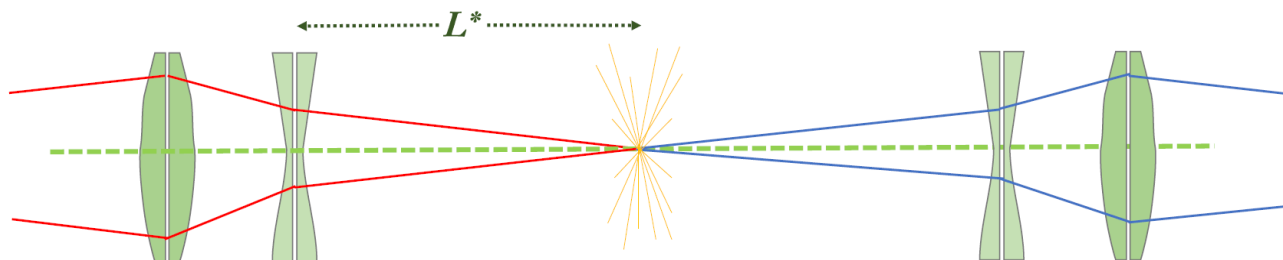


# Long $L^*$ option for ILC Final Focus System

**Design and Tunability of a short Traditional FFS scheme with  $L^* = 8$  m**



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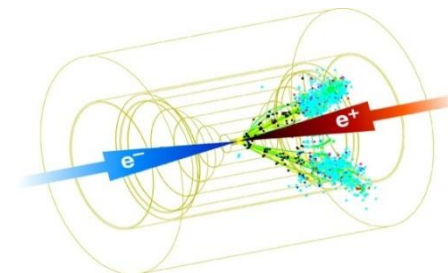


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ИИВBC14 Vinča Institute of Nuclear Sciences, Belgrade, Serbia



INTERNATIONAL WORKSHOP ON FUTURE  
LINEAR COLLIDERS



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## ILC Final Focus System

- Review of the traditional design
- Long  $L^*$  option for ILC Final Focus

2

## Design optimization and results

- Traditional lattice design and optimization for  $L^* = 8$  m
- Comparison for shorter  $L^*$  design

3

## Tuning simulation using extra sextupoles

- Tuning set up
- Alignment procedure (A. Latina algorithm)
- Steps before tuning the FFS
- Tuning preliminary results

4

## Summary and conclusions

1

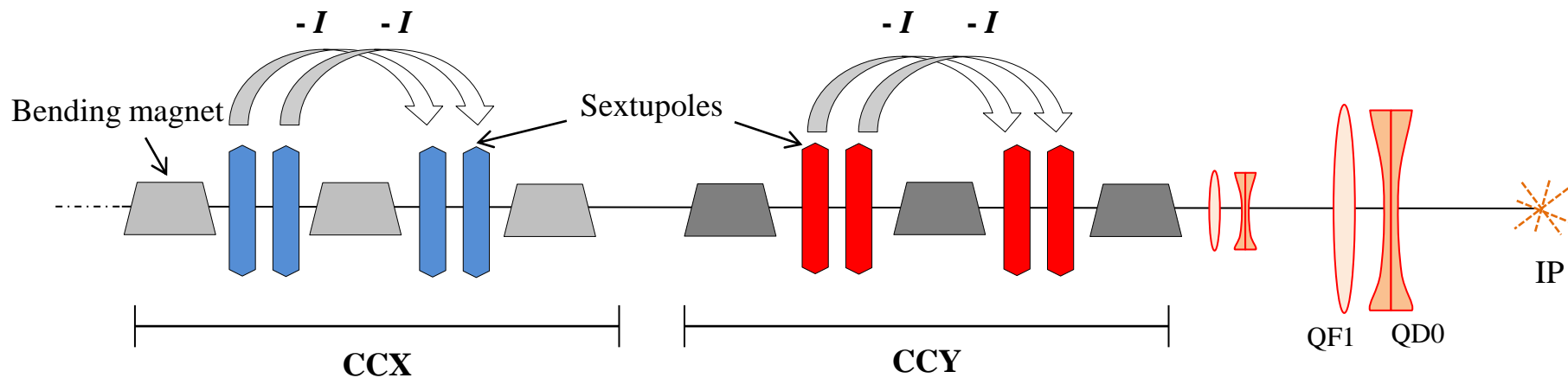
## Review of the FFS chromaticity correction



Traditional design



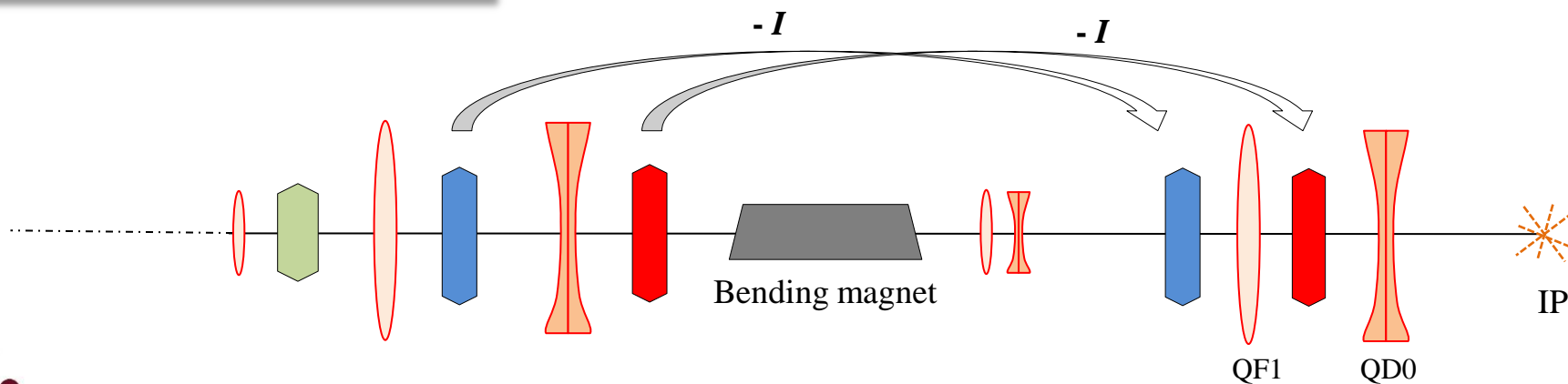
Chromaticity corrected in dedicated section but not in the Final Telescope



Local Chromaticity correction

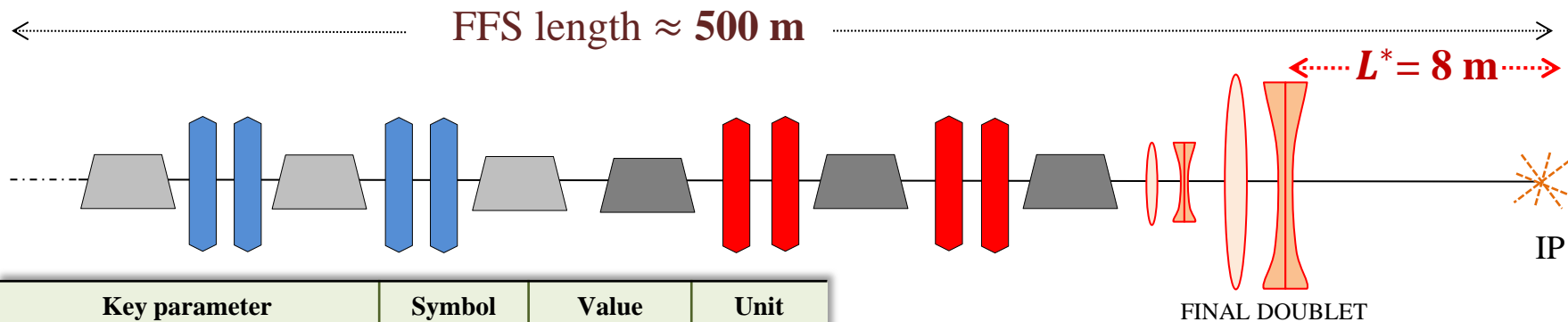


Chromaticity corrected at the Final Doublet



## 1

## Review of the FFS chromaticity correction

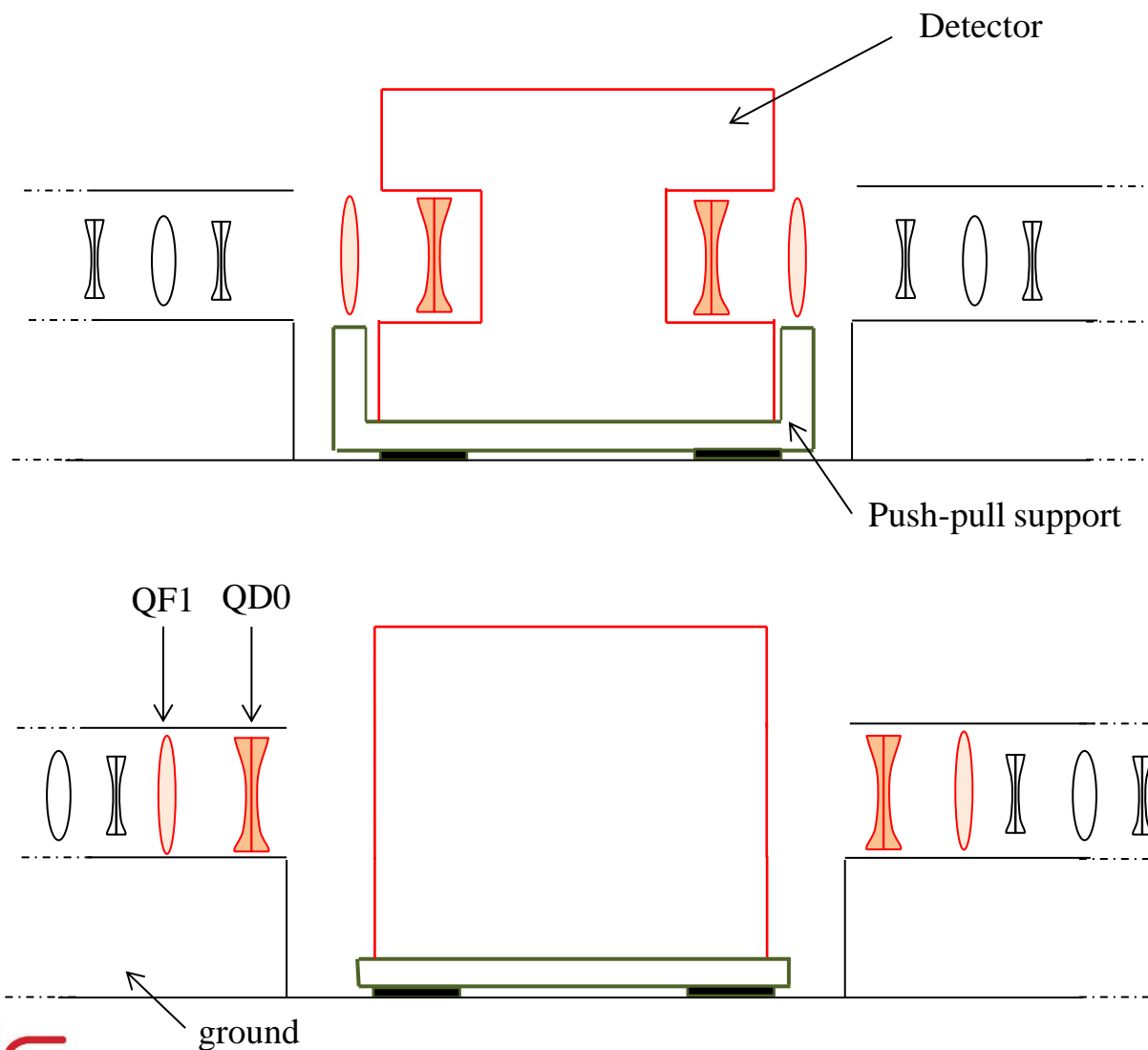


Key parameter	Symbol	Value	Unit
Beam energy	$E_{beam}$	250	GeV
FFS length	$l$	500	m
Last Drift	$L^*$	8	m
Normalized emittances	$\epsilon_{Nx}/\epsilon_{Ny}$	10 / 0.035	$\mu\text{m}$
IP $\beta$ -functions	$\beta_x^* / \beta_y^*$	11 / 0.48	mm
Nominal beam sizes	$\sigma_x^* / \sigma_y^*$	474 / 5.87	nm
RMS bunch length	$\sigma_z$	300	$\mu\text{m}$
RMS energy spread	$\sigma_\delta$	0.125	%
Bunch population	$N^{+/-}$	$2 \times 10^{10}$	
Numbers of bunches	$n_b$	1312	
Collision rate	$f_{rep}$	5	Hz
Nominal total luminosity	$L_T$	$1.5 \times 10^{34}$	$\text{cm}^{-2}\text{s}^{-1}$
Fraction of luminosity in top 1%	$L_{1\%} / L_T$	58.3	%

- FFS design is driven by **correcting chromatic and geometric** aberrations
- Traditional scheme offers **separated functions** and straightforward cancellation of geometrical aberrations.
- Chromaticity  $\xi \sim \frac{L^* + L_Q/2}{\beta^*} \implies$  **small  $\beta^*$**  and **long  $L^*$**  causes high chromatic aberrations
- **Not locally corrected**  $\implies$  unavoidable lack of cancellation of high order chromatic aberration.



1

Long  $L^*$  option for ILC Final Focus

## ILC Baseline Design

- Small  $L^*$  using SC magnet
- Less chromaticity generated at the IP
- Large magnet vibration

Long  $L^*$  option

- Magnets outside of the detector on a stable ground  $\Rightarrow$   
**small magnet vibration**
- Same magnet for all detectors

Problem :

**Luminosity and tuning of the FFS for the long  $L^*$  option**

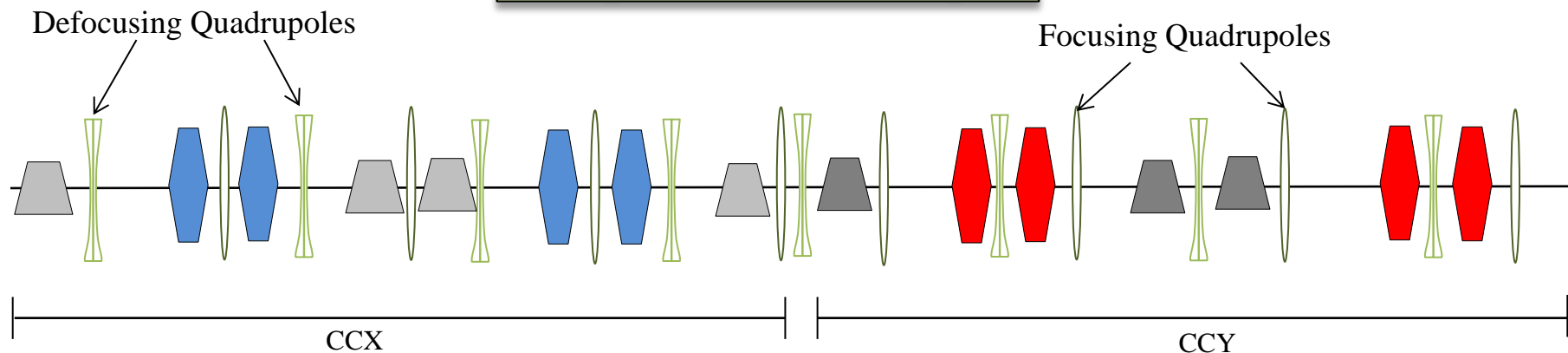


2

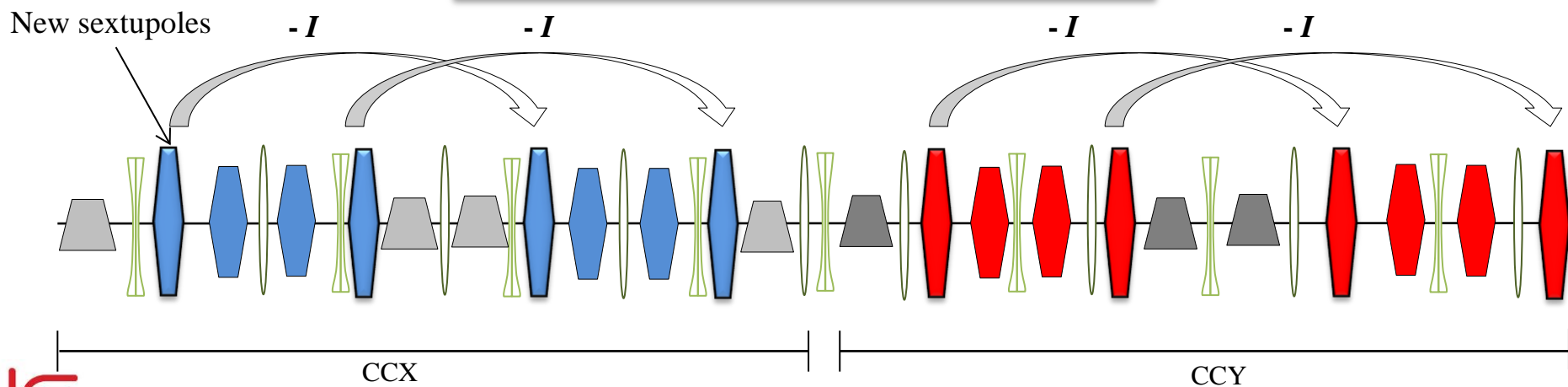
## Traditional lattice design and optimization for $L^* = 8$ m



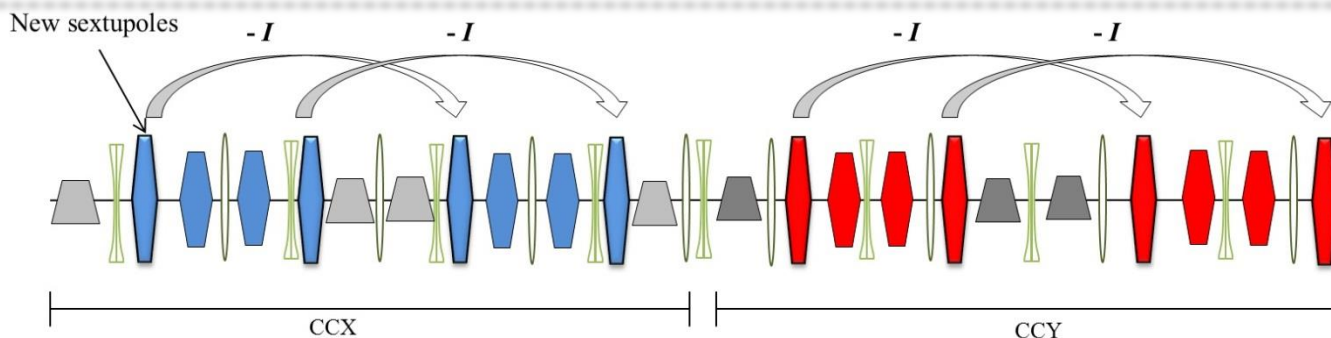
### Original traditional design



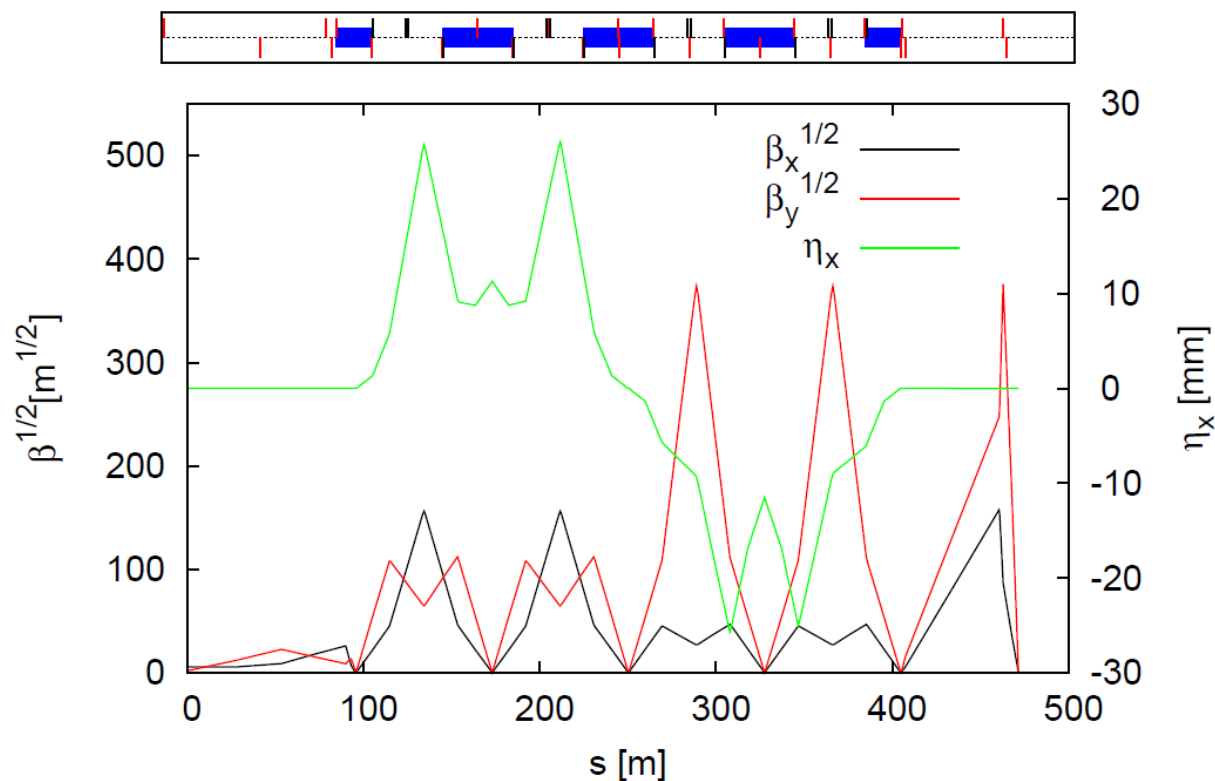
### Traditional design using extra sextupoles



2

Traditional lattice design and optimization for  $L^* = 8$  m

- **2 additional pairs** of sextupoles located in each chromatic correction section CCX and CCY
- high  $\beta$ -function and high dispersion  $D_x$  region
- **$-I$  transformation** between pairs of sextupoles





2

## Nonlinear optimization (w/o SR)



### Original lattice:

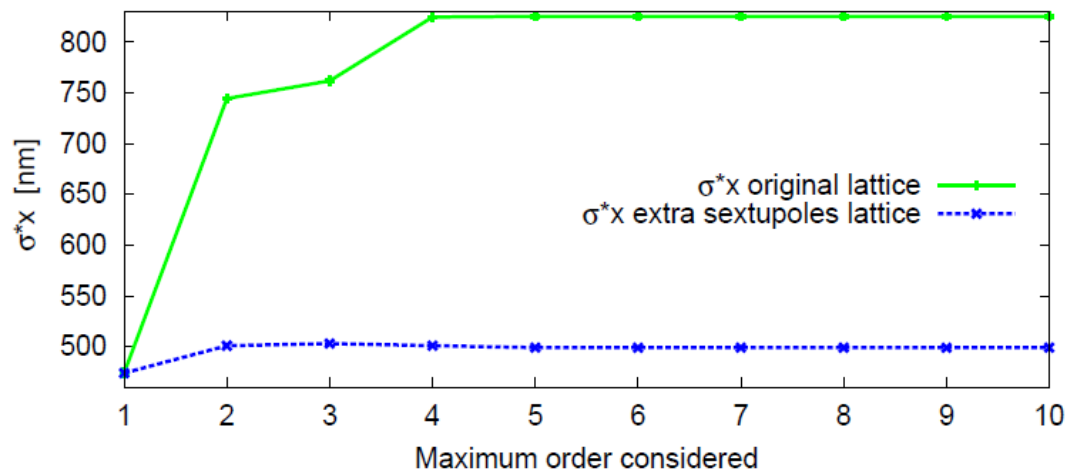
$$\sigma_x(10) = 825.35 \text{ nm}$$

74% of deviation from ILC design  $\sigma_x$

### Extra sextupoles lattice:

$$\sigma_x(10) = \mathbf{498.1 \text{ nm}}$$

**5%** of deviation from ILC design  $\sigma_x$



### Original lattice:

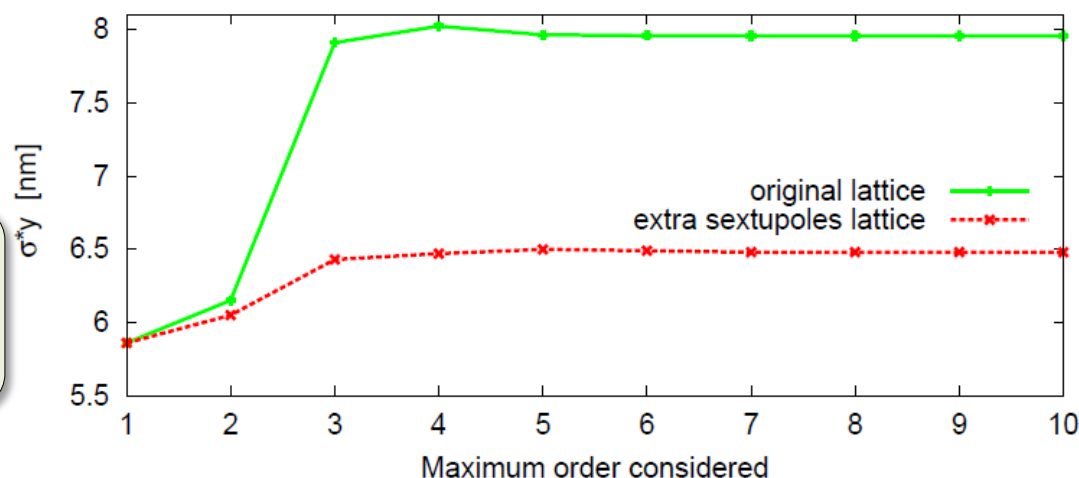
$$\sigma_y(10) = 7.96 \text{ nm}$$

36% of deviation from ILC design  $\sigma_y$

### Extra sextupoles lattice:

$$\sigma_y(10) = \mathbf{6.46 \text{ nm}}$$

**10%** of deviation from ILC design  $\sigma_y$



Calculations made using MAPCLASS code

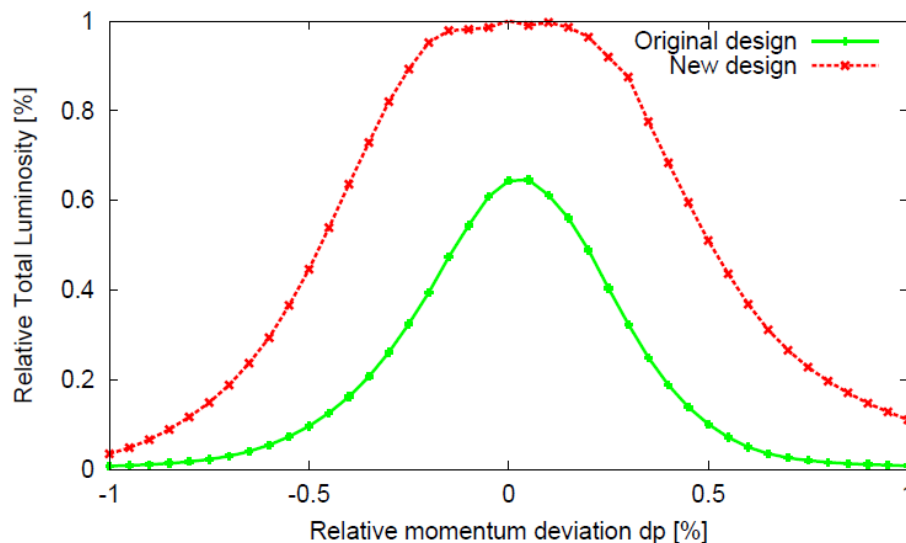
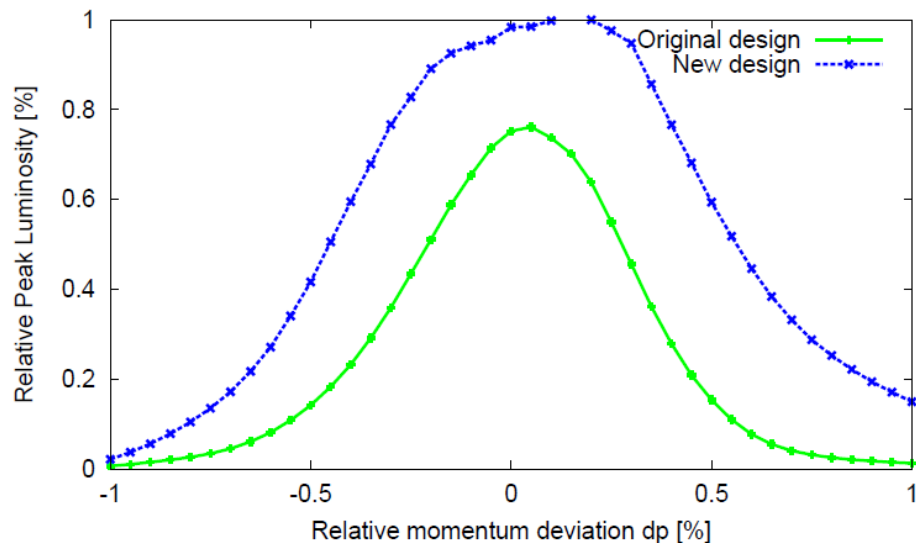






2

# Luminosity and momentum bandwidth (with SR)



## Original lattice:

$$L_{peak} = 0.652 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$$

Influence of synchrotron radiation : 1.2%

## Original lattice:

$$L_T = 0.874 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$$

42% of luminosity loss from  $1.5 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$

Influence of synchrotron radiation : 1.8%

## Extra sextupoles lattice:

$$L_{peak} = 0.84 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$$

Influence of synchrotron radiation : **5%**

Larger momentum bandwidth

## Extra sextupoles lattice:

$$L_T = 1.36 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$$

**10%** of luminosity loss from  $1.5 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$

Influence of synchrotron radiation : **5.5%**

Larger momentum bandwidth

Calculations made using PLACET and Guinea-Pig





## Comparison for shorter $L^*$ design



What is the impact of the  $L^*$  on the traditional design performances?

(Optimization for  $L^* = 6$  m)





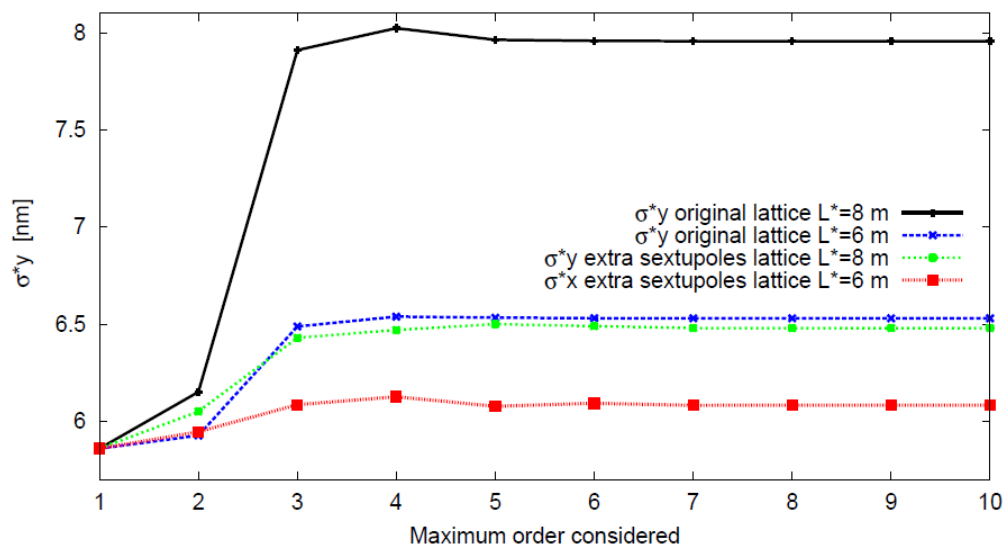
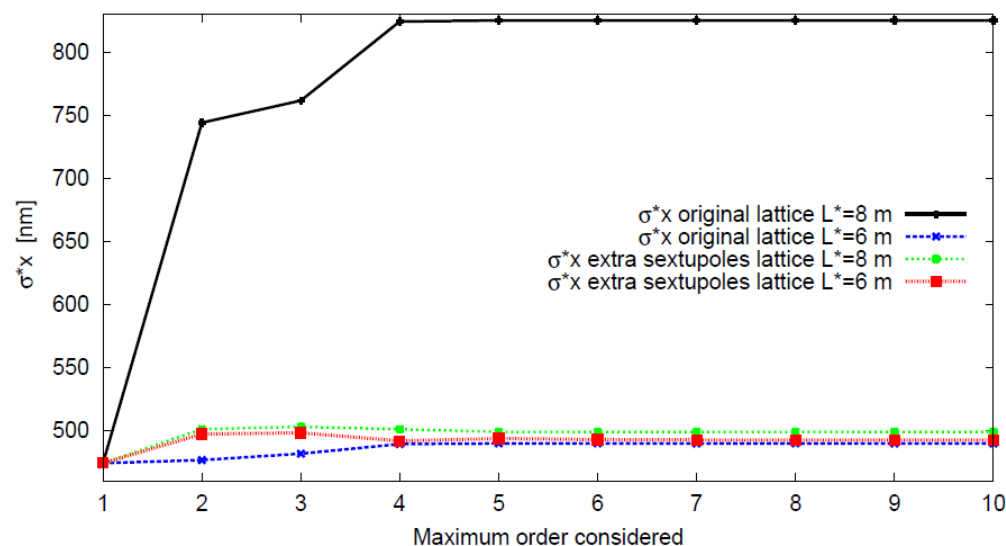
2

## Shorter $L^*$ design : nonlinear optimization (w/o SR)



lattice	$\sigma_x$ [nm]	$\sigma_y$ [nm]
Original design $L^*=8$ m	825.35	7.96
New design $L^*=8$ m	498.1	6.46
Original design $L^*=6$ m	<b>489.67</b>	<b>6.54</b>
New design $L^*=6$ m	<b>492.48</b>	<b>6.08</b>

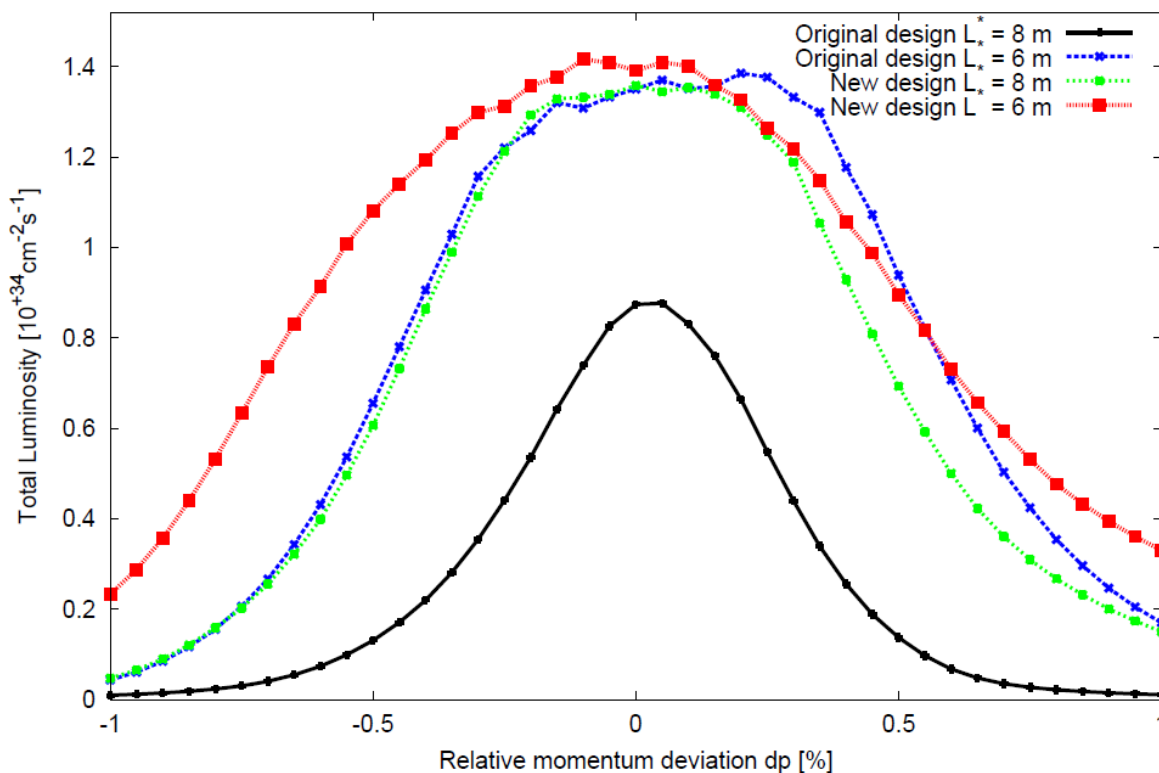
- The original design for  $L^* = 6$  m provides better horizontal beam size than the extra sextupole design for  $L^* = 8$  m
- The extra sextupoles design for  $L^* = 6$  m reduces only the vertical beam size  $\sigma_y$
- The shorter  $L^*$  generates less chromatic aberrations at the FD





2

## Shorter $L^*$ design : momentum bandwidth (with SR)



- Original design  $L^* = 6$  m :  $L_T = 1.38 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
- Extra sextupoles design  $L^* = 6$  m :  $L_T = 1.42 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
- **Larger momentum acceptance** for both design with  $L^* = 6$  m
- **Large impact of  $L^*$  on the traditional scheme performance**





## Tuning simulation



- The performance of a linear collider drops when we consider **magnet misalignments**
- Under realistic conditions the luminosity is reduced and an **alignment procedure** is mandatory
- Tuning process brings the system to its design performance using **beam-based alignment** techniques and **beam parameters optimization** algorithm

### Tuning set up ( $\neq$ ILC errors parameters)

- Short **Traditional** lattice using **extra sextupoles** and  $L^* = 8$  m
- Take into account nonlinearities and synchrotron radiation
- 110 randomly misaligned machines (seeds)
- Initial misalignment : **10  $\mu\text{m}$**  RMS in transverse plane ( $x, y$ )
- Elements misaligned : Quadrupoles, Sextupoles , BPMs
- Dipole correctors : Corrector + Quad + BPM
- BPM resolution : **10 nm**
- Tracking and luminosity measurement provided by PLACET and Guinea-Pig
- Luminosity goal :  $L_T = 1.5 \times 10^{34} \text{cm}^{-2} \text{s}^{-1}$





## 3 Alignment procedure (A. Latina algorithm)



### Beam Based Alignment (orbit correction) : Sextupoles switched OFF

**1 1-1 correction** 
$$\begin{pmatrix} b_x \\ b_y \end{pmatrix} = \begin{pmatrix} R_{xx} & 0 \\ 0 & R_{yy} \end{pmatrix} \begin{pmatrix} \theta_x \\ \theta_y \end{pmatrix}$$

⇒ Minimize BPMs reading

**2 DFS** 
$$\begin{pmatrix} b \\ \omega_1(\eta - \eta_0) \\ 0 \end{pmatrix} = \begin{pmatrix} R \\ \omega_1 D \\ \beta I \end{pmatrix} \begin{pmatrix} \theta_x \\ \theta_y \end{pmatrix}$$

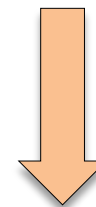
⇒ correct orbit and dispersion simultaneously

**3 Multipole-shunting (1)**  
Sextupoles Powered individually



### 4 Multipole Knobs 1

Beam parameters optimization  
using orthogonal knobs



### Beam Based Alignment Sextupoles switched ON

**5 DFS** 
$$\begin{pmatrix} b \\ \omega_2(\eta - \eta_0) \\ 0 \end{pmatrix} = \begin{pmatrix} R \\ \omega_2 D \\ \beta I \end{pmatrix} \begin{pmatrix} \theta_x \\ \theta_y \end{pmatrix}$$

**6 Multipole-shunting (2)**



### 7 Multipole Knobs 2

Beam parameters optimization  
using orthogonal knobs



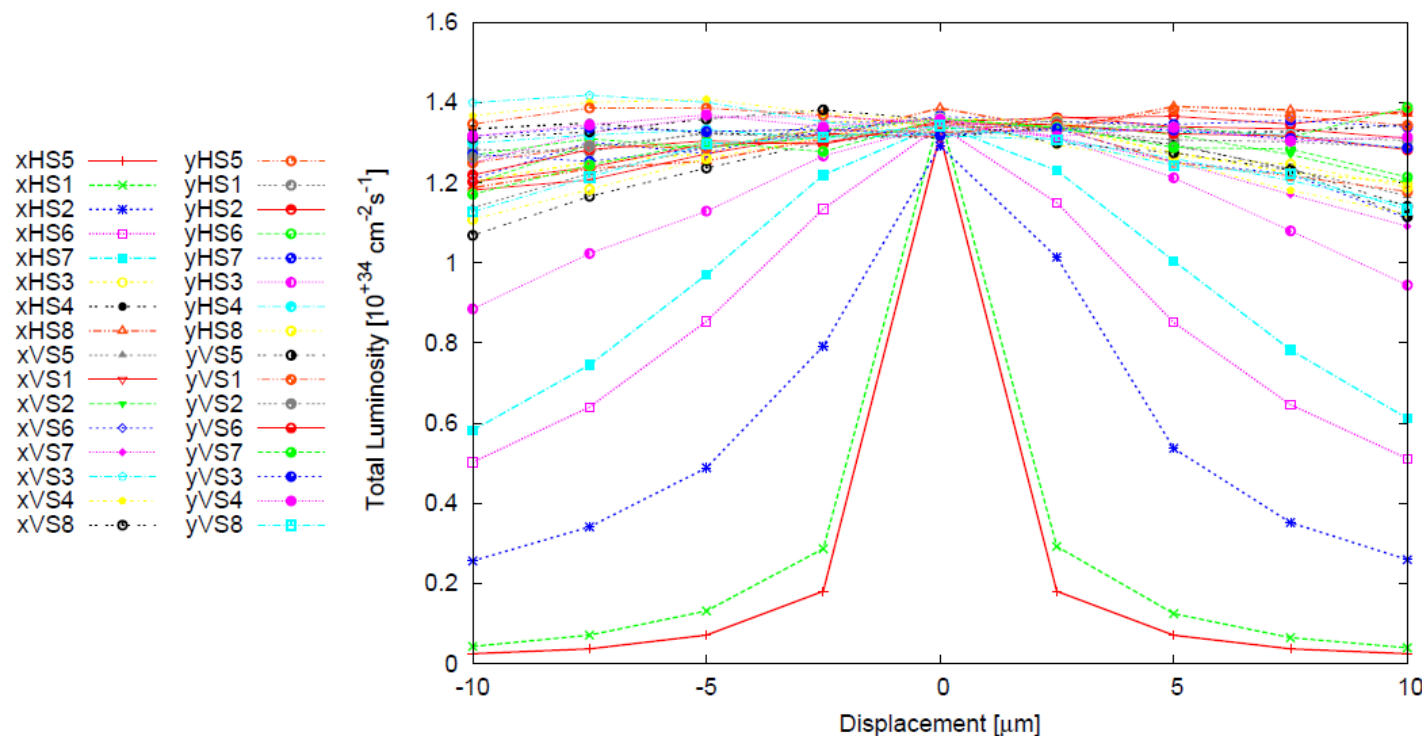
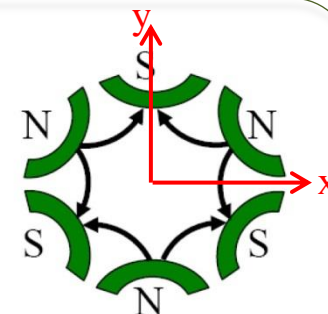


### Steps before tuning



- Response matrices calculation :  $R, D$
- Weighing factors  $\beta, \omega_1, \omega_2$
- Knobs computation

- 16 sextupoles in the lattice
- **32 sextupole position** in  $x$  and  $y$  for the beam corrections
- The tuning simulation **time increases** with the number of knobs



- ➔ 1 iteration using **10 knobs**
- ➔ 1 iteration using **23 knobs**
- ➔ 1 iteration using **32 knobs**



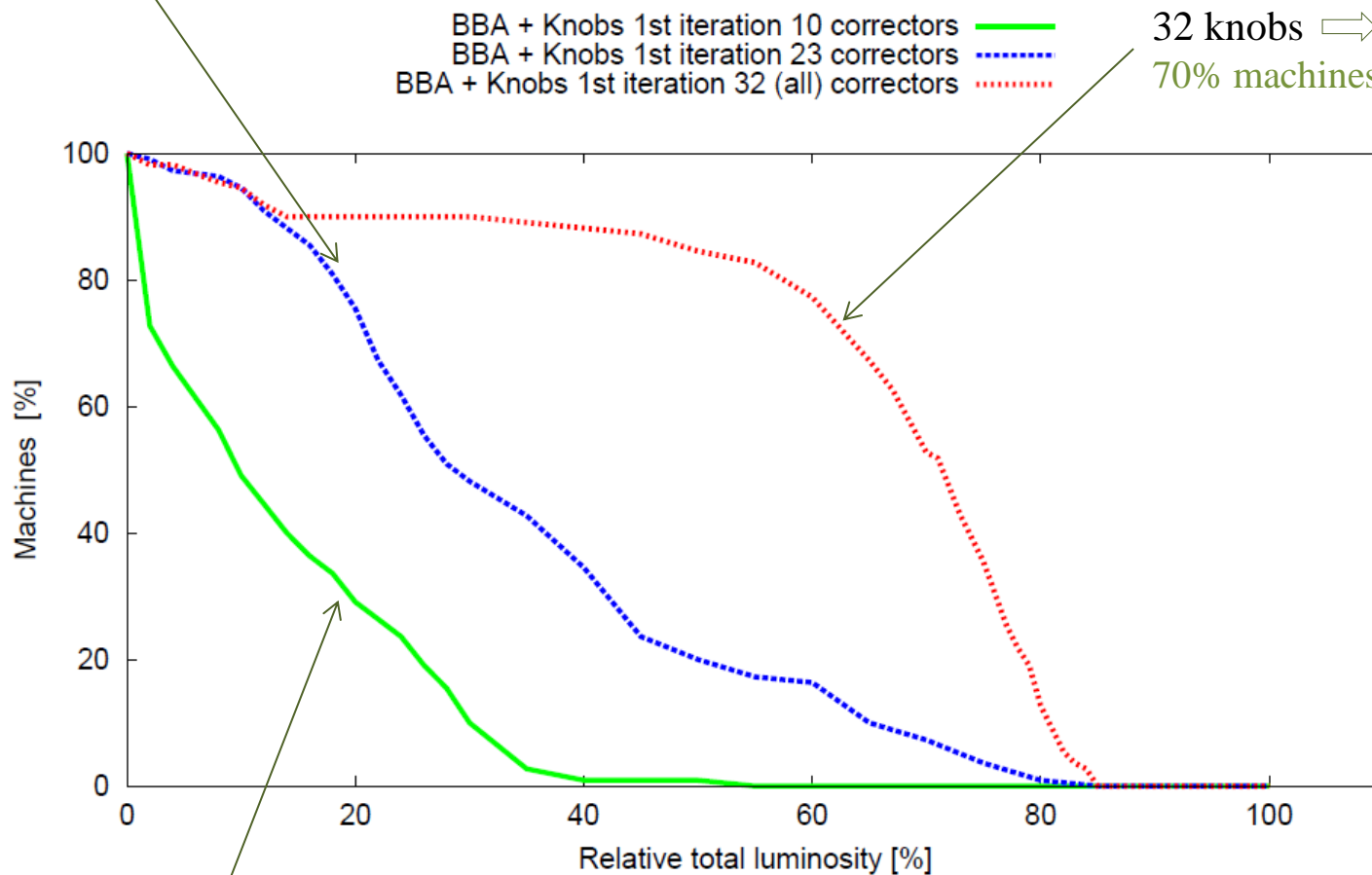
**3****Tuning preliminary results : Number of knobs**

23 knobs  $\Rightarrow$  **18h 24min** (simulation time)

15% machines reach 60% of  $L_{T0}$

32 knobs  $\Rightarrow$  **25h 36min**

70% machines reach 65% of  $L_{T0}$



10 knobs  $\Rightarrow$  **8h**

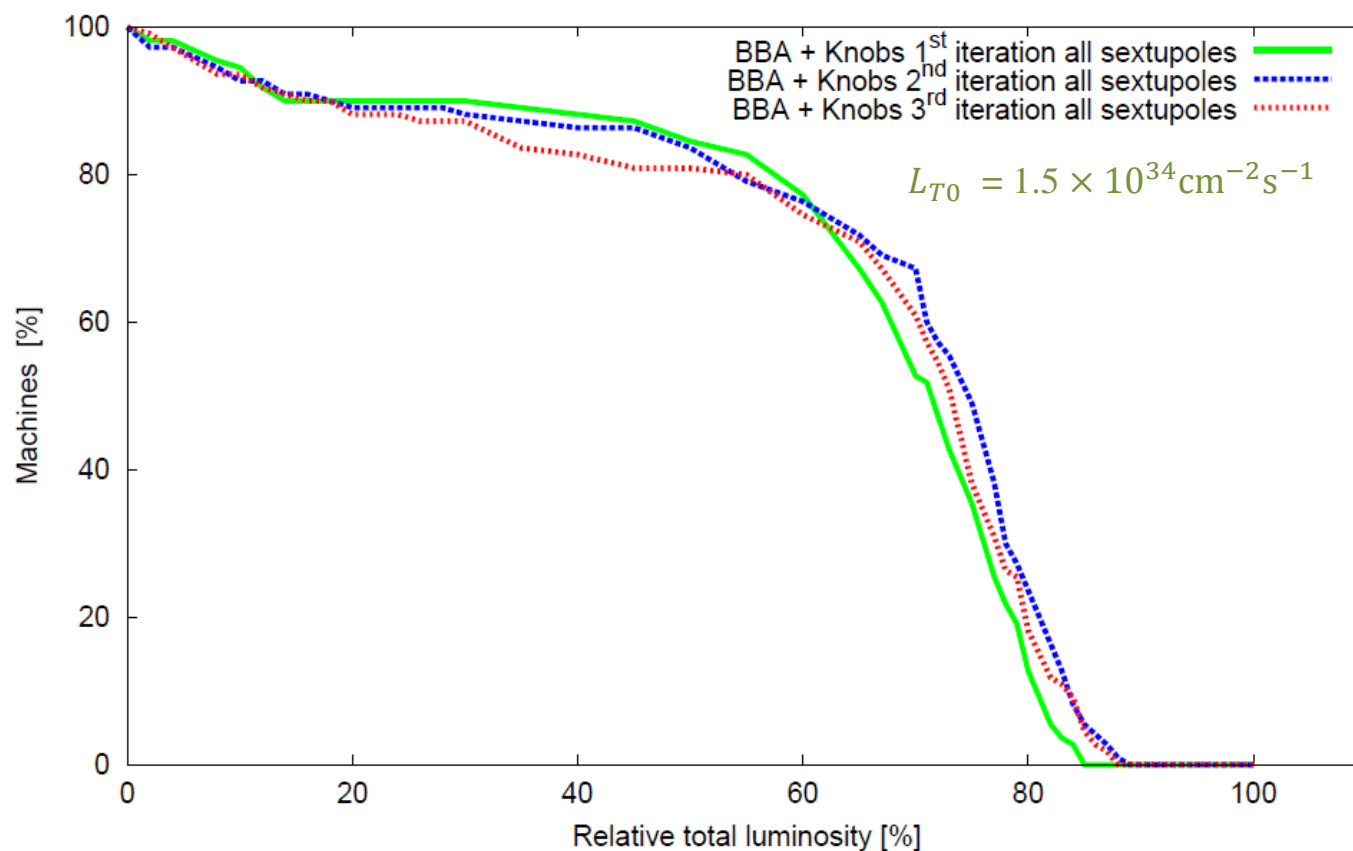
10% machines reach 30% of  $L_{T0}$

$$L_{T0} = 1.5 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$$





### Tuning preliminary results : all knobs



- BBA + Knobs iterations do not improve the luminosity
- Need to optimize the weights  $\beta, \omega_1, \omega_2$
- 70% machines reach more than 70% of  $L_{T0}$  and 25% machines reach more than 80% of  $L_{T0}$

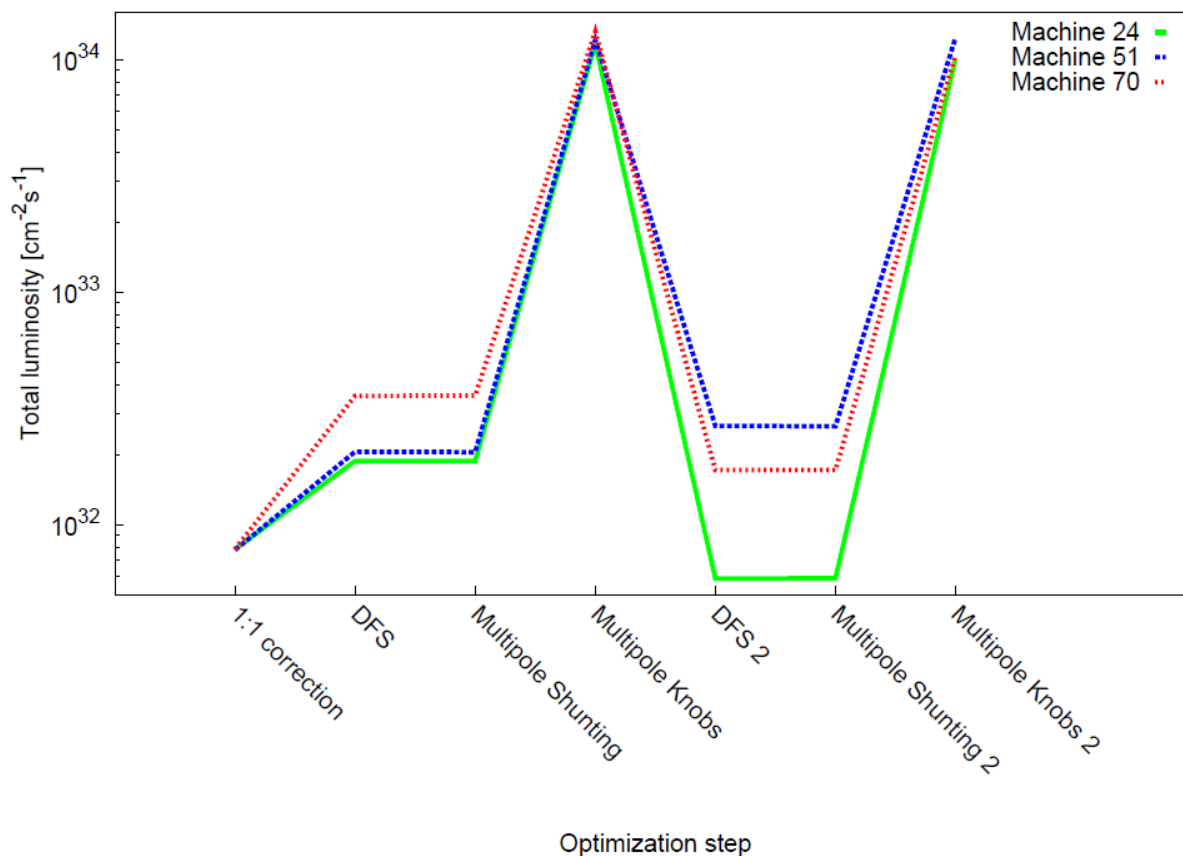




## Tuning optimization steps



- Luminosity evolution after each optimization step for 3 random machines
- The **2<sup>nd</sup> BBA cancels** the luminosity gain by the 1<sup>st</sup> sextupole knobs tuning but the luminosity is recovered after the 2<sup>nd</sup> sextupole knobs
- Need to optimize the tuning algorithm?



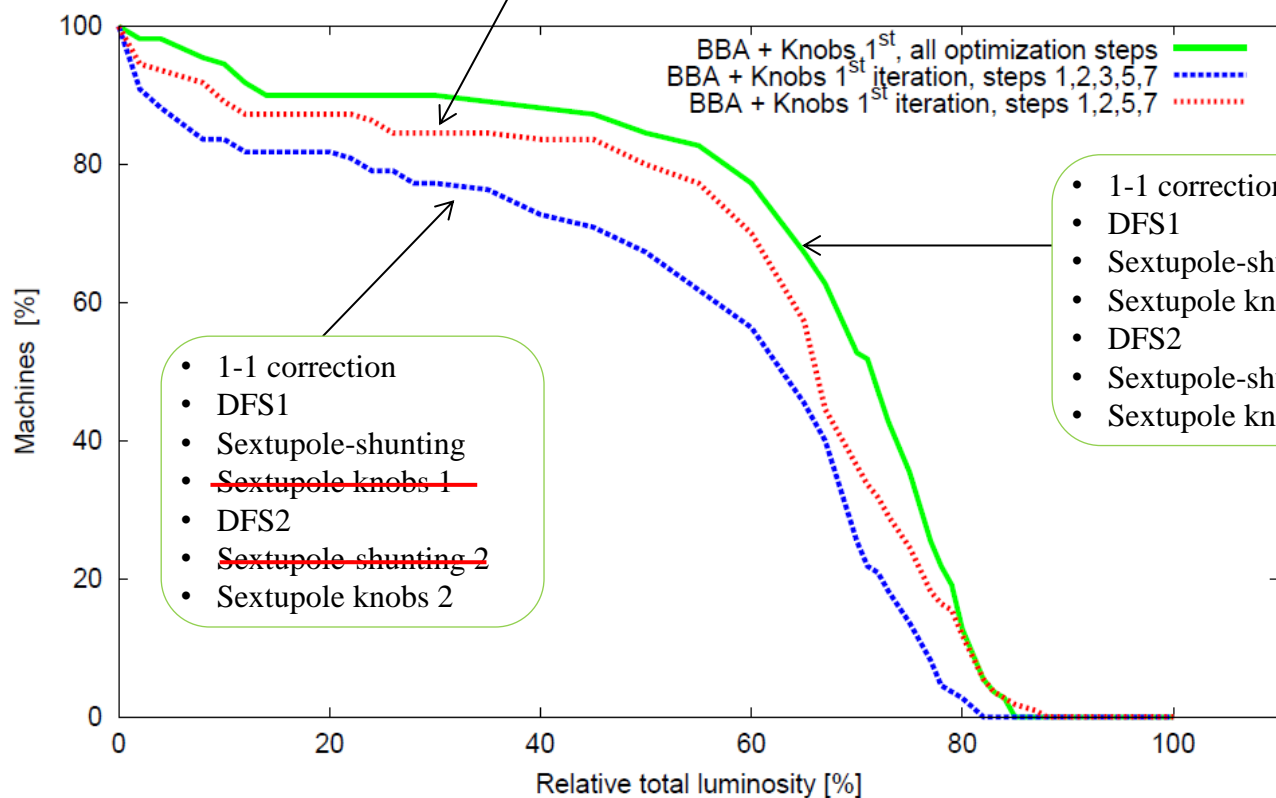


## Tuning optimization steps



- The **full algorithm** is still the **best option** for the BBA + Knobs tuning
- Other simulations are progressing for different optimization steps
- Need to **optimize the weights**  $\beta$ ,  $\omega_1$  and  $\omega_2$

- 1-1 correction
- DFS1
- Sextupole-shunting
- ~~Sextupole knobs 1~~
- ~~DFS2~~
- ~~Sextupole-shunting 2~~
- Sextupole knobs 2



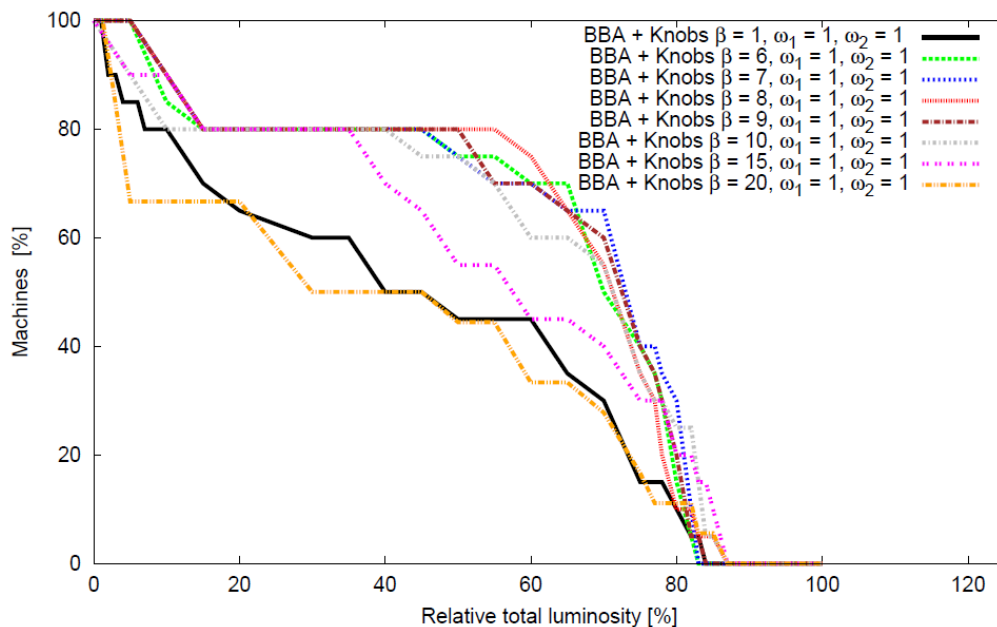
- 1-1 correction
- DFS1
- Sextupole-shunting
- Sextupole knobs 1
- DFS2
- Sextupole-shunting 2
- Sextupole knobs 2

- 1-1 correction
- DFS1
- Sextupole-shunting
- ~~Sextupole knobs 1~~
- DFS2
- ~~Sextupole-shunting 2~~
- Sextupole knobs 2



# 3

## Weights optimization : $\beta$ , $\omega_1$ and $\omega_2$



$$\text{DFS1} \quad \begin{pmatrix} b \\ \omega_1(\eta - \eta_0) \\ 0 \end{pmatrix} = \begin{pmatrix} R \\ \omega_1 D \\ \beta I \end{pmatrix} \begin{pmatrix} \theta_x \\ \theta_y \end{pmatrix}$$

$$\text{DFS2} \quad \begin{pmatrix} b \\ \omega_2(\eta - \eta_0) \\ 0 \end{pmatrix} = \begin{pmatrix} R \\ \omega_2 D \\ \beta I \end{pmatrix} \begin{pmatrix} \theta_x \\ \theta_y \end{pmatrix}$$

Theoretical value of  $\omega$ :

$$\omega = \sqrt{\frac{\sigma_{\text{BPM res}}^2 + \sigma_{\text{BPM misalign.}}^2}{2\sigma_{\text{BPM res}}^2}}$$

- DFS equation must be weighted in order to have **the same impact on the vector of observables** on the left hand-side of the system
- The weights  $\omega_1$  and  $\omega_2$  are used for the dispersion terms while  $\beta$  for the SVD to limit the amplitude of the correctors  $\theta$
- Weight optimization is underway by simulating **several combinations of weights** on 40 seeds and by using as initial parameter the theoretical value of  $\omega$



## Summary and conclusions



- ➔ The new traditional design using **extra sextupoles for  $L^* = 8$  m** provides a good correction of high order aberrations with **10% of total luminosity loss** ( $1.36 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$ )
- ➔ The long last drift  **$L^*$  limits the FFS performance** especially for the non-local chromaticity correction scheme  $\implies$   **$L^* = 6$  m provides better performances**
- ➔ The tuning turns out to be **long due to the number of sextupoles** in the lattice
- ➔ With optimistic set up and errors parameters, the tuning of the system seems feasible but must be improved ( **70% machines reach more than 70% of ILC design luminosity**)
- ➔ Several simulations are mandatory for the **optimization of the weights  $\beta$ ,  $\omega_1$  and  $\omega_2$**  and the **alignment procedure** in order to conclude on the **tunability** of this design

