
HOM heating at the IP and in QD0

Update 2012

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MDI Meeting

SLAC, April 12, 2012

Outline

- *ILC beam parameters*
- *ILC interaction region geometry*
- *Beam fields*
- *Wake potentials and loss power*
- *Trapped and propagating modes*
- *Frequency spectrum*
- *Resistive wake fields*
- *Total power loss*



ILC beam parameters

TABLE 2.1-2
Beam and IP Parameters for 500 GeV cms.

Parameter	Symbol/Units	Nominal	Low N	Large Y	Low P
Repetition rate	f_{rep} (Hz)	5	5	5	5
Number of particles per bunch	N (10^{10})	2	1	2	2
Number of bunches per pulse	n_b	2625	5120	2625	1320
Bunch interval in the Main Linac	t_b (ns)	369.2	189.2	369.2	480.0
in units of RF buckets		480	246	480	624
Average beam current in pulse	I_{ave} (mA)	9.0	9.0	9.0	6.8
Normalized emittance at IP	$\gamma\epsilon_x^*$ (mm-mrad)	10	10	10	10
Normalized emittance at IP	$\gamma\epsilon_y^*$ (mm-mrad)	0.04	0.03	0.08	0.036
Beta function at IP	β_x^* (mm)	20	11	11	11
Beta function at IP	β_y^* (mm)	0.4	0.2	0.6	0.2
R.m.s. beam size at IP	σ_x^* (nm)	639	474	474	474
R.m.s. beam size at IP	σ_y^* (nm)	5.7	3.5	9.9	3.8
R.m.s. bunch length	σ_z (μm)	300	200	500	200
Disruption parameter	D_x	0.17	0.11	0.52	0.21
Disruption parameter	D_y	19.4	14.6	24.9	26.1
Beamstrahlung parameter	Υ_{ave}	0.048	0.050	0.038	0.097
Energy loss by beamstrahlung	δ_{BS}	0.024	0.017	0.027	0.055
Number of beamstrahlung photons	n_γ	1.32	0.91	1.77	1.72
Luminosity enhancement factor	H_D	1.71	1.48	2.18	1.64
Geometric luminosity	\mathcal{L}_{geo} $10^{34}/\text{cm}^2/\text{s}$	1.20	1.35	0.94	1.21
Luminosity	\mathcal{L} $10^{34}/\text{cm}^2/\text{s}$	2	2	2	2

INTERNATIONAL LINEAR COLLIDER
REFERENCE DESIGN REPORT
AUGUST, 2007

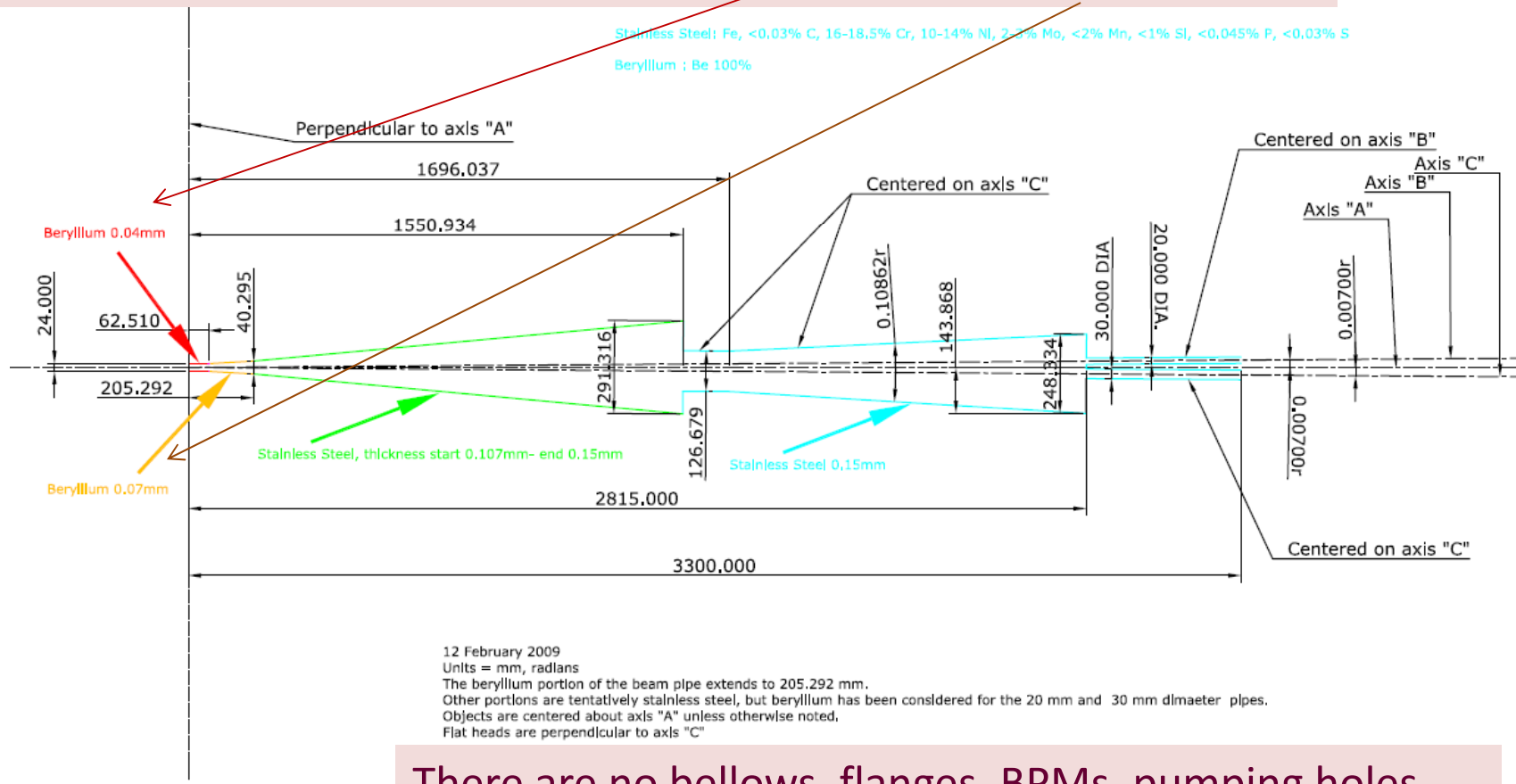
- Bunch charge = 3.2 nC
- Bunch length = 0.2-0.3 mm
- Bunch spacing = 369.2 ns
- Beam current in a pulse 9 mA
- Duty ratio=200



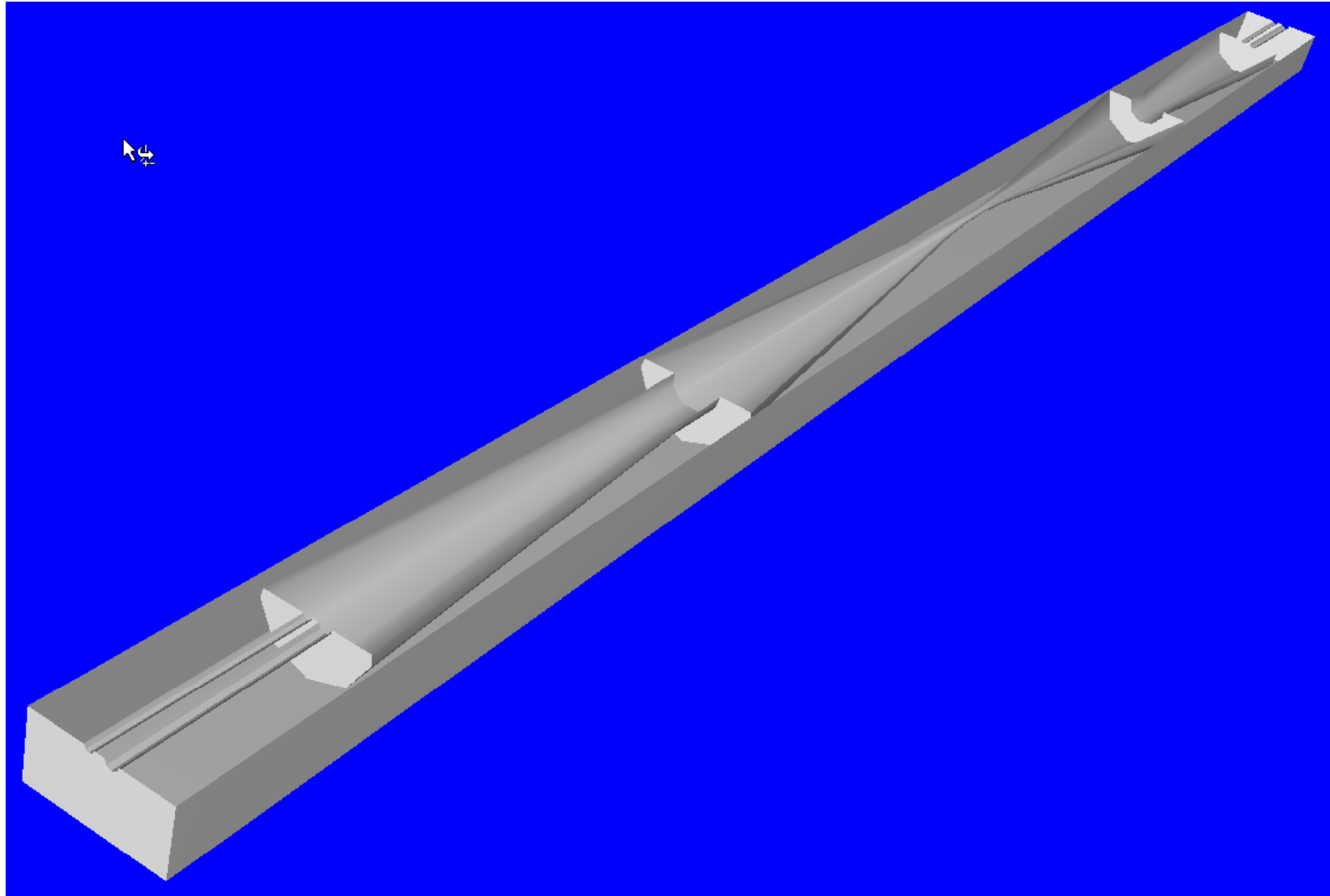
ILC IR geometry from Marco Oriunno

Comments from Takhashi Maruyama:

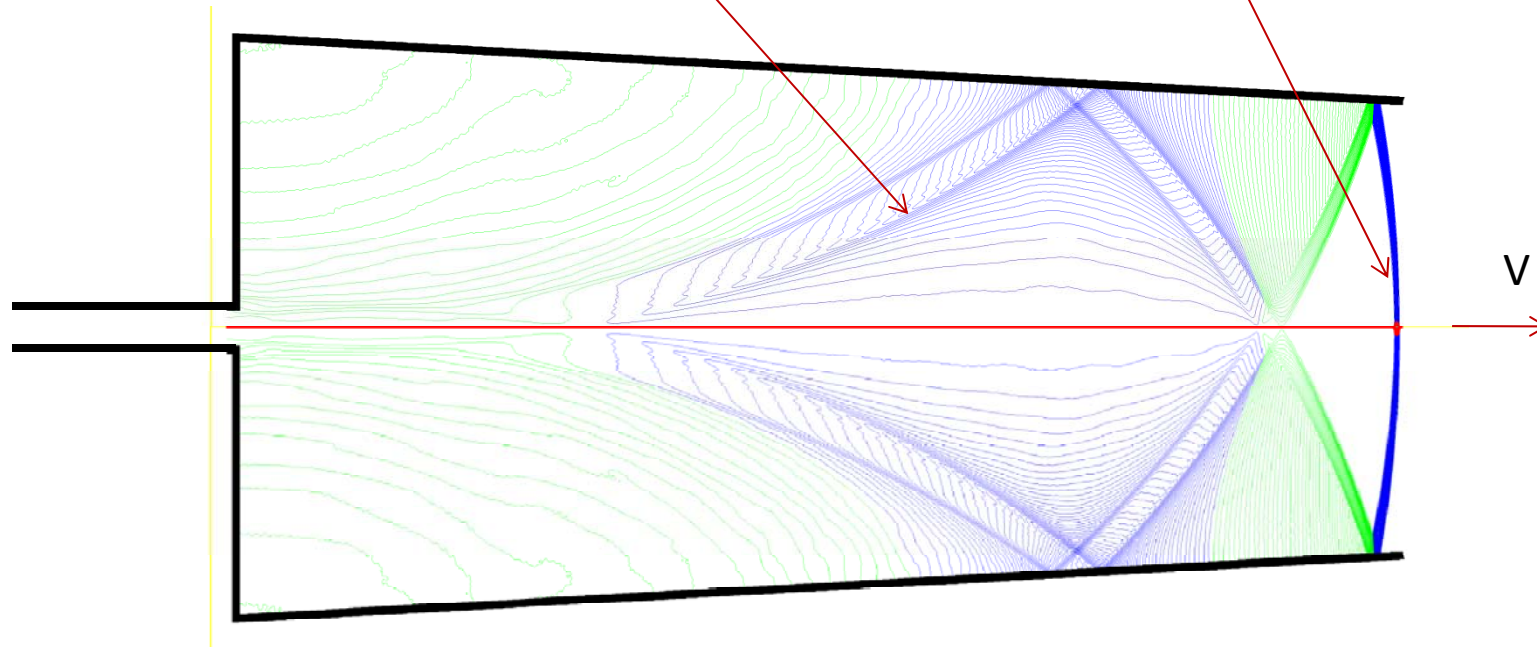
The thickness of the cylindrical beam pipe is 400 microns,
and of the conical section is 700 microns.



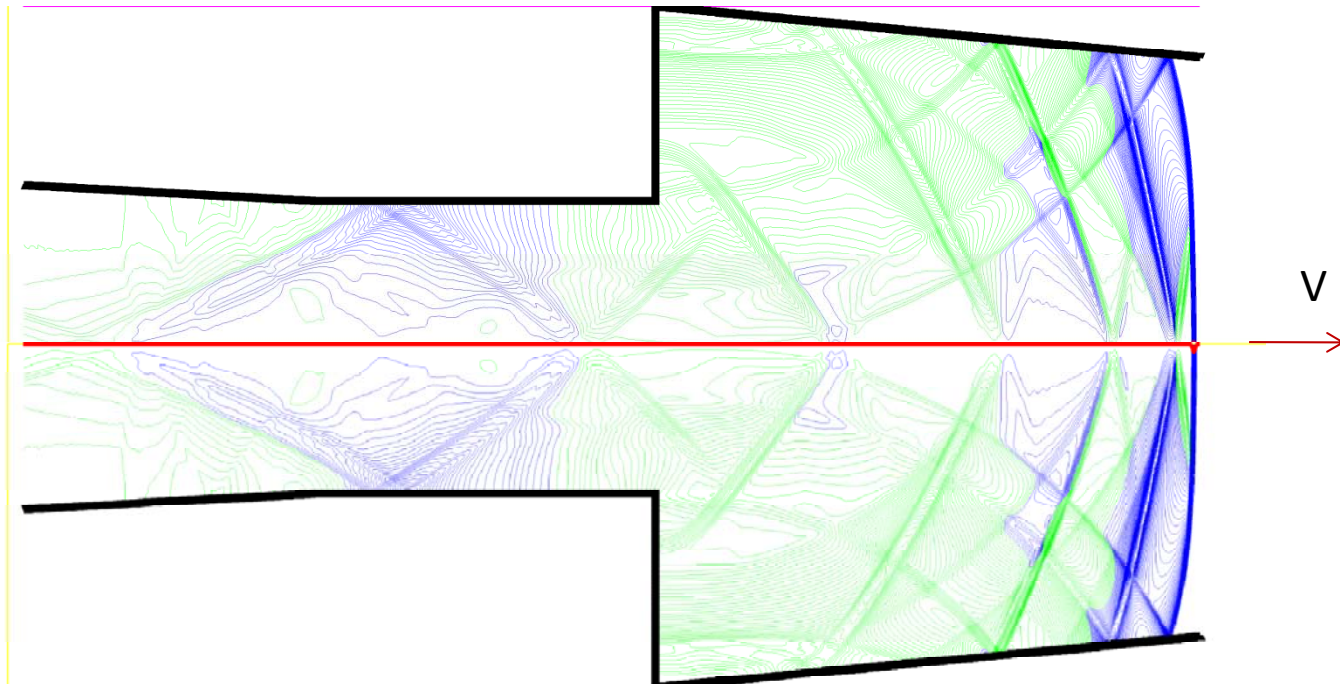
3-D stl model from Marco Oriunno



Wake fields and a bunch field



After a second chamber step



Bunch field

Electric field at the beam pipe wall

$$E = \frac{cZ_0}{(2\pi)^{3/2}} * \frac{eN_b}{a\sigma} \quad E \left[\frac{kV}{cm} \right] = 1.15 * \frac{N}{10^{10}} * \frac{1}{a_{cm} \sigma_{cm}}$$

$$a_{cm} = 1cm \quad N = 2 \cdot 10^{10}$$

$$\sigma_{cm} = 0.03cm \quad E = 75 \frac{kV}{cm}$$

$$\sigma_{cm} = 0.02cm \quad E = 115 \frac{kV}{cm}$$

High electric field at the wall.



Beam spectrum

Bunch spectrum goes to higher frequency with shorter bunches

$$A(\omega) \sim e^{-\left(\frac{\omega}{c}\sigma\right)^2}$$

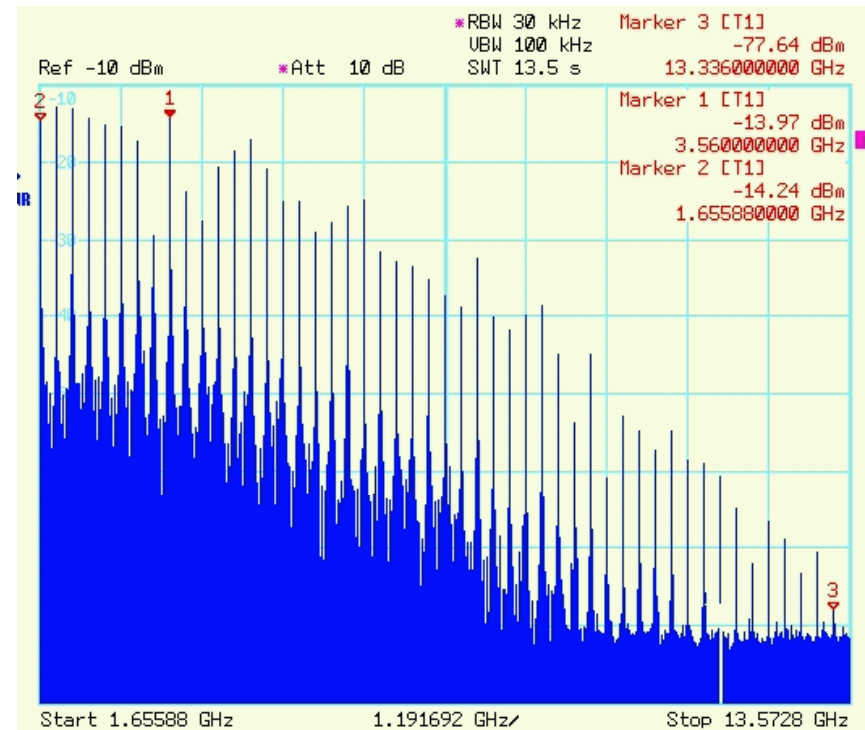
$$f_{\max} = \frac{c}{2\pi\sigma} = 160 - 240 \text{ GHz}$$

Bunch spacing resonances

$$f_n = \frac{n}{\tau_b} \quad n = 1, 2, 3, \dots$$

$$\frac{1}{\tau_b} = \frac{f_{RF}}{480} = 2.7 \text{ MHz}$$

Example from PEP-II



Wake potentials and Green's function

Wake potential describes the integrated effect of the wake fields

$$W(\tau) = \int_{-\infty}^{\infty} E_z(t, z)_{z=c(t-\tau)} dt$$

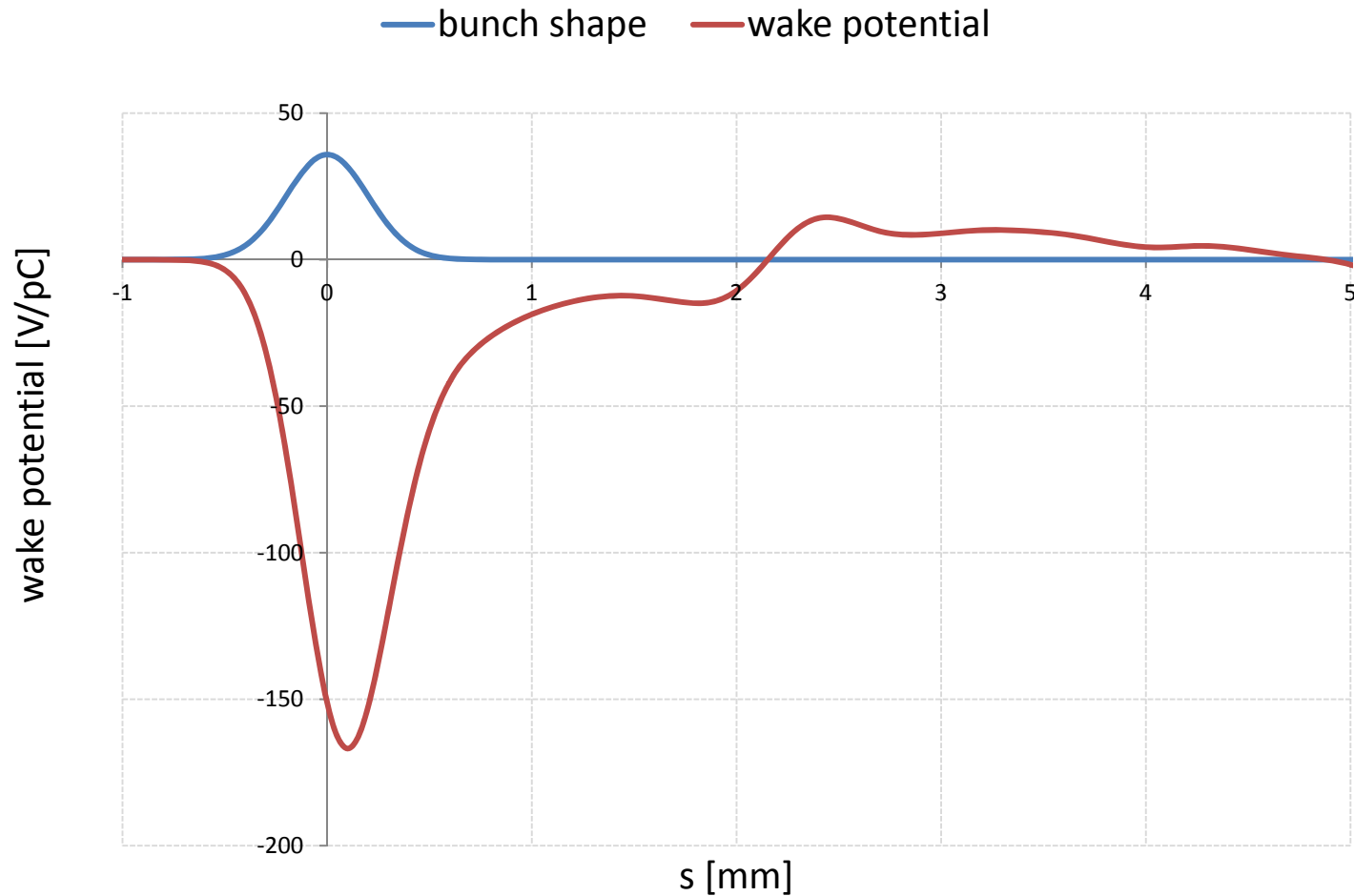
and can be calculated in the time domain by solving Maxwell's equations.

Wake potential of a point charge is a **Green's function** to calculate fields of any bunch distribution

$$W(\tau) = \int_{-\infty}^{\tau} \rho(\tau') G(\tau - \tau') d\tau' = \int_0^{\infty} \rho(\tau - \tau') G(\tau') d\tau'$$



Short range wake potential (0.2 mm bunch)



Calculated with a code "NOVO"

Bunch Loss Factor

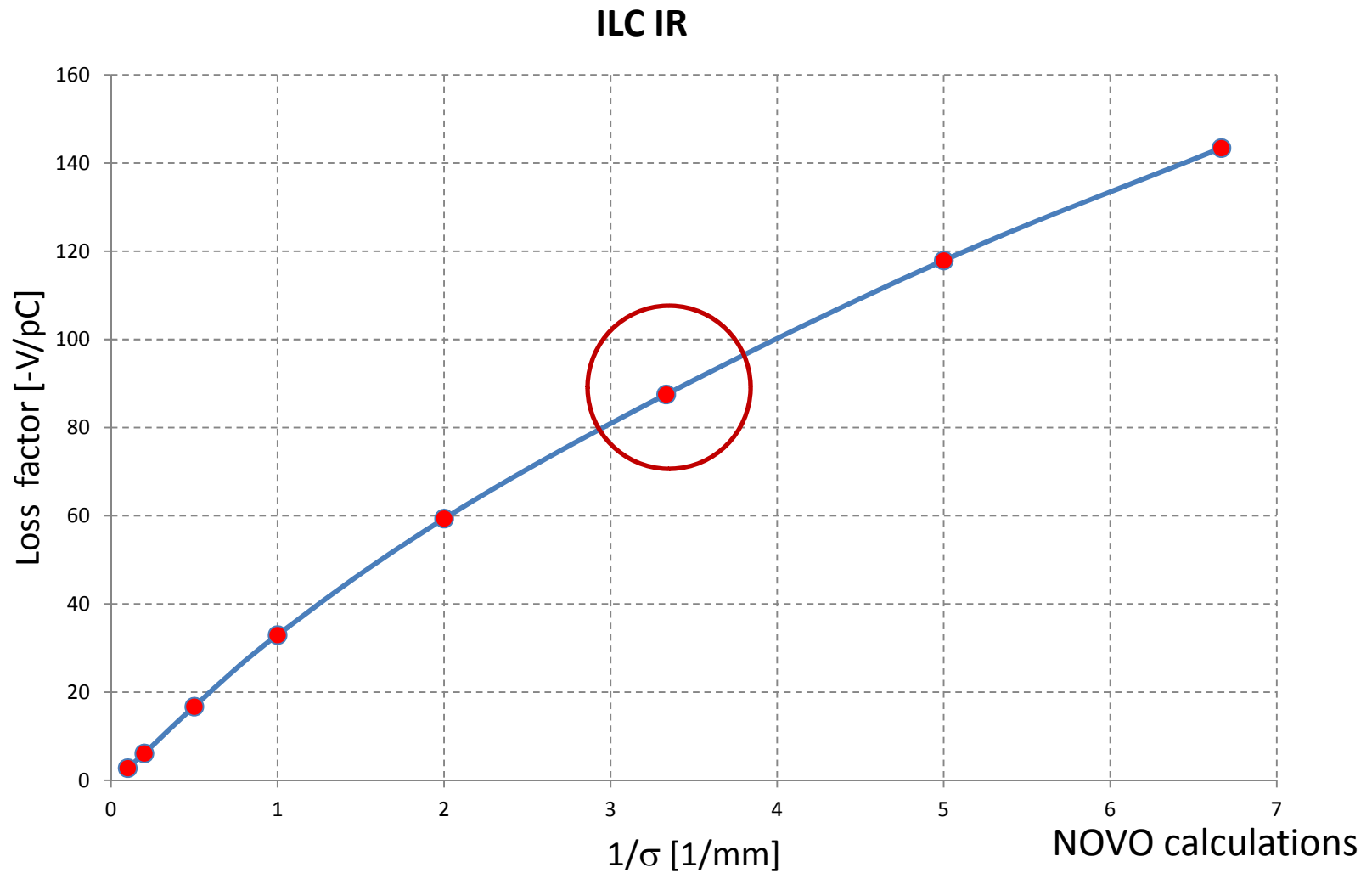
- Beam energy loss is calculated by

$$k = \frac{1}{Q} \int_{-\infty}^{\infty} W(\tau) \rho(\tau) d\tau \quad Q = \int_{-\infty}^{\infty} \rho(\tau) d\tau$$

- Single bunch loss factor is normalized to a bunch charge and usually measured in V/pC.



Loss factor of IR vs bunch length



Loss frequency integral

- We introduce **loss frequency integral** of a single bunch

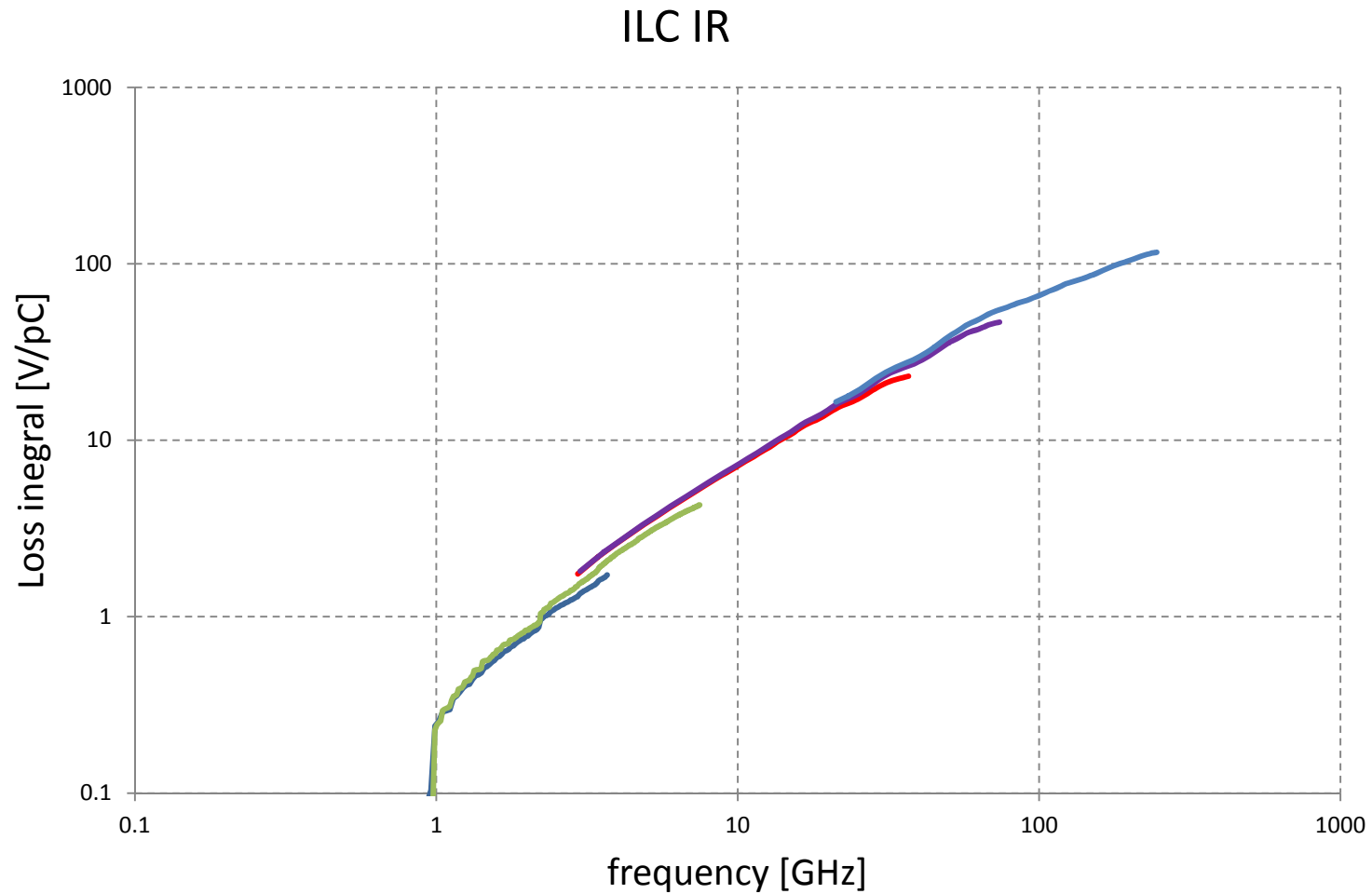
$$K_s(\omega) = \operatorname{Re}\left\{\frac{1}{\pi} \int_0^\omega W_s(\omega) \rho(-\omega) d\omega\right\} =$$
$$= \frac{1}{\pi} \int_0^\omega |\rho_s(\omega)|^2 \operatorname{Re}\{Z(\omega)\} d\omega$$

- Full integration gives the loss factor:

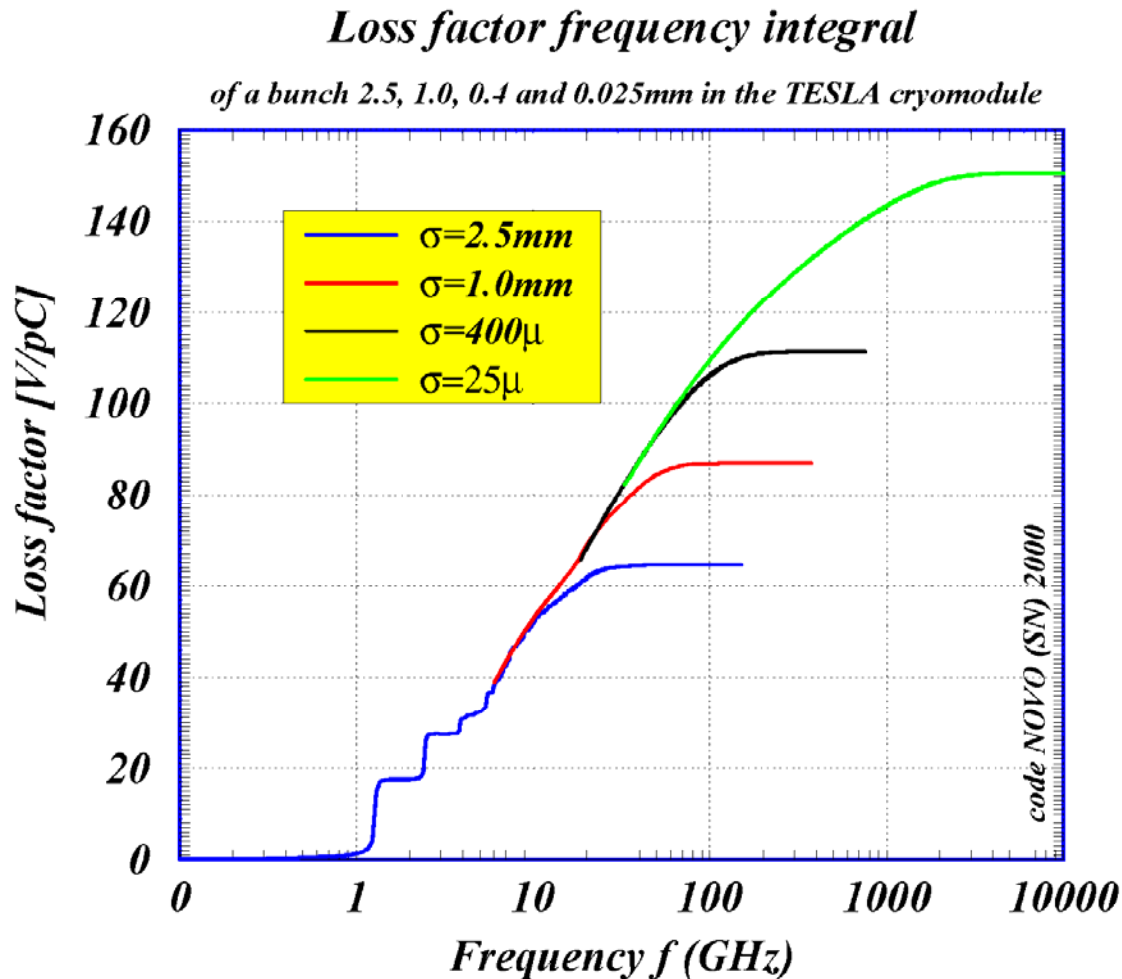
$$K_s(\omega \rightarrow \infty) = k_s$$



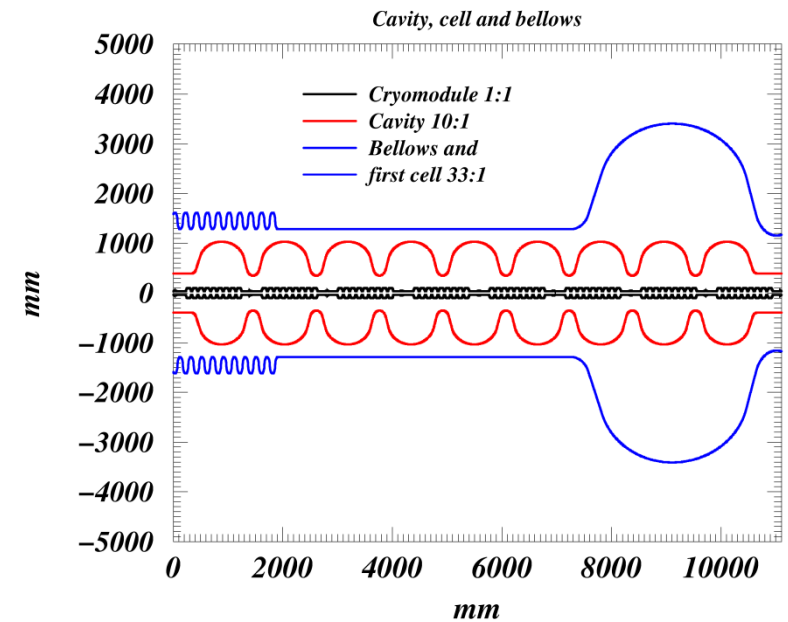
Loss frequency integral of IR



Comparison with loss frequency integral of the ILC (TESLA) cryo-module



TESLA Accelerating Cryomodule



IR produce almost same amount of wake fields as one cryomodule

Power loss of a train of bunches

- IR is a large “cavity”.
- Some of the fields excited in the IR can be trapped and absorbed there. Other part can leave IR, travel along the beam pipes and absorbed.
- Trapped modes may have high Q-value and keep the fields from the previous bunches.
- Modes with higher frequencies can leave the region.



Longitudinal impedance

- A Fourier transform of a Green's function gives a longitudinal coupling impedance

$$Z(\omega) = \int_{-\infty}^{\infty} G(\tau) \exp(-i\omega\tau) d\tau$$

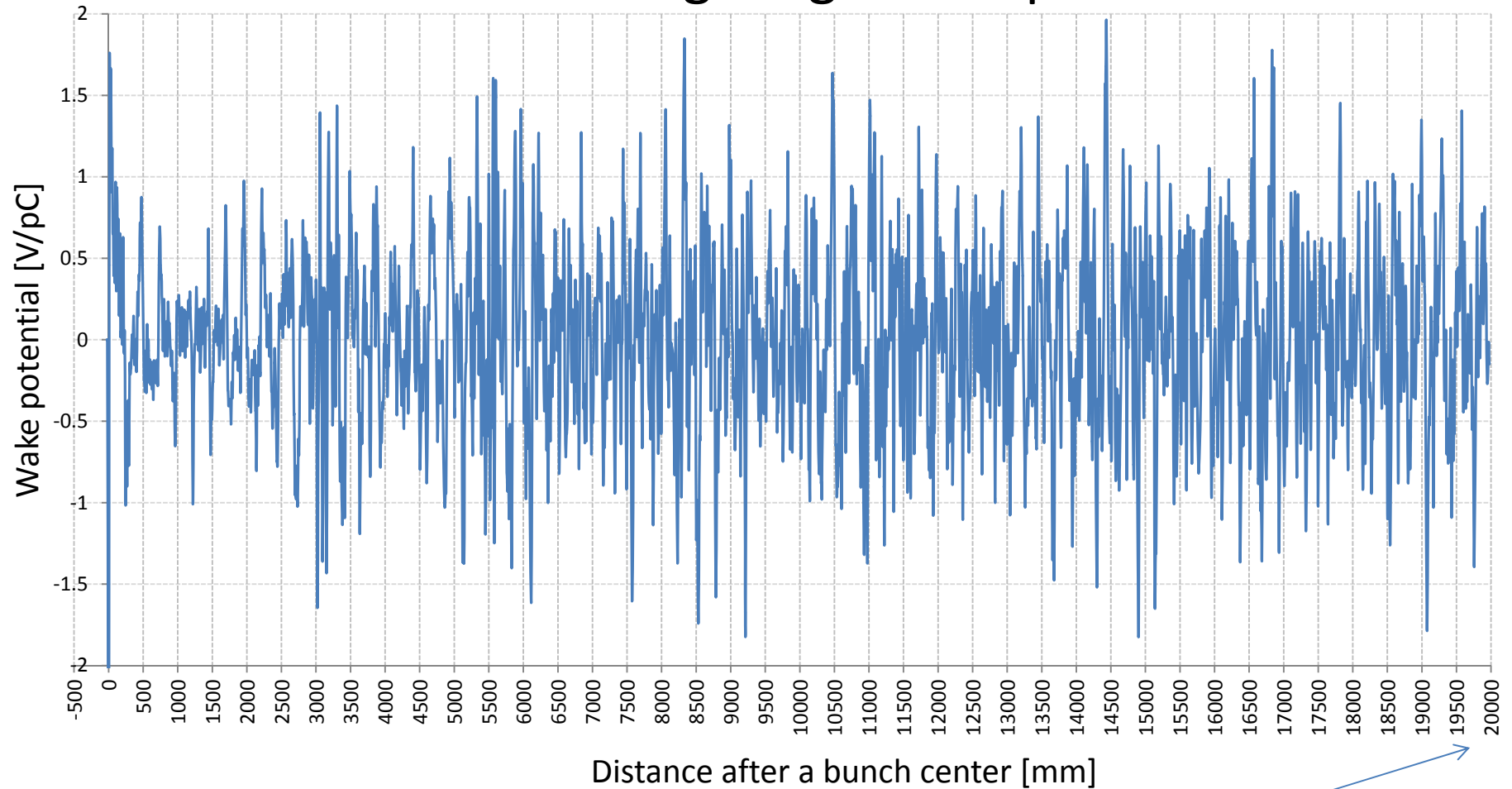
- We can use wake potential to calculate longitudinal impedance

$$\begin{aligned} W(\omega) &= \int_{-\infty}^{\infty} W(\tau) \exp(-i\omega\tau) d\tau = \\ &= \rho(\omega) \times \int_0^{\infty} G(\tau') \exp(i\omega\tau') d\tau' = \rho(\omega) \times Z(-\omega) \end{aligned}$$



Long-range wake potential

ILC IR long range wake potential



Cut-off frequency

- Cut-off frequency is the maximum frequency of captured modes in a cavity.
- It is determined by the size of a beam pipe.
- For E01 mode

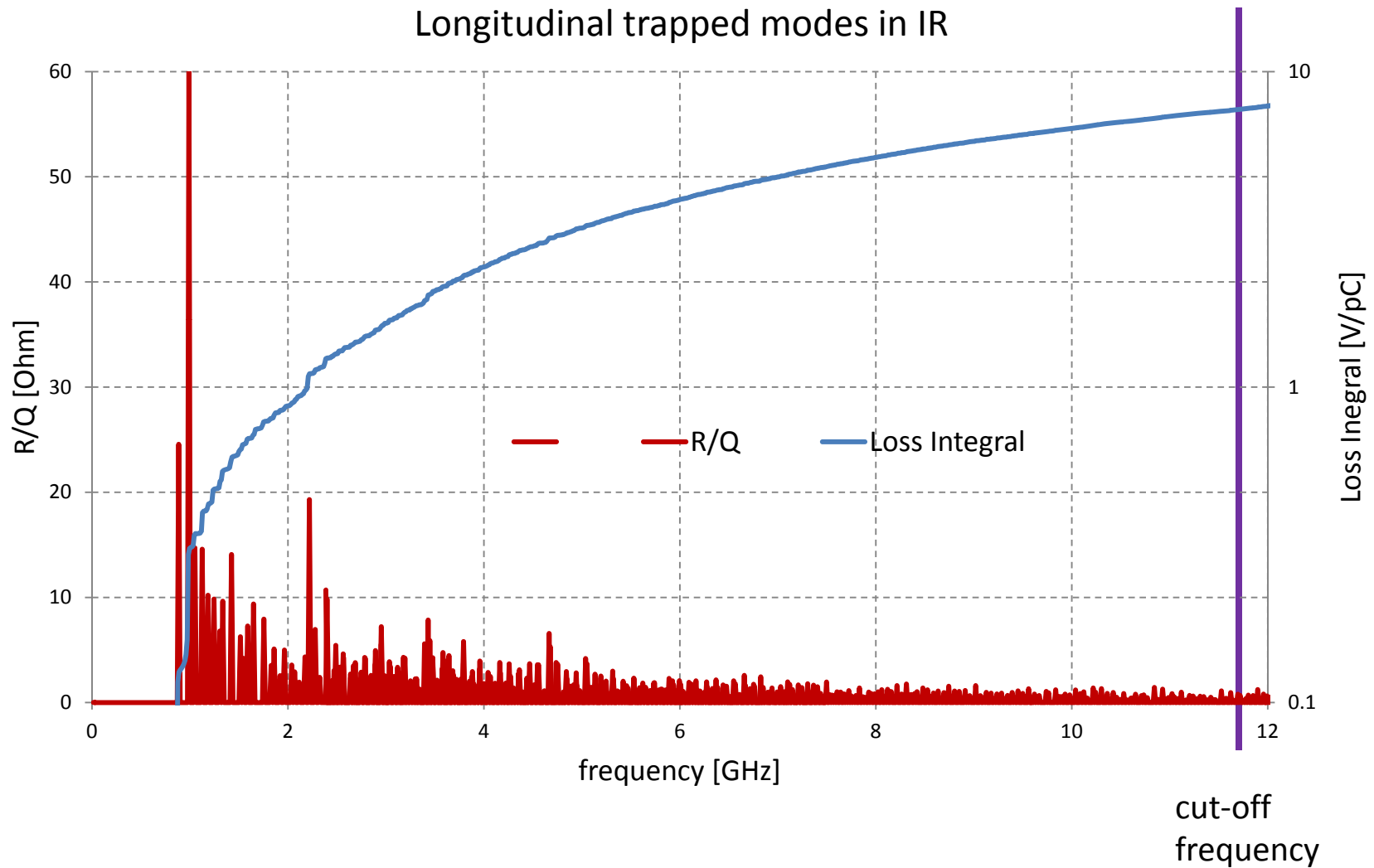
$$f_{[GHz]}^{cut-off} = \frac{c}{a} \times \frac{\nu_{01}}{2\pi} = \frac{0.11474}{a_{[m]}}$$

ILC IR: $a=10\text{mm}=0.01\text{m}$

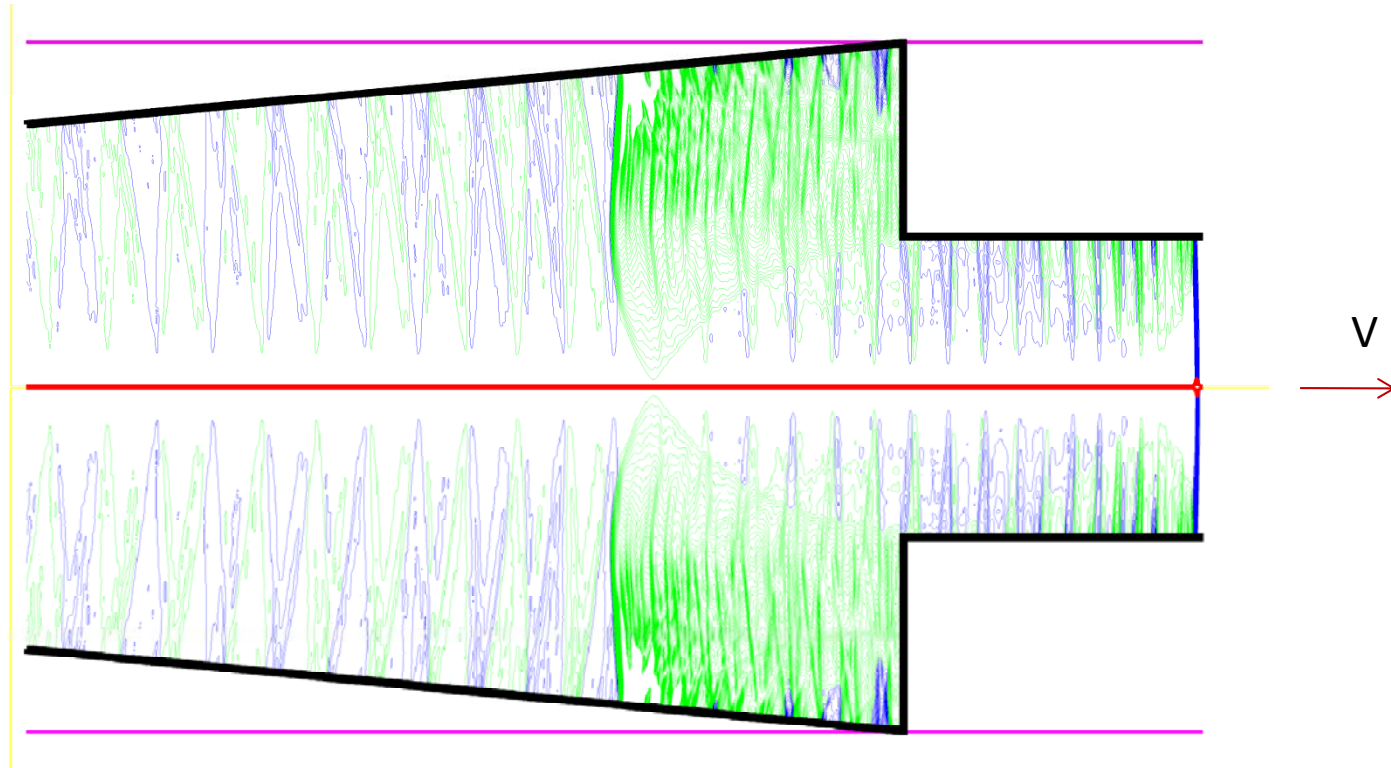
$f=11.47\text{ GHz}$



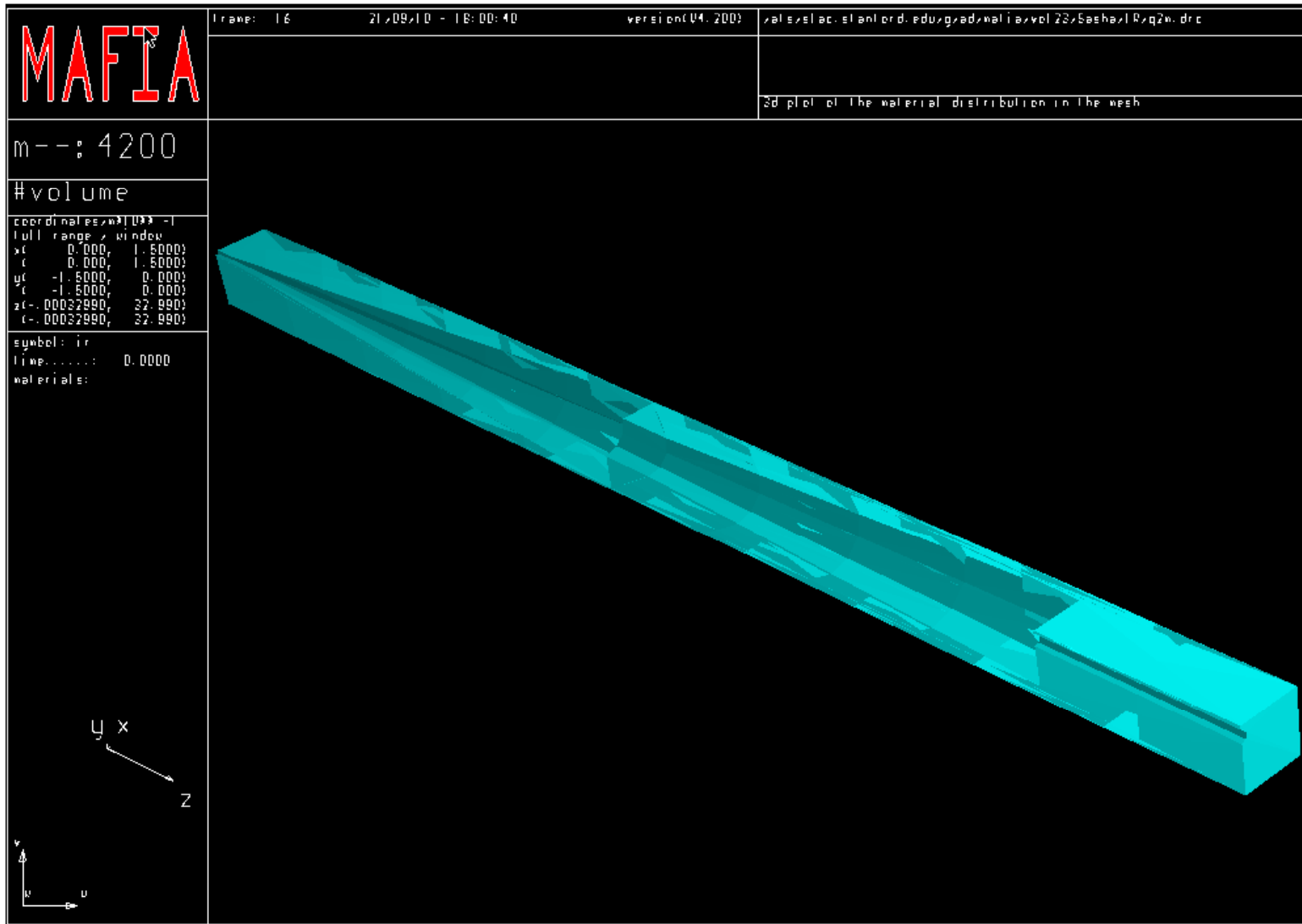
Trapped modes of IR



Wake fields in the corner



$\frac{1}{2} \star \frac{1}{2} \star \frac{1}{2}$ model for MAFIA simulations



MAFIA simulations

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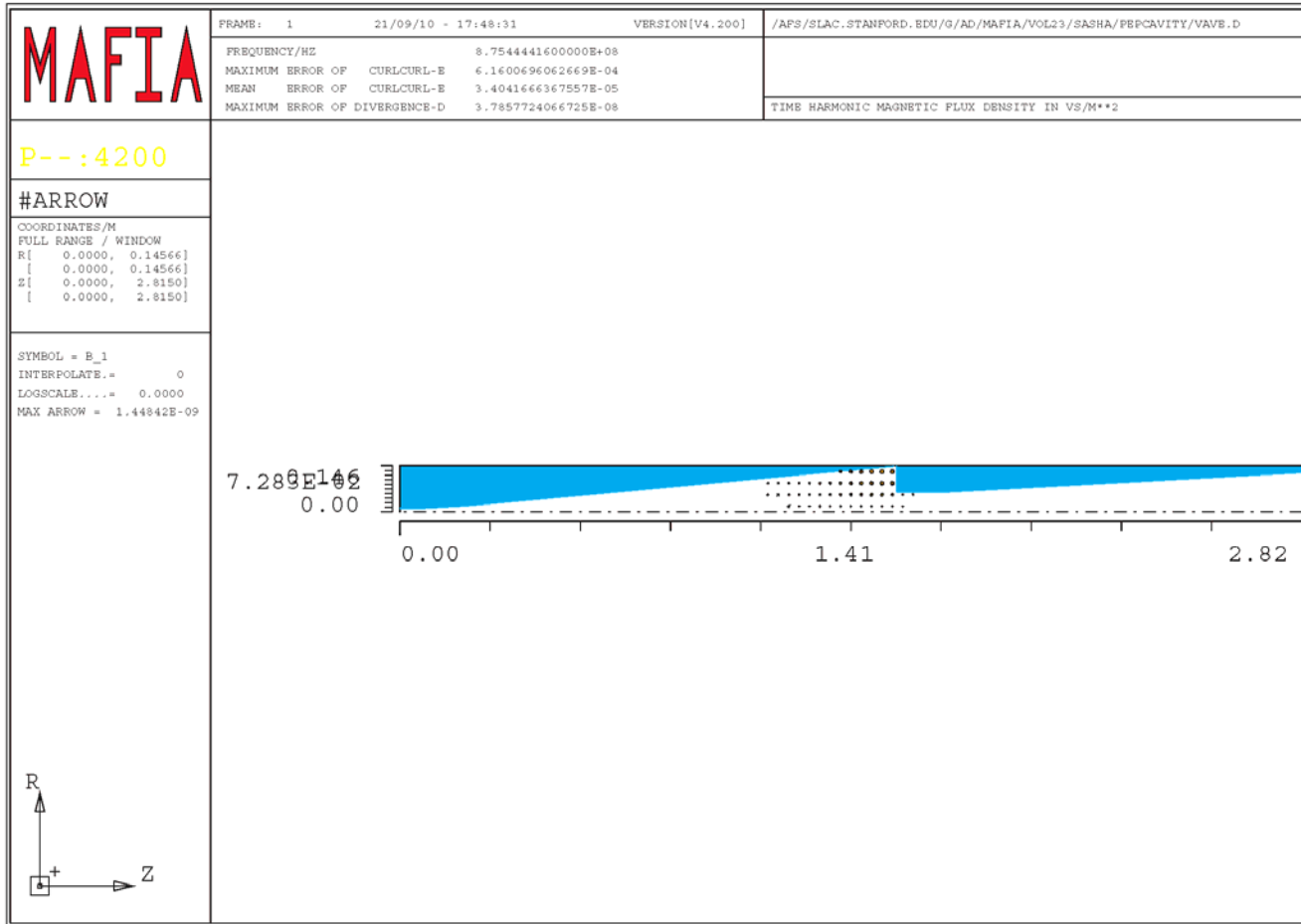
*****
|
*
*
*      M      M      AAAAAAA  FFFFFFF  IIIIIII  AAAAAAA
*      MM     MM     A      A  F          I          A      A
*      M M    M M    A      A  F          I          A      A
*      M  M M  M    A      A  F          I          A      A
*      M      M    AAAAAAA  FFFFFF  I          AAAAAAA
*      M      M    A      A  F          I          A      A
*      M      M    A      A  F          I          A      A
*      M      M    A      A  F          IIIIIII  A      A
*
*****

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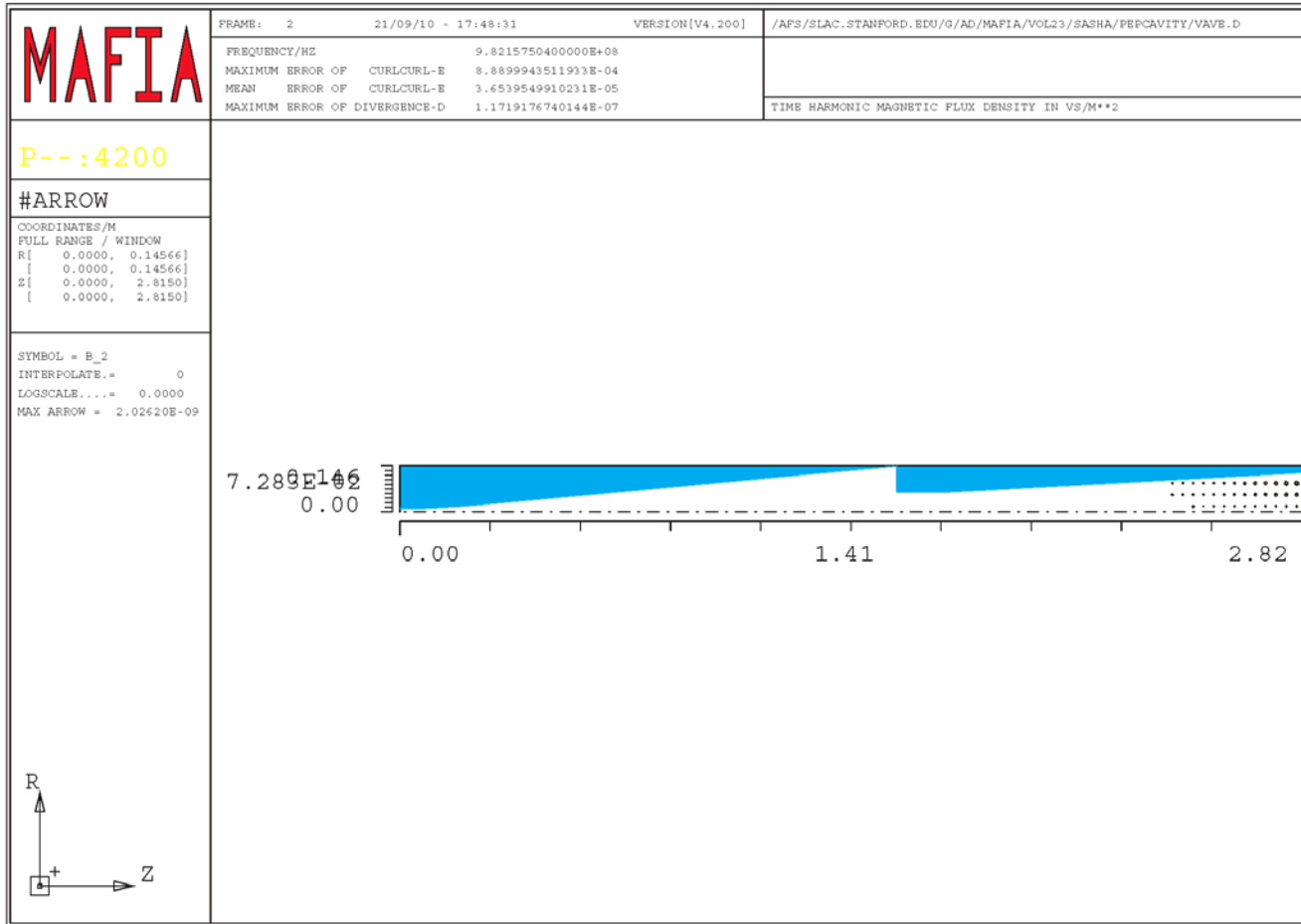
summary of all modes found

mode	frequency/hz	----- maxwell's laws -----				solver accuracy
		=div(d)= max norm	=div(b)= max norm	=curl(e)= max norm	l2 norm /Ax-lx/ /Ax/	
1	8.754444E+08	3.8E-08	0.0E+00	6.2E-04	3.4E-05	1.6E-04
2	9.821575E+08	1.2E-07	0.0E+00	8.9E-04	3.7E-05	2.1E-04
3	1.044301E+09	5.4E-08	0.0E+00	5.9E-04	4.6E-05	2.0E-04
4	1.125241E+09	1.1E-07	0.0E+00	7.5E-04	7.3E-05	2.9E-04
5	1.179520E+09	7.0E-08	0.0E+00	7.5E-04	1.1E-04	4.0E-04
6	1.231551E+09	8.7E-08	0.0E+00	6.2E-04	5.3E-05	2.3E-04
7	1.302785E+09	6.8E-08	0.0E+00	4.3E-04	3.6E-05	1.7E-04
8	1.326441E+09	8.5E-08	0.0E+00	5.8E-04	9.8E-05	3.9E-04
9	1.415353E+09	8.0E-08	0.0E+00	5.6E-04	6.4E-05	2.8E-04
10	1.419791E+09	7.3E-08	0.0E+00	4.8E-04	5.5E-05	2.5E-04
11	1.500033E+09	7.6E-08	0.0E+00	4.3E-04	5.9E-05	2.7E-04
12	1.532397E+09	6.9E-08	0.0E+00	4.3E-04	3.4E-05	1.7E-04
13	1.581816E+09	7.6E-08	0.0E+00	3.8E-04	5.3E-05	2.6E-04
14	1.641874E+09	6.2E-08	0.0E+00	3.8E-04	5.3E-05	2.7E-04
15	1.661642E+09	8.4E-08	0.0E+00	4.0E-04	2.4E-05	1.2E-04
16	1.738912E+09	7.3E-08	0.0E+00	3.2E-04	3.5E-05	1.8E-04
17	1.749572E+09	7.7E-08	0.0E+00	3.3E-04	1.9E-05	1.1E-04
18	1.812262E+09	7.9E-08	0.0E+00	3.5E-04	3.1E-05	1.5E-04
19	1.854955E+09	6.1E-08	0.0E+00	3.4E-04	3.0E-05	1.8E-04
20	1.868092E+09	1.3E-07	0.0E+00	3.2E-04	3.2E-05	1.9E-04
21	1.910781E+09	1.1E-07	0.0E+00	4.3E-04	7.2E-05	3.5E-04
22	1.956755E+09	6.5E-08	0.0E+00	4.8E-04	6.6E-05	3.3E-04
23	1.970687E+09	9.1E-08	0.0E+00	4.5E-04	7.4E-05	3.2E-04
24	2.029463E+09	5.1E-08	0.0E+00	4.5E-04	7.9E-05	4.1E-04
25	2.064812E+09	6.2E-08	0.0E+00	5.1E-04	4.8E-05	2.8E-04
26	2.097944E+09	8.4E-08	0.0E+00	7.7E-04	1.1E-04	4.5E-04
27	2.143732E+09	1.3E-07	0.0E+00	2.4E-04	3.3E-05	1.6E-04
28	2.167004E+09	7.7E-08	0.0E+00	3.0E-04	2.6E-05	1.7E-04
29	2.197244E+09	1.0E-07	0.0E+00	2.9E-04	3.3E-05	3.1E-04
30	2.205334E+09	5.4E-08	0.0E+00	3.6E-04	5.6E-05	2.5E-04

Second mode



Other mode



Interaction with one mode

Mode voltage decay $V(t) = V(o) e^{-\frac{t}{\tau_{l,n}}}$

Loaded time decay
or filling time $\tau_{l,n} = \frac{2Q_l}{\omega_n} = \frac{2Q_l}{2\pi f_n} = \frac{Q_l}{\pi f_n}$

Loaded Q-value
which includes coupling Q_l

Bunch spacing τ_b

Mode **survives** to
the next bunch if $\frac{\tau_b}{\tau_{l,n}} \ll 1$

and loaded Q $Q_l \gg \frac{\omega_n \tau_b}{2} = \pi f_n \tau_b$



Coherent and incoherent excitation

	Incoherent	Coherent at resonance
condition	$Q_l \ll \pi f_n \tau_b$	$Q_l \gg \pi f_n \tau_b$
Loss power	$P_n = I^2 \frac{\omega_n}{2} \frac{R}{Q} \tau_b$	$P_n = I^2 \frac{R}{Q} Q_l$
Loss factor	$P_n = I^2 k_n \tau_b$	$P_n = 2I^2 k_n \tau_{l,n}$

Loss factor

$$k_n = \frac{\omega_n}{2} \frac{R}{Q}$$

If the bunch spacing is equal to mode decay time the coherent power is only two times larger than incoherent power



Total loss power (all trapped modes)

Total power

$$P_{incoh.} = I^2 \tau_b \sum_n k_n \quad P_{coh.} = 2I^2 \sum_n k_n \tau_{l,n}$$

Trapped mode frequency range 0.85 – 11.5 GHz

Bunch spacing 369.2 ns

Loaded Q $Q_l = \pi f_n \tau_b$ 990 - 13300

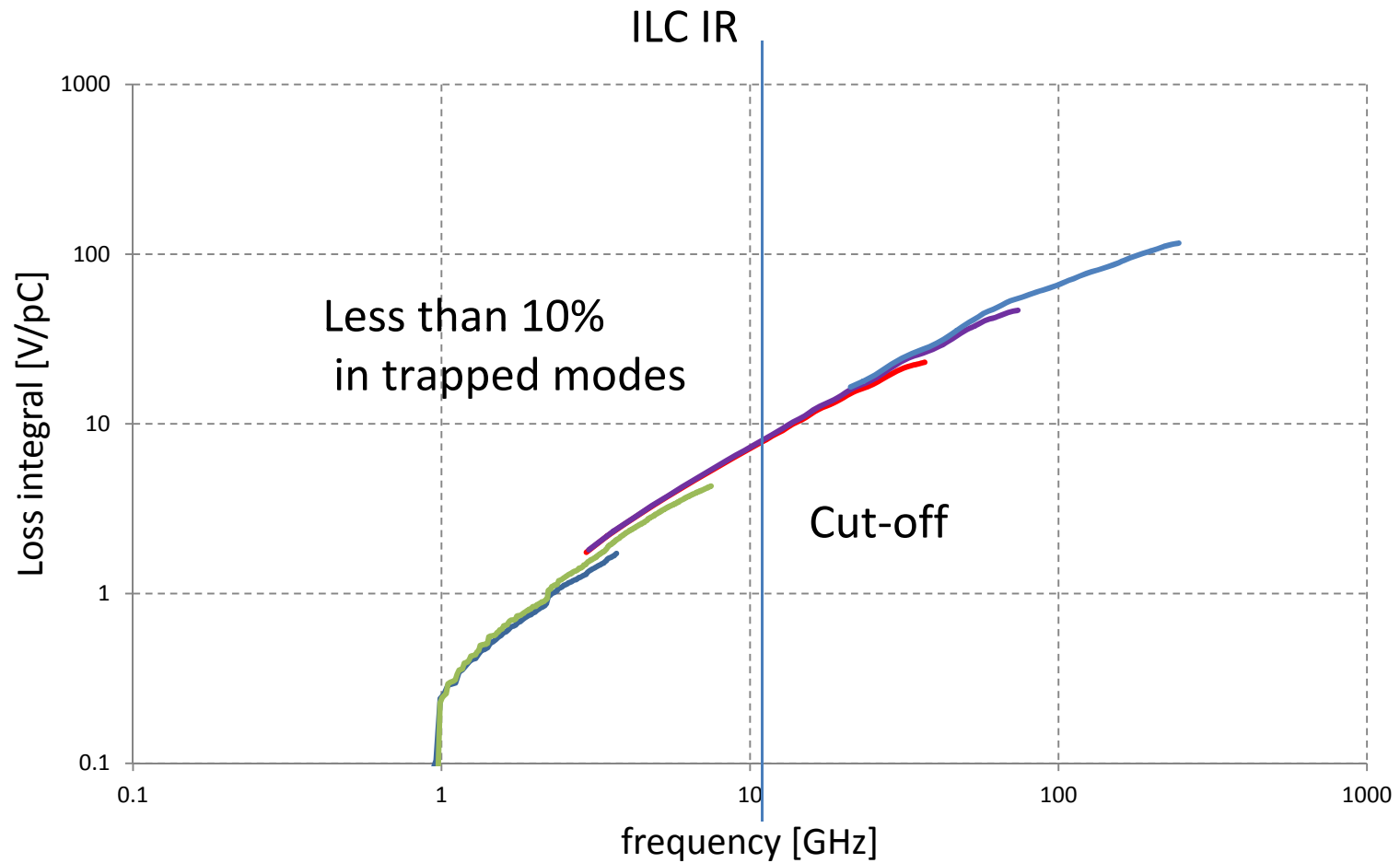
$$\sum_n k_n = 7.3 \text{ V/pC}$$

$$P_{incoh.} = 440 \text{ W} \quad P_{coh.} = 880 \text{ W}$$

Average power is 200 times smaller

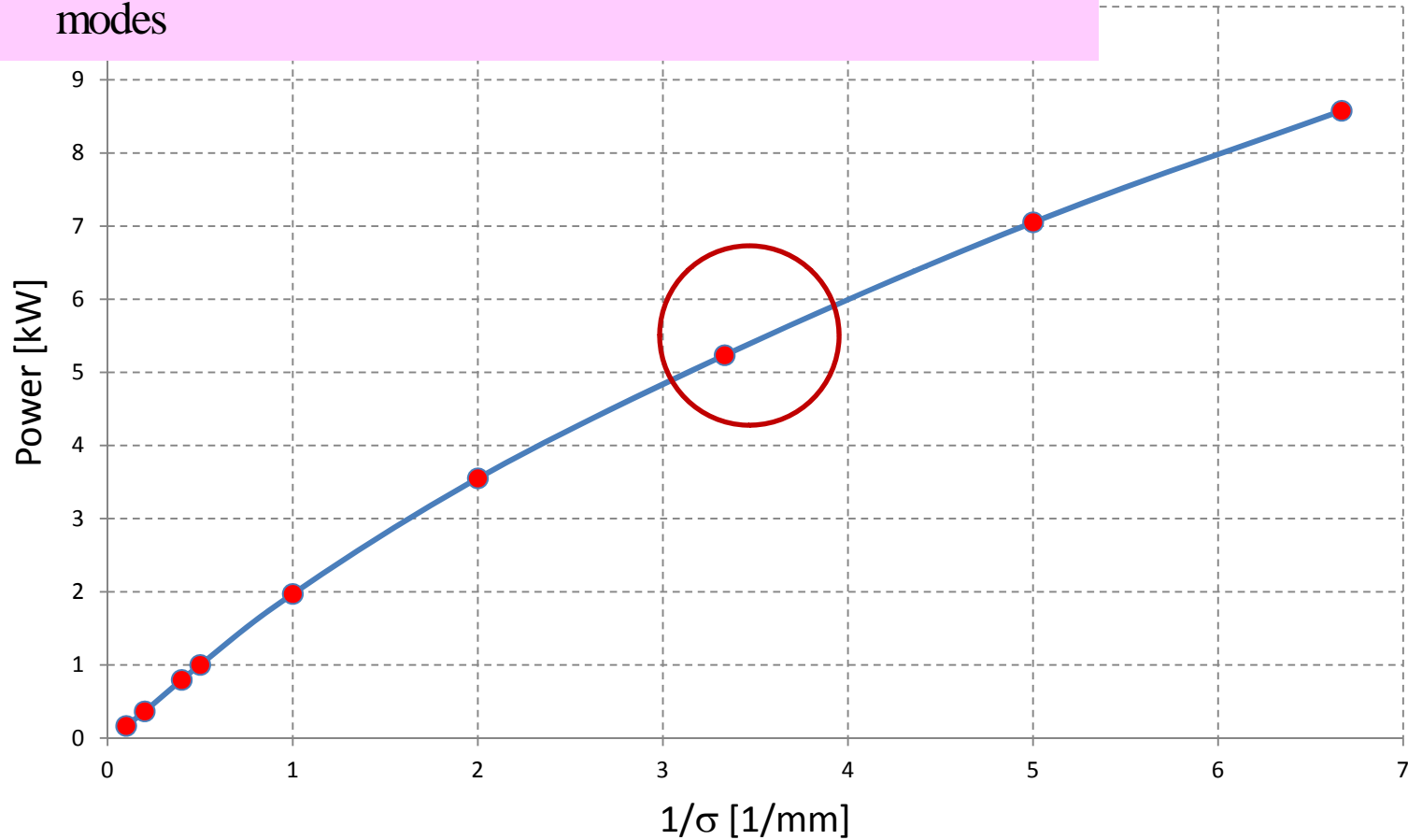


Loss integral and cut-off frequency



Power loss in a pulse (two beams)

$$P = P_{\text{trapped modes}} + 2I_{\text{beam}}^2 \times T_b \times (k_s - K(\omega_{\text{cut-off}}))$$



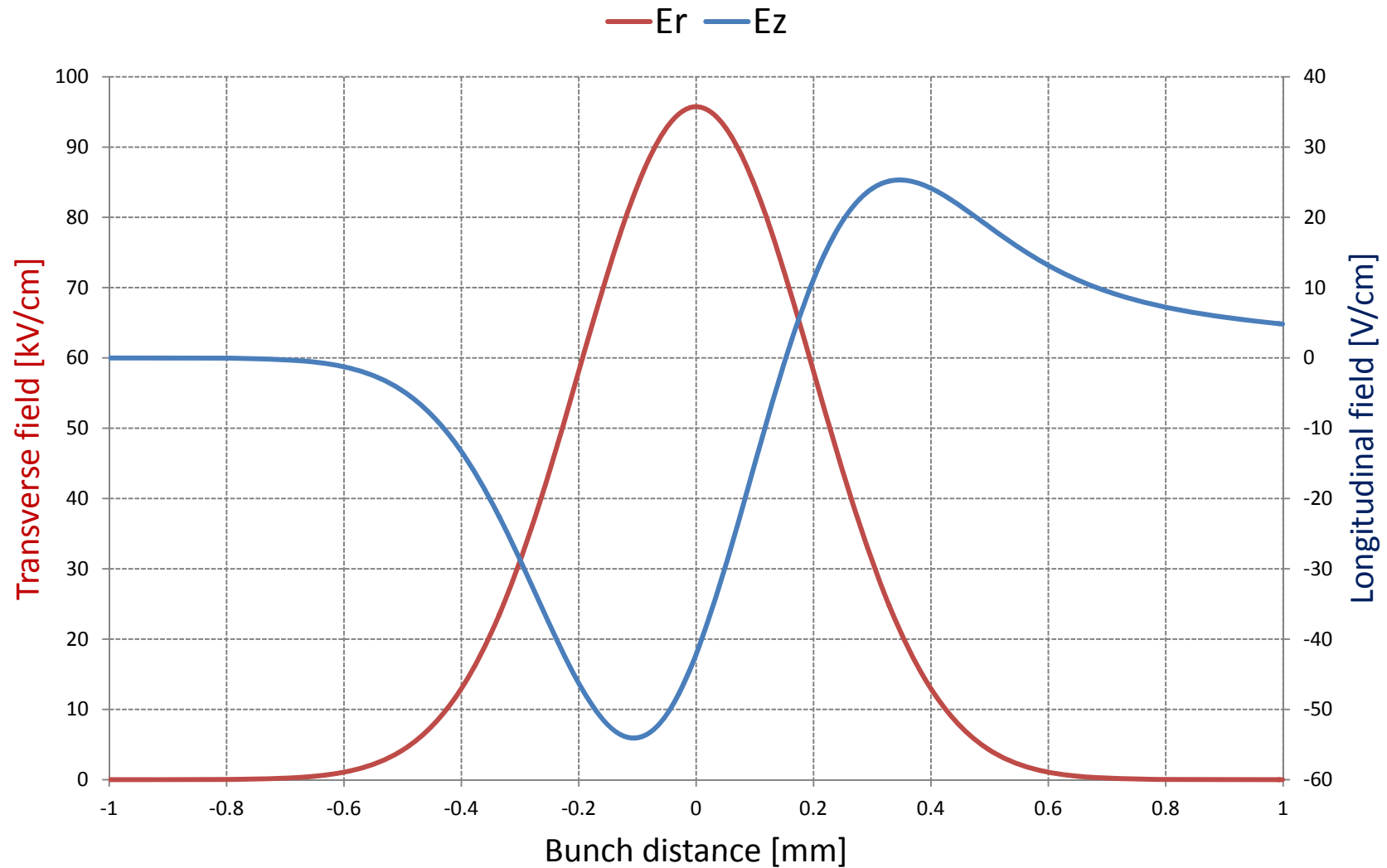
Resistive-wall wake fields

(Losses of image currents)

conductivity	/Ohm/mm
Al	35000
Cu	58000
SS	1400
Au	48800
Be	25000
Ni	14600
NEG	55-1000



Fields in Be chamber. Bunch 0.2 mm

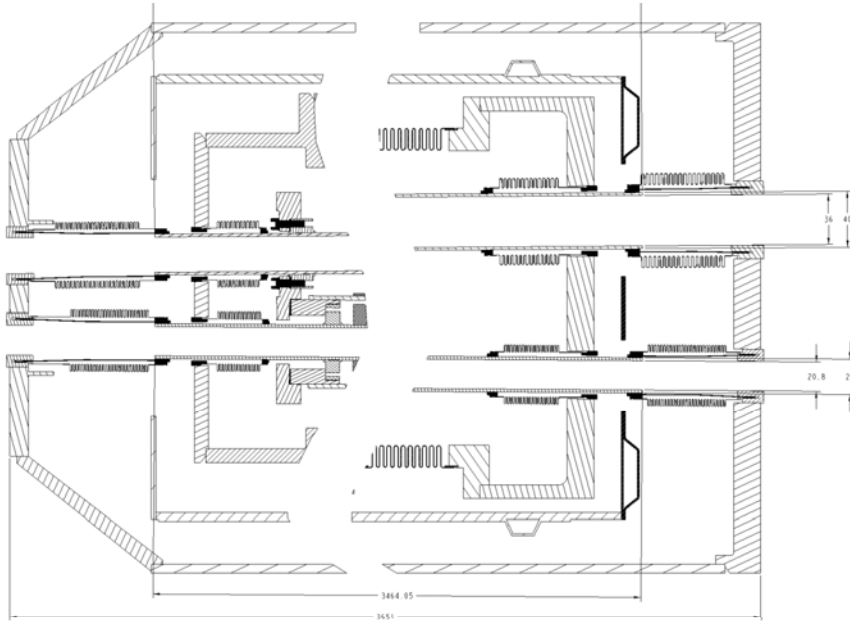


Power loss due to resistive wall. Not so much.

Resistive wall wakes		Be 40 mu	a [mm]	L/2 [m]	Total resistive Power [W]
			12	0.0625	
bunch [mm]	f bunch	1/mm	V/pC/m		Power [W]
0.2	238.7324146		5	0.7710933	5.764924839
0.3	159.1549431	3.333333333		0.4153219	3.105071121
0.5	95.49296586		2	0.1917086	1.433271006
					224.4359994
					114.3046605
					45.96733098
Resistive wall wakes		Be 70 mu	a [mm]	L/2 [m]	
			16	0.14279	
bunch [mm]	f bunch	1/mm	V/pC/m		Power [W]
0.2	238.7324146		5	0.5829	9.956313235
0.3	159.1549431	3.333333333		0.3127758	5.342415229
0.5	95.49296586		2	0.1440609	2.460654392
Resistive wall wakes		SS 150 mu	a [mm]	L/2 [m]	
			82.81	1.345644	
bunch [mm]	f bunch	1/mm	V/pC/m		Power [W]
0.2	238.7324146		5	0.6931	111.5662359
0.3	159.1549431	3.333333333		0.3488	56.14529371
0.5	95.49296586		2	0.1386	22.31002783
Resistive wall wakes		SS 150 mu	a [mm]	L/2 [m]	
			63.3485	0.145	
bunch [mm]	f bunch	1/mm	V/pC/m		Power [W]
0.2	238.7324146		5	0.8888	15.41625022
0.3	159.1549431	3.333333333		0.4305	7.467029388
0.5	95.49296586		2	0.174	3.018032784
Resistive wall wakes		SS 150 mu	a [mm]	L/2 [m]	
			93.8	1.119	
bunch [mm]	f bunch	1/mm	V/pC/m		Power [W]
0.2	238.7324146		5	0.6106	81.73227528
0.3	159.1549431	3.333333333		0.3156	42.24485109
0.5	95.49296586		2	0.1251	16.74534497

X 5 (NEG) = 600 W

QD0



Input pipe:
Diameter=20.8mm
Length= 3651mm

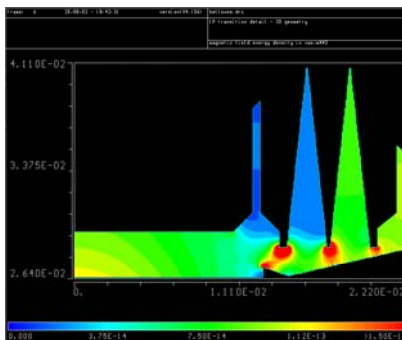
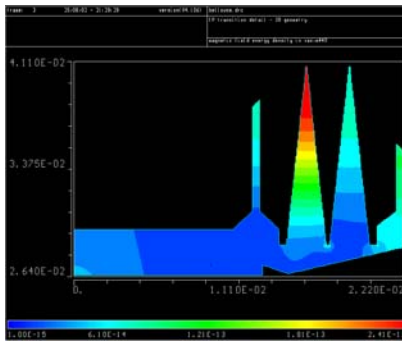
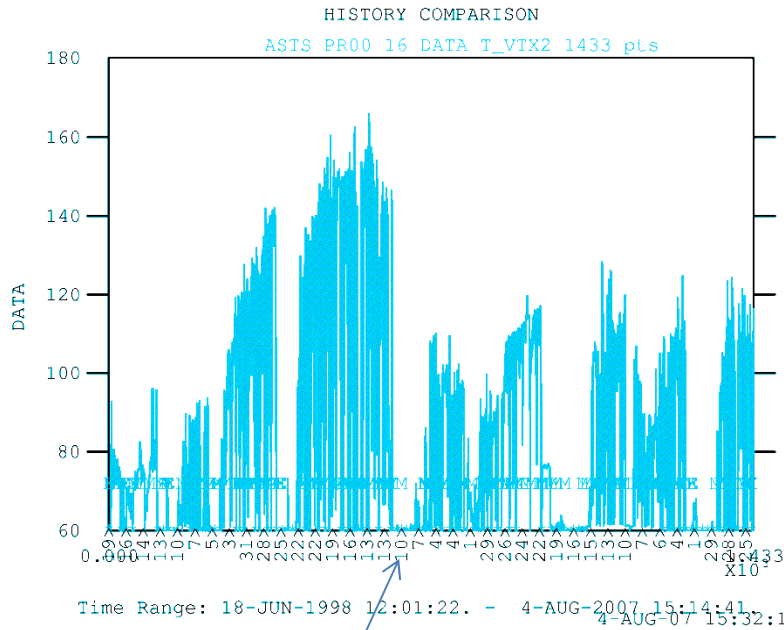
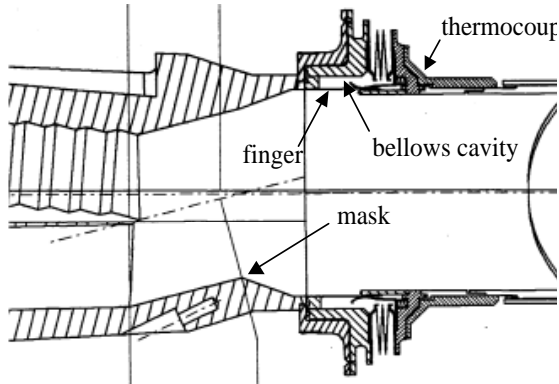
Output pipe
Diameter=36 mm
Length=3651mm

Resistive loss:

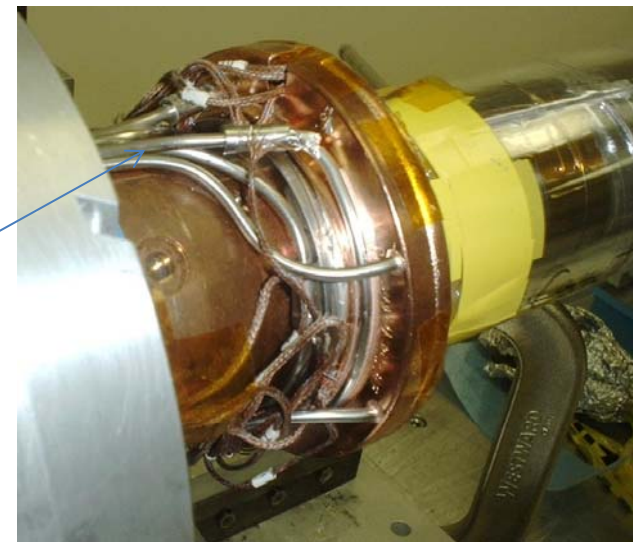
Preliminary calculations for a tube of a diameter of 20.8 mm and length of 3.651 m gives 200 W pulsed losses or **1 W** averaged power.

A tube of 36 mm dissipate **0.6 W** averaged power.

History: PEP-II vertex bellows



Mike Sullivan
installed air cooling



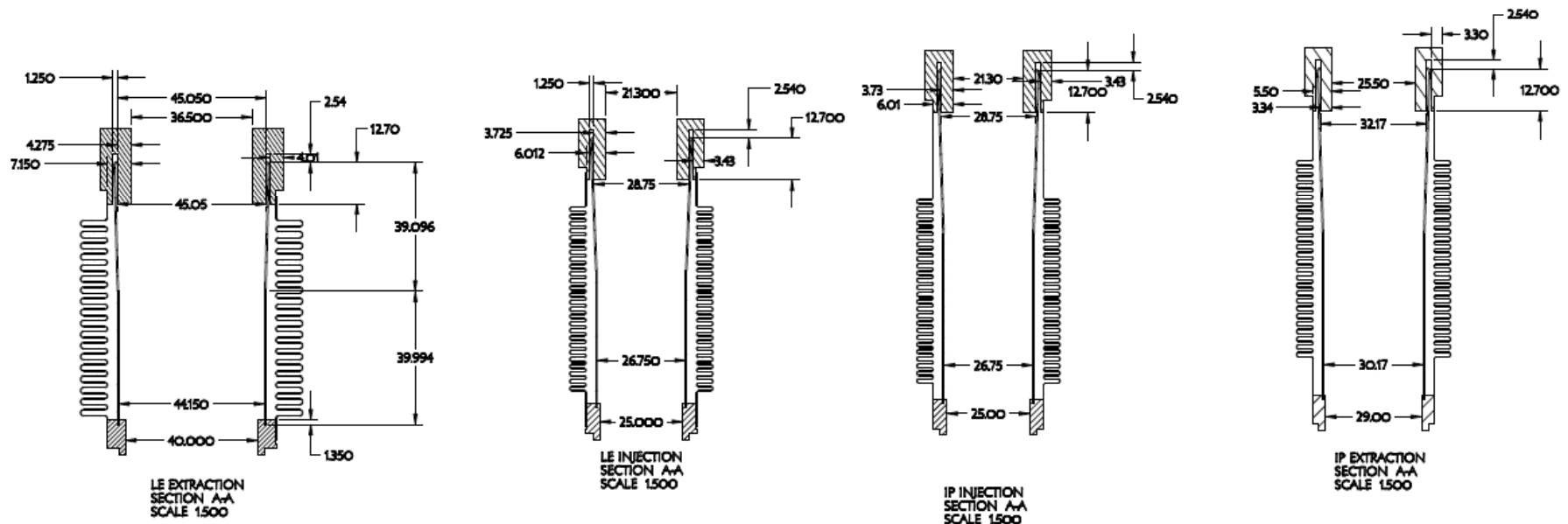
SN 04/12/2012

Bellows of different size

Sasha;

Here is what we have right now on the RF shield assemblies. All materials are stainless steel, but the contact portion of the fingers will be silver plated.

Andy Marone

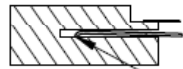


QD0 bellows. Conceptual layout.

NOTES:

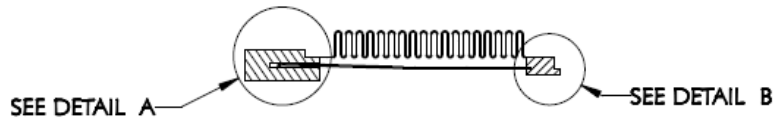
1. ASSEMBLY FOR HIGH VACUUM ENVIRONMENT (MAX LEAK RATE 2×10^{-10} Atm cc He /Sec.)
2. ALL JOINTS WELDED EXCEPT AS NOTED
3. ALL PARTS NON-MAGNETIC STAINLESS EXCEPT FINGER CAVITY WHICH IS SILVER PLATED NON-MAGNETIC STAINLESS
4. ESTIMATED REQUIREMENT < 10 PCS

REVISIONS							
REV	ZONE	ECN NO.	DESCRIPTION	BY	DATE	CHK	APP



DETAIL A
SCALE 1500

SLIP FIT ONLY - NO WELD

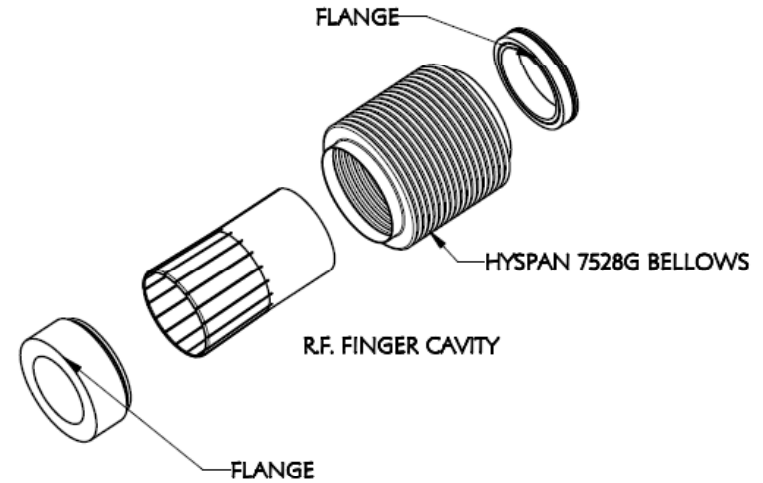


SEE DETAIL A

SEE DETAIL B



SECTION A-A
SCALE 0.750



FLANGE

HYSPAN 7528G BELLOWS

R.F. FINGER CAVITY

FLANGE

EXPLODED VIEW

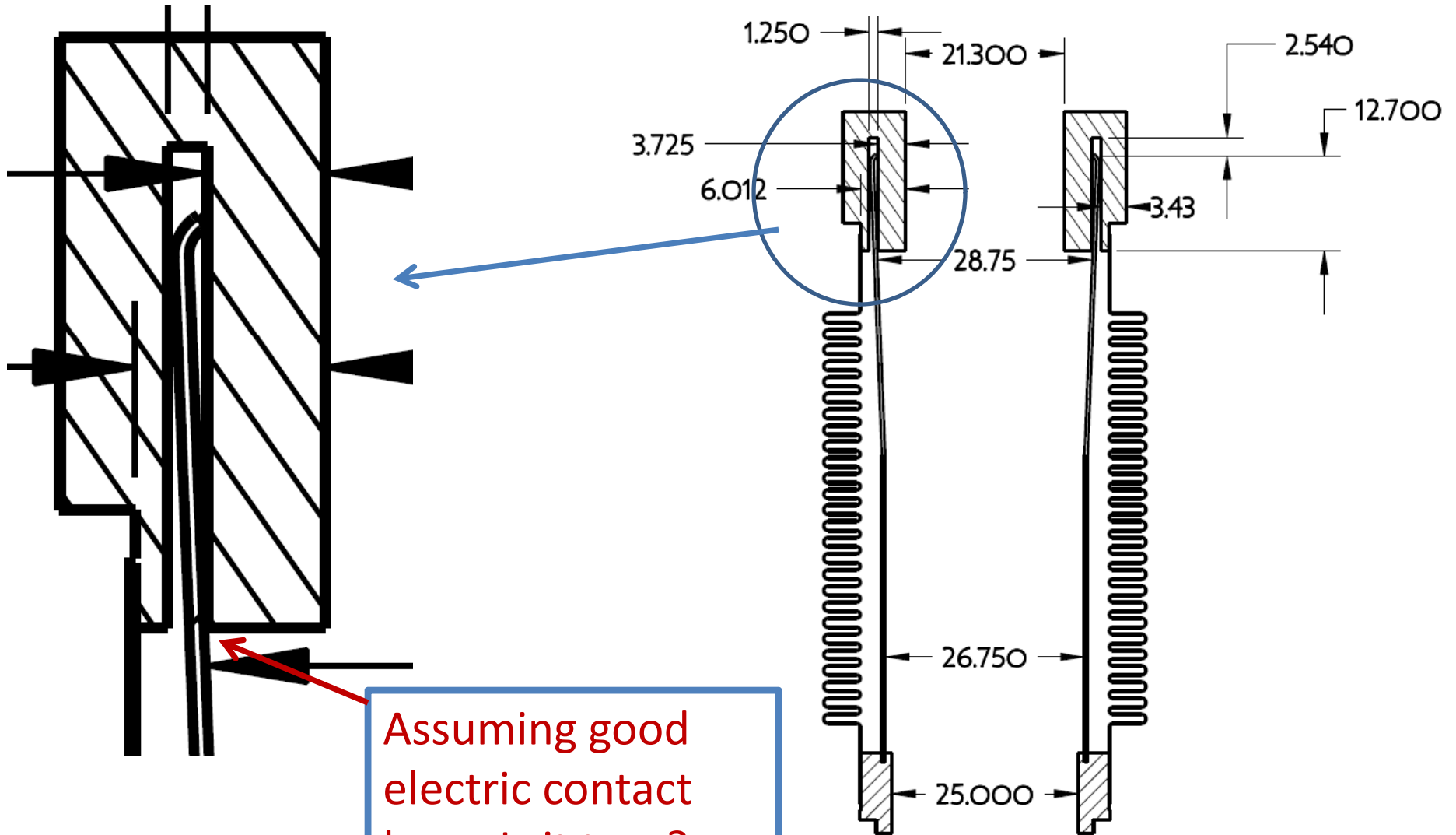
CONCEPTUAL LAYOUT 12-18-07



DETAIL B
SCALE 1500

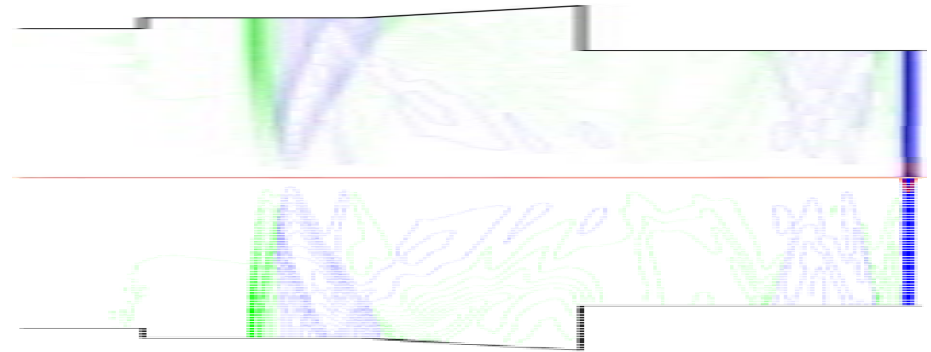
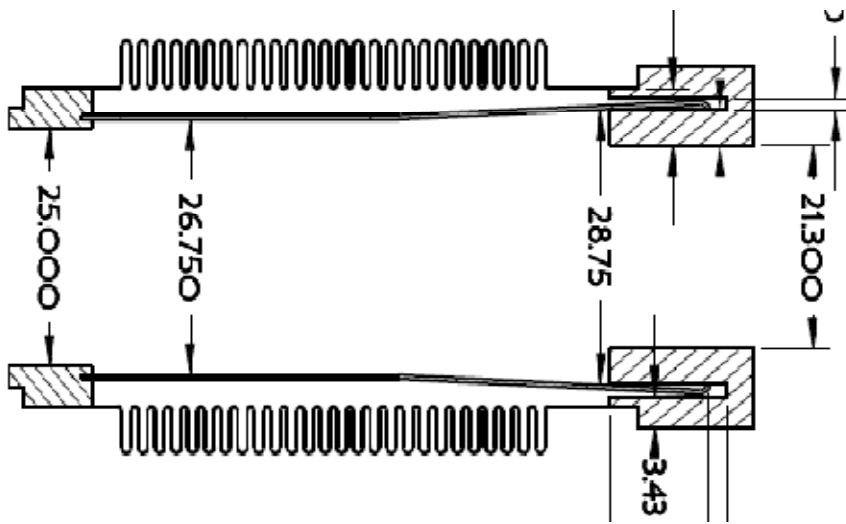
OUTSTANDING ECN NUMBERS	INTERPRET IN GENERAL ACCORDANCE WITH ASME Y14.24	international linear collider	BROOKHAVEN NATIONAL LABORATORY BROOKHAVEN SCIENCE ASSOCIATES UPTON, N.Y. 11973			
	UNLESS OTHERWISE SPECIFIED	DRAWN BY	TITLE:		REV.	
	DIMENSIONS ARE IN INCHES	DESIGN APPROVAL	INTERNATIONAL LINEAR COLLIDER			
	DECIMAL TOLERANCES	CHECKED BY	FINAL FOCUS QUADRUPOLE			
	.X ± .06	ENGINEER APPROVAL	R.F. FINGER CAVITY - EXTRACTION LE			
	.XX ± .02	SUPERVISOR APPROVAL	SIZE	DRAWING NUMBER:		
	.XXX ± .005	SAFETY APPROVAL	B			
	ANGULAR TOLERANCE ± 1°	Q.A. APPROVAL	Q.A. CATEGORY:	SCALE:	WEIGHT:	
	✓ BREAK SHARP EDGES				SHEET 1 OF	
	FINISH MAX. MIN.					

Bellows. Details.

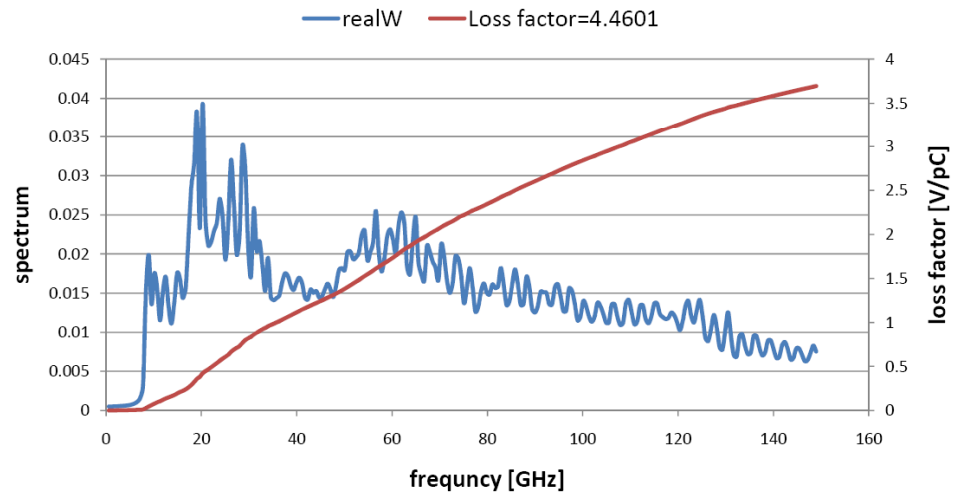


Assuming good electric contact here. Is it true?

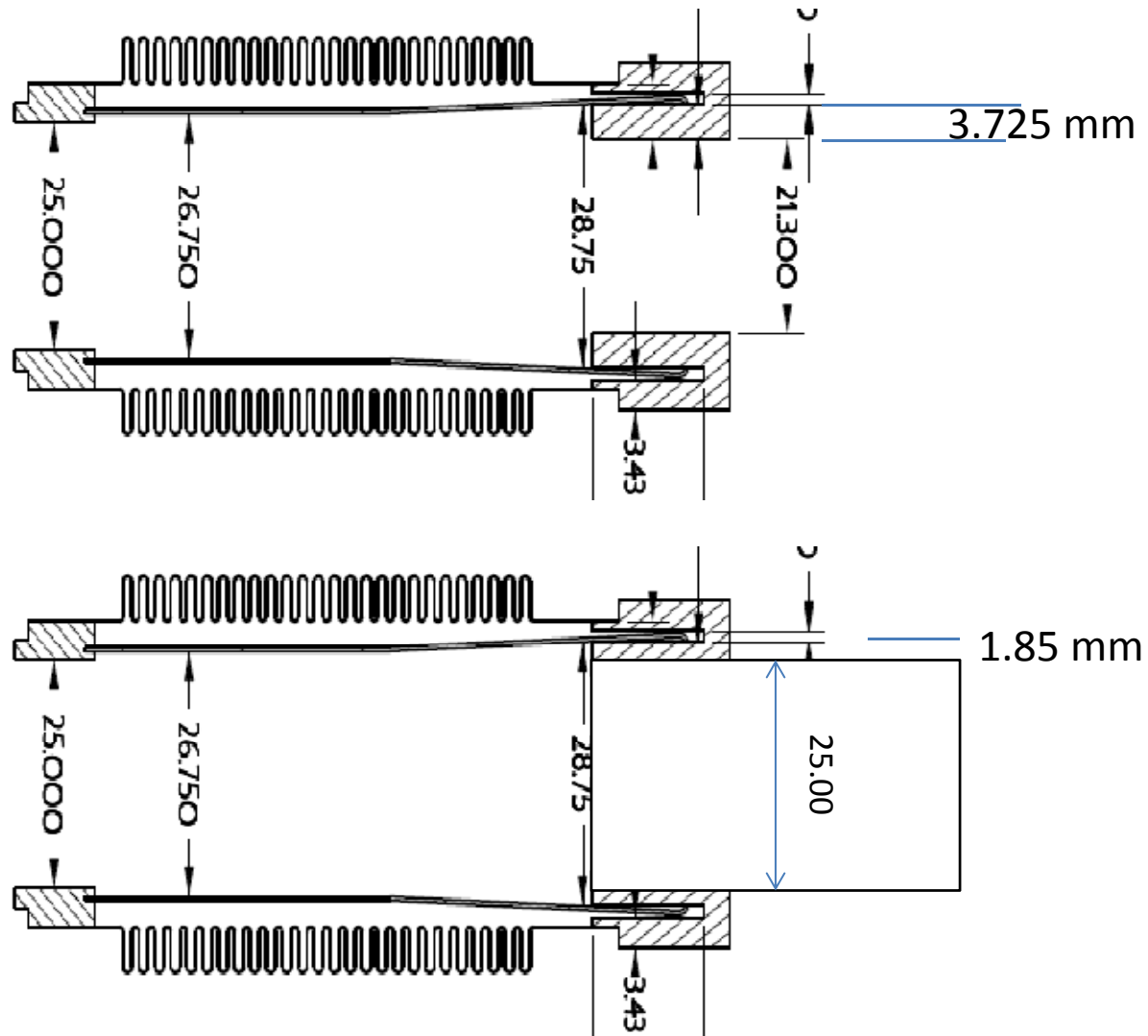
Fields and spectrum



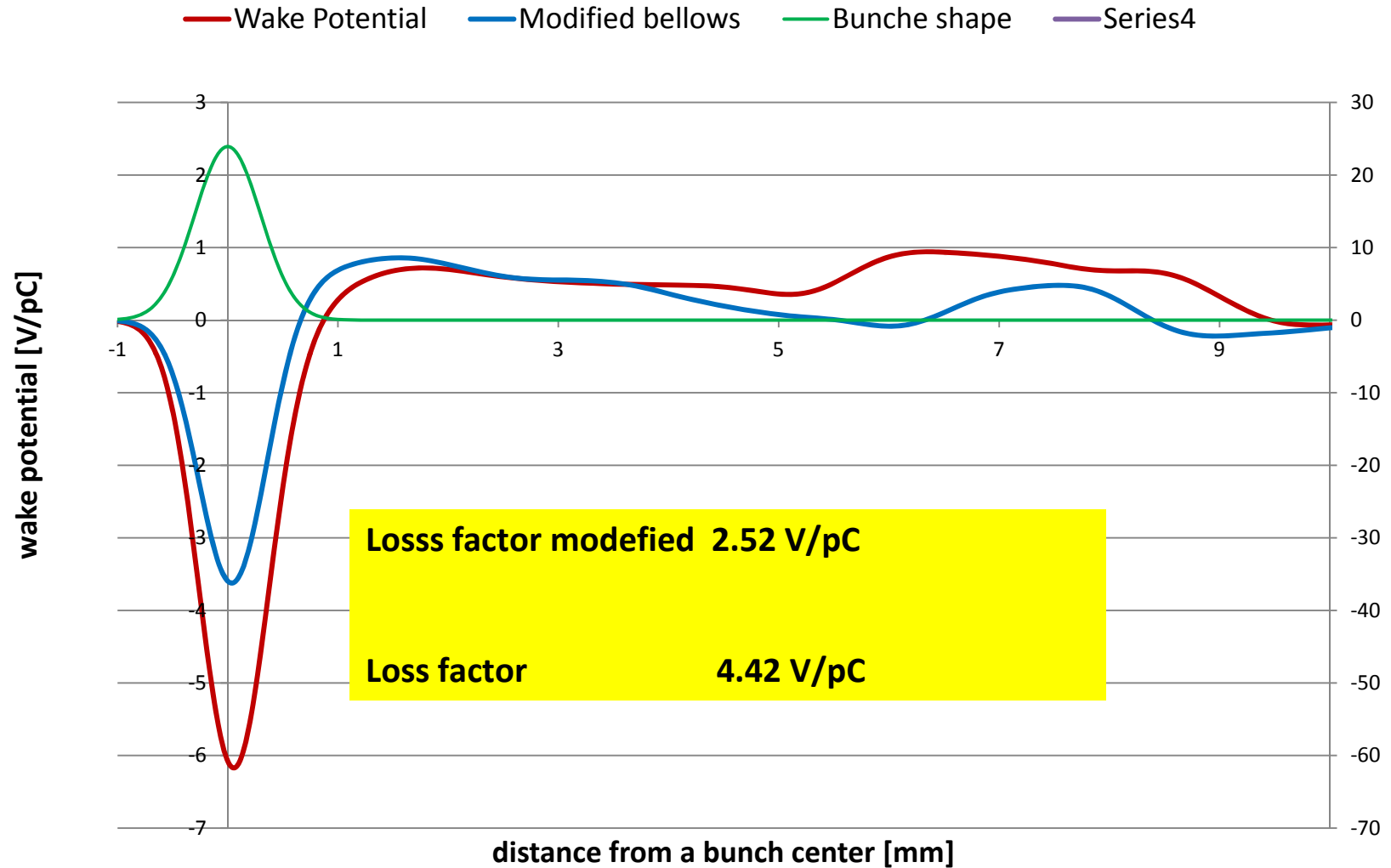
A bellows produces an additional power of **0.6 W** (averaged).



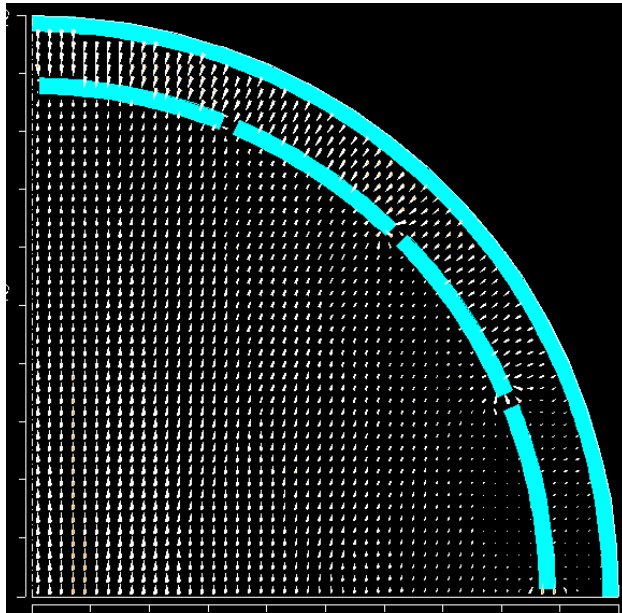
Can we reduce the loss factor?



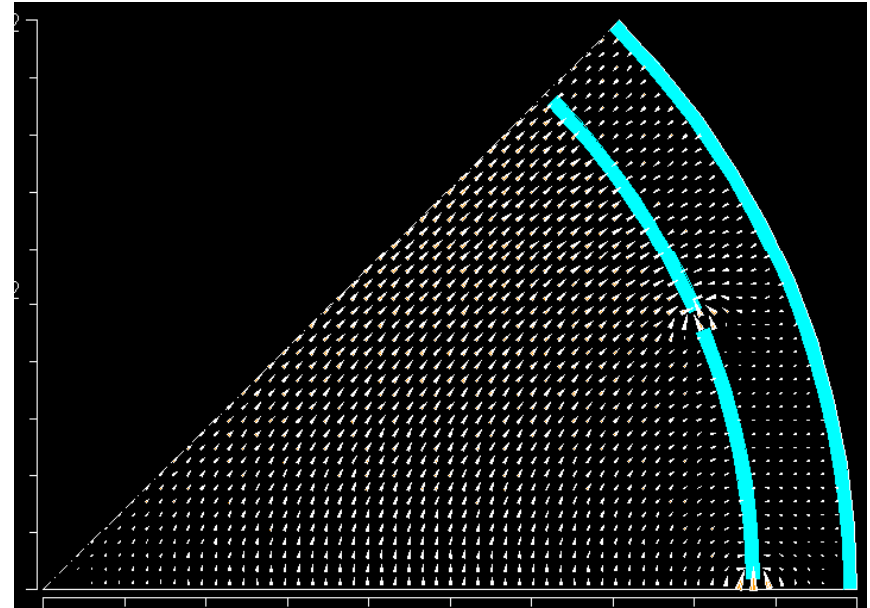
Wake potentials for two cases. 75% reduction



Coupling. Field distribution

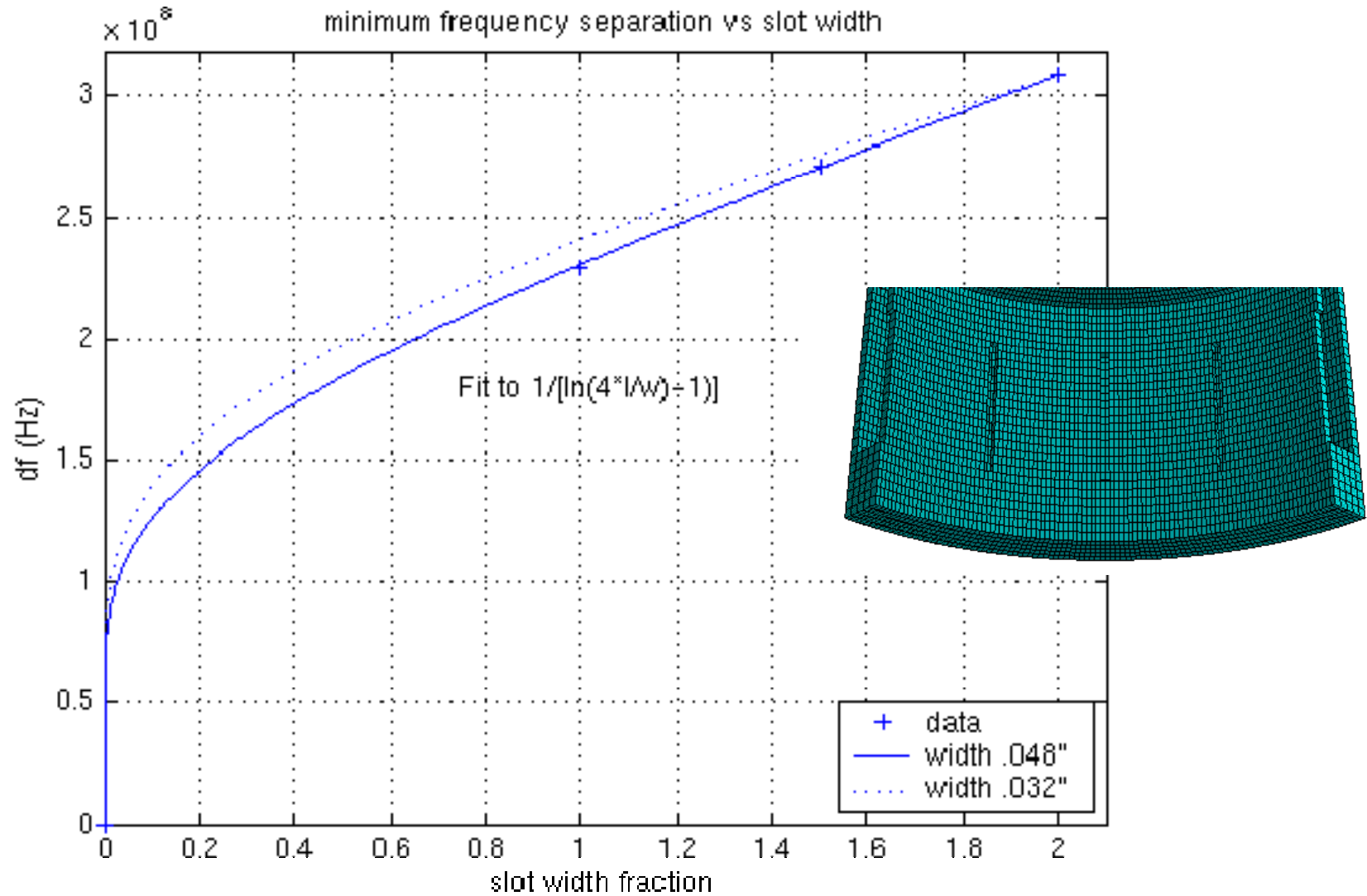


Dipole electric field



Quadrupole electric field

Coupling through the fingers

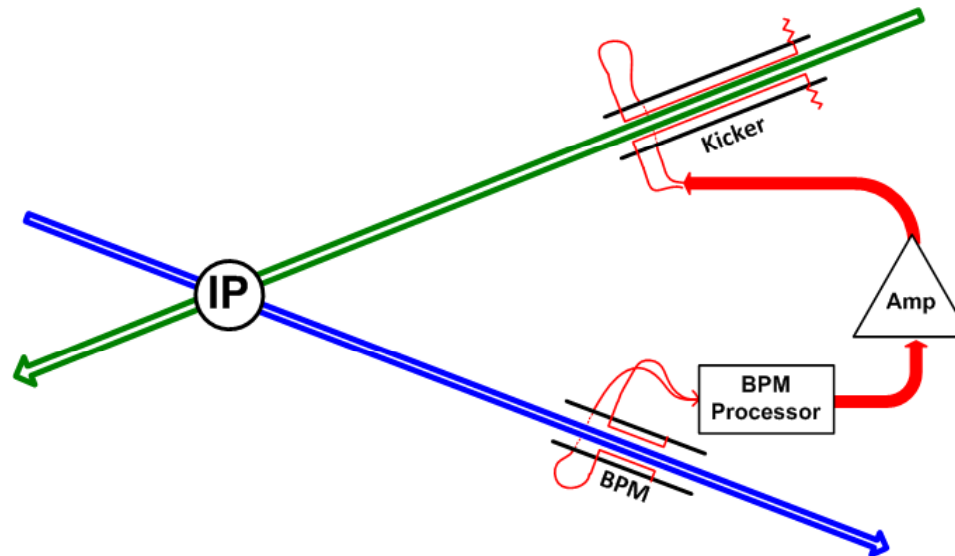


Following analysis

- May be by increasing the radius we will solve the bellow's problem, however
- To study modes inside a bellows cavity we need to know the exact geometry.
- The coupling through the shielded fingers depends mainly upon the number of fingers and the length of fingers.
- The modes, which can go through the fingers, may be excited by a beam at some vacuum chamber irregularities like it was in PEP-II vertex bellows.



ILC Intra-Train Feedback Steve Smith 9 September 2011



- Block diagram of feedback system. The deflection of the outgoing beam (blue) leaving the IP is measured in the BPM. Signal flow is in red. The kicker steers the incoming beam (green) into collision at the IP.

SLAC strip-line BPMs

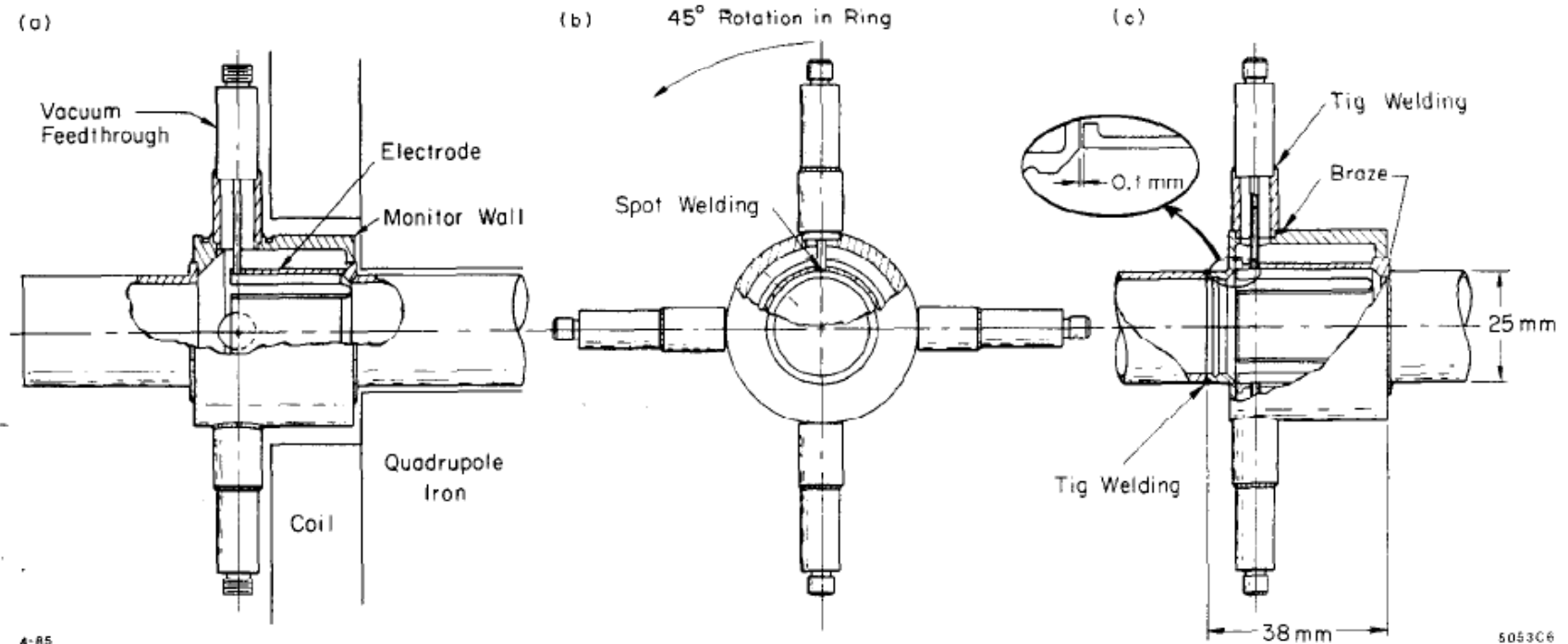
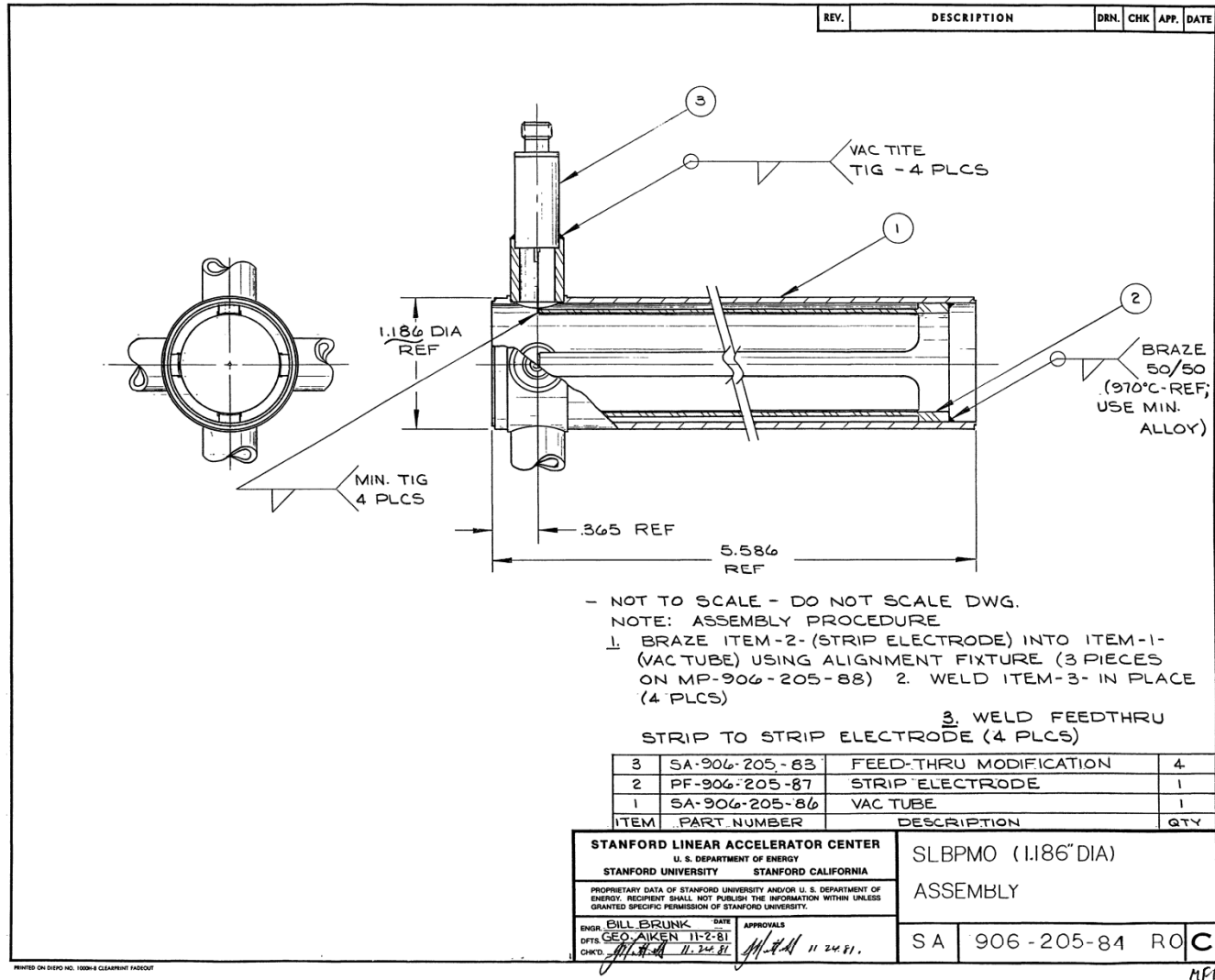
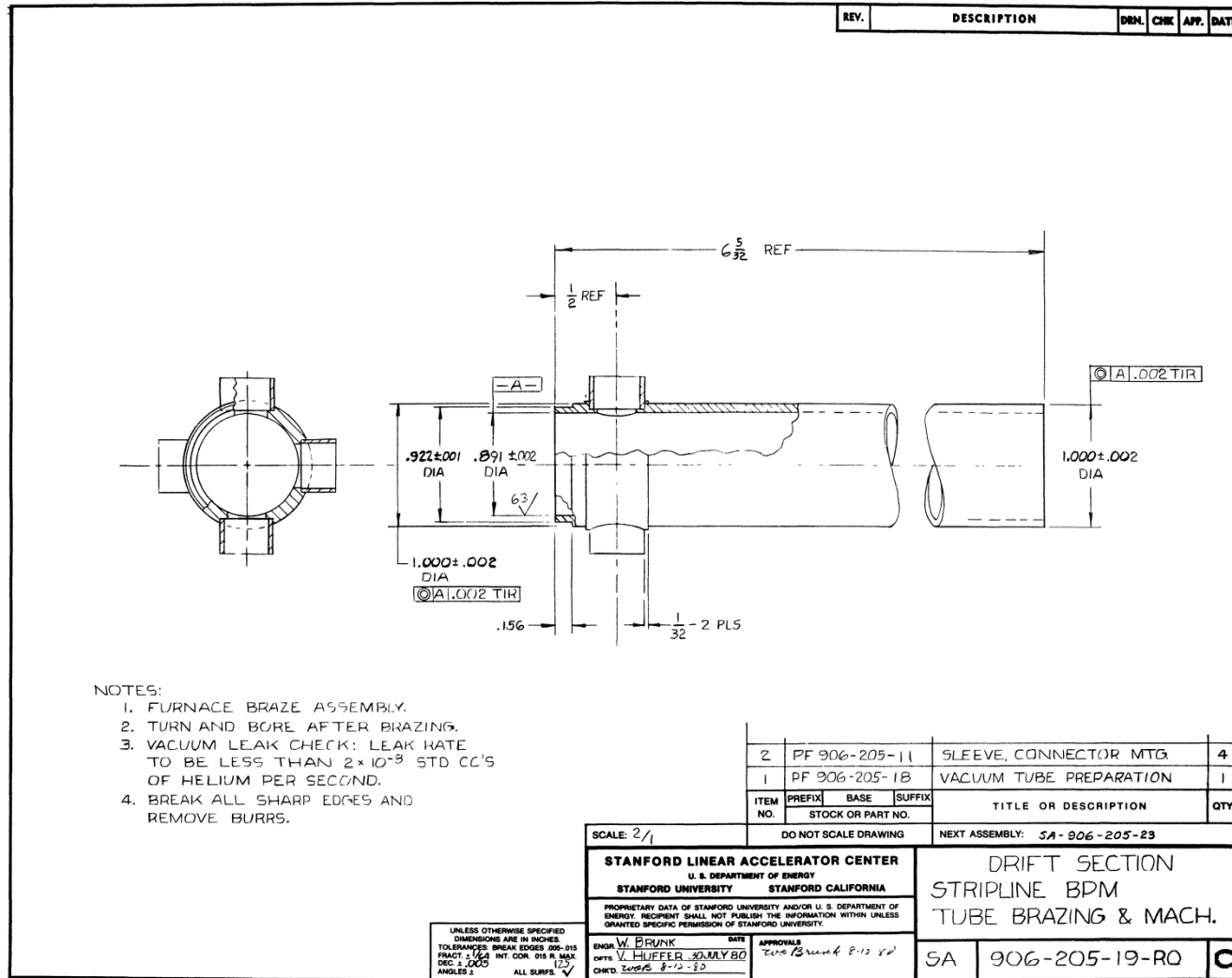


Fig. 5. Beam position monitor configurations: a) for beam transfer lines, b) general end view, and c) for the ring.

SLAC drawings

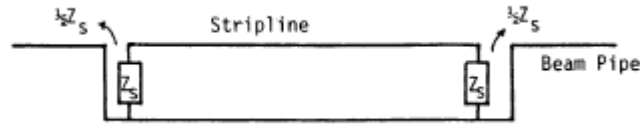


SLAC drawings



IMPEDANCES OF STRIP-LINE BEAM-POSITION MONITORS

KING-YUEN NG



$$V_u(t) = \frac{Z_s}{2} \left(\frac{\phi_0}{2\pi} \right) \left[I(t) - I\left(t - \frac{l}{\beta_p c} - \frac{l}{\beta_s c}\right) \right],$$

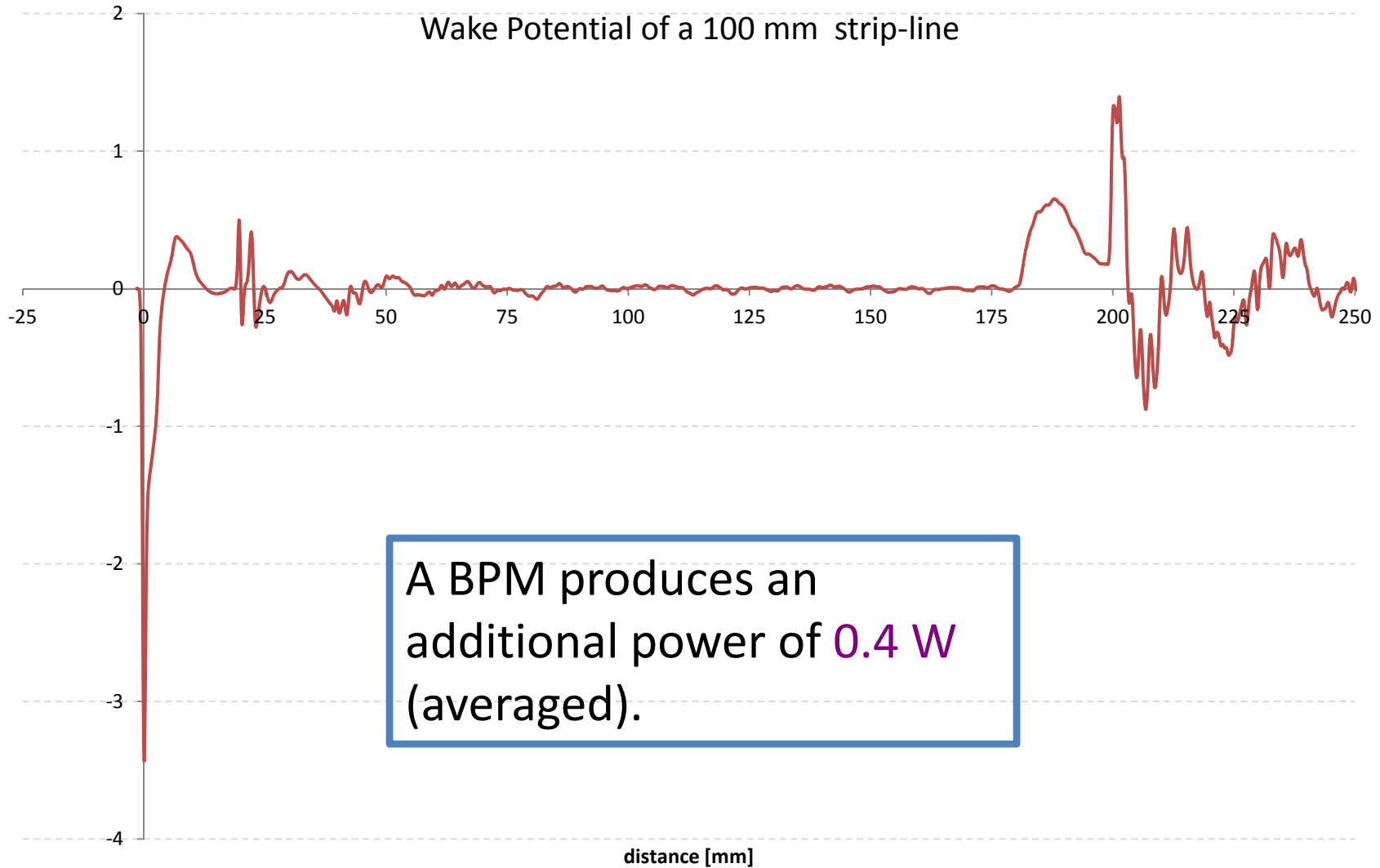
$$V_d(t) = \frac{Z_s}{2} \left(\frac{\phi_0}{2\pi} \right) \left[I\left(t - \frac{l}{\beta_s c}\right) - I\left(t - \frac{l}{\beta_p c}\right) \right].$$

$$(Z_{\parallel})_{\text{BPM}} = Z_s \left(\frac{\phi_0}{2\pi} \right)^2 \left(\sin^2 \frac{\omega l}{c} + j \sin \frac{\omega l}{c} \cos \frac{\omega l}{c} \right).$$

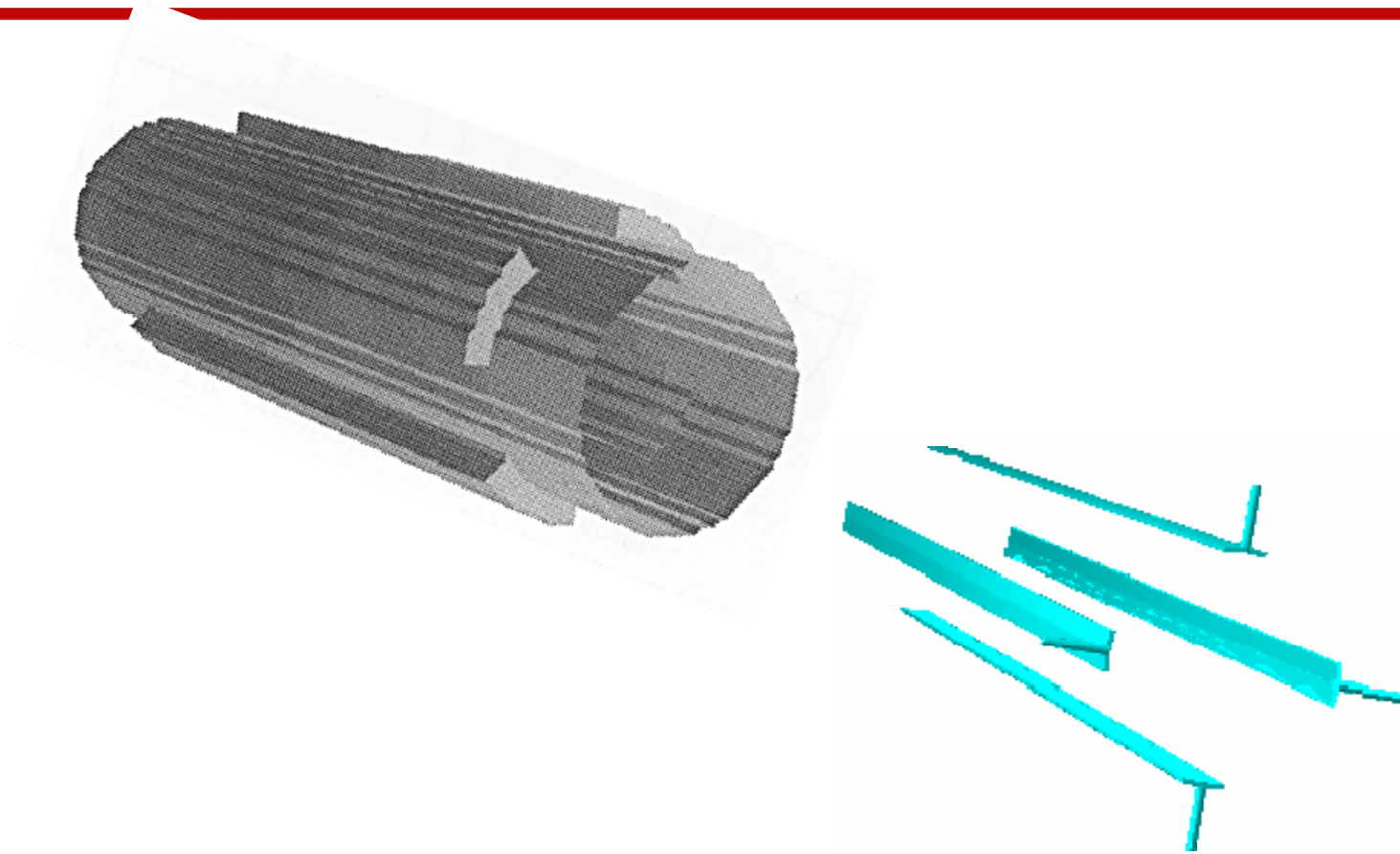
$$(Z_{\perp})_{\text{BPM}} = \frac{c}{b^2} \left(\frac{4}{\phi_0} \right)^2 \left(\sin^2 \frac{\phi_0}{2} \right) \left[\frac{(Z_{\parallel})_{\text{BPM}}}{\omega} \right]$$



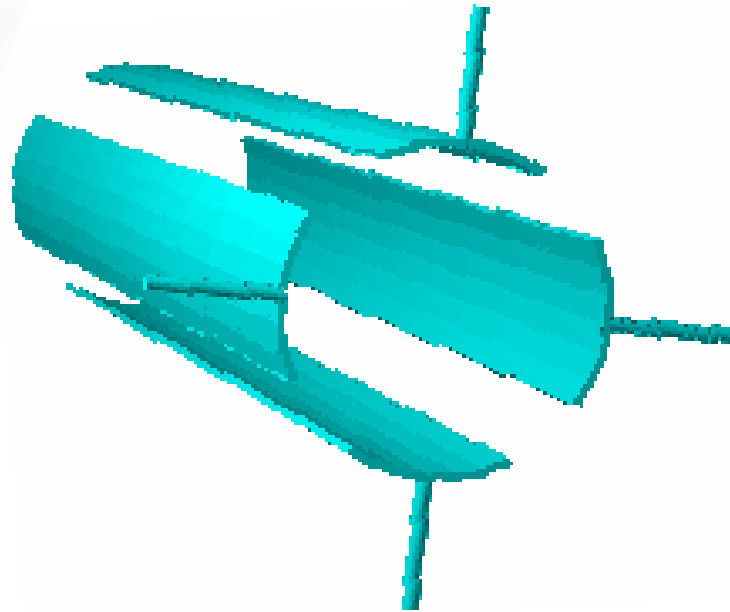
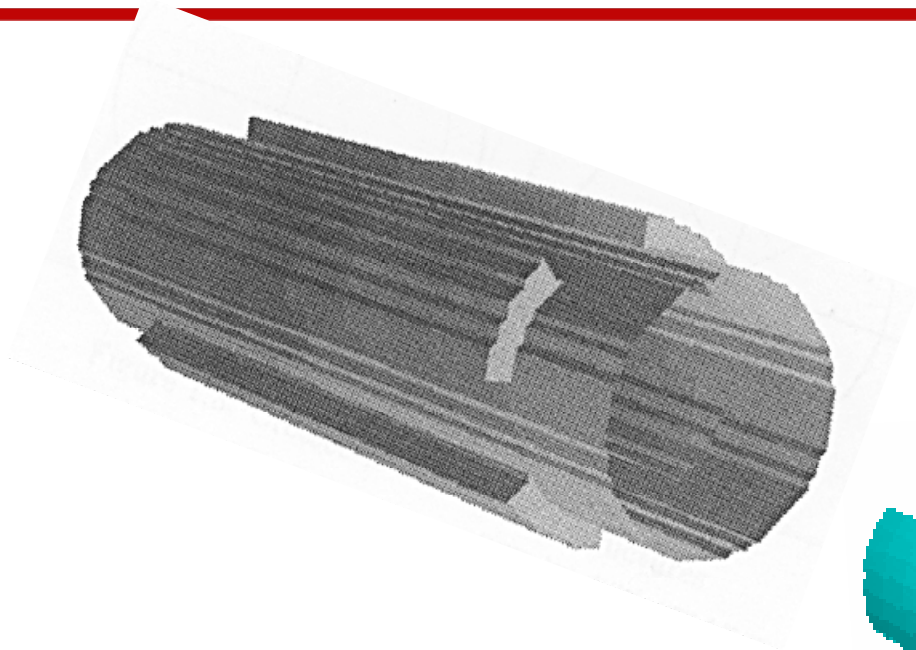
Strip-line BPM Loss factor=2.6133[V/pC]



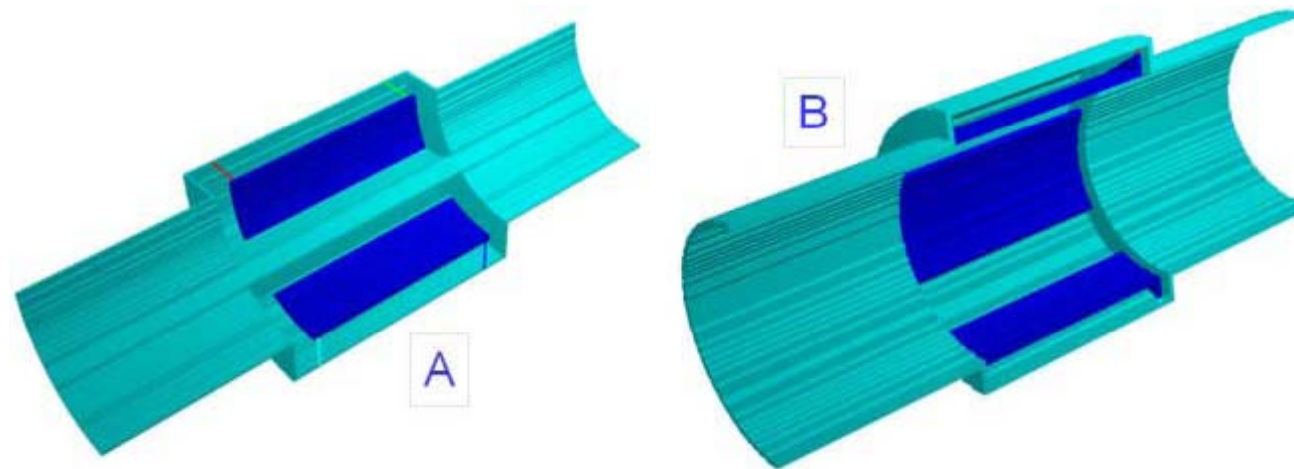
Strip-line kicker



Strip-line kicker



MAFIA models



Summary

- The amount of beam energy loss in IR is almost equal to the energy loss in one accelerating cryo-module.
- Additional energy spread accumulated in the IR is very small.
- Spectrum of the wake fields is limited to 300 GHz
- Average power of the wake fields excited in IR is around 30 W for nominal parameters (6 kW pulsed)
- In the QD0 region the additional losses are of 4W (averaged) . BPMs and kickers must be added.

