

Summary and Questions of multi-knobs

Compare reports of Okugi and Glen in July

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Okugi's report (Jul.13)

Linear knobs

- ΔX for FFsext \rightarrow change $\alpha_X, \alpha_Y, \eta_X, \eta_X'$
 - ΔX of SF6FF, SF5FF, SD4FF, SF1FF, SD0FF
 - make AX, AY, EX, EPX knobs orthogonal
 - One free parameter is used to make range of knobs large.
- ΔY for FFsext \rightarrow change $\eta_Y, \eta_Y', \langle x'y \rangle$
 - ΔY of SF6FF, SF5FF, SD4FF, SF1FF, SD0FF
 - make EY, EPY, Coup2 ($\langle x'y \rangle$) knobs orthogonal
 - Two free parameters are used to make range of knobs large
- Exact constraint of “range of knobs” is not clear ?
- SVD or similar method is used?

Non-linear knobs

- $\Delta K2$ of SF6FF, SF5FF, SD4FF, SF1FF, SD0FF
 - make X22, X26, X66, Y24, Y46 knobs orthogonal
($X_{mn} \sim T_{2mn}, Y_{mn} \sim T_{3mn}$)

Glen's report (Jul.20)

Linear Knobs

- $\langle x'y \rangle$, eta_y, alpha_y, T322, T326, apha_x, eta_x
- Ignore eta'
- Use x/y moves of FFS sextupoles
 - “Preferred solution is to exclusively use x/y moves of FFS sextupoles”
- Use Matlab “lsconv” function to solve linear least-squares problem:
 - $(A-M.K)'.diag(W).(A-M.K)$. Use weight vector W to control solution to give approximately orthonormal knobs.
- 10 free parameters (5 sextupoles, x and y) controlling 7 variables
 - Why only “approximately” orthogonal?
- Choice of W s seems ambiguous? How to optimize?

Comparison

- Linear knobs
 - Both use moves of sextupoles for
 - $\alpha X, \alpha Y, \eta X$ (x moves)
 - $\langle x'y \rangle, \eta Y$ (y moves)
 - $\eta X'$ and $\eta Y'$: cared by Okugi but ignored by Glen (?)
 - Making orthogonal to T326 and T322 is tried (?) by Glen.
- Higher order knobs
 - Okugi uses strength change of sextupoles for X22, X26, X66, Y24, Y46 (T122, T126, T166, T324, T346) knobs
 - Glen use sextupole moves for T326, T322 knobs (made with linear knobs)