

ILD NA meeting

1. General remarks about LoI process
2. Some explorations in Higgs-land

- What's important ?

$\gamma\gamma$ may be important, how well can it be measured and how does it impact detector design.

Graham W. Wilson, Univ of Kansas

How to contribute to ILD LoI ?

- Get involved in Detector Optimization Working Group.
- Currently the main focus is on identifying physics channels where groups have interests.
 - 3 outcomes
 - Demonstrate that detector can do the physics (LoI goal).
 - Understand how to optimize the detector for that physics.
 - Improve understanding of some of the ILC physics capabilities.
- Realistically we need to be up to speed on using eg. Mokka and MarlinReco if we want to contribute to exploring detector variants and reconstruction.
 - The plan is to have fully reconstructed events for DST-like analysis, but one should not wait on this to get started.
- How best to go about choosing topics is an open question (next slide)

What topics to work on ?

- Physics based ?
 - Higgs physics
 - SUSY
 - Precision Measurements
- Detector sub-system design
 - Vertexing
 - Tracking
 - Calorimetry
 - Forward
 - L,E,P.
- Reconstruction
 - Detector sub-system and integrated detector performance
- Object ID
- In-situ L,E,P measurements.
- Detector Performance
- Generator
- Simulation

A rounded program could/should have contributions in several categories. You are very welcome to participate in ways best suited for maximum impact.

In-situ L, E, P

- $dL/d\sqrt{s}$: Use Bhabha acolinearity.
- $\langle\sqrt{s}\rangle$: Use $Z \gamma$, $Z \rightarrow \mu\mu$. Also ee ?
 - claimed, can use non-radiative events too
- P : Explore how well one can use highly polarized physics processes to check beam polarization. Eg. WW , $W\bar{e}\nu$, $\nu\nu\gamma$ in kinematic regimes where t-channel dominates.
 - Can save some lumi relative to doing all the different combinations and unpolarized combinations.

“Physics” Benchmarks

- There will be some agreement across concepts on a minimal set of channels which the LoI proponents are requested to study.
- This, and especially the benchmark panel report (hep-ex/0603010) are good starting points.
- Please note that many existing studies have only been done with fast simulation, often may have been done at inappropriate \sqrt{s} and without taking advantage of polarization, advanced analysis techniques, kinematic fits etc.
 - Doing things better primarily solidifies the physics case – not so clear how to map this on to evolving the detector design.
 - Channels studied are often the single highest BR one – not necessarily the only or best channel.
- Particularly the single particle and known processes are obvious areas where work will be of lasting value to everybody.

Suggestions

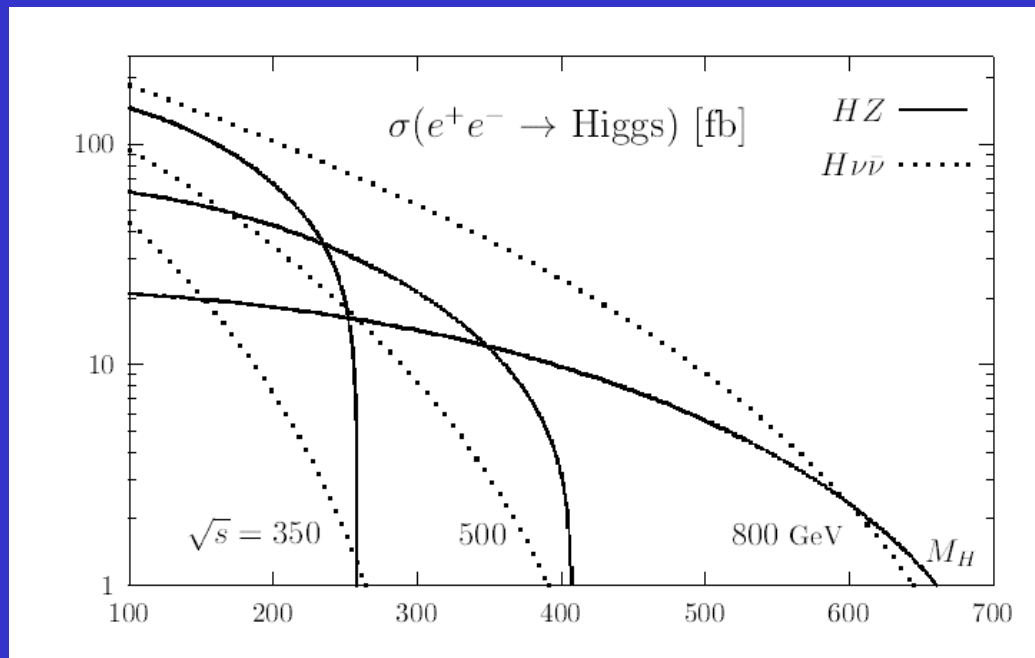
- $f\bar{f}$ ($f = q, e, \mu, \tau$)
- WW
- $t\bar{t}$.

Some explorations in Higgs-land

Original motivation was:

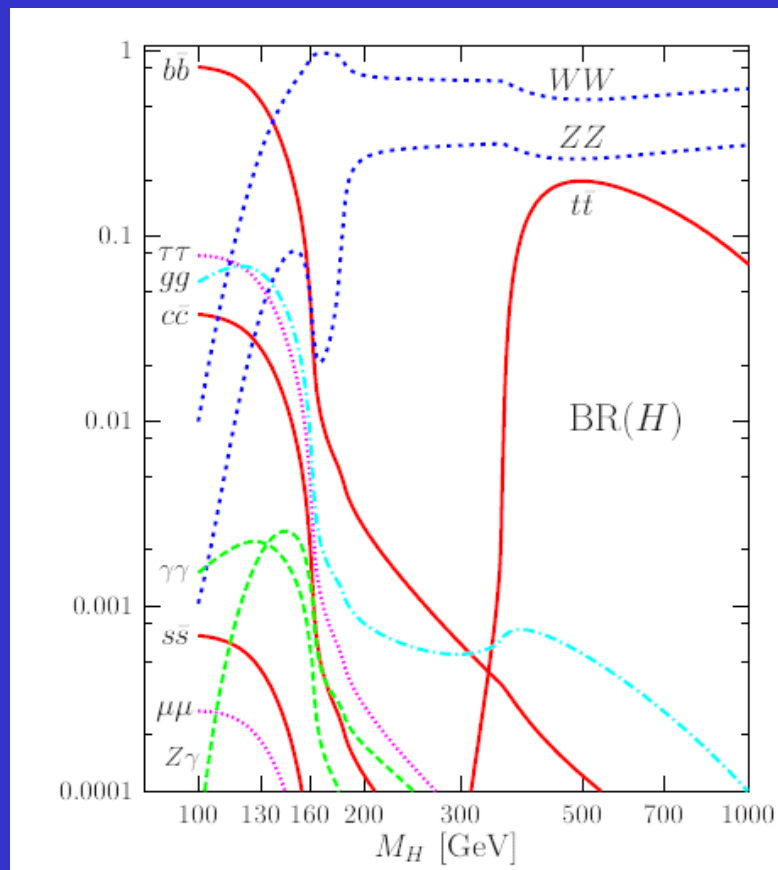
Understand how much of a constraint measuring $B_{\gamma\gamma}$ puts on the ECAL.

Have expanded towards getting an appreciation of the important physics questions.



One of the questions is whether “Higgs-factory” type measurements are best done at low \sqrt{s} optimized for Higgs-strahlung. Or much higher \sqrt{s} optimized for WW -fusion. If all you have is 500 GeV, then clearly near threshold is best for low mass Higgs.

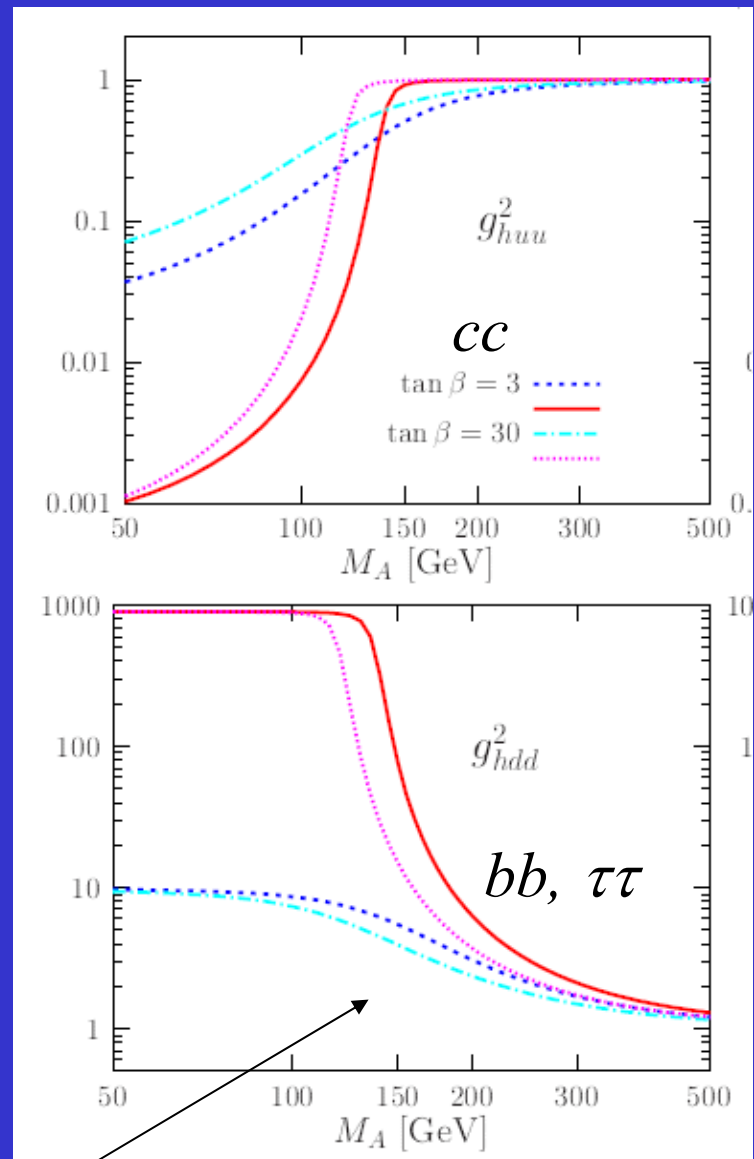
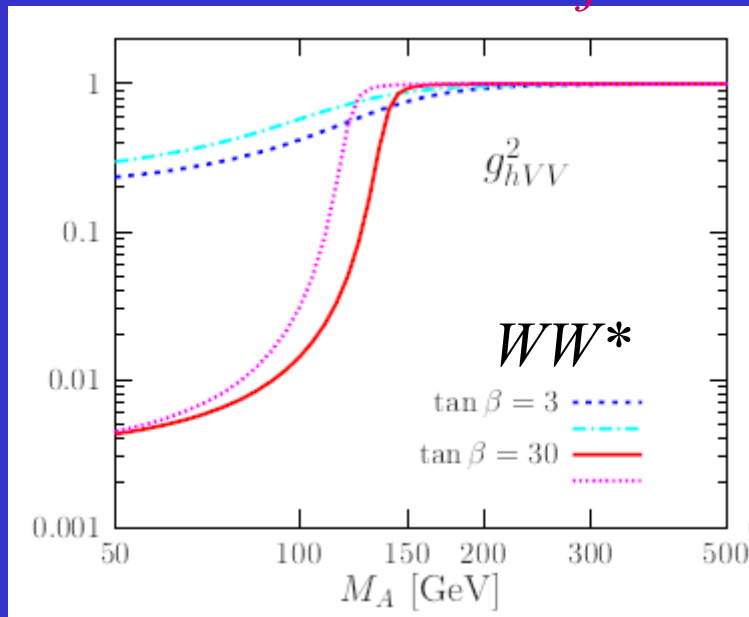
SM Higgs Decays



MSSM in the Higgs decoupling regime

Φ	$g_{\Phi\bar{u}u}$	$g_{\Phi\bar{d}d}$	$g_{\Phi VV}$	$g_{\Phi AZ}$	$g_{\Phi H\pm W^\mp}$
H_{SM}	1	1	1	0	0
h	$\cos\alpha/\sin\beta$	$-\sin\alpha/\cos\beta$	$\sin(\beta-\alpha)$	$\cos(\beta-\alpha)$	$\mp\cos(\beta-\alpha)$
H	$\sin\alpha/\sin\beta$	$\cos\alpha/\cos\beta$	$\cos(\beta-\alpha)$	$-\sin(\beta-\alpha)$	$\pm\sin(\beta-\alpha)$
A	$\cot\beta$	$\tan\beta$	0	0	1

Djouadi



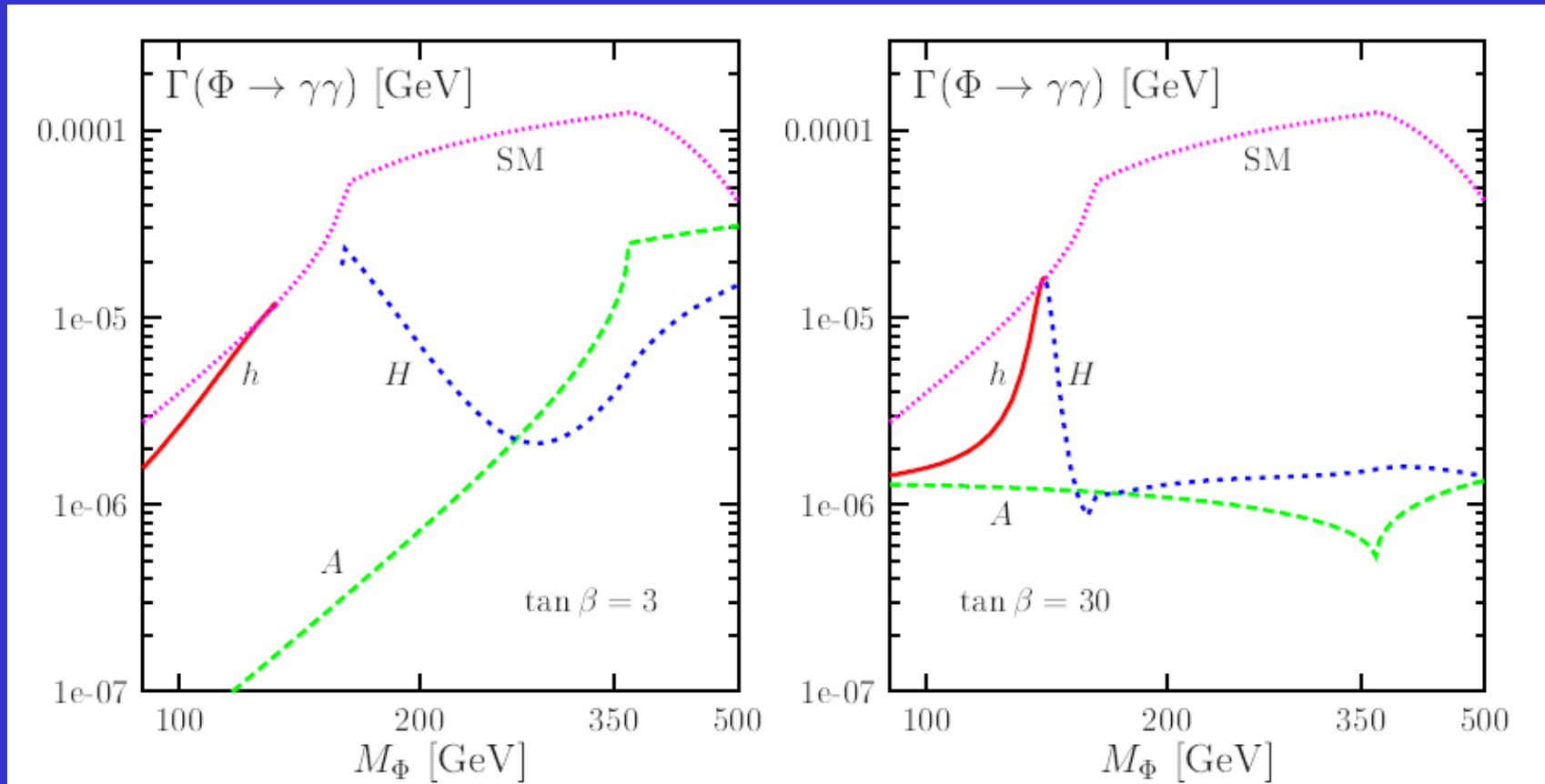
For $m_A \geq 200$ GeV, only the Higgs coupling to down-like fermions differs significantly from SM.

So, primary strategy for distinguishing is to measure bb/WW . (and $\tau\tau/WW$)

For Higgs physics

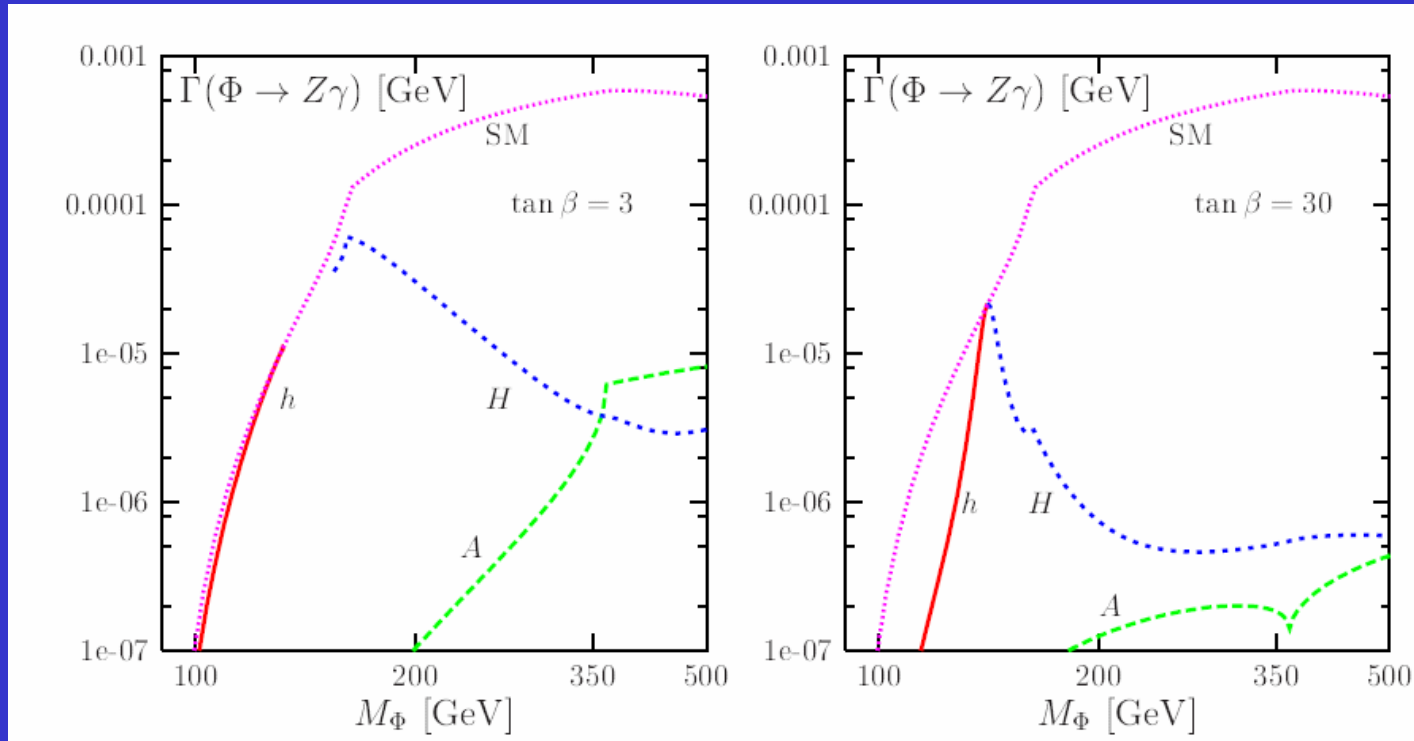
- Studying $H \rightarrow WW^*$ is very important. (By playing off $\nu\nu h$ and Zh can test WW and ZZ couplings, and then get at partial widths.)
 - Existing studies look at $qq\ qql\nu$
 - What about $\nu\nu\ qqqq$ etc.
- $H \rightarrow \tau\tau$.
 - Is of similar interest to bb , but also as a CP analyzer. Looking at $qq\ \tau\tau$, would be very useful.

Higgs Loop Decays ($\gamma\gamma$)



(It is hard for SUSY-like new physics to escape actual detection and show up in this kind of observable, typically 10% effects at most. However other types of physics eg heavy W' would presumably be much more amenable to huge deviations)

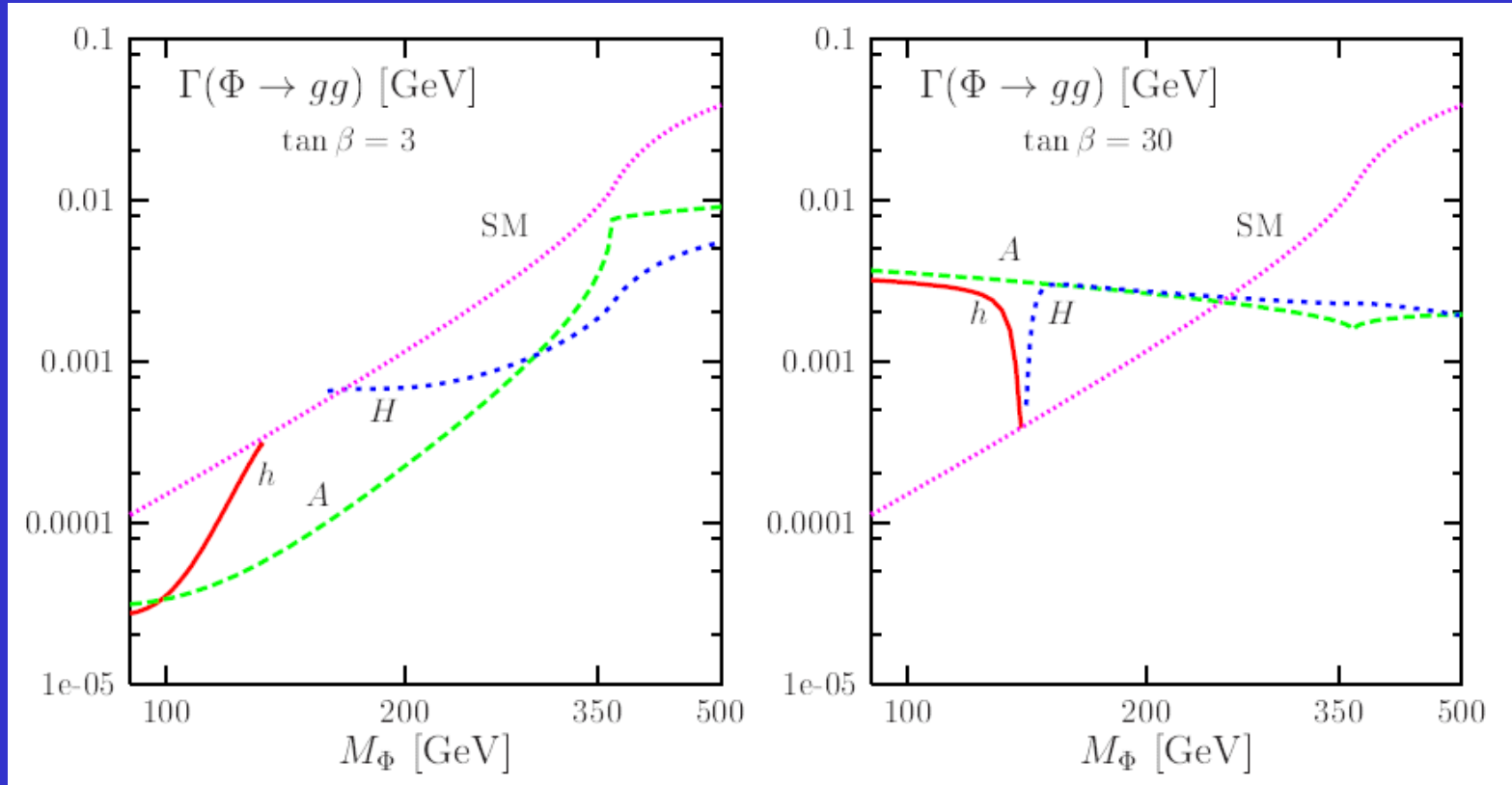
Higgs Loop Decays ($Z\gamma$)



Any effects of new physics here are similar to $\gamma\gamma$, but tend to be smaller in BR effect (of order 5%, not 10%).

So far don't know of a study on $Z\gamma$. It looks hard but not impossible and will challenge jet+ γ calorimetry. Maybe useful in context of eg. $WW\gamma$ and QGCs.

Higgs Loop Decays (gg)



Large QCD corrections in play. But effects are large. Can we identify gluon jets rather than just measuring “non-b,c jets” ?

Higgs $\rightarrow \gamma\gamma$

- This was reviewed by F. Petriello at ALCPG.

- Studies done with 1 ab^{-1} at $\sqrt{s} = 350, 500, 1000 \text{ GeV}$

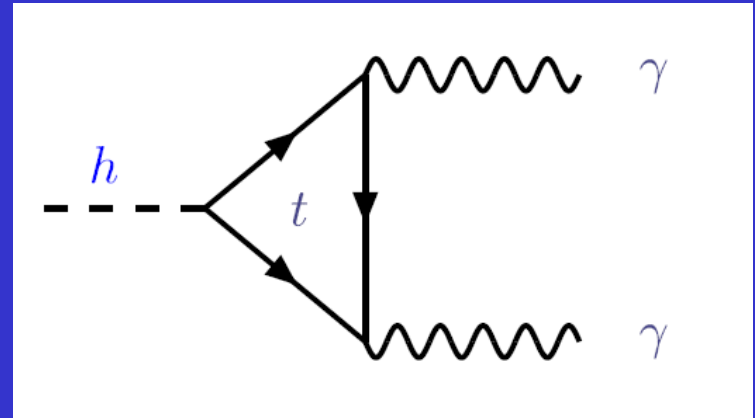
Boos et al., hep-ph/0011366; Barklow, hep-ph/0312268

- For $m_h = 120 \text{ GeV}$:

$$\sqrt{s} = 350 \text{ GeV} \Rightarrow \Delta BR(\gamma\gamma) = 12.1\%$$

$$\sqrt{s} = 500 \text{ GeV} \Rightarrow \Delta BR(\gamma\gamma) = 9.6\%$$

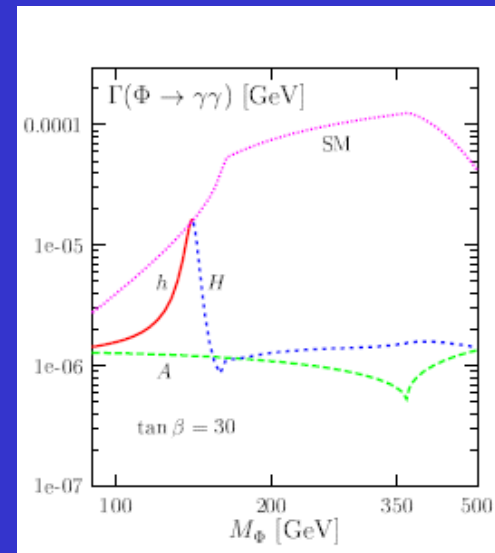
$$\sqrt{s} = 1000 \text{ GeV} \Rightarrow \Delta BR(\gamma\gamma) = 5.4\%$$



Any charged particle that gets its mass from the Higgs mechanism will affect the $\gamma\gamma$ width.

If this is really worth doing well (a few people think $\gamma\gamma$ collider), we need to make sure the detector is well adapted to measuring it at high \sqrt{s} . Will a detector designed for PFA be good enough?

It is also an area where the ILC could complement LHC measurements.



In SUSY, 10% effects are possible

*(most of the rest of the talk
was shown at ALCPG CAL
meeting this week)*

H \rightarrow $\gamma\gamma$ Study

- 4-vector level study using WHIZARD 1.2 files generated by Tim Barklow at $\sqrt{s}=1$ TeV.
 - $m_H = 120$ GeV
 - Signal and background files have no additional ISR photons with p_T .
- Motivation I:
 - Should be able to do much better $B_{\gamma\gamma}$ measurement than at low energy as studied previously. Maybe even competitive with $\gamma\gamma$ collider option.
 - At high \sqrt{s} , Higgs cross-section increases with \sqrt{s} .
 - Dominated by WW fusion. So final state mainly, $\nu_e\nu_e\gamma\gamma$
 - ILC luminosity should be higher at higher \sqrt{s} ($L \sim \sqrt{s}$).
 - WW fusion production. So can use polarized beams to triple signal (and background) cross-section.
- Motivation II:

This is supposed to be one of the channels which helps constrain the ECAL design. (It very much drove the CMS and ATLAS designs.)

Study parameters

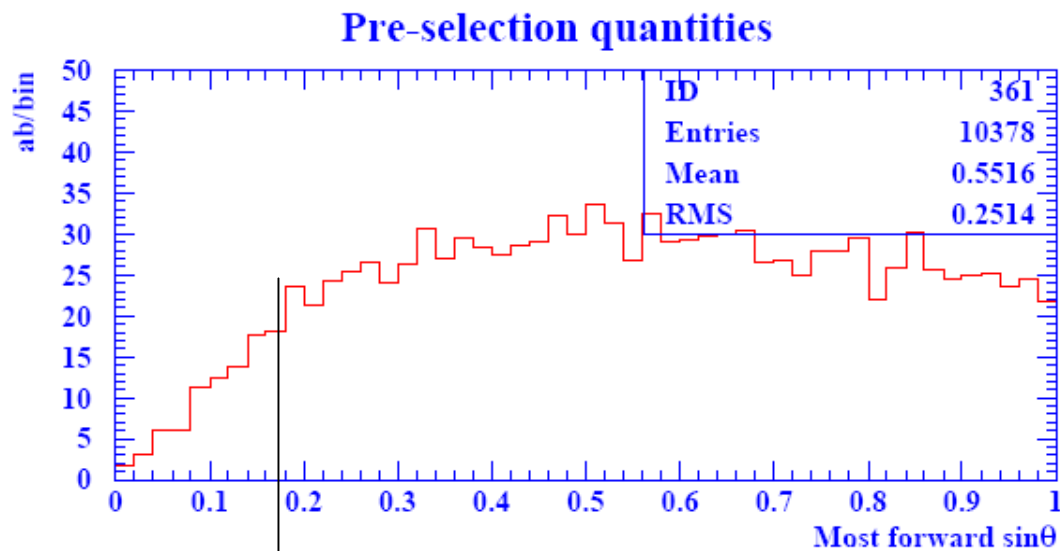
- Used favorable $P(e^-) = -80\%$, $P(e^+) = +60\%$.
- Assumed 2 ab^{-1} at $\sqrt{s}=1 \text{ TeV}$.
- $B_{\gamma\gamma}$ set to 0.220% (HDECAY value)
- Only considered $\nu\nu\gamma\gamma$ for signal and background.
- \Rightarrow Polarized signal cross-section = 1.23 fb

Pre-selection of Higgs $\rightarrow \gamma\gamma$ candidates

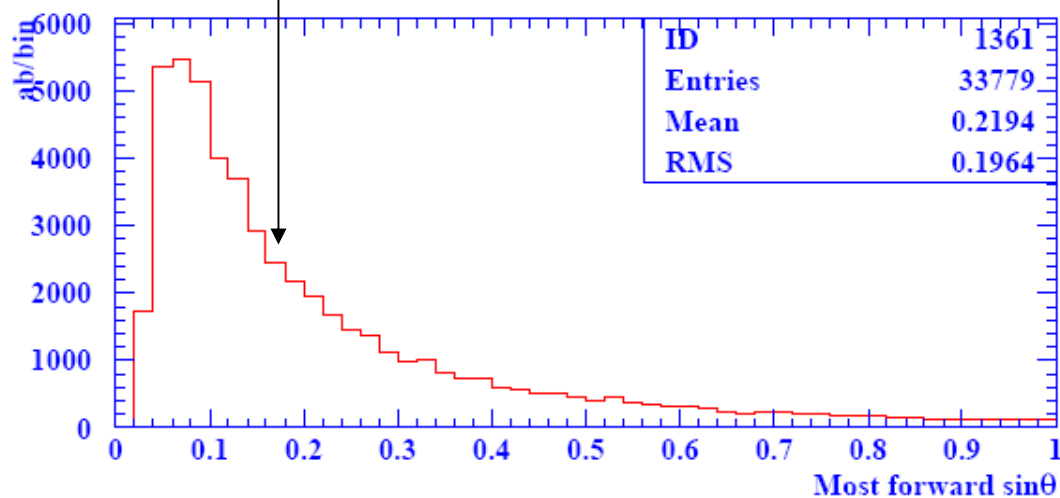
- Require that the two highest p_T photons, have polar angle, $|\cos\theta| < 0.985$ defined by edge of endcap acceptance in LDC.
(I explored using more forward photons but it does not appear to be warranted in this physics channel).
- Missing p_T : $p_T(\gamma\gamma)/E_{\text{beam}} > 0.025$.
– (driven by forward acceptance)
- Energy asymmetry, $a \equiv |E_1 - E_2| / (E_1 + E_2) < 0.90$.
- $100 < m_{\gamma\gamma} < 140$ GeV
- Pre-selection efficiency = 91.8% (of 1.23 fb)
- Pre-selection bkgd level = 0.572 fb/GeV.

(LHC: $signal = 30$ fb
 $bkgd = 180$ fb/GeV)

SIGNAL

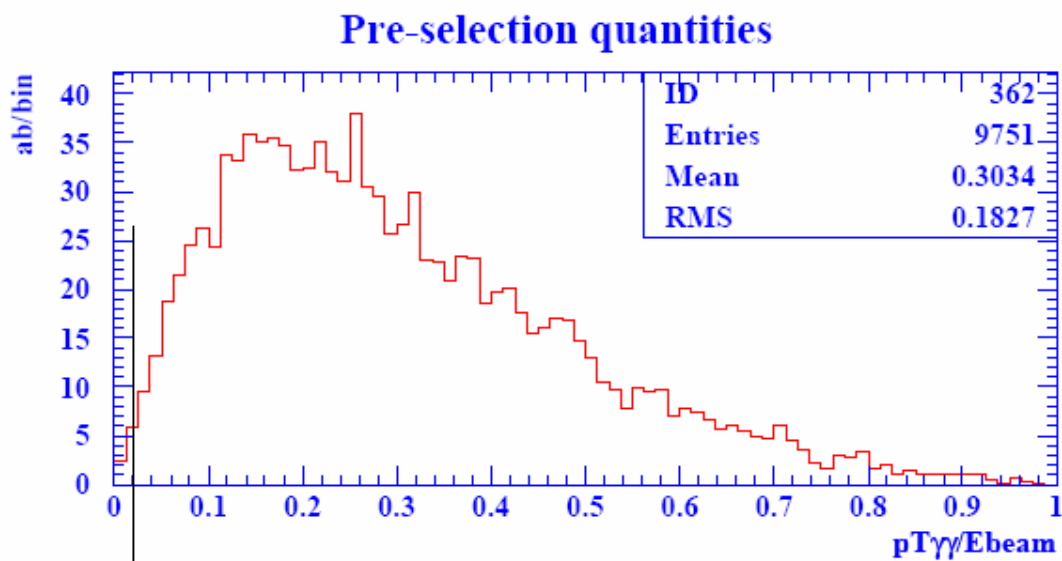
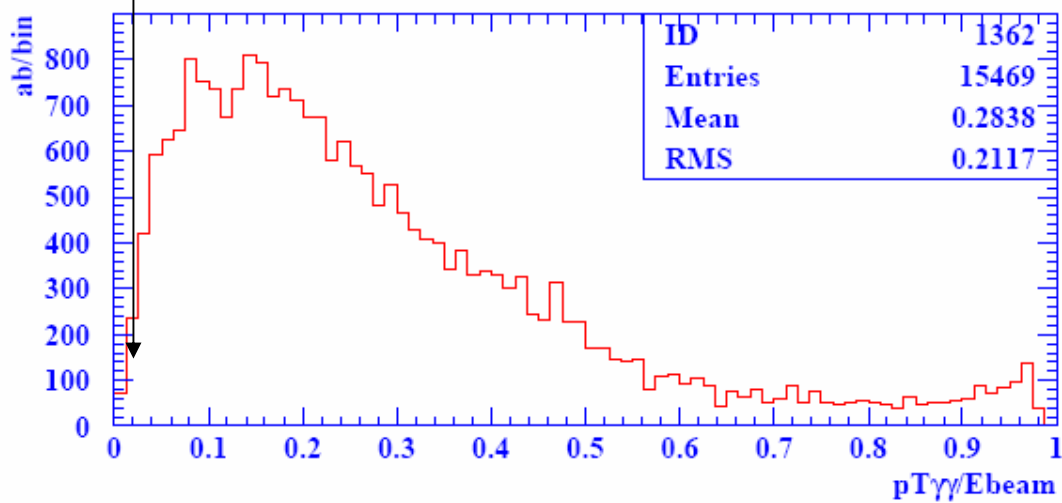


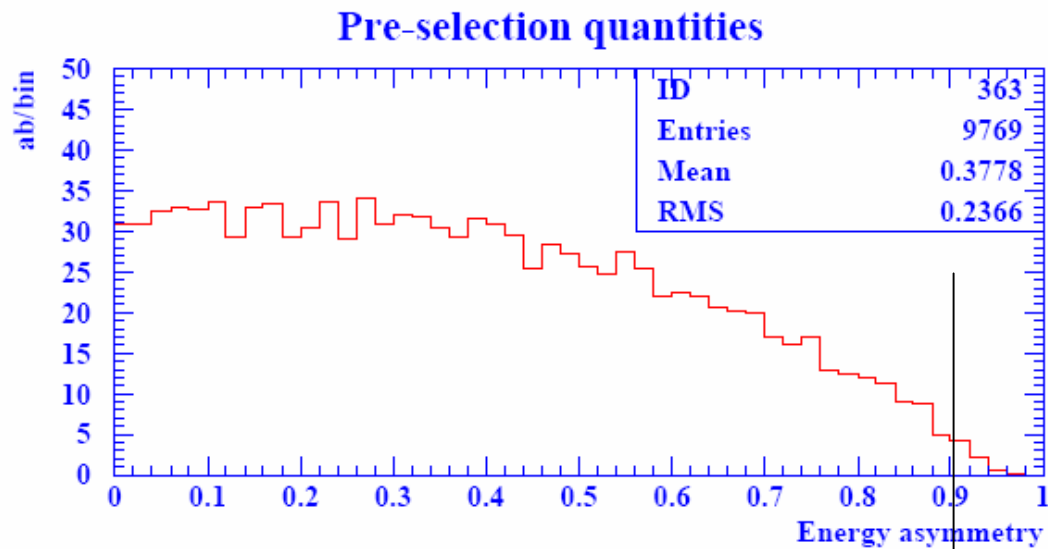
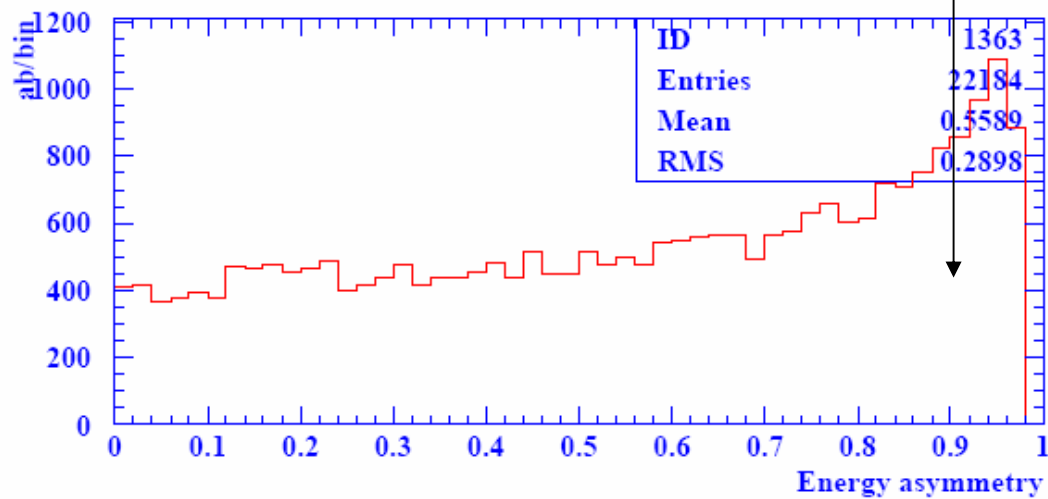
BACKGROUND



Most plots show the cross-section per bin since they are summed over lots of different samples

(also – stays away from generator cuts at low angle)

SIGNAL*BACKGROUND*

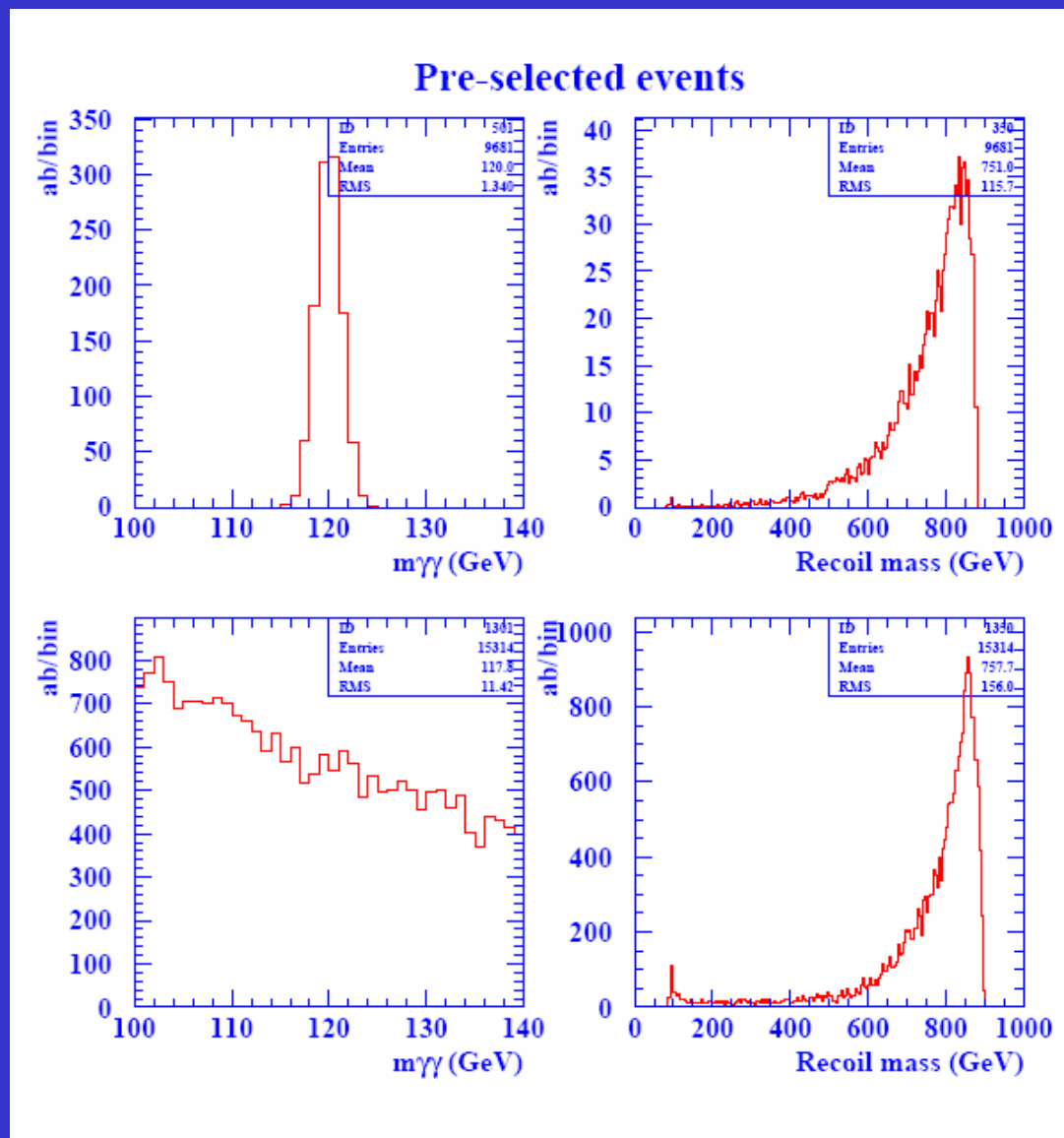
SIGNAL*BACKGROUND*

$$\sigma_E/E =$$

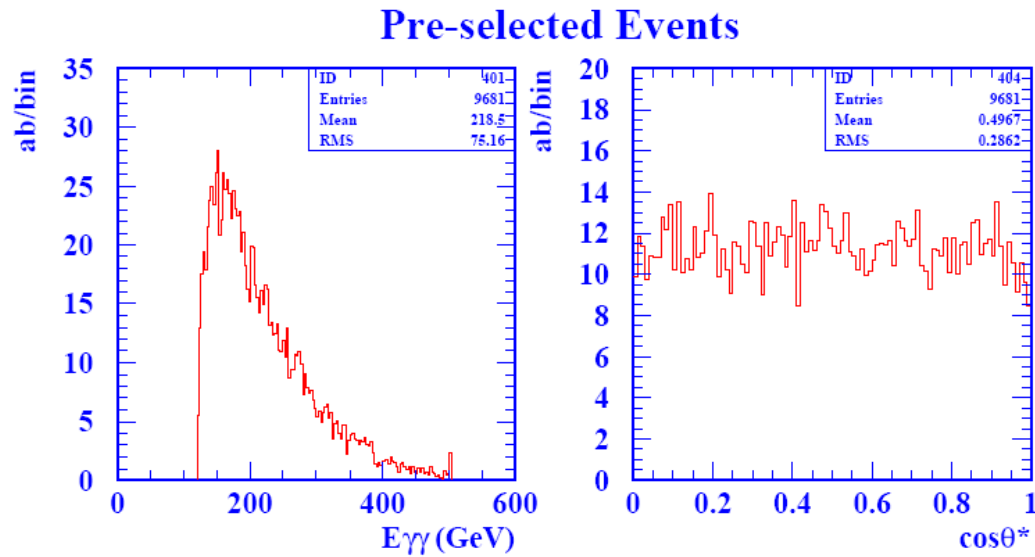
$$10\%/\sqrt{E(\text{GeV})} \oplus 1\%$$

SIGNAL

BACKGROUND

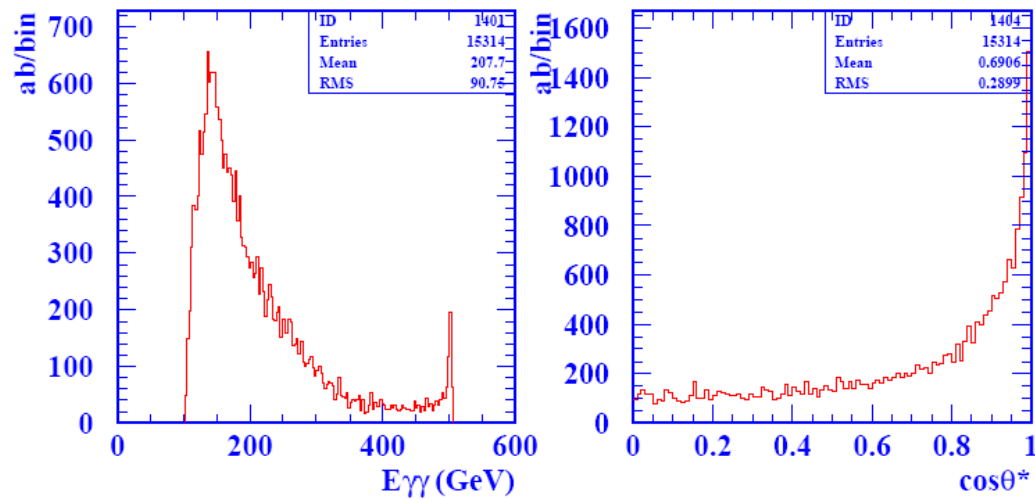


SIGNAL



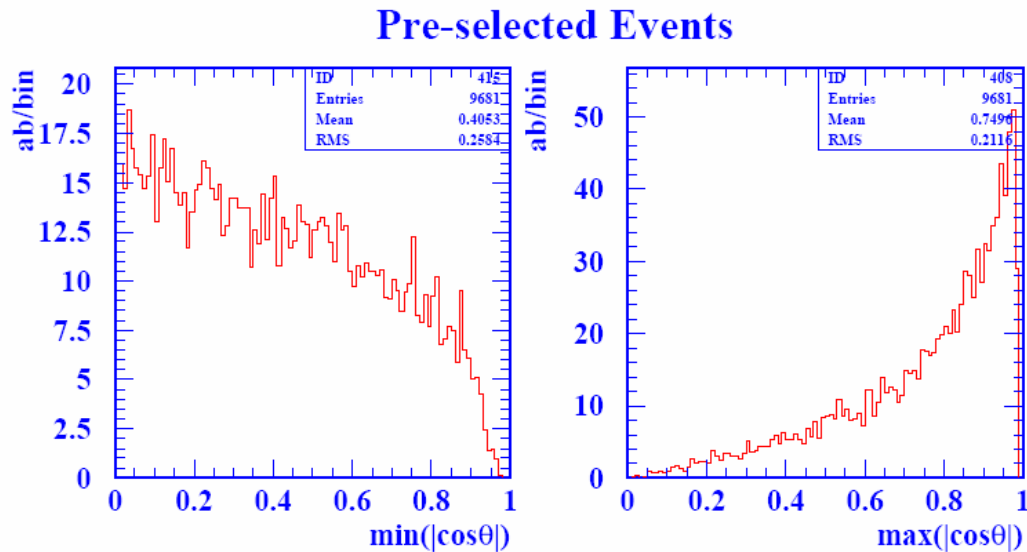
*Uniform as
expected
for spin 0*

BACKGROUND



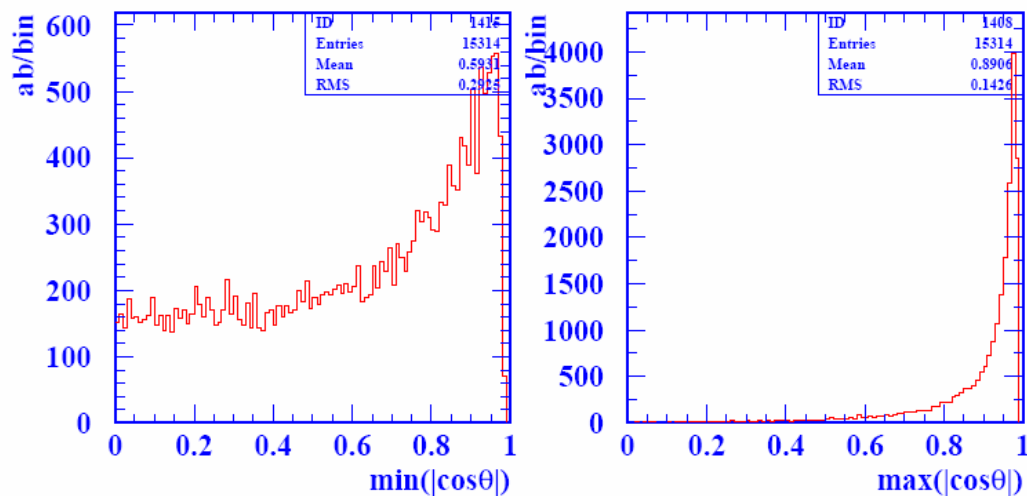
Note modest energy of $\gamma\gamma$ system

SIGNAL



*=> Need
endcap
acceptance
too*

BACKGROUND



$$\sigma_E/E =$$

$$10\%/\sqrt{E(\text{GeV})} \oplus 1\%$$

Leads to

$$\sigma_m \approx 1.25 \text{ GeV.}$$

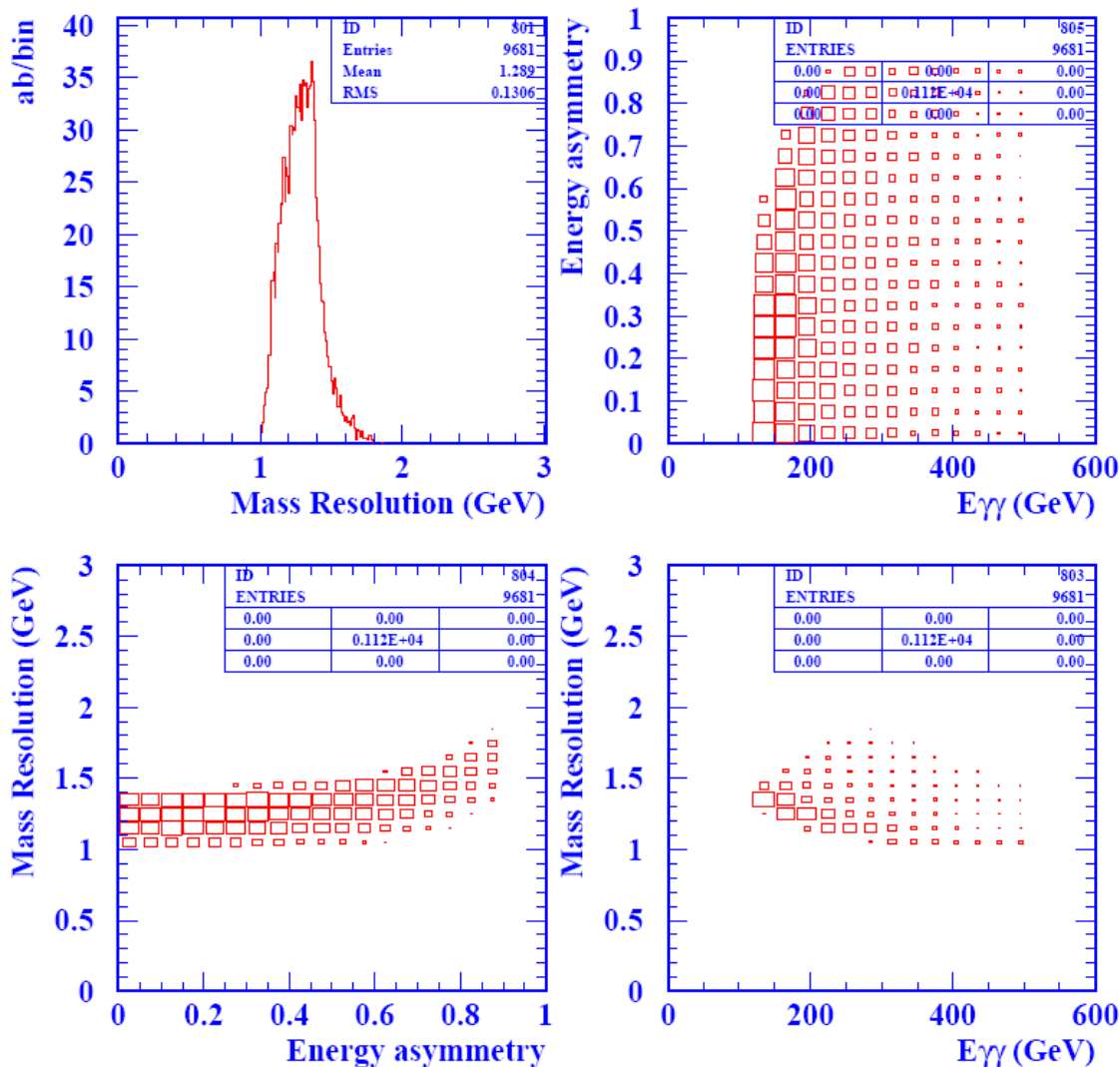
Mass resolution depends
on $(a, E_{\gamma\gamma})$

$$a = |E_1 - E_2|/E_{\gamma\gamma} = \beta |\cos \theta^*|$$

$$\sigma_m/m =$$

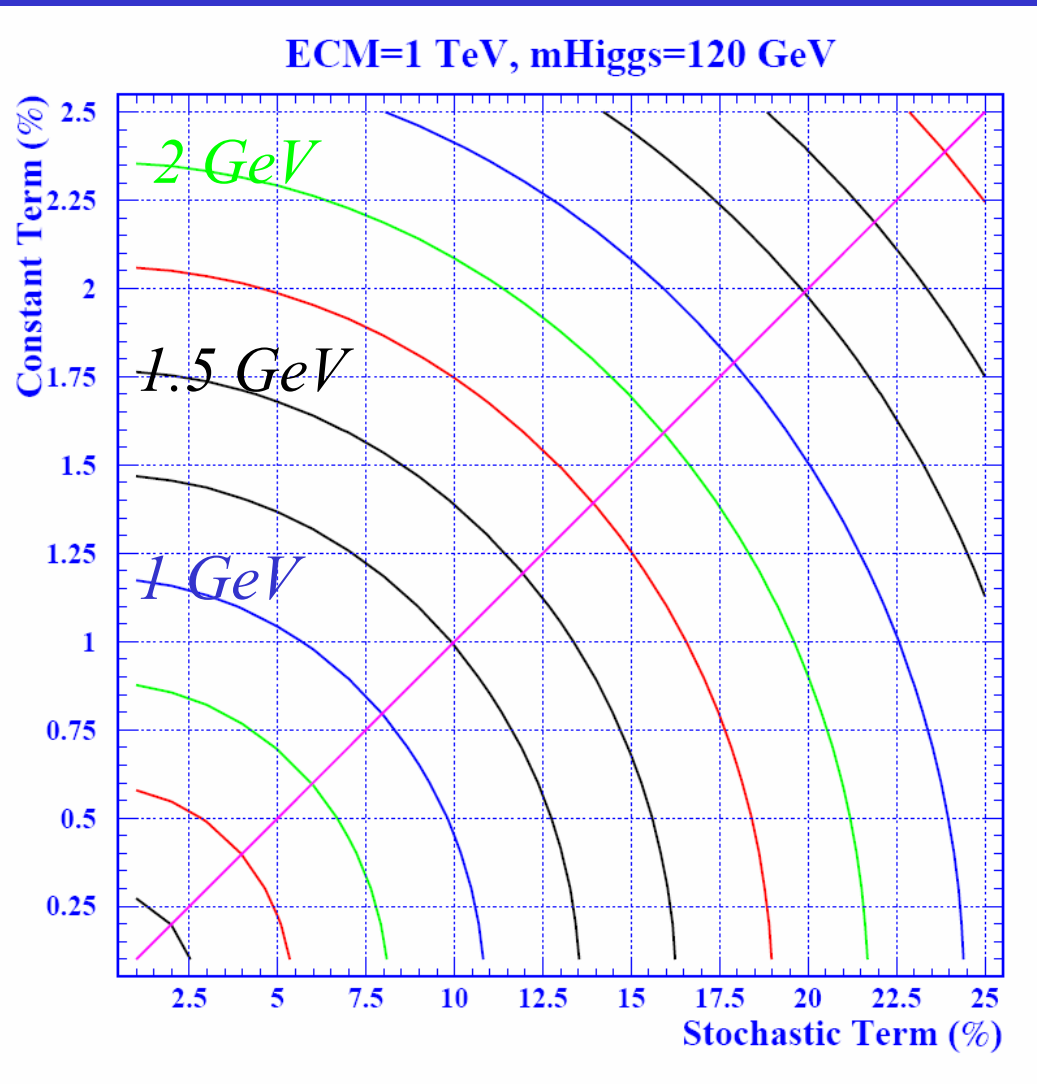
$$C_S/\sqrt{\{(1-a^2)E_{\gamma\gamma}\}} \oplus C_C/\sqrt{2}$$

ECM = 1 TeV, mH=120 GeV, P=-80,+60



At $\sqrt{s}=1 \text{ TeV}$, the Higgs energy is modest (220 GeV average). WW fusion dominates.

ECAL Resolution effects on mH resolution in $\gamma\gamma$ channel



Contours of average mass resolution (0.25 GeV steps). Uses the $(a, E_{\gamma\gamma})$ distribution expected for Higgs events.

Given the modest Higgs energies, the stochastic term and constant term are of about equal importance on the relative scales displayed here.

$$10\%/\sqrt{E} \oplus 1\% \approx 14\%/\sqrt{E} \approx 1.4\%$$

Estimating analysis performance

Use multi-channel method (see Favara, Pieri, hep-ex/9706016 and CMS TDR) to sub-divide the selected events into different analysis bins with varying s/b.

Use simple counting experiments within each analysis bin, with a mass window optimized for signal significance, assuming that background level can be measured from sidebands/predicted with negligible error.

Here use bins in D , where

$$D^2 \equiv \sin\theta_1 \sin\theta_2 (1 - |\cos\theta^*|)$$

```

graham@heplx2:/raidslow/graham/work/htogg/Hgg_tests
[graham@heplx2 Hgg_tests]$ more optimize_d_final.txt
Performance assuming average mass resolution of 1.25 GeV.
Each bin uses an optimized cut in mass window width assuming a Gaussian signal.
Uses polarized beams (80% e-L), (60% e+R) and 2 inv ab.

  D-bin  +- DM (sigma, GeV)  eff_rel  S    B    S/B  Significance  Error
[0.0,0.1]  1.42  1.775  0.844  41.4  913.9  0.045  1.34  0.747
[0.1,0.2]  1.46  1.825  0.856  129.4  925.0  0.140  3.98  0.251
[0.2,0.3]  1.53  1.9125  0.874  270.4  857.3  0.315  8.05  0.124
[0.3,0.4]  1.61  2.0125  0.893  369.8  690.0  0.536  11.36  0.088
[0.4,0.5]  1.68  2.1000  0.907  349.8  462.3  0.757  12.27  0.081
[0.5,0.6]  1.79  2.2375  0.927  324.4  267.6  1.212  13.33  0.075
[0.6,0.7]  1.85  2.3125  0.936  251.1  164.8  1.523  12.31  0.081
[0.7,0.8]  1.92  2.4000  0.945  175.0  91.2  1.919  10.72  0.093
[0.8,0.9]  1.96  2.4500  0.950  99.5  46.4  2.143  8.24  0.121
[0.9,1.0]  1.97  2.4625  0.951  30.6  13.8  2.221  4.59  0.218
SUMMED                                29.92  0.0334

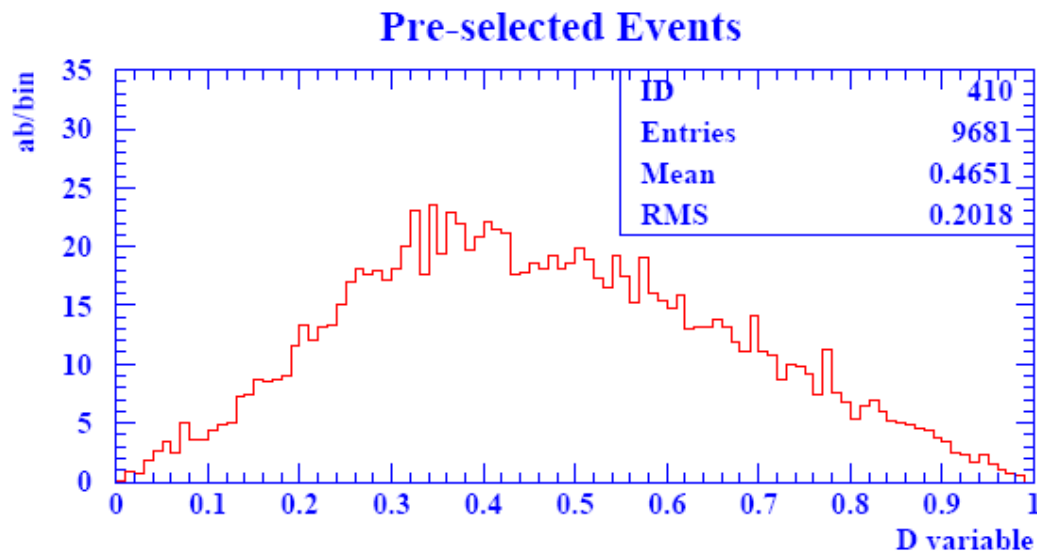
```

*Improves over simple cut on D
(from 27.8σ to 30.1σ)*

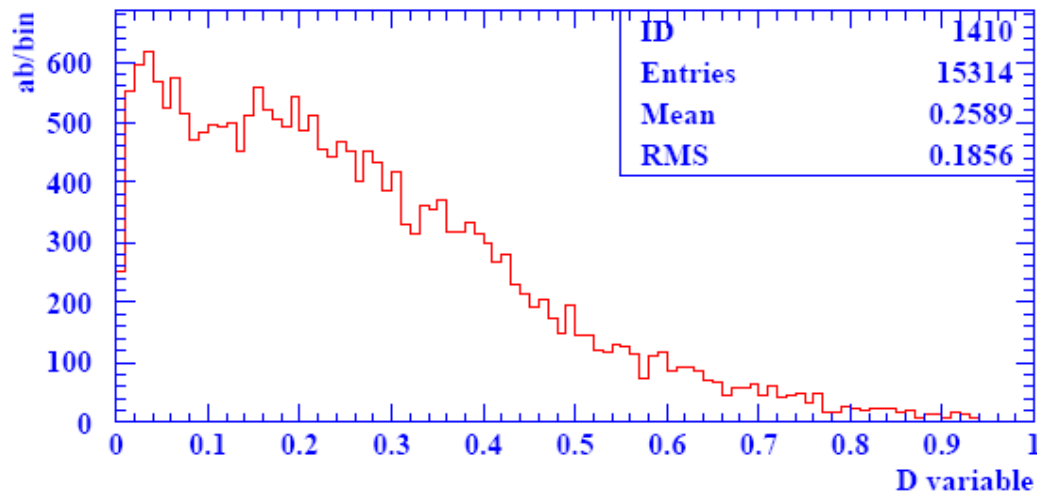
D variable, where

$$D^2 \equiv \sin\theta_1 \sin\theta_2 (1 - |\cos\theta^*|)$$

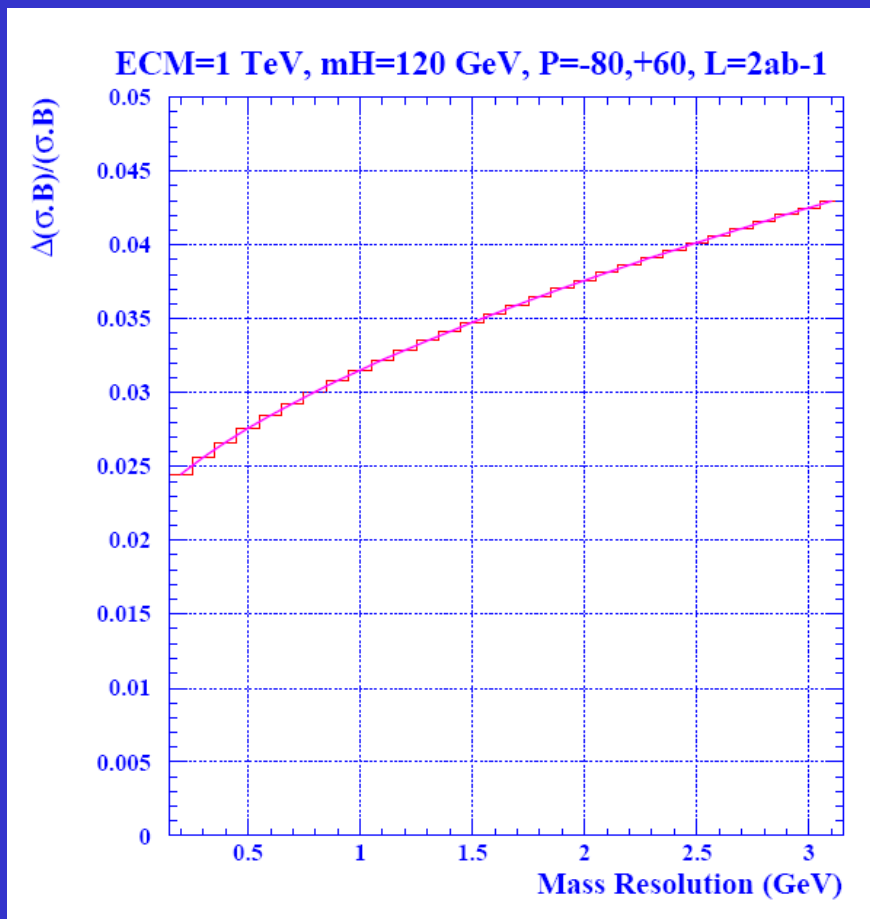
SIGNAL



BACKGROUND



Physics Performance vs σ_m

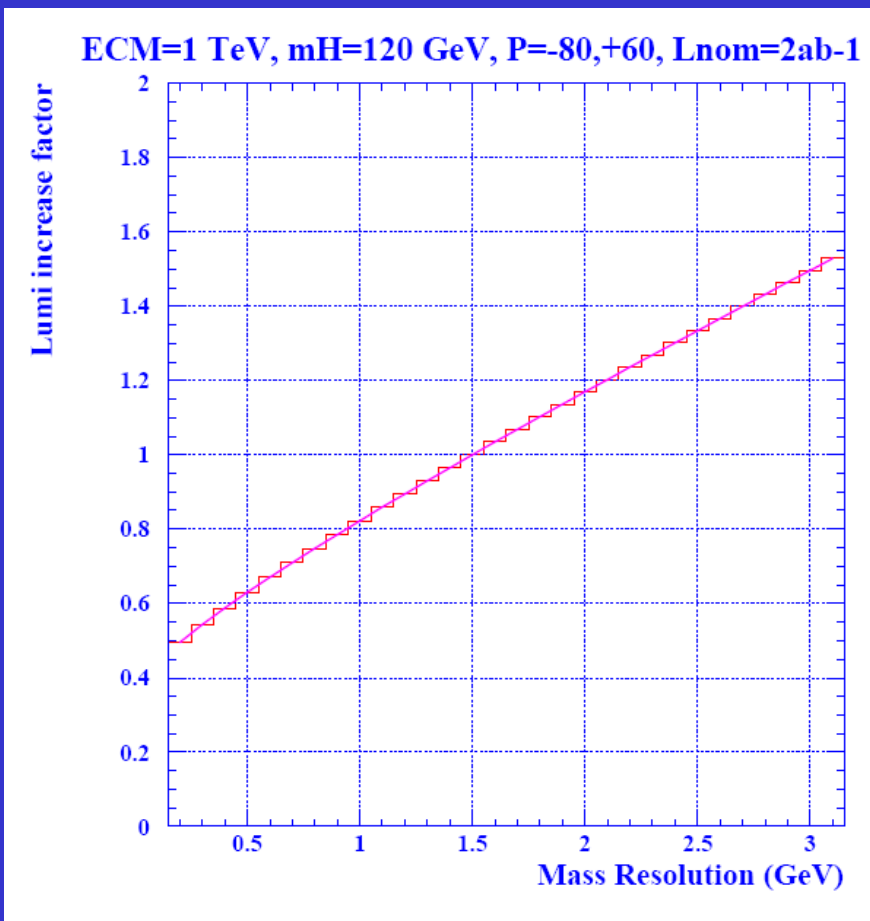


For very good mass resolution, the performance tends to the background free limit.

If the S/B was really poor in this channel, one would expect that the measurement error would worsen by a factor of $\sqrt{2}$ as the resolution degrades by a factor of 2 (ie. a factor of 2 in lumi equivalent).

3.3% for nominal $10\%/\sqrt{E} \oplus 1\%$

ECAL Mass Resolution Dependence



Same plot as before, but this time the factor of increase in integrated lumi necessary to achieve the same performance as with $L=2ab^{-1}$ and $\sigma_m=1.5$ GeV is displayed.

Assuming 500 fb⁻¹/yr,

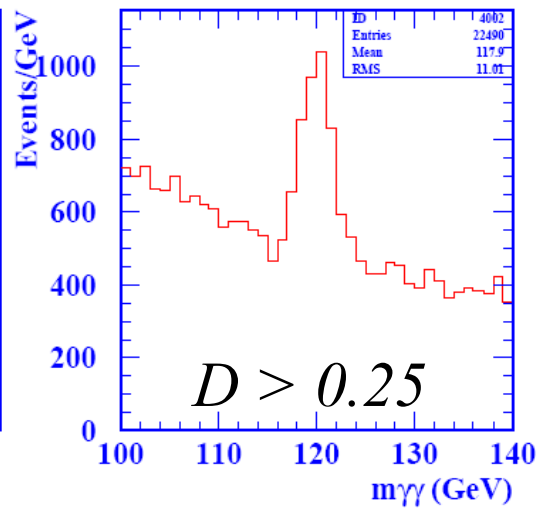
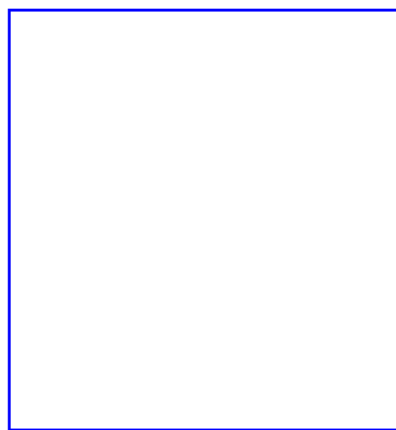
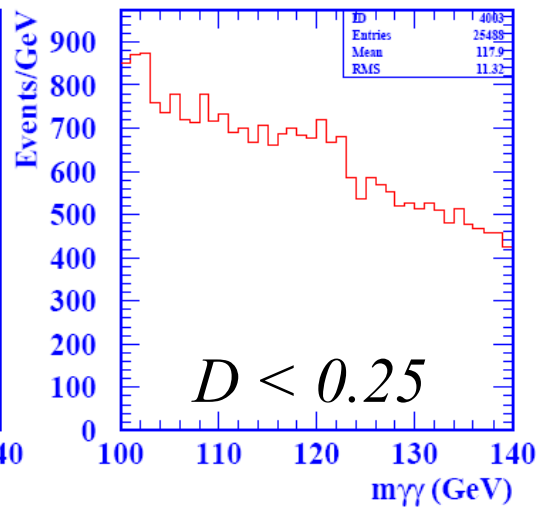
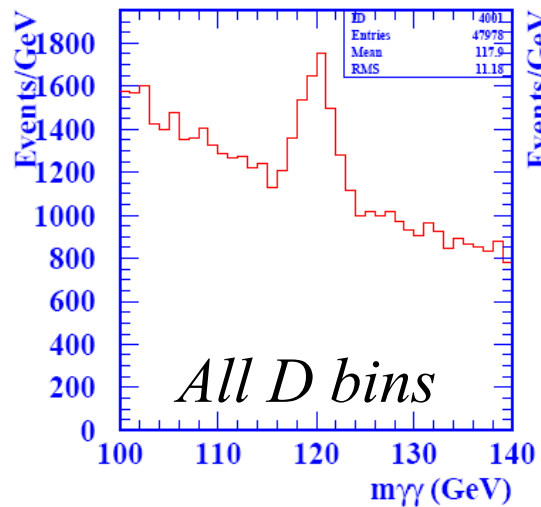
0.5 = 2 years

1.0 = 4 years

1.5 = 6 years

Sample Experiment

2 ab-1 Data-set

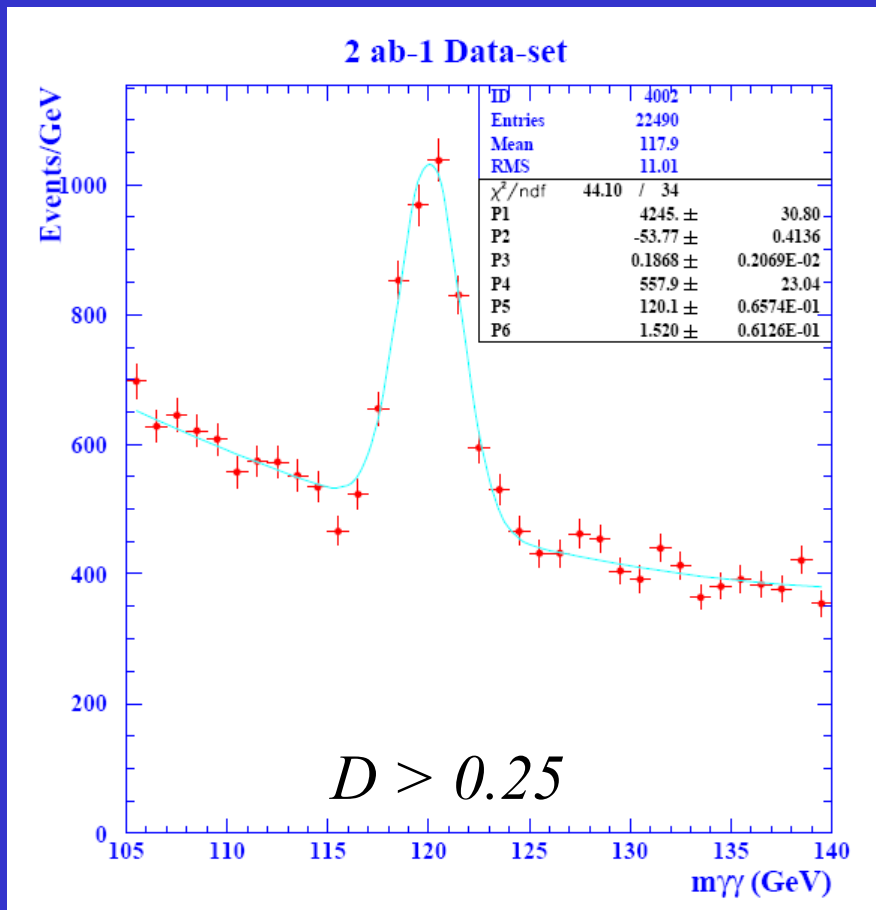


Sanity checks of sensitivity including background for this “experiment”.

Expect 27.8σ measurement from counting experiment with known background.

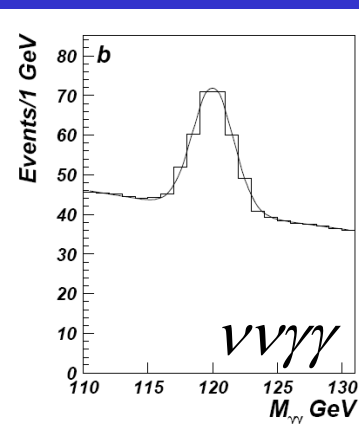
Fit with 6 free parameters (with Gaussian signal shape) $\rightarrow 24.3 \sigma$.

Fit with signal and background shapes fixed, and S, B normalization floating $\rightarrow 27.2 \sigma$ (measure bkgd to 0.8%)



1900
signal
events

3.5%



Boos et al., $\sqrt{s}=500$
GeV unpolarized.

1 ab^{-1} , Sig = 6.1σ

16.4%

H \rightarrow $\gamma\gamma$ conclusions

- Main conclusion
 - This is not a “high energy” constraint even if the best measurement is done at the highest \sqrt{s} .
 - Emphasizes forward acceptance at high \sqrt{s} .
 - Even here, there is room for multi-variate techniques to improve the sensitivity.
- If the competition to a PFA calorimeter can do no better than about 0.5 GeV in mass resolution, then achieving a mass resolution < 1.5 GeV would be advisable.
- (ie better than $16\%/\sqrt{E} \oplus 0\%$ or $12\%/\sqrt{E} \oplus 1.2\%$)
- Subsidiary conclusion: interpreting a $B_{\gamma\gamma}$ measurement without being above the new physics threshold is tough ...
- If this really is important, we should also be trying to measure $H \rightarrow Z \gamma$. (this may be quite a challenge for any calorimeter).

Backup Slides