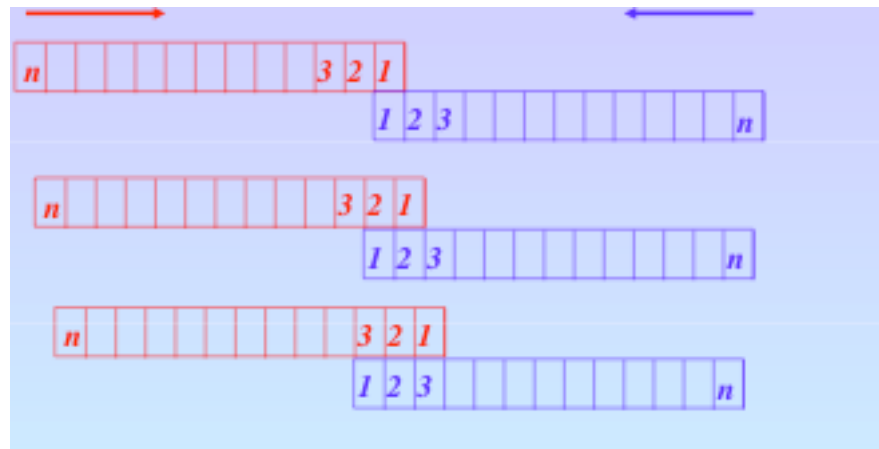


# Optimisation of computing time

- How does GuineaPig work?
  - bunches are cut into slices which are moved longitudinally and interact when they are in the same transverse plan



# Optimisation of computing time

- for each slice-slice interaction
  - particles are distributed on the grid
  - integration of the field equation
  - particles are moved and photons are generated
  - e-e+ interaction: luminosity, ...
  - if asked
    - photons are distributed and moved on the grid
    - if asked, pairs are generated and moved

# Optimisation of computing time

- runs with GuineaPig++ : total time consists of the elapsed real time between invocation and termination
- computation time (% of total time)

$nx=32; ny=32; nz= 32$

	$nm= 10,000$	$nm= 100,000$ particles
distribute particles	11.7%	2.3%
fftw	15%	0.5%
distribute photons	6.7%	15%
generate pairs	40%	80%
tracking pairs	22%	0.5%

# Optimisation of computing time

$nx=32; ny=64; nz= 32$

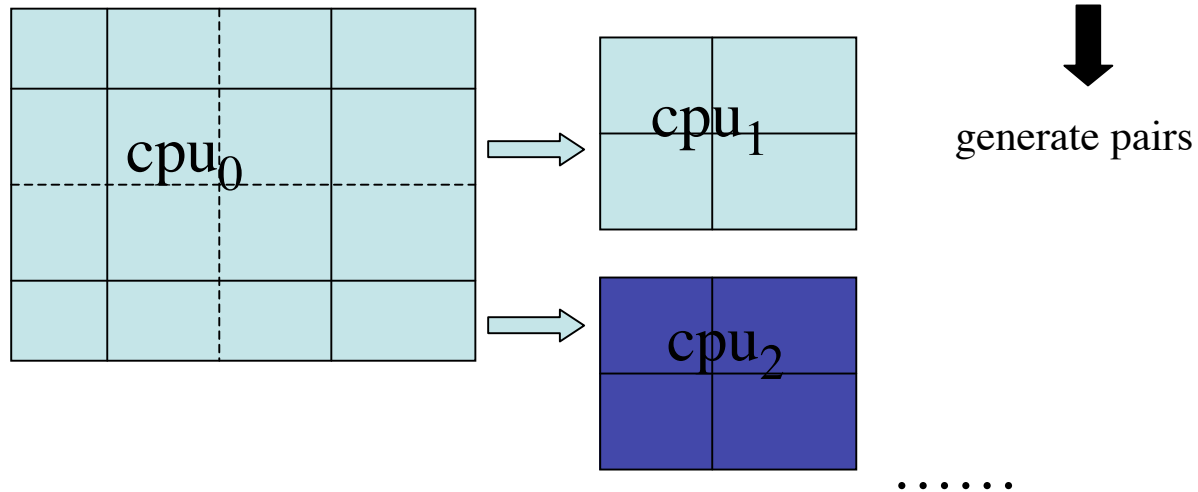
$nm= 100,000$

distribute particles	4.4%
fftw	1.7%
distribute photons	13.9%
generate pairs	76.82%
tracking pairs	0.86%

# Optimisation of computing time

- Distribute particles among processes
  - assign processes to each part of cells

master: particles+photons  $\longrightarrow$  workers: photons+virtual photons



# Optimisation of computing time

- with particles & photons received on each process, the pairs are generated
- track the pairs, assuming the field is known on each process

# Optimisation of computing time

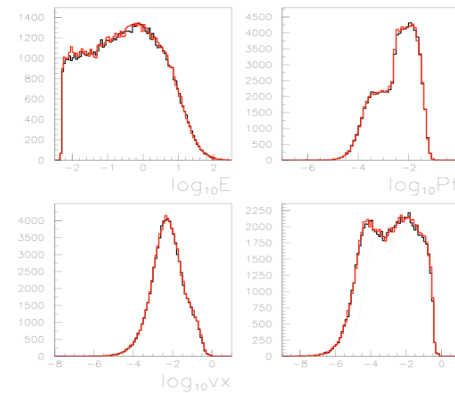
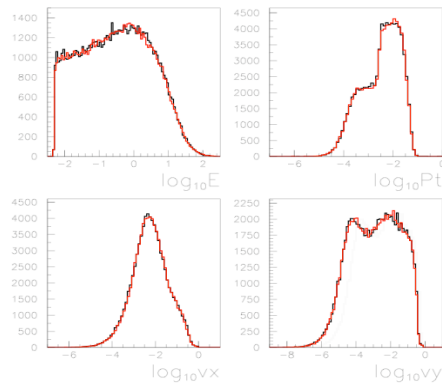
- Tests for 2 types of decomposed domain:
  - domain is divided into 4 parts  $[0, nx/2] \times [nx/2, nx] \cup [0, ny/2] \times [ny/2, ny]$  and each part is assigned to a process (*type 1*)
  - cells are distributed on processes taking into account the number of particles in the cells. A good distribution of the load on each process is expected (*type 2*)

# Optimisation of computing time

On the figures are plotted logarithmic distributions of pairs energy, transverse momentum, velocities  $v_x$  and  $v_y$  produced with g++ and with the two types of decomposition and using 1 or 4 processes (CPUs)

type1: 1cpu(in black)/4 cpus(in red)

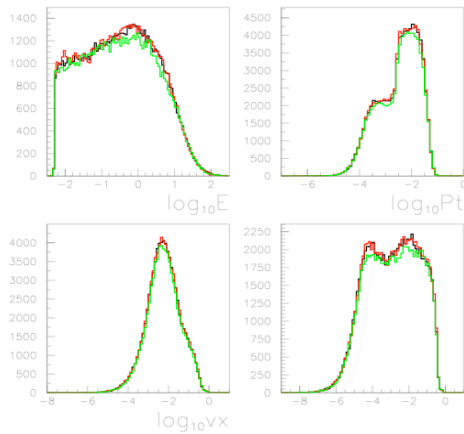
type 1(in black)/type 2 (in red)



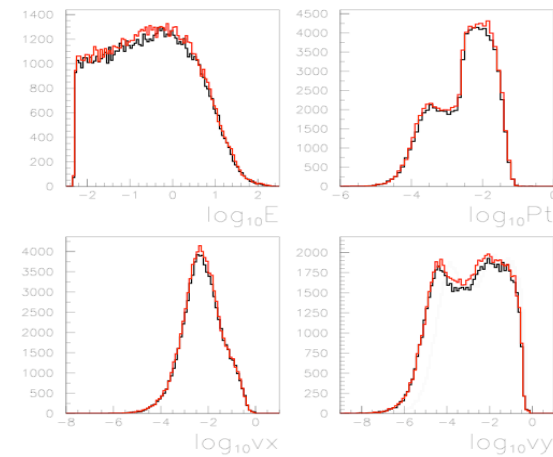


# Optimisation of computing time

type 1 (in black)/type 2 (in red)  
& gp++ (in green)



gp++ (in red)/type 1 (in black)  
with 100,000 particles



# Optimisation of computing time

- expect good speedups:
  - test with 100,000 particles and a grid dimension with  $nx=32;ny=64;nz=32$ 
    - g++ 1635s
    - type 1 with 4 CPUs = 606s (63%)
    - type 2 with 4 CPUs = 936s (43%)

# Optimisation of computing time

- Conclusion
  - transfert of particles are accomplished in MPI
  - focus on others approaches in the distribution of particles