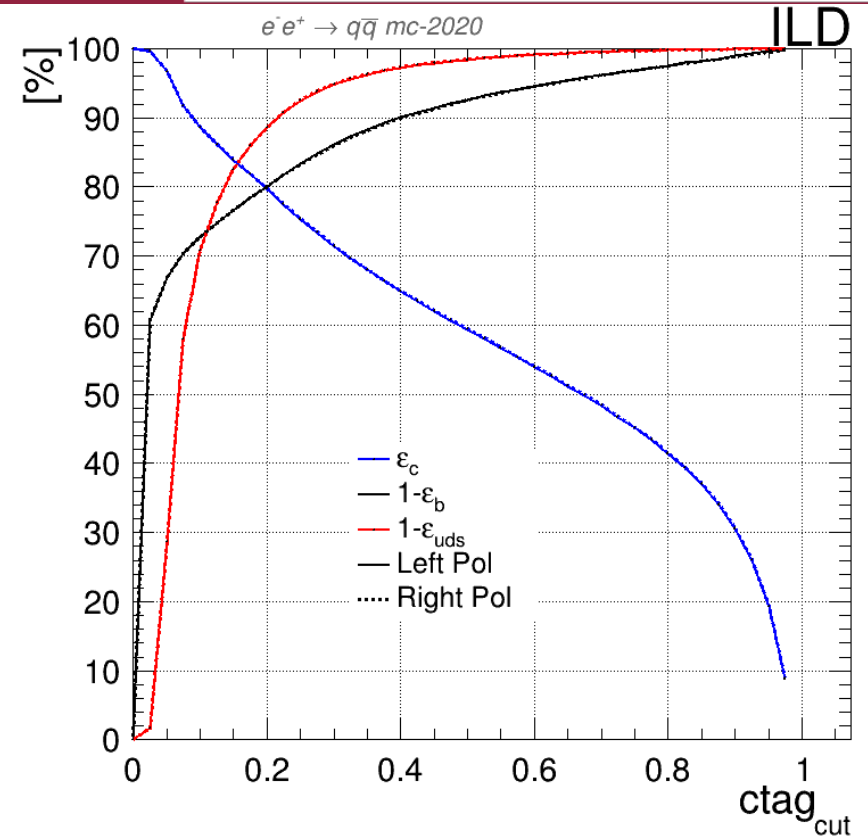
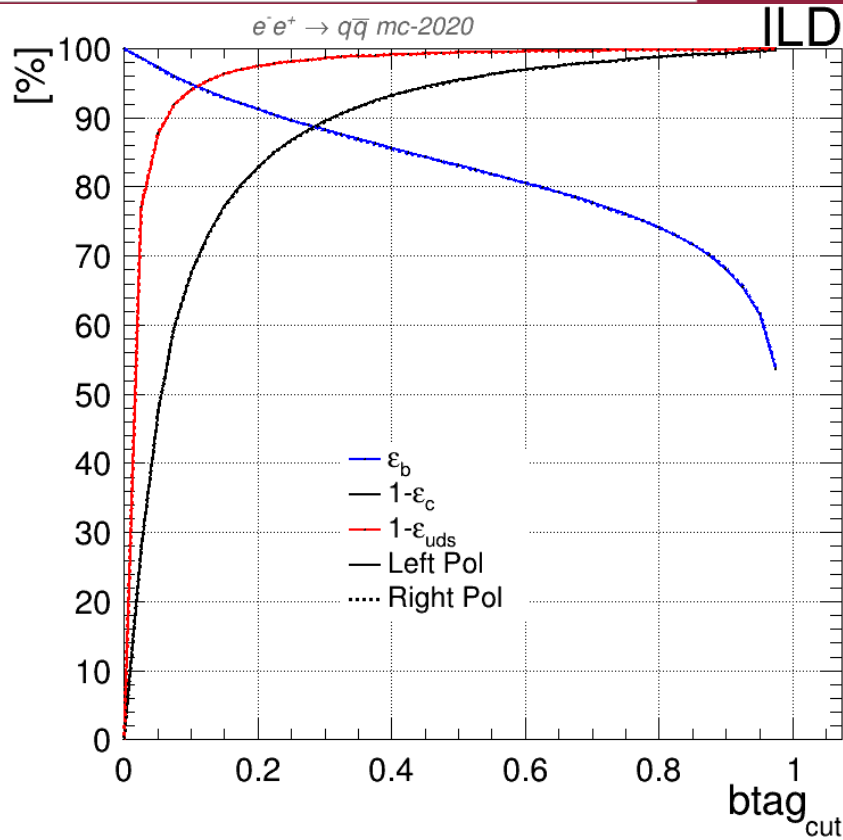


# Preselection of $q\bar{q}$ signals

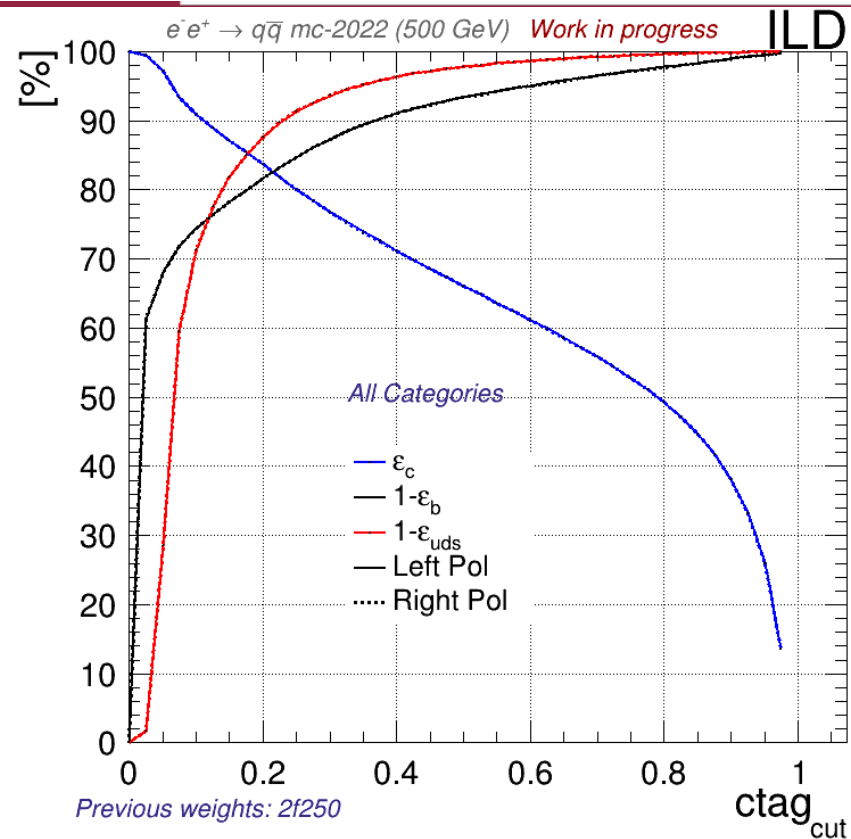
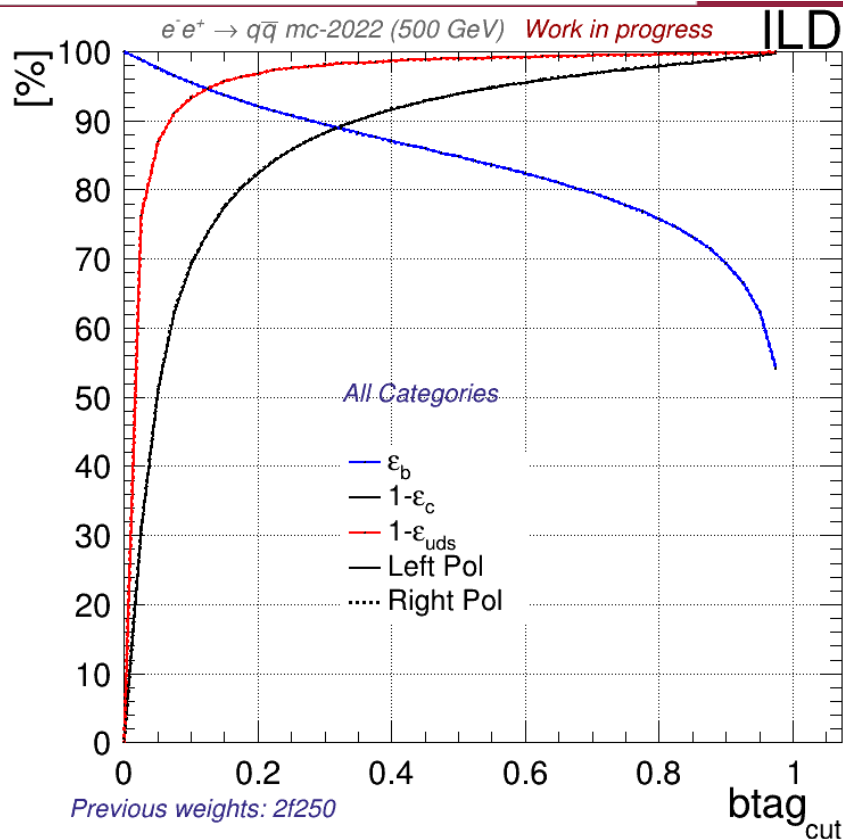
- We cluster the pfos in jets (VLC algorithm):
  - The algorithm packs together the PFOs into two back-to-back jets.
  - Most of the data is background! ( $\sim \times 10$ ).
    - Most of the background is **radiative return ( $\gamma q\bar{q}$ )**.
  - Most of the backgrounds (ZZ, WW, ISR, tt) are removed with topological, kinematical and energetic cuts.
    - And additional cut by identifying photon pfos in the detector is used for ISR.
      - PFA detector!



# Flavour tagging (250GeV)

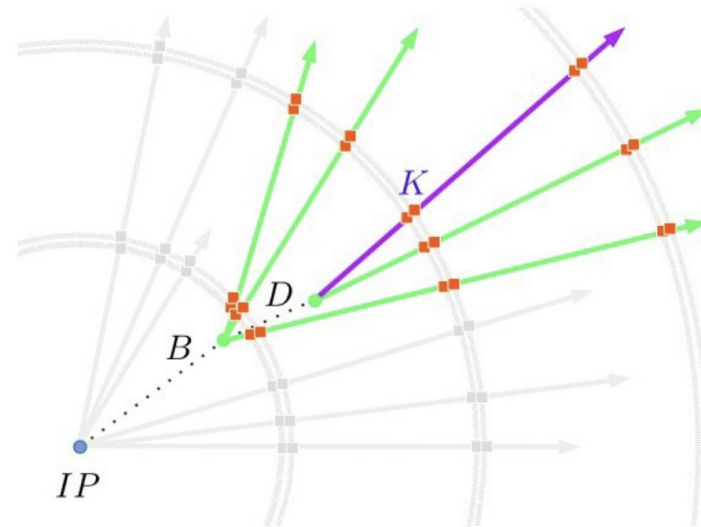


# Flavour tagging (500GeV)



# Jet charge

- ▶ We start from a very pure & background-free **double tagged** sample
- ▶ We are required to **measure the jet charge**
  - Using K-ID and/or full Vtx charge measurement
  - K-ID is better suited for the C-quark (Vtx is better suited for b-quark)
- ▶ We use the **double charge** measurements
  - To control / reduce the systematic uncertainties



# Particle Swarm Optimization



- We are already working with these Gradient Boosted Decision trees using ROOT's Toolkit for MultiVariate data Analysis (TMVA). We use the following parameters:
  - **BoostType=Grad.**
  - NTrees.
  - Shrinkage.
  - UseBaggedBoost:BaggedSampleFraction.
    - **Bagging:** A new sampling is performed before each step (removes biases).
  - NCuts (binning used when sampling).
  - MaxDepth (N<sup>o</sup> of leaves).

**The Particle Swarm Algorithm optimizes the use of *these parameters***

**We used all but the orange ones, which are method definitions**





- Particle Swarm Optimization is a Gradient-free, bio-inspired, stochastic, population-based algorithm to optimize any kind of process towards a certain goal:
  - No maths involved in the optimization (no gradients or loss functions!).
  - It just try configurations and saves the *best-performing one*.
    - It mimics how animals look for resources, by trial and error.
- How it works:
  - We have N “particles” (in our case: configurations of the BDT). Then:
    - 1) The BDT runs with the configuration of the particle.
    - 2) When finished, each particle gets a performance score.
      - We define a Function Of Merit (FOM) for this scoring
    - 3) We track each particle’s best configuration and the best global one.
    - 4) The particles move to a new configuration (next slide).

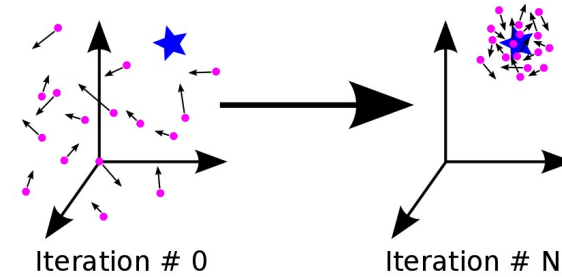


Image taken from a [website](#)

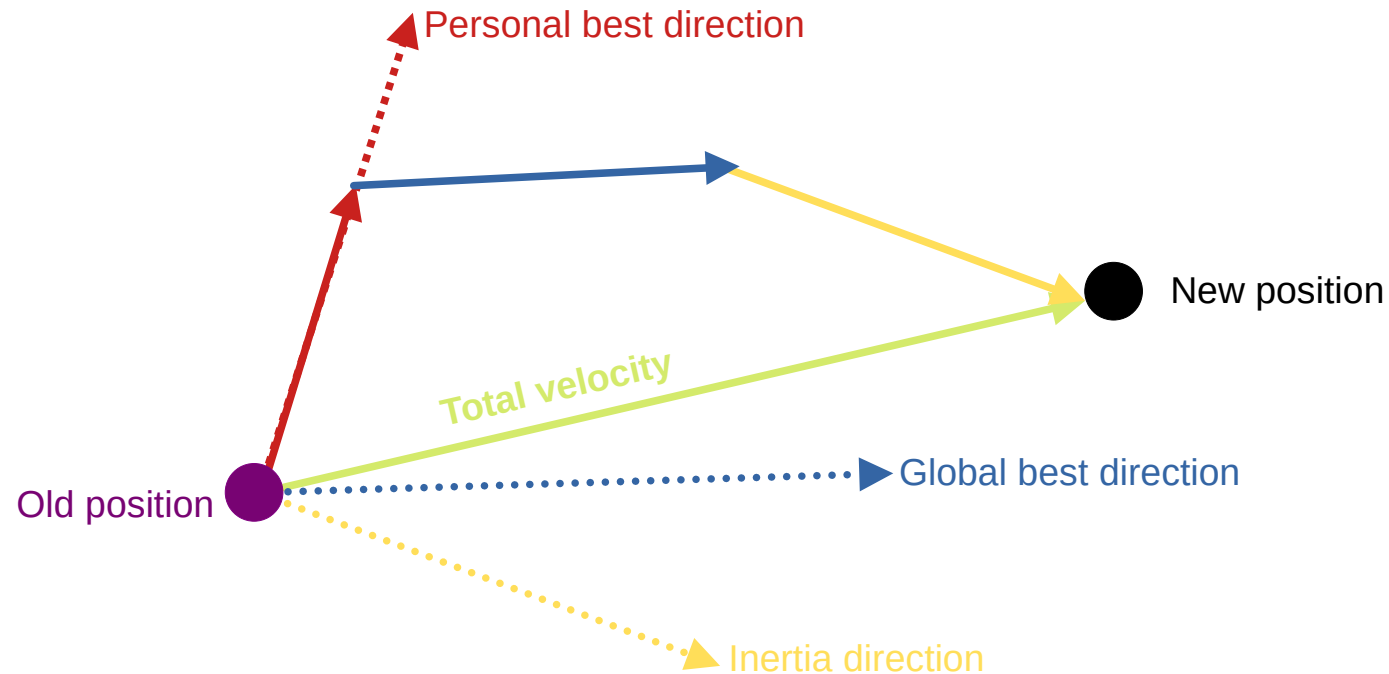
**For each iteration**



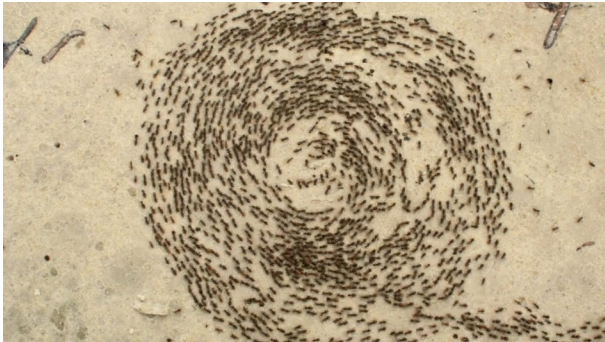


Position:  $\vec{X}_i^{t+1} = \vec{X}_i^t + \vec{V}_i^{t+1}$

Velocity:  $\vec{V}_i^{t+1} = w\vec{V}_i^t + c_1r_1(\vec{P}_i^t - \vec{X}_i^t) + c_2r_2(\vec{G}^t - \vec{X}_i^t)$



- We need:
    - A 3-class classifier (b quarks, c quarks, uds quarks).
    - We also want to avoid overfitting:
      - Kolmogorov-Smirnov test
      - Anderson-Darling test
- } Control biased test scores. (more info in back-up)
- We need a FOM adapted to 3 different classes.
  - Important remark: A final check is **always needed**:



**Trial and error can go wrong sometimes!**



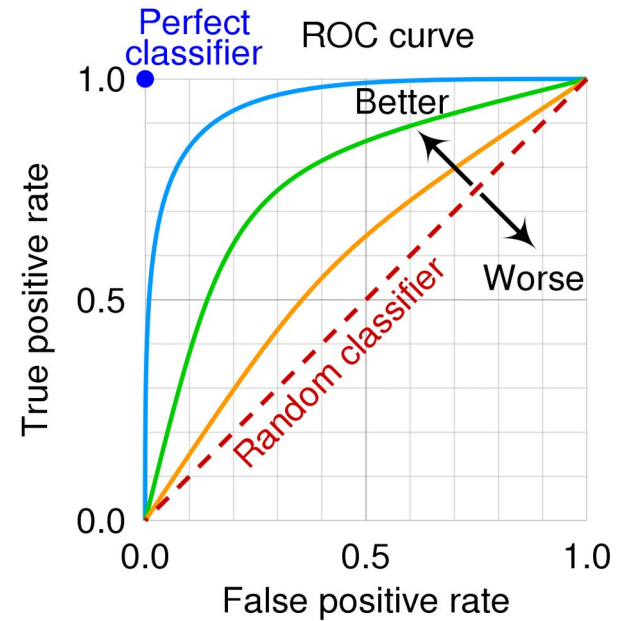
# PSO – Function Of Merit (FOM)

- The FOM being used is the averaged value of the Integral of the Receiver Operating Characteristic curve for each of the 3 data classes.
  - Considering the target class as signal and the others as background.

- Our FOM is simply:

$$\text{FOM} = ( \text{AUC}[b_{\text{quark}}] + \text{AUC}[c_{\text{quark}}] + \text{AUC}[uds_{\text{quarks}}] ) / 3,$$

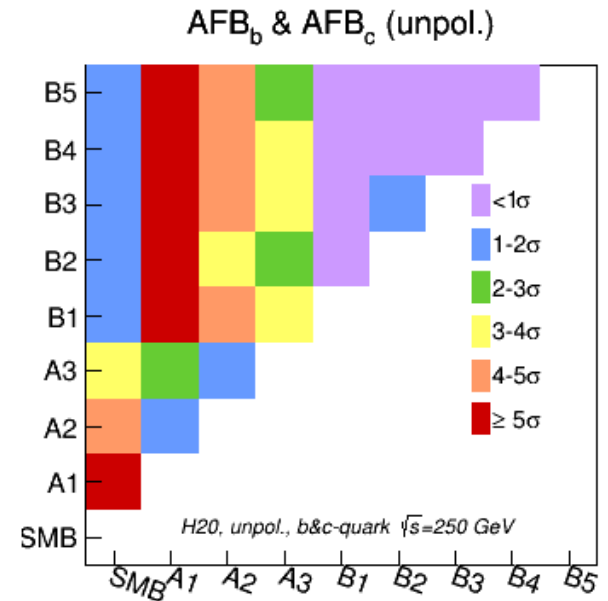
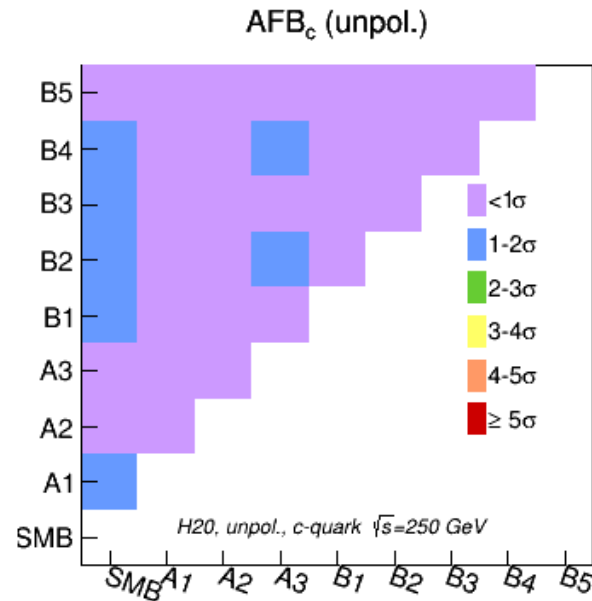
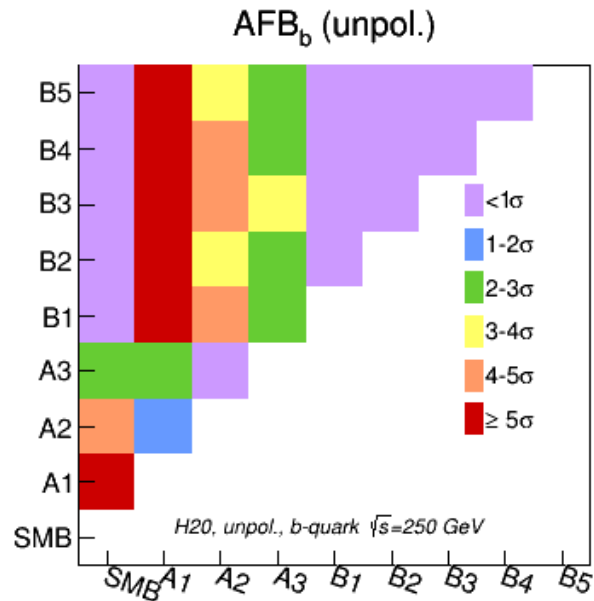
where AUC = "Area Under Curve" (ROC Integral).



# FCC-ee comparison (250 GeV)



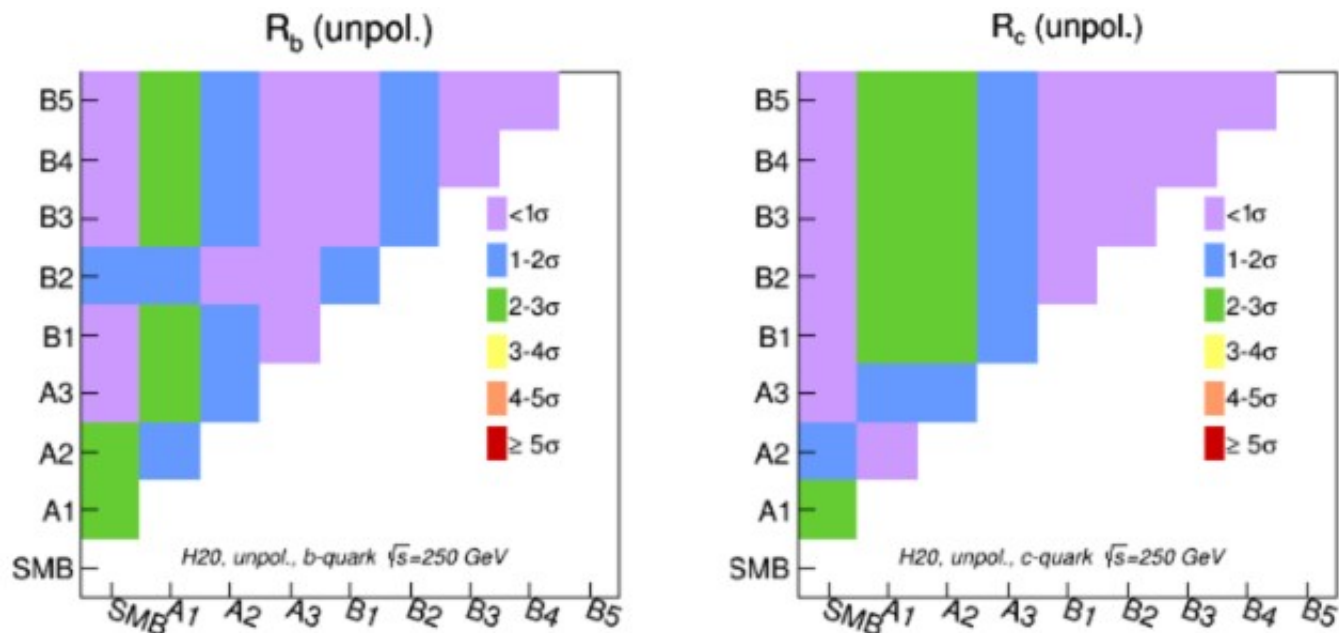
# $A_{FB}$ at 250 GeV (FCC-ee comparison)



Luminosity scaled to the FCC-ee prospects.  
Taking the same systematic errors that our Left-Handed case



# $R_q$ at 250 GeV (FCC-ee comparison)



Luminosity scaled to the FCC-ee prospects.  
Taking the same systematic errors that our Left-Handed case