

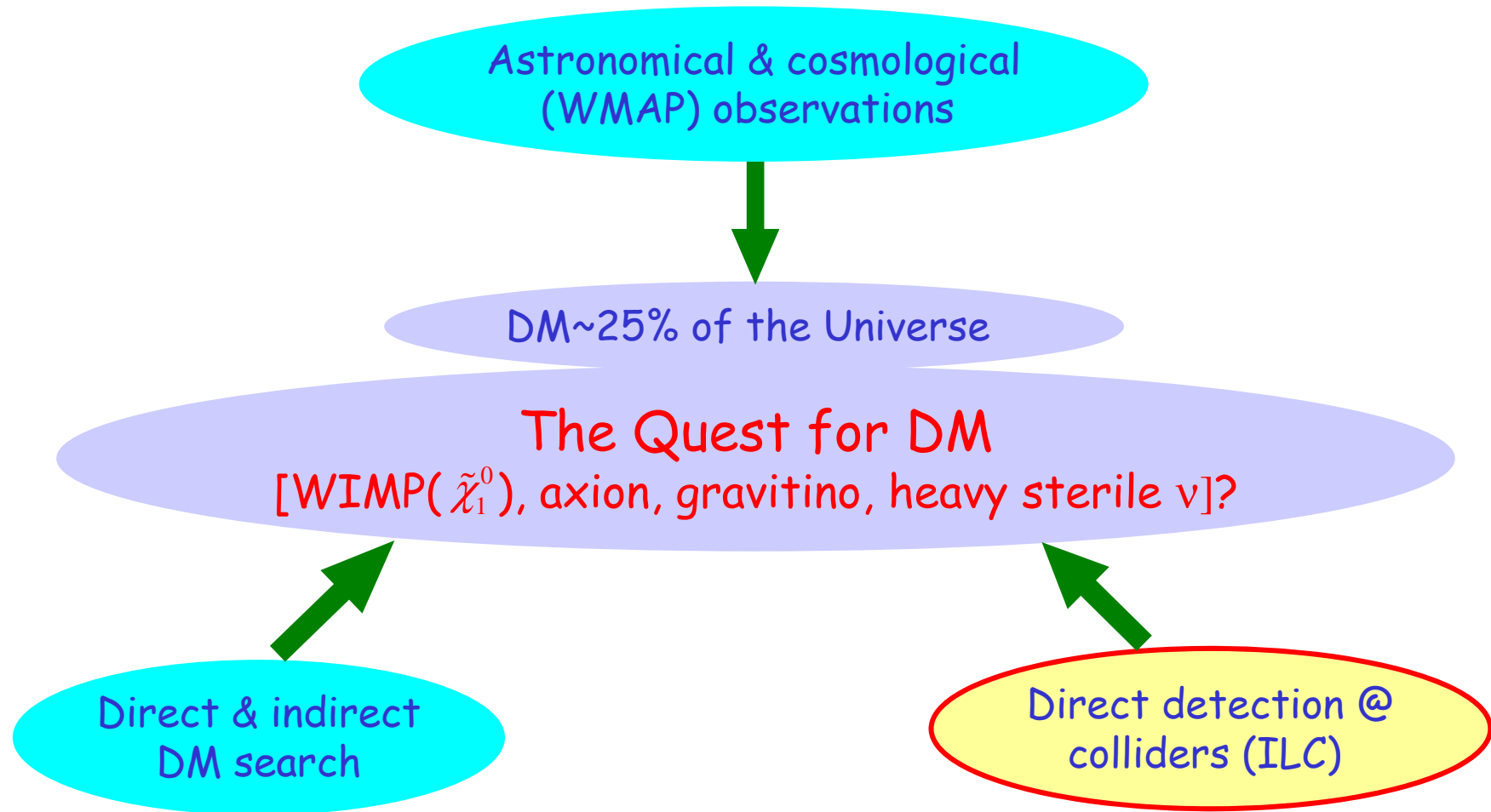
Importance of the FCAL (BeamCal) for SUSY Dark Matter Scenarios at ILC

- Motivation
- Unique role of the BeamCal in vetoing SM backgrounds
- Why PID capability desired
- Summary

Based on

1. P. Bambade, V. Drugakov, W. Lohmann, physics/0610145
2. Z. Zhang, LCWS07 contribution + earlier studies

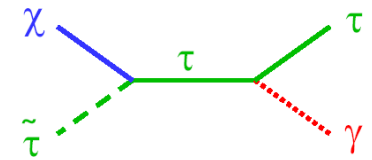
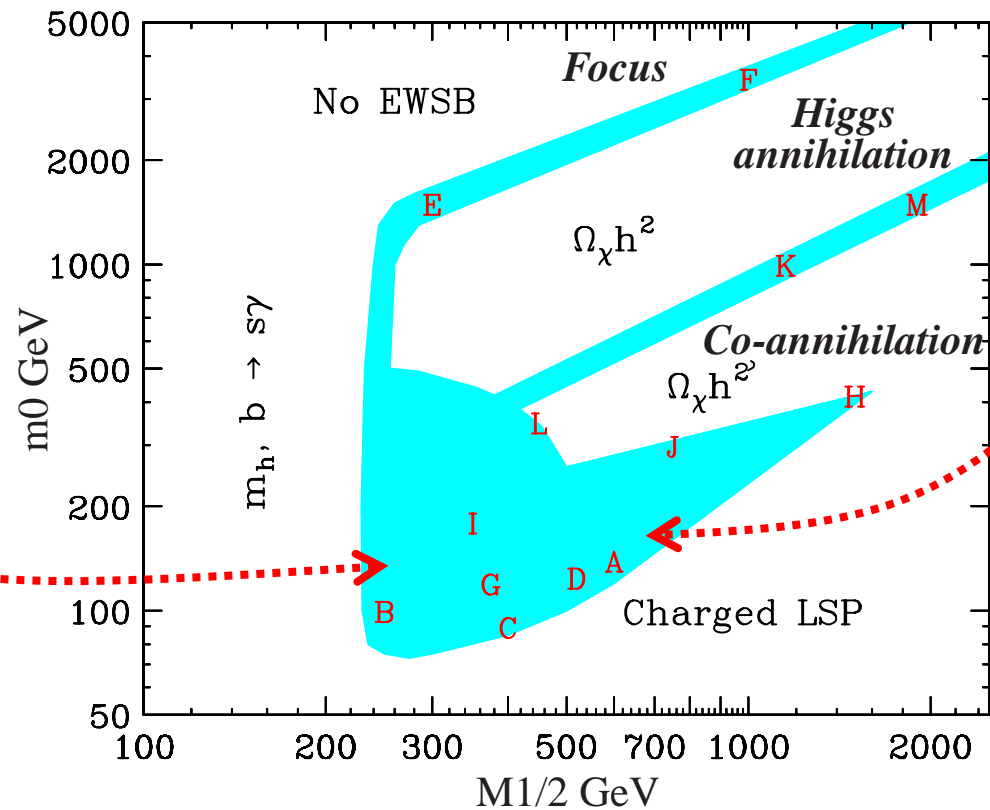
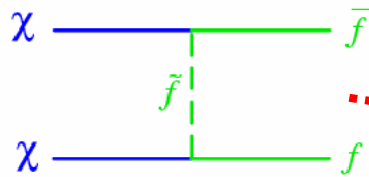
Motivation



mSUGRA SUSY DM Scenarios after WMAP

Benchmark points:

Battaglia-De Roeck
Ellis-Gianatti-Olive
-Pape,
hep-ph/0306219



important
when
 $\Delta M = m_{\text{stau}} - m_\chi$
is small

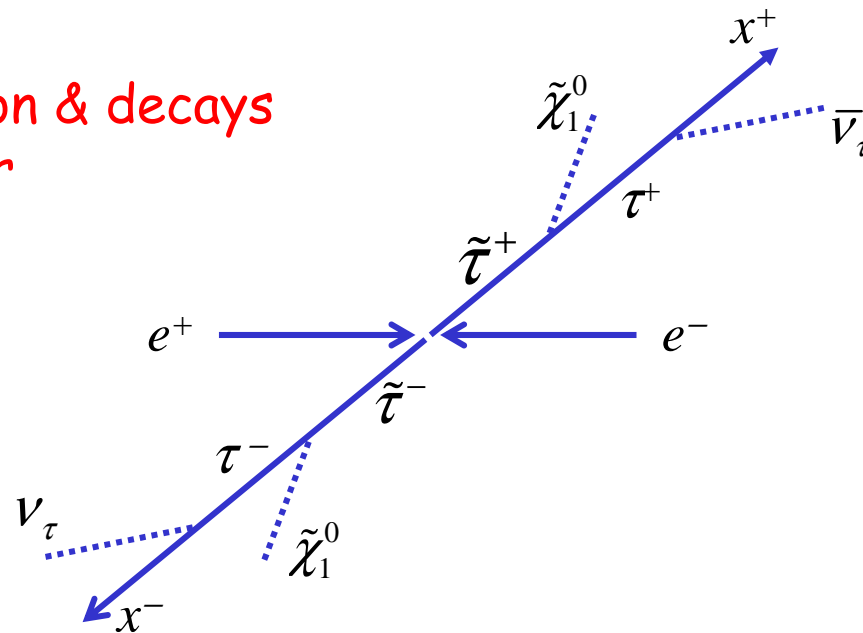
Challenging
scenarios

→ The precision on SUSY DM prediction depends on ΔM & thus

- δm_χ → Needs smuon (or selectron) analysis (relatively easy → skipped)
- δm_{stau} → Needs stau analysis

Expected Signature at an ILC Detector

Stau production & decays
@ e^+e^- collider



- Difficulty n° one:
Missing energy from both LSP $\tilde{\chi}_1^0$
and neutrino(s) in tau decay final state
- Difficulty n° two:
Large SM background contributions

Cross Sections: Signal versus SM Backgrounds

- Signal (Scenario D'): $m_{\tilde{\tau}^0} = 217\text{GeV}$, $m_{\tilde{\chi}_1^0} = 212\text{GeV}$

Ecm (GeV)	Beam Pol.	σ (fb)
442	Unpol.	0.456
500	Unpol.	10
500	0.8(e-)/0.6(e+)	25
600	Unpol.	20
600	0.8(e-)/0.6(e+)	50

➔ Method one: Optimal Ecm
(hep-ph/0406010)

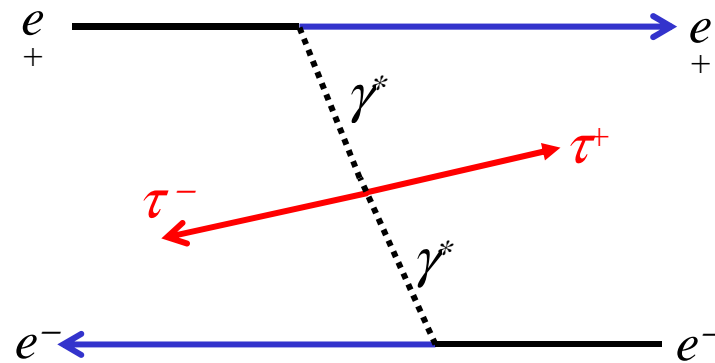
Method two: Large Ecm
(hep-ph/0608226)

- SM Backgrounds:

$\gamma^*\gamma^* \rightarrow \tau^+\tau^- (E_\tau > 4.5\text{GeV})$: $\sigma \sim 4.3 \times 10^5 \text{ fb}$
 $\rightarrow \mu^+\mu^- (E_\tau > 2\text{GeV})$: $\sigma \sim 5.2 \times 10^6 \text{ fb}$
 \rightarrow hadrons (direct*direct dominant)
 ccbar $\sigma \sim 8.2 \times 10^5 \text{ fb}$
 $\rightarrow \text{WW}$
 $e^+e^- \rightarrow \mu^+\mu^-, \tau^+\tau^-$: $\sigma \sim 1.0 \times 10^3 \text{ fb}$
 $\rightarrow \text{WW}$

Example: Dominant $\gamma\gamma$ Background

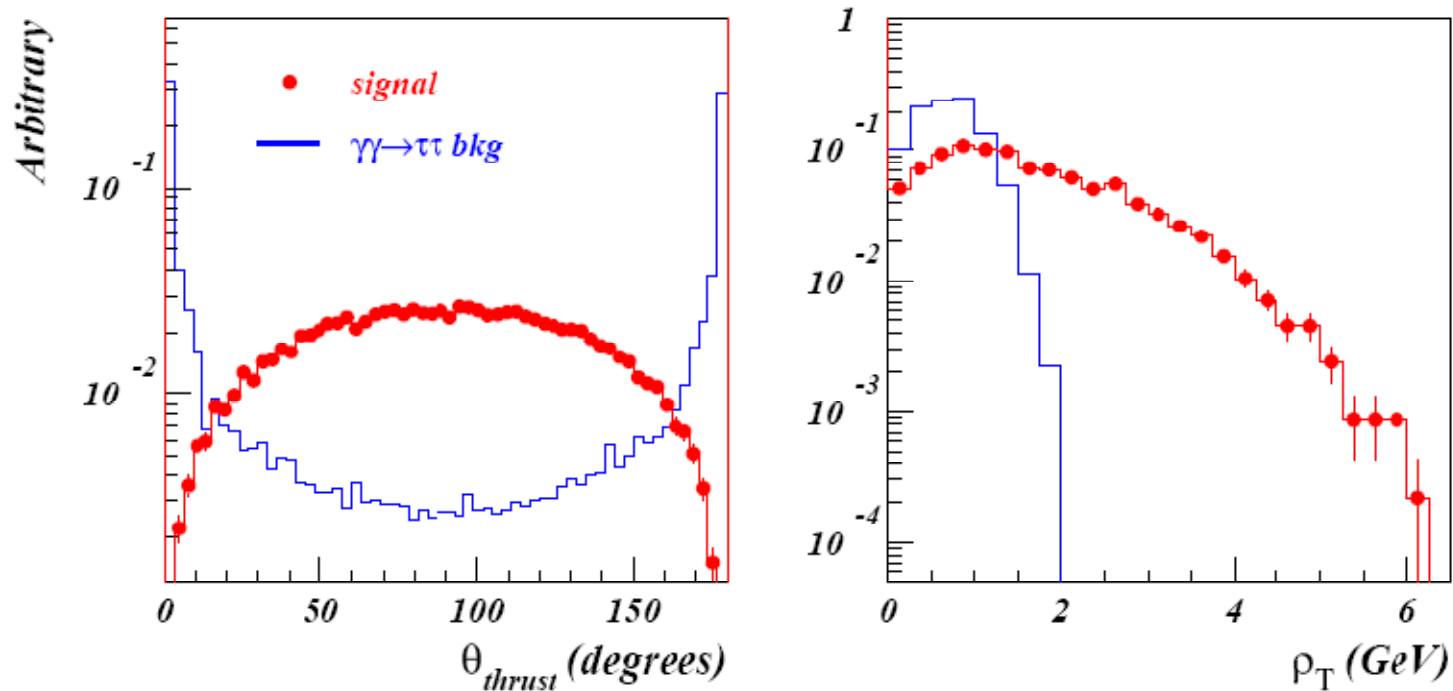
SM background production & decays @ e^+e^- collider



- **Tau decay final states:**
Measured in the main detector
- **Spectator e^+ and e^-**
Mostly going into the BeamCal

Background Rejection

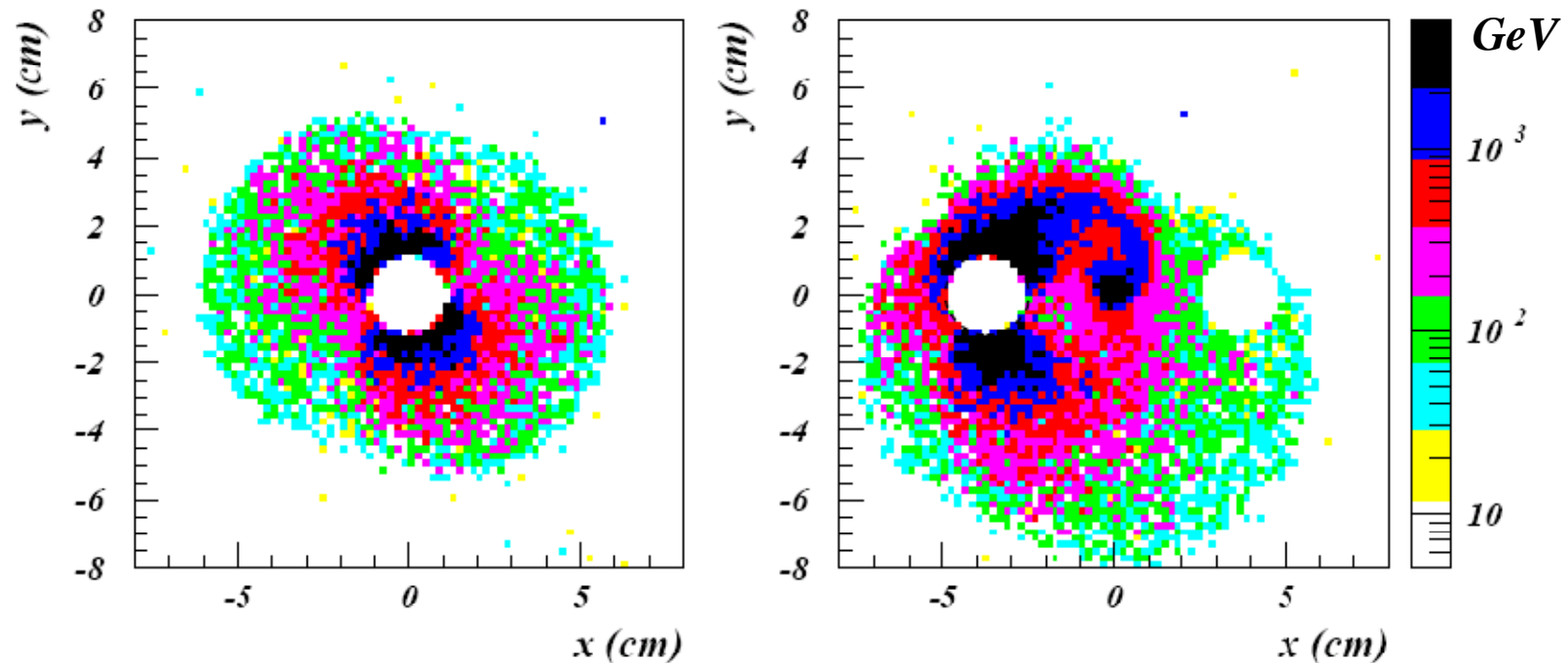
- Analysis cuts relying on the main detector



- ➔ A big fraction of background can be rejected using these cuts but not sufficient for a quasi-background free analysis
- ➔ Forward veto is needed

Forward (BeamCal) Veto

- ❑ Identify energetic spectator e^+ and/or e^- from $\gamma\gamma$ events
- ❑ Complication from beamstrahlung



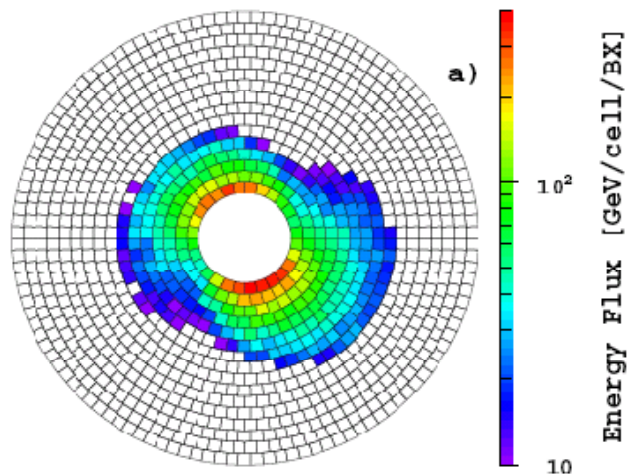
→ Very challenging to have a radiation hard yet a very efficient BeamCal for e/γ ID

Forward (BeamCal) Veto Efficiency

A study by P. Bambade, V. Drugakov, W. Lohmann, physics/0610145:

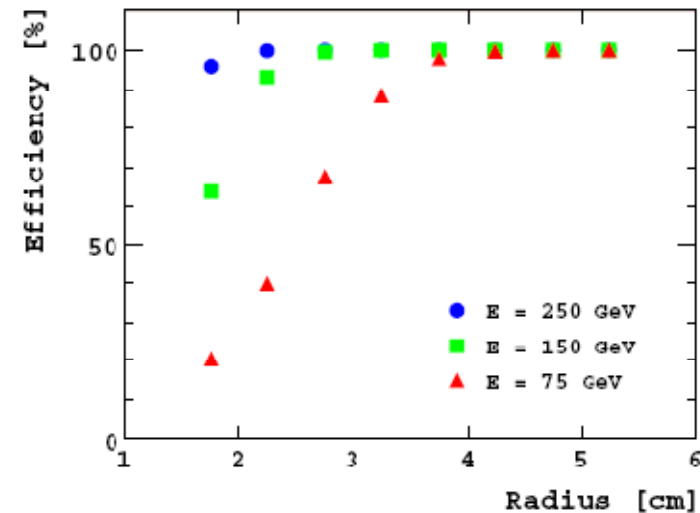
- Fine granularity tungsten/diamond sample calorimeter @ 370cm from IP
- Design depends on beam configuration

BeamCal @ 370cm



Identify spectator e^+/e^- out
of huge beamstrahlung e^+e^- pairs

e/γ VETO efficiency



Efficiency is energy and angle
dependent

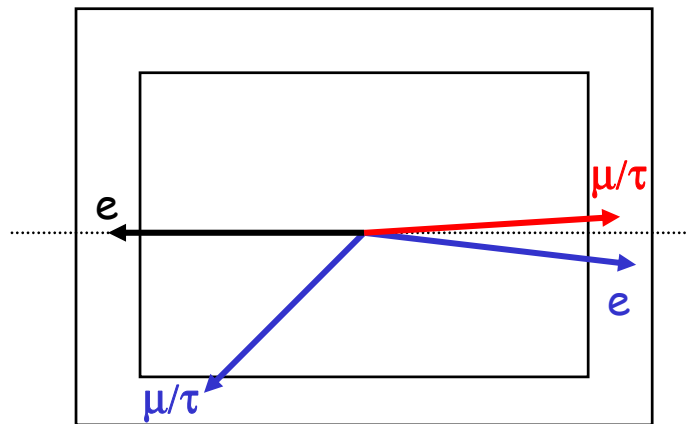
Vetoing Energetic μ/π Down to 20mrad?

Background free stau detection needs this capability:

$ee \rightarrow ee\mu\mu$, $ee \rightarrow ee\tau\tau$:

$\mu+e$ or $\tau+e$ visible in the detector \rightarrow signal like

Another e in the beam-pipe, another μ or $\tau \rightarrow \mu/\pi$ (energetic) @ low angle



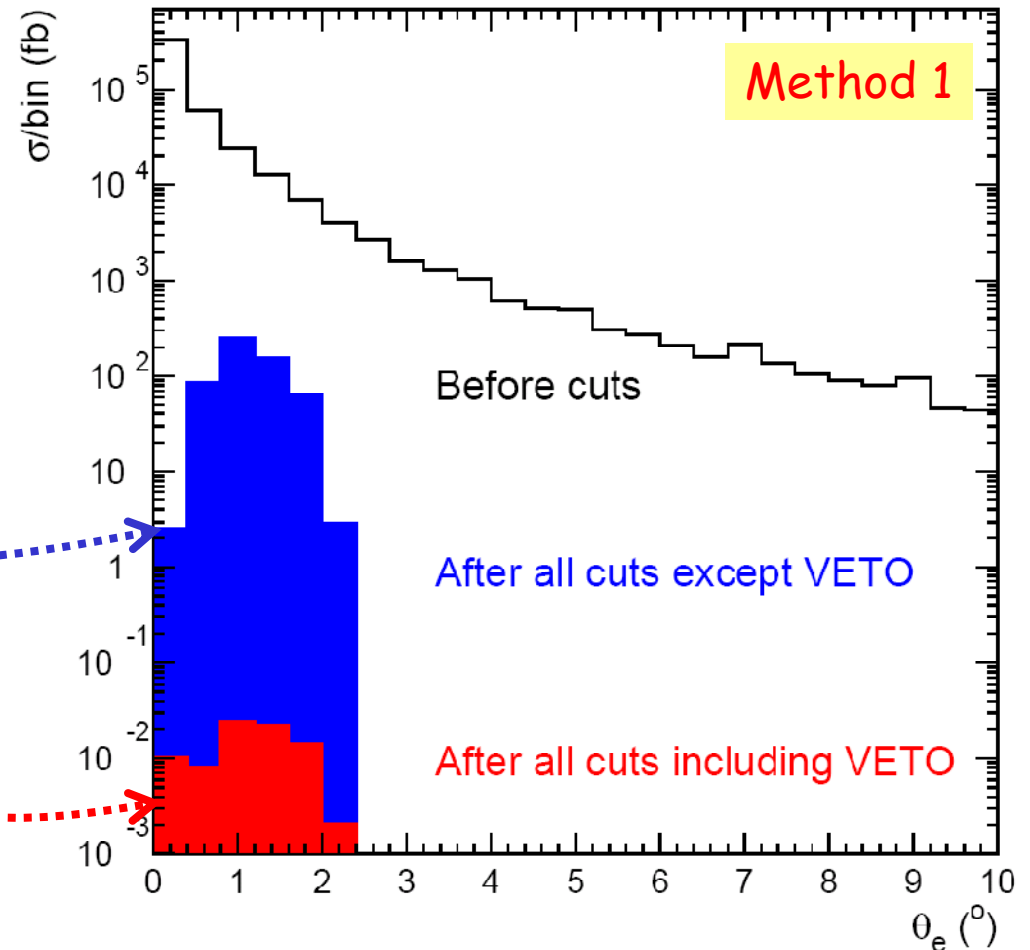
\rightarrow This capability will significantly improve signal selection efficiency (otherwise eX & $\mu\mu$ topologies have to be excluded)

Summary on Final Selection/Rejection

SM background $\gamma\gamma \rightarrow \tau\tau$ generated at E_{cm} of 500GeV

Method	1	2
$\sigma_{signal}[fb] * \epsilon_{eff}$	0.456*5.7%	10*6.4%
$\sigma_{bkg}[fb]$ (w/o VETO)	561	168
$\sigma_{bkg}[fb]$ (+VETO)	0.08	0.26
S/B	~0.3	~2.5

The angular distribution of spectator e^\pm



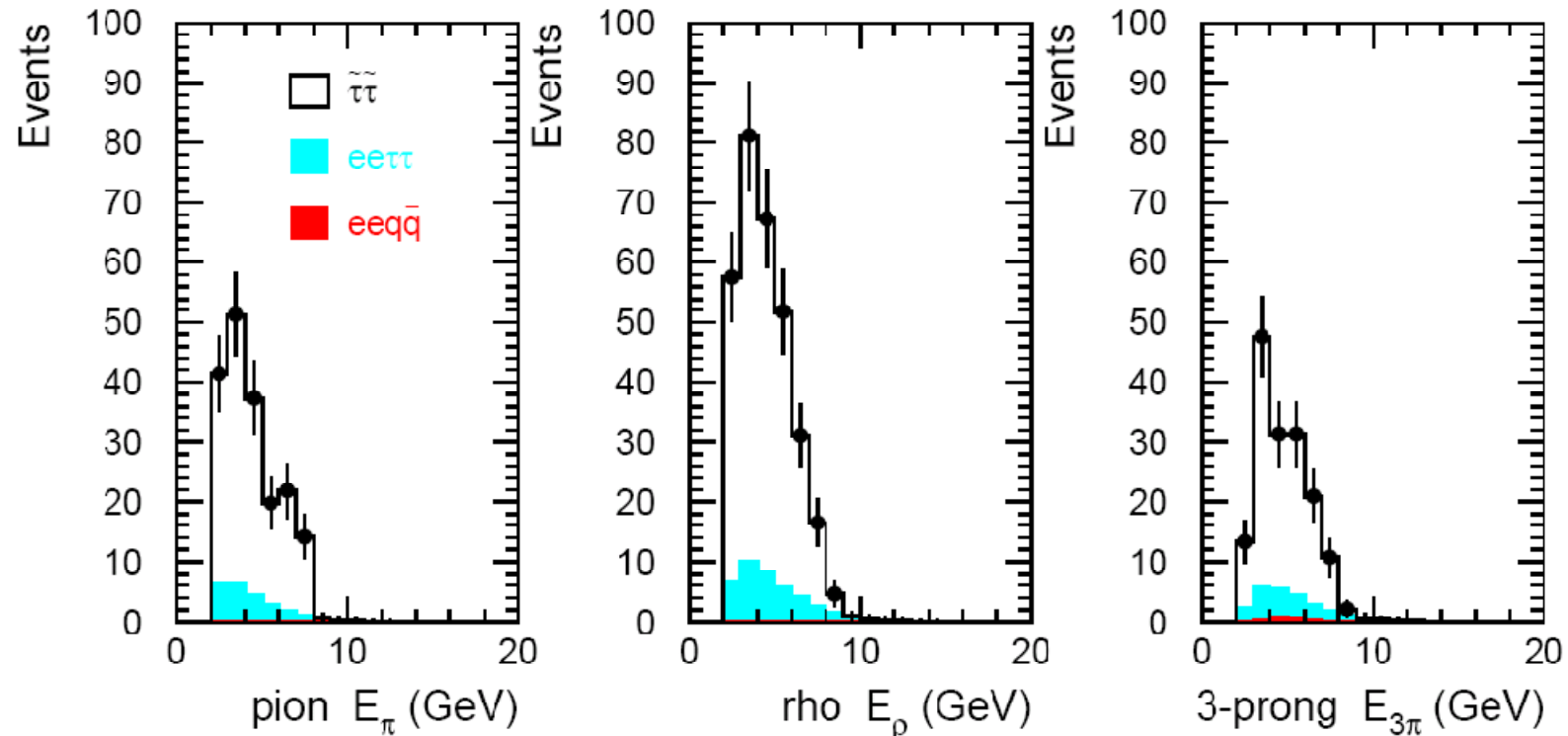
→ VETO eff. is pretty good for method 1 but needs improvement for method 2

Energy Spectrum with Realistic VETO

$E_{cm}=500\text{GeV}$, $L=300\text{fb}^{-1}$, Polarization: 80% (e^-), 60% (e^+)

Method 2

After all cuts including VETO



→ With realistic VETO efficiency, SM background contributions remain under control

Results on Relic DM Density

Method one:

		(L=500fb ⁻¹)				
Scenario		A	C	D	G	J
ΔM	(GeV)	7	9	5	9	3
Ecm	(GeV)	505	337	442	316	700
σ	(fb)	0.216	0.226	0.456	0.139	3.77
Efficiency (%)		10.4	14.3	5.7	14.4	<1.0
δm_{stau}	(GeV)	0.49	0.16	0.54	0.13	>1.0
$\delta\Omega h^2$	(%)	3.4	1.8	6.9	1.6	>14*

Method two:

		(L= 200fb ⁻¹)			(300fb ⁻¹)			
Scenario		Modified SPS 1a			D			
ΔM	(GeV)	8	5	3	5			
Ecm	(GeV)	400			600	500		
Pol 0.8(e-)/0.6(e+)		yes	yes	yes	yes	no	yes	
σ	(fb)	140			50	20	25	
Efficiency (%)		18.5			7.6	7.7	6.4	
δm_{stau}	(GeV)	0.14	0.22	0.28	0.15	0.11-0.13	0.14-0.17	0.13-0.20
$\delta\Omega h^2$	(%)	1.7*	4.1*	6.7*	1.9	1.4-1.7	1.8-2.2	1.7-2.6

*: $\Omega h^2 < 0.094$ (WMAP lower limit)

Uli

This analysis

Summary

- ❑ Excellent veto efficiency of the BeamCal is a must
- ❑ μ/π PID capability is also desirable
- ❑ Depending on SUSY scenario, DM density precision @ ILC can compete with expected precision from e.g. Planck