

Enabling Precision W and Z Physics at ILC with In-Situ Center-of-Mass Energy Measurements

(plus some comments related to accelerator
design at low energy)

ILC@DESY General Project Meeting

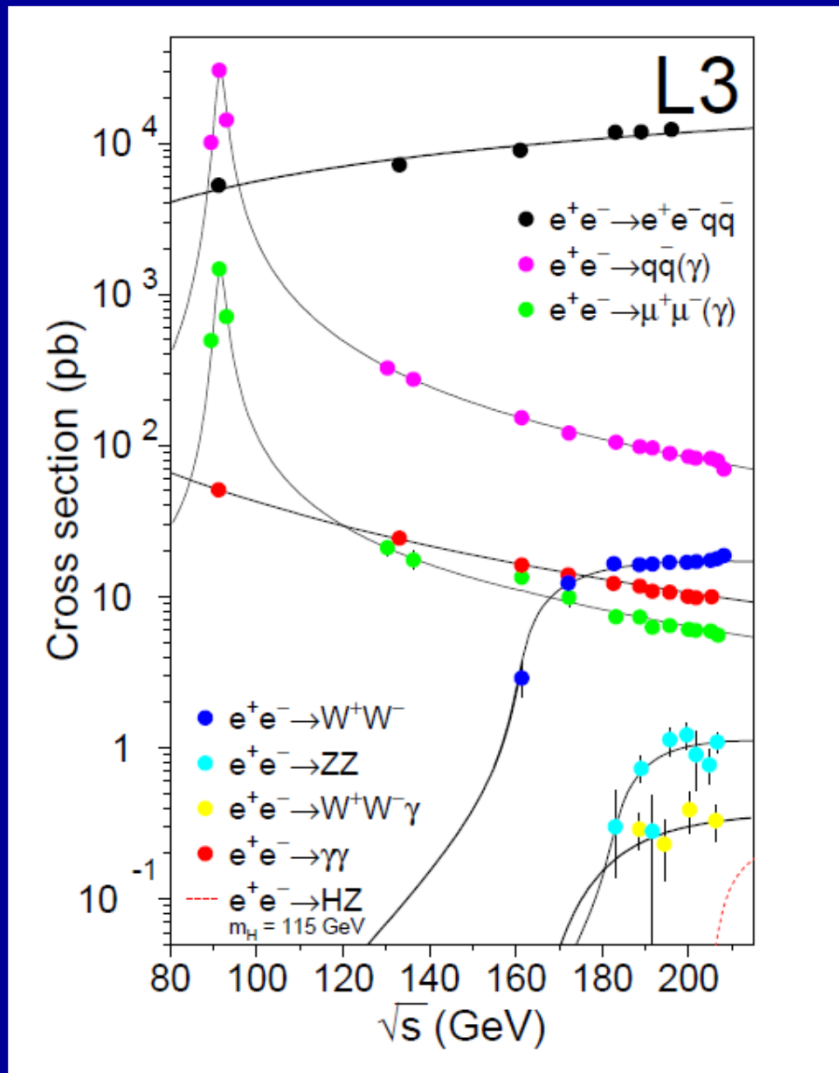
Graham W. Wilson
University of Kansas
June 27th 2014

Outline

- Introduction
 - e^+e^- landscape
 - Center-of-Mass Energy Measurements Intro
 - W mass measurement prospects
- In-situ Center-of-Mass Energy Measurement
 1. $e^+e^- \rightarrow \mu\mu(\gamma)$ study
 2. momentum-scale study with $Z \rightarrow J/\psi X$, $J/\psi \rightarrow \mu\mu$

Conclusions

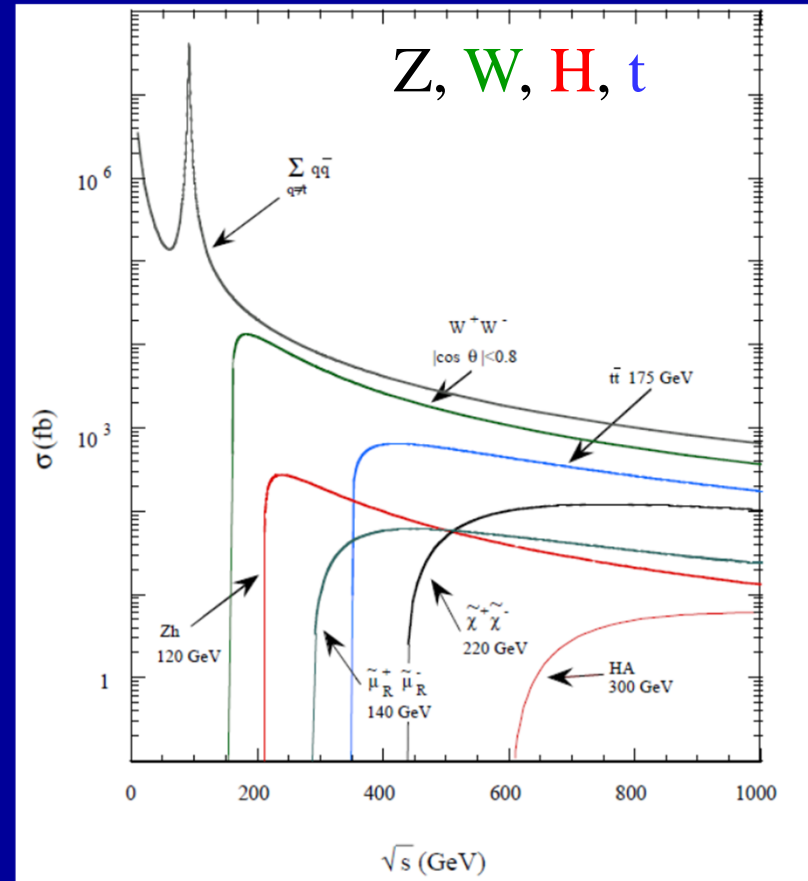
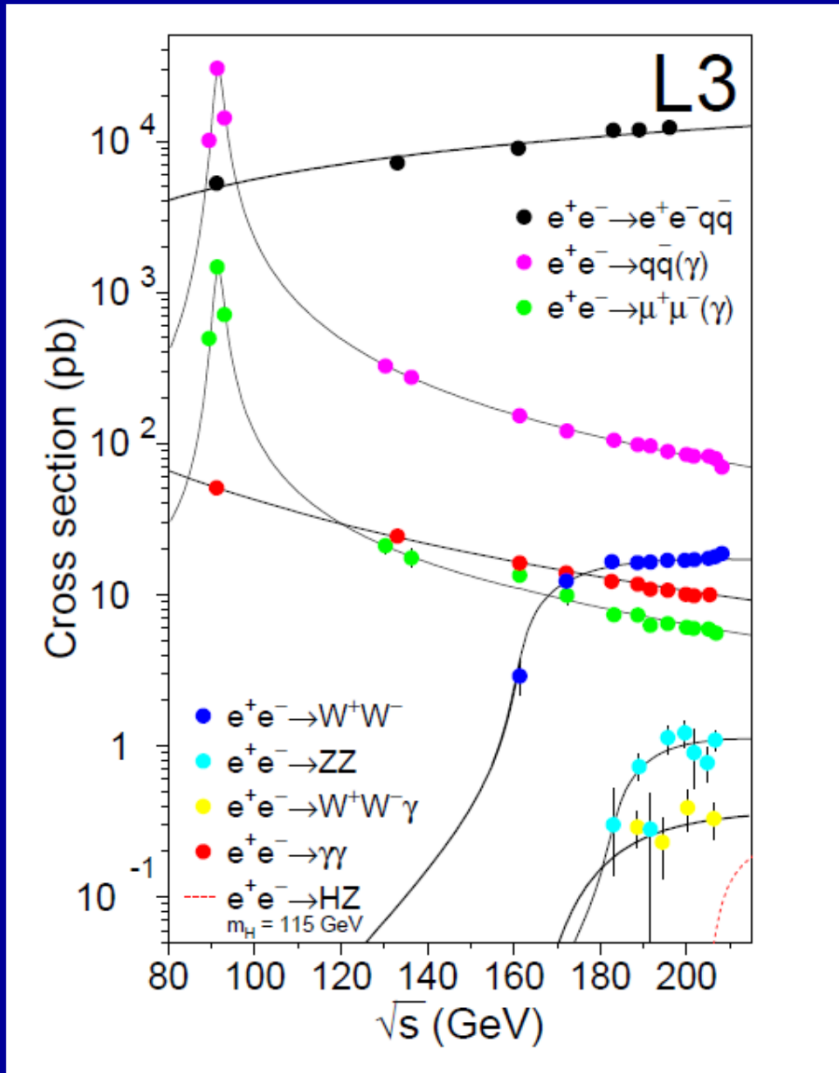
e^+e^- Collisions



What is out here ??

LEP

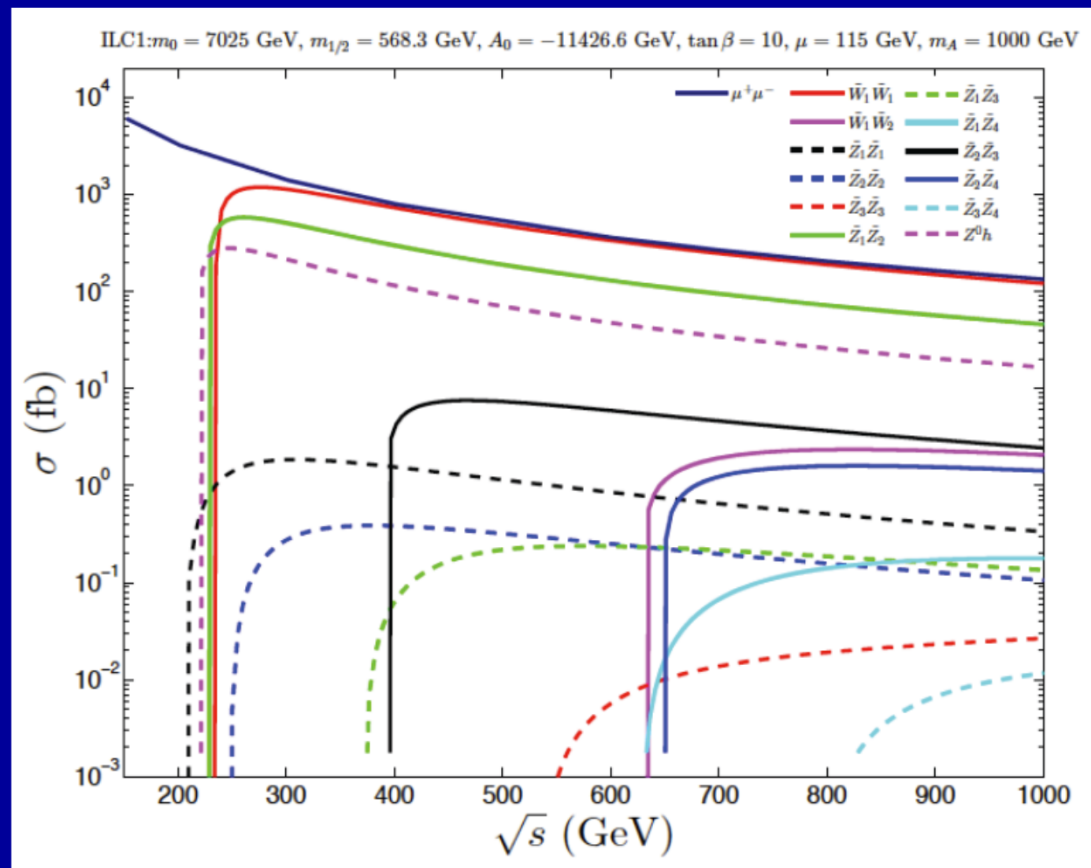
e⁺e⁻ Collisions



Expected new processes: **Zh**, **tt**, **tth**, **Zhh**, **vvhh**. And measure known processes in new regime.

LEP -----> ILC

The ILC Higgsino Factory



H. Baer et al.

10-15 GeV mass differences no problem for ILC.

Model is still allowed and “natural” after LHC results.

Comprehensively test new physics models

My take on the ILC run plan

- Explore the Higgs
- Look for completely new phenomena to highest possible energy
- Precision measurement of top
- Especially if no new phenomena observed, precision measurements of W and Z will be very compelling.

The e^+e^- Advantage

- The physics scope of e^+e^- colliders is fundamentally tied to the ability to precisely characterize the initial conditions
 - Luminosity, Energy, Polarization
- A precise knowledge of the **center-of-mass energy** is key.
 - (eg. mass from threshold scans)
 - Examples: m_t , m_W , m_H , m_Z , $m(\text{chargino})$

Center-of-Mass Energy Measurements

- At LEP ($C=27\text{km}$), resonant spin depolarization (RSD) was used routinely to measure the average beam energy (E_b) up to 55 GeV.
 - Resonant spin depolarization is unique to circular machines – and gets very difficult at higher energies even with a large ring.
- For ILC – need other approaches.
 - Especially in-situ methods sensitive to the collision energy.
- For a ring, naïve scaling with energy spread ($E_b^2/\sqrt{\rho}$) suggests RSD calibration at $\sqrt{s} = 161 \text{ GeV}$ is only guaranteed for $C = 124 \text{ km}$. For $\sqrt{s}=240 \text{ GeV}$, need $C = 612 \text{ km}$.
 - So rings also need other methods to take advantage of the higher possible energies for a given circumference as was evident at LEP2.
- In this talk, I'm focussed on in-situ studies targeted at ILC. They can also likely be applied to rings and CLIC.

ILC Beam Energy Measurement Strategy

- Upstream BPM-based spectrometers (LEP2 like)
- In-situ measurements with physics
 - ➔ ▪ Sensitive to collision absolute center-of-mass energy scale
 - Sensitive to collision luminosity spectrum ($dL/dx_1 dx_2$)
 - See Andre Sailer's diploma thesis (ILC)
- Downstream synchrotron imaging detectors (SLC like)
 - Also measures the energy spectrum of the disrupted beam down to $x=0.5$.
- See <http://arxiv.org/abs/0904.0122> for details on beam delivery system energy (and polarisation) diagnostics.
 - Target precision of fast beam-based methods: 100 ppm.

2006 updated ILC parameters document

- “Options”:
 - Positron polarization above 50%
 - Z running with $L = \text{several } 10^{33}$ for a year.
 - WW threshold running, $L = \text{several } 10^{33}$ for a year
 - Beam energy calibration required with accuracy of few 10^{-5} (still to be demonstrated by experimental community)

(a few things in this document are inaccurate)

High Statistics Z Running

- See eg. TESLA TDR for more details.
- Lots of physics can be done.
- “Lumi upgrade” has $L=3.0e34$ at 250 GeV
- So could think about $L=1.1e34$ at 91 GeV – and up to 10^{10} Z’s in 3 years.
 - 1000 times the LEP statistics
 - With detectors in many aspects 10 times better.
- It would be advisable to have a good design in hand for this opportunity

	LEP/SLC/TeV [19]	TESLA
$\sin^2\theta_{\text{eff}}^e$	0.23146 ± 0.00017	± 0.000013
lineshape observables:		
M_Z	$91.1875 \pm 0.0021 \text{ GeV}$	$\pm 0.0021 \text{ GeV}$
$\alpha_s(M_Z^2)$	0.1183 ± 0.0027	± 0.0009
$\Delta\rho_\ell$	$(0.55 \pm 0.10) \cdot 10^{-2}$	$\pm 0.05 \cdot 10^{-2}$
N_ν	2.984 ± 0.008	± 0.004
heavy flavours:		
\mathcal{A}_b	0.898 ± 0.015	± 0.001
R_b^0	0.21653 ± 0.00069	± 0.00014
M_W	$80.436 \pm 0.036 \text{ GeV}$	$\pm 0.006 \text{ GeV}$

Assumed 10^9 Z’s
and 100 fb^{-1} at 161

Current Status of m_W and m_Z

<u>VALUE (GeV)</u>	<u>EVTS</u>	<u>DOCUMENT ID</u>	<u>TECN</u>	<u>COMMENT</u>
80.385 ± 0.015 OUR FIT				
80.387 ± 0.019	1095k	¹ AALTONEN	12E CDF	$E_{cm}^{p\bar{p}} = 1.96$ TeV
80.367 ± 0.026	1677k	² ABAZOV	12F D0	$E_{cm}^{p\bar{p}} = 1.96$ TeV
80.401 ± 0.043	500k	³ ABAZOV	09AB D0	$E_{cm}^{p\bar{p}} = 1.96$ TeV
80.336 ± 0.055 ± 0.039	10.3k	⁴ ABDALLAH	08A DLPH	$E_{cm}^{ee} = 161-209$ GeV
80.415 ± 0.042 ± 0.031	11830	⁵ ABBIENDI	06 OPAL	$E_{cm}^{ee} = 170-209$ GeV
80.270 ± 0.046 ± 0.031	9909	⁶ ACHARD	06 L3	$E_{cm}^{ee} = 161-209$ GeV
80.440 ± 0.043 ± 0.027	8692	⁷ SCHAEEL	06 ALEP	$E_{cm}^{ee} = 161-209$ GeV
80.483 ± 0.084	49247	⁸ ABAZOV	02D D0	$E_{cm}^{p\bar{p}} = 1.8$ TeV
80.433 ± 0.079	53841	⁹ AFFOLDER	01E CDF	$E_{cm}^{p\bar{p}} = 1.8$ TeV

$$\Delta M/M = 1.9 \times 10^{-4}$$

$$\text{LEP2: } 3 \text{ fb}^{-1}$$

<u>VALUE (GeV)</u>	<u>EVTS</u>	<u>DOCUMENT ID</u>	<u>TECN</u>	<u>COMMENT</u>
91.1876 ± 0.0021 OUR FIT				
91.1852 ± 0.0030	4.57M	¹ ABBIENDI	01A OPAL	$E_{cm}^{ee} = 88-94$ GeV
91.1863 ± 0.0028	4.08M	² ABREU	00F DLPH	$E_{cm}^{ee} = 88-94$ GeV
91.1898 ± 0.0031	3.96M	³ ACCIARRI	00C L3	$E_{cm}^{ee} = 88-94$ GeV
91.1885 ± 0.0031	4.57M	⁴ BARATE	00C ALEP	$E_{cm}^{ee} = 88-94$ GeV

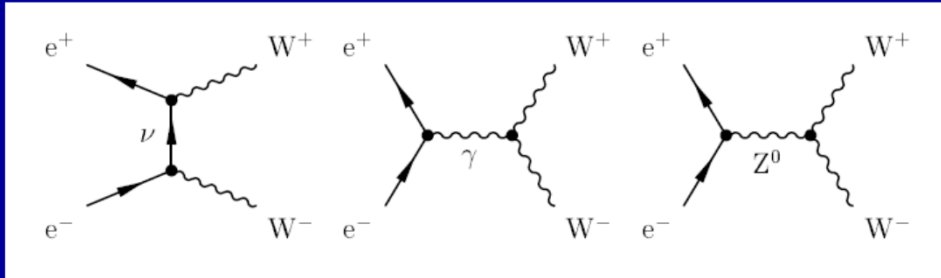
$$\Delta M/M = 2.3 \times 10^{-5}$$

$$\text{LEP: } 0.8 \text{ fb}^{-1}$$

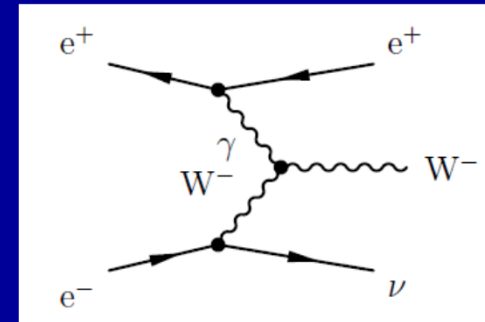
m_W is currently a factor of 8 less precise than m_Z

Note: LHC has still to make a competitive measurement of m_W .

W Production in e^+e^-

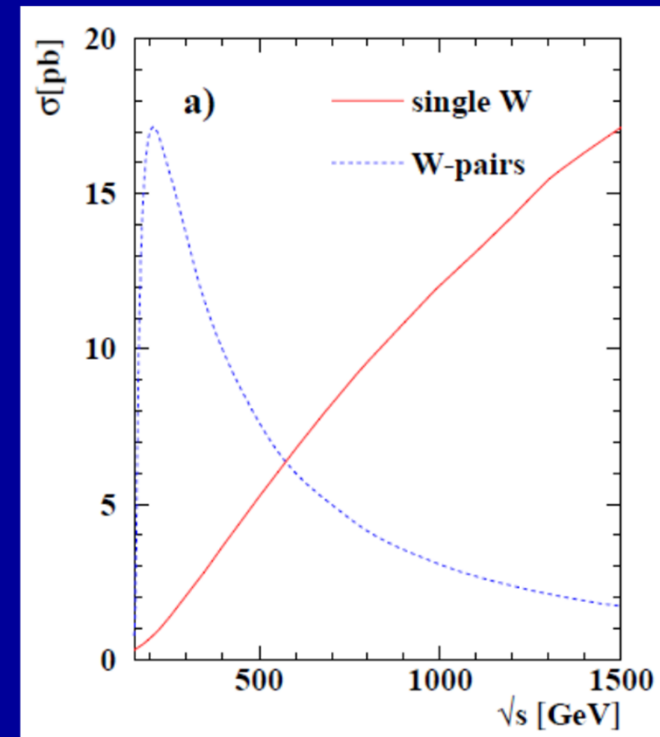
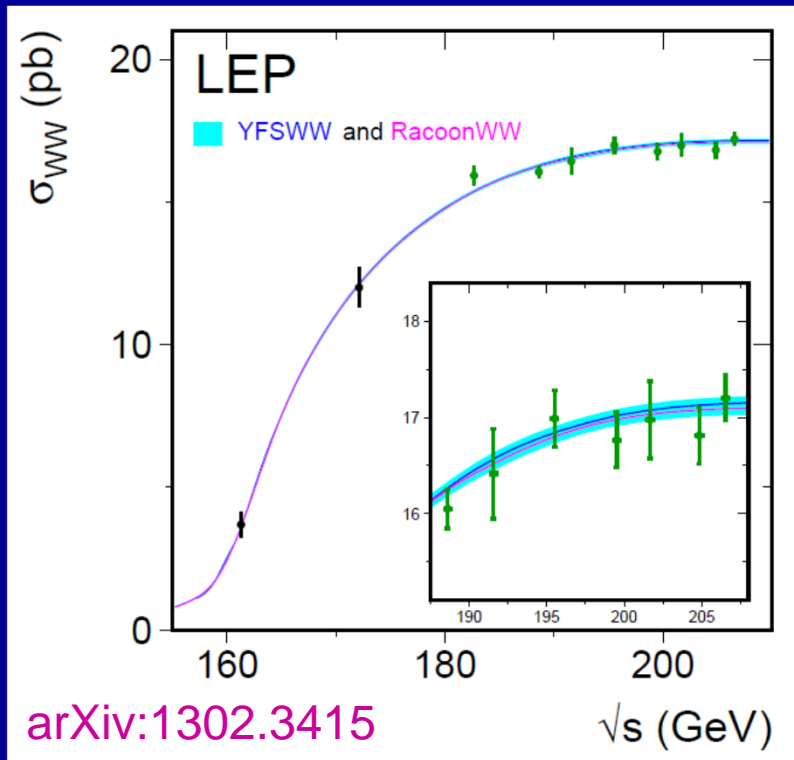


$e^+e^- \rightarrow W^+W^-$



$e^+e^- \rightarrow W e \nu$

etc ..



unpolarized cross-sections

Primary Methods

- 1. Polarized Threshold Scan
 - All decay modes
 - Polarization => Increase signal / control backgrounds
- 2. Kinematic Reconstruction using (E,p) constraints
 - $q q l \nu$ ($l = e, \mu$)
- 3. Direct Hadronic Mass Measurement
 - In $q q \tau \nu$ events and hadronic single- W events (e usually not detected)

ILC may contribute to W mass measurements over a wide range of energies.
ILC250, ILC350, ILC500, ILC1000, ILC161 ...

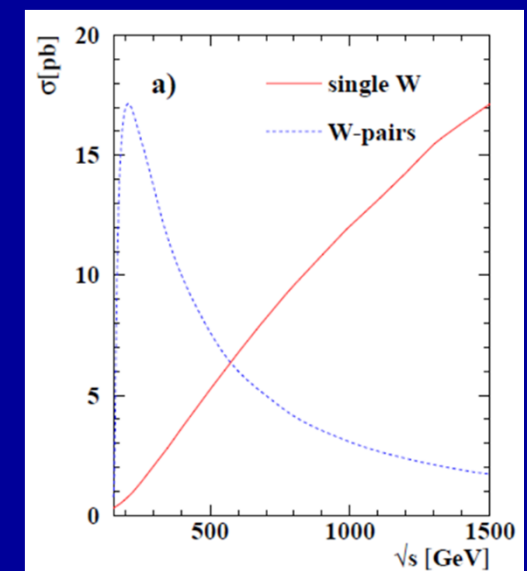
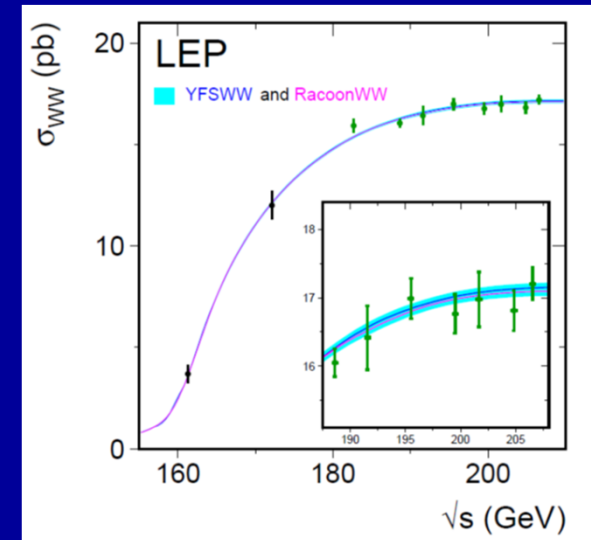
Threshold scan is the best worked out.

W Mass Measurement Strategies

- W^+W^-
 - 1. Threshold Scan ($\sigma \sim \beta/s$)
 - Can use all WW decay modes
 - 2. Kinematic Reconstruction
 - Apply kinematic constraints
- $W e \nu$ (and $WW \rightarrow qq\tau\nu$)
 - 3. Directly measure the hadronic mass in $W \rightarrow q q'$ decays.
 - e usually not detectable

Methods 1 and 2 were used at LEP2. Both require good knowledge of the absolute beam energy.

Method 3 is novel (and challenging), very complementary systematics to 1 and 2 if the experimental challenges can be met.



ILC

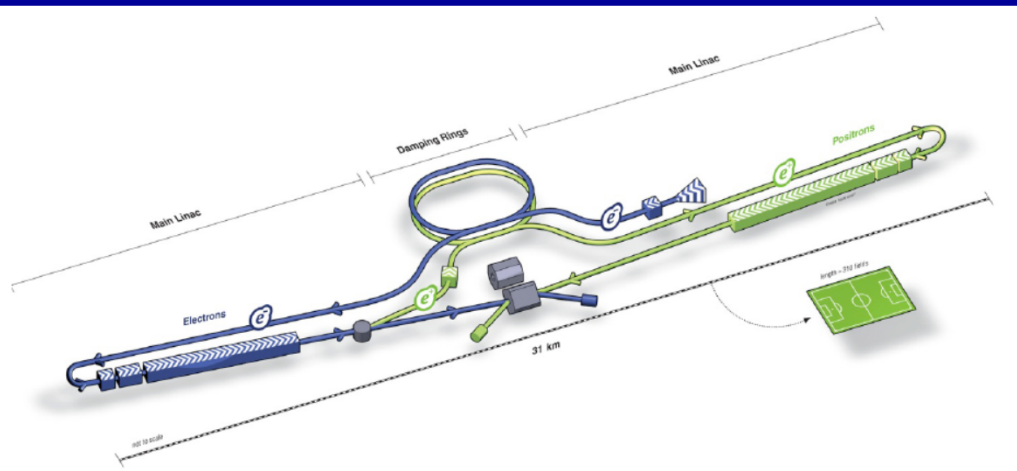


Figure 2: Layout of the ILC accelerator systems.

\sqrt{s} (GeV)	L (fb ⁻¹)	Physics
91	100	Z
161	160	WW
250	250	Zh, NP
350	350	t tbar, NP
500	1000	tth, Zhh, NP
1000	2000	vvh, vvhh, VBS, NP

Can polarize both the e^- and e^+ beam.
 Electron: 80% 90%?
 Positron 20, 30 ... 60%.

My take on a possible run-plan factoring in L capabilities at each \sqrt{s} .

In contrast to circular machines this is not supposed to be in exchange for less luminosity

ILC Accelerator Features

$$L \sim (P/E_{\text{CM}}) \sqrt{(\delta_E / \varepsilon_{y,N})} H_D$$

$$P \sim f_c N \quad \delta_E \sim (N^2 \gamma^2) / (\varepsilon_{x,N} \beta_x \sigma_z) U_1 (\Psi_{av})$$

Machine design has focused on 500 GeV baseline

\sqrt{s}	$\mathcal{L}[10^{34}]$	dE [%]	(dp/p)(+) [%]	(dp/p)(-) [%]
200	0.56	0.65	0.190	0.206
250	0.75	0.97	0.152	0.190
350	1.0	1.9	0.100	0.158
500	1.8/3.6	4.5	0.070	0.124
1000	4.9	10.5	0.047	0.085

dp/p same as
LEP2 at 200 GeV

dp/p typically
better than an e^+e^-
ring which worsens
linearly with \sqrt{s}

Scope for improving luminosity performance.

1. Increase number of bunches (f_c)
2. Decrease vertical emittance (ε_y)
3. Increase bunch charge (N)
4. Decrease σ_z
5. Decrease β_x

3,4,5 => L, BS trade-off
Can trade more BS for more L
or lower L for lower BS.

Beamstrahlung

Average energy loss of beams is not what matters for physics.

Average energy loss of colliding beams is factor of 2 smaller.

Median energy loss per beam from beamstrahlung typically tiny compared to beam energy spread.

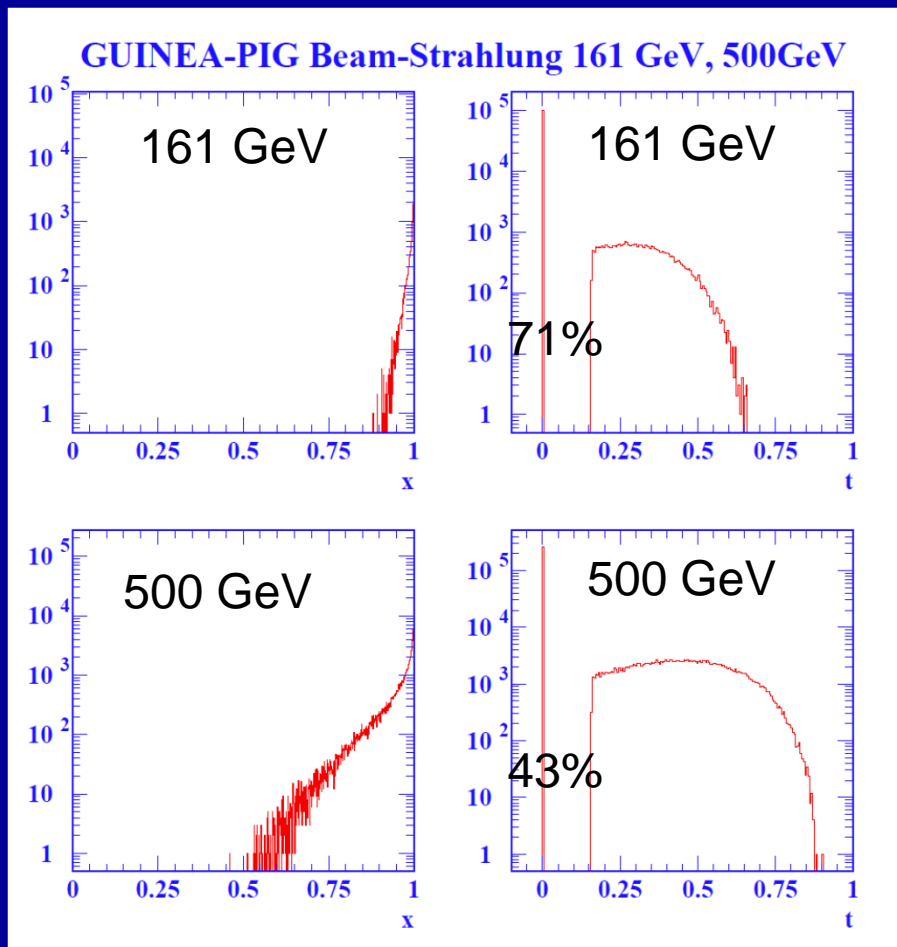
Parametrized with CIRCE functions.

$$f \delta(1-x) + (1-f) \text{Beta}(a_2, a_3)$$

$$\text{Define } t = (1 - x)^{1/5}$$

In general beamstrahlung is a less important issue than ISR. Worse BS could be tolerated in the WW threshold scan

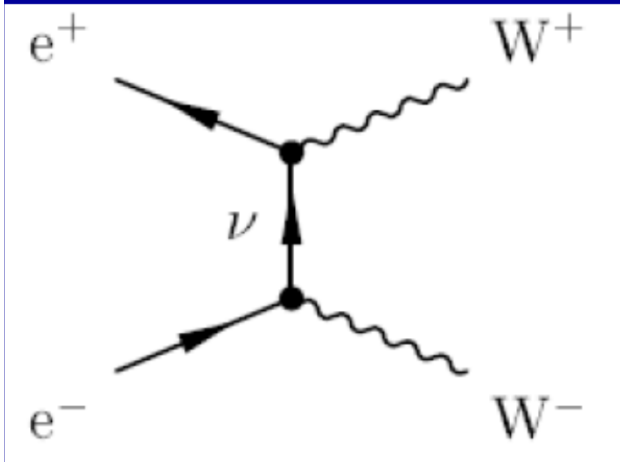
Scaled energy of colliding beams



$$t=0.25 \Rightarrow x = 0.999$$

$$x > 0.9999 \text{ in first bin}$$

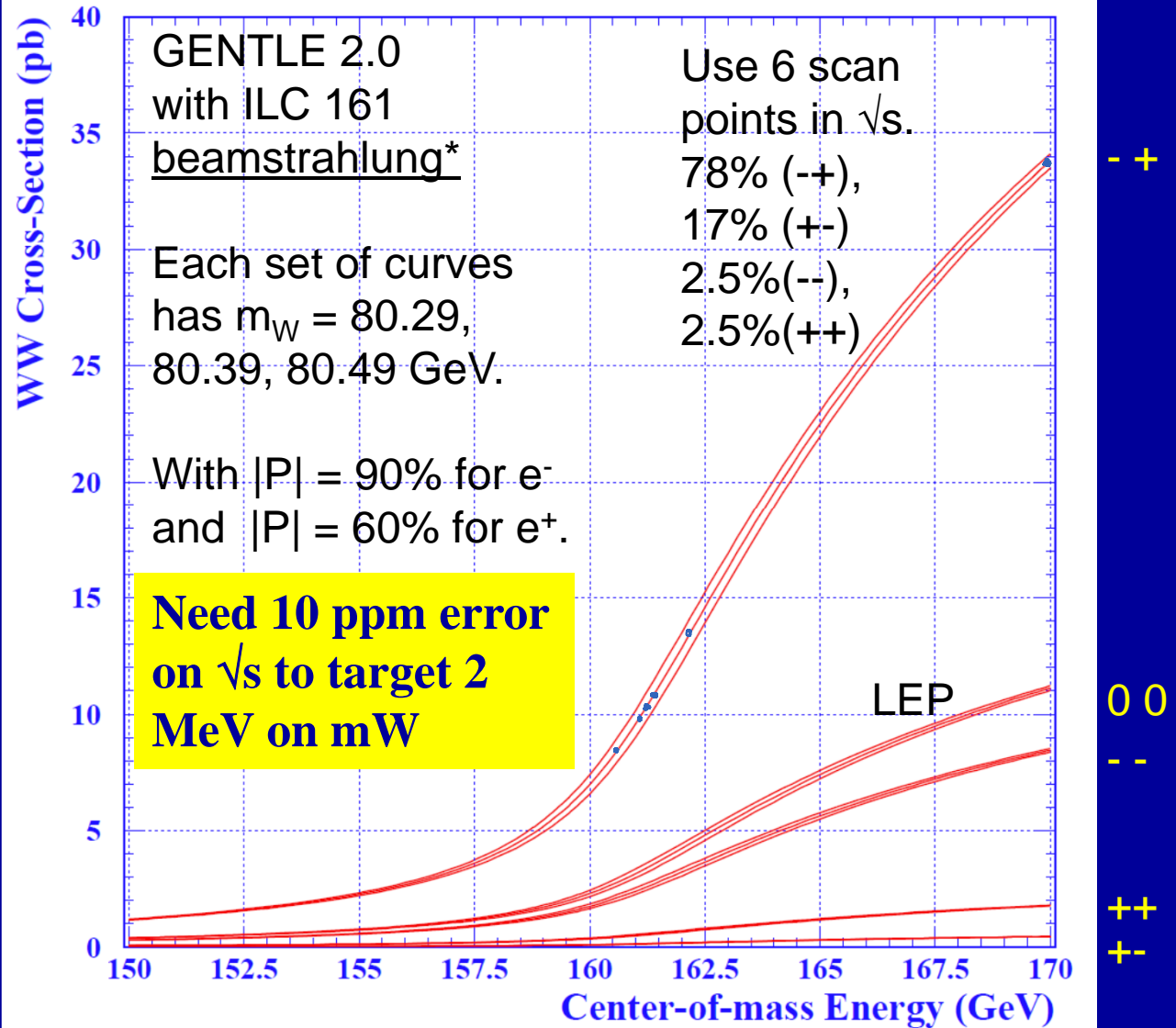
ILC Polarized Threshold Scan



Use (-+) helicity combination of e^- and e^+ to enhance WW.

Use (+-) helicity to suppress WW and measure background.

Use (--) and (++) to control polarization (also use 150 pb qq events)



Experimentally very robust. Fit for eff, pol, bkg, lumi

m_W Prospects

1. Polarized Threshold Scan
2. Kinematic Reconstruction
3. Hadronic Mass

Method 1: Statistics limited.

Method 2: With up to 1000 the LEP statistics and much better detectors. Can target factor of 10 reduction in systematics.

Method 3: Depends on di-jet mass scale. Plenty Z's for 3 MeV.

ΔM_W [MeV]	LEP2	ILC	ILC	ILC
\sqrt{s} [GeV]	172-209	250	350	500
\mathcal{L} [fb^{-1}]	3.0	500	350	1000
$P(e^-)$ [%]	0	80	80	80
$P(e^+)$ [%]	0	30	30	30
beam energy	9	0.8	1.1	1.6
luminosity spectrum	N/A	1.0	1.4	2.0
hadronization	13	1.3	1.3	1.3
radiative corrections	8	1.2	1.5	1.8
detector effects	10	1.0	1.0	1.0
other systematics	3	0.3	0.3	0.3
total systematics	21	2.4	2.9	3.5
statistical	30	1.5	2.1	1.8
total	36	2.8	3.6	3.9

ΔM_W [MeV]	LEP2	ILC	ILC
\sqrt{s} [GeV]	161	161	161
\mathcal{L} [fb^{-1}]	0.040	100	480
$P(e^-)$ [%]	0	90	90
$P(e^+)$ [%]	0	60	60
statistics	200	2.4	1.1
background		2.0	0.9
efficiency		1.2	0.9
luminosity		1.8	1.2
polarization		0.9	0.4
systematics	70	3.0	1.6
experimental total	210	3.9	1.9
beam energy	13	0.8	0.8
theory	-	(1.0)	(1.0)
total	210	4.0	2.1

ΔM_W [MeV]	ILC	ILC	ILC	ILC
\sqrt{s} [GeV]	250	350	500	1000
\mathcal{L} [fb^{-1}]	500	350	1000	2000
$P(e^-)$ [%]	80	80	80	80
$P(e^+)$ [%]	30	30	30	30
jet energy scale	3.0	3.0	3.0	3.0
hadronization	1.5	1.5	1.5	1.5
pileup	0.5	0.7	1.0	2.0
total systematics	3.4	3.4	3.5	3.9
statistical	1.5	1.5	1.0	0.5
total	3.7	3.7	3.6	3.9

See attached document for more detailed discussion

In-situ Physics Based Beam Energy Measurements

- Potential Mass-Scale References for Energy Calibration

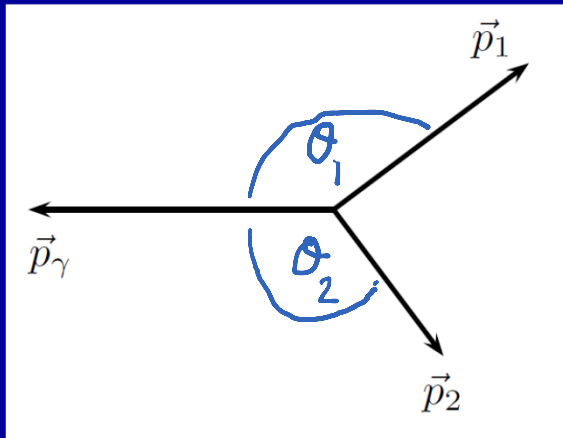
Particle	$\Delta M/M$ (PDG) (ppm)
J/psi	3.6
Upsilon	27
Z	23
W	190
H	2400

Conventional wisdom has been to use Z's, but with ILC detector designs J/psi's look attractive.

Prefer not to use something that one plans to measure better or something that will limit the precision.

“Old” In-Situ Beam Energy Method

$$e^+ e^- \rightarrow Z (\gamma) \rightarrow \mu^+ \mu^- (\gamma)$$



GWW – MPI 96
LEP Collabs.

Hinze & Moenig

Photon often not detected.
Use muon angles to (photon/beam-axis).
Requires precision polar angle.

$$\sqrt{s} = m_Z \sqrt{\frac{\sin \theta_1 + \sin \theta_2 - \sin(\theta_1 + \theta_2)}{\sin \theta_1 + \sin \theta_2 + \sin(\theta_1 + \theta_2)}}$$

Statistical error per event of order $\Gamma/M = 2.7\%$

Acceptance degrades quickly at high \sqrt{s}

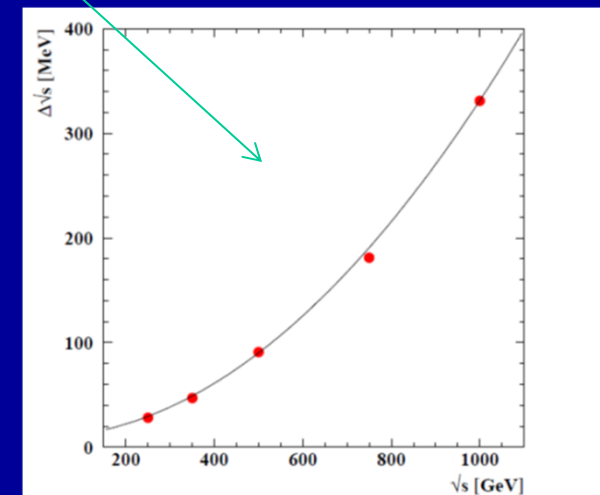
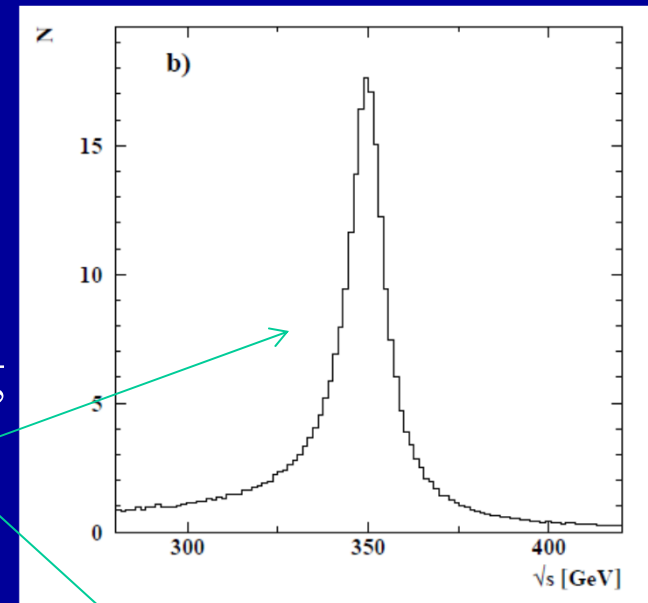
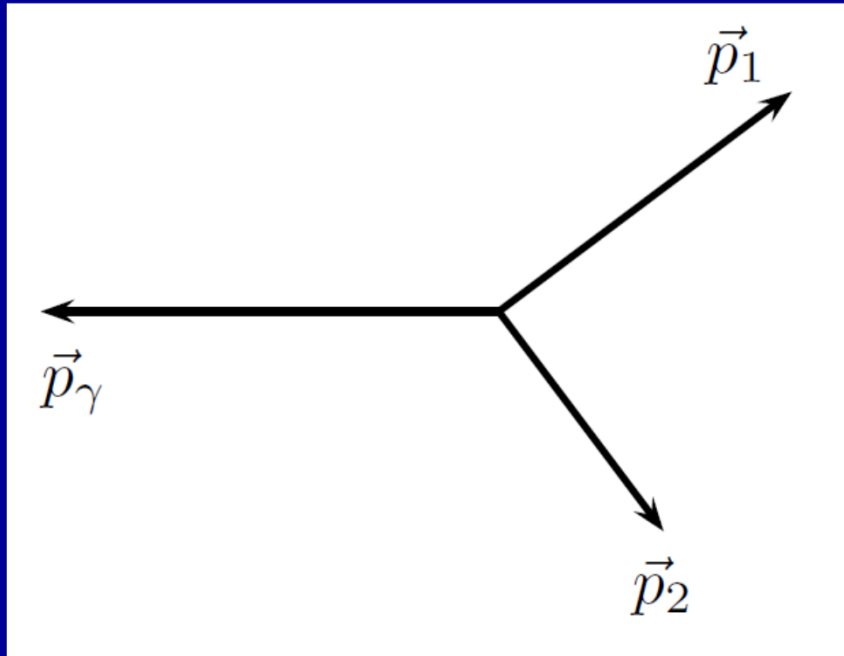


Figure 3: Energy dependence of $\Delta\sqrt{s}$ for $\mathcal{L} = 100 \text{ fb}^{-1}$.

“New” In-Situ Beam Energy Method

$$e^+ e^- \rightarrow \mu^+ \mu^- (\gamma)$$

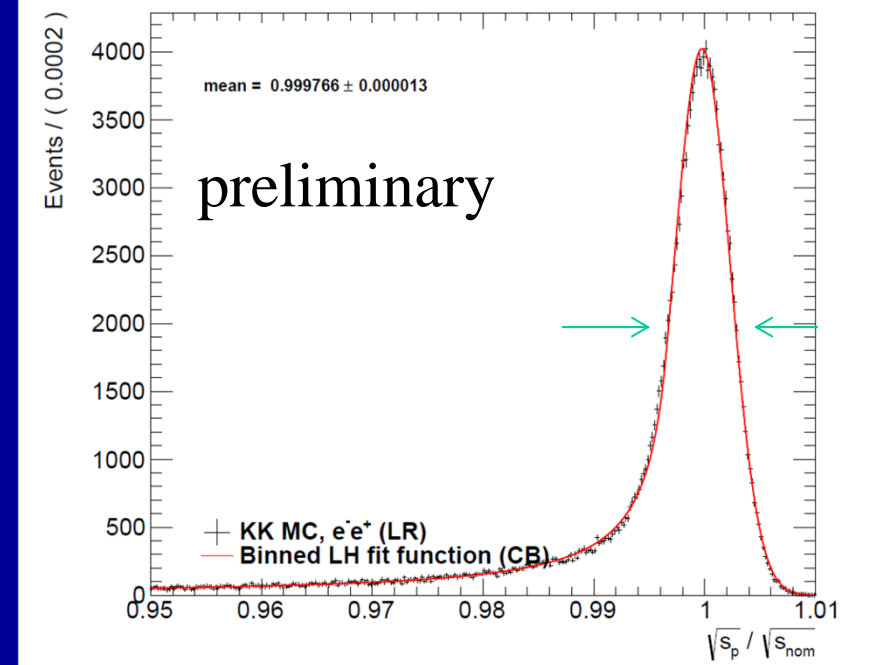


Use muon momenta.
 Measure $E_1 + E_2 + |\mathbf{p}_{12}|$ as an estimator of \sqrt{s}
 (no assumption that $m_{12} \approx m_Z$)

GWW

$\sqrt{s} = 161 \text{ GeV}$, Luminosity = 8.2 fb^{-1}

with J. Sekaric

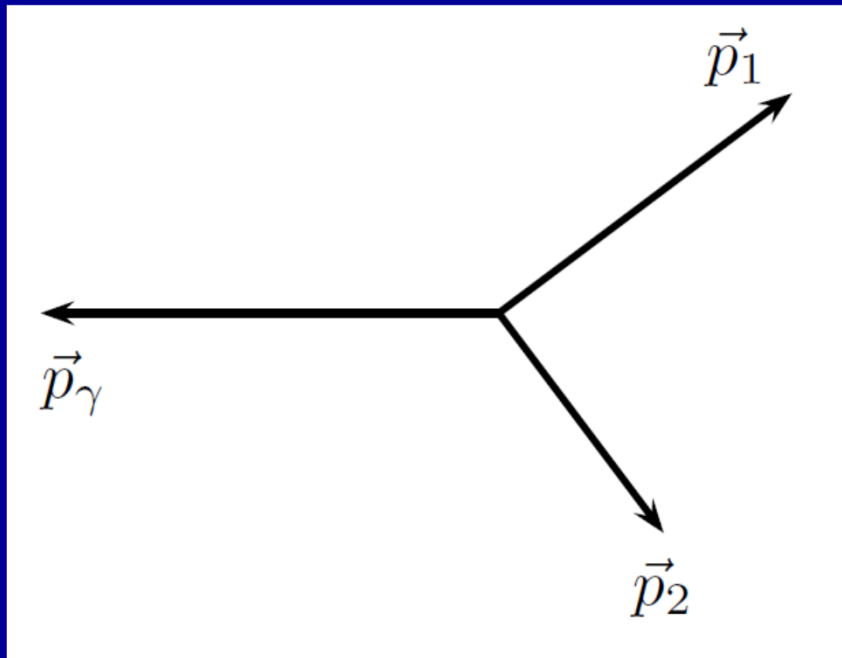


ILC detector momentum resolution (0.15%) plus beam energy spread gives beam energy to about 5 ppm statistical for $150 < \sqrt{s} < 350 \text{ GeV}$

Method explained in more detail.

Use muon momenta. Measure $E_1 + E_2 + |\mathbf{p}_{12}|$.

Proposed and
studied initially by
T. Barklow



Under the assumption of a massless photonic system balancing the measured di-muon, the momentum (and energy) of this photonic system is given simply by the momentum of the di-muon system.

So \sqrt{s} can be estimated from the sum of the energies of the two muons and the inferred photonic energy.

$$(\sqrt{s})_P = E_1 + E_2 + |\mathbf{p}_1 + \mathbf{p}_2|$$

In the specific case, where the photonic system has zero p_T , it is well approximated by this

$$\sqrt{s}_P \approx (p_T)_1 \left(\frac{1 + \cos \theta_1}{\sin \theta_1} \right) + (p_T)_2 \left(\frac{1 + \cos \theta_2}{\sin \theta_2} \right)$$

Assuming excellent resolution on angles, the resolution on $(\sqrt{s})_P$ is determined by the θ dependent p_T resolution.

Method also uses non radiative-return events with $m_{12} \gg m_Z$

Beam Energy Spread

- Current ILC Design.
- Not a big issue especially at high \sqrt{s}

IP RMS Energy spreads (%)

Centre of mass energy (GeV)		200	230	250
Damping ring @ 5GeV	e+	0,137	0,137	0,137
	e-	0,12	0,12	0,12
RTML @ 15 GeV (assume no z-correlation)	e+	1,23	1,23	1,23
	e-	1,17	1,17	1,17
Main linac	e+	0,185	0,160	0,148
	e-	0,176	0,153	0,140
Long. wakefield contribution		0,046	0,039	0,036
Positron undulator contribution	e-	0,098	0,113	0,123
IP value	e+	0,190	0,165	0,152
	e-	0,206	0,194	0,190

350	500
0,11	0,11
0,12	0,12
1,13	1,13
1,13	1,13
0,097	0,068
0,097	0,068
0,026	0,018
0,122	0,103
0,100	0,070
0,158	0,124

1000	1000
A1	B1B
0,250	0,225
0,109	0,109
1,36	1,51
0,041	0,045
0,014	0,014
0,071	0,071
0,043	0,047
0,083	0,085

LEP2 was 0.19% per beam at 200 GeV.

Momentum Resolution

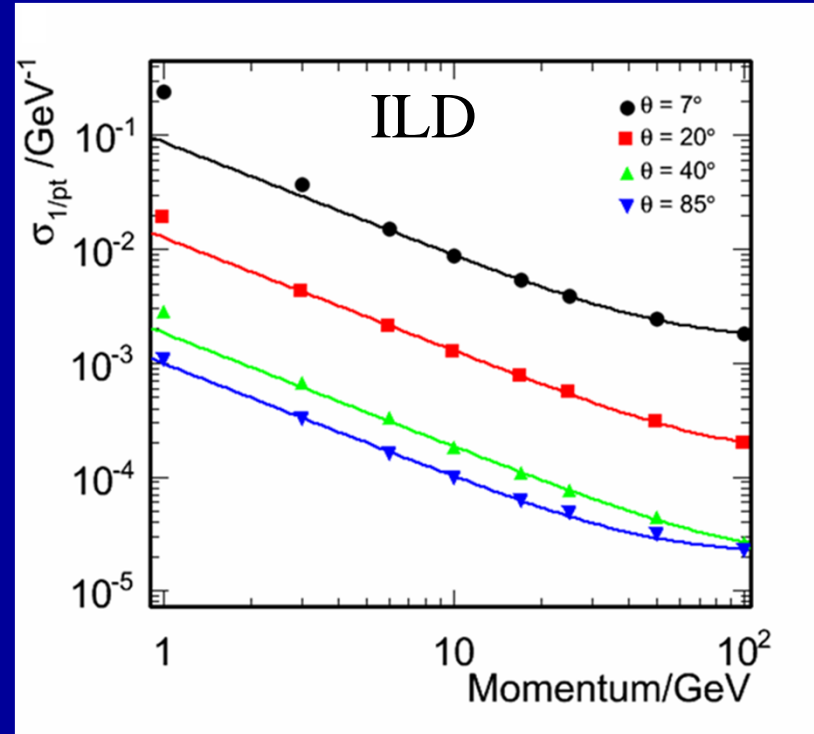
$$p_T (\text{GeV}/c) = 0.3 z B(T) R(m)$$

Define track curvature

$$K \equiv \frac{1}{R} \sim \frac{1}{p_T}$$

$$(\Delta K)^2 = (\Delta K_{res})^2 + (\Delta K_{MS})^2$$

$\mu\mu(\gamma)$ studies in this talk model momentum resolution using the plotted parameterization. J/psi studies are done with the ILD fast and full simulations

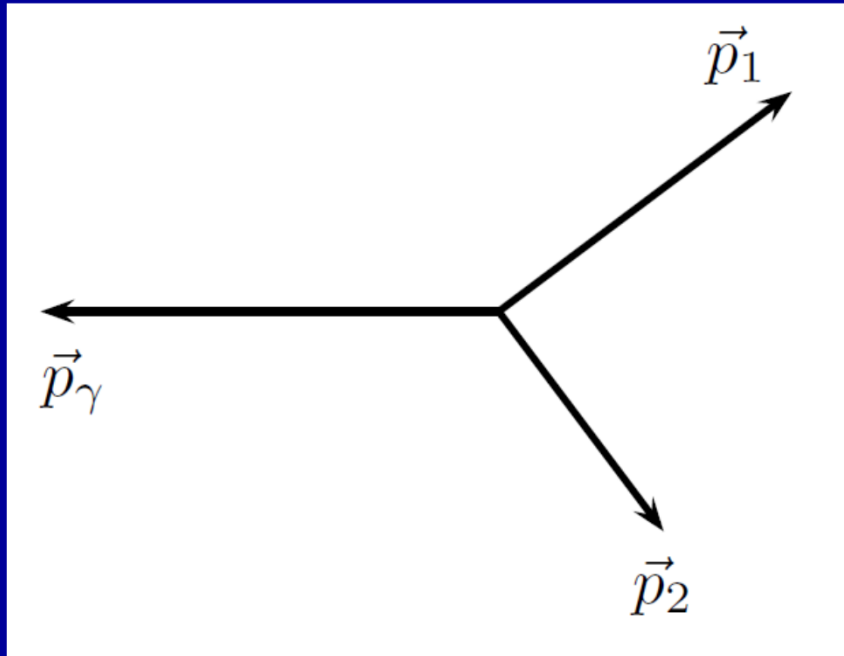


$$\sigma_{1/p_T} = a \oplus b / (p_T \sin \theta)$$

$$a = 2 \times 10^{-5} \text{ GeV}^{-1} \text{ and } b = 1 \times 10^{-3}$$

“New” In-Situ Beam Energy Method

$$e^+ e^- \rightarrow \mu^+ \mu^- (\gamma)$$



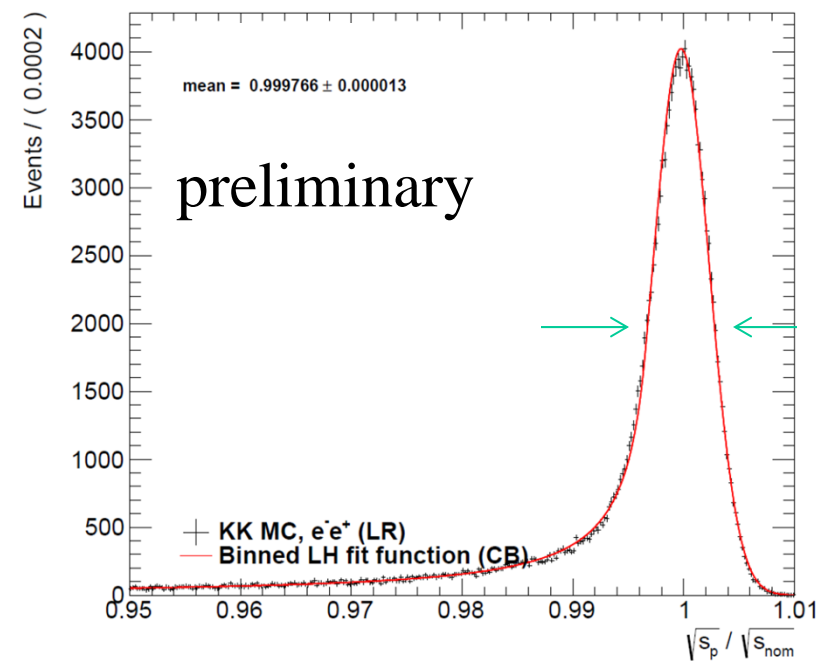
Use muon momenta.
 Measure $E_1 + E_2 + |\mathbf{p}_{12}|$ as an estimator of \sqrt{s}
 (no assumption that $m_{12} \approx m_Z$)

Beam Energy Uncertainty should be controlled for $\sqrt{s} \leq 500$ GeV

GWW

$\sqrt{s} = 161$ GeV, Luminosity = 8.2 fb^{-1}

with J. Sekaric

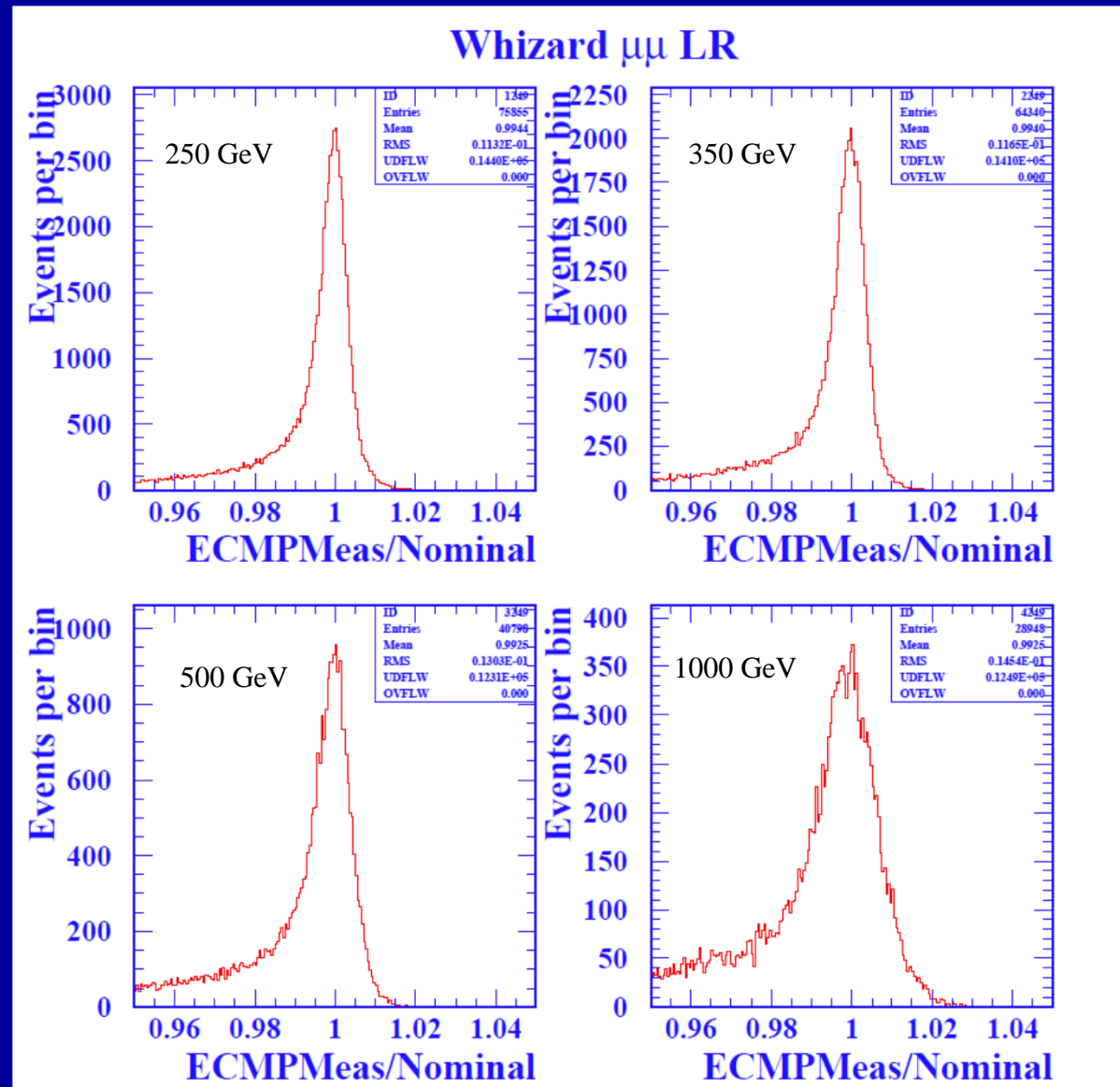


ILC detector momentum resolution (0.15%), gives beam energy to better than 5 ppm statistical. Momentum scale to 10 ppm \Rightarrow 0.8 MeV beam energy error projected on m_W (J/psi)

\sqrt{s}_P Distributions (error < 0.8%)

Using DBD
Whizard generator
files for each ECM

At 1000 GeV, error
on peak position
dominated by
detector
momentum
resolution



Projected Errors

See [talk](#) at LC2013 for more details.

ECMP errors based on estimates from weighted averages from various error bins up to 2.0%. Assumes (80,30) polarized beams, equal fractions of +- and -+.

Preliminary

(Statistical errors only)

ECM (GeV)	L (fb ⁻¹)	$\Delta(\sqrt{s})/\sqrt{s}$ Angles (ppm)	$\Delta(\sqrt{s})/\sqrt{s}$ Momenta (ppm)	Ratio
161	161	-	4.3	
250	250	64	4.0	16
350	350	65	5.7	11.3
500	500	70	10.2	6.9
1000	1000	93	26	3.6

< 10 ppm for 150 – 500 GeV CoM energy

161 GeV estimate using KKMC.

NB. Need a strategy to establish and maintain the momentum scale calibration ..

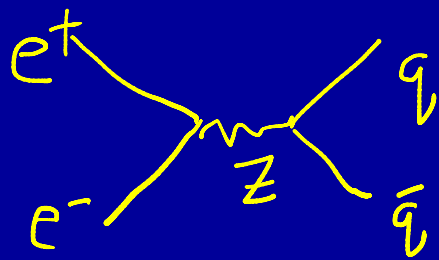
Systematics

$$\sqrt{s_P} \approx (p_T)_1 \left(\frac{1 + \cos \theta_1}{\sin \theta_1} \right) + (p_T)_2 \left(\frac{1 + \cos \theta_2}{\sin \theta_2} \right)$$

- New method depends on p_T scale and angles.
- Momentum scale assumed to be dominant experimental systematic error.
- Best prospect appears to be to use J/psi from Z decay, assuming substantial running at the Z.
 - Can also use $Z \rightarrow \mu\mu$ without need for Z running - but 23 ppm PDG error would be a limiting factor - and Γ_Z is big.
- Next slides discuss an initial J/psi based momentum scale study. See recent [talk](#) at AWLC14 for more details.

J/ψ Based Momentum Scale Calibration

$$\sqrt{s} = m_Z$$



$$\sigma_{had} = 30 \text{ nb} \quad \text{at } \sqrt{s} \approx m_Z$$

$$f_{bb}^- \equiv R_b = 22\%$$

Most $Z \rightarrow J/\psi X$ believed to be from $B_{hadron} \rightarrow J/\psi X$

$$B(Z_{had} \rightarrow J/\psi X) \cdot B(J/\psi \rightarrow \mu^+ \mu^-) \approx 3.0 \times 10^{-4}$$

⇒ Expect 300,000 events with 10^9 hadronic Z's

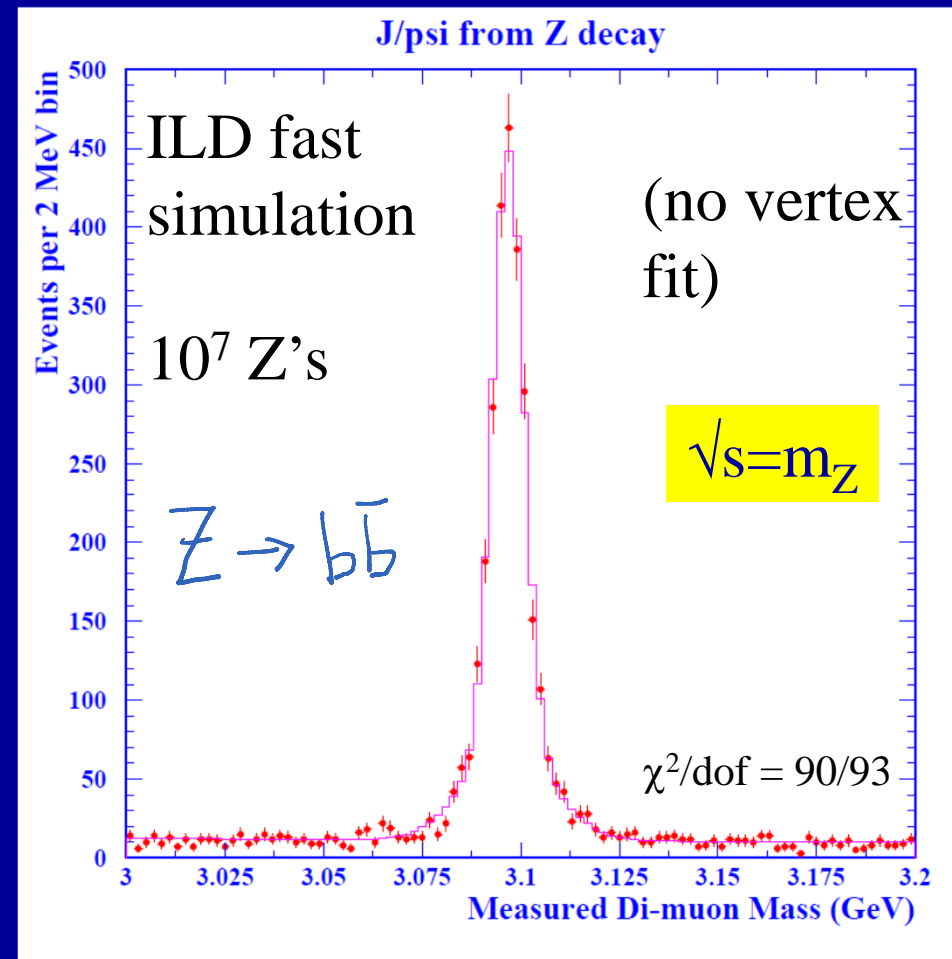
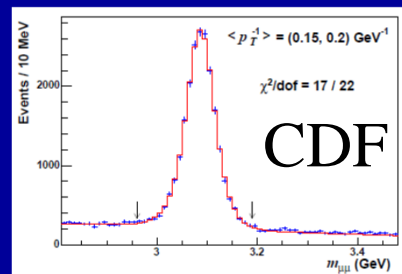
Mean J/psi energy of 20 GeV. Vertex displaced on average 2.5mm.

Momentum Scale with J/psi

With 10^9 Z's expect statistical error on mass scale of 1.7 ppm given ILD momentum resolution and vertexing based on fast simulation.

Most of the J/psi's are from B decays. J/psi mass is known to 3.6 ppm.

Can envisage also improving on the measurement of the Z mass (23 ppm error)



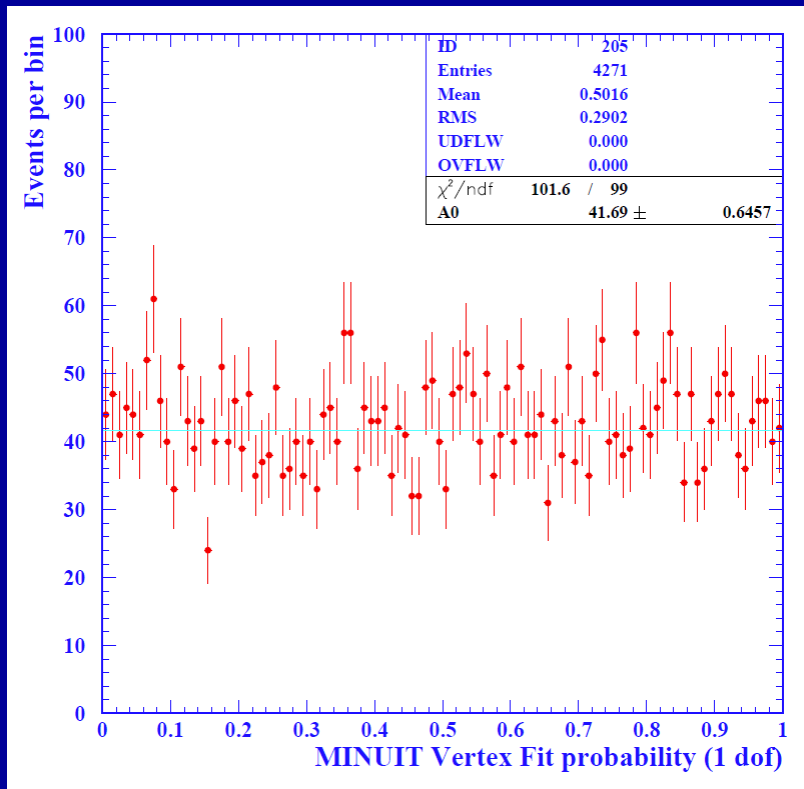
Double-Gaussian + Linear Fit

J/Psi (from Z) Vertex Fit Results

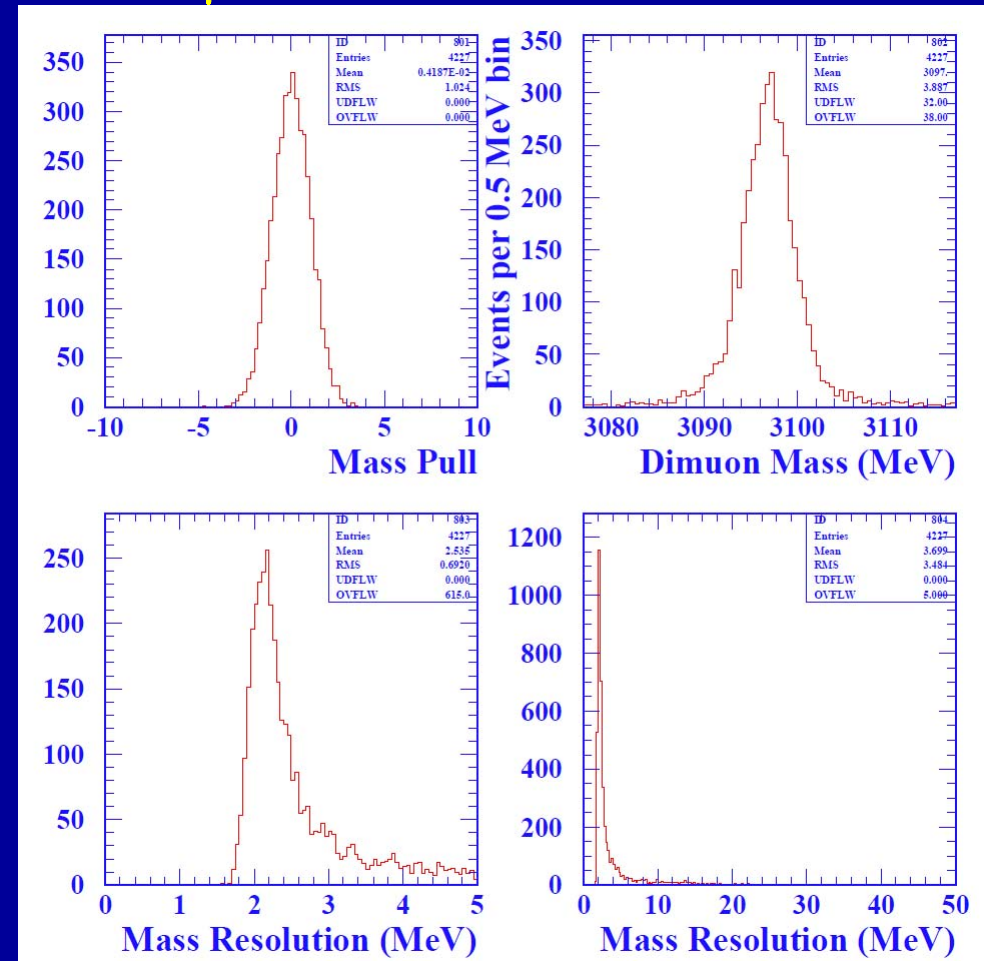
Implemented in MINUIT.
(tried OPAL and DELPHI fitters –
but some issues)

$$\sqrt{s} = m_Z$$

With $P_{fit} > 1\%$ cut



Mass errors calculated from V_{12} , cross-checked
with mass-dependent fit parameterization



$$\text{pull} \equiv \frac{m_{fit} - m_{gen}}{\Delta m_{fit}}$$

Full Simulation + Kalman Filter

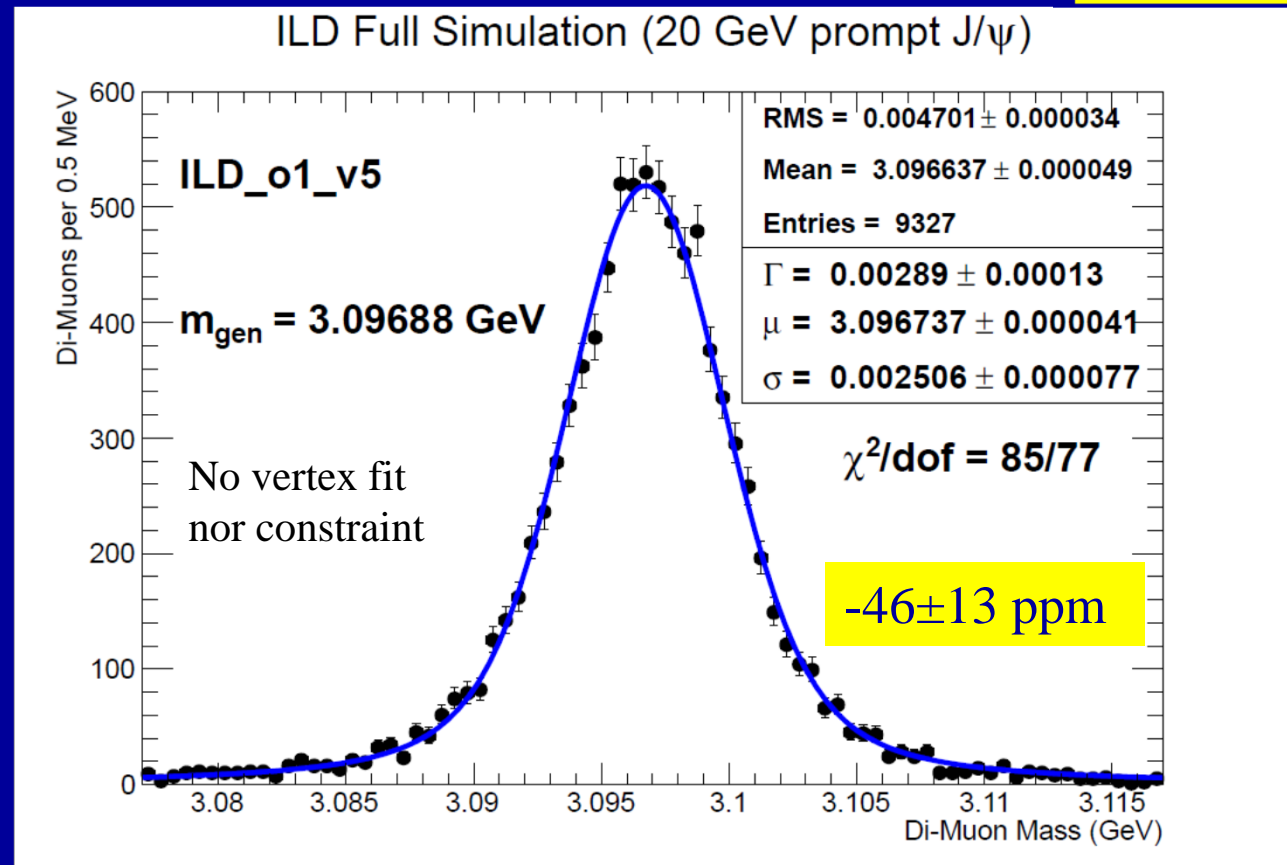
10k “single particle events”

$\sqrt{s}=m_Z$

Work in progress –
likely need to pay
attention to issues
like energy loss
model and FSR.

Preliminary
statistical precision
similar.

More realistic
material, energy loss
and multiple
scattering.



Empirical Voigtian fit.

Prospects at higher \sqrt{s} for establishing and maintaining momentum-scale calibration

J/psi: • $b \bar{b}$ cross-section comparison

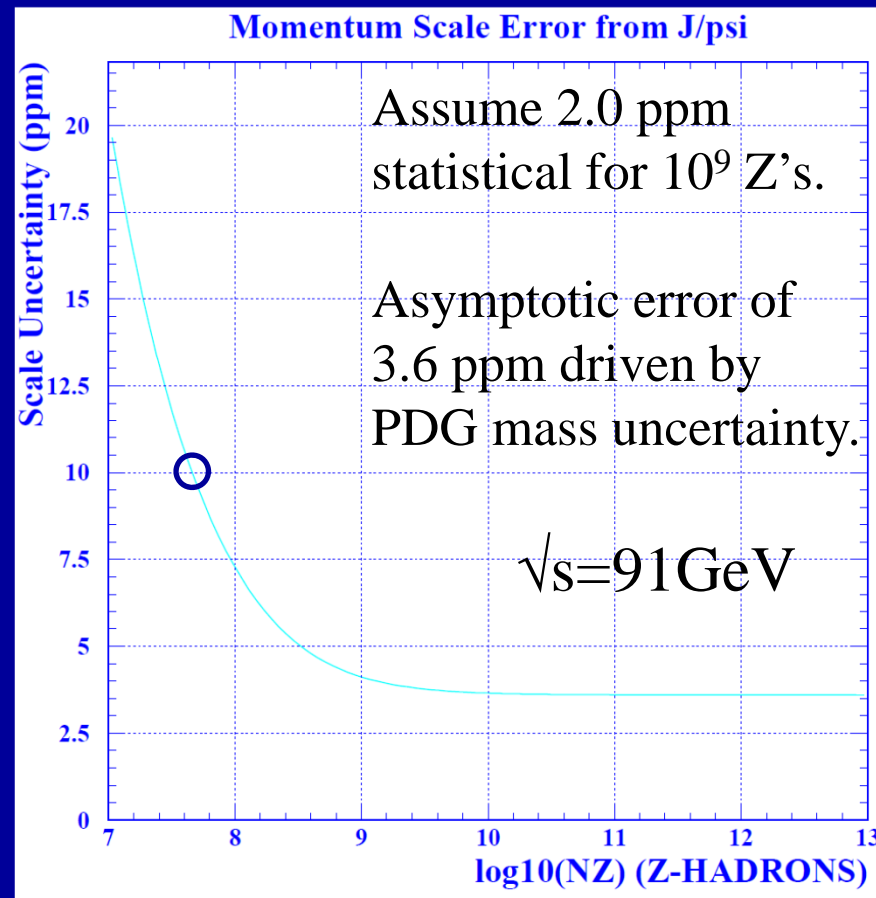
\sqrt{s} (GeV)	91	161	250	350	500	1000
$\sigma_{b\bar{b}}$ (pb)	6600	25	9.9	4.9	2.5	0.7

Table 3: Unpolarized $e^+e^- \rightarrow b\bar{b}$ cross-sections

- Other modes: $H X$, $t \bar{t}$
- (prompt) J/psi production from $\gamma\gamma$ collisions (DELPHI: 45 pb @ LEP2)
- Also $\gamma\gamma \rightarrow b \bar{b}$ leading to J/psi
- Best may be to use J/psi at Z to establish momentum scale, improve absolute measurements of particle masses (eg. D^0 , K^0_S). (see backup slide)
 - Then use D^0 , K^0_S , for more modest precision at high energy (example top mass application)

“Calibration” Run at $\sqrt{s}=m_Z$ for detector p-scale calibration

If detector is stable and not pushed, pulled and shaken, one could hope that such a calibration could be maintained long term at high energy.

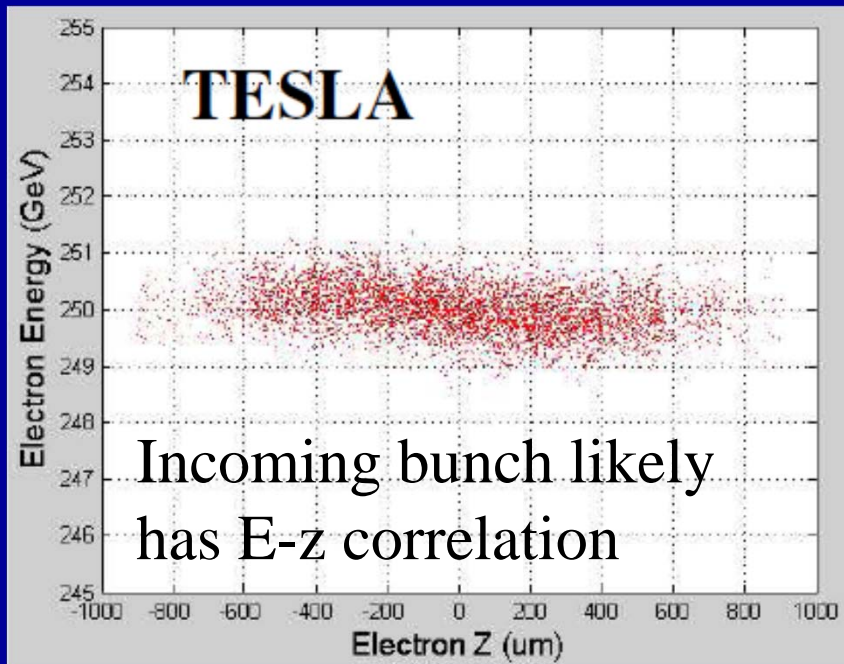


Plot assumes negligible systematics from tracking modeling ...

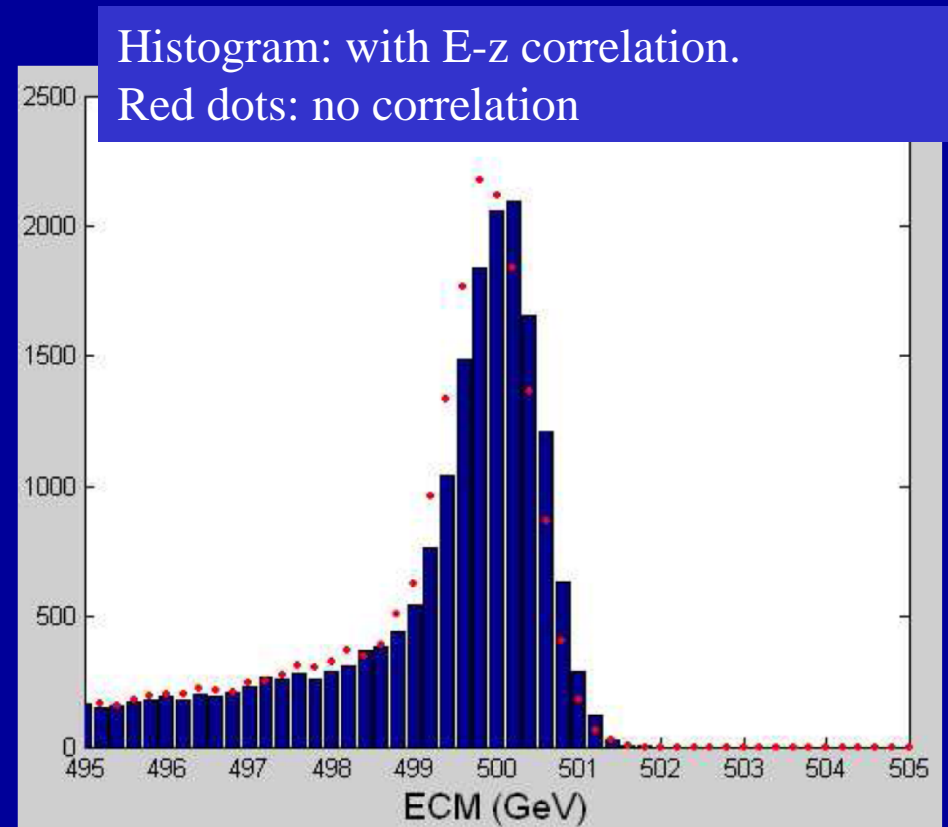
- ⇒ Need at least 40 M hadronic Z's for 10 ppm
- ⇒ Corresponds to $\geq 1.3 \text{ fb}^{-1}$ ($L \geq 1.3 \times 10^{33}$ for 10^6s) assuming unpolarized beams

CoM Energy Measurement Systematics

An example of why an upstream spectrometer will not be good enough.



See Florimonte, Woods (IPBI TN-2005-01)



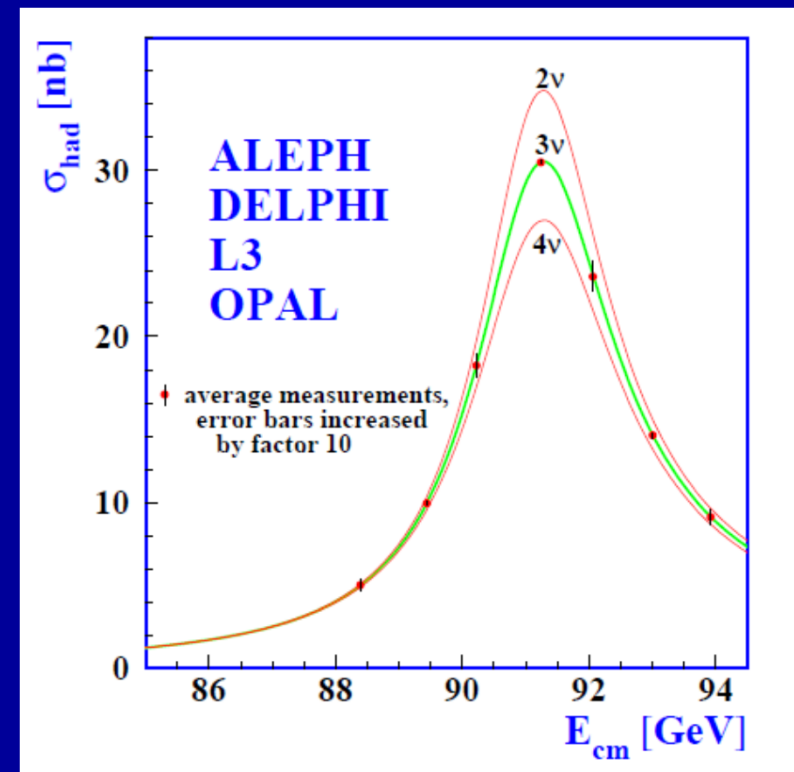
The incoming E-z correlation + the collision effects (disruption and beamstrahlung) leads to the actual luminosity spectrum being sensitive to the E-z correlation. The $\sqrt{s_p}$ method should help resolve this issue.

Higher Precision Enables more Physics

- With the prospect of controlling \sqrt{s} at the few ppm level, ILC can also consider targeting much improved Z line-shape parameters.
- The “Giga-Z” studies appear conservative in their assumptions on beam energy control - was the dominant systematic in many of the observables.
 - It was not believed that it was feasible to have an absolute \sqrt{s} scale independent of the LEP1 Z mass measurement.
- Controlling the \sqrt{s} systematics will also extend the scope for improvement on m_W using kinematic constraints at energies like 250 GeV and 350 GeV using $qq\ell\nu$ in tandem with the Higgs and top program.

Z-lineshape: Measuring the Centre-of-Mass Energy at $\sqrt{s} \approx m_Z$

- The same \sqrt{s}_p method with $\mu\mu(\gamma)$ should work
- Pros:
 - Cross-section much higher cf 161 GeV
 - Factor of 100.
 - Less beamstrahlung
 - p-scale calibration in place
- Cons:
 - Intrinsic fractional resolution worse
 - E_b spread of 200 MeV (0.44%)



Prelim. Estimate: statistical error of 10 ppm on \sqrt{s} with lumi corresponding to 30 M hadronic Z's.

Conclusions 0

- The $\mu\mu(\gamma)$ channel using the \sqrt{s}_p method is a very powerful \sqrt{s} calibration method for a wide range of \sqrt{s} .
 - Running at the Z with high statistics is highly desirable to take advantage of J/psi statistics for the momentum scale calibration
 - Also obvious physics opportunities.
 - Need an excellent low material tracker, B-field map, alignment ...
 - $\mu\mu(\gamma)$ should also be able to constrain the luminosity spectrum....
- While running at high \sqrt{s} , maintenance of the momentum scale would be very important and/or finding an independent method with similar power.

Concluding Remarks I

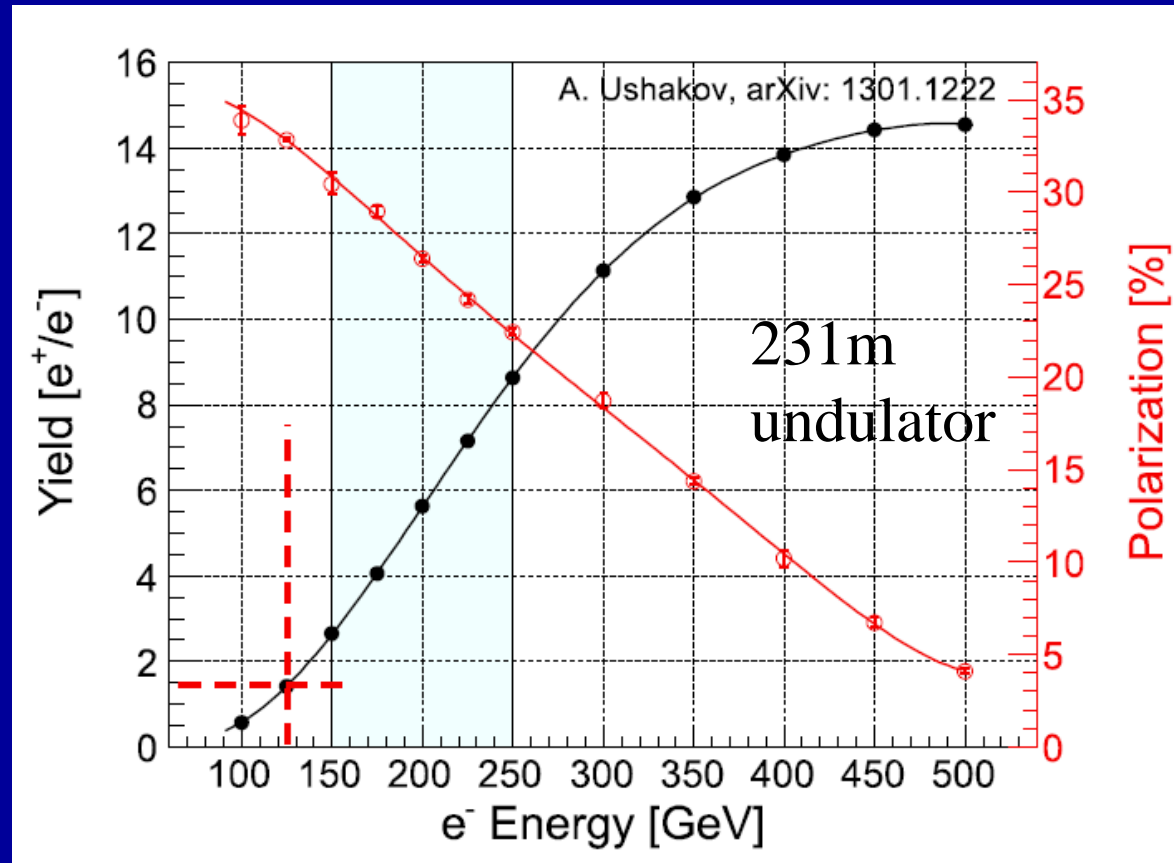
- In-situ precision C-o-M energy calibration using the \sqrt{s}_p method with $\mu\mu(\gamma)$ events looks achievable at the 10's of ppm level for the 200-500 GeV program.
 - Requires excellent momentum resolution especially at high \sqrt{s}
 - Beware detector de-scoping
- Requires precision absolute calibration of detector momentum-scale and stability.
 - Calibration looks feasible with 100 M Z's using J/psi's.
 - (driven by momentum resolution in the multiple scattering regime)
 - Calibration challenging at high \sqrt{s} – need further investigation
 - Stability – may also be challenging.
- 10 ppm error on \sqrt{s} , enables one to target even more precise m_W , and perhaps m_Z

Concluding Remarks II

- The ILC physics program will be even stronger with low energy running ($\sqrt{s} < 200 \text{ GeV}$)
 - Need reasonable machine parameters for studies and a feasible machine design.
 - Adequate e^+ source essential.
- Beam energy spread is a major statistical limitation for the \sqrt{s}_p method.
 - Especially for low \sqrt{s} .
- “Calibration runs” at the Z are interesting if the luminosity is not too low.
 - Recommend including relatively high L performance capability at the Z from the start given likely implications for C-o-M energy determination **at all** \sqrt{s}
- Running at 161 GeV (threshold) for m_W should be kept open.
 - Will be most time effective if done with highest possible beam polarizations (e^- and e^+) and luminosity. (e^- polarization level also very important!)
 - Methods for measuring m_W at 250 GeV, 350 GeV are more synergistic with the overall physics program.
 - But they still need to be fully demonstrated and shown to be ultimately competitive with the threshold method.

Backup Slides

Positron Source



For $\sqrt{s} \ll 250$ GeV, still need a high energy e^- beam for adequate e^+ production.

Candidate Decay Modes for Momentum-Scale Calibration

Particle	$n_{Z^{\text{had}}}$	Decay	BR (%)	$n_{Z^{\text{had}}} \cdot \text{BR}$	Γ/M	PDG ($\Delta M/M$)
J/ψ	0.0052	$\mu^- \mu^+$	5.93	0.00031	3.0×10^{-5}	3.6×10^{-6}
K_S^0	1.02	$\pi^- \pi^+$	69.2	0.71	1.5×10^{-14}	4.8×10^{-5}
Λ	0.39	$\pi^- p$	63.9	0.25	2.2×10^{-15}	5.4×10^{-6}
D^0	0.45	$K^- \pi^+$	3.88	0.0175	8.6×10^{-13}	7.0×10^{-5}

Table 1: Candidate standard candles for momentum scale calibration and abundances in Z decay.

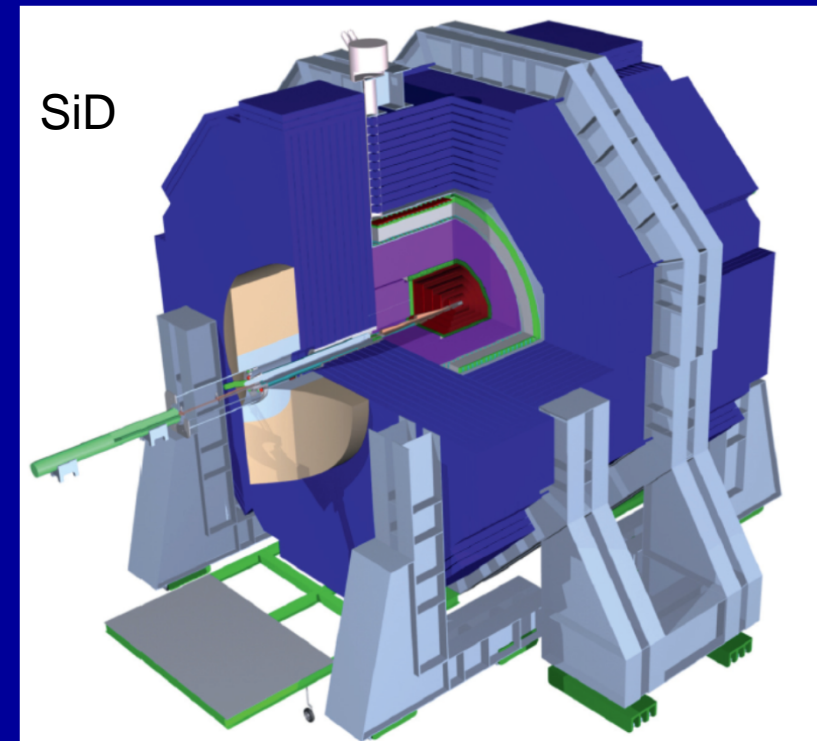
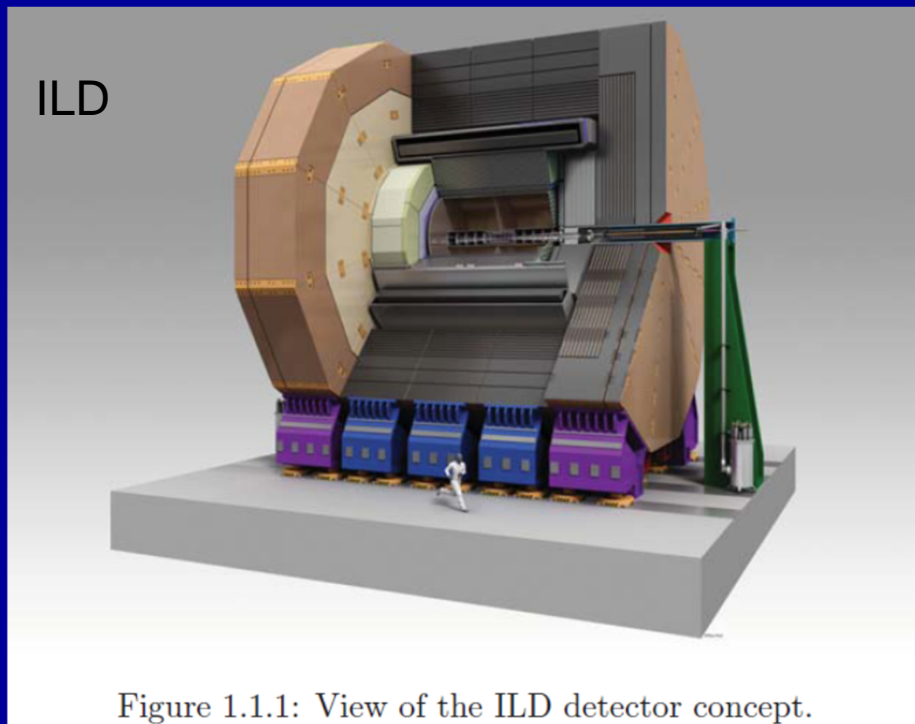
Particle	Decay	Sensitivity	σ_M/M	Stat. Error ($10^7 Z$)	Stat. Error ($10^9 Z$)	PDG limit
J/ψ	$\mu^- \mu^+$	0.99	1.2×10^{-3}	22 ppm	2.2 ppm	3.6 ppm
K_S^0	$\pi^- \pi^+$	0.55	2.3×10^{-3}	1.6 ppm	0.16 ppm	87 ppm
Λ	$\pi^- p$	0.044	3.8×10^{-4}	5.5 ppm	0.55 ppm	123 ppm
D^0	$K^- \pi^+$	0.77	1.2×10^{-3}	3.7 ppm	0.37 ppm	91 ppm

Table 2: Estimated momentum scale statistical errors assuming 100% acceptance.

ILC Detector Concepts

Large international effort.

See Letters of Intent from 2009. Currently Detailed Baseline
(See ILC TDR)



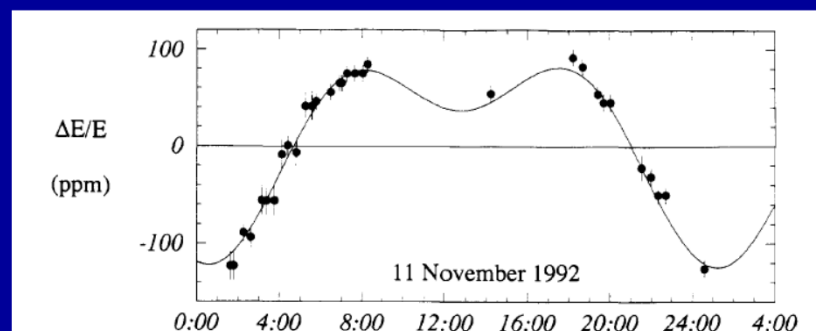
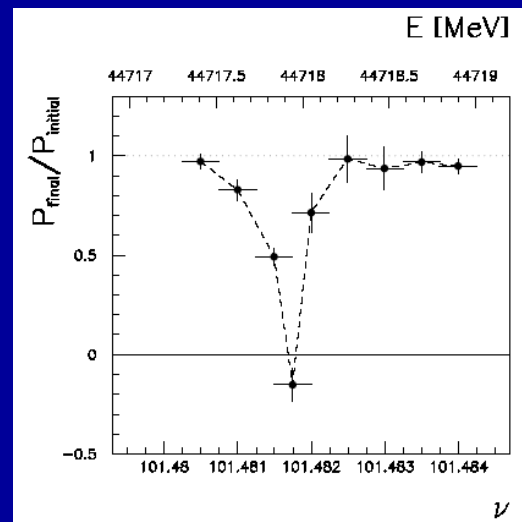
Detailed designs with engineering realism. Full simulations with backgrounds. Advanced reconstruction algorithms. Performance in many respects (not all) much better than the LHC experiments. Central theme: particle-flow based jet reconstruction. New people welcome !

Resonant spin depolarization

- In a synchrotron, transverse polarization of the beam builds up via the Sokolov-Ternov effect.
- By exciting the beam with an oscillating magnetic field, the transverse polarization can be destroyed when the excitation frequency matches the spin precession frequency.
- Once the frequency is shifted off-resonance the transverse polarization builds up again.
- Can measure E_b to 100 keV or less

$$E_b = \frac{\nu_s \cdot m_e c^2}{(g_e - 2)/2}$$

$$= \nu_s \cdot 440.6486(1) [\text{MeV}]$$



Feasible at LEP for beam energies up to 50-60 GeV. Beam energy spread at higher energies too large.

(Not an option for ILC)

ILC Accelerator Parameters

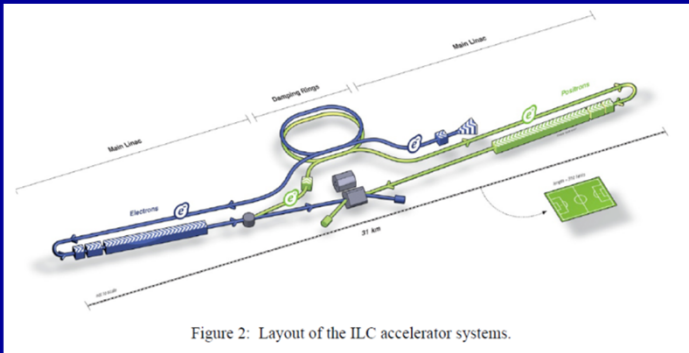


Figure 2: Layout of the ILC accelerator systems.

Parameters of interest for precision measurements:

- Beam energy spread,
- Bunch separation,
- Bunch length,
- e^- Polarization / e^+ Polarization,
- $dL/d\sqrt{s}$,
- Average energy loss,
- Pair backgrounds,
- Beamstrahlung characteristics,
- and of course luminosity.

								L Upgrade	E _{cm} Upgrade
Centre-of-mass energy	E _{cm}	GeV	200	230	250	350	500	500	1000
Beam energy	E _{beam}	GeV	100	115	125	175	250	500	500
Lorentz factor			#####	#####	#####	#####	#####	#####	#####
Collision rate	f _{coll}	Hz	5	5	5	5	5	5	4
Electron linac rate	f _{linac}	Hz	10	10	10	5	5	5	4
Number of bunches	n _b		1312	1312	1312	1312	1312	2625	2450
Electron bunch population	N _e	×10 ¹⁰	2.0	2.0	2.0	2.0	2.0	2.0	1.74
Positron bunch population	N _p	×10 ¹⁰	2.0	2.0	2.0	2.0	2.0	2.0	1.74
Bunch separation	t _b	ns	554	554	554	554	554	366	366
Bunch separation × f _{coll}	t _b f _{coll}		720	720	720	720	720	476	476
Pulse current	I _{beam}	mA	5.8	5.8	5.8	5.8	5.79	8.75	7.6
RMS bunch length	z	mm	0.3	0.3	0.3	0.3	0.3	0.3	0.250
Electron RMS energy spread	σ _{p/p}	%	0.206	0.194	0.190	0.158	0.124	0.124	0.083
Positron RMS energy spread	σ _{p/p}	%	0.190	0.165	0.152	0.100	0.070	0.070	0.043
Electron polarisation	P _e	%	80	80	80	80	80	80	80
Positron polarisation	P _p	%	31	31	30	30	30	30	20
Horizontal emittance	ε _x	m	10	10	10	10	10	10	10
Vertical emittance	ε _y	nm	35	35	35	35	35	35	30
IP horizontal beta function	β _x *	mm	16.0	14.0	13.0	16.0	11.0	11.0	22.6
IP vertical beta function (no TF)	β _y *	mm	0.34	0.38	0.41	0.34	0.48	0.48	0.25
IP RMS horizontal beam size	σ _x *	nm	904	789	729	684	474	474	481
IP RMS vertical beam size (no TF)	σ _y *	nm	7.8	7.7	7.7	5.9	5.9	5.9	2.8
Horizontal disruption parameter	D _x		0.2	0.2	0.3	0.2	0.3	0.3	0.1
Vertical disruption parameter	D _y		24.3	24.5	24.5	24.3	24.6	24.6	18.7
Horizontal enhancement factor	H _{1Dx}		1.0	1.1	1.1	1.0	1.1	1.1	1.0
Vertical enhancement factor	H _{1Dy}		4.5	5.0	5.4	4.5	6.1	6.1	3.5
Total enhancement factor	H _{1D}		1.7	1.8	1.8	1.7	2.0	2.0	1.5
Geometric luminosity	L _{geom}	×10 ³⁴ cm ⁻² s ⁻¹	0.30	0.34	0.37	0.52	0.75	1.50	1.77
Luminosity	L	×10 ³⁴ cm ⁻² s ⁻¹	0.50	0.61	0.68	0.88	1.47	2.94	2.71
Average beamstrahlung parameter	av		0.013	0.017	0.020	0.030	0.062	0.062	0.127
Maximum beamstrahlung parameter	max		0.031	0.041	0.048	0.072	0.146	0.146	0.305
Average number of photons / particle			0.95	1.08	1.16	1.23	1.72	1.72	1.43
Average energy loss	E _{loss}	%	0.51	0.75	0.93	1.42	3.65	3.65	5.33
Luminosity	L	×10 ³⁴ cm ⁻² s ⁻¹	0.498	0.607	0.681	0.878	1.50	3.00	3.23
Coherent waist shift	W _y	m	250	250	250	250	250	250	190
Luminosity (inc. waist shift)	L	×10 ³⁴ cm ⁻² s ⁻¹	0.56	0.67	0.75	1.0	1.8	3.6	3.6
Fraction of luminosity in top 1%	L _{0.01} /L		91.3%	88.6%	87.1%	77.4%	58.3%	58.3%	59.2%
Average energy loss	E _{loss}	%	0.65%	0.83%	0.97%	1.9%	4.5%	4.5%	5.6%
Number of pairs per bunch crossing	N _{pairs}	×10 ⁴	44.7	55.6	62.4	93.6	139.0	139.0	200.5