

Precision ew measurements at calibration/Z-pole running

Gudrid Moortgat-Pick (IPPP)

18/11/08

- RDR positron source
- Calibration needs
- Role of polarization
- Physics
- Conclusion and outlook

*Thanks a lot to the organizer
for providing webex !*

RDR Positron Source

- Positron source in RDR:

- undulator-based source
- $P(e^+) \sim 45\%$
- Changes needed to do calibration at the Z-pole?
- How to optimize this option?
- Could we replace GigaZ via calibration runs?

- **Small positron polarization available for physics!**

Outcome of polarimetry+energy workshop

- in more detail see **executive summary, arXiv:0808.1638** (sent to GDE)
- **Since baseline design provides small polarization**
 - Flipping of helicity is required or destroy polarization completely (see talk of S. Riemann, source session)
 - This polarization could be enhanced to ~45% (with bunch compressor)
- **Spin rotation:**
 - ‘cheap’ and quick kicker system before pre-DR, moved to 400 MeV (see talk of K. Moffet, source session)
- **Polarimetry requirements** (see talks of J. List, e.g. top session)

Calibration Needs

- **How many Z's are needed for calibration?**
 - Experience from LEP2
- **Calibration needed after annual shutdown**
 - After each annual shutdown:
10 pb/detector + couple of pb's over the year
- **No Z-pole calibration needed after push-pull**
- **For calibration:**
 - large emittance, low lumi tolerable (Scope Document 2)
- **L_{cal} ? Estimates in the range of 7×10^{31} -- 7×10^{32}**
 - Has still to be worked out
 - Therefore requirements based on # of Z-events

Physics: Z-pole data

- Why do we need such data a.s.a.p?
 - Discrepancy between A_{LR} and A_{FB}

$$\begin{aligned} \text{SLD: } \sin^2 \theta_{\text{eff}} &= 0.23098 \pm 0.00026 \quad (A_{LR}(\ell)), \\ \text{LEP: } \sin^2 \theta_{\text{eff}} &= 0.23221 \pm 0.00029 \quad (A_{FB}(\text{had})). \end{aligned}$$

- most sensitive tests of the Standard Model via measurements of the ew observables as $\sin^2 \theta_{\text{eff}}$

We do need it already now !!!

A_{LR} and $\sin^2\theta_{eff}$

- Accuracy in $\sin^2\theta_{eff}$



$$A_{LR} = \frac{2(1 - 4 \sin^2\theta_{W}^{eff})}{1 + (1 - 4 \sin^2\theta_{W}^{eff})^2}$$

→ precision in ALR directly transferred to $\sin^2\theta_{eff}$

→ GigaZ will provide $\Delta \sin^2\theta_{eff} \sim 1.3 \times 10^{-5}$ (if Blondel scheme)

→ only electron polarization at GigaZ: $\sim 9.5 \times 10^{-5}$

→ current value: 16×10^{-5}

→ What could we gain with a 'fraction' of GigaZ ?

Strategy

- **Collect calibration data from several years**
(maybe 5 y, proposal ?)
- **Collect data from dedicated Z-pole runs with low lumi**
(25 days / year)
- **'Full' GigaZ would take a few 10^3 low lumi days (on basis of $L_{\text{cal}}=7 \times 10^{31}$)**
 - Makes no sense to aim for that
 - In case one had higher L_{cal} , one could think about that!
- **GigaZ after ILC physic runs is late anyway....2025?** (personal comment)
- **But already with such a fraction of the GigaZ accuracy we gain a lot in physics!**

Physics gain vs. required precision

- What are the important input quantities?

– Mass of top:

Heinemeyer, Hollik, Weber, Weiglein '08

current theoretical: intrinsic	$\Delta m_W^{\text{intr, today}} \approx 4 \text{ MeV}$	$\Delta \sin^2 \theta_{\text{eff}}^{\text{intr, today}} \approx 4.7 \times 10^{-5}$
parametric $\delta m_t = 1.2 \text{ GeV}$ $\delta(\Delta\alpha_{\text{had}}) = 35 \times 10^{-5}$	$\Delta m_W^{\text{para, } m_t} \approx 11 \text{ MeV}$ $\Delta m_W^{\text{para, } \Delta\alpha_{\text{had}}} \approx 6.3 \text{ MeV}$	$\Delta \sin^2 \theta_{\text{eff}}^{\text{para, } m_t} \approx 3.6 \times 10^{-5}$ $\Delta \sin^2 \theta_{\text{eff}}^{\text{para, } \Delta\alpha_{\text{had}}} \approx 12 \times 10^{-5}$
$\delta m_Z = 2.1 \text{ MeV}$	$\Delta m_W^{\text{para, } m_Z} \approx 2.5 \text{ MeV}$	$\Delta \sin^2 \theta_{\text{eff}}^{\text{para, } m_Z} \approx 1.4 \times 10^{-5}$

future parametric $\delta m_t = 1 \text{ GeV}$ $\delta m_t = 0.1 \text{ GeV}$	$\Delta m_W^{\text{para, } m_t} \approx 6 \text{ MeV}$ $\Delta m_W^{\text{para, } m_t} \approx 1 \text{ MeV}$	$\Delta \sin^2 \theta_{\text{eff}}^{\text{para, } m_t} \approx 3 \times 10^{-5}$ $\Delta \sin^2 \theta_{\text{eff}}^{\text{para, } m_t} \approx 0.3 \times 10^{-5}$
$\delta(\Delta\alpha_{\text{had}}) = 5 \times 10^{-5}$	$\Delta m_W^{\text{para, } \Delta\alpha_{\text{had}}} \approx 1 \text{ MeV}$	$\Delta \sin^2 \theta_{\text{eff}}^{\text{para, } \Delta\alpha_{\text{had}}} \approx 1.8 \times 10^{-5}$

LHC



ILC

– only progress if $\Delta_{\text{exp}} \leq \Delta_{\text{theo}}$

What is achievable with low lumi Z-data?

- **Strategy:**

- 10 pb⁻¹/ detector after annual shutdown + couple of pb⁻¹ / year
- Collect Z-data for each calibration and dedicated low lumi runs on the Z-pole
- About 0.6 fb⁻¹ needed (~ 100 days) to achieve $\sin^2\theta_{\text{eff}} \sim 3 \times 10^{-5}$
(in collaboration with J. List, K. Moenig, S. Riemann, R. Settles,...)

- **Why is 3×10^{-5} useful and best value for now?**

- only **progress** if $\Delta_{\text{exp}} \leq \Delta_{\text{theo}}$
- Δ_{theo} dominated by Δm_{top}
 - currently about $\Delta m_{\text{top}} \sim 1.2$ GeV leading to $\Delta \sin^2\theta_{\text{eff}} \sim 3.5 \times 10^{-5}$
 - with exp. LHC $\Delta m_{\text{top}} \sim 1$ GeV one ends up $\Delta \sin^2\theta_{\text{eff}} \sim 3 \times 10^{-5}$
- **No further gain as long as not $\Delta m_{\text{top}} \sim 0.1$ GeV! (ILC precision)**

Possible low lumi Z-data: $\Delta A_{LR}(\text{stat})$

$\int \mathcal{L}$	No. of Z's	$\int_{\text{days}} \mathcal{L}_{\text{cal}}$	$P(e^-)$	$P(e^+)$	ΔA_{LR}	$\sin^2 \theta_{\text{eff}}$
6 pb ⁻¹	1.8 × 10 ⁵	1	90%	0	2.7 × 10 ⁻³	3.4 × 10 ⁻⁴
			90%	40%	3.3 × 10 ⁻³	4.2 × 10 ⁻⁴
			90%	60%	2.2 × 10 ⁻³	2.8 × 10 ⁻⁴
24 pb ⁻¹	7.3 × 10 ⁵	4	90%	0	1.5 × 10 ⁻³	1.9 × 10 ⁻⁴
			90%	40%	1.6 × 10 ⁻³	2.1 × 10 ⁻⁴
			90%	60%	1.1 × 10 ⁻³	1.4 × 10 ⁻⁴
60 pb ⁻¹	1.8 × 10 ⁶	10	90%	0	1.1 × 10 ⁻³	1.4 × 10 ⁻⁴
			90%	40%	1.0 × 10 ⁻³	1.3 × 10 ⁻⁴
			90%	60%	7.0 × 10 ⁻⁴	8.9 × 10 ⁻⁵
0.6 fb ⁻¹	18 × 10 ⁶	100	90%	0	8.1 × 10 ⁻⁴	1.0 × 10 ⁻⁴
			90%	40%	3.3 × 10 ⁻⁴	4.2 × 10 ⁻⁵
			90%	60%	2.2 × 10 ⁻⁴	2.8 × 10 ⁻⁵
0.9 fb ⁻¹	27 × 10 ⁶	150	90%	0	7.9 × 10 ⁻⁴	1.0 × 10 ⁻⁴
			90%	40%	2.7 × 10 ⁻⁴	3.4 × 10 ⁻⁵
			90%	60%	1.8 × 10 ⁻⁴	2.3 × 10 ⁻⁵
1.2 fb ⁻¹	36 × 10 ⁶	200	90%	0	7.9 × 10 ⁻⁴	1.0 × 10 ⁻⁴
			90%	40%	2.3 × 10 ⁻⁴	3.0 × 10 ⁻⁵
			90%	60%	1.6 × 10 ⁻⁴	2.0 × 10 ⁻⁵

Physics gain with $\sin^2\theta_{\text{eff}}=3 \times 10^{-5}$

- Hints for new physics in worst case scenarios:

- Only Higgs @LHC
- No hints for SUSY

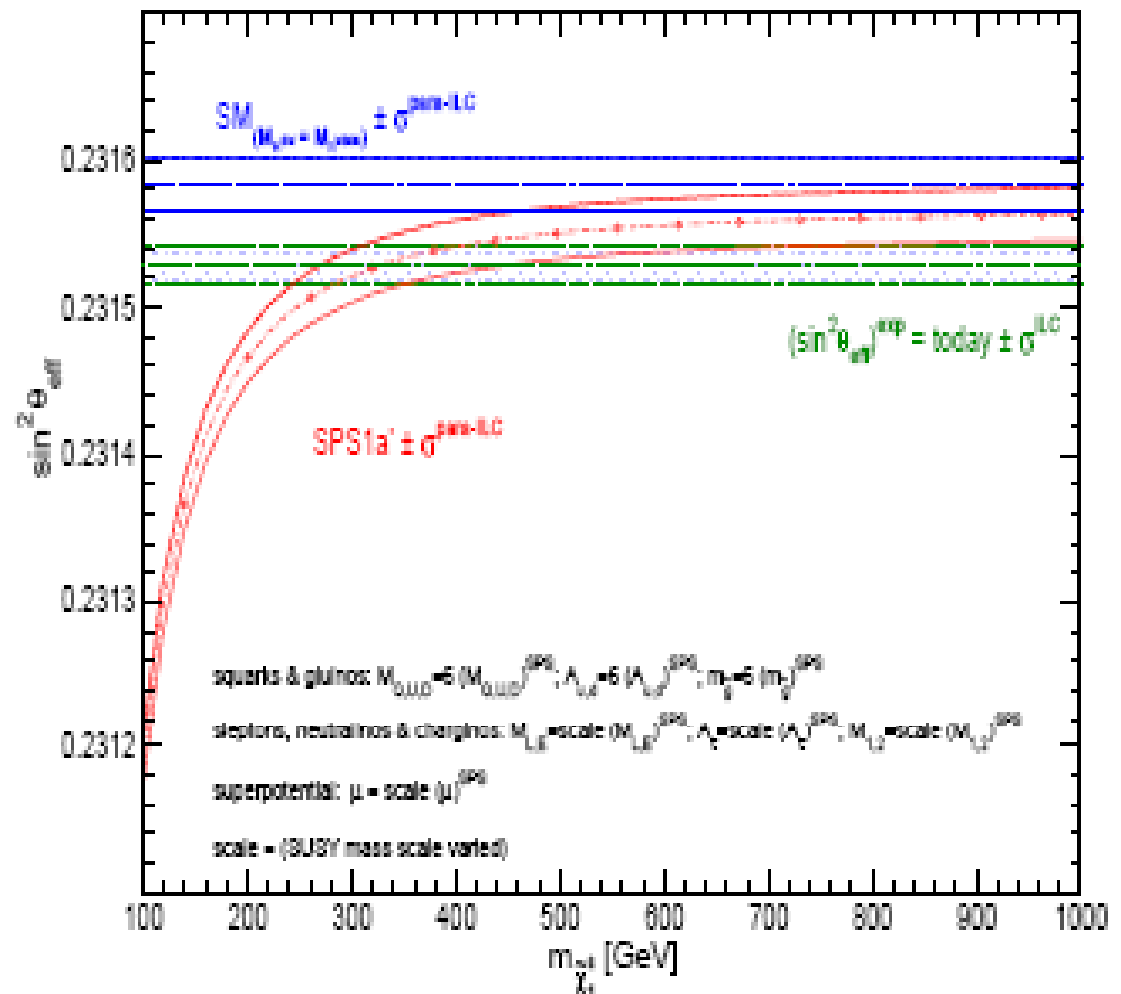
Heinemeyer, Hollik, Weber, Weiglein '07 + Power report

- Deviations at Z-pole

- Hints for SUSY

- Powerful test!

- We should not miss this option



What's the role of polarization?

- Derive the statistical uncertainty of A_{LR}

If only polarized electrons:

ΔA_{LR} determined by polarimeter uncertainty

$$A_{LR} = 1 / P(e^-) \times [\sigma_L - \sigma_R] / [\sigma_L + \sigma_R]$$

- Pure error propagation:
uncertainty depends on $\Delta\sigma_L$, $\Delta\sigma_R$, $\Delta P/P$
- For large statistics, σ (ee \rightarrow Z \rightarrow had) \sim 40 nb:
main uncertainty from $\Delta P/P \sim 0.5\%$ up to 0.25%
- Since 'only' calibration and begin of ILC, we assume
 $\Delta P/P = 0.5\%$
- Higher $P(e^-)$ better, we assumed 90%

Blondel Scheme

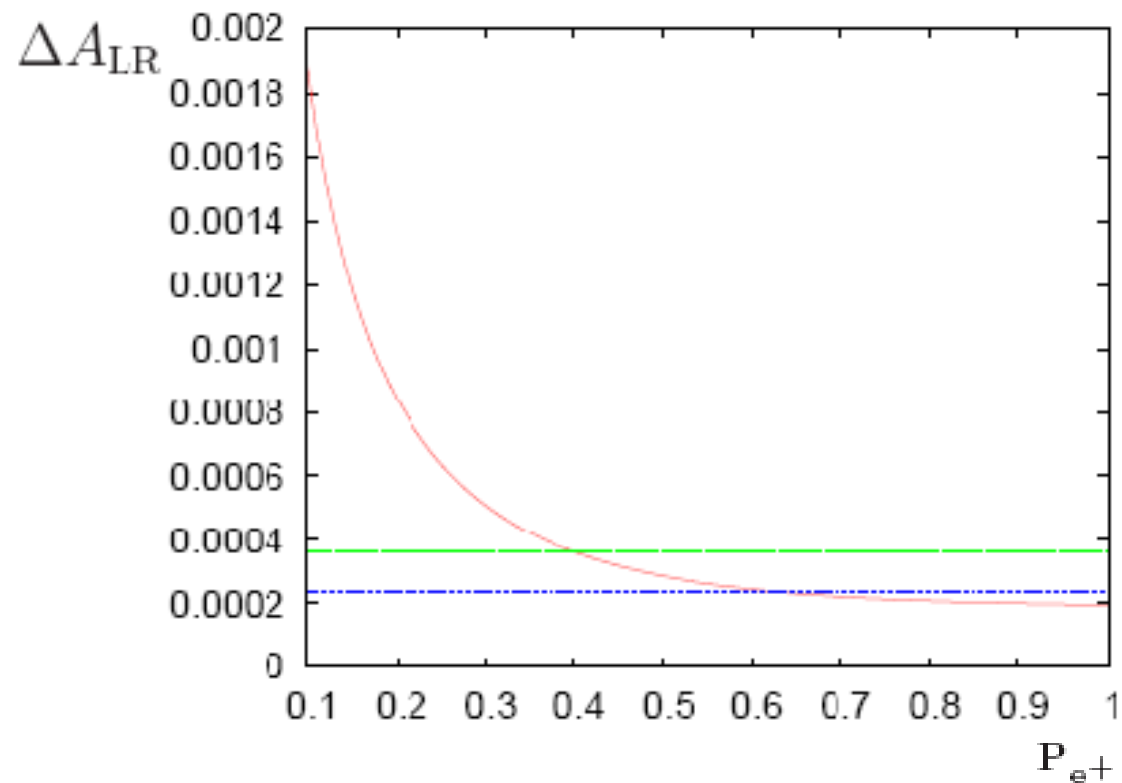
- Two polarized beams available
 - Express A_{LR} **only** by cross sections

$$\sigma = \sigma_{\text{unpol}}[1 - P_{e^-}P_{e^+} + A_{LR}(P_{e^+} - P_{e^-})],$$
$$A_{LR} = \sqrt{\frac{(\sigma_{++} + \sigma_{+-} - \sigma_{-+} - \sigma_{--})(-\sigma_{++} + \sigma_{+-} - \sigma_{-+} + \sigma_{--})}{(\sigma_{++} + \sigma_{+-} + \sigma_{-+} + \sigma_{--})(-\sigma_{++} + \sigma_{+-} + \sigma_{-+} - \sigma_{--})}}$$

- **Pure error propagation:**
uncertainty depends on $\Delta\sigma_{LL}$, $\Delta\sigma_{LR}$, $\Delta\sigma_{RL}$, $\Delta\sigma_{RR}$ not on $\Delta P/P$
- **Only relative measurements wrt flipping polarization needed**
 $\Delta P / P = 0.5 \%$ should be sufficient
- **Some calibration time in LL and RR required**
assumed 10%, but that's not the optimum (see later)

Dependence of $\Delta A_{LR}(stat)$ on $P(e^+)$

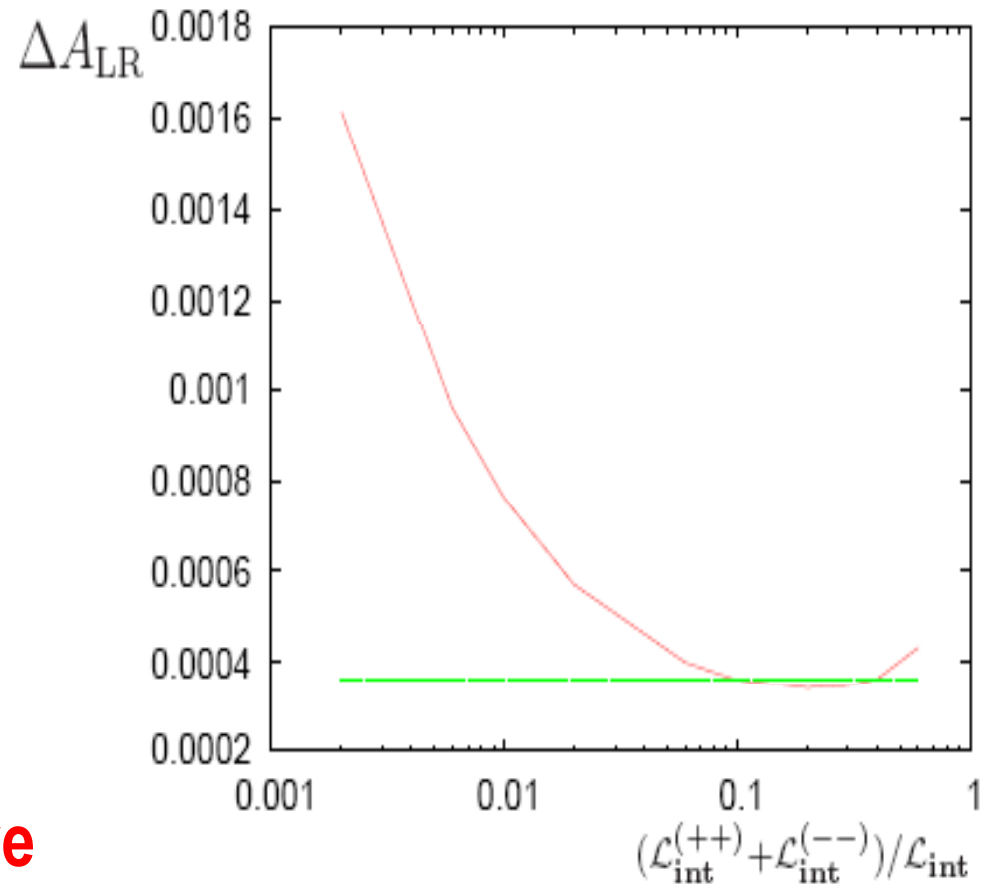
- On basis of 10^6 Z's
- $P(e^+)$ important
- Strictly speaking:
 $P(e^+)=60\%$ desirable



cf also Hawkings, Moenig, 1999 on basis of 10^9 Z-events, GigaZ studies

Dependence of $\Delta A_{LR}^{(stat)}$ on L_{++} and L_{--}

- What is the optimum time running in (++) and (--) mode?
- Assume $P(e^+) = 40\%$
- Best value at about $(L_{++} - L_{--})/L_{int} = 25\%$
- But does not significantly reduce the uncertainty!
- Higher $P(e^+)$ more effective



Schemes for e^+ production

- **Several possibilities to achieve the Z-pole:**
 - **Deceleration of e- beam after 150 GeV point**
 - still too high for Z-pole: slight fine tuning with E_b needed
 - some emittance dilution but larger energy spread (probably ok)
 - **Running of undulator at lower energy, $E_b=50\text{GeV}$**
 - dependence on higher harmonics, K value tuning useful
 - lower lumi but ok for calibration (estimated 7×10^{31} ok)
 - Larger emittance (but ok for calibration)
 - Iff problems: bypass solution

How to reach the Z-pole?

- **Other possibility:**
 - use other e- source for undulator, but inject e- beam for calibration from DR after undulator ?
 - probably too much effort, but should be studied
- **What about undulator at 250 GeV option?** ('minimal machine' approach)
 - Running at 50 GeV and same as before (higher harm, K-value)
 - Bypass solution, etc.

So no showstopper (also for high energy physics run)...

Conclusion

- Promising physics case for using low lumi Z-pole data
 - Large physics gain in ew prec. Physics, A_{LR} vs A_{FB} , worst case scenarios, etc (see forthcoming paper)
 - Powerful tests at an early stage and (GigaZ comes late, but could be further motivated by these low lumi data)
 - Polarized e- and e+, helicity flipping and polarimeters needed (see other talks of Jenny, Sabine and Ken)
- Different schemes possible for e+@Z-pole, optimization needed
- We should not miss this opportunity!