Search for dark photons at future e⁺e⁻ colliders

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¹DESY, Hamburg, ²Universität Hamburg

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CLUSTER OF EXCELLENC

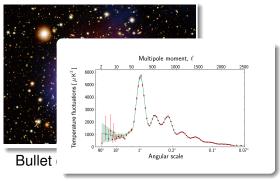




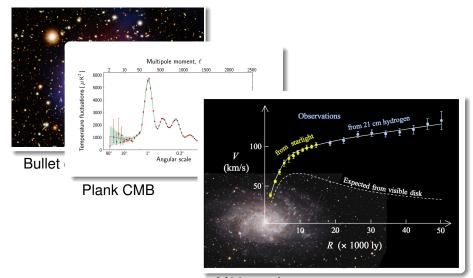


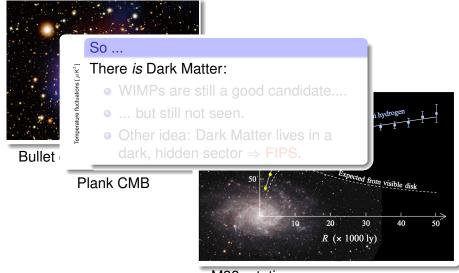


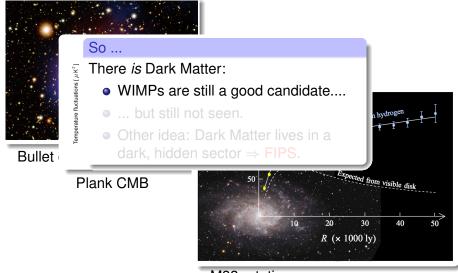
Bullet cluster

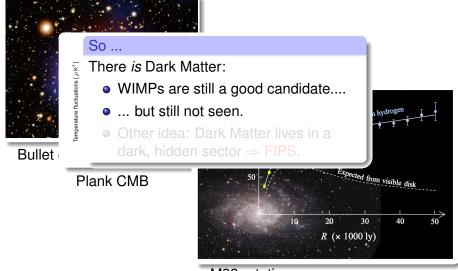


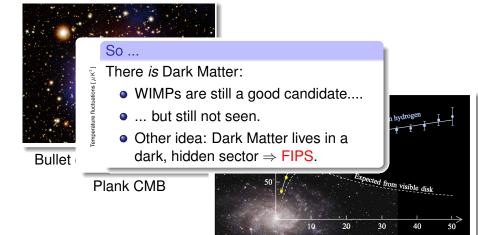
Plank CMB











 $R \ (\times 1000 \ \text{ly})$

Introduction: FIPS

Feebly interacting particles is a class of models explaining dark matter and why it's not yet been seen in a different way.

- Generically, FIPS are models where rather than having heavy new particles with sizeable couplings, the new physics might be light, but much more weakly coupled.
- So, the reason why the BSM has not yet been seen is not the lack of energy, but the lack of precision - be it luminosity, background contamination or detector performance.

Introduction: FIPS

Types of FIPS, and how to detect them

- The Higgs Portal: Dark Higgs
- The fermions Portal: Sterile Neutrinos.
- The Pseudoscalar Portal: Axions (and ALPS)

and

The Vector Portal: Dark photons
 what we will discuss here.



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The Vector Portal - Dark Photons, AD

Assume that there is a dark sector with a dark U(1) symmetry

- The relevant part of the Lagrangian is $\mathcal{L}_{gauge} = -\frac{1}{4}\,\hat{B}_{\mu\nu}\,\hat{B}^{\mu\nu} \frac{1}{4}\,\hat{Z}_{D\mu\nu}\,\hat{Z}_D^{\mu\nu} + \frac{1}{2}\,\frac{\epsilon}{\cos\theta_W}\,\hat{Z}_{D\mu\nu}\,\hat{B}^{\mu\nu}.\,\,\hat{B} \text{ is the ordinary U(1) field-strength tensor, and }\hat{Z}_D \text{ that of the dark U(1)}$
- The Dark Photon might mix with the photon by *kinetic mixing* the $\hat{Z}_D\hat{B}$ term , so that $e^+e^- \to A_D \to f\bar{f}$ is possible.
- The (arbitrary) mixing parameter ϵ must be small, so the coupling is weak. There will be few events, but the decay will form a very narrow peak, or even a displaced vertex.
- Note that the dark photon itself is not the dark matter, since it isn't stable ... Something else in the dark sector that is stable is needed in addition.



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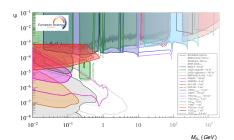


Current projections form the European Particle Physics Strategy Update of 2019

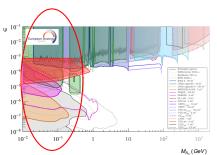
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- Masses up to ~ 1 GeV: LLPs detected in Beam-dump experiments. Sensitive to very small couplings
- Beyond that: colliders

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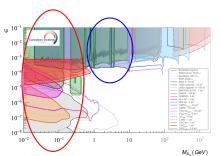
- Up to 10 GeV: B factories extremely high luminosity.
- Then: e⁺e⁻ up to their maximum energy
- ... and beyond that pp



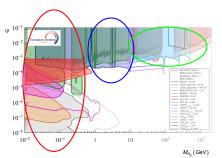
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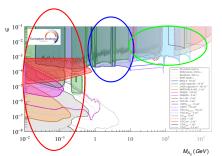
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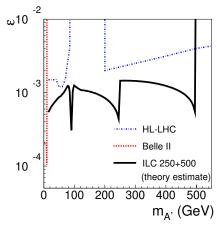
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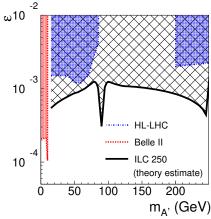
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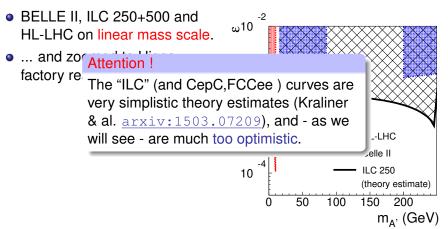


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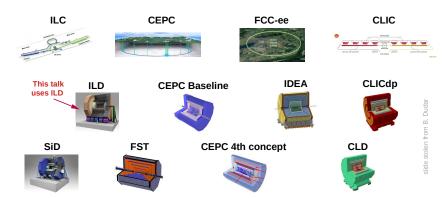


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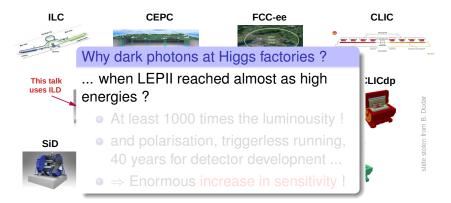




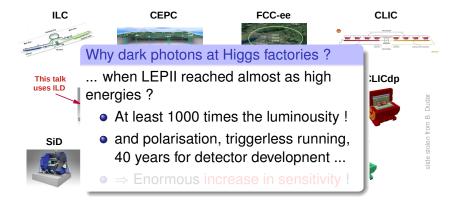
The Bestiary of proposed future e⁺e⁻ colliders, and their detectors



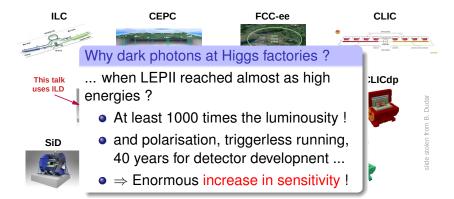
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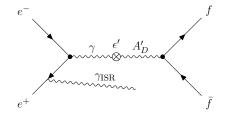
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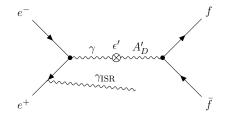
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- ullet Both σ and Γ scales with ϵ^2 .
 - One could hope to exclude σ > O(1 fb)
 - For the corresponding 2, Γ is O(10 keV) to O(10 MeV).
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 - ⇒ decay is prompt
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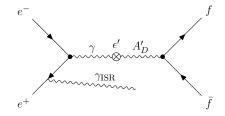
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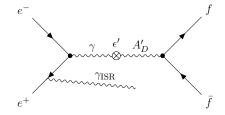
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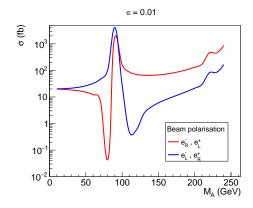
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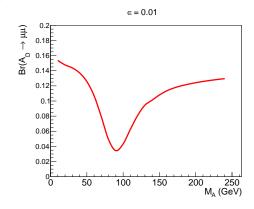
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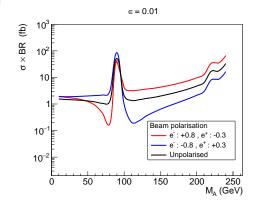
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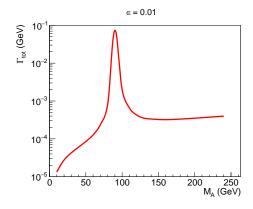
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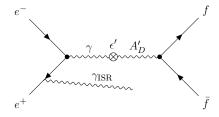
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Dark Photons in a real detector

Pass such generated events through the full Geant 4-based simulation (ddsim) and reconstruction (Marlin) of ILD.

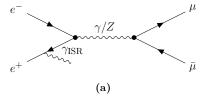
- Select events with two muons, and possibly an isolated photon - nothing else.
- Include all (fully simulated) SM background.
- Look for an arbitrarily small peak in the $M(\mu\mu)$ distribution, with natural width $<<\delta_{det}(M)$, over the SM background
- ... which varies with M_A , and is not only $e^+e^- \rightarrow \mu^+\mu^- + ISR$
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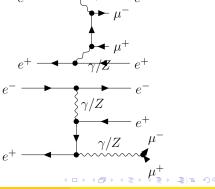
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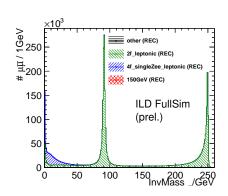
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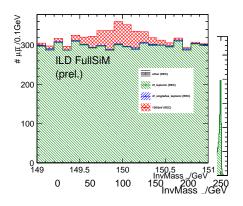
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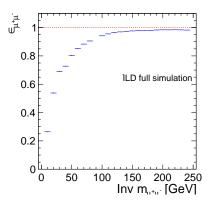


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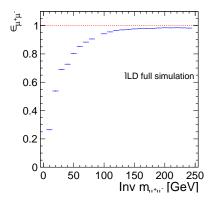
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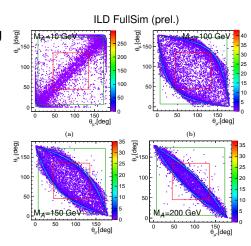
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- Why so low ? ILD track-finding is 100 % efficient down to $p_T \sim 300$ MeV and angles to the beam above $\sim 10^{\circ}$!?
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 $M=p_1p_2(1-\cos\theta_{12})$, and the ISR is along the beam and $\sigma(1/p_T)$ vs. p is constant, so error-propagation gives $\sigma_M \propto M^2$, right ?

Wrong.

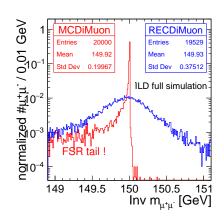
Due to M.S., for

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Strong dependence on θ in the forward region.

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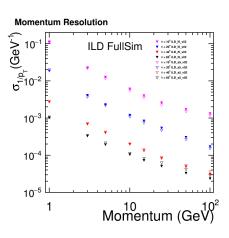


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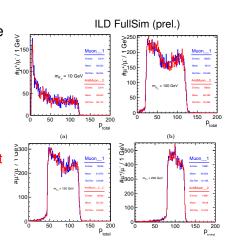
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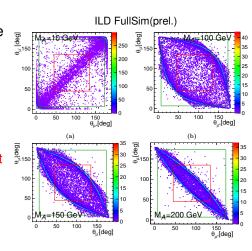
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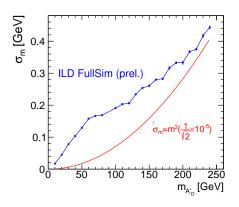
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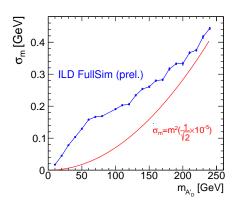
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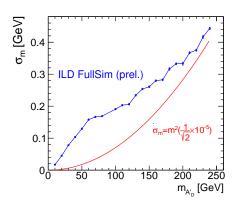
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- The resolution will vary a lot event-by-event - with angle and momentum of the muons, and the angle of the ISR.
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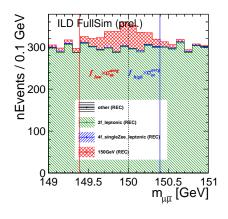


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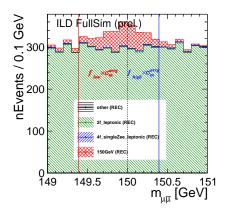


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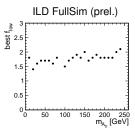
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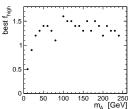


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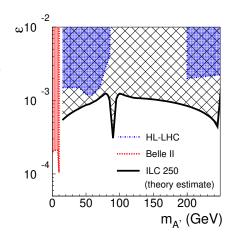


- However, the uncertainty is known, event-by-event, since the track-fit covariance matrix is output from the fit!
- Use this to optimise the search:
 - Define the signal-window as a factor times the event-specific σ_m .
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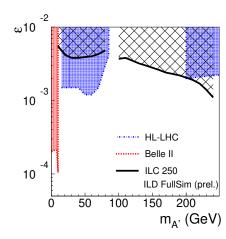




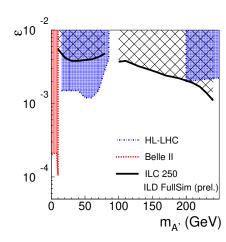
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- ... this is the (current) result with full simulation.
- At the highest mass, the correct limit is a factor two higher, a factor four at 100 GeV.
- This is due to the correct estimate of the error.
- Below M_Z, the difference is larger, and HL-LHC limits are expected to be stronger.
- Here, the reason is both the correct error-estimate, but also the much larger background from non- $Z \rightarrow \mu\mu$ processes.



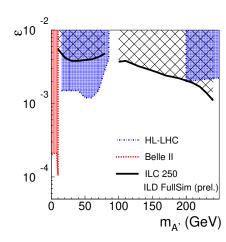
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Conclusion and outlook

Uptake:

- Even for or maybe in particular for the most simple topology full simulation is needed.
- Because in these cases, precision is the most important aspect.
- Even though the correctly evaluated reach is significantly less than the theory estimate, e⁺e⁻ colliders will probe lower dark photon couplings than HL-LHC, at least for masses above M_Z

Outlook

Several non-trivial ameliorations are possible

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Outlook:

- Several non-trivial ameliorations are possible
 - LR weighting of the samples with different polarisations.
 - Include $A_D \rightarrow e^+e^-$: Need methods to compensate for brems-strahlung to get good enough mass-resolution.
 - No use of the ISR photon made. Can it be used? Background reduction at low M_A , or even better resolution?
 - Use event-by-event error better: un-binned Maximum Likelihood.
 - Spend some running-time scanning E_{CMS}.
 - ...

Thank You!



Backup

BACKUP SLIDES