





Status of Mechanical Stabilization

EUROTeV Scientific Workshop at Uppsala – August 2008

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Overview

- I. Introduction of the context
- 2. Test possibilities :
 - Instrumentation
 - The experimental setups
 - Numerical approach to increase test possibilities
- 3. Active control of the structure
 - 3.1. Active control of a defined point of the structure
 - At given frequencies
 - Dedicated to a bandwidth which corresponds to a resonant mode of the structure
 - Results with the cantilever magnet prototype
 - 3.2. Combination of active isolation and active compensation
 - Results using an industrial solution : TMC table of CERN
 - Interest in a low cost and active table dedicated to our needs
 - 3.3. Active control of the entire structure
 - Investigation of a multipoint control method
 - Next stage : comparison with the distributed collocated control
- 4. Conclusion and perspectives



The problem of the stabilization



Example of spectral analysis of different disturbance sources

✓ Acoustic disturbance :

✓ Ground motion :



The problem of the stabilization

✓ Vibration sensors acquired by LAVISTA : (PhD thesis of B. Bolzon)



The prototype

Tests possibilities

✓ The large prototype and its instrumentation :



Tests possibilities

Tests in simulation (EUROTeV-Report-2007-054)

✓ A finite element model of the structure :



✓ Dynamics equation :

 $M.\ddot{u}(t) + C.\dot{u}(t) + K.u(t) = f_p(t)$

- M : Mass matrix
- C : damping matrix
- K : stiffness matrix

> A prediction of the mechanical structure response

Requires an updating to be as representative as possible to the real setup

> Available under Simulink, in the form of a state space model in order to test feedback loops.

The purpose of the simulation :

- To adjust the feedback loop
- To increase the test possibilities (multiple configurations for sensors, actuators...)
- To analyse the behaviour of the entire beam

Different approaches of the problem

Active control

The method used to build the controller :



1 - A knowledge of the structure at strategic points : for lumped disturbances

2 - A local model of the structure : for the disturbances amplified by eigenfrequencies.

3 - A complete model of the structure : *for the entire structure*



The first developed algorithm (EUROTeV-Report-2006-097)

Active control

✓ The originality :

Not based on a model of the system (classical algorithm), but only on a few characteristics of the system, computed in open loop for each selected frequency :

- The gain and the phases differences between output / input.
- The setting time.

The different components : $f_s(w_i)$ Rebuilding State $f_c(w_i)$ of the strength feedback **Spectral** $f_s(w_i)$ $\hat{p}_s(w_i)$ analysis $f_c(w_i)$ State $\hat{p}_{c}(w_{i})$ $y_s(w_i)$ Actuator Filtering Signal processing observer Sensor $y(w_i)$ y Structure to (at one (transposition $y_c(w_i)$ be stabilised frequency) in a new basis)

Results with the first developed algorithm

Active control



✓ The first results at the nanometer scale :

• Example of active compensation of an unknown frequency disturbance, excited by the natural environment (motion of the ground + acoustic noise).

• Possibilities to increase the number of rejected disturbances.

> Active compensation is efficient with the initial algorithm for narrow peaks.

> For eigenfrequencies, the need of controlling a larger bandwidth.

Command with internal model



• The model M(s) is an elementary model, which corresponds locally to the process, so it is defined in function of a <u>basic knowledge of the process</u> :

- The amplification and the phase at the selected resonant frequency.
- The damping of the selected resonant mode (hammer test, in function of the gain)
- The filter F(s) selects the bandwidth of the algorithm.
- \rightarrow The requirements of this algorithm are a bit more complex but still basic.
- \rightarrow There are as many algorithms that run in parallel as there are eigenfrequencies to stabilize.



Tests with the large prototype

Active control

Results : Power spectral density



Tests with the large prototype

Active control



The industrial solution

Active control

✓ An industrial solution : the TMC table of CERN.





✓ Composed of a rigid bloc, placed on 4 active feet (STACIS).

• <u>Passive isolation :</u> attenuates all the high frequency disturbances but amplifies the low frequency disturbances (like a resonant filter).

• <u>Active isolation :</u> attenuates the disturbance amplified by the passive isolation (low frequencies disturbances).





Tests with the large prototype

Active control



The small and elementary mock-up

Active control

✓ Association of active and passive isolation :



 \rightarrow Currently tested in simulation, next step: with the small prototype and then with industrial products and realistic size in order to develop maybe a low cost and dedicated active table.



Multi sensors – Multi actuators



\rightarrow The method :

• Develop a complete model M(s) of the structure (using the modelling -finite element) updated as a function of the behaviour of the structure - results in a state space form

• Compute a reduced model M_r(s) which is representative of the structure given by the modelling stage.

• Build a robust corrector with the reduced model, using the method of the placement of poles and zeros.

• Test in simulation, next step: on the prototype.

✓ Test in simulation :



- d(s) : Disturbance forces (ex : simulation of acoustic perturbation with a pink noise).
- F_t(s) : Sum of the forces applied to the structure.
- y(s) : Measurement of the velocity or displacement at different points of the beam.
- $F_c(s)$: Forces computed by the corrector (linear quadratic corrector).
- > Promising results in simulation.
- > The next target is to test this method on the prototype.





✓ Comparison :

Advantages :

- Easier to carry out
- More robust because it depends on an elementary model

Disadvantages :

- Each control is independent, so there is no control between 2 points.
- Less effective ?

✓ Conclusion : the 2 methods have to be investigated. The choice will certainly depend on the required attenuation.



Conclusions and perspectives

✓ Hardware :

- Instrumentation able to manage vibrations at a nanometer scale
- An adapted prototype in order to test our developments

✓ Control :

- 2 types of algorithms for active compensation at the end of the beam
- A beginning of study for active isolation
- A current study of an algorithm dedicated to the stabilization of the entire structure

 \succ We have succeeded in stabilizing an elementary structure at a sub-nanometer scale in a natural environment.

✓ Future prospects :

• The stabilization of the entire structure in order to compare the 2 approaches.

➤ This work is summarized in the EUROTeV report 2008-006 and was presented in a poster session at EPAC 2008.



ANNEXES





Command with internal model

✓ Similarities of tuning between the initial algorithm (state space for punctual disturbances) and this one (CIM for large peaks) :

State space

Amplification in open loop.

- Difference of phase in open loop.
- Setting time.

Command with internal model

• Determinate a model which corresponds to the process for the selected bandwidth with the same :

- Amplification in open loop.
- Difference of phase in open loop.
- Damping of the selected eigenfrequency.
- Build a corrector from this model, which is stable, meaning respects the rules of automatic.

 \checkmark To determine the damping values, there are different methods :

- Theoretical : modelling...

- Experimental : hammer test, in function of the amplification...

→ The requirements of this algorithm are a bit more complex but still basic, so realistic !!

