

Long-lived particle searches with the ILD detector

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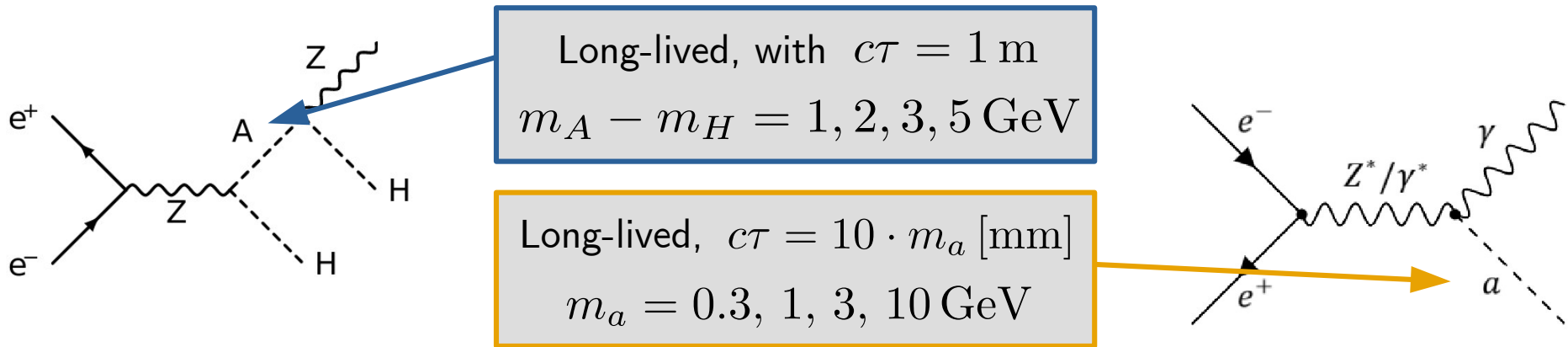
- Multiple LLP searches at the LHC
- LHC sensitive to high masses and couplings
 - **e^+e^- competitive in complementary region**: small masses, couplings and mass splittings
 - typical properties of feebly interacting massive particles (FIMPs)
- For the LLPs, ILD potentially promising with the TPC
- Few analyses for Higgs factories using full simulation

We take:

- **experiment-oriented approach**,
- a generic case – two muons coming from a **displaced vertex**,
- no other assumptions about the final state, **model-agnostic strategy**

As a challenging case (small boost, low-pT final state) we considered:

→ (tuned) Inert Doublet Model sample with small mass splitting, $Z^* \rightarrow \mu\mu$



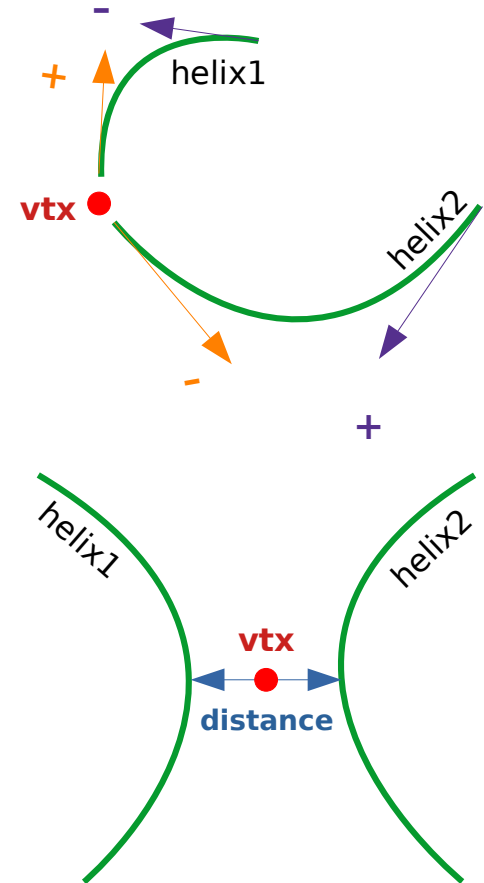
The opposite extreme case, (large boost, high-pT final state)

→ (tuned) axion-like particle model sample, $a \rightarrow \mu\mu$

Simple vertex finding, based on a distance between track pairs

Approach as simple and general as possible:

- Consider tracks in pairs
- As the TPC is not sensitive to track direction:
 - use **both track direction** (charge) **hypothesis** for vertex finding
 - consider opposite-charge track pairs only
 - select pair with **closest starting points**
- Reconstruct vertex in **between points of closest approach** of helices
 - Require distance < 25 mm



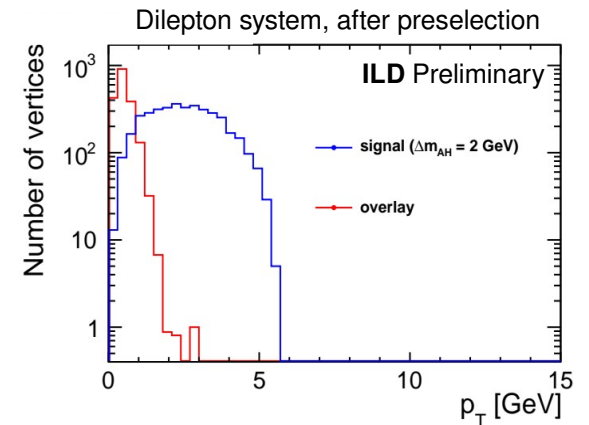
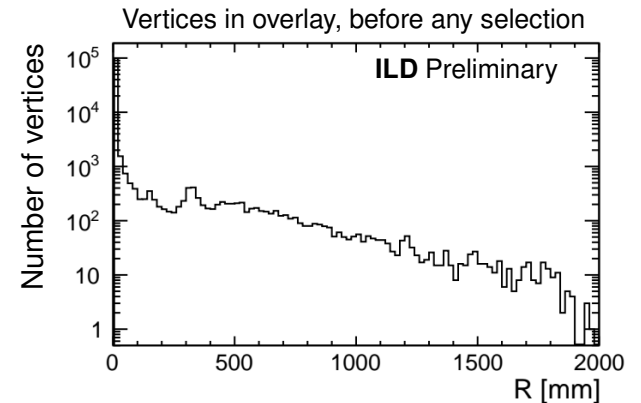
Overlay events

At the ILC, on average **1.05 low- p_T hadrons** and **1 seeable e^+e^- pair** events are overlaid per bunch-crossing

→ they can look like signal on their own

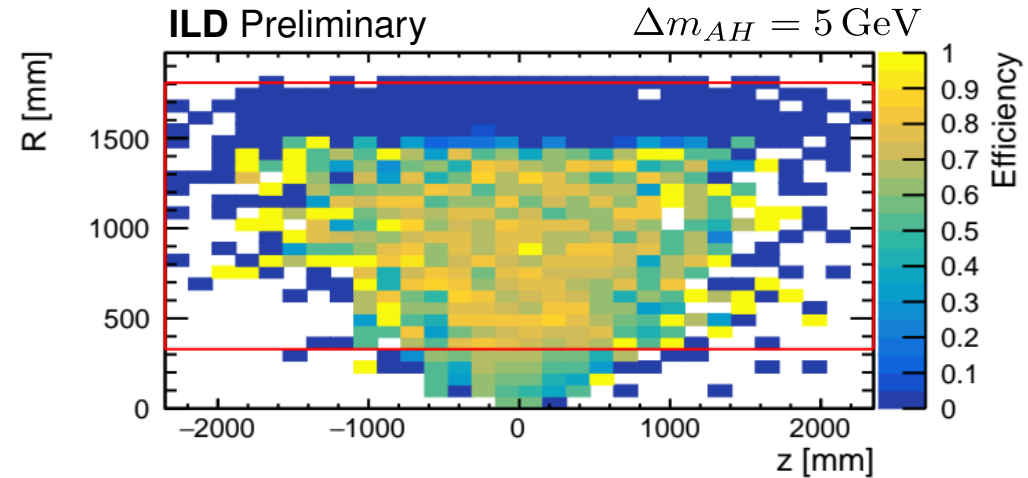
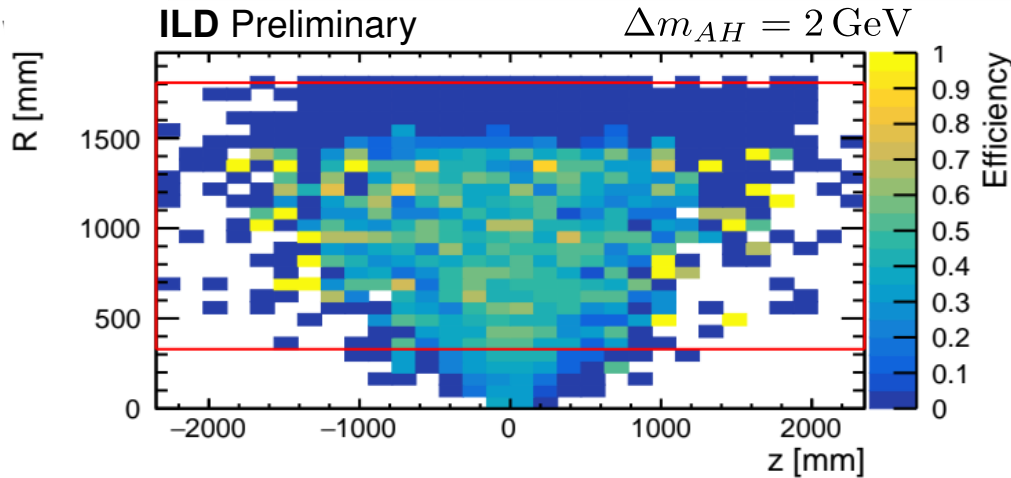
- $\sim 10^{11}$ bunch-crossings per year at ILC
- Overlay events can be busy
 - can also contribute to fake secondary vertices
- kinematics similar to signal
 - expected to give dominant contribution as a separate background

- Can be suppressed using cuts on the p_T and geometry of track pair
- Total expected reduction factor at the level of $\sim 10^{-9}$ ($\sim 10^{-10}$) for **low- p_T had. (e^+e^- pairs)**



Results (heavy scalar signal)

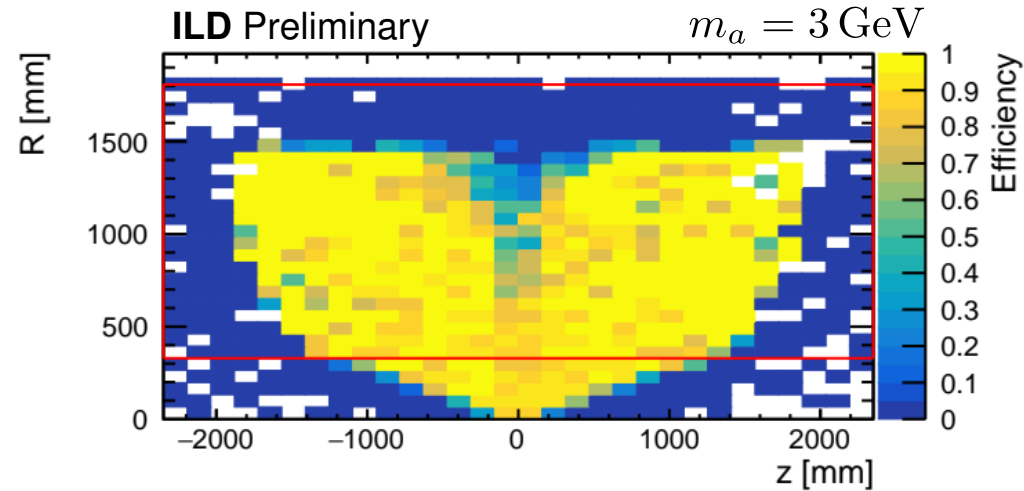
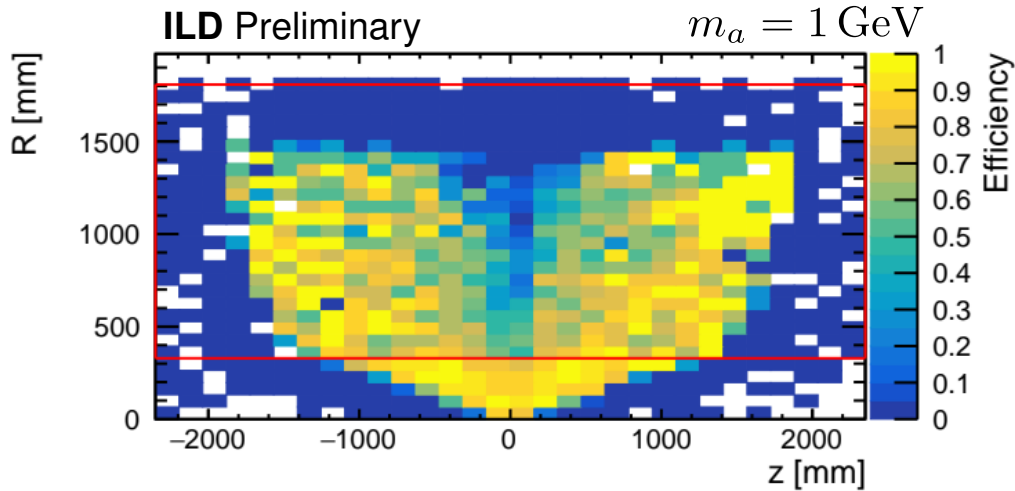
Δm	1 GeV	2 GeV	3 GeV	5 GeV
TPC eff. (correct / decays within TPC acceptance)	3.9%	37%	52.2%	60.4%
Accuracy in TPC (correct / all found)	99.1%	99.5%	99.5%	99.7%



- Consider "correct" if distance to the true vtx $< 30 \text{ mm}$
- **Signal selection** depends strongly on the **mass splitting** (Z^* virtuality)
- $\Delta m = 1 \text{ GeV}$ scenario needs dedicated approach

Results (ALP signal)

m_a	0.3 GeV	1 GeV	3 GeV	10 GeV
TPC eff. (correct / decays within TPC acceptance)	23.9%	53.8%	76.6%	78%
Accuracy in TPC (correct / all found)	42.7%	82.9%	97.4%	99%



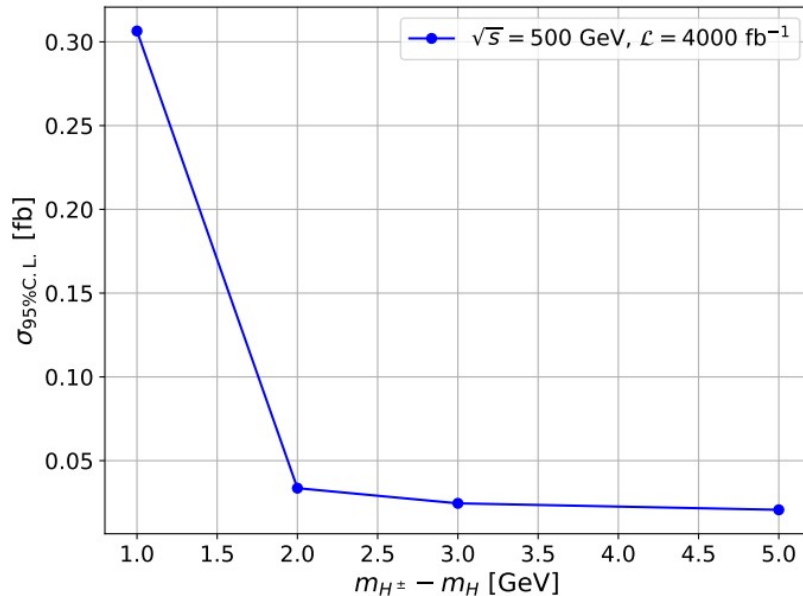
- Efficiency increases with mass (decreasing boost)
- Better performance for smaller radii (as opposed to heavy scalar case)
- **High efficiency** for masses from **1 GeV**

With the overlay events as the main background, we can also estimate expected 95% C.L. limits on the **signal production cross section**

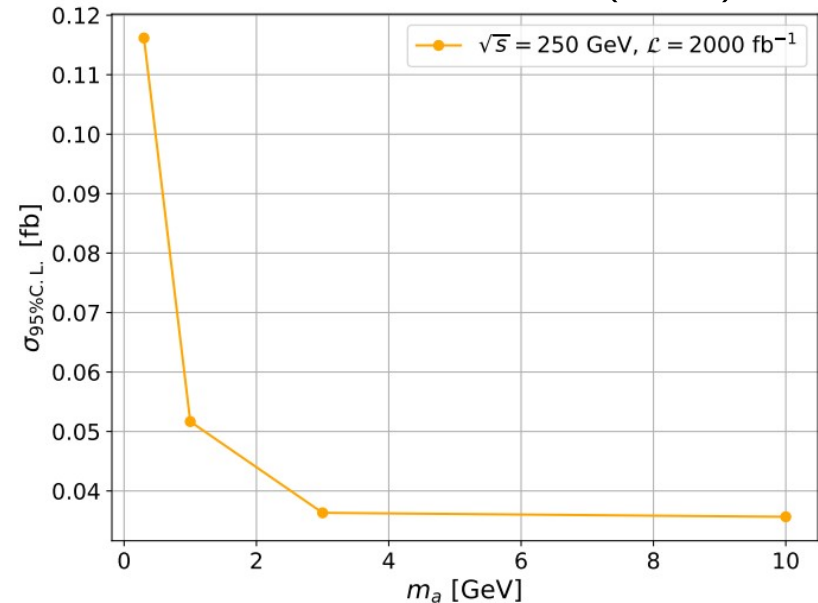
Assume

- **2 ab⁻¹** of data at **250 GeV** and **4 ab⁻¹** at **500 GeV** ILC,
- **10 yr** and **8.5 yr** × 10¹¹ bunch-crossings (BXs),
- **1.05 (1.00)** **γγ** → **had.** (**seeable e⁺e⁻ pairs**) events per BX,
- total background rejection of **10⁻⁹ (10⁻¹⁰)** → ~**1150** expected N_{bg} events for **250 GeV**
- No. of signal ev. corresponding to the limit: $N_{sig} = 1.64 \cdot \sqrt{N_{bg}} / \epsilon_{sel}$

Heavy scalars (IDM)

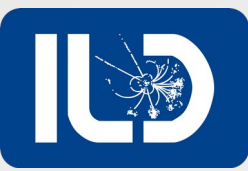


Light pseudoscalar (ALP)



- Valid for kinematic region $p_T^{\text{vtx}} > 1.9 \text{ GeV}$ and only for decays inside TPC volume
 - Correct for the TPC acceptance
 - Get predictions for different lifetimes - reweight the events using probability distributions

Cross section limits (new)



- For different lifetimes, τ' , reweight the events by ratio of exponential PDFs:

$$w = P(t, \tau') / P(t, \tau_0) \text{ (with } \tau_0 \text{ used for sample generation; for } \tau' = \tau_0, w = 1)$$

- For different lifetimes, τ' , reweight the events by ratio of exponential PDFs:

$$w = P(t, \tau')/P(t, \tau_0) \text{ (with } \tau_0 \text{ used for sample generation; for } \tau' = \tau_0, w = 1)$$

- Limited statistics in the samples for decays at large distances - problem for higher τ' :

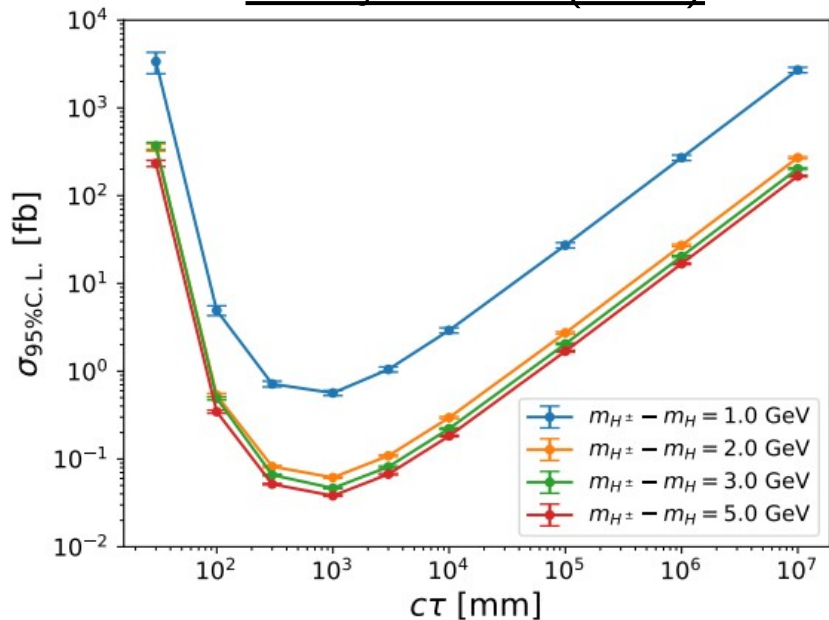
→ cutoff at a large distance ($L_{\max} = 3$ m) above which finding a vertex is impossible

→ $N_{\text{all}} = \sum w/w_{\max}$ where $w_{\max} = \text{tot. probability that LLP decays before } L_{\max}$

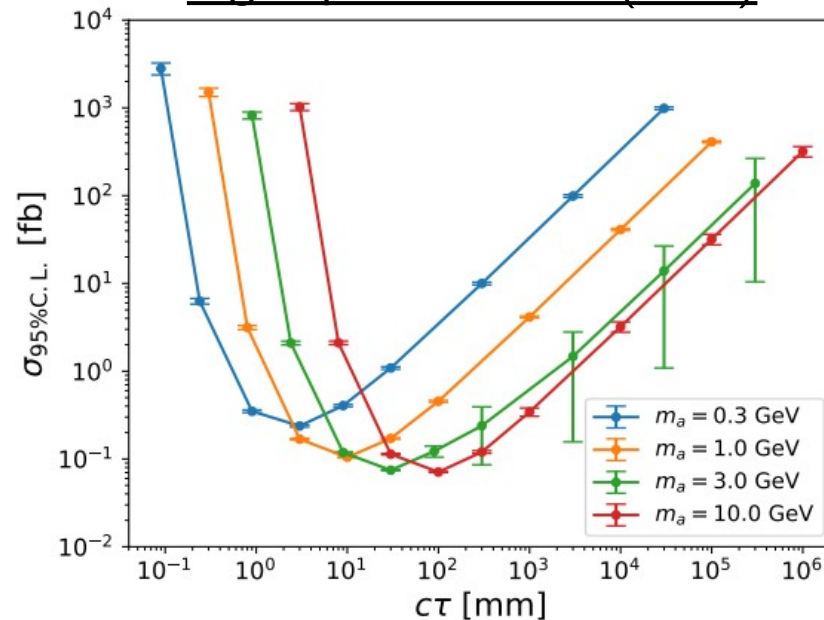
→ $N_{\text{pass}} = \sum w$ for events passing selection in TPC

Now with $\epsilon_{\text{sel}} = N_{\text{pass}}/N_{\text{all}}$, $N_{\text{sig}} = 1.64 \cdot \sqrt{N_{\text{bg}}}/\epsilon_{\text{sel}}$

Heavy scalars (IDM)



Light pseudoscalar (ALP)



- Good sensitivity, even for high lifetimes
- Limits still conservative due to the model-independent approach (not using e.g. invariant mass or missing energy)

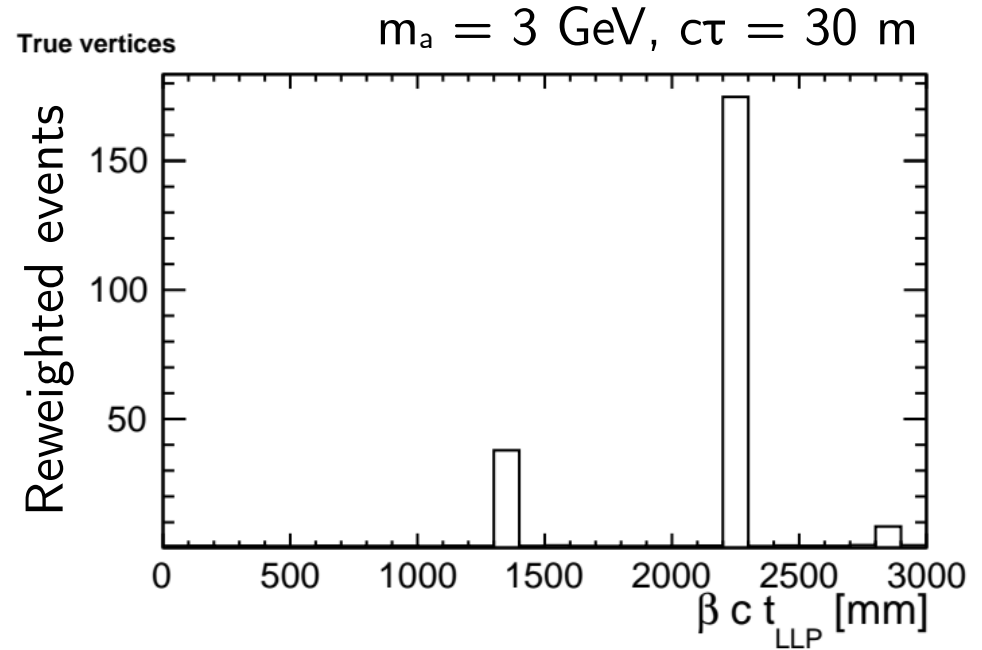
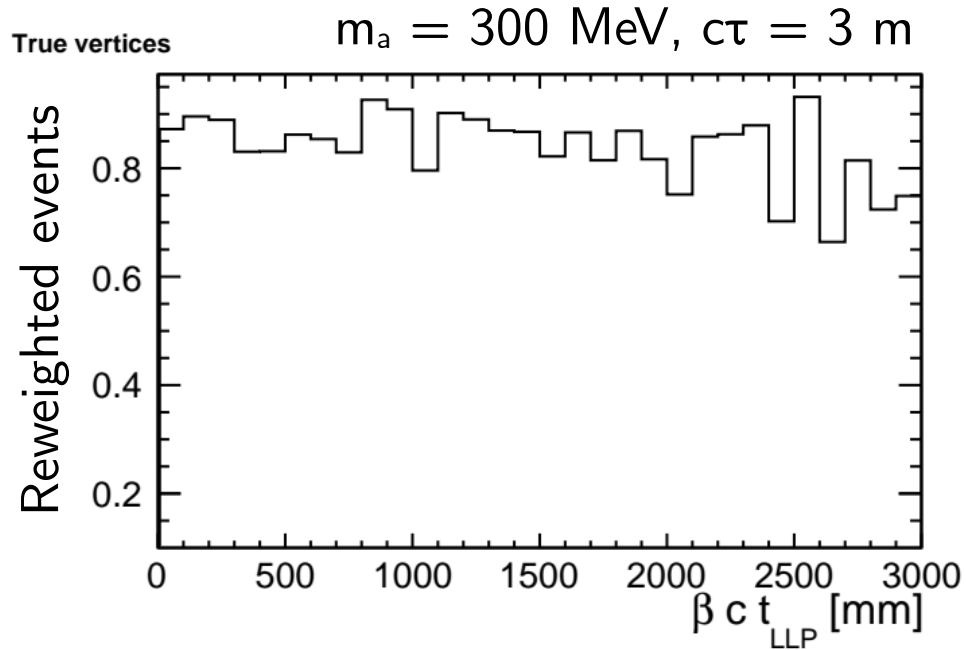
- LLPs studied for challenging parameter space regions complementary to LHC searches, **two tracks** from a **displaced vertex** analysed in a model-agnostic way
- Heavy scalars production considered, with **small O(1 GeV) mass splittings** between LLP and DM and **low-momenta decay products**
- Reconstruction of **highly boosted**, **light** ALPs, with O(1 GeV) masses, performed with the same algorithm and procedure
- Estimated 95% CL limit on signal **cross section** $\lesssim 1 \text{ fb}$ for many scenarios, with $c\tau$ between 1 mm and 100 m

Next steps under consideration:

- Analysis extension to displaced jets (Higgs decays to LLPs?)
- In parallel ongoing tests of other ILD designs - TPC with pixel readout
→ tracking performance still needs improvement (any contributions more than welcome)

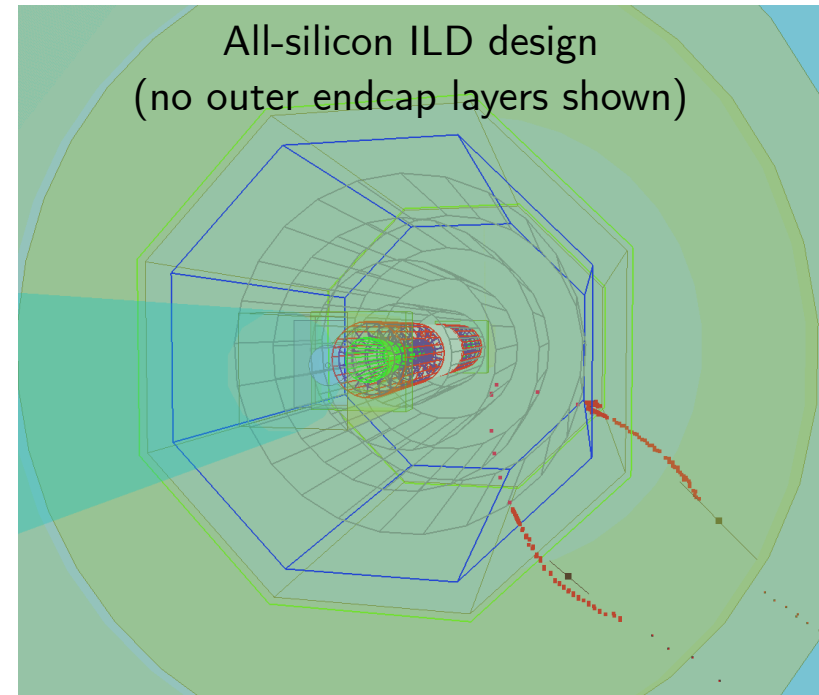
BACKUP

Reweighted events



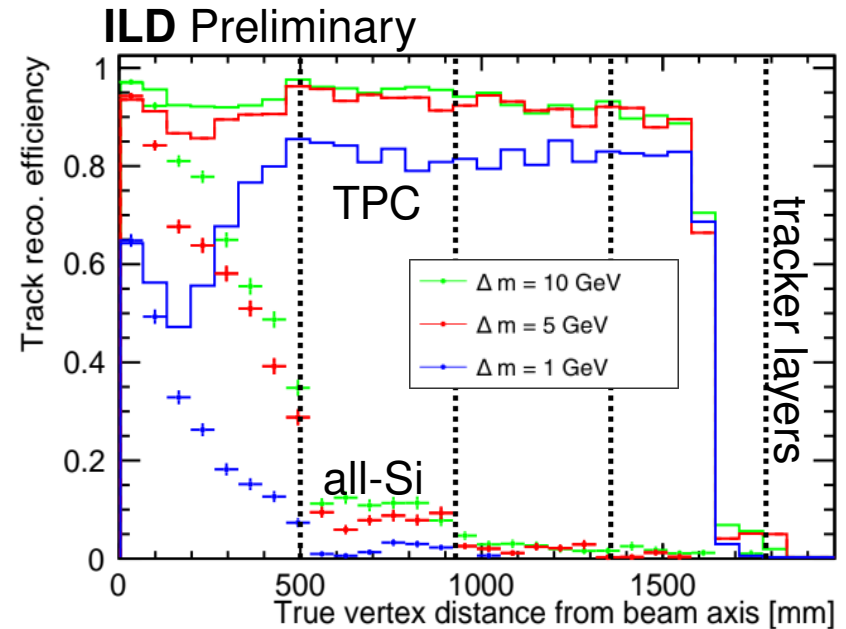
Alternative ILD design implemented for tests

- **TPC replaced** by the **silicon Outer Tracker**, modified from the CLICdet
- One **barrel layer** added and **endcap layers spacing** increased w.r.t. CLICdet
- **Conformal tracking** algorithm (designed for CLICdet) used for reconstruction at all-silicon ILD



→ Check how the **results** for heavy scalars are influenced by a **change of tracker** design

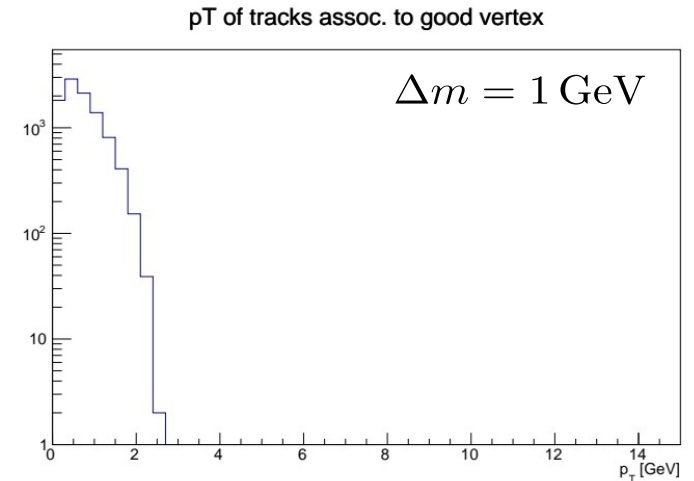
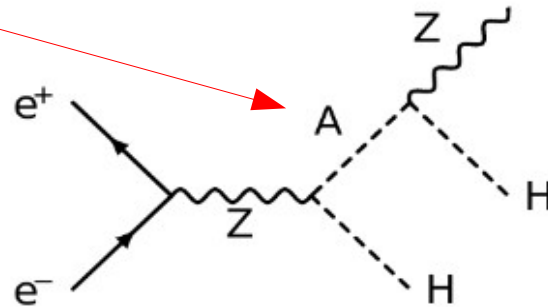
- Vertex reconstruction driven by **track reconstruction efficiency**
- Performance similar to baseline design (TPC) near the beam axis
- Smaller number of hits available → **efficiency drops faster** with vertex displacement
- At least **4 hits required** for track reconstruction → limited reach
- For large decay lengths, **efficiency significantly higher** for "standard" ILD with **TPC**



First challenging scenario (**small-boost, low- p_T** track pair, **not pointing towards IP**):

- pair production of heavy, neutral scalars from Inert Doublet Model (IDM): **A** (heavier) and **H** (lighter; stable dark matter candidate)
- A can be long-lived for **small mass splittings** between A and H
- dominant decay: $A \rightarrow HZ^*$; $Z^* \rightarrow \mu\mu$ decay used for vertex reconstruction studies

Long-lived, with $c\tau = 1 \text{ m}$



Low- p_T tracks prevail

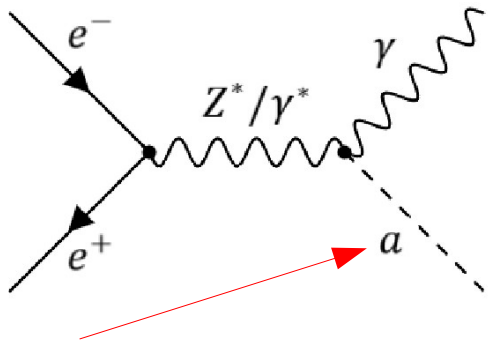
Benchmark scenarios:

$$m_A - m_H = 1, 2, 3, 5 \text{ GeV}$$

Test signal scenario – highly boosted light LLPs

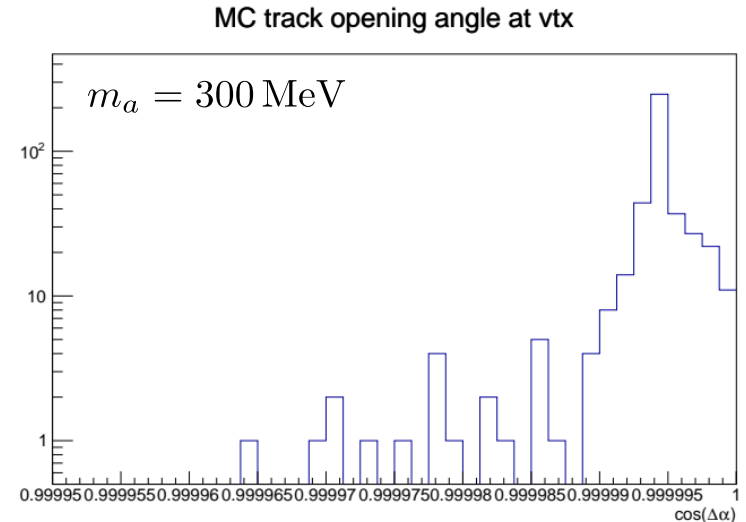
Exactly the opposite extreme scenario (**small LLP mass**, very **high pT**, **collinear tracks**):

- **axion-like particle** (ALP) produced alongside hard photon (UFO model by R. Schafer, S. Bruggisser, S. Westhoff)
- Use the **same procedure** as for IDM (same algorithm, cuts), $a \rightarrow \mu\mu$ decay used for studies
- Number of decays within acceptance strongly varies between signal scenarios



Long-lived, with $c\tau = 10$ mm

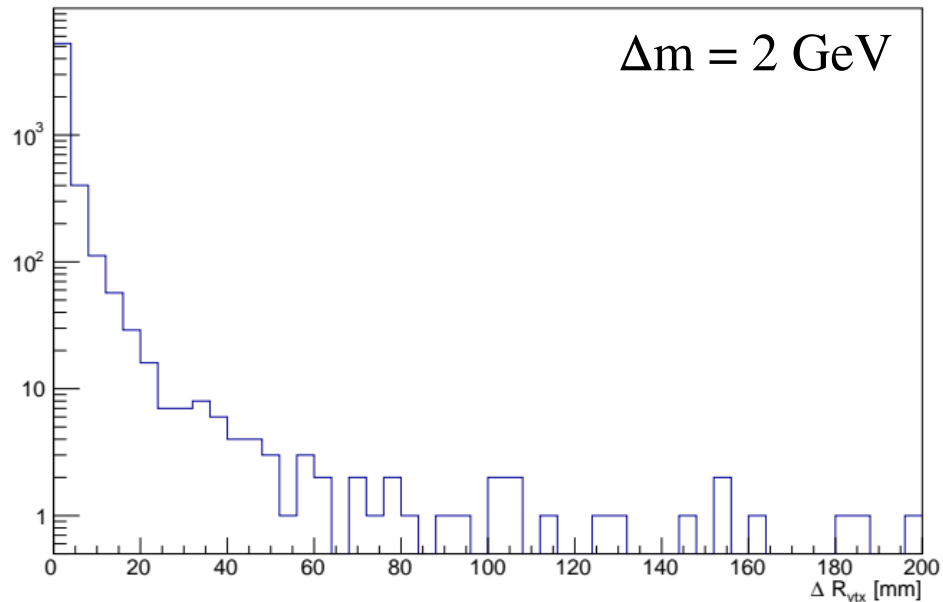
Benchmark scenarios: $m_a = 0.3, 1, 3, 10$ GeV



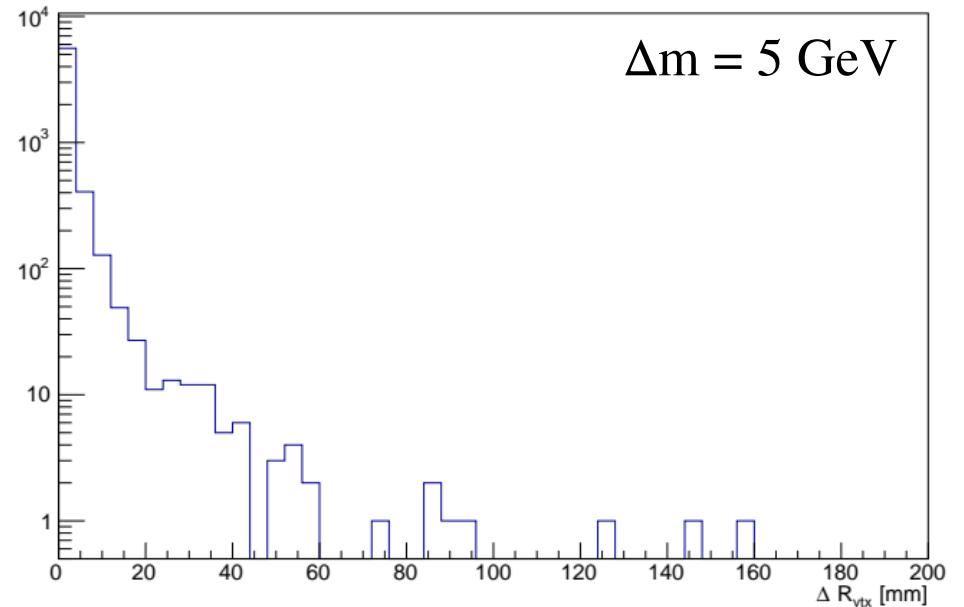
Distance to the true vertex

Consider a vertex „correct” if distance to the true vtx < 30 mm

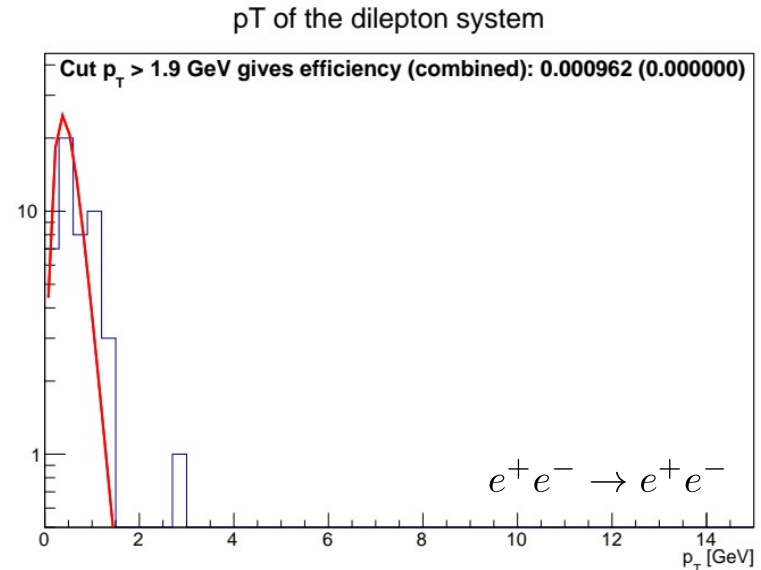
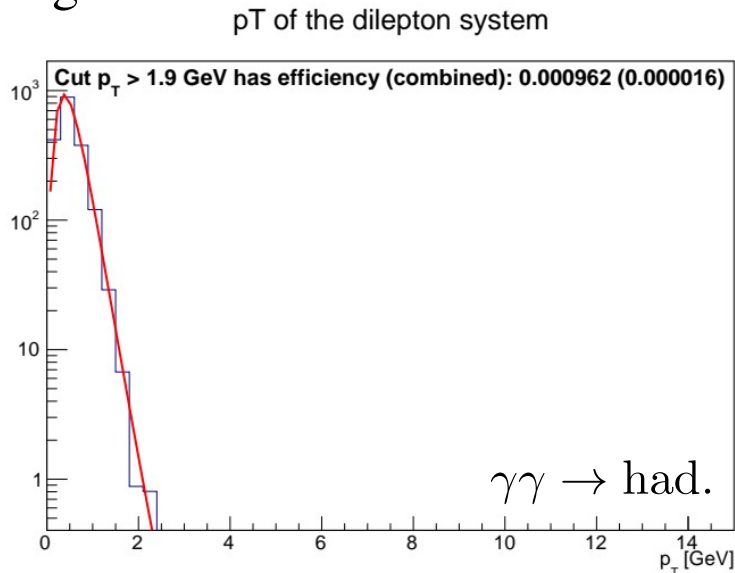
Distance between true and reco. vertex



Distance between true and reco. vertex



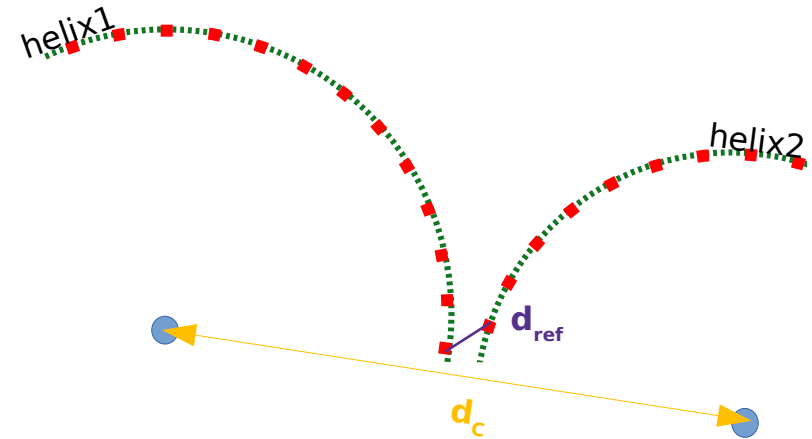
- We consider $\gamma\gamma \rightarrow \text{had.}$ and e^+e^- samples separately
- Estimated background eff. from fitted distributions $\sim 10^{-3}$ ($\sim 10^{-5}$ – 10^{-7} with preselection)
- Very **small statistics** in e^+e^- sample after preselection \rightarrow fit shape from $\gamma\gamma \rightarrow \text{had.}$ with floating normalisations



Norm = number of events, scaled by corresponding Poisson expectation values

- At least one more (independent) variable needed to achieve the assumed reduction
- We expect that **signal** tracks should come out of a single point → **reference points should be close**
- In busier background events, still many tracks evade the cuts – e.g. curlers, secondary decays

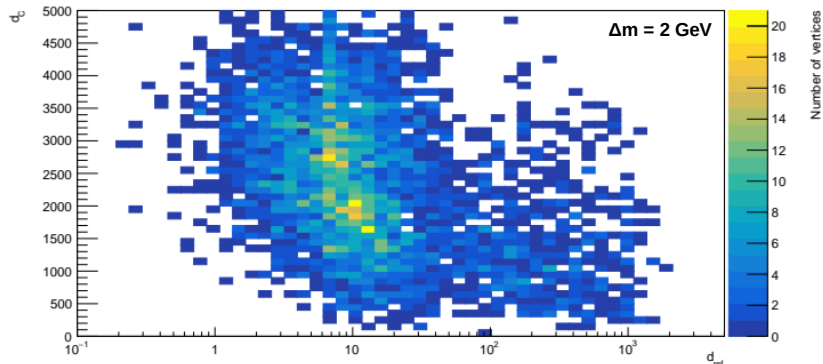
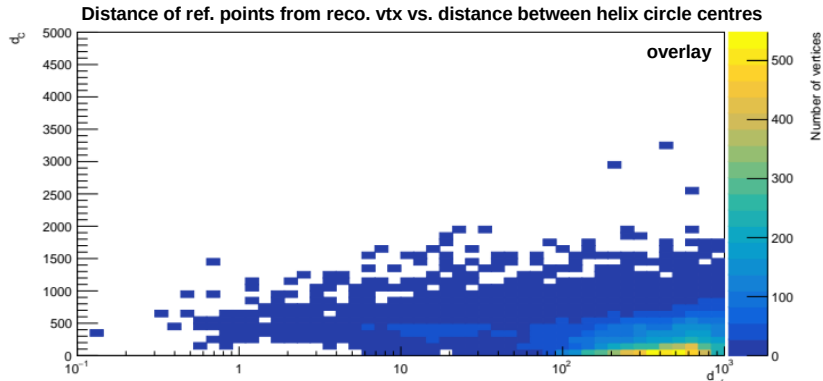
→ either **far reference points** or **close centres of helices**



- d_{ref} – distance between reference points (TrackStates / first hits)
- d_c – distance between centres of helices projections into XY plane

Final selection – second variable

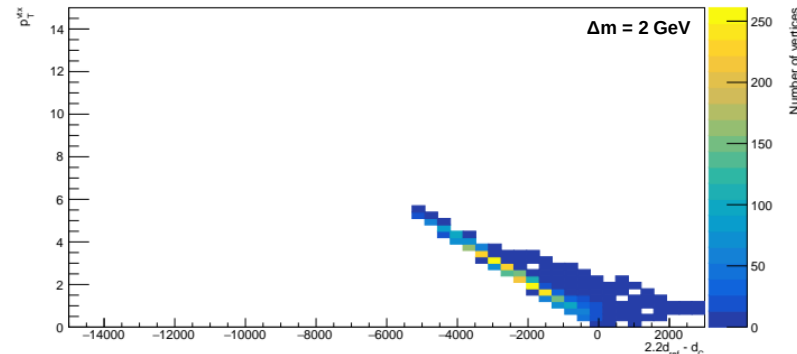
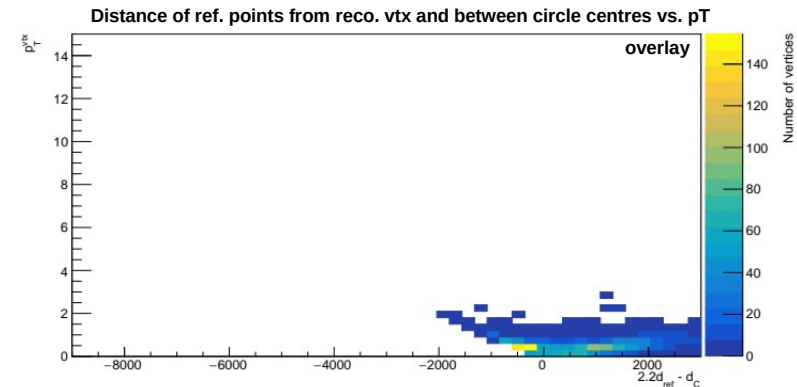
- New variable(s) should be uncorrelated with p_T to make the cuts independent
- $2.2d_{ref} - d_C$ good for optimal signal-background separation → use it to look for correlation



Warp and check correlation with p_T

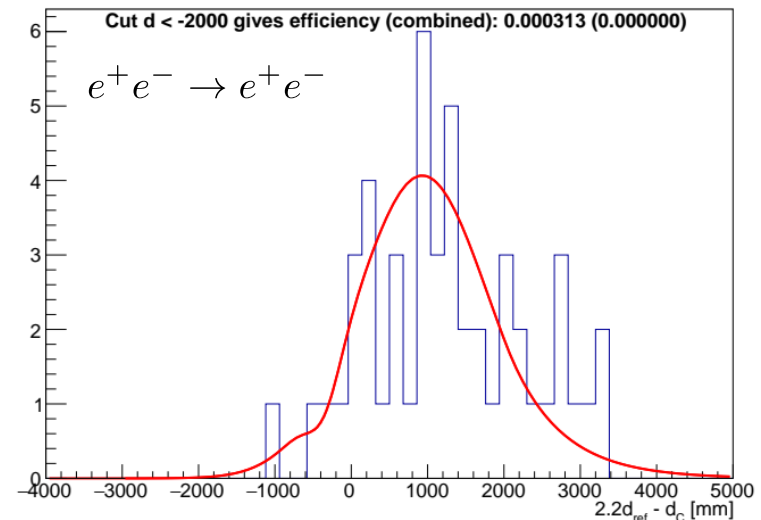
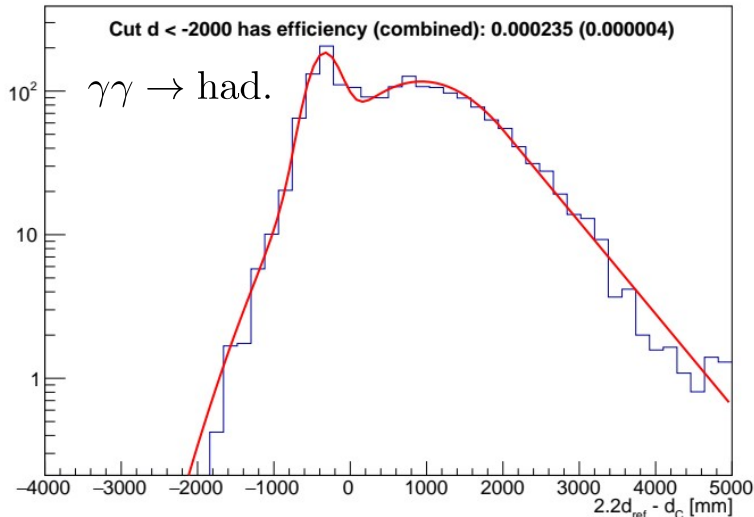


- Small correlation for the background
- Signal strongly correlated



Final selection – second variable

- Same approach as for the pT
- For $2.2d_{\text{ref}} - d_{\text{C}} < -2000$ mm, **signal eff. $\sim 37\%$** ($\Delta m = 2$ GeV)
- Estimated background eff. from fitted distributions $\sim 10^{-4}$ ($\sim 10^{-6}$ – 10^{-7} with preselection)
- Total expected efficiency at the level of $\sim 10^{-9}$ ($\sim 10^{-10}$) for **$\gamma\gamma \rightarrow \text{had.}$** (e^+e^- pairs)



Norm = number of events, scaled by corresponding Poisson expectation values

Selection assuming correlations

For small correlations r between x and y , total selection efficiency can be described as

$$\epsilon_{xy} = \epsilon_y^{(1-r)} \epsilon_x, \quad \epsilon_x > \epsilon_y$$

For cuts on \mathbf{p}_T and $2.2\mathbf{d}_{\text{ref}} - \mathbf{d}_C$, assuming **30% correlation**, for $\gamma\gamma \rightarrow \text{had. (e}^+e^- \text{ pairs)}$ that gives:

- $2.8 \cdot 10^{-6}$ ($3.4 \cdot 10^{-6}$)
- $4.6 \cdot 10^{-8}$ ($1.7 \cdot 10^{-9}$) ← combined with preselection

Combined cut efficiency $x > 2 \cap y > 3$

