Challenges for Polarimetry at the ILC Spin Tracking Studies

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Introduction: Polarimetry at the ILC

• Two laser Compton polarimeters per beam in the beam delivery system (BDS)



- Polarimeters measure with 0.25 % systematic uncertainty (goal)
- What happens between polarimeter and IP?
- In addition: calibration with average polarization from collision data (up to 0.1%)
- Must understand spin diffusion/depolarization to $0.1\,\%$

Introduction: Simulation Framework



 $\mathsf{UP}/\mathsf{DP}{:}\ \mathsf{up}{-}/\mathsf{downstream}\ \mathsf{polarimeter}$

Framework could be used with different input also for other machines, e. g. CLIC

Introduction: Principles of Spin Propagation

- Spin propagation in electromagnetic fields is described by T-BMT equation (semiclassical)
- Approximation $(\vec{B}_{\perp} \text{ only})$ for illustration: spin precession

$$\theta_{\text{spin}} = \underbrace{\left(\frac{g-2}{2} \cdot \frac{E}{m} + 1\right)}_{\approx 568} \cdot \theta_{\text{orbit}} \qquad \textbf{B} \underbrace{\textbf{G}}_{\approx 568}$$
• Polarization vector $\vec{P} = \begin{pmatrix} P_x \\ P_y \\ P_z \end{pmatrix}$ with polarization $\left|\vec{P}\right|$

Introduction: ILC Beam Delivery System



Latest available beamline design (SB2009_Nov10 lattice)

Spin Propagation through BDS (Idealized Lattice)



UP/DP: up-/downstream polarimeter

- 1000 runs with random bunches, 10000 sim. particles each
- Drawn: median $\pm 1\sigma$
- Perfect magnet alignment, no collision effects

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Spin Fan-Out

0.7998 0.7998 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7994 0.7998 0.

Only minor spin fan-out in quadrupoles



Collision Effects

Simulation of Collision Effects (GP++):

- T-BMT precession: deflection from colliding bunch ($\sim 10^{-4}~{\rm rad})$
- Sokolov-Ternov: spin flip by emission of beamstrahlung



Collision Effects: Energy Loss

• Energy loss by beamstrahlung:



Spin precession ∝ E
 ⇒ Spin fan-out due to energy spread

Collision Effects: Energy Loss vs. Laser-Spot

- Laser-spot size at Compton IP only $\sim 0.1-1\,mm$
- chicane ⇒ **dispersion** (black: reference particle)
- Without collision: 0.124 % beam energy spread Entire beam within laser-spot √



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Collision Effects: Energy Loss vs. Laser-Spot

- Laser-spot size at Compton IP only $\sim 0.1-1\,mm$
- chicane ⇒ **dispersion** (black: reference particle)
- After collision: Off-energy particles evade laser-spot
- Downstream polarimeter needs detailed investigation (energy and polarization correlated!)



- Collisions, but still perfect alignment
- Crossing angle 14 mrad, bunches crabbed



- Much stronger spin fan-out
- Polarization within 0.1 mm laser-spot different: "measureable"





- What does the measurement tell us about the polarization at the IP?? $\Delta P_z \sim 2.5\,\%$
- Can we trust the simulation to calculate back? More details to come: detector magnets, misalignments
- Uncertainty in DP laser-spot size/position $\Rightarrow \Delta P_z = O(0.1\%)$

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Low luminosity sample (switched off bunch crabbing):

- Collision effects and also their consequences reduced
- Downstream measurement less affected by collision effects and less dependent on laser-spot size/position

Conclusion

- A spin tracking framework for high energy linear colliders including collision effects has been set up
- ILC: understanding of polarization to permille-level required
- Precision goals for upstream measurement seem achievable
- Downstream polarimeter struggles fiercely with collision effects:
 - **High-precision simulation** including **all** effects required at high luminosities to obtain polarization at IP from data
 - Measurement highly sensitive to size/position of laser-spot
 - **Idea**: determine lumi-weighted polarization rather/also from upstream polarimeter and luminosity measurement?
- Downstream polarimeter needed nevertheless:
 - Measure depolarization without collision effects / calibrate UP
 - Measure additional depolarization at low luminosities to test simulations

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- und many others...

Backup slides

Compton Polarimeters: Principles

- Compton scattering with polarized laser: \sim 1500 electrons per bunch
- Measure energy spectrum of scattered electrons
- Energy distribution \rightarrow spatial distribution
- Cherenkov gas detector counts electrons per channel



Compton Polarimeters: Principles



- $\sigma_{\mathsf{Compton}}$ depends on polarization (laser imes beam)
- Measure asymmetry and compare to analyzing power (predicted asymmetry for 100 % polarization)

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Compton Polarimeters: Systematic Errors

Goal: relative systematic error on measurement $<0.25\,\%$ (SLC polarimeter: $0.5\,\%)$

- Detector linearity: contribution of $\sim 0.1-0.2\,\%$ (goal) Prototype tests ongoing . . .
- Laser polarization: $\sim 0.1\,\%$ \checkmark
- Analyzing power: $\sim 0.1\%$ (UP: \checkmark , DP: ?)
 - Detector alignment: can be determined from data (√)
 0.5 mm precision sufficient
 - Alignment of magnets negligible compared to detector √ Field inhomogeneities? to be investigated
 - Disrupted electron beam at downstream polarimeter:
 - Dependence on laser-spot size and position: ??
 - Beam energy spread no concern for small laser-spot sizes thanks to dispersion \checkmark

Misalignments

- Every element is shifted/rotated randomly in/about all directions/axes
- Gaussian-distributed random numbers, $\sigma=$ 10 $\mu{\rm m}/\mu{
 m rad}$
- Static and time-dependent misalignments
- Simplified orbit correction with kicker magnets and fast feedback at IP

Misalignments: Correction with Kicker Magnets



- \sim 40 kicker magnets and many more Beam Position Monitors spread over BDS
- Calculate required kicks from measurements (SVD)
- Automatic correction of spin alignment as well?

Misalignments: Orbit Correction Strategy

Strategy here:

- Interested in **effects of kicks on polarization**, not in sophisticated correction algorithm
- Get orbit corrected **somehow** with kickers such that
 - beam does no go lost
 - approximations (small coordinates) still hold
- Fake correction at IP: shift and rotate bunch coordinates to 0.1σ precision (goal), adjust beam size



Misalignments: Spin Propagation

- Misalignments reduce luminosity \Rightarrow less collision effects
- Measured polarization depends on laser-spot size and position



Collision Effects: Energy Loss vs. Laser-Spot

- Laser-spot size at Compton IP only $\sim 100\,\mu\text{m} 1\,\text{mm}$
- chicane ⇒ dispersion (black: reference particle)
- After collision, bunch crabbing switched off

Collision Effects: Spin Propagation (Polarization)

- Total polarization affected likewise
- Polarization decrease in chicanes: fan-out due to energy spread

Collision Effects: Spin Propagation (Positron Beam)

Collision & Misalignments: Downstream Polarimeter Measurement

Luminosity

- Design values $1.8(1.5) \cdot 10^{38} \text{ m}^{-2} \text{s}^{-1}$ (without waist shift)
- Need to improve tuning of grid parameters in GP++
- **Does not change statement of this talk** (effects might just get stronger for higher luminosities)

Polarization correction by angle measurement?

- Detector solenoid and anti-DID
- θ_r : angular spread within bunch
- Solenoid field invalidates " B_{\perp} only" approximation
- Still sharp value for $b (\vartheta_{pol} = b \cdot \vartheta_{bunch})$ due to ideal conditions (no misalignments)

Polarization correction by angle measurement?

- This plot without detector magnets
- Small misalignments $(2\mu m / 2\mu rad)$ make correction for incident angle impossible, since there is no more simple correlation between angles of bunch and polarization vector
- "Steps" due to correction kickers with zero length

Polarization

- Here: longitudinal polarization P_z (along beam axis)
- $P_z = p_R p_L \in [-1, +1]$
- Beam with 90% R (and thus 10% L) \rightarrow 80% longitudinal polarization

• More general: polarization vector $\vec{P} = \begin{pmatrix} P_x \\ P_y \\ P_z \end{pmatrix}$ with polarization $\left| \vec{P} \right|$

