



CLIC Drive Beam Beam Position Monitors

International Workshop on Linear Colliders 2010

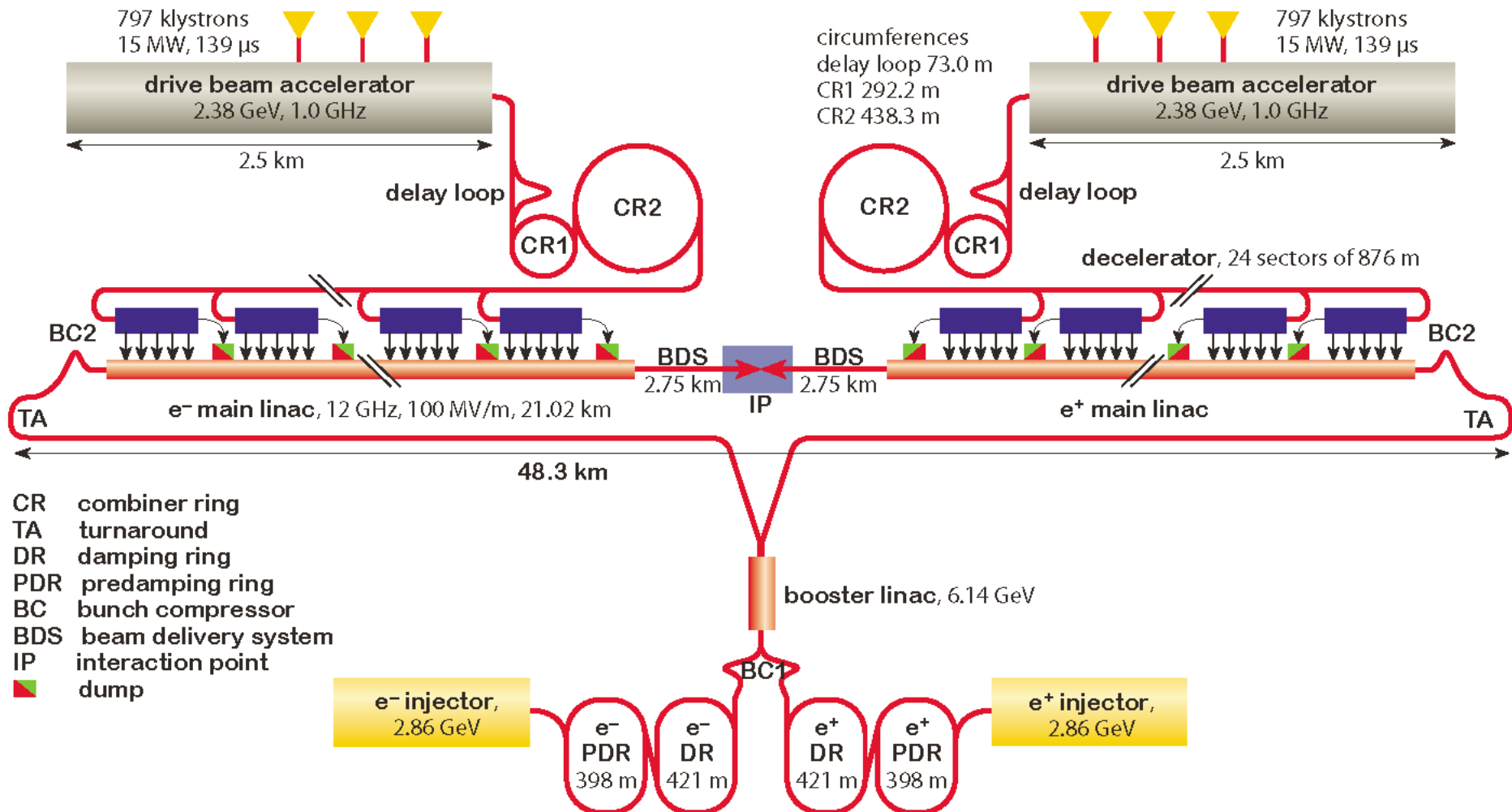
Geneva

Steve Smith
SLAC / CERN
20.10.2010

CLIC Accelerator Complex



- RF (klystron) power goes into drive beam efficiently:
 - high current, long pulse, low energy, 500 MHz
- Compress drive beam to high current, high frequency
- Transfer energy to main beam



CR combiner ring
 TA turnaround
 DR damping ring
 PDR predamping ring
 BC bunch compressor
 BDS beam delivery system
 IP interaction point
 dump

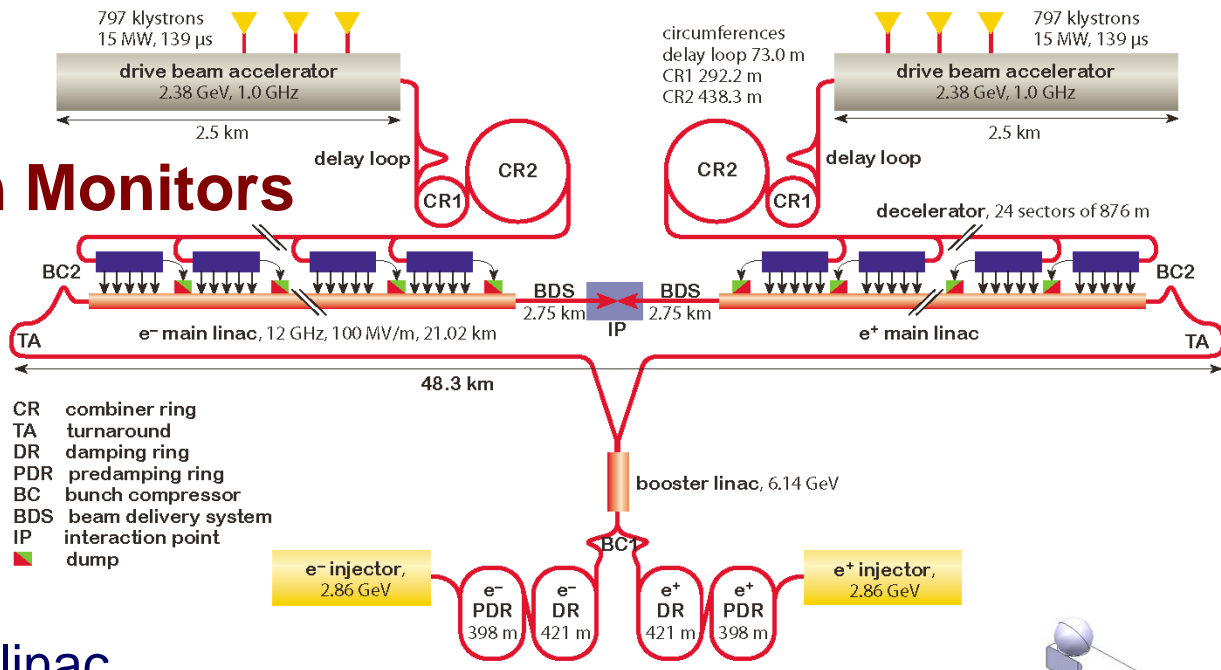
CLIC Acceleration Scheme



- Drive beam linac:
 - high current (4 Amp),
 - long pulse (140 μ s),
 - low energy (2.38 GeV)
 - modest RF frequency (500 MHz)
- Compress train length in Delay Loop, Combiner Rings
 - multiply bunch frequency by 24
 - From 500 MHz to 12 GHz
- Split each drive beam into 24 sub-trains
 - 240 ns each
- Decelerate drive beam / accelerate main beam
 - 24 decelerators segments per main beam linac
 - 800 m each
 - 12 GHz
 - 100 Amp
 - 90% energy extraction



Beam Position Monitors



CR combiner ring
 TA turnaround
 DR damping ring
 PDR predamping ring
 BC bunch compressor
 BDS beam delivery system
 IP interaction point
 ■ dump

- **Main Beam**

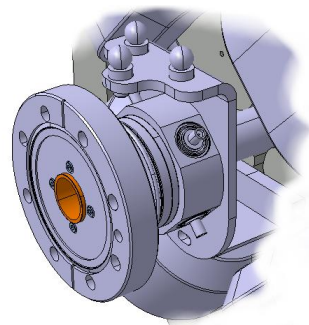
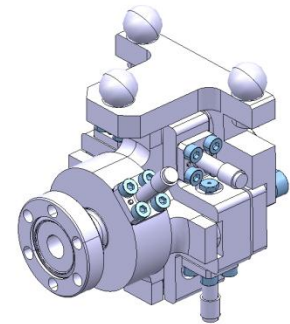
- Quantity ~7500

- Including:
 - 4196 Main beam linac
 - 50 nm resolution
 - 1200 in Damping & Pre-Damping Ring

- **Drive Beam**

- Quantity ~45000

- 660 in drive beam linacs
 - 2792 in transfer lines and turnarounds
 - 41000 in drive beam decelerators !



CLIC Drive Beam Decelerator BPMs



- **Requirements**
 - Transverse resolution < 2 microns
 - Temporal resolution < 10 ns
 - Bandwidth > 20 MHz
 - Accuracy < 20 microns
 - Wakefields must be low
- **Consider Pickups:**
 - Resonant cavities
 - Striplines
 - Buttons

Drive Beam Decelerator BPM Challenges



- Bunch frequency in beam: 12 GHz
 - Lowest frequency intentionally in beam spectrum
 - It is above waveguide propagation cutoff
 - $TE_{11} \sim 7.6$ GHz for 23 mm aperture
 - There may be **non-local** beam signals above waveguide cutoff.
- 130 MW @ 12 GHz Intentionally propagating in nearby Power Extraction Structures (PETS)
- Consider resonant BPM operating at 12 GHz:
 - Plenty of signal
 - But sensitive to waveguide mode propagating in beampipe
 - Would need to kill tails of 12 GHz modes very cleanly

Operating Frequency

- Study operation at sub-harmonic of bunch spacing
 - Example: $F_{\text{BPM}} = 2 \text{ GHz}$
 - Signal is sufficient
 - Especially at harmonics of drive beam linac RF
 - Could use
 - buttons
 - compact striplines
 - But there exist confounding signals
- Baseband
 - Bandwidth $\sim 4 - 40 \text{ MHz}$
 - traditional
 - resolution is adequate
 - Check temporal resolution
 - Requires striplines to get adequate S/N at low frequencies
($< 10 \text{ MHz}$)

Generic Stripline BPM



- Algorithm:
 - Measure amplitudes on 4 strips

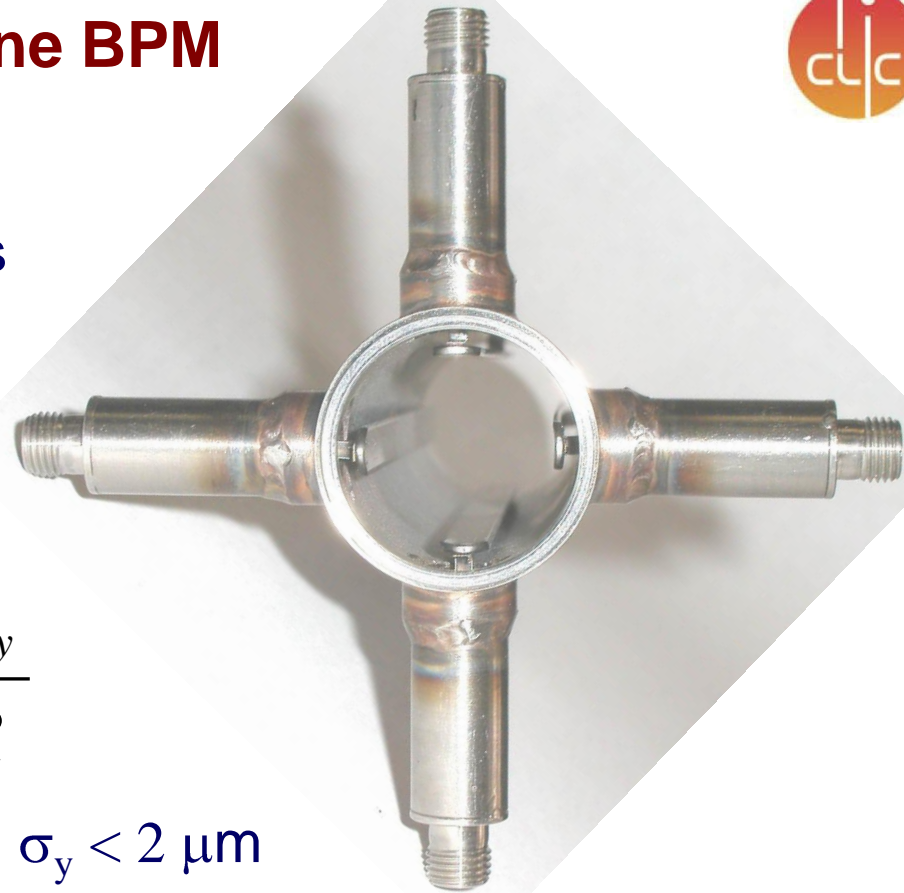
$$Y = \frac{R}{2} \cdot \frac{V_U - V_D}{V_U + V_D}$$

- Resolution: $\frac{\sigma_V}{V} = 2\sqrt{2} \cdot \frac{\sigma_y}{R}$

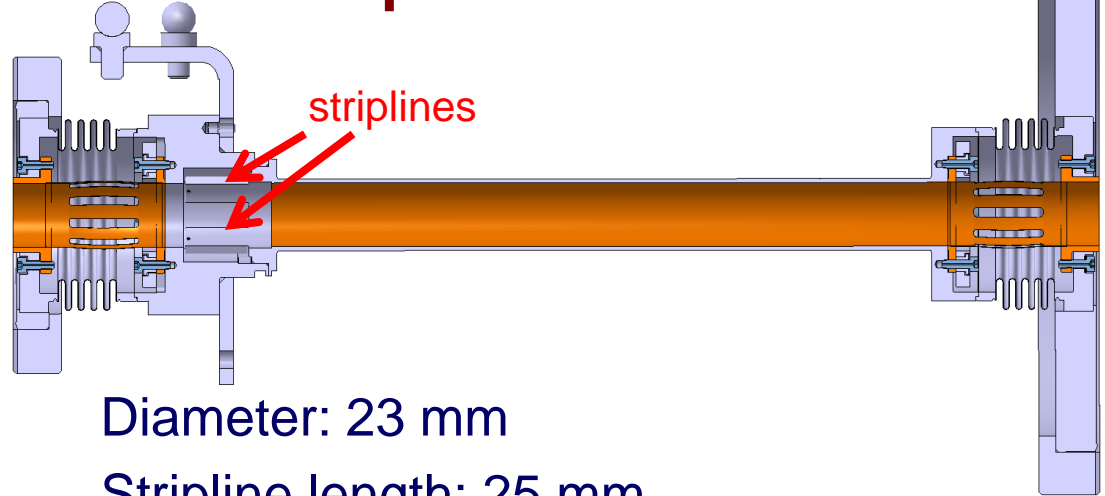
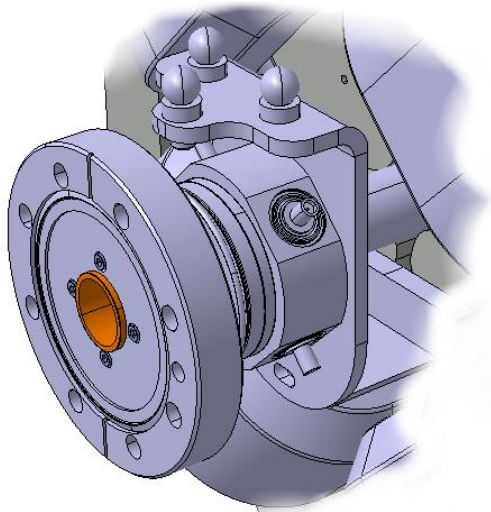
Given: $R = 11.5 \text{ mm}$ and $\sigma_y < 2 \mu\text{m}$

Requires $\sigma_V/V_{\text{peak}} = 1/6000 \rightarrow 12 \text{ effective bits}$

- Small difference in big numbers
- **Calibration is crucial!**



Decelerator Stripline BPM

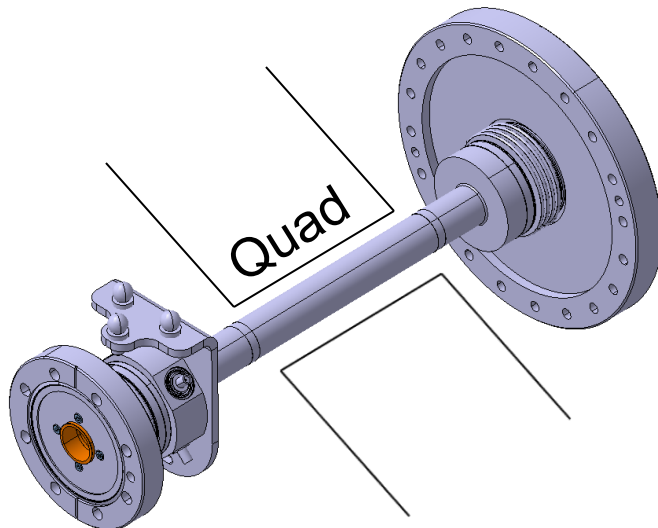


Diameter: 23 mm

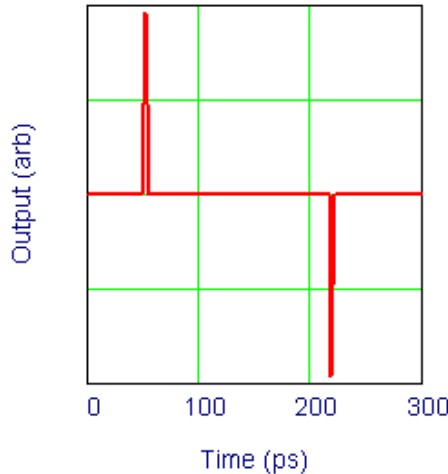
Stripline length: 25 mm

Width: 12.5% of circumference (per strip)

Impedance: 50 Ohm

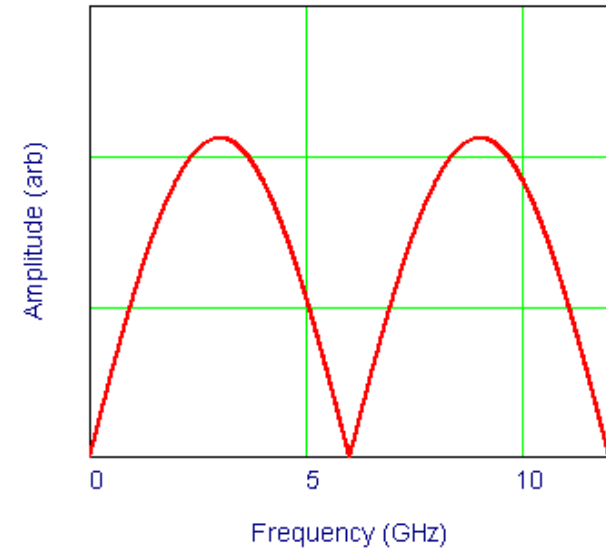


Raw Stripline Response



Response Peak at 3.0 GHz, null at 12 GHz

Stripline Raw Spectrum



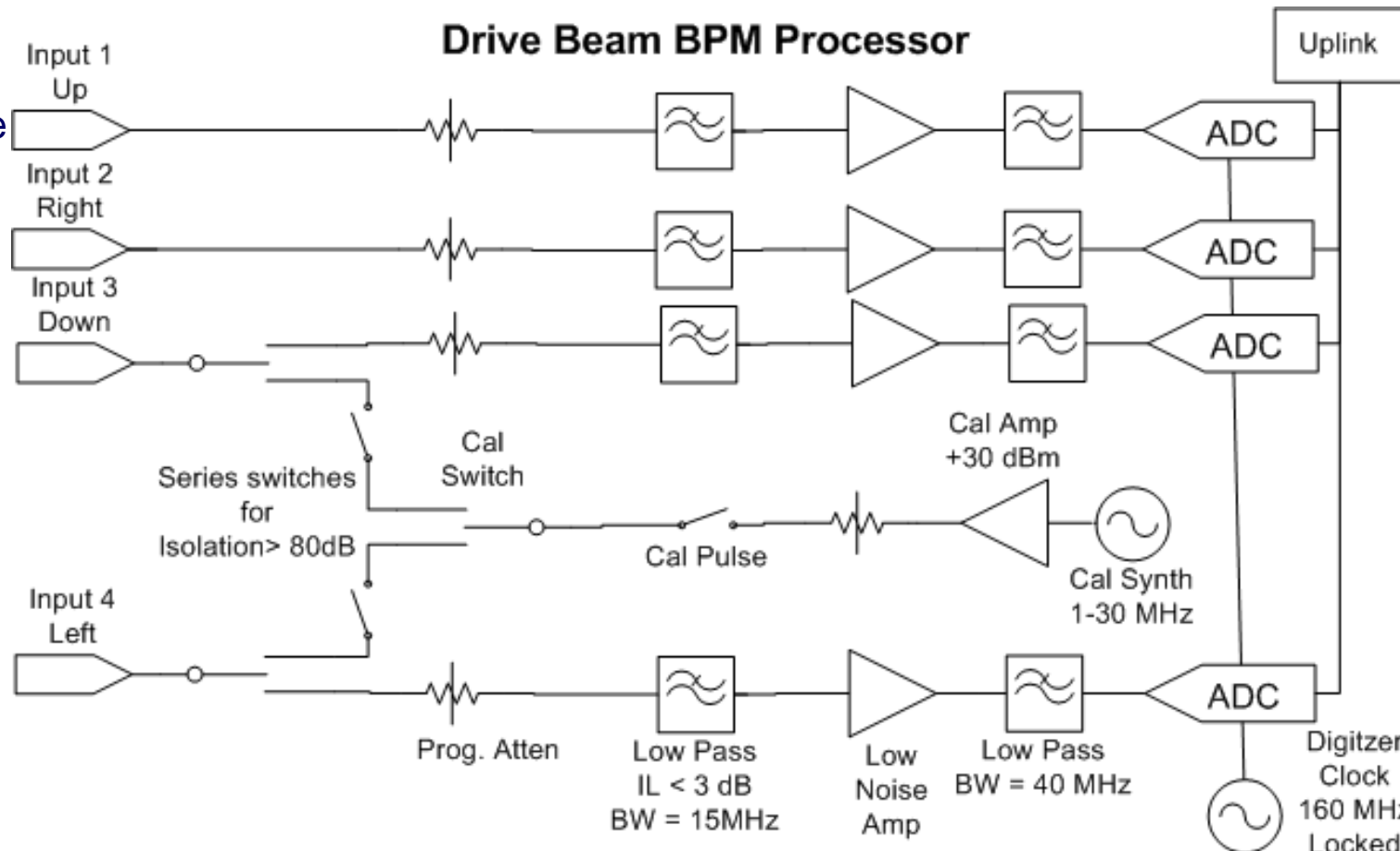
Signal Processing Scheme



- Lowpass filter to ~ 20 MHz
- Digitize with fast ADC
 - 160 Msample/sec
- 16 bits, 12 effective
- Assume noise figure ≤ 10 dB
- For nominal single bunch charge 8.3 nC
 - Single bunch resolution $\sigma_y < 1$ μm

Including

Cable & filter losses
amplifier noise figure
ADC noise

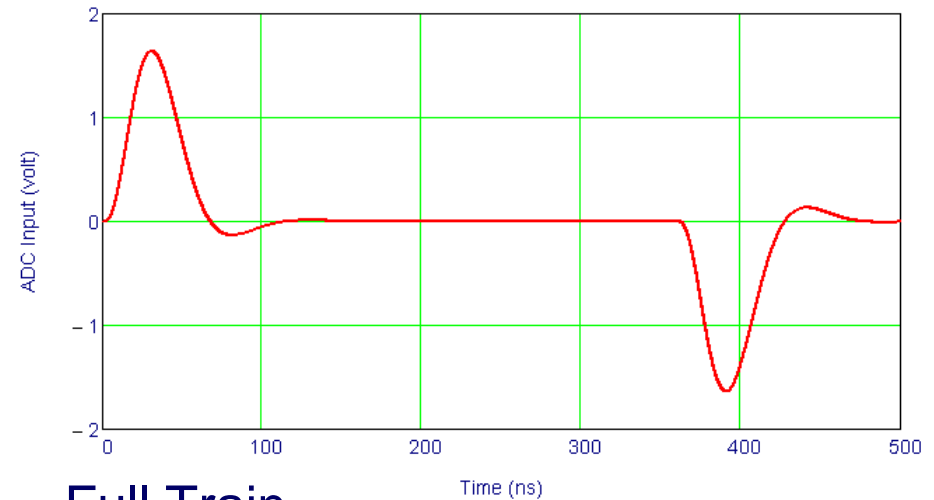
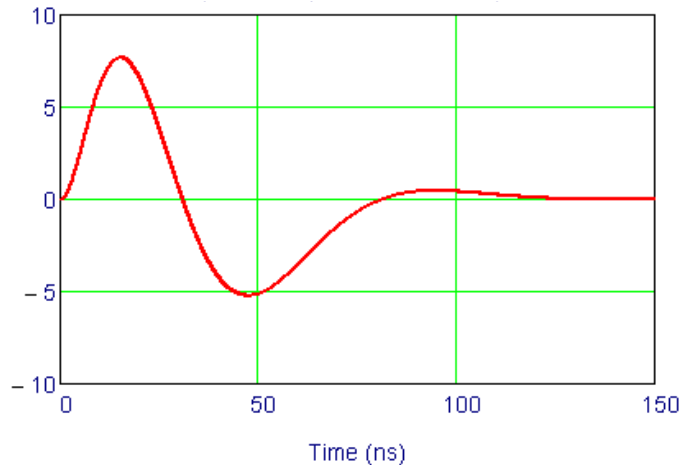


Single Bunch and Train Transient Response



- What about the turn-on / turn-off transients of the nominal fill pattern?
- Provides good position measurement for head/tail of train
 - Example: NLCTA
 - ~100 ns X-band pulse
 - BPM measured head & tail position with 5 - 50 MHz bandwidth

CLIC Decelerator BPM:



- Single Bunch
- $Q=8.3$ nC
- $\sigma_y \sim 2$ μm
-

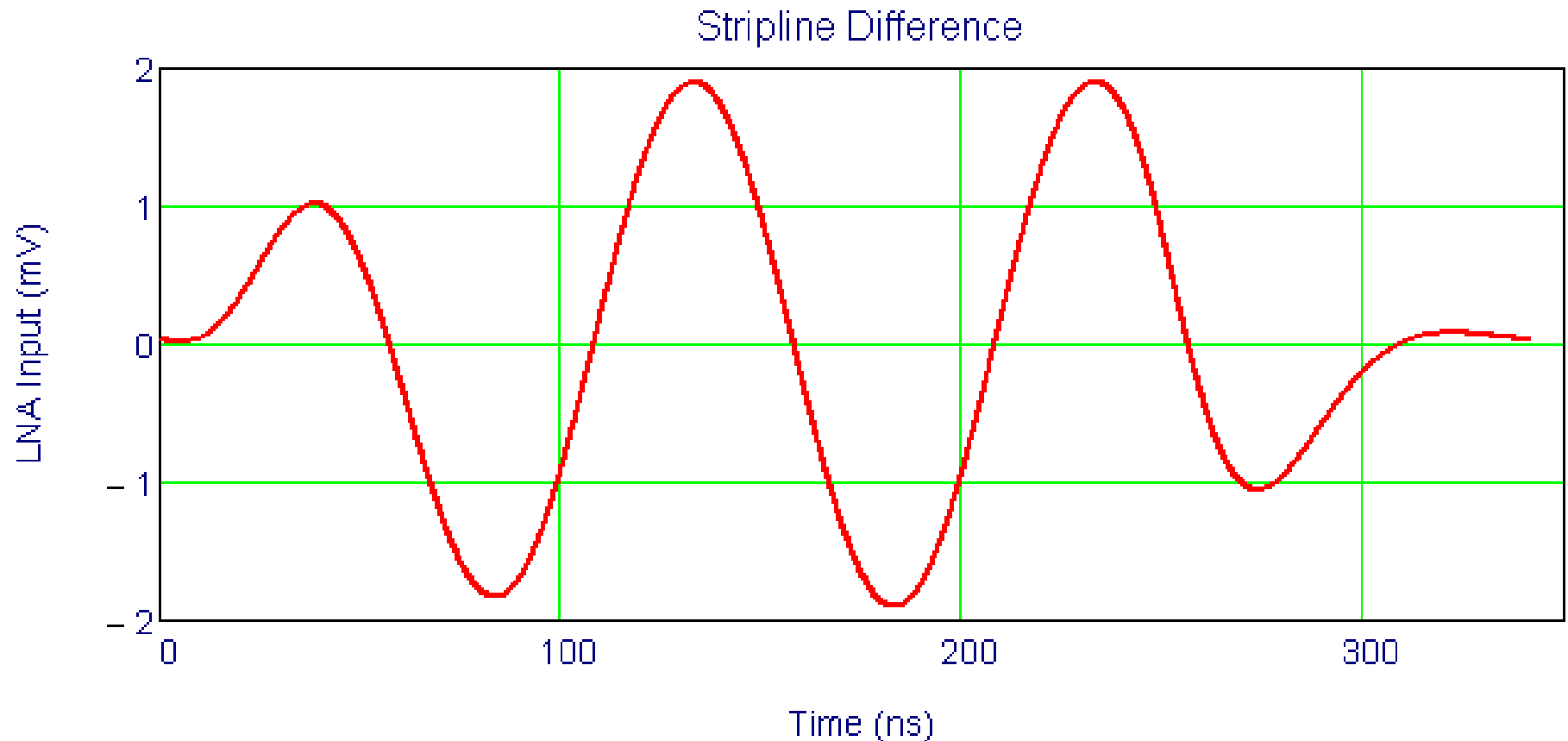
Full Train

$I = 100$ Amp

$\sigma_y < 1$ μm (train of at least 4 bunches)

Temporal Response within Train

- Transverse oscillation at 10 MHz with 2 micron amplitude
- Stripline difference signal Up-Down:
- S/N_{thermal} huge but ADC noise limit: $\sim 2 \mu\text{m}/\sqrt{N_{\text{sample}}}$



Where do Position Signals Originate?



- Convolute pickup source term
 - for up/down electrodes
 - to first order in position y

$$q_{\pm}(t) = I(t) \cdot \left(1 \pm \frac{2y(t)}{R} \right)$$

- With stripline response function
 - where Z is impedance and
 - l is the length of strip

$$R(t) = \frac{Z}{2} \cdot \frac{\phi}{2\pi} \cdot \left(\delta(t) - \delta\left(t - \frac{2L}{c}\right) \right)$$

- At low frequency $< c/2L \sim 6\text{GHz}$
 - Looks like

$$V_{\pm}(t) = \frac{Z}{2} \cdot \frac{\phi}{2\pi} \cdot \frac{2L}{c} \frac{d}{dt} \left(Q(t) \left(1 \pm \frac{2y(t)}{R} \right) \right)$$

Up-Down Difference:

$$V_{+}(t) - V_{-}(t) = \frac{Z}{2} \frac{\phi}{2\pi} \frac{2L}{c} \frac{2}{R} \left(y(t) \frac{dQ(t)}{dt} + Q(t) \frac{dy(t)}{dt} \right)$$

- In middle of train we measure position via $Q \cdot d/dt(y)$ signal
 - Difference signal starts/ends in phase w/ position
 - but is in quadrature away from initial/final transient
- In order to reconstruct position vs. time along train
 - must measure response function with single/few bunches

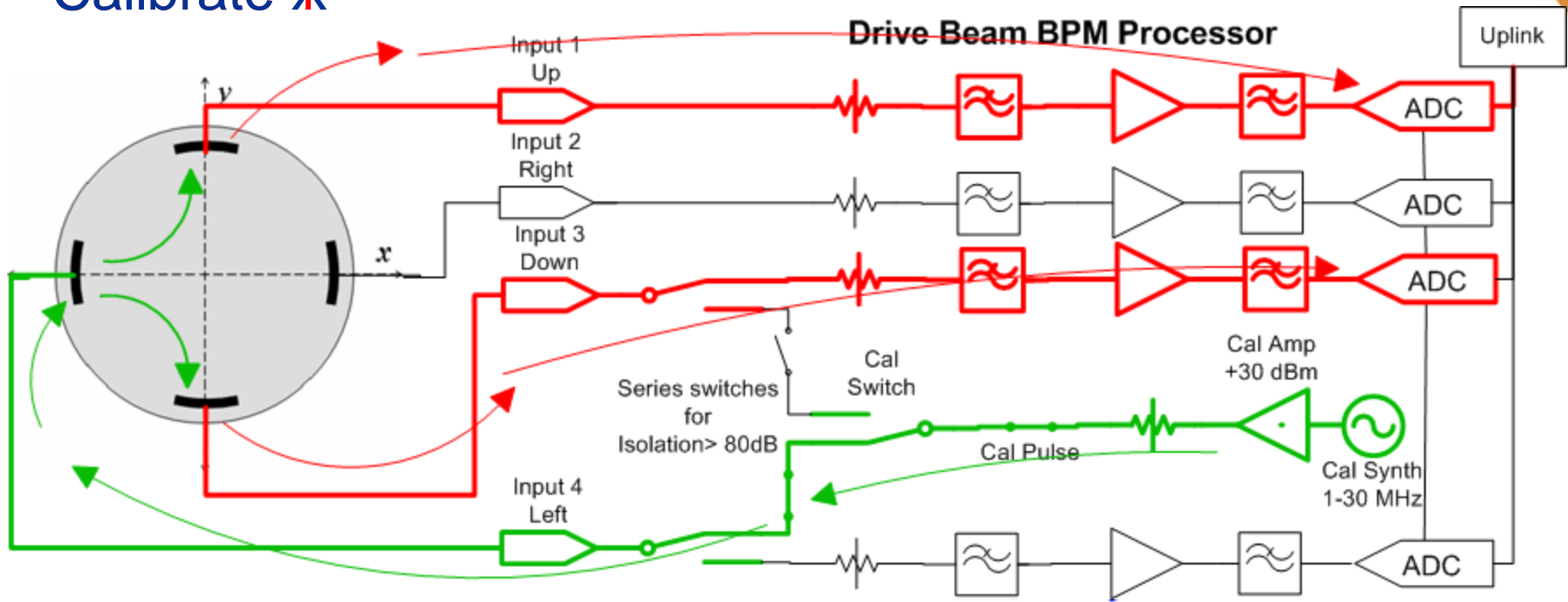
Summary of Performance



- Single Bunch
 - For nominal bunch charge $Q=8.3$ nC
 - $\sigma_y \sim 2$ μm
- Train-end transients
 - For current $I = 100$ Amp
 - $\sigma_y < 1$ μm (train of at least 4 bunches)
 - For full 240 ns train length
 - current $I > 1$ Amp
 - $\sigma_y < 1$ μm
- Within train
 - For nominal beam current ~ 100 A
 - $\sigma_y \sim 2$ μm for $\delta t > 20$ ns

Calibrate X

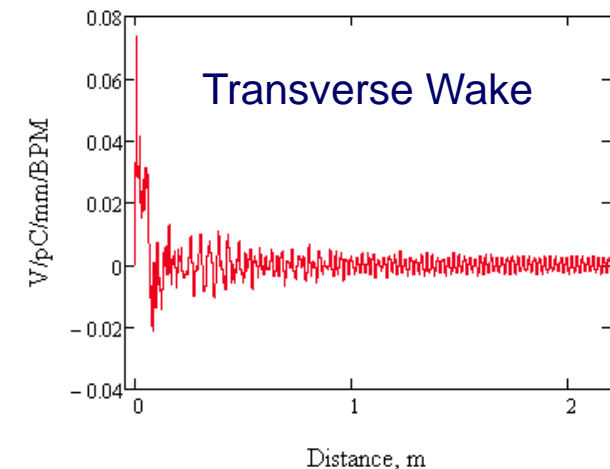
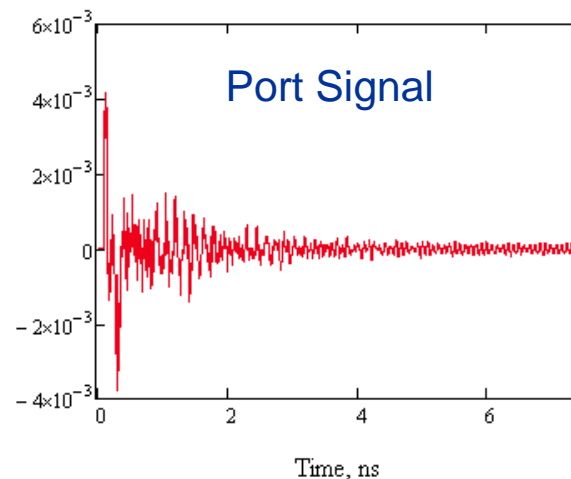
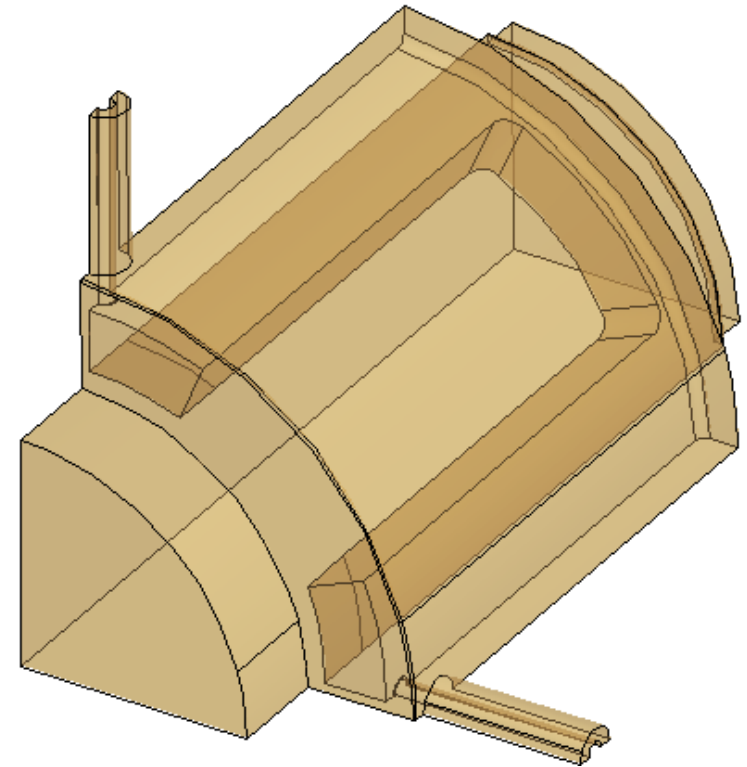
Calibration



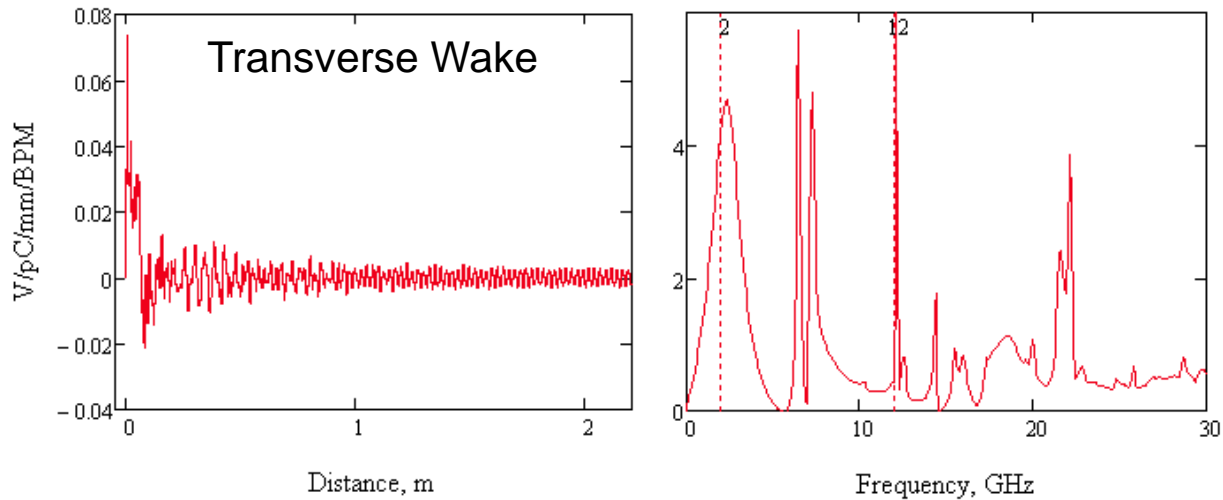
- Transmit calibration from one strip
 - Measure ratio of couplings on adjacent striplines
- Repeat on other axis
- Gain ratio → BPM Offset
- Repeat between accelerator pulses
 - Transparent to operations
- Very successful at LCLS

Finite-Element Calculation

- Characterize beam-BPM interaction
- GDFIDL
 - Thanks to Igor Syratchev
 - Geometry from BPM design files
- Goals:
 - Check calculations where we have analytic approximations
 - Signal
 - Wakes
 - Look for
 - trapped modes
 - Mode purity



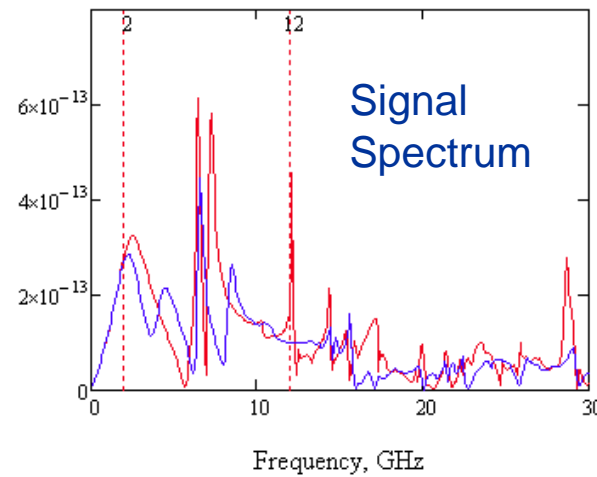
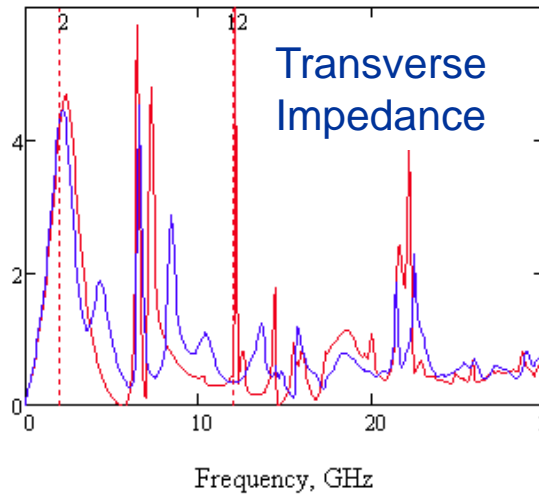
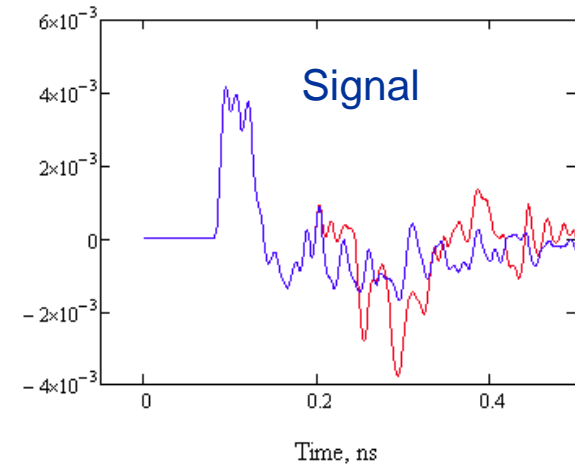
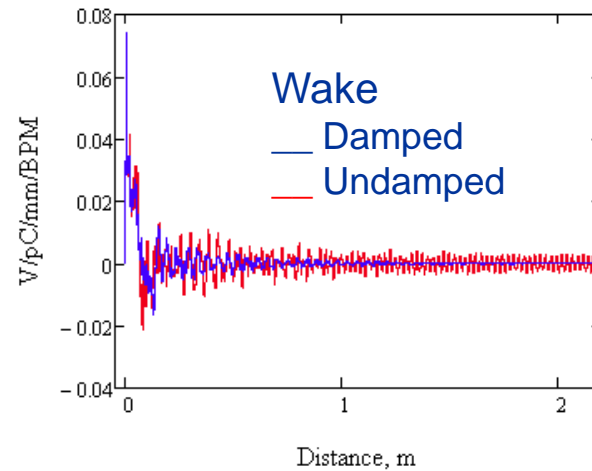
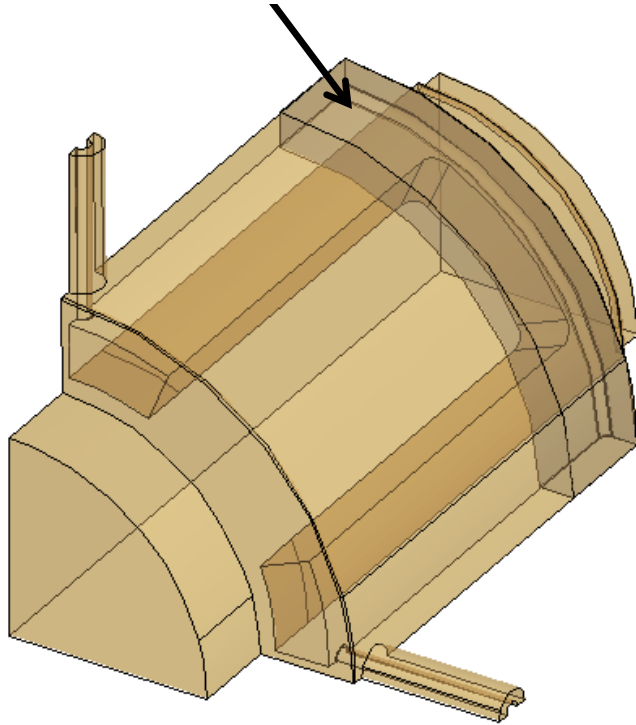
Transverse Wake



- Find unpleasant trapped mode near 12 GHz (!)
- Add damping material around shorted end of stripline
 - Results:
 - Mode damped
 - Response essentially unchanged at signal frequency

Damped Stripline BPM

Damping Material



- Few mm thick ring of SiC
- Transverse mode fixed
- Signal not affected materially
 - Slight frequency shift

Comparison to GDFIDL



- Compare to analytical calculation of “perfect stripline”
- Find resonant frequencies don’t match
 - GDFIDL ~ 2.3 GHz
 - Analytic model is 3 GHz
 - Is this due to dielectric loading due to absorber material?
- Amplitudes in 100 MHz around 2 GHz differ by only ~5% (!)
- Energy integrated over 1 bunch:
 - 0.16 fJ GDFIDL
 - 0.15 fJ Mathcad
- Must be some luck here
 - filter functions are different
 - resonance frequencies don’t match
 - Effects of dielectric loading partially cancels
 - Lowers frequency of peak response → raises signal below peak
 - Reduces Z → decreases signal

- **Ratio of Dipole to Monopole**
 - Δ/Σ ratio
- **GDFIDL calculation**
 - Signal in 100 MHz bandwidth around 2 GHz
 - Monopole 1.75 mV/pC
 - Dipole 0.25 mV/pC
 - Ratio 0.147/mm
- **Theory**
 - $y = R/2 * \Delta/\Sigma$
 - → Ratio of dipole/monopole = $2/R = 0.148/\text{mm}$ for $R = 13.5 \text{ mm}$
 - (R of center of stripline, it's not clear exactly which R to use here)
- **Excellent agreement for transverse scale**

Multibunch Transverse Wake



- Calculate transverse wakefield:

Transverse Wake Function of Stripline BPM

K.Y.Ng & Karl Bane

Handbook of Accelerator Physics and Engineering p. 236

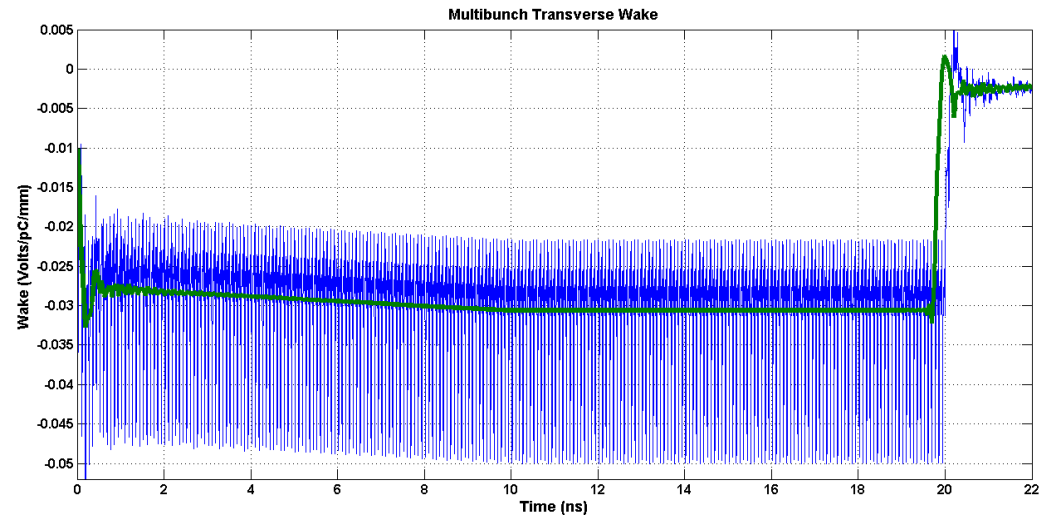
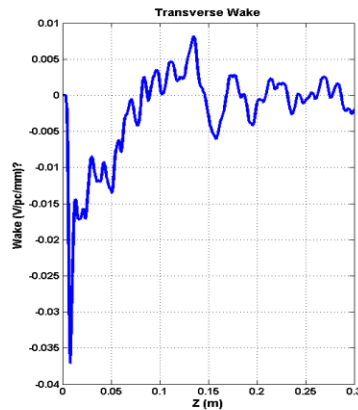
(Wake due to signal induced on striplines)

Wake lasts for time $2L/c$ so integrate over bunches: $N_{\text{bunches}} := \frac{2 \cdot L}{c} \cdot F_b$ $N_{\text{bunches}} = 2$

$$W_1 := \frac{8 \cdot Z \cdot c}{\pi^2 \cdot R^2} \cdot \sin\left(\frac{\varphi}{2}\right)^2 \cdot N_{\text{bunches}}$$

$$W_1 = 27 \cdot \frac{\text{mV}}{\text{pC} \cdot \text{mm}}$$

- Compare with GDFIDL:



- GDFIDL shows quasi-DC Component: 30.6 mV/pC/mm/BPM

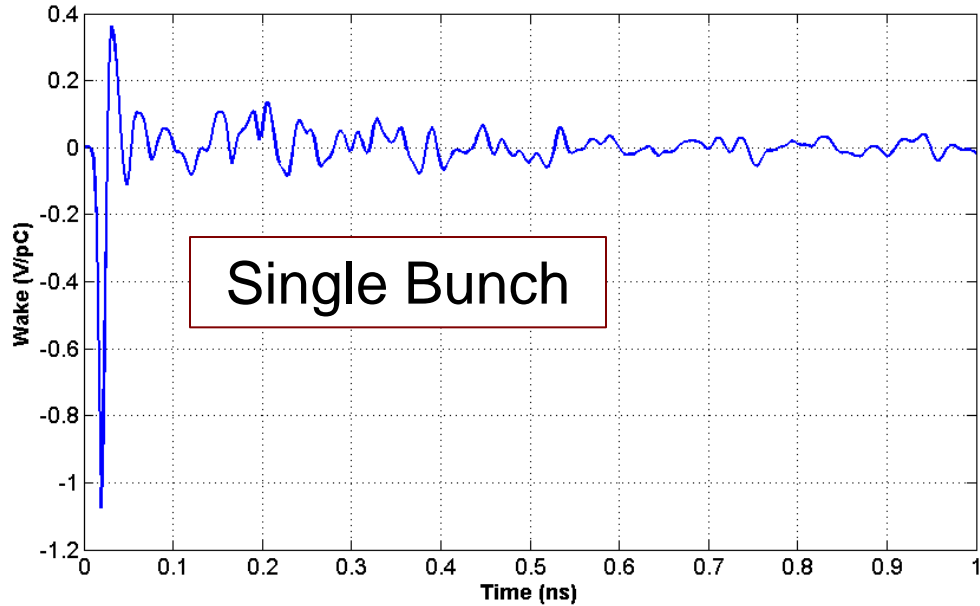
- Calculate 27 mV/pC/mm/BPM for ideal stripline

- Excellent agreement

- Components at 12 GHz, 24 GHz, 36 GHz:

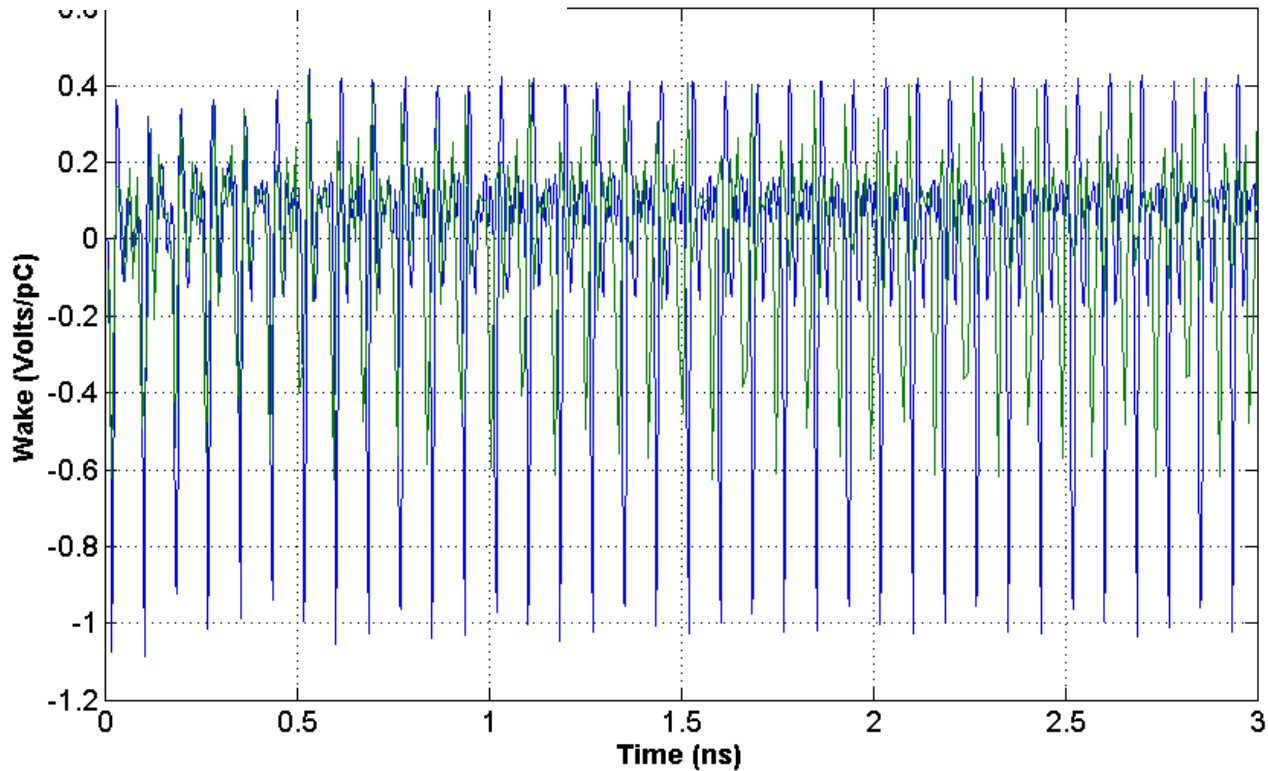
- Comparable to features of PETS

Longitudinal Wake from GDFIDL



Multibunch:

- No coherent buildup
- Peak voltage unchanged
- Multiply by bunch charge in pC to get wake
 - 8.3 nC/bunch



Summary of Comparison to GDFIDL



- GDFIDL and analytic calculation agree very well on characteristics
 - Signals at ports:
 - Monopole
 - Dipole
 - Transverse Wake
 - Disagree on response null at signal port
 - May need lowpass filter to reduce 12 GHz before cables
- Signal Characteristics Good
- Longitudinal & transverse wakes Good

Summary



- A conventional stripline BPM should satisfy requirements
 - Processing band (0 – 40 MHz) stripline signals
 - Signals are **local**
 - Calculation agrees with simulation:
 - Wakefields
 - Trapped modes
- Can achieve required resolution
- Calibrate carefully
 - Online
 - transparently
- Should have accuracy of typical BPM of this diameter
- Pay attention to source of BPM signal
 - Need to unfold position signal $y(t)$
 - Occasionally measure response functions
 - with single/few bunch beam