



# $\text{P}_{\text{I}0}$ RECONSTRUCTION TOWARD FLAVOR TAGGING IMPROVEMENT

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## INTRODUCTION

- For flavor tagging improvement
  - Vertex mass is the key to separate heavy/light flavor vertex
  - Many  $\pi^0$ s will escape from B/D vertex → checked that using MC truth
  - Mass resolution will be degraded due to escaping neutrals
  - Is there possibility to recover  $\pi^0$ s which escape from vertices?
- Towards  $\pi^0$  attachment to vertices – Studying  $\pi^0$  reconstruction
  - Gamma finder – using shower profile in calorimeters
  - $\pi^0$  finder – solving gamma pairing
- First step is to find gammas – distinguish from neutral hadrons
  - Similar to lepton ID
  - Basically same method as lepton ID – Bayesian approach
- Second step is to reconstruct  $\pi^0$ s – pairing of 2 gammas
  - Similar to jet pairing
  - Using Bayesian approach (naïve Bayes)

# GAMMA ID

## Using naïve Bayes

- Posterior probability:  $P(\gamma|x) = \frac{P(x|\gamma) \cdot P(\gamma)}{P(x)} = \frac{P(x|\gamma) \cdot P(\gamma)}{P(x|\gamma) \cdot P(\gamma) + P(x|had) \cdot P(had)}$
- Identify as gamma with  $P(\gamma|x) > \text{threshold}$  (need to optimize)

## Specific for this study:

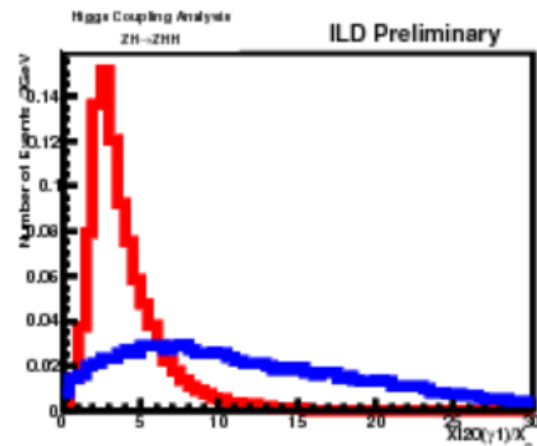
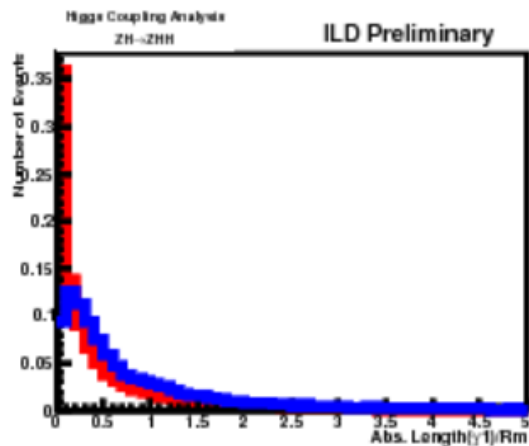
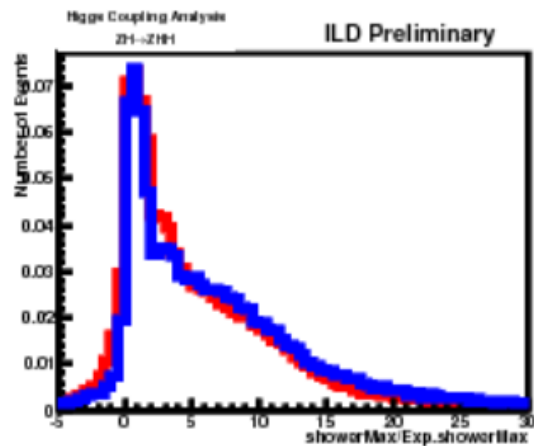
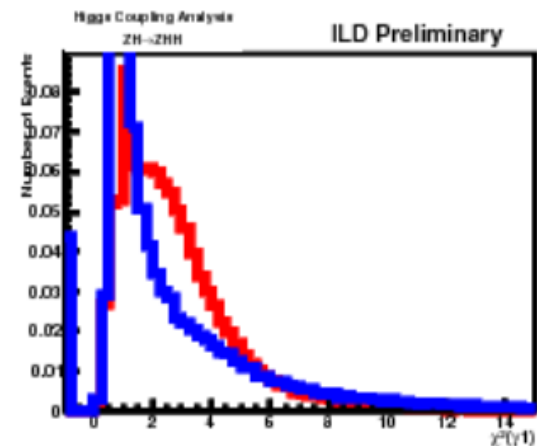
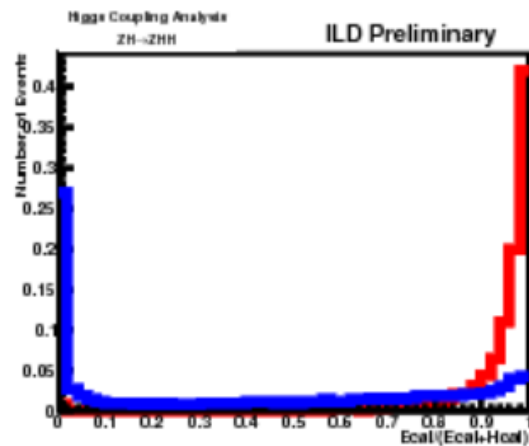
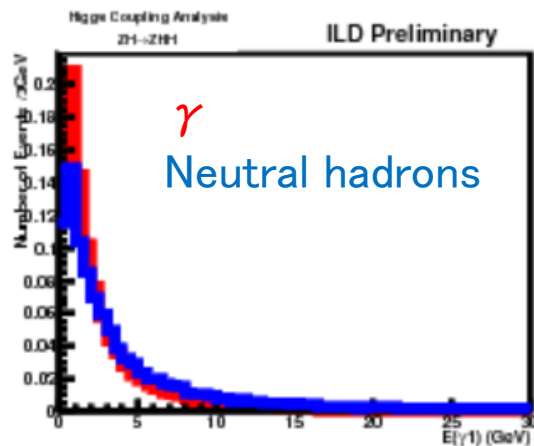
- Check 2 gammas at the same time because of correlation between 2 gammas
- Preparing P.D.F.s for 1<sup>st</sup> gamma (large energy) and 2<sup>nd</sup> gamma (small energy)
- Choosing pi0s from primary vertex ( $L_{\text{decay}}$  from IP < 0.3mm)

## Key Issues:

- Using shower profile in calorimeters – Same as Lepton ID
  - e.g.) my talks@AWLC14
- Using traditional variables –  $E(\gamma)$ ,  $E_{\text{cal}}/(E_{\text{cal}}+H_{\text{cal}})$
- Can't use cone energy because not isolated

# VARIABLES TO BE USED

- For 1<sup>st</sup> gamma finding
- Signal: gamma with large energy from pi0 (come from primary vertex)
- Background: neutral hadrons

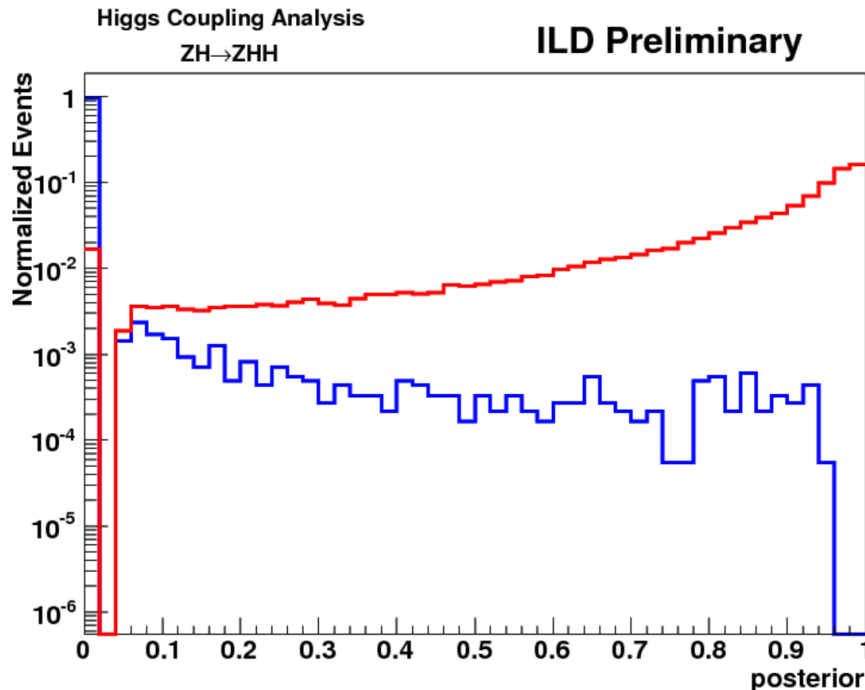


# RESULTS

## Gamma ID eff. & background suppression eff.

sample	Signal	background
First $\gamma$ eff. (%)	$98.4 \pm 0.3$	$2.3 \pm 0.1$
Second $\gamma$ eff.(%)	$98.9 \pm 0.3$	$2.4 \pm 0.1$
$\gamma$ pair eff. (%)	$97.3 \pm 0.3$	$2.0 \pm 0.1$

- $\gamma$  pair eff. for background is the case when both of the gamma candidates are fake



Posterior distribution for  $\gamma$  1

$\gamma$   
Neutral hadrons

# GAMMA PAIRING TO RECONSTRUCT $\pi^0$ S

## Using naïve Bayes

- Posterior probability:

$$P(\pi^0|x) = \frac{P(x|\pi^0) \cdot P(\pi^0)}{P(x)} = \frac{P(x|\pi^0) \cdot P(\pi^0)}{P(x|\pi^0) \cdot P(\pi^0) + P(x|wrong) \cdot P(wrong)}$$

- Identify as gamma pair from  $\pi^0$  with  $P(\pi^0|x) > \text{threshold}$  (need to optimize)

## Key point: $\pi^0$ decay kinematics

$$m_{\pi^0}^2 = 2E_{\gamma 1}E_{\gamma 2}(1 - \cos \theta)$$

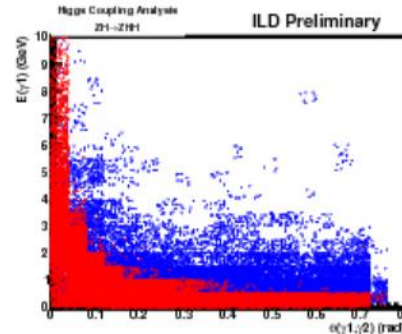
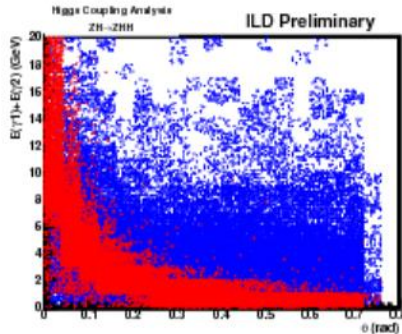
- So, 2gammas' variables are highly correlated

## Avoid mis-pairing when many gammas jam in very small area

- In many case,  $\pi^0$ s are flying in same direction!
- So far, no very nice idea...

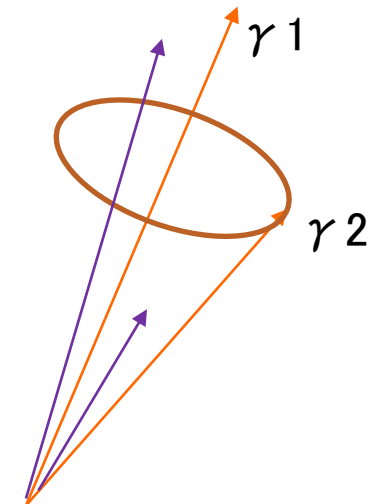
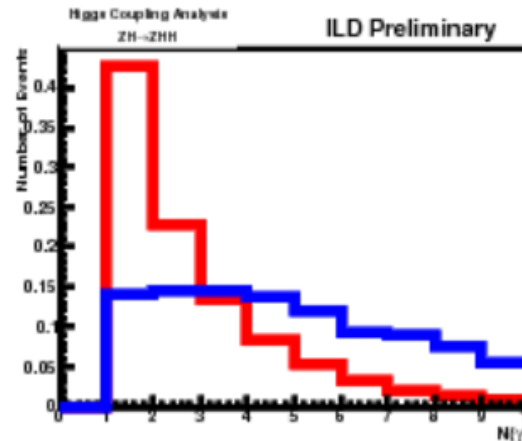
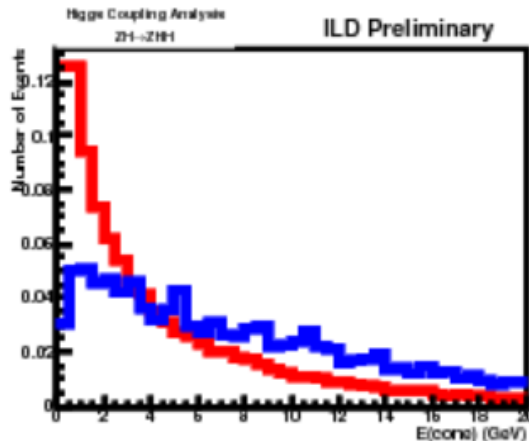
# FOR THIS ANALYSIS

- Introducing 2D-likelihood to include correlation effect
  - $E(\gamma 1)+E(\gamma 2)$  v.s.  $\theta$  &  $E(\gamma 2)$  v.s.  $\theta$
  - p.d.f.s from these distributions



Pi0  
Wrong pair

- Distribution of other gammas inside the cone of decay angle
  - To avoid mis-pairing of gammas located in small area



# ENERGY EXPECTATION OF 2 GAMMAS

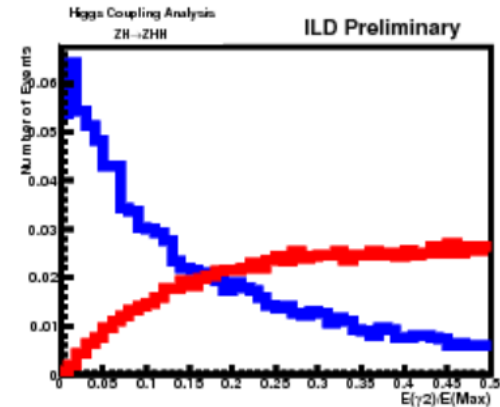
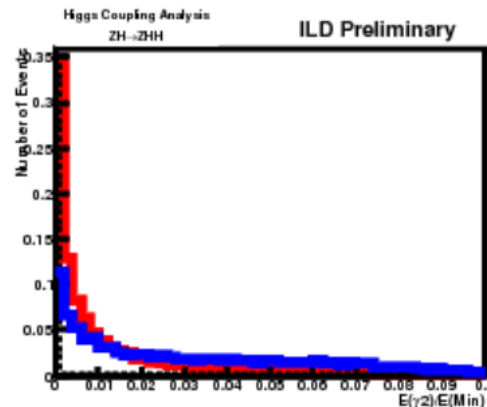
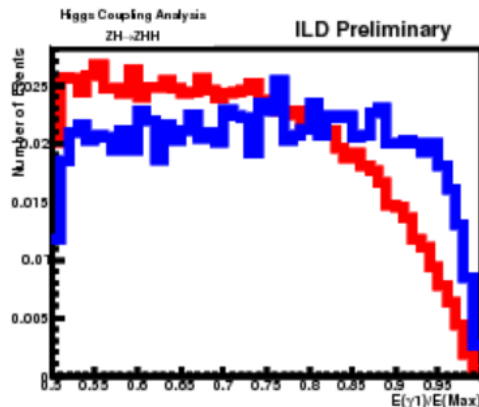
- In 2-body decay, energy range of 2 daughters can be predicted:

→ allowed energy range of gammas is:

$$\frac{E_{\pi^0}}{2} (1 - \beta_{\pi^0}) \leq E_\gamma \leq \frac{E_{\pi^0}}{2} (1 + \beta_{\pi^0})$$

- How are 2 gamma energies given from pi0 decay?

- Check energy ratios:  $\frac{E_{\gamma 1}}{E_{max}}, \frac{E_{min}}{E_{\gamma 2}}, \frac{E_{\gamma 2}}{E_{max}}$
- Distributions are quite different between correct pairs and wrong pairs!



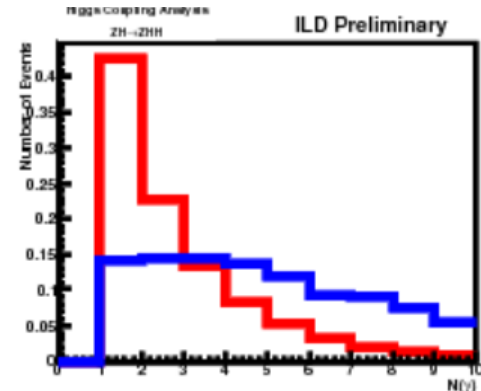
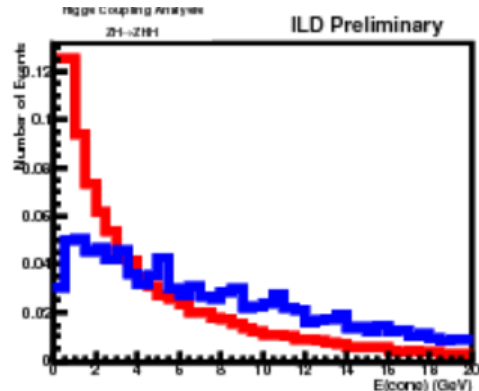
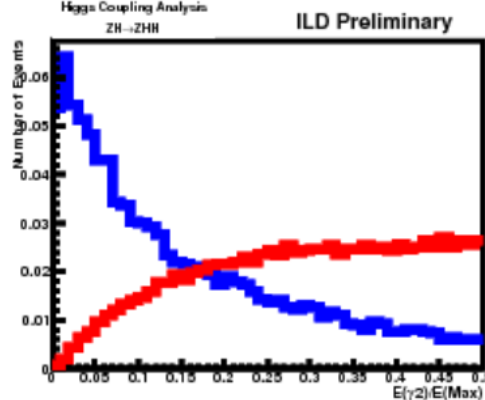
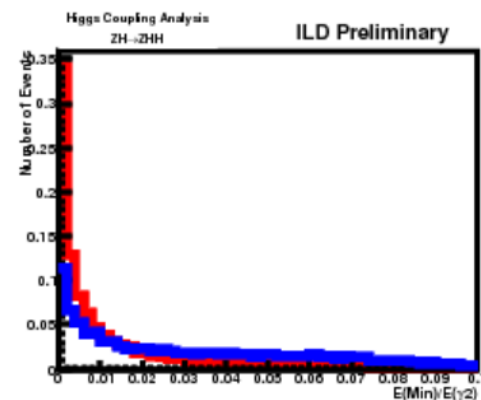
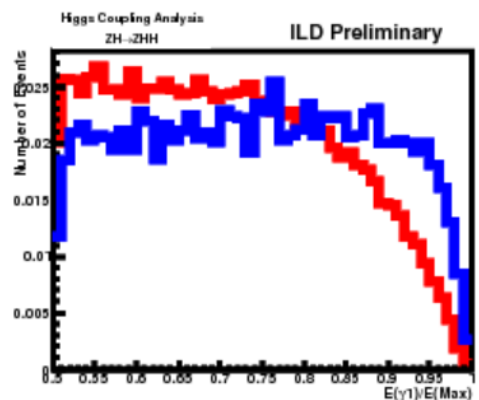
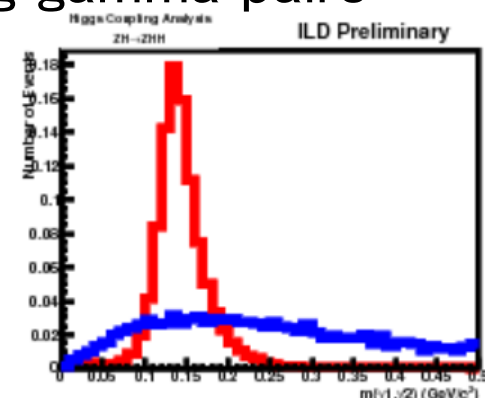
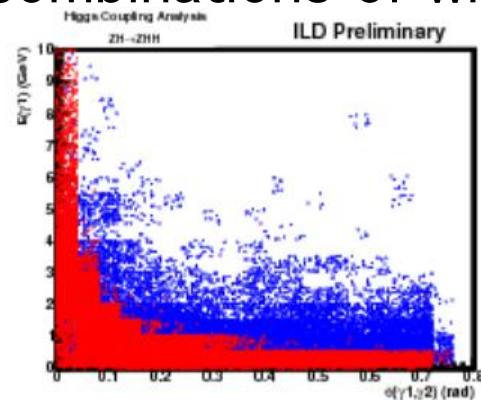
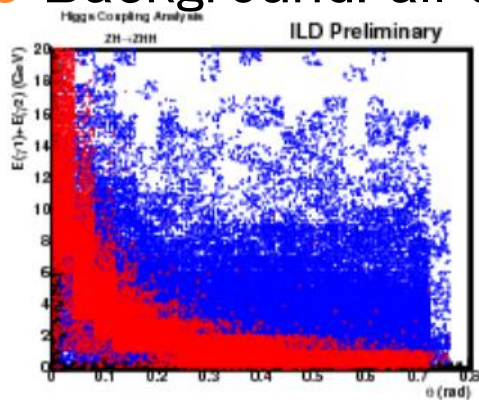
Pi0

Wrong pair



# VARIABLES TO BE USED

- Signal:  $\pi^0$ s from primary vertex ( $L_{\text{decay}}$  from IP  $< 0.3\text{mm}$ )
- Background: all the combinations of wrong gamma pairs



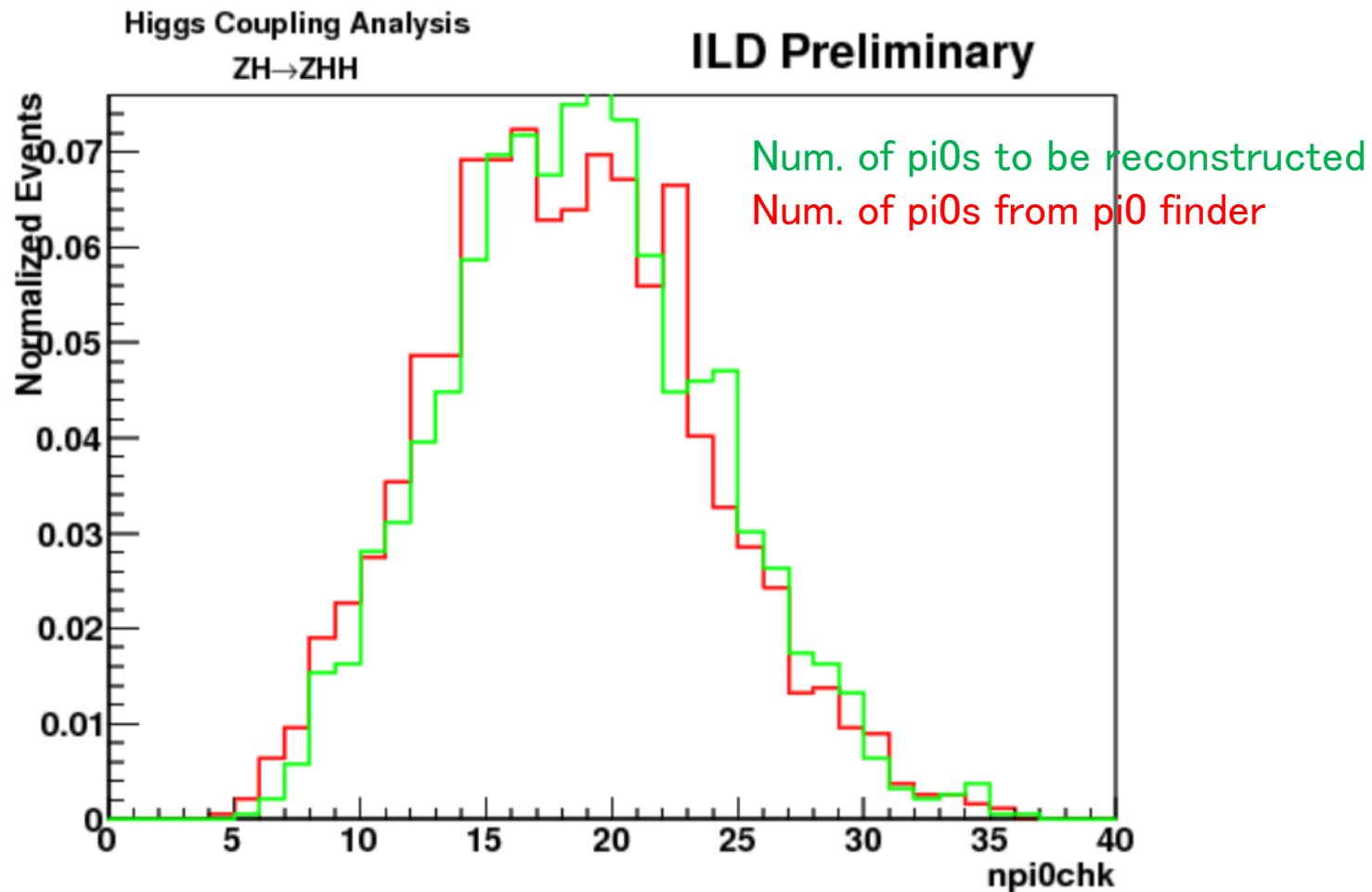
$\pi^0$   
Wrong pair

# PROBLEM OF $\pi^0$ RECONSTRUCTION IN THE EVENTS

- $\pi^0$  reconstruction: maximize likelihood(minimize  $\chi^2$ ) globally in the event
- If, num. of  $\pi^0$ s in the event is known, it is very easy!
- Big problem: **num. of  $\pi^0$ s in the event is a free parameter!!!**
- **So, trivial answer to meet the condition(maximum likelihood) IS:**  
**→no  $\pi^0$ s in the event!! (Log likelihood is of course 0(max)!!)**
- To avoid it: impose a penalty for unpaired gammas
- So define the information criterion:
$$IC = -2 \sum \log L(\pi^0) + k \cdot N(\text{unpaired } \gamma)$$
- Gamma pairing is performed according to IC:  
**→minimize IC**
- If  $k(>0.0)$  is large, pairing of gammas is boosted  
→it is necessary to optimize  $k$ !

## K OPTIMIZATION SO FAR

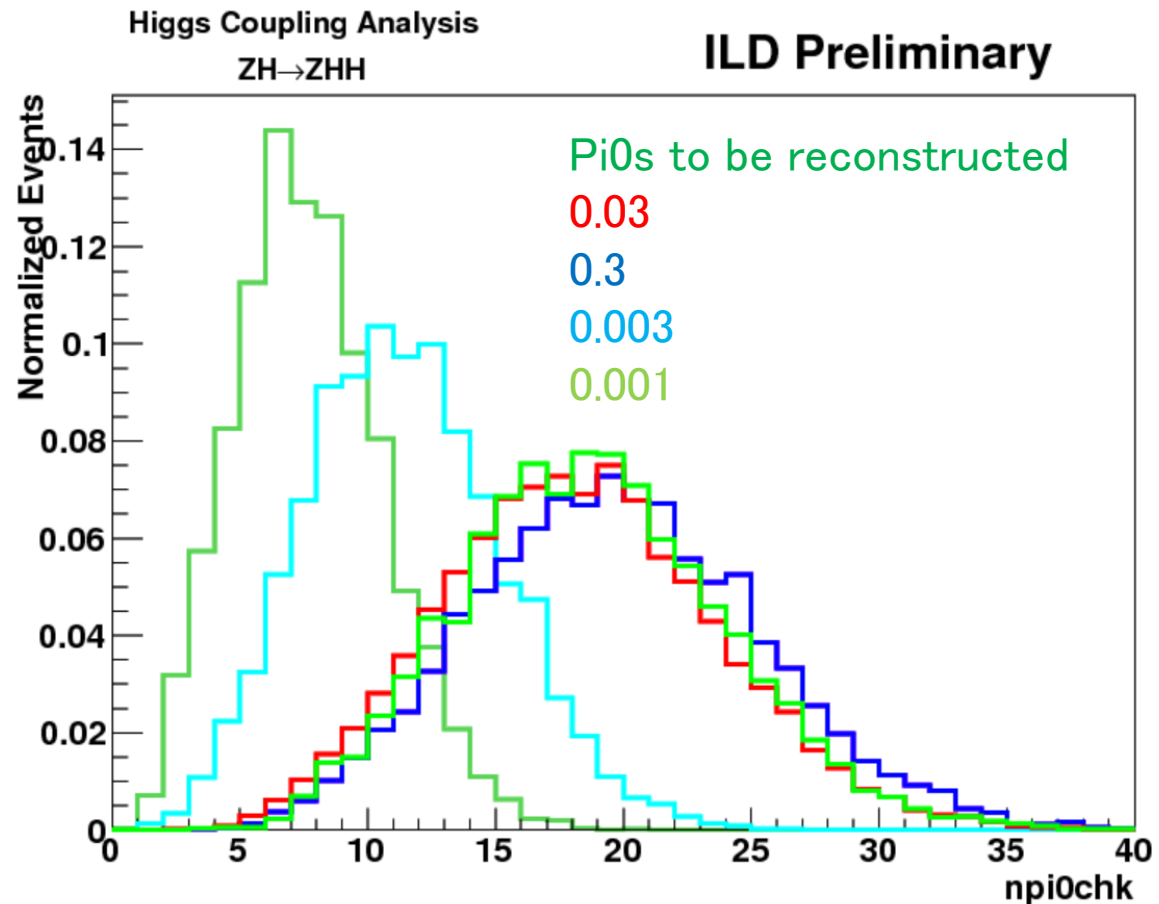
- K will be set at the point where num. of pi0s are almost same as the capacity of pi0 reconstruction matched with MC truth
- Set  $k = 0.03 \cdot \log N(\gamma)$



# K PARAMETER EFFECT

## ○ How k parameter works?

- $k = \alpha \cdot \log N(\gamma)$
- Change  $\alpha$  to each value
- Saturation @large  $\alpha$  is due to gamma pairing posterior threshold effect



## RESULTS

- Good pairing eff. & mis-pairing eff.

	Correct pair	Wrong pair
eff. (%)	$46.0 \pm 0.3$	$54.0 \pm 0.4$

- Just counting the num. of good pairing  $\pi^0$ s in the reconstructed  $\pi^0$ s
- Definition of the efficiency is difficult...

- Bad pairing eff. is the problem...

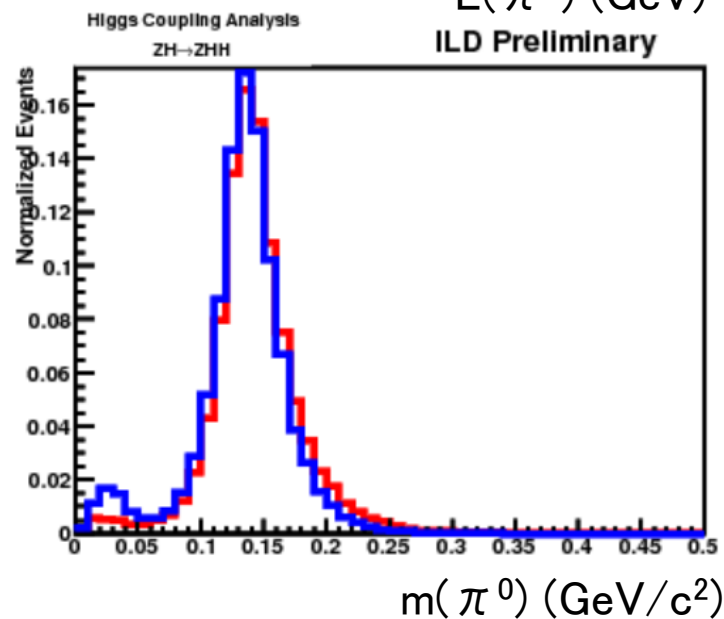
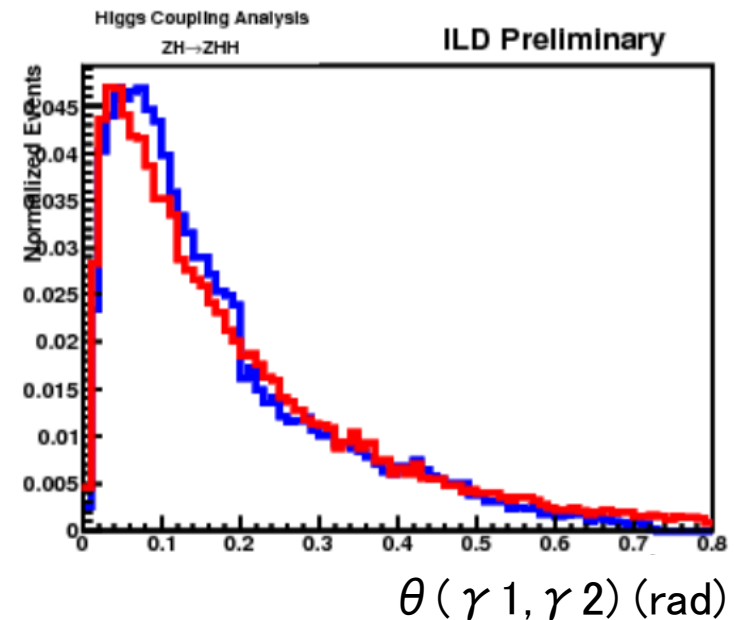
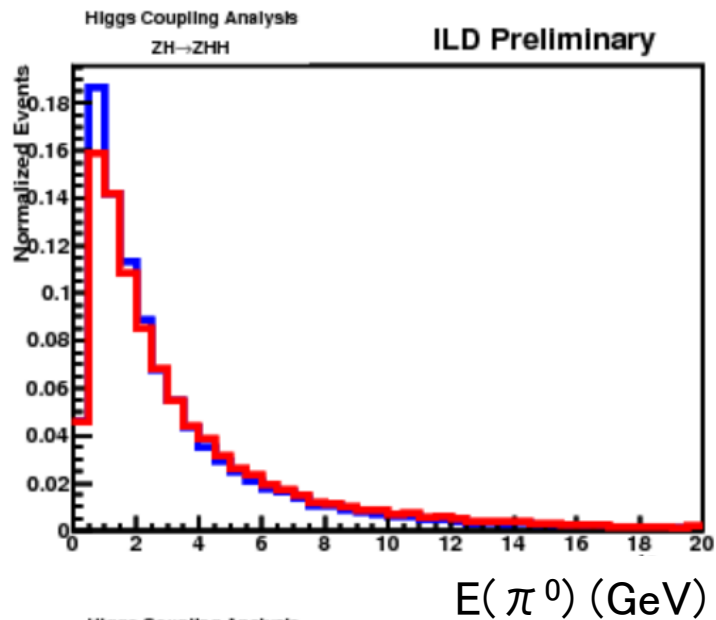
- When gammas are located in small area
- In many case, gammas tend to jam in small area

- Need to check the degradation when neutral hadrons are contaminated

- But we have only to check the mis-pairing effect on vertex mass recovery!

# CHECKING KINEMATICS

- Pi0 decay kinematics



MC truth  
Pi0 finder

# SUMMARY AND PROSPECTS

- Construct  $\pi^0$  reconstruction tools for vertex mass recovery
  - Gamma mis-ID eff. is  $\sim 2.0\%$  while gamma ID eff. is  $\sim 97\%$
  - Gamma pairing eff. is  $\sim 50\%$
  - $\pi^0$  decay kinematics can reproduce well
- Problems
  - Gamma pairing eff. is too low due to gammas jamming in small area – Such gammas are important!
  - Decay kinematics can't identify good combination of 2 gammas – kinematics OK
  - Global IC minimization algorithm is not good!
    - Consuming too much CPU time – a few second/vertex (momentum correction of gamma is necessary on each vertex)
    - Is there good global minimization algorithm? – need help
  - Method to global minimization (maximization)
    - IC is really a good estimator?
- Prospects: **How does  $\pi^0$  reconstruction work on vertex mass recovery?**
  - In my next talk!