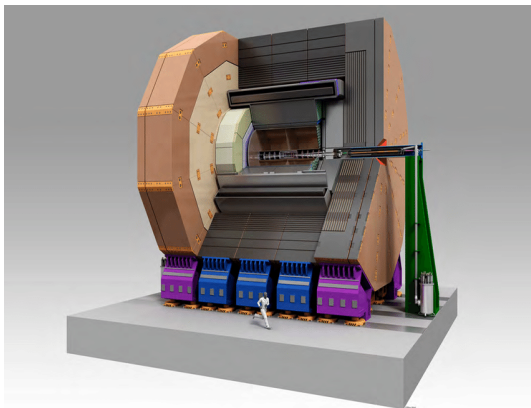
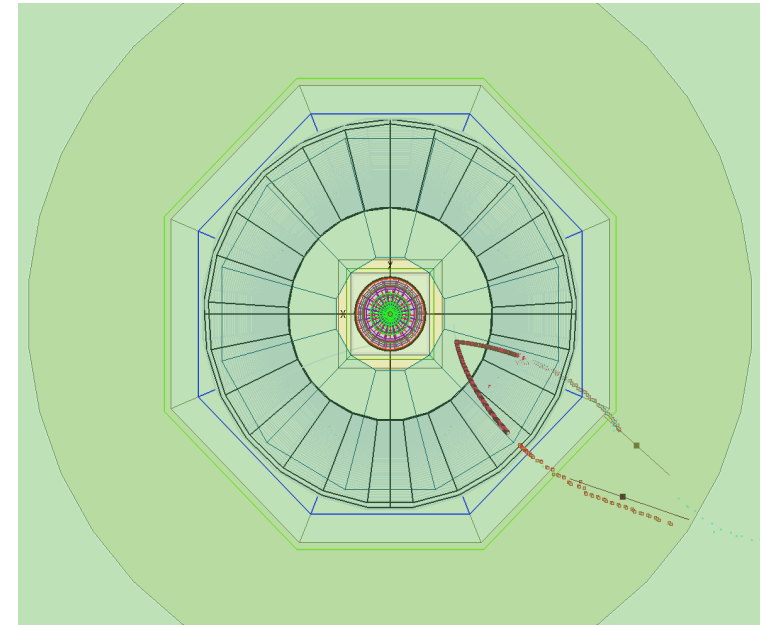


# Higgs decays to long-lived particles with the ILD

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- Multiple LLP searches at the LHC, sensitive to high masses and couplings
  - **complementary region** could be probed at  $e^+e^-$  colliders (small masses, couplings, mass splittings)
  - typical properties of feebly interacting massive particles (FIMPs)
- ILD especially promising with a TPC as the main tracker
  - study based on full simulation

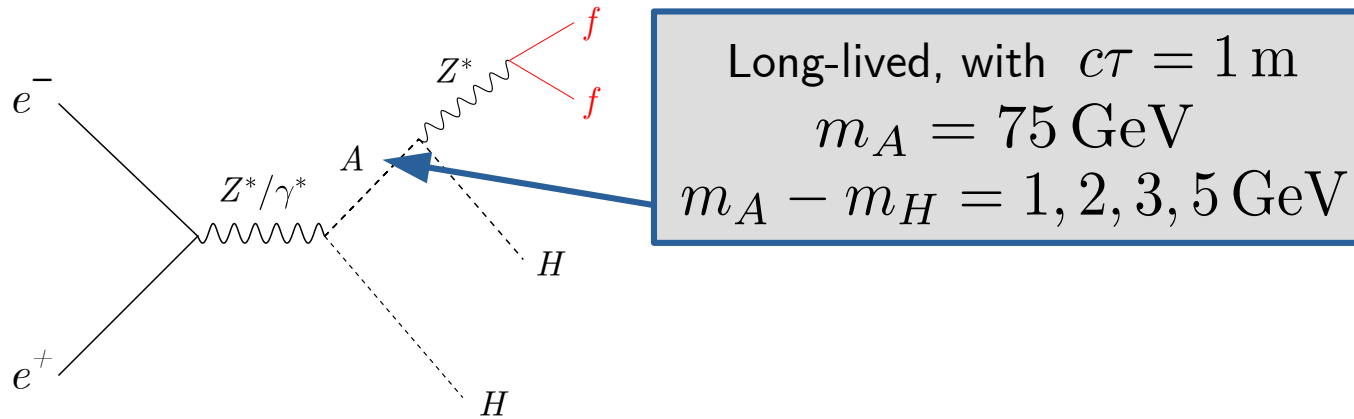


- Study such challenging signatures from the **experimental perspective**
  - experimental/kinematic properties, not points in a model parameter space
- Focus on a generic case – two tracks from a displaced vertex
- No other assumptions about the final state, approach **as general as possible**

As a challenging case (small boost, low-pT final state) we considered:

$$\sqrt{s} = 250 \text{ GeV}$$

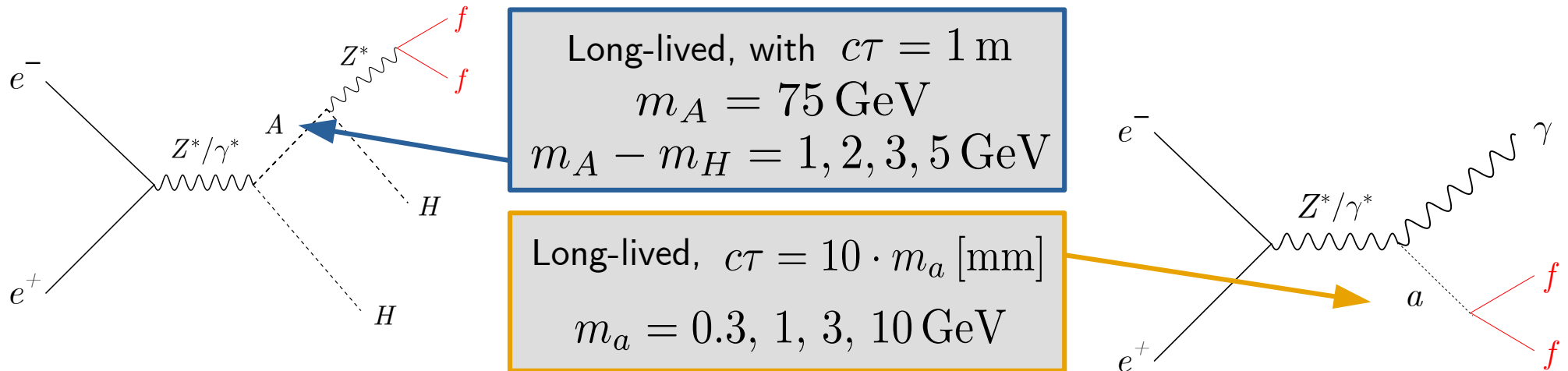
→ heavy scalar LLP (A) and DM (H) pair-production with small mass splitting,  $Z^* \rightarrow \mu\mu$



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$$\sqrt{s} = 250 \text{ GeV}$$

→ heavy scalar LLP (A) and DM (H) pair-production with small mass splitting,  $Z^* \rightarrow \mu\mu$



The opposite extreme case, (large boost, high-pT final state)

→ light pseudoscalar LLP  $a \rightarrow \mu\mu$

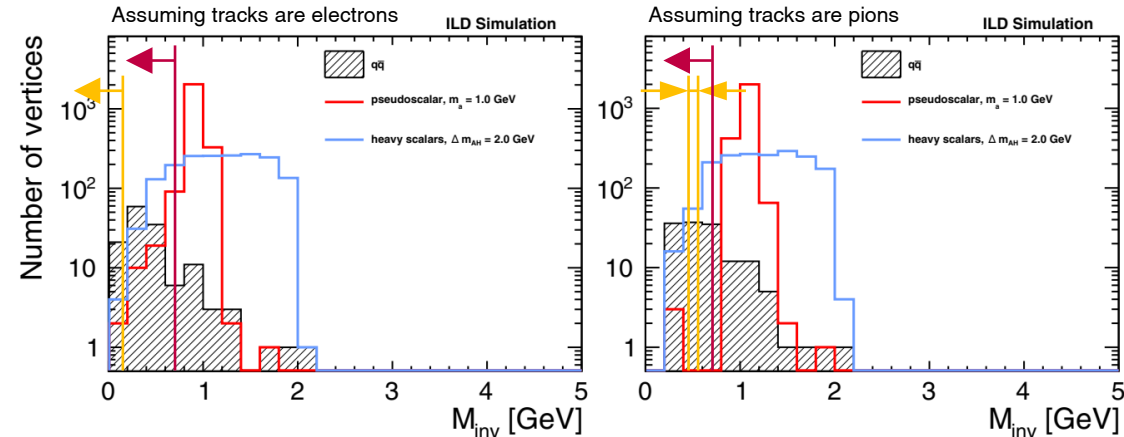
**Very simple vertex finding (inside the TPC) based on a distance between track pairs**

Two types of backgrounds considered separately:

- Overlay events, as a standalone background
  - Very tight selection including vertex quality cuts (fake vtx rejection) and cuts on total vtx  $p_T$
  - Overlay suppression  $\sim 10^{-10}$ , but for Higgs decays overlay negligible (more details later)
- High- $p_T$  physics events with sources that survive overlay selection:
  - Decays of kaons, lambdas, photon conversions (V0s)

# High- $p_T$ background

- Matching with V0Finder does not remove sufficient events
  - Also semileptonic  $K_0$  decays, or poorly reconstructed tracks survive
- Additional cuts on invariant mass are applied, two working points: **standard** and **tight** (tight involving also **isolation** criterium)



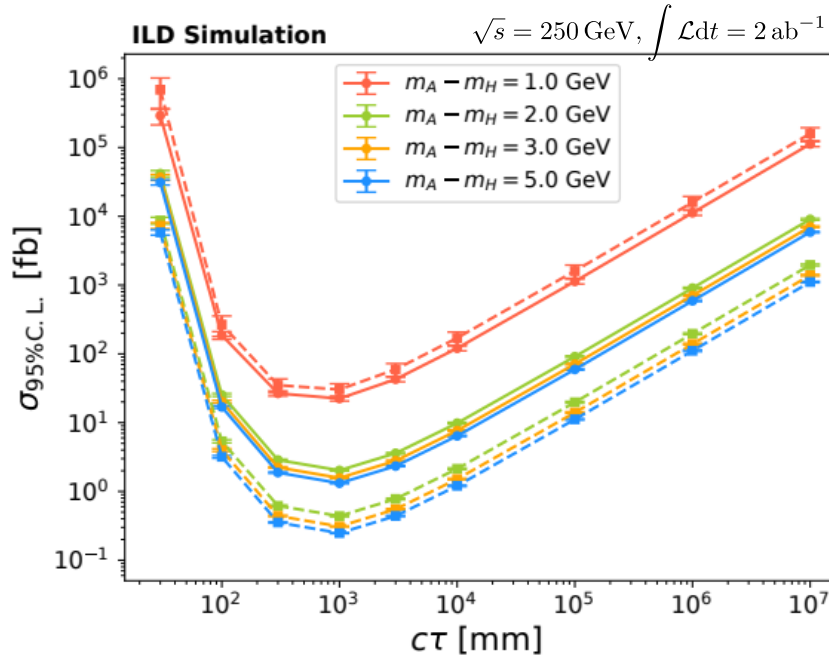
Backgrounds occur mainly inside jets, so we consider (hard)  $e^+e^-$  and  $\gamma\gamma$  processes with jets in final state

Selection eff. depends on number of jets, so:

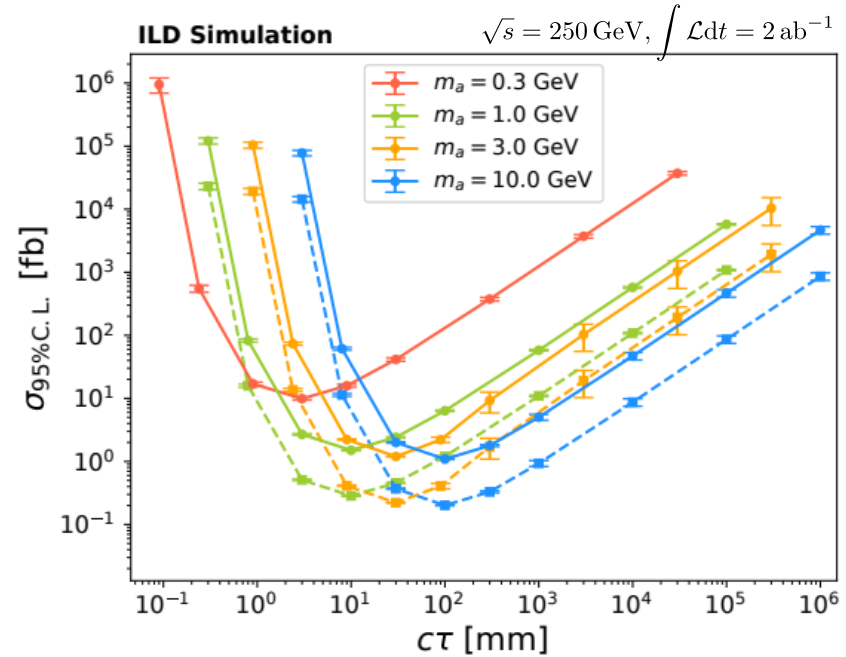
Estimate selection efficiency based on full simulation

Use  $qq$  efficiency for the remaining processes

$\text{sgn}(P(e^-), P(e^+))$	(-, +)	(+, -)	(-, -)	(+, +)
channel	$\sigma$ [fb]			
qq	127,966	70,417	0	0
qqqq	28,660	970	0	0
qq $l\nu$	29,043	261	191	191
$ZZ \rightarrow qqll, qq\nu\nu$	838	467	0	0
$Z\nu_e\nu_e \rightarrow qq\nu_e\nu_e$	454	131	0	0
$Zee \rightarrow qqee$	1,423	1,219	1,156	1,157
process	BB	BW	WB	WW
hard $\gamma^{B/W}\gamma^{B/W}$	42,150	90,338	90,120	71,506



Heavy scalars



Light pseudoscalar

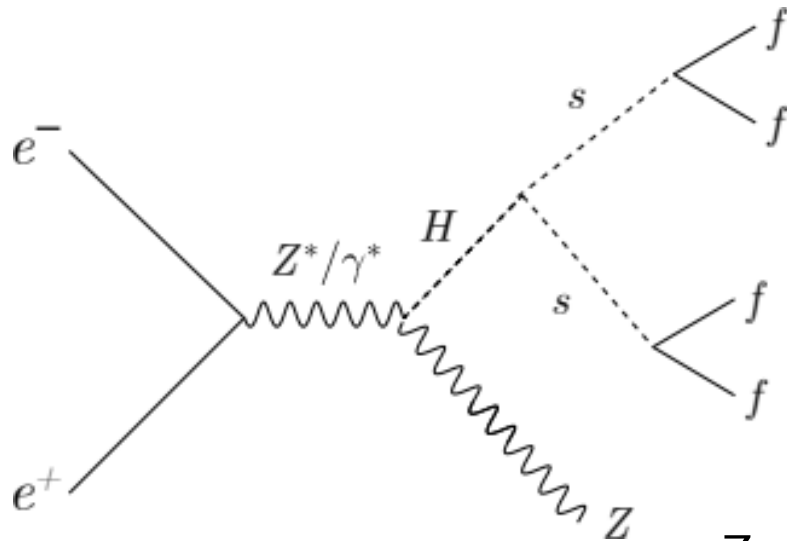
- Tight selection: dashed line, standard selection: solid line
- A wide range of models with heavy scalars with small mass splittings, or light pseudo scalar particles, can be excluded down to 0.1 fb

# Higgs decays to LLPs



Higgsstrahlung with  $H(125)$  decay to two long-lived scalars

Generated using the Triple Real Singlet Higgs model with fixed lifetimes of  $s$



$$\sqrt{s} = 250 \text{ GeV}$$

Generated scenarios:

$$m_s = 400 \text{ MeV}, c\tau = 10 \text{ mm}$$

$$m_s = 2 \text{ GeV}, c\tau = 10 \text{ mm}$$

$$m_s = 50 \text{ GeV}, c\tau = 1 \text{ m}$$

$$m_s = 60 \text{ GeV}, c\tau = 1 \text{ m}$$

$Z \rightarrow \nu\nu$ ,  $s \rightarrow \mu\mu$  decays used to simplify the simulation

Note: here overlay not added before the reconstruction

**Use the same analysis procedure, but further optimise for this channel**

This time add constraints to optimise the search for  $HZ \rightarrow H\nu\nu$  channel

→ we expect at least one displaced vertex and nothing else

On top of all previous cuts, in each event require no prompt tracks with:

- $p_T > 2 \text{ GeV}$
- $R_{\text{fhit}} < 20 \text{ mm}$  (barrel), or  $R_{\text{fhit}} < 155$  and  $215 < |Z_{\text{fhit}}| < 225$  (endcap)
- $|d_0| < 10$  or  $|z_0| < 10$

In addition, for each vertex require total  $p_T^{\text{vtx}} > 10 \text{ GeV}$  of tracks forming the vtx

→ allows to fully neglect hard  $\gamma\gamma$  and overlay events

Because the statistics in samples becomes very low, assume the cuts above are orthogonal to cuts on invariant mass windows corresponding to  $V0$  particles

→ estimate the efficiencies independently and combine

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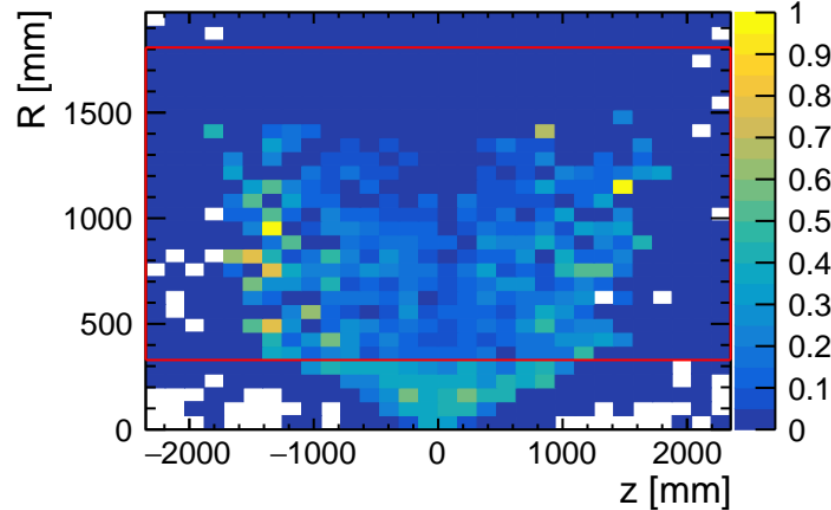
Even with this approach, the number of events after the above cuts is 0 in all simulated samples

→ conservatively assume 3 events remaining in each MC sample (95% C.L.) → ~16 bg. ev. expected

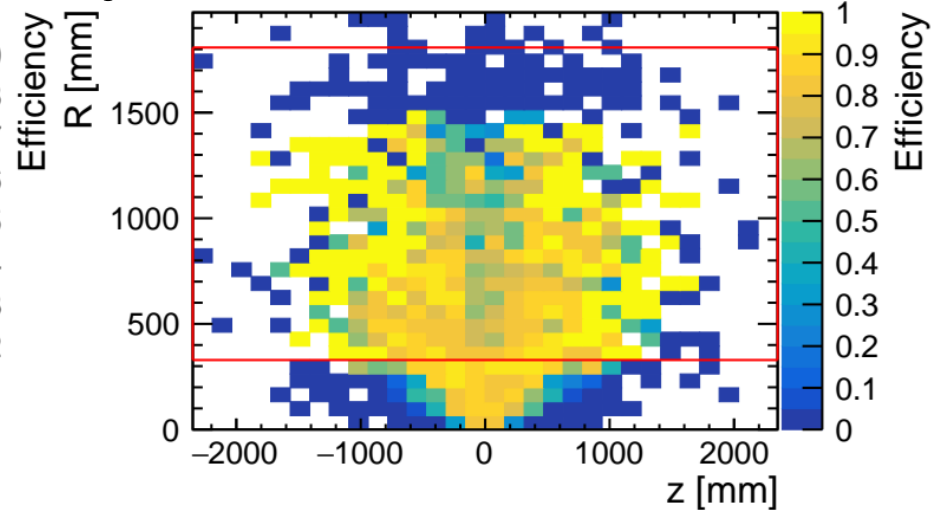
# Vertex finding results

$m_s$	0.4 GeV	2 GeV	50 GeV	60 GeV
Efficiency (standard)	7.8%	52.2%	34.6%	18.5%
Efficiency (tight)	0%	52.2%	34.3%	18.1%

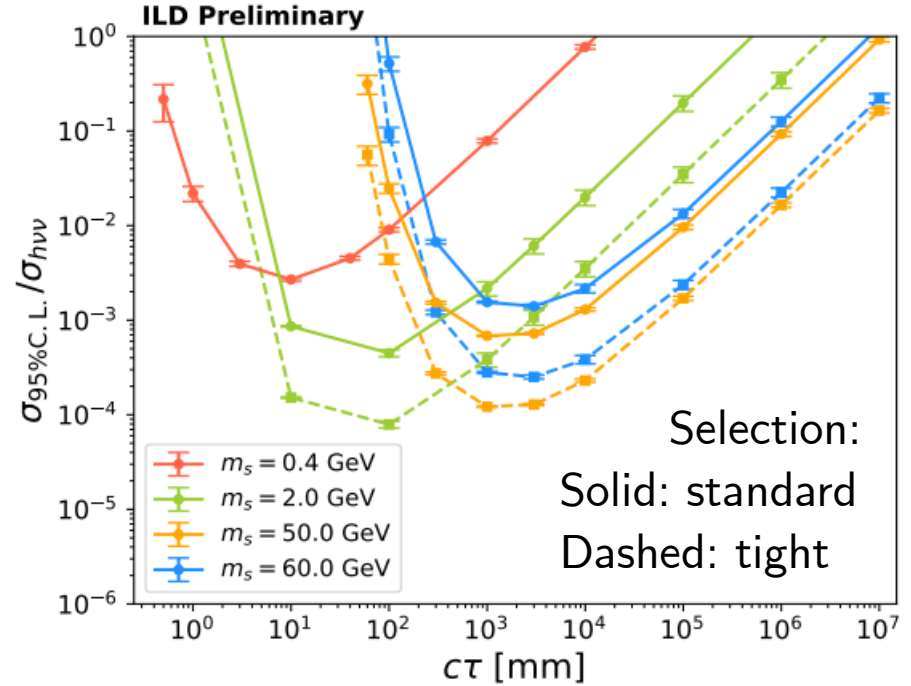
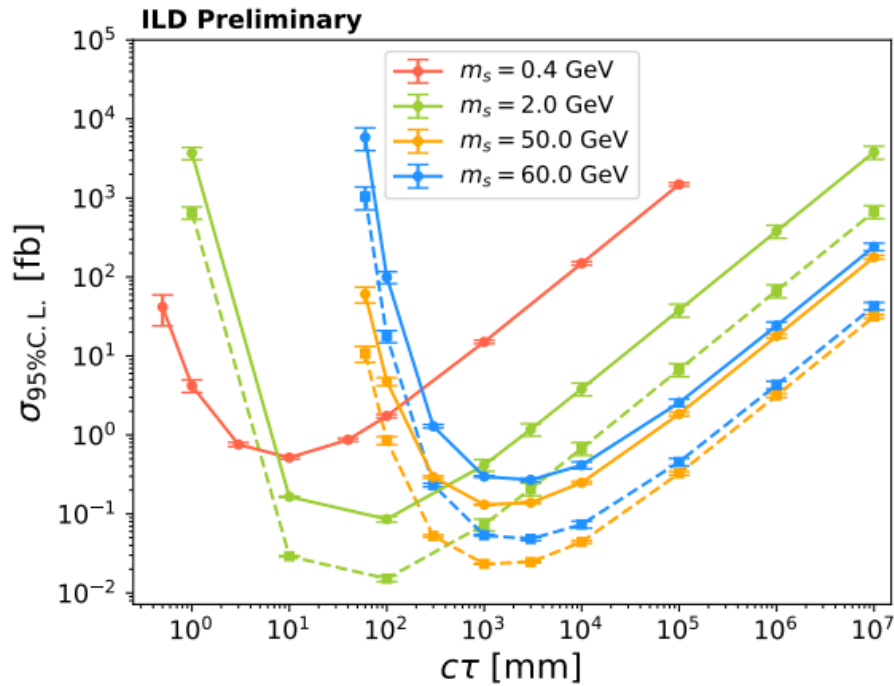
$m_s = 400 \text{ MeV}$



$m_s = 2 \text{ GeV}$

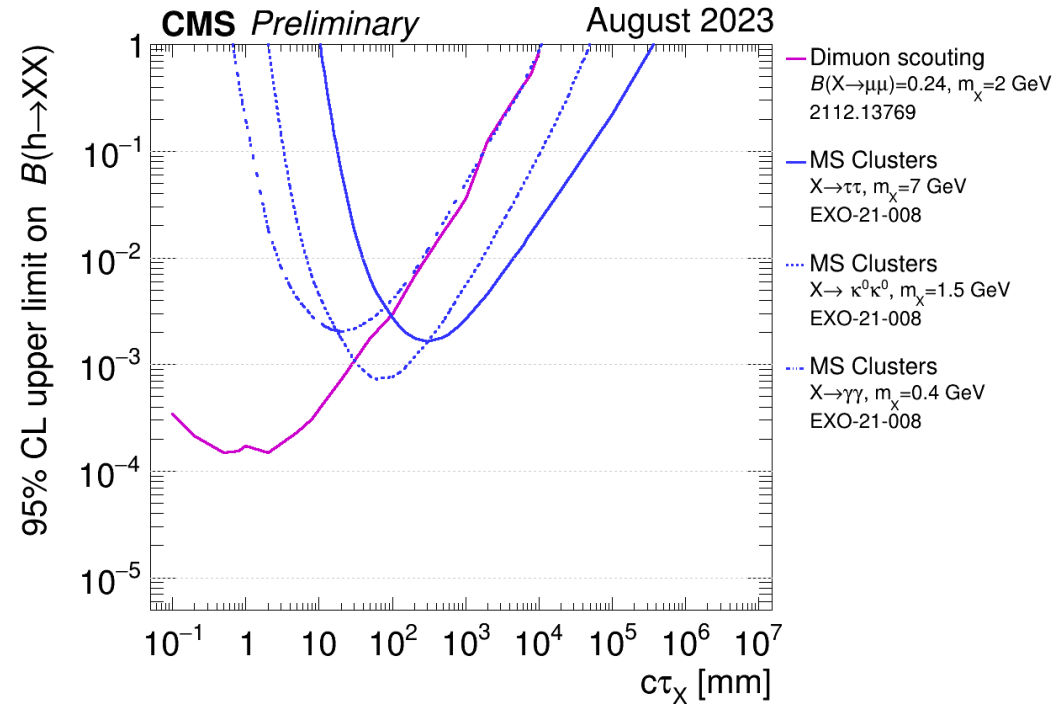
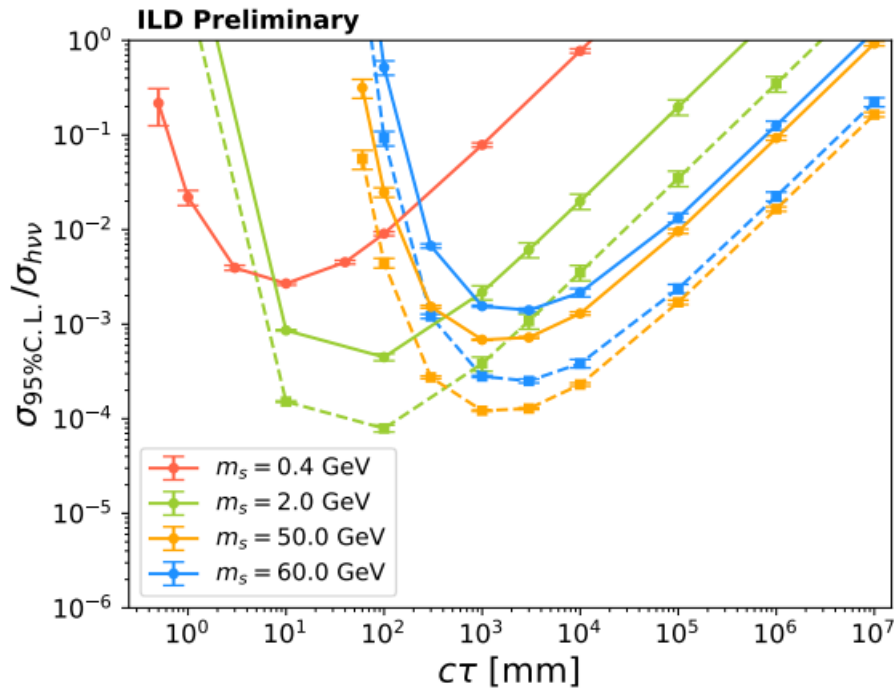


- Efficiency = (correct / decays within TPC acceptance), "correct" if distance to the true vtx < 30 mm
- Tight selection cut on invariant mass assuming tracks are pions/electrons,  $M > 700 \text{ MeV}$ , "kills" the 400 MeV scenario, the rest of scenarios remain almost intact



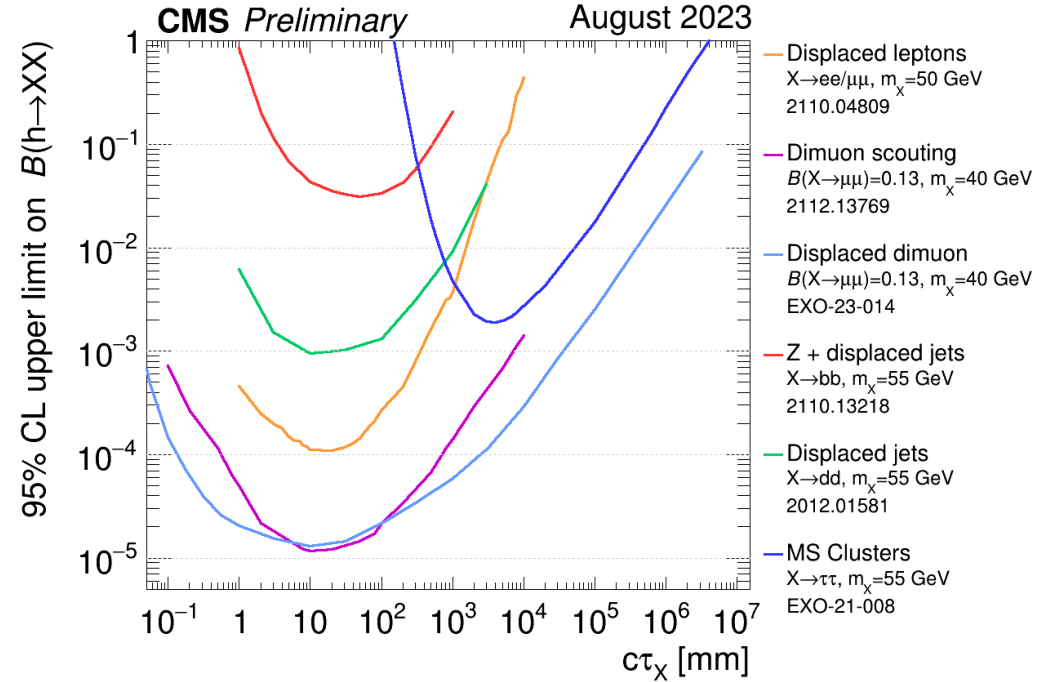
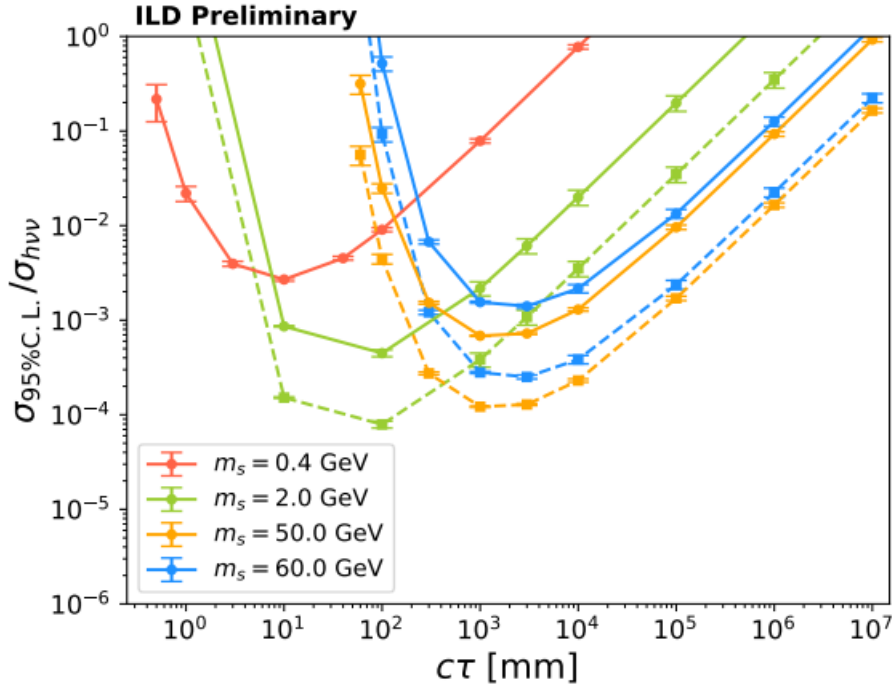
- As before: event reweighting performed to obtain limits for a range of scenarios
- Branching ratios at  $10^{-4}$  can be probed even up to decay lengths above 10 m

# 95% C.L. limits



- ILD @ ILC250 can improve the CMS reach for higher lifetimes thanks to TPC acceptance, but does not go down with the current limit
- This could be improved by searches using vertex detector and more data at higher energies

# 95% C.L. limits



- With different assumptions, CMS can provide even better limits
- For higher masses, ILD again improves the reach for higher lifetimes

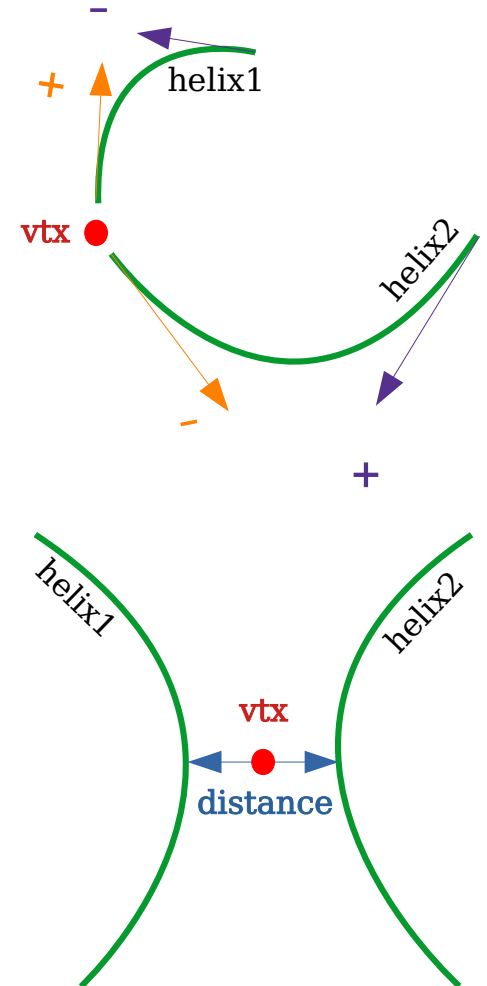
- LLP analysis extended to Higgs decays to long-lived scalars
- Channel-specific cuts added assuming  $HZ \rightarrow H\nu\nu$  decay
- Conservative estimates show ILD @ ILC250 can extend existing limits to higher lifetimes with minimal assumptions
- In more optimistic scenario with zero-background regime, the limits could be improved by almost an order of magnitude



# BACKUP

Approach as simple and general as possible:

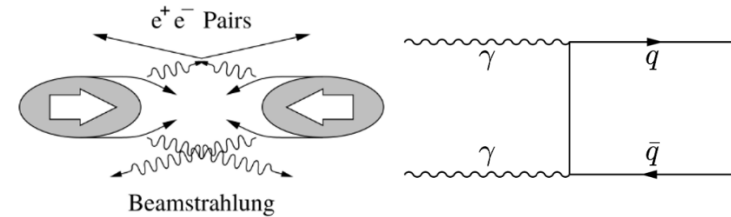
- Consider tracks in pairs
- As the TPC is not sensitive to track direction:
  - use **both track direction** (charge) **hypothesis** for vertex finding
  - consider opposite-charge track pairs only
  - select pair with **closest starting points**
- Reconstruct vertex in **between points of closest approach** of helices
  - Require distance  $< 25$  mm



# Overlay events background

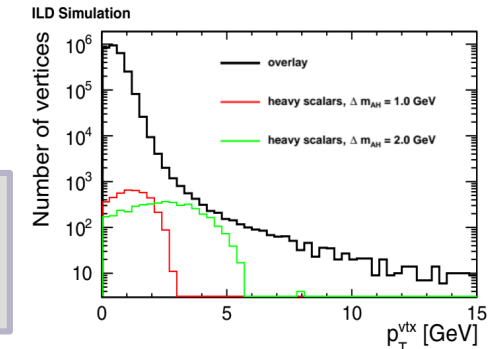
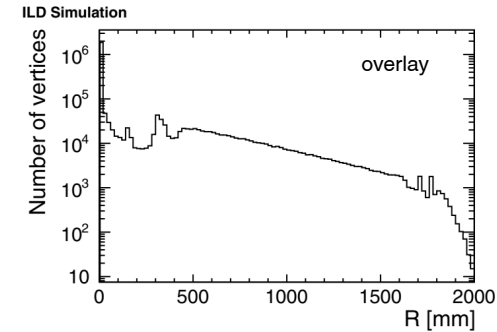
At linear  $e^+e^-$  colliders beams are strongly focused and radiate photons, so  $\gamma\gamma$  interactions also occur in detector. On average, in each bunch-crossing (BXs) at ILC, produced are:

- **1.55  $\gamma\gamma \rightarrow$  low- $p_T$  hadrons** events
- **$O(10^5)$  incoherent  $e^+e^-$  pairs**, only a small fraction enters detector



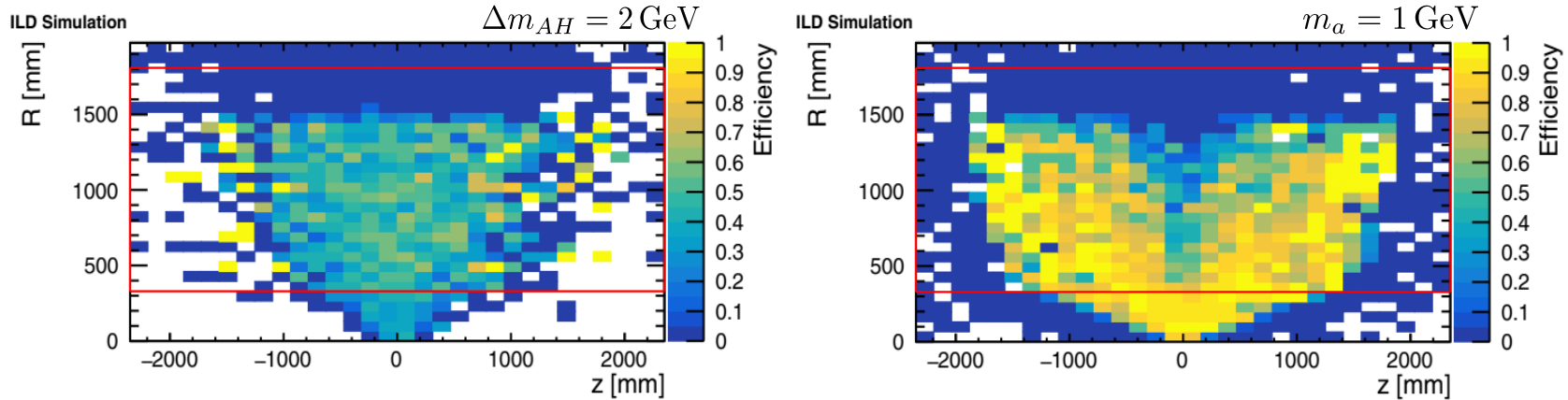
These events are soft, usually important because they **overlay** on physical events  
 ...but can also look like signal on their own

- $\sim 10^{11}$  BXs per year at ILC  $\rightarrow$  overwhelming number of overlay events
- Similar kinematics to the signal considered and can be busy
  - $\rightarrow$  many secondary vertices (mostly fake, also  $V^0$ s and photon conversions)
  - $\rightarrow$  significant background



- Can be suppressed using cuts on the track pair geometry and  $p_T^{vtx} > 1.9$  GeV
- Total expected reduction factor at the level of  $\sim 10^{-9}$

# Vertex finding results

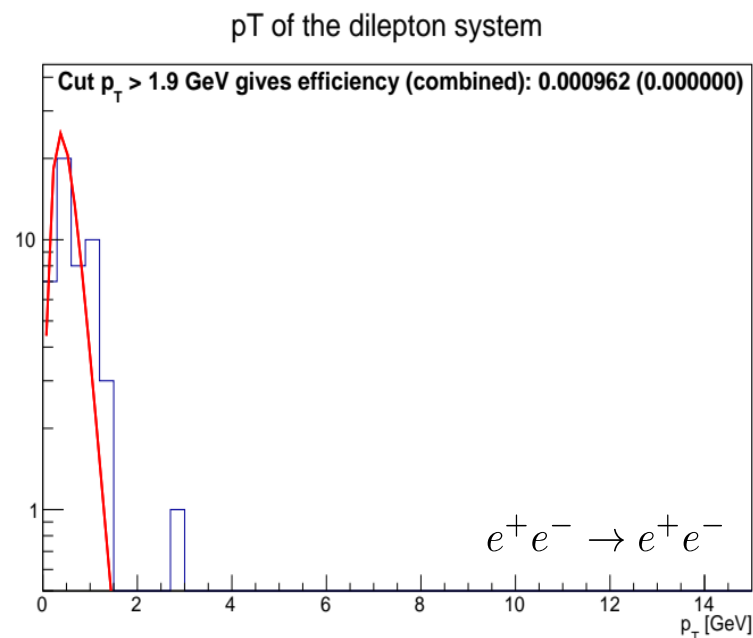
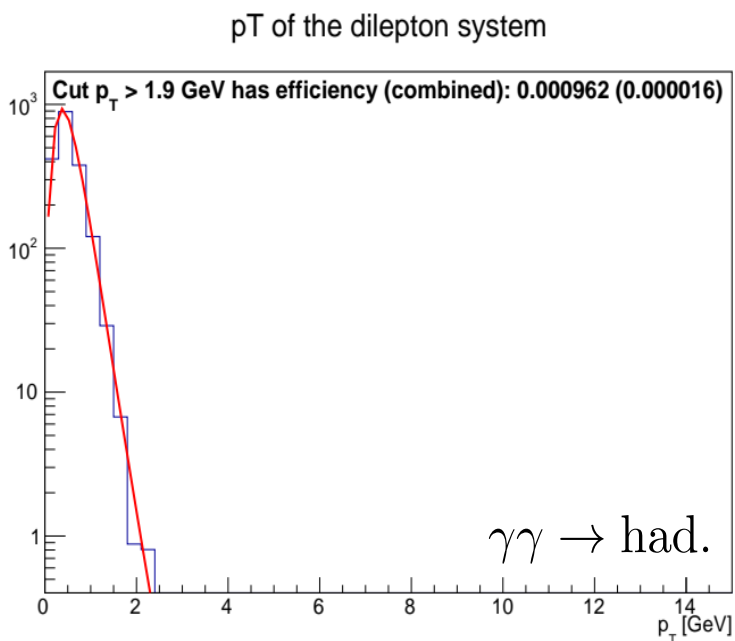


$\Delta m_{AH}$ [GeV]	1	2	3	5
Efficiency (standard) [%]	3	33.2	43.4	51.1
Efficiency (tight) [%]	0.4	28.3	40.7	50.2
$m_a$ [GeV]	0.3	1	3	10
Efficiency (standard) [%]	7.4	48.4	61.7	65.8
Efficiency (tight) [%]	–	47.3	61.7	65.8

- Efficiency = (correct / decays within TPC acceptance), "correct" if distance to the true vtx < 30 mm
- **Signal selection** depends strongly on the **mass splitting** ( $Z^*$  virtuality) and **mass** of  $a$  (final state boost)
- A dedicated approach could enhance sensitivity for  $\Delta m_{AH} = 1 \text{ GeV}$  and  $m_a = 300 \text{ MeV}$  scenarios

# Final selection – pT

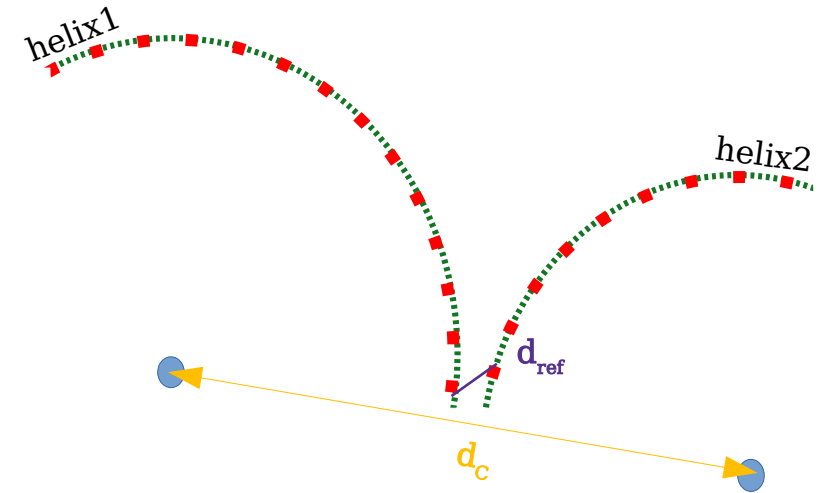
- We consider  $\gamma\gamma \rightarrow \text{had.}$  and  $e^+e^-$  samples separately
- Estimated background eff. from fitted distributions  $\sim 10^{-3}$  ( $\sim 10^{-5}$ – $10^{-7}$  with preselection)
- Very **small statistics** in  $e^+e^-$  sample after preselection  $\rightarrow$  fit shape from  $\gamma\gamma \rightarrow \text{had.}$  with floating normalisations



Norm = number of events, scaled by corresponding Poisson expectation values

- At least one more (independent) variable needed to achieve the assumed reduction
- We expect that **signal** tracks should come out of a single point → **reference points should be close**
- In busier background events, still many tracks evade the cuts – e.g. curlers, secondary decays

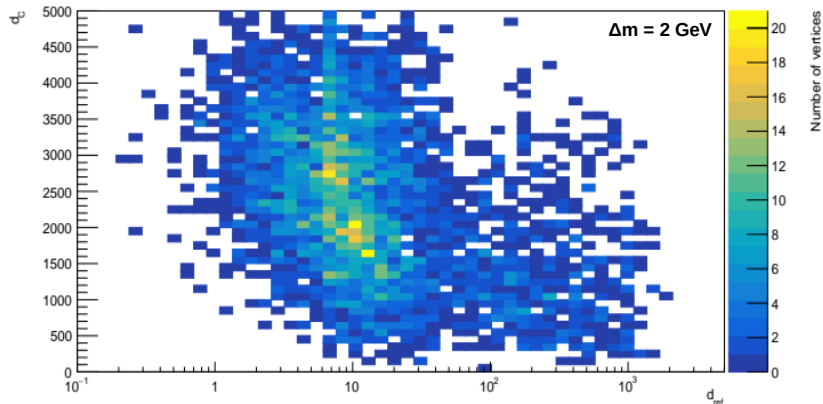
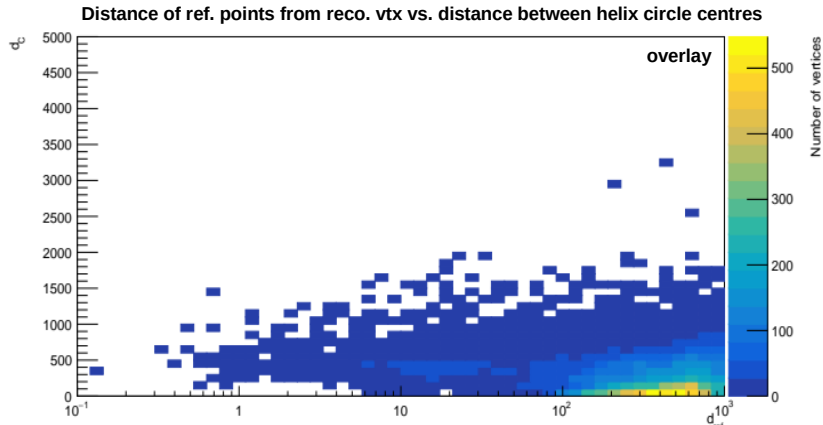
→ either **far reference points** or **close centres of helices**



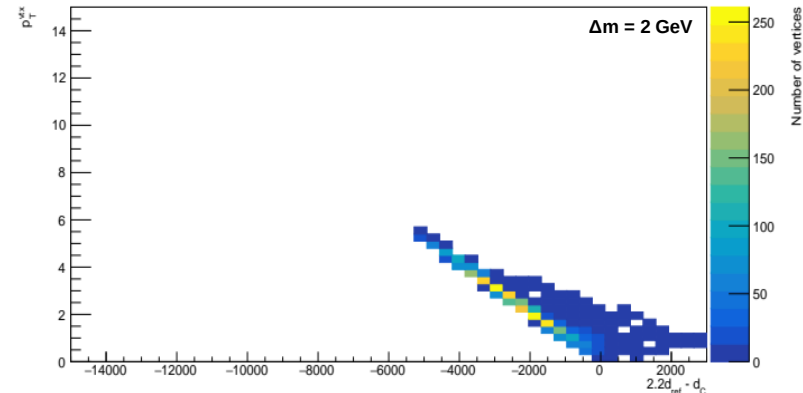
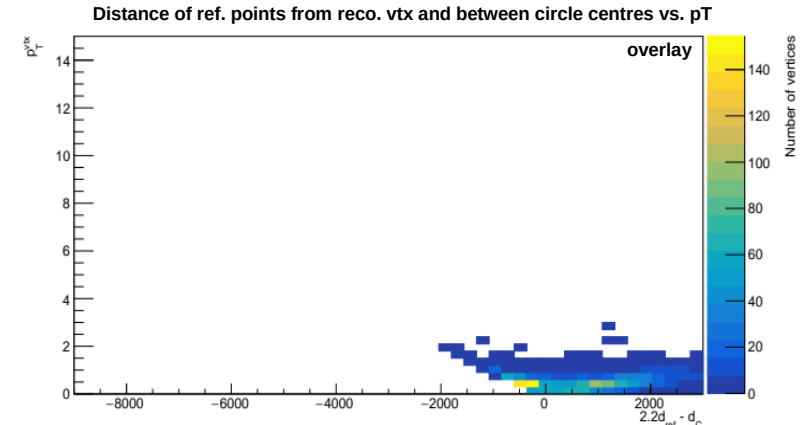
- $d_{ref}$  – distance between reference points (TrackStates / first hits)
- $d_c$  – distance between centres of helices projections into XY plane

# Final selection – second variable

- New variable(s) should be uncorrelated with  $p_T$  to make the cuts independent
- $2.2d_{ref} - d_C$  good for optimal signal-background separation → use it to look for correlation



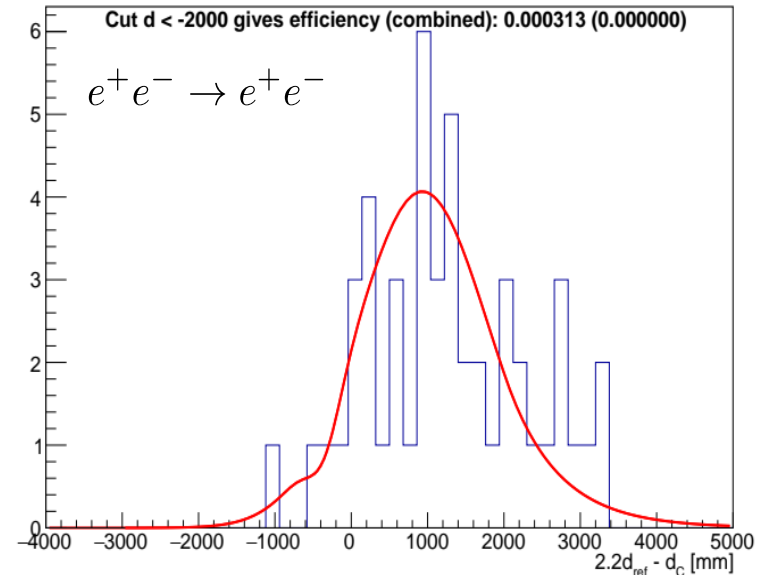
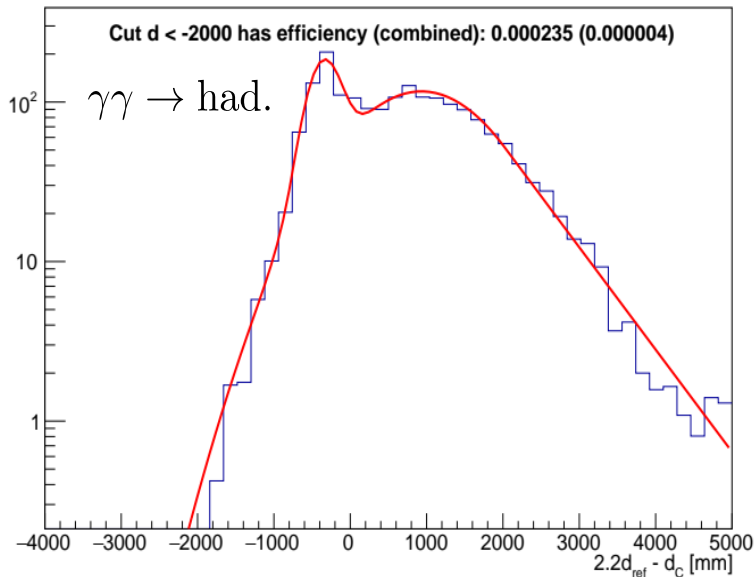
Warp and check correlation with  $p_T$



- Small correlation for the background
- Signal strongly correlated

# Final selection – second variable

- Same approach as for the  $p_T$
- For  $2.2d_{\text{ref}} - d_C < -2000$  mm, **signal eff.  $\sim 37\%$**  ( $\Delta m = 2$  GeV)
- Estimated background eff. from fitted distributions  $\sim 10^{-4}$  ( $\sim 10^{-6}$ – $10^{-7}$  with preselection)
- Total expected efficiency at the level of  **$\sim 10^{-9}$**  ( $\sim 10^{-10}$ ) for  **$\gamma\gamma \rightarrow \text{had.}$**  ( $e^+e^-$  pairs)



Norm = number of events, scaled by corresponding Poisson expectation values



For small correlations  $r$  between  $x$  and  $y$ , total selection efficiency can be described as

$$\epsilon_{xy} = \epsilon_y^{(1-r)} \epsilon_x, \quad \epsilon_x > \epsilon_y$$

For cuts on  $\mathbf{p}_T$  and  $2.2\mathbf{d}_{\text{ref}} - \mathbf{d}_C$  (slide 5), assuming **30% correlation**, for  $\gamma\gamma \rightarrow \text{had. (e}^+\text{e}^- \text{ pairs)}$  that gives:

- $2.8 \cdot 10^{-6}$  ( $3.4 \cdot 10^{-6}$ )
- $4.6 \cdot 10^{-8}$  ( $1.7 \cdot 10^{-9}$ ) ← combined with preselection

Combined cut efficiency  $x > 2 \cap y > 3$

