

# Status of the ATF2 Ultra-low $\beta$ FFS.

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# PLAN OF THE TALK

- Beam size dependence on the horizontal emittance for the ATF2 Ultra-Low  $\beta$  Lattice.
- 2. Possible corrections.
  - 1. Insert a Dodecapole Magnet.
  - Matching for a New ATF2 Ultra-Low  $\beta_y$  Lattice considering Magnetic errors.
    - Properties of the New ATF2 Ultra-Low  $\beta_y$  Lattice.
- 3. Misalignments
  - 1. Effect of Individual Misalignment.
  - 2. Comparison of SD4 Misalignment.
  - 3. Comparison of SD0 Misalignment.
  - 4. Comparison of Knob  $\langle x, x \rangle$
- 4. First FFS Tuning.
- 5. Conclusions and Future Plans.

# 1. ATF2 ULTRA-LOW LATTICE WITHOUT MULTIPOLAR ERRORS.

## BETA FUNCTIONS @IP:

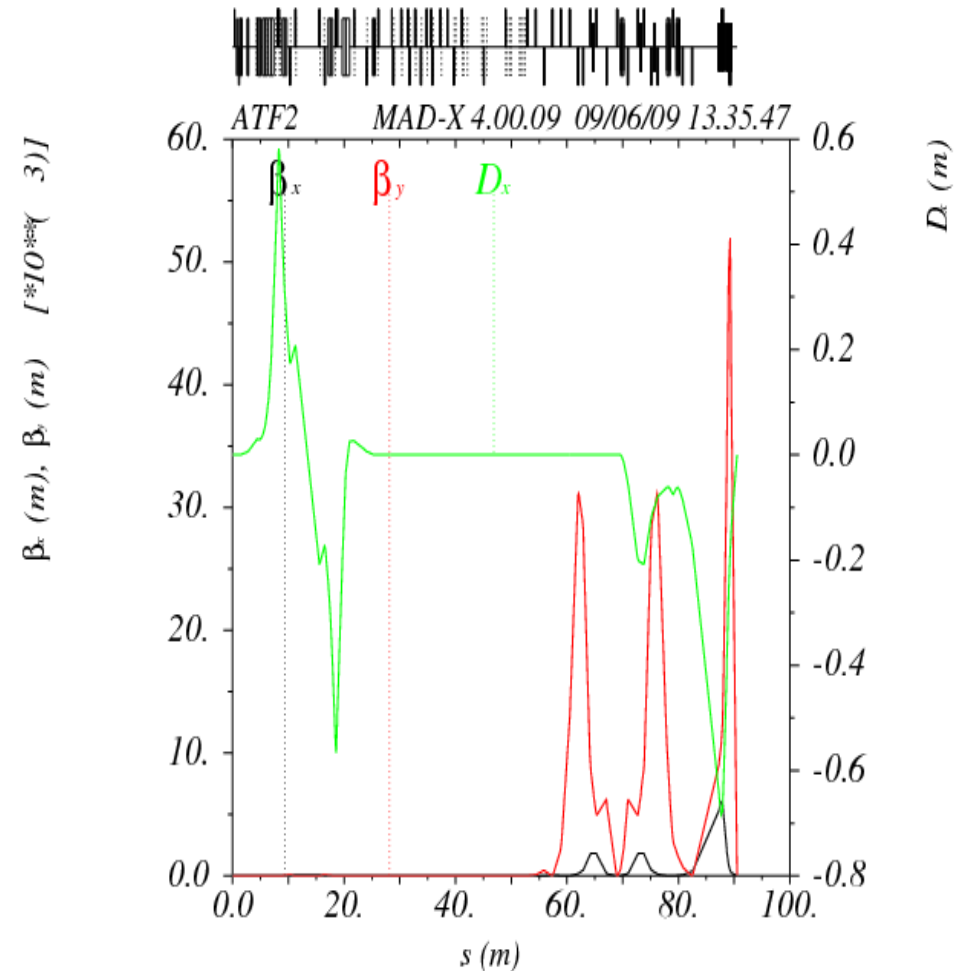
- $\beta_x = 4.0 \text{ mm}$  ;  $\beta_y = 25.0 \text{ }\mu\text{m}$

## BEAM SIZES @IP:

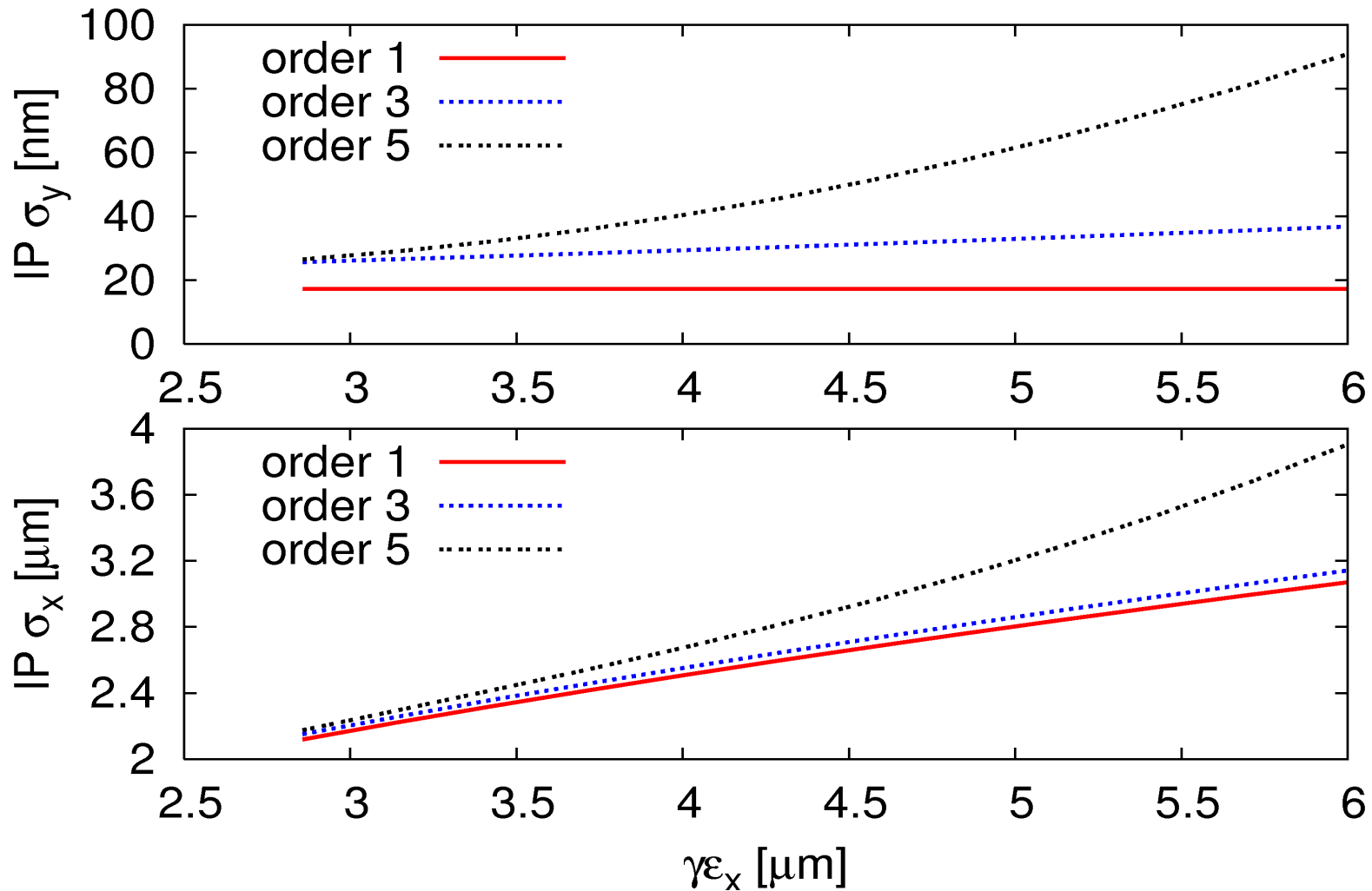
- $\sigma_x = 2.14 \text{ }\mu\text{m}$  ;  $\sigma_y = 22.8 \text{ nm}$

## FRAMEWORK:

- Beam sizes @ IP
- Implementing: MAPCLASS code (up to 5 order)
- Range values for  $\gamma \cdot \epsilon_x [\mu\text{m}]$  : {2.8 , 6.0}
- Value for  $\gamma \cdot \epsilon_y = 3.8 \text{ nm}$



## 1.2 BEAM SIZE DEPENDENCE ON $\epsilon_x$ FOR ULTRA-LOW LATTICE.



**NOTE:** similar behavior as the ATF2\_Nominal Lattice case.

## 1.2

## SOLUTIONS

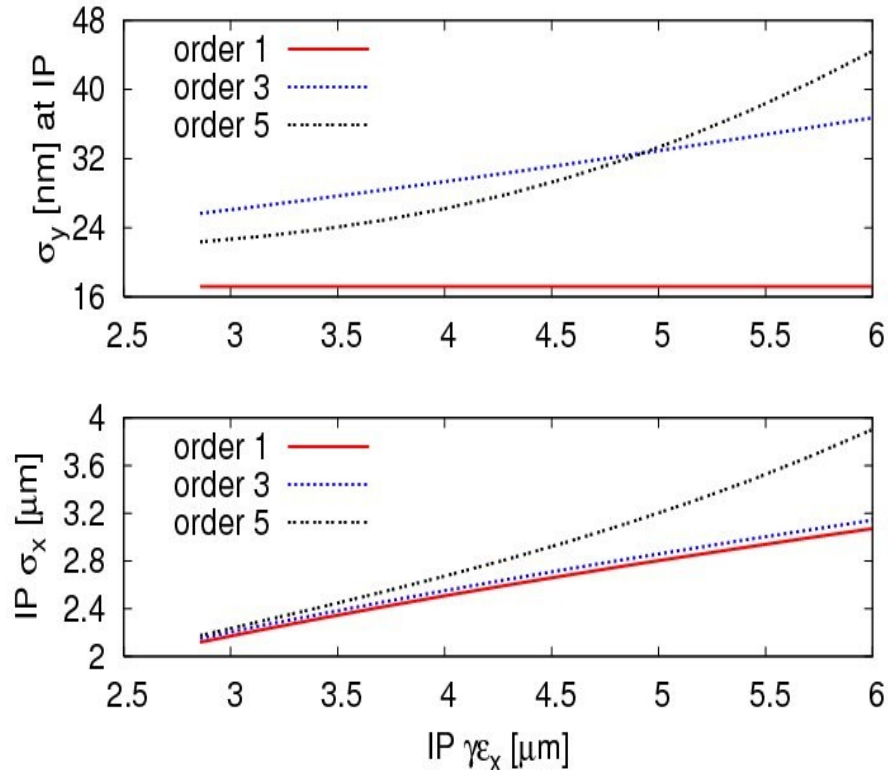
- Possible solutions...
  - Insert a Dodecapole Magnet.
  - Develop a New lattice increasing  $\beta_x$ .

**NOTE:** same kind of solutions were used for the study of ATF2 Nominal Lattice with multipolar errors, with excellent results.

## 2.1.2

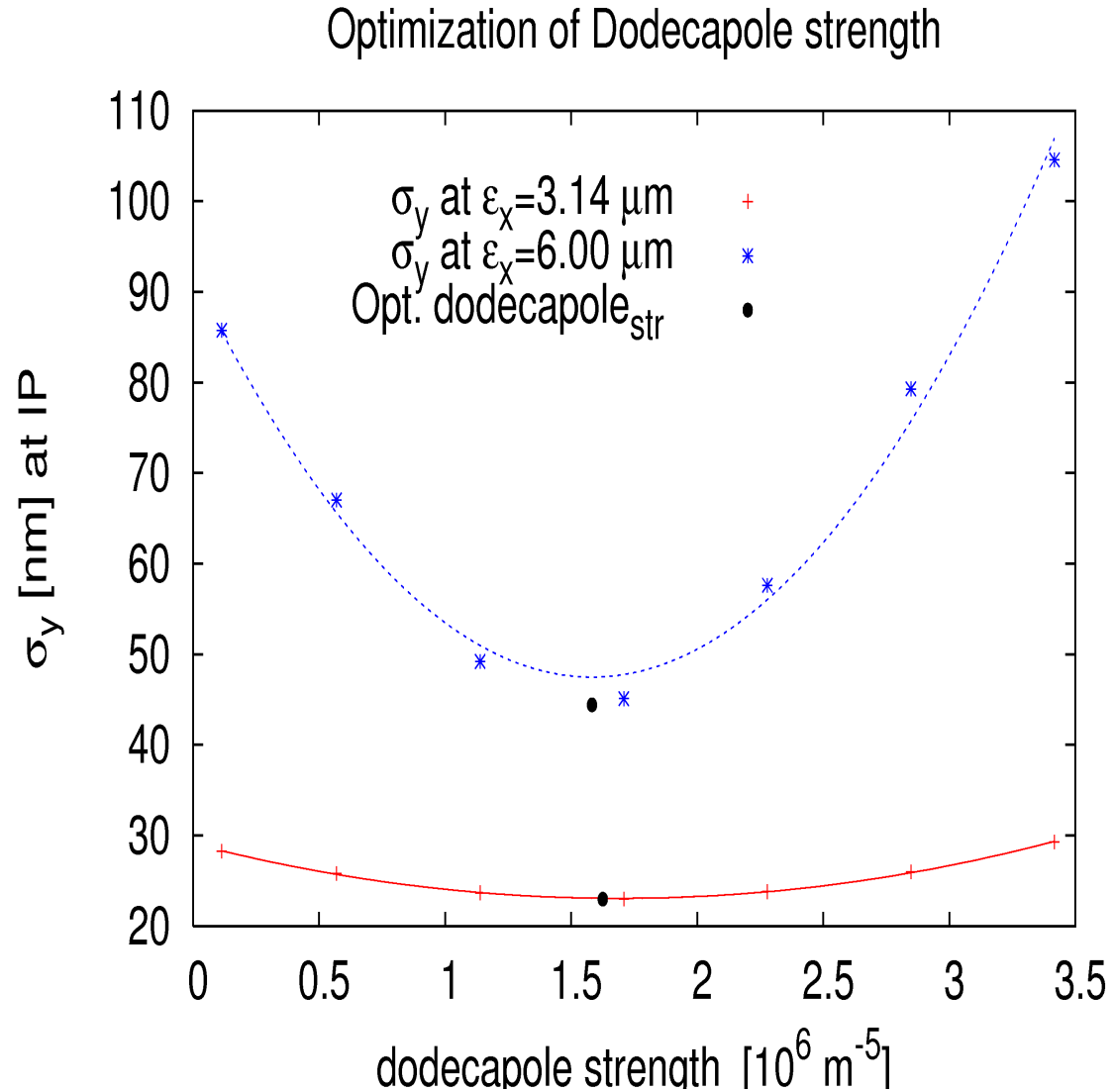
# DODECAPOLE's optimization

- Optimum Dodecapole strength  
 $= 1.58 \cdot 10^6 \text{m}^{-5}$



- Optimum IP beam sizes:

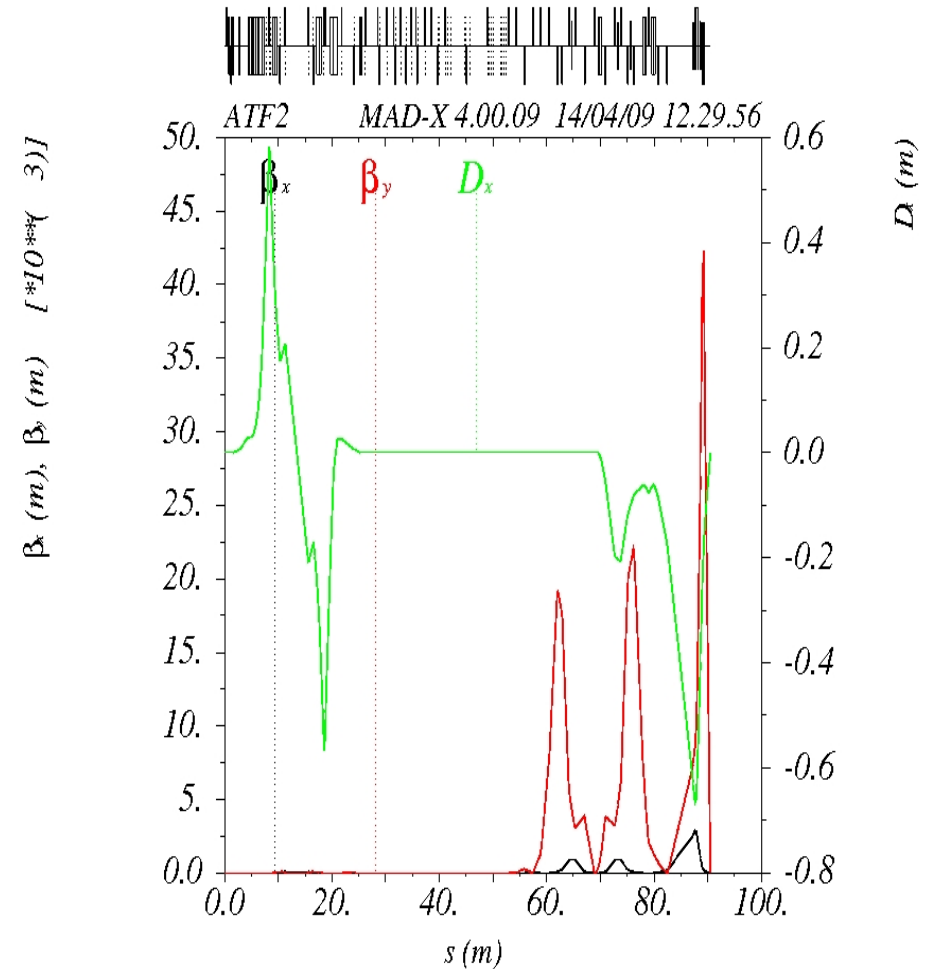
$$\sigma_{y, \text{high}} = 44.4 \text{ nm} ; \sigma_{x, \text{high}} = 3.9 \mu\text{m}$$



## 2.2.1 Lattice.

# Matching for a new Ultra Low $\beta_y$

- Matching via Mad-x & Mapclass using the Simplex algorithm
  - Including Multipolar errors.
  - Constraints: increasing  $\beta_x$
  - Variables: Quads & Sexts strengths & SF1 SD0 Tilts
- Beta functions @ IP:
  - $\beta_x = 8.4608 \text{ mm}$  ;  $\beta_y = 31.5727 \text{ }\mu\text{m}$
- Beam sizes @ IP:
  - $\sigma_x = 3.08 \text{ }\mu\text{m}$  ;  $\sigma_y = 20.3 \text{ nm}$

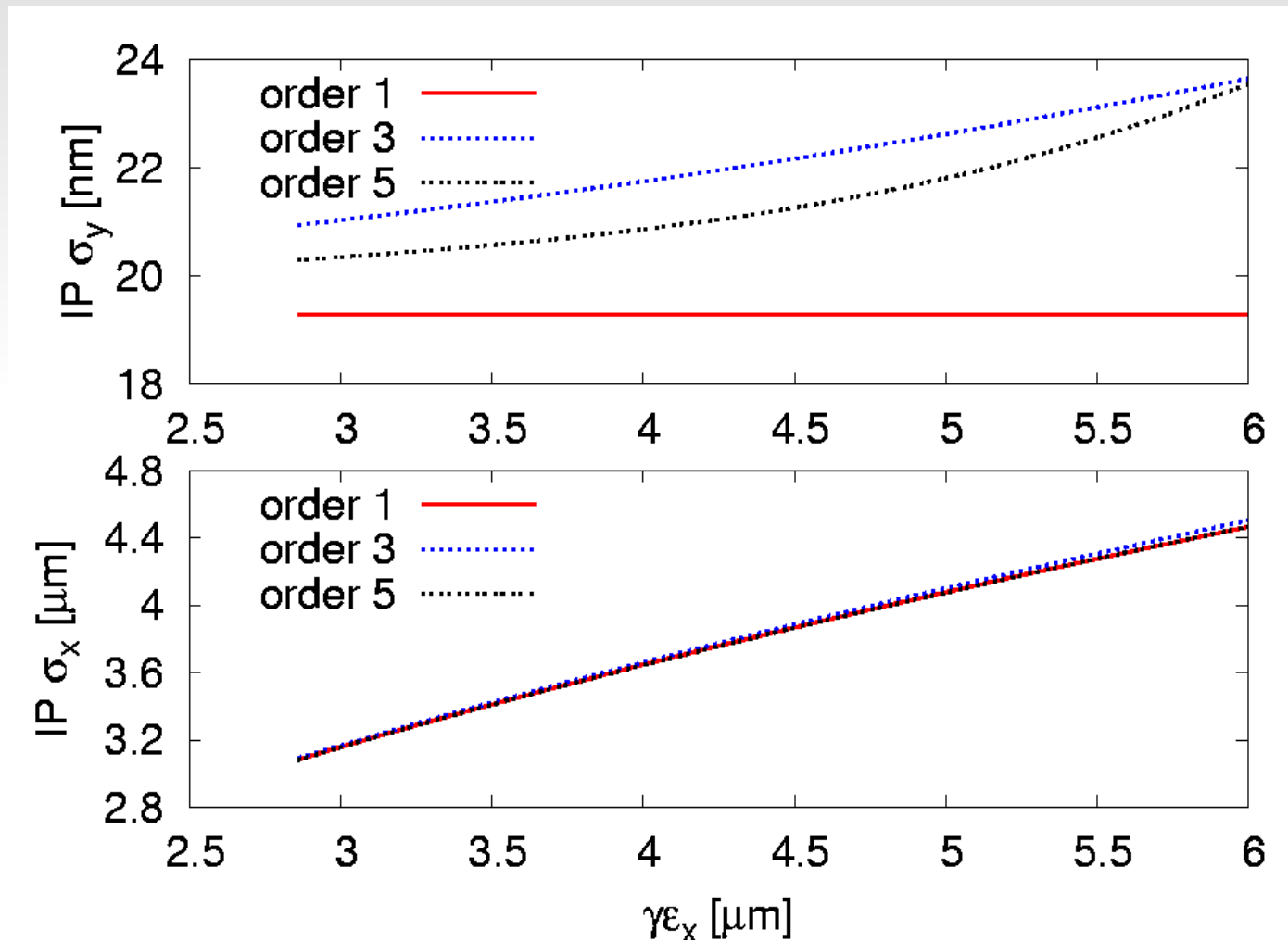


## 2.2.2

# ATF2 Ultra-Low $\beta_y$ Lattice

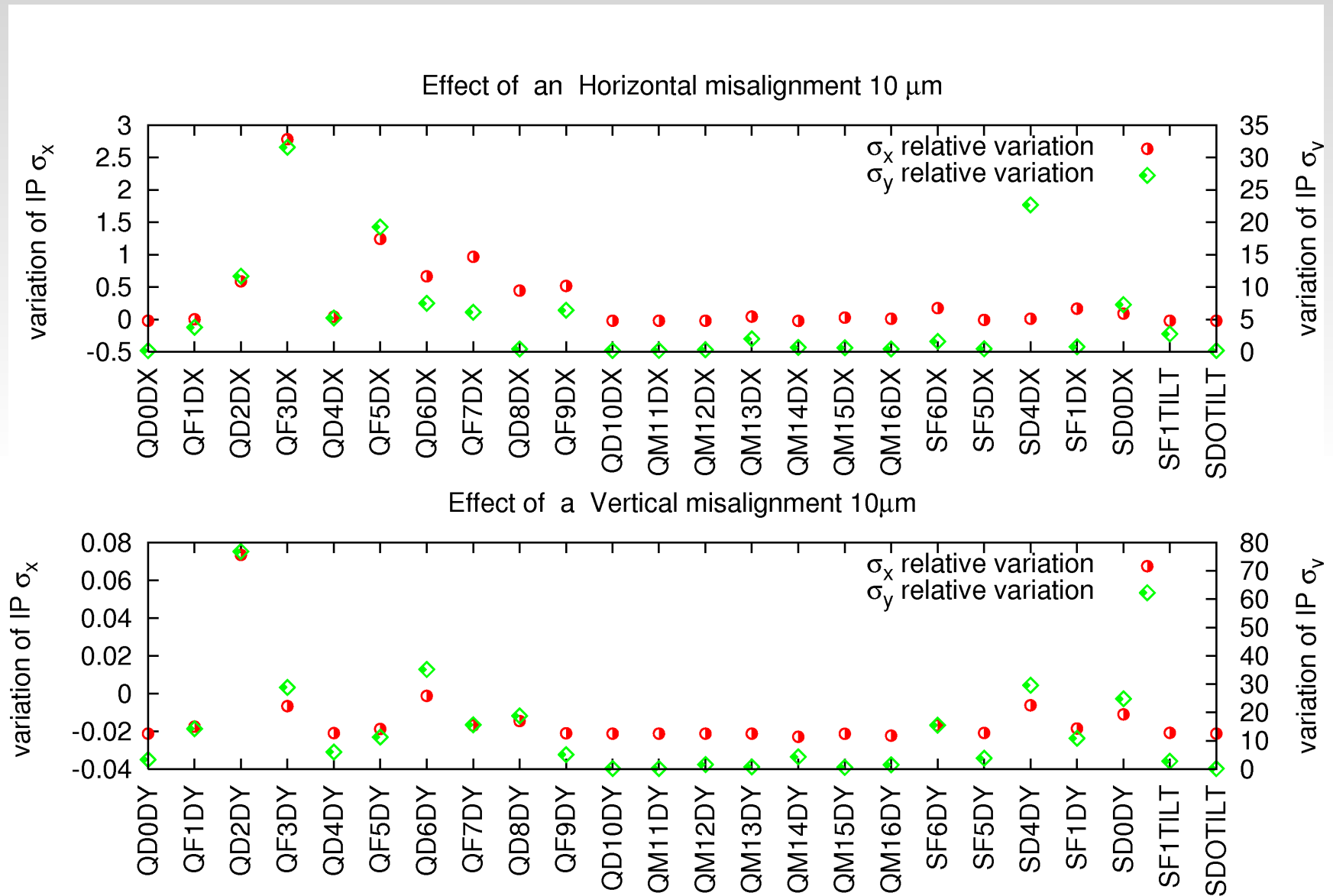
## Properties.

Emittance behavior for ATF2 Ultra-Low  $\beta_y$ .





# 3.1 Effect of Misalignment for ATF2 Ultra-Low $\beta_y$

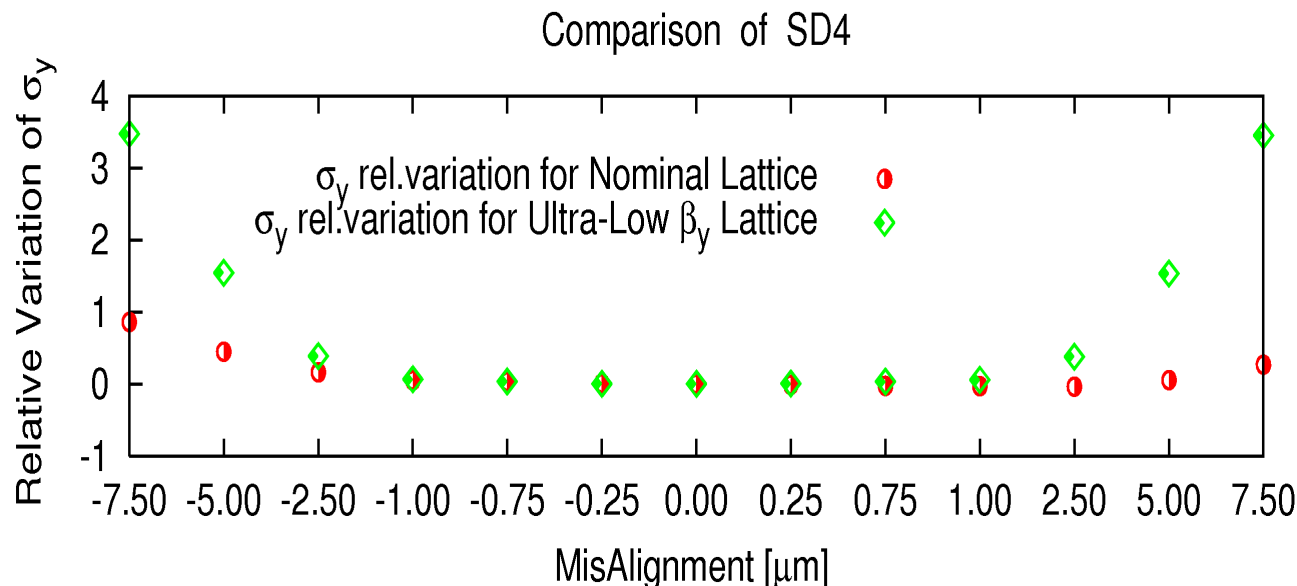
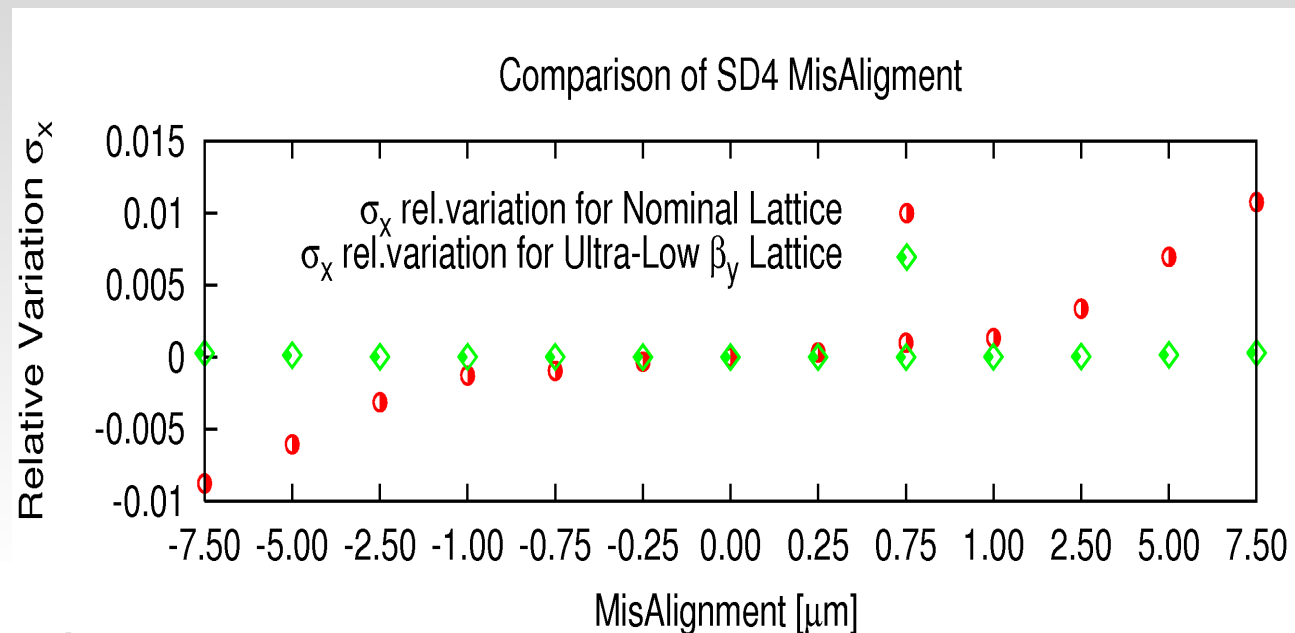


## 3.2

# Effect of SD4 Misalignment.

### Sext. Strengths Nominal Lattice:

- SD0 = 4.367344565 m<sup>-3</sup>
- SF1 = -2.549000405 m<sup>-3</sup>
- SD4 = 14.92233907 m<sup>-3</sup>
- SF5 = -0.810845702 m<sup>-3</sup>
- SF6 = 8.564015604 m<sup>-3</sup>



### Sext. Strengths Ultra-Low Lattice:

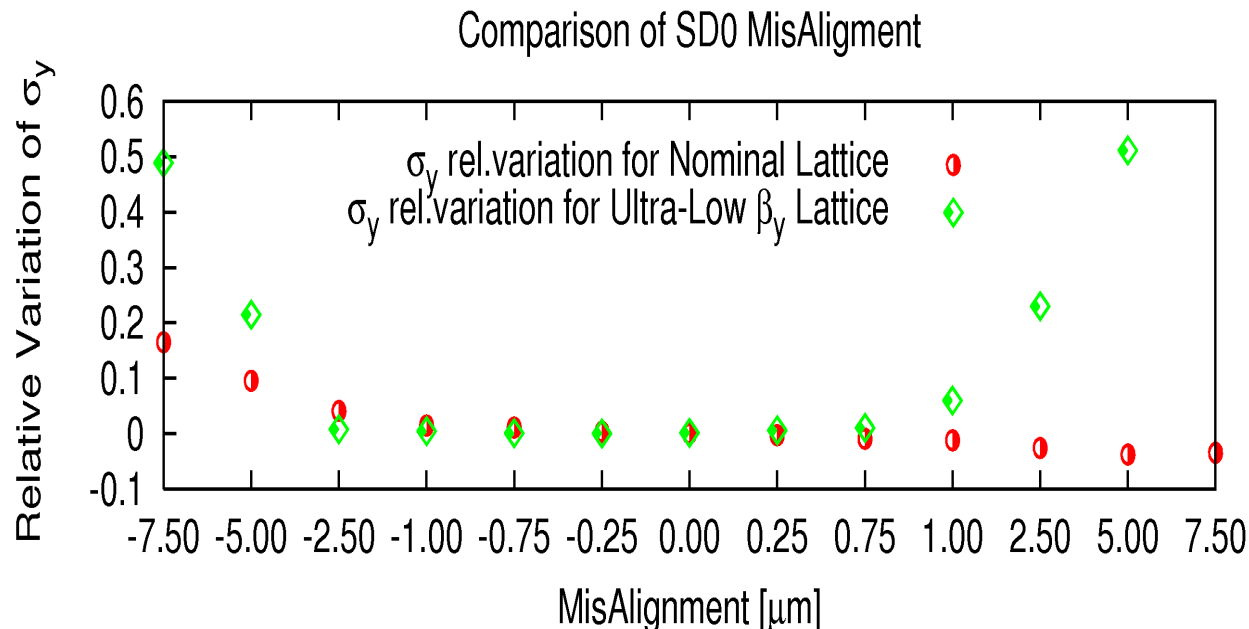
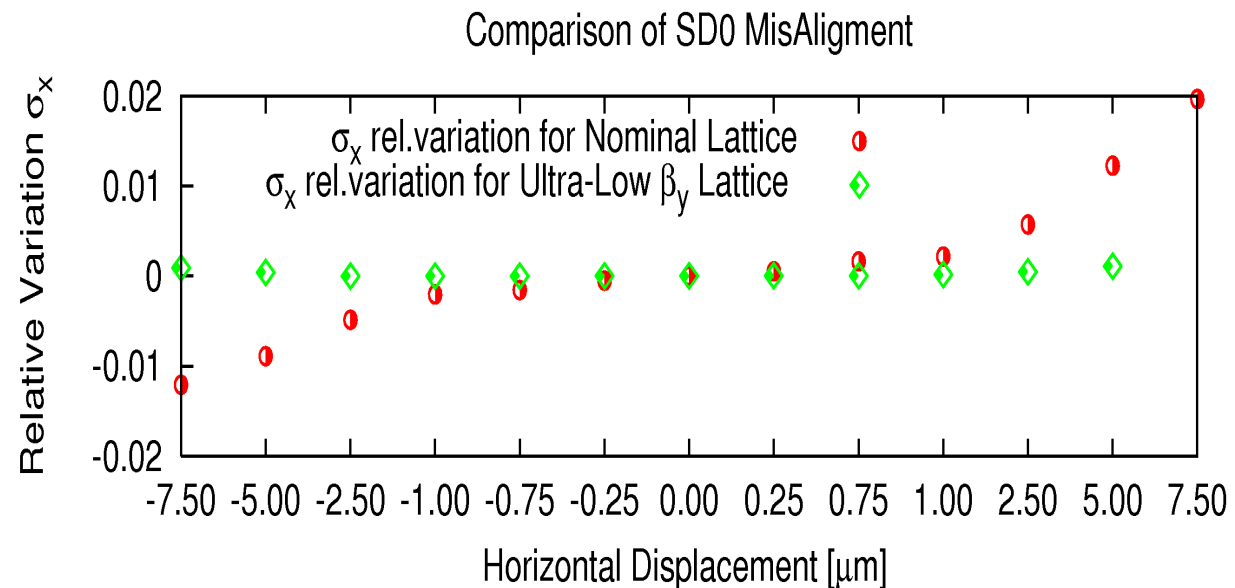
- SD0 = 4.441109237 m<sup>-3</sup>
- SF1 = -2.538370139 m<sup>-3</sup>
- SD4 = 15.81285482 m<sup>-3</sup>
- SF5 = -2.164724541 m<sup>-3</sup>
- SF6 = 6.58114331 m<sup>-3</sup>

### 3.3

## Effect of SD0 Misalignment.

#### Concerning $\sigma_x$ :

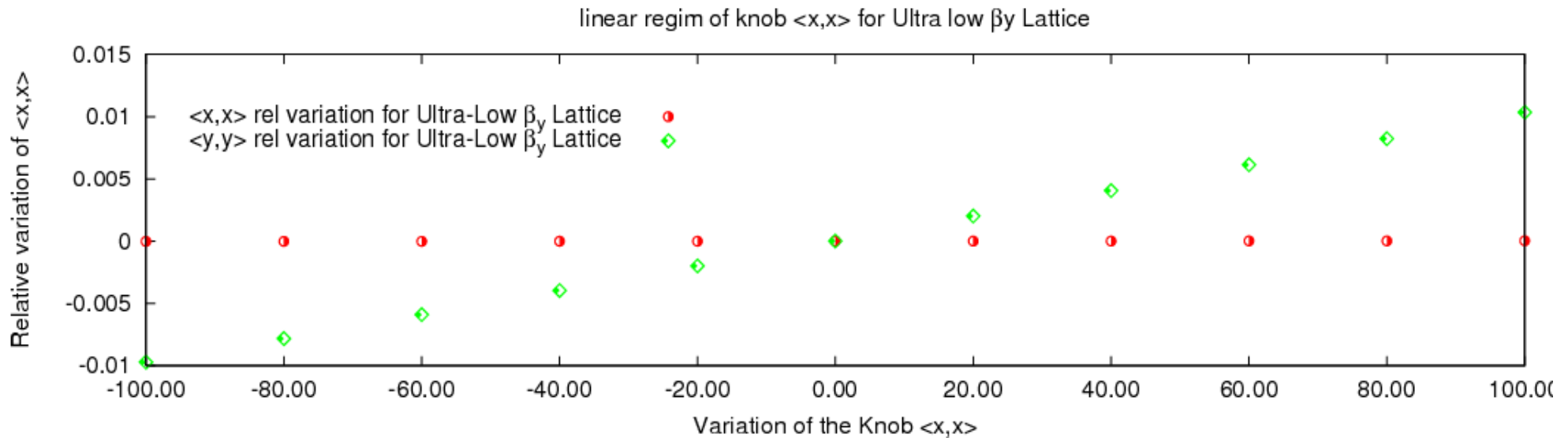
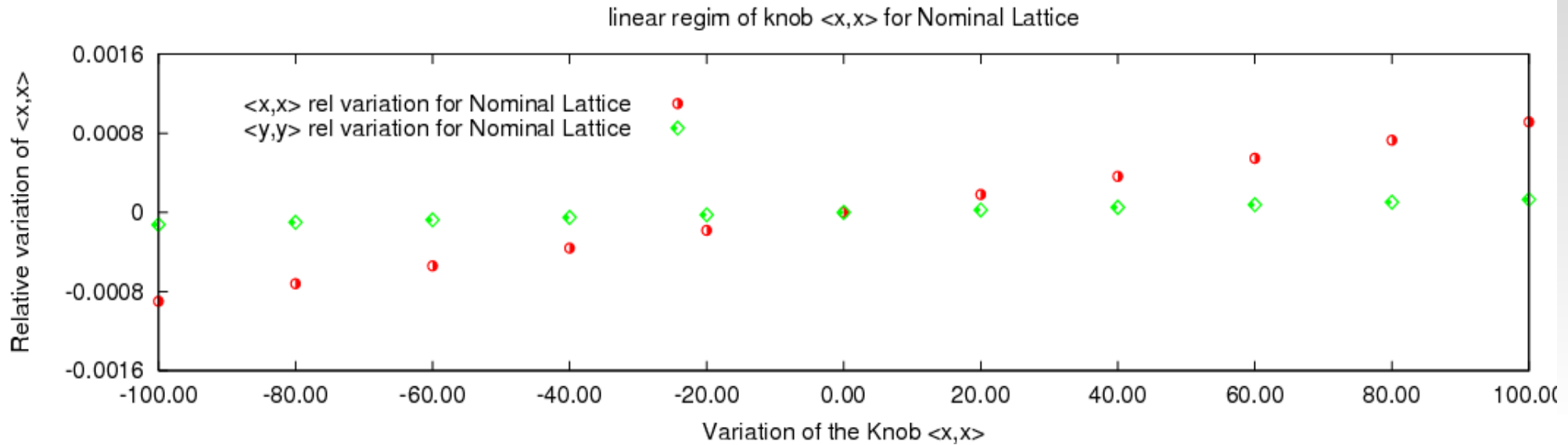
A wider linear regime for SD0 horizontal displacement in the ATF2 Ultra-low  $\beta_y$ .



#### Concerning $\sigma_y$ :

A short linear regime for SD0 horizontal displacement in the ATF2 Ultra-low  $\beta_y$ .

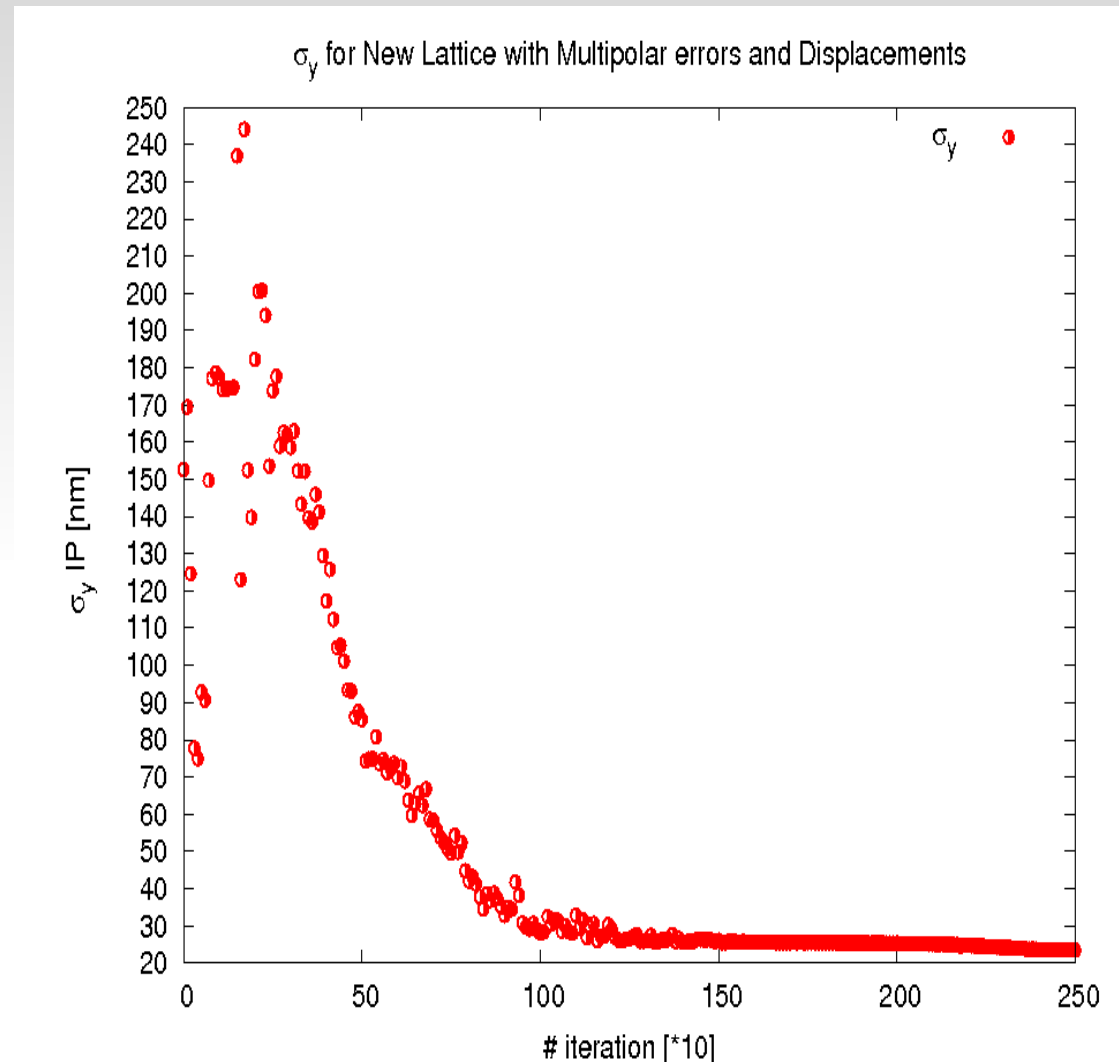
# 3.4 Effect of Knob\_ ( $\sigma_x$ ) for Ultra-low Lattice.



# 4.

## First FFS Tuning.

- Ideal Tuning via Mad-x & Mapclass using the Simplex algorithm
  - Including Multipolar errors.
  - Constraints: minimizing  $\sigma_y$
  - Variables: Misalignments of Quads & Sext
  
- Number of iterations needed  $\sim 1000$ .  
(Non realistic tuning)



# 5. CONCLUSIONS & FUTURE PLANS

- The Dodecapole magnet alone solution is not sufficient.
- The ATF2 Ultra-Low  $\beta_y$  Lattice including multipolar errors and Misalignments has been obtained with a final  $\sigma_y = 23.8$  nm.
- Initial ideal Tuning without knobs.
- Knob generation under development

## To be done...

- Obtaining valid Knobs for ATF2 Ultra-Low  $\beta_y$  Lattice.
- Realistic tuning performance with and without knobs.