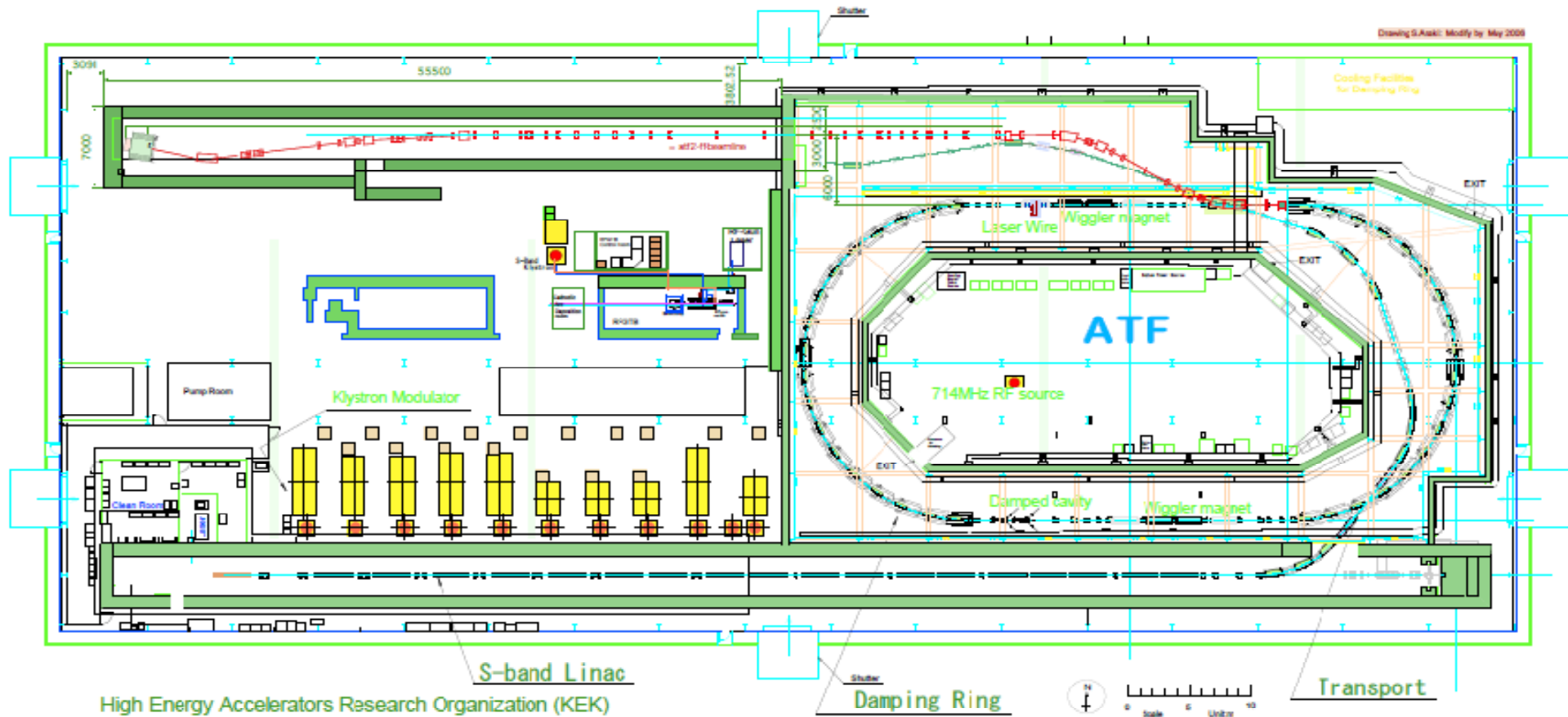
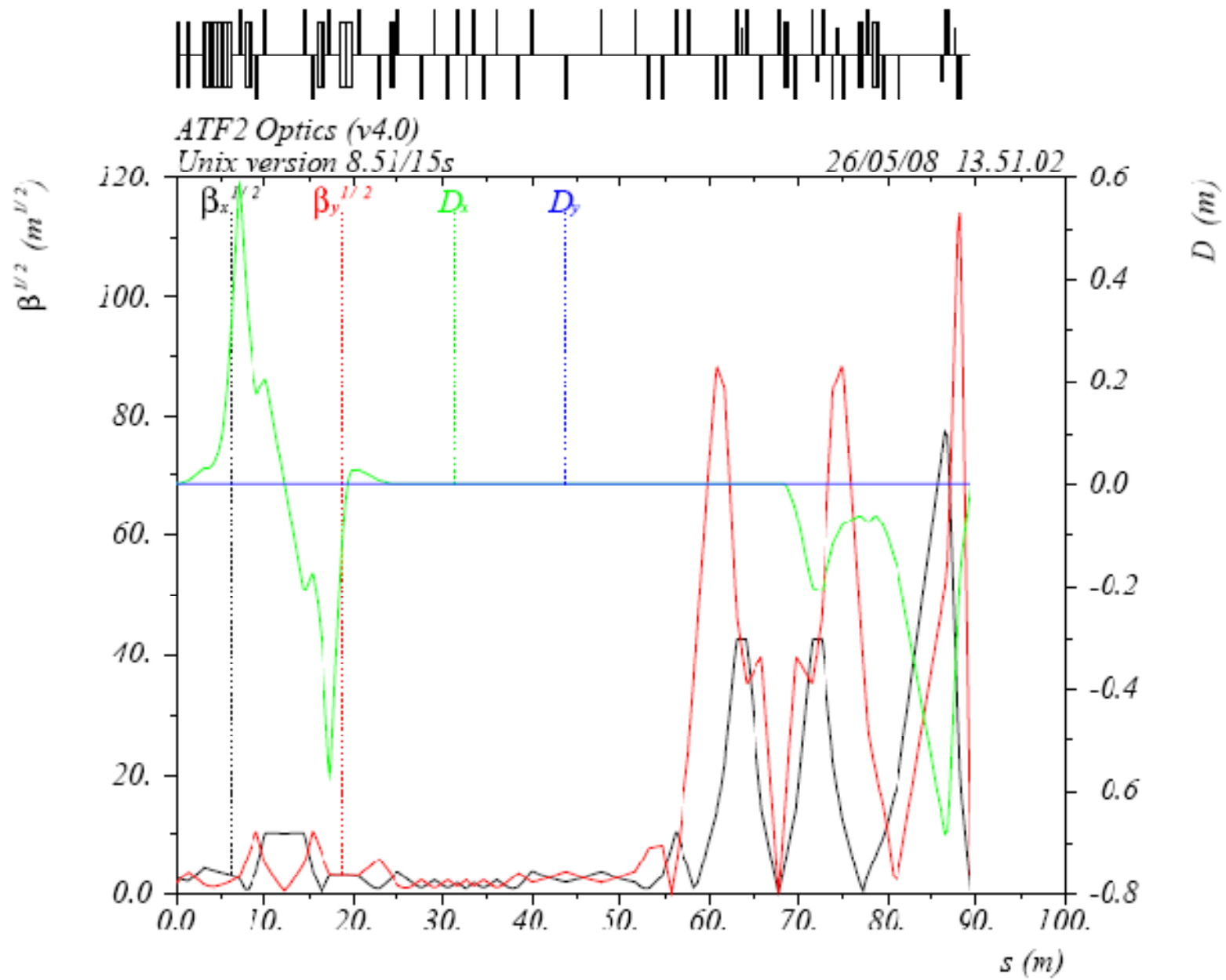
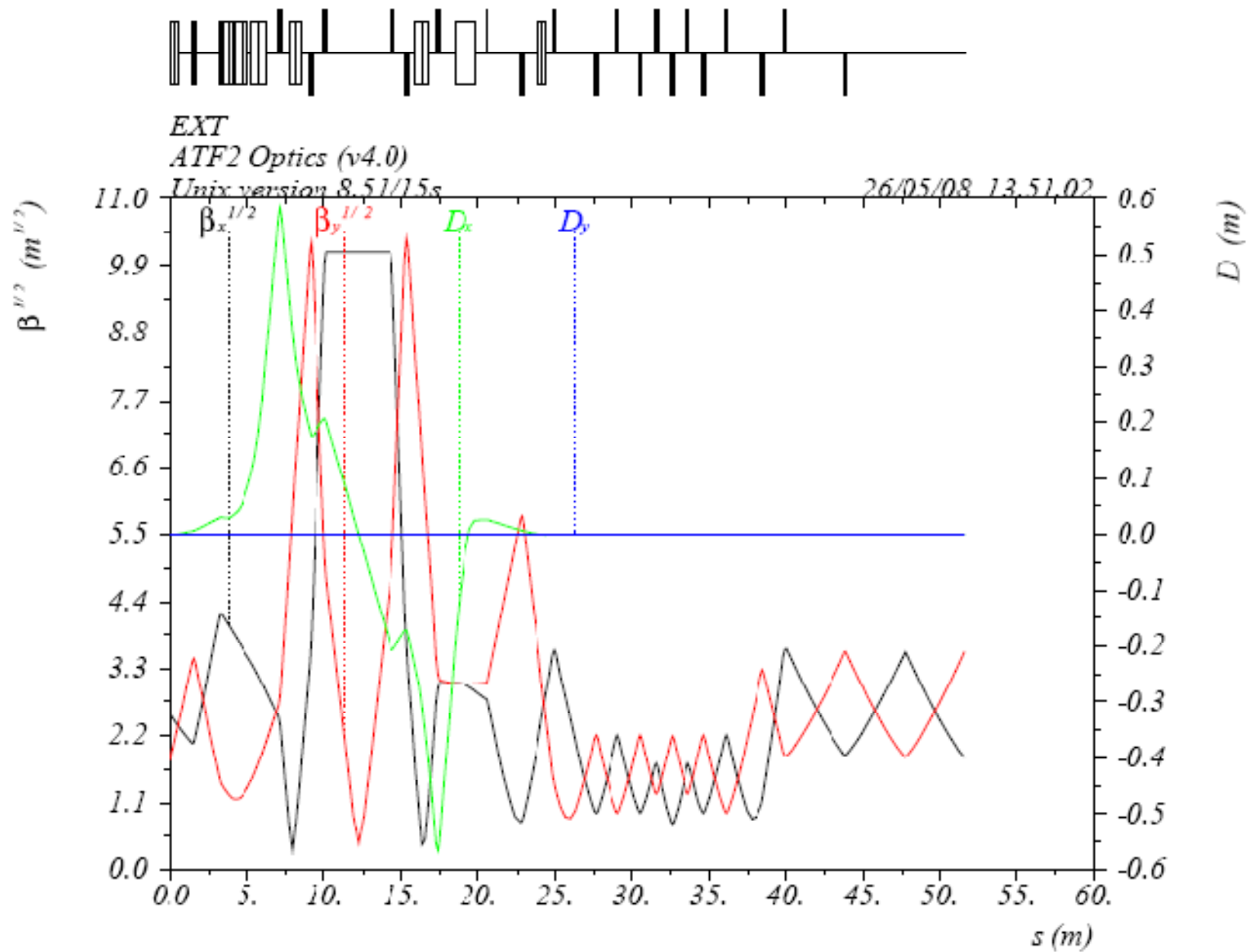


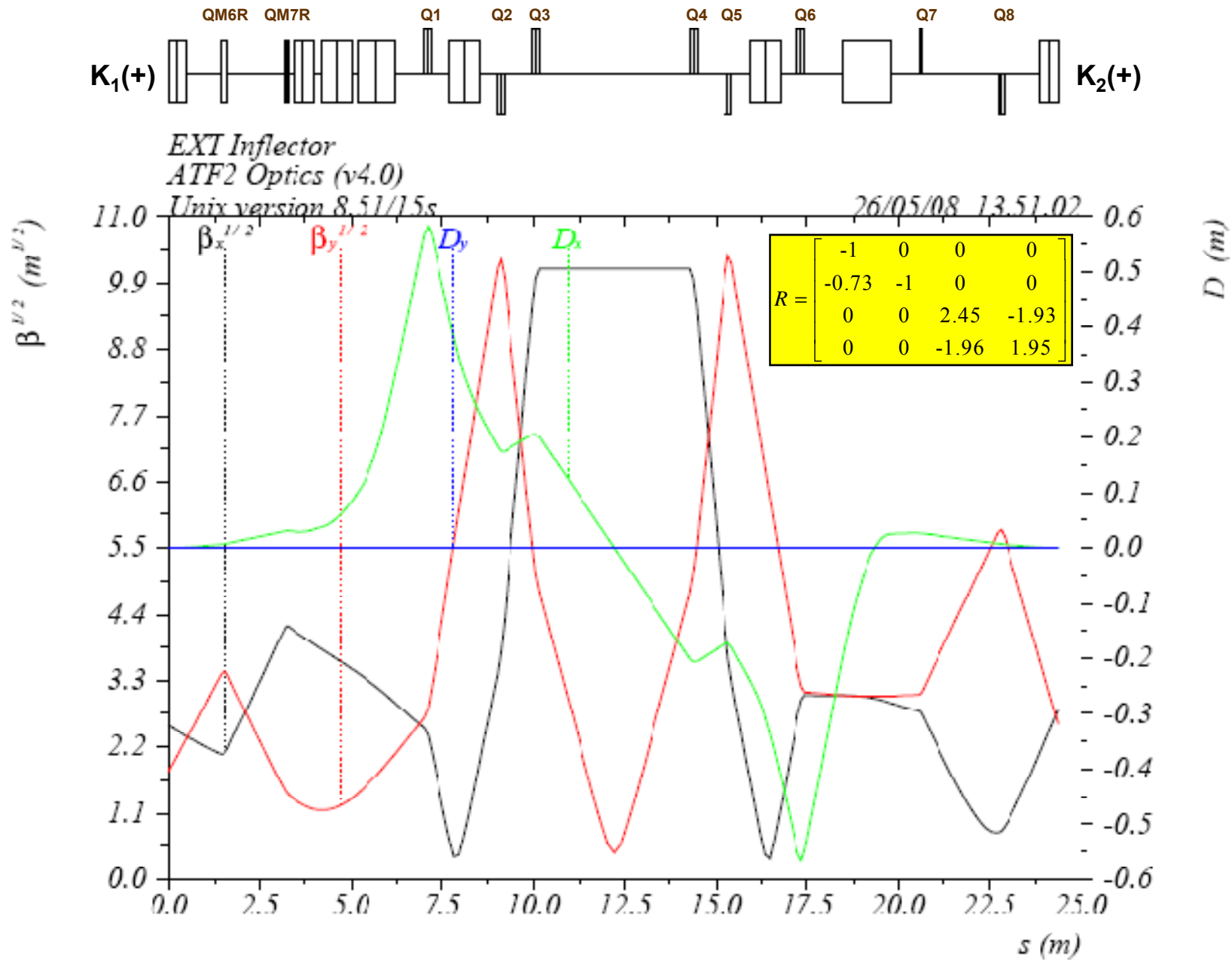


## Simulation of Performance of ATF2 EXT Line (v4.0)



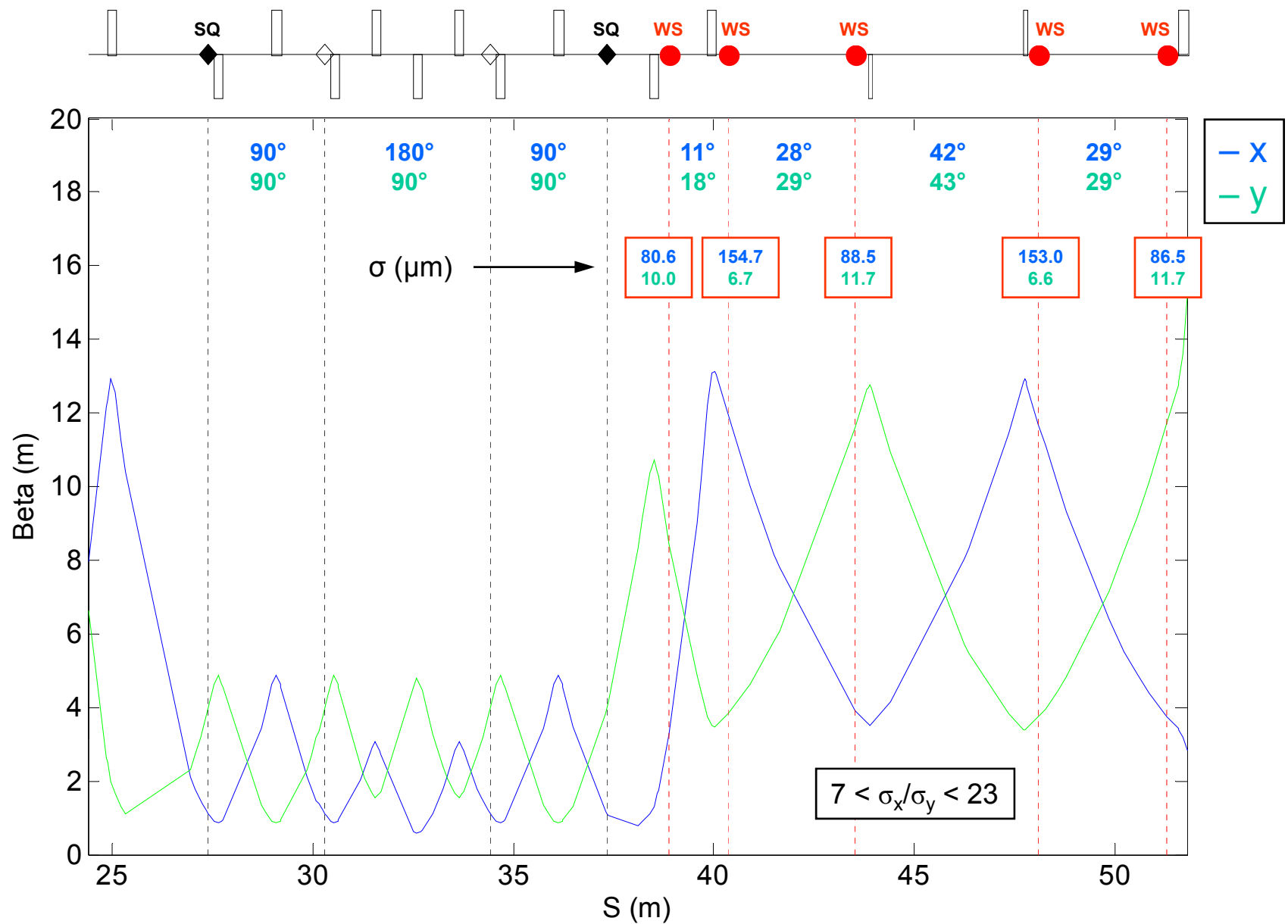




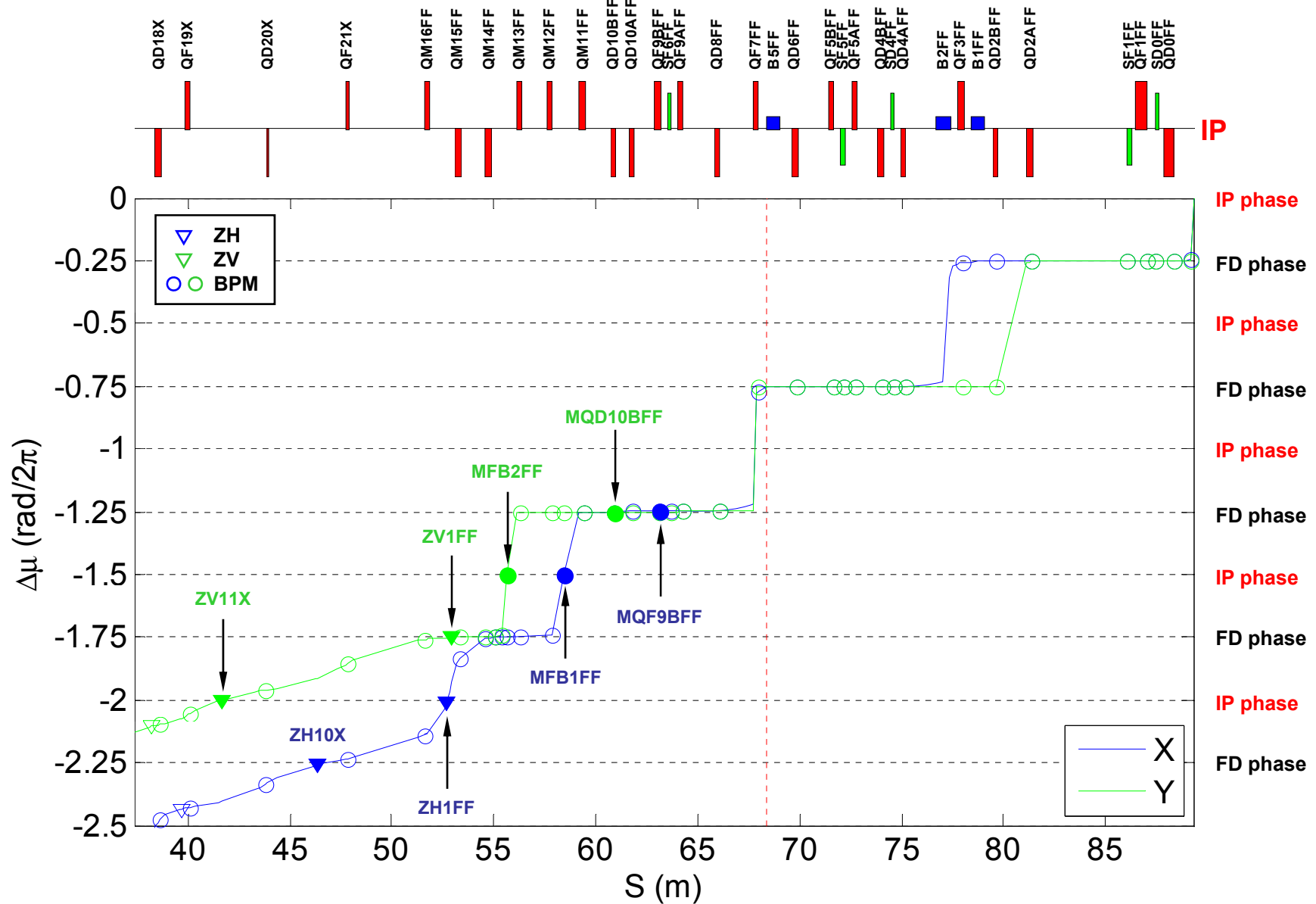


For MAD files see <http://www.slac.stanford.edu/~mdw/ATF2/v4.0>

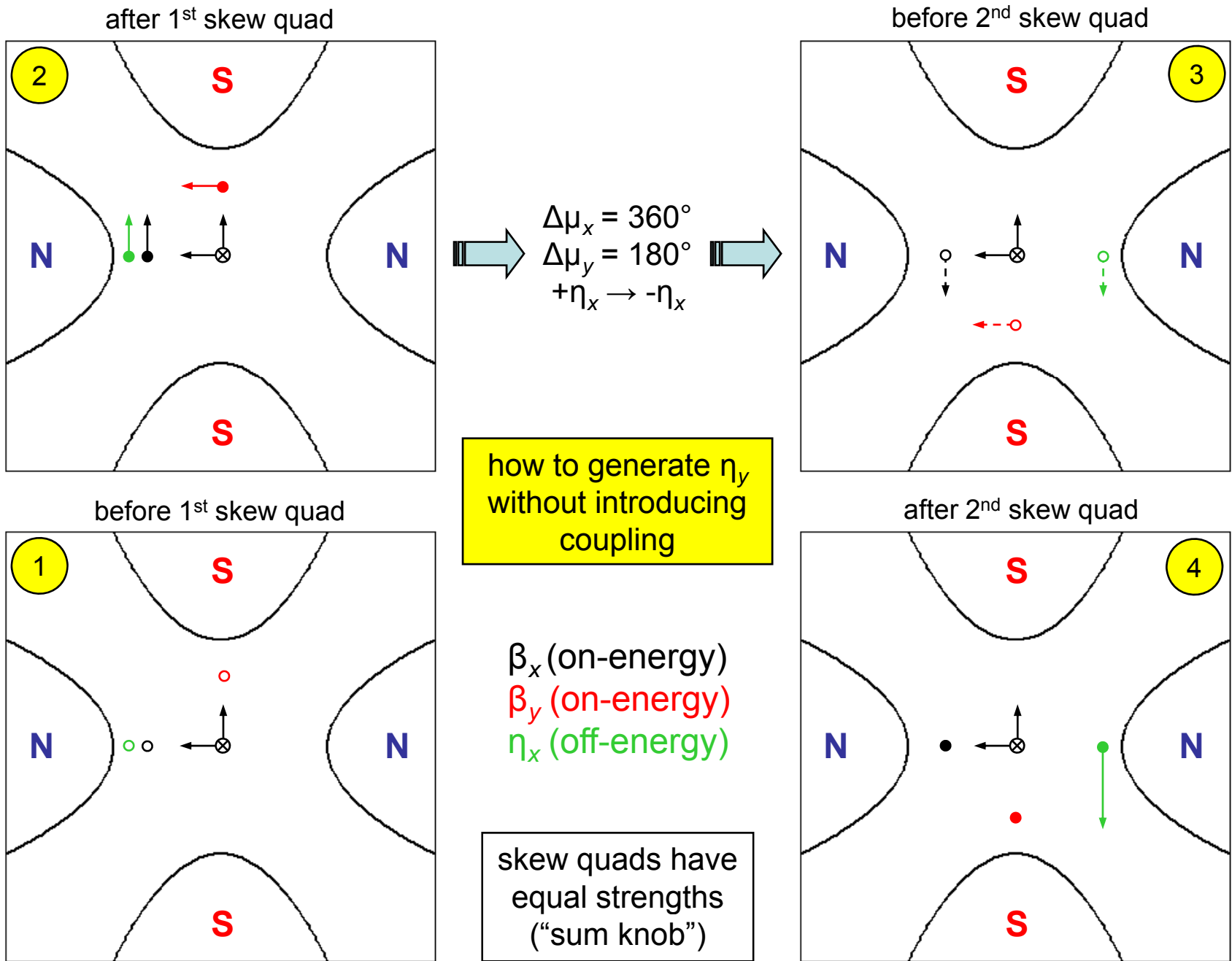
# EXT Diagnostic Section (version 4.0)



# ATF2 pulse-to-pulse feedback devices (v4.0)

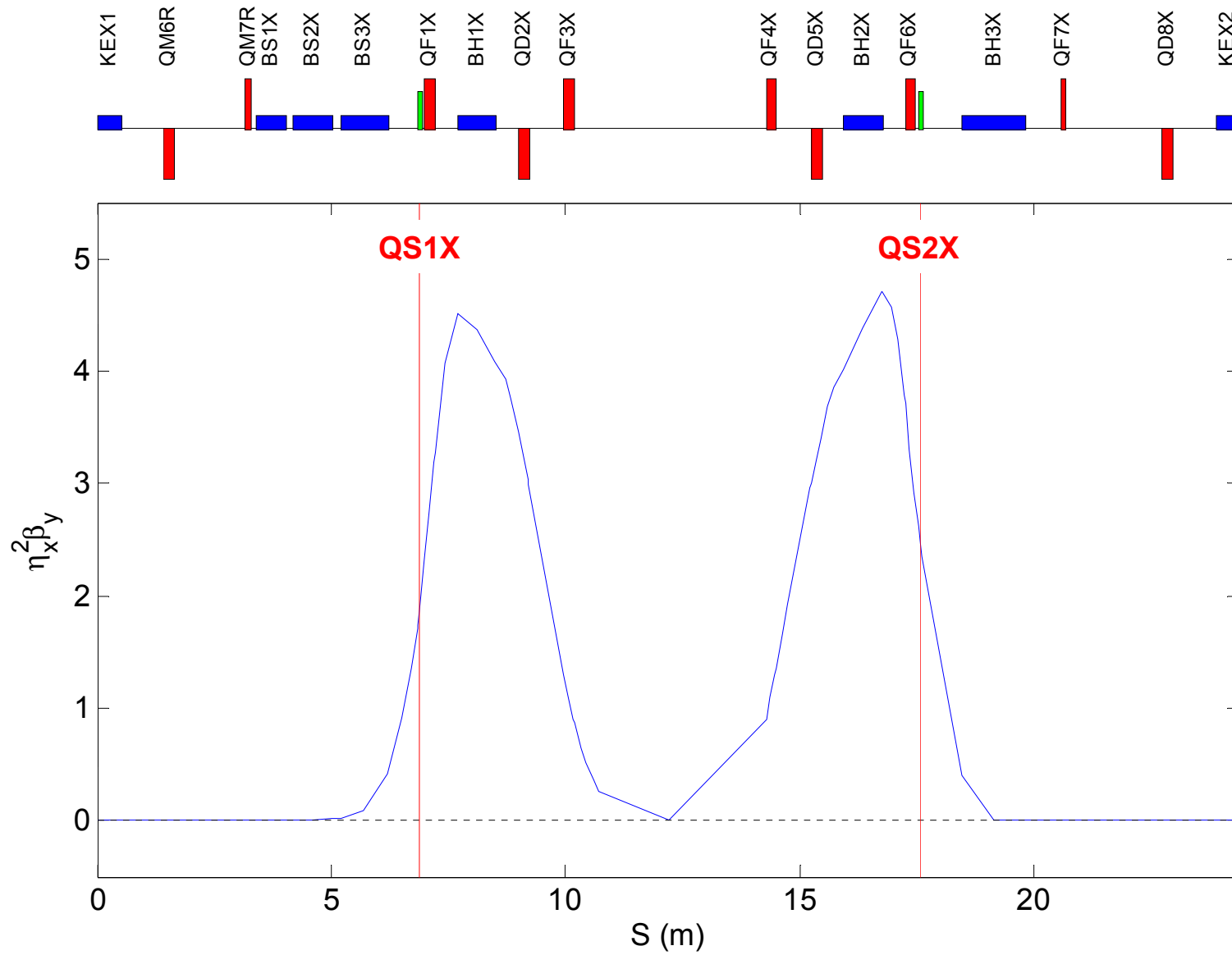


# Vertical Dispersion Correction

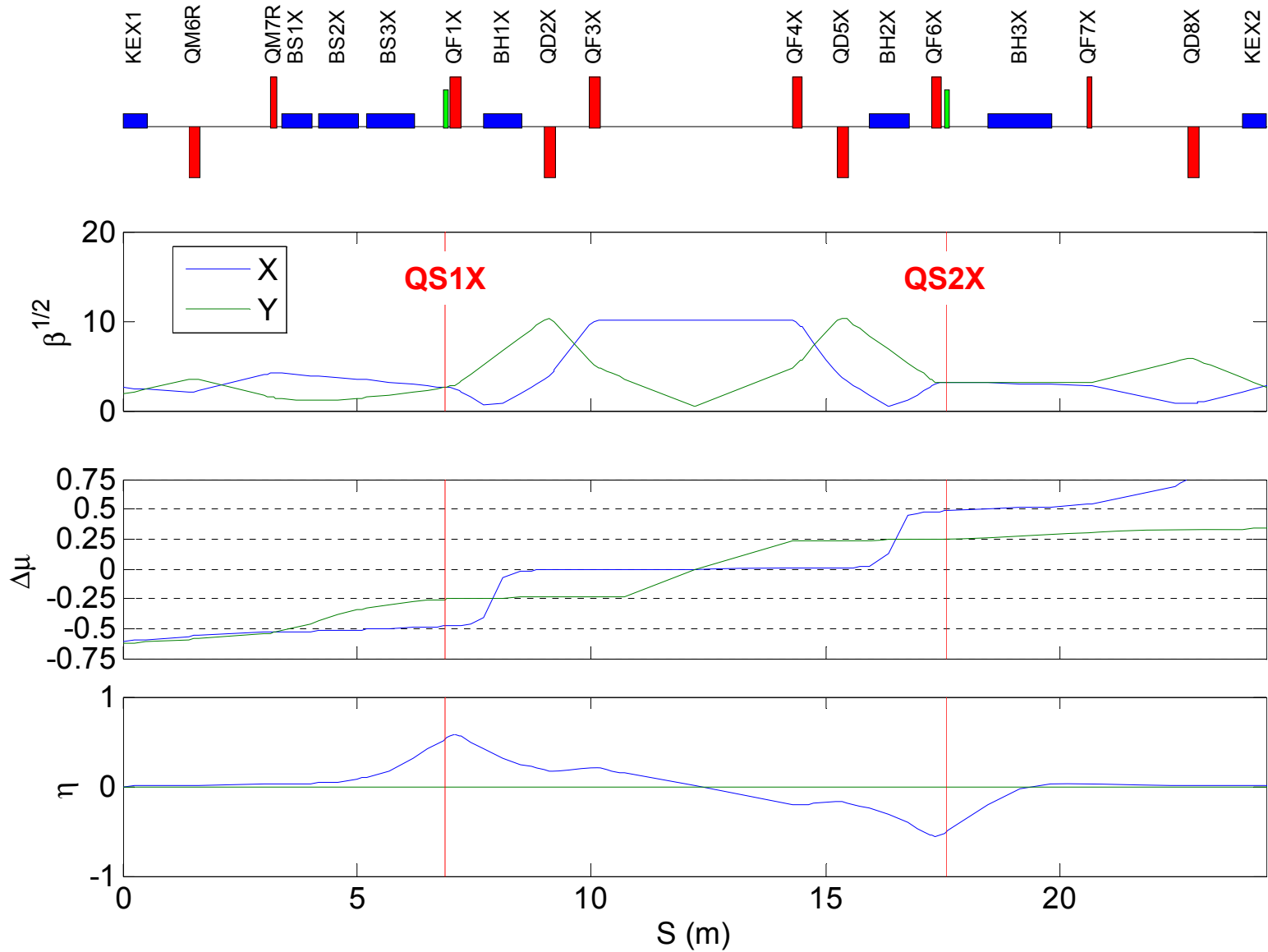




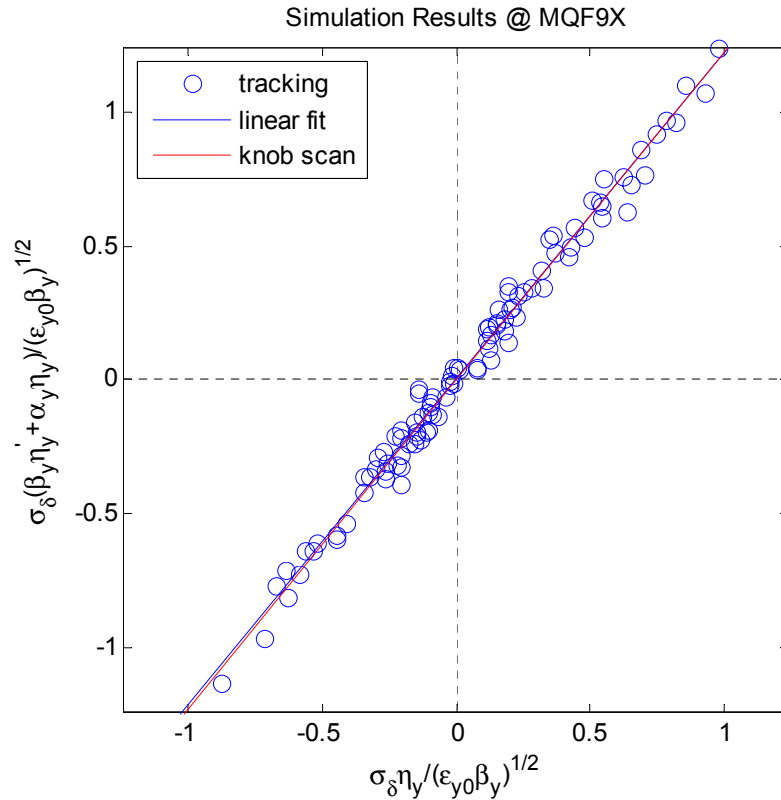
## Vertical Dispersion Correction: Effectiveness



## Vertical Dispersion Correction: Twiss at Skew Quadrupoles



$\eta_y$  and  $\eta'_y$  at MQF9X (start of diagnostic section)  
after steering EXT flat (100 seeds)



$$\frac{\epsilon_y}{\epsilon_{y0}} = \sqrt{1 + \sigma_\delta^2 \left\{ \frac{\eta_y^2 + (\beta_y \eta'_y + \alpha_y \eta_y)^2}{\epsilon_{y0} \beta_y} \right\}}$$

@ MLQFX:  $\beta_y = 2.624$  m,  $\alpha_y = 3.299$

## Vertical Dispersion Correction: Residual x-y Coupling

$$R = \begin{bmatrix} R_{11} & R_{12} & R_{13} & R_{14} \\ R_{21} & R_{22} & R_{23} & R_{24} \\ R_{31} & R_{32} & R_{33} & R_{34} \\ R_{41} & R_{42} & R_{43} & R_{44} \end{bmatrix} \equiv \begin{bmatrix} A & B \\ C & D \end{bmatrix}$$

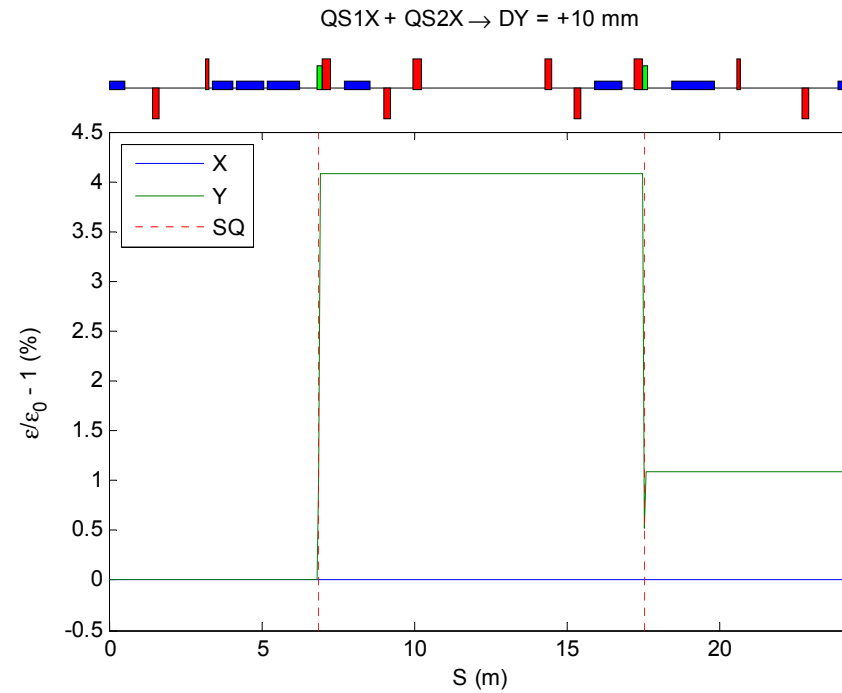
$$Q_{x,y} \equiv \frac{1}{\sqrt{\beta_{x,y}}} \begin{bmatrix} \beta_{x,y} & 0 \\ -\alpha_{x,y} & 1 \end{bmatrix}$$

$$P \equiv Q_x^{-1} A^{-1} B Q_y$$

$$\lambda = \text{tr}(PP^T)$$

$$\epsilon_x^2 = |A|^2 \epsilon_{x0}^2 + |C|^2 \epsilon_{y0}^2 + |A|^2 \epsilon_{x0} \epsilon_{y0} \lambda$$

$$\epsilon_y^2 = |C|^2 \epsilon_{x0}^2 + |A|^2 \epsilon_{y0}^2 + |A|^2 \epsilon_{x0} \epsilon_{y0} \lambda$$



	QS1X	QS2X
$\beta_x$ (m)	6.504	9.358
$\alpha_x$	1.309	0.054
$\eta_x$ (m)	0.540	-0.521
$\beta_y$ (m)	6.890	9.643
$\alpha_y$	-2.059	0.208
$\Delta\mu_x$ (degree)	-	345.536
$\Delta\mu_y$ (degree)	-	182.022
$k_l/k_{lmax}$	0.131	0.131
residual (%)	1.097	

# EXT Tuning Simulations

# Simulation Parameters

- use Lucretia<sup>1</sup> simulation code
- included
  - perfect beam from Damping Ring ( $\epsilon_x=2\times 10^{-9}$  m,  $\gamma\epsilon_y=3\times 10^{-8}$  m) ... errors begin after extraction septa, unless otherwise noted
  - perfect Final Focus
  - dipole errors<sup>2</sup>:  $\Delta Y = 100 \mu\text{m}$  (rms)
  - quadrupole errors:  $\Delta X = 50 \mu\text{m}$ ,  $\Delta Y = 30 \mu\text{m}$ ,  $\Delta\theta = 0.3 \text{ mrad}$  (rms)
  - sextupole errors:  $\Delta X = 50 \mu\text{m}$ ,  $\Delta Y = 30 \mu\text{m}$ ,  $\Delta\theta = 0.3 \text{ mrad}$  (rms)
  - BPM resolution:  $5 \mu\text{m}$  (rms)
- *not* included
  - wire scanner rolls:  $|\theta| \leq 0.2^\circ$  (uniform)
  - wire scanner beam size errors:  $\sigma = \sigma_0(1+\Delta\sigma_{\text{relative}})+\Delta\sigma_{\text{absolute}}$
  - quadrupole strength errors ( $\Delta K/K$ )
  - BPM offsets
  - BPM rolls
  - tuning in FF

<sup>1</sup><http://www.slac.stanford.edu/accel/ilc/codes/Lucretia/>

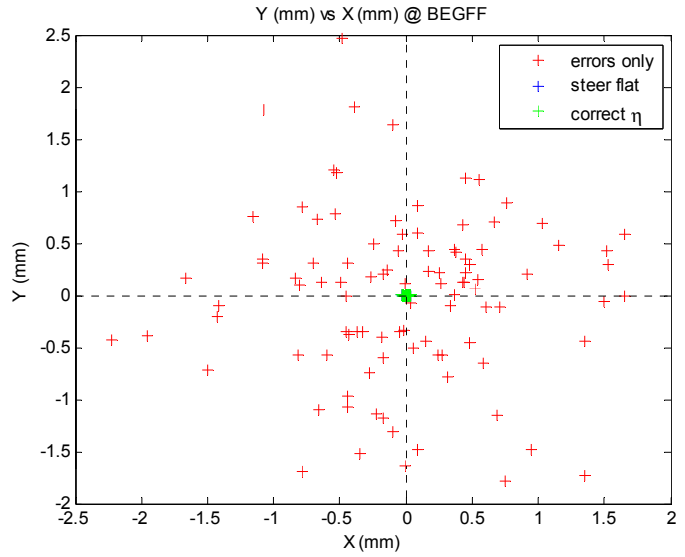
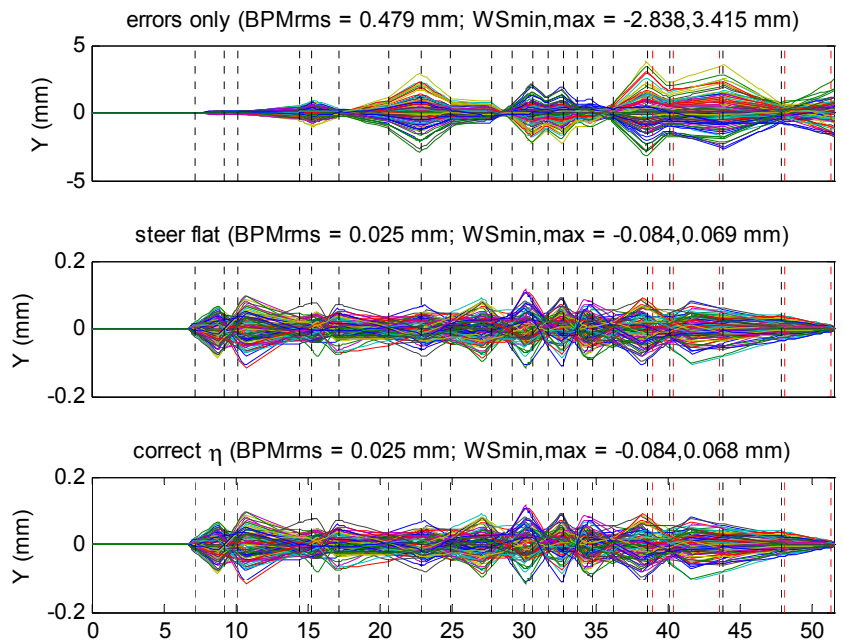
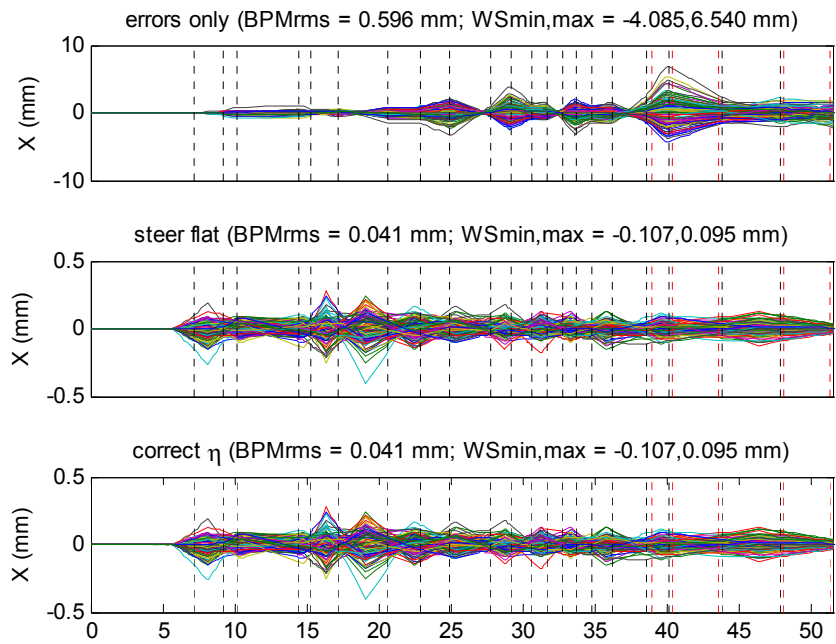
<sup>2</sup>EXT dipoles BH1 and BH2 are assumed to have nonzero sextupole components

# Simulation Procedure

1. apply errors
2. steer flat (EXT only)
3. launch into FF
  - use pulse-to-pulse feedback correctors and BPMs
  - BPMs are perfect
4. measure dispersion in diagnostic section
  - scan input beam energy
  - measure orbits
  - fit position vs energy at each BPM ... linear correlation is  $\eta$
  - back-propagate measured  $\eta$  to start of diagnostic section to get  $\eta_0$  and  $\eta'_0$
5. correct dispersion in diagnostic section
  - use QF1X + QF6X multiknobs for  $\eta_x$  and  $\eta'_x$
  - correct  $\eta_y$  using QS1X + QS2X “sum knob”
6. correct coupling
  - scan skew quadrupoles sequentially
  - deduce projected  $\epsilon_y$  from wire scanner measurements
  - set each skew quad to minimize projected  $\epsilon_y$

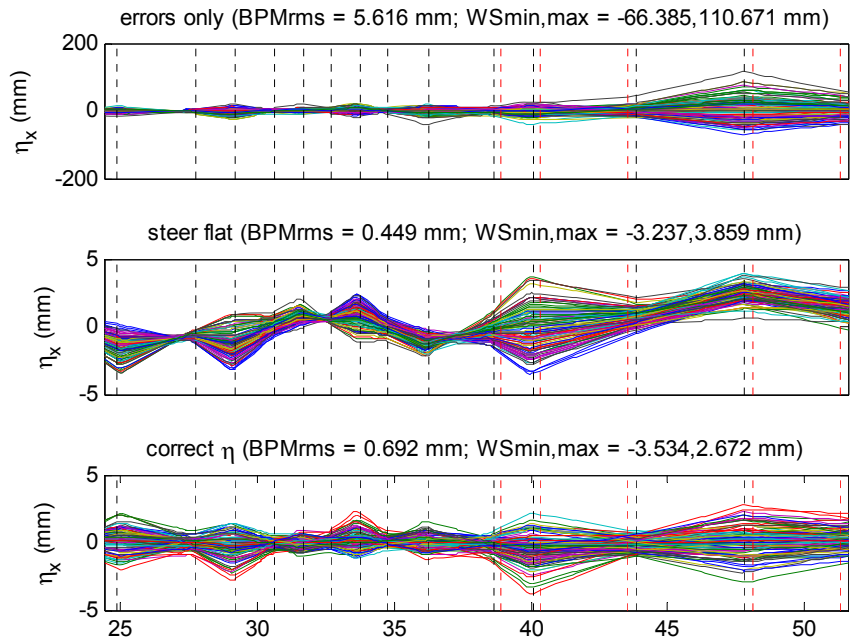
## horizontal orbit

## vertical orbit

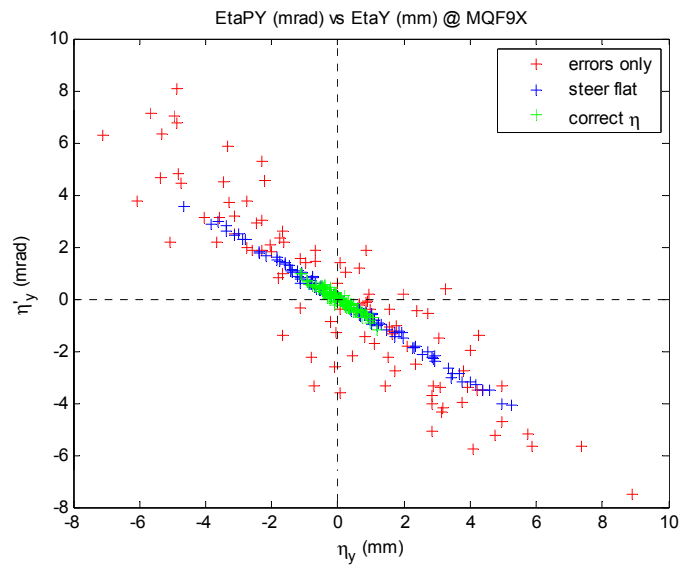
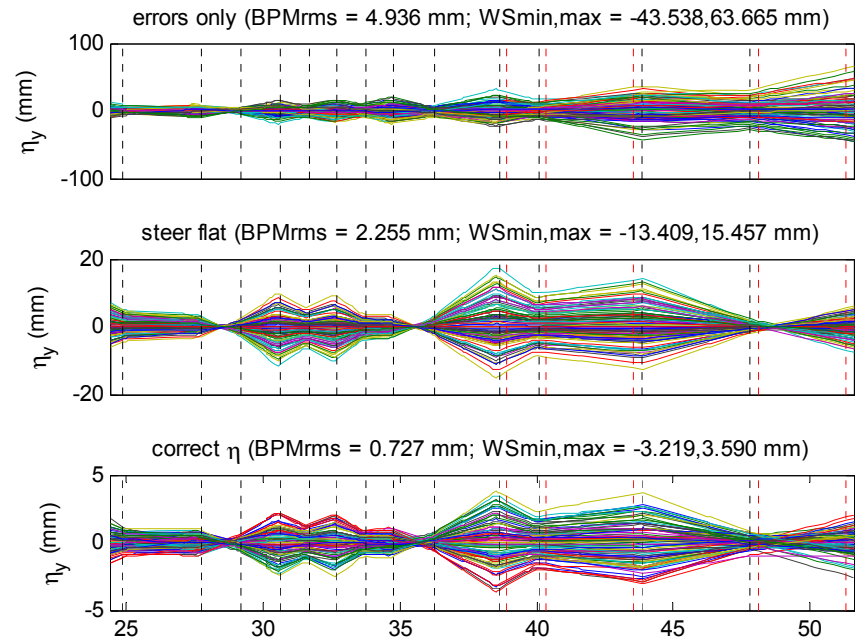




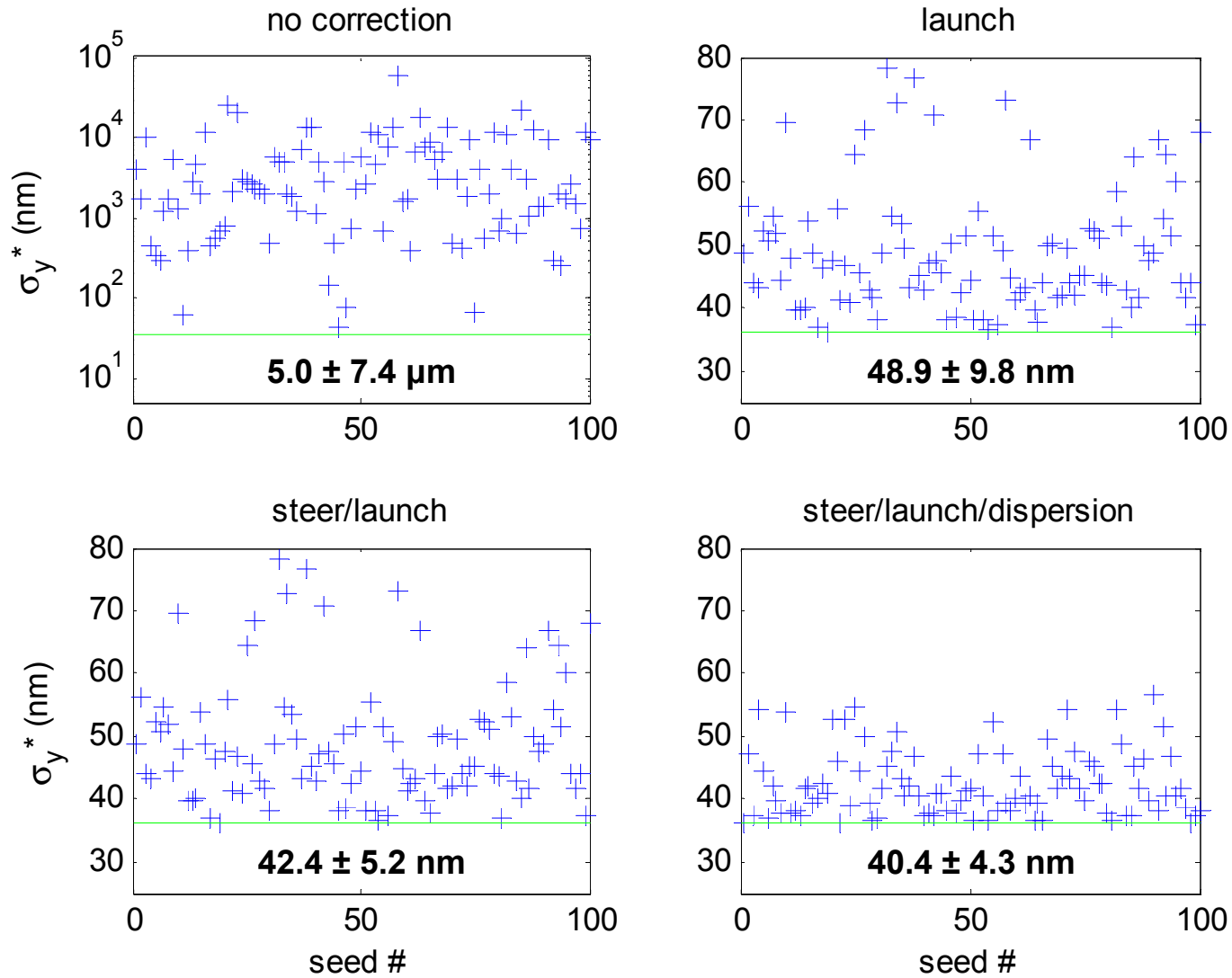
## horizontal dispersion



## vertical dispersion

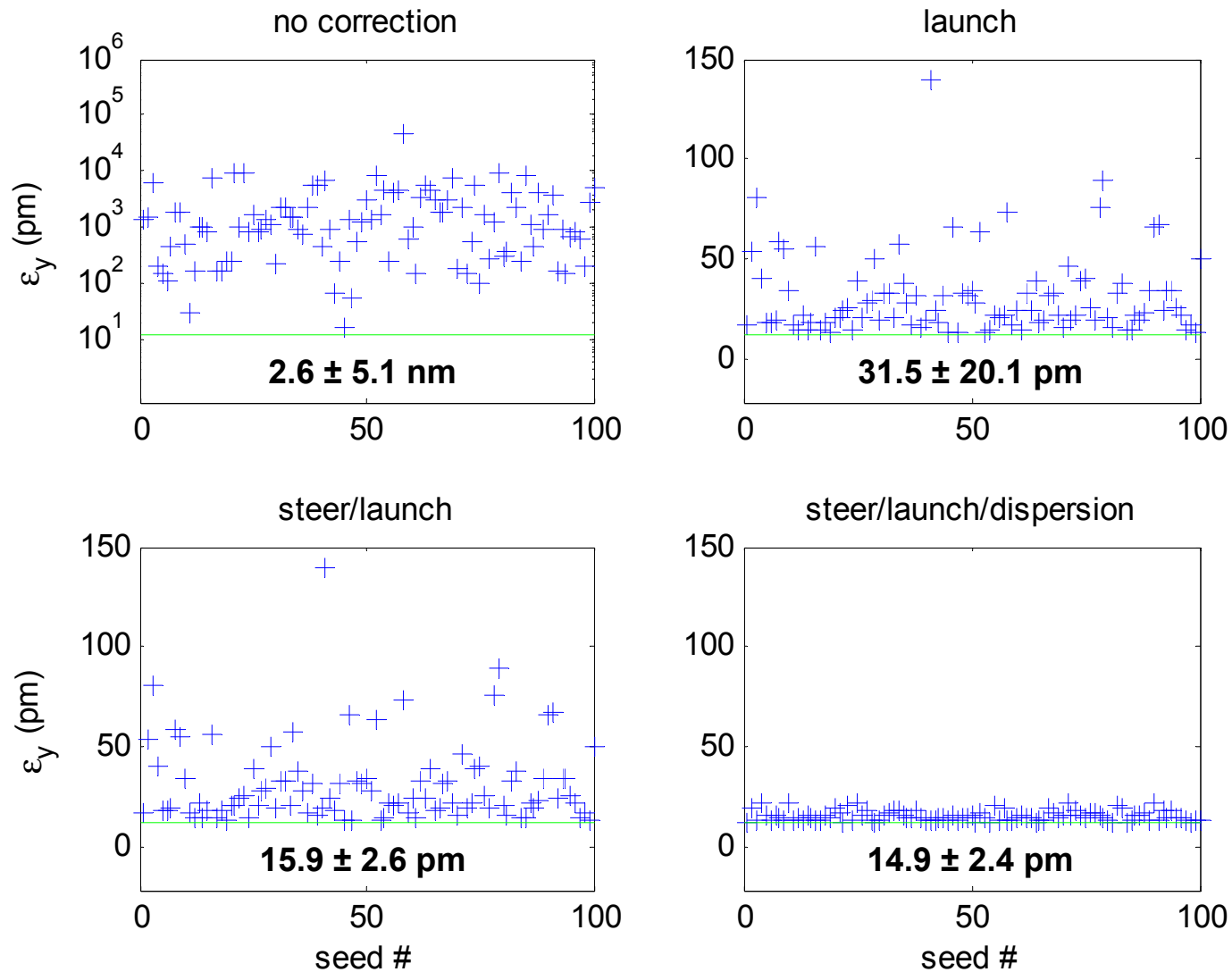


# Simulation Results: $\sigma_y^*$

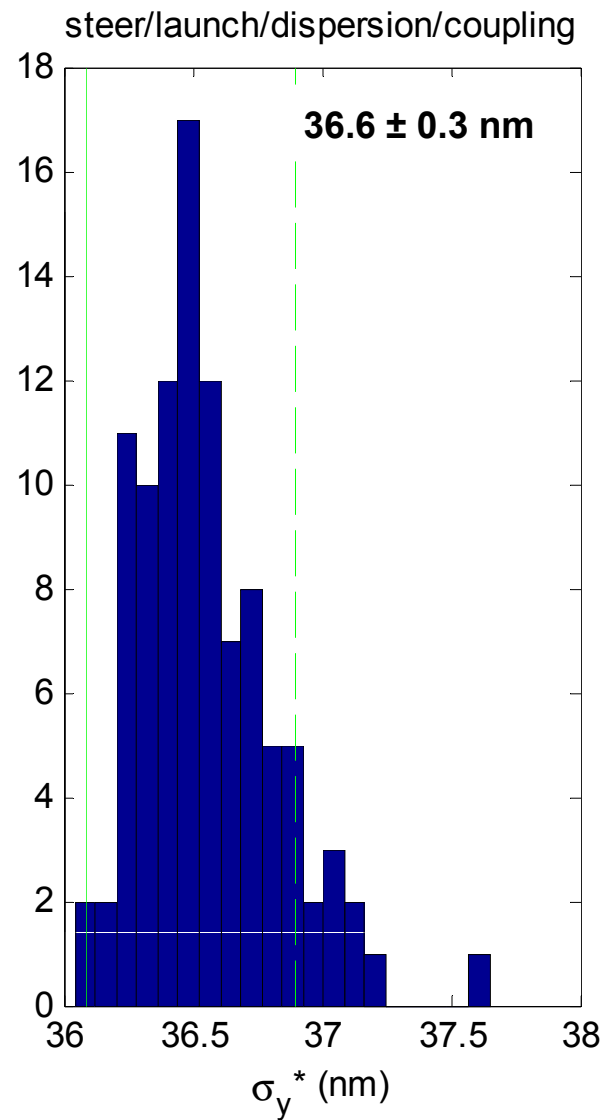
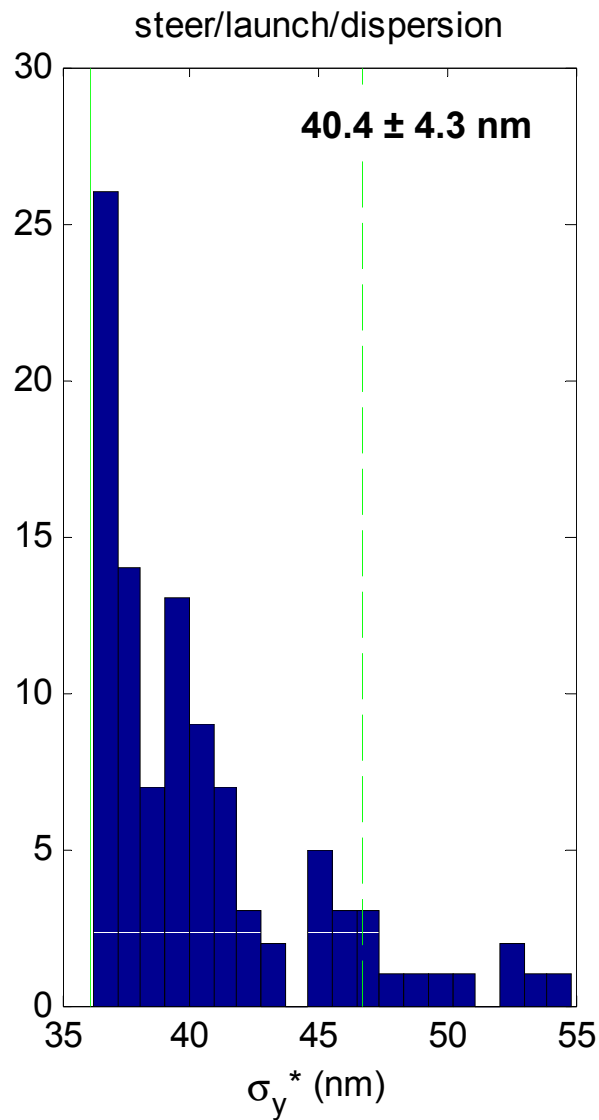


note: green lines show tracking for perfect machine (no errors, no corrections)

# Simulation Results: $\epsilon_y$



# Simulation Results: $\sigma_y^*$

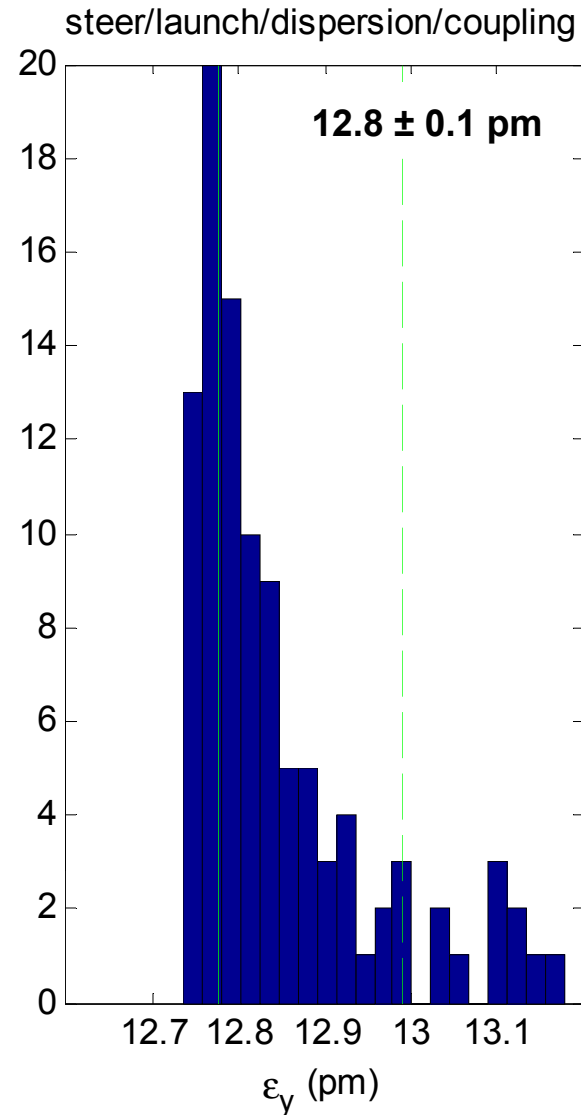
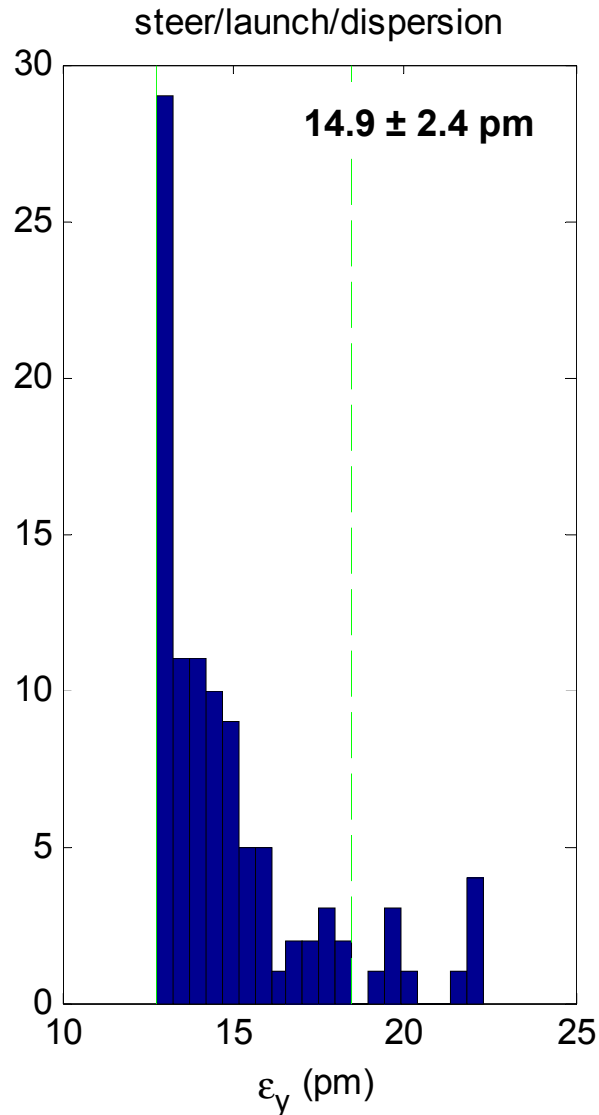


perfect wire  
scanners (no  
measurement  
errors) were used  
during coupling  
correction

4 skew quads used  
for coupling  
correction  
(QK1-4X)

note: green dashed lines show 90% limits (90% of seeds less than value at dashed line)

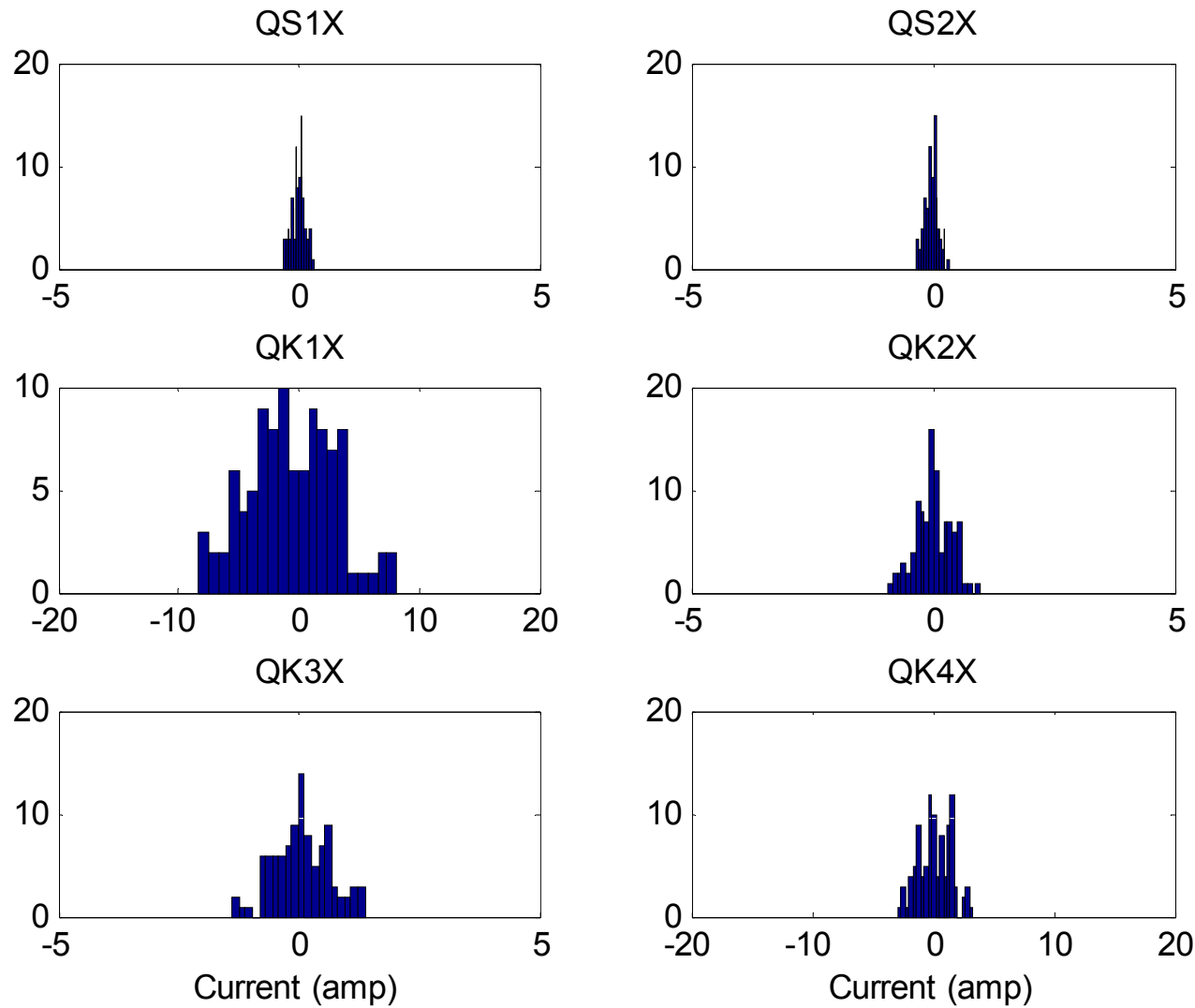
# Simulation Results: $\epsilon_y$



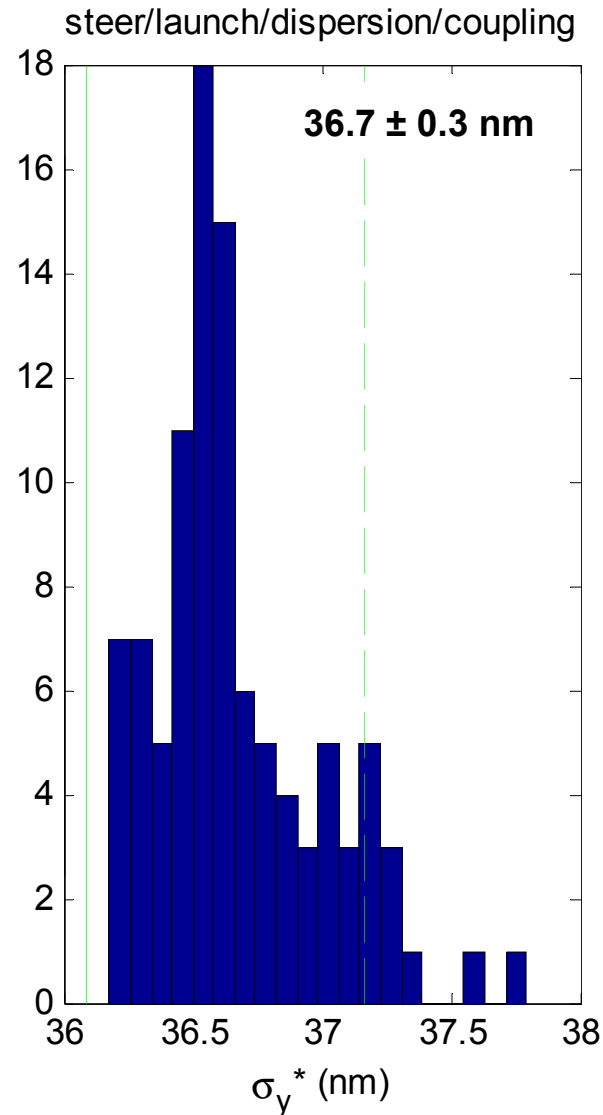
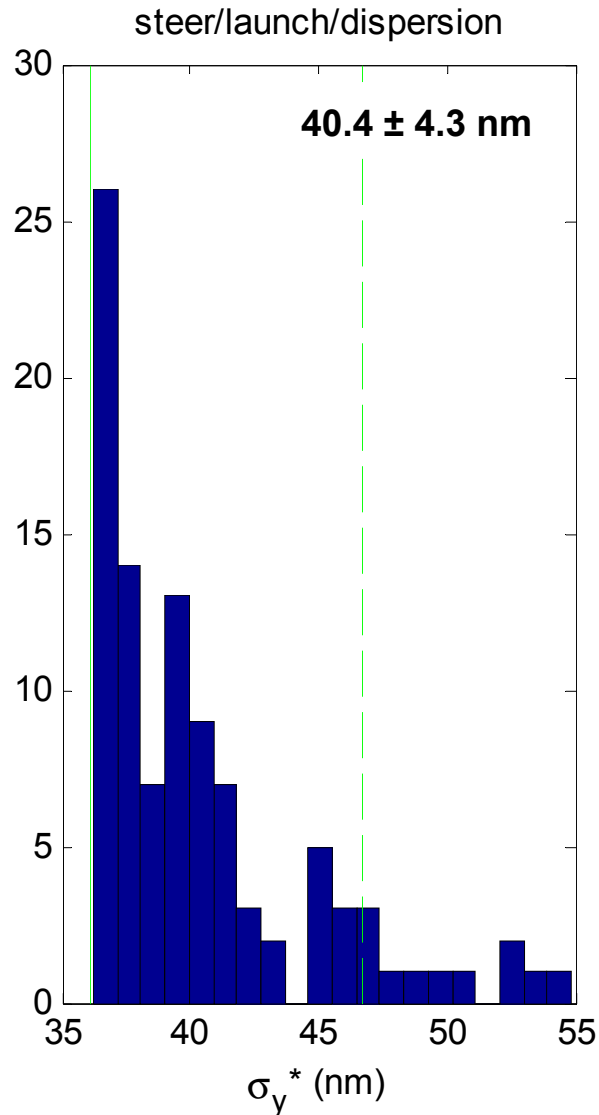
perfect wire  
scanners (no  
measurement  
errors) were used  
during coupling  
correction

4 skew quads used  
for coupling  
correction  
(QK1-4X)

# Skew Quadrupole Currents



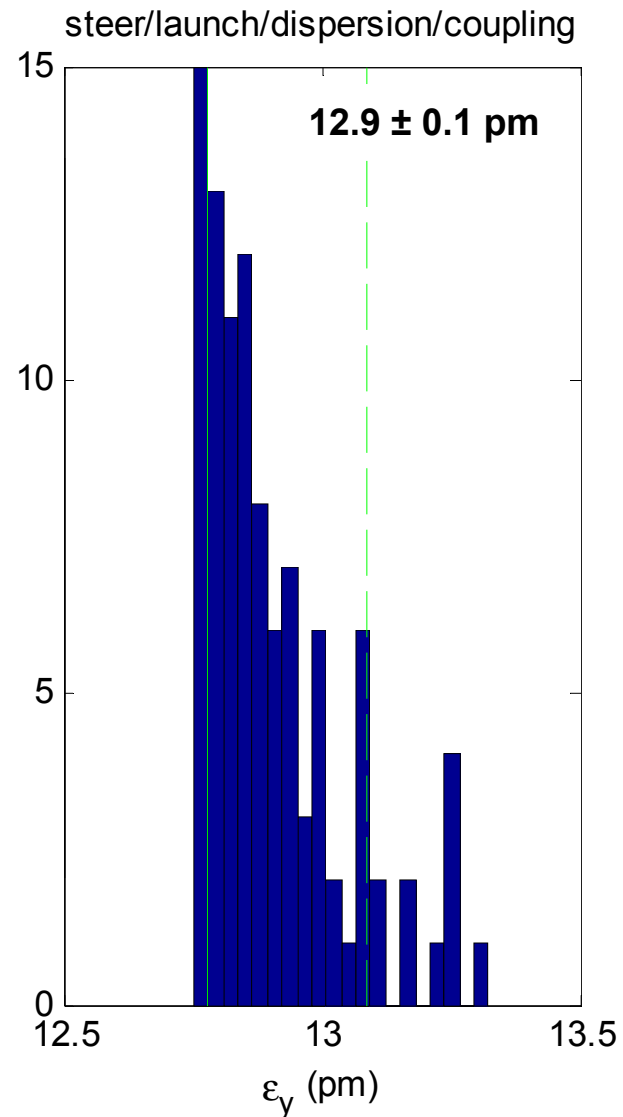
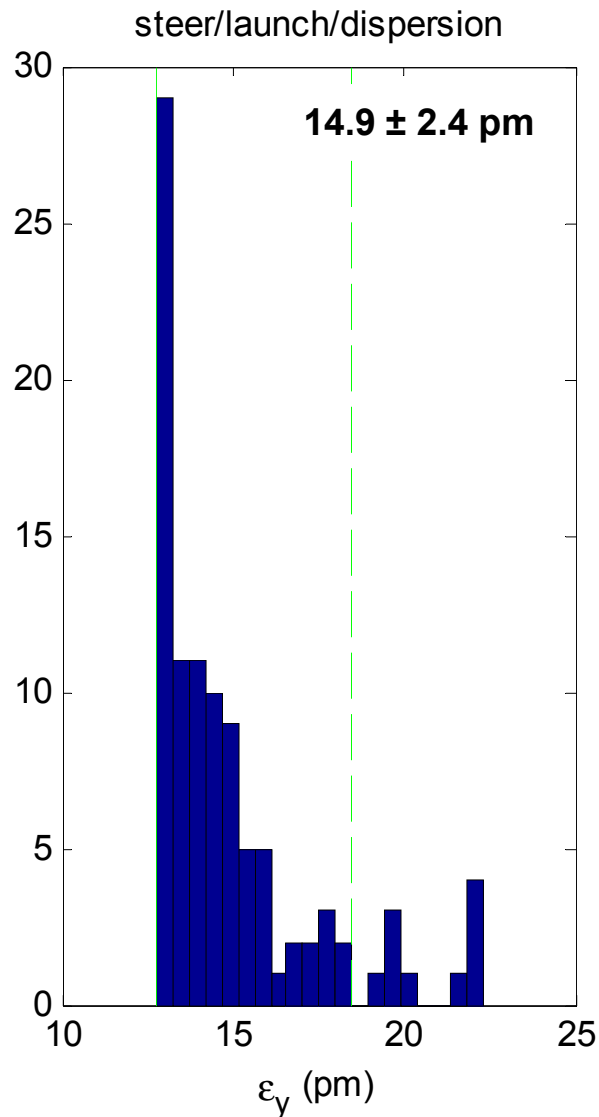
# Simulation Results: $\sigma_y^*$



perfect wire  
scanners (no  
measurement  
errors) were used  
during coupling  
correction

2 skew quads used  
for coupling  
correction  
(QK1,4X)

# Simulation Results: $\epsilon_y$

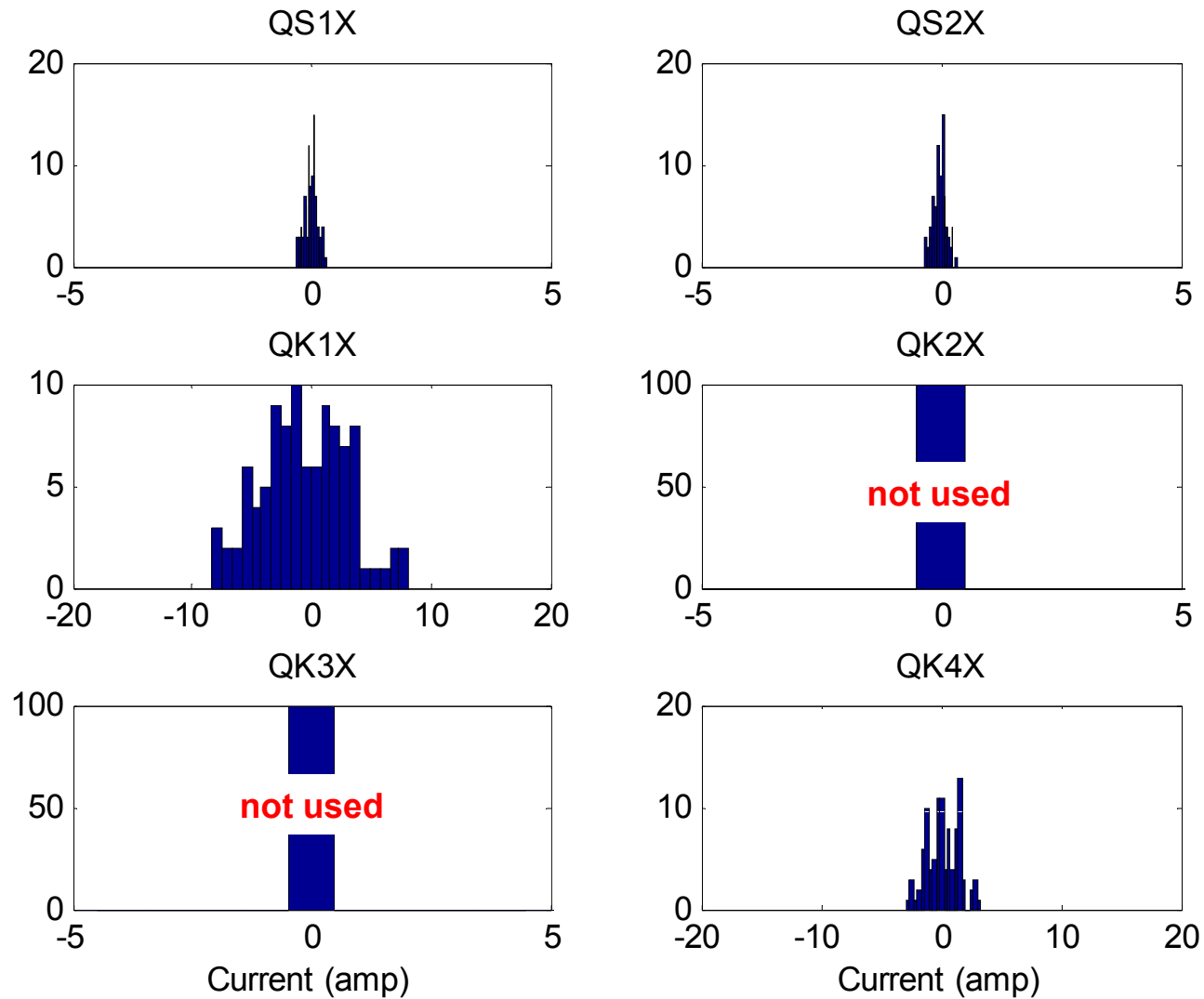


perfect wire  
scanners (no  
measurement  
errors) were used  
during coupling  
correction

2 skew quads used  
for coupling  
correction  
(QK1,4X)



# Skew Quadrupole Currents



# Conclusions

- simulated system performance, for the given errors and diagnostic resolution, is adequate for the achievement of ATF2 goal “A” (37 nm IP  $\sigma_y$ )
- including vertical dispersion correction provides 5% improvement in IP  $\sigma_y$  (10% in  $\epsilon_y$ ), and can be achieved with two skew quadrupoles (near QD2X and QD5X) with maximum integrated strengths of  $\approx 0.02$  T (corresponds to an IDX skew quad at 1 amp)
- coupling correction provides 10% improvement in IP  $\sigma_y$  (15% in  $\epsilon_y$ )
- QK1X, because it is in phase with all errors in the inflector that cause coupling, requires up to 3 times the strength of an IDX skew quadrupole at 5 amps, at least in these simulations ... a 20 amp (bipolar) power supply will provide plenty of overhead
- coupling correction without QK2X and QK3X seems OK

# Continuing Work

- correction of vertical dispersion from the inflector is done by running QS1X and QS2X in “sum mode” (both with the same strength), which generates dispersion but no coupling ... running these skew quadrupoles in “difference mode” (opposite strengths) should generate coupling but no dispersion; because these skew quadrupoles are in phase with the coupling errors in the inflector, perhaps this effect can be used to reduce the required strength of QK1-4X?
- the effects of finite wire scanner resolution on the tune-up scheme must be studied
- magnet strength errors, BPM offsets, and BPM rolls should be included
- it should be possible to correct the vertical dispersion by minimizing the projected vertical emittance, similar to scanning one of the coupling correction skew quadrupoles, rather than by changing the DR energy, measuring dispersion on BPMs, and back-propagating ... these two methods should be compared

# QM7R Errors

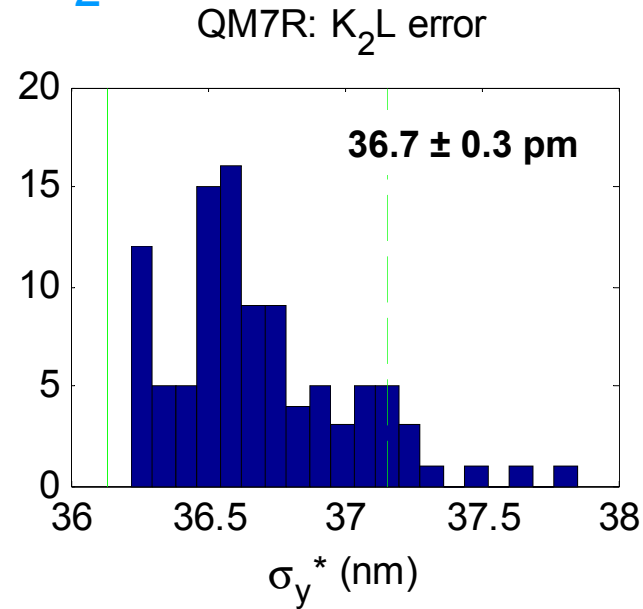
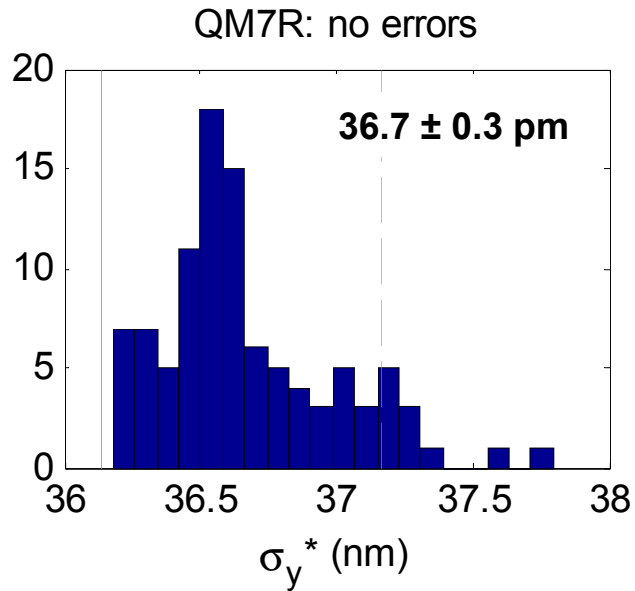
# Simulation Parameters

- use Lucretia<sup>1</sup> simulation code
- included
  - perfect beam from Damping Ring ( $\epsilon_x=2\times 10^{-9}$  m,  $\gamma\epsilon_y=3\times 10^{-8}$  m) ... errors begin after extraction septa, unless otherwise noted
  - perfect Final Focus
  - dipole errors<sup>2</sup>:  $\Delta Y = 100 \mu\text{m}$  (rms)
  - quadrupole errors:  $\Delta X = 50 \mu\text{m}$ ,  $\Delta Y = 30 \mu\text{m}$ ,  $\Delta\theta = 0.3 \text{ mrad}$  (rms)
  - sextupole errors:  $\Delta X = 50 \mu\text{m}$ ,  $\Delta Y = 30 \mu\text{m}$ ,  $\Delta\theta = 0.3 \text{ mrad}$  (rms)
  - BPM resolution:  $5 \mu\text{m}$  (rms)
  - 20% gradient reduction in QM7R (1D fit to POISSON)
  - sextupole component in QM7R K2L = 44.179 m<sup>-2</sup> (1D fit to POISSON)
- *not* included
  - wire scanner rolls:  $|\theta| \leq 0.2^\circ$  (uniform)
  - wire scanner beam size errors:  $\sigma = \sigma_0(1+\Delta\sigma_{\text{relative}})+\Delta\sigma_{\text{absolute}}$
  - quadrupole strength errors ( $\Delta K/K$ )
  - BPM offsets
  - BPM rolls
  - tuning in FF

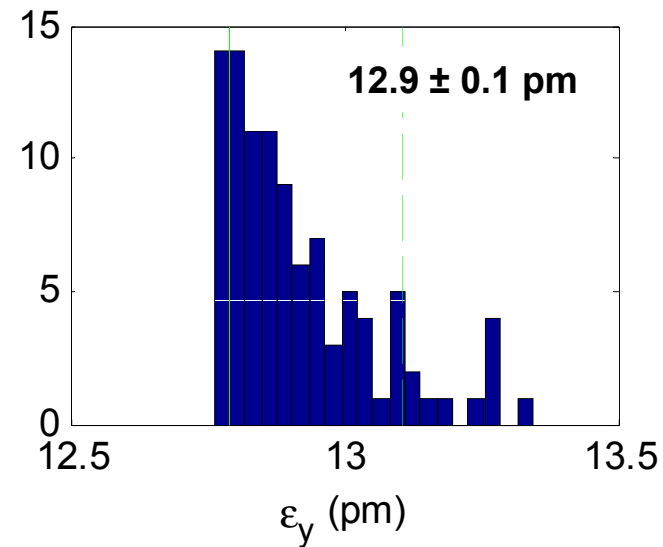
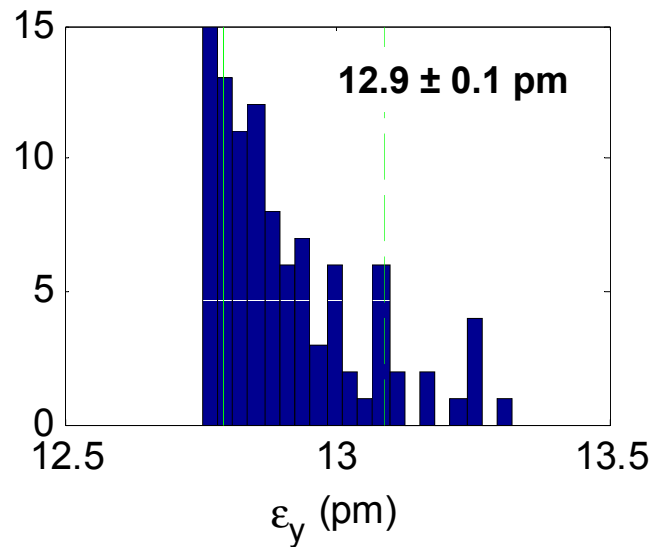
# Simulation Procedure

1. apply errors ... scan QM7R vertical offset from -1 mm to +1 mm
2. steer flat (EXT only)
3. launch into FF
  - use pulse-to-pulse feedback correctors and BPMs
  - BPMs are perfect
4. measure dispersion in diagnostic section
  - scan input beam energy
  - measure orbits
  - fit position vs energy at each BPM ... linear correlation is  $\eta$
  - back-propagate measured  $\eta$  to start of diagnostic section to get  $\eta_0$  and  $\eta'_0$
5. correct dispersion in diagnostic section
  - use QF1X + QF6X multiknobs for  $\eta_x$  and  $\eta'_x$
  - correct  $\eta_y$  using QS1X + QS2X “sum knob”
6. correct coupling
  - scan skew quadrupoles sequentially
  - deduce projected  $\epsilon_y$  from wire scanner measurements
  - set each skew quad to minimize projected  $\epsilon_y$

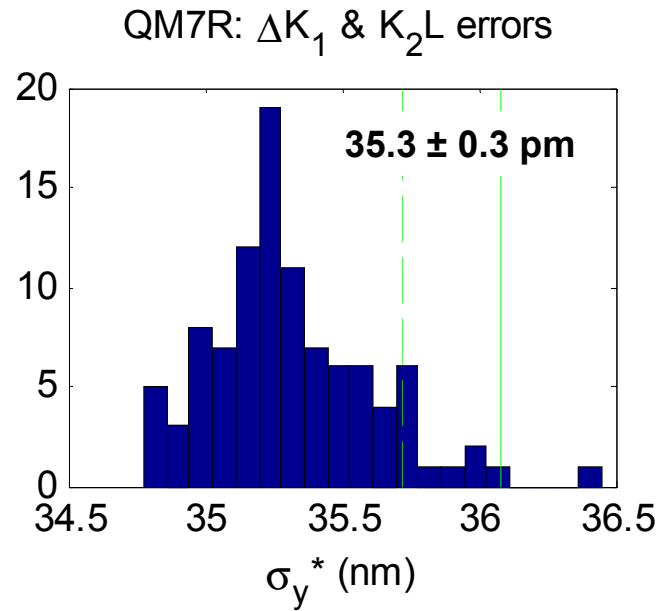
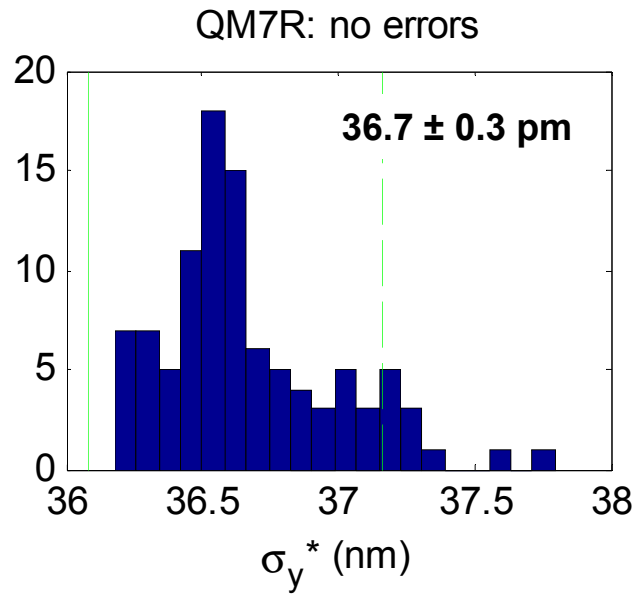
# QM7R: $K_2L$



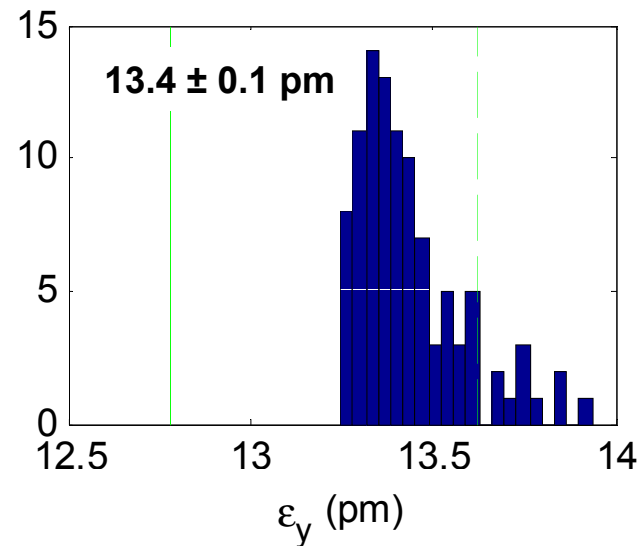
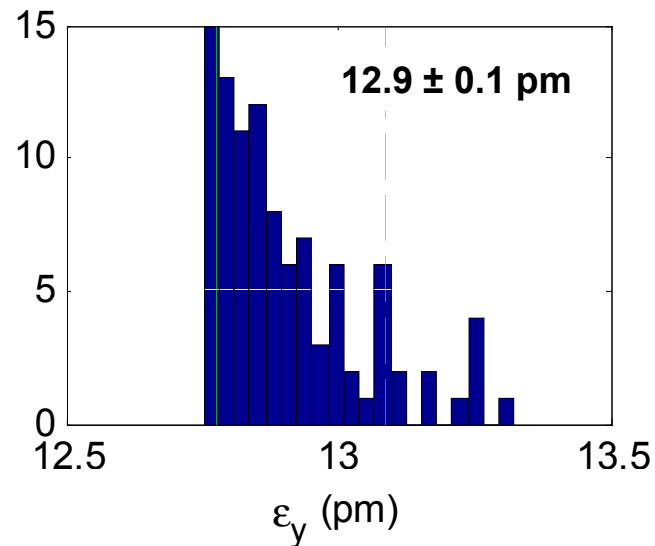
no effect when  
beam passes  
through QM7R on  
the midplane



# QM7R: $\Delta K_1$ & K2L



smaller  $\beta_y^*$

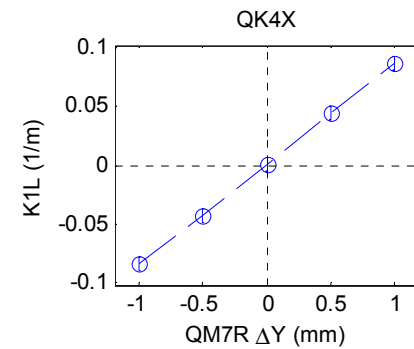
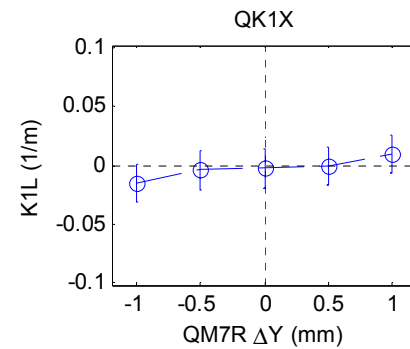
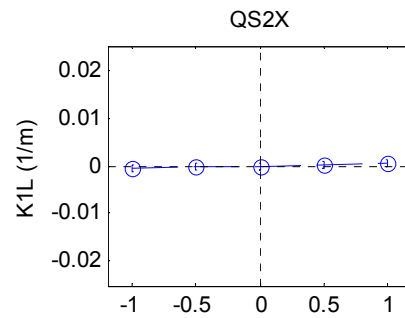
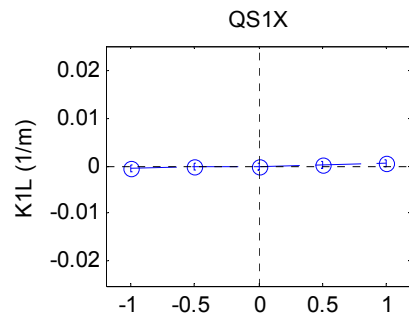
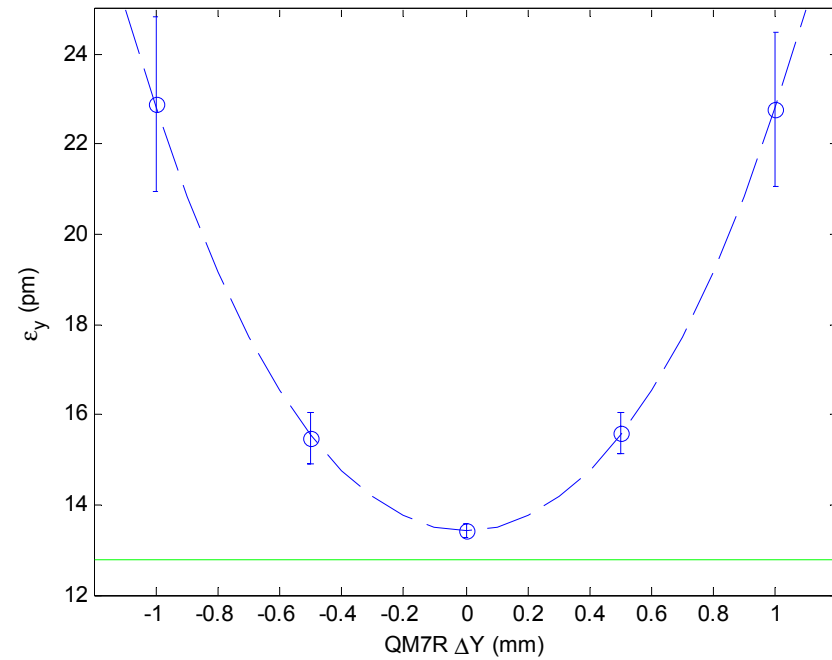
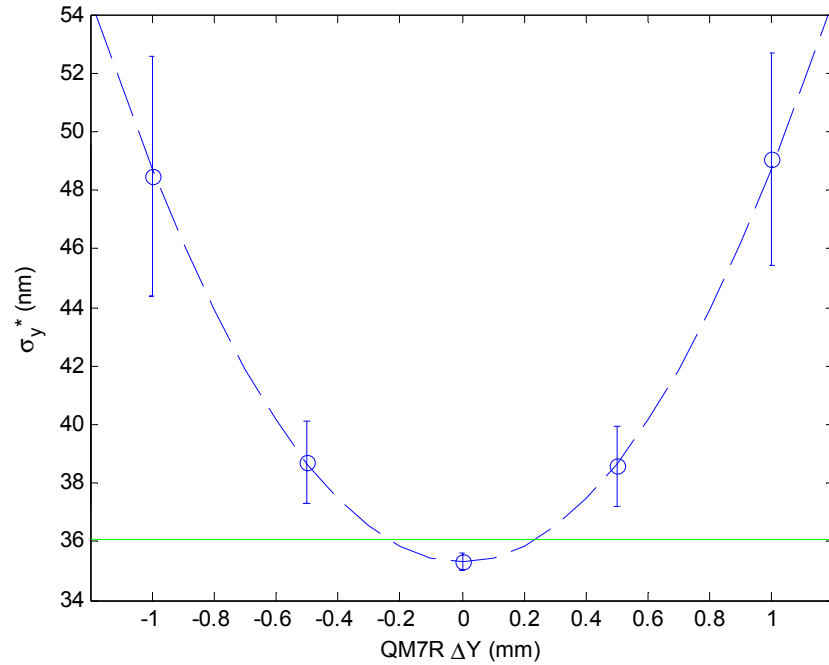


nonorthogonality in  
coupling correction  
(iterate?)

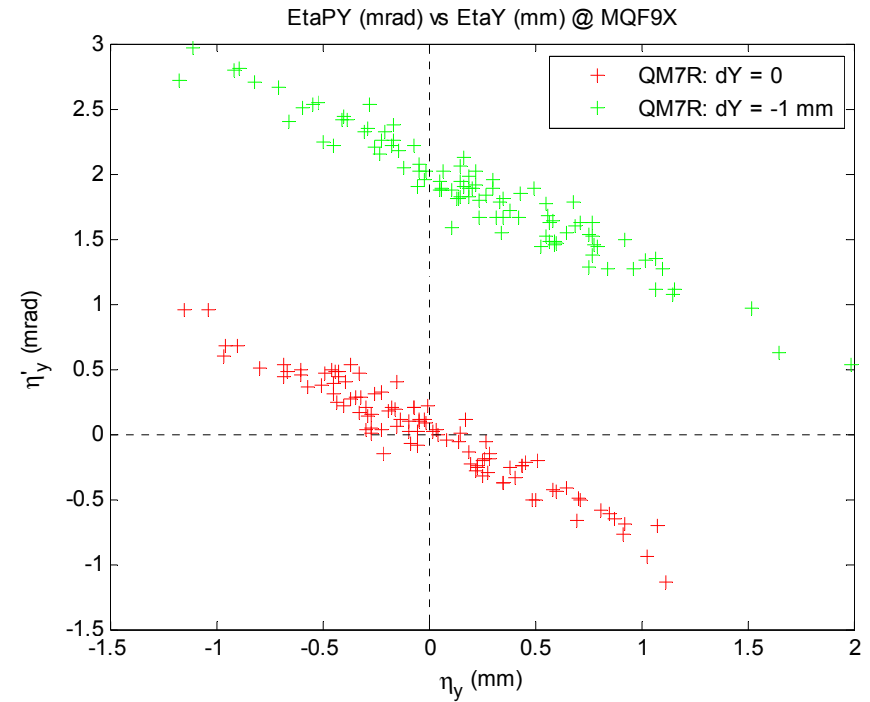
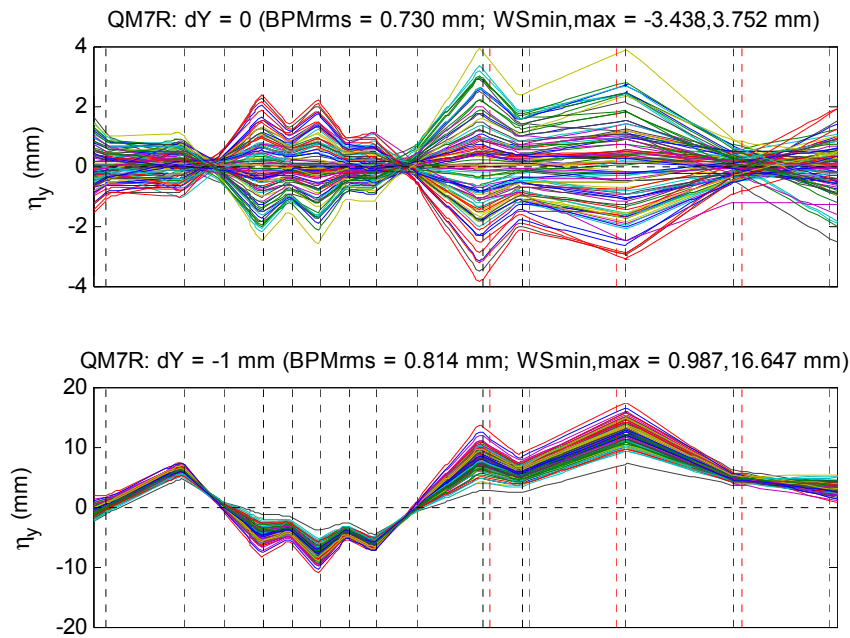


# QM7R Offset

# QM7R: $\Delta K_1$ & K2L; scan Y-offset; full tuning



# QM7R: $\Delta K_1$ & K2L; scan Y-offset; full tuning



# Conclusions

- given simple 1D fits to POISSON predictions for  $\Delta K_1$  and  $K_2L$  in QM7R, standard EXT tuning works when the beam passes through QM7R on the magnetic midplane
- however, standard EXT tuning does *not* work when the beam passes through QM7R off the magnetic midplane vertically
- the problem appears to be a net shift in  $\eta_y'$  which is not corrected by the QS1X-QS2X “sum knob” when  $\eta_y$  is corrected ... it’s still unclear exactly why this is true
- QK4X seems to be in phase with the coupling caused by QM7R under these conditions (note: using 4 skew quads for coupling correction makes things worse!)
- at this point it’s unknown if Glen’s FF tuning process can deal with the incoming  $\eta_y$  under these conditions

# Continuing Work

- understand why  $\eta_y$  correction breaks down
- can we use QS1X and QS2X independently to correct both  $\eta_y$  and  $\eta_y'$  simultaneously? if so, how strong do they get? how will this affect the coupling correction?
- verify that the blowup in  $\sigma_y^*$  and  $\varepsilon_y$  are due to uncorrected  $\eta_y / \eta_y'$
- try to rematch EXT optics for QM7R dK1
- and ...
- and ...