

Long-lived Stau

Jul. 28 . 2011

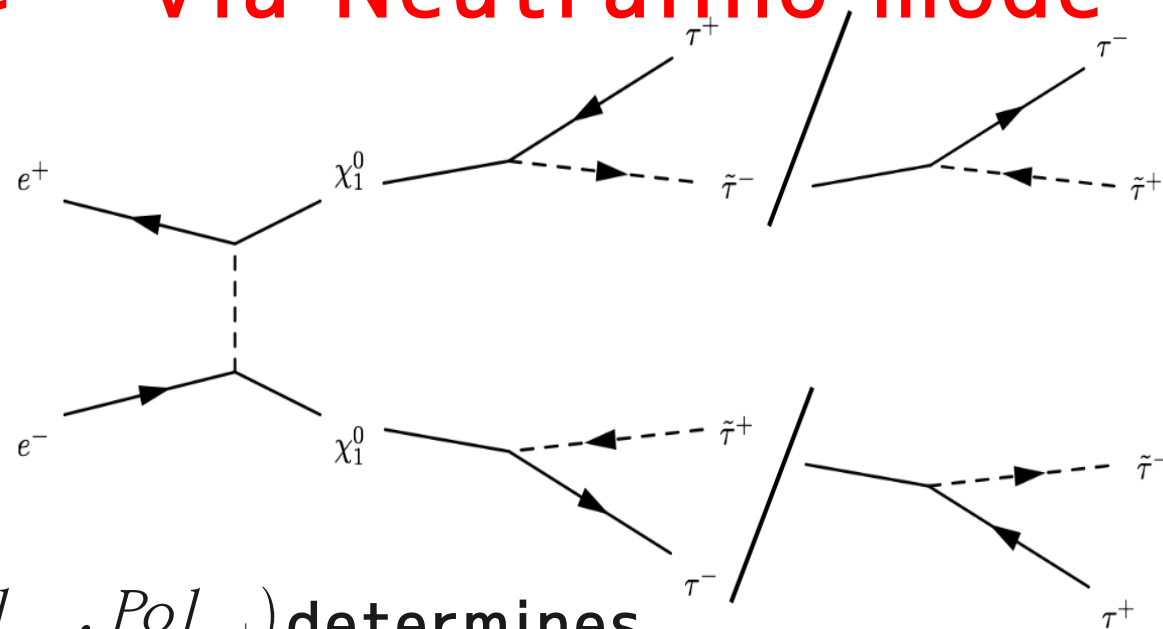
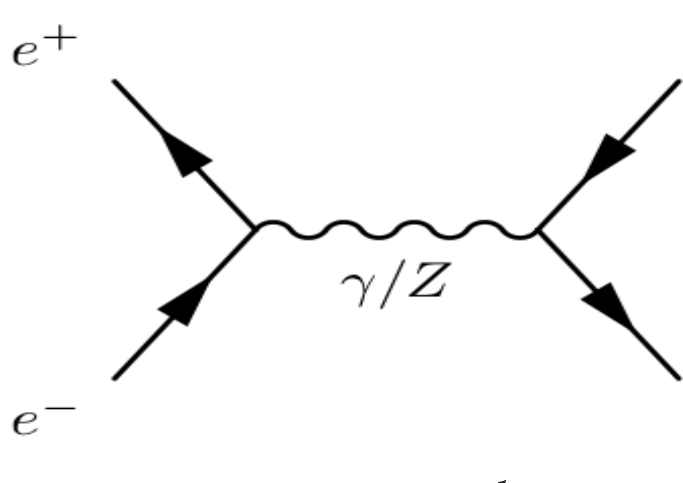
W.Yamaura

Intention

- When stau is lighter than lightest neutralino and it is long lived,
 - its lifetime is long enough to escape the detector. Stau interacts with detector and can be discovered with a good accuracy.
 - it should be important to measure its properties.
- Long-lived stau is important not only to determine its properties but also quantum numbers of neutralino.
 - I study supersymmetric scenario with a long lived stau at ILC by using MC simulation.

Mode

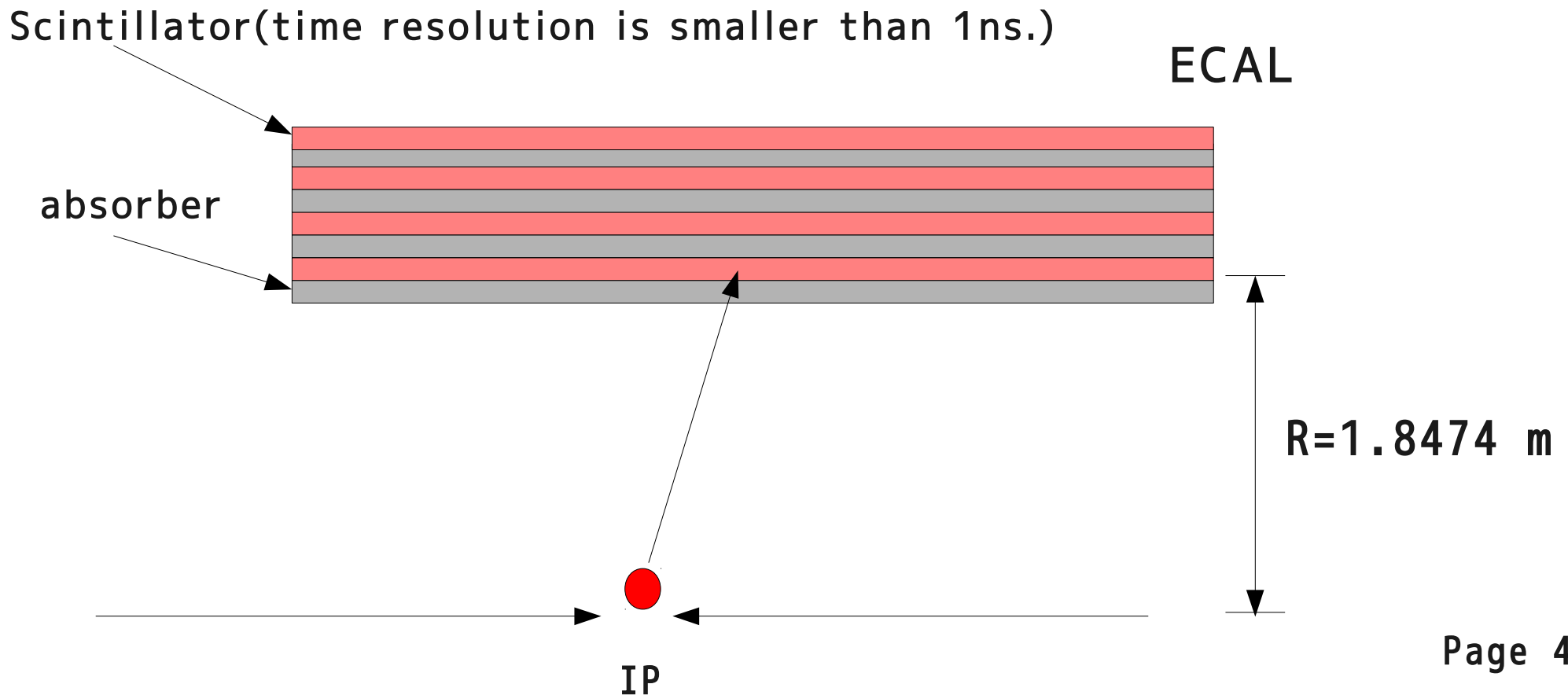
- Stau pair mode
- Via Neutralino mode



- Stau pair mode $\frac{d\sigma}{d\Omega}(\sqrt{s}, Pol_{e^-}, Pol_{e^+})$ determines quantum numbers of stau ($m_{\tilde{\tau}_1}, S, I_3, Y$).
- $m_{\tilde{\tau}_1}$ is determined from dE/dx and TOF at TPC.
- Life time of stau is measured at HCAL.
- Via neutralino mode determines quantum number of neutralino.

Precision of measurement of stau mass by TOF

ECAL is superior to TPC or SET in the point of the time resolution, so we measure stau mass by time of flight at ECAL.



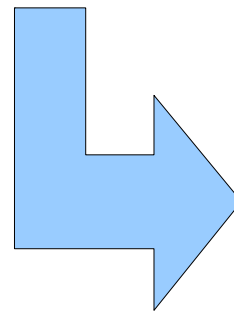
Precision of measurement of stau mass by TOF

Function

$$\left(\frac{\sigma_M}{M}\right)^2 = \frac{P^2 + M^2}{M^4 R^2} \sigma_T^2 P^2 \sin^2 \theta$$

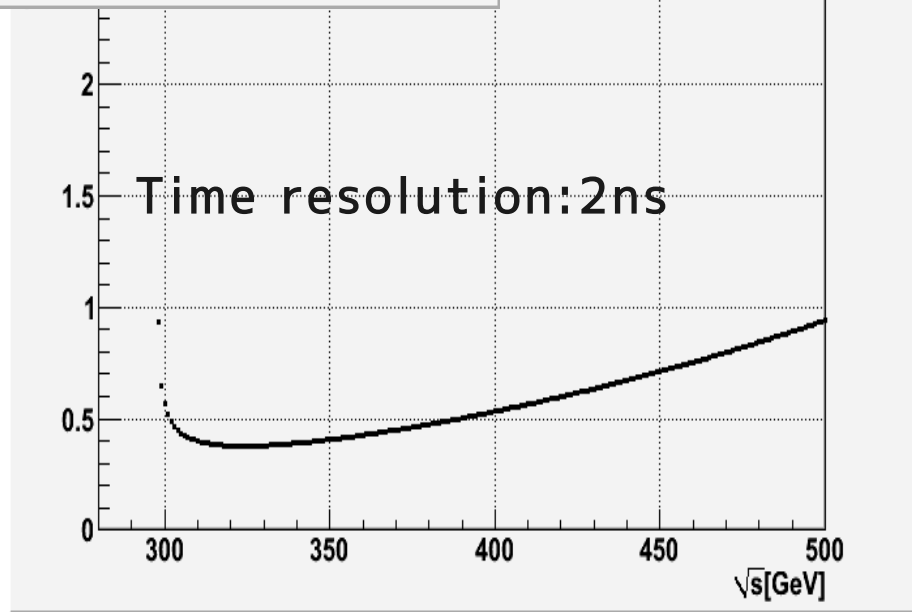
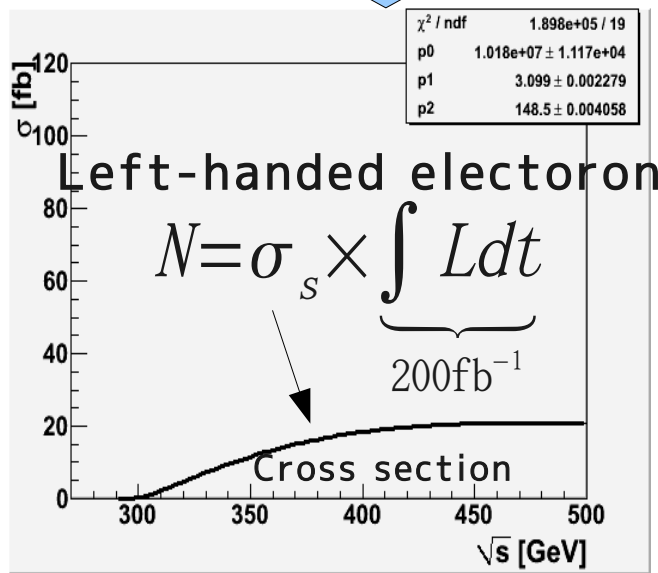
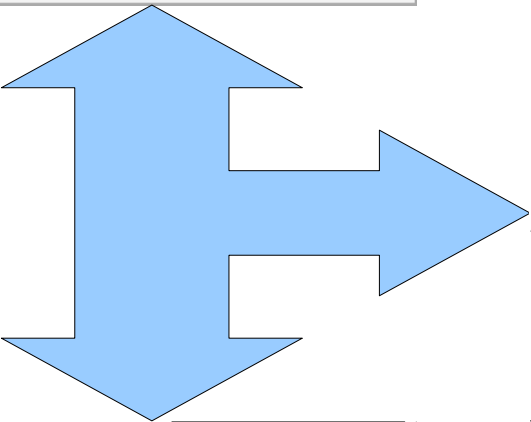
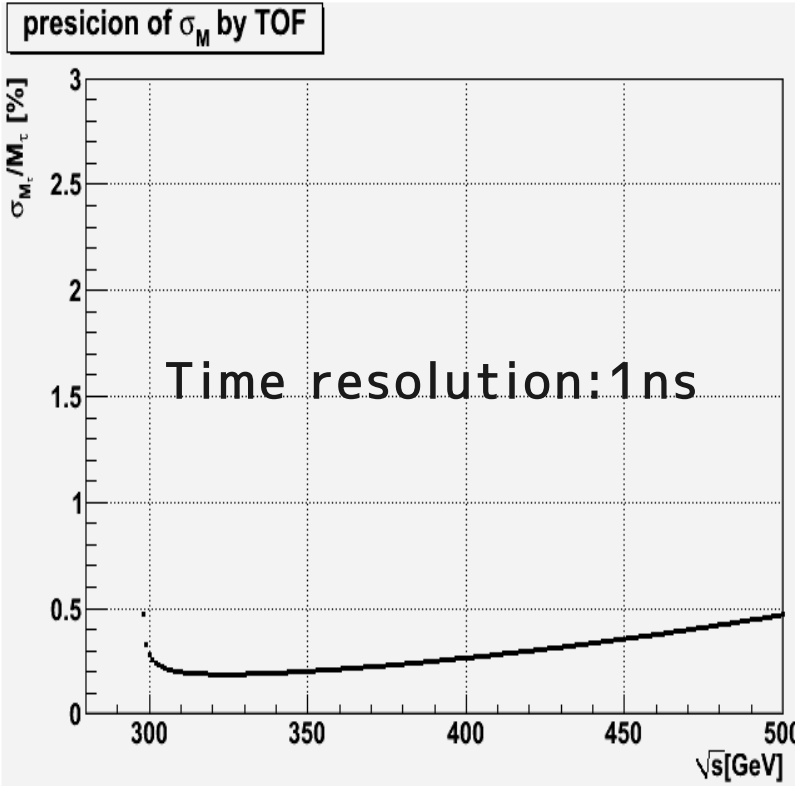
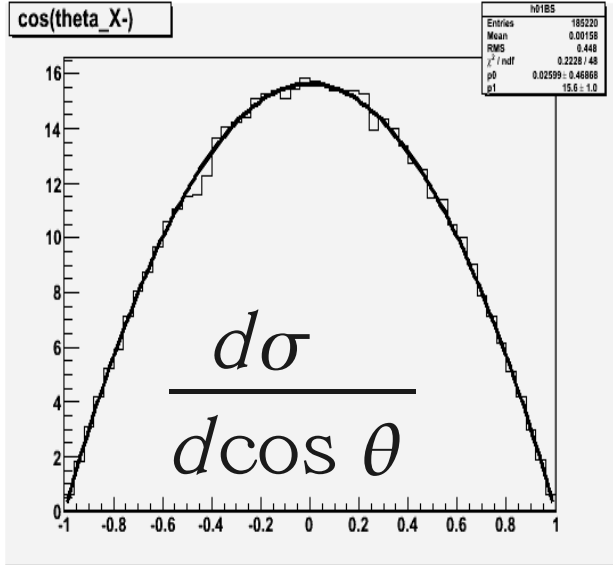
Time resolution of ECAL

Mass of stau
M=148.83GeV



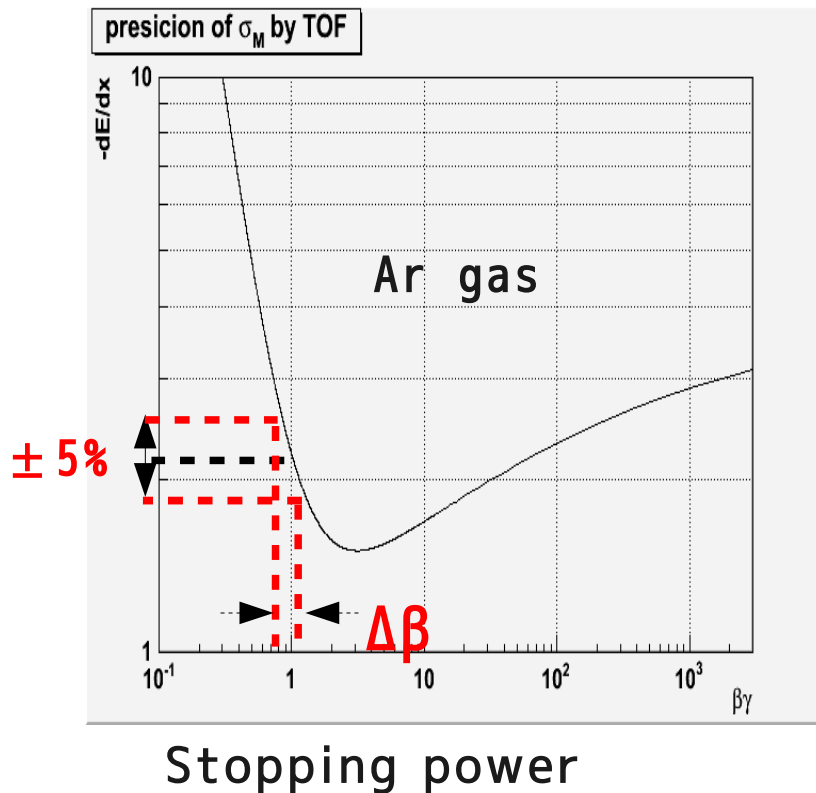
$$\sigma_{M_{\tilde{\tau}}}^2 = \frac{1}{N \int \frac{1}{\sigma_M^2} \cdot \frac{d\sigma}{\sigma d\cos\theta} d\cos\theta}$$

Consider cross section and angular distribution



About 320-330 GeV, sigma M value is minimum.

Precision of measurement of stau mass by dE/dx



Mass of stau is 148.83 GeV

Measure precision of mass by dE/dx at TPC. dE/dx resolution is $\sim 5\%$.

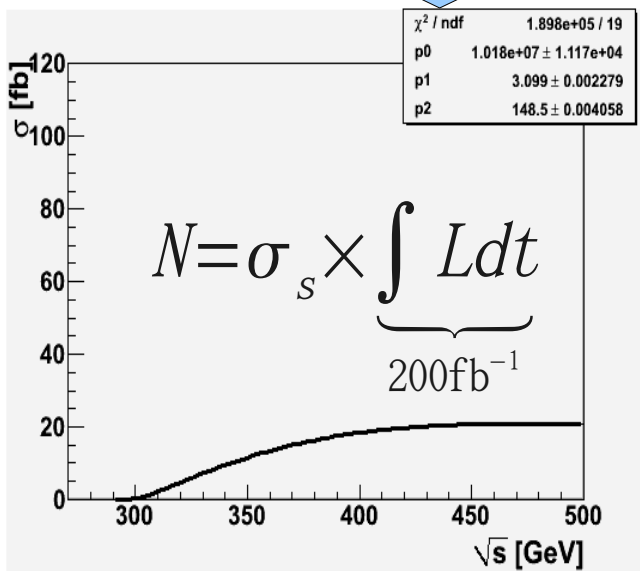
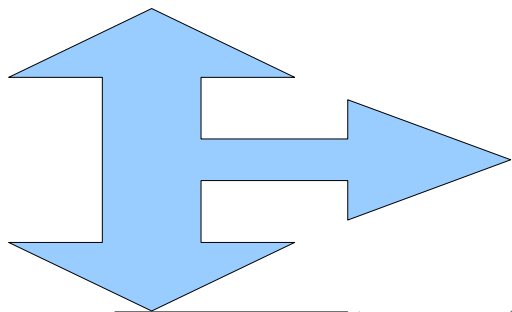
$$M = \frac{\sqrt{s}}{2} \cdot \sqrt{1 - \beta^2}$$

$$\sigma_{M_{dE/dx}} = \frac{\sqrt{s}}{2} \cdot \sqrt{\frac{\beta^2}{1 - \beta^2}} \cdot (\Delta \beta)$$

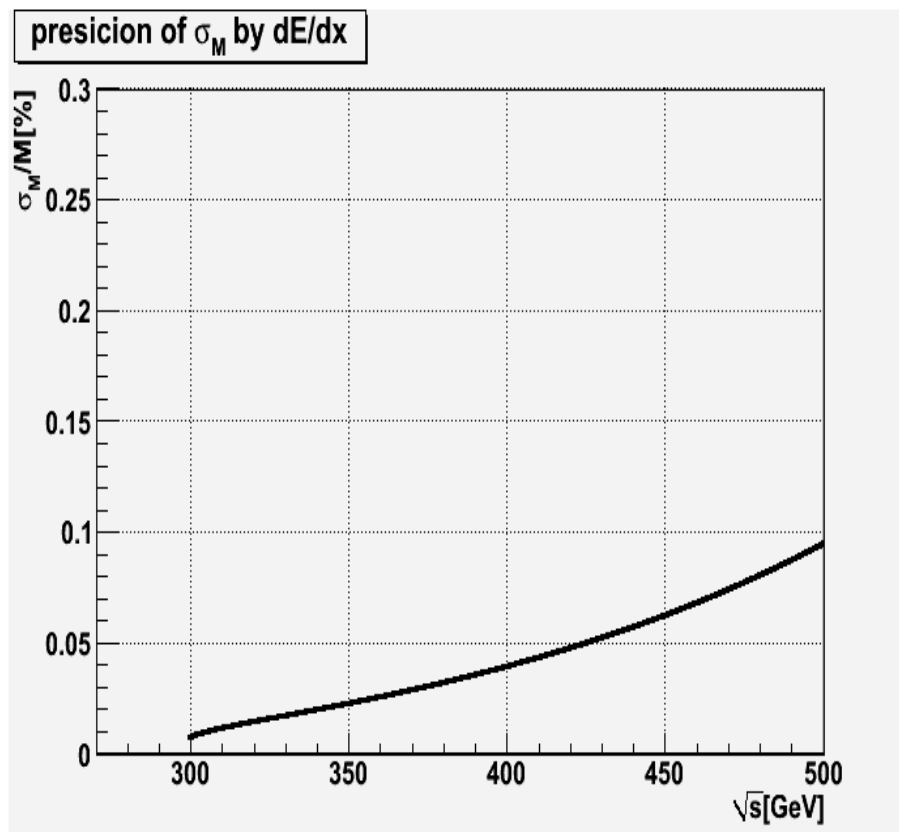
$$\sigma_M = \frac{\sigma_{M_{dE/dx}}}{\sqrt{N}}$$

Precision of measurement of stau mass by dE/dx

$$\sigma_M = \frac{\sigma_{M_{dE/dx}}}{\sqrt{N}}$$

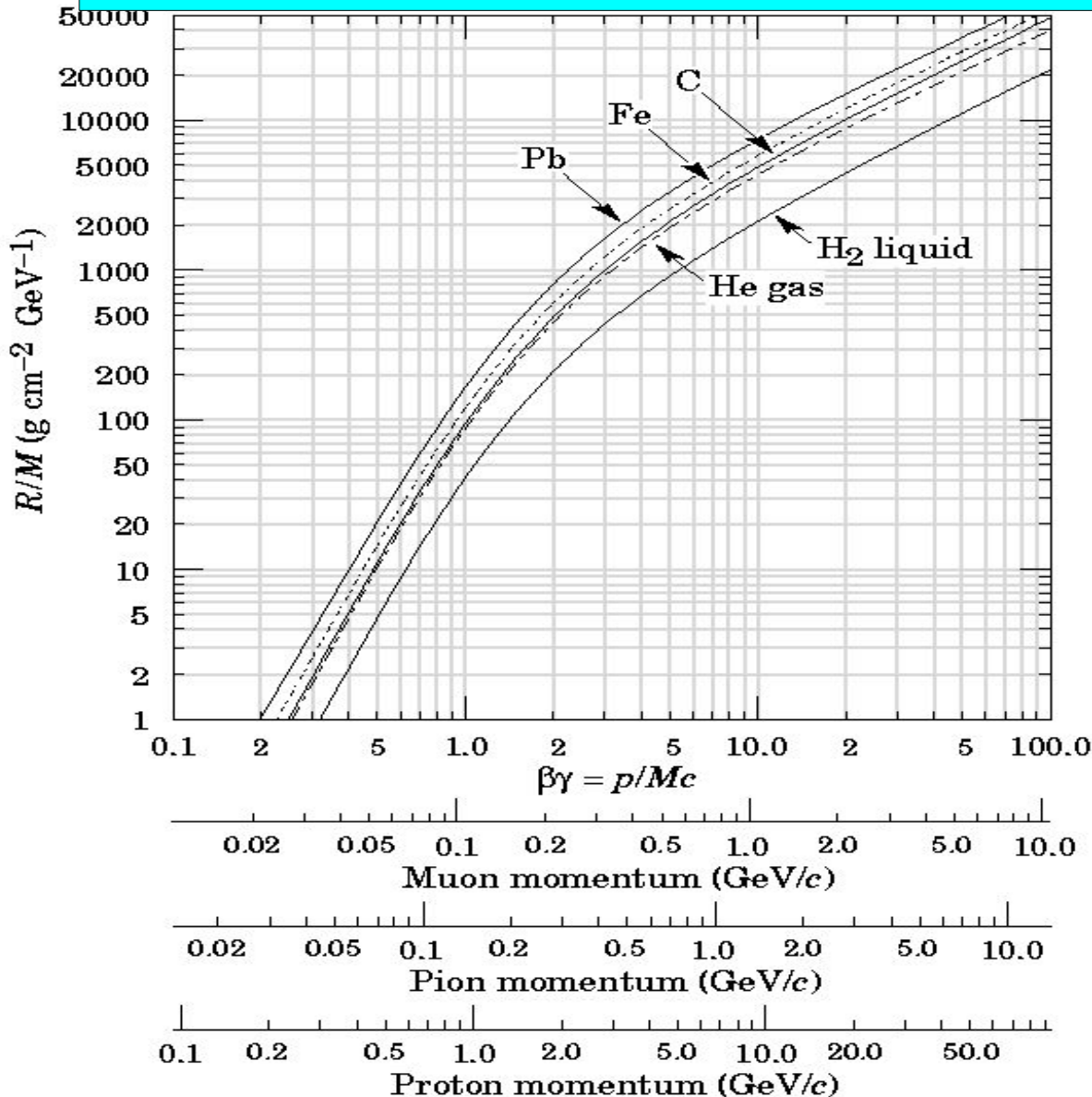


Left-handed electron



At Threshold,
precision of measurement is the best.

Life time



Life time is measured at HCAL.

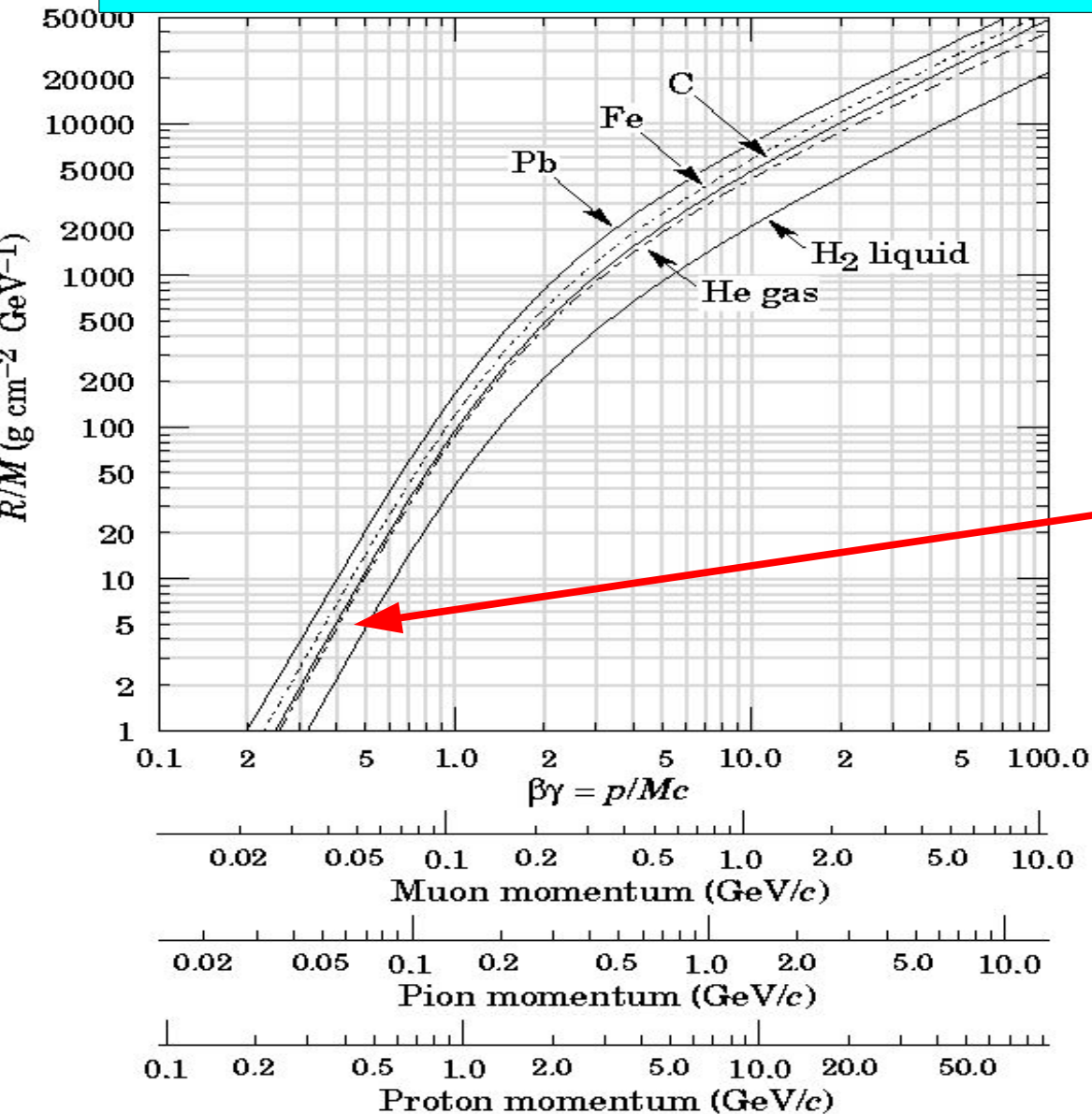
Calculate beam energy when particle stops in HCAL and precision of life time measurement by luminosity and cross section.

$$\frac{\sigma_{\tau}}{\bar{\tau}} = \frac{1}{\sqrt{L \cdot \sigma_s}}$$

↑
Life time

↑
Cross section

Life time



$$\frac{\sigma_\tau}{\bar{\tau}} = \frac{1}{\sqrt{L \cdot \sigma_s}}$$

200 fb^{-1}

HCAL :48 steel plates
thickness 20mm

$$R/M = 5.079$$

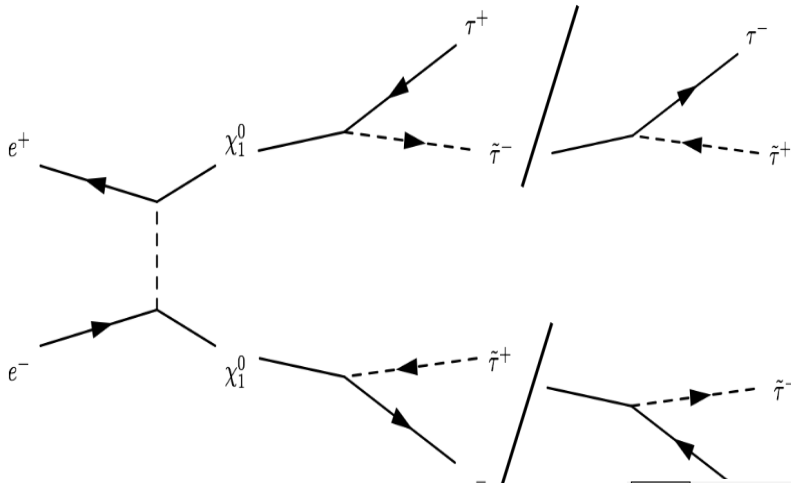
$$\beta\gamma = 0.35 \pm 0.01$$

$$\sqrt{s} = 315.4 \pm 1.0 [\text{GeV}]$$

$$\text{Cross section: } \sigma = 3.7 \pm 0.3 [\text{fb}]$$

$$\frac{\sigma_\tau}{\bar{\tau}} = \frac{1}{\sqrt{L \cdot \sigma_s}} = 3.7 \pm 0.1\%$$

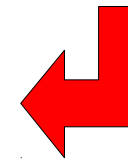
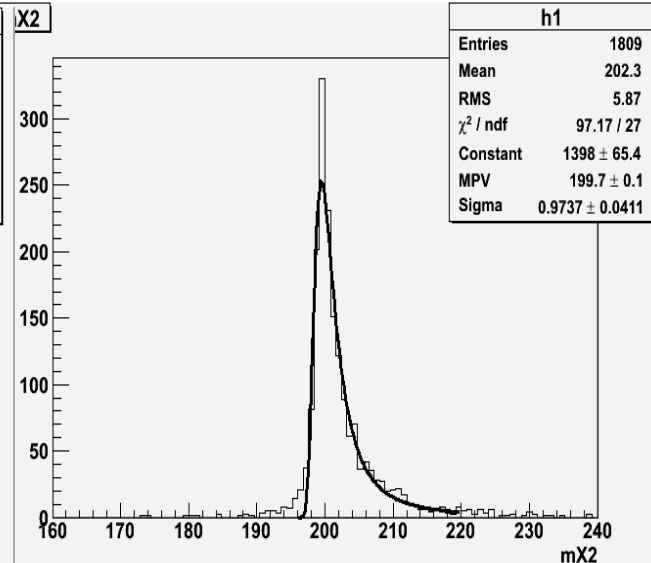
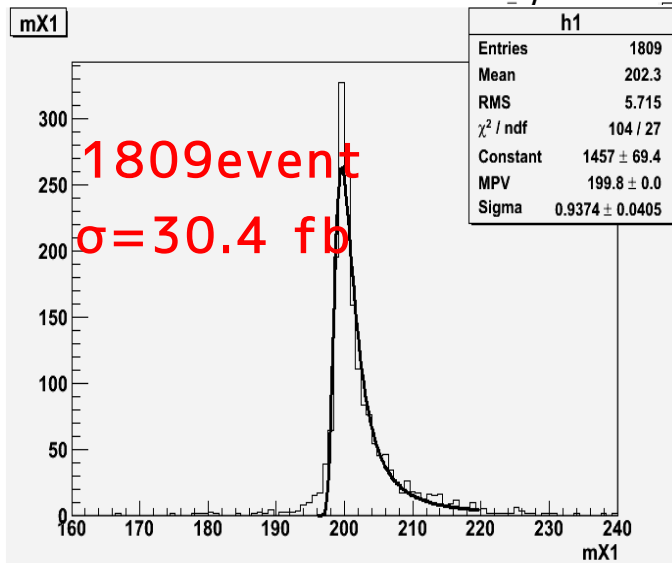
Via neutralino mode



MC simulation with Via neutralino mode

Calculate neutralino invariant mass by 4 momenta of tau jet and stau.

$$M_{j_\tau \tilde{\tau}} \equiv \sqrt{(p_{j_\tau} + p_{\tilde{\tau}})^2} = m_{\chi_1^0}$$



Landau fit

Input value of $m_{\chi_1^0}$ is 200.0 GeV

$m_{\chi_1^0} = 199.81 \pm 0.05 \text{ GeV}$
 Deviation from input value: **0.10%**

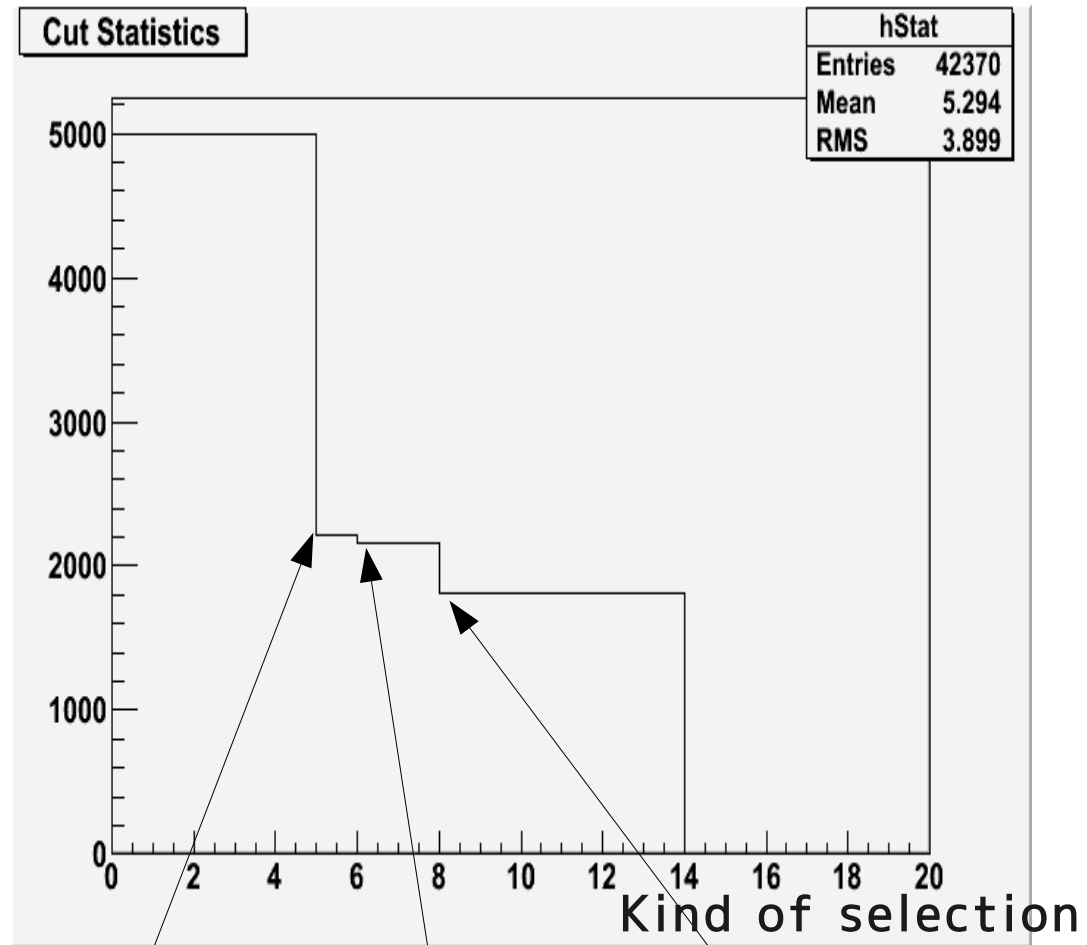
$m_{\chi_1^0} = 199.72 \pm 0.05 \text{ GeV}$
 Deviation from input value: **0.14%**

Good accuracy

Event selection

Main selection

Number of slepton == 2
Number of jets == 2
for $Y < 0.004$
 $E_{jet} \geq 5 \text{ GeV}$



result

5000 → 1809event

N slepton
(2219event)

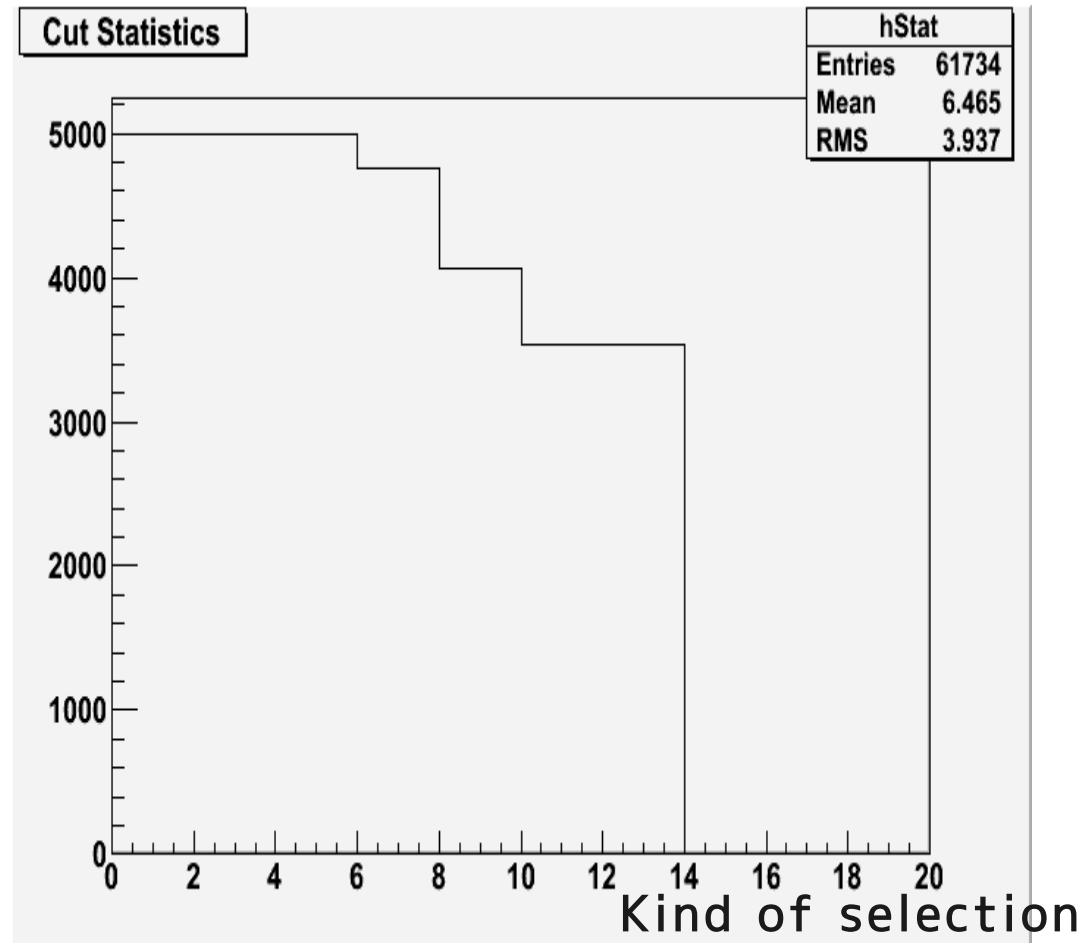
N jets
(2155event)

E jets
(1817event)

Event selection

Main selection

Number of slepton == 2
Number of jets == 2
for $Y < 0.004$
 $E_{\text{jet}} \geq 5 \text{ GeV}$



result

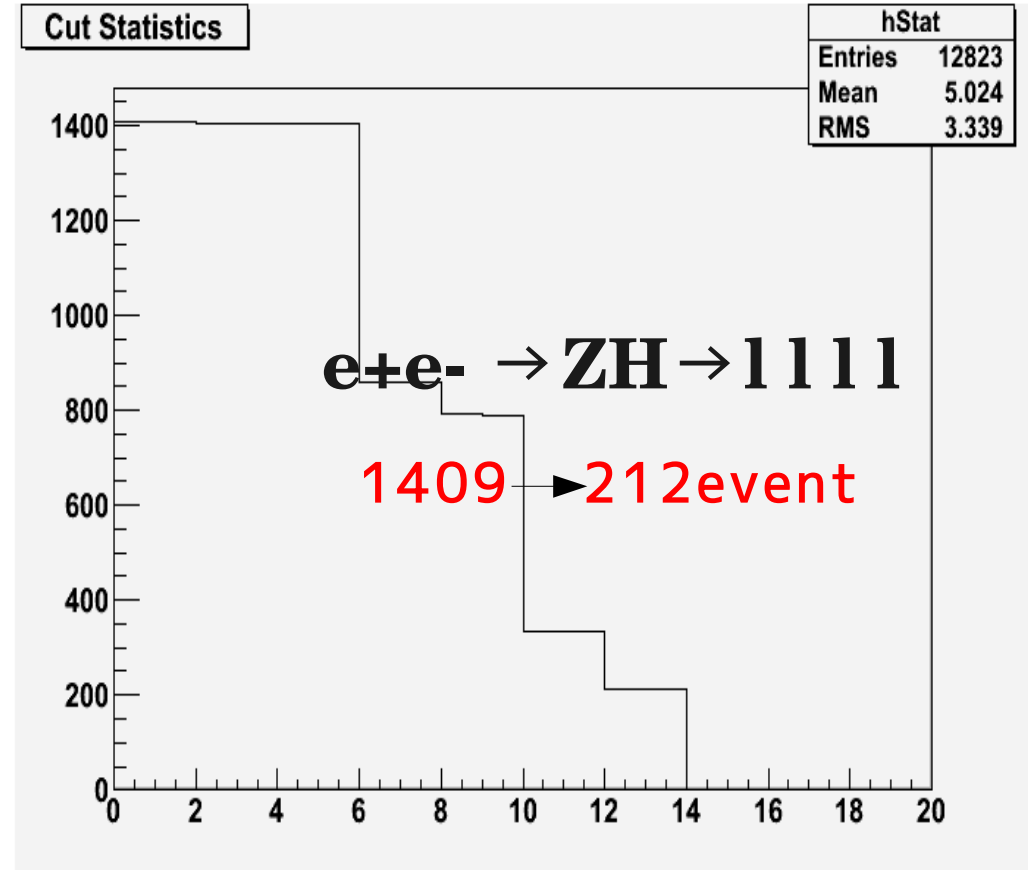
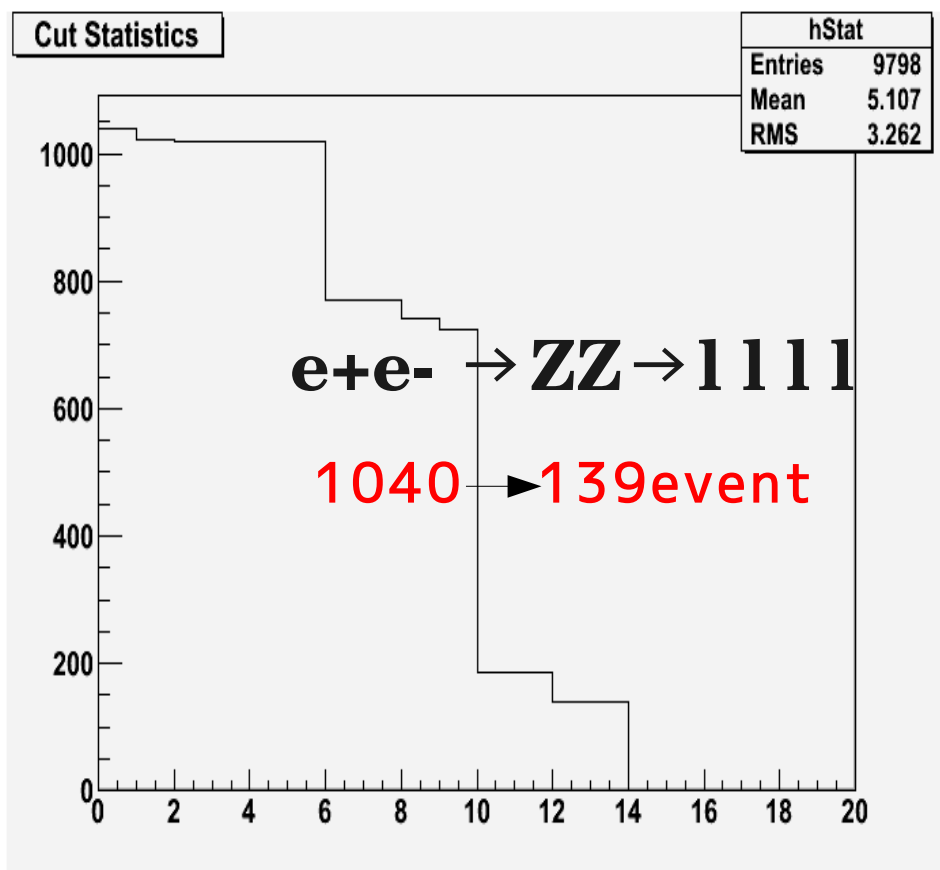
5000 → 3529 event

Background

$e^+e^- \rightarrow ZZ \rightarrow 1111$ (5.197 fb)

$e^+e^- \rightarrow ZH \rightarrow 1111$ (7.046 fb)

No polarization



Background

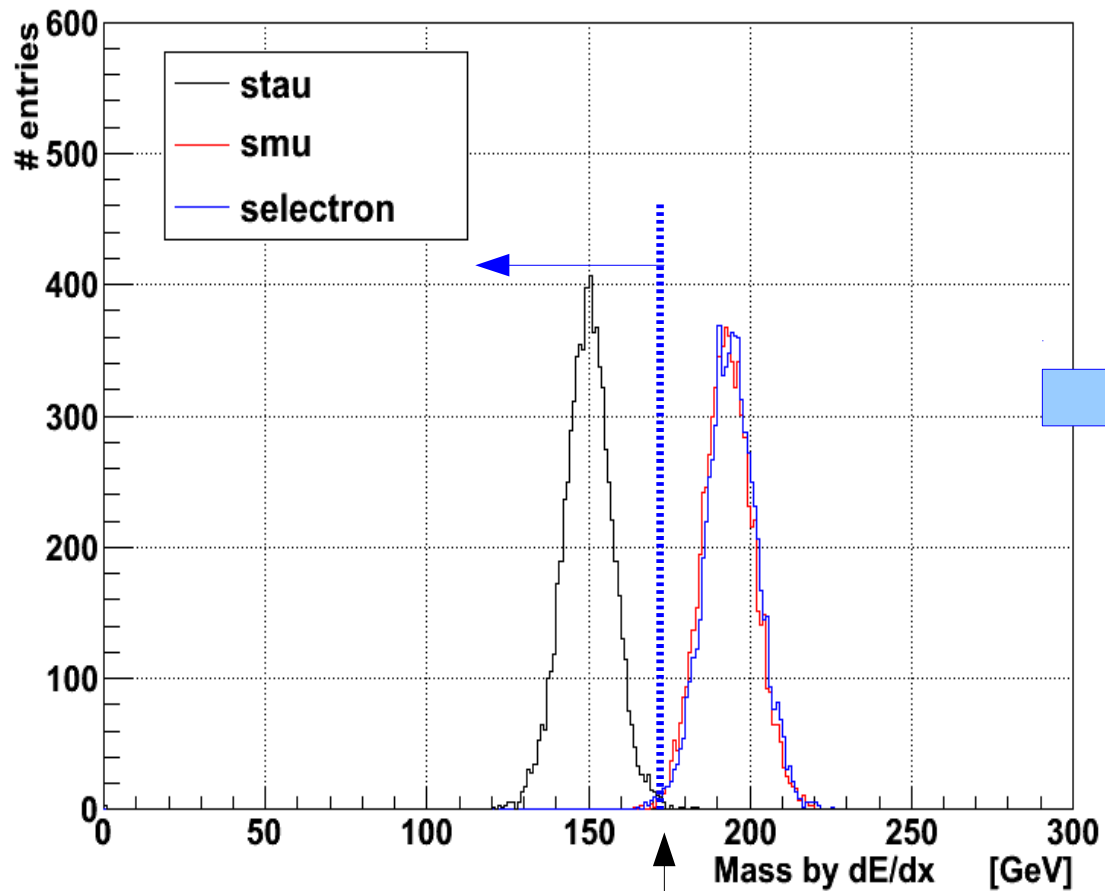
Regarded background



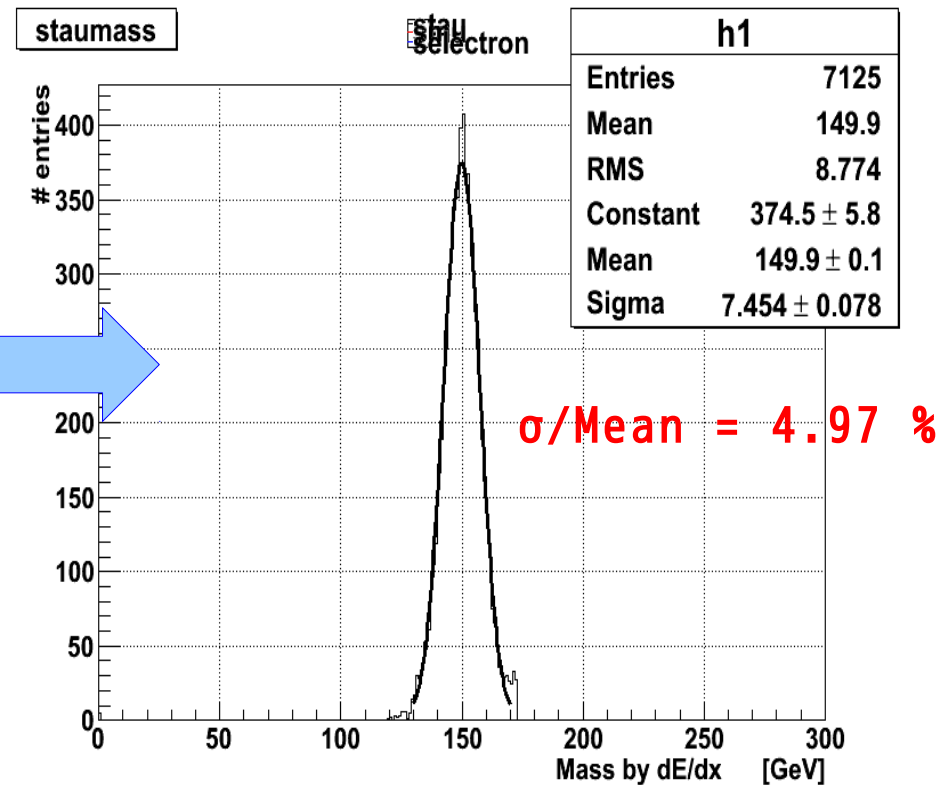
If ZZ or ZH cross section is smaller, BG is ignored
Calculate for ZZ mode and ZH mode
with MC simulation.

| | | Generated numbers at 200 fb^{-1} | |
|----------------------------------|--|--|-------------------------------|
| $\mathbf{e^+e^- \rightarrow ZZ}$ | $\rightarrow \mathbf{llll}$ (5.197 fb) | \longrightarrow | $\mathbf{1040 \text{ event}}$ |
| $\mathbf{e^+e^- \rightarrow ZH}$ | $\rightarrow \mathbf{llll}$ (7.046 fb) | \longrightarrow | $\mathbf{1409 \text{ event}}$ |
| Neutralino mode | 30.4 fb | \longrightarrow | 6080 event |

measurement of stau mass by dE/dx



Mass < 173GeV



measurement of stau mass by dE/dx

| | No Cut | < 173GeV | acceptance |
|-----------|--------|----------|------------|
| Stau | 7058 | 7038 | 99.87% |
| Smu | 7058 | 41 | 0.58% |
| selectron | 7058 | 46 | 0.65% |



Almost events of smu and Selectron are cut.

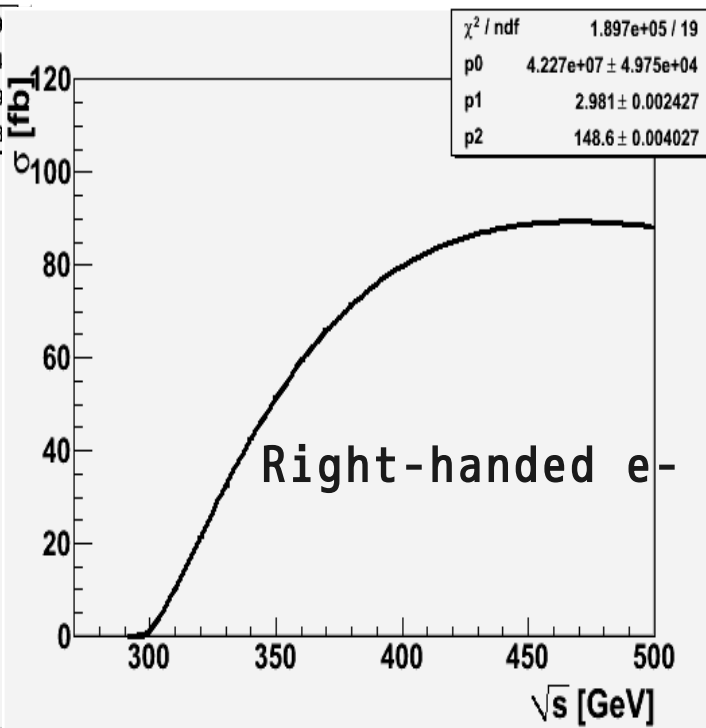
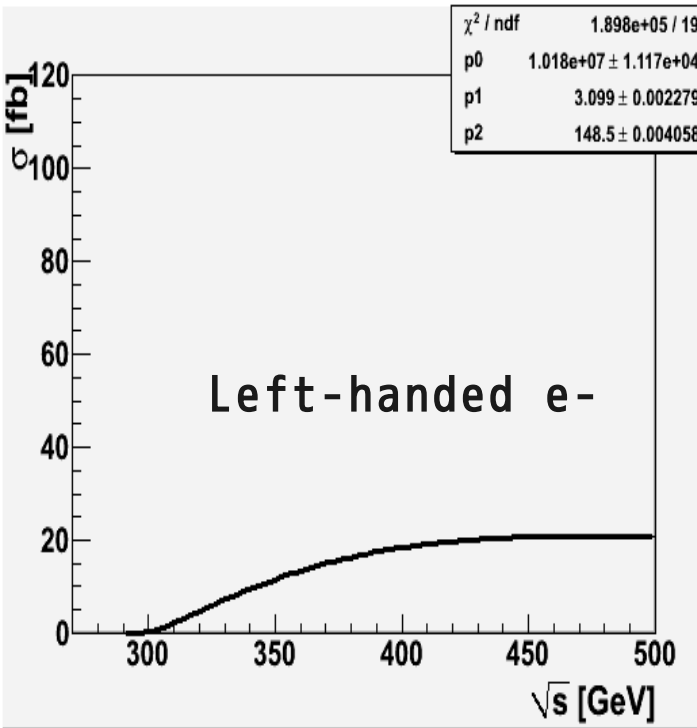
Summary & Plan

- Measurement of stau mass by TOF
- Efficiency
- Background

Try to fix an event selection

Backup

Stau pair mode cross section



Input value of stau mass is 148.8 GeV

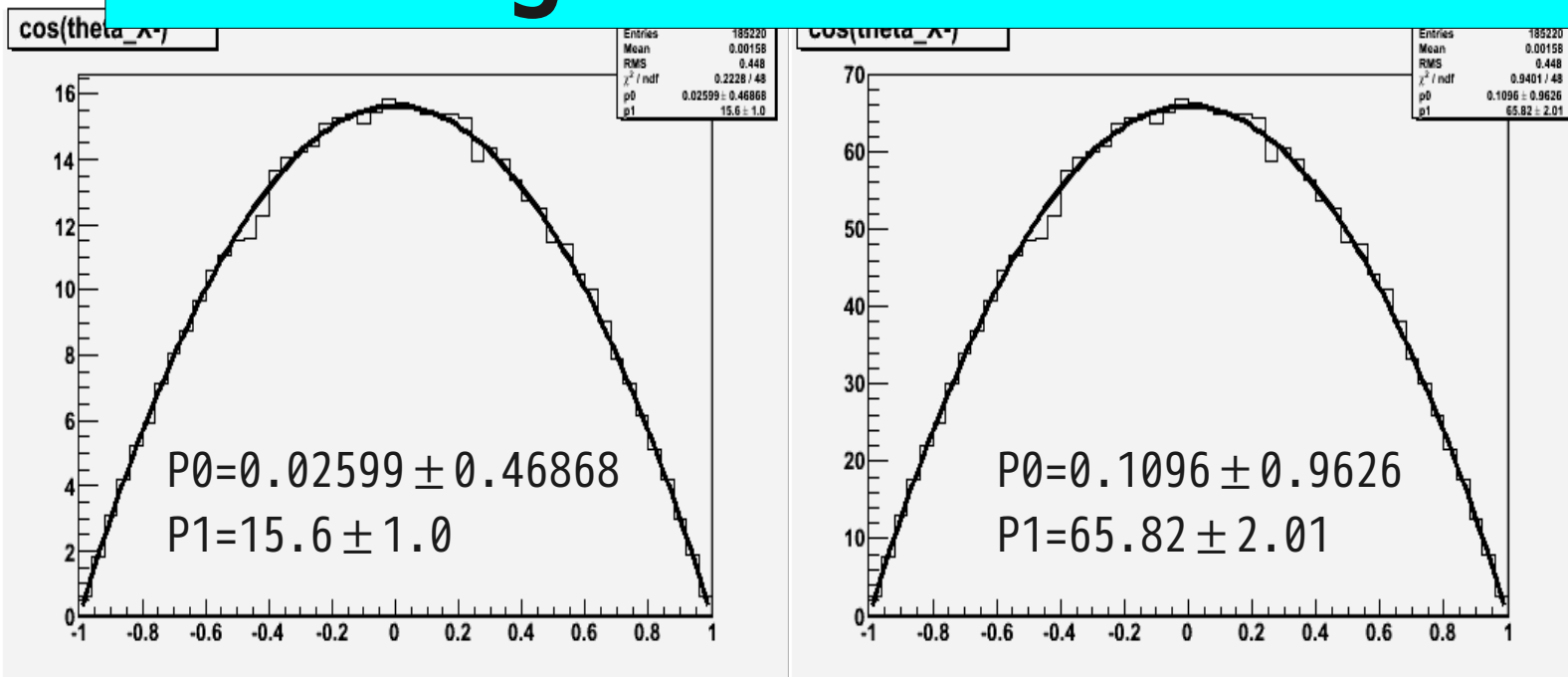
$M=148.5 \pm 0.1$ GeV

$M=148.6 \pm 0.1$ GeV

Fitting: $P0 \times \left(\sqrt{\frac{(\sqrt{s}/2)^2 - P2^2}{(\sqrt{s}/2)^2}} \right)^{P1} \times \frac{1}{s}$

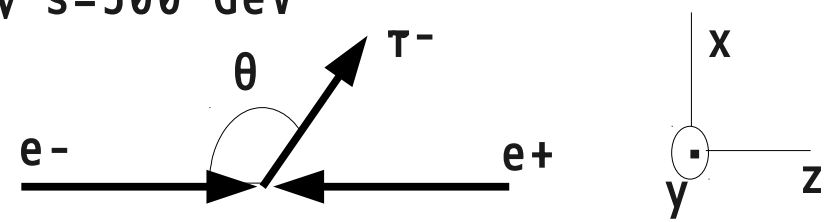
$P0 = |T|^2$: Amplitude
 $P2 = m_{\tilde{\tau}}$: Stau mass

Stau pair mode angular distribution



Left-handed e^- $\sqrt{s}=500$ GeV Right-handed e^- $\sqrt{s}=500$ GeV

Fitting: $P0 + P1 \times \sin^2 \theta$



From law of conservation of angular momentum, these figures show that this particle is boson.