

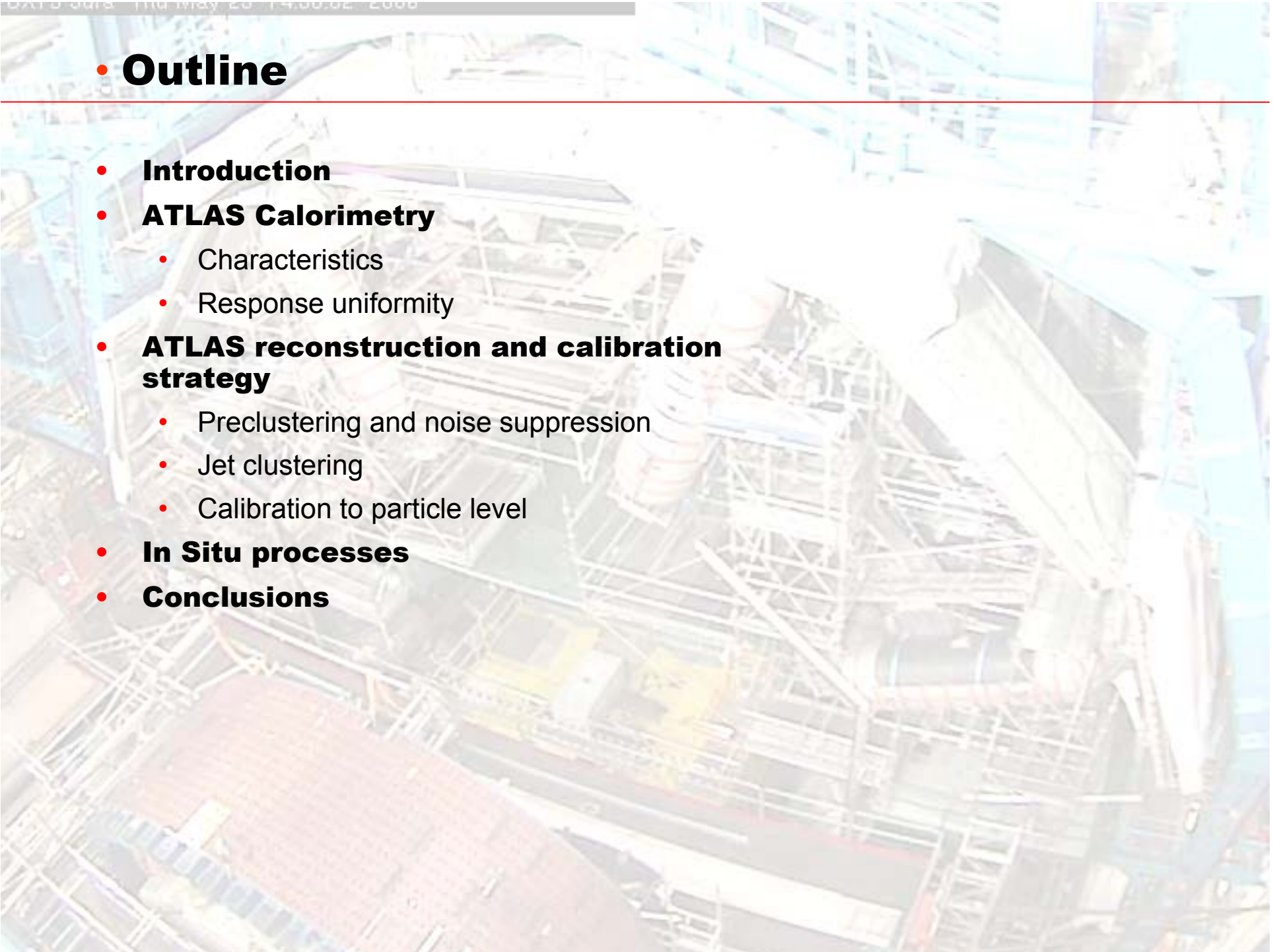
Jet Reconstruction and Calibration in the ATLAS Calorimeters

On behalf of ATLAS collaboration

Sigrid Jorgensen
IFAE
CALOR06

• **Outline**

- **Introduction**
- **ATLAS Calorimetry**
 - Characteristics
 - Response uniformity
- **ATLAS reconstruction and calibration strategy**
 - Preclustering and noise suppression
 - Jet clustering
 - Calibration to particle level
- **In Situ processes**
- **Conclusions**



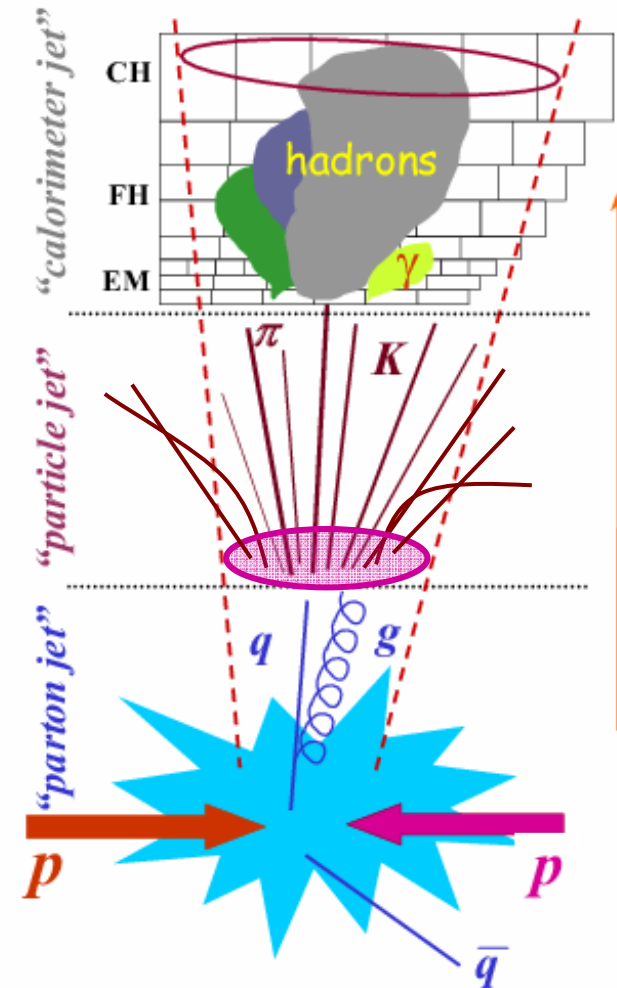
• From **partons** to **signals**

Various effects play a role in the chain:

Partons → Calorimeter signals

- **Physics:**
 - Parton shower & fragmentation
 - Underlying events
 - Initial State Radiation & Final State Radiation
 - Pileup from minimum bias events
- **Detector:**
 - Non compensation
 - Dead material
 - Electronic noise
 - Energy leakage
- **Clustering:**
 - Out of “cone” energy losses

Strategy: disentangle as much as possible physics and detector effects



• Atlas Calorimeters

LAr

Electromagnetic
calorimeter

barrel

endcap

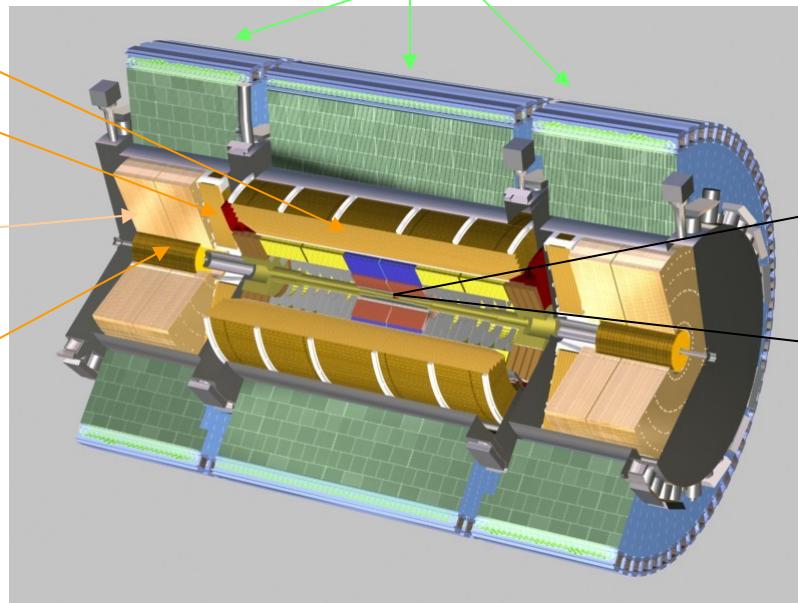
LAr EndCap

Hadronic
calorimeter

LAr Forward
Calorimeter

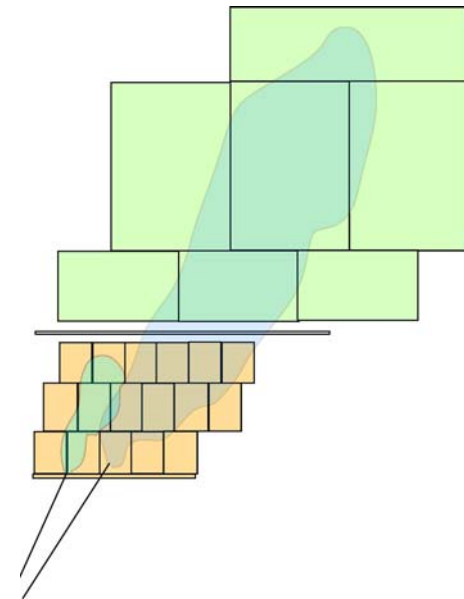
Barrel **Tile**

Hadronic calorimeter



$\eta = 1.5$

$\eta = 3.2$

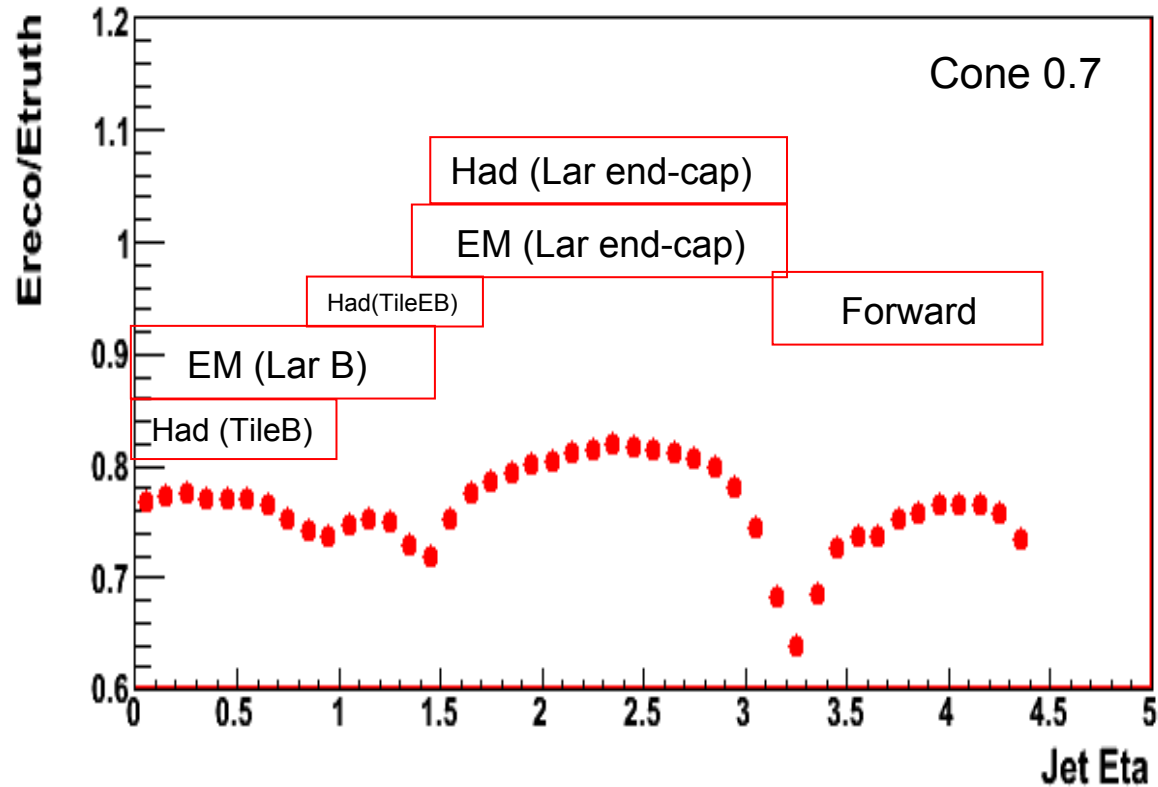


large eta coverage up to $|\eta| \sim 5$

fine lateral & longitudinal granularity

- Calorimeter non-compensation $e/h \sim 1.3 - 1.5$ (depend on calorimeter)
- Extensive test beam program to validate detector simulation (see talks of the Test Beam session)

• Jet Response Uniformity

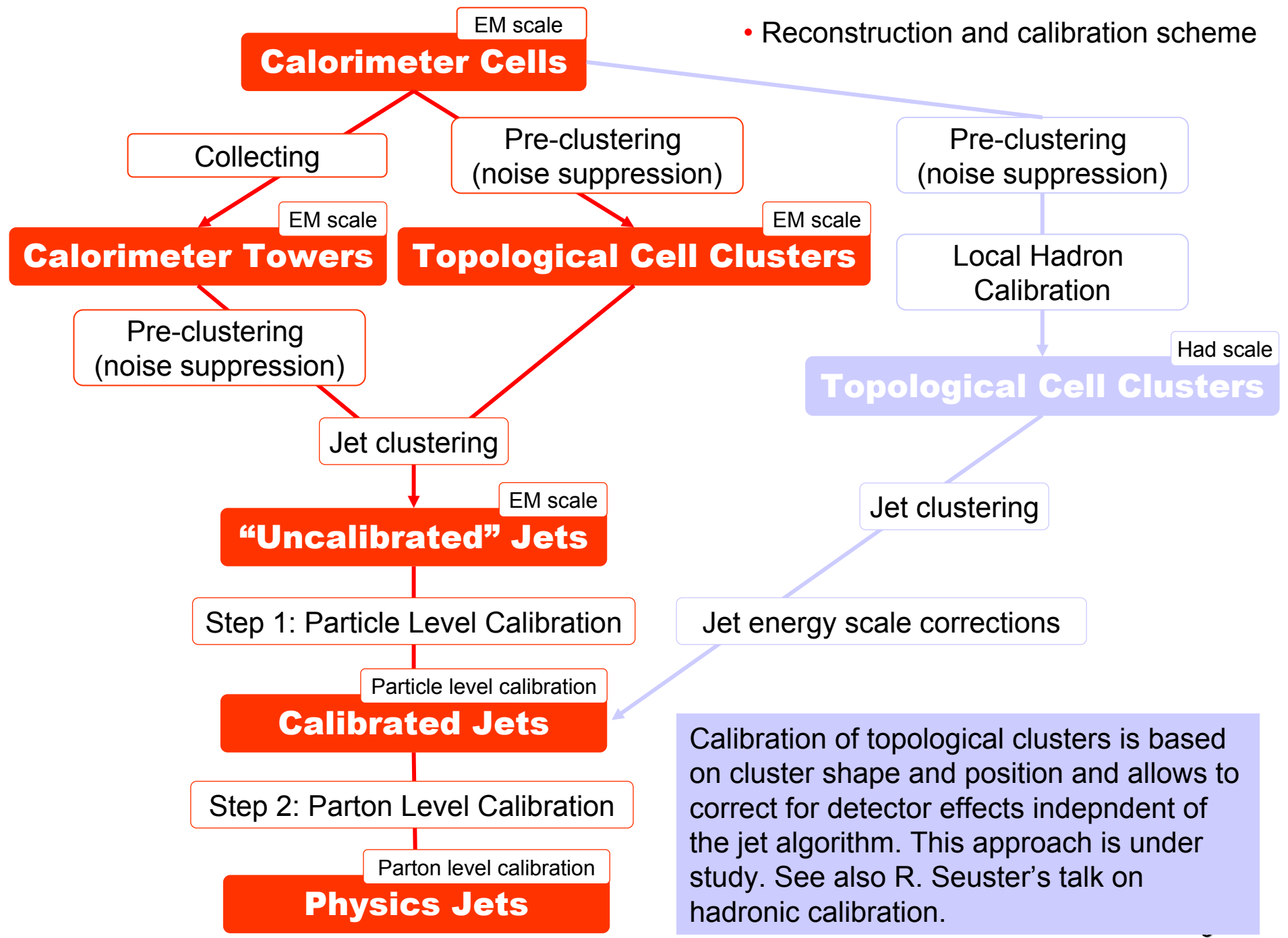


Jet energy calibrated
at **EM scale** /
normalized to
MC truth energy

Calorimeter response depends on:

- dead material and gaps
- level of non-compensation

• Reconstruction and calibration scheme



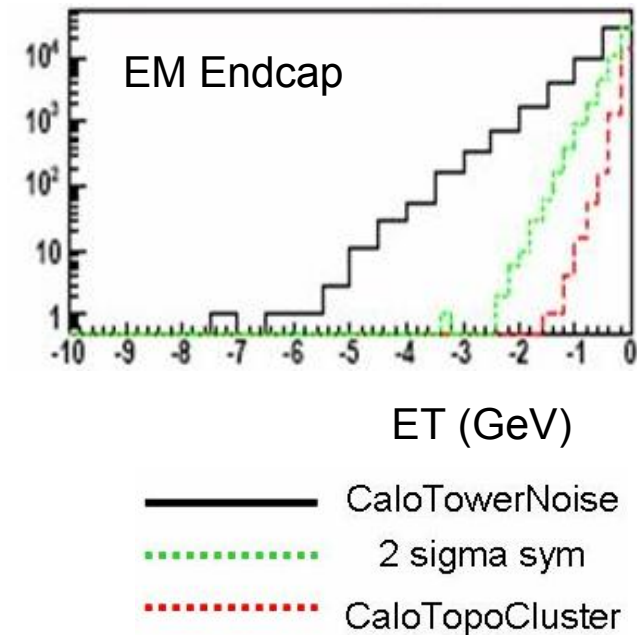
• Preclustering and Noise Treatment

Start with cells calibrated at EM scale

Three methods:

- Build and precluster **projective towers**:
 - Sum energy of cells in towers of $\Delta\eta \times \Delta\phi = 0.1 \times 0.1$
 - **Compensate towers with negative energy with its positive neighbors.**
(default option)
- Build **topological cell clusters**:
 - Nearest-neighbor clustering cells around a seed with significant signal ($4\sigma, 2\sigma, 0\sigma$ noise)
 - Clusters = EM shower or hadronic sub-showers
 - **Removes cells with insignificant signals (unclustered).**
(under study)
- Select cells with **2σ symmetric cut**:
 - **Removes all cells with $|E| < 2\sigma$ noise.**

Negative energy left in preclusters



• Jet clustering

- For jet clustering three typical algorithms are used:

Seeded Cone algorithms

- Collect **neighbors** around a **seed** in a radius R (+ split/merge)
 - **Cone 0.7**: $R = 0.7$
To avoid fragmentation loss for low P_t jets.
 - **Cone 0.4**: $R = 0.4$
Necessary at high luminosity and to separate overlapping jets (high P_t resonance disintegration).

Kt algorithm

- Algorithm that merges particles based on **radial distance** and **transverse momentum** (D parameter “Jet Size” =1)
- Study **detector** and **physics effects** for the 3 cases

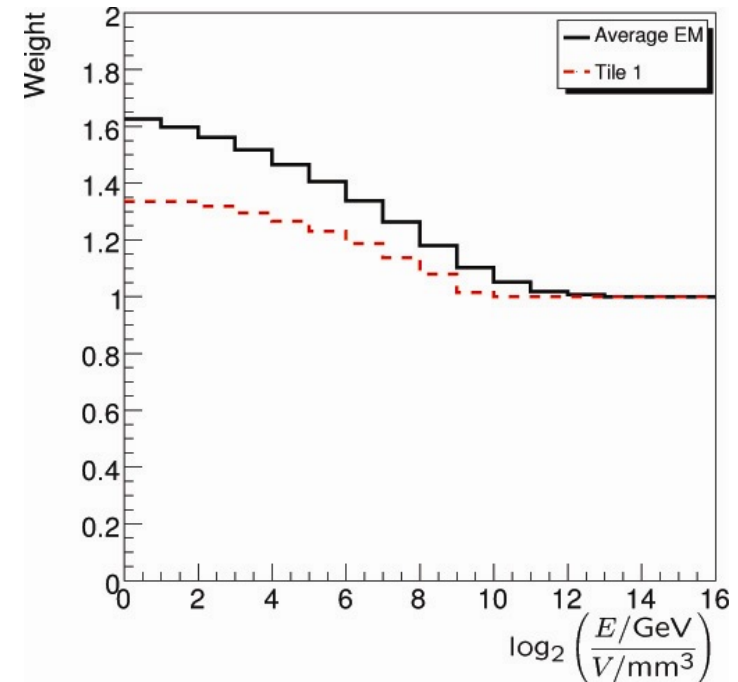
- Jet energy **calibration** to **particle level**

Calibration aim: Energy resolution minimization with linearity constraint
Correct for dead material and non compensation

- **Jet calibration** – various strategies:
 - Apply **weight** to **each cell**.
 - Apply **weight** to **calorimeter layers**.
Simple and fast but less performant.

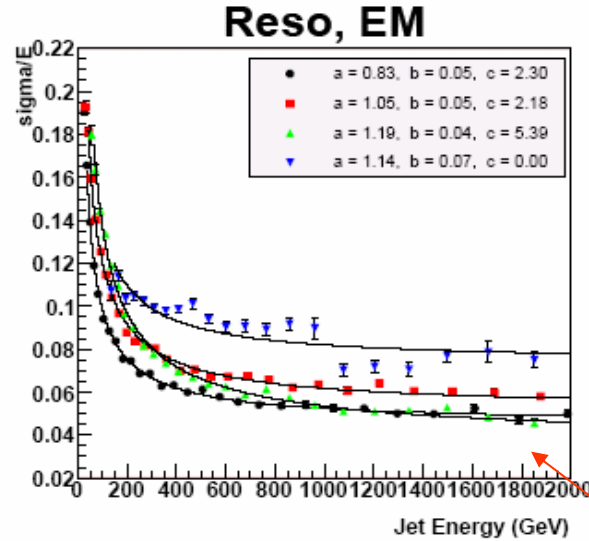
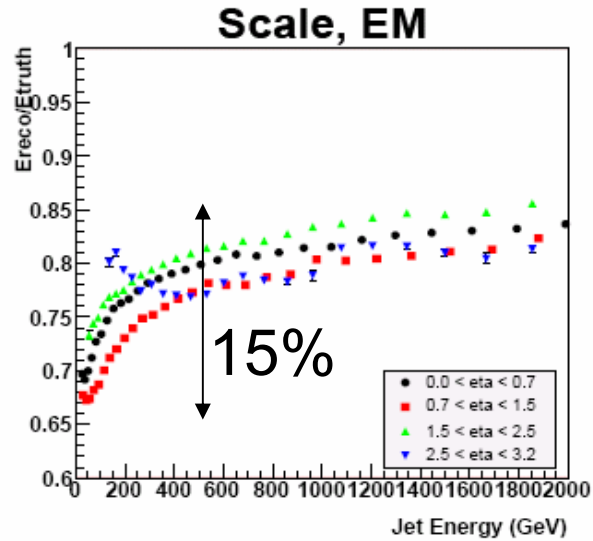
Different ways to take into account eta and jet energy dependence and additional correction for dead material.

- **Default calibration:**
 - $E_{\text{rec}} = \sum_i W(E_{\text{cell}_i} / V_i, \text{sampling}) E_{\text{cell}_i}$
 - A factor $R(ET, \eta) = E_{\text{Trec}}/E_{\text{TMC}}$ is applied to correct for residual non linearities and for algorithm effects.



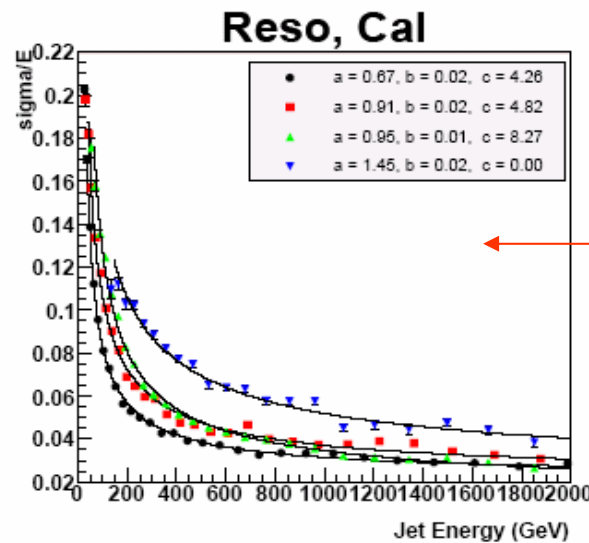
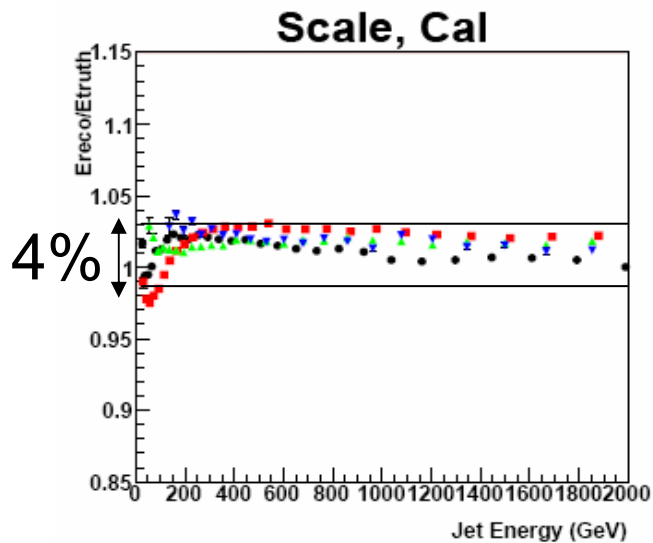
Detector description by MC is validated with an extensive CTB program

• Jet energy resolution 1



- Cell energy weight
- Cone 0.7
- For $|\eta| < 0.7$:
- Before calibration:

$$\frac{\sigma(E)}{E} = \frac{83\%}{\sqrt{E(\text{GeV})}} \oplus 5\% \oplus \frac{2.3}{E(\text{GeV})}$$



- After calibration:

$$\frac{\sigma(E)}{E} = \frac{67\%}{\sqrt{E(\text{GeV})}} \oplus 2\% \oplus \frac{4.3}{E(\text{GeV})}$$

- Linearity $\pm 2\%$ $E > 30$ GeV

- **In situ** physics processes

- In situ physics processes provides a way to **calibrate** the jets to **parton level** and **validate** the **MC** simulation, specially the **physics effects**:

- Dijets**

- Cross calibrate the detector

- Gamma / Z (\rightarrow ll) + jet**

- Parton level calibration, jet clustering, UE studies...
 - Well understood EM reference recoiling against hadronic system
 - Large statistics available at $L=10^{33}\text{cm}^{-2}\text{s}^{-1}$:
 - pT range from 20 GeV to 60 GeV: $Z(\rightarrow ll)+\text{jet} \sim 2\text{Hz}$ and $\gamma+\text{jet} \sim 0.1\text{ Hz}$
 - pT range $> 60\text{ GeV}$: (expected threshold for single γ) $\gamma+\text{jet} \sim 2\text{Hz}$ and $Z+\text{jet} \sim 0.1\text{ Hz}$

- W \rightarrow jet jet**

- Parton level calibration
 - Resonance with precisely known mass decaying into two jets
 - Statistics ($L=10^{33}\text{cm}^{-2}\text{s}^{-1}$): few hundred per day (depending on b-tagging)

- In situ – **Gamma + jet 1**

- Two complementary Methods:

- **Pt balance:**

- Calculated from the **leading recoiling jet** and **photon**.
- Sensitive to out of cone showering, gluon radiation, UE and detector effects.
- Relative jet clustering studies

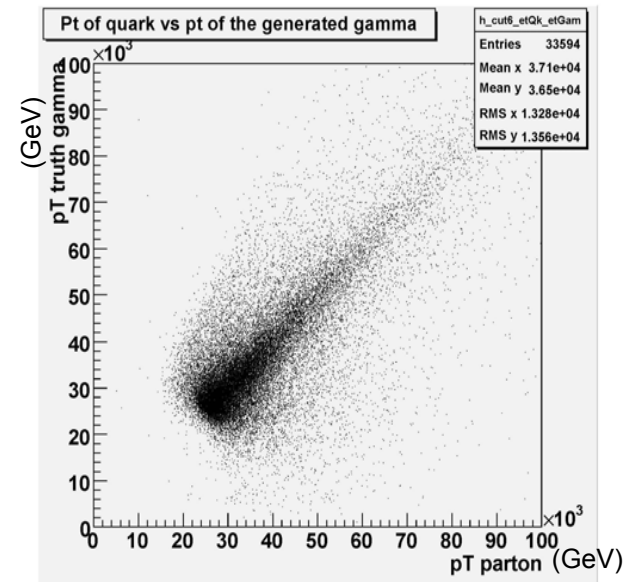
$$\Delta p_t = \frac{p_t^{jet} - p_t^\gamma}{p_t^\gamma}$$

- **Missing Et projection:**

- Vector sum of everything in the calorimeter. Sensitive to particle response only.
- **Recoil of complete hadronic system against the photon**

$$R = 1 + \frac{\vec{E}_t^{miss} \cdot \vec{E}_t^\gamma}{\vec{E}_t^\gamma \cdot \vec{E}_t^\gamma}$$

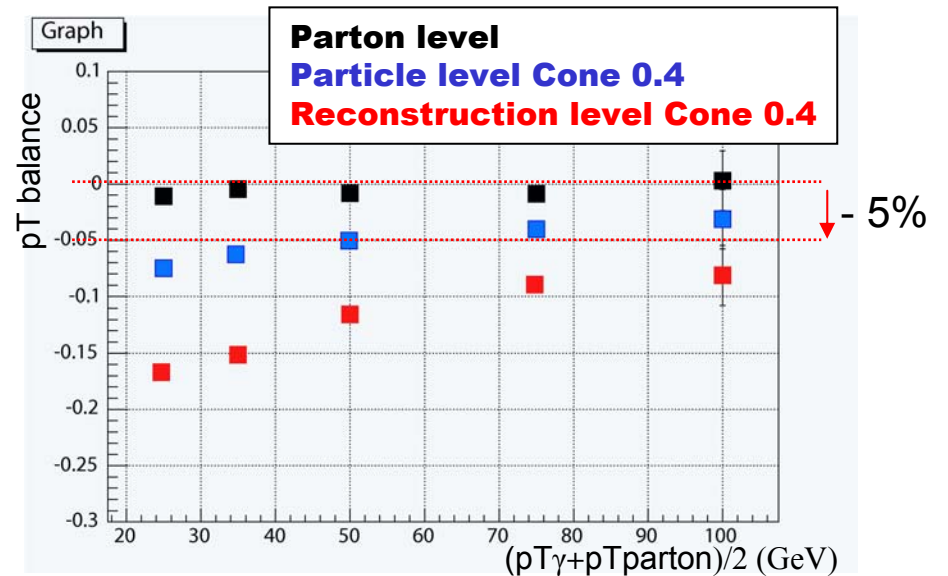
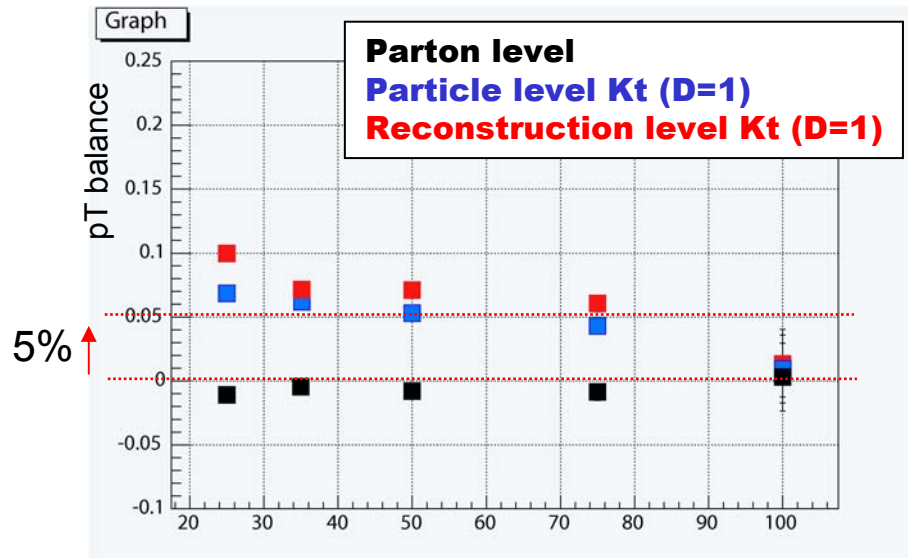
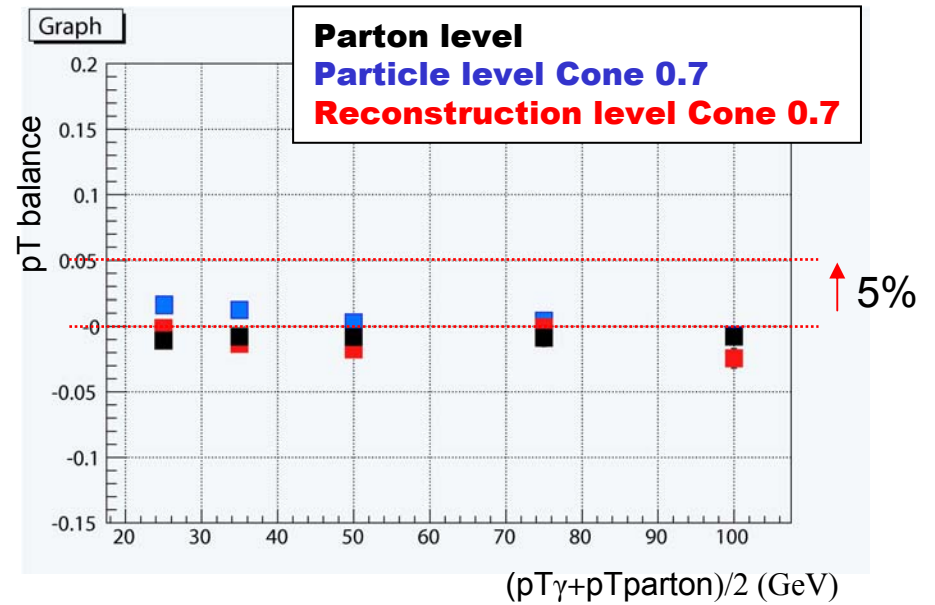
$$\vec{E}_t^{miss} = -\sum_{calo} \vec{E}_t^{calo}$$



• In situ - **Gamma + jet 2**

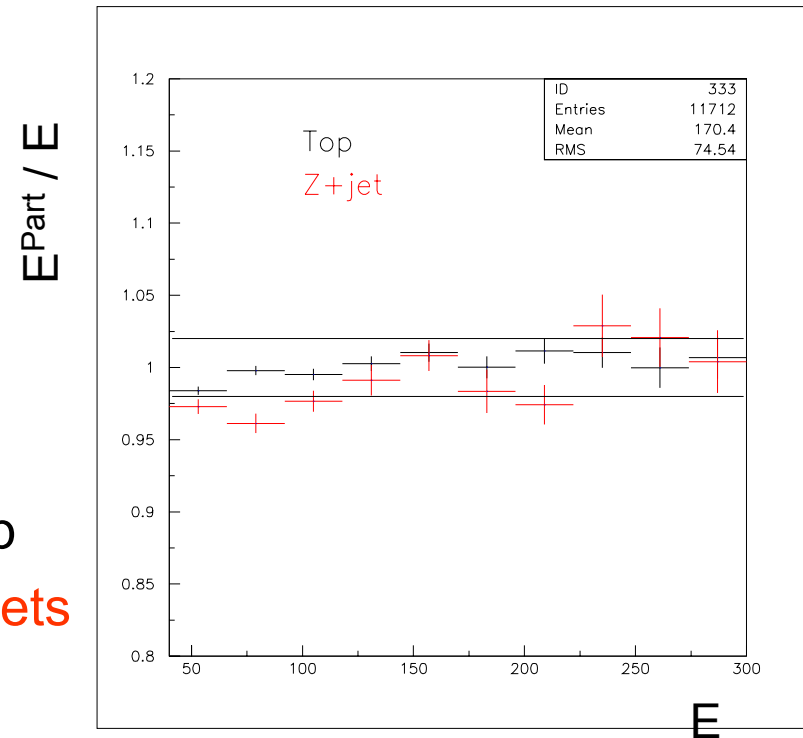
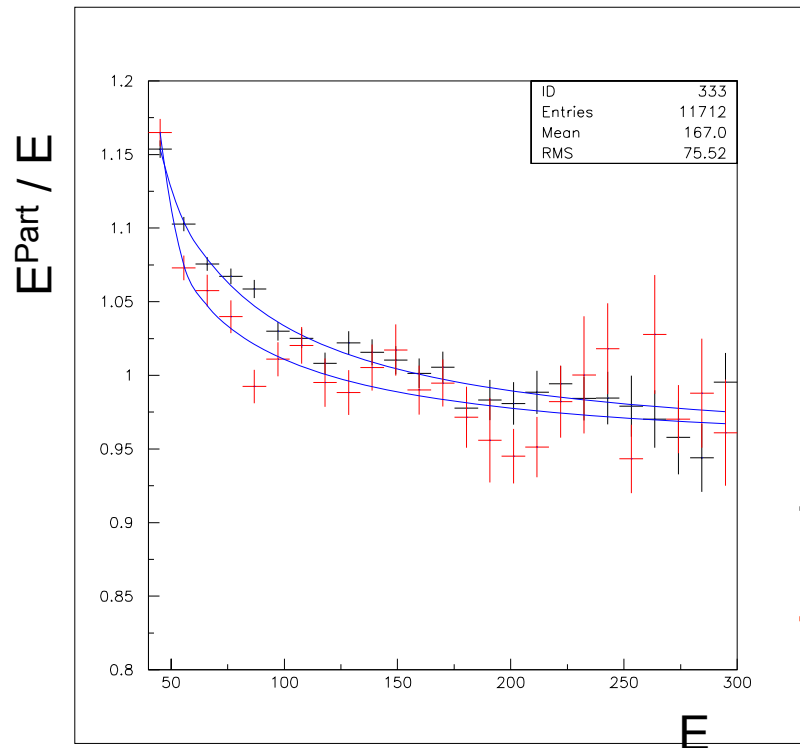
- Most probable values of the Pt balances
- Differences between cone algorithms

Compare this results with real data



- In Situ – **W** → **j j**

- W mass well defined
- Use $W \rightarrow jj$ in $t\bar{t}$ events to calibrate jets at parton level
- Use Cone 0.4 for efficient jet reconstruction in busy event environment
- $M_W^{\text{PDG}} = M_W^{\text{rec}} \sqrt{\alpha_1 \alpha_2}$, $\alpha_i = E_{i,\text{part}}/E_{i,\text{jet}}$
- This calibration can be applied to events with similar jet type (q, g). E.g. Z + jet.

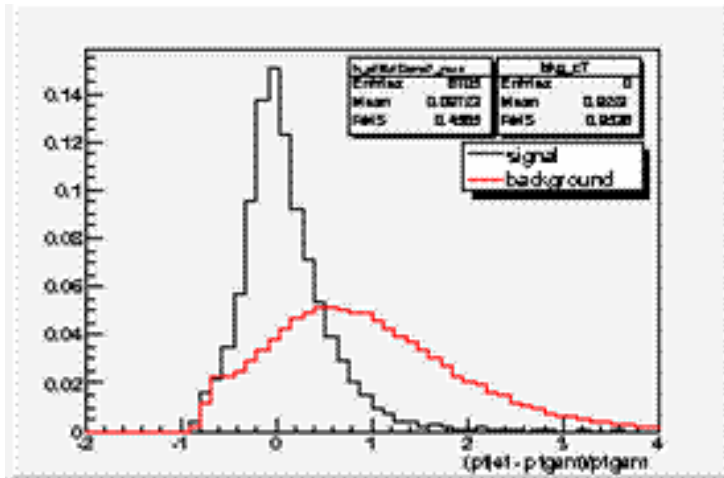


• **Conclusions**

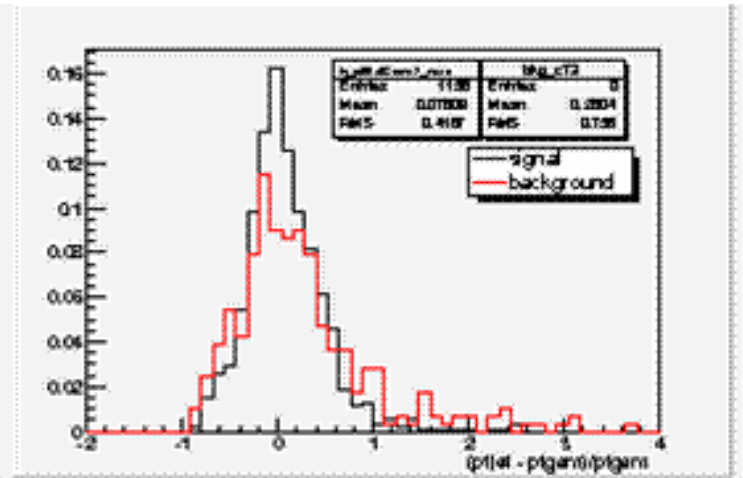
- Different strategies for signal reconstruction and jet energy calibration are being studied.
- Strategy for first data is being designed.
 - Analysis of in situ information is being prepared.
 - Validation / measurement of important factors (fragmentation, UE...) must be done with data.

- **Backup slides**

• γ +jet 6: Dijet background

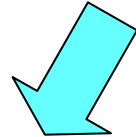


Default CBNT cuts: S/B~10%
Efficiency $\gamma \sim 90\%$



Optimised cuts: S/B~30%
Efficiency $\gamma \sim 15\%$

Data sample Athena 7.2.0 DC1 data



low pT sample $\langle ET \rangle \sim 30$ GeV

Mean (-0.6, 0.6) window	Cone 0.4	Cone 0.7	kT
Signal	-13 ± 0.8%	2 ± 0.9%	1 ± 0.9%
Background	-15 ± 2%	1 ± 2%	-1 ± 2%

remaining jet background $\approx \pi^0$

statistical error



Calibrating to Particle Jet

2 step procedure

1. Calibrated energy is calculated as:

$$E_{Raw} = \sum_s E_{cell_s}$$
$$E_{Rec} = \sum_s w(E_{cell}, CellPosition) E_{cell_s}$$

} Cell
weighting

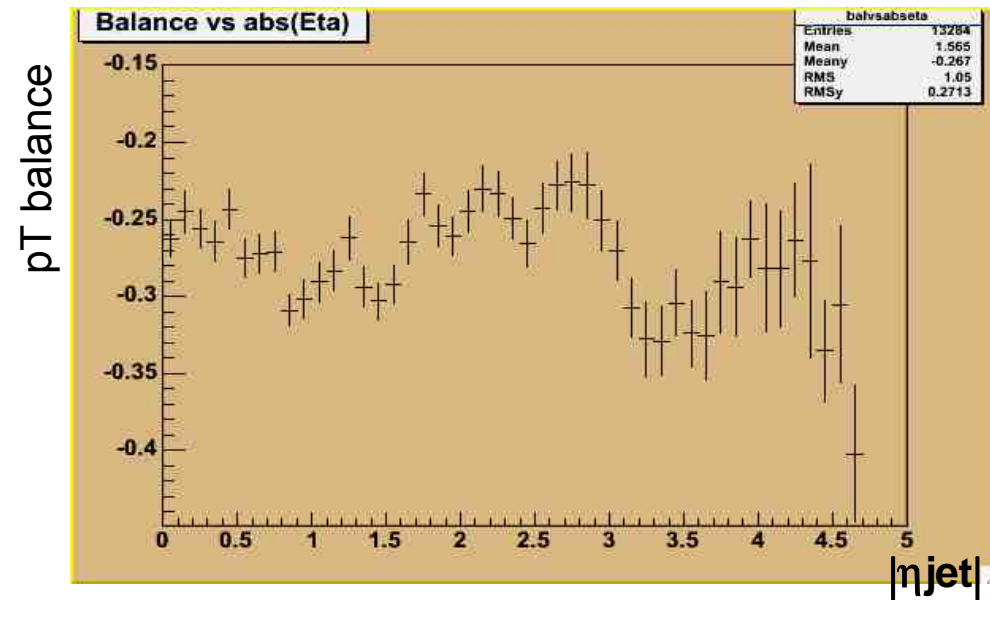
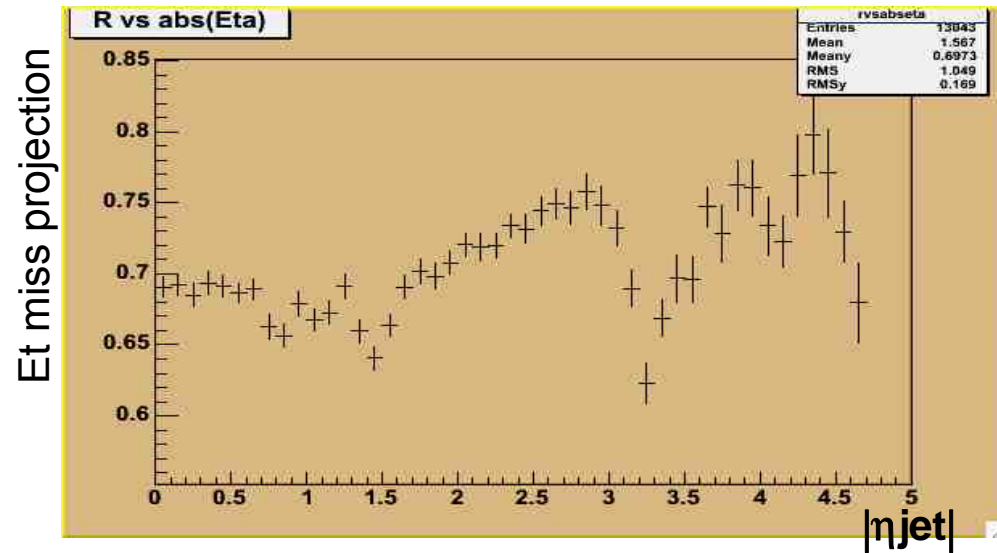
the $w(E_{cell}, CellPosition)$ coefficients are obtained by minimizing the energy resolution to the MC truth with the linearity constraint. Same weights are used for different algorithms.

2. A factor $R(E_T, \eta) = E_{Trec}/E_{TMC}$ is applied to correct for residual non linearities and for algorithm effects.

- In situ – **Z + jet**

- EM scale
- Pt balance flatter in eta
- E, R and out-of-cone showering increase with η

Check that MC reproduce data behavior



- Atlas Calorimeters – **Response uniformity**

