

Stau NLSP Pair Production @ ILC 500GeV

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TALK CONTENTS

- why stau pair production?**
- stau mass & lifetime**
- Analysis & sensitivity**
- lifetime & mass measurements**
- future plan**

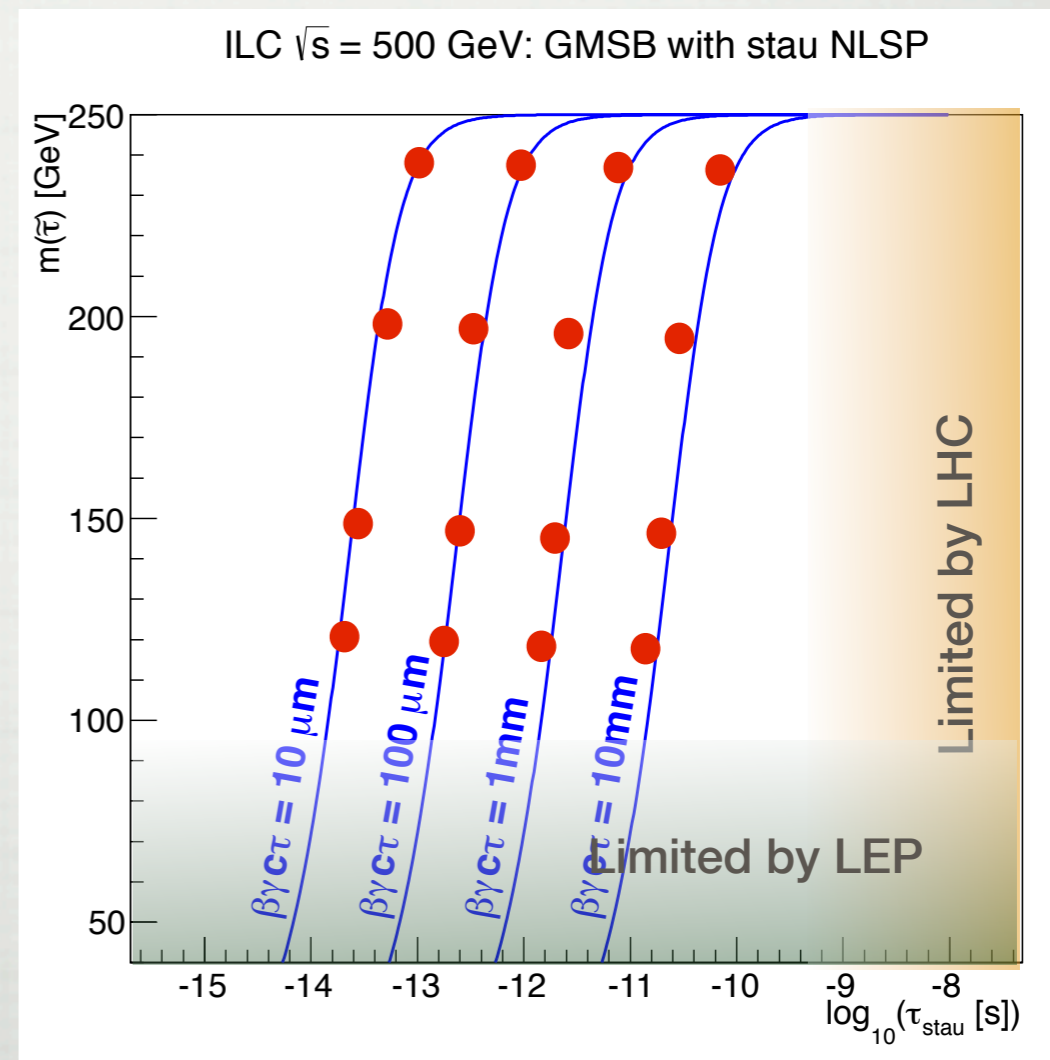
stau lifetime&mass

lifetime upper limit @LHC
stable stau < 360GeV is excluded

mass lower limit @ LEP
stau < 90 GeV is excluded

Benchmark point

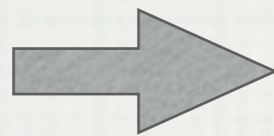
- Mass 120GeV~240GeV
- Lifetime $10\mu\text{m}\sim 10\text{mm}$



Supersymmetry Breaking

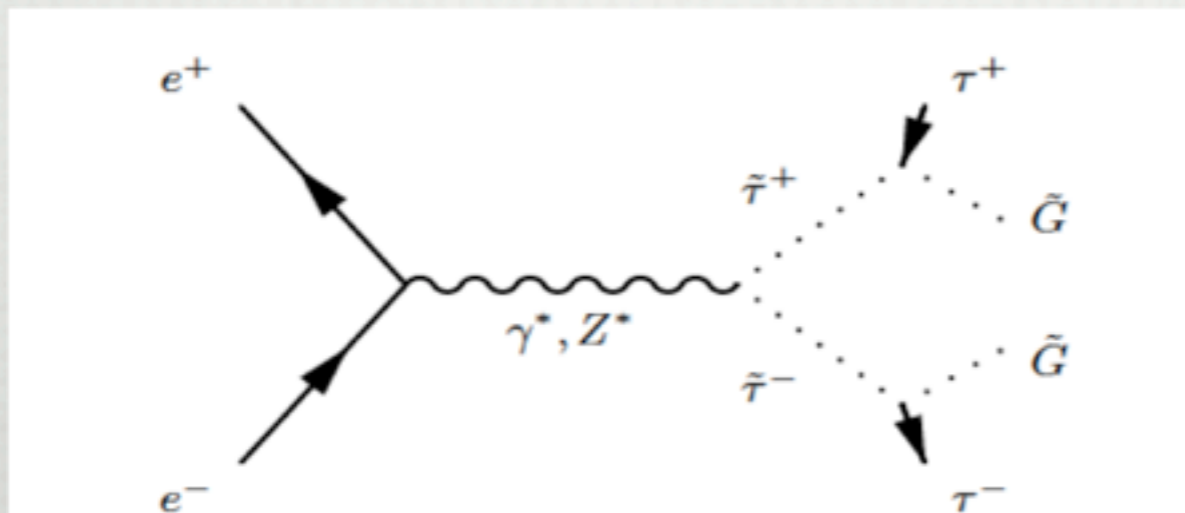
No Breaking $\longleftrightarrow M_{\text{SUSY}} \simeq M_{\text{SM}}$
 \longrightarrow **Soft Breaking term**

■ Gauge Mediated Symmetry Breaking (GMSB)



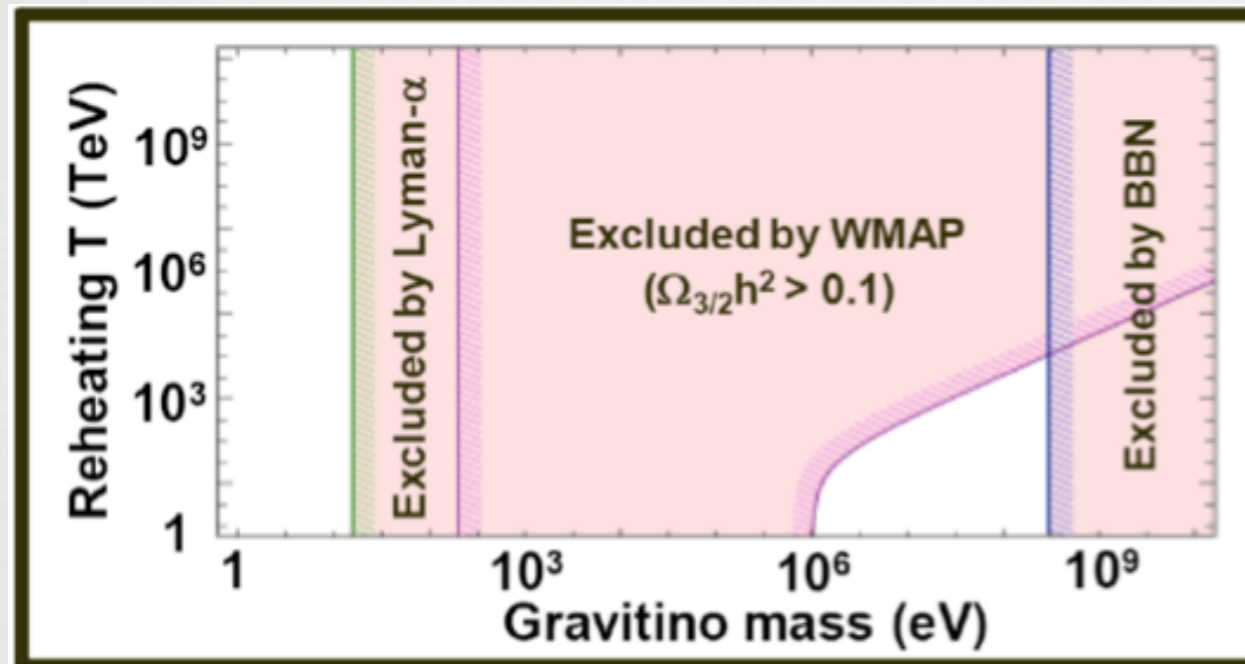
- Solve SUSY Flavor Problem
- Gravitino LSP

■ Decay mode : Stau- \rightarrow Tau+Gravitino



We observe particles decayed from tau lepton

Low Scale Gravitino mass $m_{3/2} \sim \mathcal{O}(10)eV$



Free from constraint of reheating Temperature

Stau lifetime and mass \longrightarrow Gravitino Mass

$$\tau_{\tilde{\tau}} = 48\pi M_{pl}^2 m_{3/2}^2 / m_{\tilde{\tau}}^5 \simeq 5.9 \times 10^{-12} \times \left(\frac{m_{3/2}}{10eV}\right)^2 \left(\frac{m_{\tilde{\tau}}}{100GeV}\right)^{-5} \quad [\text{arXiv 1104.3624v1}]$$

Stau mass and lifetime sensitivity is important.

Other decay modes can be considered..

[Bhattacharyya Bhattacharjee, Yanagida, Yokozaki arciv 1304.2508v2]

■ **Stau** \longrightarrow **Tau + Axino** $\tilde{\tau} \longrightarrow \tau \tilde{a}$

■ **Stau** \longrightarrow **Tau + Neutrino (RPV)** $\tilde{\tau} \longrightarrow \tau \nu_e, \tau \nu_\mu$

Stau Search strategy is applicable in these modes.

common signature : Tau + missing energy

EVENT SELECTION

■ **Signal** $\tilde{\tau}^+ \tilde{\tau}^- \rightarrow \tau^+ \tau^- \tilde{G} \tilde{G}$

• 1-prong decay (85%)

$$\tau \rightarrow e \nu \bar{\nu} (17.82\%)$$

$$\tau \rightarrow \mu \nu \bar{\nu} (17.39\%)$$

$$\tau \rightarrow \pi \nu \nu (10.91\%)$$

$$\tau \rightarrow \pi \pi^0 \nu (25.51\%)$$

• 3-prong decay (15%)

■ **Background**

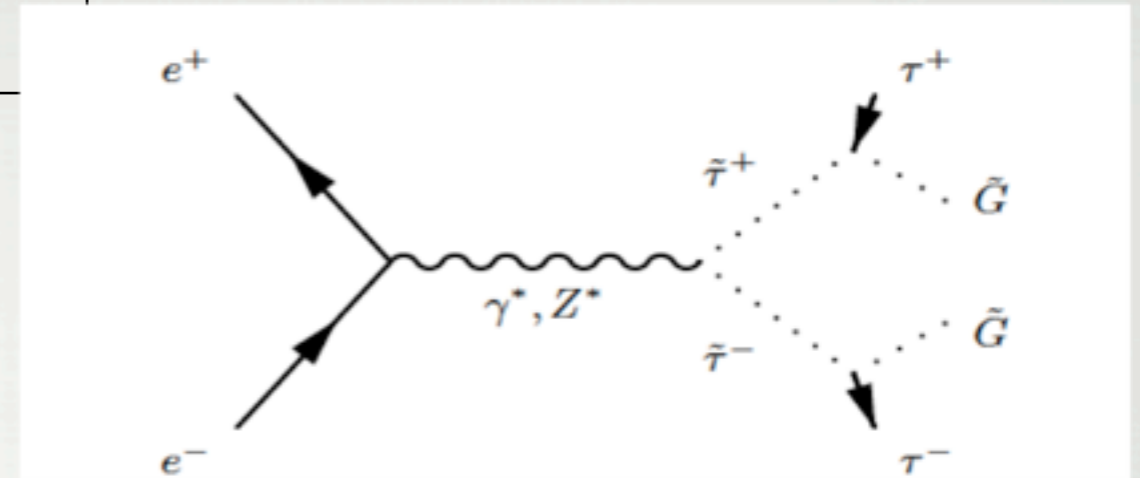
• main background

$$e^+ e^- \rightarrow W^+ W^- \rightarrow l^+ l^- \nu \bar{\nu} \quad e^+ e^- \rightarrow Z Z \rightarrow l^+ l^- \nu \bar{\nu}$$

$$e^+ e^- \rightarrow Z/\gamma \rightarrow l^+ l^-$$

• large cross section

$$e\gamma \rightarrow e l^+ l^- \quad e^+ e^- \rightarrow e^+ e^- \text{ (bhabha)} \quad \gamma\gamma \rightarrow l^- l^+$$



CUT FLOW (ex. 200GeV 100um)

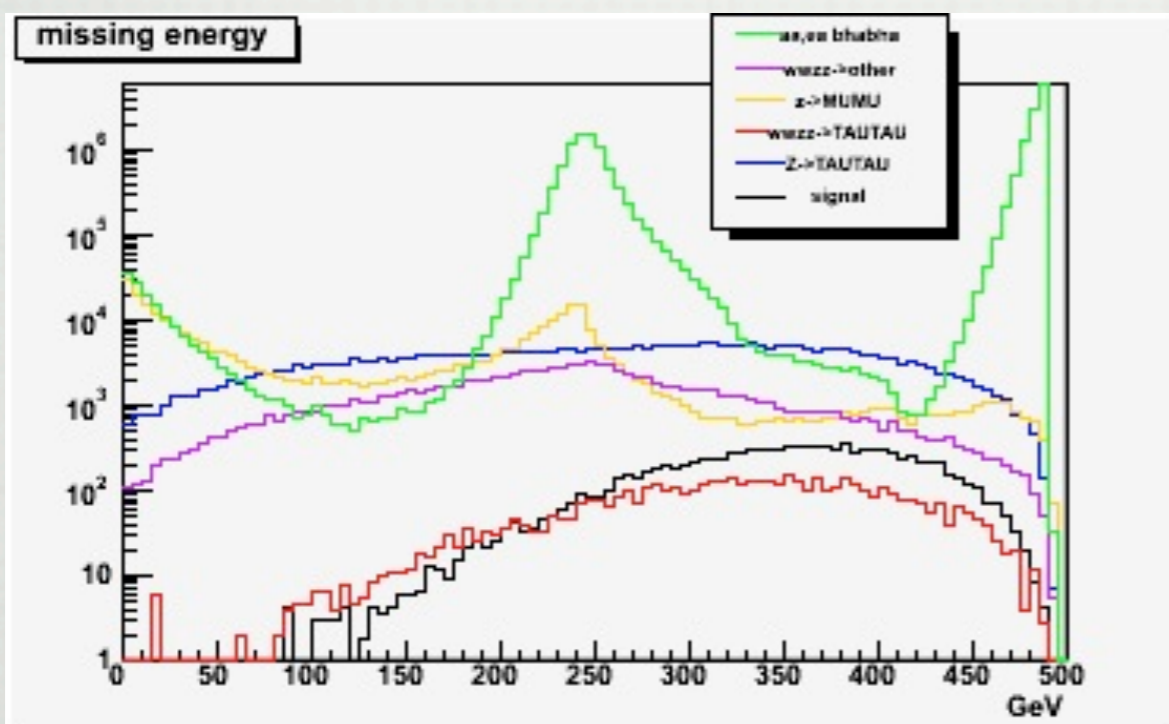
- 0. number of tracks==2 \longrightarrow cut multi-prong decay
- 1. energy > 20GeV \longrightarrow cut low energy $\gamma\gamma$ BG
- 2. Track Energy < 125GeV for each track \longrightarrow cut Z-> $\mu\mu$
- 3. $-0.9 < \cos \theta_- < 0.8$ & $-0.8 < \cos \theta_+ < 0.9$ \longrightarrow cut t-channel BG
- 4. acoplanarity $-0.9 < \cos(\phi_- - \phi_+)$ \longrightarrow cut Z->ll
- 5. $|\cos \theta_{\text{miss}}| < 0.9$ \longrightarrow cut $e\gamma, \gamma\gamma$ BG
- 6. missing energy >250GeV \longrightarrow cut Z-> $\tau\tau$ BG
- 7. Hcal Deposit > 3 % \longrightarrow cut WWZZ->ee, $\mu\mu$,e μ + $\nu\nu$ BG
- 8. Track Energy / Calorimeter Deposit > 0.03 \longrightarrow cut Z-> $\mu\mu$
- 9. Cosine angle between two tracks > -0.9 \longrightarrow select signal
- 10. Impact parameter significance > 2.5 \longrightarrow cut WWZZ-> ll $\nu\nu$

Cut Variable 6

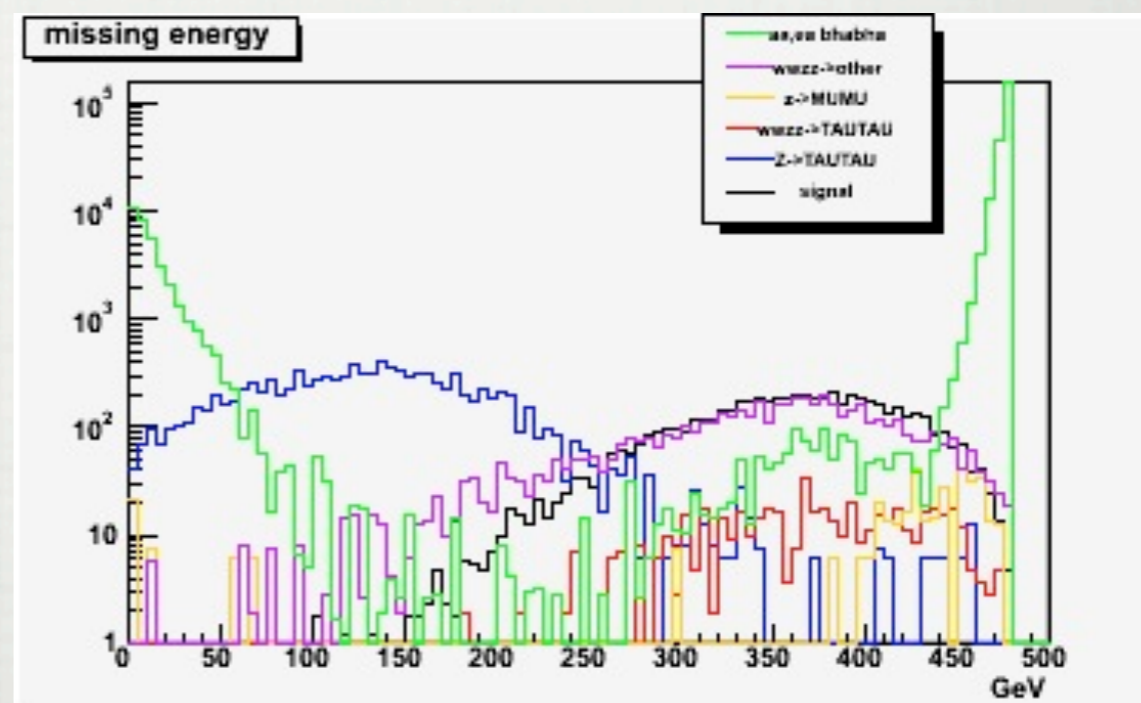
MISSING ENERGY > 250 GeV

Reduce Z->tauTau process (blue line).

Gravitino has large missing energy (signal: black line)



number of tracks==2



cut variable 0~5

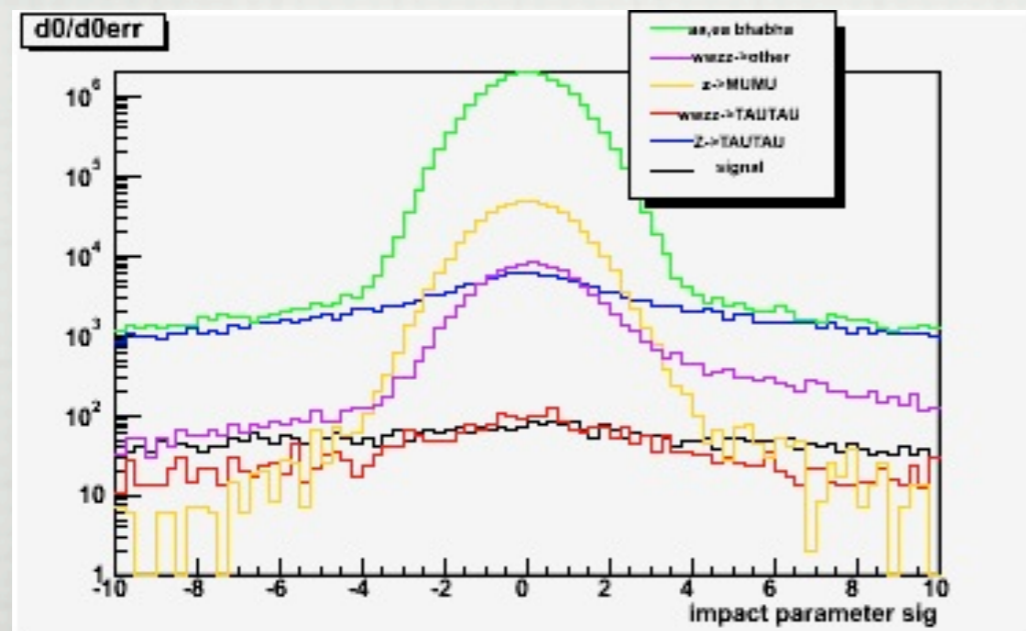
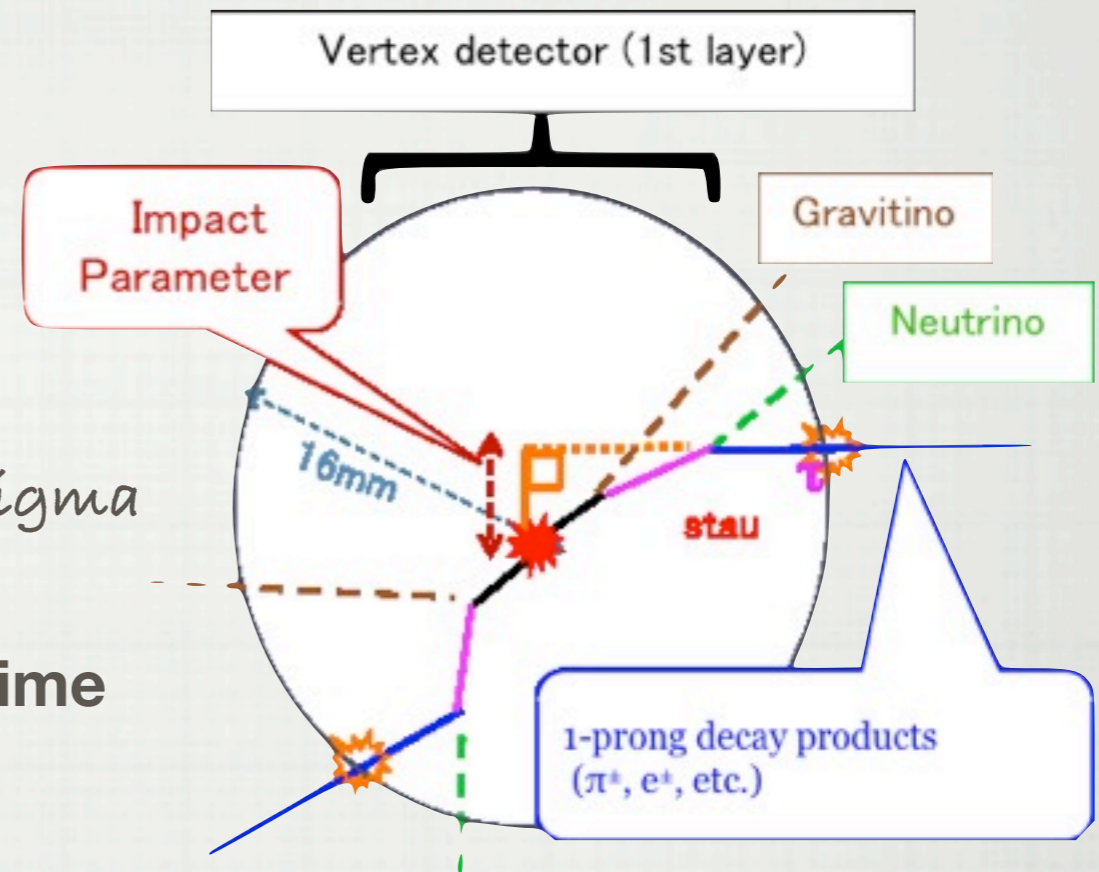
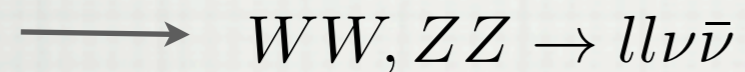
impact parameter cut (ex 200GeV , 100um)

□ + STAU IMPACT PARAMETER

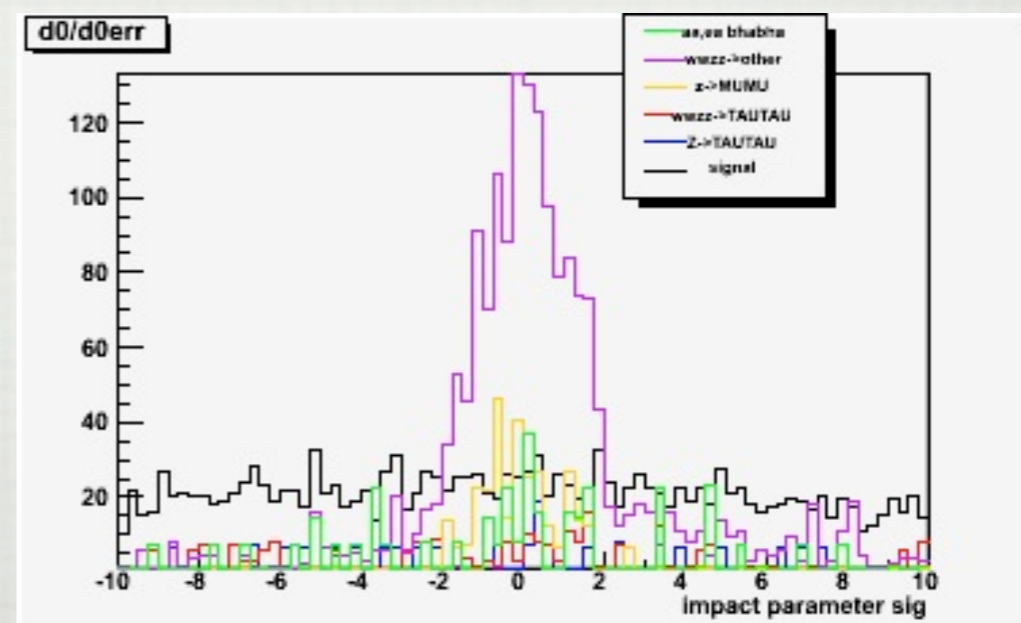
- $|D0/D0_err| > 2.5$

$D0 = \text{impact parameter}$, $D0_err = D0 \text{ sigma}$

impact parameter related with stau lifetime



number of tracks==2



Cut Variable 0~9

Statistical Significance

Lifetime vs Mass RESULT

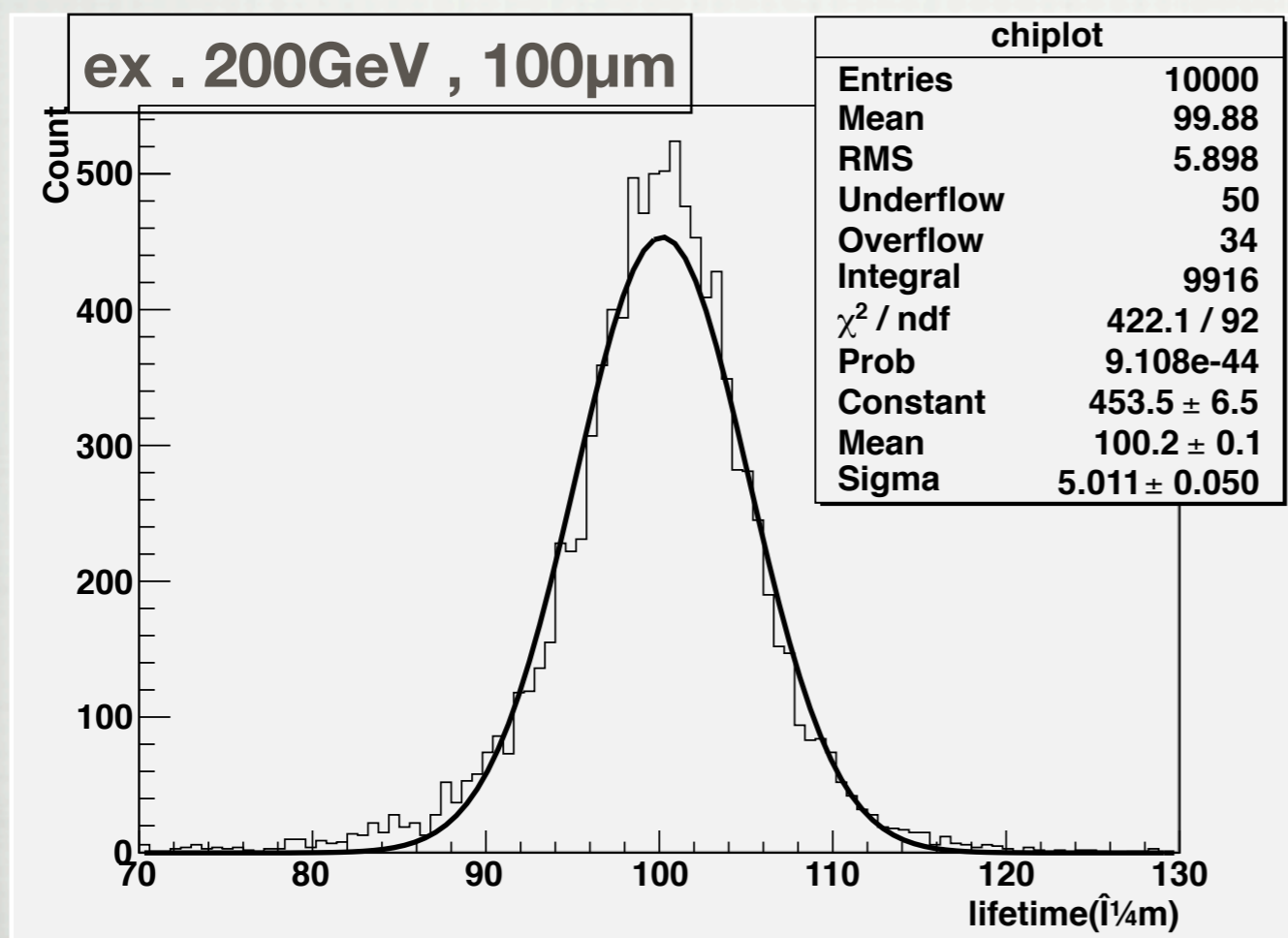
	120GeV	150GeV	200GeV	240GeV
10 μ m	113.2	98.6	53.4	6.05
100 μ m	117.1	101.5	55.3	6.00
1mm	121.5	105.3	59.1	8.14
10mm	123.1	109.5	62.4	12.3

>5 σ for all benchmark points

Lifetime Analysis

Perform the toy MC experiment with each experiment distribution with poisson statistics folded in , and compare with the high statistics samples with various lifetime by calculation of chi square quantity.

$$\chi^2 = \sum_{i=1}^N \left(\frac{n_i^{exp} - n_i^{templ}}{\Delta n_i^{exp}} \right)^2$$



Stau Mass 200GeV
Stau Lifetime 100 μ m

$$CT = 99.8 \pm 5.0 (\mu m)$$

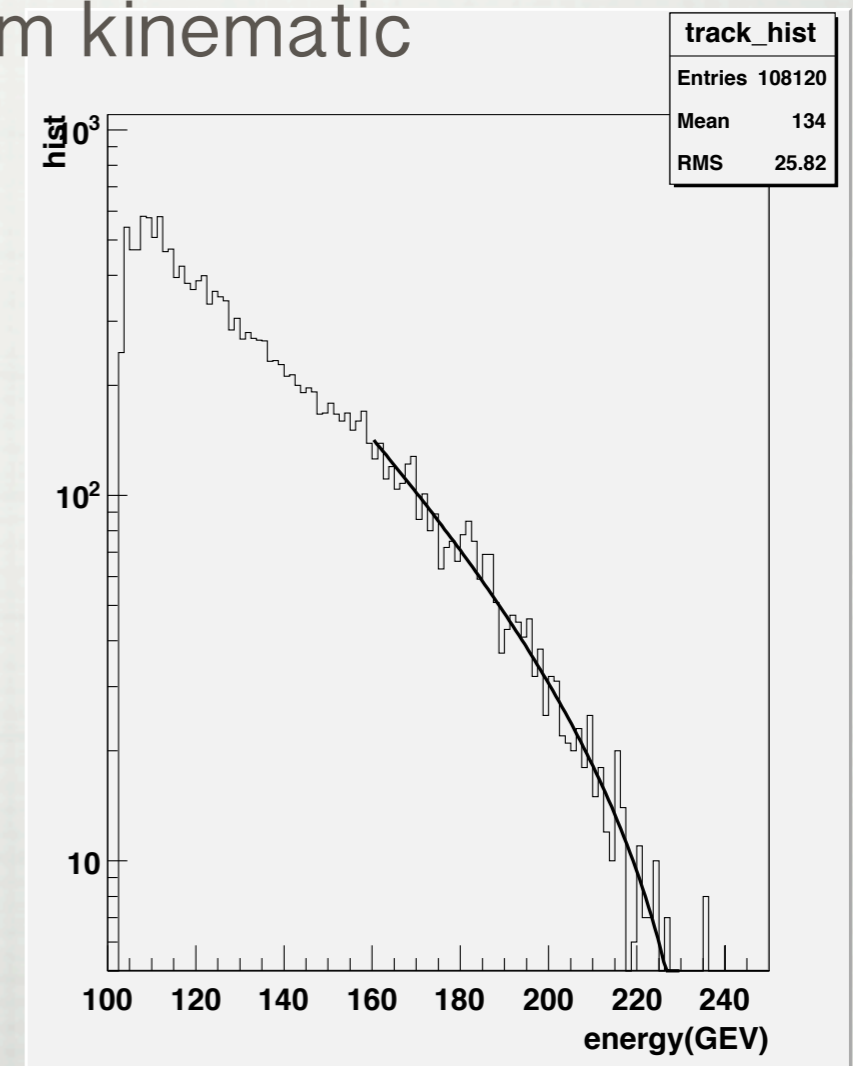
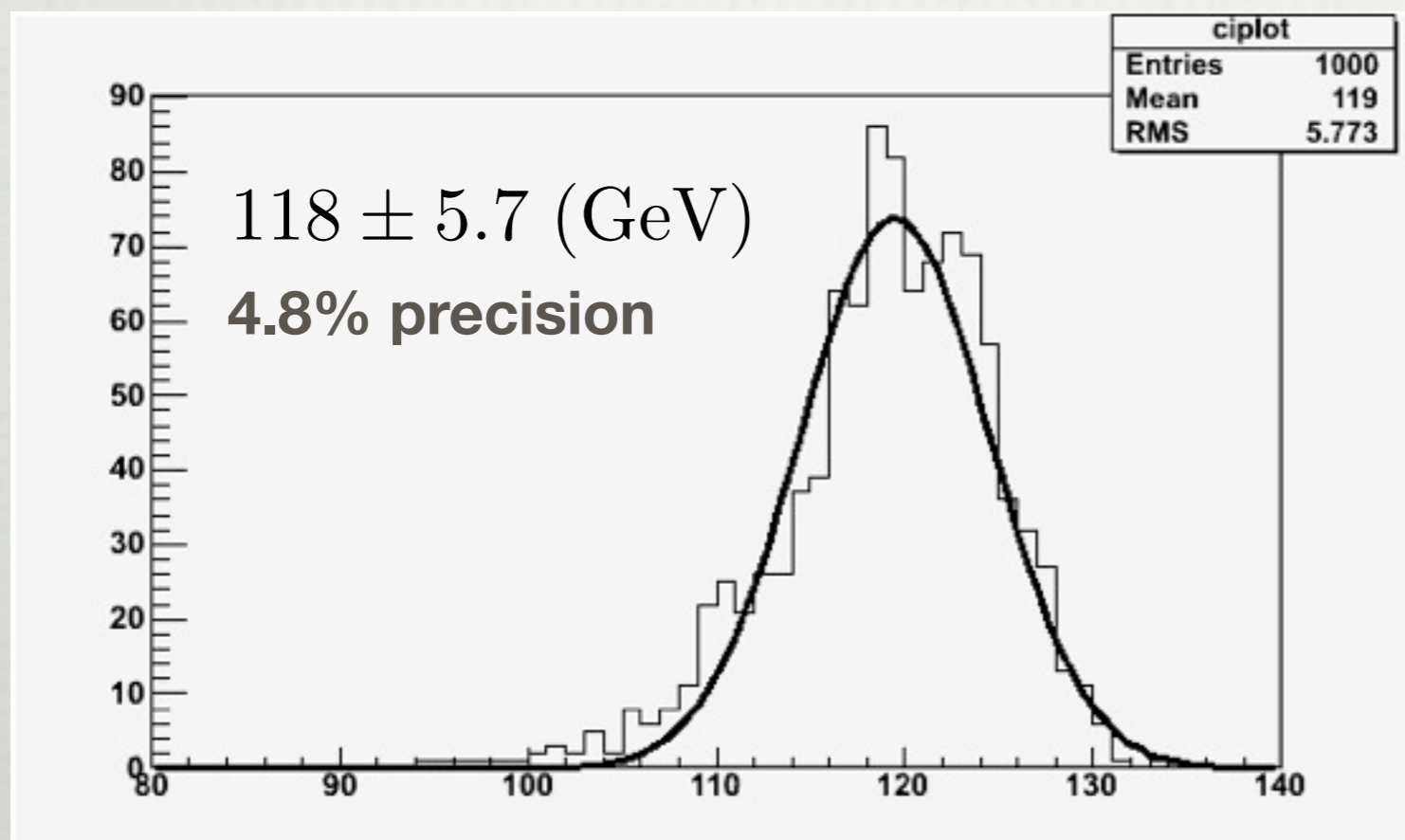
5% precision

Mass Analysis (kinematic cut)

Kinematic cut is applied for measurement of stau mass via the maximum track energy.

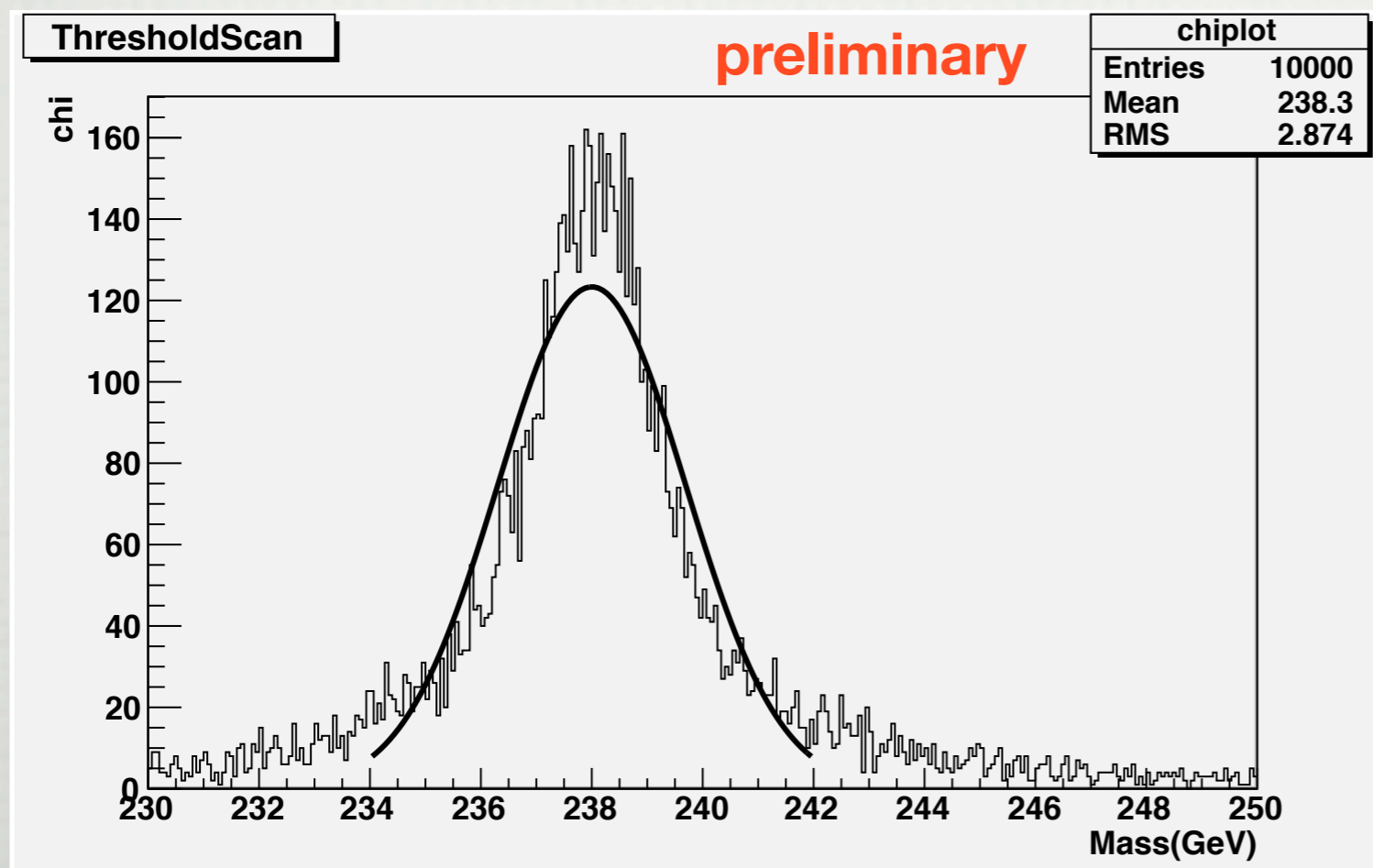
Track energy distribution is modeled with the following function $f(x) = \alpha(\beta - x)\exp(-\gamma x)\theta(\beta - x)$.

120GeV mass corresponds to the maximum kinematic energy of 234GeV.



Mass Analysis (Threshold Cut)

The technique of Threshold scan is used for heavy stau, for its low sensitivity of kinematic mass measurement.



ex. $M=240\text{GeV}$ $ct=100\mu\text{m}$

238.3 ± 2.8 (GeV)

1.2 % precision

Conclusions & Future Plans

■ Conclusions

We studied the ILC sensitivity for measuring the wide range of benchmark points of stau mass and lifetime and obtain over 6σ significance.

Mass and lifetime sensitivity are also studied, and obtain 5% precision at the benchmark point of $M=200\text{GeV}$, $ct=100\mu\text{m}$

■ Future Plans

■ Optimization of cut flow for kinematic mass resolution

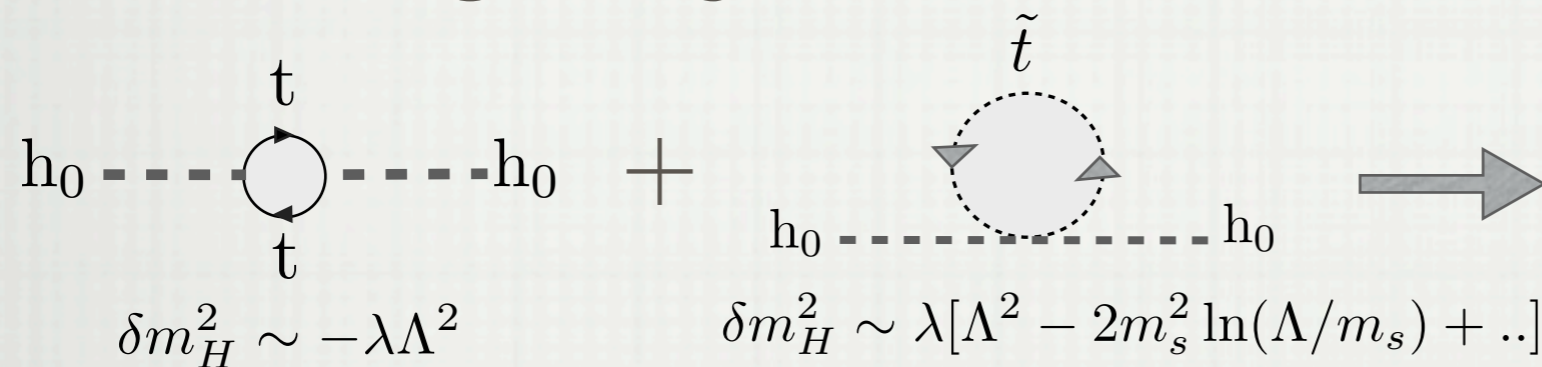
■ 3-prong decays are being studied.

THANK YOU FOR YOUR ATTENTION .

physics motivation

WHY SUSY?

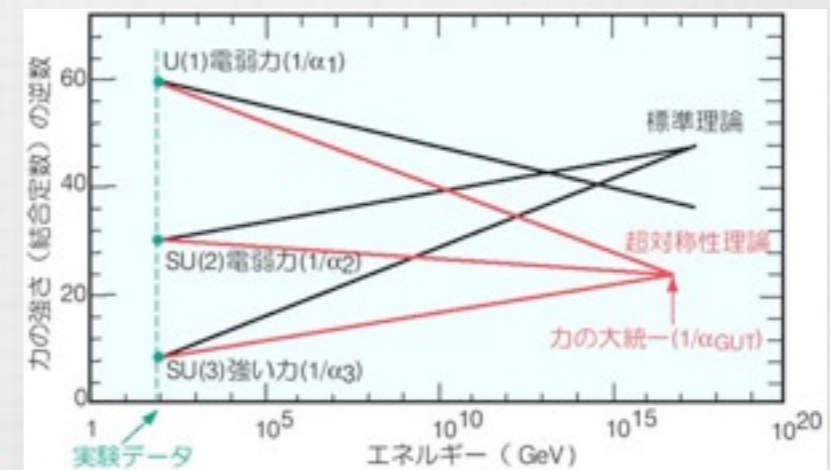
FINE TUNING



quadratic divergence
become
logarithmic
divergence

GUT SCALE UNIFICATION

Coupling constant unification
at high scale region .



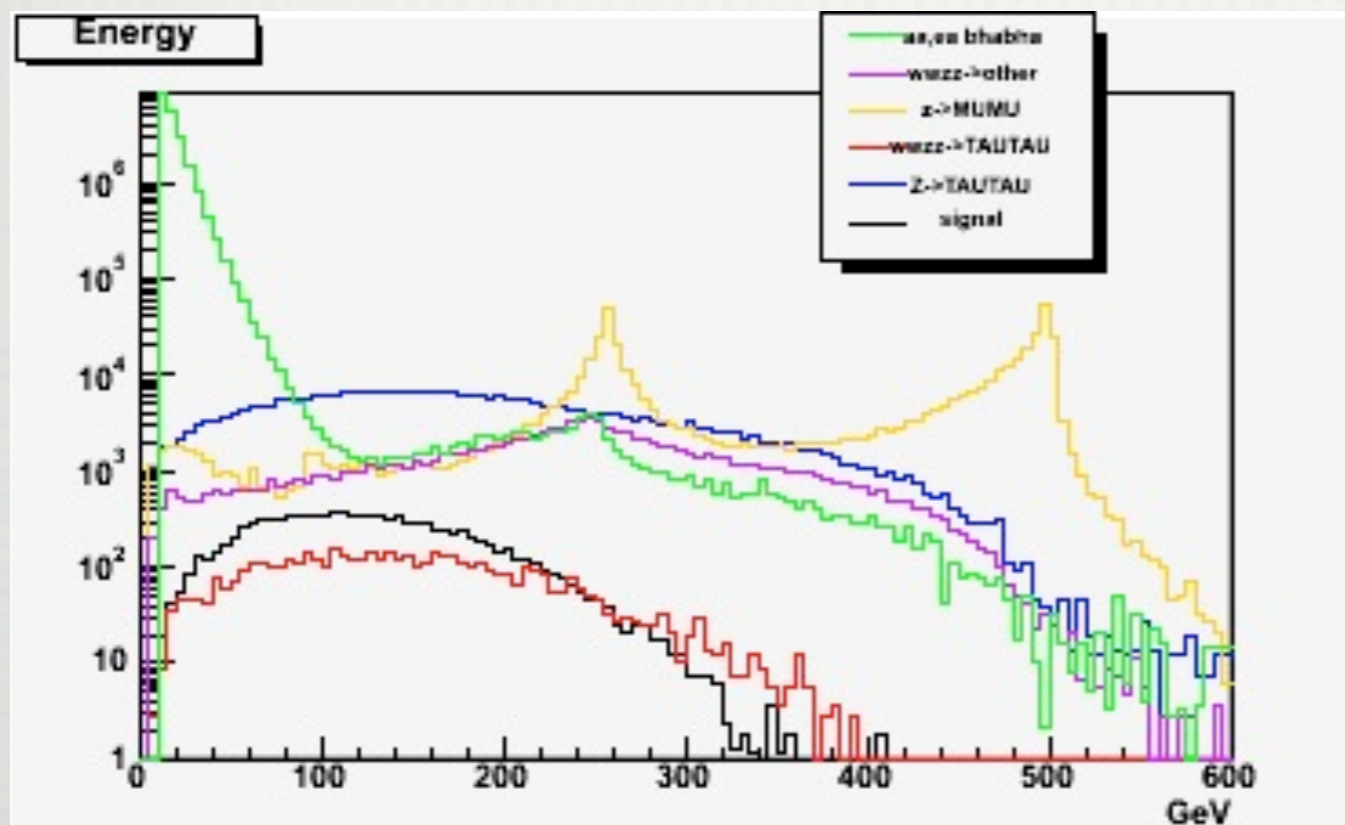
DARK MATTER

LSP(lightest supersymmetric particle) is a prominent
candidate

Cut Variable 1

Energy >20GeV

Suppress low energy beam related $\gamma\gamma \rightarrow l^+l^-$ process



Signal

$$e^+e^- \rightarrow \tilde{\tau}^- \tilde{\tau}^+$$

BackGround

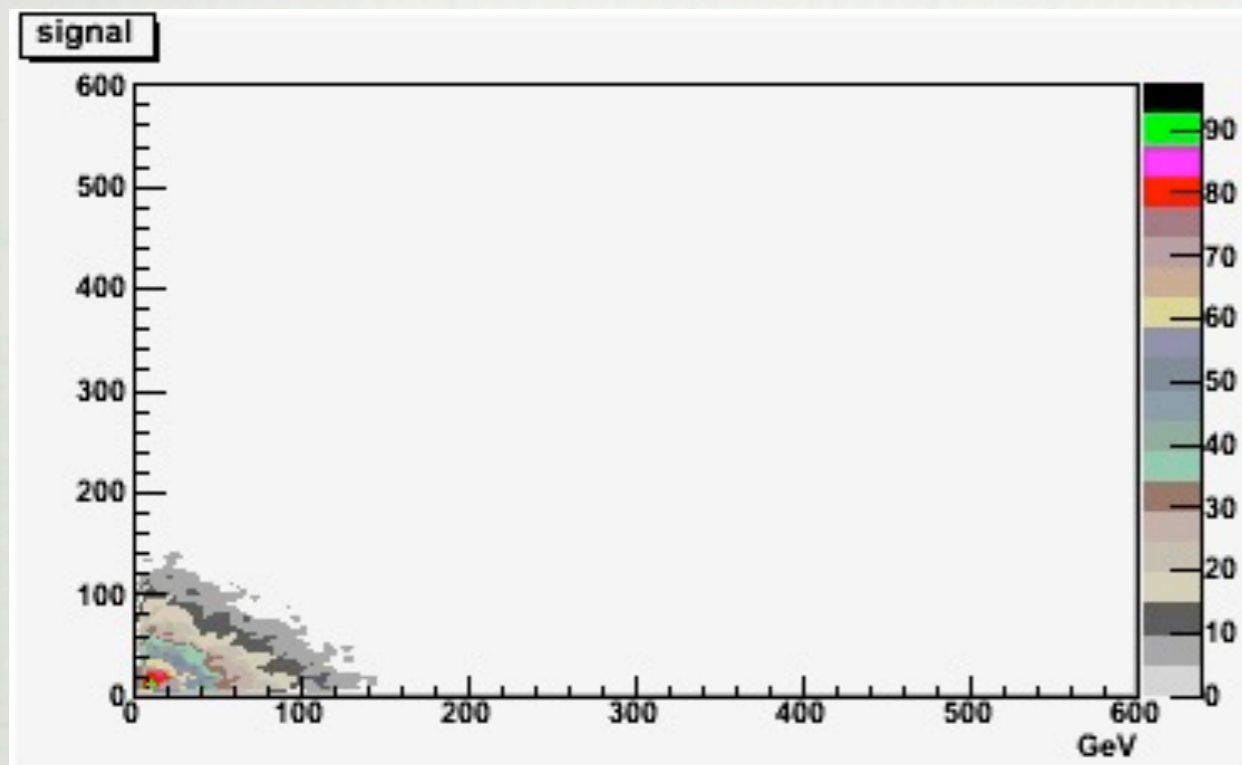
- $\gamma\gamma \rightarrow l^-l^+$, bhabha 散乱
- $WW, ZZ \rightarrow l^+l^- \nu\bar{\nu}$ ($\tau\tau\nu\bar{\tau}$ 除く)
- $Z \rightarrow \mu\mu$
- $WW, ZZ \rightarrow \tau^+\tau^-\nu\bar{\nu}$
- $Z \rightarrow \tau\tau$

number of tracks==2

Cut variable 2

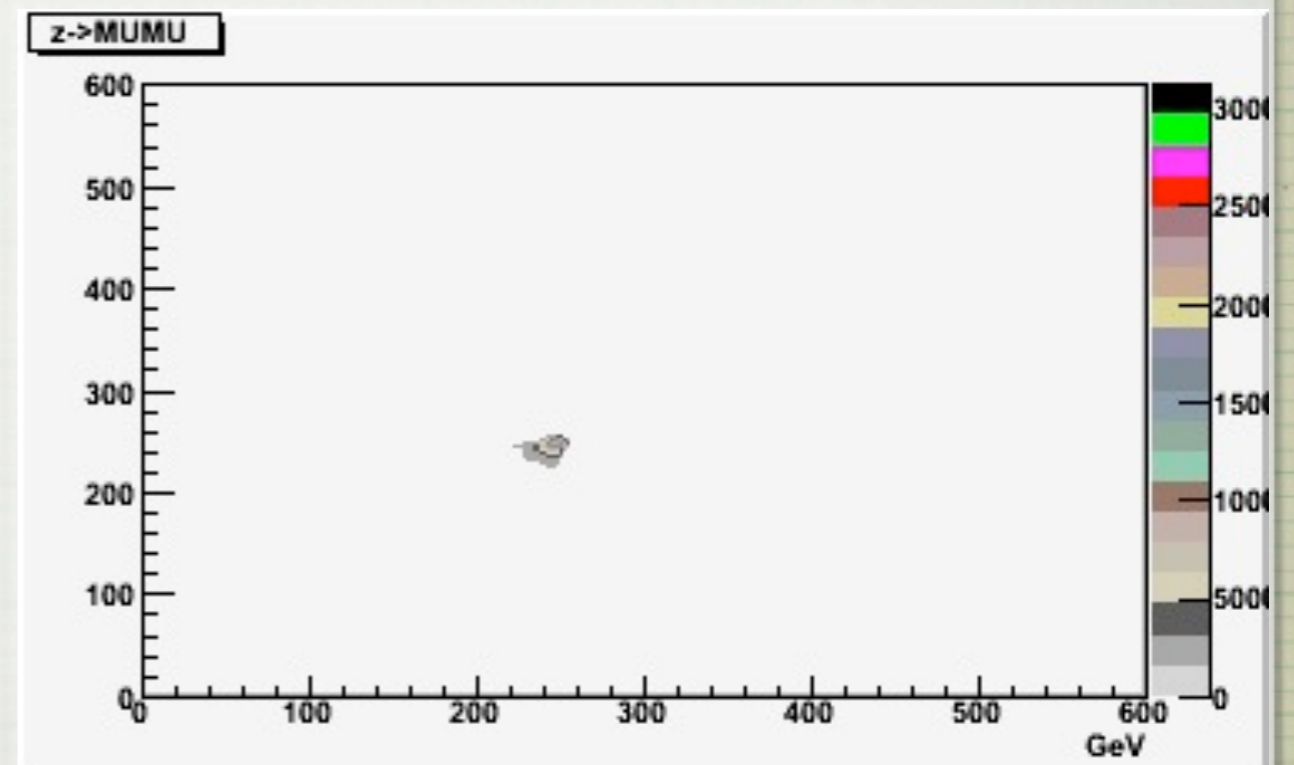
Track Energy < 125 GeV (for each track)

Supress high energy muon from $Z \rightarrow \mu\mu$.



number of tracks==2

$$e^+e^- \rightarrow \tilde{\tau}^- \tilde{\tau}^+$$



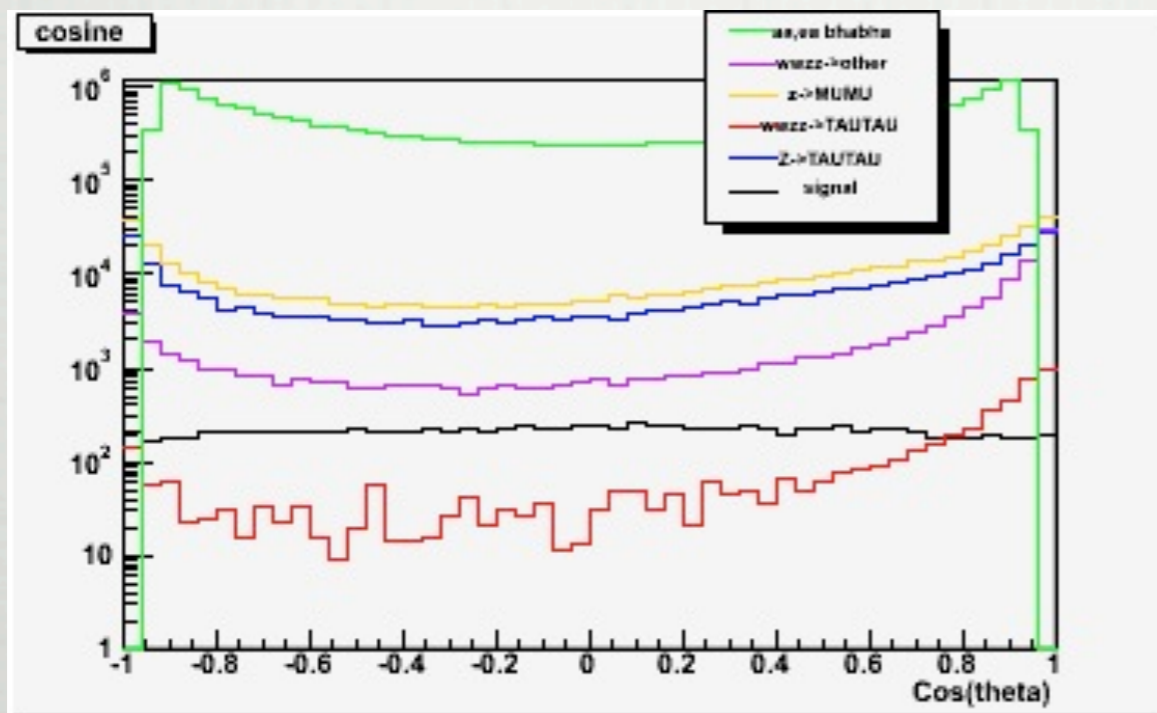
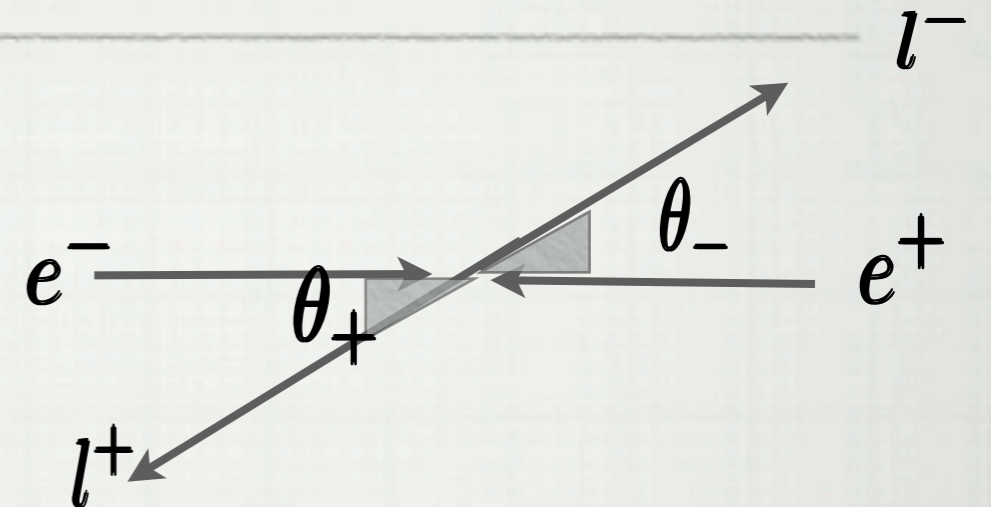
number of tracks==2

$$Z \rightarrow \mu^+ \mu^-$$

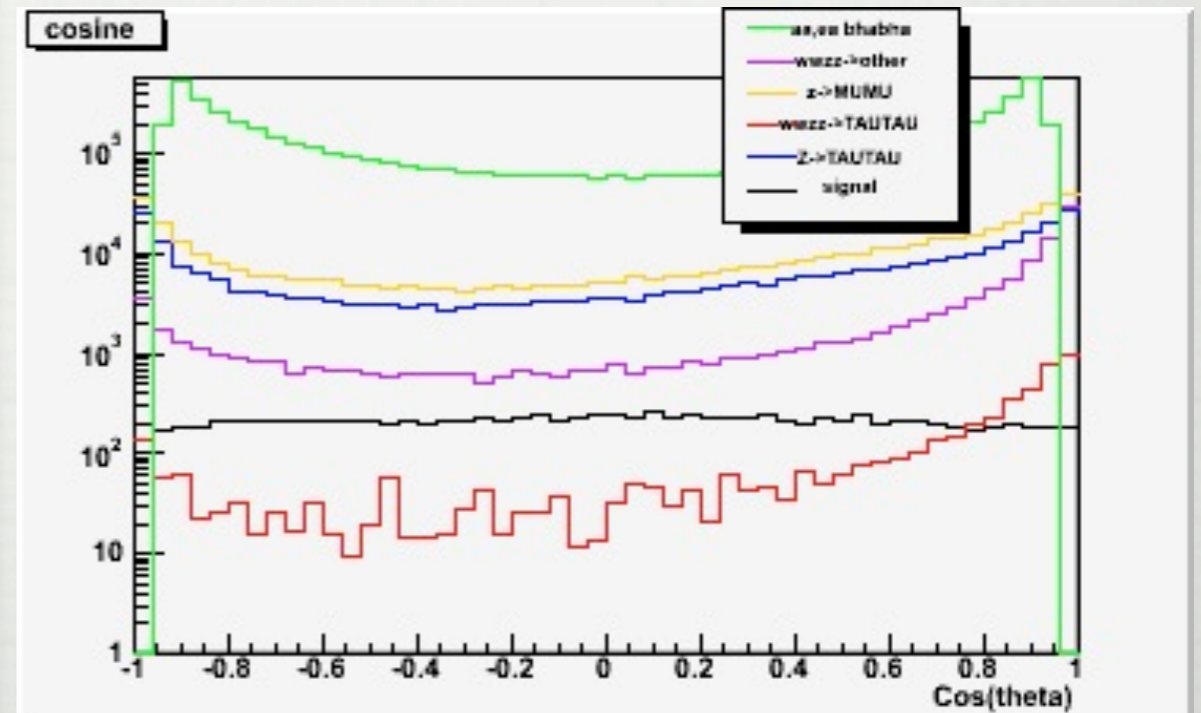
Cut Variable 3

$$-0.9 < \cos \theta_- < 0.8 \quad \& \quad -0.8 < \cos \theta_+ < 0.9$$

Cut forward-backward dominant
W boson t-channel decays
(purple line)



number of tracks==2



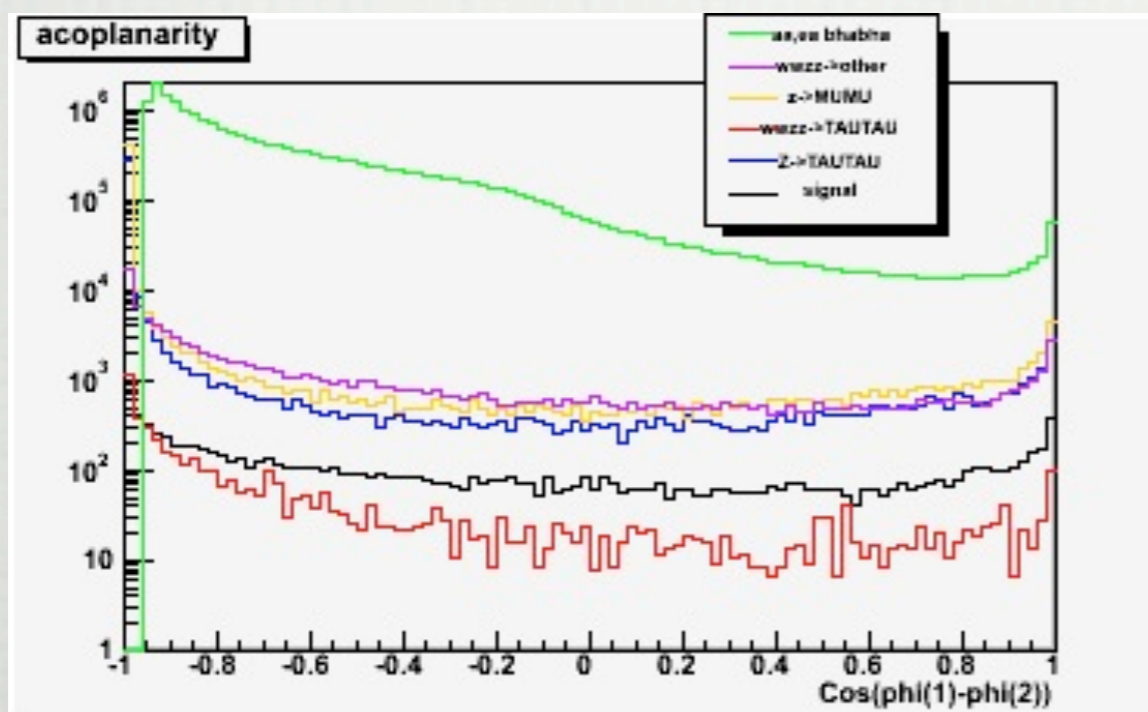
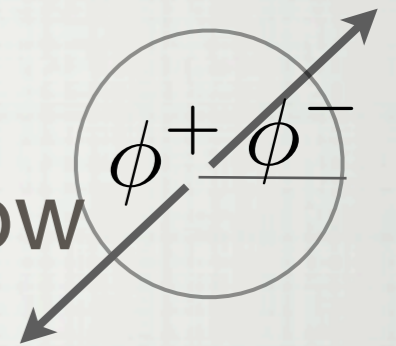
Cut Variable 0~2

Cut Variable 4

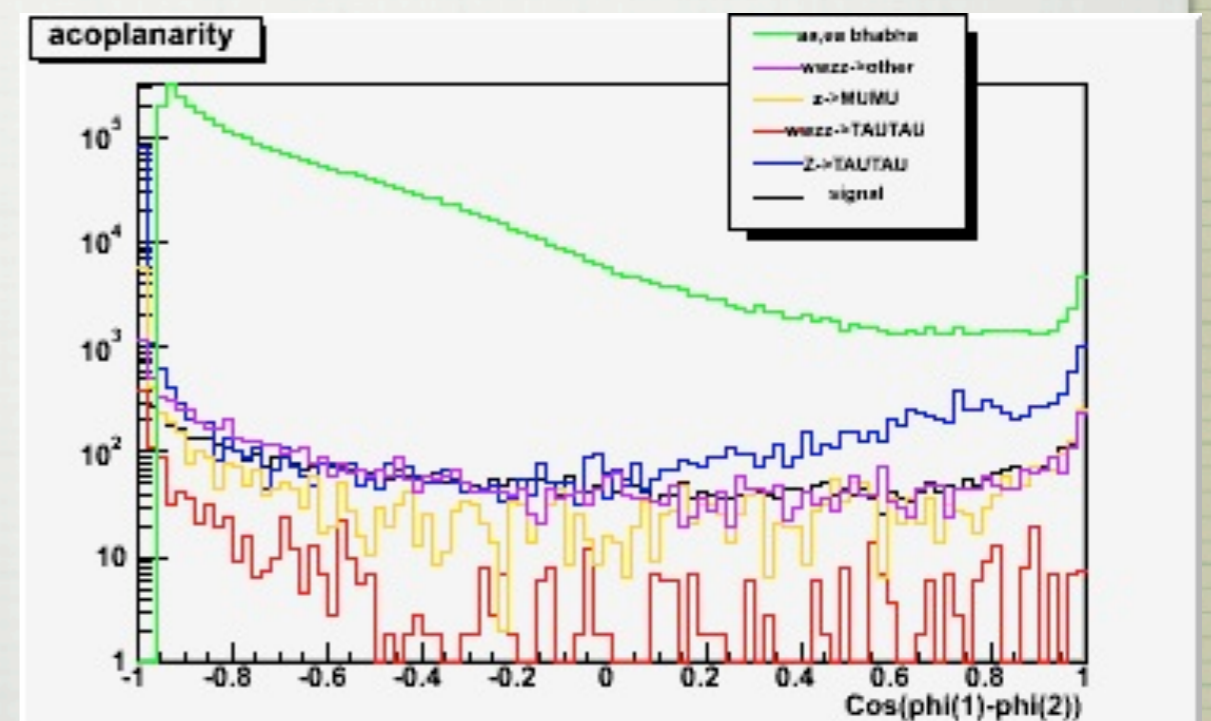
Acoplanarity $-0.9 < \cos(\phi_- - \phi_+)$

Cut tracks in opposite direction .

z->tautau background can be reduced for its low missing energy and highly boosted in opposite direction .



number of tracks==2

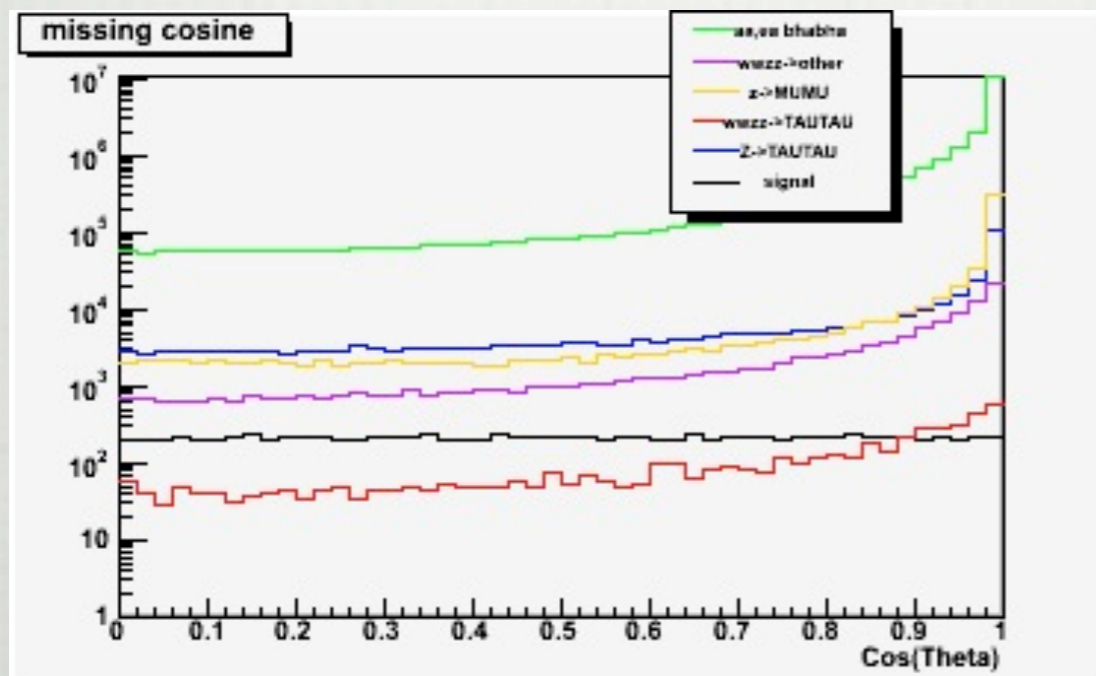


Cut Variable 0~3

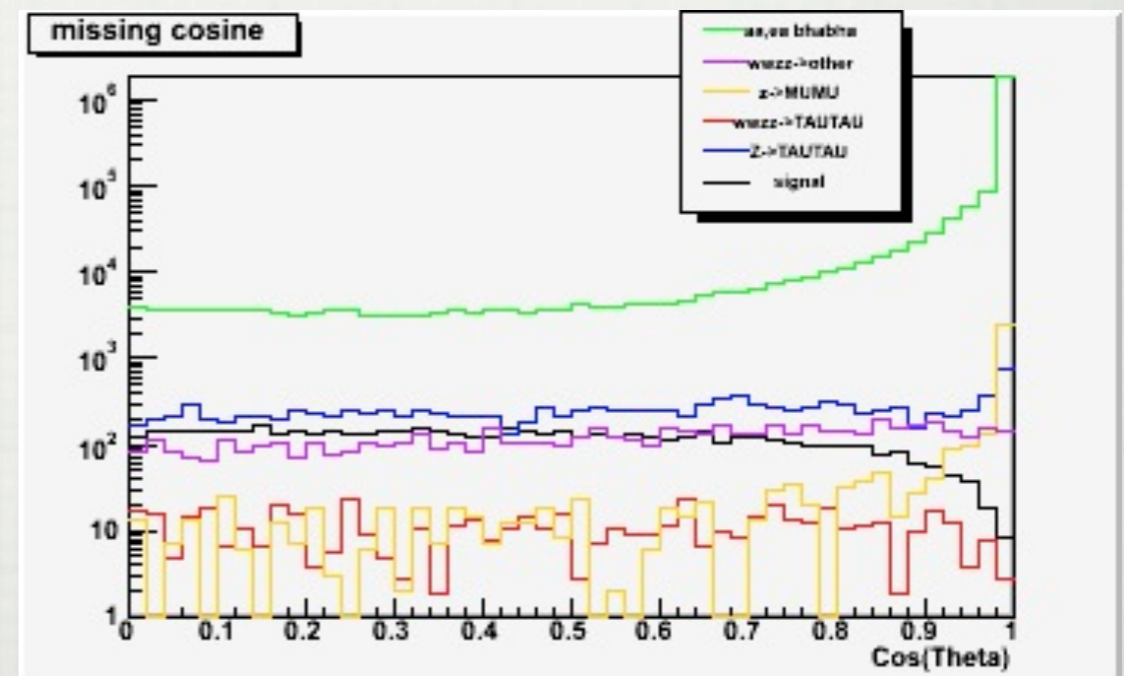
Cut Variable 5

$$|\cos \theta_{\text{miss}}| < 0.9$$

Reduces beam-related background for bhabha scattering, each of whose tracks is towards the undetected beam pipe direction, and it appears as large missing energy towards forward-backward direction.



number of tracks==2

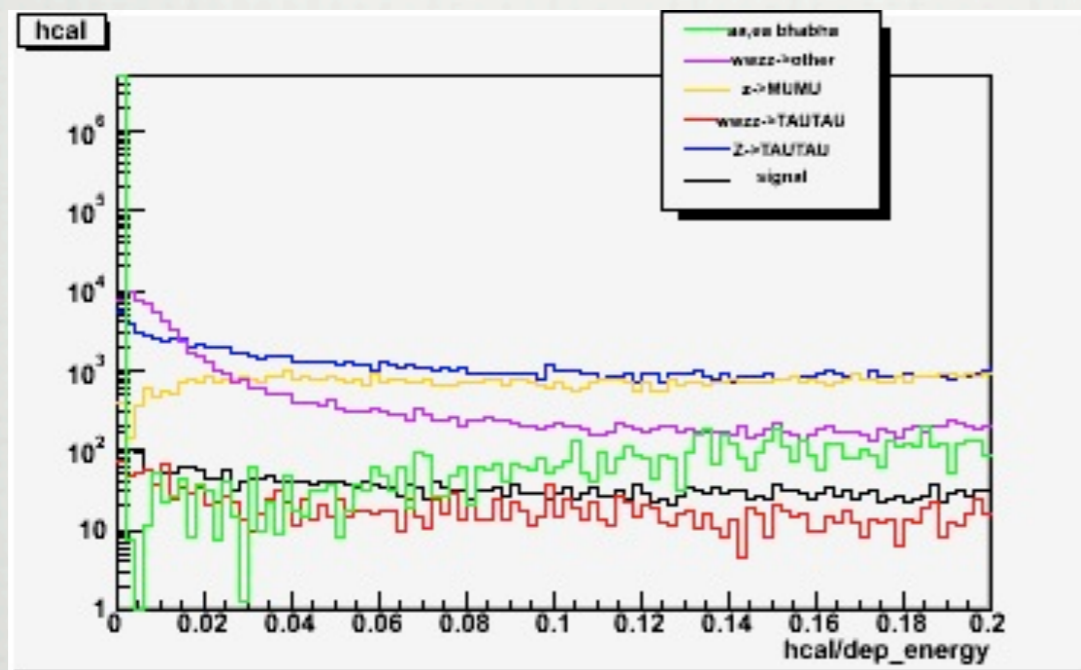


Cut Variable 0~4

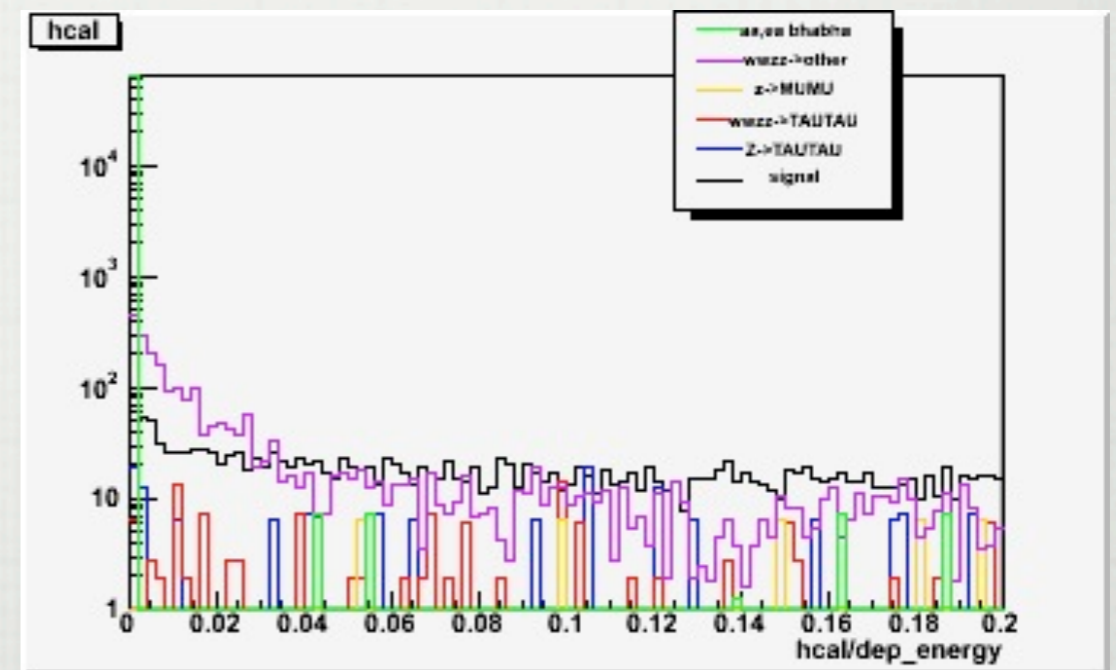
Cut Variable 7

HCAL Deposit / Energy Depotit > 0.03

$WW, ZZ \rightarrow \mu\mu\nu\nu, e e\nu\nu, e\mu\nu\nu$ is reduced for its low energy deposit in hadron calorimeter.(purple line)



number of tracks==2

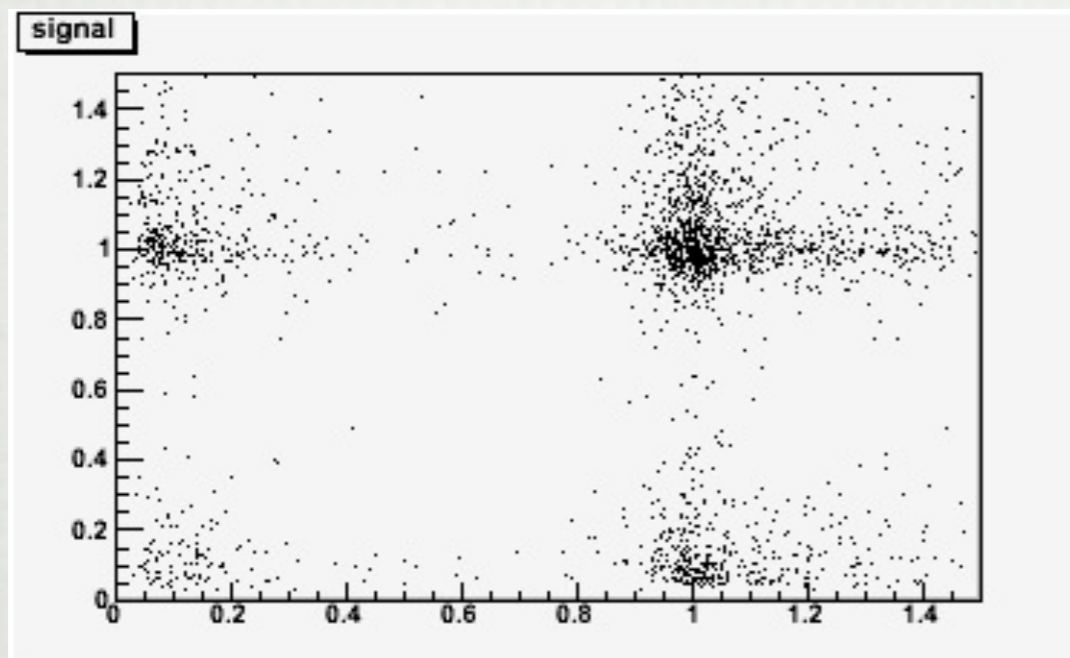


Cut Variable 0~6

Cut Variable 8

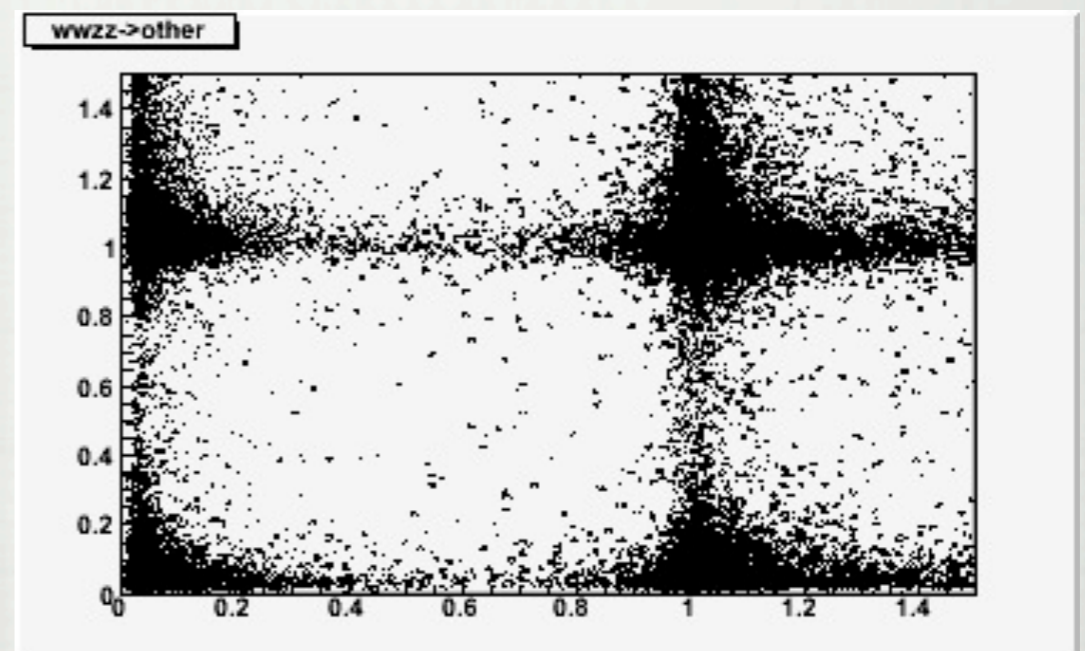
Energy deposit/Track energy > 0.3 for each track

Reduce $Z \rightarrow \mu\mu$ process for its low deposit in calorimeters and highly energetic track.



number of tracks==2

$$e^+e^- \rightarrow \tilde{\tau}^- \tilde{\tau}^+$$



number of tracks==2

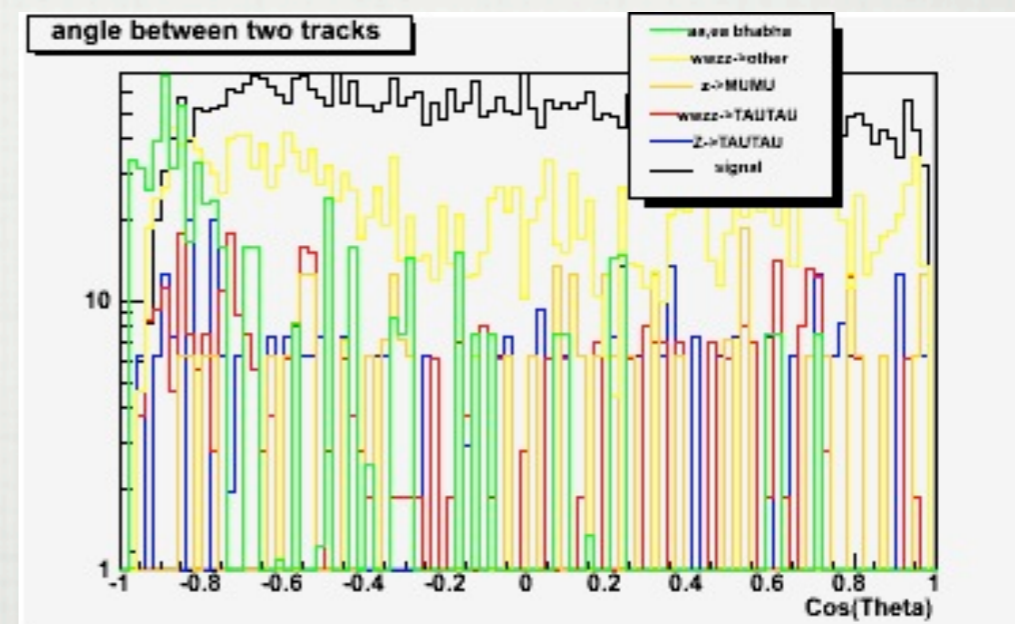
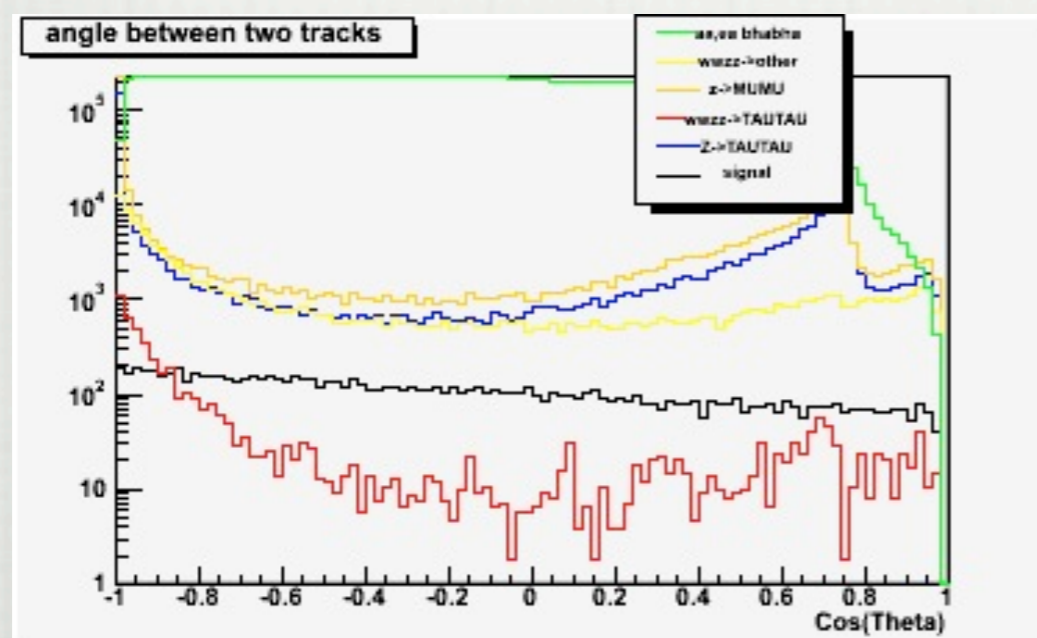
$$WW, ZZ \rightarrow ll\nu\nu \quad (l \neq \tau)$$

Cut Variable 9

Cosine angle between two tracks > -0.9

$\tilde{\tau}$ の質量が重い場合ほぼ静止しているので、 $\tilde{\tau} \rightarrow \tau \tilde{G}$ における τ は等方的に飛びやすい。

一方 $WW \rightarrow l\bar{l}\nu\bar{\nu}$ はブーストされ、正反対方向に飛びやすいためカットされる。(黄色、赤線)



BACKUP

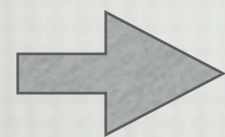
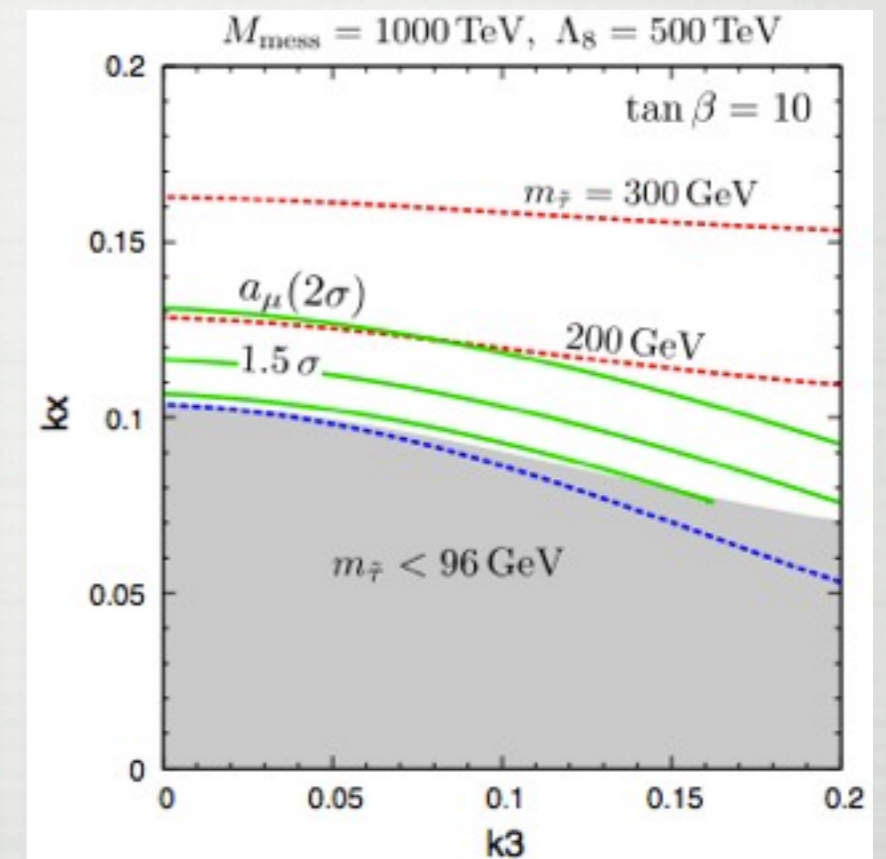
■ 重いSquark、軽いSlepton を示唆し、g-2の実験結果を説明する
新たなモデル [Ibe, Matsumoto, Yanagida, Yokozaki arxiv 1210.3122v2]

■ GUT , GMSB -> no SUSY flavor/CP problem

■ g-2 を説明可能

Stau mass = 200GeV で 実験値とのズレを 2σ で説明可能

(Stau mass = muon 150GeV の場合 1.5σ)



Stau -> Tau + Gravitino
の崩壊モード

Polarization $(e^-, e^+) = (+0.8, -0.3)$

SIGNAL

Mass (GeV)	Cross Section (fb)
120GeV	139
200GeV	33.3
150GeV	97.2
240GeV	3.22

BACKGROUND

Category	Cross Section (fb)
$WW, ZZ \rightarrow l^+ l^- \nu \bar{\nu}$	445.9
$Z/\gamma \rightarrow \tau^+ \tau^-$	1283.4
$\gamma\gamma \rightarrow l^+ l^-$	1.41×10^6

PHYSICS MOTIVATION2

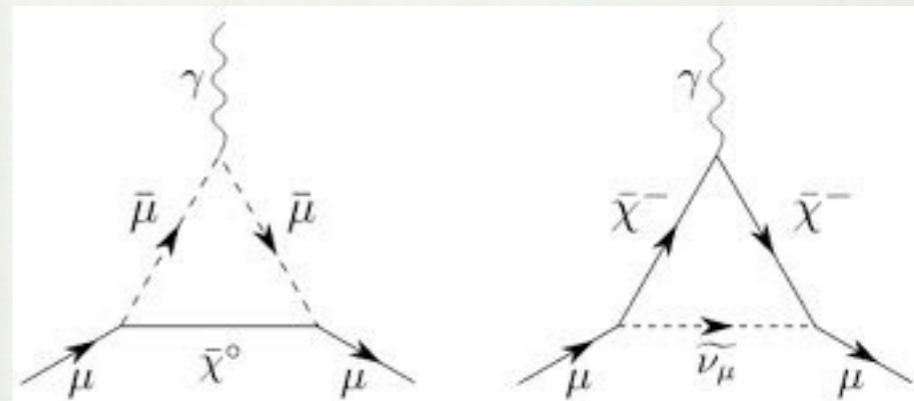
WHY STAU PRODUCTION?

■ **MUON g-2** 3.6 sigma deviation between SM theory

SUSY particles 1-loop correction

$$\delta a_\mu \sim \frac{3}{5} \frac{g_1}{8\pi^2} \frac{m_\mu^2 \mu \tan \beta}{m_{\text{soft}}^3} F_b$$

m_{soft} = loop sparticle mass
 g is $SU(2), U(1)$ coupling const. $a_\mu \equiv \frac{g-2}{2}$



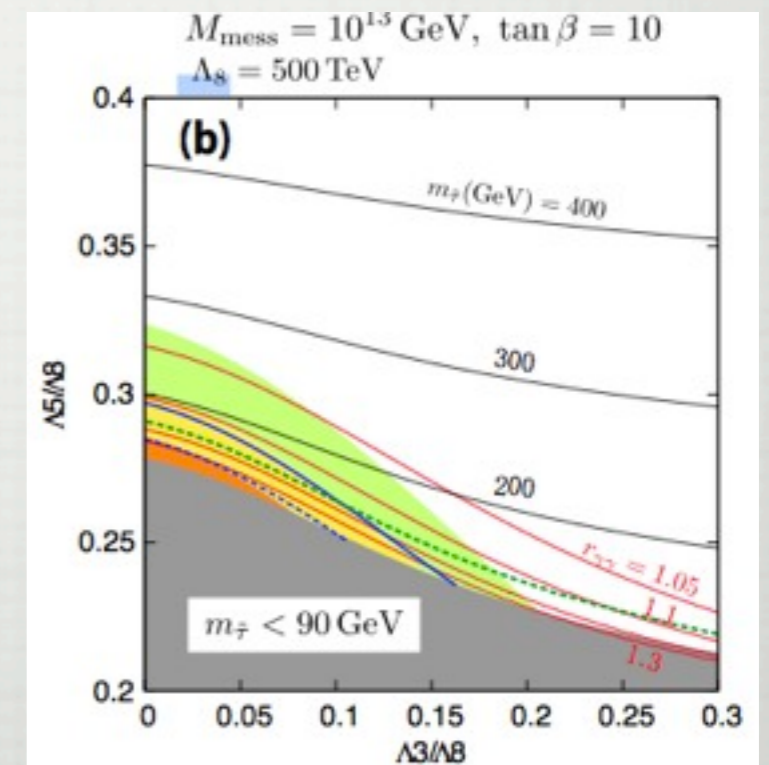
3.6 sigma deviation is explain with assumption of
Sfermion exist in the region of 100GeV

$$\mu \tan \beta \sim 4\text{TeV}$$

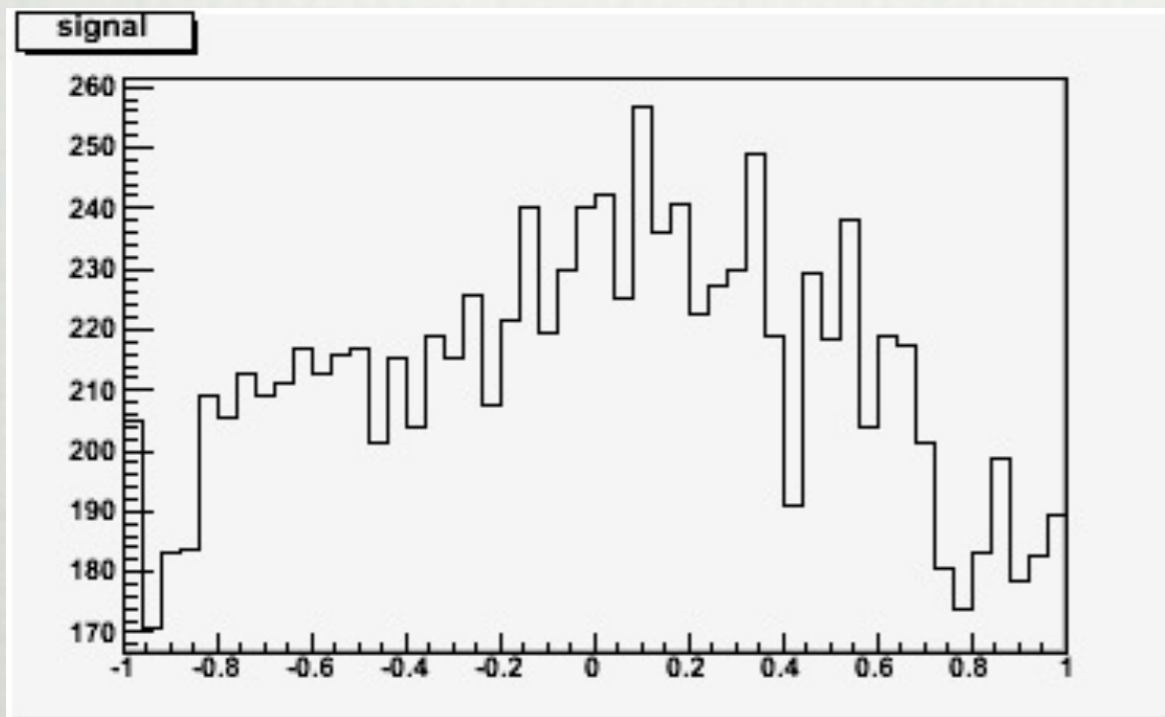
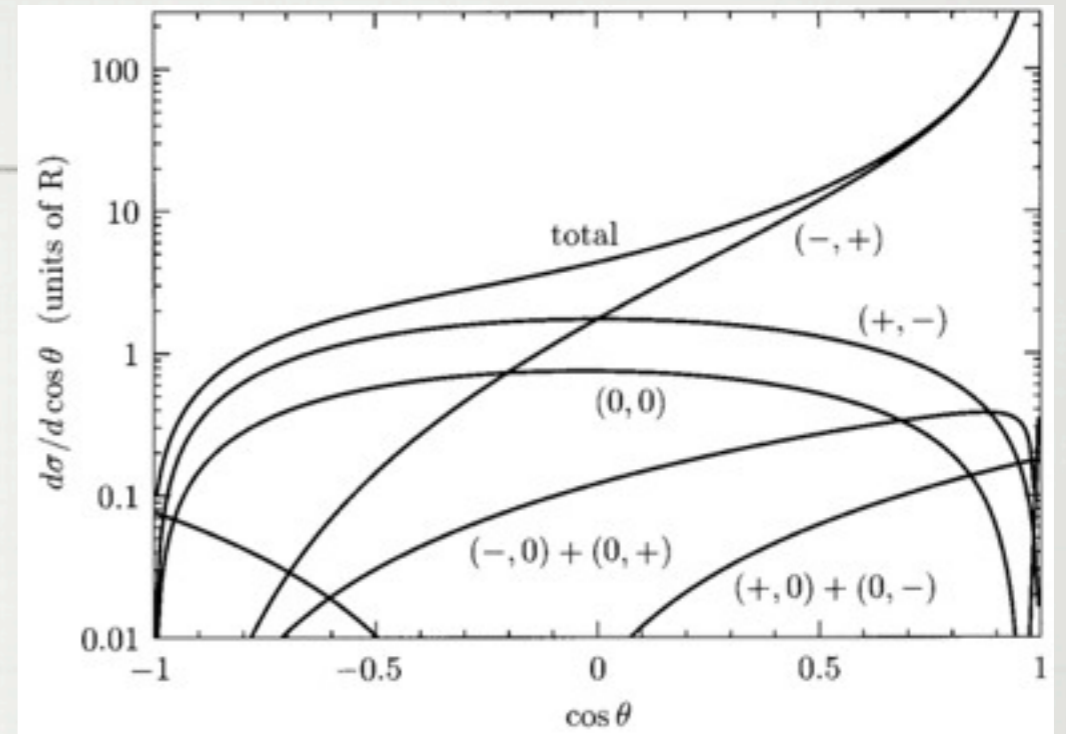
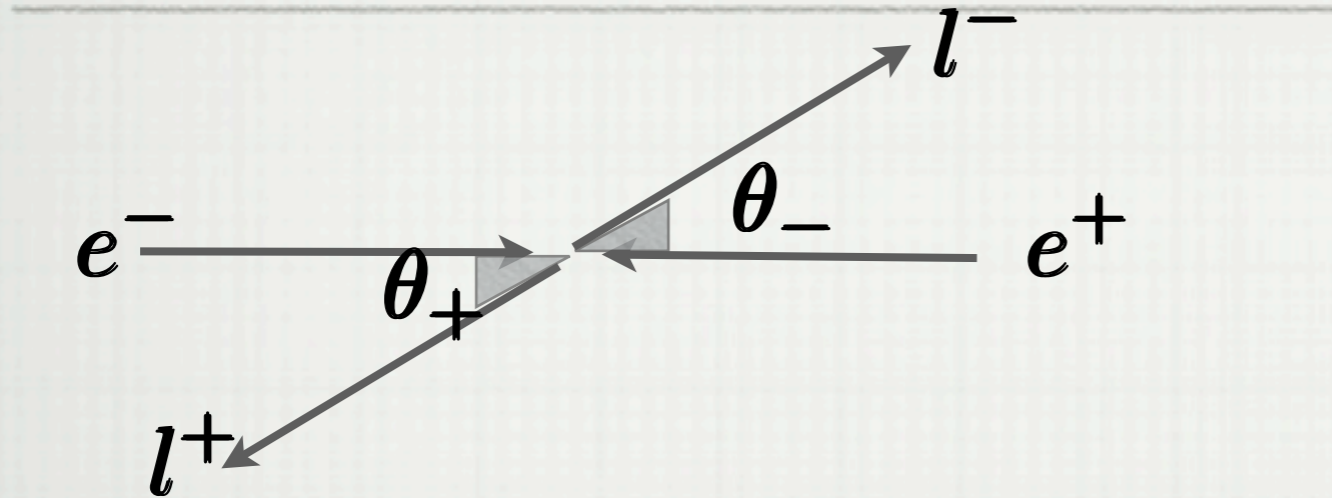
$\mu \tan \beta \sim 4\text{TeV} \rightarrow$ large stau left-right mixing

\rightarrow stau is NLSP

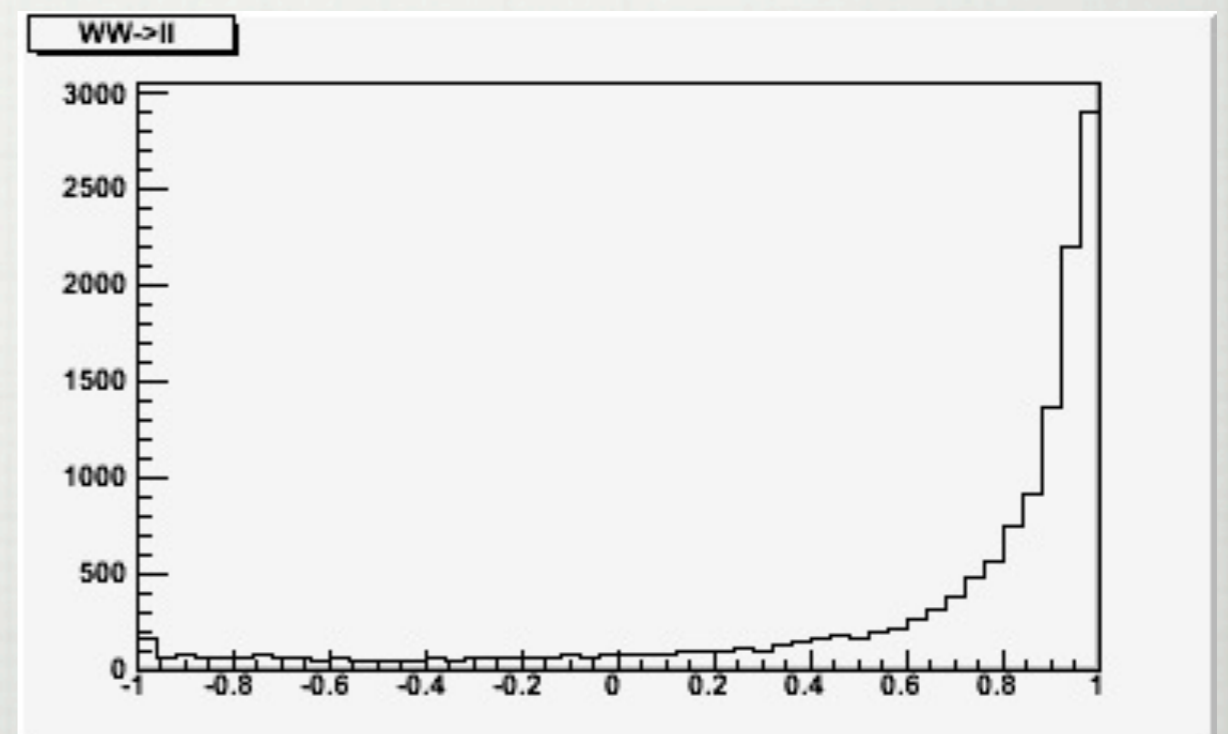
\rightarrow FOR $a_\mu \sim 1.5\sigma \rightarrow m_{\tilde{\tau}} \sim 200\text{GeV}$



$e_L^- e_R^+ \rightarrow W^- W^+$ CrossSection



SIGNAL



WW

$$\frac{\Delta m_{\frac{3}{2}}}{m_{\frac{3}{2}}} = \sqrt{\left(\frac{5}{2} \frac{\Delta m_{\tilde{\tau}}}{m_{\tilde{\tau}}}\right)^2 + \left(\frac{1}{2} \frac{\Delta \tau_{\tilde{\tau}}}{\tau_{\tilde{\tau}}}\right)^2}$$

$$\frac{\Delta m_{\tilde{\tau}}}{m_{\tilde{\tau}}} \simeq 1.4\% \text{ (track energy)} \quad \frac{\Delta \tau_{\tilde{\tau}}}{\tau_{\tilde{\tau}}} \simeq 1.4\% \text{ (lifetime result)}$$

$$\frac{\Delta m_{\tilde{\tau}}}{m_{\tilde{\tau}}} \simeq 0.5\% \text{ (threshold scan)}$$