

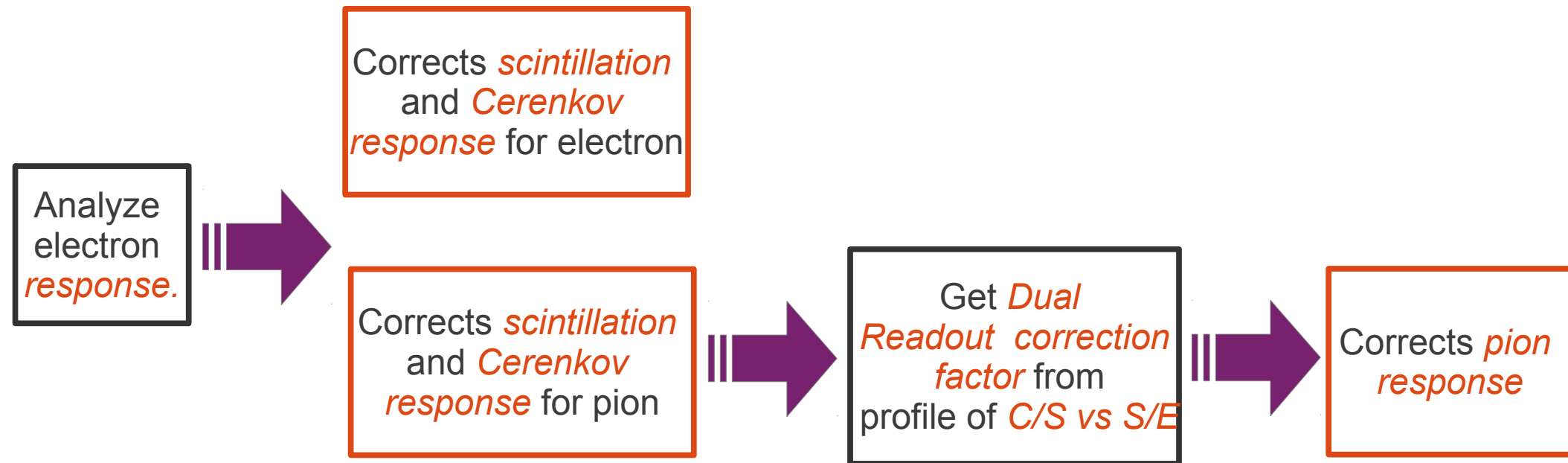
Simulation Studies of a Dual Readout, Total Absorption Calorimeter

Progress Report, July 6th 2012

Andrea Delgado

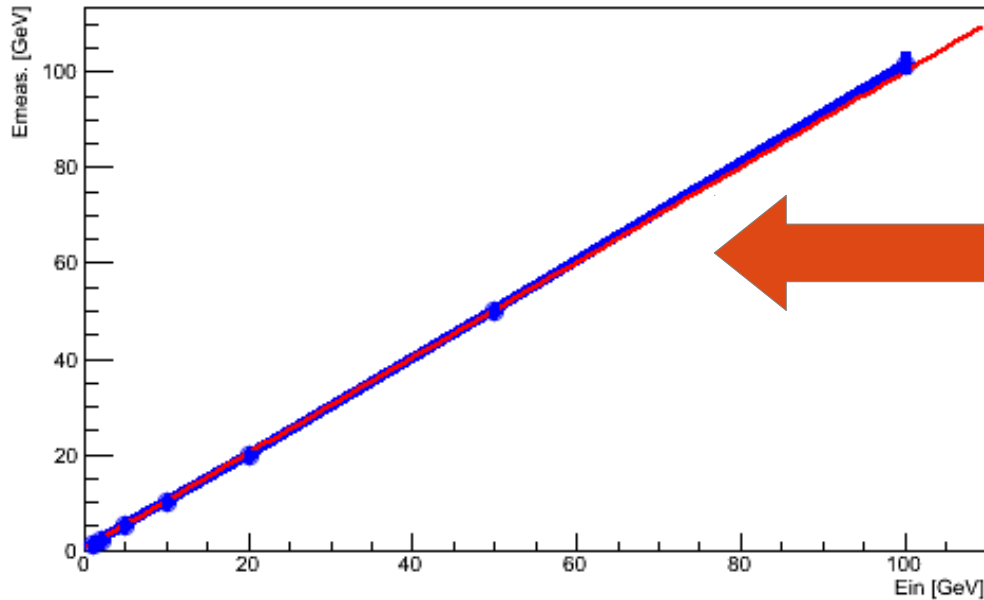
Calibration.cc

Routine to automate the *energy correction* for a *dual read out calorimeter*.



Electron Response Analysis (BGO)

electron scint. response



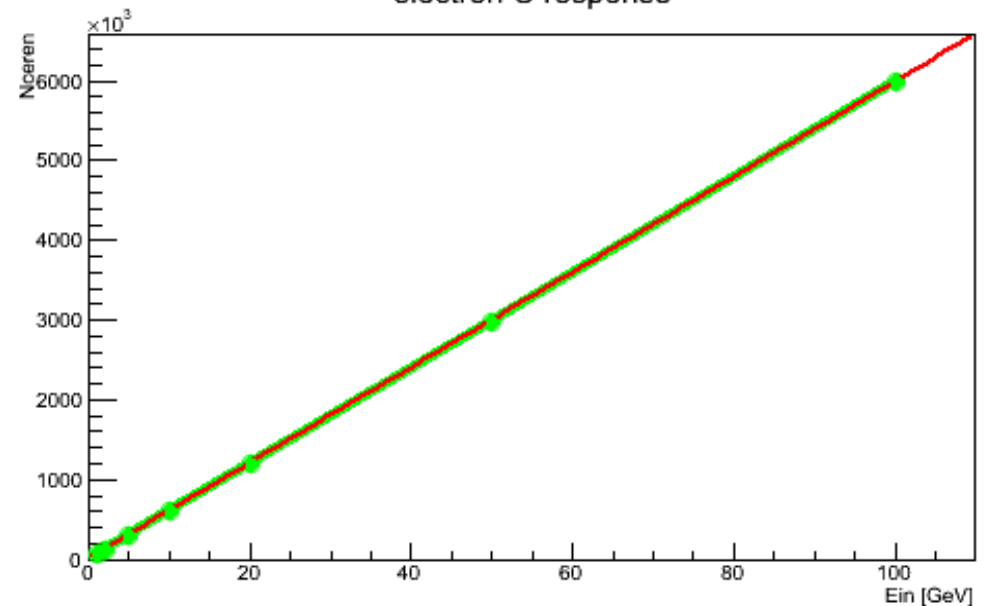
The slope of the curve is used as the correction factor for scintillation response scorr.

$$scorr = \frac{1}{m_{scint}}$$

$$ccorr = \frac{1}{m_{Ceren}}$$

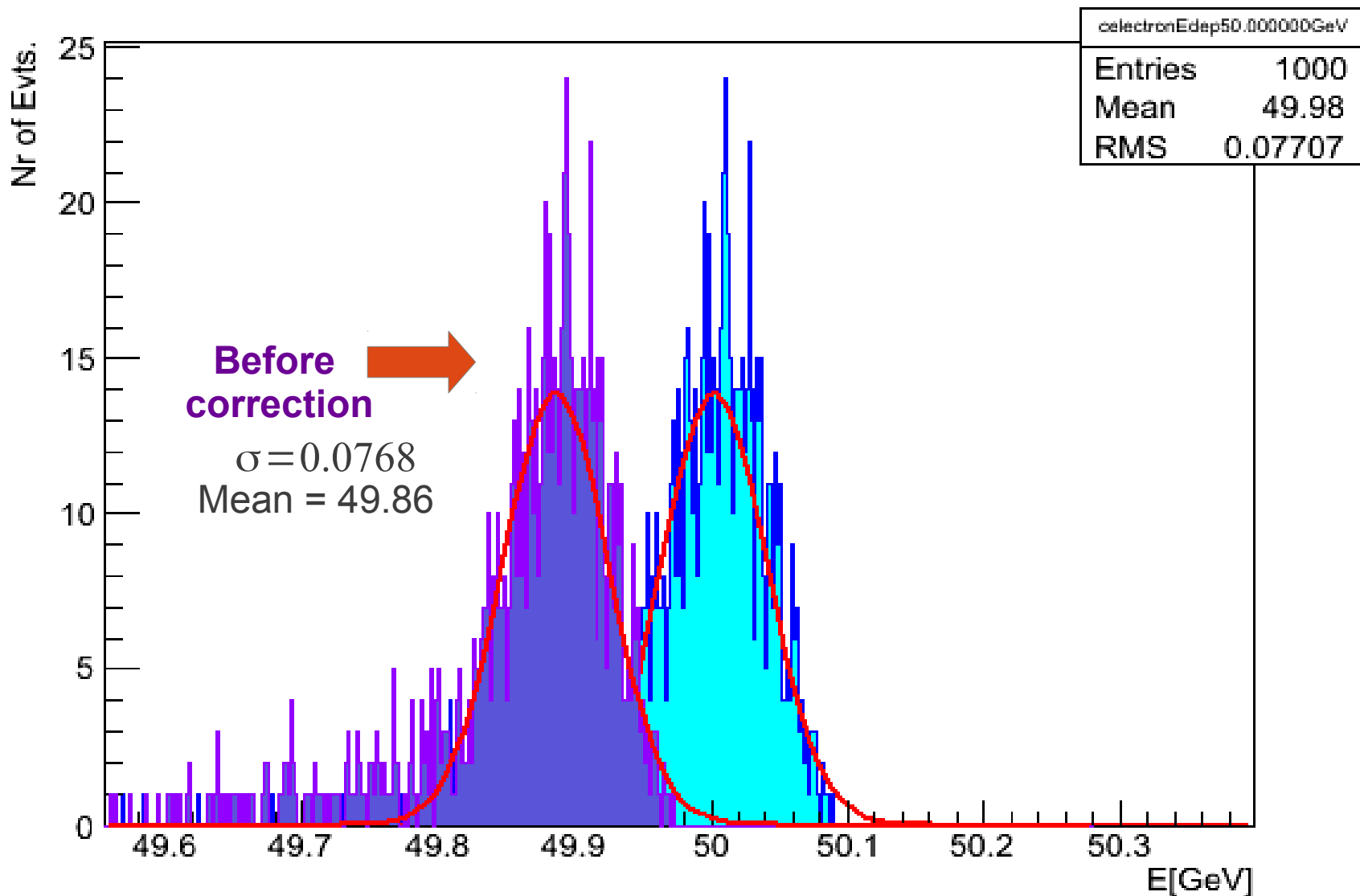
Simulation Studies

electron C response



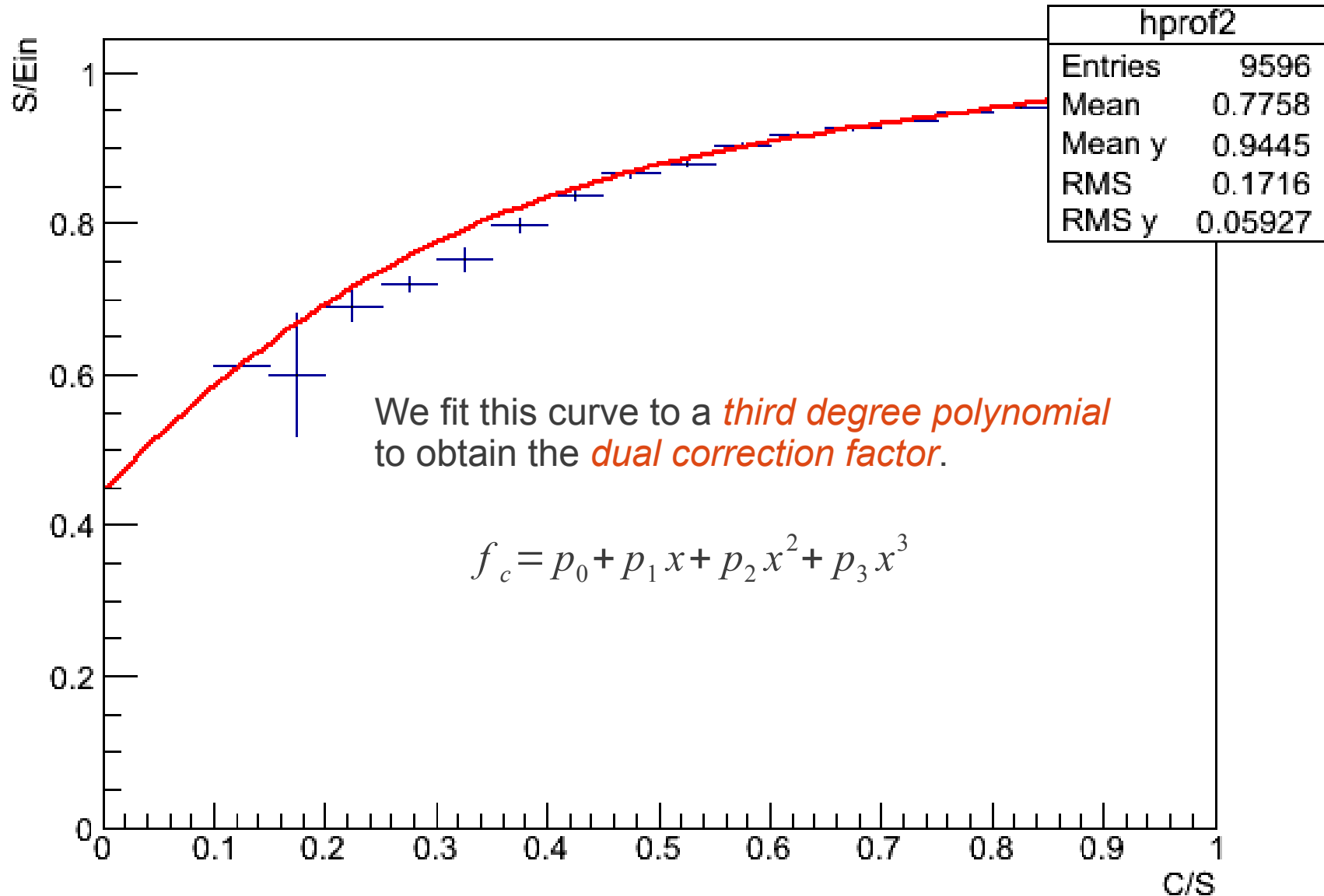
Electron Response Analysis (BGO)

electron total Energy deposition (corrected) (Ein 50.000000 GeV)



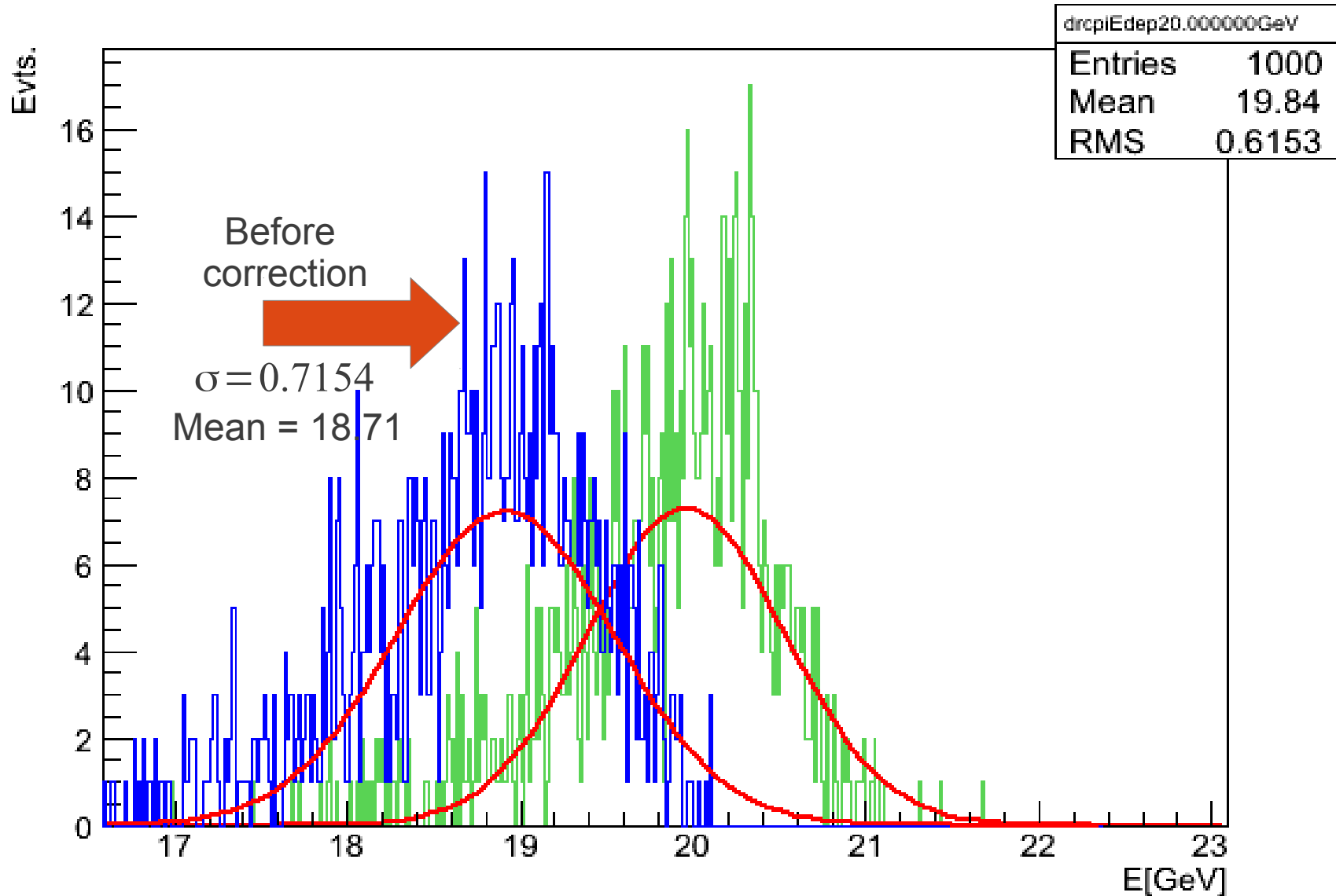
Dual Readout Correction (BGO)

S/E_{in} vs. C/S



Dual readout correction (BGO)

pion total Energy deposition (dr corrected) (Ein 20.000000 GeV)



Histogram Filling

In order to automate the *Calibration process*, we need the routine to be able to determine the range of the histograms by itself.

We calculate the *mean* of the histogram as well as the *standard deviation*. This allows us to center the histogram at the mean value and to set its *range to 5 standard deviations*.

We loop three times over the electron/pion indexes:

1. In the *first loop* we take the sum of energy deposited in all events and then divide by the latter to obtain the *mean energy deposition by event*.
2. In the *second loop* we calculate the *variance* by using the following formula where x represents the energy deposition in *event i* .

$$\frac{\sum (x_i - \text{Mean})^2}{\text{number of events}}$$

We obtain the *standard deviation* by taking the square root of the variance.

3. In the *third loop* we fill the histograms and write them to file.

Values for h_s & h_c for electromagnetic and π^0 fractions

From the formulas for *Dual readout response*:

$$\frac{E_{scint}}{E_i} = f_{em} + (1 - f_{em}) h_s$$

$$\frac{E_{Ceren}}{E_i} = f_{em} + (1 - f_{em}) h_c$$

We can solve for h_s and h_c :

$$h_s = \left(\frac{E_{scint}}{E_i} - f_{em} \right) \frac{1}{1 - f_{em}}$$

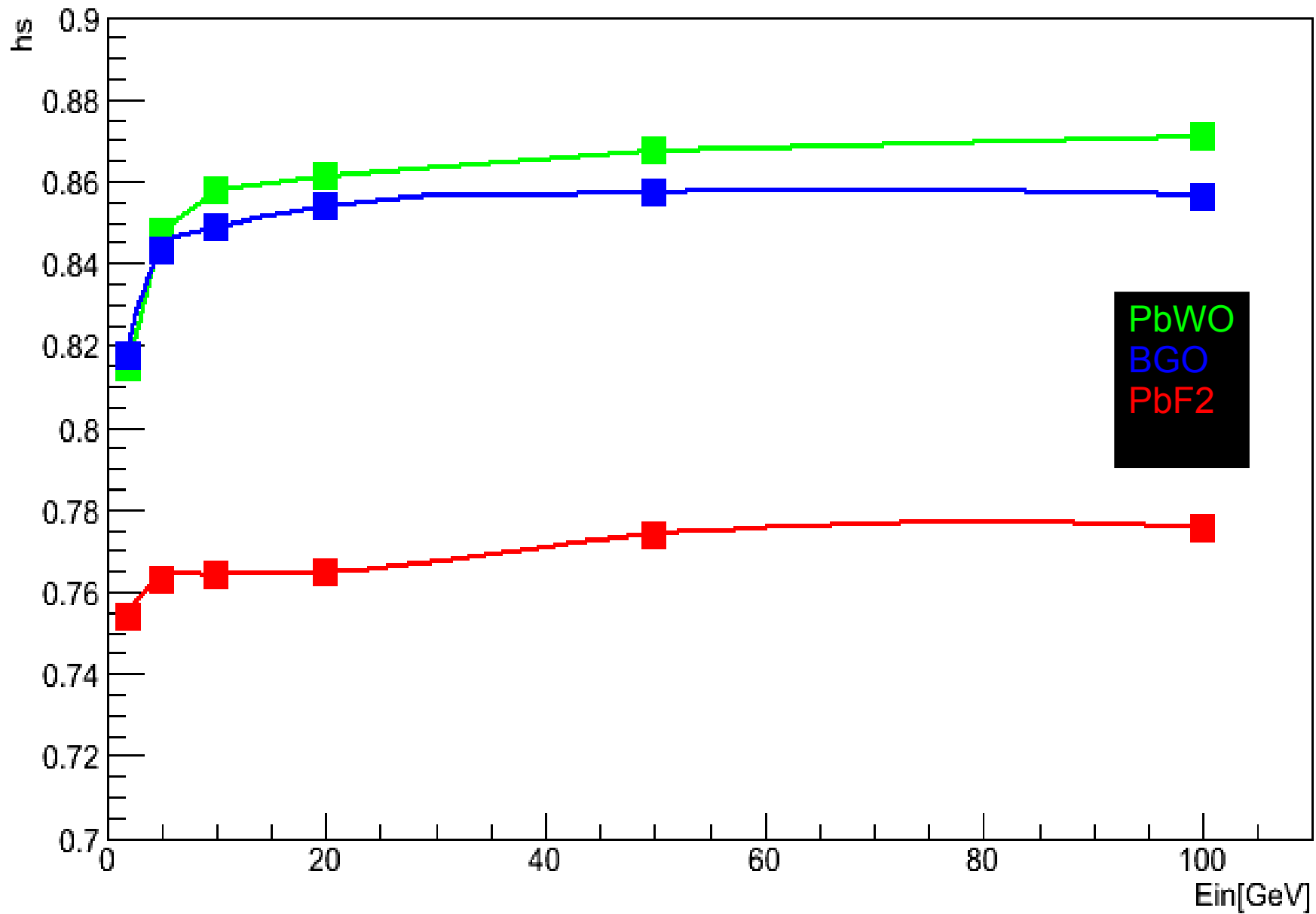
$$h_c = \left(\frac{E_{Ceren}}{E_i} - f_{em} \right) \frac{1}{1 - f_{em}}$$

Values for hs & hc for electromagnetic and pi0 fractions

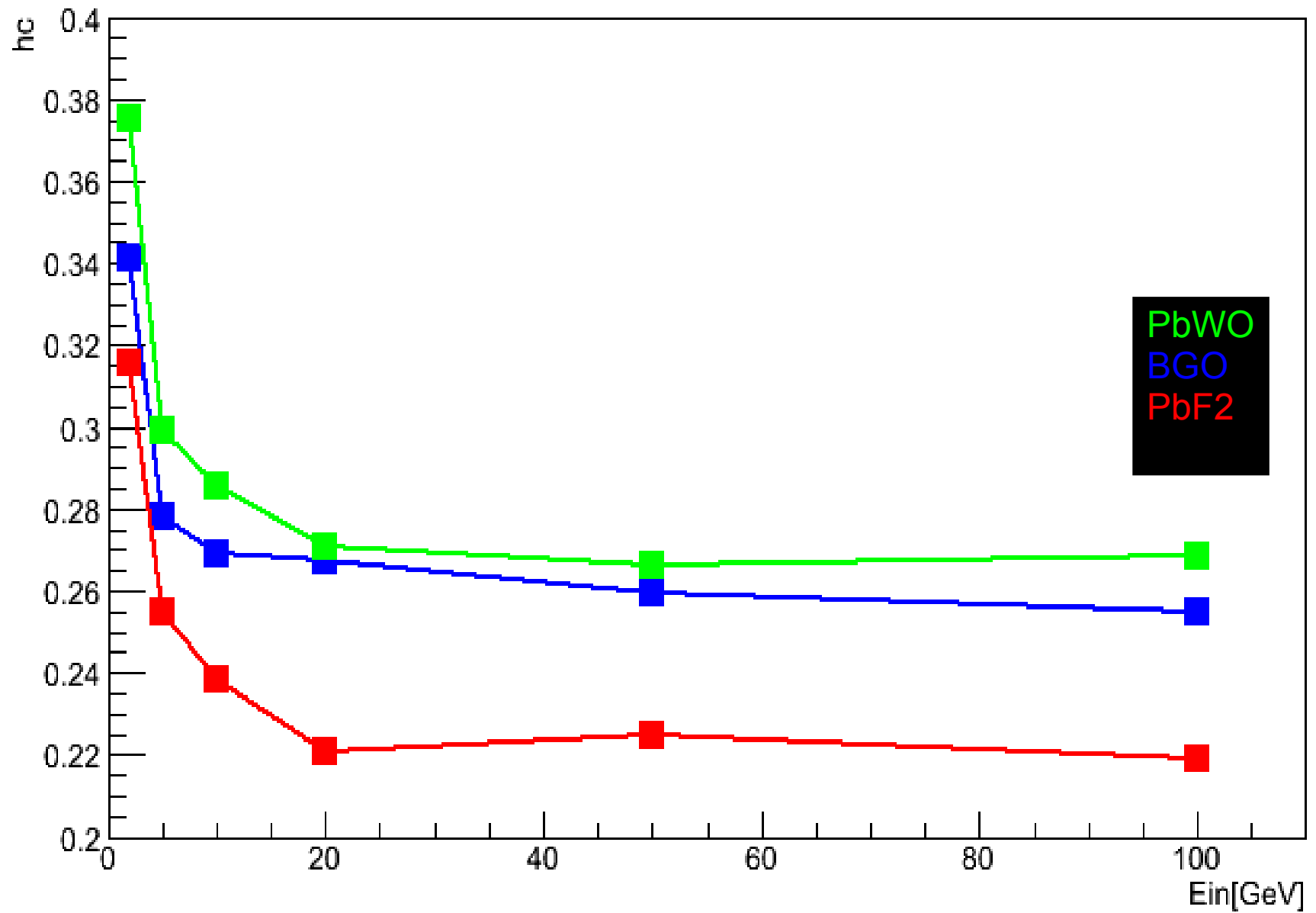
Energy [GeV]	PbF_2				BGO			PbWO		
	$\langle f_{em} \rangle$	hs	hc	$\langle f_{em} \rangle$	hs	hc	$\langle f_{em} \rangle$	hs	hc	
2	0.3472	0.7537	0.3156	0.404	0.8173	0.3412	0.4333	0.8144	0.3754	
5	0.4167	0.7626	0.2549	0.4599	0.8429	0.2753	0.4883	0.8473	0.2989	
10	0.4787	0.7642	0.2385	0.5067	0.8484	0.2688	0.5363	0.8579	0.2855	
20	0.5199	0.7642	0.2205	0.5669	0.8536	0.2674	0.5937	0.8608	0.2706	
50	0.5892	0.7733	0.225	0.6169	0.8571	0.2593	0.6328	0.8676	0.2662	
100	0.6156	0.7753	0.2193	0.6550	0.8562	0.2546	0.6703	0.8706	0.2685	

Energy [GeV]	PbF_2			BGO			PbWO		
	hs	$\langle f_{\pi^0} \rangle$	hc	hs	hc	$\langle f_{\pi^0} \rangle$	hs	hc	$\langle f_{\pi^0} \rangle$
2	0.8113	0.4571	0.1189	0.8654	0.5185	0.1309	0.8706	0.5656	0.213
5	0.8521	0.4441	0.1924	0.883	0.4905	0.2211	0.898	0.5379	0.196
10	0.8327	0.4615	0.2485	0.8812	0.4795	0.3069	0.9082	0.5504	0.2497
20	0.8362	0.4621	0.2959	0.8858	0.4803	0.3883	0.9139	0.5589	0.3039
50	0.8493	0.4873	0.3714	0.8862	0.4615	0.4668	0.921	0.5692	0.3673
100	0.8015	0.3944	0.5109	0.8852	0.4538	0.5172	0.9247	0.5801	0.4205

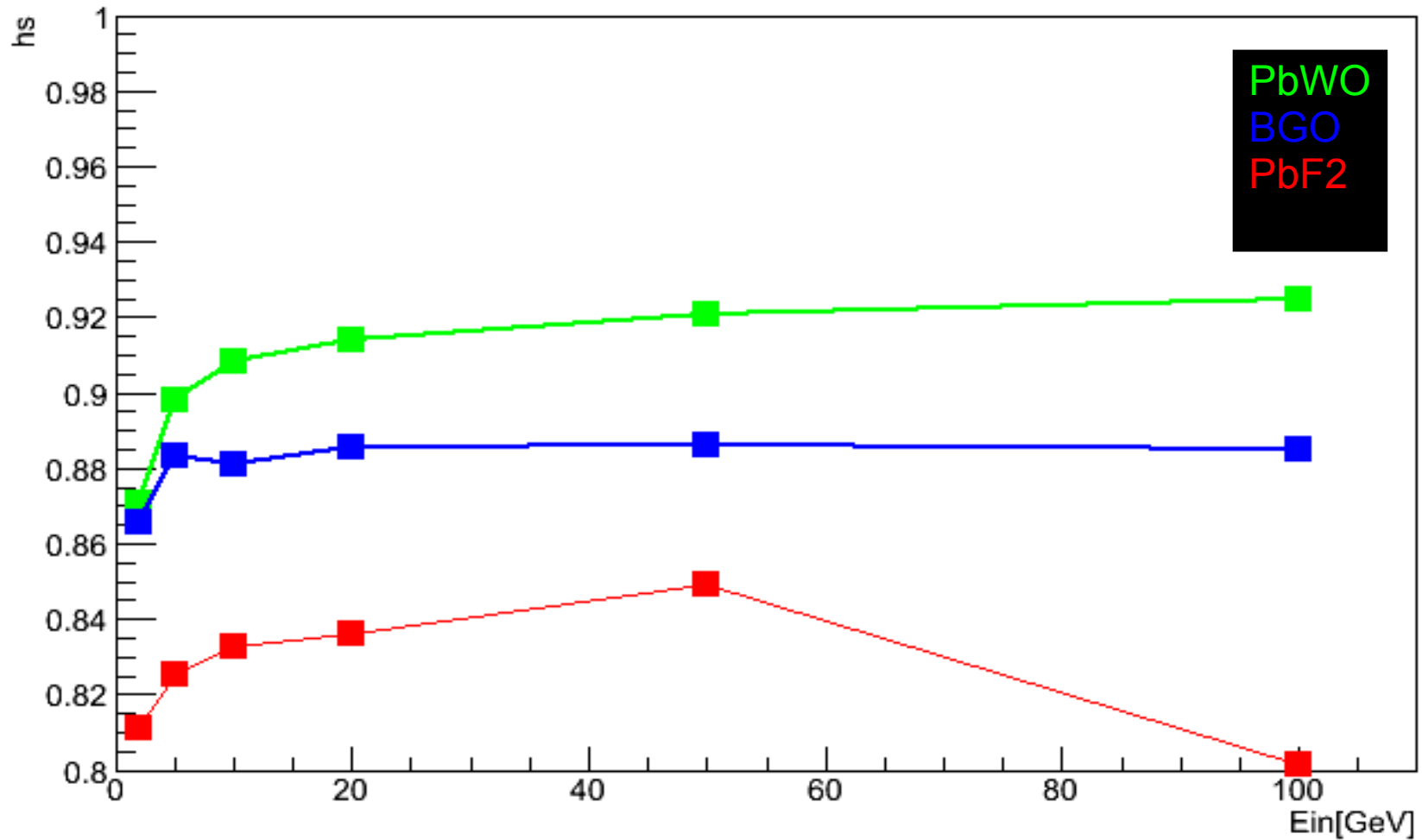
hs(FEM)



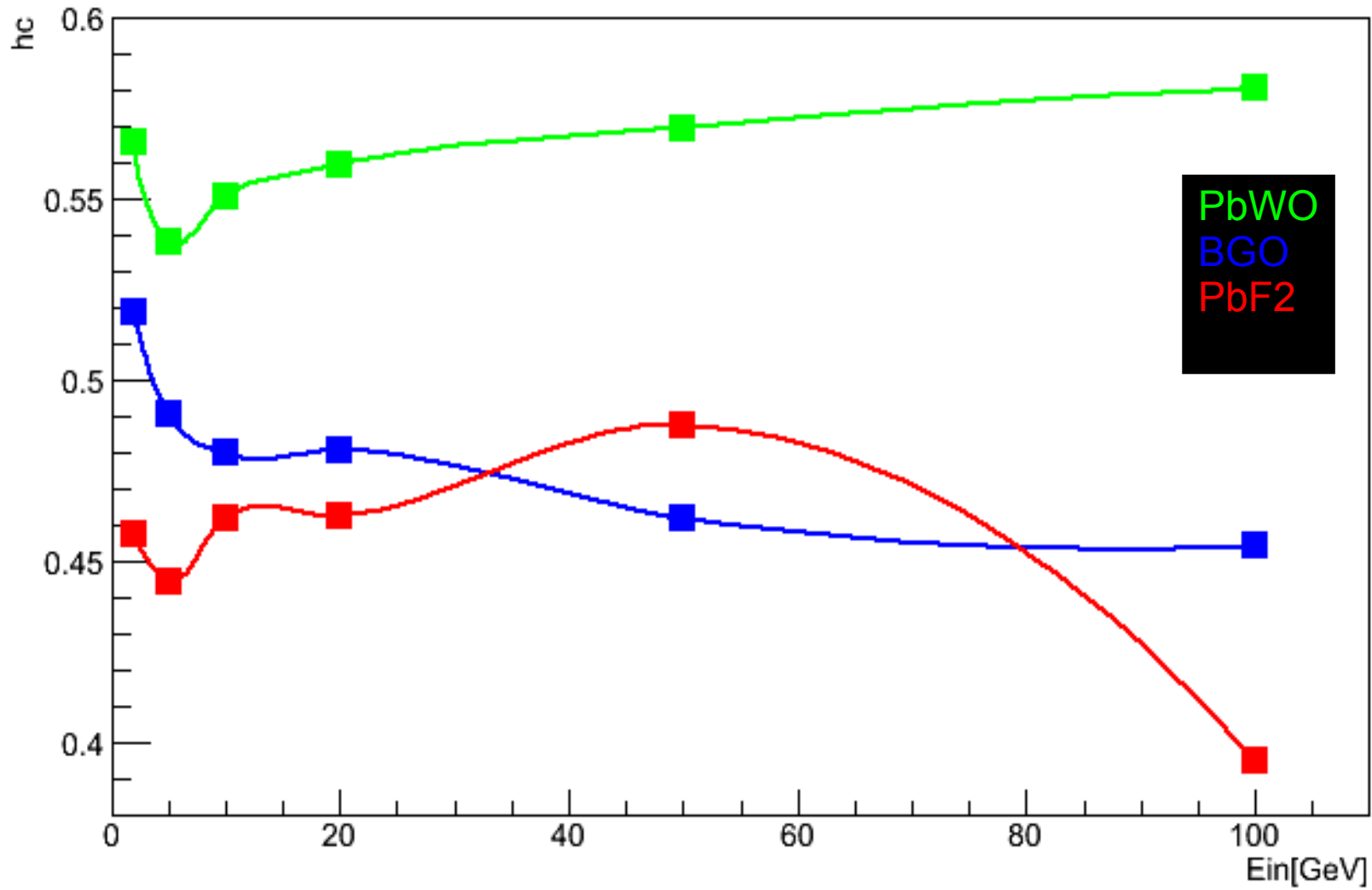
hc(FEM)

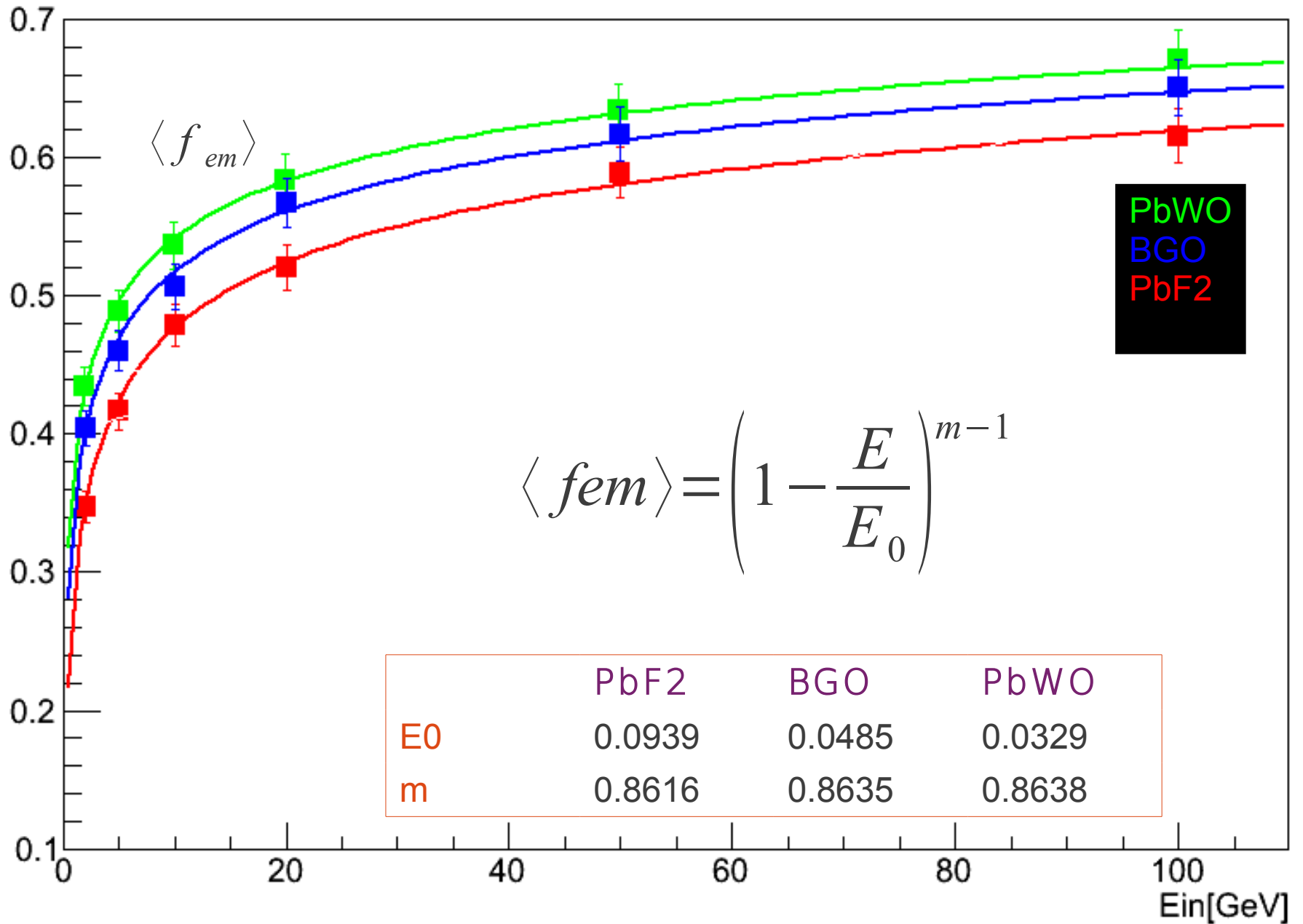


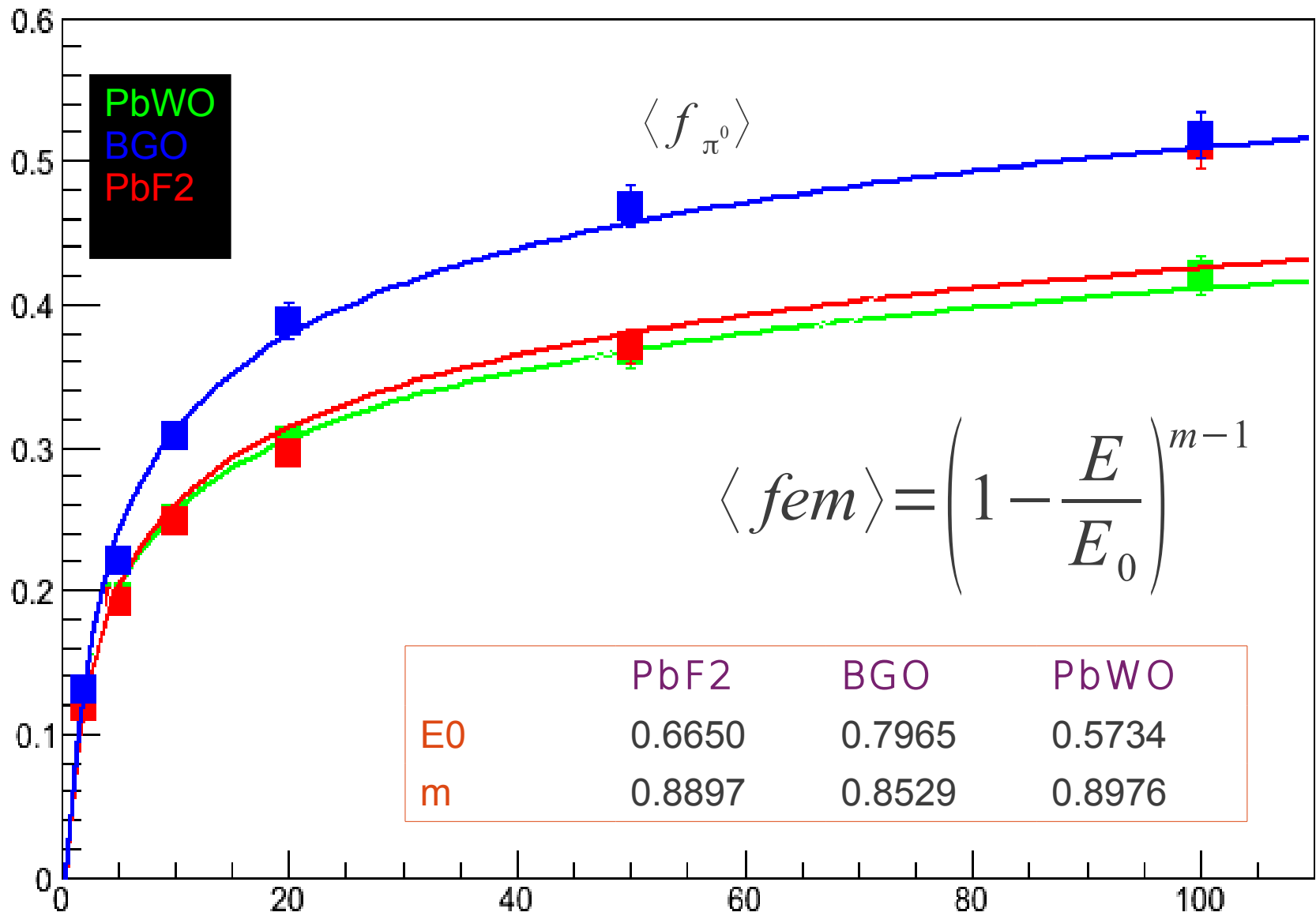
hs(Pi0)



hc(Pi0)







Future Work

- Introduce sampling function to Calibration.cc routine to explore how this calibration process will work.
- Understand the behavior of Lead Fluoride Calorimeter response for high energy- incoming particles (above 200 GeV)