What the Fit is that Boson?



Papers discussed:

Espinosa, Muhlleitner, Grojean, Trott arXiv:1202.3697

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Content (for ref):

Basic fit EFT, limits, χ^2 ,7 TeV data

Invisible width fits, PDF developments

"Tension", ICHEP data (updates)

Discovery Physics!



"As a layman, I would say: I think we have it." - the D.G.

Depends on what the meaning of the word is is.

it



All Data (48 channels)

WHATIS "IT"?



Experimental profile still being resolved

WHATIS "IT"?







Best of luck sorting the credit out nobel committee!

WHATIS "IT"?



Experimental profile still being resolved

A beautiful alternative theory?



Is it a SM "Higgs"?



WHATIS "IT"?



Experimental profile still being resolved

Is it a SM "Higgs" and the impact of NP?



WHATIS "IT"?



Experimental profile still being resolved

Have to assume something. - I assume a scalar field -Consider more exotic possibilities AFTER broad scalar EFT attempts fail.



Is it a SM "Higgs" and the impact of NP?



A scalar field is already strongly implied by the problem to solve. The massive W,Z indicate that there is a consistency issue at high energies:

$$\mathcal{L}_{eff} = m_W^2 W^+ W^- + \frac{m_Z^2}{2} Z Z + \cdots$$

The extra polarization mode causes the inconsistency:



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$$\mathcal{L}_{eff} = m_W^2 W^+ W^- + \frac{m_Z^2}{2} Z Z + \cdots \qquad W_L^+ W_L^- \to W_L^+ W_L^-: A \propto \frac{s}{v^2}$$

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$$\mathcal{L}_{eff} = m_W^2 W^+ W^- + \frac{m_Z^2}{2} Z Z + \cdots \qquad \begin{array}{cc} W_L^+ W_L^- \to W_L^+ W_L^- : & A \propto \frac{s}{v^2} \\ \psi \, \bar{\psi} \to W_L^+ W_L^- : & A \propto \frac{s}{v^2} \end{array}$$

The way to think of the theory we have actually been probing till now is:

$$\mathcal{L} = m_W^2 W W + \frac{m_z^2}{2} Z Z = \frac{v^2}{4} \operatorname{Tr} \left(D^{\mu} \Sigma^{\dagger} D_{\mu} \Sigma \right)$$

Goldstones of broken $SU_L(2) \times SU_R(2)/SU_V(2)$ give mass the to W and Z

grouped in the nonlinear chiral EW Lagrangian as $\Sigma = \exp(i \sigma_a \pi^a / v)$

A scalar field is already strongly implied by the problem to solve. The massive W,Z indicate that there is a consistency issue at high energies:

Cut off scale of the EFT: $\Lambda = 4 v \pi$...raised to... $\Lambda = 4 v \pi / \sqrt{|1 - a^2|}$ Fairly suggestive that a scalar field of some form will be involved in the UV completion.

Nonlinear Chiral EW Lagrangian + scalar

Leading terms in the EFT, there is a systematic derivative expansion to exploit:

$$\mathcal{L} = \frac{1}{2} (\partial_{\mu} h)^{2} - V(h) + \frac{v^{2}}{4} \operatorname{Tr}(D_{\mu} \Sigma^{\dagger} D^{\mu} \Sigma) \left[1 + 2 a_{W,Z} \frac{h}{v} + b_{Z,W} \frac{h^{2}}{v^{2}} + b_{3,Z,W} \frac{h^{3}}{v^{3}} + \cdots \right],$$

$$- \frac{v}{\sqrt{2}} (\bar{u}_{L}^{i} \bar{d}_{L}^{i}) \Sigma \left[1 + c_{i}^{u,d} \frac{h}{v} + c_{2,j}^{u,d} \frac{h^{2}}{v^{2}} + \cdots \right] \left(\begin{array}{c} y_{ij}^{u} u_{R}^{j} \\ y_{ij}^{d} d_{R}^{j} \end{array} \right) + h.c.,$$

$$V(h) = \frac{1}{2} m_{h}^{2} h^{2} + \frac{d_{3}}{6} \left(\frac{3 m_{h}^{2}}{v} \right) h^{3} + \frac{d_{4}}{24} \left(\frac{3 m_{h}^{2}}{v^{2}} \right) h^{4} + \cdots .$$

Also higher dimensional operators: (hats -dual fields)

$$\mathcal{L}_{HD}^{5} = -\frac{c_{g} g_{3}^{2}}{32 \pi^{2} v} h G_{\mu\nu}^{A} G^{A\mu\nu} - \frac{c_{W} g_{2}^{2}}{32 \pi^{2} v} h W_{\mu\nu}^{a} W^{a\mu\nu} - \frac{c_{B} g_{1}^{2}}{32 \pi^{2} v} h B_{\mu\nu} B^{\mu\nu} - \frac{\hat{c}_{g} g_{3}^{2}}{32 \pi^{2} v} h \hat{G}_{\mu\nu}^{A} G^{A\mu\nu} - \frac{\hat{c}_{W} g_{2}^{2}}{32 \pi^{2} v} h \hat{W}_{\mu\nu}^{a} W^{a\mu\nu} - \frac{\hat{c}_{B} g_{1}^{2}}{32 \pi^{2} v} h \hat{B}_{\mu\nu} B^{\mu\nu} + \mathcal{O}(h^{2})$$

Also higher dimensional derivative operators in the chiral EFT...

TOO MANY DAMN PARAMETERS!

Nonlinear Chiral EW Lagrangian + scalar

EFT gives model independence & is a systematically improvable Lagrangian approach . <u>ALSO LETS ONE USE SYMMETRY TO REDUCE PARAMETERS.</u>

Assuming custodial sym and consistent with MFV:

$$\mathcal{L} = \frac{1}{2} (\partial_{\mu} h)^2 + \frac{v^2}{4} \operatorname{Tr}(D_{\mu} \Sigma^{\dagger} D^{\mu} \Sigma) \left[1 + 2 a \frac{h}{v} \right] - \frac{v}{\sqrt{2}} \left(\bar{u}_L^i \bar{d}_L^i \right) \Sigma \left[1 + c^{u,d} \frac{h}{v} \right] \left(\begin{array}{c} y_{ij}^u u_R^j \\ y_{ij}^d d_R^j \end{array} \right) + h.c.,$$

Also higher dimensional operators: - assuming no large BSM CP violation

$$\mathcal{L}_{HD}^{5} = -\frac{c_{g} g_{3}^{2}}{32 \pi^{2} v} h G_{\mu \nu}^{A} G^{A \mu \nu} - \frac{c_{W} g_{2}^{2}}{32 \pi^{2} v} h W_{\mu \nu}^{a \mu \nu} - \frac{c_{B} g_{1}^{2}}{32 \pi^{2} v} h B_{\mu \nu} B^{\mu \nu}$$

Reasonable coupling space, can draw physical conclusions for sym theories with current data. Still have degeneracies. ONLY THE START OF THIS PROGRAM.

Tit Methodology:

It is just a damn χ^2 ! -many charitable and friendly physicists.

We advocate fitting to the signal strength parameters for fits. Not constructing a private likelihood from CLs limits, or making up signal strengths from CLs limits to avoid distorting the fit space (this is industry standard -- now):

$$\mu_i = \frac{\left[\sum_j \sigma_{j \to h} \times \operatorname{Br}(h \to i)\right]_{observed}}{\left[\sum_j \sigma_{j \to h} \times \operatorname{Br}(h \to i)\right]_{SM}} , \qquad \qquad \chi^2(\mu_i) = \sum_{i=1}^{N_{ch}} \frac{(\mu_i - \hat{\mu}_i)^2}{\sigma_i^2}$$

The equation above is more properly a matrix equation with a correlation coefficient matrix.

Correlations are neglected as they are unsupplied -- somewhat unknown apparently.

We <u>do not</u> make up our own correlations. Currently they are (far subdominant), but soon they will matter. (End of year perhaps?)

Please think about them experimentalists!

SM 82%CL away from best fit point

Two minima: (a,c)=(1.13,0.58)

 χ^2 =2.86 (a,c)=(0.96,-0.64) χ^2 =1.96



Espinosa,Grojean,Muhlleitner,Trott JHEP 1205 (2012) 097 arxiv:1202.3697

-combined 95%CL exclusion

Atlas 95%CL exclusion

CMS 95%CL exclusion

Tevatron 95%CL exclusion

 $65\% \,\mathrm{CL}$

90% CL

99% CL





• = = Atlas 95%CL exclusion

CMS 95%CL exclusion

— Tevatron 95%CL exclusion

combined 95%CL exclusion



JHEP 1205 (2012) 097 arxiv:1207.1717

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Point of the symmetric a,c fits

 $1\,\sigma$

 2σ

 3σ





GWS is here, is the data there as well?

The SM is a specific point in the coupling space of the EFT.

This is a direct (minimal) way to test - is it the SM Higgs with no other NP.

<u>Of course the conclusions are changed if you fit with a different theory.</u>

Add in EWPD to the Fit



Here we use the log dependence on a not 1 in EWPD determined in

Barbieri, Bellazzini, Rychkov, Varagnolo arXiv:0706.0432

Can you trust a theorist to do this?

Comparison with CMS "official" fit

CMS imposed a prior c > 0 (it doesn't affect χ^2 , but it modifies $\Delta\chi^2$)



Your χ^2 is too damn good ! -our friendly competition

This means that:

a) We are not badly screwing up.

b) correlations do not matter (now)

Oľ

b) they do matter but CMS is as lost on estimating them correctly as we are.

Conclusion: You can trust some theorists to do this (for now).

More Movement by Atlas and CMS in this direction



The contours of comparison are pretty good! However, more of a shift than CMS.

 WW (0,1,2 jet) sub-channel treatment, they have more info, can use the sub-channels.
gamma gamma correlations might matter here due to the way the data was sliced up Need more info from ATLAS for a more direct comparison.

What is the right approach to use?

It is obvious that we will be doing Higgs Effective Field theory for LHC and linear colliders. But WHICH EFT to use?

1) Assume that the scalar is embedded in an $SU_L(2)$ doublet?

If yes most relevant to study the effects of these operators:

$$\begin{aligned} \mathcal{L}_{HD}^{6} &= -\frac{c_{g} \, g_{3}^{2}}{\Lambda^{2}} \left(\phi^{\dagger} \, \phi\right) G_{\mu \,\nu}^{A} G^{A \,\mu \,\nu} - \frac{c_{W} \, g_{2}^{2}}{\Lambda^{2}} \left(\phi^{\dagger} \, \phi\right) W_{\mu \,\nu}^{a} W^{a \,\mu \,\nu} - \frac{c_{B} \, g_{1}^{2}}{\Lambda^{2}} \left(\phi^{\dagger} \, \phi\right) B_{\mu \,\nu} B^{\mu \,\nu} \\ &- \frac{\hat{c}_{g} \, g_{3}^{2}}{\Lambda^{2}} \left(\phi^{\dagger} \, \phi\right) \hat{G}_{\mu \,\nu}^{A} G^{A \,\mu \,\nu} - \frac{\hat{c}_{W} \, g_{2}^{2}}{\Lambda^{2}} \left(\phi^{\dagger} \, \phi\right) \hat{W}_{\mu \,\nu}^{a} W^{a \,\mu \,\nu} - \frac{\hat{c}_{B} \, g_{1}^{2}}{\Lambda^{2}} \left(\phi^{\dagger} \, \phi\right) \hat{B}_{\mu \,\nu} B^{\mu \,\nu} \end{aligned}$$

A complaint here is that one assumes the SM (+ NP) when trying to prove the SM.

What is the right approach to use?

It is obvious that we will be doing Higgs Effective Field theory for LHC and linear colliders. But WHICH EFT to use?

2) Do not assume that the scalar is embedded in an $SU_L(2)$ doublet.

Can still have $SU_L(2) \times U(1)$ just realized non-linearly. Use the EW chiral lagrangian + scalar EFT. This is more general. The SM as a subclass of this general EFT.

$$\mathcal{L}_{HD}^{5} = -\frac{c_{g} g_{3}^{2}}{32 \pi^{2} v} h G_{\mu \nu}^{A} G^{A \mu \nu} - \frac{c_{W} g_{2}^{2}}{32 \pi^{2} v} h W_{\mu \nu}^{a \mu \nu} W^{a \mu \nu} - \frac{c_{B} g_{1}^{2}}{32 \pi^{2} v} h B_{\mu \nu} B^{\mu \nu} - \frac{\hat{c}_{g} g_{3}^{2}}{32 \pi^{2} v} h \hat{G}_{\mu \nu}^{A} G^{A \mu \nu} - \frac{\hat{c}_{W} g_{2}^{2}}{32 \pi^{2} v} h \hat{W}_{\mu \nu}^{a \mu \nu} - \frac{\hat{c}_{B} g_{1}^{2}}{32 \pi^{2} v} h \hat{B}_{\mu \nu} B^{\mu \nu} + \mathcal{O}(h^{2})$$

There are also higher order terms in the EW chiral Lagrangian + *scalar EFT*:

$$c_W \left(W_{\nu}^- D_{\mu} W^{+\mu\nu} + W_{\nu}^+ D_{\mu} W^{-\mu\nu} \right) \frac{h}{v} + c_Z Z_{\nu} \partial_{\mu} Z^{\mu\nu} \frac{h}{v} +$$

The momentum dependence is different, precision studies of distributions at linear colliders are of interest if these terms are non zero.

Marginalization Games



Very interesting that the SM higgs hypothesis test is improved in the context of NP in this way. Need more data. A way of seeing that the existence of the $\gamma \gamma$ "excess" depends upon the Yukawa couplings being SM - like. Need more data.

see also Rauch, Plehn arxiv:1207.6108

Branching Ratio Invisible



The invisible branching ratio is expressed as: $Br_{inv} = 1 - \hat{\mu}_c$.

One can fit to it using the SUPPLIED COMBINED SIGNAL STRENGTHS

Branching Ratio Invisible

Supplied combined signal strengths:

Experiments	$\hat{\mu}_c, \ m_h=124$	$\sigma_c, \ m_h = 124$	$\hat{\mu}_c,\ m_h=125$	$\sigma_c, \ m_h = 125$
CMS [22]	0.98	0.32	0.94	0.32
ATLAS [22]	0.61	0.38	0.81	0.38
CDF&DØ [24]	1.31	0.62	1.28	0.62

Experiments	$\hat{\mu}_c, \ m_h = 125$	$\sigma_c,\;m_h=125$	$\hat{\mu}_c,\;m_h=126.5$	$\sigma_c,\;m_h=126.5$	
CMS [7&8 TeV] [1]	0.80	0.20	0.67	0.19	
ATLAS [7&8 TeV] [1]	1.12	0.27	1.24	0.26	Now
ATLAS [7&8 TeV] (& μ_{WW}) [56]	1.32	0.29	1.37	0.27	
CDF&DØ [44]	1.35	0.59	1.38	0.60	



<u>Conclusions</u>

So, what exactly is "IT"? We don't know yet. However.

Global fits to signal strengths are a powerful tool to understand "it". Using symmetry one can gain a lot more from the signal strength data in an EFT approach.

Have shown how one can study the boson in this context, and how the profile has evolved over time. The SM higgs hypothesis consistency with the data has been relatively stable with about a 2 sigma deviation present in the (a,c) space test.

Global fits to Higgs properties are a powerful tool for constraining new physics. Showed an application to an invisible branching ratio. This will matter in the LHC run for dark matter direct detection, limits are approaching the interesting BR range rather fast!

Global data studies are very powerful and are scaling amazingly fast!

<u>Constraints are scaling!</u>



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