



Introduction to the phenomenology of extra dimensions

recent results from CMS some prospects at ILC

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**ILC physics case
SPP may 23rd**

Extra dimensions phenomenology

outline

- **motivations, models**
- **ADD approach (and black holes)**
- **TeV⁻¹ extra dimension(s)**
- **Universal Extra Dimensions (UED)**
- **Randall Sundrum approach (RS) and bulk RS**
- **string states, intersecting branes (at angles)**
- **extra-dimensions, GUT, supersymmetry**

Motivations for extra dimensions

top-down

unification

superstring theories (branes, duality, M-theory)

bottom-up

address hierarchy problem of SM

can address :

- symmetry breaking (EW, SUSY) → boundary conditions
- SM fermions masses and mixing

EW observables precision measurements
K and B physics (CP violation), rare decays, ...

**model building
is challenging !**

Models for extra dimensions

many possible approaches

with different impact on phenomenology depending on

how many extra dimensions ? 1 or more ?

which geometry ? which type of compactification ?

how large and which consequences?

which fields where ?

How many and which “geometry” ?

- **factorizable or 'flat'** (3 space + 1 time + D - 4 extra space dimensions)

$$ds^2 = g_{\mu\nu} dx^\mu dx^\nu \quad \mu, \nu = 0, 1, 2, 3, \dots D$$

- **non factorizable or warped** (3 space + 1 time + 1 extra space dimension y)

$$ds^2 = a(y) (\eta_{\mu\nu} dx^\mu dx^\nu) + dy^2 \quad \mu, \nu = 0, 1, 2, 3$$

warp factor 

6D multiple warping ? arXiv:1001.2666

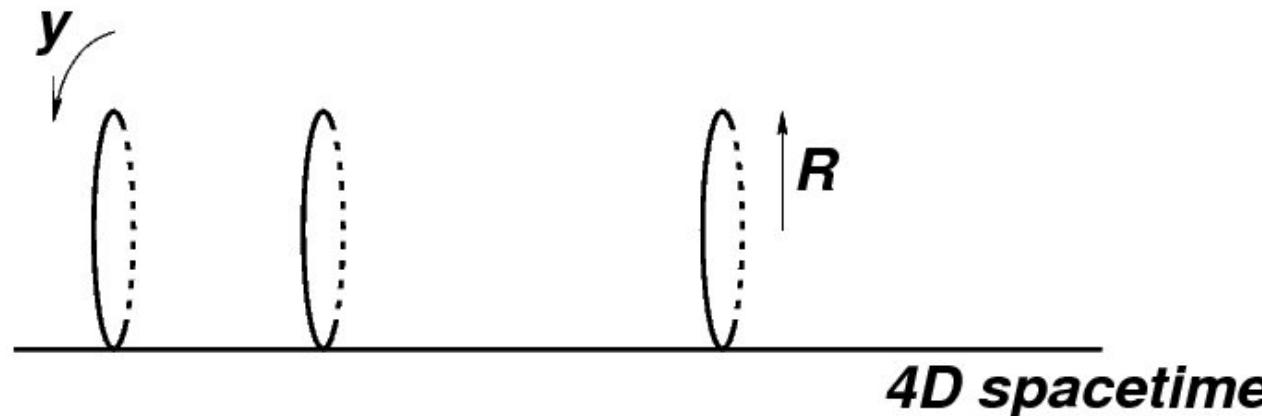
$$ds^2 = b(z) [a(y) \eta_{\mu\nu} dx^\mu dx^\nu + r_y^2 dy^2] + r_z^2 dz^2$$

see also Davoudiasl, Rizzo JHEP11(2008)013

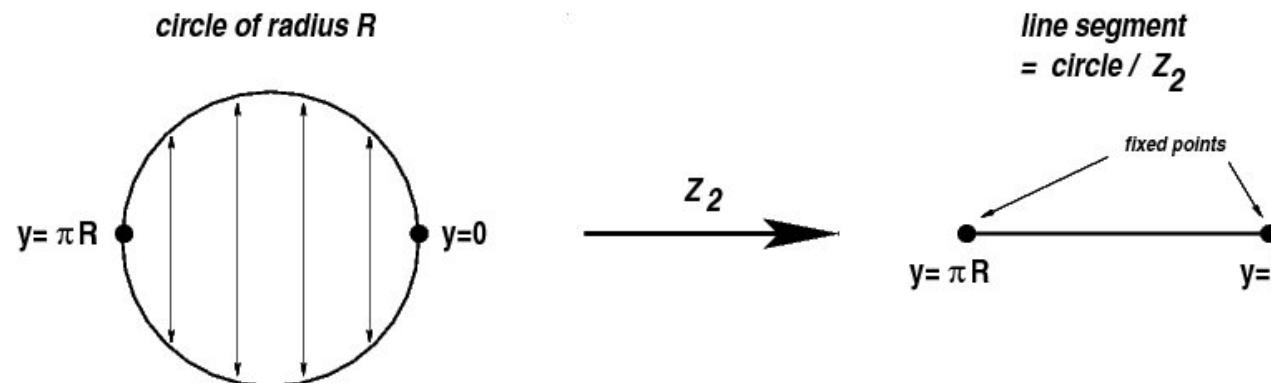
which type of compactifications ?

extra dimensions not (yet) seen → must be small and 'compact'

- on circle(s) or torus



- on orbifolds (coset space M/H where H is a group of discrete symmetries of a manifold M ,
→ space singular at some fixed points) **e.g. one of the simplest case S^1/Z_2 :**



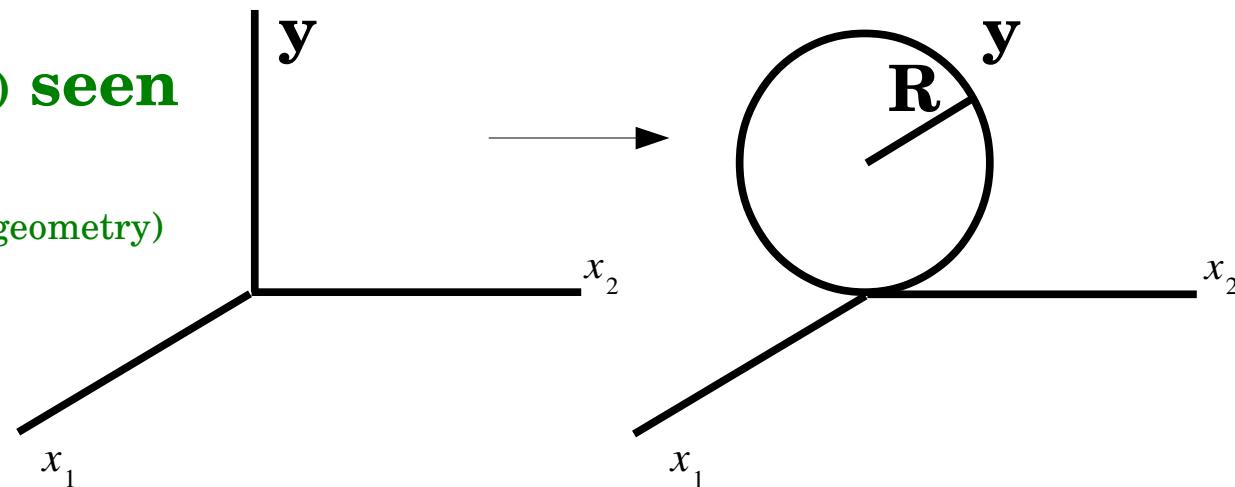
'fixed points' with respect to the Z_2 discrete symmetry $\Gamma : y \rightarrow -y$

How Large and which consequence?

Extra dimensions not (yet) seen

→ must be 'small' (for 'flat' geometry)

→ **compact**



compactified dimensions leads to periodicity conditions

Fourier mode expansion of fields

$$\Phi(x, y) = \sum_k \phi^{(k)}(x) e^{\frac{iky}{R}}$$

infinite number of **Kaluza-Klein (KK)** modes/states/exitations

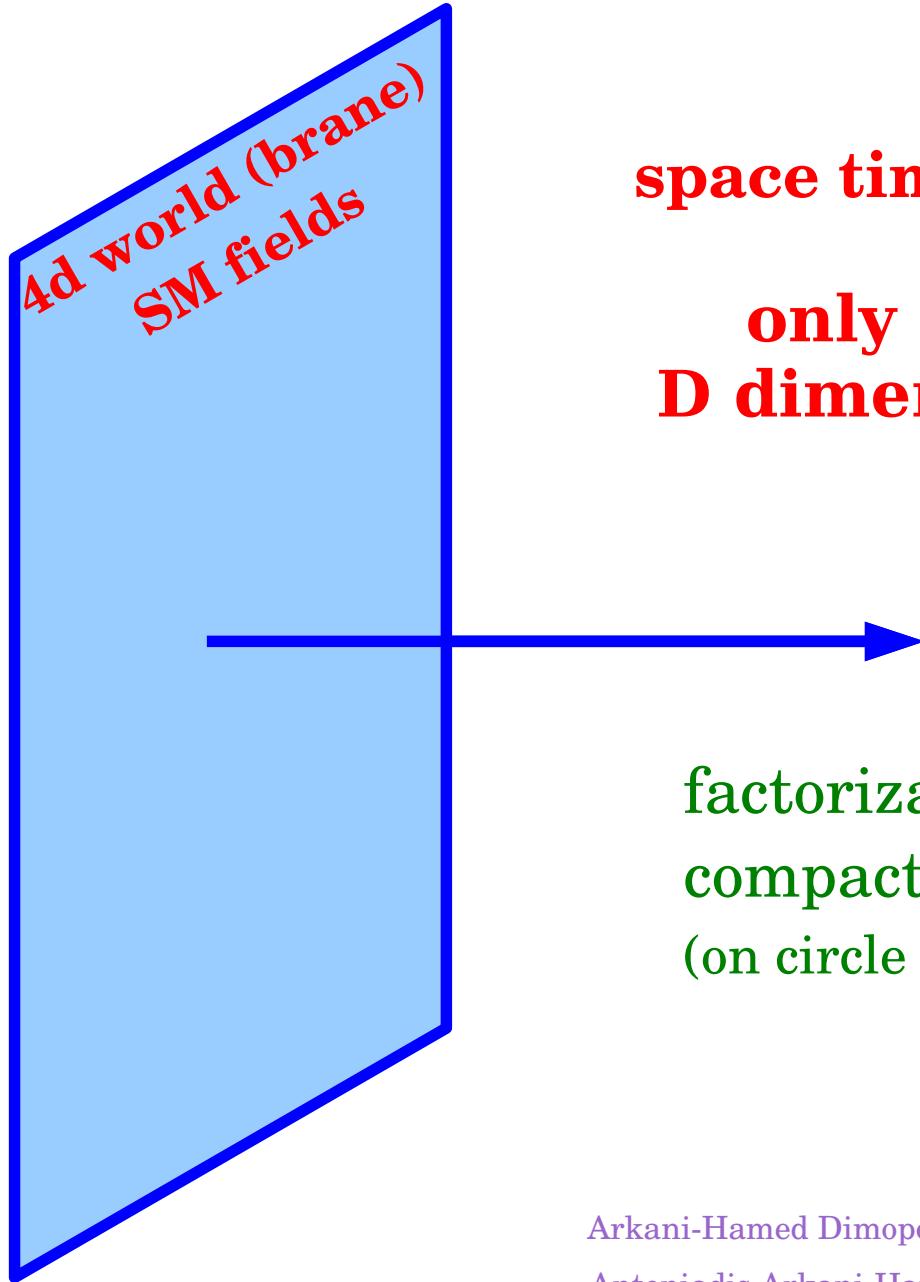
k^{th} mode mass

$$m_k^2 = m_0^2 + \frac{k^2}{R^2}$$



tower of KK states

which fields/particles and where ?



space time of $D = 4 + n$ dimensions

only gravity propagates in
 D dimensional (*bulk*) full space

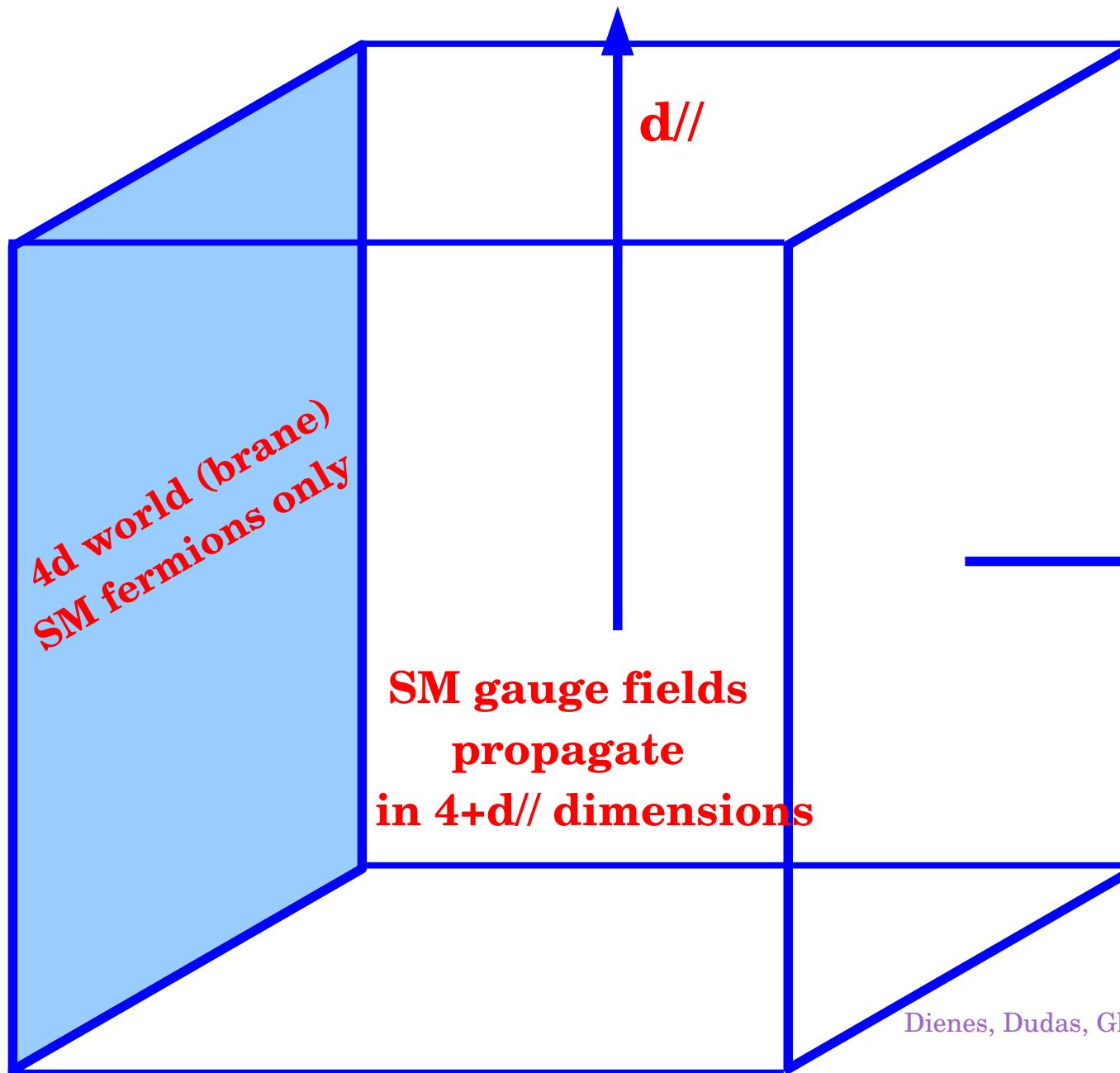
factorizable geometry
compactified n extra-dimensions
(on circle / torus) as small as \sim mm ?

ADD model

Arkani-Hamed Dimopoulos Dvali, PLB 429 (1998) 263, PRD59 (1999) 086004

Antoniadis Arkani-Hamed Dimopoulos Dvali, PLB 436 (1998) 257

which fields/particles and where ?



d// size: $R^{-1} \approx TeV \approx 10^{-19} m$

TeV^{-1}
models

~ ADD extension

gravity propagates in
 $D = 4 + d// + d$ bulk

d_{\perp}

factorizable geometry
compactified Xtradim
(on circle/torus)

Antoniadis PLB246 (1990) 377

Antoniadis, Benakli, Quiros, PLB 331 (1994) 313

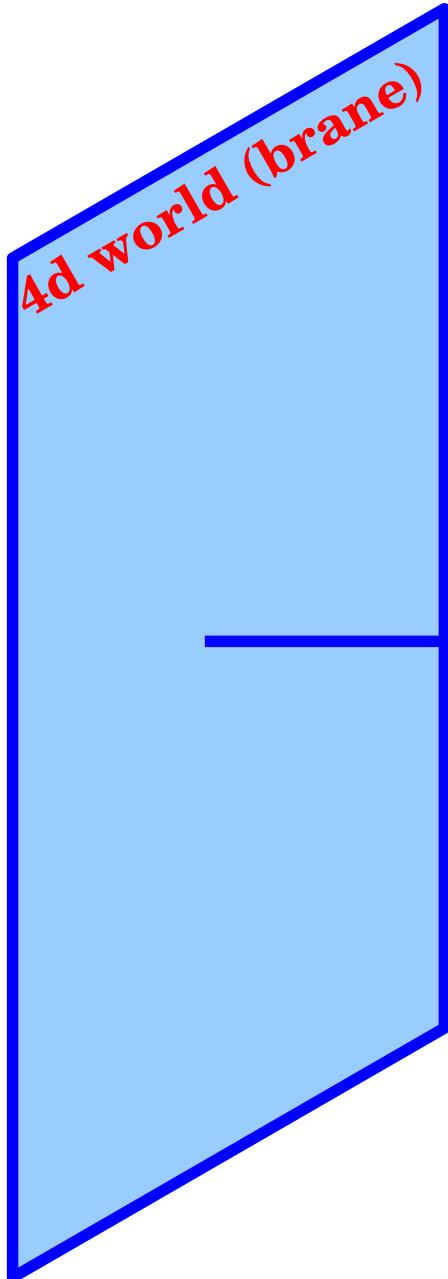
Dienes, Dudas, Gherghetta, PLB 436 (1998) 55, NPB 537 (1999) 47

Antoniadis, Benakli, Quiros, PLB 460 (1999) 176

Rizzo, Wells, PRD61, 016007

Cheung, Landsberg, PRD65, 076003

which fields/particles and where ?



Universal Extra-Dimensions (UED)

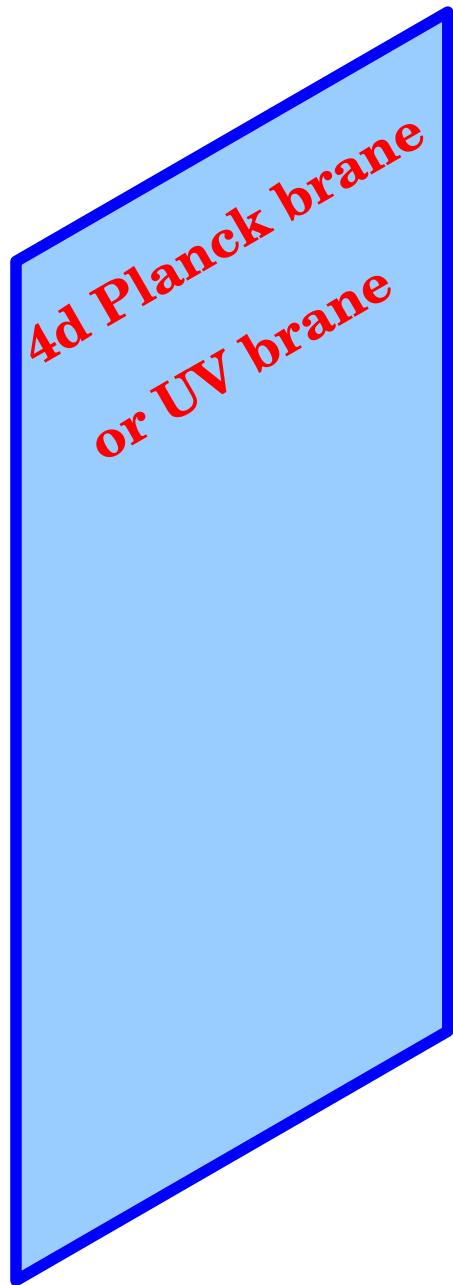
$D = 4 + n$ bulk (n=1 mostly)

where SM gauge AND fermion
fields propagate

factorizable geometry
compactified extra-dimensions
(on simplest orbifold)

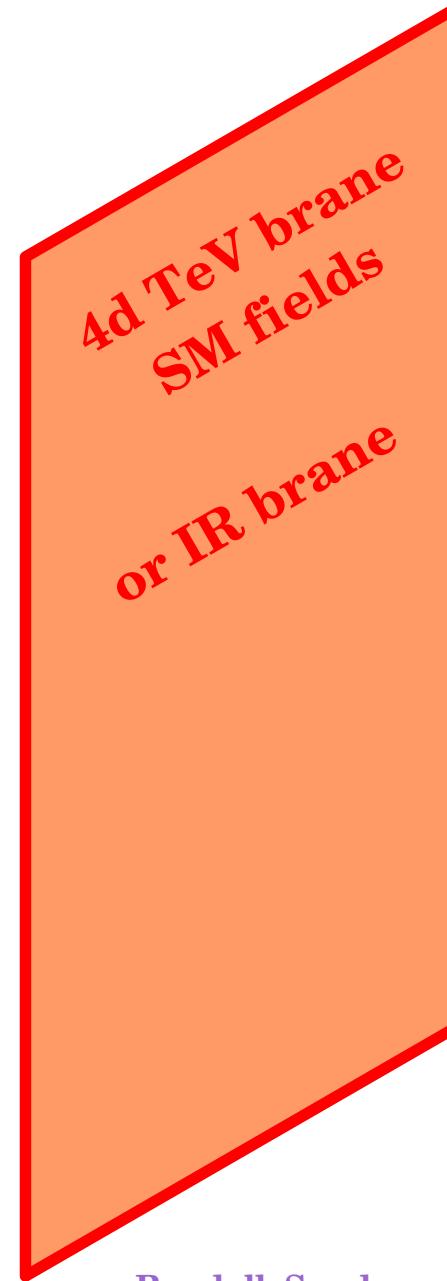
Appelquist, Cheng, Dobrescu, PRD64, 035002

which fields/particles and where ?



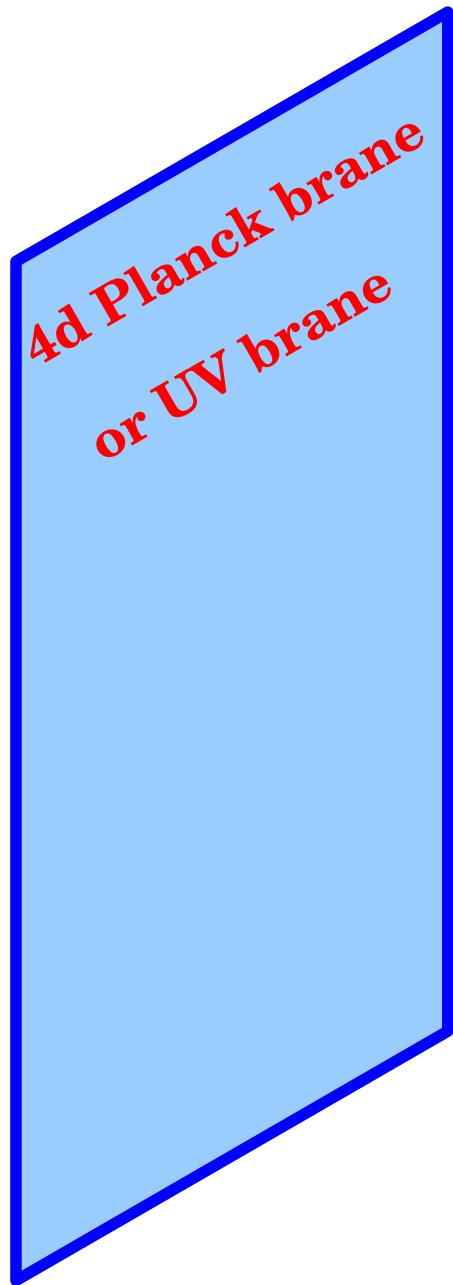
**gravity only
propagates in a
5D warped bulk**

Minimal RS



Randall, Sundrum, PRL 83 (1999) 3370

which fields/particles and where ?

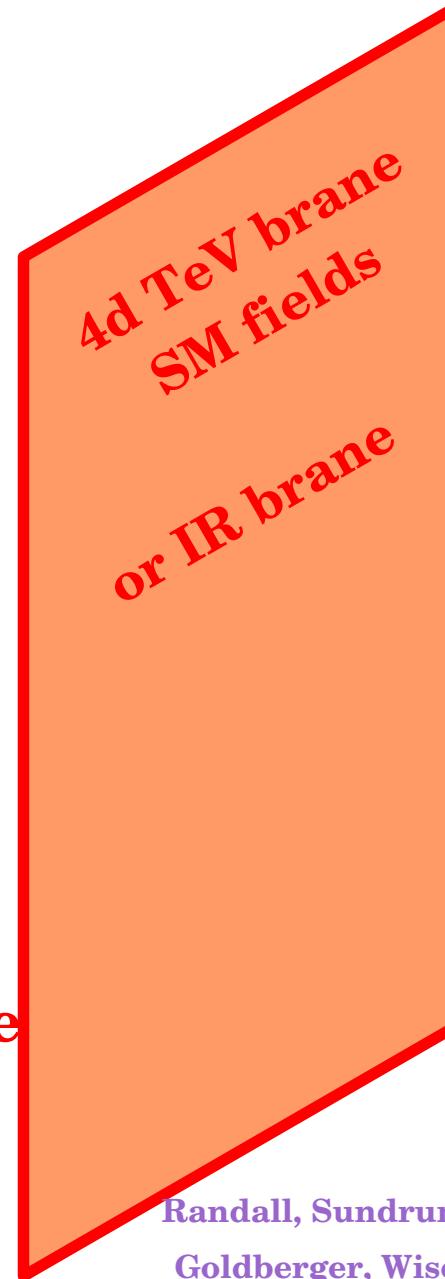


**gravity
propagates in a
5D warped bulk**

+

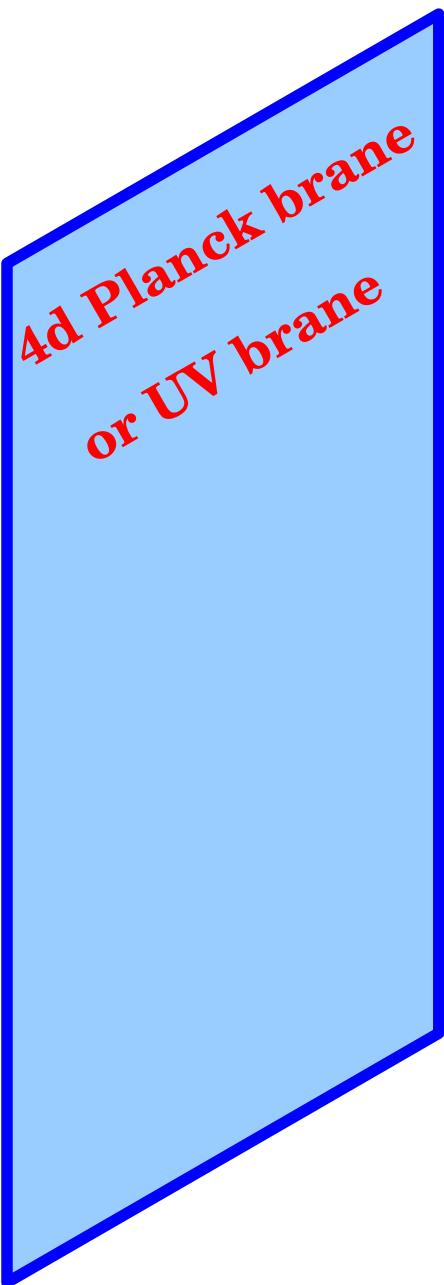
**scalar for
interbrane distance
stabilization**

stabilized RS



Randall, Sundrum, PRL 83 (1999) 3370
Goldberger, Wise, PRL 83 (1999) 4922,
PRD 60, 107505,
PBL 474 (2000) 275

which fields/particles and where ?

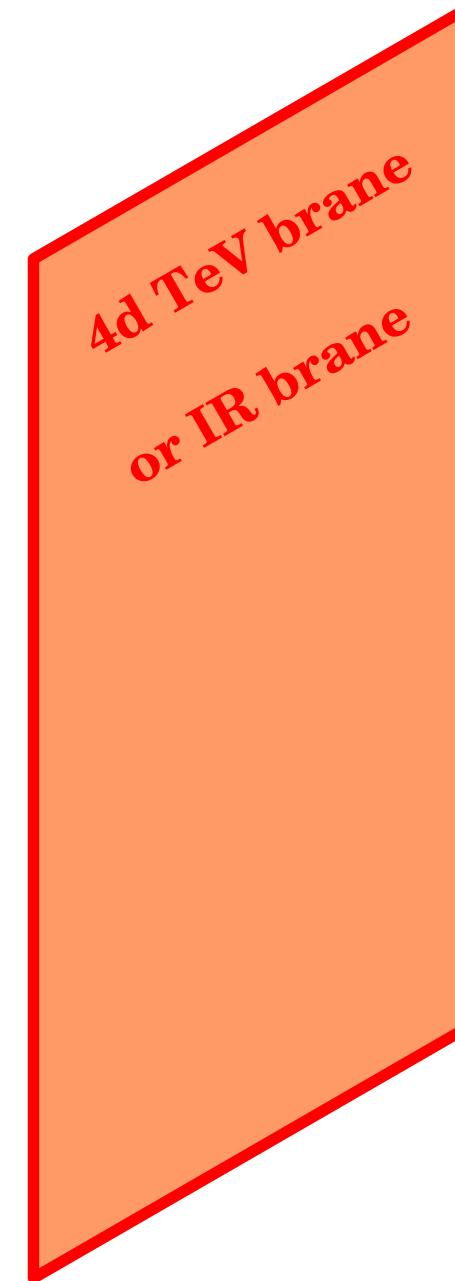


**not only gravity
propagates in a
5D warped bulk**

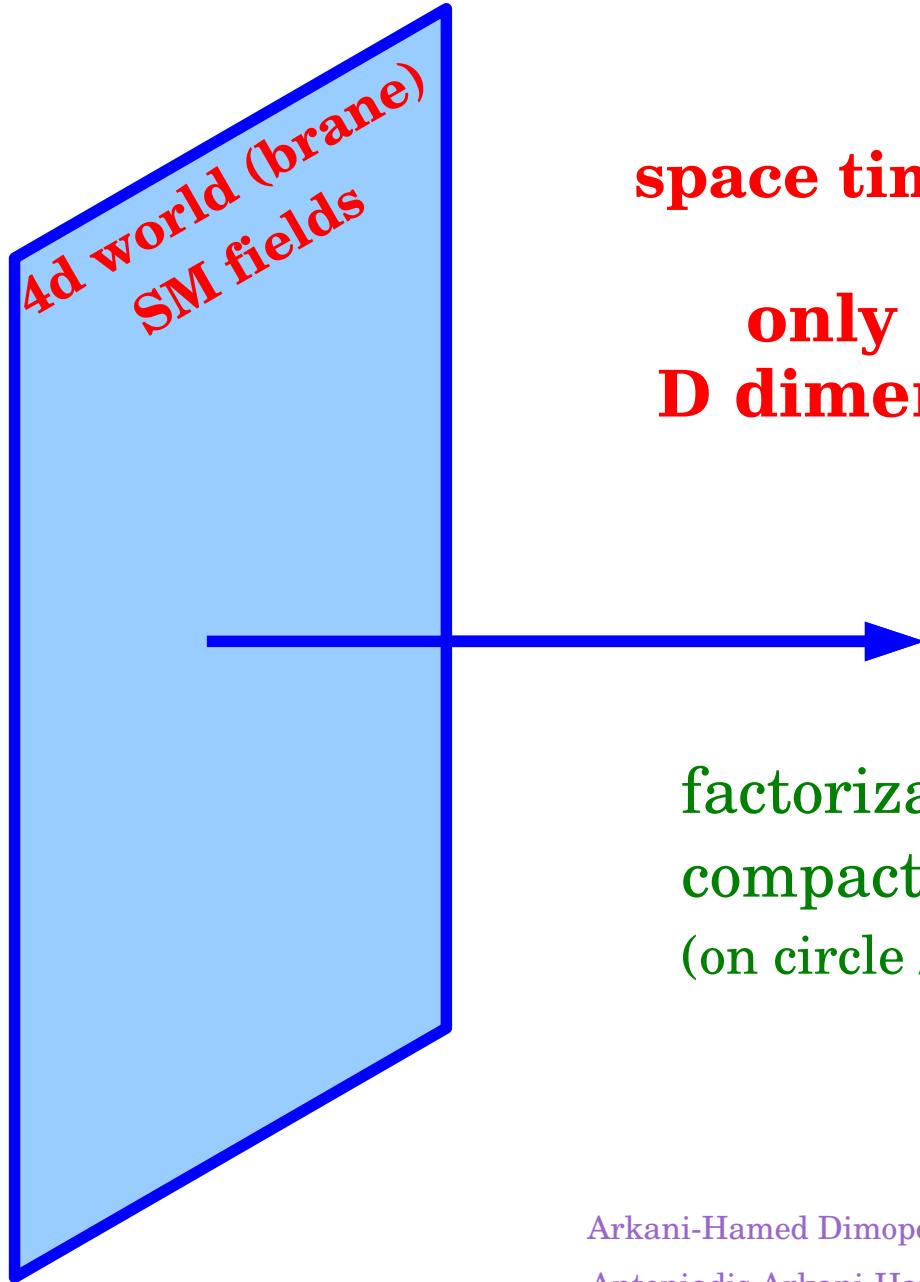
**but also
fermion and
gauge fields**

**Higgs localized
close to TeV brane**

Bulk RS



which fields/particles and where ?



space time of $D = 4 + n$ dimensions

only gravity propagates in
 D dimensional (*bulk*) full space

factorizable geometry
compactified n extra-dimensions
(on circle / torus) as small as \sim mm ?

ADD model

Arkani-Hamed Dimopoulos Dvali, PLB 429 (1998) 263, PRD59 (1999) 086004

Antoniadis Arkani-Hamed Dimopoulos Dvali, PLB 436 (1998) 257

ADD approach

Arkani-Hamed Dimopoulos Dvali,
PLB 429 (1998) 263, PRD59 (1999) 086004
Antoniadis Arkani-Hamed Dimopoulos Dvali,
PLB 436 (1998) 257

gravity at TeV scale in a bulk of $4 + n$ compactified dimensions

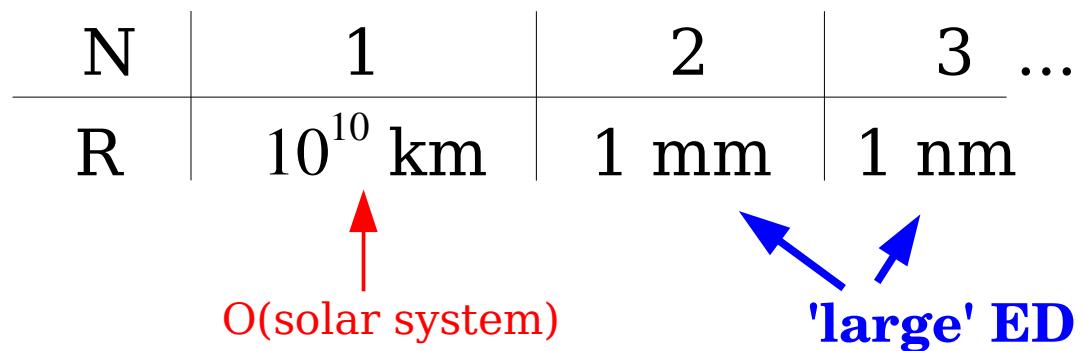
SM fields confined in 4D brane

one of 1st approach of the KK idea renewal after the string duality and brane revolution

address the hierarchy problem

$$M_{Pl(4)}^2 \sim M_{Pl(4+n)}^{n+2} R^n$$

for $M_D \equiv M_{Pl(4+n)} = 1 \text{ TeV}$



phenomenology and constraints from various areas:

- short distance gravity measurement (backup)
- astrophysics and cosmology (backup)
- collider physics**

Han, Lykken, Zhang, PRD5 9, 105006

Hewett, PRL 82 (1999) 4760

Giudice, Rattazzi, Wells, NPB 544 (1999) 3

Mirabelli, Perelstein, Peskin, PRL 82 (1999) 2236

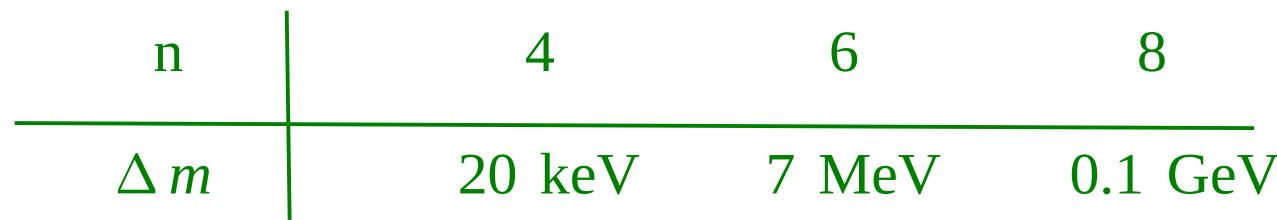
ADD approach

the graviton Kaluza-Klein modes have masses equal to $|k|/R$ and therefore the different excitations have mass splittings

$$\Delta m \sim \frac{1}{R} = M_D \left(\frac{M_D}{\bar{M}_{Pl}} \right)^{\frac{2}{n}} = \left(\frac{M_D}{\text{TeV}} \right)^{\frac{n+2}{2}} 10^{\frac{12n-31}{n}}$$

using $\bar{M}_{Pl} \equiv \sqrt{V_n} M_D^{\frac{n}{2}+1} = (2\pi R)^{\frac{n}{2}} \bar{M}_D^{\frac{n}{2}+1} \equiv R^{\frac{n}{2}} M^{\frac{n}{2}+1}$

for $M_D \equiv \sqrt{V_n} \bar{M}_D^{\frac{n}{2}+1} = (2\pi R)^{\frac{n}{2}} \bar{M}_D^{\frac{n}{2}+1} \equiv R^{\frac{n}{2}} M^{\frac{n}{2}+1}$

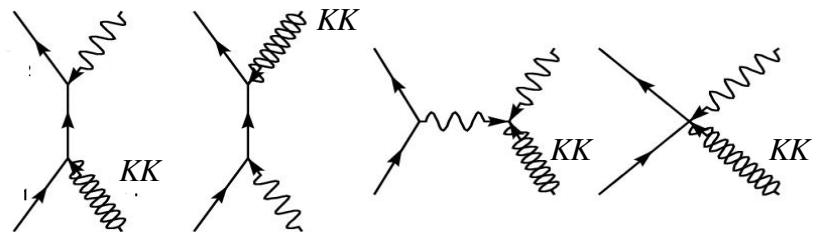


ADD signatures at colliders in a nutshell

- direct searches \longrightarrow KK graviton in final states

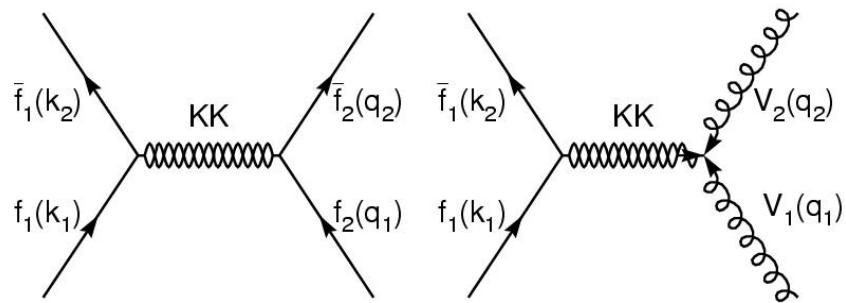
states close to each other in mass $O(\text{fraction of eV})$ quasi-continuum
compensating $\sim O(1/M_{\text{Pl}})$ coupling of each KK state to SM fields

look for jet + missing energy
photon + missing energy
 Z + missing energy



sizeable Xsection directly related to n and scale M_D $\sigma \approx E^n / M_D^{n+2}$

- indirect searches \longrightarrow no KK states in final states



look for deviation in fermion or boson pairs production (diff.) Xsections measurements

Xsection divergent for $n > 1$ \longrightarrow need a cutoff
cut-off M_S not related to scale M_D \longrightarrow assume $M_S \approx M_D$

(possible regularization in string theories context)

PreLHC collider constraints on scales $\sim O(1.6 - 2.1 \text{ TeV})$ for $n = 2$

ADD Formalism issues

- Hewett

interference (sign and n dependence undetermined)

$$\pm \lambda / M_S^4 \text{ with } \lambda \text{ conventionally } \lambda = \pm 1$$

- Giudice Rattazzi Wells

interference (sign fixed and n dependence undetermined) $\sim 1/\Lambda_T^4$

- Han Lykken Zhang

interference (sign fixed)

$$F / M_{HLZ}^4$$

$$F = \log \frac{M_{HLZ}^2}{S} \quad n=2$$

$$F = \frac{2}{n-2} \quad n>2$$

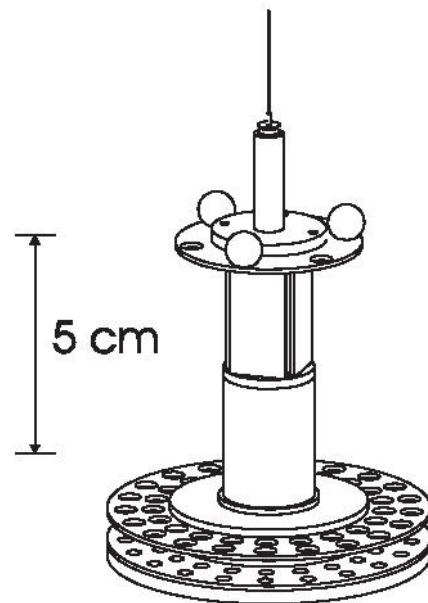
- conversion rules

$$M_s[Hewett \lambda=+1] = \left[\frac{2}{\pi} \right]^{\frac{1}{4}} \Lambda_T(GRW)$$

$$\frac{\lambda}{M_S^4(Hewett)} = \frac{\pi}{2} \frac{F}{M_{HLZ}^4}$$

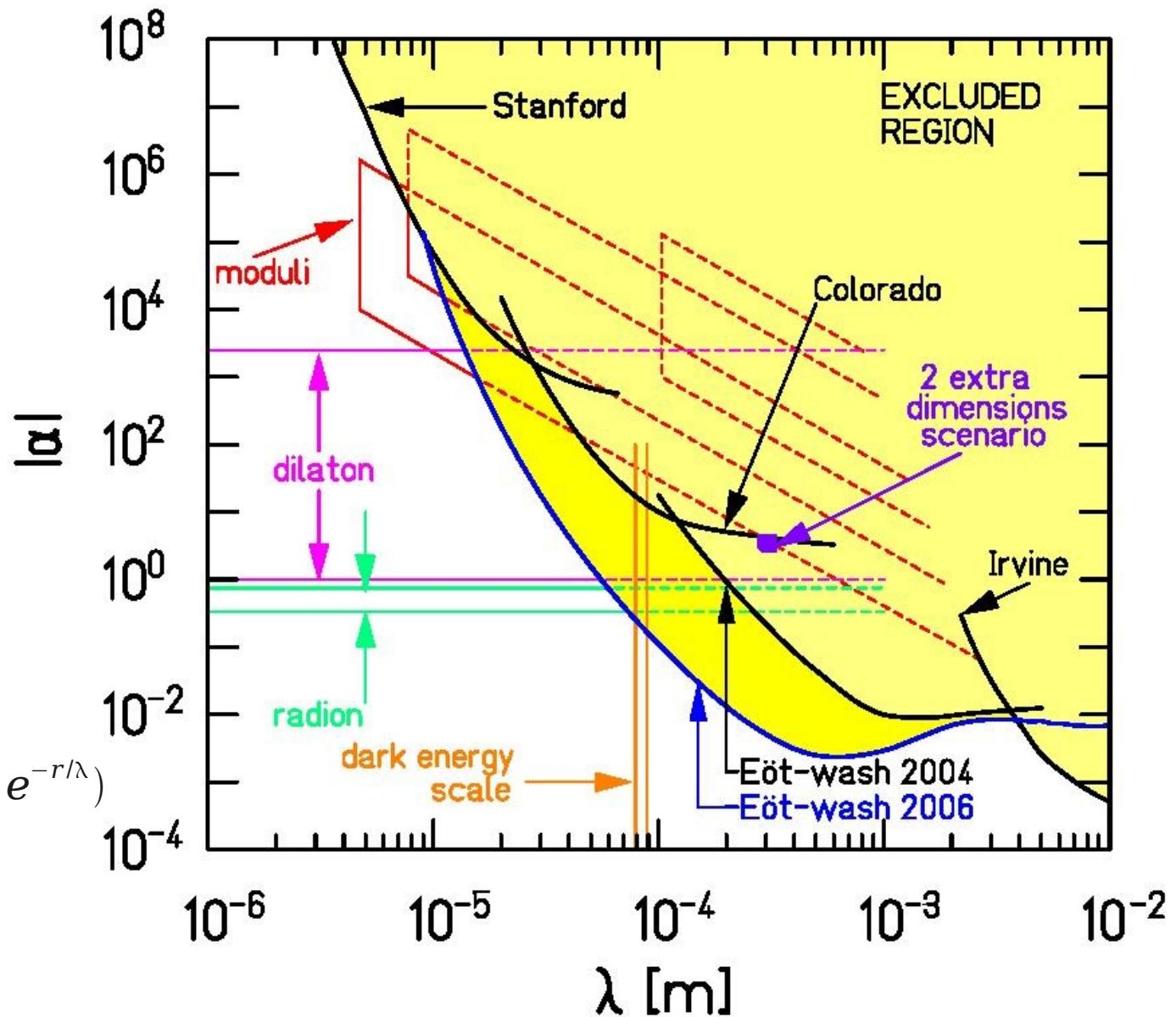
$$\frac{1}{\Lambda^4(GRW)} = \frac{F}{M_{HLZ}^4}$$

From torsion balance test of gravitational Inverse square law



$$V(r) = -G_{\text{Newton}} \frac{m_1 m_2}{r} (1 + \alpha e^{-r/\lambda})$$

$R \lesssim 50$ microns



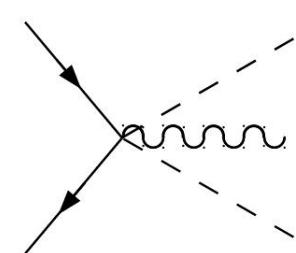
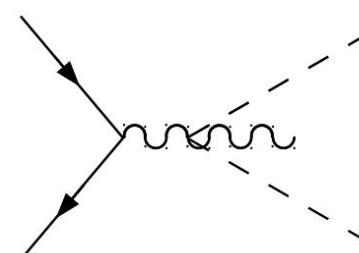
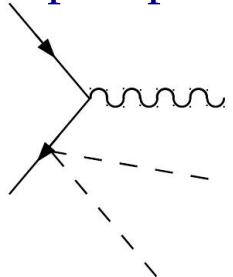
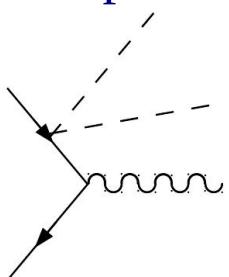
Kapner, Cook, Adelberger, Gundlach, Heckel, Hoyle, Swanson, PRL 98 (2007) 021101

Branon

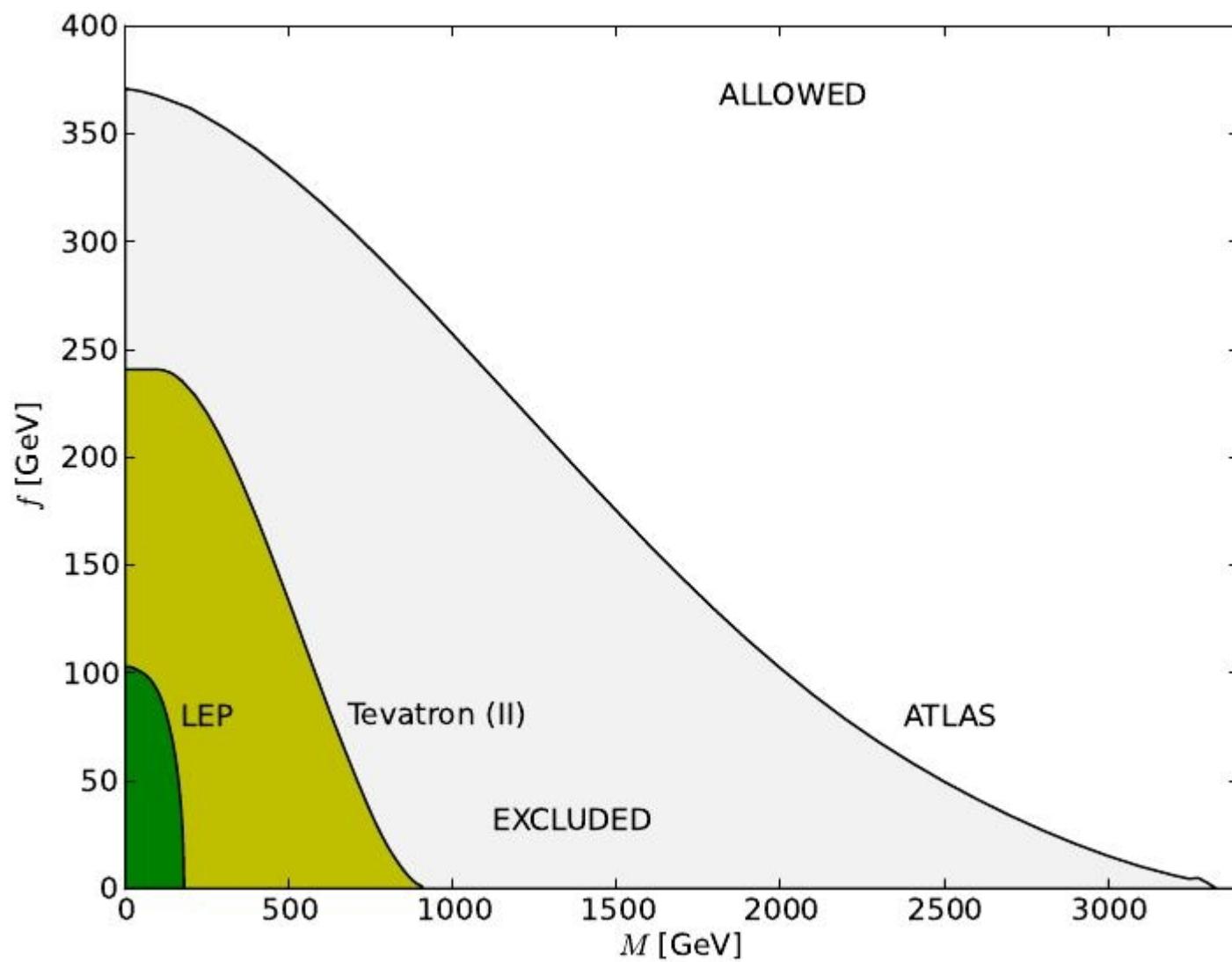
- in ('flat') extra-dimensions models with low brane tension f (lower than M_D) fluctuations of the brane position along the extra-dimensions are the only relevant low energy modes
- the particles associated to the fluctuations of the brane in the extra dimensions are scalar particles called branons π^α
- branons can be massive (with mass M)
- branons interact by pairs with the SM energy momentum tensor via a mass term and derivative term with f^4 suppressed couplings

$$L_{\text{branon}} = \frac{1}{2} g^{\mu\nu} \partial_\mu \pi^\alpha \partial_\nu \pi^\alpha - \frac{1}{2} M^2 \pi^\alpha \pi^\alpha + \frac{1}{8f^4} \left(4 \partial_\mu \pi^\alpha \partial_\nu \pi^\alpha - M^2 \pi^\alpha \pi^\alpha g_{\mu\nu} \right) T^{\mu\nu}$$

- branons are stable, weakly interacting and invisible \rightarrow DM candidate
- despite their coupling suppression, branons can be abundantly pair produced in association SM particles at the LHC (and to some extent also at ILC and CLIC, ...)
- for example branons can be pair produced in association with one γ



Branons



Black Holes

Myers, Perry, Annals. Phys. 172 (1986) 304
 Argyres, Dimopoulos, March-Russel, PLB 441 (1998) 96
 Banks, Fischler, hep-th/9906038
 Emparan, Horowitz, PRL 85 (2000) 499
 Giddings, Thomas, PRD65, 056010
 Dimopoulos, Landsberg, PRL 87 (2001) 161602
 Anchordoqui, Goldberg, Shapere, PRD 66, 024033
 Dimopoulos, Emparan, PLB 526 (2002) 393
 Kanti, Int.J.Mod.Phys. A19 (2004) 4899
 Lect.Notes.Phys.769(2009)387

Schwarzschild radius ('flat' ED ~ ADD)

4D

$$R_s \approx \frac{2}{M_{Pl}^2} \frac{M_{BH}}{c^2}$$

$$R_s \ll 10^{-35} \text{ m}$$

(4+n)D

$$R_s \approx \frac{1}{M_d} \left(\frac{M_{BH}}{M_D} \right)^{\frac{1}{n+1}}$$

$$R_s \approx 10^{-19} \text{ m}$$

if **colliding parton impact parameter < R_s**
 and **E_{CM} ~ M_{BH} > M_D**

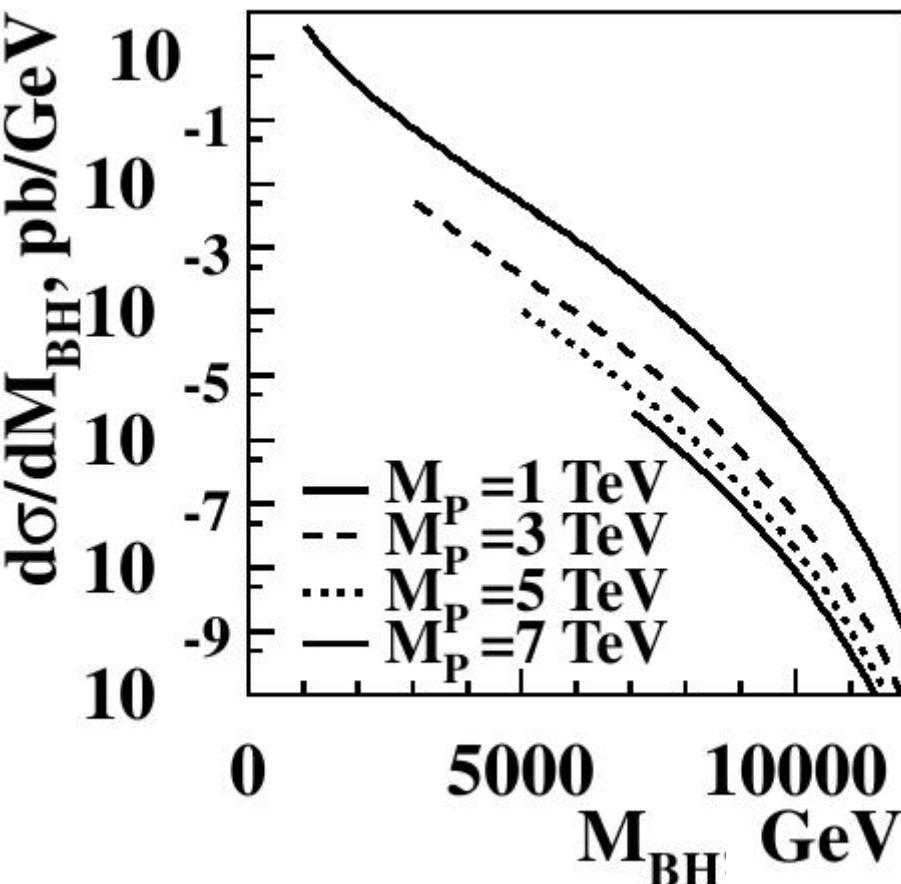
a black hole can form

Cross sections are large

$$\sigma(\text{parton}_i \text{ parton}_j \rightarrow \text{BH}) \approx \pi R_s^2$$

semi-classical approach

$$\sigma(pp \rightarrow \text{BH}) \approx 1 \text{ nb} - 1 \text{ fb}$$



Dimopoulos, Landsberg, PRL 87 (2001) 161602

Black Holes decay

a highly asymmetric rotating created Black Hole goes through

Balding phase

shedding of quantum numbers except a few i.e. M, Q ...
invisible energy (15% of total energy ?)

Spin-down phase

loss of angular momentum by Hawking radiation
visible energy (25% of total energy ?)

Schwarzschild phase $M_{BH} \gg M_D$

Hawking radiation at $T_H \approx M_D \left(\frac{M_D}{M_{BH}}\right)^{\frac{1}{n+1}} (n+1)$

thermal evaporation black body spectrum + grey-body factors from strong. Grav. field)

visible energy (60% of total energy ?) → **mostly in SM particles on our brane**

Planck phase $M_{BH} \approx M_D$ (**regime of quantum gravity**)

quanta emission ?

string ball formation and evaporation at Hagedorn temperature ?

Black Holes

BH evaporate/decay democratically into SM particles (or SM+SUSY) mainly on the brane through Hawking radiation

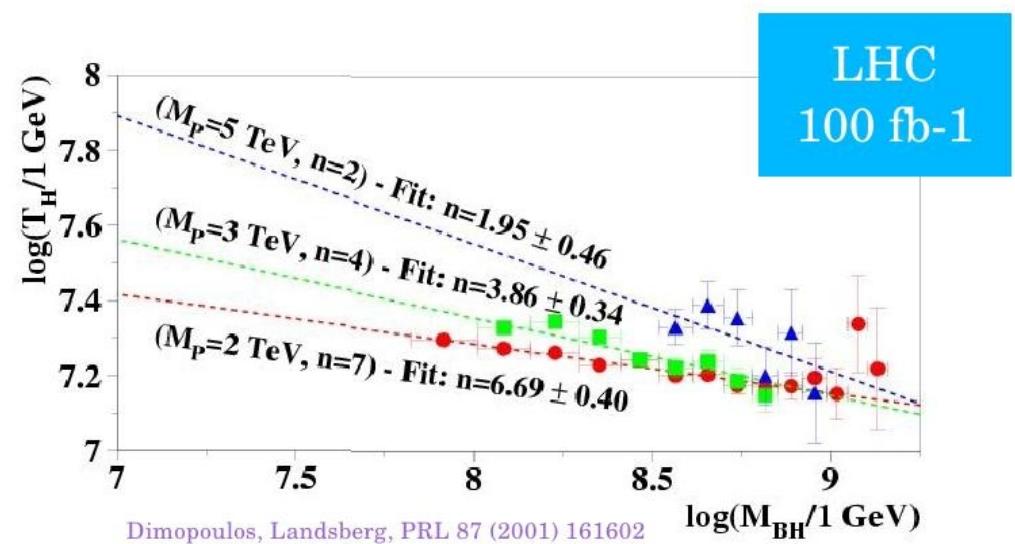
decay is fast $\sim 10^{-26}$ s \rightarrow Black Holes do not escape the detector

spectacular signatures with large jet/lepton multiplicities and small MET

possible to carry dedicated studies \rightarrow dimensionality of space-time

measure Hawking temperature of black hole T_{BH}
(e.g. from energy spectrum of some decay product)

as a function of its mass M_{BH}
(e.g. from total energy of all of its decay product)

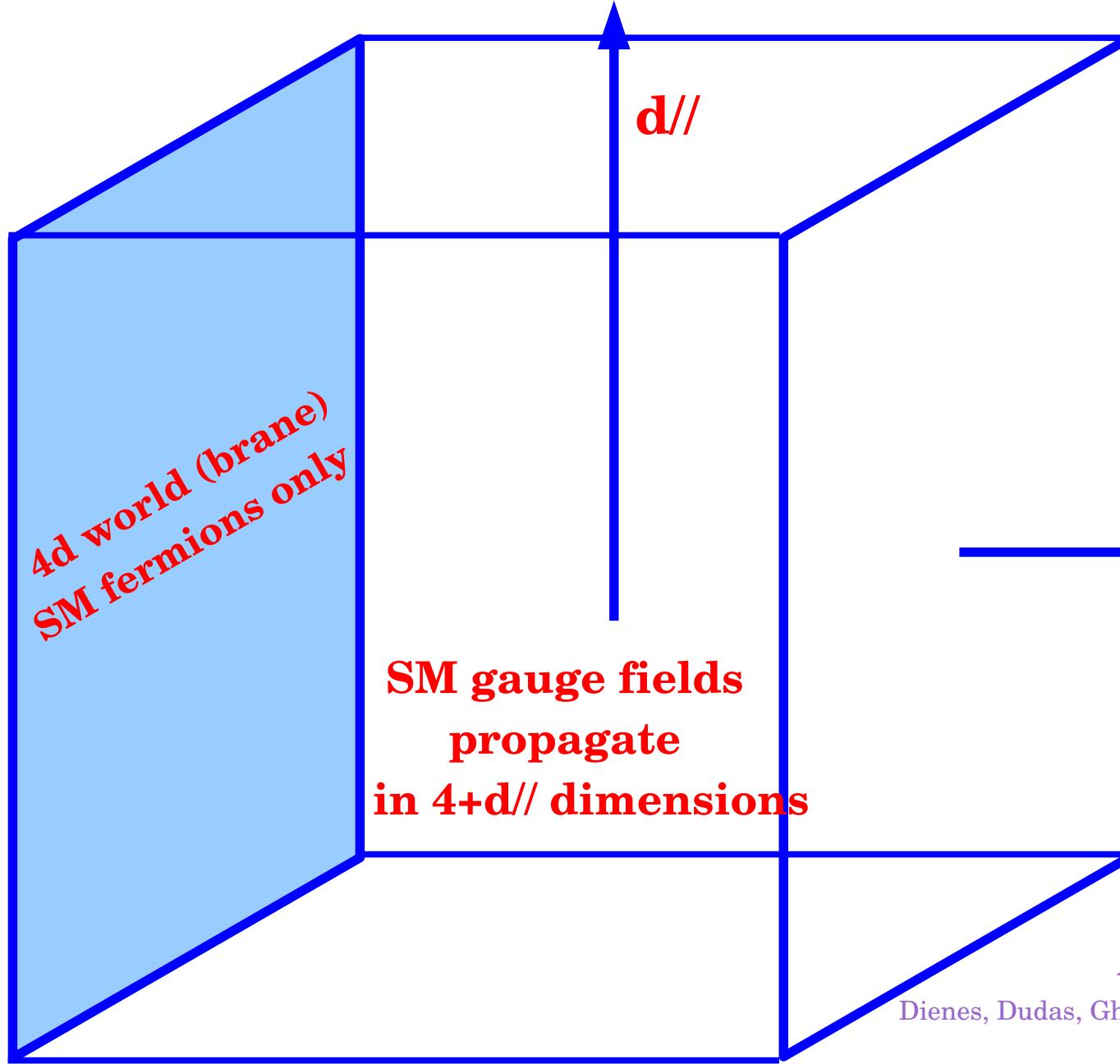


and check that $\log(T_{BH}) = -\frac{1}{n+1} \log(M_{BH}) + \text{const}$ (extra-dimension equivalent of the Wien law)

Astrophysical Constraints

	M_D	M_D
γ ray from galactic bulge (from EGRET)	450 TeV (n=2) $3.8 \cdot 10^{-10} m$	1.9 TeV (n=3) $4.2 \cdot 10^{-12} m$
neutron star halo (KK decay) (from EGRET)	454 TeV (n=2)	27 TeV (n=3)
neutron star excess heat (from HST)	1680 TeV (n=2)	60 TeV (n=3)

TEV⁻¹ (KK gauge bosons)



$d//$ size: $R^{-1} \approx TeV \approx 10^{-19} m$

TeV⁻¹ TeV⁻¹ models

~ ADD extension

gravity propagates in
 $D = 4 + d// + d_{\perp}$ bulk

factorizable geometry
compactified Xtradim
(on circle/torus)

Antoniadis PLB246 (1990) 377

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Antoniadis, Benakli, Quiros, PLB 460 (1999) 176

Rizzo, Wells, PRD61, 016007

Cheung, Landsberg, PRD65, 076003

TEV^{-1} (KK gauge bosons)

- gauge bosons in 'flat' 5D bulk with $R = O(\text{TeV}^{-1})$ extra dimension
- KK 0th mode identified with SM gauge bosons (can mix with non-zero modes)

- combined constraints from LEP, HERA, TEVATRON: $M_{\text{KK}} = R^{-1} > 6.8 \text{ TeV}$
 Cheung, Landsberg, PRD65, 076003

direct searches (before LHC): $M_{\text{KK}} > O(1 \text{ TeV})$

- **resonant production if** $M_{\text{KK}} < E_{CM}$

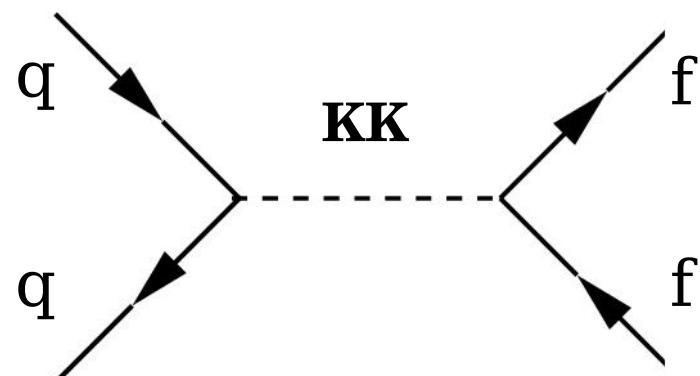
search for dilepton or dijet invariant mass peak
 (or transverse mass jacobian peak from single lepton)

to look for the 1st mode at least

2nd, 3rd modes for KK pattern would be desirable

- **virtual effects (?) if** $M_{\text{KK}} > E_{CM}$

Xsection deviations, asymmetries

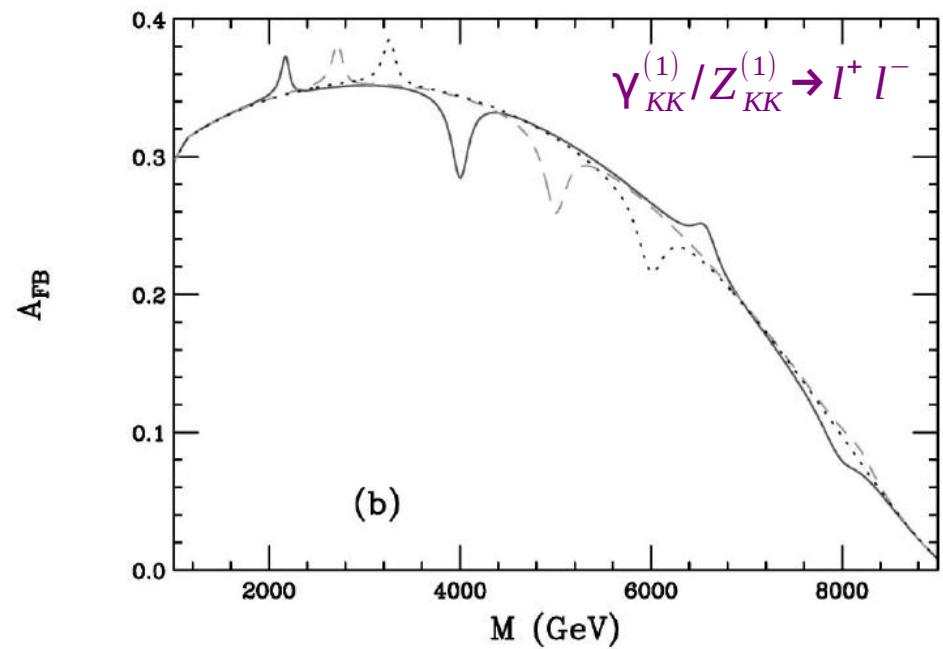
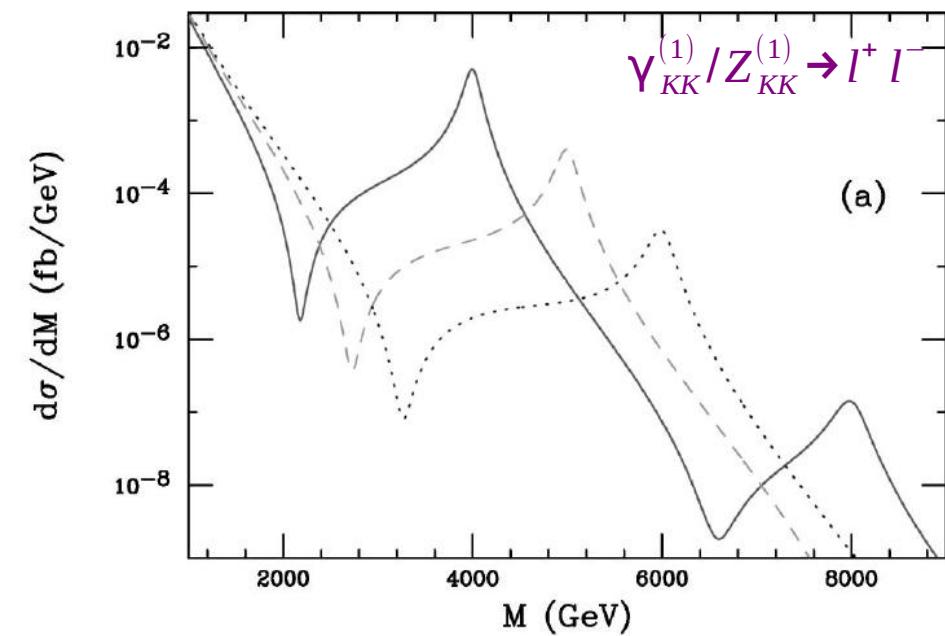


Coupling: finite at 5D, divergent for > 5D
 but can regularized in specific approaches

TeV^{-1} (KK gauge bosons)

naively, from normalization of gauge fields kinetic energy term → KK gauge bosons couple to SM fermions with a strength larger than the 0-mode by a universal factor of $\sqrt{2}$

example of 4, 5 and 6 TeV $\gamma_{KK}^{(1)}$ and $Z_{KK}^{(1)}$ (which are nearly degenerate in mass as well as with $W_{KK}^{(1)}$) production at the 14 TeV LHC (fermions in one 4D brane)

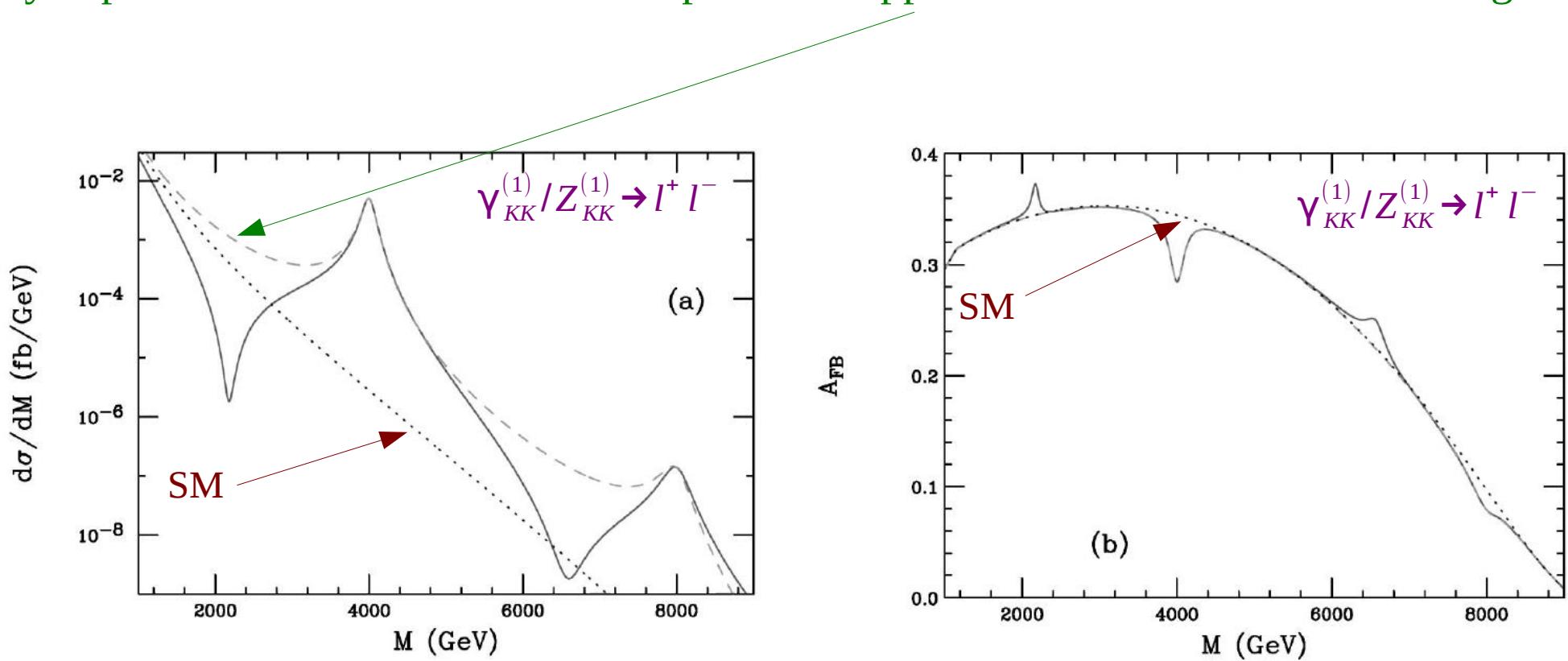


angular distributions to demonstrate that states are spin-1 (if enough statistics)
dips in the distributions → signal for KK scenarios ?

TeV^{-1} (KK gauge bosons)

dips in the distributions \rightarrow signal for KK scenarios ?

may depend on fermion location \rightarrow dips can disappear with different fermions assignments



if access to second KK level kinematically difficult at LHC \rightarrow

difficult to distinguish an ordinary Z' and degenerate $\gamma_{KK}^{(1)}/Z_{KK}^{(1)}$

difficult to demonstrate the KK nature of the resonance at the LHC ?

way out with lepton collider even below the resonance (see later on) ?

TeV^{-1} (KK gauge bosons)

what if more than one TeV^{-1} extra dimension ?

- ⇒ details of compactifying manifold may become important
 - KK excitation spacings more intricate
 - many levels degenerate in mass
 - strength of couplings to fermions may become level dependent
- ⇒ constraints from precision measurement more tricky to derive
 - assume that the couplings of at least the first few levels to fermions are not vastly different than the naive one (see few slides above)
 - in the limit where the effects KK states exchanges viewed as a set as a set of contact interaction (effective approach)
 - new dimension-6 operators with coefficient proportional to a dimensionless quantity V

$$V = (M_W R) \sum_{n=1}^{\infty} \frac{g_n^2}{g_0^2} \frac{1}{n \cdot n}$$

g_n is the coupling of the n th level
and assuming a simple compactification
where 1st KK excitation(s) have mass $\propto \frac{1}{R}$

the sum in V does not converge with more than one extra dimension

TEV⁻¹ (KK gauge bosons)

1st way out : truncation (T)

⇒ sum over a finite number of terms n_{\max} i.e only those states whose mass is below M_s which now acts simply as cutoff

2nd way out : exponential (E)

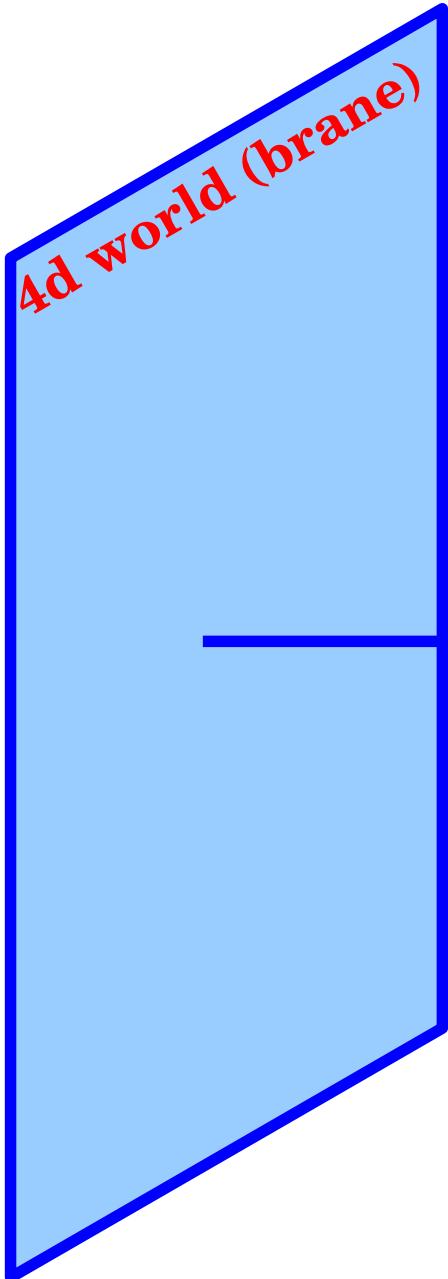
⇒ exponential damping of contribution from higher terms in the sum
(from considerations of the flexibility of the brane or in string context)

$$V = (M_W R) \sum_{n=1}^{\infty} \frac{g_n^2}{g_0^2} \frac{1}{n \cdot n} e^{-\frac{n \cdot n}{n_{\max}}}$$

lower bound on the mass
of the 1st KK state (TeV)
for different compactifications
i.e. $Z_2 \times Z_2$, $Z_{3,6}$ and $Z_2 \times Z_2 \times Z_2$

n_{\max}	$Z_2 \times Z_2$		$Z_{3,6}$		$Z_2 \times Z_2 \times Z_2$	
	T	E	T	E	T	E
2	5.69*	4.23*	6.63*	4.77*	8.65	8.01
3	6.64	4.87*	7.41	5.43*	11.7	10.8
4	7.20	5.28*	7.95	5.85*	13.7	13.0
5	7.69	5.58*	8.36	6.17*	15.7	14.9
10	8.89	6.42	9.61	7.05	23.2	22.0
20	9.95	7.16	10.2	7.83	33.5	31.8
50	11.2	8.04	12.1	8.75	53.5	50.9

which fields/particles and where ?



Universal Extra-Dimensions (UED)

$D = 4 + n$ bulk (n=1 mostly)

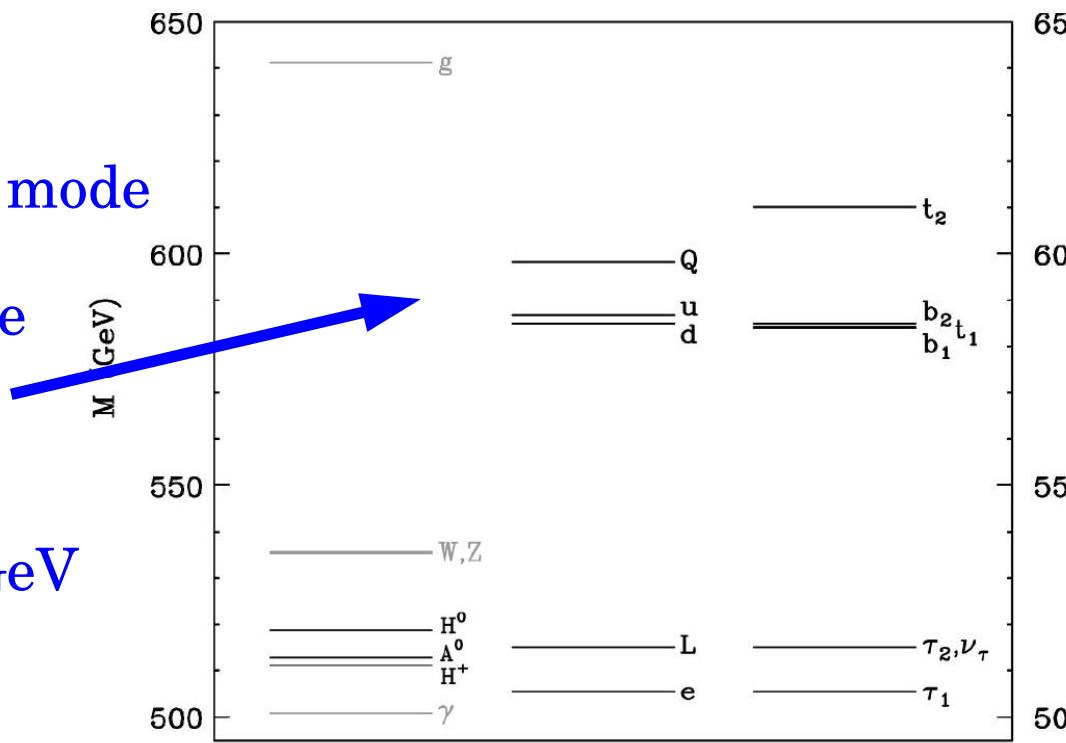
where SM gauge AND fermion
fields propagate

factorizable geometry
compactified extra-dimensions
(on simplest orbifold)

Appelquist, Cheng, Dobrescu, PRD64, 035002

Minimal Universal Extra Dimensions (mUED)

- all SM fields in a 5D bulk
further extension of TeV⁻¹
- 4D SM particles identified to 0th KK mode
- 1st (and beyond) KK modes are massive
loop corrections involving bulk fields
lead to non degenerate mass spectrum
- EW constraints → $M > 300 - 600$ GeV
- momentum conservation in bulk
 - KK-parity conservation
 - pheno. similar to SUSY with conserved R-parity



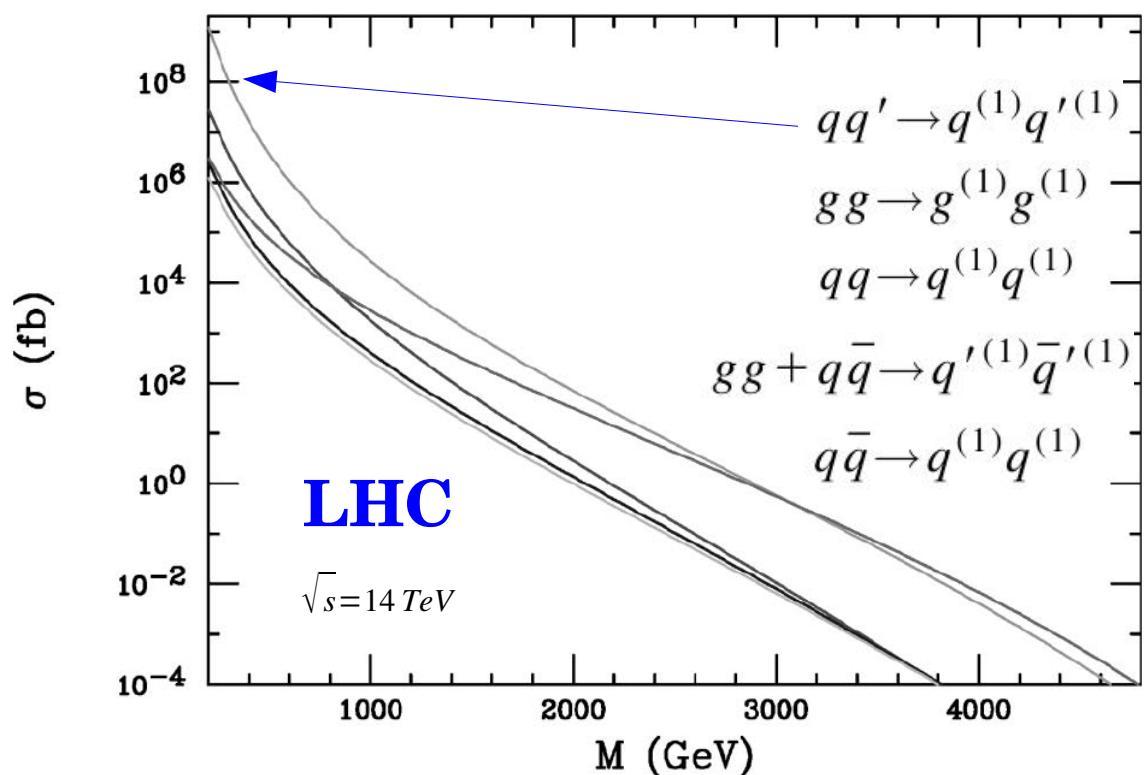
Cheng, Matchev, Schmaltz PRD66, 056006

- KK states produced in pairs
- 1 KK + 1 SM in a KK state decay
possible cascade decays
- stable LKP (DM candidate)
source of MET

Minimal UED

- pair production of lightest coloured KK states
→ largest Xsection

- possible signatures:
 - 4 leptons + MET
 - 3 (or 2 leptons ...) + jets + MET
 - 2 (or more) jets + MET



Minimal UED

example of decay flow

$$Br(g_1 \rightarrow Q_1 Q_1) \approx 0.5$$

$$Br(g_1 \rightarrow q_1 q_1) \approx 0.5$$

$$Br(q_1 \rightarrow q \gamma_1) \approx 1$$

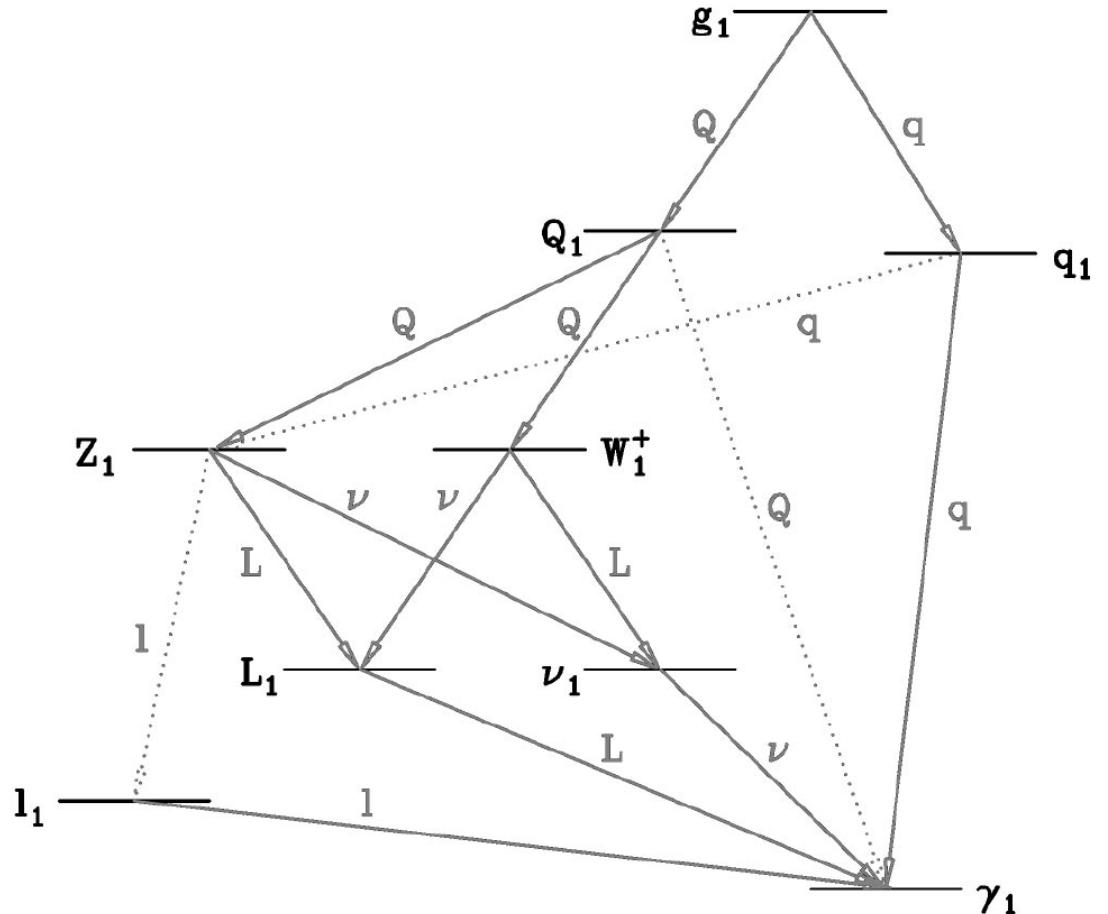
$$Br(Q_1 \rightarrow Q Z_1 : W_1 : \gamma_1) \approx 0.33 : 0.65 : 0.02$$

$$Br(W_1 \rightarrow \nu L_1 : \nu_1 L) \approx 1/6 : 1/6$$

$$Br(Z_1 \rightarrow \nu \nu_1 : LL_1) \approx 1/6 : 1/6$$

$$Br(L_1 \rightarrow \gamma_1 L) \approx 1$$

$$Br(\nu_1 \rightarrow \gamma_1 \nu) \approx 1$$



Cheng Matchev Schmaltz PRD66, 056006

discriminating mUED w.r.t SUSY ?

Datta, Kong, Matchev, PRD75 (2005) 096006

search for level 2 KK modes

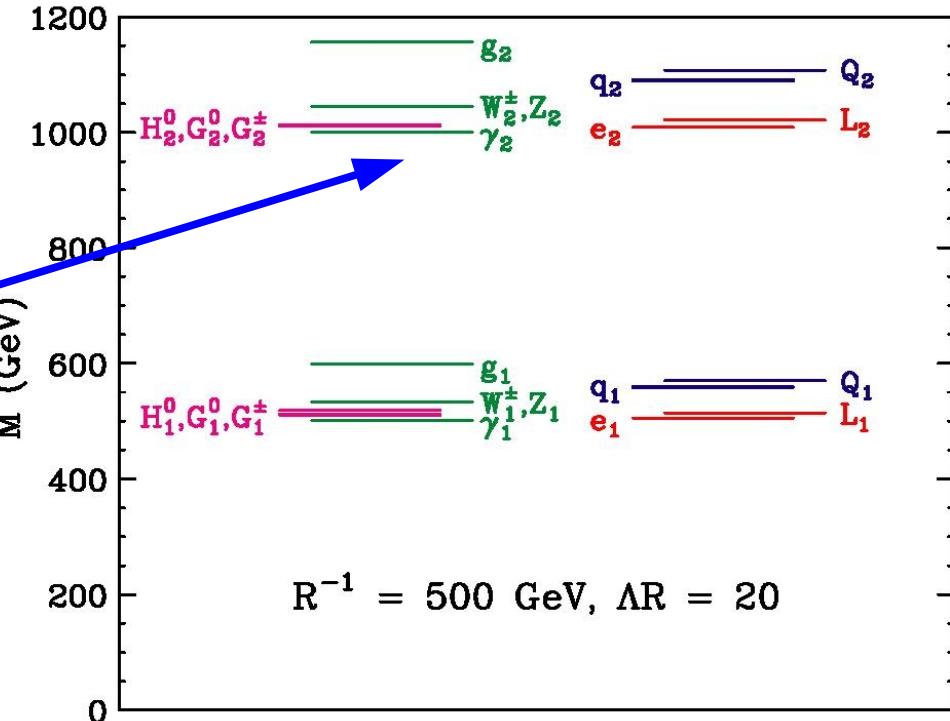
i.e. search for KK tower structure

at similar masses

Xsection(UED) > Xsection(SUSY)

e.g. for s-channel production :

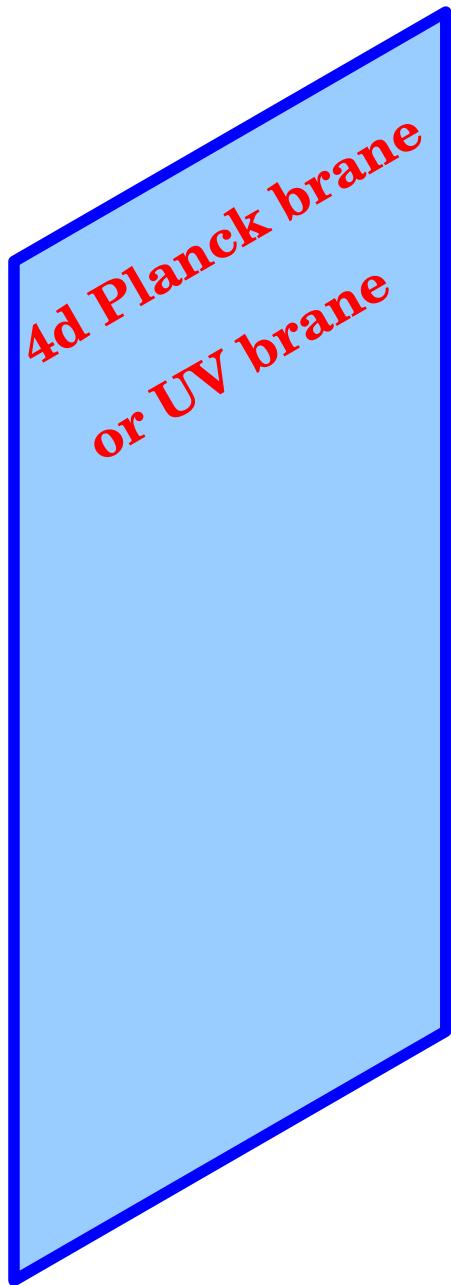
- both L and R handed SU(2) doublet KK fermions in UED (in susy only L handed SU(2) doublet squarks)
- integrating different angular distributions for fermions ($1 + \cos^2 \theta$) vs scalars ($1 - \cos^2 \theta$)
- for production close to threshold (heavy particles)
different Xsection threshold suppression for fermions (β) vs scalars (β^3)



Level 2 KK-quarks (pairs or associated with KK gluons) can be produced directly

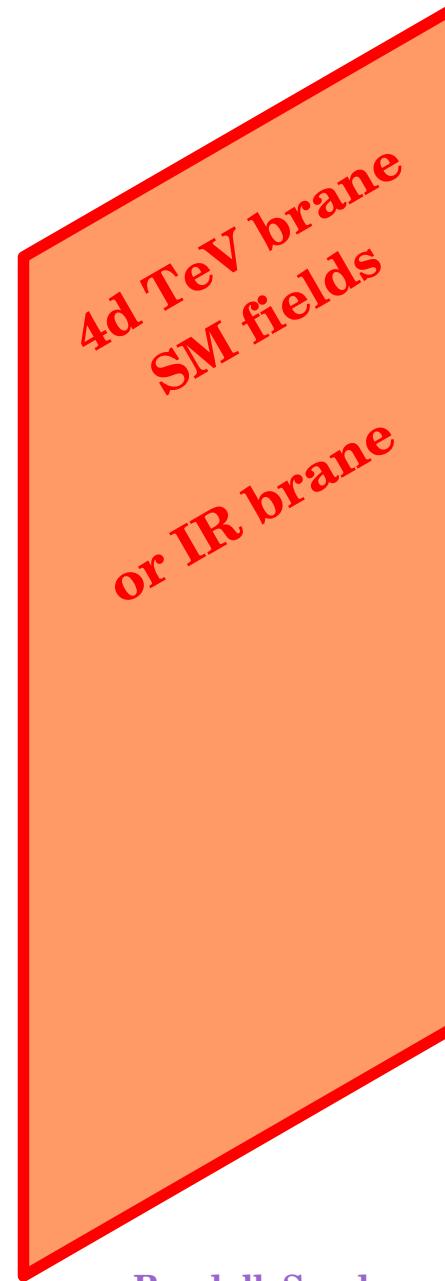
BUT Br (Nleptons + MET) • Xsection still challengingly small
& challenging small statistics to distinguish from level 1 modes

which fields/particles and where ?



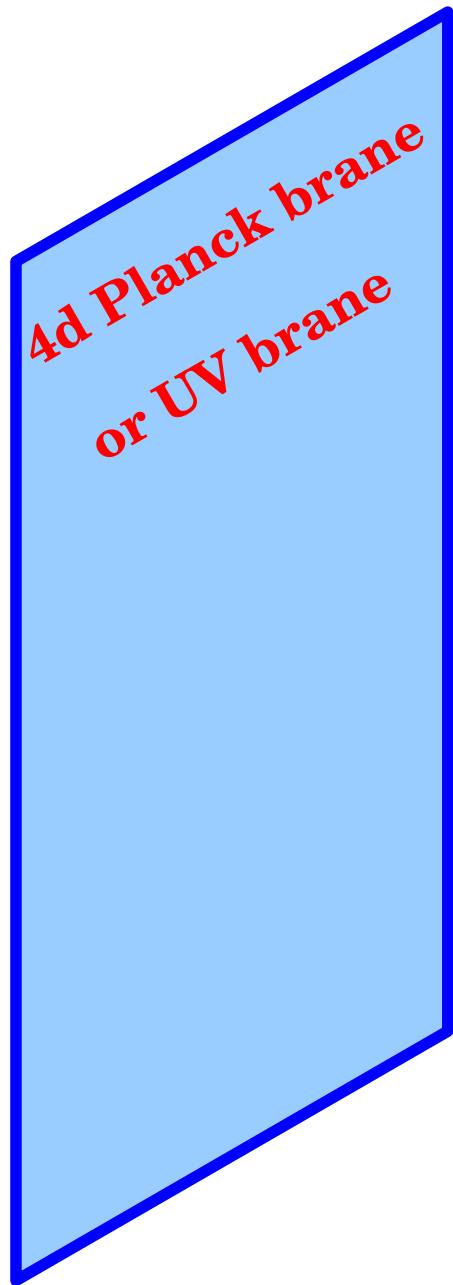
**gravity only
propagates in a
5D warped bulk**

Minimal RS



Randall, Sundrum, PRL 83 (1999) 3370

which fields/particles and where ?

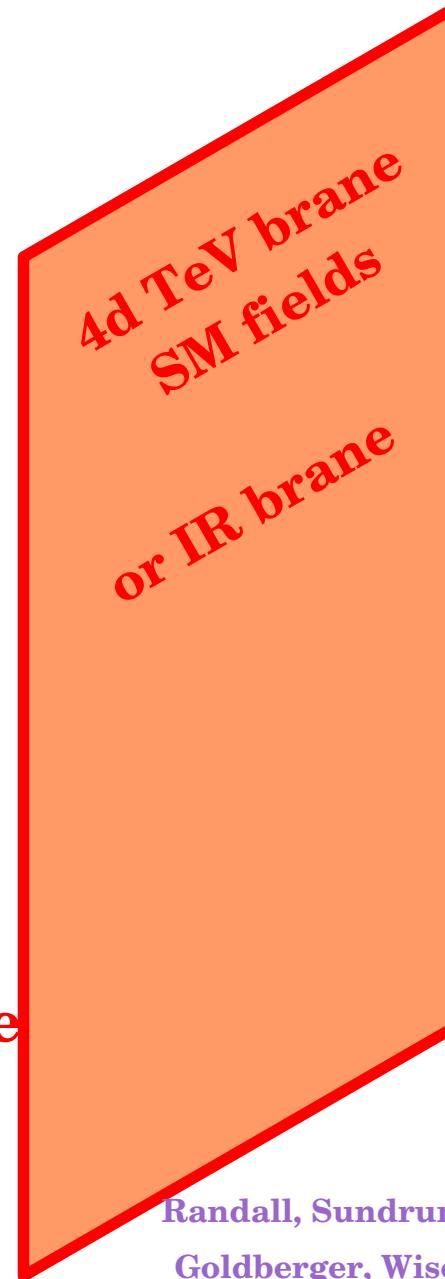


**gravity
propagates in a
5D warped bulk**

+

**scalar for
interbrane distance
stabilization**

stabilized RS



Randall, Sundrum, PRL 83 (1999) 3370
Goldberger, Wise, PRL 83 (1999) 4922,
PRD 60, 107505,
PBL 474 (2000) 275

Minimal RS

- gravity only in a 5D warped bulk (with 1 compact ED) and 2 4D branes

$$ds^2 = e^{-2kr_c\phi} (\eta_{\mu\nu} dx^\mu dx^\nu) + r_c d\phi^2 \quad \phi \in [0, \pi] \quad k \sim M_{Pl(4)}$$

- warp factor allows to generate TeV scale on one brane (**TeV Brane**) from Planck scale on the other brane (**Planck Brane**)

$$\Lambda_\pi = M_{Pl(4)} e^{-\pi kr_c} \rightarrow \Lambda_\pi \sim 1 \text{ TeV} \quad \text{for} \quad kr_c \sim 12 \quad r_c = 10^{-32} \text{ cm}$$

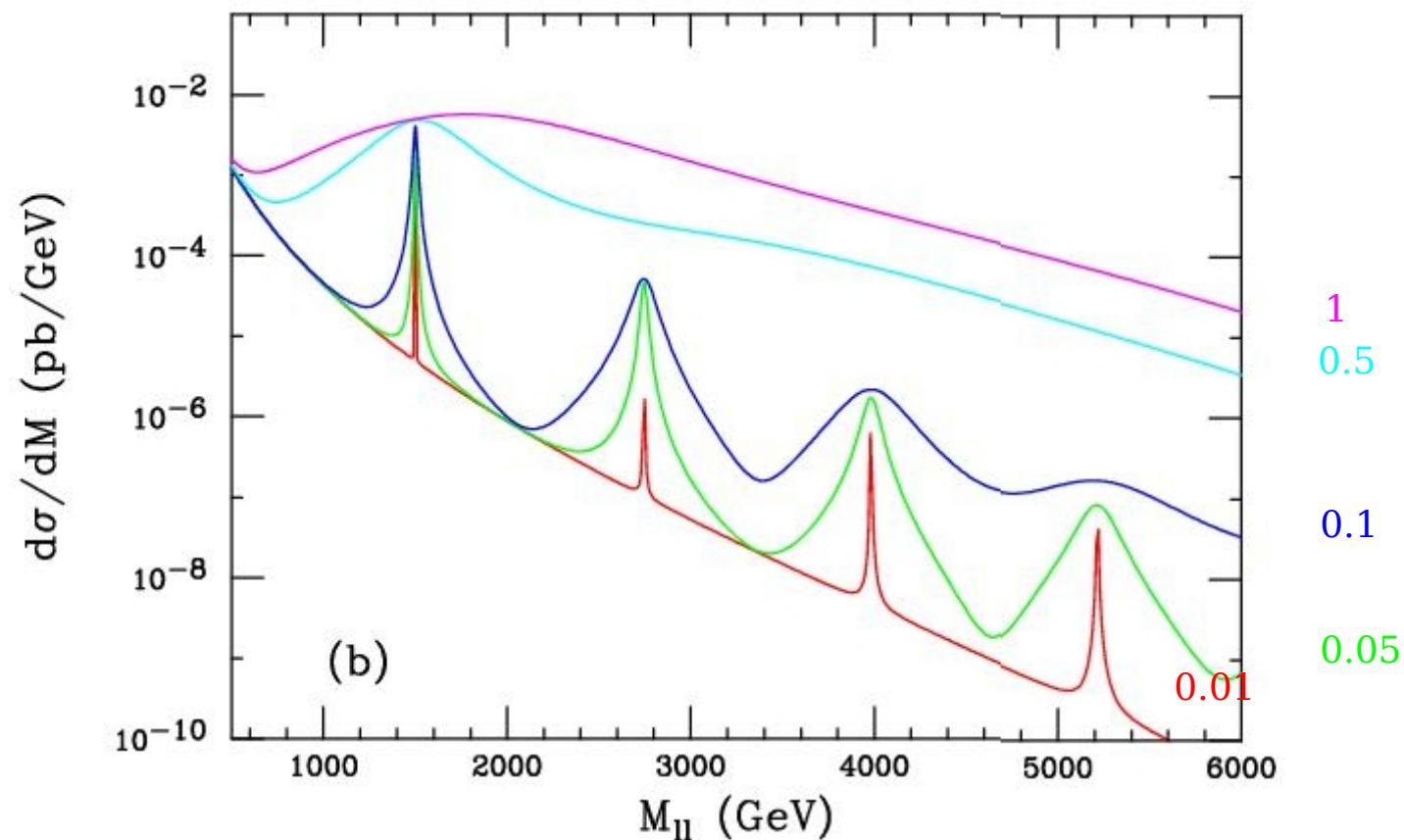
- KK graviton with O(TeV) spacing $m_n = k x_n e^{-kr_c\pi}$ x_n roots of Bessel function J_1
- SM fields on TeV brane coupling to massive KK graviton $\sim 1/\Lambda_\pi$
- phenomenology described by 2 parameters

$$m_1 \text{ mass of 1st mode, and } c = \frac{m_1}{x_1 \Lambda_\pi} \quad 0.01 < c < 0.1 \text{ theoretically reasonable range}$$

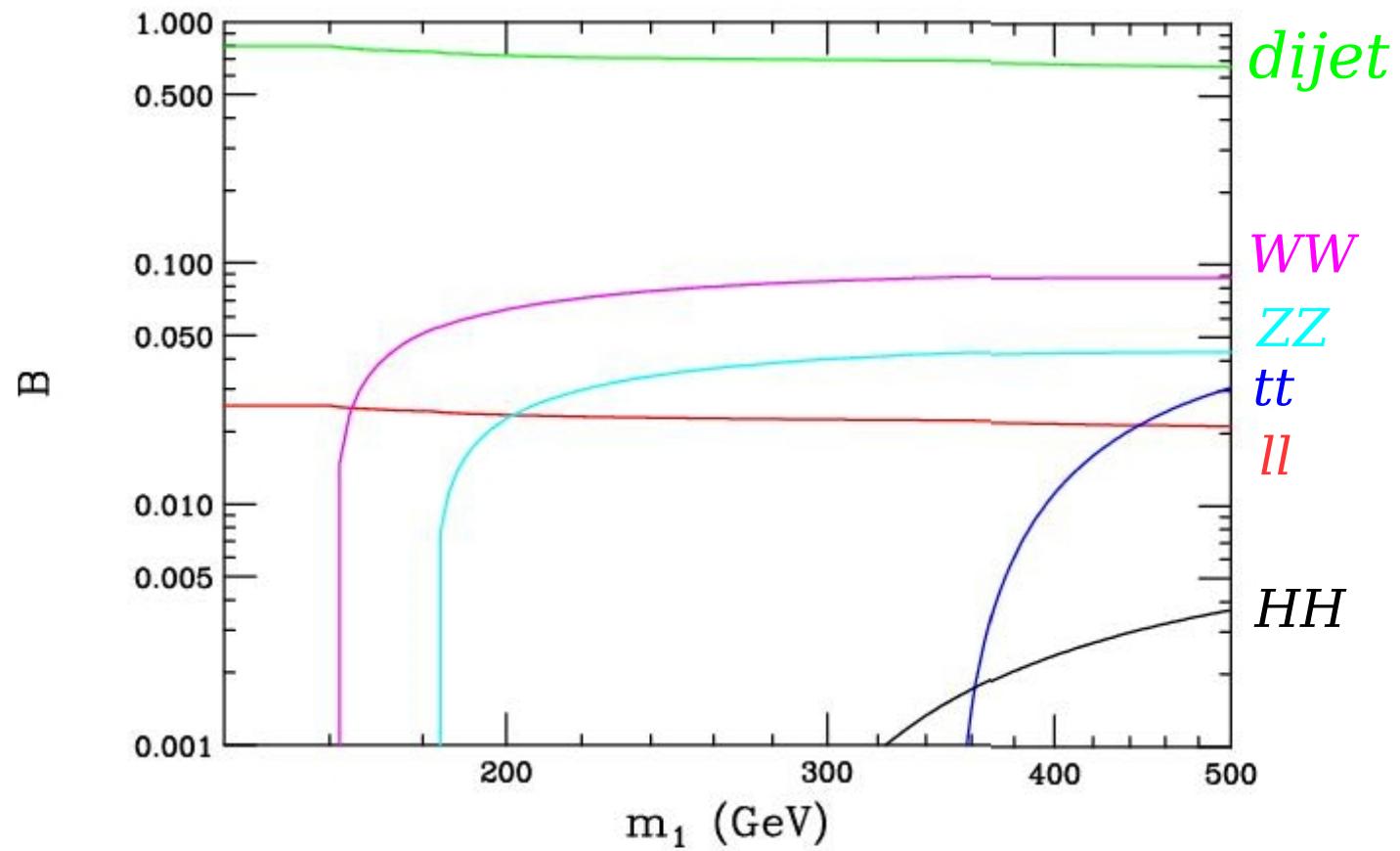
search for narrow resonances $pp \rightarrow G_{KK} \rightarrow e^+ e^-, \mu^+ \mu^-, \gamma \gamma, ZZ$

minimal RS

G_{KK} production at LHC for various c parameter



Minimal RS: G_{KK} decays



Stabilized RS

gravitational fluctuations around RS metric $ds^2 = e^{-2kr_c\phi}(\eta_{\mu\nu}dx^\mu dx^\nu) + r_c d\phi^2$

- contain massless scalar mode (modulus) $r_c \rightarrow T(x)$: **the radion**
- v.e.v stabilizing the interbrane distance $\langle T(x) \rangle = r_c$ (Goldberger Wise mechanism)
bulk scalar generating potential
can stabilize the modulus
at minimum of potential

radion must be massive to recover ordinary 4D Einstein gravity

in order to have $k r_c \approx 12$ **radion should be lighter than O(TeV) KK graviton**

radion likely the lightest state from RS models
radion couples directly to gluon and photon

possible Higgs-radion mixing (also in type I string)

parameterized by ξ with $|\xi| \approx O(1)$

Goldberger, Wise, PRL 83 (1999) 4922

Goldberger, Wise, PRD 60, 107505

Goldberger, Wise, PBL 474 (2000) 275

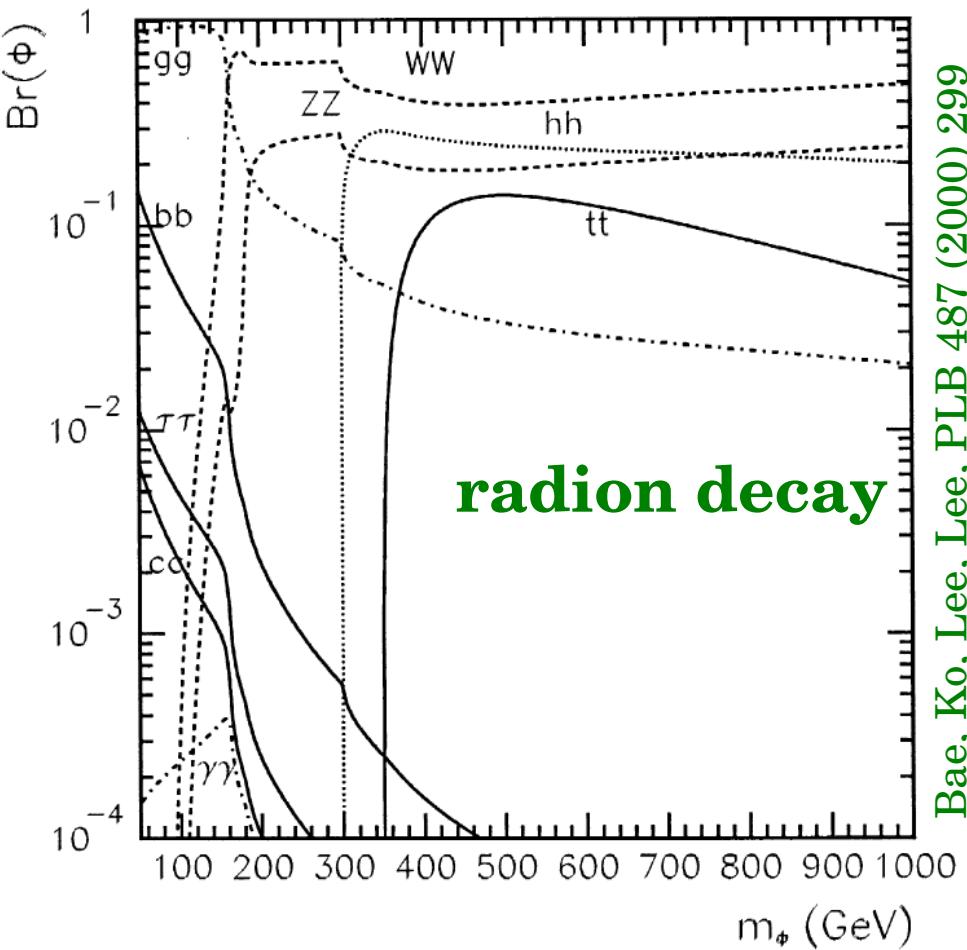
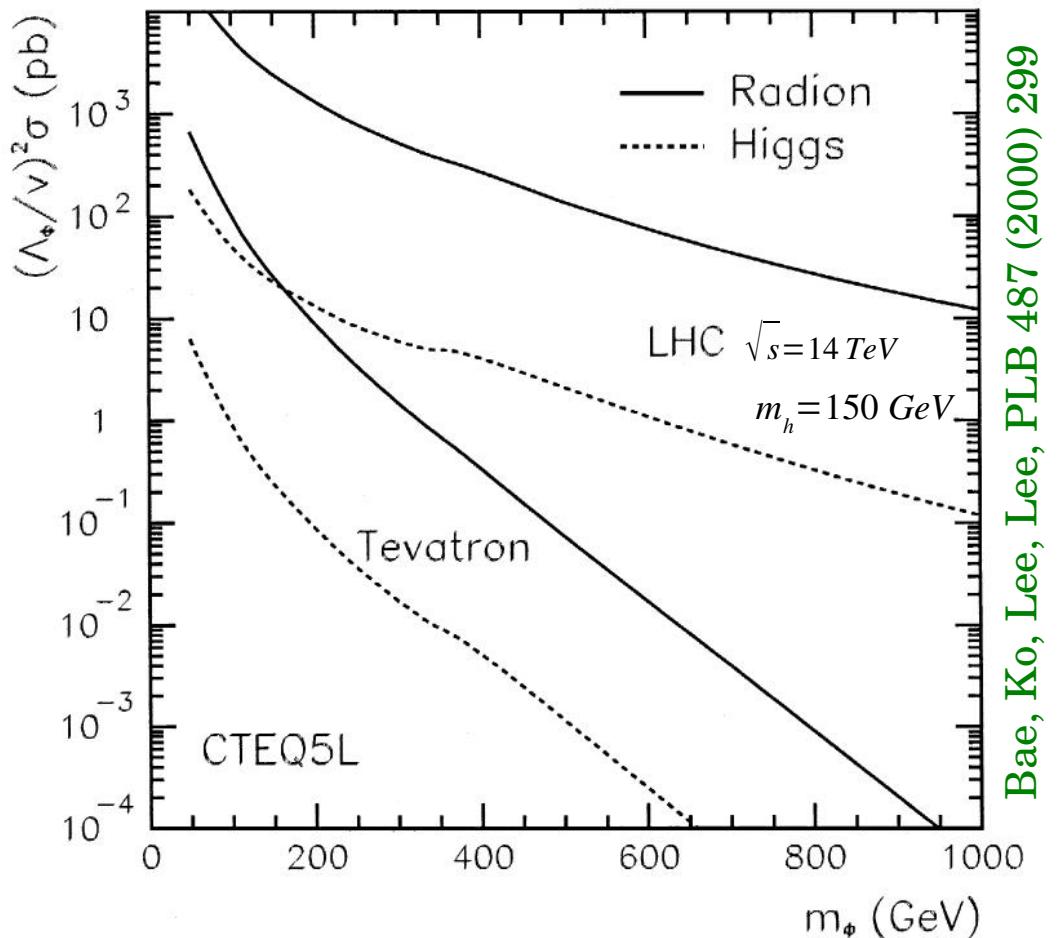
Csaki, Graesser, Randall, Terning, PRD 62 (2000) 045015

Charmousis, Gregory, Rubakov, PRD 62 (2000) 067505

stabilized RS

- Mahanta, Rakshit, PLB 480 (2000) 176
 Mahanta, Datta, PLB 483 (2000) 196
 Bae, Ko, Lee, Lee, PLB 487 (2000) 299
 Mahanta, PRD 63, 076006
 Cheung, PRD 63, 056007
 Giudice, Rattazzi, Wells, NPB 595 (2001) 250
 Rizzo, JHEP 06 (2002) 056
 Bae, Lee, PLB 506 (2001) 147
 Chaichian, Datta, Huitu, Yu, PLB 524 (2002) 161
 Das, Mahanta, PLB 529 (2002) 253
 Azuelos, Cavalli, Przysiezniak, Vacavant,
 Eur. Phys. J. Direct C4 (2002) 16
- Csaki, Graesser, Kribs, PRD63, 065002
 Han, Kribs, McElrath, PRD 64, 076003
 Antoniadis, Sturani, NPB 631 (2002) 66
 Gupta, Mahajan, PRD 65, 056003
 Hewett, Rizzo, JHEP, 08 (2003) 028
 Battaglia, De Curtis, De Roeck, Dominici, Gunion,
 PLB 568 (2003), 92
 Das, Mahanta, Mod. Phys. Lett. A19 (2004) 1855
 Gunion, Toharia, Wells, PLB 585 (2004) 295
 Cheung, Kim, Song, PRD69, 075011
 Das, PRD 72,055009
 Csaki, Hubisz, Lee, PRD 76,125005

radion production



stabilized RS

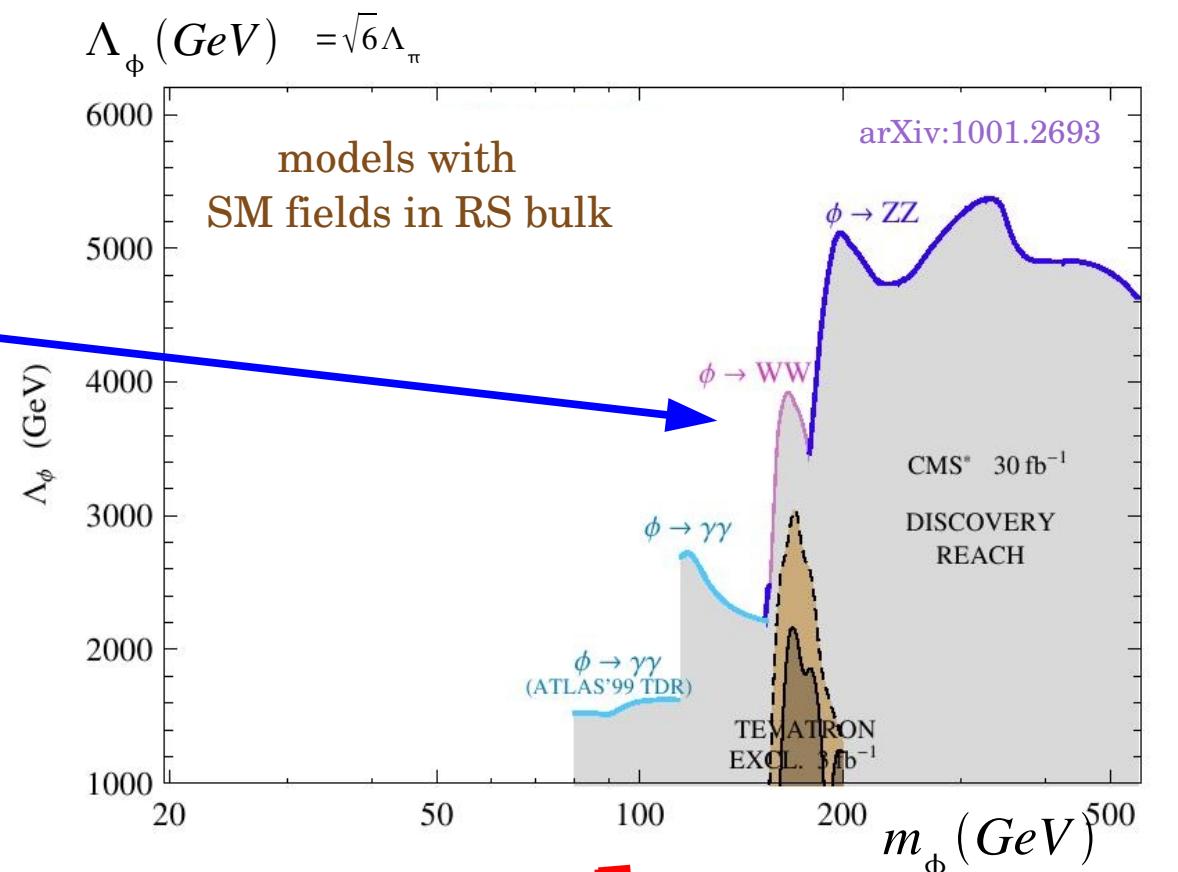
- pure radion effects on precision EW data are small

Gunion, Toharia, Wells, PLB 585 (2004) 295

- radion searches using SM Higgs searches

$\phi \rightarrow h h$ also possible

key difference w.r.t SM Higgs
→ direct couplings to gluons



Radion and bulk RS

Rizzo, JHEP 06 (2002) 056

Csaki, Hubisz, Lee, PRD76, 125015

Azatov, Toharia, Zhu, PRD80, 031701

Bulk RS models

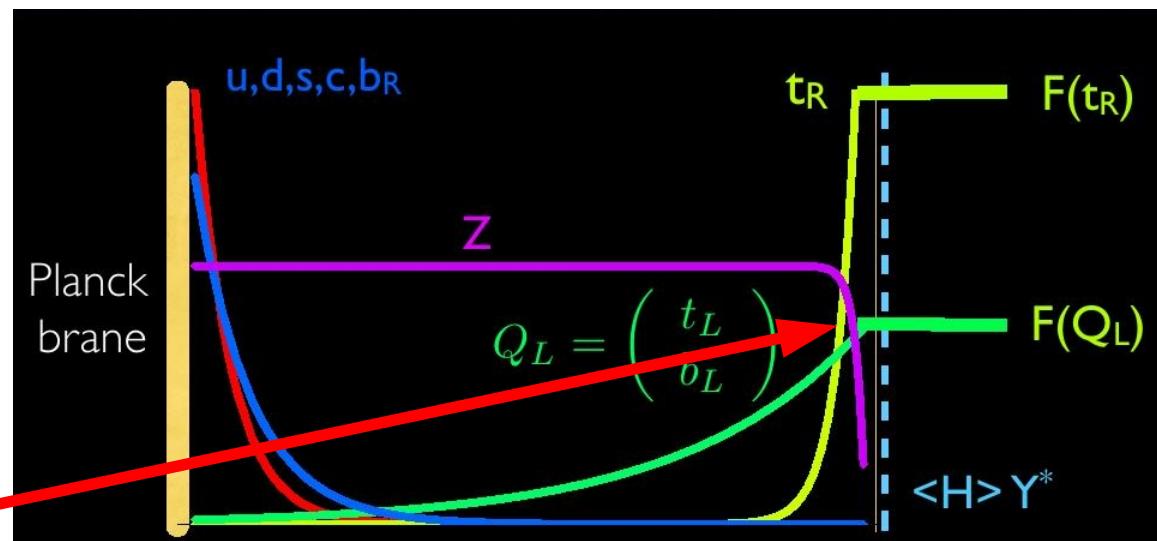
- to solve hierarchy problem
 - only SM Higgs has to be localized on/near TeV Brane
- fermion and gauge fields allowed to propagate in the Xtra dim
- SM particles correspond to KK zero modes of 5D fields
 - bulk profile of SM fermion depends on its 5D mass parameter
- choose to localize 1st and 2nd generation fermions near Planck brane

→ FCNC from higher dim operator suppressed by scales \gg TeV

→ SM Yukawa coupling hierarchies

1st and 2nd generation small Yuk. coup.
with Higgs localized near TeV brane

top quark can be localized near TeV brane
to account for its large Yukawa coupling



from Weiler's talk at GDR Terascale(<http://terascale.in2p3.fr>)
<http://indico.in2p3.fr/conferenceDisplay.py?confId=1617>

constraints on Bulk RS models

from:

- EW precision data via Oblique parameters S T U
- FCNC (K physics, CPV, B physics, rare decays)
- $Z \rightarrow b_L b_L$ i.e. (t_L, b_L) not too close to TeV brane

and with various symmetries in the bulk

- larger bulk gauge symmetry i.e. $SU(2)_L \times SU(2)_R \times U(1)_X$, $SO(5) \times U(1)$,
- flavor symmetries

→ KK gauge mass > 3 TeV

→ KK graviton mass > 2 - 4 TeV dependent on specific models
w/o fermions in bulk and bulk symmetry > 23 TeV

→ Fermionic excitations > 1 – 2 TeV

Additional SU(2) doublet states with exotic charge (5/3) 0.5 – 0.8 TeV

constraints on Bulk RS models

from:

- EW precision data via Oblique parameters S T U

- FCNC (two-loop contributions to $\bar{t} \rightarrow b \gamma$, $b \rightarrow s \gamma$, $t \rightarrow c \gamma$, $c \rightarrow u \gamma$ decays)

- ($=\sqrt{6}$)
Delgado, Pomarol, Quiros, JHEP (2000) 030
Huber, NPB 666 (2003) 269
Burdman, PLB 590 (2004) 86
Agashe, Perez, Soni PRL 93 (2004) 201804, PRD71, 016002

and very recently:
- large extra dimensions
- flavor physics

- Agashe, Contino, NPB 742 (2006) 59
Cacciapaglia,Csaki, Galloway, Marandella, Terning, Weiler, JHEP 04 (2008) 006
Casagrande, Goertz, Haisch, Neubert, Pfoh, JHEP 10 (2008) 094
Santiago, JHEP 12 (2008) 046
Csaki, Falkowski, Weiler, JHEP 09 (2008)008
Fitzpatrick, Perez, Randall, PRL 100 (2008) 171604
Bouchart, Moreau, NPB 810 (2009) 66
Blanke, Buras, Duling, Gori, Weiler, JHEP03 (2009) 001
Blanke, Buras, Duling, Gemmeler, Gori, JHEP 03 (2009) 108
Csaki, Perez, Surujon, Weiler, arXiv:0907.0474
Bauer, Casagrande, Grunder, Haisch, Neubert, PRD79, 076001
Csaki, Falkowski, Weiler, PRD 80, 016001
.....

Flavour physics constraints
striking hard →
huge activity in RS flavor models development

pendent on specific models

Additional SU(2) doublet **states with exotic charge** (5/3) 0.5 – 0.8 TeV

Bulk RS models signatures

- KK graviton

$$gg \rightarrow G \rightarrow t \bar{t}$$

$$gg \rightarrow G \rightarrow W_L W_L \rightarrow l \nu jj$$

$$gg \rightarrow G \rightarrow W_L W_L \rightarrow e^\pm \mu^\mp 2\nu$$

$$gg \rightarrow G \rightarrow Z_L Z_L \rightarrow 4l$$

- KK Gluon

$$pp \rightarrow g^{(1)} \rightarrow t \bar{t}$$

- KK EW neutral gauge boson

$$\begin{aligned} pp \rightarrow Z' \rightarrow WW \rightarrow 2l2\nu \\ \rightarrow l \nu jj \end{aligned}$$

- KK EW charged gauge boson

$$pp \rightarrow W' \rightarrow t \bar{b} \rightarrow W \bar{b} b \rightarrow l \nu \bar{b} b$$

$$pp \rightarrow W'^+ \rightarrow W^+ h$$

- KK fermions (e.g.)

$$pp \rightarrow g + g^{(1)} \rightarrow t^{(1)} \bar{t}^{(1)} \rightarrow W^+ b W^- \bar{b} \rightarrow l^- \nu b \bar{b} jj (l = e, \mu)$$

Davoudiasl, Hewett, Rizzo, PLB 473 (2000) 43

Grossman, Neubert, PLB 474 (2000) 361

Pomarol, PLB 486 (2000) 153

Chang, Hisano, Okada, Yamaguchi, PRD 62, 084025

Randall, Schwartz, JHEP 11 (2001) 003

Huber, Shafi PRD 63, 045010, PLB 498 (2001) 256

Randall, Schwartz, PRL 88 (2002) 081801

Csaki, Erlich, Terning, PRD 66 (2002) 064021

Hewett, Petriello, Rizzo, JHEP 09 (2002) 030

Agashe, Delgado, May, Sundrum, JHEP 08 (2003) 050

Carena, Delgado, Ponton, Tait, Wagner, PRD 68, 035010, PRD 71, 015010

Carena, Ponton, Santiago, Wagner, NPB 759 (2006) 202, PRD 76, 035006

Skiba, Tucker-Smith, PRD 75, 115010

Aguilar-Saavedra, PLB 625 (2005) 234, PLB 633 (2006) 792

Agashe, Contino, Darold, Pomarol, PLB 641 (2006) 62

Fitzpatrick, Kaplan, Randall, Wang, JHEP 09 (2007) 013

Agashe, Davoudiasl, Perez, Soni, PRD 76, 036006

Holdom, JHEP 03 (2007) 063

Antipin, Atwood, Soni, PLB 666 (2008) 155

Antipin, Soni, JHEP 10 (2008) 018

Lillie, Randall, Wang, JHEP 09 (2007) 074

Agashe, Belyaev, Krupovnickas, Perez, Virzi, PRD 77, 015003

Allanach, Mahmoudi, Skittrall, Sridhar, arXiv:0910.1350

Baur, Orr, PRD 77, 114001

Guchait, Mahmoudi, Sridhar, JHEP 05 (2007) 103, PLB 666 (2008) 347

Lillie, Shu, Tait, PRD 76, 115016

Carena, Medina, Panes, Shah, Wagner, PRD 77, 076003

Agashe, Davoudiasl, Gopalakrishna, Han, Huang, Perez, PRD 76, 115015

Djouadi, Moreau, Singh, NPB 797 (2008) 1

Contino Servant, JHEP 06 (2008) 026

Antipin, Tuominen, PRD 79, 075011

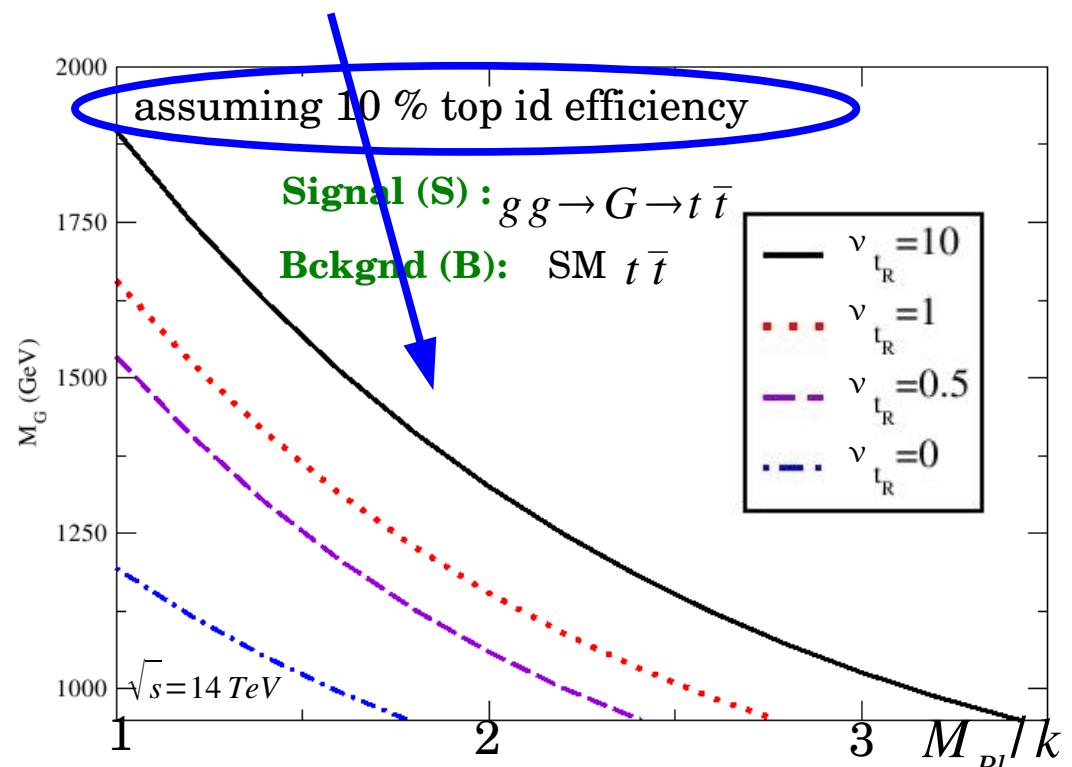
Aguilar, Aguilar-Saavedra, Moretti, Piccinini, Pittau, Treccani, arXiv:0912.3799

Bulk RS models

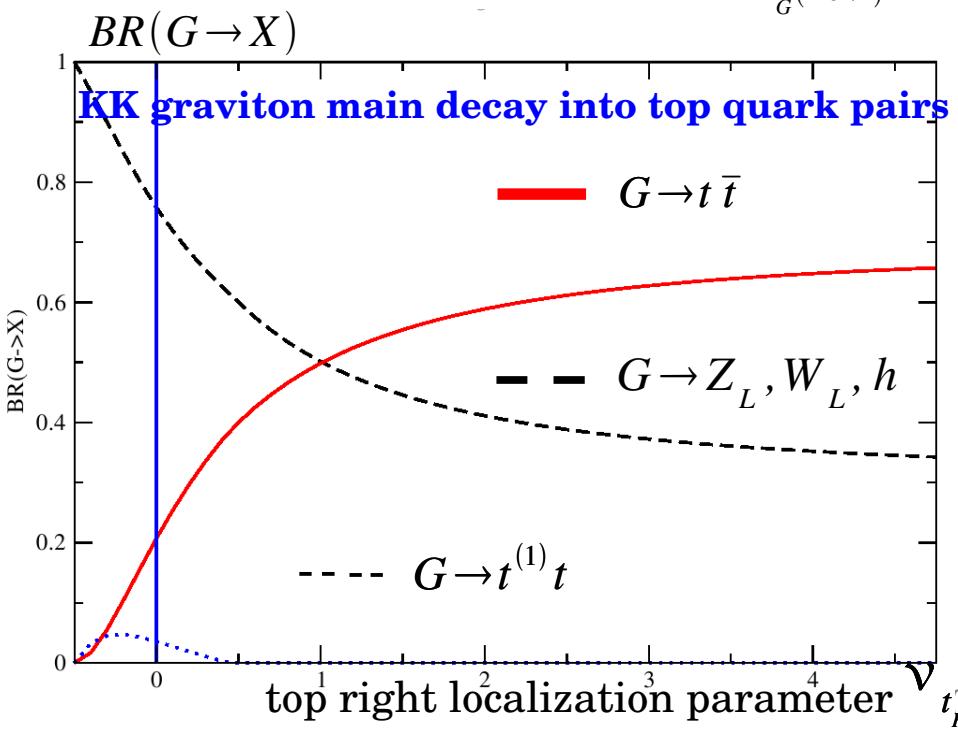
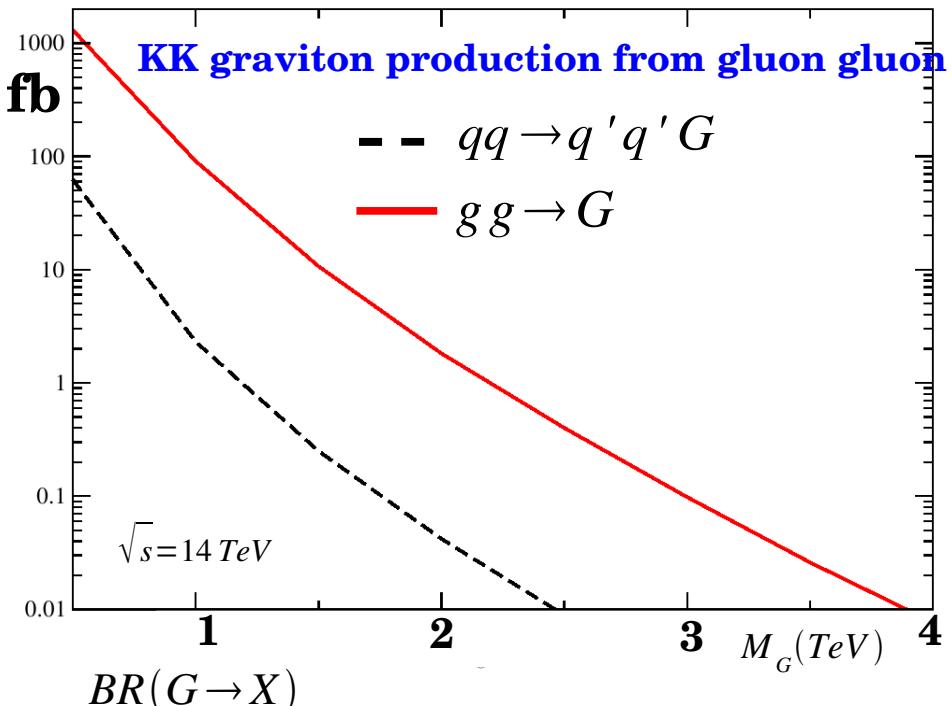
KK Graviton search

- KK Graviton close to TeV Brane
- 1st(and 2nd) generation fermion near Planck brane
i.e. small coupling with 1st and 2nd quark generation
- gluon profile is flat
- t and b quark close to TeV brane

$\frac{S}{\sqrt{B}} = 5$ reach for various t quark IR localization ν_{tR} (the bigger the closer to IR brane)



Fitzpatrick, Kaplan, Randall, Wang, JHEP 09 (2007) 013
Agashe, Davoudiasl, Perez, Soni, PRD76, 036006
Antipin, Atwood, Soni, PLB 666 (2008) 155
Antipin, Soni, JHEP10 (2008) 018



Bulk RS models

KK gluon

$g^{(1)}$ production suppressed

→ small coupling to proton constituents

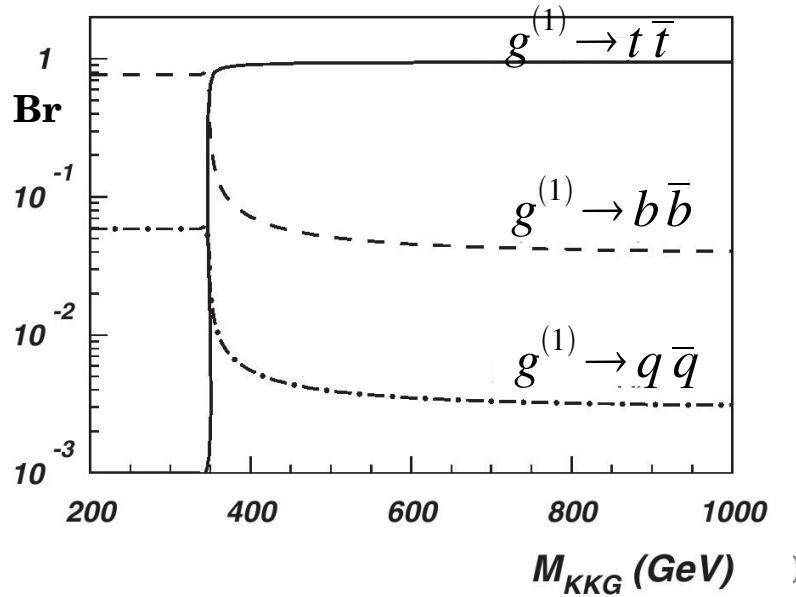
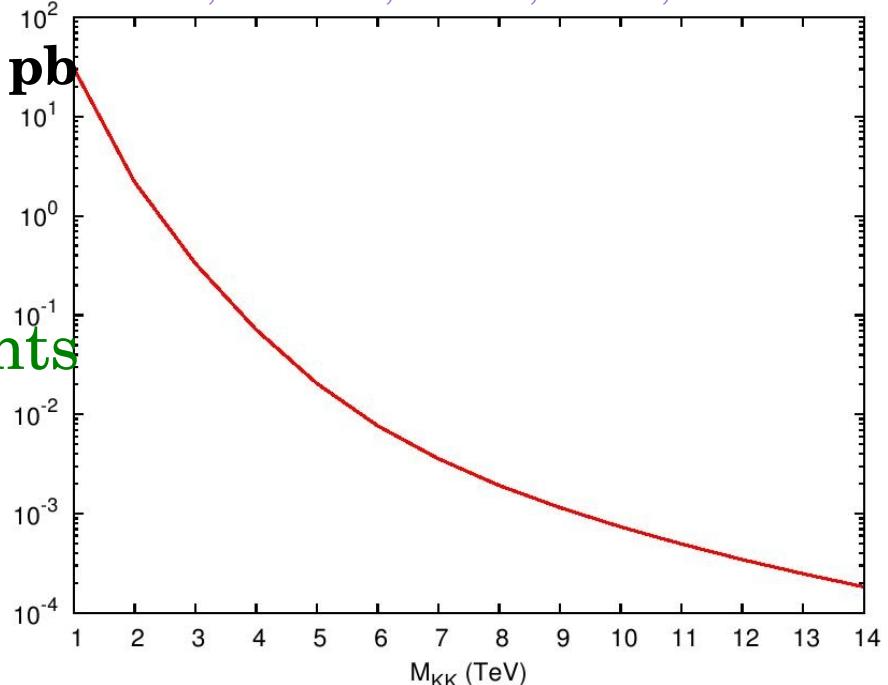
fermionic decay dominated by top quark

bias towards RH top

a heavy KK gluon is broad

above 1 TeV width $\sim M_{KK} / 6$

Lillie, Randall, Wang, JHEP 09 (2007) 074
Agashe, Belyaev, Krupovnickas, Perez, Virzi, PRD 77, 015003
Guchait, Mahmoudi, Sridhar, JHEP05 (2007) 103, PLB 666 (2008) 347
Lillie, Shu, Tait, PRD 76, 115016
Carena, Medina, Panes, Shah, Wagner, PRD 77, 076003
Baur, Orr, PRD 77, 114001
Allanach, Mahmoudi, Skittrall, Sridhar, arXiv:0910.1350



States with exotic charge (bulk RS)

MCHM₅ example : $SO(5) \times U(1)_X \times SU(3)_C$ as gauge symmetry in the RS bulk

$SO(5) \times U(1)_X \times SU(3)_C$ broken down to $SO(4) \times U(1)_X \times SU(3)_C$ near IR brane
with 4 pseudo Goldstone bosons identified with the Higgs doublet

$SO(4) \approx SU(2)_L \times SU(2)_R$ enlarged to $O(4)$ seen as the custodial symmetry

$G_{SM} = SU(2)_L \times U(1)_Y \times SU(3)_C$ near UV brane and with $Y = X + T_3^R$

heaviness of top quark \Rightarrow lowest t_{KK} and lightest O(4) custodial partners
(i.e. custodians) are significantly lighter than the other
KK resonances

light custodians have e.m charges $5/3, 2/3, -1/3$

they have mass roughly in the 500 – 1500 GeV range

Agashe, Delgado, May, Sundrum, JHEP08 (2003) 050

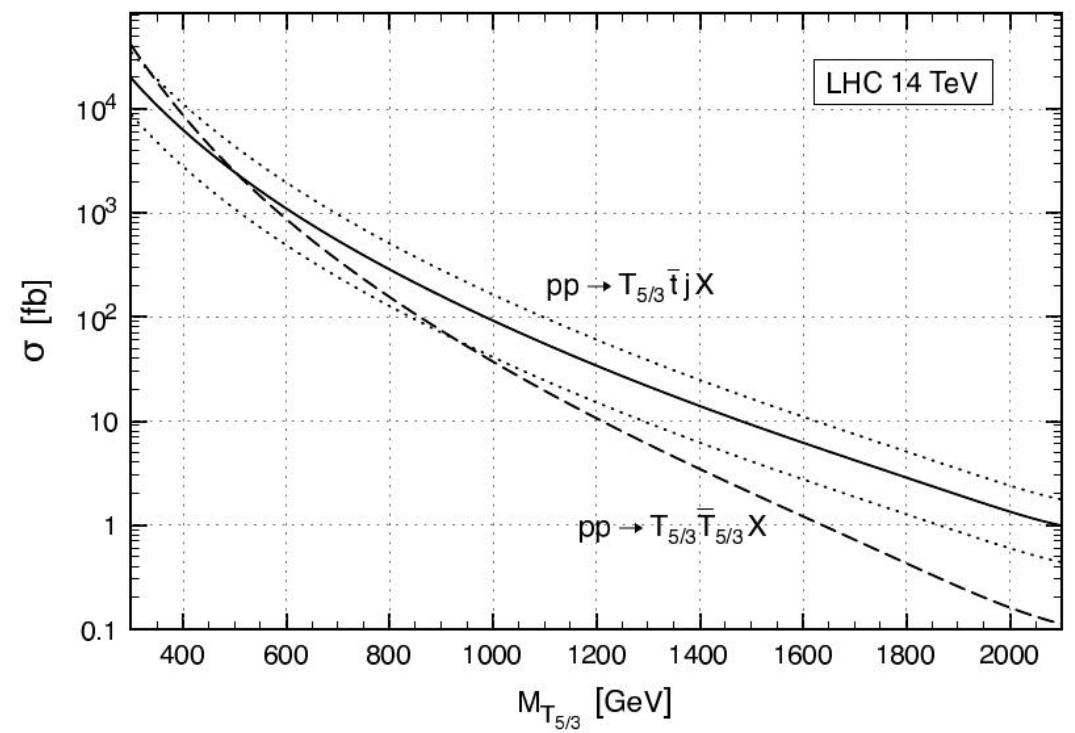
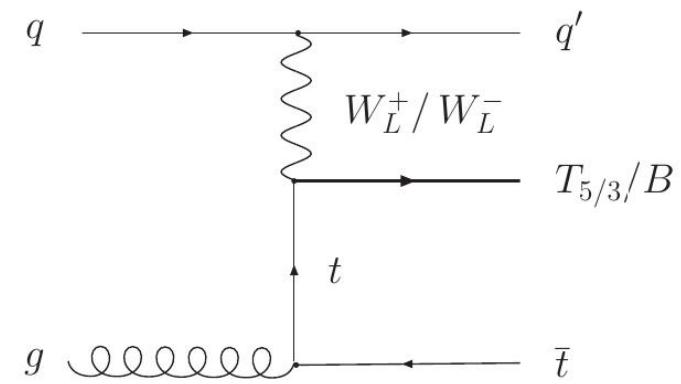
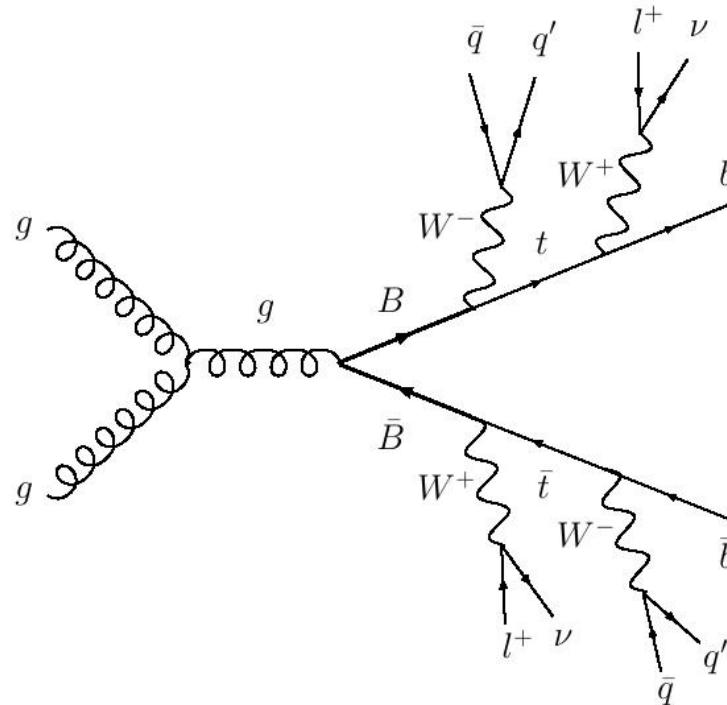
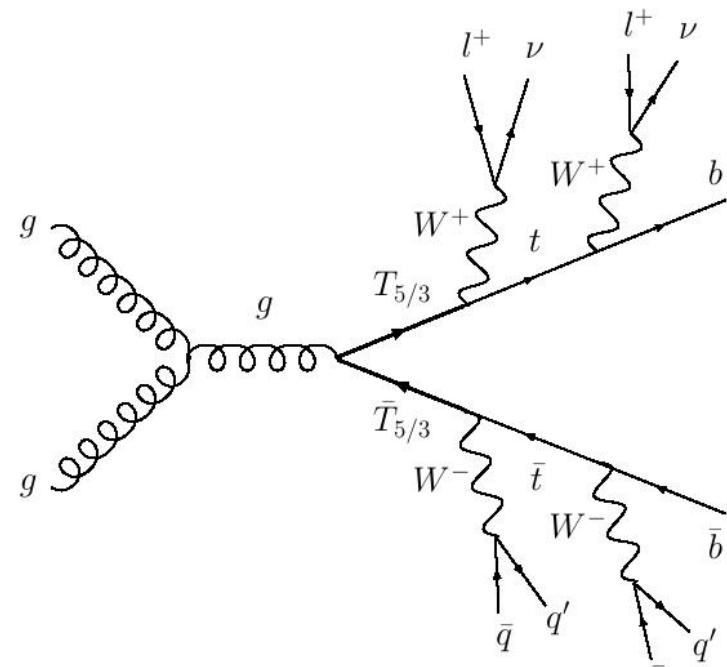
Agashe, Contino, Pomarol, NPB 719 2005 165

Carena, Ponton, Santiago, Wagner, NPB 759 (2006) 202, PRD76, 035006

Contino, Darold, Pomarol, PRD 75 2007 055014

Contino, Servant, JHEP 06 2008 026

States with exotic charge (bulk RS)



String states

assume fundamental scale is low (TeV) and fundamental theory is string theories

→ strings scale M_s is low (TeV)

spectrum of string states made of 'zero' mass states and massive states

'zero' mass states → graviton, anti-sym tensor field, dilaton (scalar)

+ others identified with SM fields

massive states → (infinite number of) massive Regge excitations of various spin
with masses of order of string scale → then here low (TeV) !

'correction' from Regge excitations : $\frac{s^2}{M_s^4}, \frac{t^2}{M_s^4}, \frac{u^2}{M_s^4}$ (back to pointlike particle limit when $s^2/M_s^4 \rightarrow 0$)

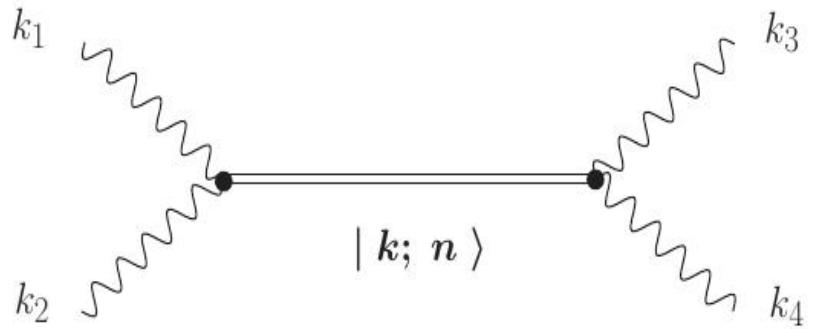
4-point amplitudes with Regge excitation : $O(g_s) \sim \frac{1}{25}$ i.e. bigger than the one from QFT
with KK graviton exchange which is $O(g_s^2)$

also present in spectrum : KK AND winding excitations of the SM fields
with masses near string scale, AND moduli

String states

dijets production via Regge excitations

$$M_n^2 = n M_{\text{string}}^2 = \frac{n}{\alpha'}$$



many possible combinations

$$g \ g \rightarrow g \ g$$

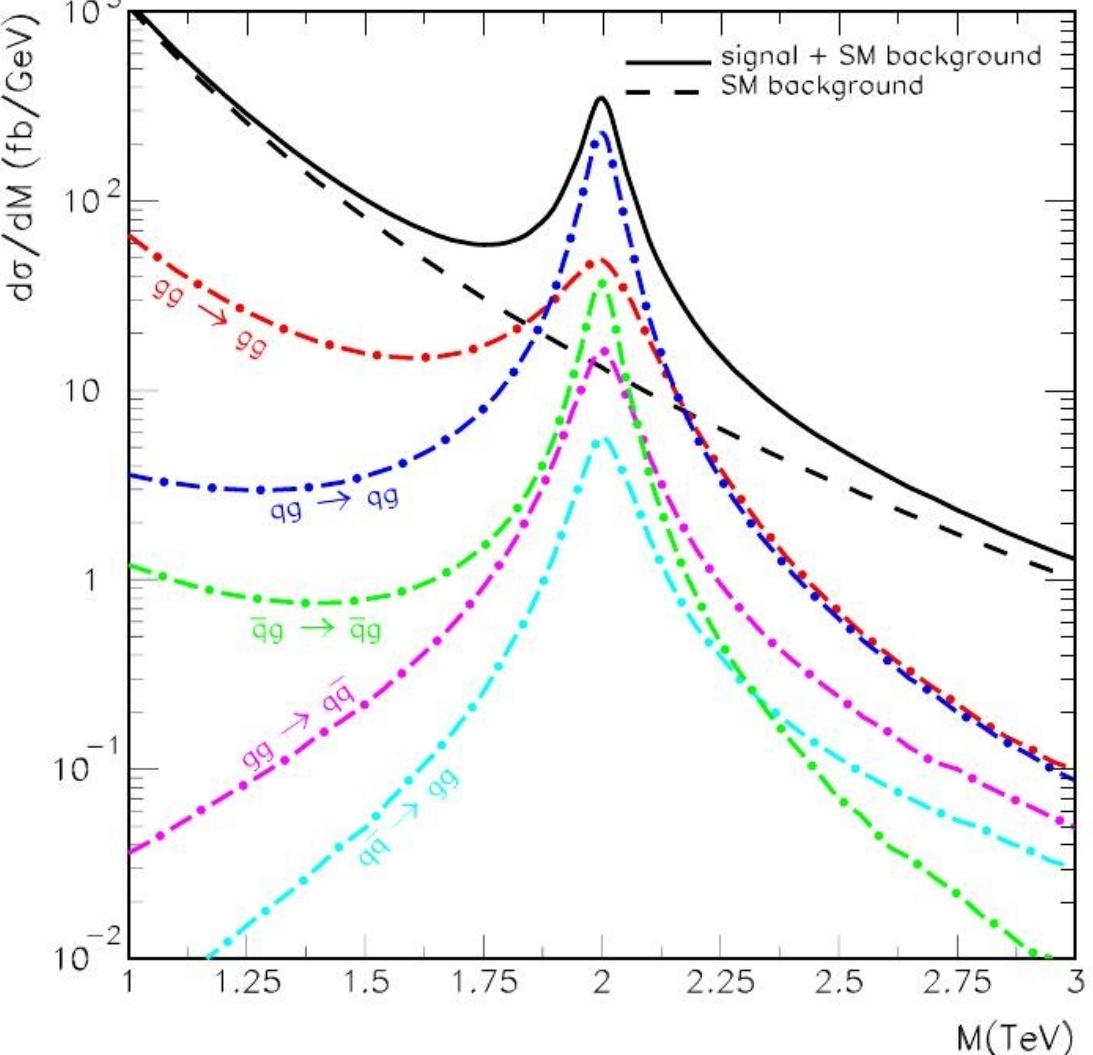
$$q \ g \rightarrow q \ g$$

$$\bar{q} \ g \rightarrow \bar{q} \ g$$

$$g \ g \rightarrow q \ \bar{q}$$

$$q \ \bar{q} \rightarrow g \ g$$

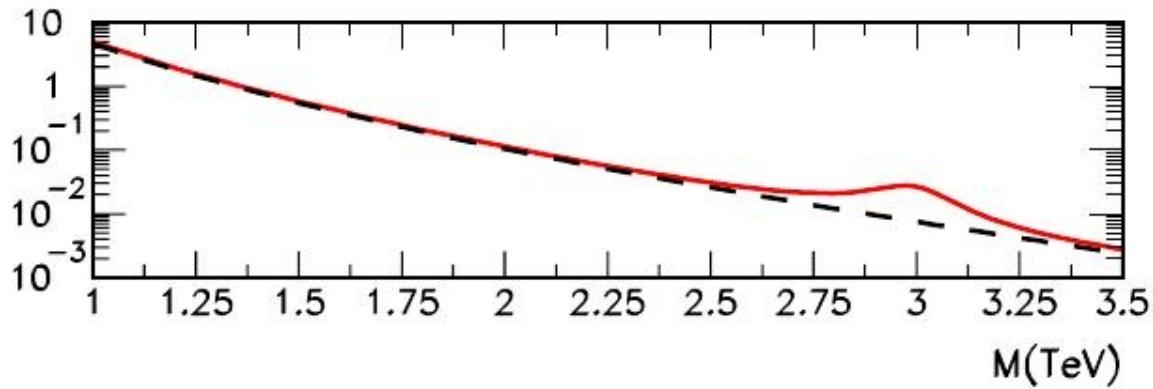
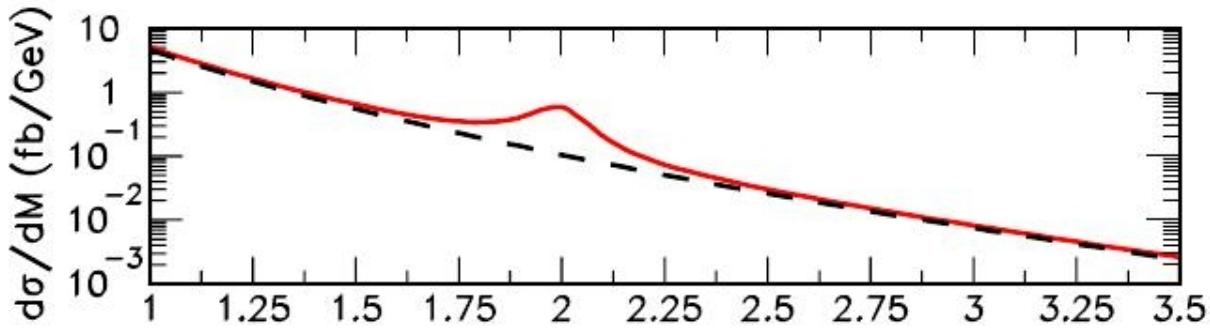
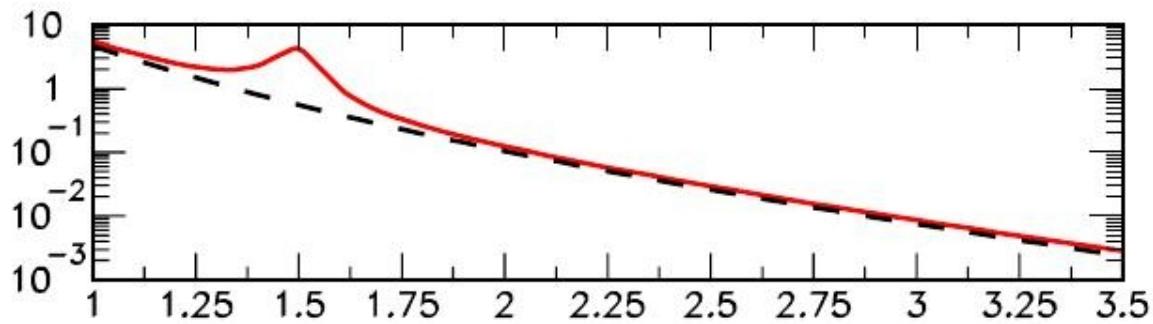
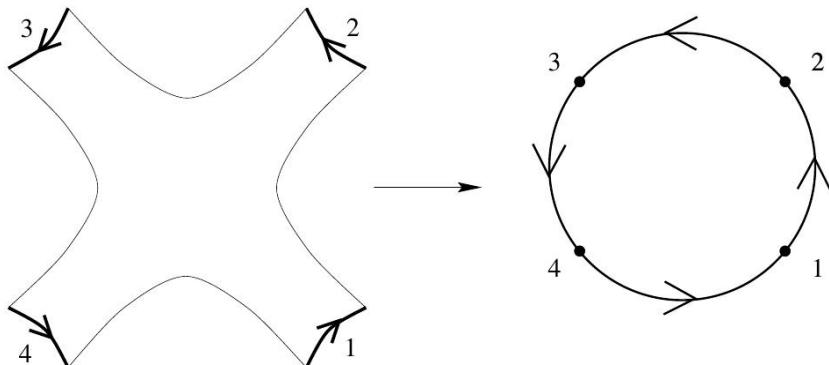
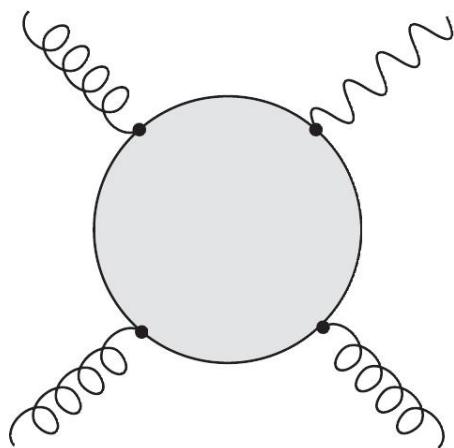
tri-jets production or more via Regge excitations also possible

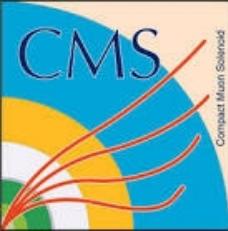


String states

direct photon via string states

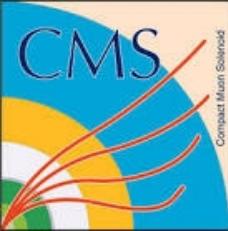
$$g \ g \rightarrow \gamma + g$$





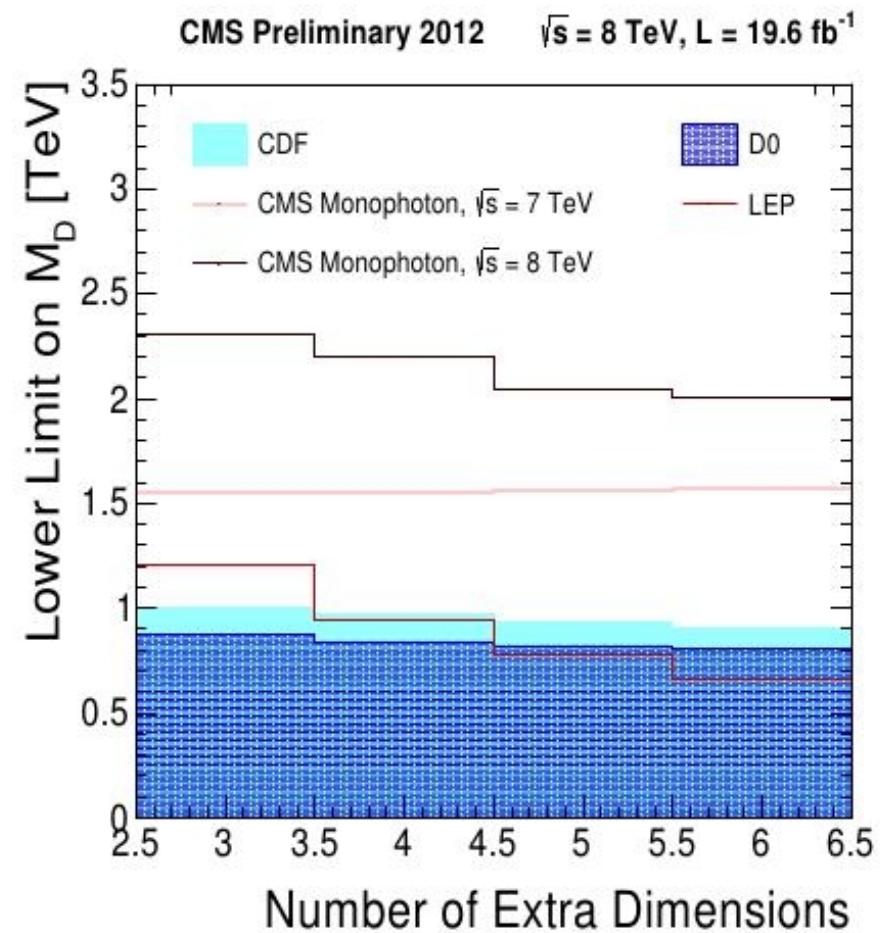
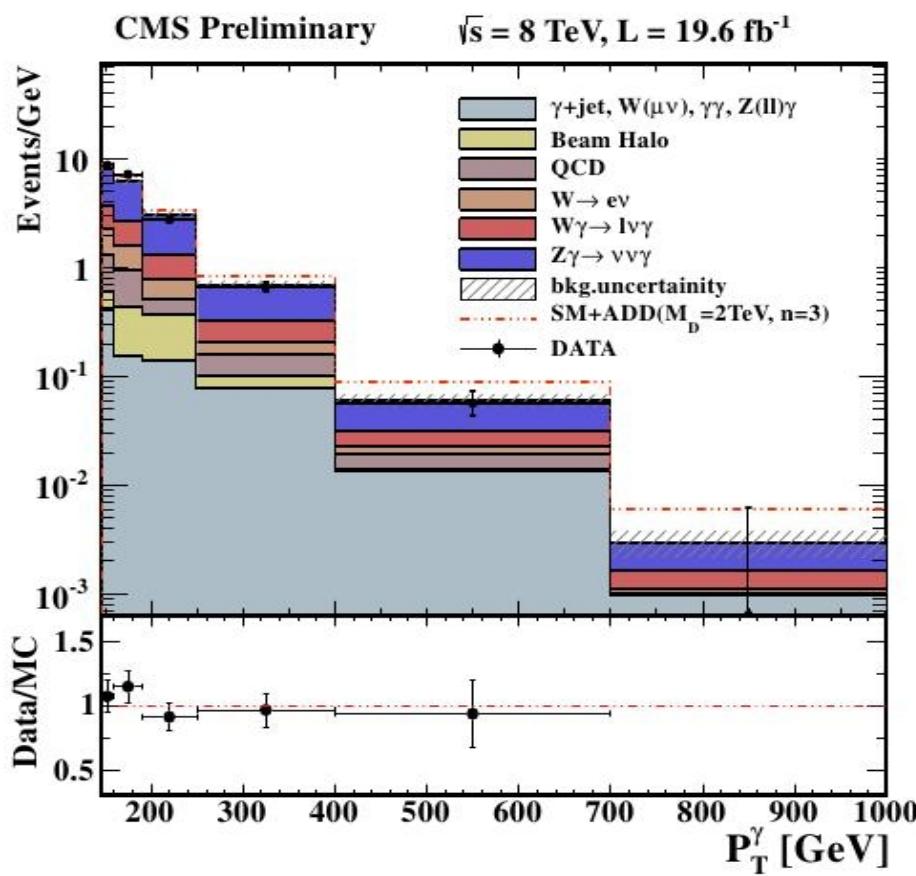
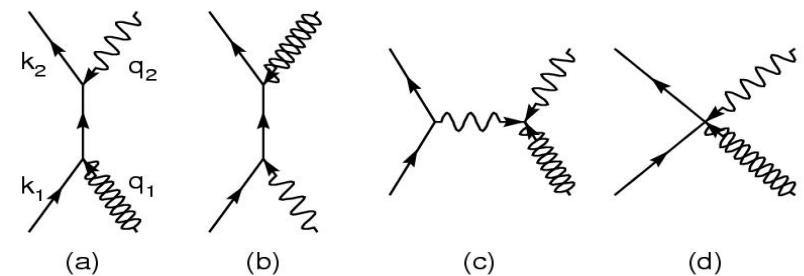
Recent Results at CMS

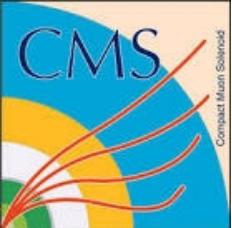
- **mono- photon, mono jet**
- **non resonant and resonant dilepton**
- **resonant dijet**
- **lepton + MET**
- **resonant diboson (W&Z)**
- **resonant bt and tt**
- **resonant HH**
- **exotic fermions**
- **black holes**



mono-photon ("direct" ADD)

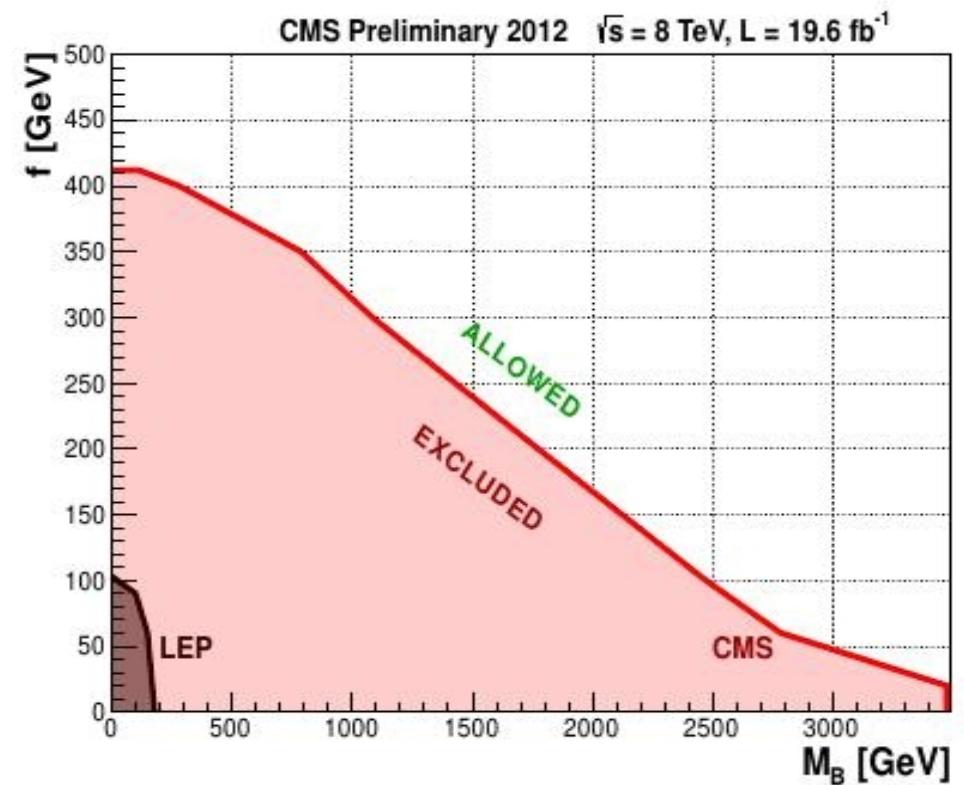
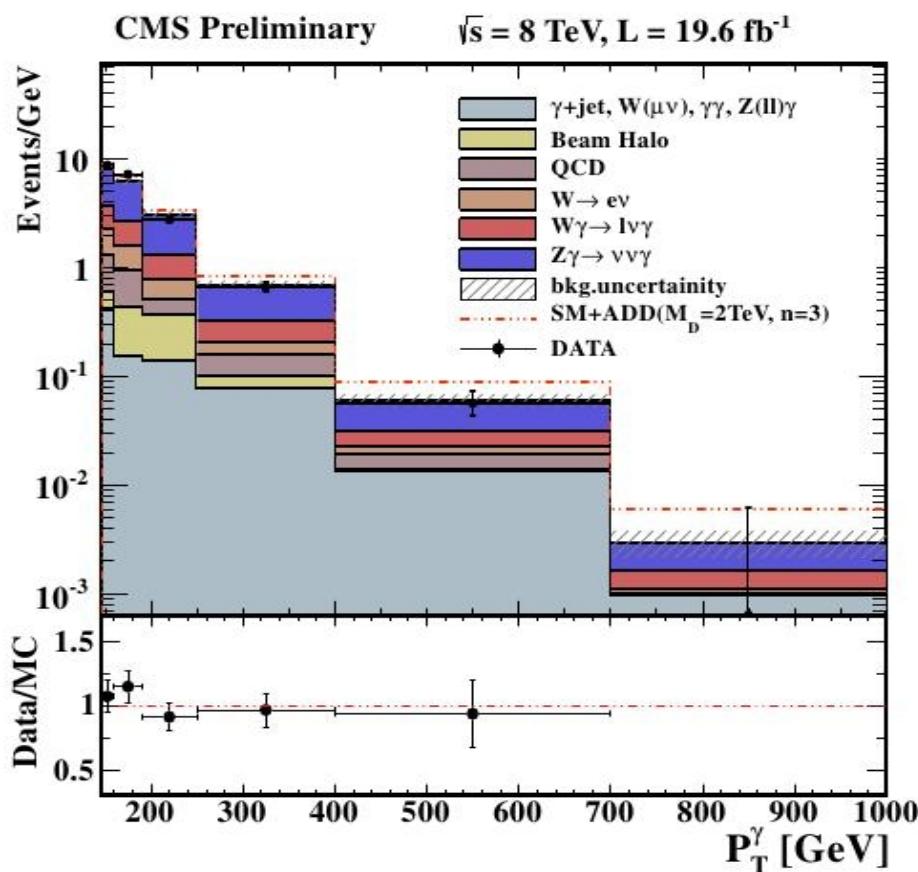
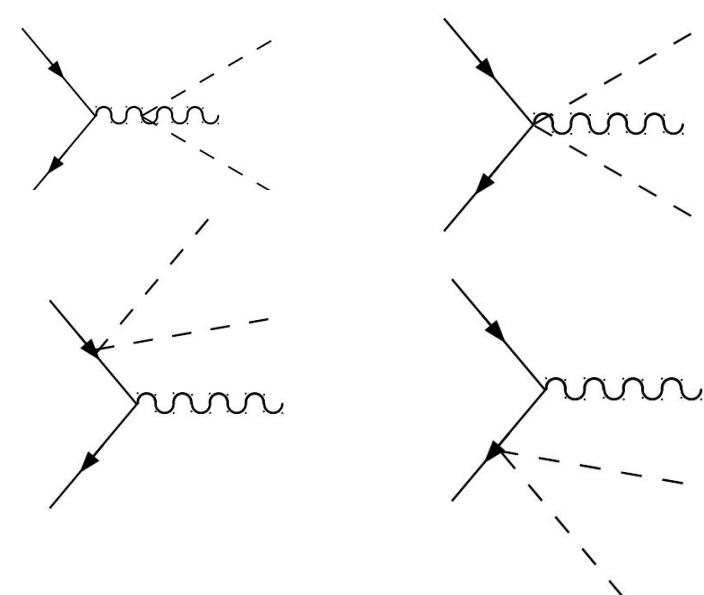
CMS-EXO-12-047

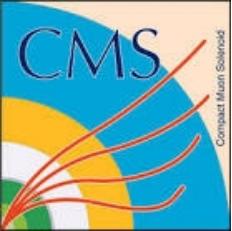




mono-photon (branons)

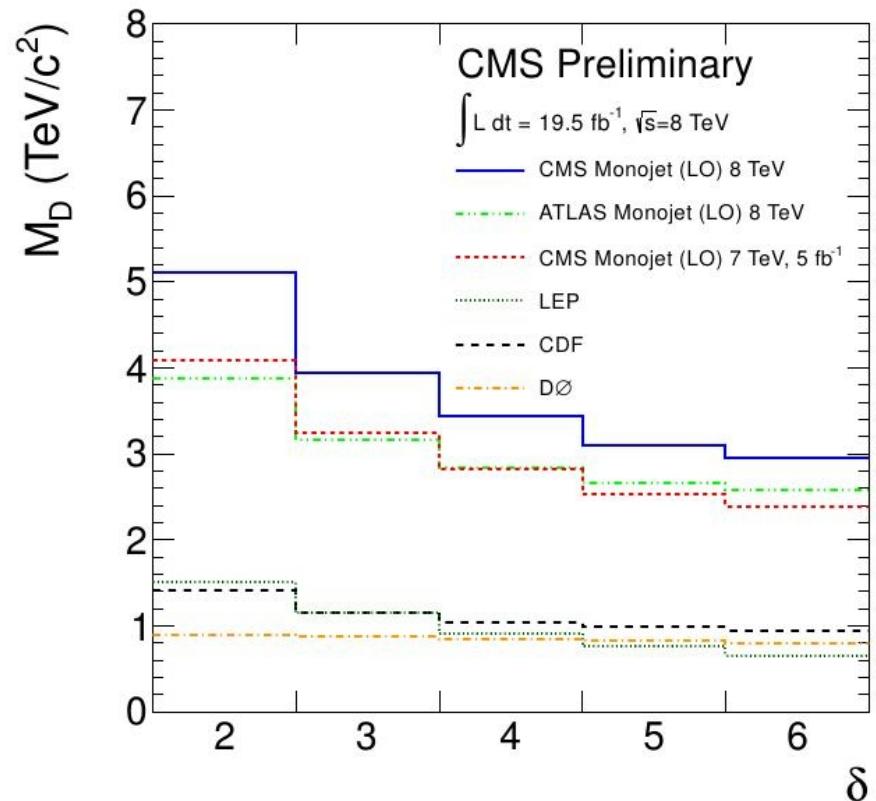
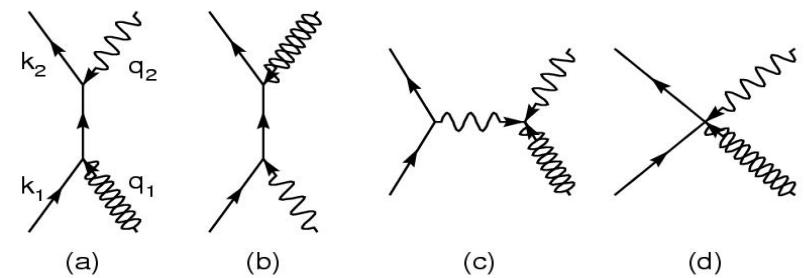
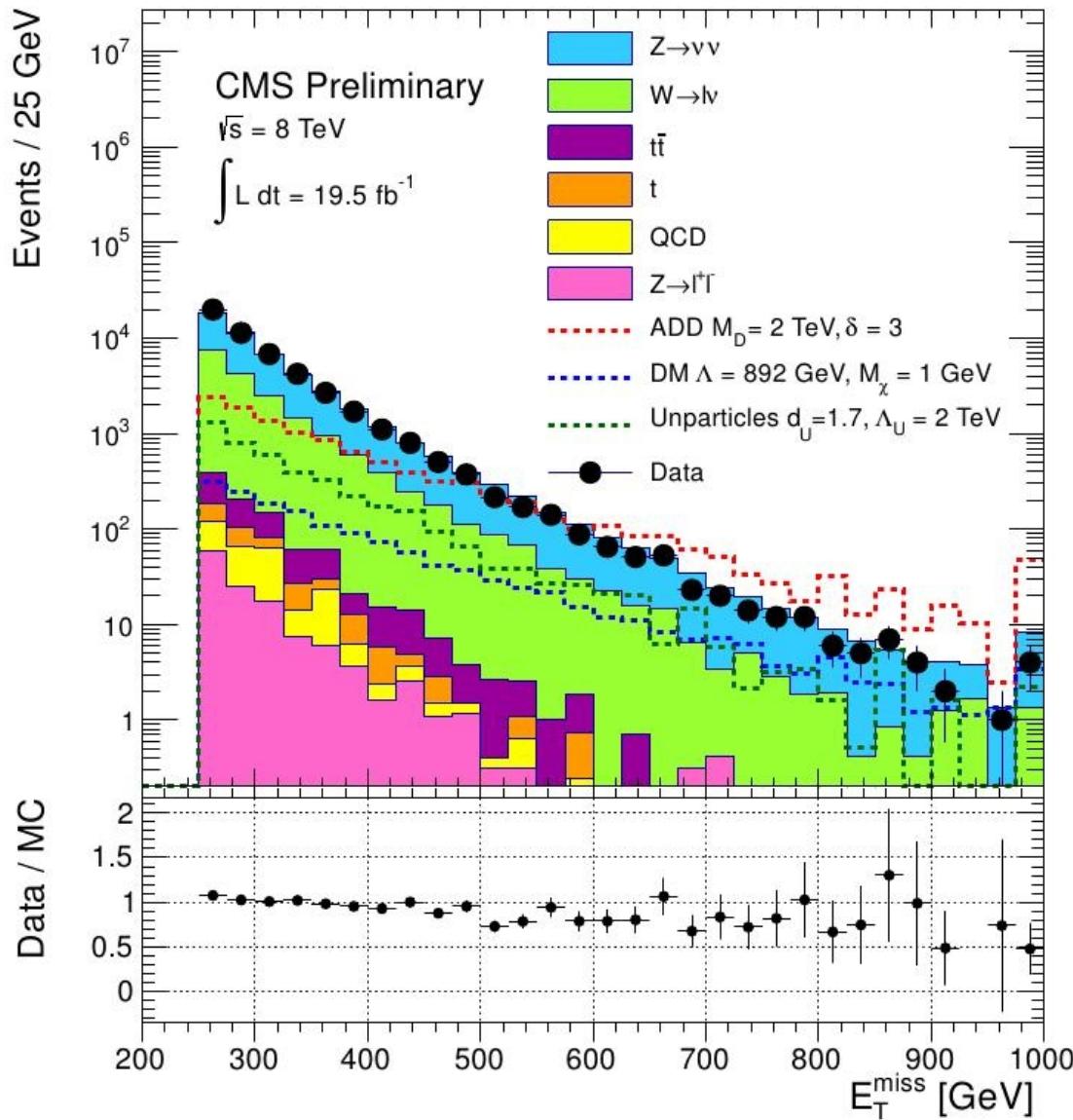
CMS-EXO-12-047

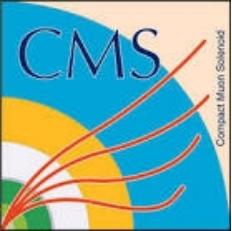




mono-jet ("direct" ADD)

CMS-EXO-12-048



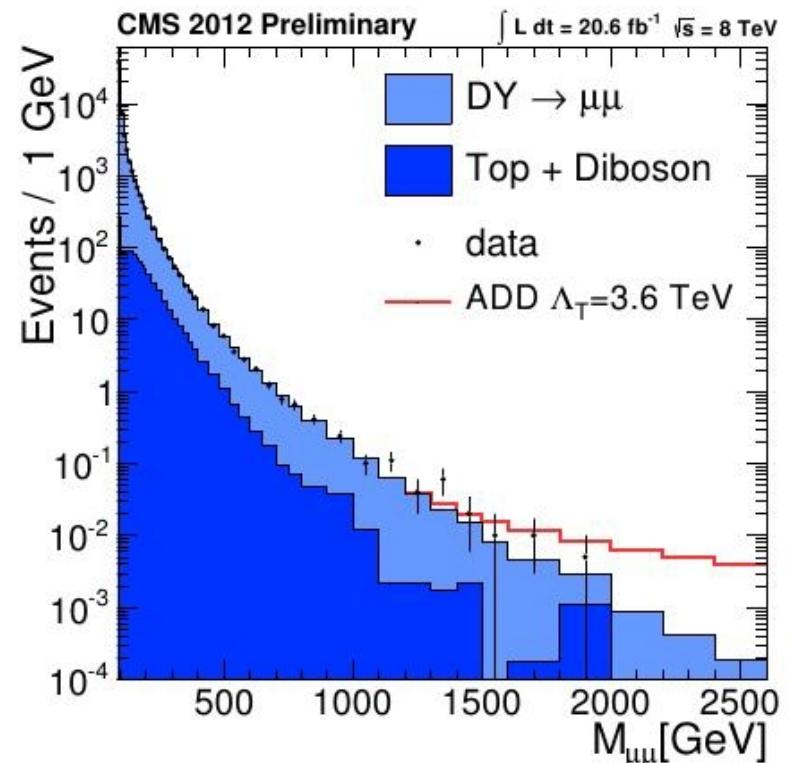
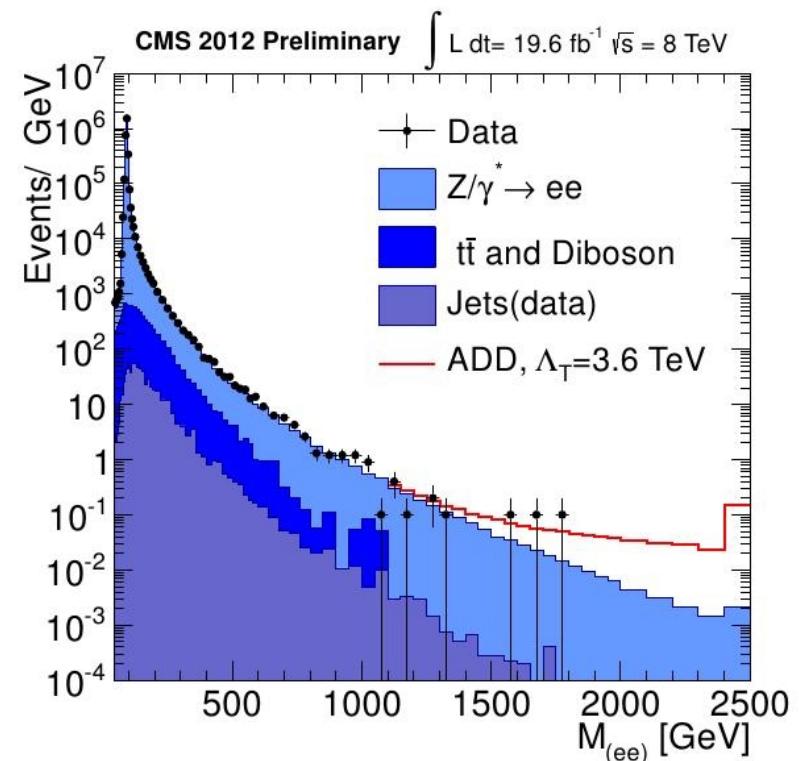
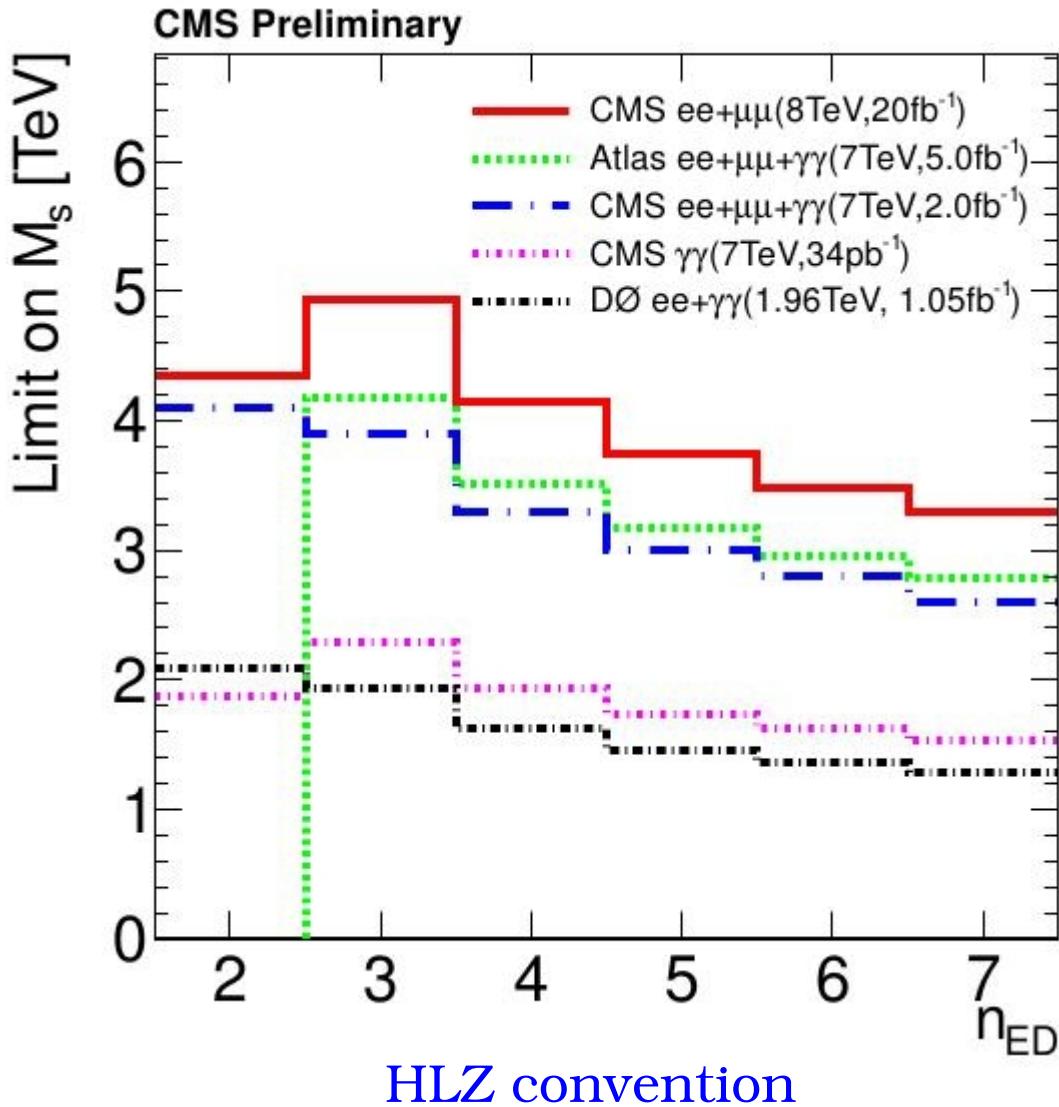


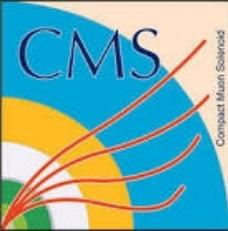
non resonant dilepton

CMS-EXO-12-027

CMS-EXO-12-031

("indirect" ADD)





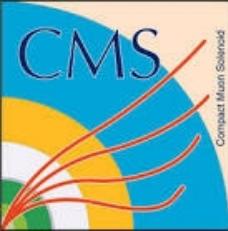
non resonant dilepton

CMS-EXO-12-027

CMS-EXO-12-031

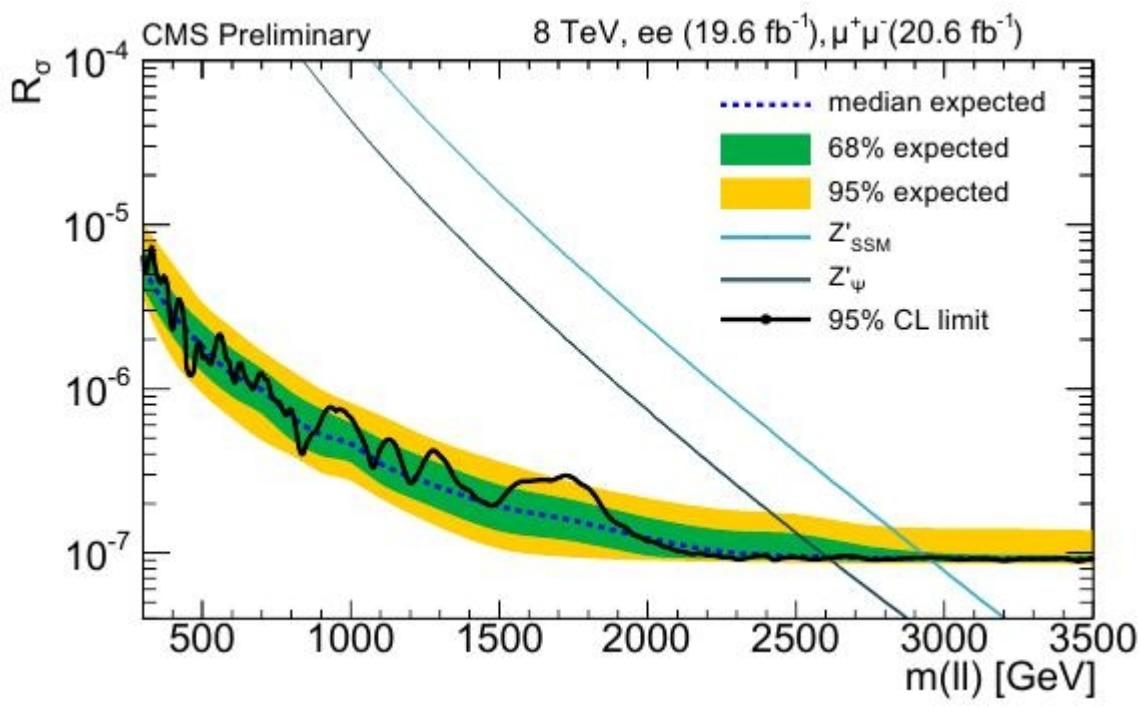
(“indirect” ADD)

ADD k-factor	Λ_T [TeV] (GRW)	M_s [TeV] (HLZ)					
		$n = 2$	$n = 3$	$n = 4$	$n = 5$	$n = 6$	$n = 7$
$\mu\mu, \sigma_{s,\mu\mu} < 0.25 \text{ fb}$ (0.25 fb expected) at 95% CL							
1.0 (observed)	3.64	3.48	4.33	3.64	3.29	3.06	2.89
1.0 (expected)	3.65	3.50	4.34	3.65	3.30	3.07	2.90
1.3 (observed)	3.77	3.69	4.49	3.77	3.41	3.17	3.00
1.3 (expected)	3.78	3.70	4.50	3.78	3.42	3.18	3.01
$ee, \sigma_{s,ee} < 0.19 \text{ fb}$ (0.19 fb expected) at 95% CL							
1.0 (observed)	3.90	3.72	4.64	3.90	3.52	3.28	3.10
1.0 (expected)	3.89	3.70	4.62	3.89	3.51	3.27	3.09
1.3 (observed)	4.01	3.99	4.77	4.01	3.63	3.37	3.19
1.3 (expected)	4.00	3.95	4.76	4.00	3.61	3.36	3.18
$\mu\mu$ and ee , per channel $\sigma_s < 0.12 \text{ fb}$ (0.12 fb expected) at 95% CL							
1.0 (observed)	4.01	4.14	4.77	4.01	3.63	3.37	3.19
1.0 (expected)	4.00	4.13	4.76	4.00	3.62	3.37	3.18
1.3 (observed)	4.15	4.35	4.94	4.15	3.75	3.49	3.30
1.3 (expected)	4.14	4.37	4.93	4.14	3.74	3.48	3.30

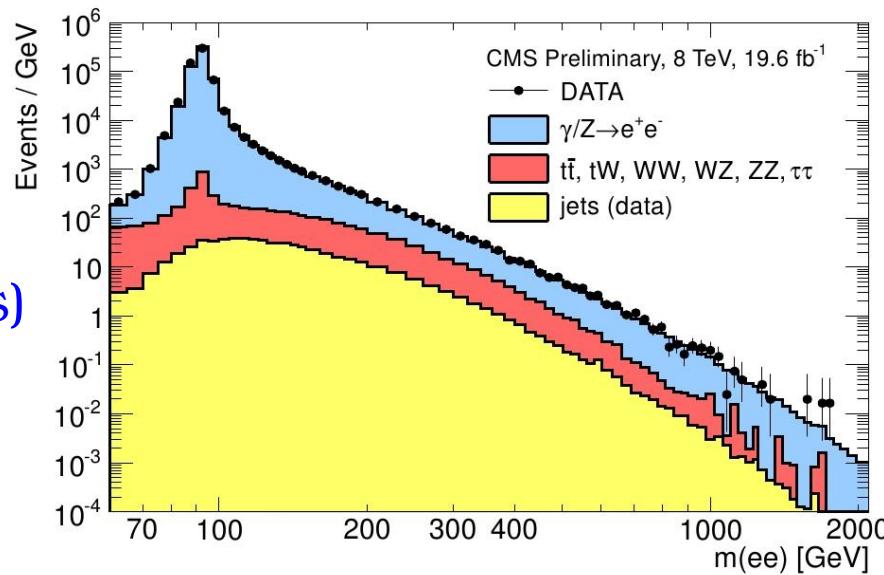
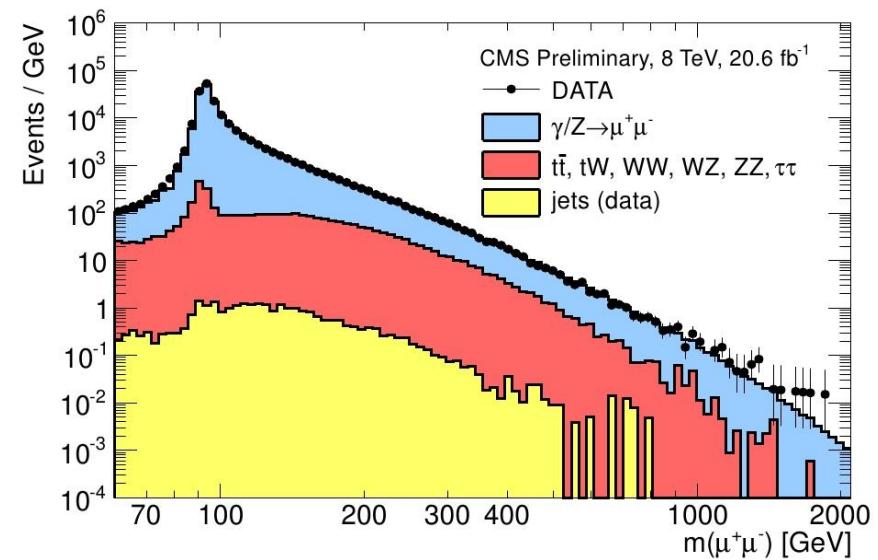


resonant dileptons

CMS-EXO-12-061



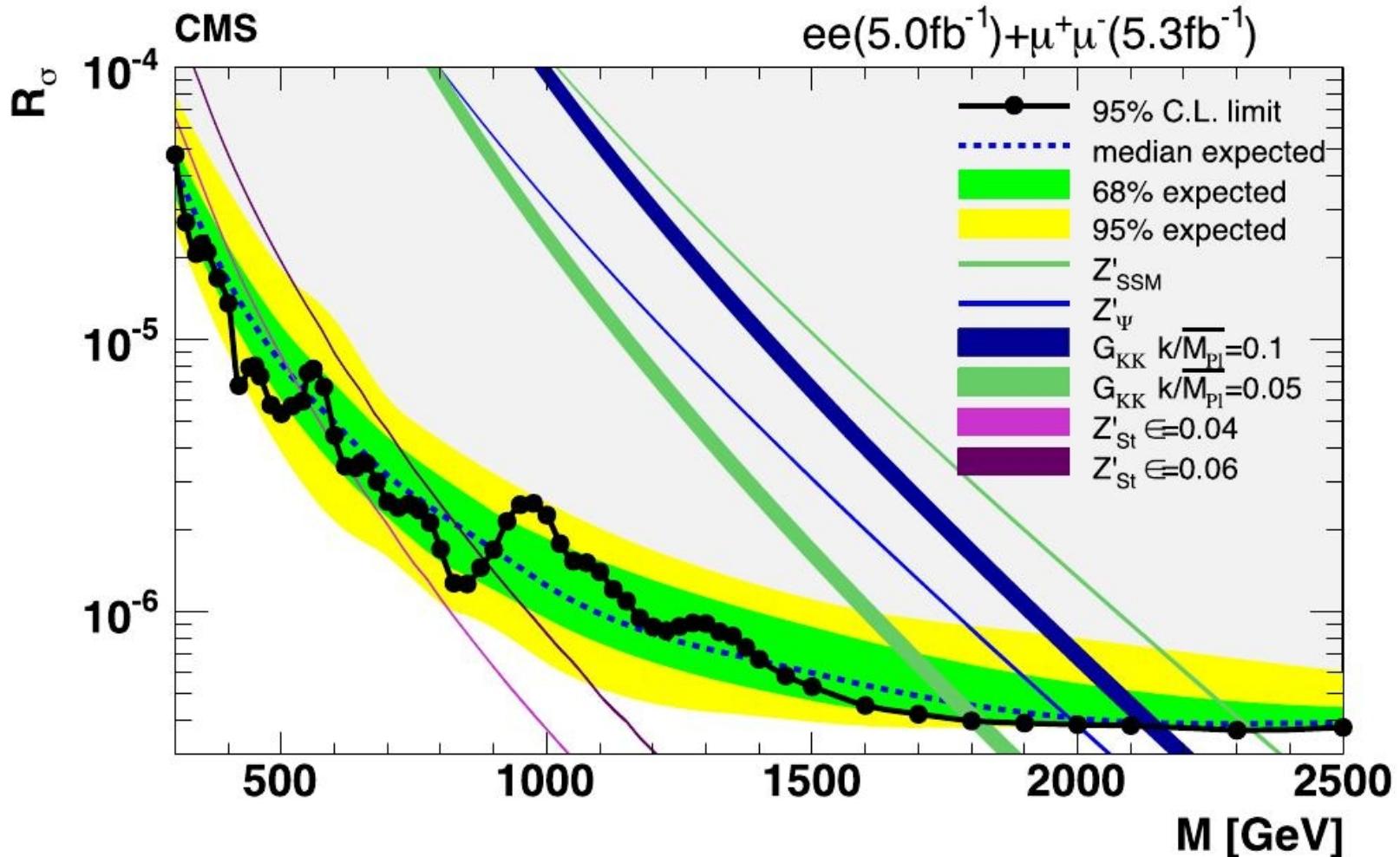
(final state also suited for search for TeV-1, RS, Bulk RS)



resonant dilepton

PLB 714 (2012) 158

(RS, final state also suited to search for, TeV-1, Bulk RS)



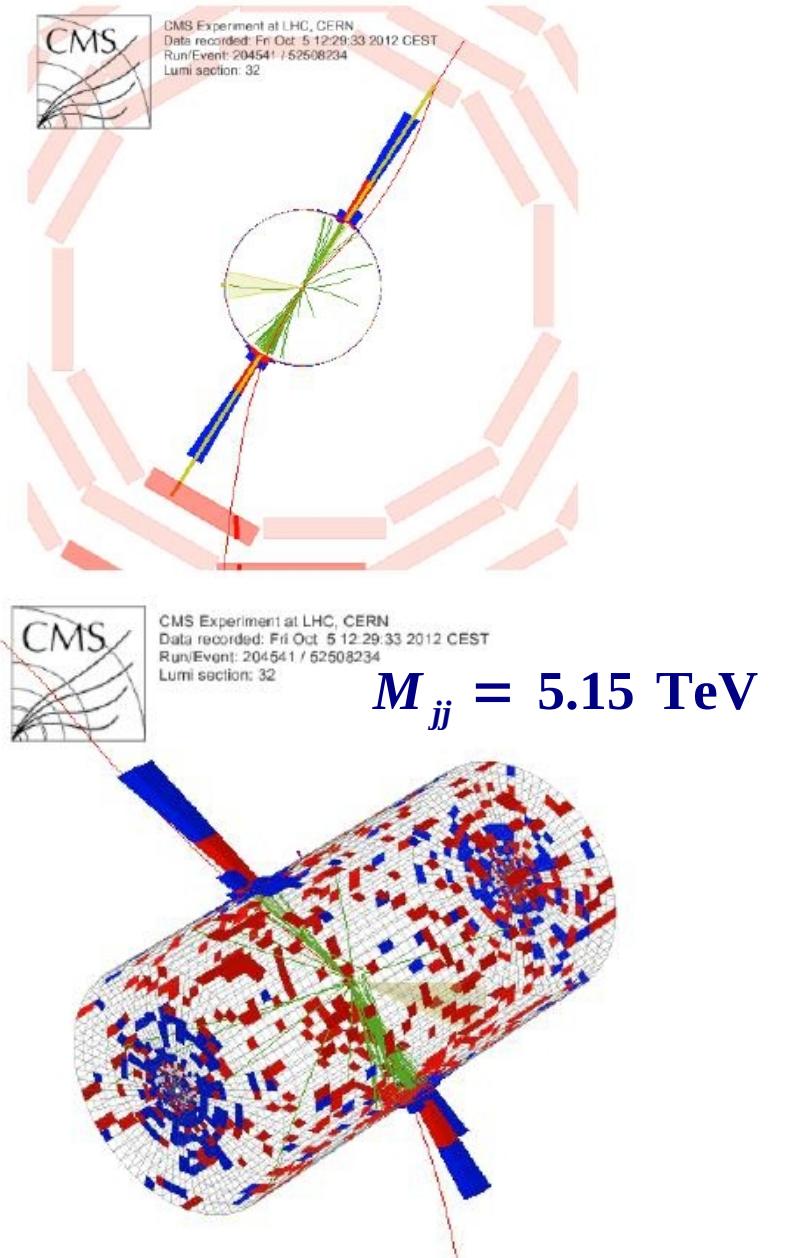
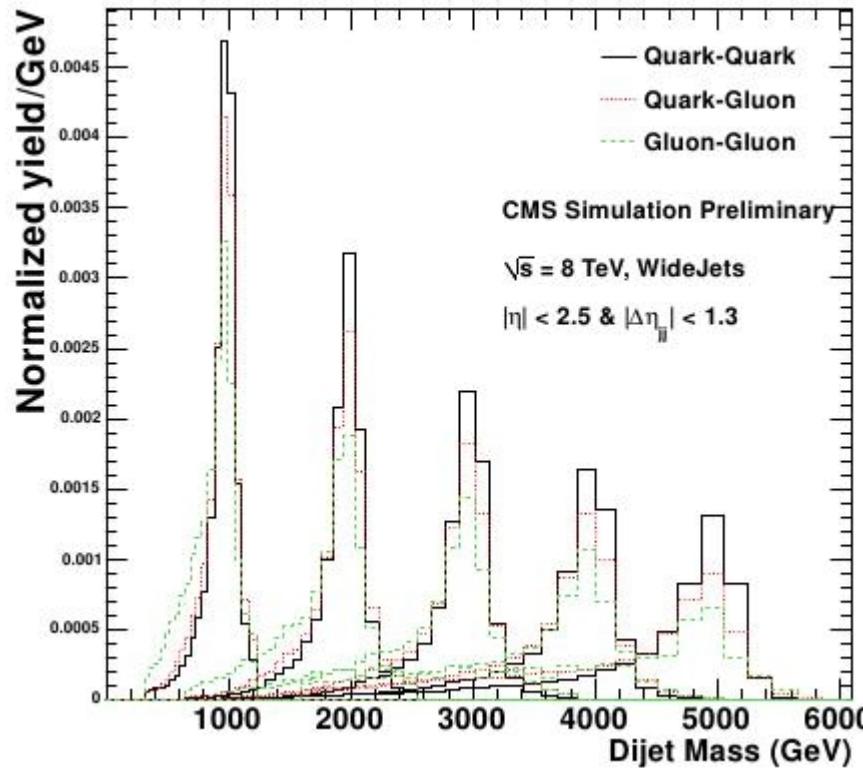
$$m_{G_{KK}^{(1)}} > 2.14 \text{ TeV} \quad (\tilde{k}=0.1)$$

$$m_{G_{KK}^{(1)}} > 1.81 \text{ TeV} \quad (\tilde{k}=0.05)$$

resonant dijets

CMS-EXO-12-059

(RS, string states, final state also suited for search for TeV-1, Bulk RS)



$$q \bar{q} \rightarrow G_{KK} \rightarrow q \bar{q}$$

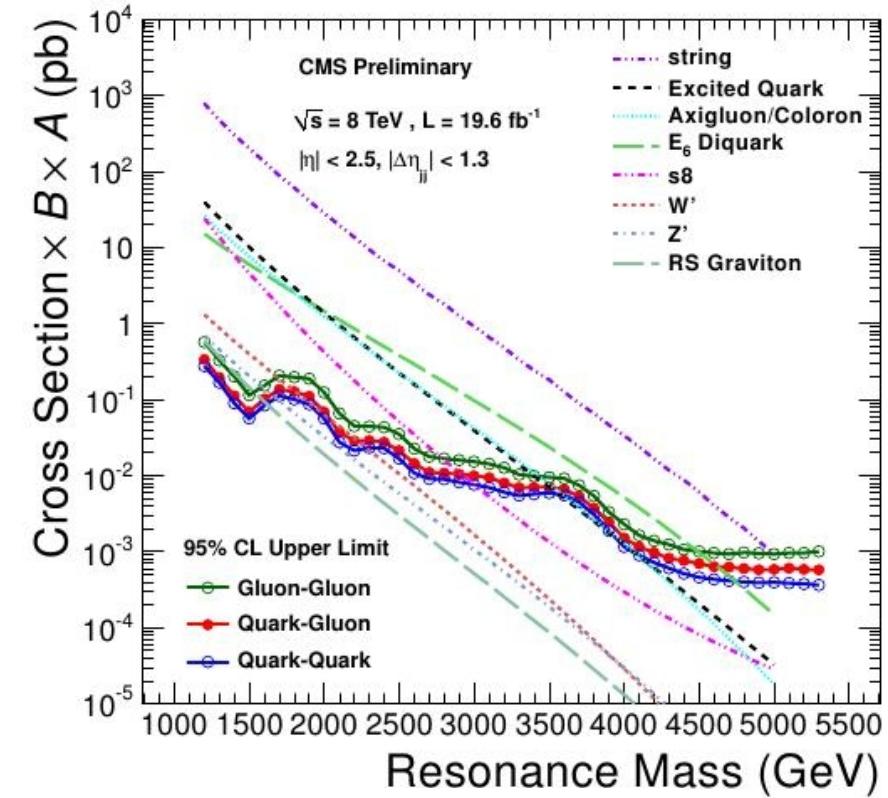
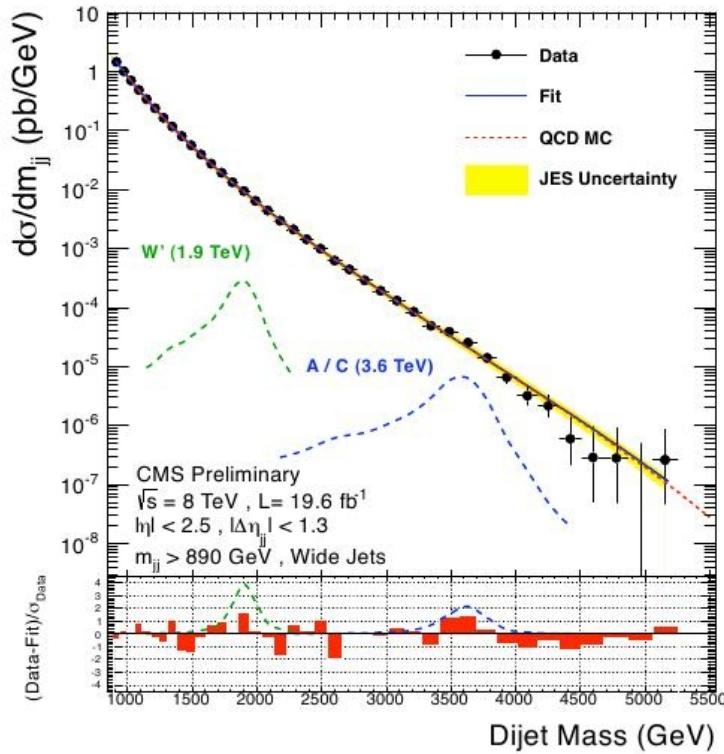
$$q g \rightarrow q^* \rightarrow q g$$

$$g g \rightarrow G_{KK} \rightarrow g g$$

resonant dijets

CMS-EXO-12-059

(RS, string states, final state also suited for search for TeV-1, Bulk RS)



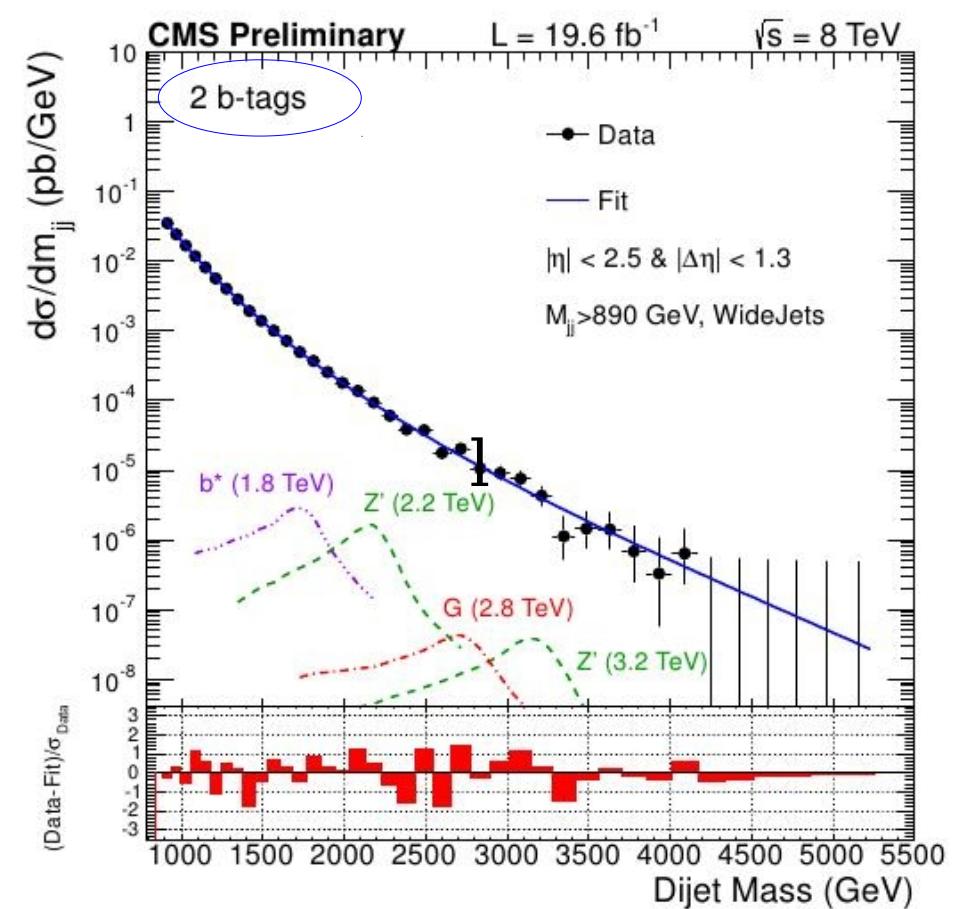
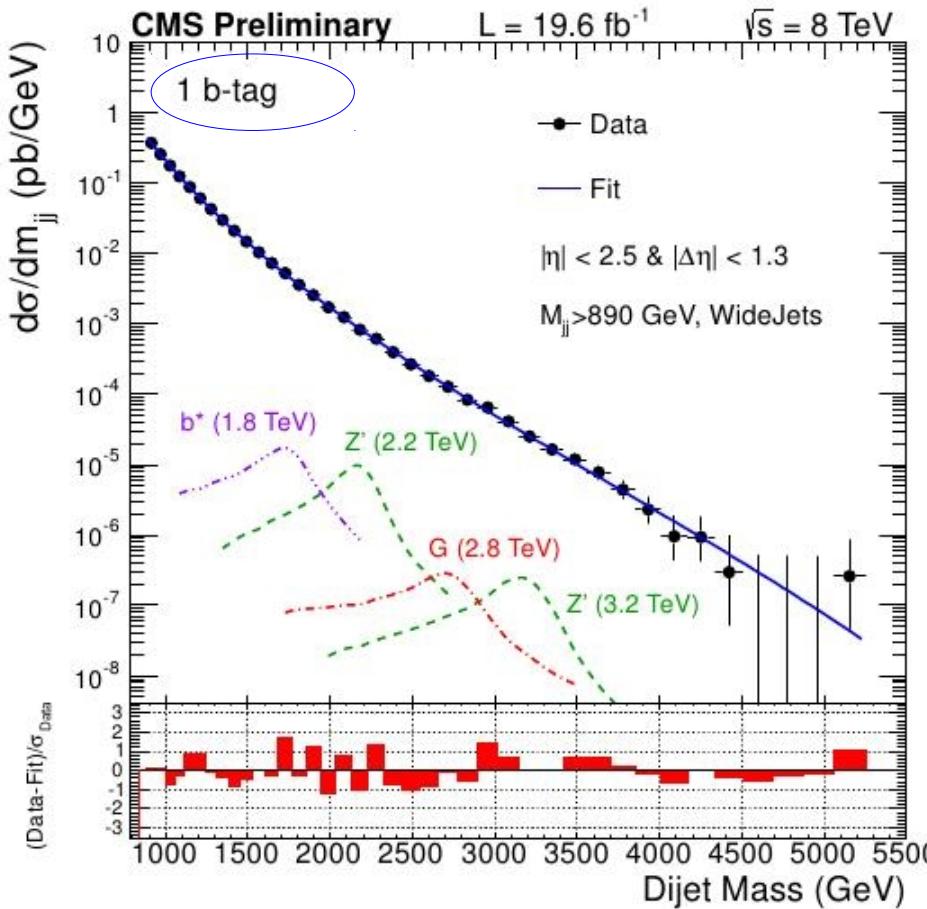
Model	Final State	Obs. Mass Excl. [TeV]	Exp. Mass Excl. [TeV]
String Resonance (S)	qg	[1.20,5.08]	[1.20,5.00]
Excited Quark (q^*)	qg	[1.20,3.50]	[1.20,3.75]
E_6 Diquark (D)	qq	[1.20,4.75]	[1.20,4.50]
Axigluon (A)/Coloron (C)	$q\bar{q}$	[1.20,3.60] + [3.90,4.08]	[1.20,3.87]
Color Octet Scalar ($s8$)	gg	[1.20,2.79]	[1.20,2.74]
W' Boson (W')	$q\bar{q}$	[1.20,2.29]	[1.20,2.28]
Z' Boson (Z')	$q\bar{q}$	[1.20,1.68]	[1.20,1.87]
RS Graviton (G)	$q\bar{q}+gg$	[1.20,1.58]	[1.20,1.43]

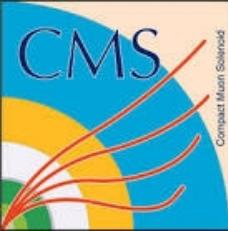
resonant dijets (with b-jet)

CMS-EXO-12-023

(RS, bb final state also suited for search for TeV-1, Bulk RS)

- anti k_t 0.5 jets, $\eta < 2.5$, $|\Delta\eta| < 1.3$
- 3 channels : 0, 1, 2 b-tags

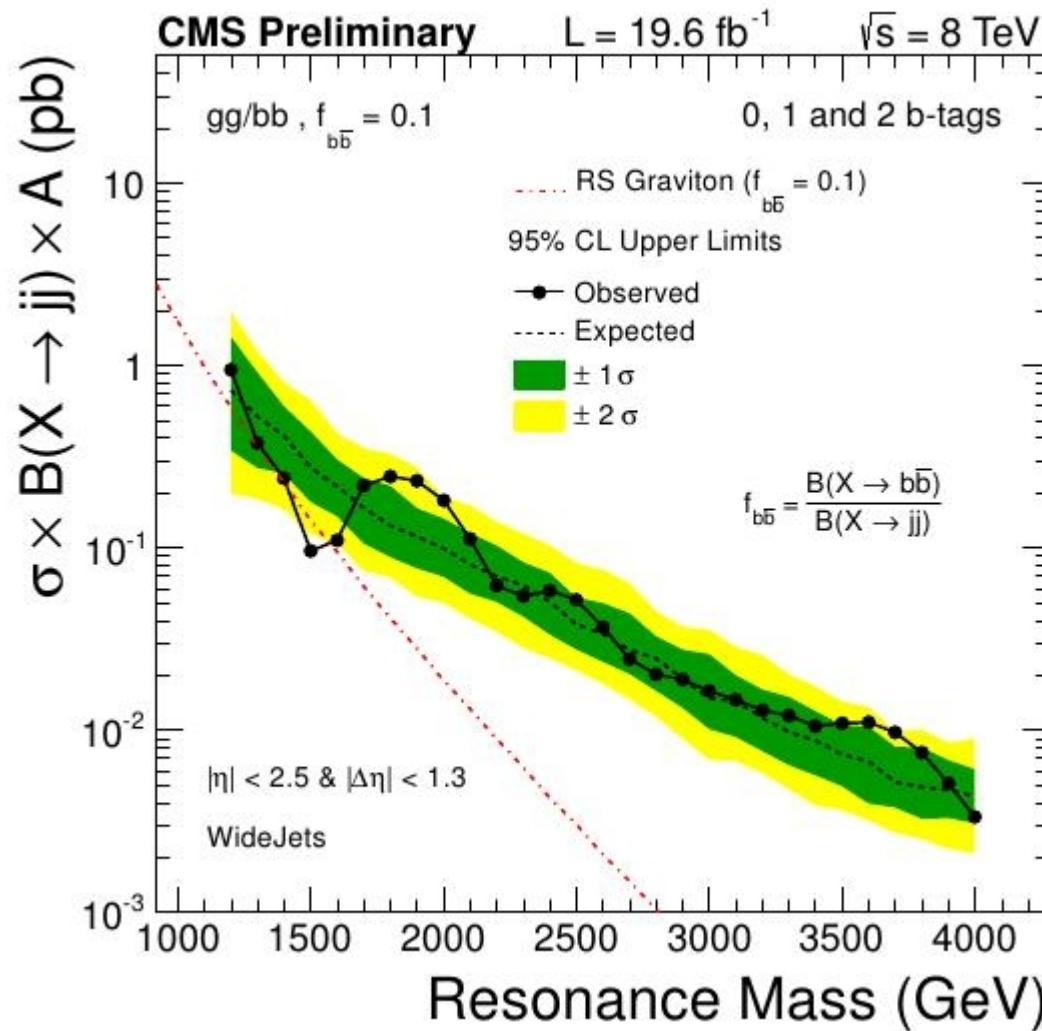




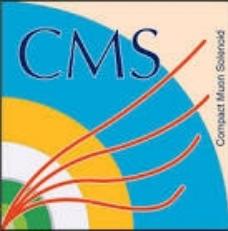
resonant dijets (with b-jet)

CMS-EXO-12-023

(RS, bb final state also suited for search for TeV-1, Bulk RS)



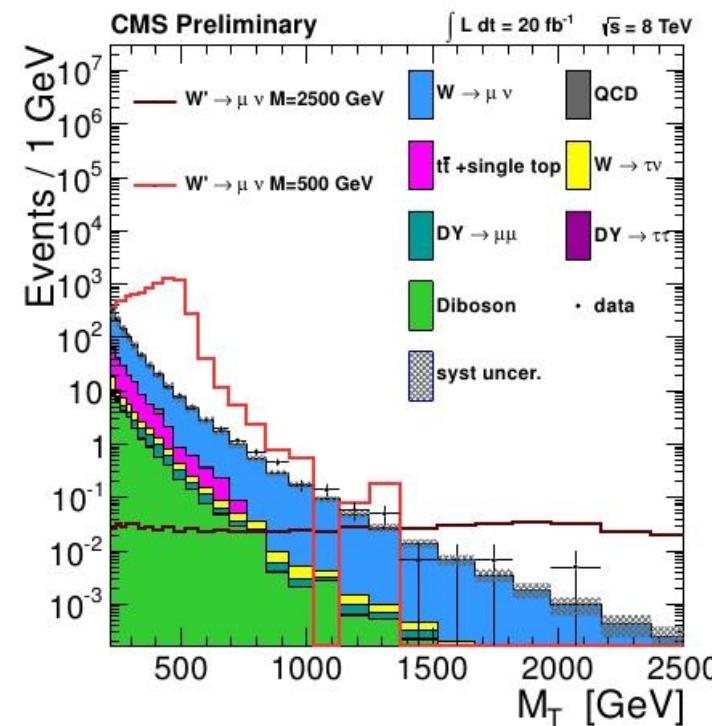
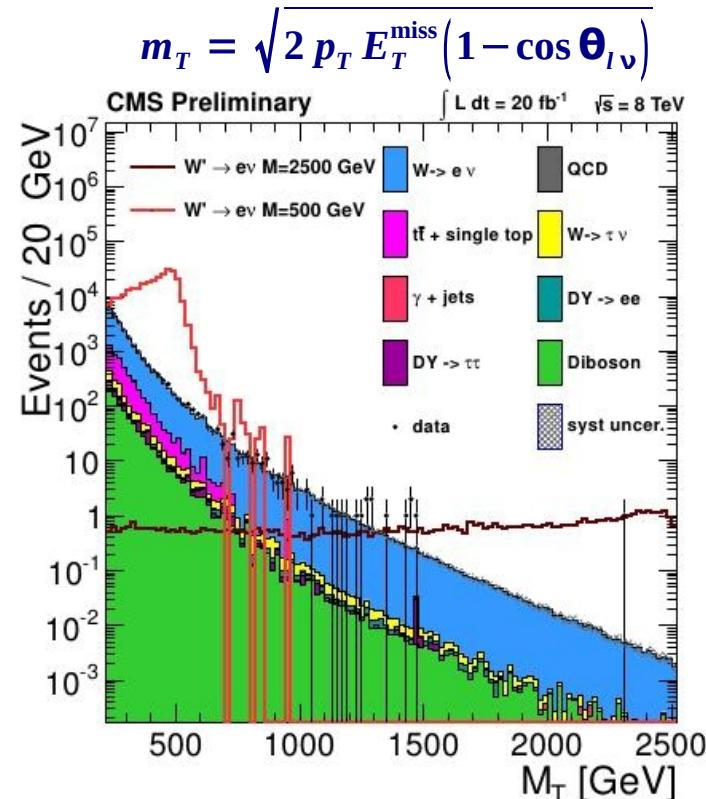
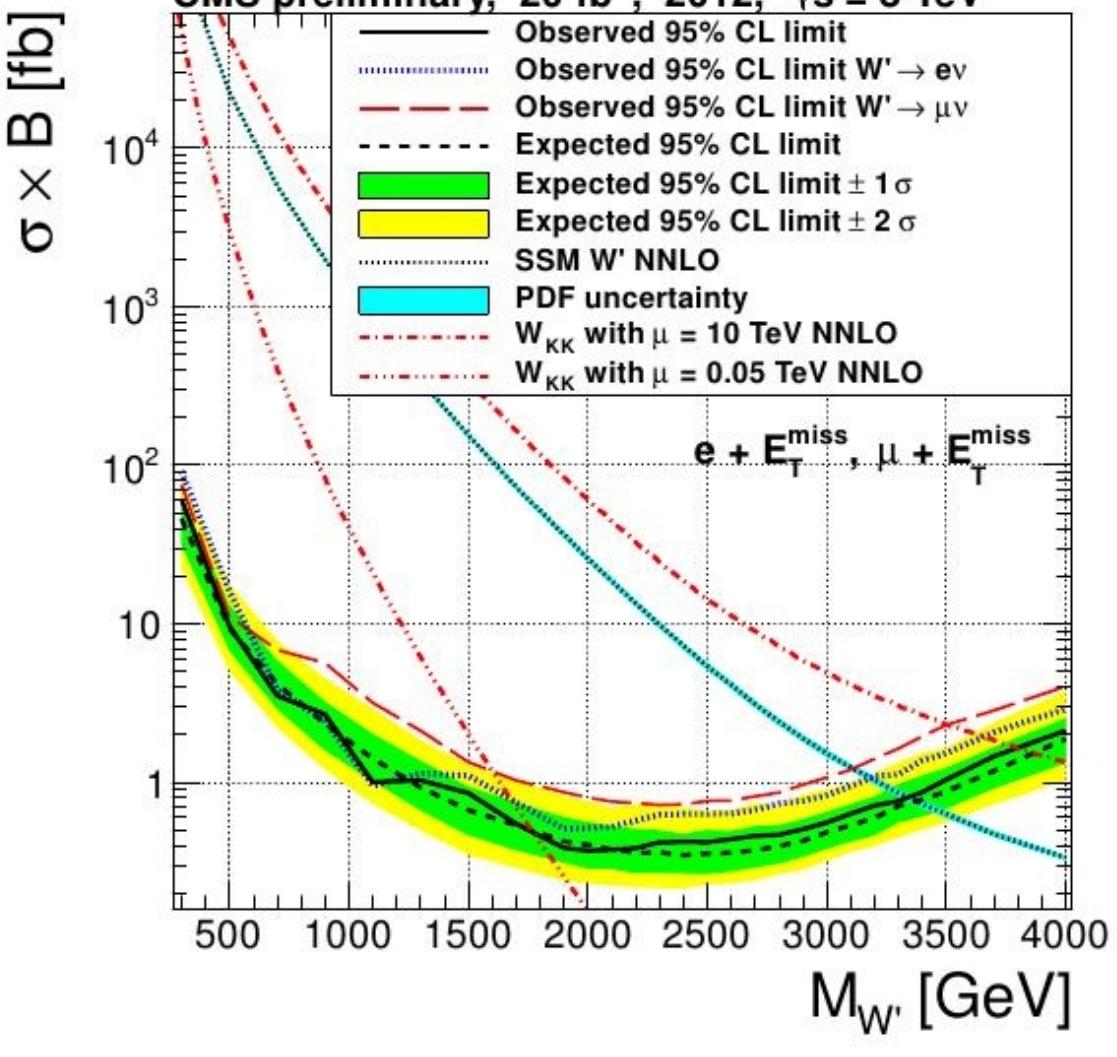
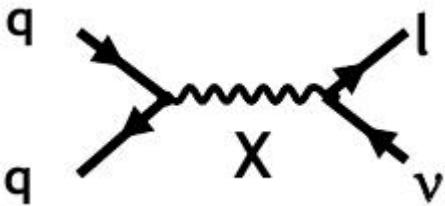
$m_{G_{KK}^{(1)}}$ in the 1.42 - 1.57 TeV range is excluded

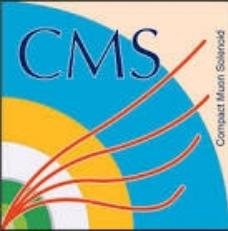


Lepton + MET

CMS-EXO-12-060

(TeV-1, UED, Bulk RS)

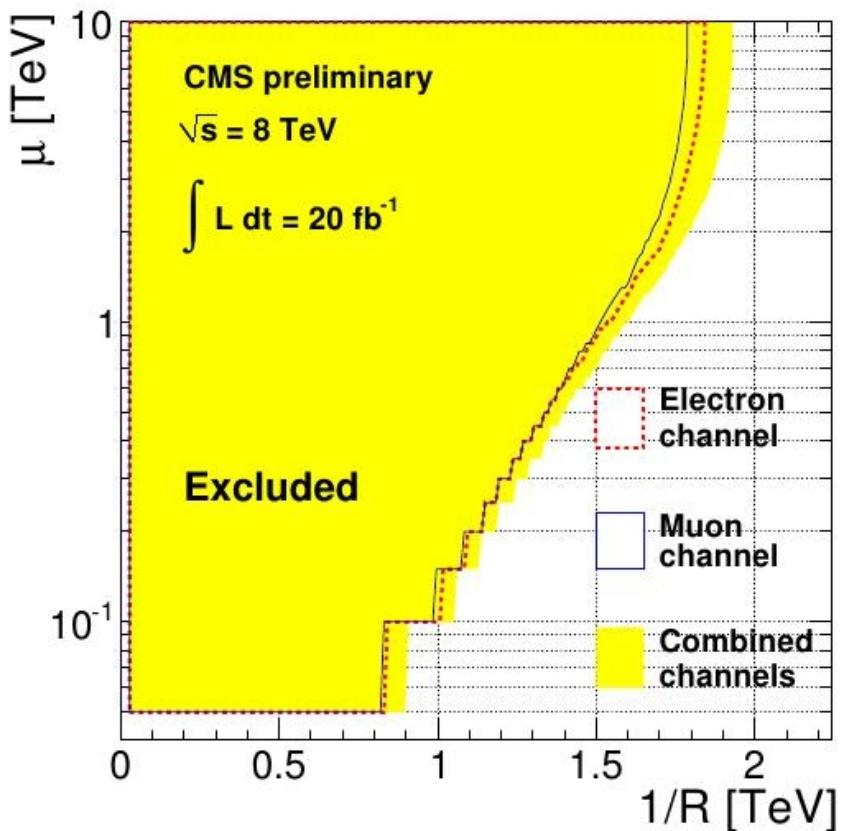
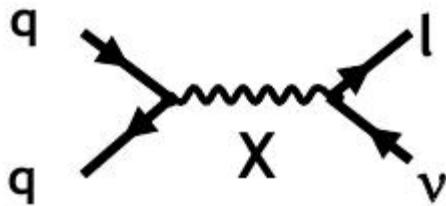




Lepton + MET

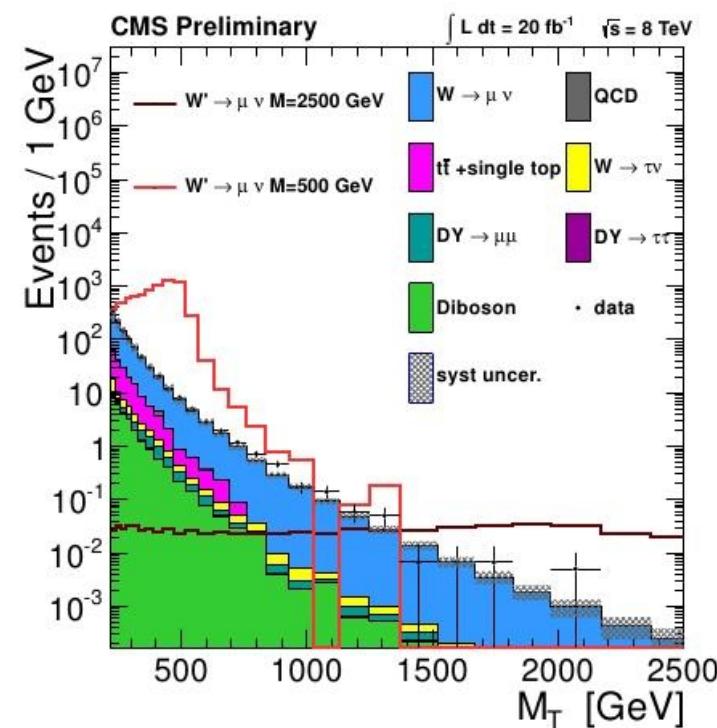
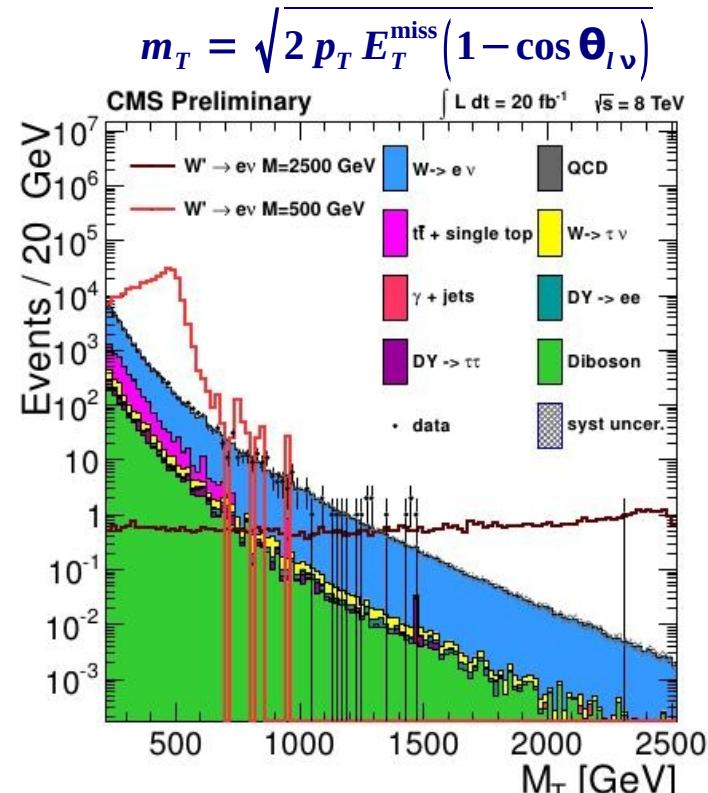
CMS-EXO-12-060

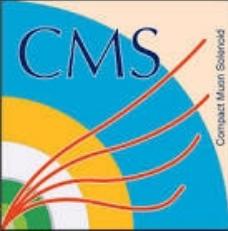
(TeV-1, UED, Bulk RS)



$$m_{W_{KK}^{(1)}} > 1.7 \text{ TeV} \quad (\mu = 0.05 \text{ TeV})$$

$$m_{W_{KK}^{(1)}} > 3.7 \text{ TeV} \quad (\mu = 10 \text{ TeV})$$



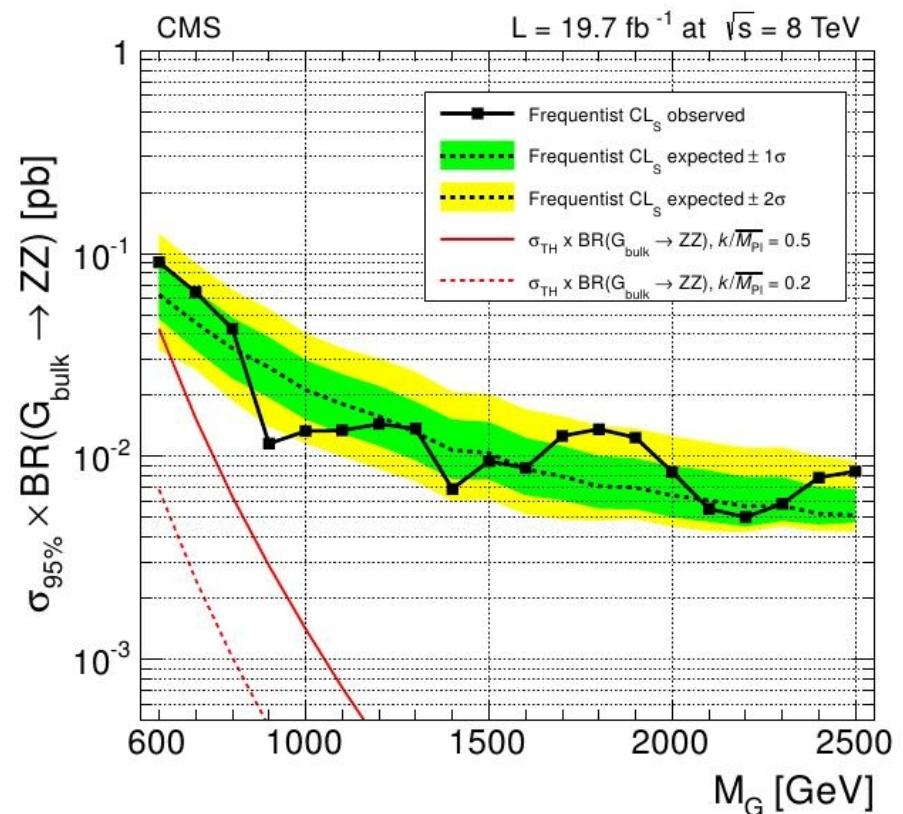
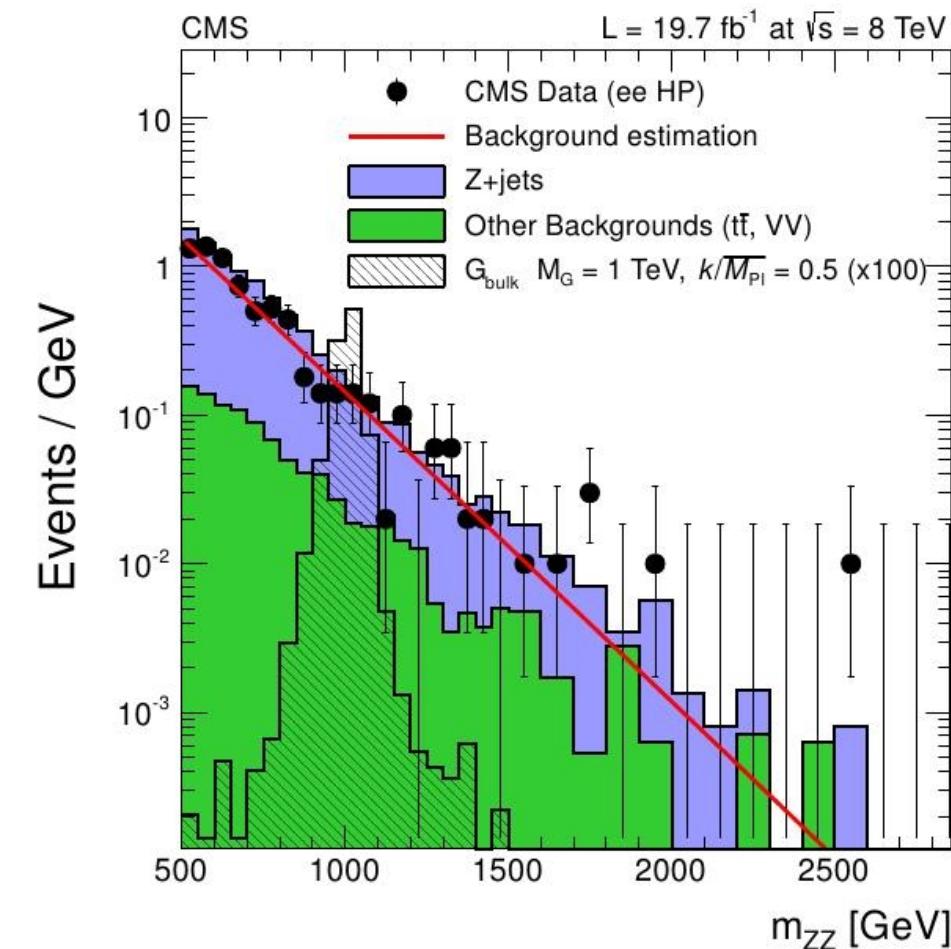
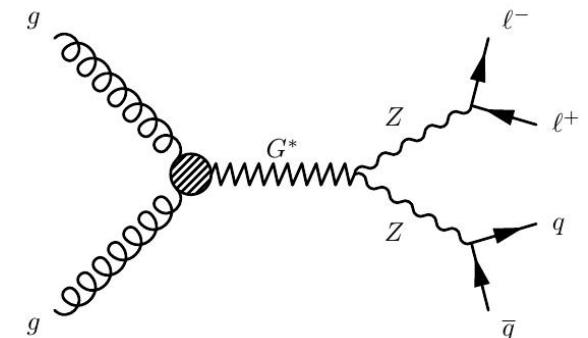


semi leptonic resonant diboson (ZZ)

CMS-EXO-13-009, arXiv:1405.3447

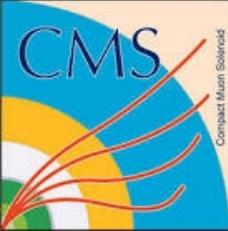
aiming at $G_{KK}^{\text{RS}} \rightarrow ZZ$

categorize into ee and $\mu\mu$
and low (LP) and high (HP) purity



$$\sigma \cdot \text{BR} < 90 \text{ fb} - 5 \text{ fb}$$

for $m_{G_{KK}^{(1)}}$ in the $0.6 - 2.5 \text{ TeV}$ range

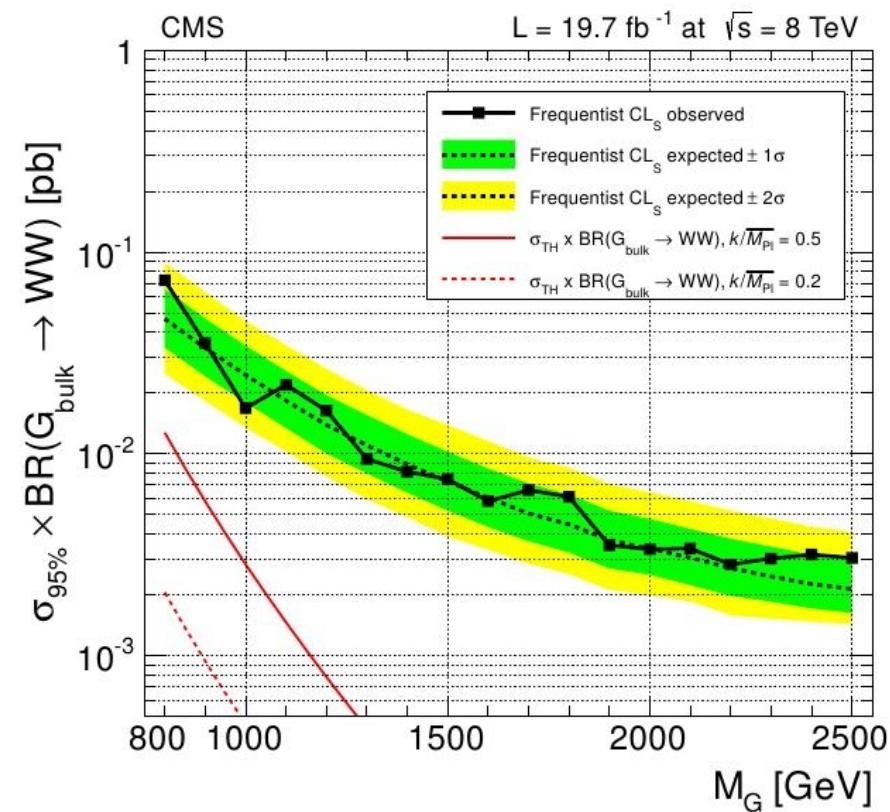
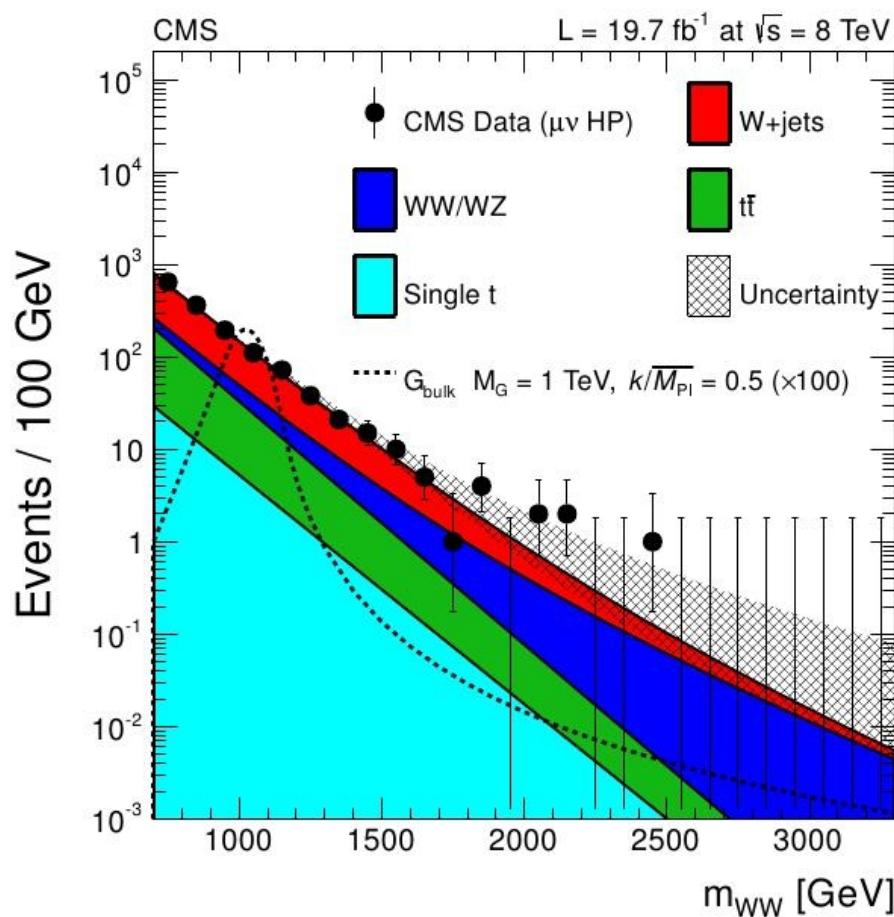
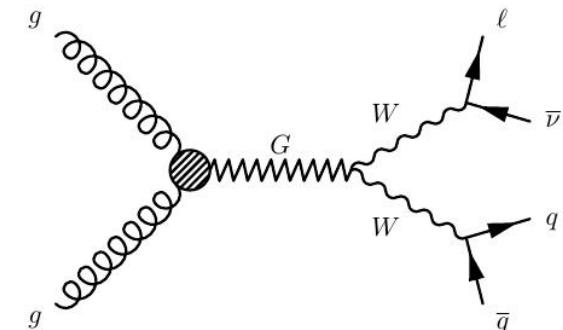


semi-leptonic resonant diboson (WW)

CMS-EXO-13-009, arXiv:1405.3447

aiming at $G_{KK}^{\text{RS}} \rightarrow WW$

categorize into $e\nu$ and $\mu\nu$
and low (LP) and high (HP) purity



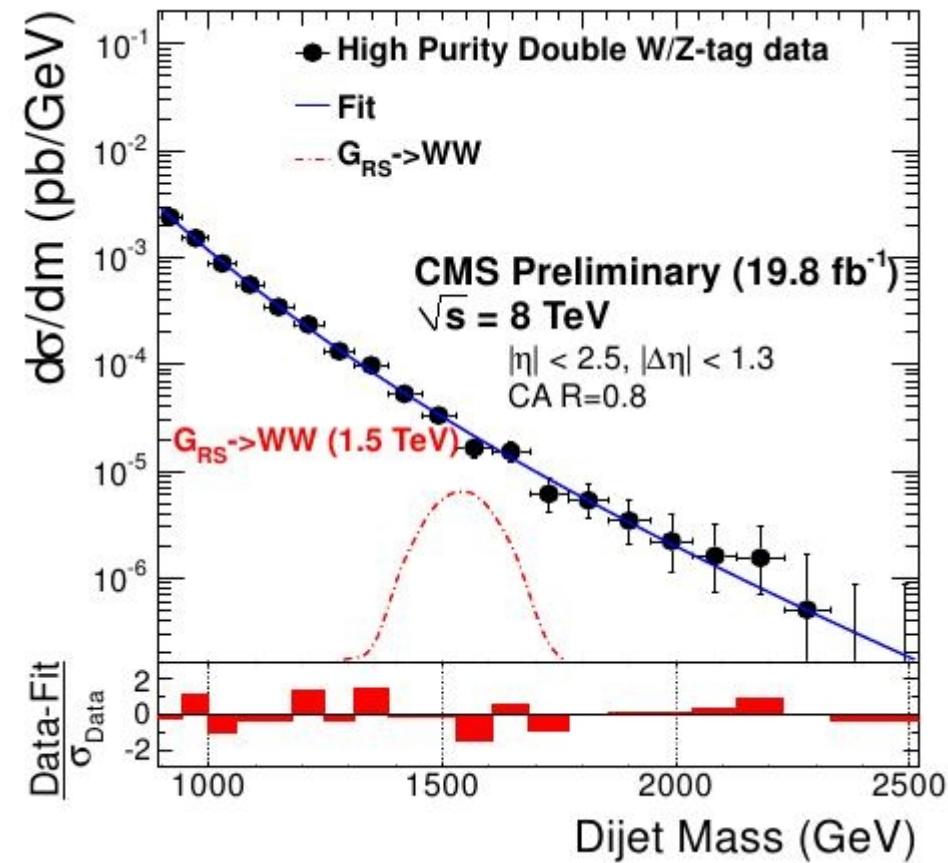
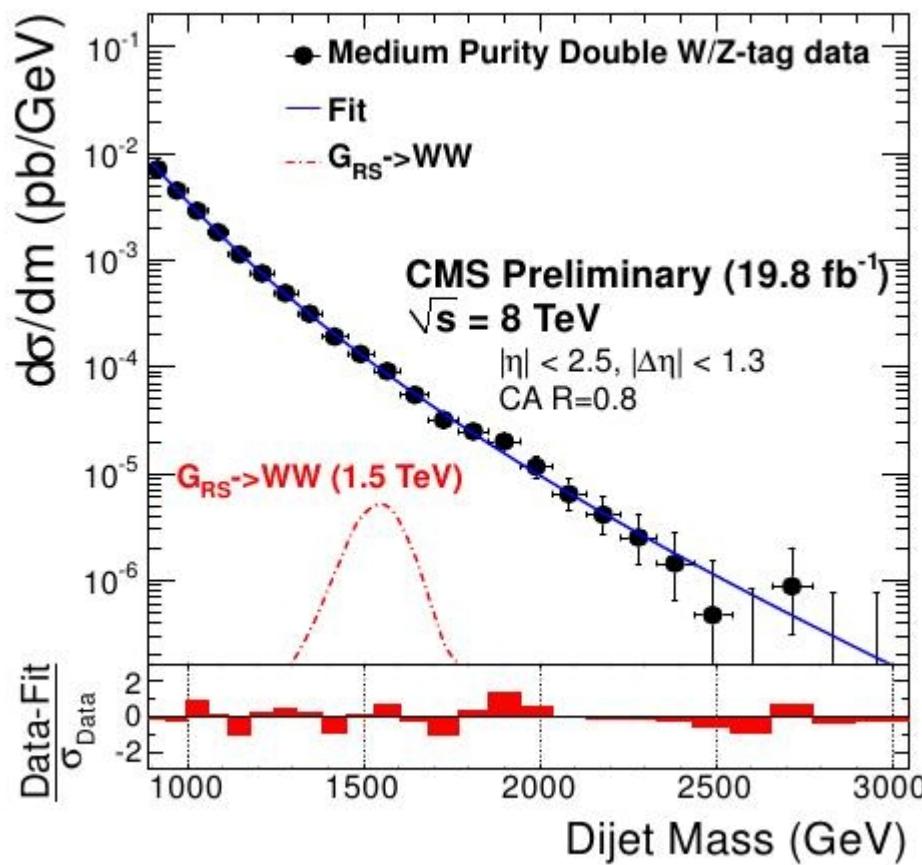
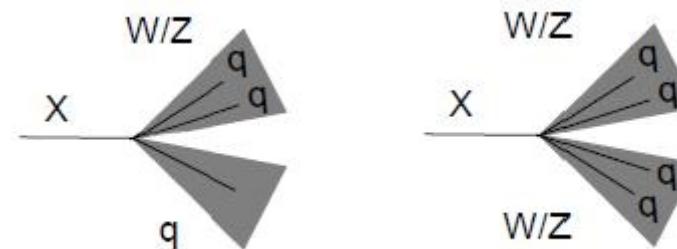
$$\sigma \cdot \text{BR} < 70 \text{ fb} - 3 \text{ fb}$$

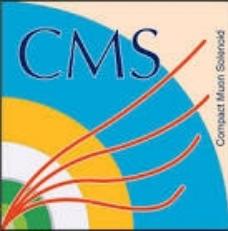
for $m_{G_{KK}^{(1)}}$ in the $0.8 - 2.5 \text{ TeV}$ range

resonant diboson (jets channel)

CMS-EXO-12-024, arXiv:1405.1994

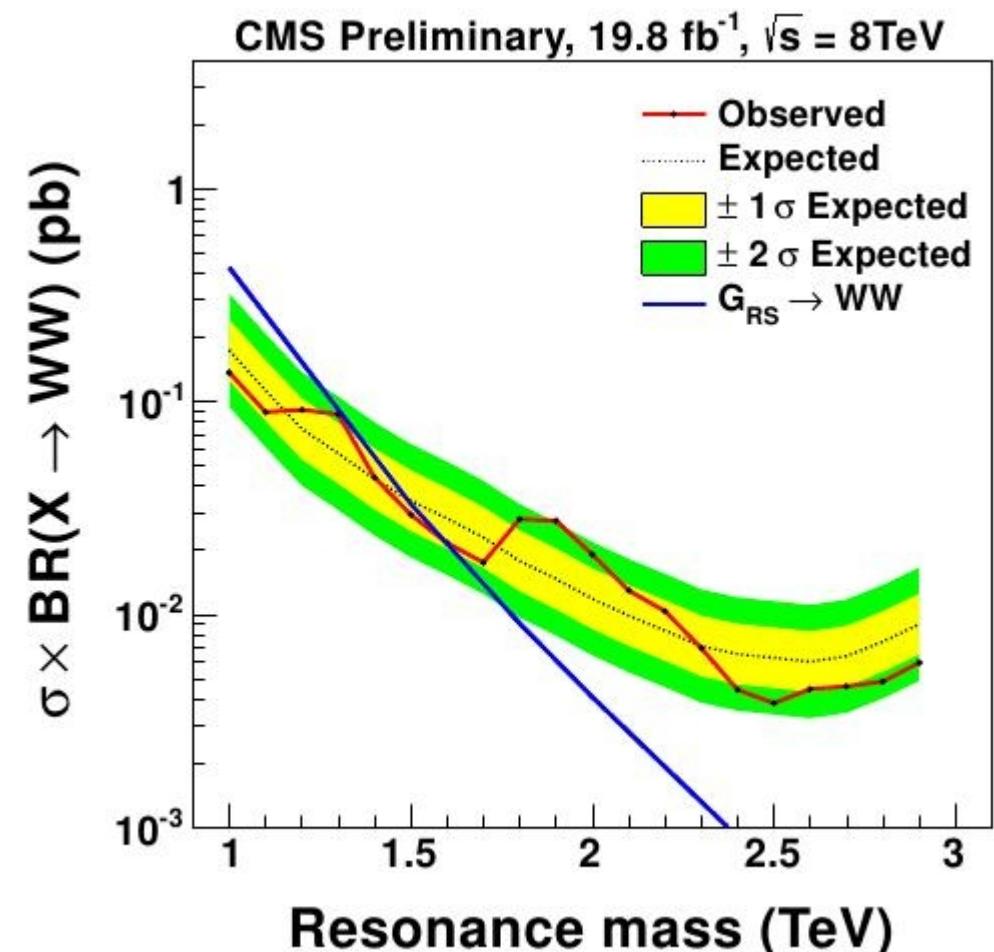
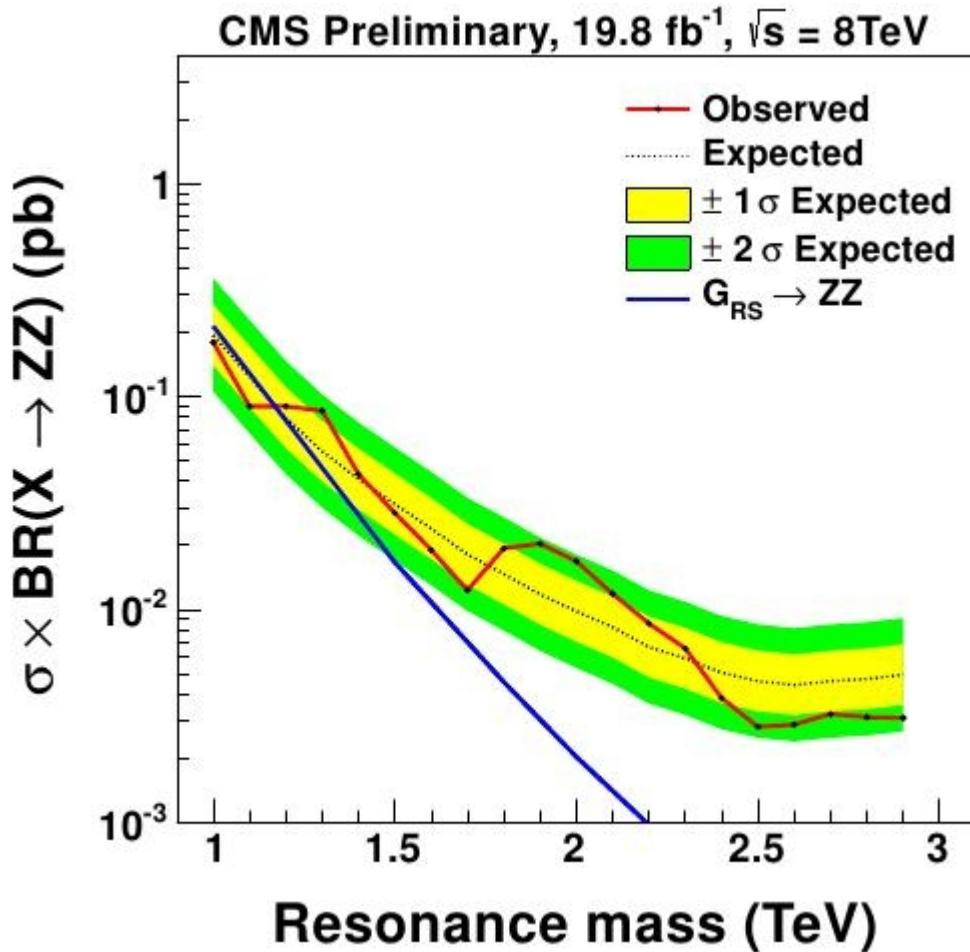
- 1 or 2 leading jet, **W/Z tagged**





resonant diboson (jets channel)

CMS-EXO-12-024, arXiv:1405.1994



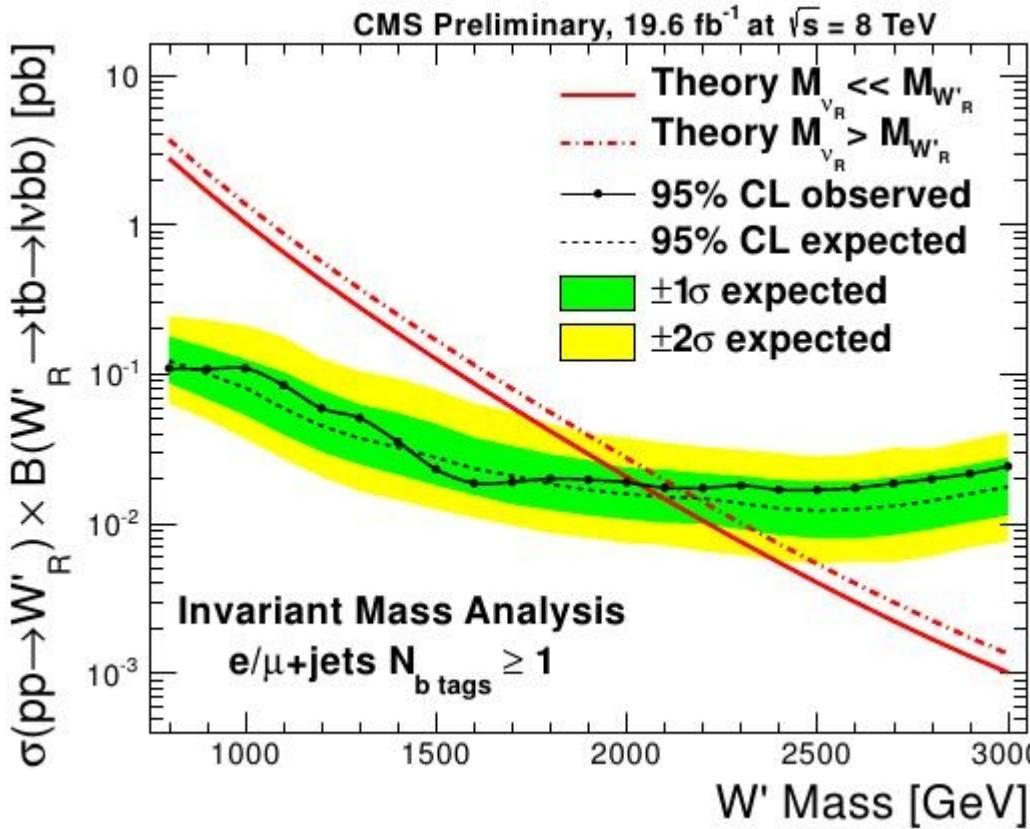
$m_{G_{KK}^{(1)}} > 1.17 \text{ TeV} \quad (\tilde{k}=0.5)$

$m_{G_{KK}^{(1)}} > 1.59 \text{ TeV} \quad (\tilde{k}=0.5)$

resonant bt

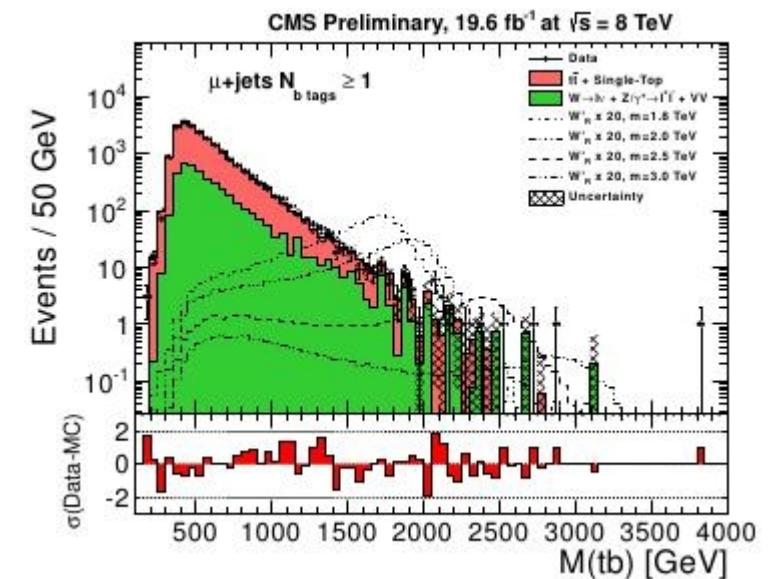
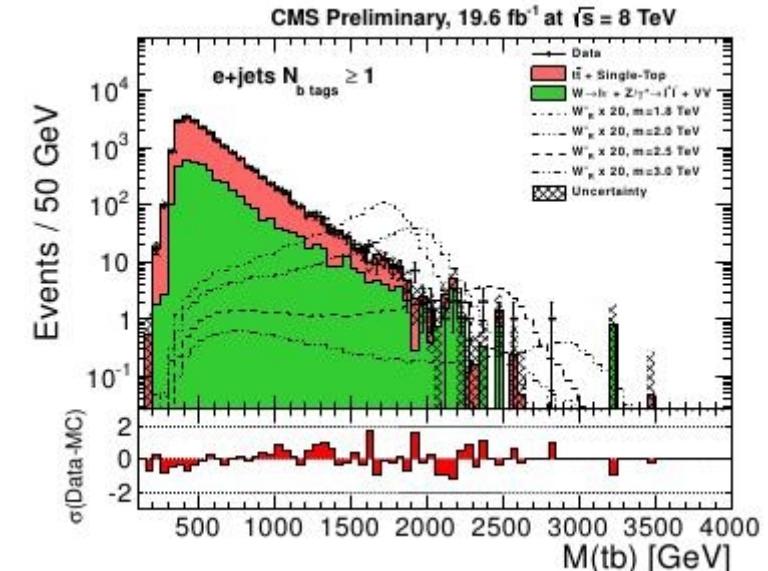
CMS-B2G-12-010

(final state suited for search for TeV-1, Bulk RS)



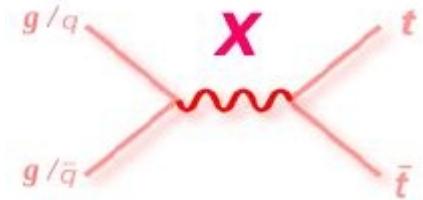
$m_{W'} > 2.03$ TeV (obs)

$m_{W'} > 2.09$ TeV (exp)



semileptonic $t\bar{t}$

CMS-B2G-12-006

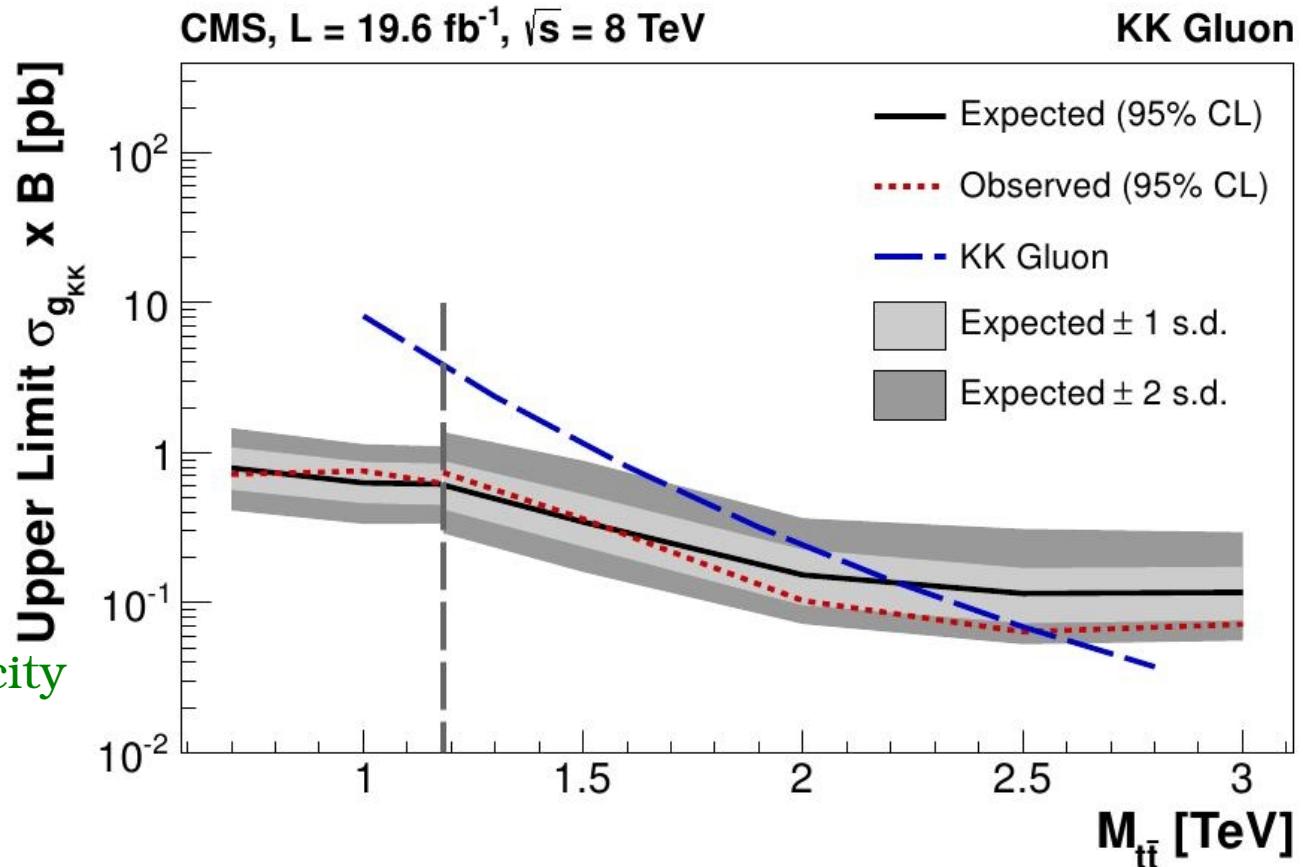


(bulk RS, also suited for search for TeV-1, RS)

- 2 analyses
low/high mass coverage
i.e. threshold/boosted
transition at ~ 1 TeV

- for boosted analysis
less isolation
smaller b-tagged jet multiplicity
higher 'wide' jet multiplicity
jet substructure

- limits from the combination of the 2 analyses



$$m_{g_{KK}^{(1)}} > 2.54 \text{ TeV}$$

$$\sigma \cdot Br(pp \rightarrow g_{KK}^{(1)} \rightarrow t\bar{t}) < 0.101 \text{ pb} \quad (0.150^{+0.072}_{-0.055} \text{ pb expected})$$

$$\text{for } m_{g_{KK}^{(1)}} = 2 \text{ TeV}$$

hadronic $t\bar{t}$

CMS-B2G-12-005

(**Bulk RS**, final state also suited for search for TeV-1, RS)

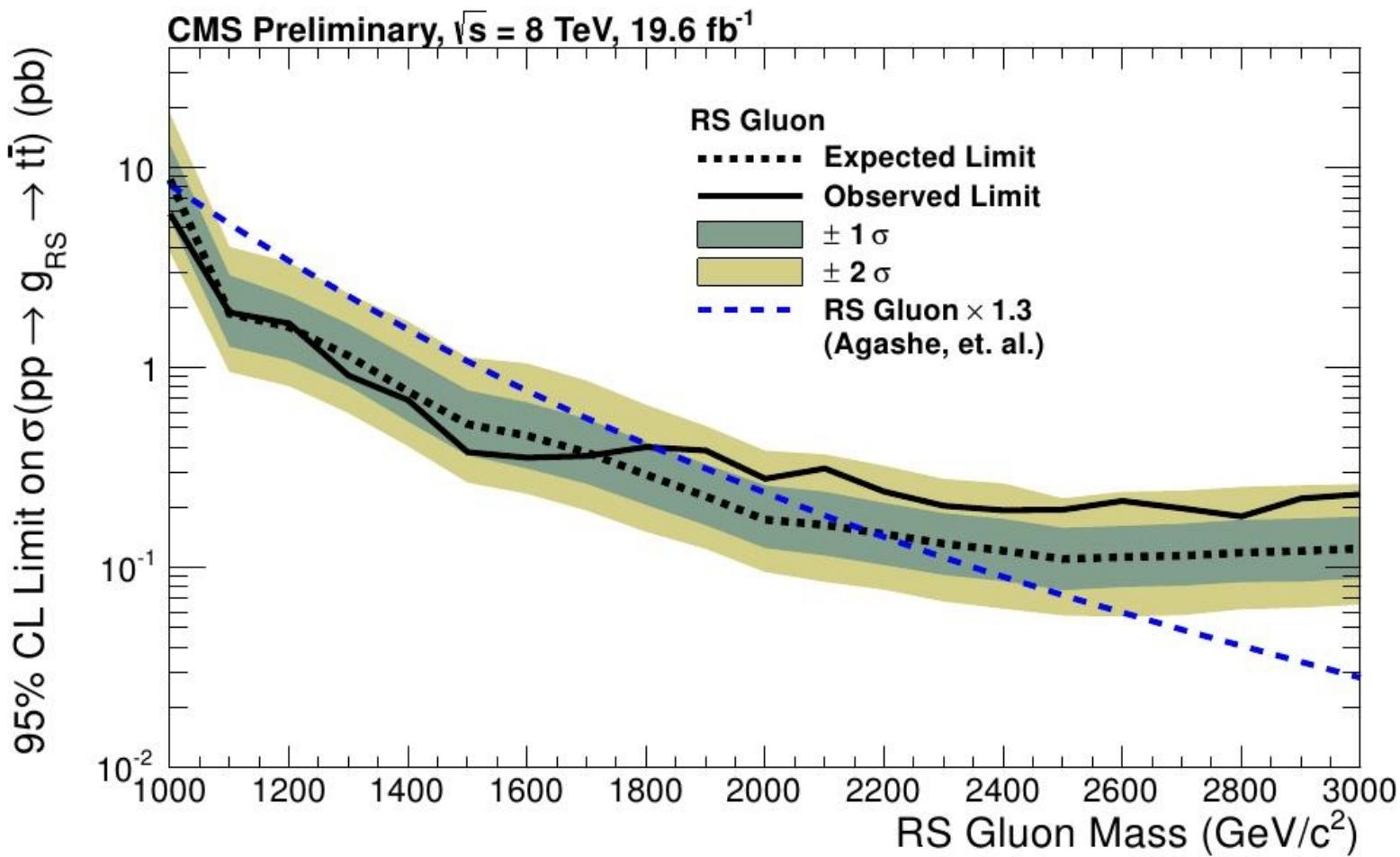
- look at hadronically decaying boosted top quarks
- use a (boosted) top tagging algorithm



hadronic $t\bar{t}$

CMS-B2G-12-005

(**Bulk RS**, final state also suited for search for TeV-1, RS)



obtain constraint on KK gluon mass

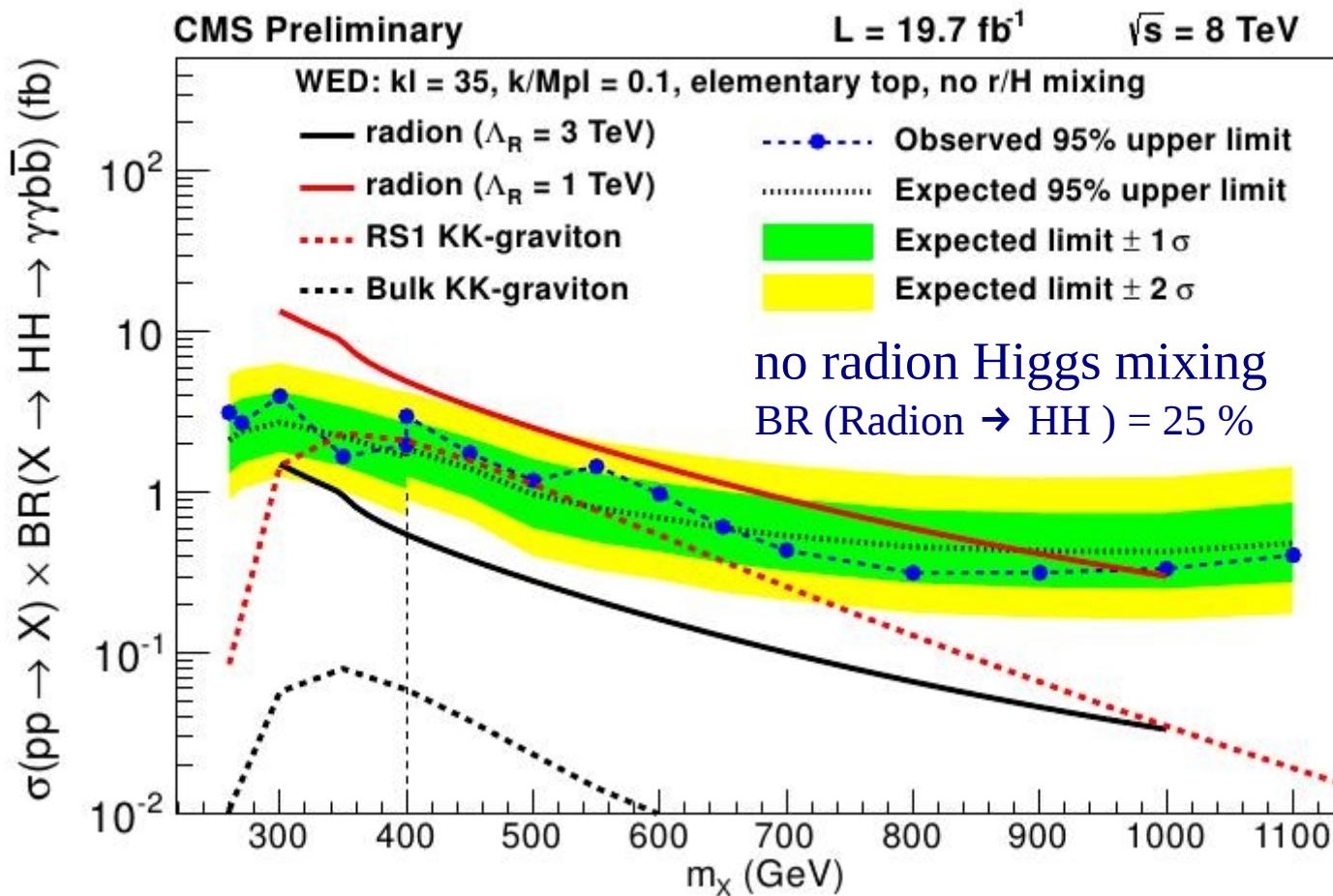
$m_{g_{KK}^{(1)}} > 1.8 \text{ TeV}$

resonant HH

HIG-PAS-12-032

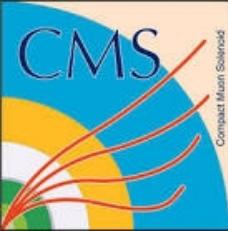
(stabilized RS, Bulk RS, RS)

$$X \rightarrow HH \rightarrow \gamma\gamma b\bar{b}$$



$M_{\text{radion}} < 0.97 \text{ TeV}$ excluded at 95% C.L. for $\Lambda_R = 1 \text{ TeV}$

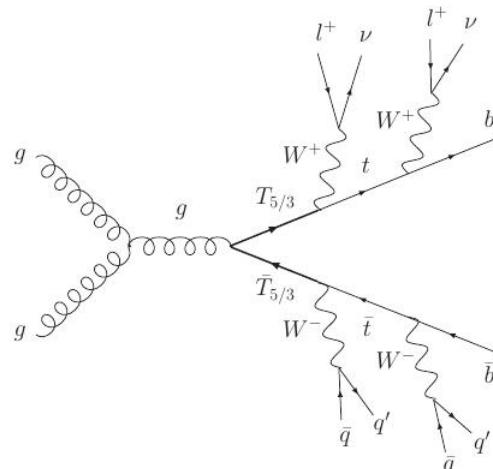
RS KK graviton excluded [340, 400] GeV at 95 % C.L.



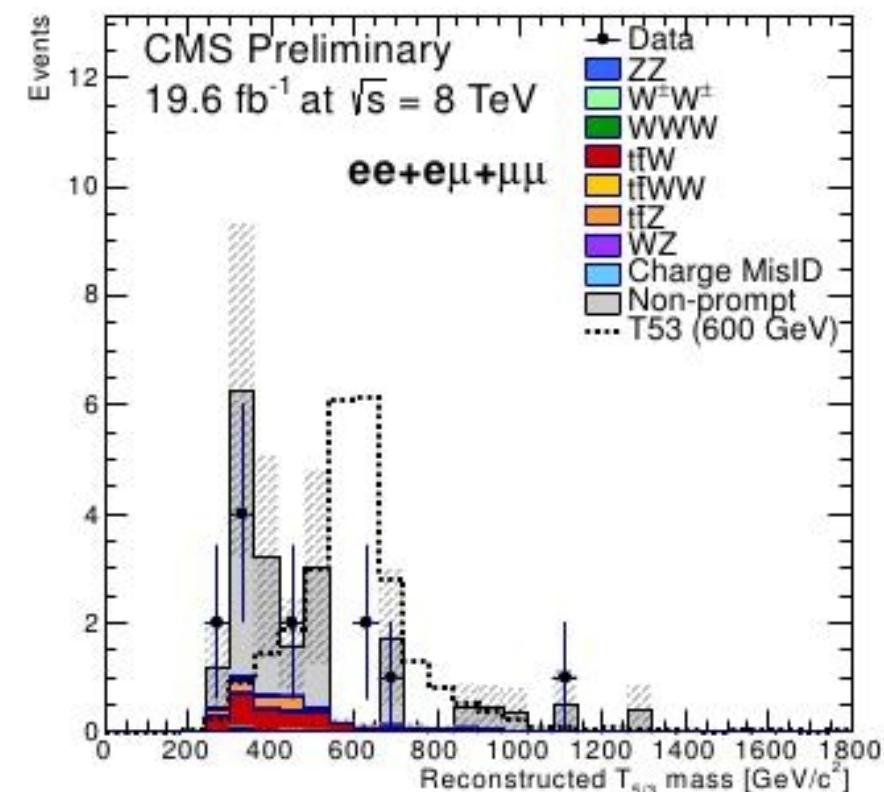
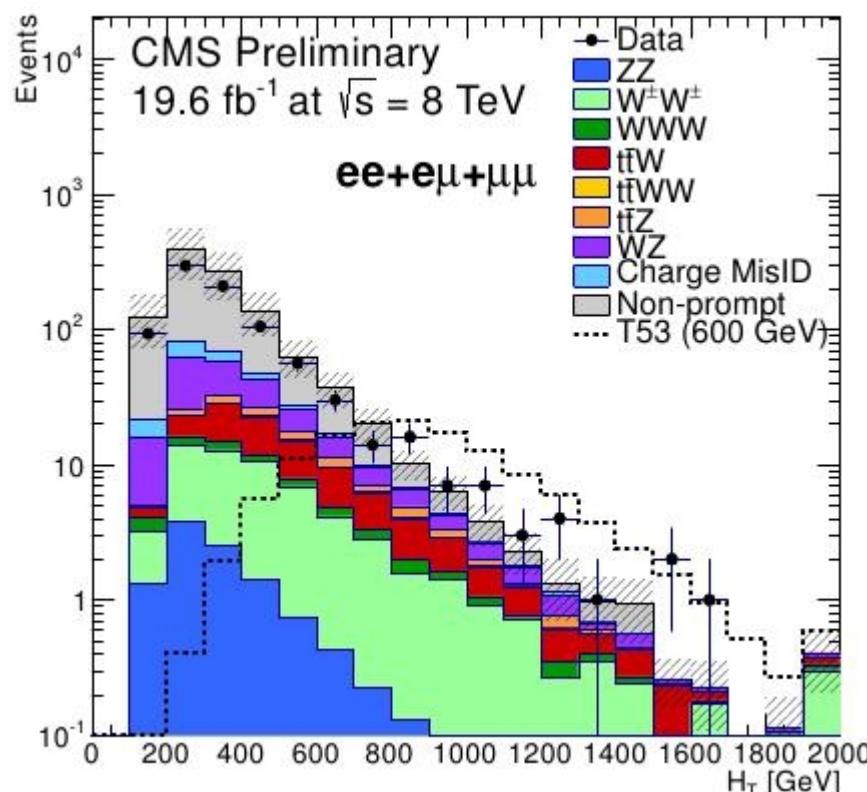
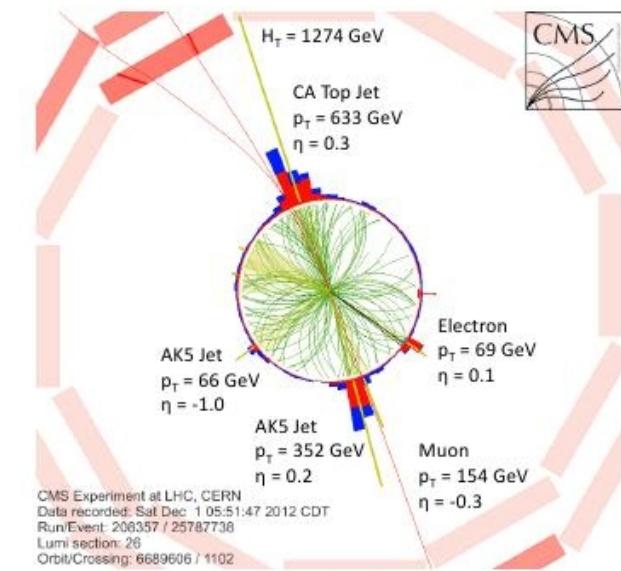
Exotic fermions (5 e/3)

CMS-B2G-12-012

(suited for bulk RS)



same sign dilepton

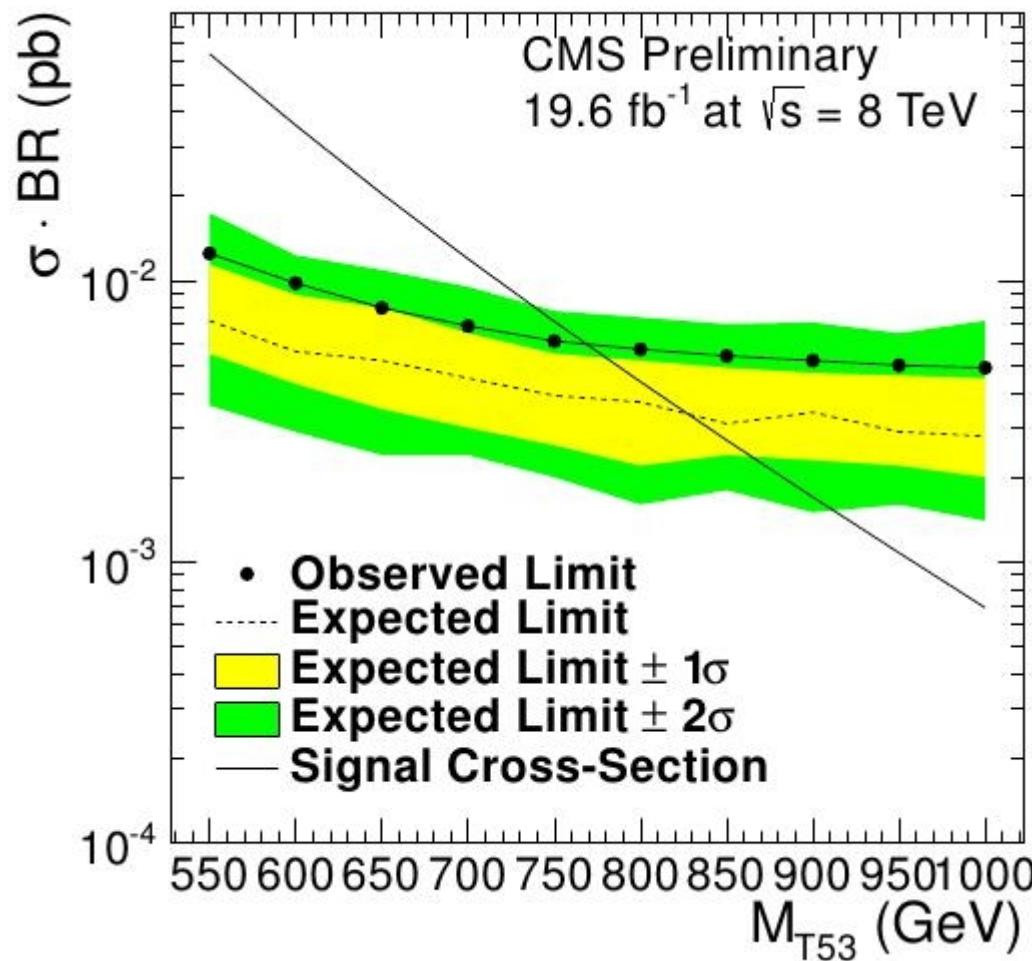


H_T = scalar sum of all jets and all leptons

Exotic fermions (5 e/3)

CMS-B2G-12-012

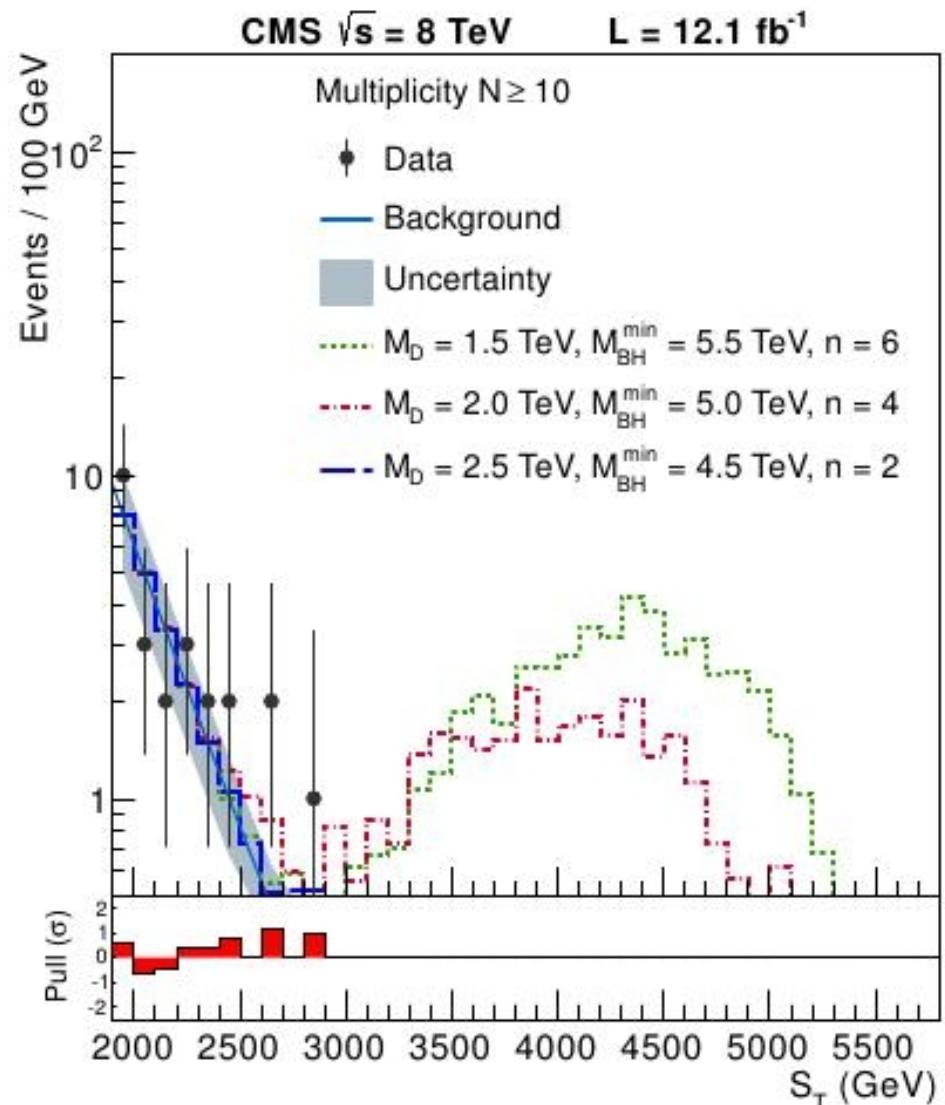
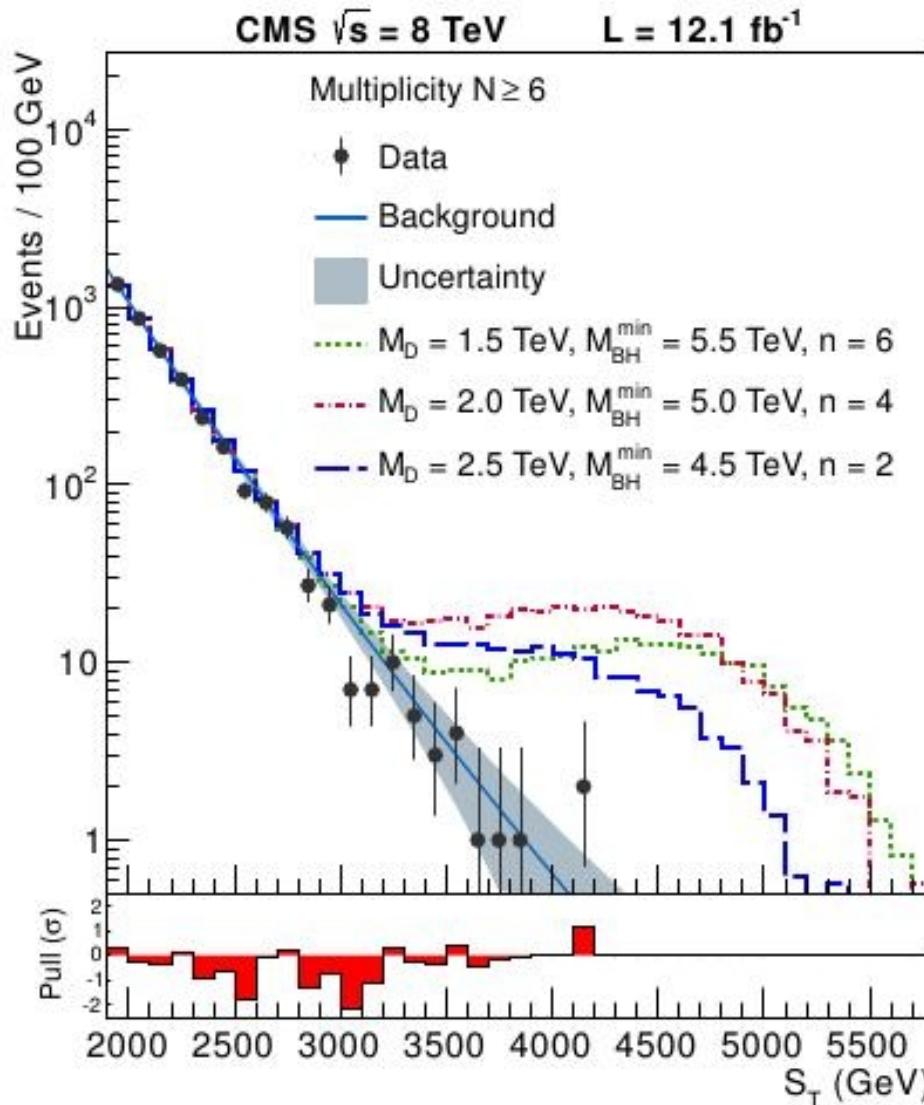
(bulk RS)



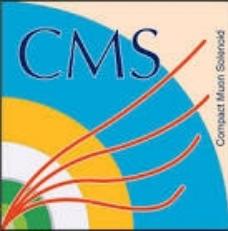
$M_{T_{5/3}} > 770$ GeV

black holes

CMS-EXO-12-009, arXiv:1303.5338, jhep 07 (2013) 158

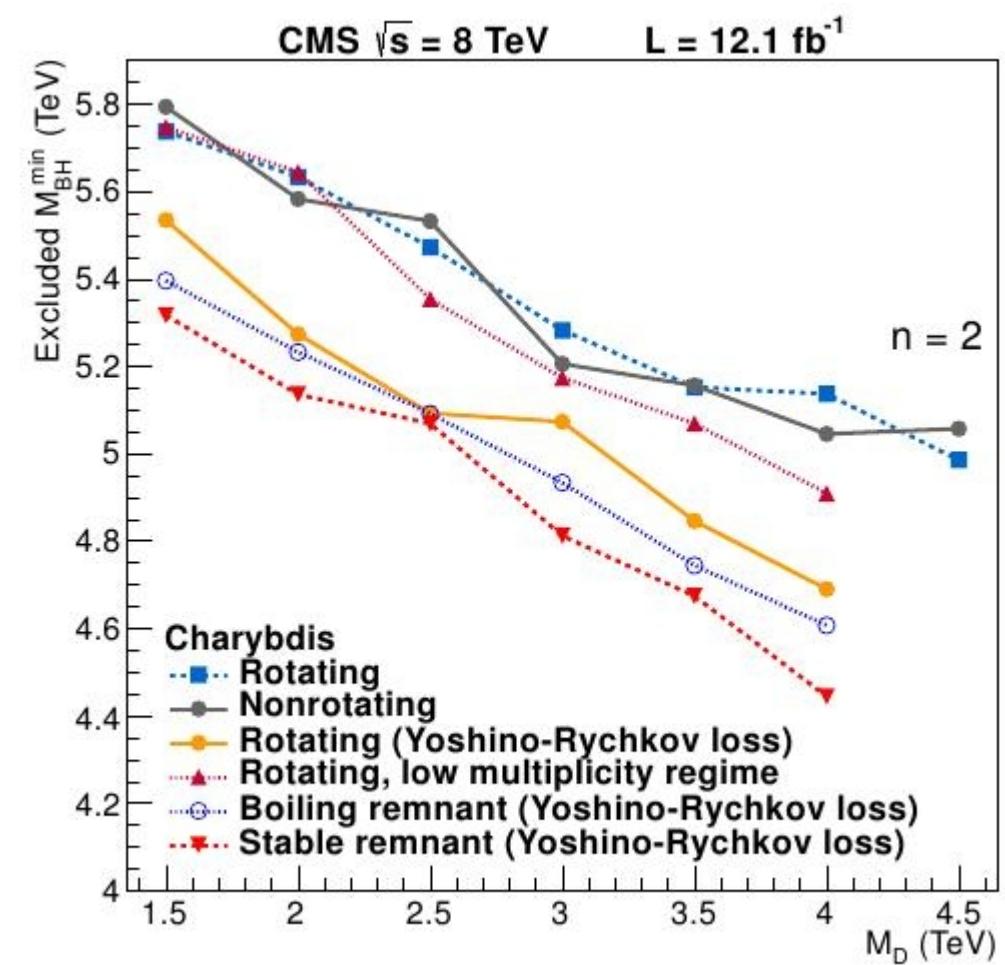
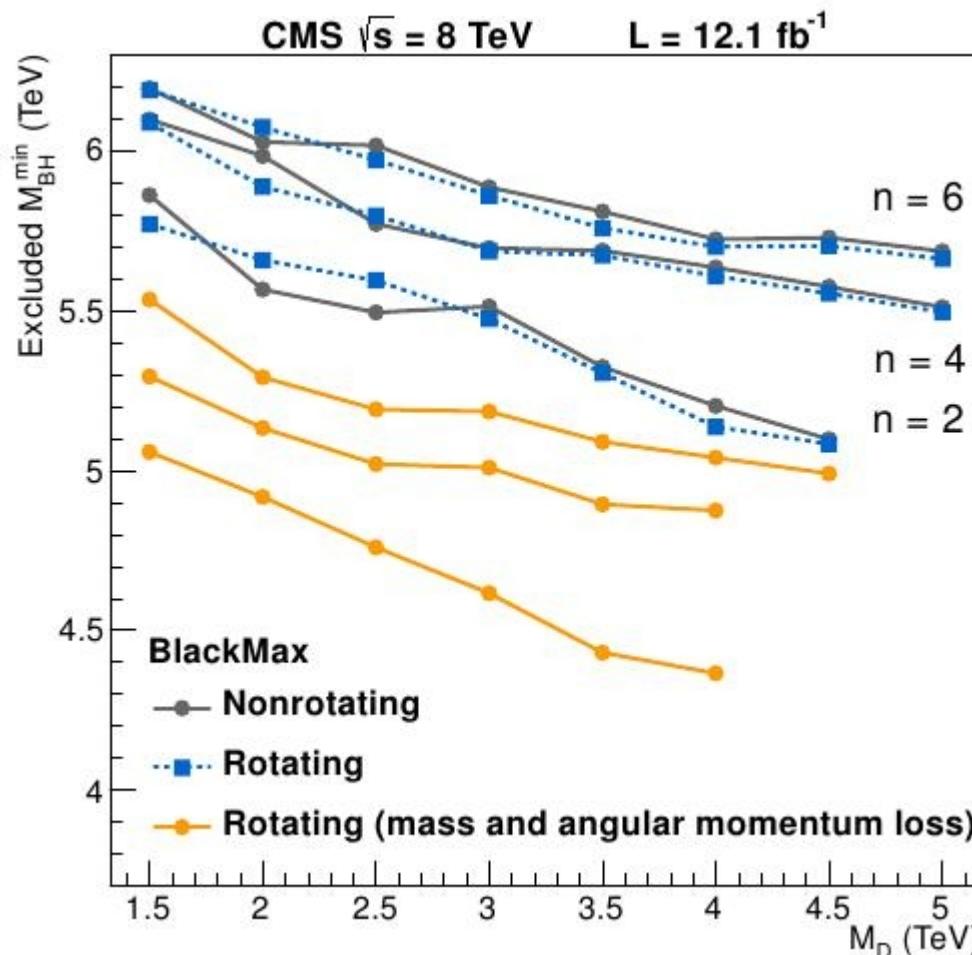


S_T = scalar sum of transverse energies of all final-state objects in the event
 (i.e. jets, leptons and photons)



black holes

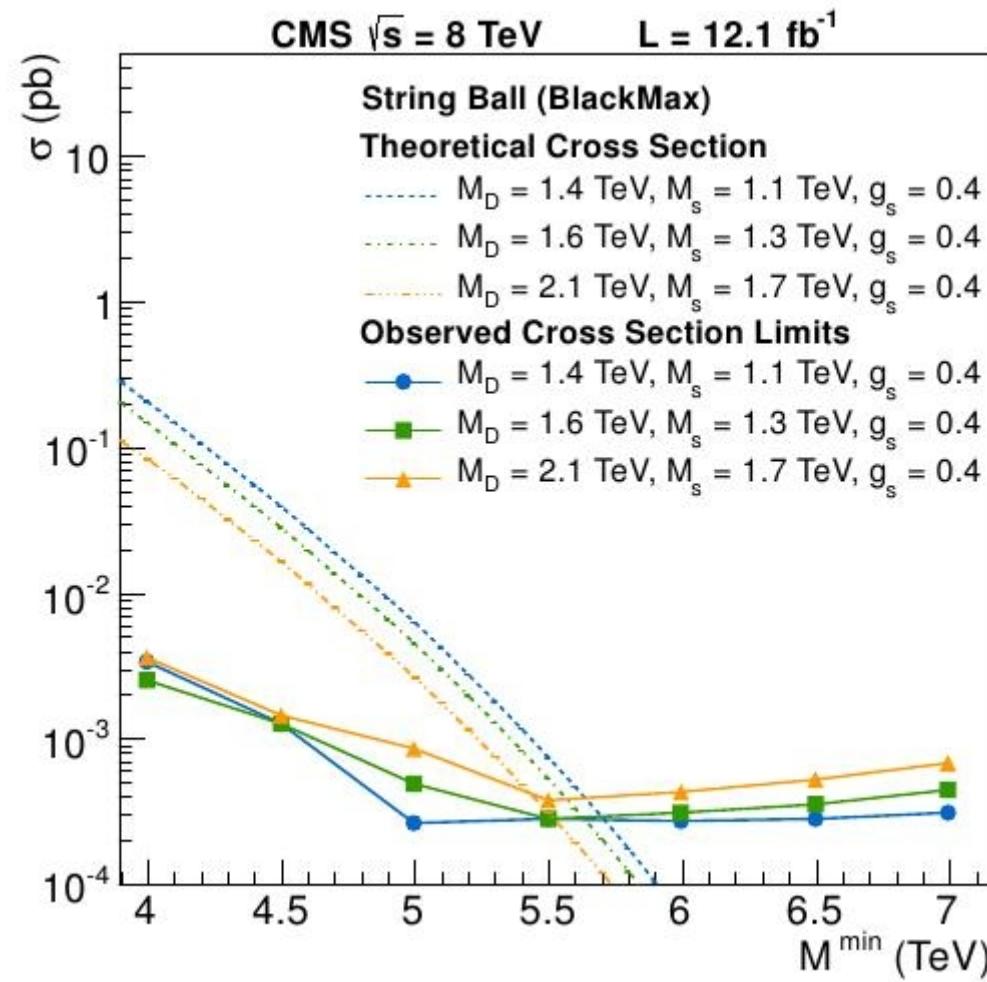
CMS-EXO-12-009, arXiv:1303.5338, jhep 07 (2013) 158

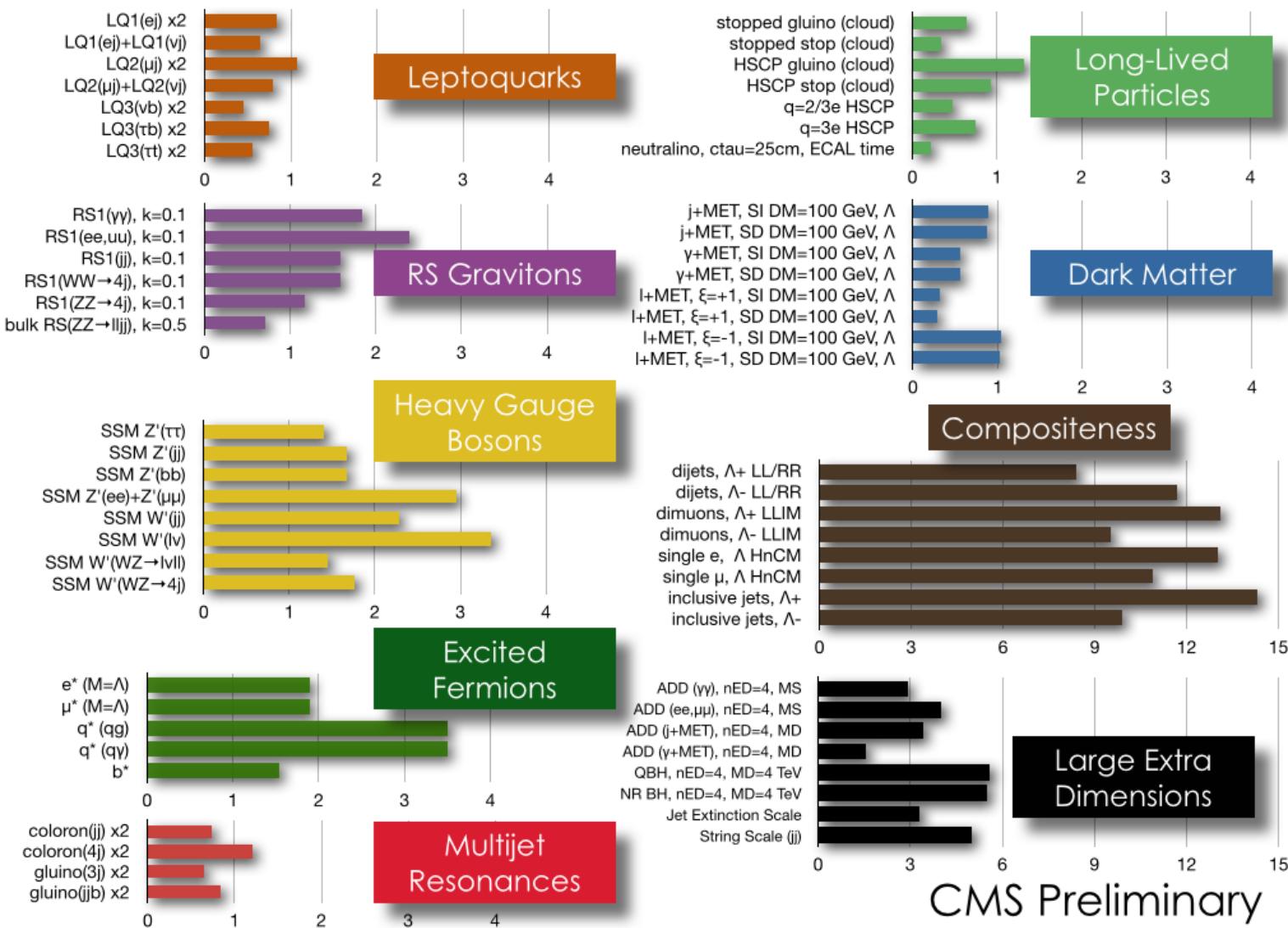


95 % CL lower limits on BH mass as a function of M_D
area below the curves are excluded

black holes

CMS-EXO-12-009, arXiv:1303.5338, jhep 07 (2013) 158





CMS Preliminary

CMS Exotica Physics Group Summary – March, 2014



Some projects at ILC



ADD direct



mono photon production

most sensitive

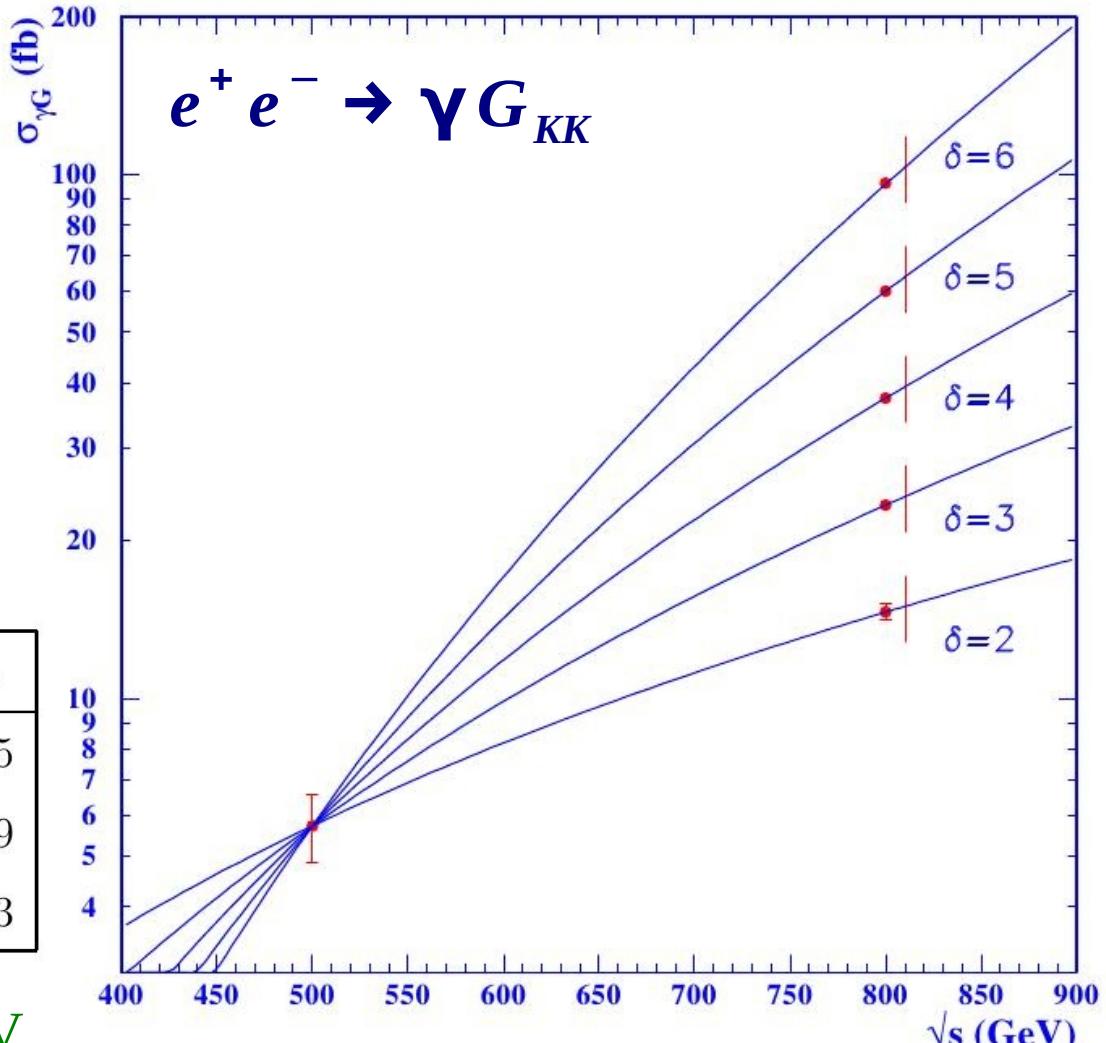
background from $e^+ e^- \rightarrow \nu \bar{\nu} \gamma$

(with dominant $W^+ W^-$ intermediate state)

measured directly by modifying
beam polarization

δ	2	3	4	5	6
$M_D(P_{-,+} = 0)$	5.9	4.4	3.5	2.9	2.5
$M_D(P_- = 0.8)$	8.3	5.8	4.4	3.5	2.9
$M_D(P_- = 0.8, P_+ = 0.6)$	10.4	6.9	5.1	4.0	3.3

sensitivity on M_D (TeV) at $\sqrt{s}=800$ GeV



signal cross section normalized to a common value at $\sqrt{s}=500$ GeV



ADD indirect



$$e^+ e^- \rightarrow f\bar{f}$$

angular distribution

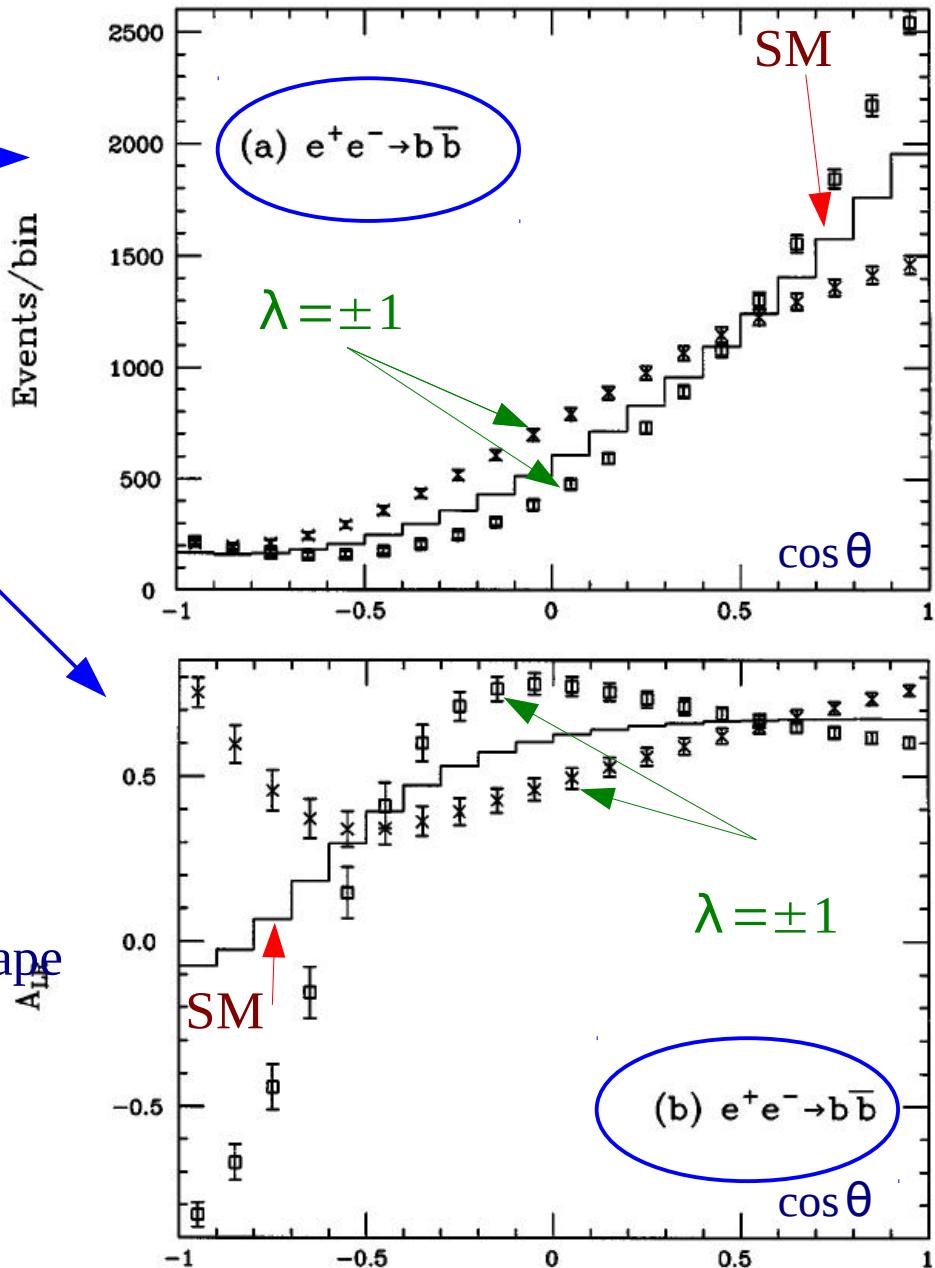
$\cos\theta$ dependent left-right asymmetry
(if polarized beams are available)

assuming : 60 % b-tagging efficiency

90 % electron beam polarization

75 fb^{-1} of integrated luminosity

KK graviton exchanges do not have the $1 + \cos^2\theta$ shape
that is typical of the SM or any spin-1 exchange





ADD indirect



summing over
 e, μ, τ, c, b, t final states
including τ polarization asymmetry

reaches in TeV on M_s

	\sqrt{s} (TeV)	\mathcal{L} (fb $^{-1}$)	$\lambda = \pm 1$
LEP II	0.195	2.5	1.1
Linear collider	0.5	75	3.4
	0.5	500	4.1
	1.0	200	6.6
Tevatron	1.8	0.11	0.99
	2.0	2	1.3
	2.0	30	1.7
LHC	14	10	5.2
	14	100	6.0



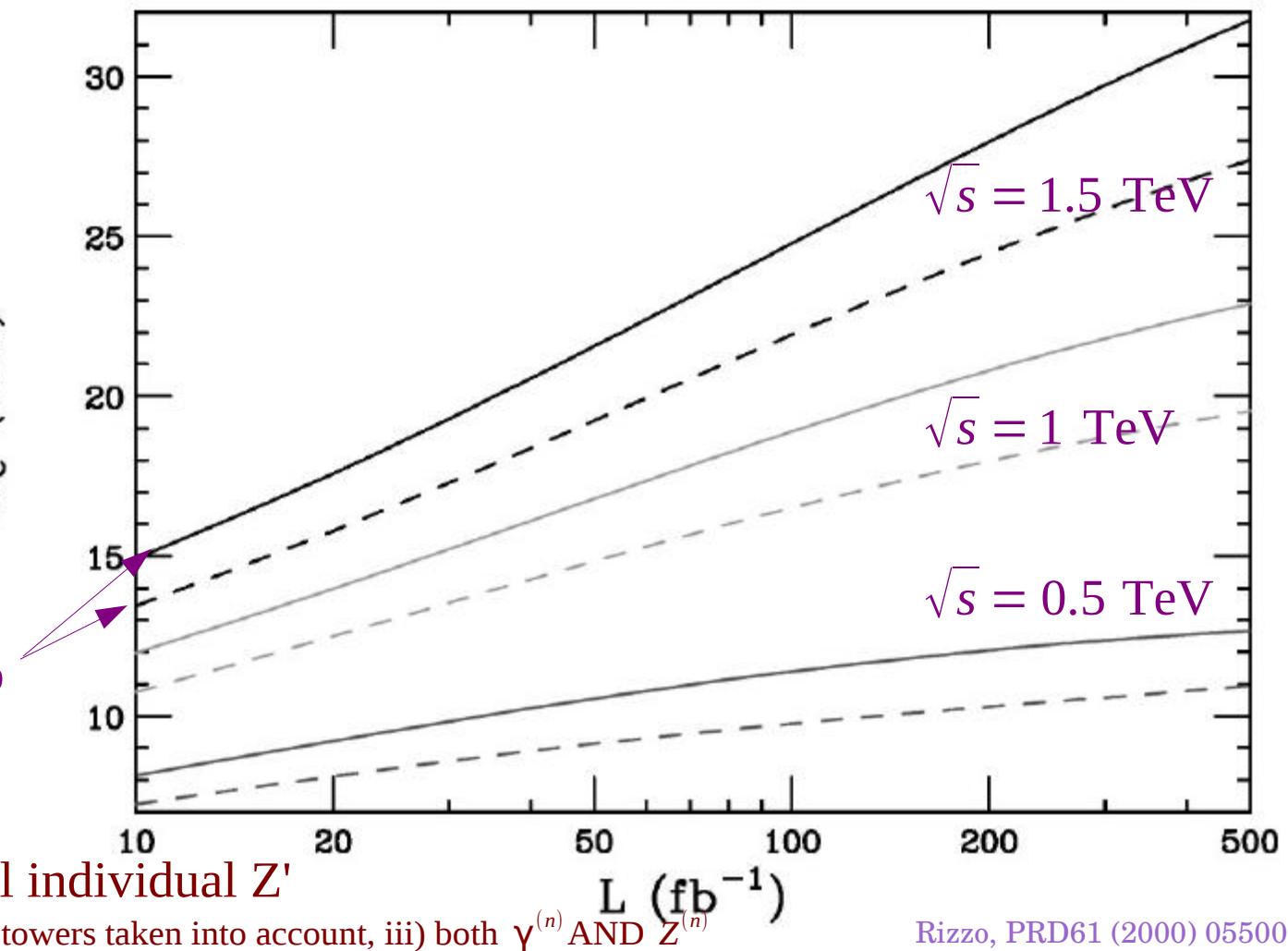
TeV-1 extra dimensions

most likely below resonance → indirect effect

combining angular distributions and A_{LR}^f measurements
using $f = e, \mu, \tau, b, c, t$ and assuming 90% beam polarization

reach in M_c (TeV) ($\propto \frac{1}{R_c}$)

with various coupling scenario



reach greater than conventional individual Z'

⇒ i) $\sqrt{2}$ coupling enhancement, ii) complete towers taken into account, iii) both $Y^{(n)}$ AND $Z^{(n)}$

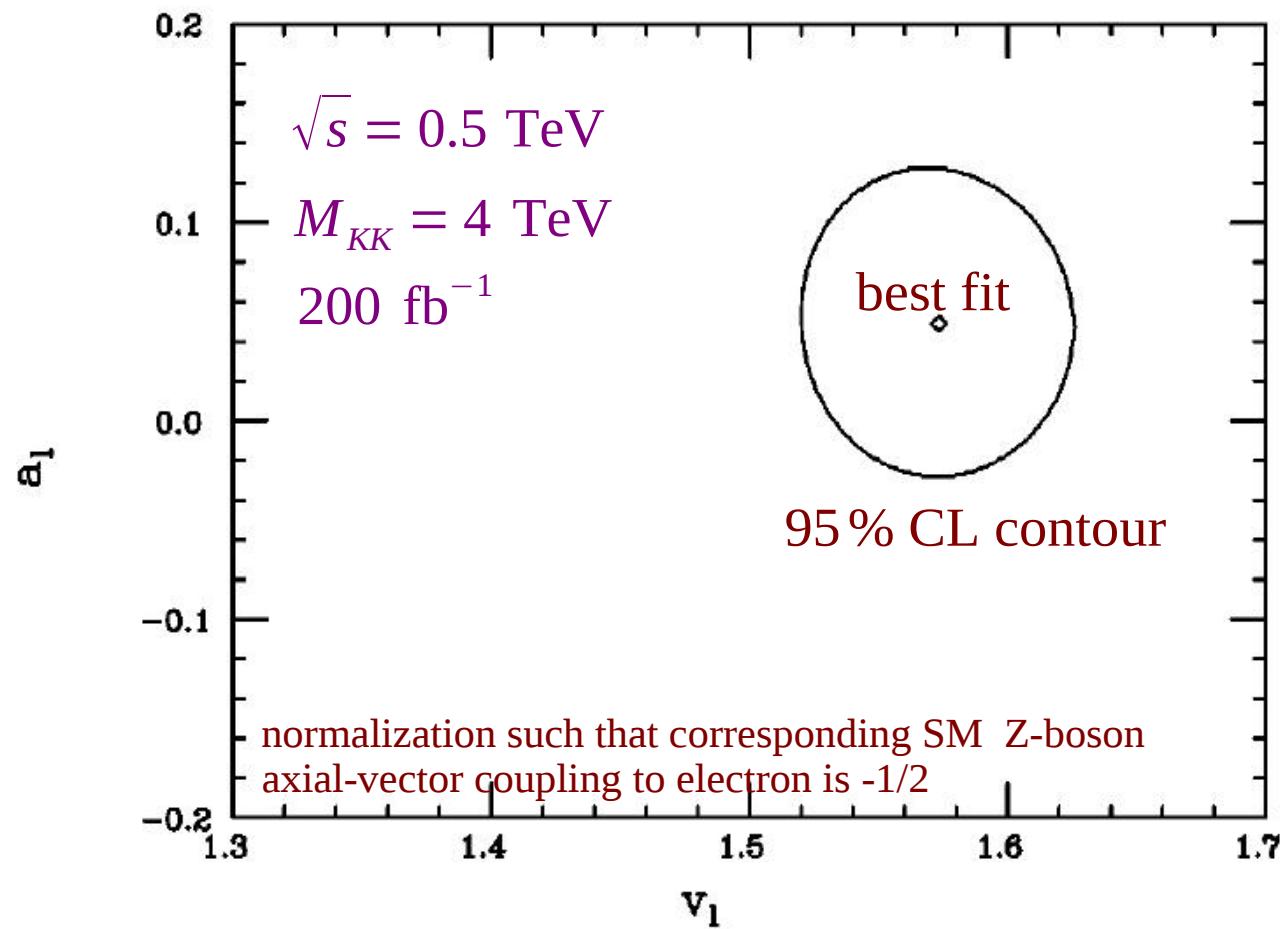


TeV-1 extra dimensions

if resonance mass is known from elsewhere (e.g. LHC)

⇒ couplings to fermions can be 'precisely' measured

for example using $A_{LR}^{f=e,\mu\tau}$



influence on KK states production $e^+ e^- \rightarrow \gamma G_{KK}$

stringy correction \rightarrow enhancement of rate for graviton emission processes (by a common factor)

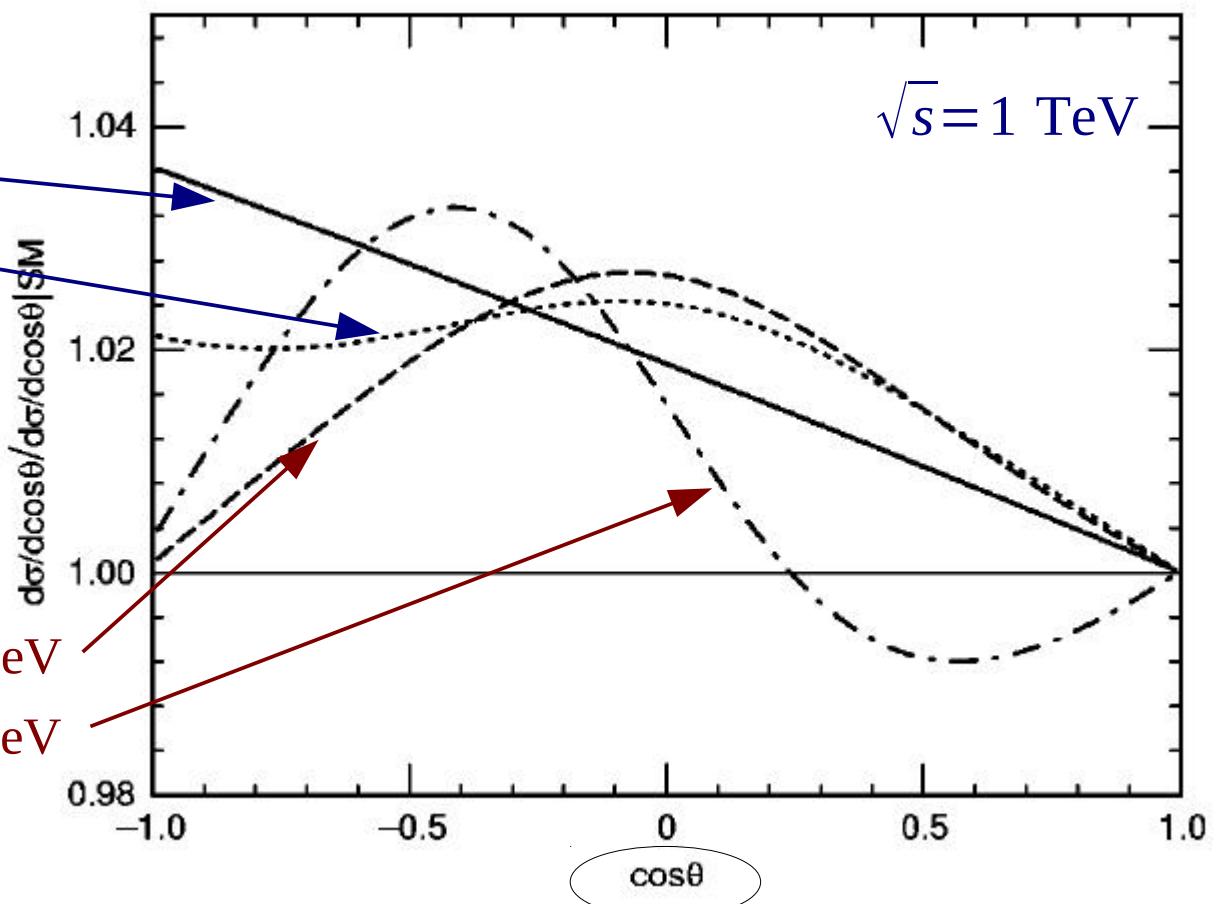
influence on Bhabha scattering $e^+ e^- \rightarrow e^+ e^-$

string states with $M_s = 3.1$ TeV

KK exchange with $M_{\text{Hewett}} = 6.2$ TeV

VV contact interactions with $\Lambda = 88$ TeV

AA contact interactions with $\Lambda = 62$ TeV

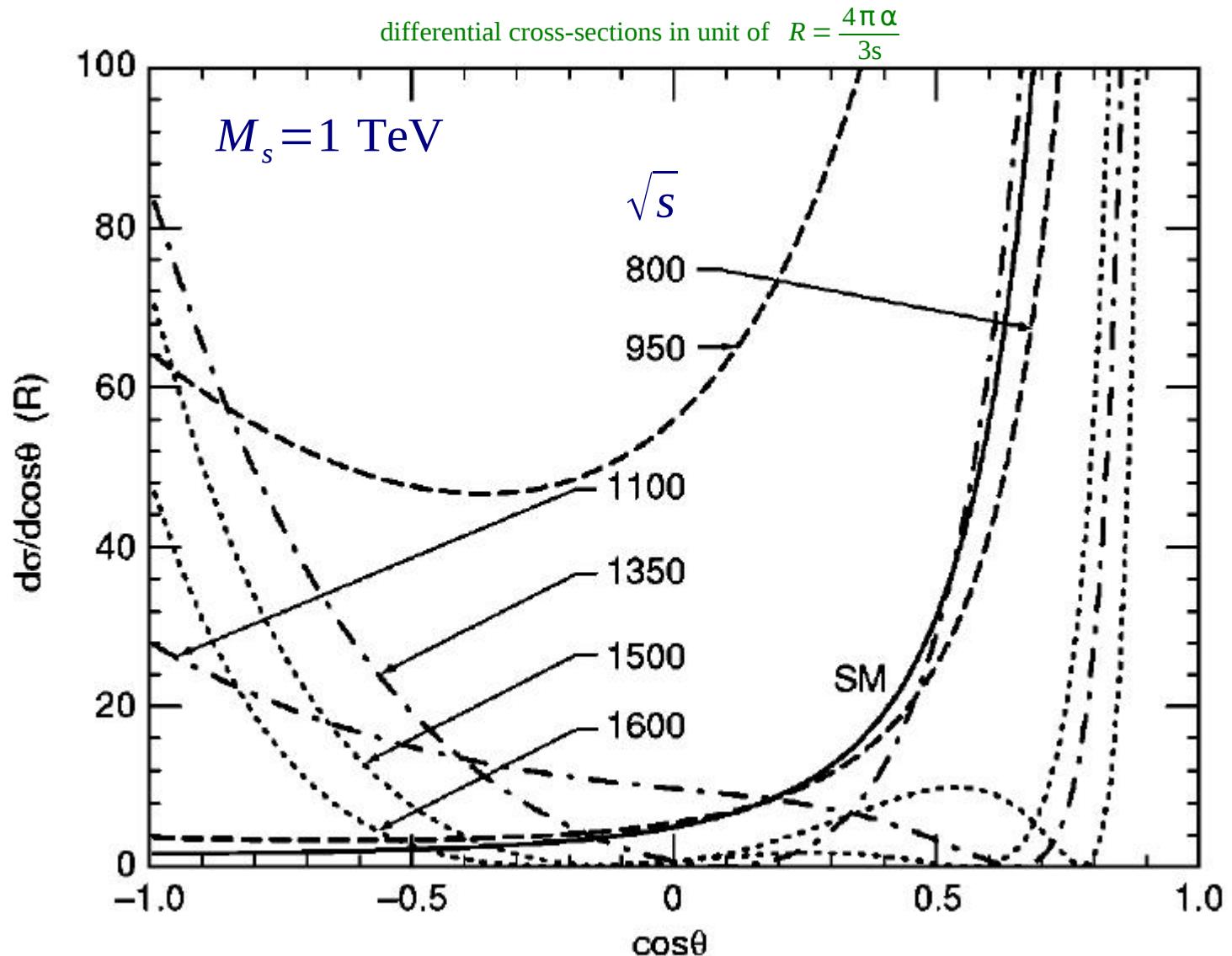




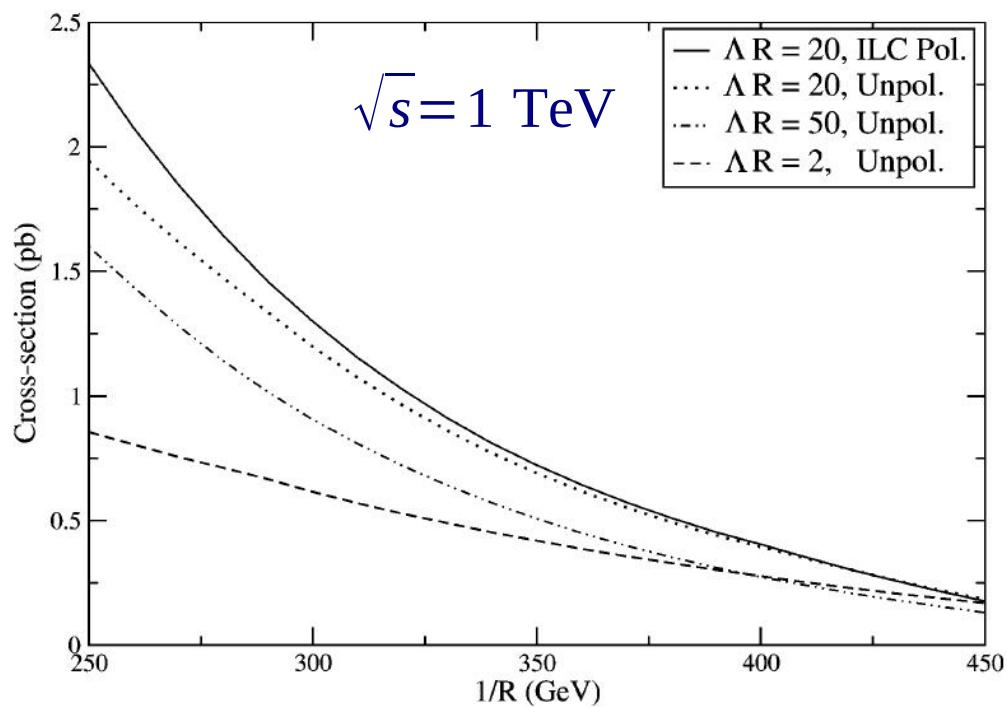
string states



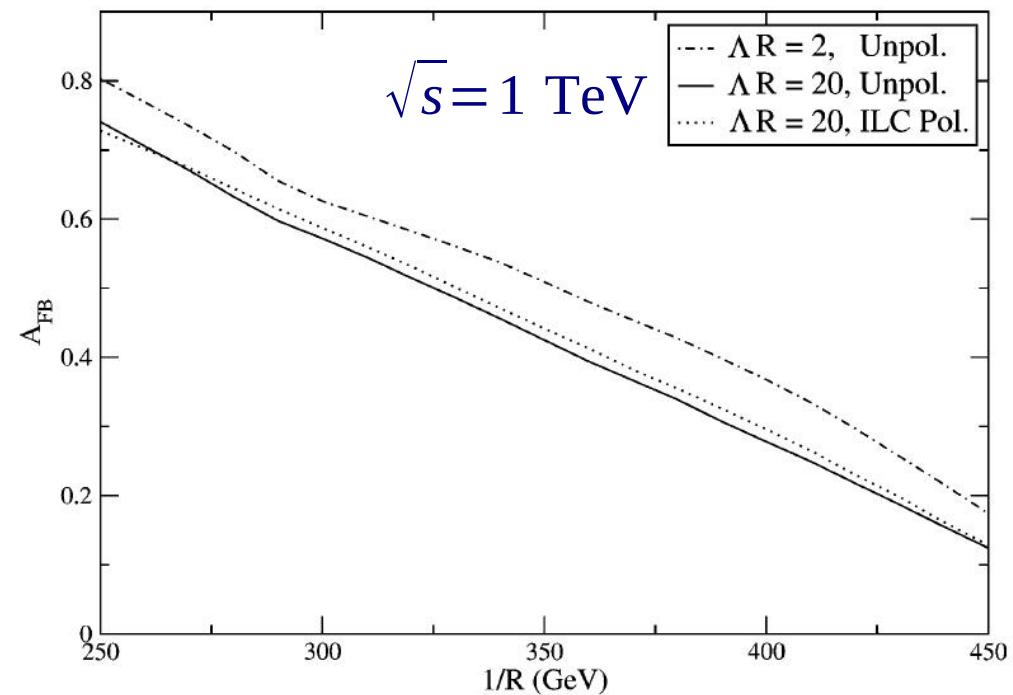
string states influence on Bhabha scattering $e^+ e^- \rightarrow e^+ e^-$



$e^+ e^- \rightarrow e_{KK}^{(1)+} e_{KK}^{(1)-} \rightarrow \gamma_{KK}^{(1)} e^+ \gamma_{KK}^{(1)} e^-$ i.e. $e^+ e^- + \text{MET}$ final state

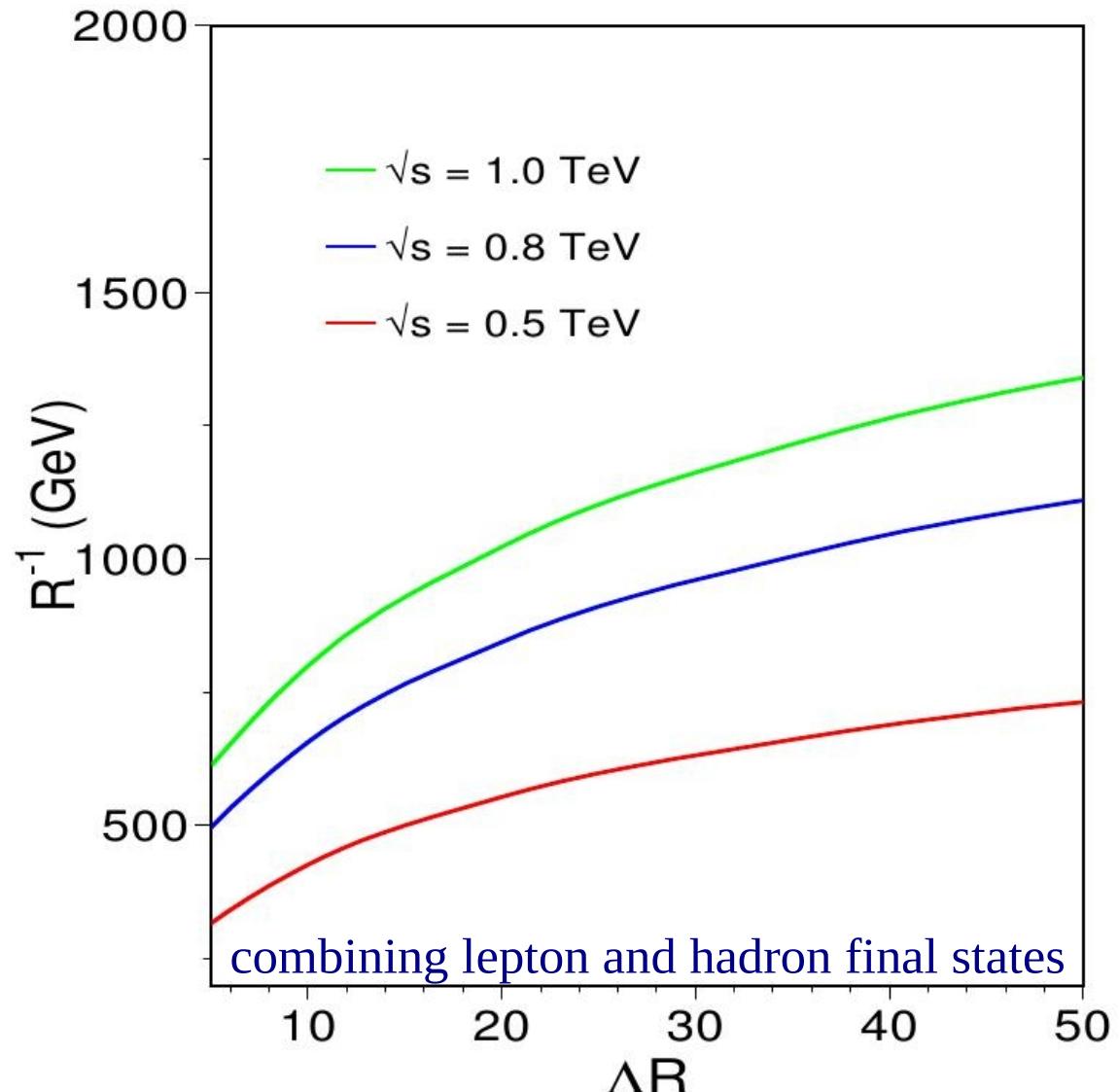


cross section as a function of $\frac{1}{R}$

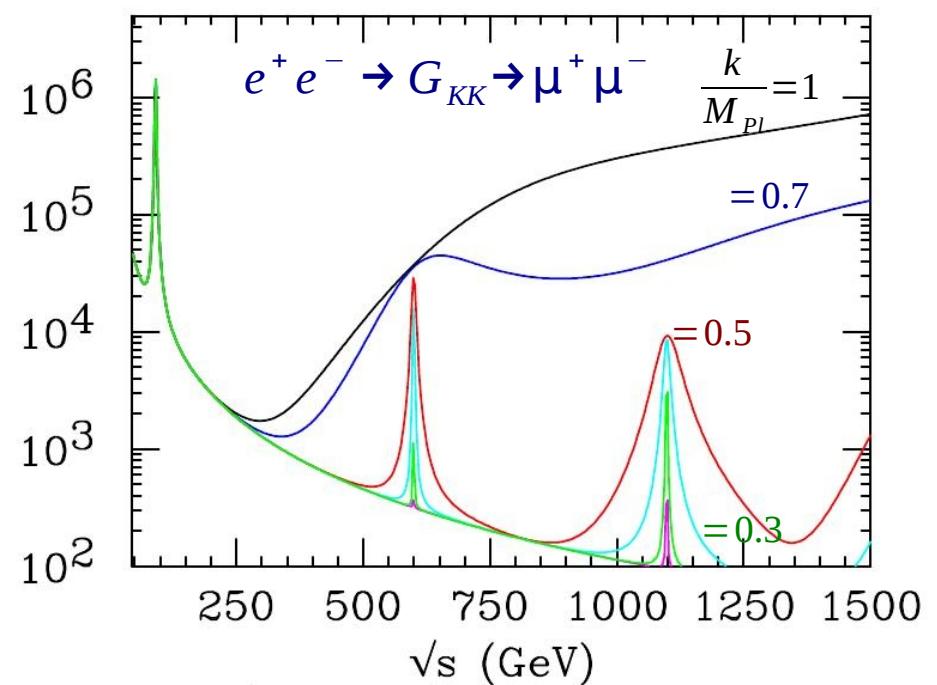
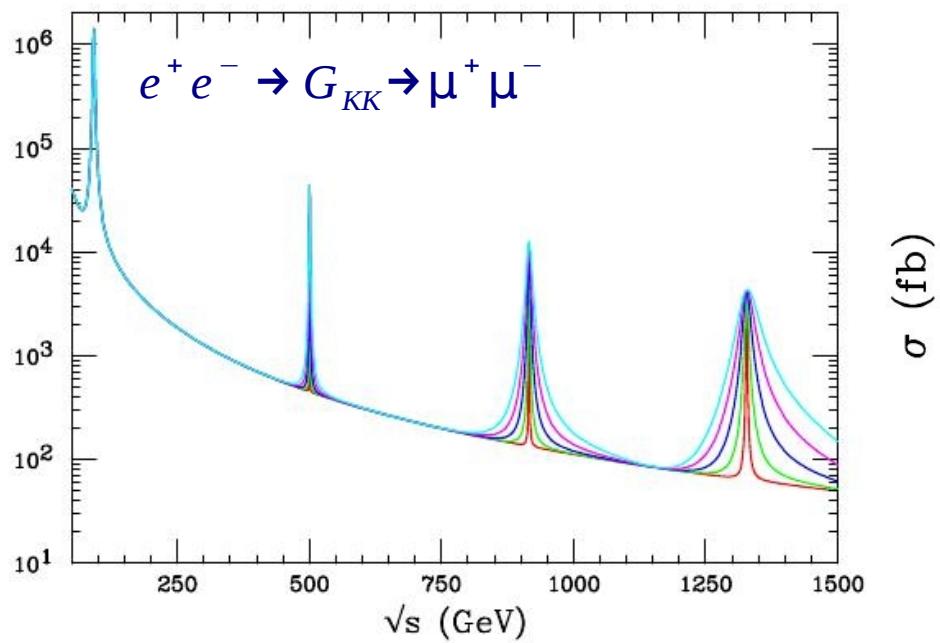


A_{FB} as a function of $\frac{1}{R}$

KK level 2 gauge boson exchange in $e^+ e^- \rightarrow f \bar{f}$ with KK-number violating coupling



RS approaches



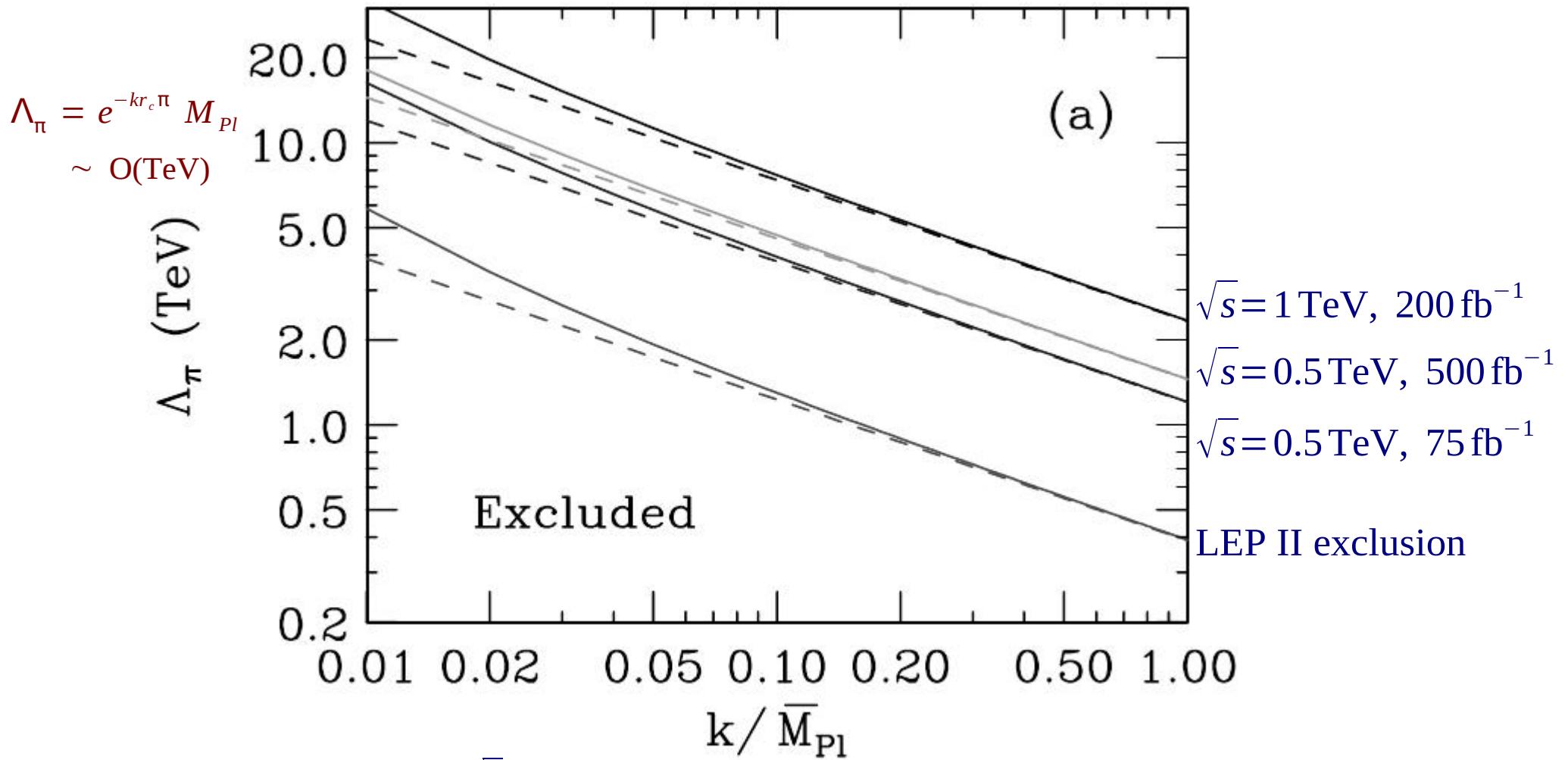
indirect effect if below resonance

RS approaches



sensitivity via virtual effects

from angular distributions, using (when applicable)
 e, μ, τ, c, b, t and 90% beam polarization

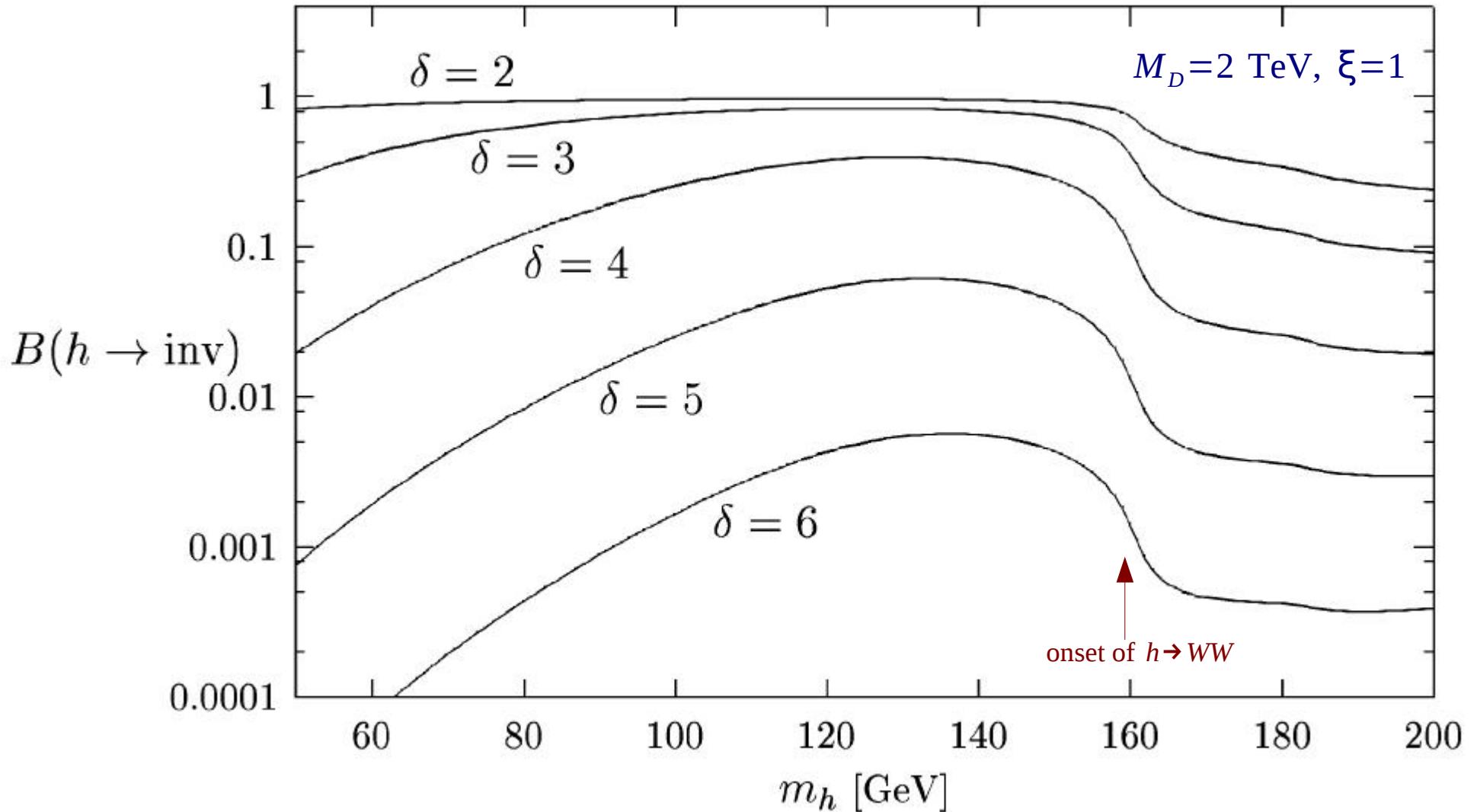


dashed curves : $M_{G_{KK}} \gg \sqrt{s}$

solid curves : 2 first excitations close to \sqrt{s}

Higgs-graviscalars mixing

Higgs-graviscalars (only 1 in RS i.e. the radion) mixing and invisible Higgs decay



Giudice, Rattazzi, Wells, NPB 595 (2001) 250

see also Kubota, Nojiri, arXiv:1404.3013



summary

- present constraints from LHC8 and future constraints (discovery ?)
from LHC13 have (will have) profound impact on the searches for
for extra dimension at ILC
- few room left for direct searches at ILC
polarization is very important in the few applicable cases
- ILC with polarization is good at measurements of indirect effects
(ADD, TEV-1, RS)
- precision measurements of Higgs invisible width very important per se
to explore some extra dimensions scenarii

BACKUP

Extra dimensions phenomenology

K .R. Dienes, TASI lectures 2002

C. Csaki, TASI lectures 2002, hep-ph/0404096

A. Muck, diplomarbeit, 2001

Pioneering articles of (see specific references later on) :

I. Antoniadis, N. Arkani-Hamed, S. Dimopoulos, G. Dvali

R.K. Dienes, E. Dudas, T. Ghergetta

I. Antoniadis, K. Benakli, M. Quiros

L. Randall, R. Sundrum

W.D. Goldberger, M.B. Wise

T. Appelquist H.S. Cheng, B.A. Dobrescu

G.F. Giudice, R. Rattazzi, J.D. Wells NPB 544 (1999)

M.B. arXiv1005.2755, Acta Phys. Polon. B36 (2005) 3487 and CR phys. 4 (2003) 319

and references therein !

Some historical milestones

- 1914 G. Nordström : Maxwell equations in 5D recovering 4D EM + gravity
- 1915 A. Einstein, D. Hilbert : general relativity (GR) in 4D
- 1918 H. Weyl : attempt to use its geometrical formulation to unify EM and gravity leading to the gauge invariance concept
- 1919-1921 T. Kaluza : Einstein-Hilbert theory in 5D
 - leading to Maxwell-Einstein theory
- 1926 O. Klein : Schrödinger equation in a 5D framework
- 1938 P. Bergmann, A. Einstein : emphasize the link between compactification and (abelian) gauge symmetry
- 1938 O. Klein : Einstein-Hilbert theory in more than 5D
 - leading to the notion of non abelian gauge symmetry (Yang Mills 1954)

extra dimensions linked to the concept of unification of forces (gravity and EM) from the beginning

even more so in the context of supersymmetry, supergravity and superstrings

Some historical milestones

- 1971-1974 P. Ramond (2D), A. Neveu, J. Gervais, B. Sakita, L. Susskind and Y. Golfand, E. Likhtman, D. Volkov, A. Akulov and then J. Wess, B Zumino, P. Fayet, **beginning of supersymmetry**
(see also W. Heisenberg, L. Okun, R.M. Weiner in the 60's)
- 1974 J. Scherk, J. Schwarz, **beginning of string theories** for the description of the gravitational interaction
(see also G. Veneziano 1968)
- 1976 V. A. Soroka, S. Deser, D.Z. Freedman, S. Ferrara, P. Van Nieuwenhuizen, B Zumino, **beginning of supergravity**
- 1978 E. Cremmer, B. Julia, J. Scherk, **11D supergravity**
- 1974-1984 26D **strings** and 10D **superstrings** developments
(type I and type Iia and IIb)
- 1984 10D **heterotic superstrings** ($\text{SO}(32)$ and $E8 \times E8$)
 5 known 10D superstrings theories in total

Some historical milestones

- 1990 I. Antoniadis : possible **extra dimensions at TeV scales**
from consideratioins on superstrings in the non perturbative regime and supersymmetry breaking)
- 1995 C.M. Hull, P.K. Townsend M. J. Duff, E. Witten, J. Dai, R.G. Leigh, J. Polchinski C. Bachas,
dualities (T-Duality het SO(32)/het E8xE8, S-Duality type I/het SO(32)) and **branes** (D-brane for type I and type II)
- 1996 E. Witten from duality arguments string scale not fixed at the Planck mass anymore but arbitrary (1 order of magnitude lower)
- 1996 P. Horava and E. Witten, Horava-Witten theory
(11D bulk and 2 10D branes addressing susy breaking issues i.e. susy broken in one brane and transmitted to the other brane via bulk)
- 1996 J. Lykken : if string (fundamental) scale is arbitrary why not push it down to TeV values 10D
- 1998 renewal of the idea of extra dimensions at TeV scale for low energy phenomenological purposes then for more

ADD direct searches

G.F. Giudice et al. / Nuclear Physics B 544 (1999) 3–38

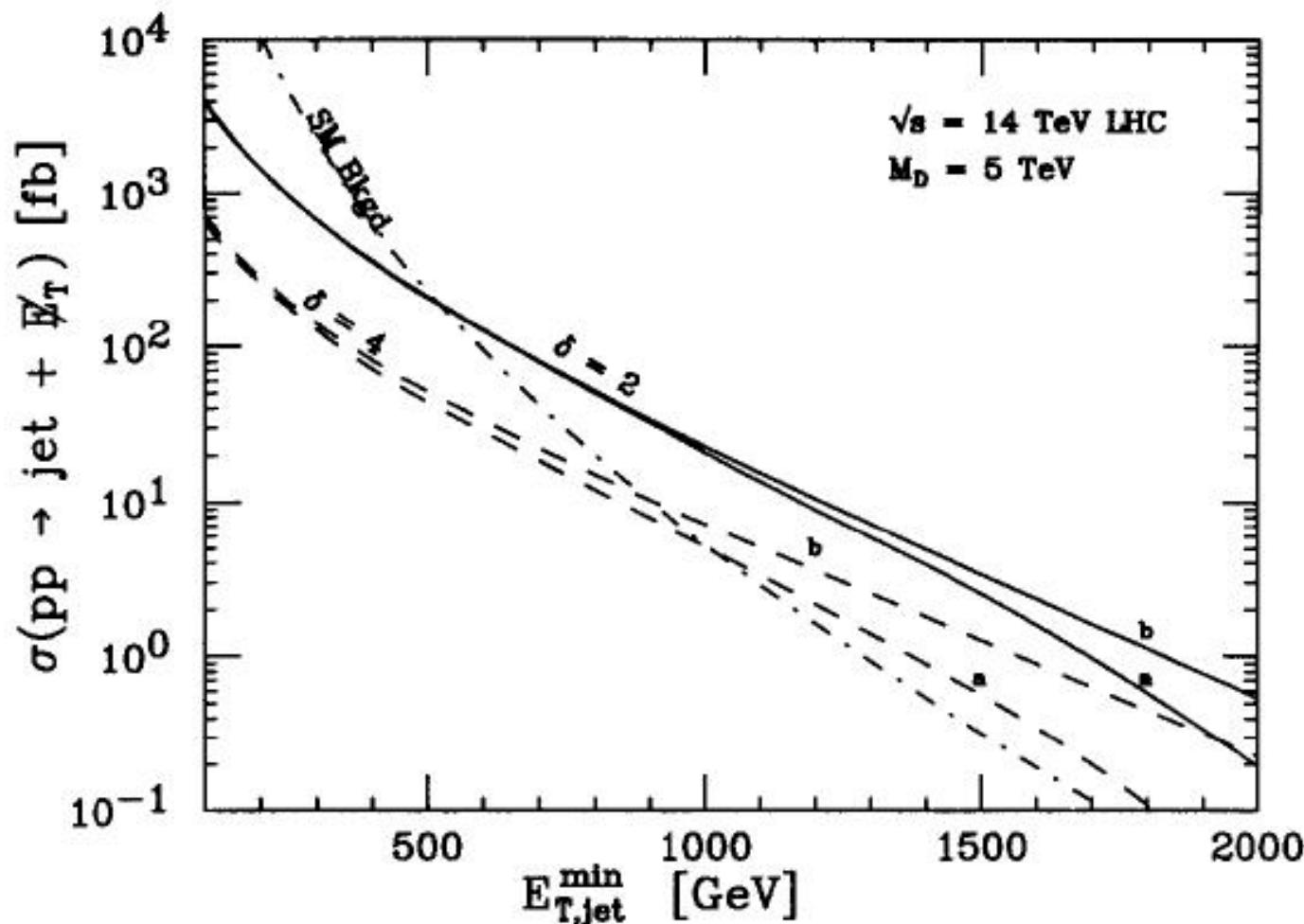


Fig. 3. The total jet + nothing cross section at the LHC integrated for all $E_{T,\text{jet}} > E_{T,\text{jet}}^{\text{min}}$ with the requirement that $|\eta_{\text{jet}}| < 3.0$. The Standard Model background is the dash-dotted line, and the signal is plotted as solid and dashed lines for fixed $M_D = 5 \text{ TeV}$ with $\delta = 2$ and 4 extra dimensions. The **a** (**b**) lines are constructed by integrating the cross section over $\hat{s} < M_D^2$ (all \hat{s}).

ADD direct searches

G.F. Giudice et al. / Nuclear Physics B 544 (1999) 3–38

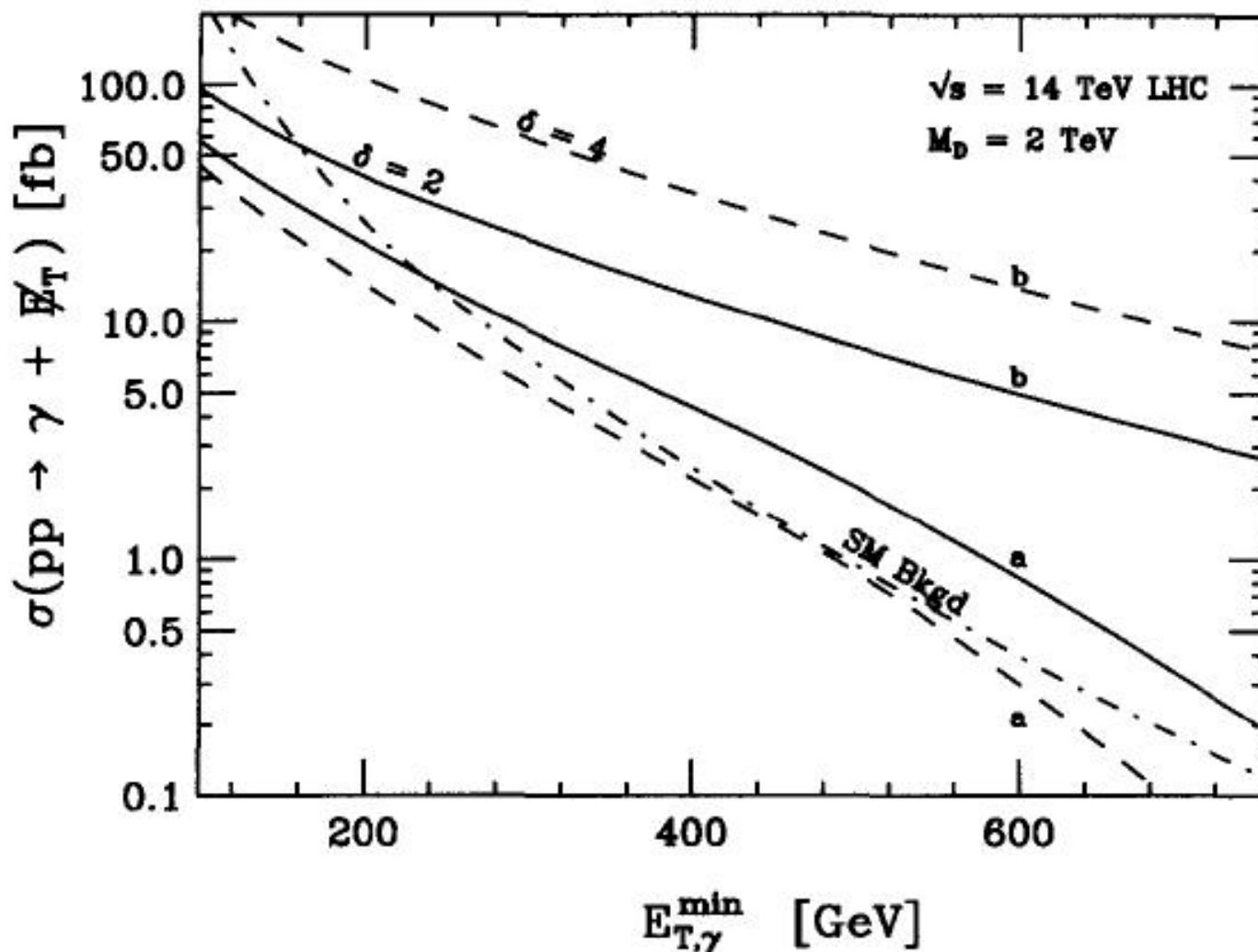


Fig. 5. The total $\gamma + \text{nothing}$ cross section at the LHC integrated for all $E_{T,\gamma} > E_{T,\gamma}^{\min}$ with the requirement that $|\eta_\gamma| < 2.5$. The Standard Model background is the dash-dotted line, and the signal is plotted as solid and dashed lines for fixed $M_D = 2 \text{ TeV}$ with $\delta = 2$ and 4 extra dimensions. The **a** (**b**) lines are constructed by integrating the cross section over $\hat{s} < M_D^2$ (all \hat{s}).

ADD direct searches

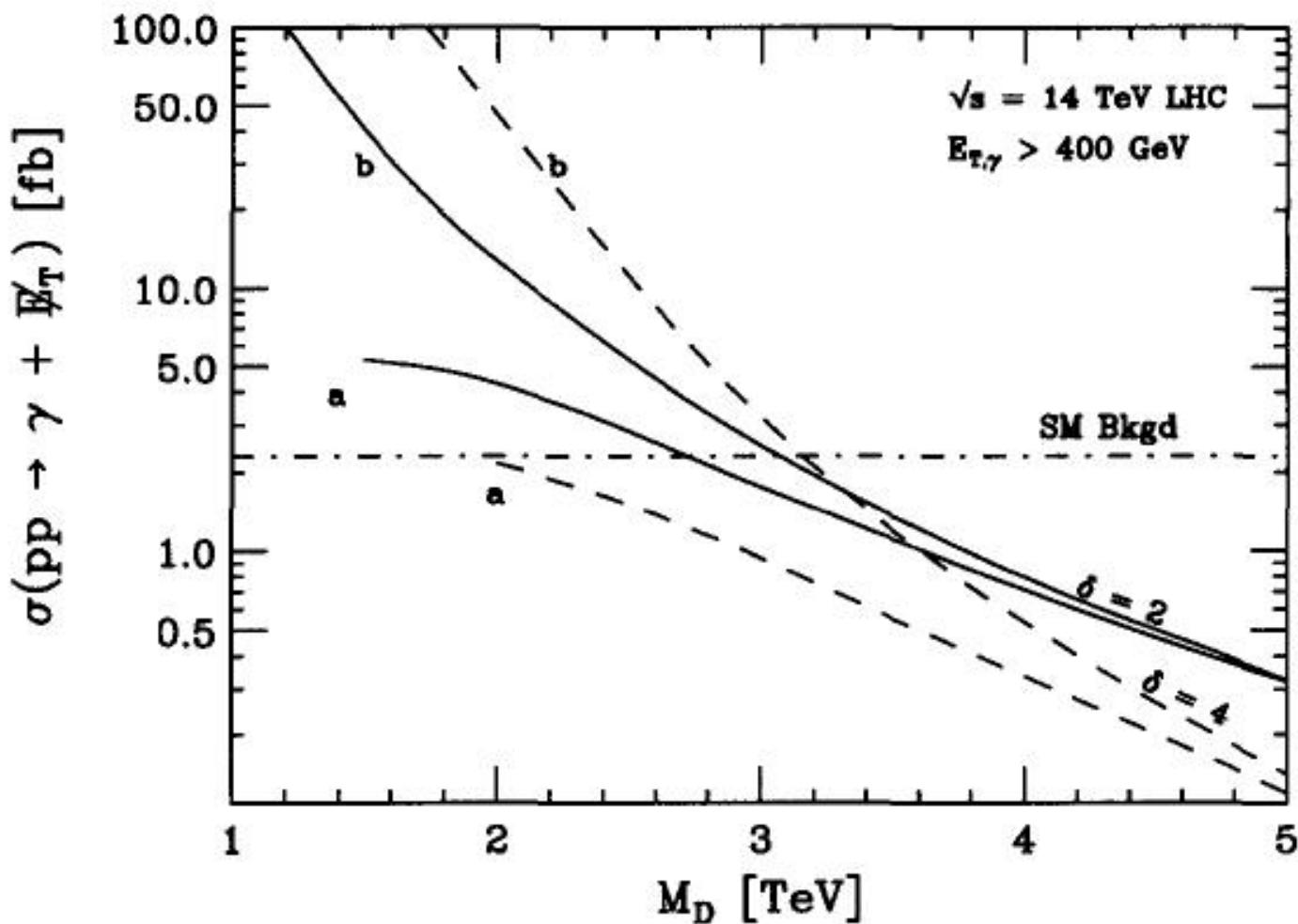


Fig. 6. The total $\gamma + \text{nothing}$ cross section versus M_D at the LHC integrated for all $E_{T,\gamma} > 400 \text{ GeV}$ with the requirement that $|\eta_\gamma| < 2.5$. The Standard Model background is the dash-dotted line, and the signal is plotted as solid lines for $\delta = 2$ and 4 extra dimensions. The **a** (**b**) lines are constructed by integrating the cross section over $\hat{s} < M_D^2$ (all \hat{s}).

ADD indirect searches

G.F. Giudice et al. / Nuclear Physics B 544 (1999) 3–38

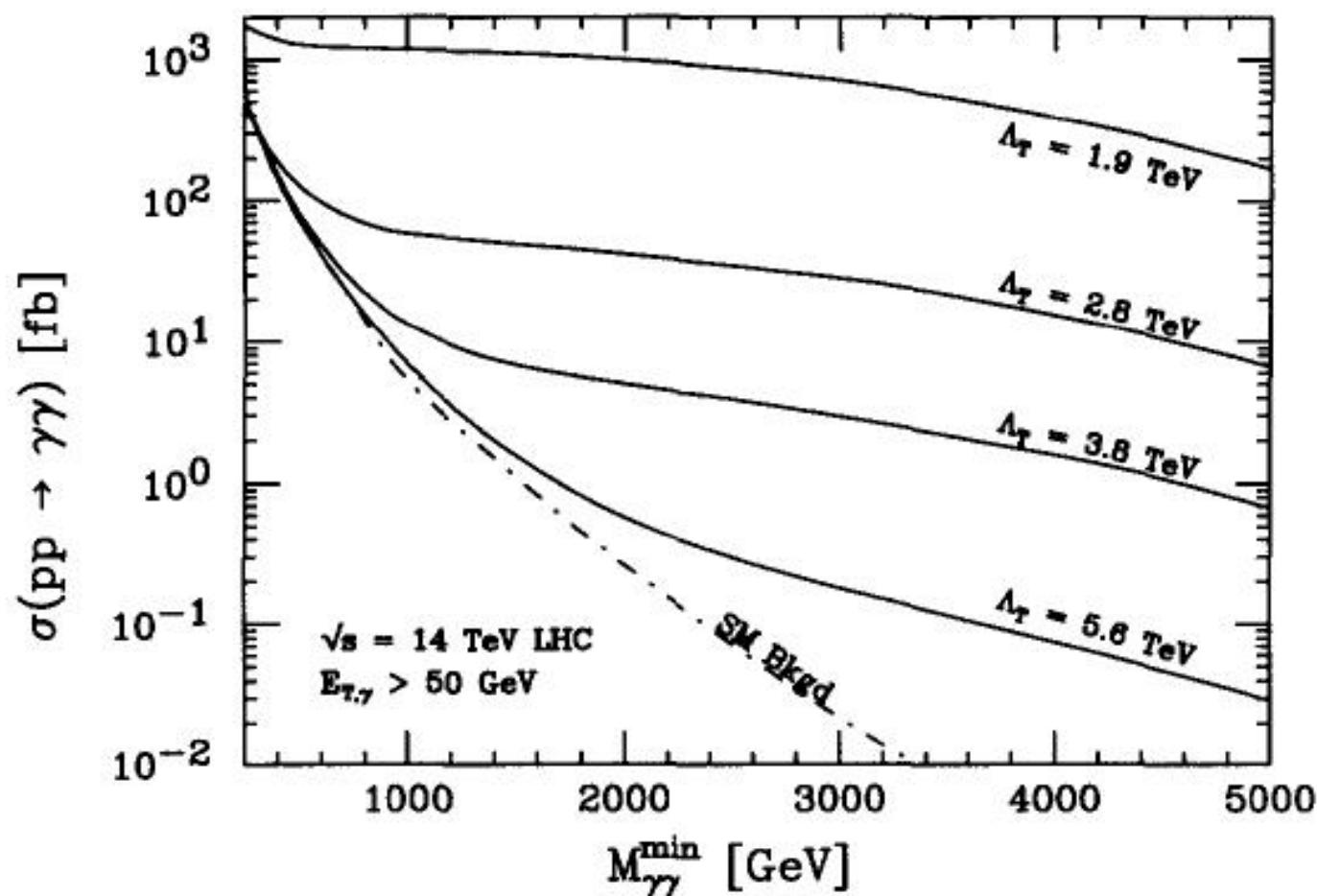


Fig. 10. The total cross section for $pp \rightarrow \gamma\gamma$ integrated for $\sqrt{\hat{s}} > M_{\gamma\gamma}^{\text{min}}$ with the requirement that $E_{T,\gamma} > 50 \text{ GeV}$ and $|\eta_\gamma| < 2.5$ for each photon. The dashed line is the Standard Model background and the solid lines are the total cross sections for various values of Λ_T .

discriminating mUED w.r.t SUSY ?

KK gauge bosons offer good prospects

prospects to discover level 2 structure

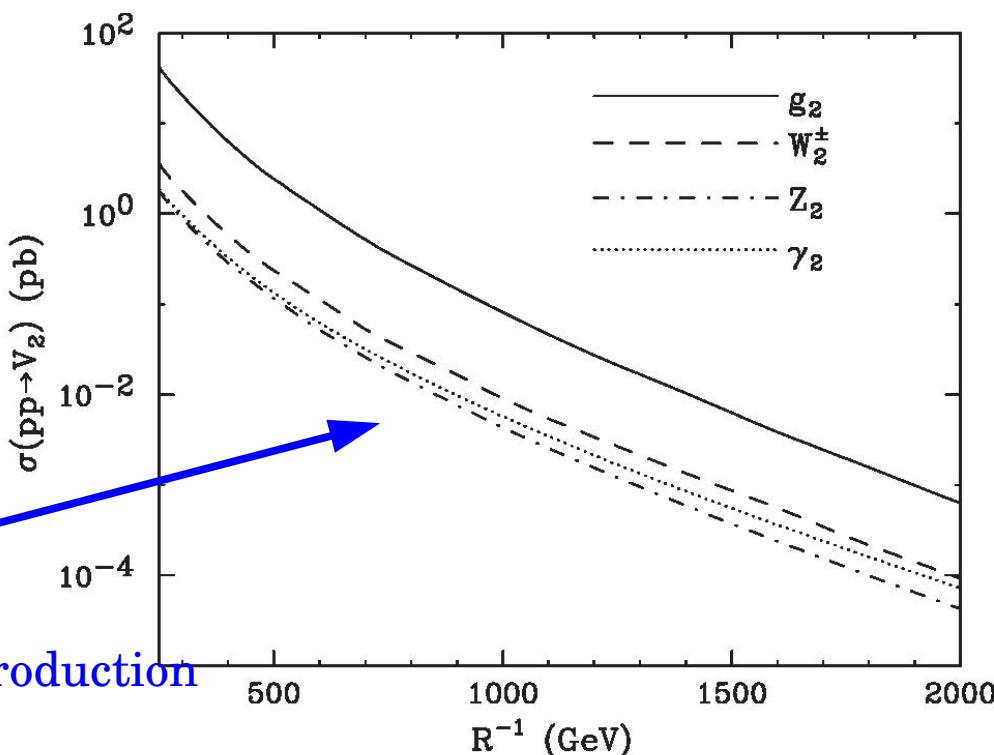
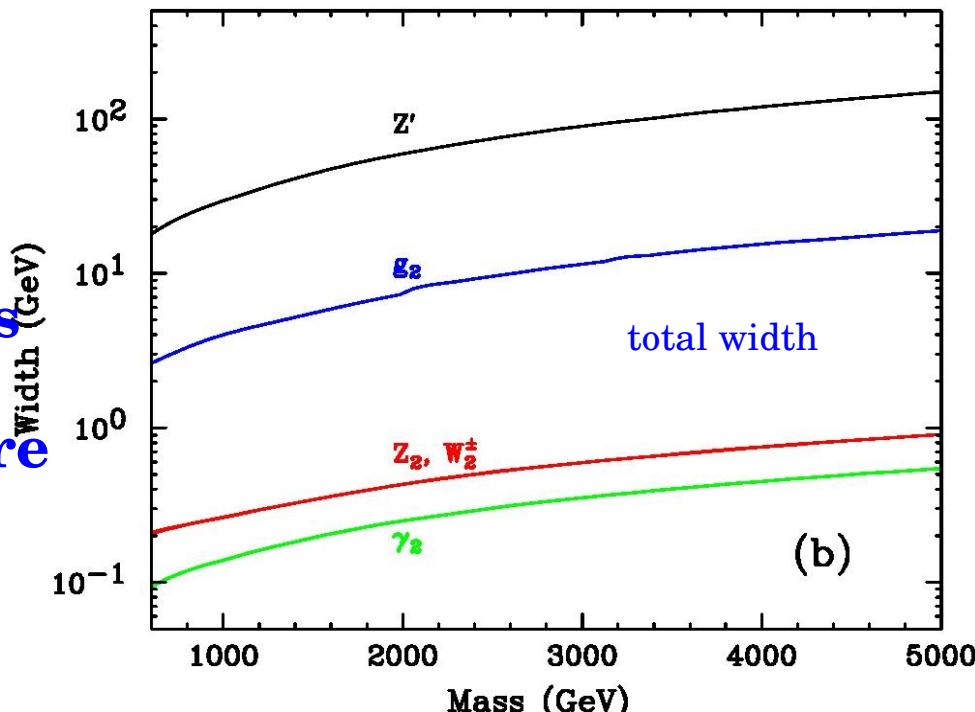
KK number conservating interactions
(and KK-parity conserved) allows for

$$V_2 \rightarrow f_1 \bar{f}_1 \text{ or } V_2 \rightarrow f_2 \bar{f}_0 = f_2 \bar{f}_{SM}$$

**level 2 KK gauge bosons have also
KK number violating interaction
allowing for** $V_2 \rightarrow f_0 \bar{f}_0 = f_{SM} \bar{f}_{SM}$

i.e. single production

kinematically not suppressed w.r.t pair production

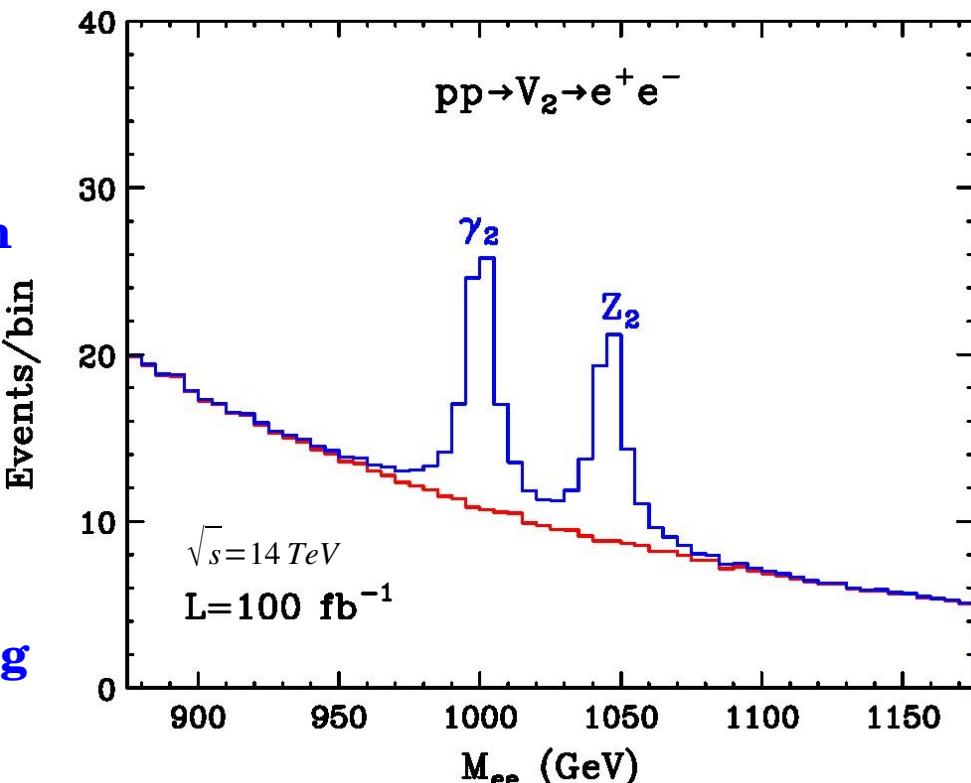
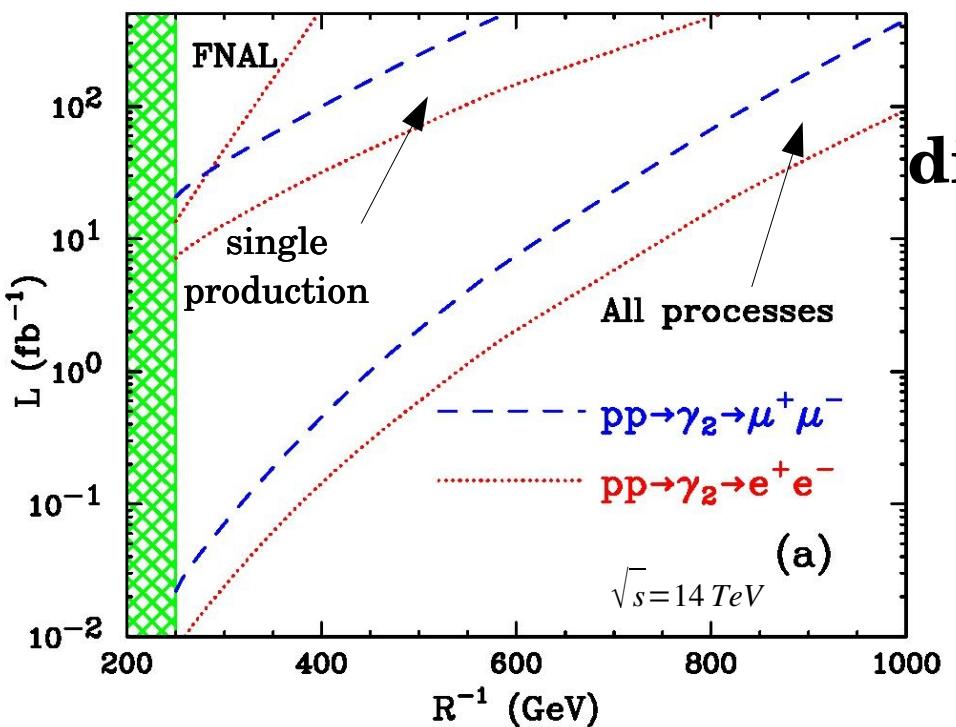


mUED w.r.t SUSY ?

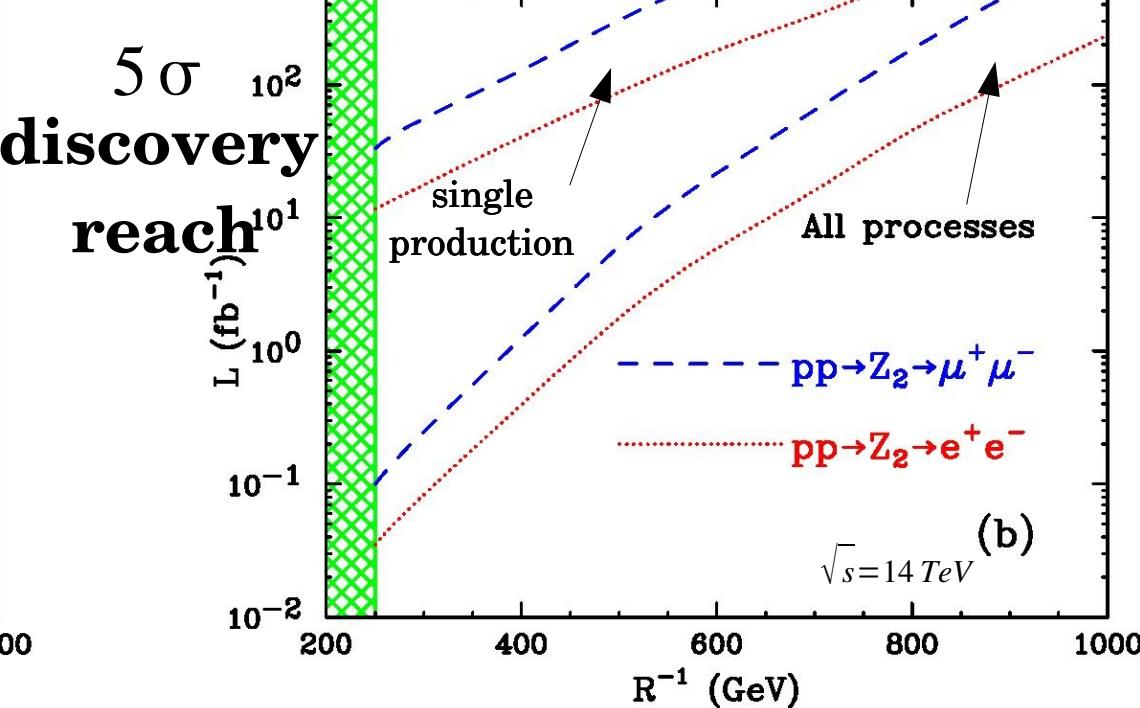
- look for level 2 KK gauge bosons production including single production (KK number violation)

$$pp \rightarrow V_2 \rightarrow f_0 \bar{f}_0 = f_{SM} \bar{f}_{SM}$$

- double peak structure in dilepton mass
- near mass-degeneracy further corroborating UED interpretation w.r.t susy or Z'



Datta, Kong, Matchev, PRD75 (2005) 096006

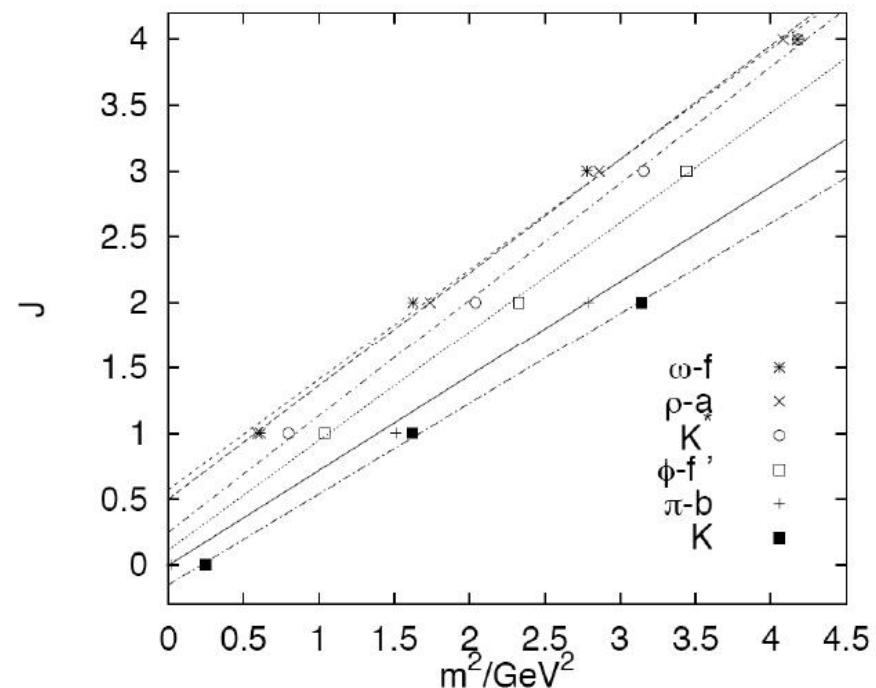
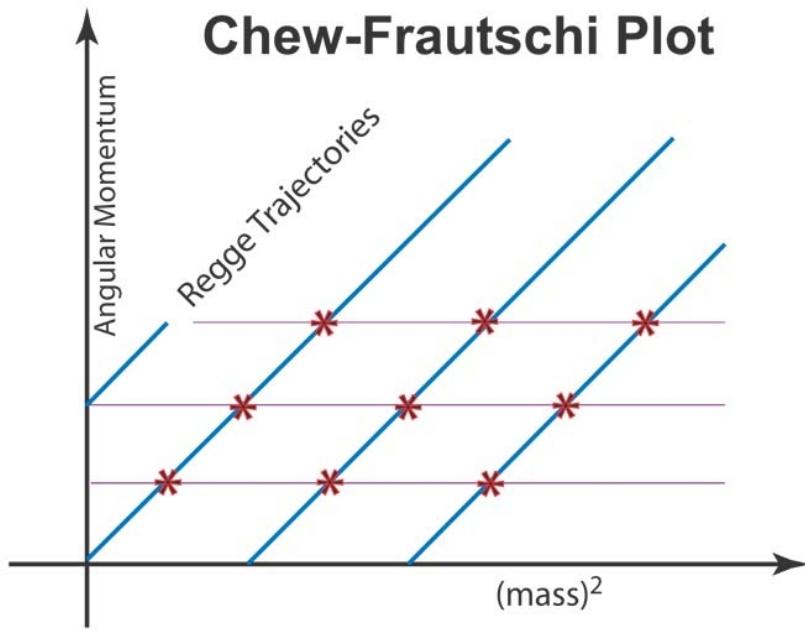
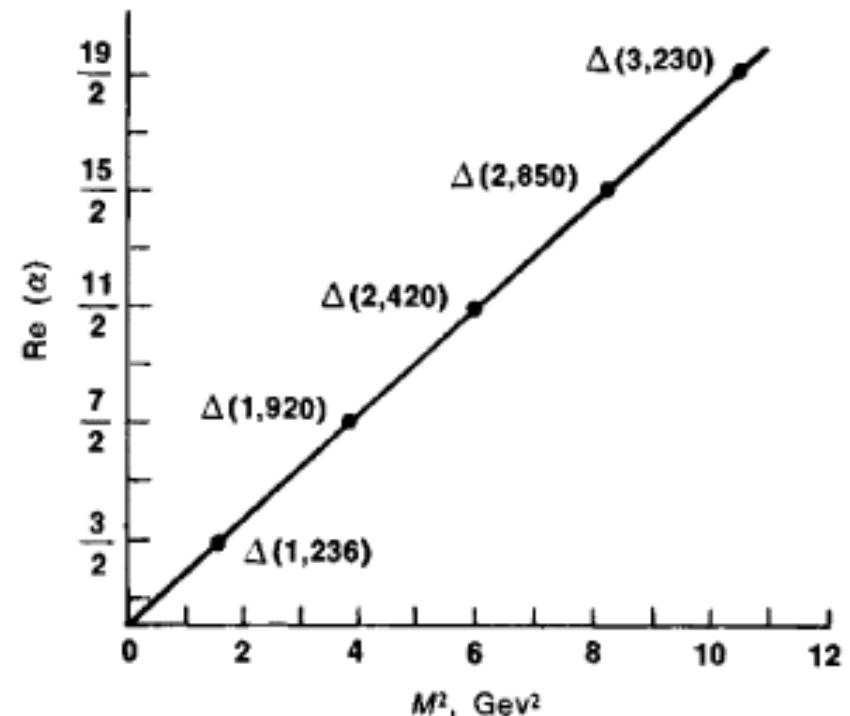


String states

Regge trajectories

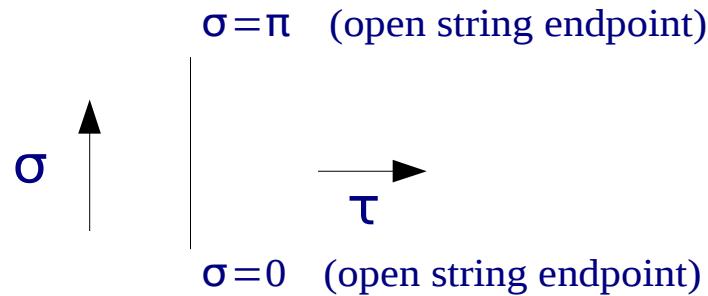
$$\frac{J}{M^2} = \frac{1}{2\pi T} = \alpha'$$

more generally : $\alpha(s) = \alpha(0) - n + \alpha' s$



String states

open string sweeping out a 2d worldsheet (as τ increases) parameterized by σ and τ



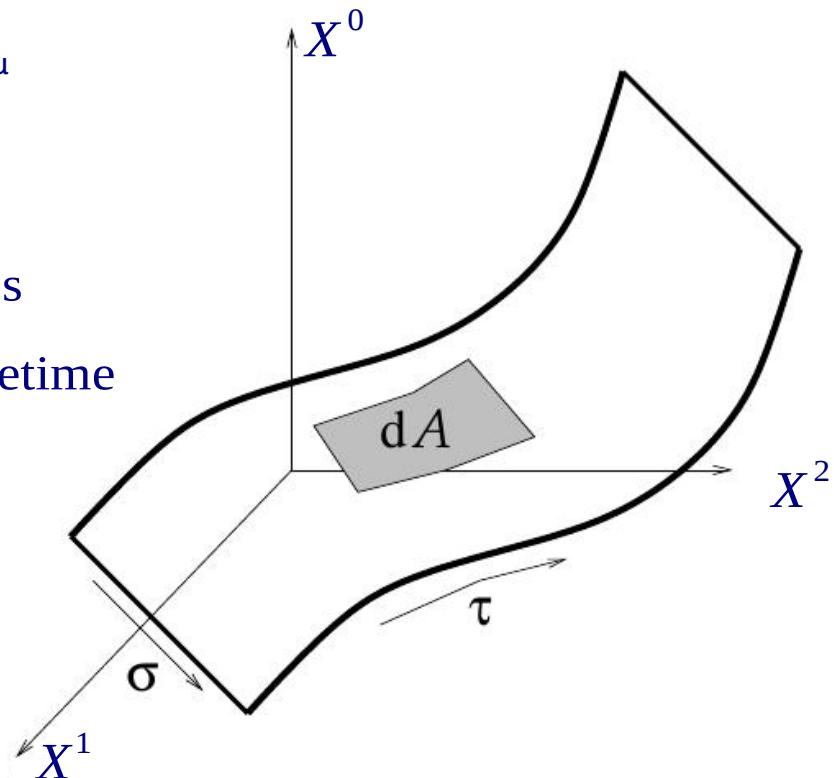
embedded in a D dimensional spacetime X^μ

$$\mu = 0, 1, 2, \dots, D-1$$

string action whose variational law minimizes
the total area of the string worldsheet in spacetime

$$S = -T \int dA$$

with the string tension $T = \frac{1}{2\pi\alpha'}$
and string length $l_s = \sqrt{\alpha'}$



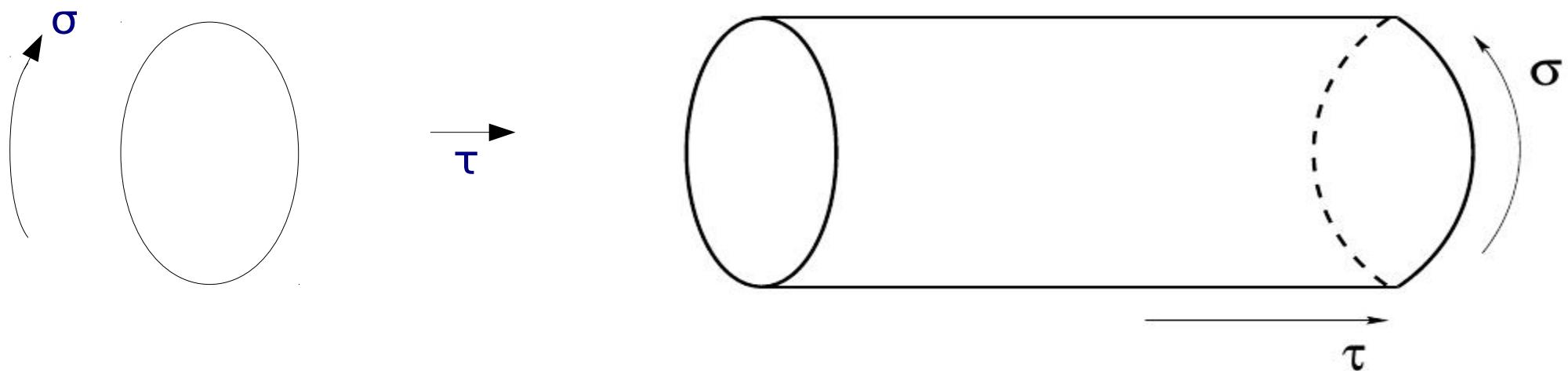
String states

closed string \rightarrow the 2 endpoints of the open string tied together i.e. periodic conditions imposed

$$X^\mu(\tau, 0) = X^\mu(\tau, \pi)$$

$$\frac{\partial X^\mu(\tau, 0)}{\partial \sigma} = \frac{\partial X^\mu(\tau, \pi)}{\partial \sigma}$$

closed string sweeping out a 2d worldsheet (as τ increases) parameterized by σ and τ



also embedded in a D dimensional spacetime X^μ ($\mu = 0, 1, 2 \dots D-1$)

String states

	# of Q 's	# of ψ_μ 's	bosonic spectrum			
IIA	32	2	NS-NS	$g_{\mu\nu}, b_{\mu\nu}, D$	}	
			R-R	$A_\mu, C_{\mu\nu\rho}$		
IIB	32	2	NS-NS	$g_{\mu\nu}, b_{\mu\nu}, D$	}	
			R-R	$c_{\mu\nu\rho\sigma}^*, b'_{\mu\nu}, D'$		
heterotic $E_8 \times E_8$	16	1	$g_{\mu\nu}, b_{\mu\nu}, D$ A_μ^a in adjoint of $E_8 \times E_8$			
heterotic $SO(32)$	16	1	$g_{\mu\nu}, b_{\mu\nu}, D$ A_μ^a in adjoint of $SO(32)$			
type I $SO(32)$	16	1	NS-NS	$g_{\mu\nu}, D$	}	
			open string	A_μ^a in adjoint of $SO(32)$		
			R-R	$b_{\mu\nu}$		

5 consistent fundamental string theories in 10 D

String states

D_p brane (or Dirichlet brane or D-brane) as a p-dimensional extended object on which open strings end (one or both) can be attached

string endpoints coordinates $X^\mu(\tau, \sigma)$ satisfy boundary conditions :

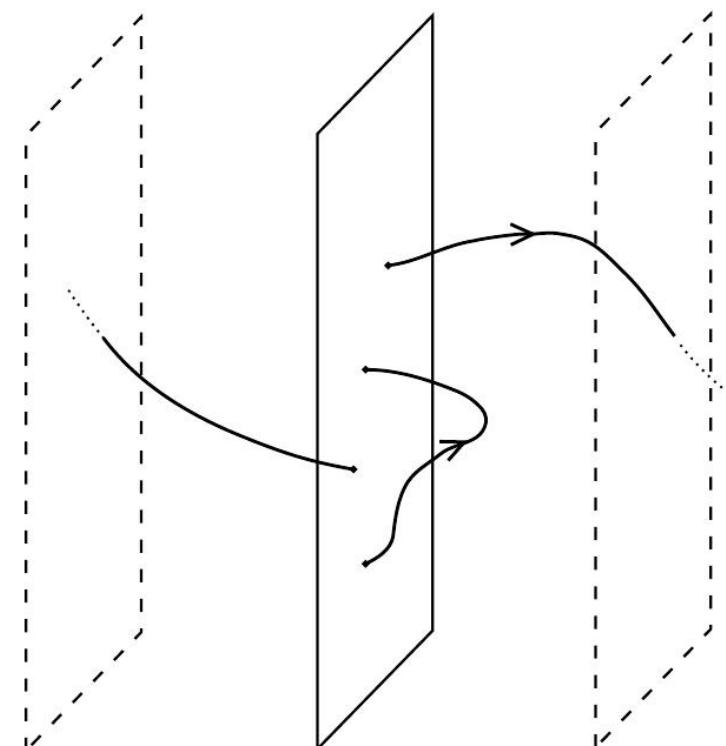
- **Dirichlet boundary conditions** $\frac{\partial X^\mu}{\partial \tau} \Big|_{\sigma=0,\pi} = 0$

integrating over τ specifies a spacetime location on which the string ends

Dirichlet boudary conditions are equivalent to fixing the endpoints of the string
hence the name Dirichlet Brane

- **Neumann boundary conditions** $\frac{\partial X^\mu}{\partial \sigma} \Big|_{\sigma=0,\pi} = 0$

in this case the ends of the string can sit anywhere in space



String states

example of string duality

take type II closed string theories ($D=10$, $N=2$) and compactify one dimension on a circle of radius $R \rightarrow$ this results into the appearance of :

- m massive winding modes with mass : $M^2 = \frac{m^2 R^4}{4}$
- k massive Kaluza-Klein (KK) modes with mass : $M^2 = \frac{k^2}{R^2}$

spectrum of modes invariant under $R \rightarrow \frac{2}{R}$

this T-duality of type IIA and type IIB closed string theories

for $R \rightarrow \infty$ winding modes are 'out' \Rightarrow quasi continuum of KK modes

for $R \rightarrow 0$ infinitely massive KK modes decouple 'out' \Rightarrow quasi continuum of winding modes

T-duality exchanges the Neumann and Dirichlet boundary conditions

String states



D-brane with one attached open string and one closed string moving in the bulk

- physics away from the D-brane can be described by a type II string theory
- everything happen as if the closed string 'feels' the hypersurface via closed-open string interactions

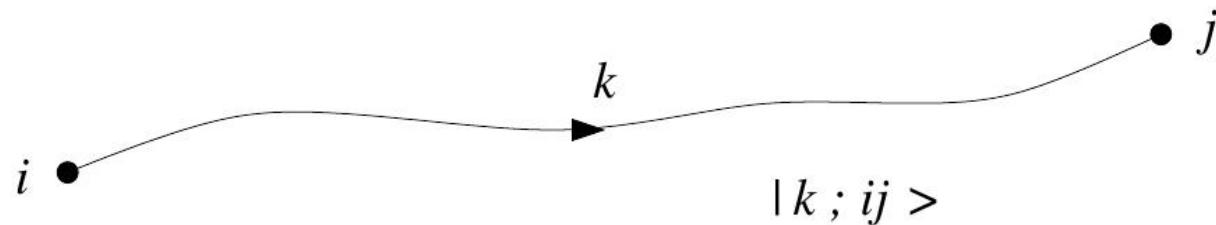
String states

it is possible to assume that open string carries 'charges' at its endpoints

⇒ assume non-dynamical degrees of freedom at the endpoints in a way which preserves Poincare invariance and invariance of the worldsheet

in addition to the usual fock space labels of string state

- demand that each end of the string be in a state i or j
- demand that Hamiltonian of the states $i = 1, \dots, n$ is 0
so that they stay in the state that we originally put them in for all time



decompose open string wavefunction $|k ; ij >$ in a basis of λ_{ij}^a of $n \times n$ matrices as

$$|k ; a > = \sum_{i,j=1}^n |k ; ij > \lambda_{ij}^a$$

these matrices are called **Chan-Paton factors**

String states

open string scattering amplitudes contain traces of products of Chan Paton factors

amplitudes are invariant under a global $U(n)$ worldsheet symmetry
under which the endpoint i transforms in the fundamental representation of $U(n)$

**global $U(n)$ symmetry on the worldsheet can be promoted
to a local $U(n)$ gauge symmetry in spacetime**

⇒ **endpoints of open string carry gauge charges and describe gauge symmetries**

String states

consider an open string with endpoints moving on p-dimensional hypersurface
i.e. a D_p -brane or D-brane

under which the endpoint i transforms in the fundamental representation of $U(n)$

'zero' mass state of the open string are :

- 1 vector (see the table few slides above the bosonic content of the open string zero mass states of the type I string theory)
- 1 spinor

forming a supermultiplet of a supersymmetric gauge theory with gauge group $U(1)$

- **the zero mass boson moves as a $U(1)$ gauge boson in the p-dimensional D-brane**
- the $10-p$ remaining components appear as scalars in the 'bulk'

**stack of N coincident D-branes corresponds to an unbroken $U(N)$ gauge symmetry
whose effective action is a 10D $U(N)$ SYM theory reduced to p dimensions**

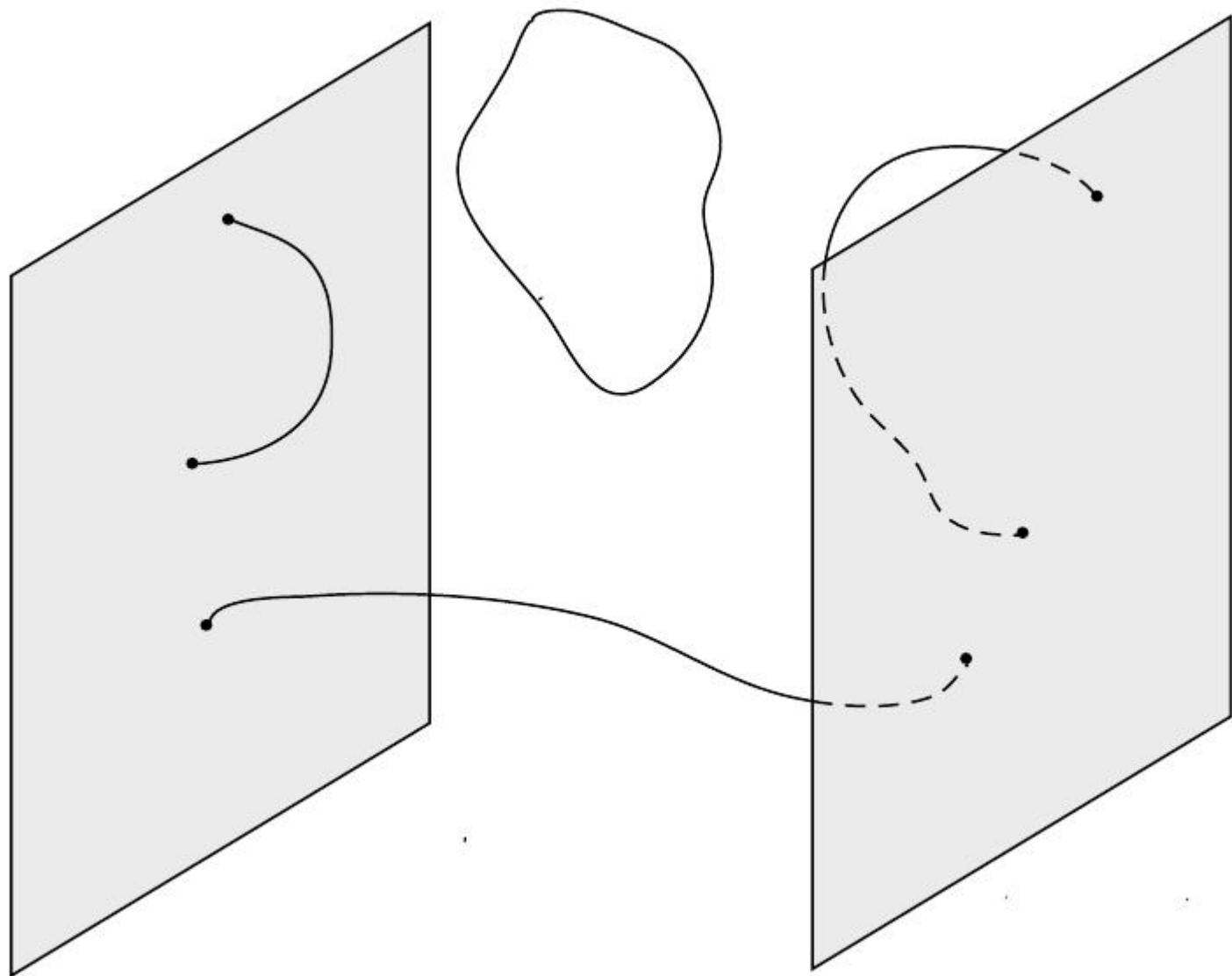
D-branes break half of the supersymmetries

String states

some examples with two D-branes

- open string with both endpoints on the D-brane gives a $U(1) \times U(1)$ theory
- open string stretching between two D-branes with one endpoint on one D-brane and the other one on another D-brane **parallel** to the first one with a distance given by the string length also gives a $U(1) \times U(1)$ theory
- if the two branes coincide (string length going to zero giving rise to new massless states) the gauge group becomes $U(2)$
- a 2 coincident branes separation viewed as a symmetry breaking $U(2) \rightarrow U(1) \times U(1)$
- $U(2)$ symmetry restauration when the 2 parallel branes become coincident
- interesting configurations:
 - 5 coincident D-branes or **stack** of 5 D-branes giving $U(5)$
 - stack of 3 D-branes + stack of 2 D-branes + 1 D-brane give $U(3) \times U(2) \times U(1)$

String states



String states

D-branes brake half of the supersymmetries

'far' from the D-brane (bulk)

- physics can be described by a type II closed string theory
- D-brane 'sees' only the type II (B) string spectrum
- in particular it 'sees' its 2 gravitinos (recall we have N=2 in 10D for type II)

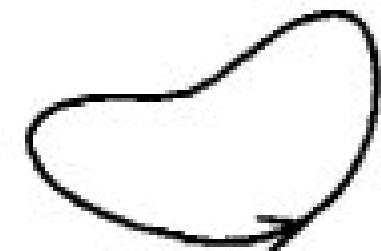
'closer' to the brane 'sees' only a linear combination of the 2 gravitinos

- which is the gravitino of the type I theory (recall we have N=1 in 10D for type I)
- this defines one the duality 'symmetry' between string theories (called Ω projection) here between type IIB and type I

D-brane responsible for: $N = 2 \rightarrow N = 1$

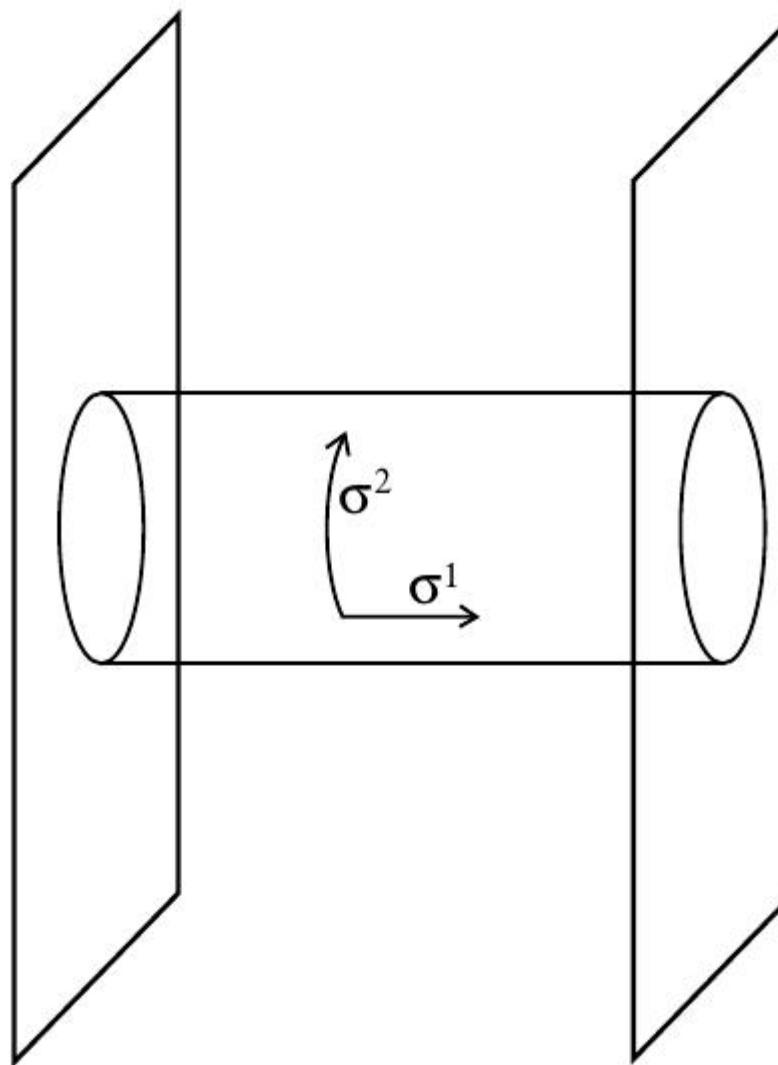
i.e. half of the supersymmetry breaking

vacuum without D-brane is invariant under 10D N=2 susy
state with D-brane invariant under 10D N=1 susy only
this is called a BPS state (Polchinski hep-th/9510017, hep-th/9611050)



stack of D-branes can break supersymmetry further

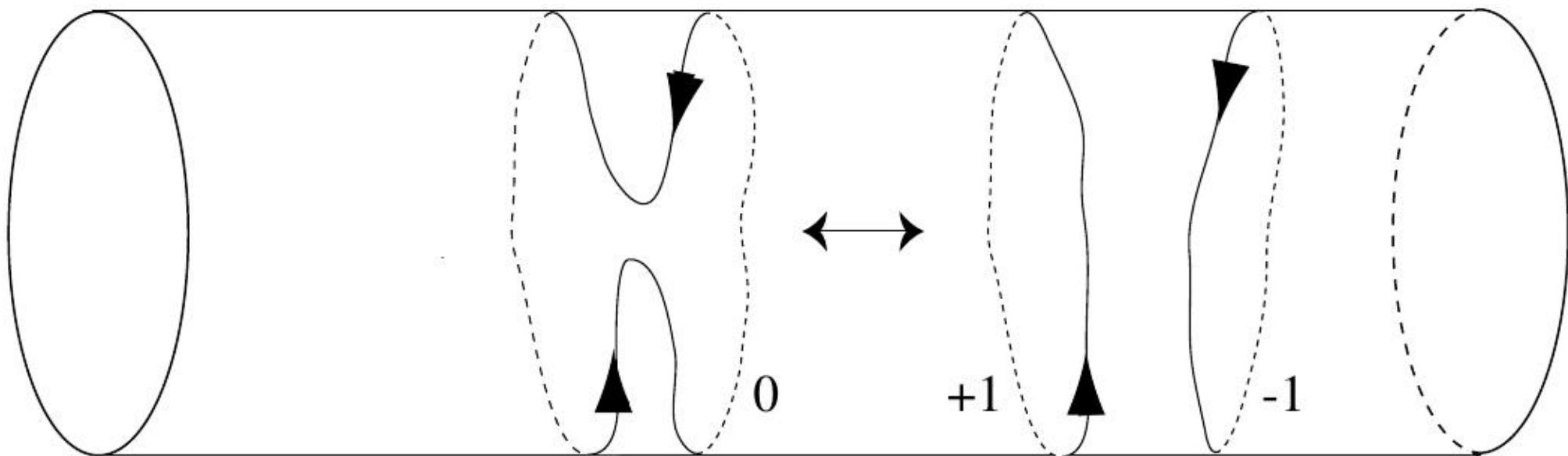
String states



exchange of a closed string between two D-branes

equivalently a vacuum loop of an open string with one end on each D-brane

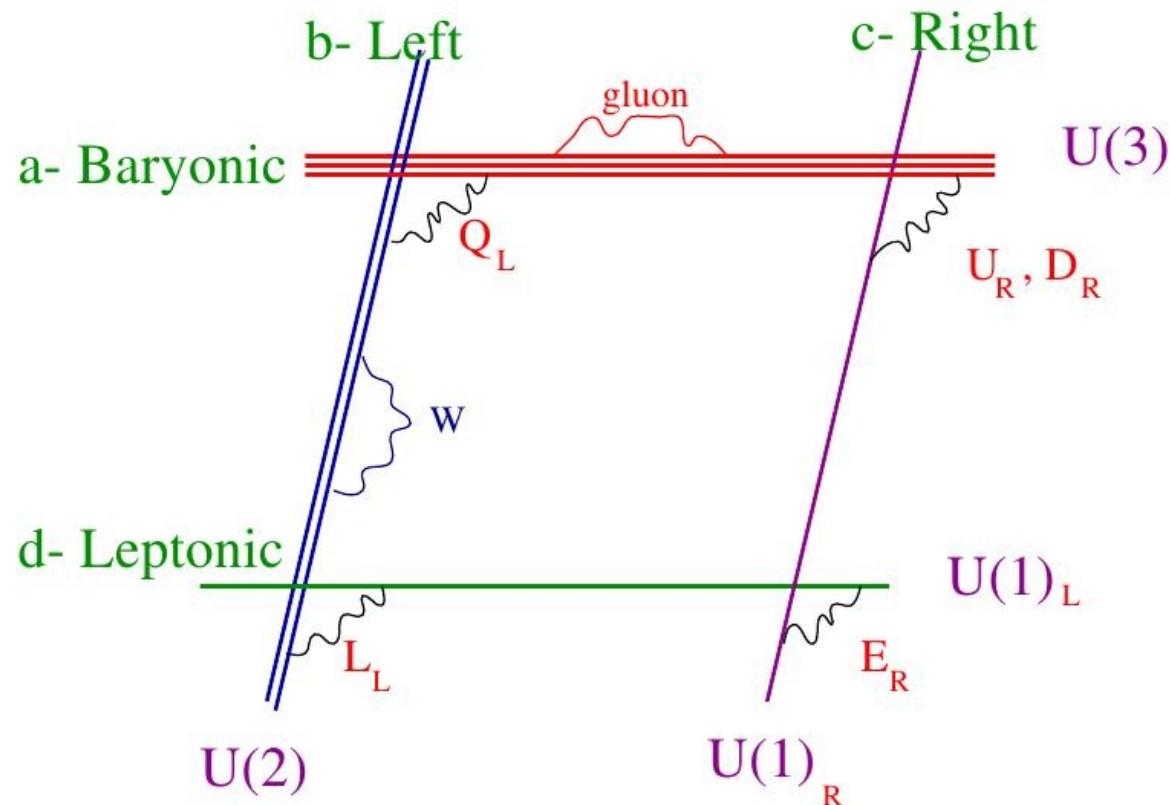
String states



String states

D-branes or stack of D-branes can intersect at right angles or at (any) angles

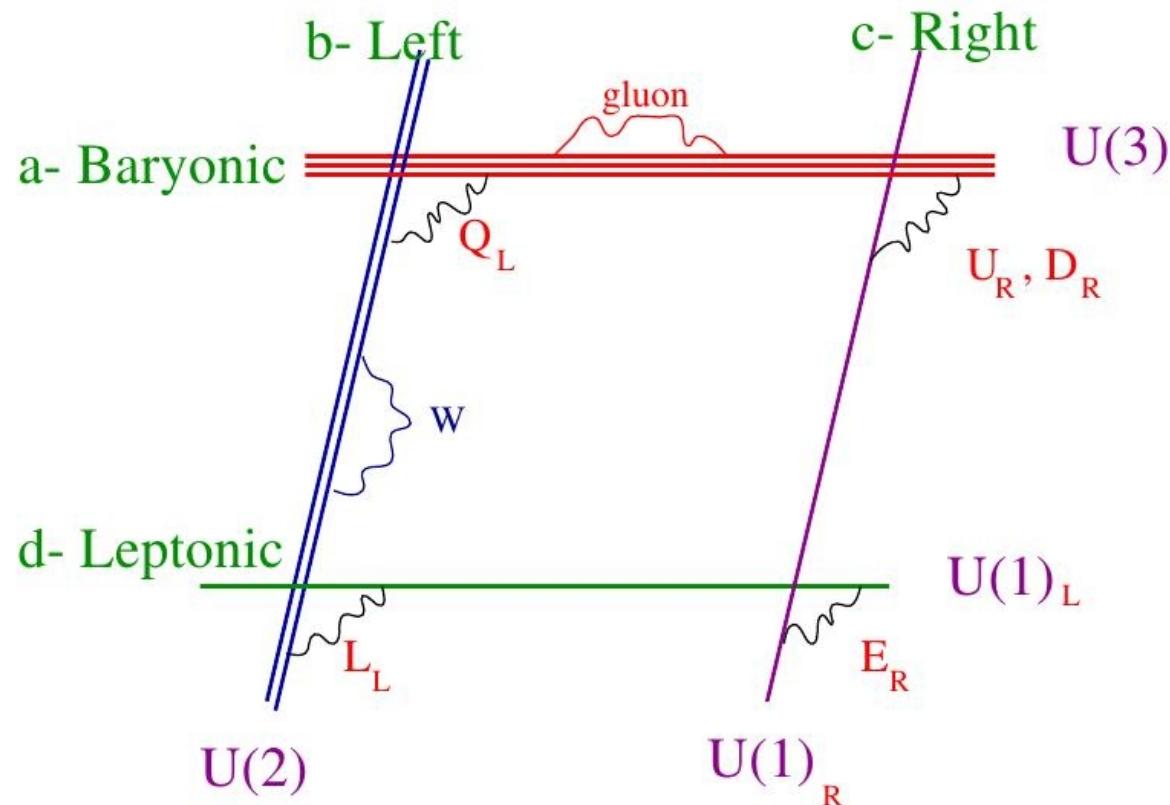
- can preserve a supersymmetry
- scalars and **chiral** fermions **localized at branes intersections**
- SM-like susy or non-susy model building
often with extra U(1) i.e. Z' , extra exotic chiral matter (large literature on this)



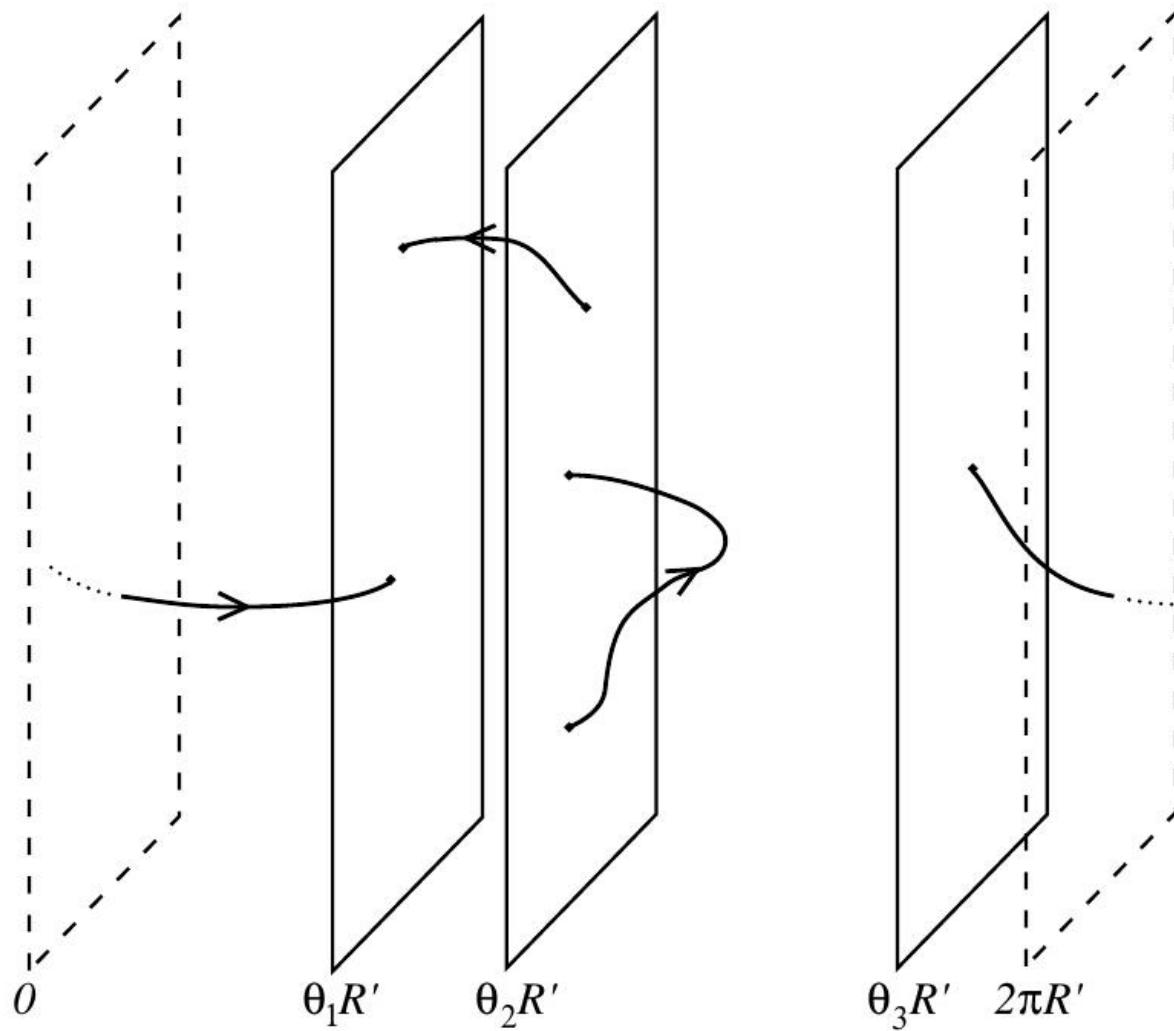
String states

D-branes or stack of D-branes can intersect at right angles or at (any) angles

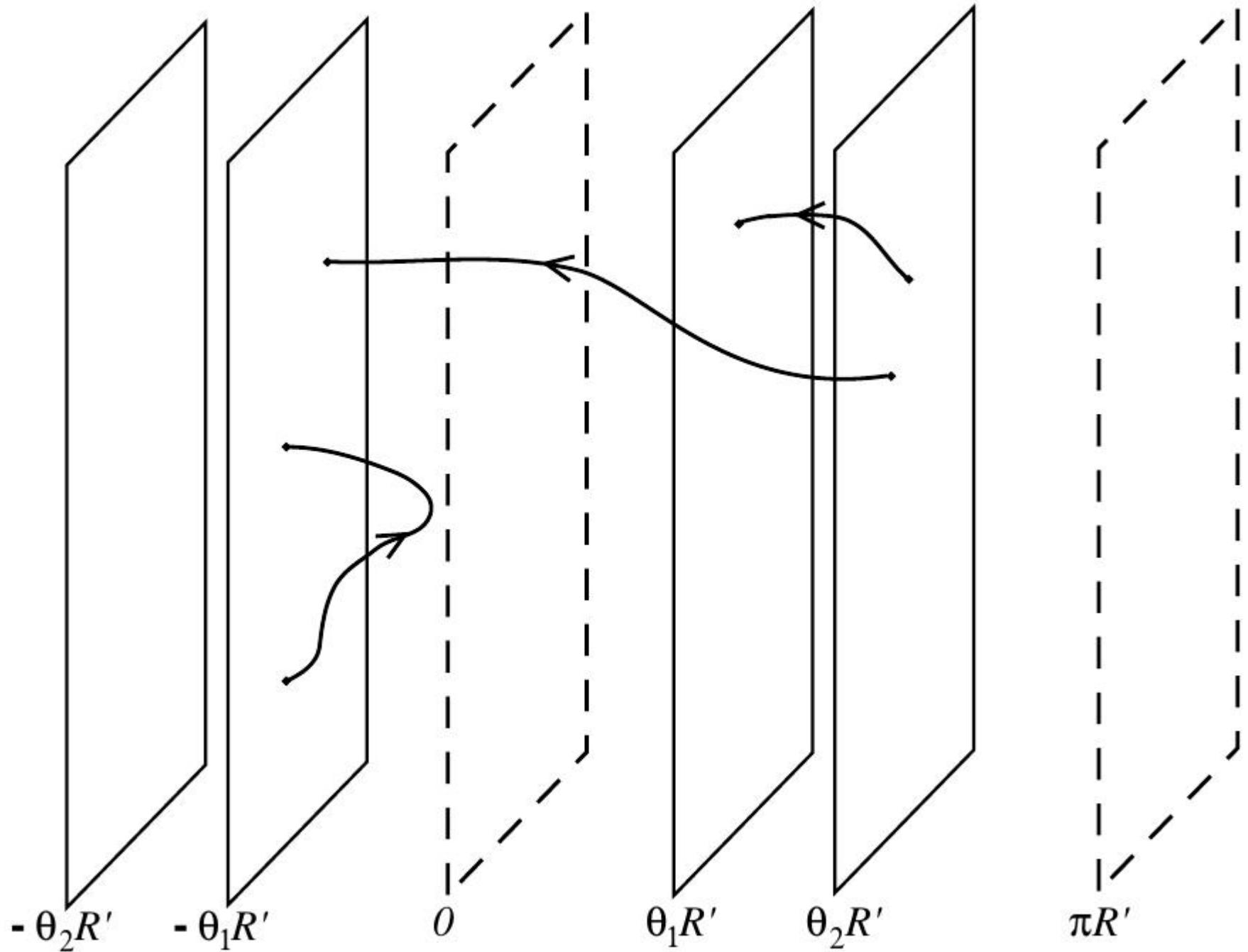
- can preserve a supersymmetry
- scalars and **chiral** fermions **localized at branes intersections**
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often with extra U(1) i.e. Z' , extra exotic chiral matter (large literature on this)



String states



String states



Higgs radion mixing

all SM invariances and Poincare invariance on the TeV brane
are still fulfilled if one add the following term to the SM lagrangian :

$$S_\xi = \xi \int dx^4 \sqrt{g_{\text{induced}}} R(g_{\text{induced}}) \Phi^\dagger \Phi$$

mixing the Ricci scalar from the 4D induced metric on the TeV brane
and the Higgs field Φ

- gives additional effective contribution to the SM $T^{\mu\nu}$
(which is a total divergence)
- $T^{\mu\nu}$ still conserved (invariances are unchanged)
- contribution resembling to the one generically coming from dilatation invariance
(4d conformal invariance)
- ⇒ **mixing term between Higgs and curvature**
 - Higgs-graviscalar mixing (ADD)
 - Higgs-radion mixing (stabilized RS)

Higgs radion mixing

example of the dilatation invariance from the current $j_v^{(D)} = x^\mu T_{\mu v}$

which is conserved **classically** i.e. $\partial^\mu j_\mu^{(D)} = T_\mu^\mu = 0$ (trace of $T_{\mu\nu}$ is zero)

ϕ^4 theory $\rightarrow \xi = \frac{1}{6}$

(see P. Ramond : Field theory a modern primer p30-33

Gursey : Ann. of Phys. 24 (1963) 211

Coleman Jackiw: Ann. of Phys. 67 (1971) 552

QCD (with $m=0$) is **classically** invariant

but with quantum corrections $T_{\text{QCD}}^{\mu\nu}$ is not traceless anymore

T_μ^μ given by the trace anomaly

(see for example M. Shifman Phys. Rep. 209 (1991) 341)

Higgs-radion mixing

more convenient to express radion field in terms of a field ϕ with : $\phi \equiv \Lambda_\phi e^{-k\pi(T-r_c)}$

$$\text{with } \Lambda_\phi = \langle \phi \rangle = \sqrt{\frac{24 M_5^3}{k}} e^{-k\pi r_c}$$

integrating over the 5th dimension one gets a canonically normalized effective action

$$S_\phi = \int d^4x \sqrt{-g} \left[\frac{2M_5^3}{k} \left(1 - \frac{\phi^2}{\Lambda_\phi^2} e^{-2k\pi r_c} \right) R + \frac{1}{2} \partial_\mu \phi \partial^\mu \phi - V(\phi) + \left(1 - \frac{\phi}{\Lambda_\phi} \right) T_\mu^\mu \right]$$

$$T_\mu^{(1)\mu} = 6\xi \nu \square h$$

$$T_\mu^{(2)\mu} = (6\xi - 1) \partial_\mu h \partial^\mu h + 6\xi h \square h + 2m_h^2 h^2 + m_{ij} \bar{\Psi}_i \Psi_j - M_V^2 V_{A\mu} V_A^\mu$$

$T_\mu^{(1)\mu}$ induces a kinetic mixing between ϕ and h

Higgs-radion mixing

fields re-defined by :

$$\phi = (\sin \theta - \sin \rho \cos \theta) h' + (\cos \theta + \sin \rho \sin \theta) \phi'$$

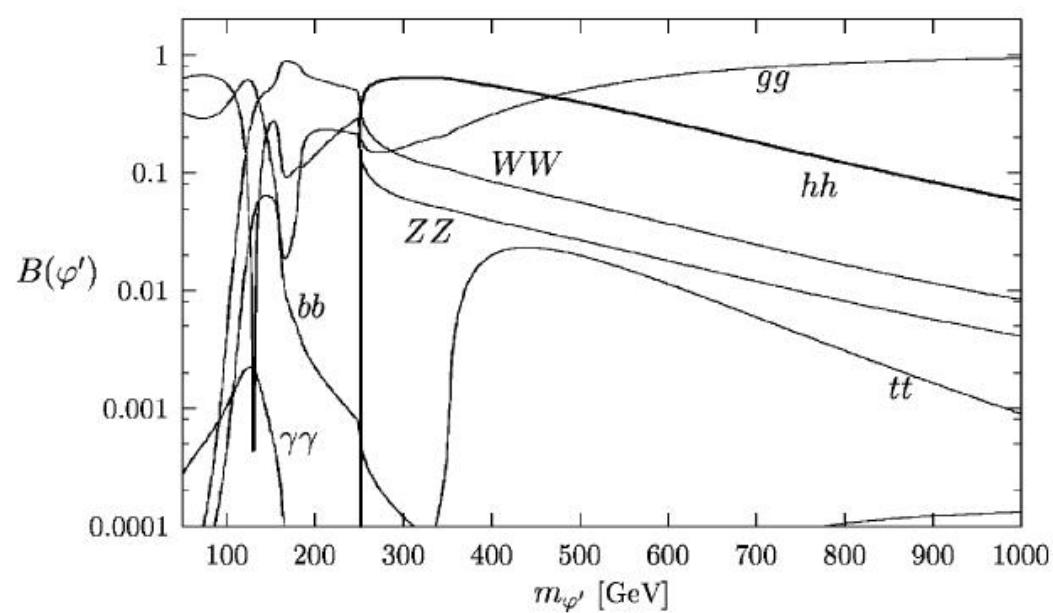
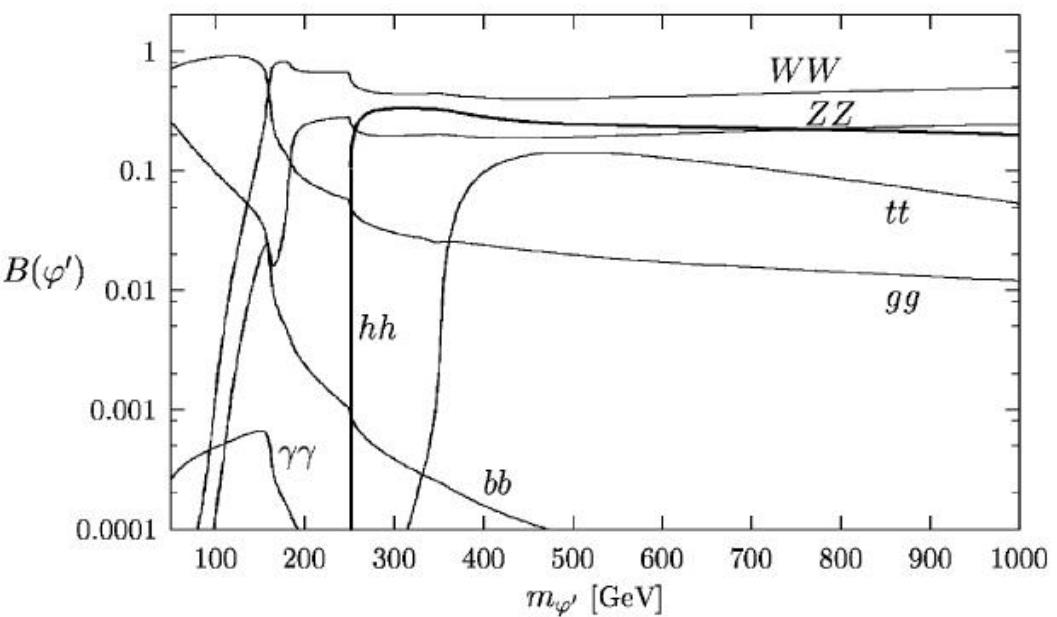
$$h = \cos \rho \cos \theta \ h' - \cos \rho \sin \theta \ \phi'$$

with $\tan \rho \equiv \frac{6 \xi v}{\Lambda_\phi}$ and $\tan 2\theta \equiv \frac{2 \sin \rho m_\phi^2}{\cos^2 \rho (m_\phi^2 - m_h^2)}$

new fields ϕ' and h' are mass eigenstates with eigenvalues :

$$m_{\phi', h'}^2 = \frac{1}{2} \left[(1 + \sin^2 \rho) m_\phi^2 + \cos^2 \rho m_h^2 \pm \sqrt{\cos^4 \rho (m_\phi^2 - m_h^2)^2 + 4 \sin^2 \rho m_\phi^4} \right]$$

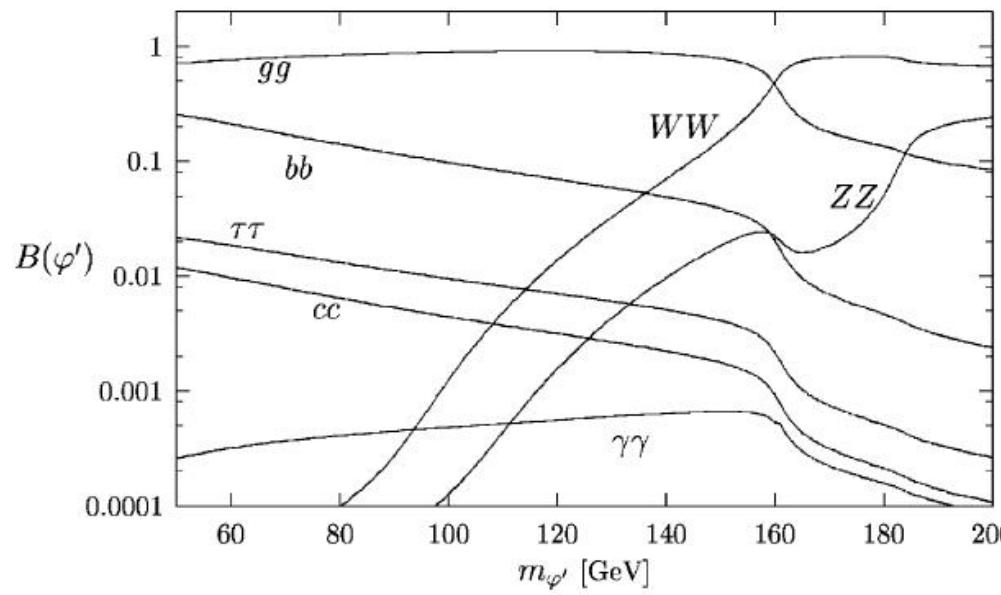
Higgs-radion mixing



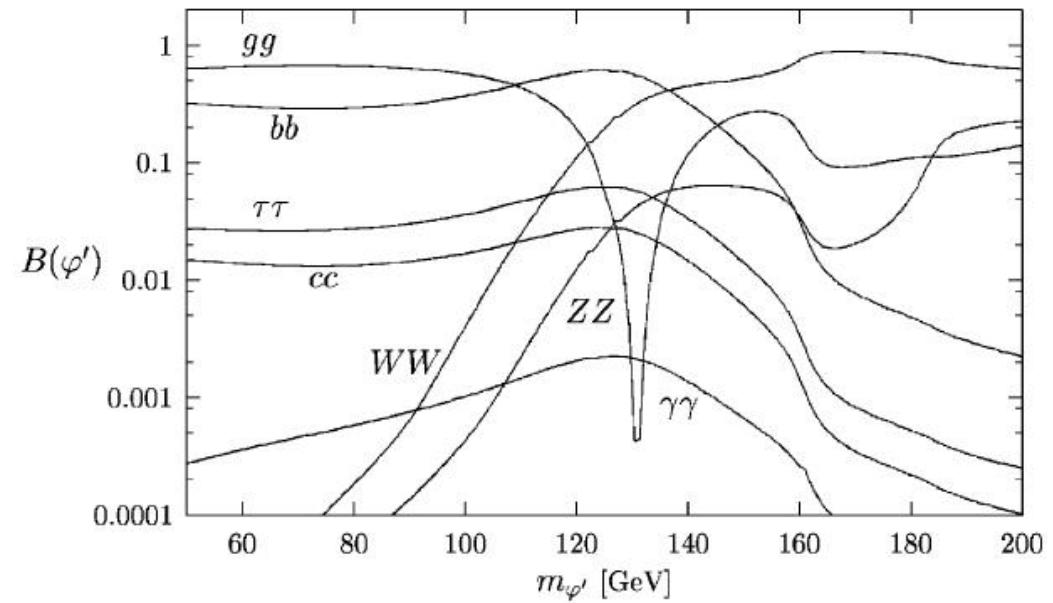
$m_h = 125$ GeV, $\Lambda_\phi = 10$ TeV, $\xi = 0$

$m_h = 125$ GeV, $\Lambda_\phi = 10$ TeV, $\xi = 1/6$

Higgs-radion mixing

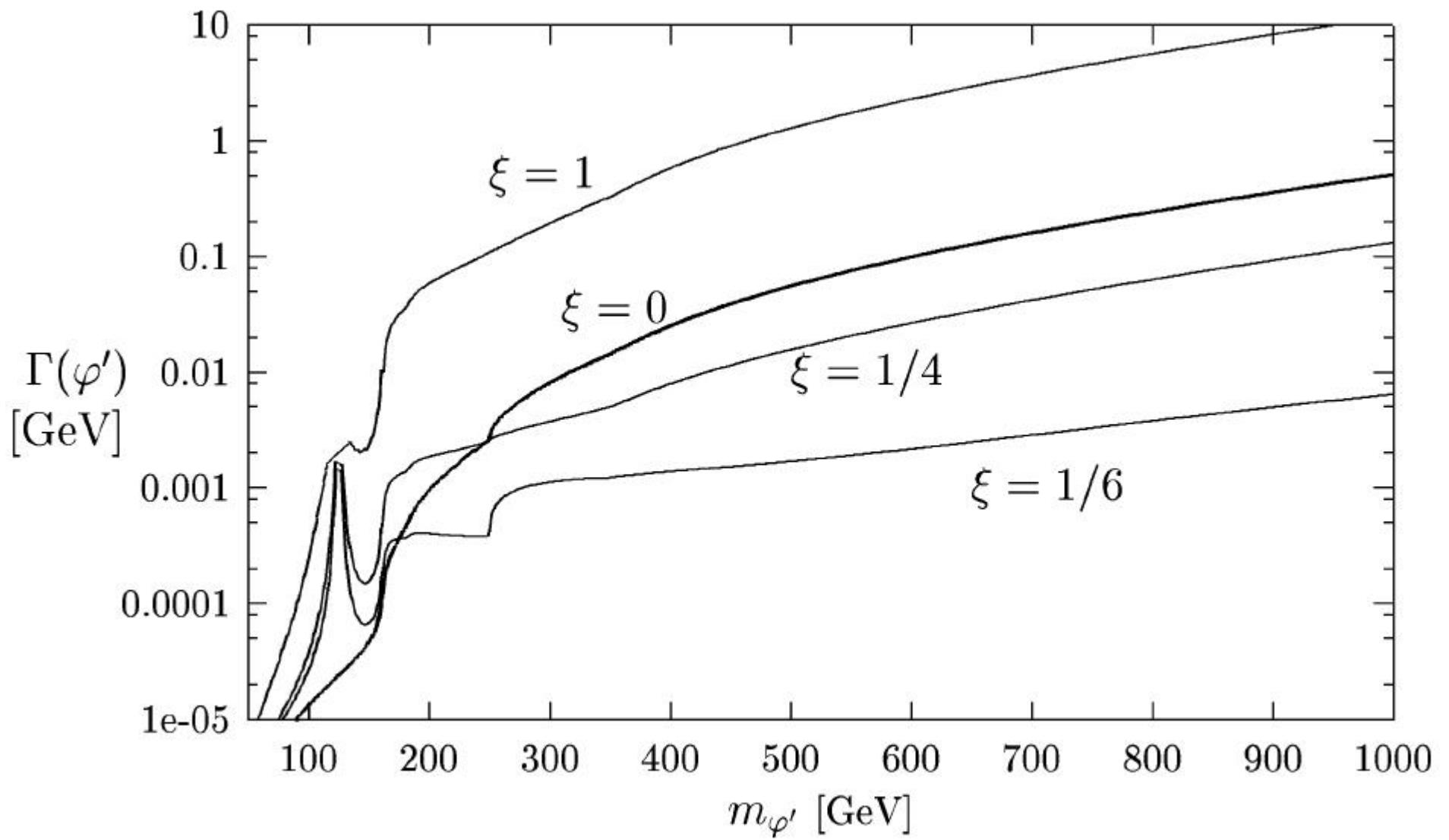


$$m_h = 125 \text{ GeV}, \Lambda_\phi = 10 \text{ TeV}, \xi = 0$$



$$m_h = 125 \text{ GeV}, \Lambda_\phi = 10 \text{ TeV}, \xi = 1/6$$

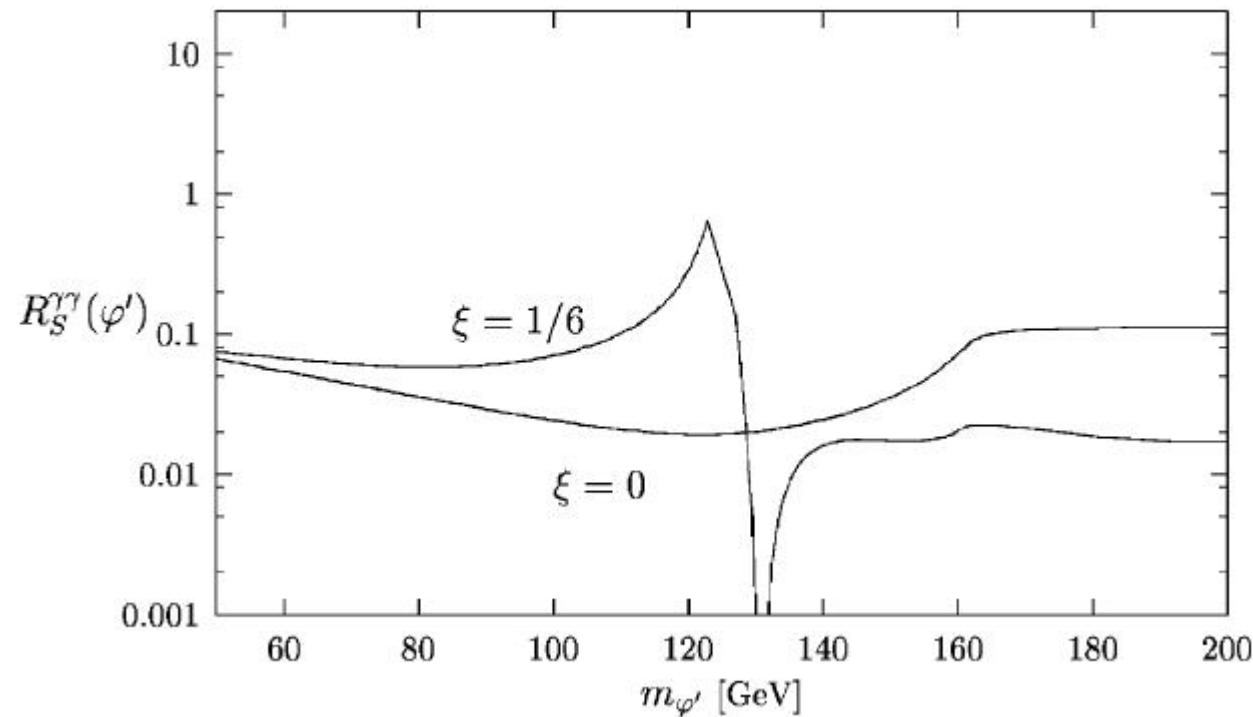
Higgs-radion mixing



$$m_h = 125 \text{ GeV}, \Lambda_\phi = 10 \text{ TeV}$$

Higgs-radion mixing

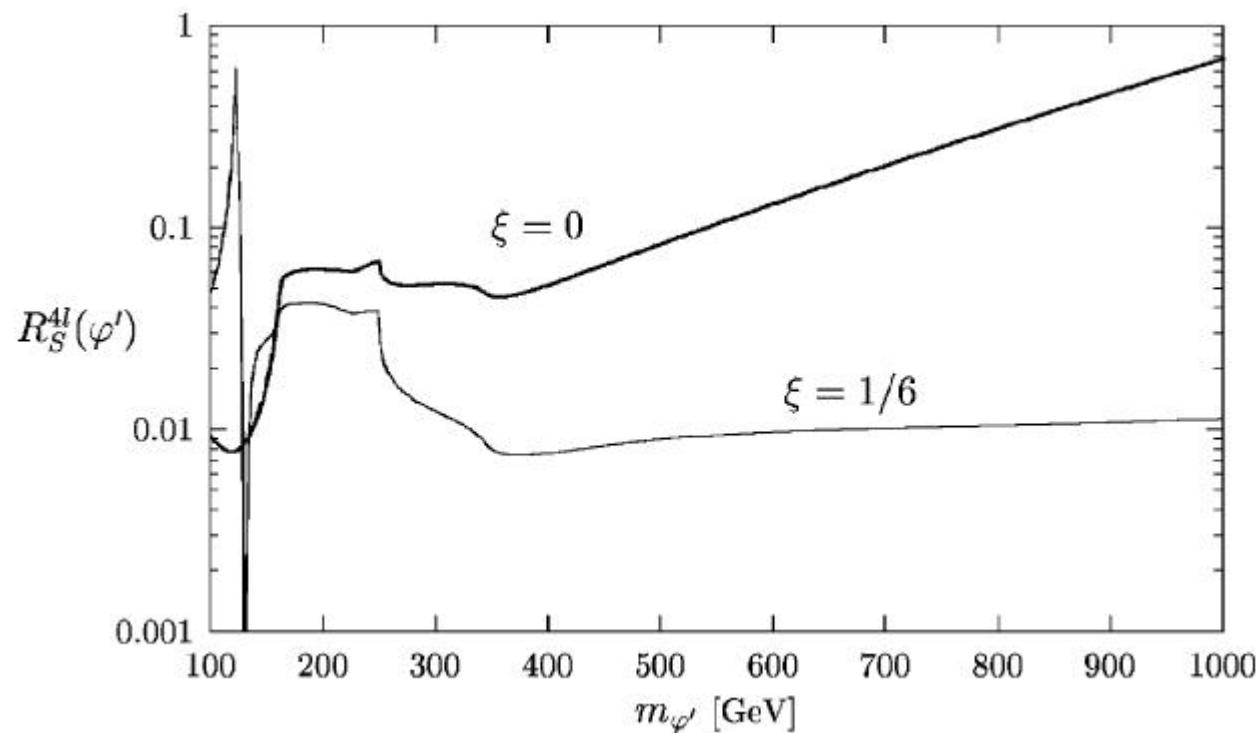
$$R_S^{\gamma\gamma}(\phi') = \frac{\Gamma(\phi' \rightarrow gg)}{\Gamma(h_{SM} \rightarrow gg)} \frac{B(\phi' \rightarrow \gamma\gamma)}{B(h_{SM} \rightarrow \gamma\gamma)} \sqrt{\frac{\max(\Gamma_{tot}(h_{SM}), \Delta M_{\gamma\gamma})}{\max(\Gamma_{tot}(\phi'), \Delta M_{\gamma\gamma})}}$$



$$m_h = 125 \text{ GeV}, \quad \Lambda_\phi = 10 \text{ TeV}$$

Higgs-radion mixing

$$R_S^{4l}(\phi') = \frac{\Gamma(\phi' \rightarrow gg)}{\Gamma(h_{SM} \rightarrow gg)} \frac{B(\phi' \rightarrow ZZ)}{B(h_{SM} \rightarrow ZZ)} \sqrt{\frac{\max(\Gamma_{tot}(h_{SM}), \Delta M_{4l})}{\max(\Gamma_{tot}(\phi'), \Delta M_{4l})}}$$



$$m_h = 125 \text{ GeV}, \quad \Lambda_\phi = 10 \text{ TeV}$$

Higgs radion mixing

Higgs radion mixing term also in the context of type I strings theory and D-branes mixing between brane fluctuations (branons) and closed string excitations modes of the type I theory (containing gravitons, graviphoton, dilaton, graviscalar) described in terms of mixing of open and closed strings excitations modes

several possible configurations

- Higgs identified to excitations of open string with both ends attached to same stack of D-branes
 - Higgs-graviscalar mixing (but also Higgs-graviphoton)
 - effective conformal coupling
 - 4D effective theory as a N=4 SYM conformal theory
- Higgs identified to excitations of open string with one end attached to one brane and the other end to another brane
 - Higgs-graviscalar mixing disappears but Higgs-graviphoton mixing stays
- Higgs localized at the (orthogonal) intersection of 2 branes
 - Higgs-graviphoton mixing disappears

effective conformal coupling $\xi = \sqrt{\frac{\delta+5}{6\delta(\delta-1)}}$

$\delta=2$	$\xi \sim 0.76$
$\delta=3$	$\xi \sim 0.47$
$\delta=6$	$\xi \sim 1/4$

Bulk RS models

KK gluon

$g^{(1)}$ production suppressed

→ small coupling to proton constituents

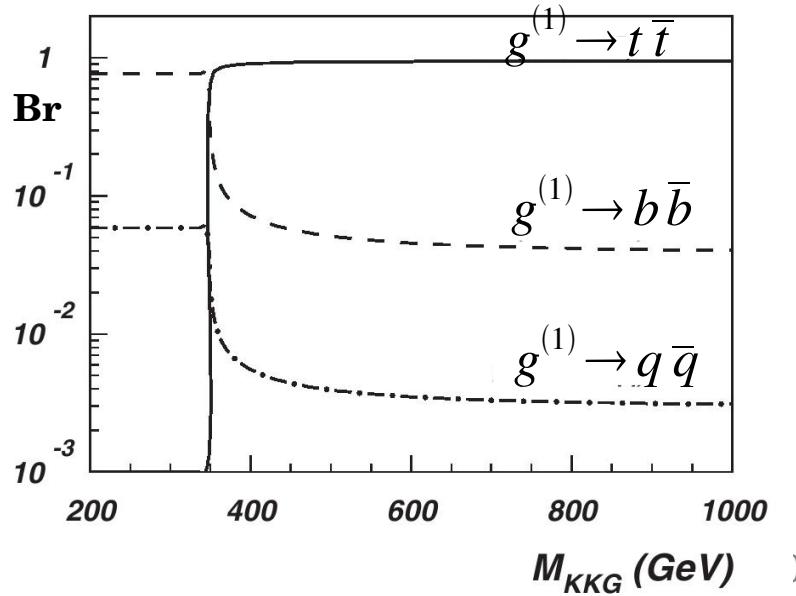
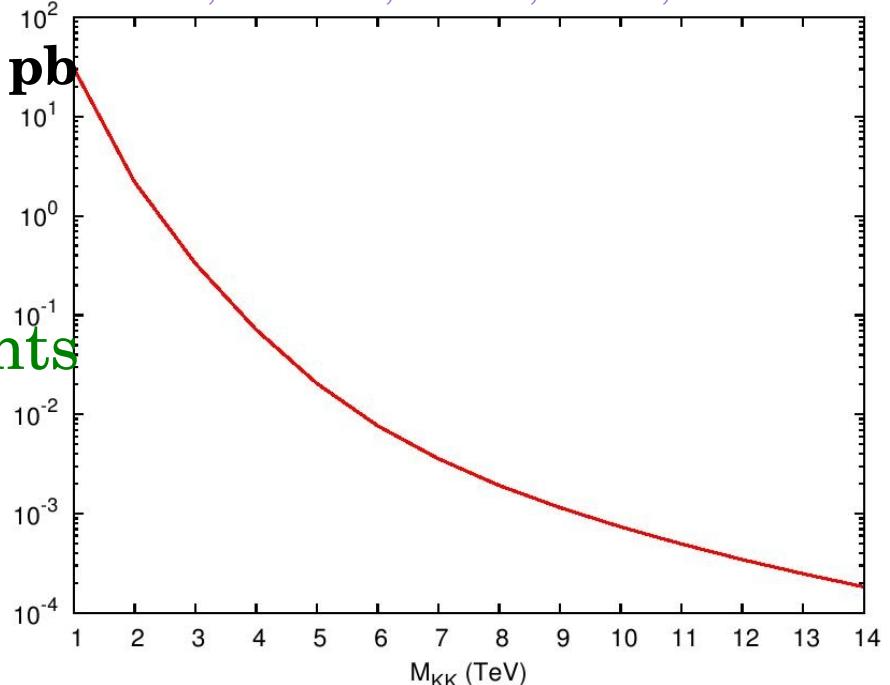
fermionic decay dominated by top quark

bias towards RH top

a heavy KK gluon is broad

above 1 TeV width $\sim M_{KK} / 6$

Lillie, Randall, Wang, JHEP 09 (2007) 074
Agashe, Belyaev, Krupovnickas, Perez, Virzi, PRD 77, 015003
Guchait, Mahmoudi, Sridhar, JHEP05 (2007) 103, PLB 666 (2008) 347
Lillie, Shu, Tait, PRD 76, 115016
Carena, Medina, Panes, Shah, Wagner, PRD 77, 076003
Baur, Orr, PRD 77, 114001
Allanach, Mahmoudi, Skittrall, Sridhar, arXiv:0910.1350



Bulk RS models: KK gluon in all hadronic mode

$$p p \rightarrow g^{(1)} \rightarrow t \bar{t} \rightarrow b \bar{b} j j j j$$

need

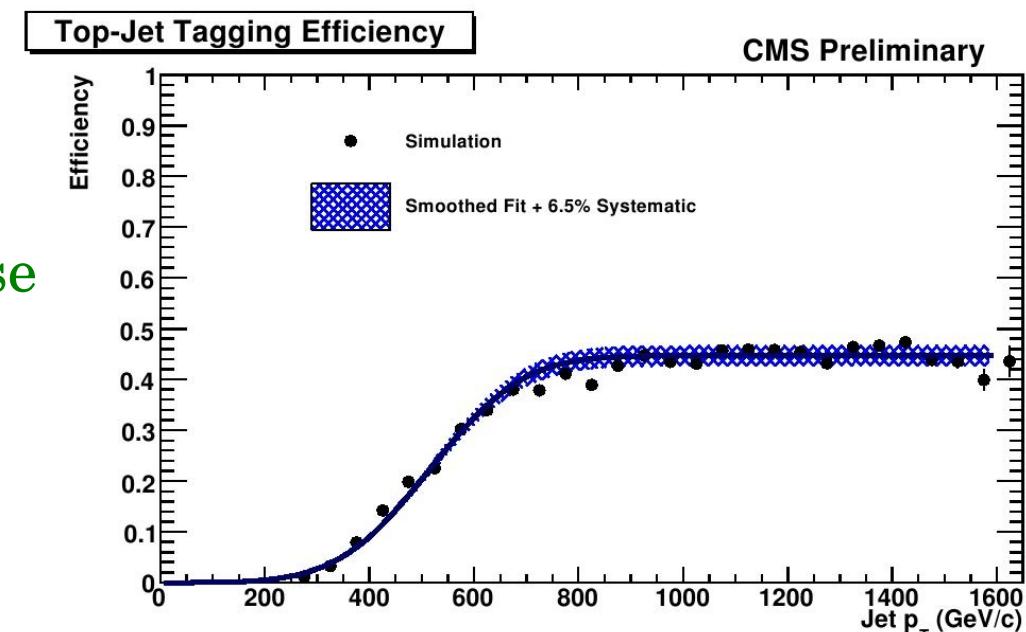
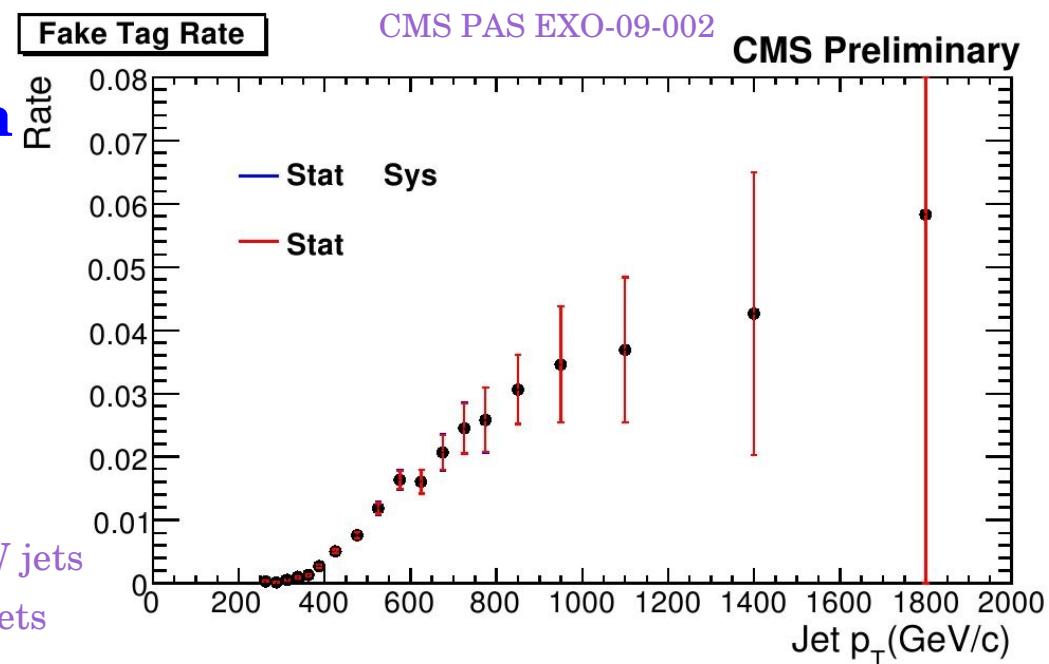
boosted top-quark jets algorithm

using Dokshitzer, Leder, Moretti, Webber,
JHEP 08 (1997) 001, i.e. CA algorithm and
Kaplan, Rehermann, Schwartz, Tweedie,
PRL 101 (2008) 142001

similar to: Butterworth, Davison Rubin Salam,
PRL 100 (2008) 242001, for Higgs jets

Butterworth, Cox, Fowshaw PRD65 (2002) 096014, for W jets

Butterworth, Ellis, Raklev, JHEP 05 (2007) 033, for W jets



cluster using a large jet radius
then iteratively decluster each jet
to search for jet structure and impose
kinematic constraints

Bulk RS models : KK gluon in all hadronic mode

$$p p \rightarrow g^{(1)} \rightarrow t \bar{t} \rightarrow b \bar{b} j j j j$$

$w = 1\%$

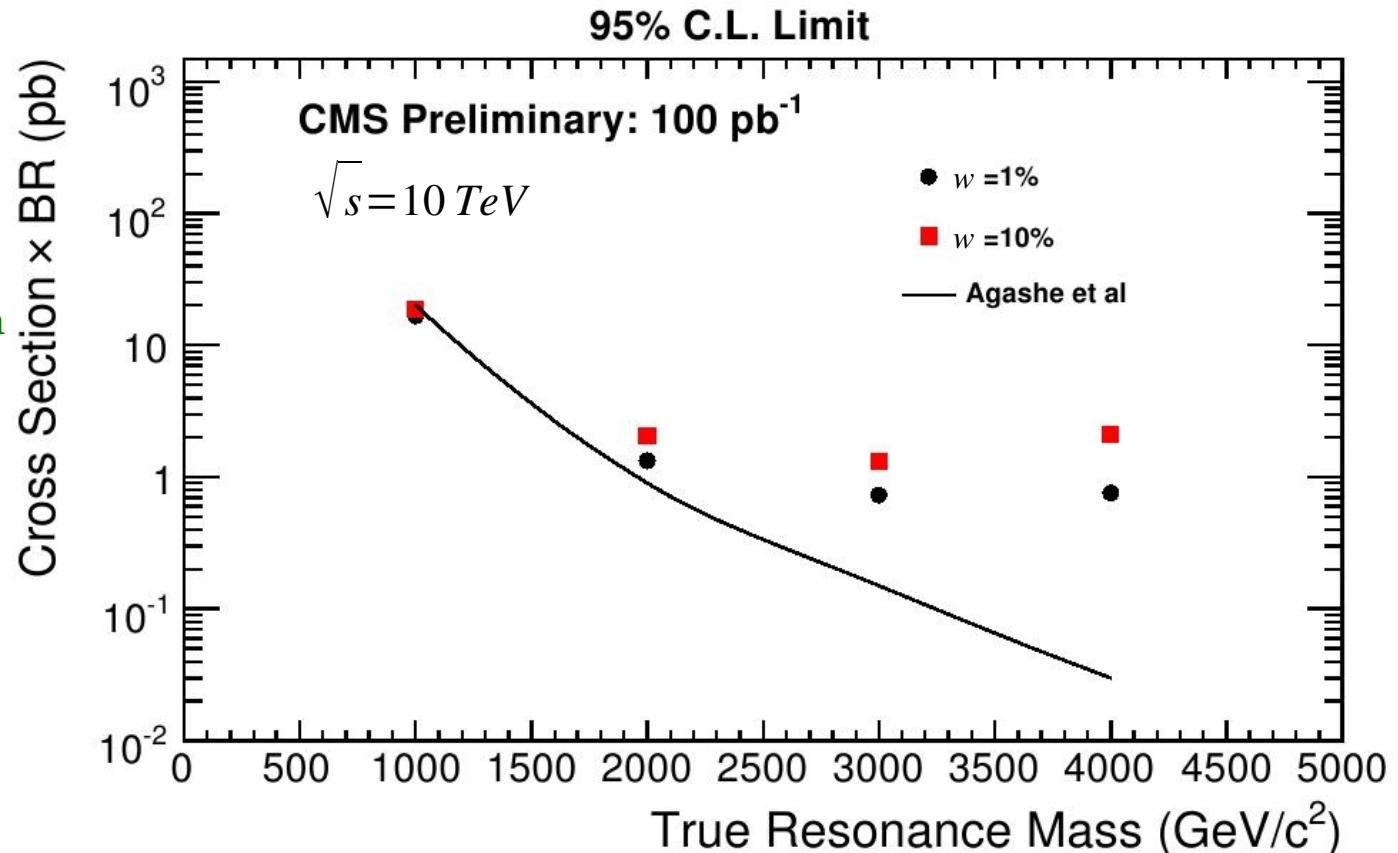
for the case where resonance is narrower than detector resolution

$w = 10\%$

for the case where resonance is wide

ϵ : top jet tagging efficiency

A: kinematic acceptance



Mass and Width (GeV/c ²)	Background (events)	$\epsilon \cdot A \cdot BR$ (%)	95% C.L. limit (pb)	3 σ Evidence (pb)	5 σ Discovery (pb)
$M = 1000, w = 10$	2.18 ± 0.90	0.34 ± 0.05	17.2	23.0	43.6
$M = 2000, w = 20$	5.81 ± 2.18	6.06 ± 0.85	1.45	2.18	3.99
$M = 3000, w = 30$	0.95 ± 0.41	6.21 ± 0.88	0.74	0.97	1.62
$M = 4000, w = 40$	0.11 ± 0.12	4.62 ± 0.66	0.75	0.62	1.27
$M = 1000, w = 100$	2.18 ± 0.90	0.30 ± 0.05	19.3	25.7	48.6
$M = 2000, w = 200$	9.04 ± 3.31	4.90 ± 0.69	2.30	3.46	6.32
$M = 3000, w = 300$	2.04 ± 0.79	4.25 ± 0.61	1.34	1.87	3.28
$M = 4000, w = 400$	0.98 ± 0.41	2.21 ± 0.34	2.13	2.73	5.00

at least 3 events

at least 5 events

Bulk RS models

Lillie, Randall, Wang, JHEP 09 (2007) 074

Agashe, Belyaev, Krupovnickas, Perez, Virzi, PRD 77, 015003

Guchait, Mahmoudi, Sridhar, JHEP05 (2007) 103, PLB 666 (2008) 347

Lillie, Shu, Tait, PRD 76, 115016

Carena, Medina, Panes, Shah, Wagner, PRD 77, 076003

Baur, Orr, PRD 77, 114001

Allanach, Mahmoudi, Skittrall, Sridhar, arXiv:0910.1350

KK gluon $p p \rightarrow g^{(1)} \rightarrow t \bar{t} \rightarrow b \bar{b} jj l \nu$

background: SM $t \bar{t}$, single top, W+jets

for 100 pb⁻¹ $M_{g^{(1)}} = 3 \text{ TeV}$ $S/\sqrt{B} \approx 11$

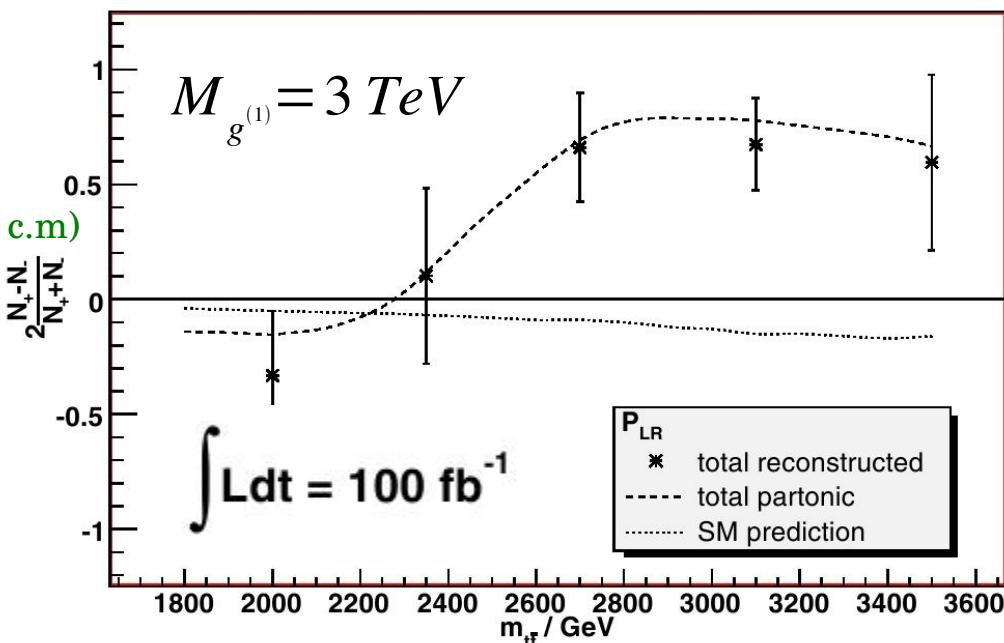
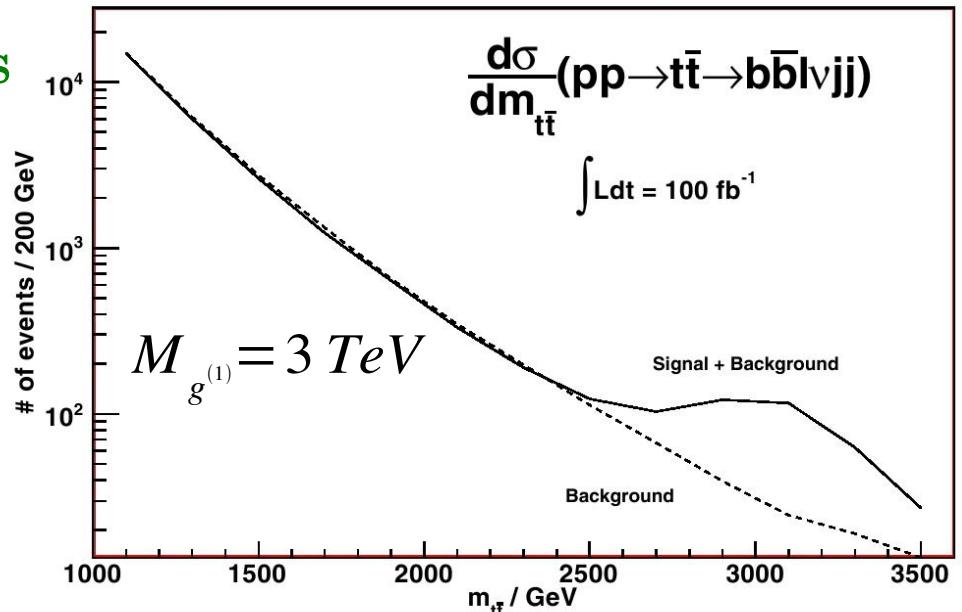
$M_{g^{(1)}} = 4 \text{ TeV}$ $S/\sqrt{B} \approx 4.2$

reach < 4 TeV

asymmetry $2 \times \frac{N_+ - N_-}{N_+ + N_-}$

N_- number of positron
along direction of top-quark boost (in top pair c.m)

**expect strong bias towards RH top
from KK gluon decay**



Bulk RS models

Lillie, Randall, Wang, JHEP 09 (2007) 074
 Agashe, Belyaev, Krupovnickas, Perez, Virzi, PRD 77, 015003
 Allanach, Mahmoudi, Skittrall, Sridhar, arXiv:0910.1350

KK gluon

$$p\ p \rightarrow g^{(1)} \rightarrow t\bar{t} \rightarrow b\bar{b} jjl\nu$$

Selection	Variables	Cuts
Kinematic and acceptance	Lepton ≥ 2 jets Tagged b -jets Missing energy (ν) Lepton isolation b -jet lepton isolation	$p_T > 10$ GeV, $ \eta < 2.5$ $p_T > 30$ GeV, $ \eta < 2.5$ ≥ 1 $p_T^{\text{miss}} > 20$ GeV $\Delta R \geq 0.4$ (non- b jets) $\Delta R \geq 0.4$ or $m_{bl} \geq 40$ GeV
Reconstruction quality for #jets > 2, 2 b -jets required	$ M_W^{\text{had}} - M_W $ $ M_t^{\text{had}} - M_t $ $ M_t^{\text{lep}} - M_t $ $ M_t^{\text{had}} - M_t $ “Top jet”	<50 GeV <50 GeV <50 GeV <50 GeV $p_{T'} > 800$ GeV
Reconstruction quality a b -jet + t -jet		

one could use in addition the fowardness of the SM $t\bar{t}$

i.e. dominant production via gluon fusion more forward

KK gluons produced by quark annihilation

Bulk RS models

Agashe, Davoudiasl, Gopalakrishna, Han, Huang, Perez, PRD76, 115015

Djouadi, Moreau, Singh, NPB 797 (2008) 1

Warped EW neutral gauge bosons

from underlying $SU(2)_L \times SU(2)_R \times U(1)_X$ in the bulk

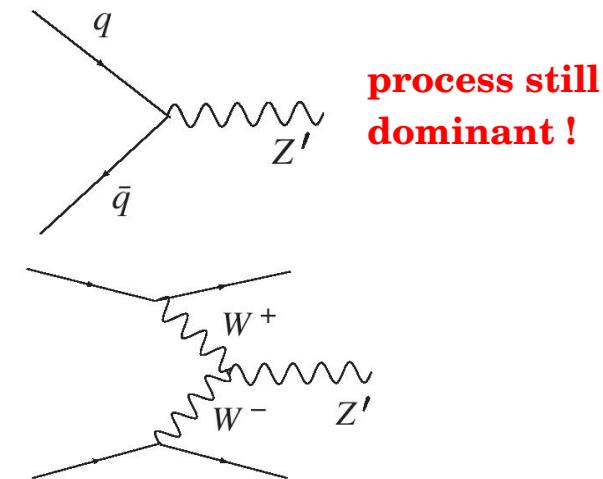
3 neutral KK gauge bosons tower from $U(1)_{L,R,X}$

The diagram shows three arrows pointing from the left towards the right. The top arrow points from A_1, Z_1, Z_{XI} to Z' , with the text "(after mixing)" written above it in red. The bottom arrow points from $U(1)_{L,R,X}$ to Z' , with the text "generically" written above it in green.

Z' coupling to light quarks and leptons are suppressed

Z' coupling to top and bottom are enhanced

Z' coupling to longitudinal W, Z and Higgs enhanced



Z' signatures into top and bottom overwhelmed by KK gluon decay into b and t

$Z' \rightarrow WW \rightarrow 2l2\nu$ sensitivity up to 2 TeV (3 TeV) with $100 \text{ fb}^{-1}(1 \text{ ab}^{-1})$
or $\rightarrow l\nu jj$ luminosity upgrade crucial

luminosity upgrade also crucial for associate production with heavy quarks

Warped EW charged gauge bosons

2 charged KK gauge bosons tower (mixing) \longrightarrow generically W'

W' coupling to light quarks and leptons are suppressed

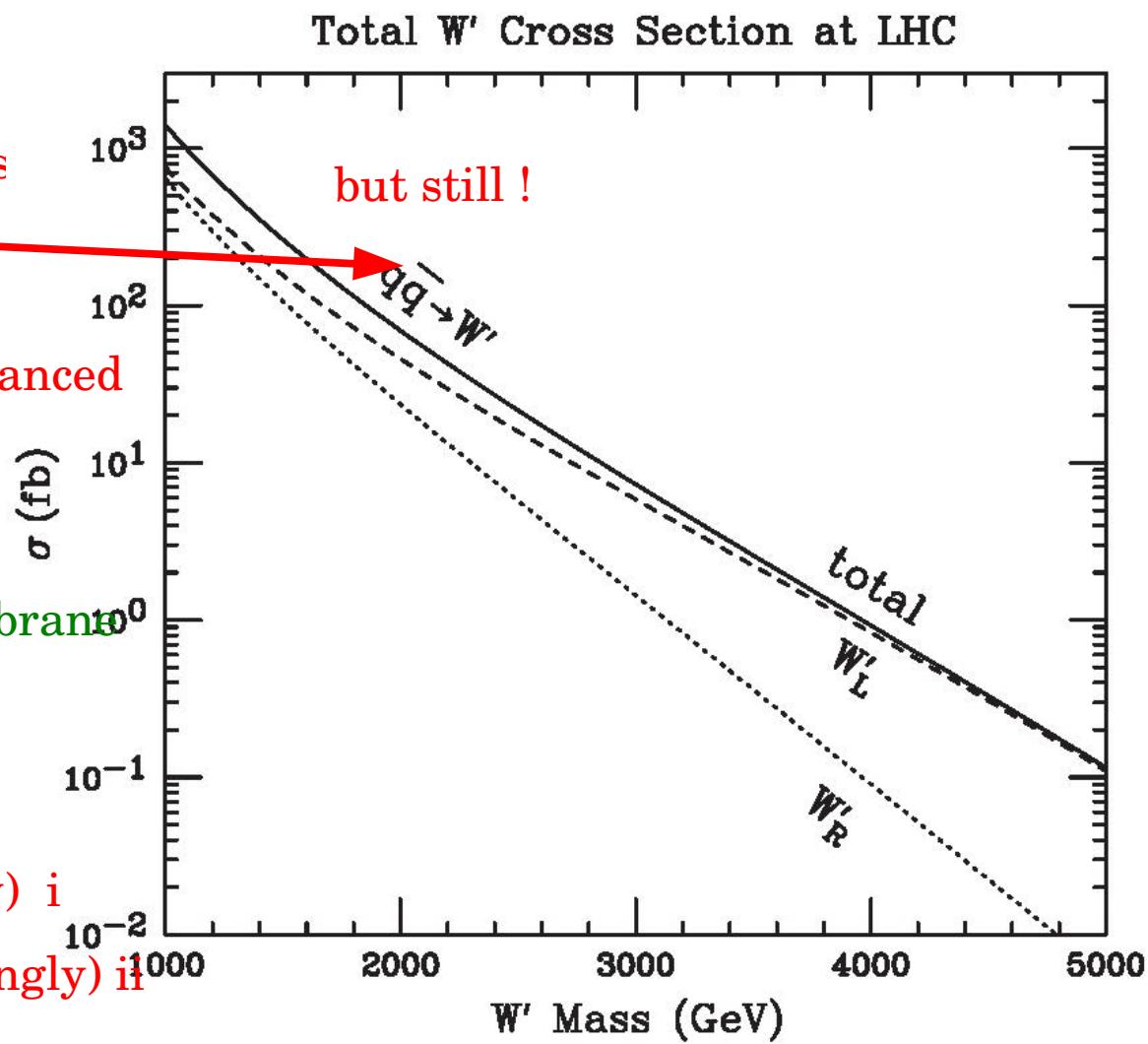
W' coupling to top and bottom are enhanced
 → two cases :

case i) t_R close-to-flat profile in bulk and $(t,b)_L$ profile close to TeV brane

case ii) vice-versa

EW precision tests tend to prefer (mildly) i

flavor precision tests tend to prefer (strongly) ii

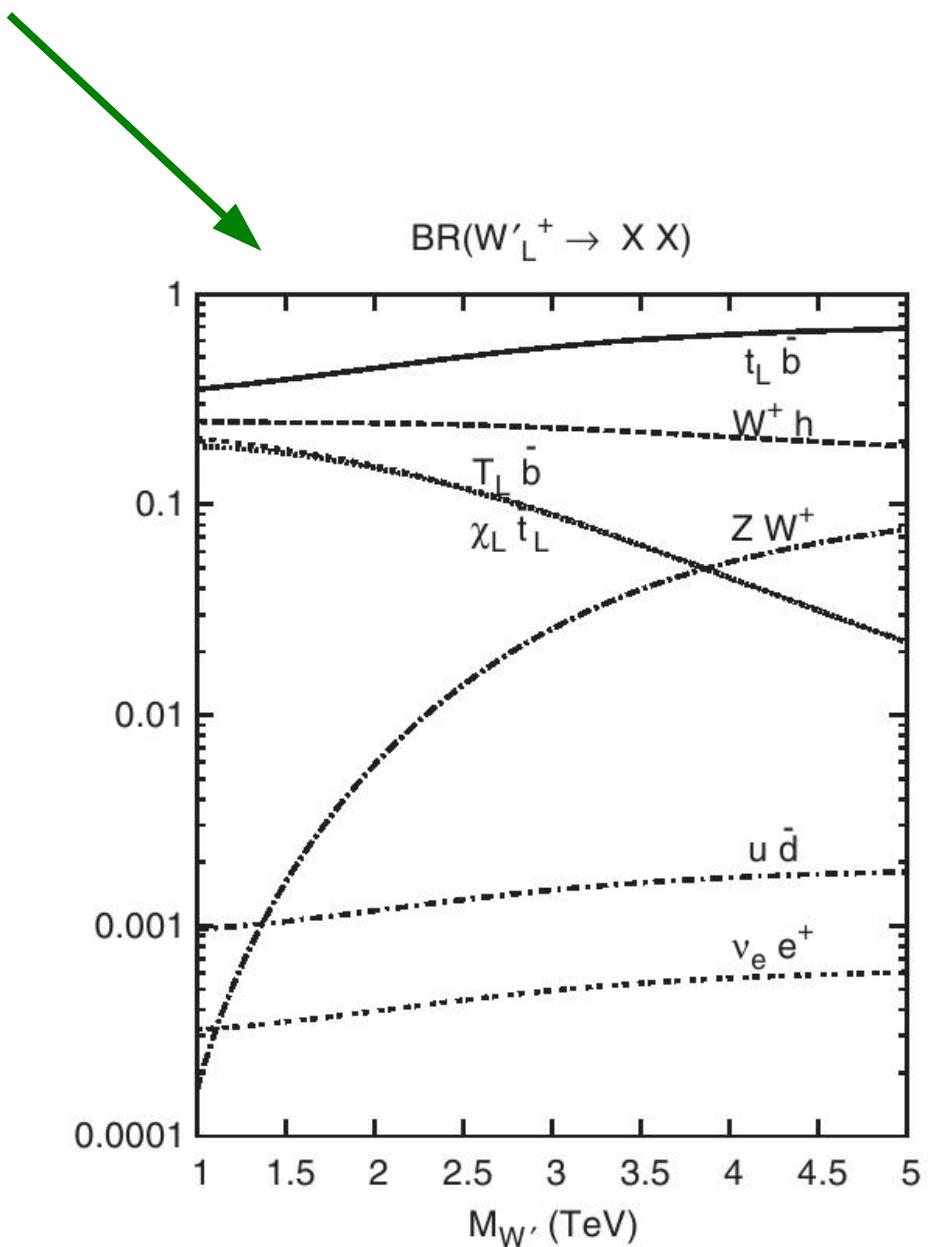
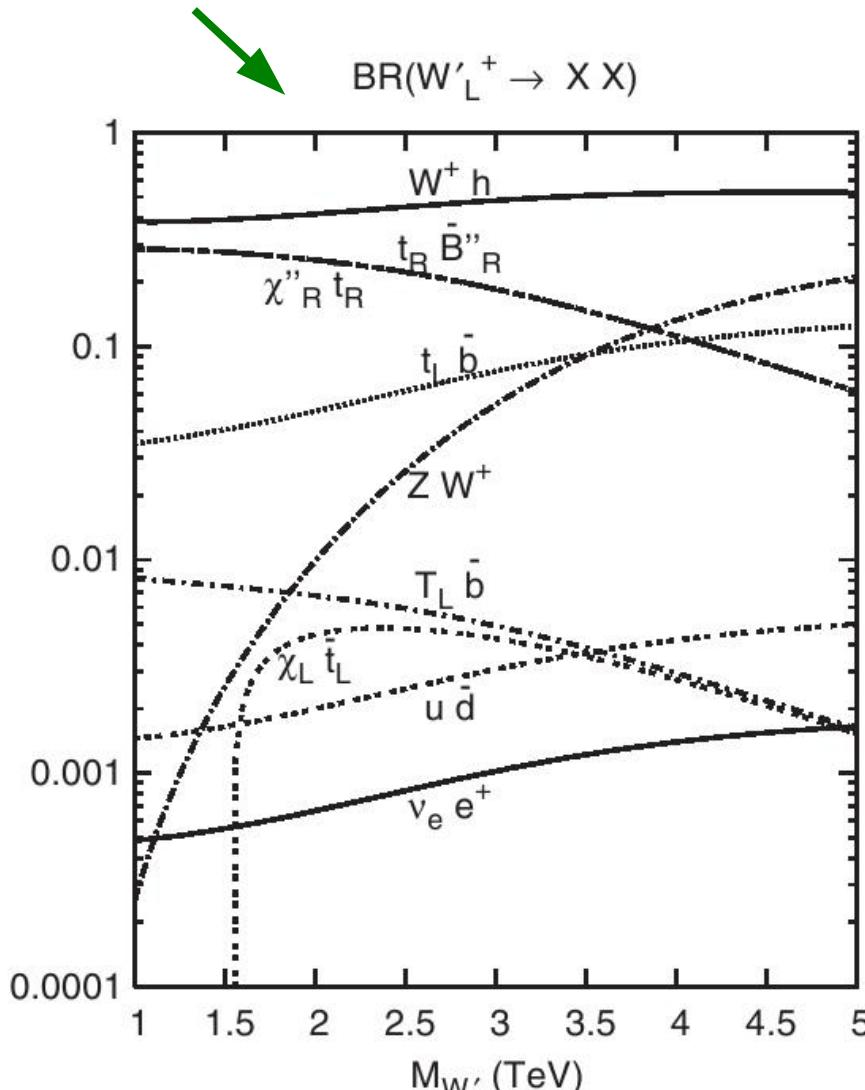


Bulk RS models

Warped EW charged gauge boson decay

i) t_R close-to-flat profile in bulk and $(t,b)_L$ profile close to TeV brane

ii) vice versa



Bulk RS models

Agashe, Gopalakrishna, Han, Huang, Soni, PRD 80, 075007

Warped EW charged gauge bosons

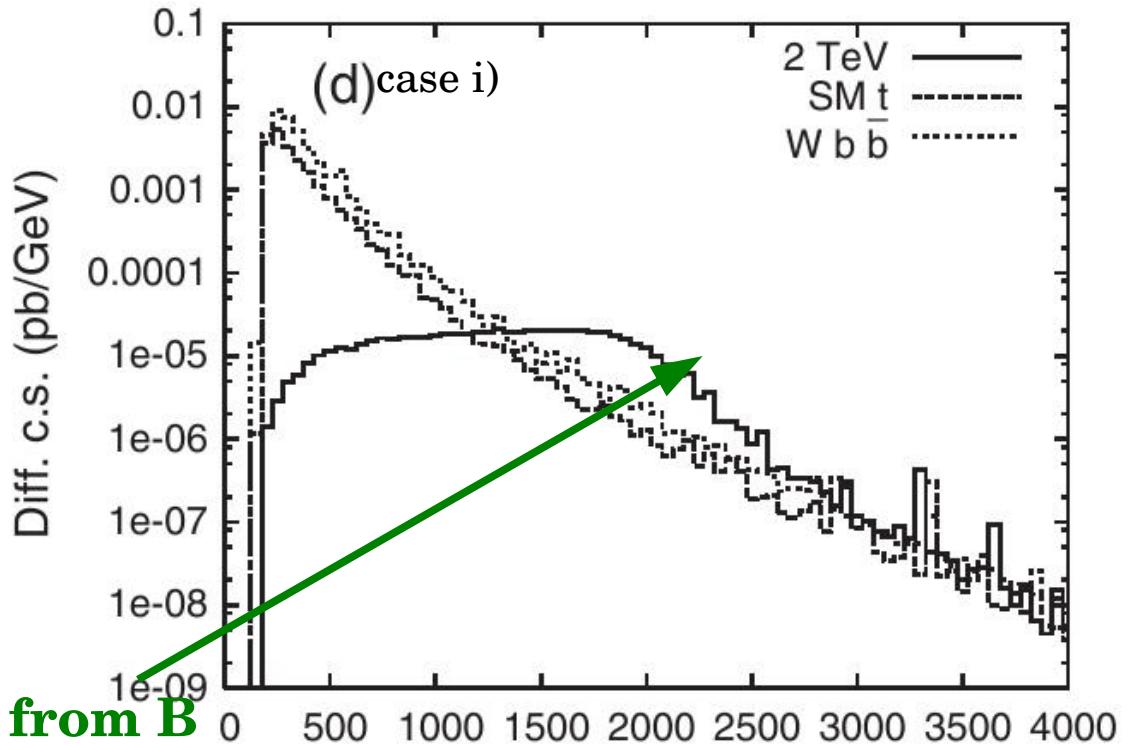
tb channel

$$pp \rightarrow W' \rightarrow t\bar{b} \rightarrow W\bar{b} b \rightarrow l\nu\bar{b}\bar{b}$$

(l = e, μ)

main SM Backgrounds (B)

→ single top and Wbb



possible separation of Signal (S) from B

Wb angle cut, jet-mass cut, 2 btags,

$$M_{TWb\bar{b}} = p_{Tb} + p_{T\bar{b}} + \sqrt{p_{TW}^2 + m_W^2}$$

$$M_{TWb} = (\sqrt{p_{TW}^2 + m_W^2} + p_{Tb})^2 - |P_{TW} + P_{Tb}|^2 \quad \text{and} \quad M_{TWb\bar{b}} \text{ mass window}$$

case i)	$M_{W'} = 2 \text{ TeV}$	$L = 100 \text{ fb}^{-1}$	(20 events)	$S/B = 2.5$	$S/\sqrt{B} = 7$
	$M_{W'} = 3 \text{ TeV}$	$L = 300 \text{ fb}^{-1}$	(7 events)	$S/B = 5.8$	$S/\sqrt{B} = 4.5$
case ii)	$M_{W'} = 2 \text{ TeV}$	$L = 1000 \text{ fb}^{-1}$	(30 events)	$S/B = 0.38$	$S/\sqrt{B} = 3.4$

Bulk RS models

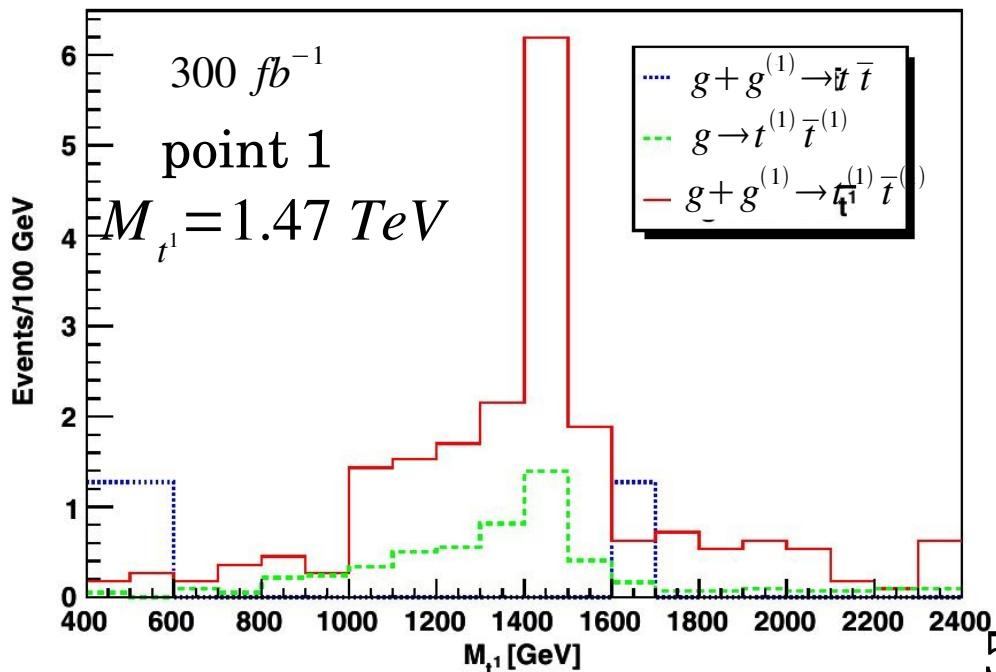
1 example of KK fermions search

$$pp \rightarrow g + g^{(1)} \rightarrow t^{(1)}\bar{t}^{(1)} \rightarrow W^+ b W^- \bar{b} \rightarrow l^- \nu b \bar{b} jj (l=e, \mu)$$

Backgrounds :

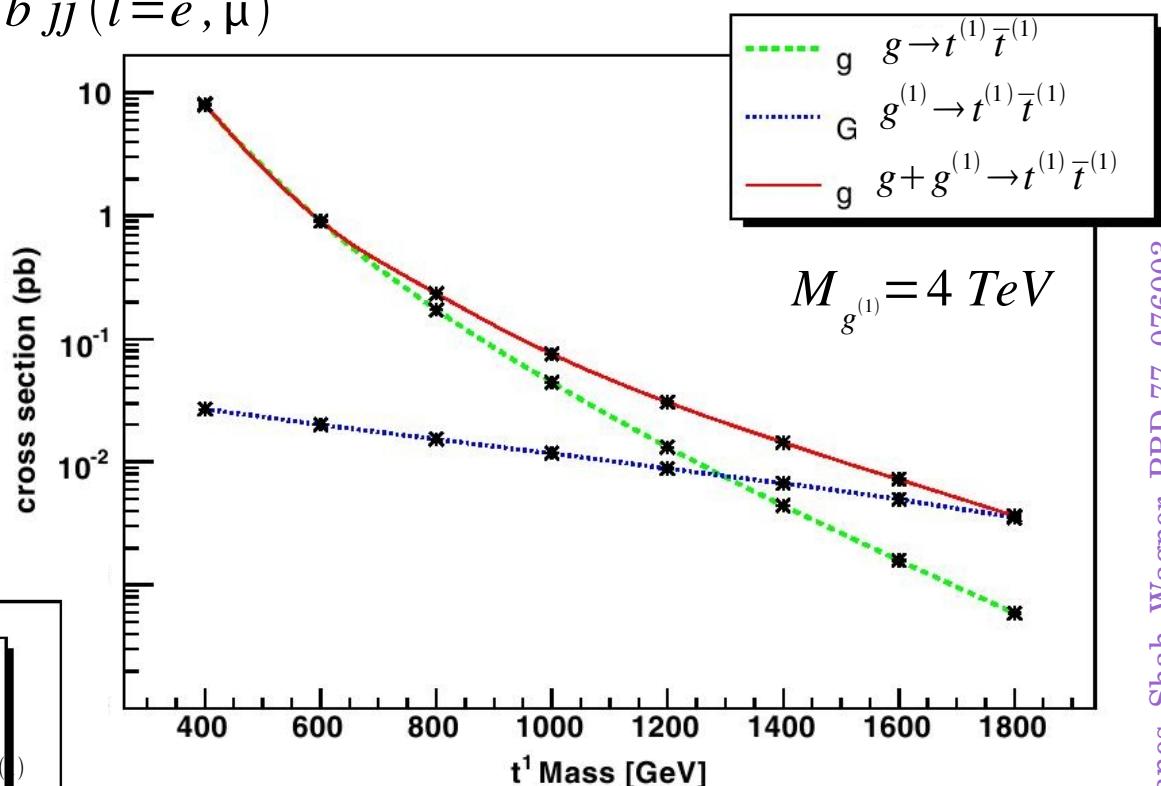
SM model top pair prod. and W/Z + jets
top pair prod. from KK gluon decay (!)

high pT lepton, high pT jets, MET, Ht,
2b-tags, single jet from boosted W and
Wb system requirement i.e.
bottom having biggest ΔR w.r.t W

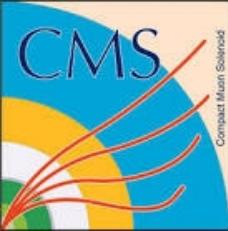


50

Aguilar-Saavedra, PLB 625 (2005) 234, PLB 633 (2006) 792
Carena, Ponton, Santiago, Wagner, NPB 759 (2006) 202
Holdom, JHEP 03 (2007) 063
Skiba, Tucker-Smith, PRD75, 115010
Carena, Medina, Panes, Shah, Wagner, PRD 77, 076003
Contino Servant, JHEP 06 (2008) 026



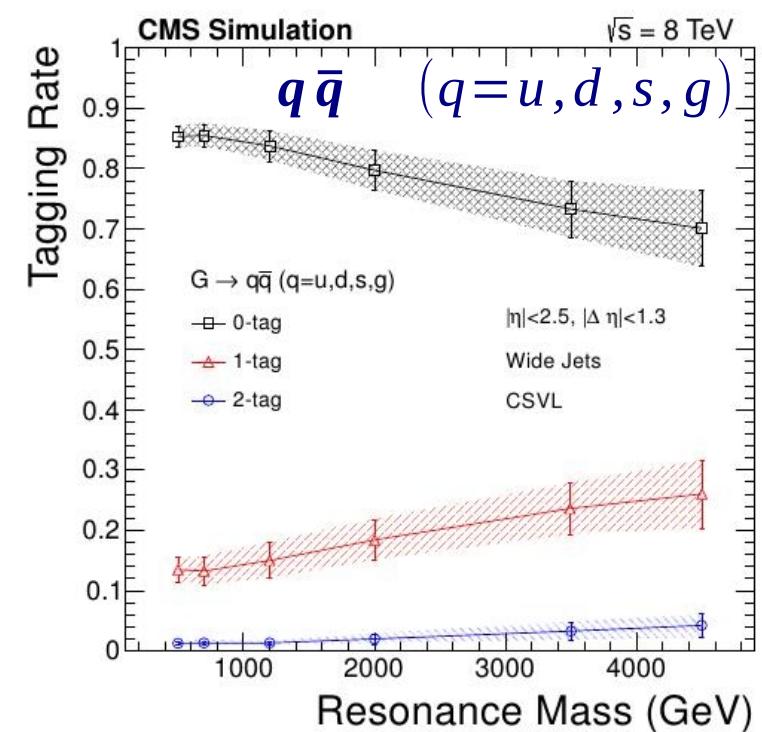
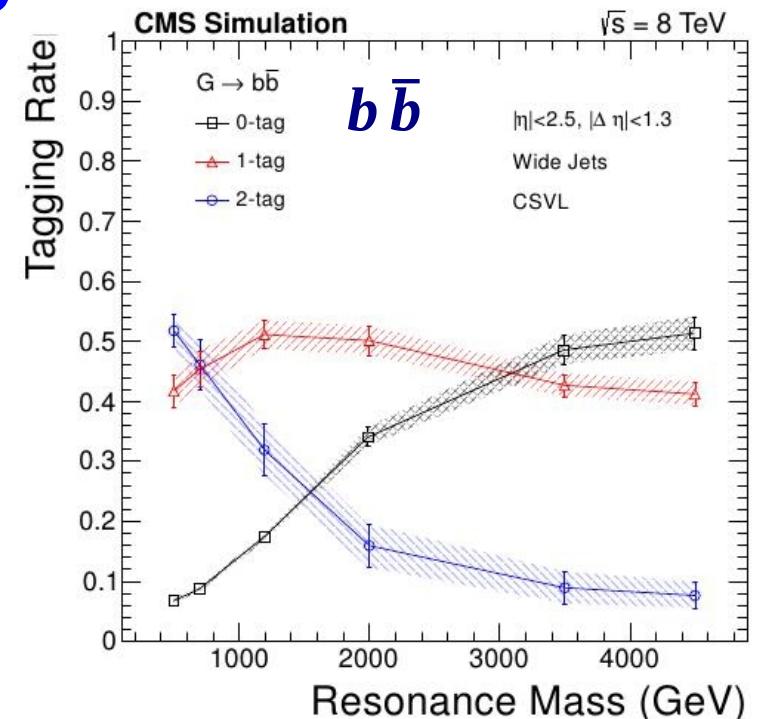
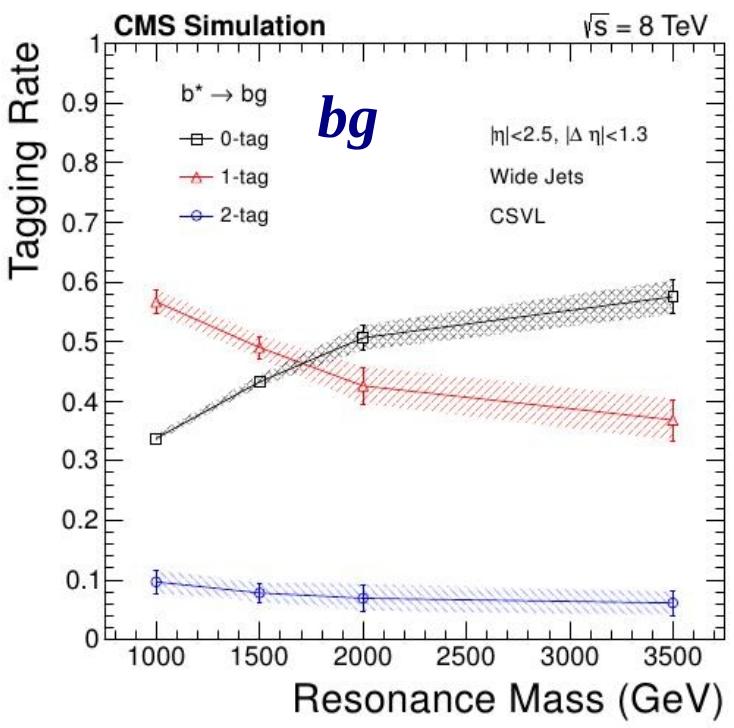
5 σ significance $S/\sqrt{S+B}$ at 300 fb^{-1}
with K-factor = 1.5



resonant dijets (with b-jet)

CMS-EXO-12-023

tagging rates



Bulk RS models: KK gluon in all hadronic mode

$$p p \rightarrow g^{(1)} \rightarrow t \bar{t} \rightarrow b \bar{b} j j j j$$

need

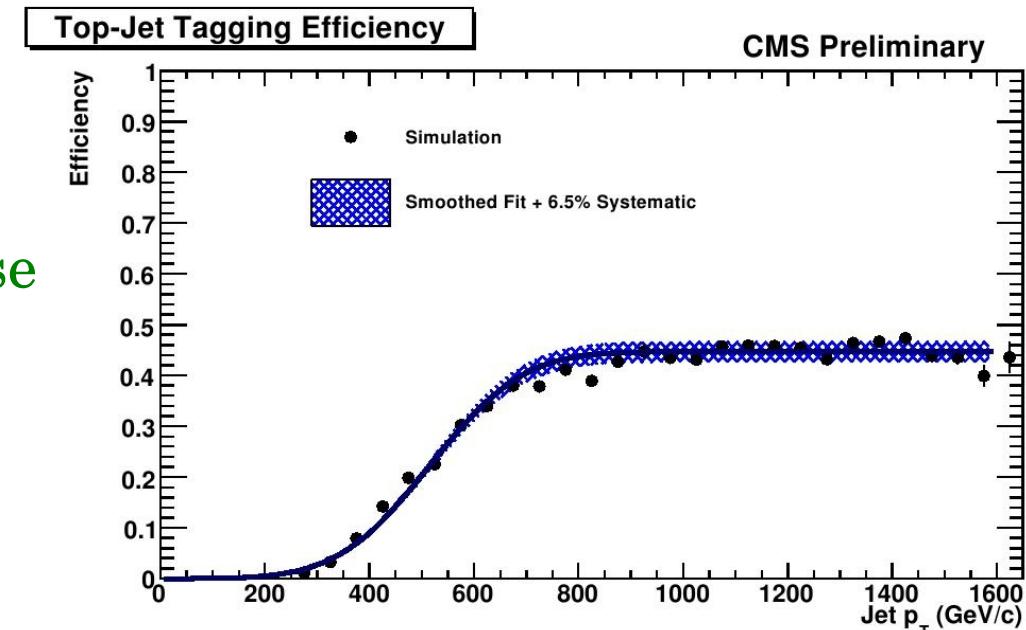
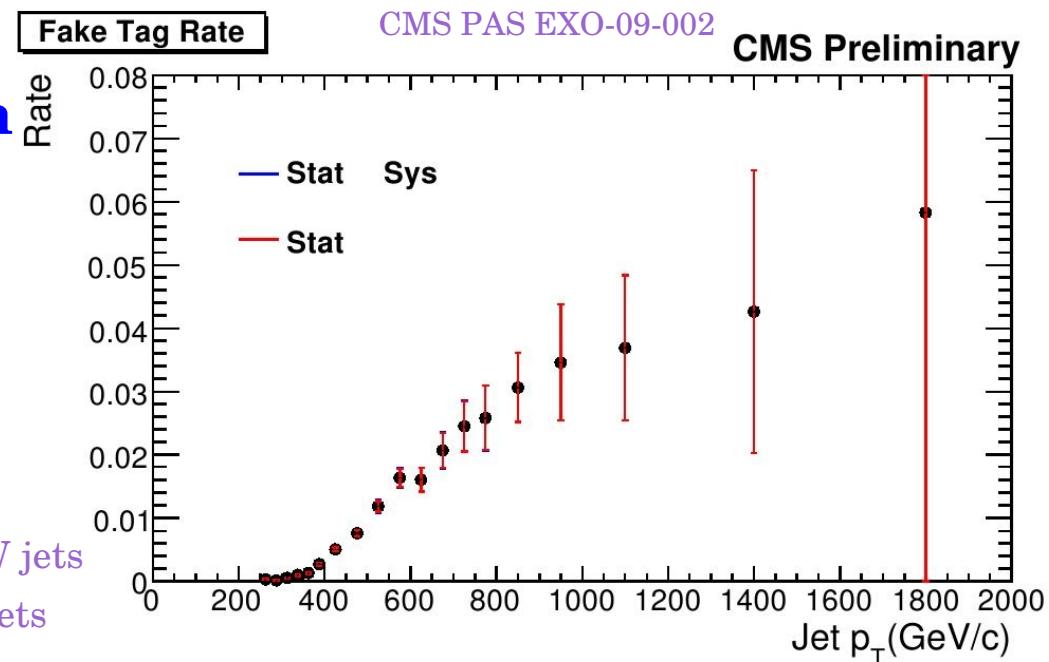
boosted top-quark jets algorithm

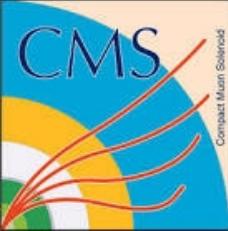
using Dokshitzer, Leder, Moretti, Webber,
JHEP 08 (1997) 001, i.e. CA algorithm and
Kaplan, Rehermann, Schwartz, Tweedie,
PRL 101 (2008) 142001

similar to: Butterworth, Davison Rubin Salam,
PRL 100 (2008) 242001, for Higgs jets

Butterworth, Cox, Fowshaw PRD65 (2002) 096014, for W jets

Butterworth, Ellis, Raklev, JHEP 05 (2007) 033, for W jets

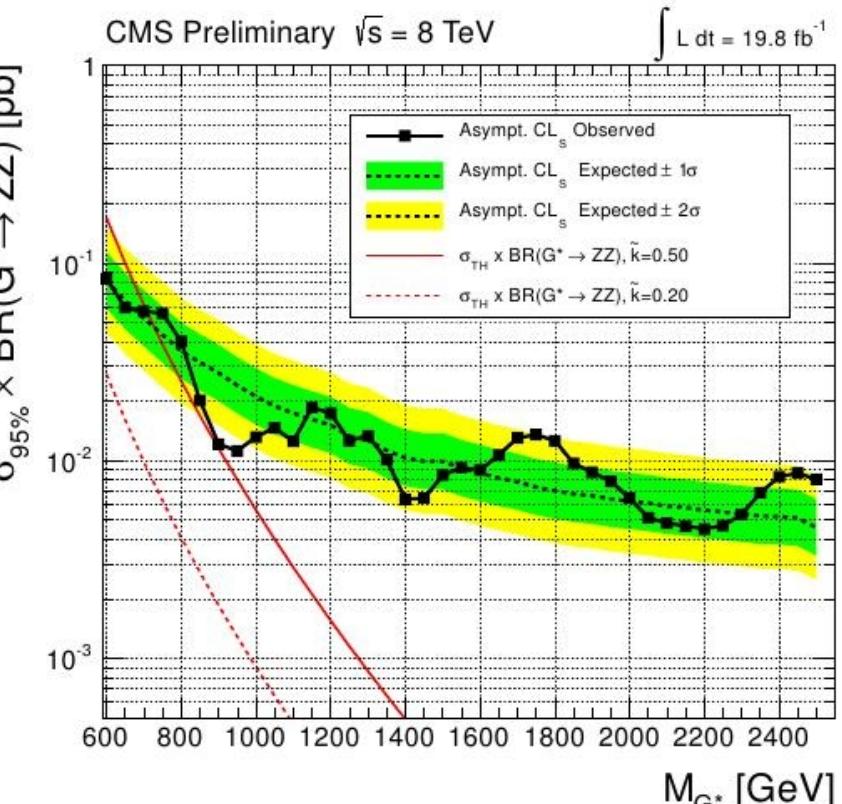
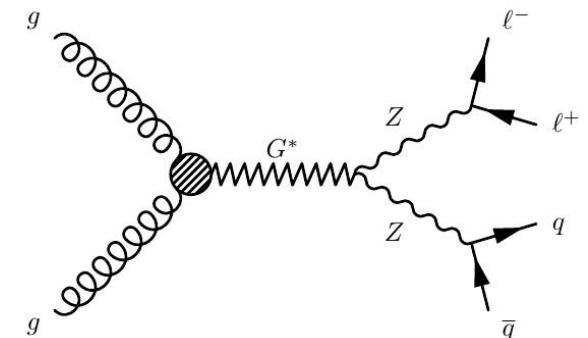
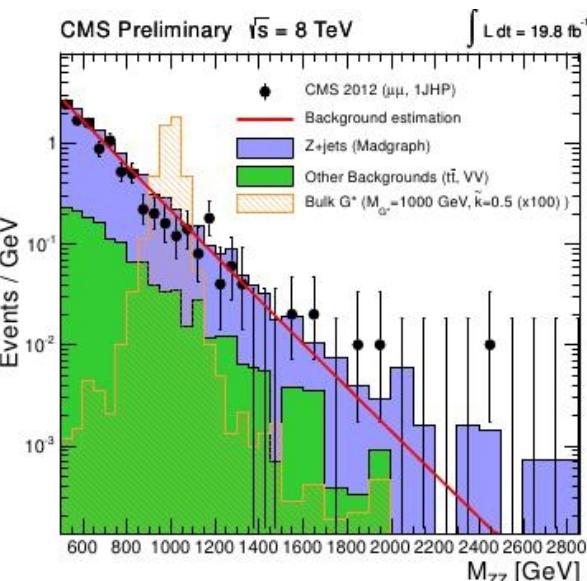
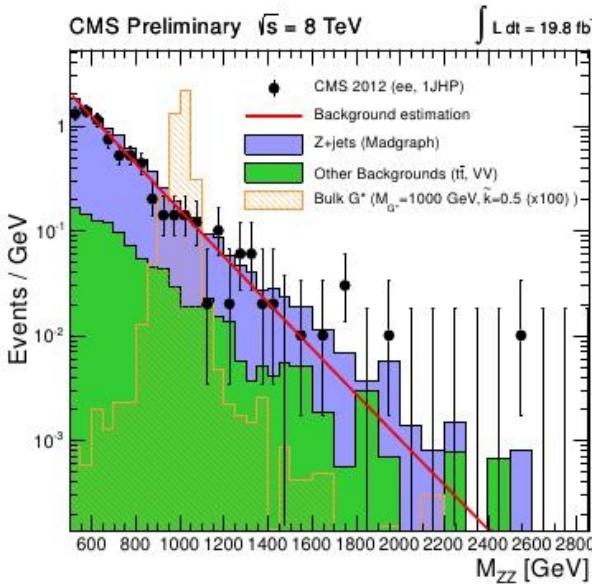




semi leptonic resonant diboson (ZZ)

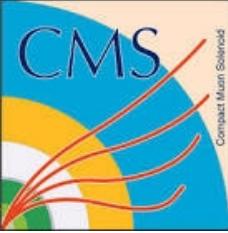
CMS-EXO-12-021

aiming at $G_{KK}^{RS} \rightarrow ZZ$



categorize into ee and $\mu\mu$
and low (LP) and high (HP) purity

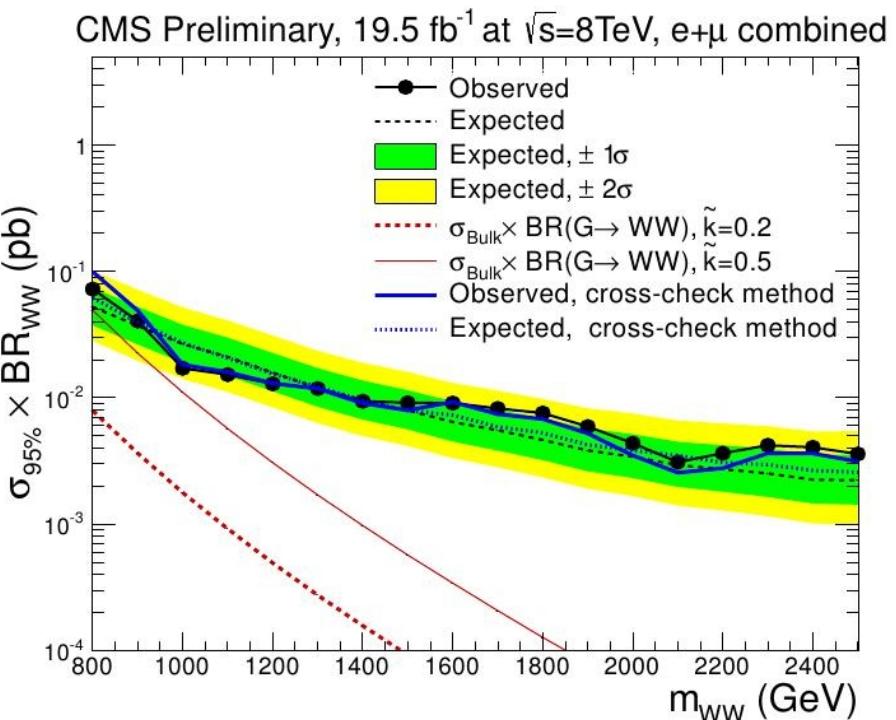
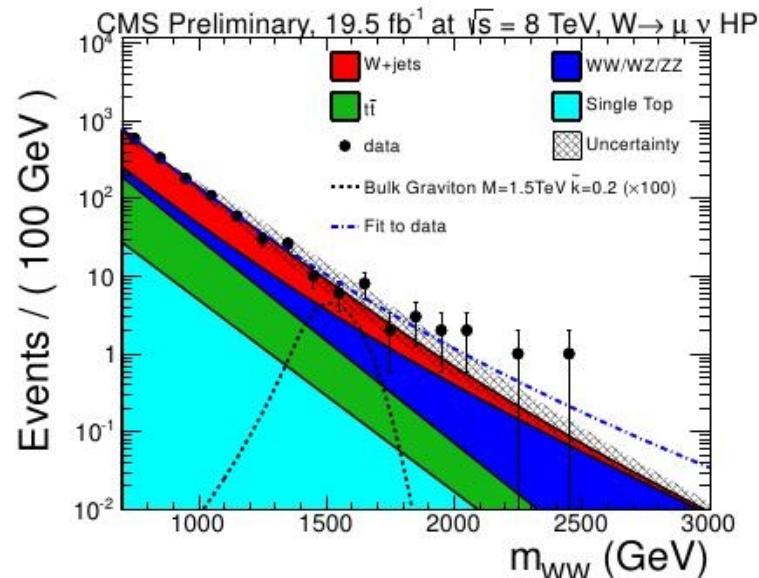
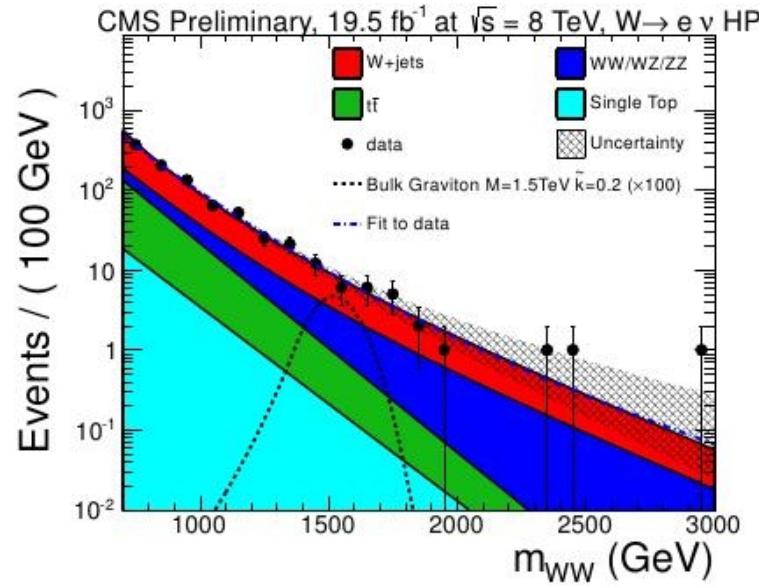
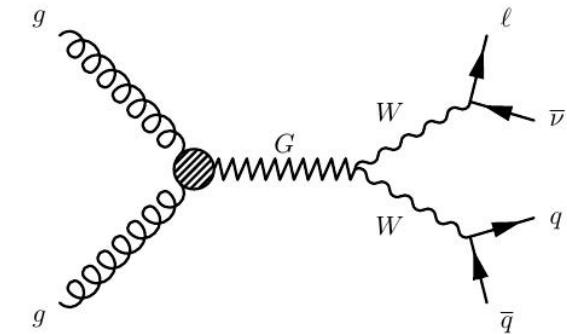
$m_{G_{KK}^{(1)}} > 710 \text{ GeV}$



semi-leptonic resonant diboson (WW)

CMS-EXO-12-021

aiming at $G_{KK}^{RS} \rightarrow WW$



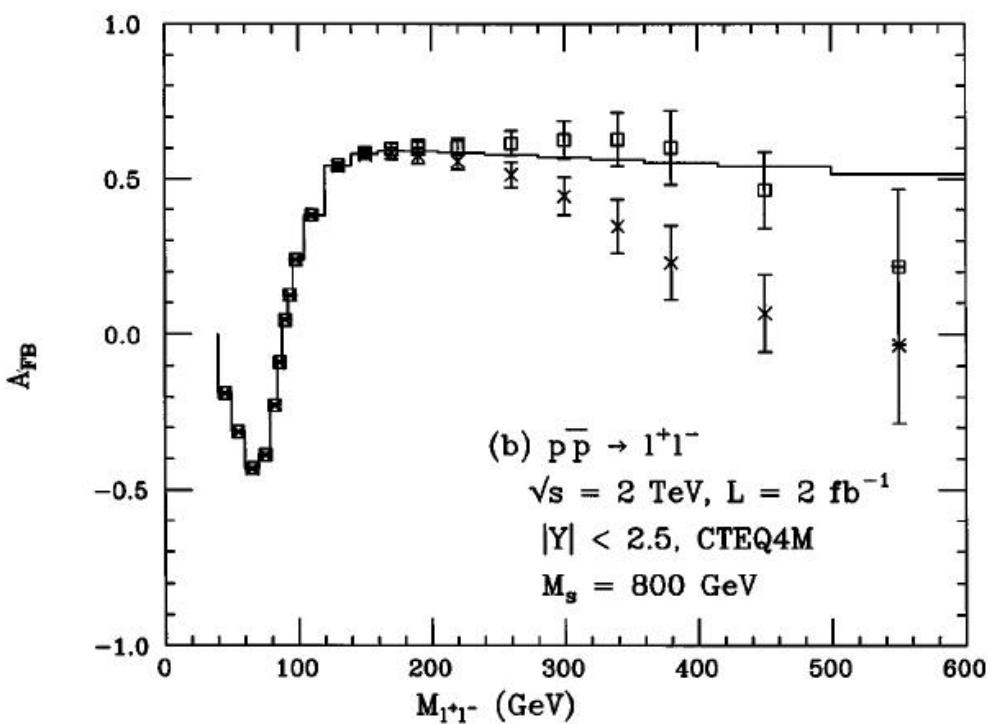
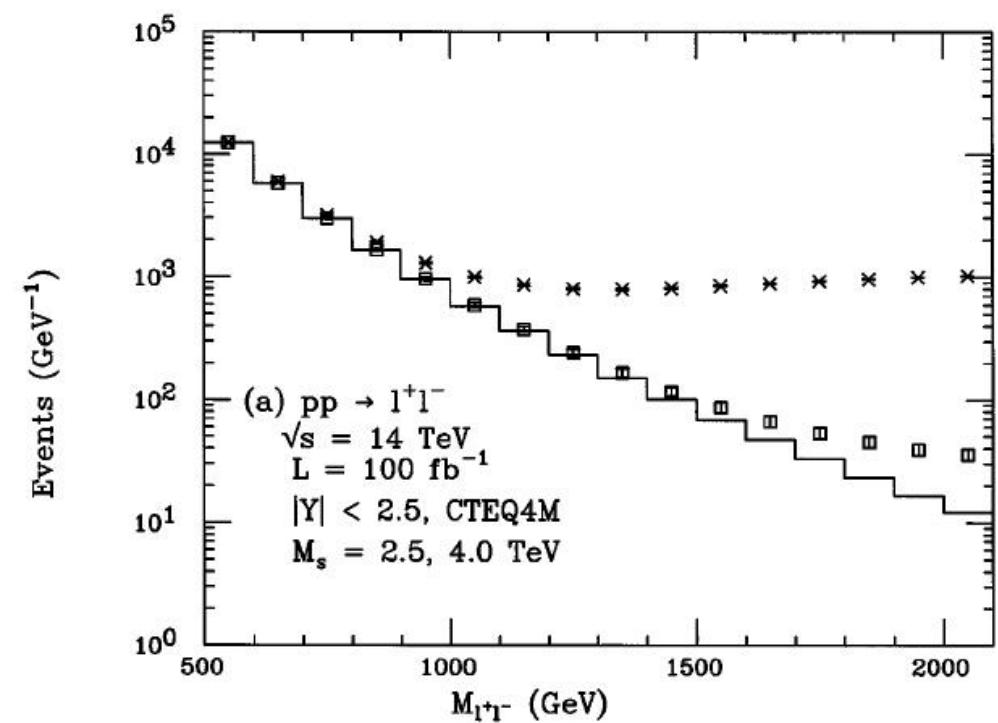
$$\sigma \cdot \text{BR} < 70 \text{ fb} - 3 \text{ fb}$$

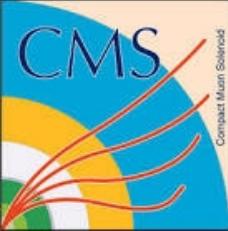
for $m_{G_{KK}^{(1)}}$ in the $0.8 - 2.5 \text{ TeV}$ range

categorize into $e\nu$ and $\mu\nu$
and low (LP) and high (HP) purity



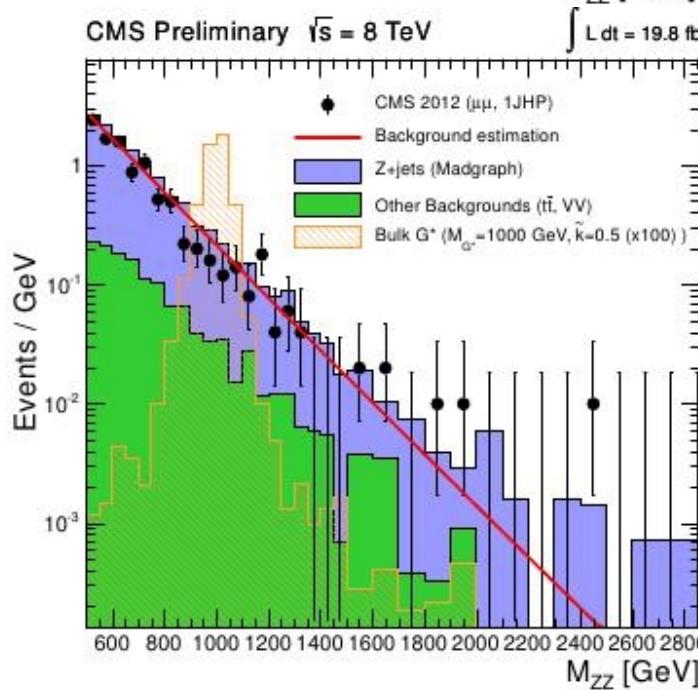
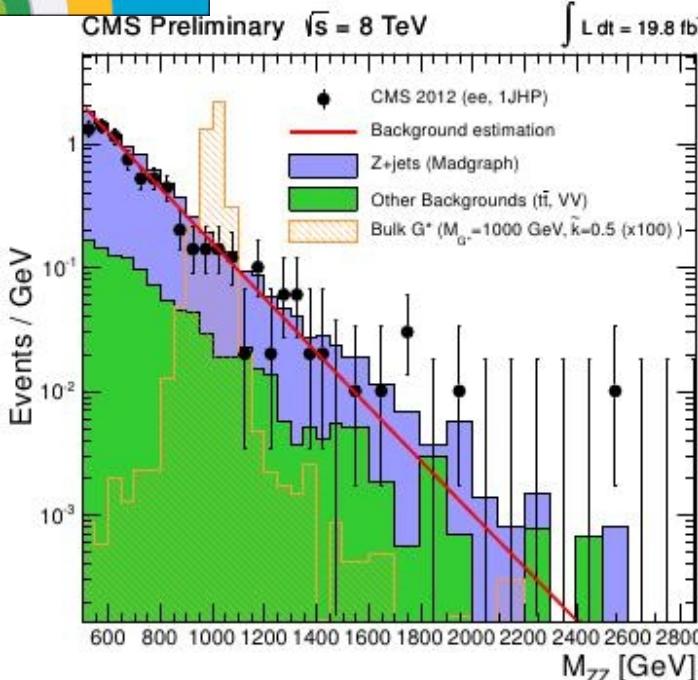
ADD indirect



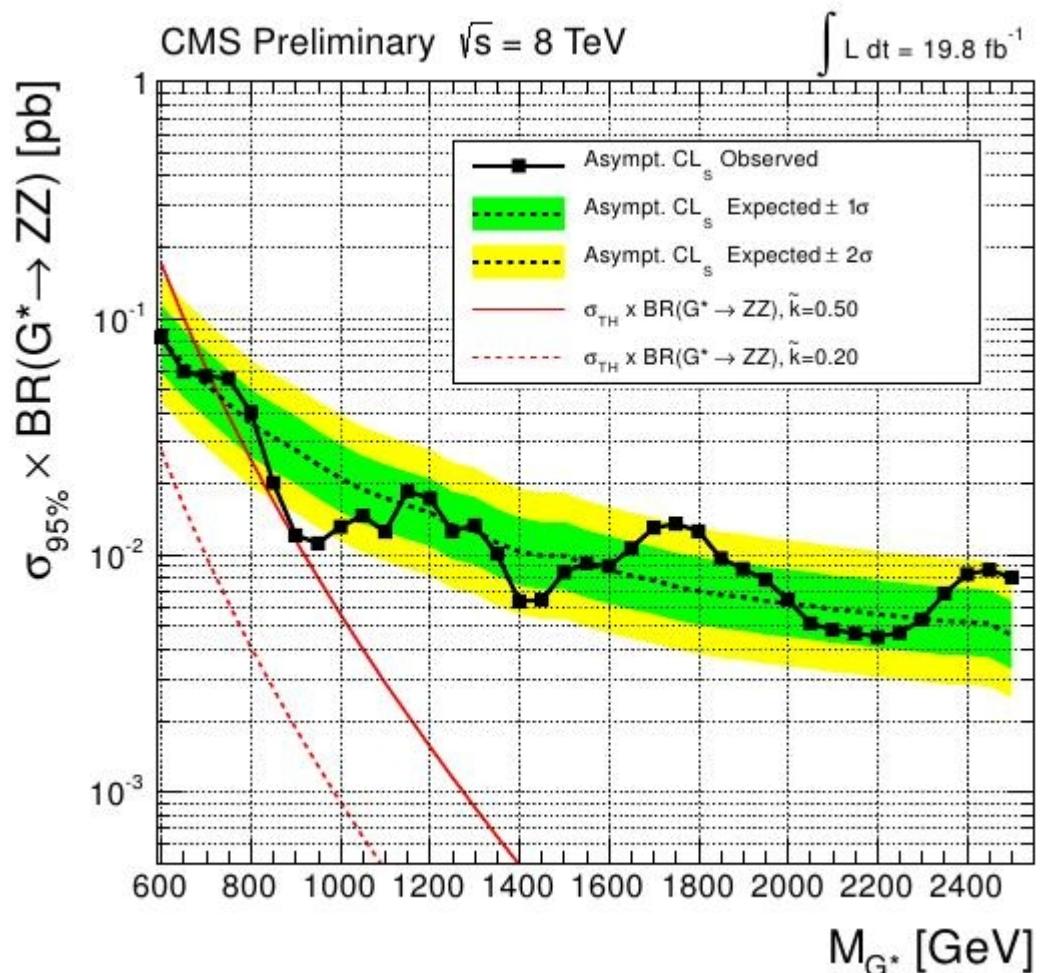
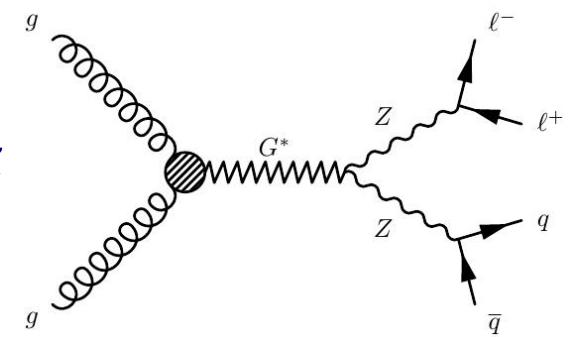


resonant diboson (Z)

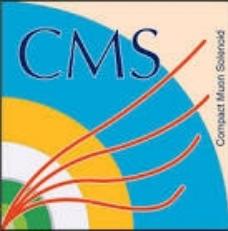
CMS-EXO-12-022



aiming at $G_{KK}^{\text{RS}} \rightarrow ZZ$

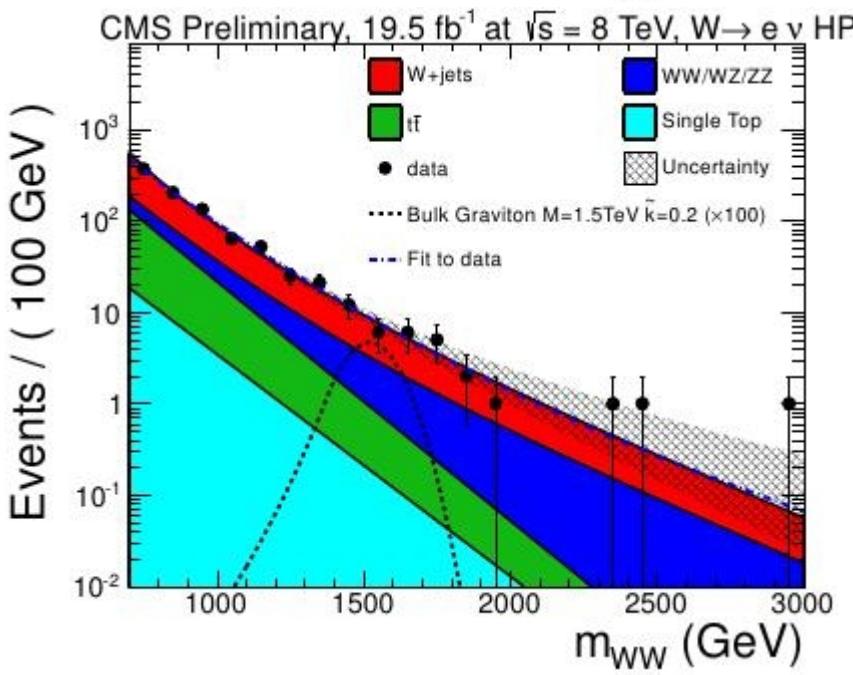
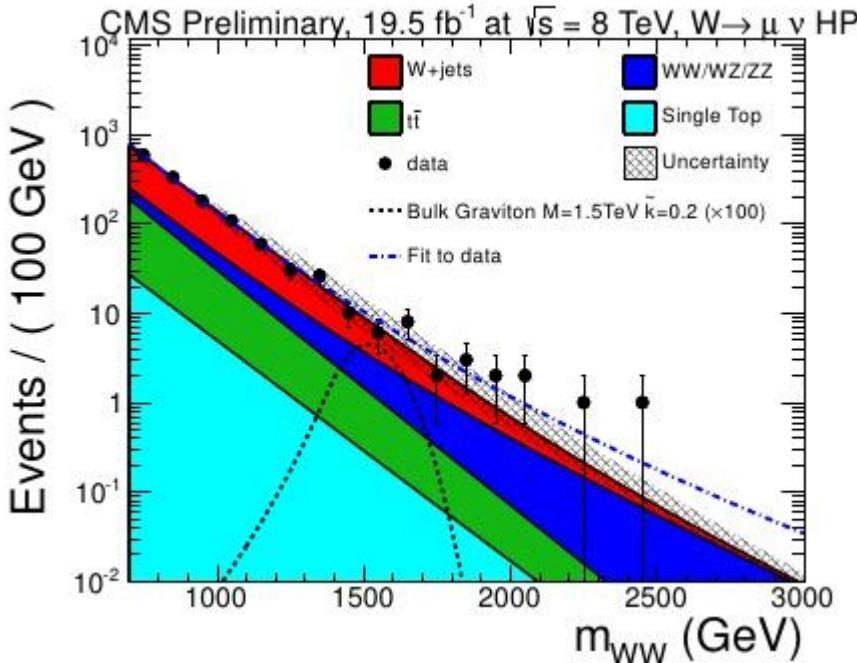


$m_{G_{KK}^{(1)}} > 710 \text{ GeV} \quad (\tilde{k}=0.5)$

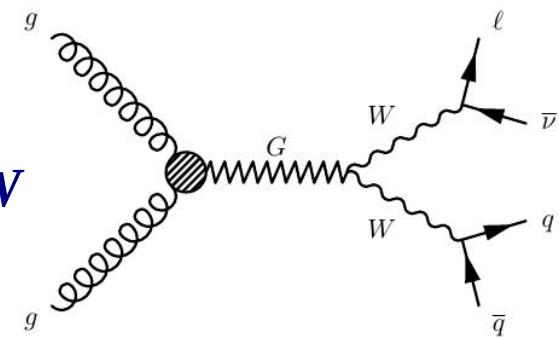


resonant diboson (W)

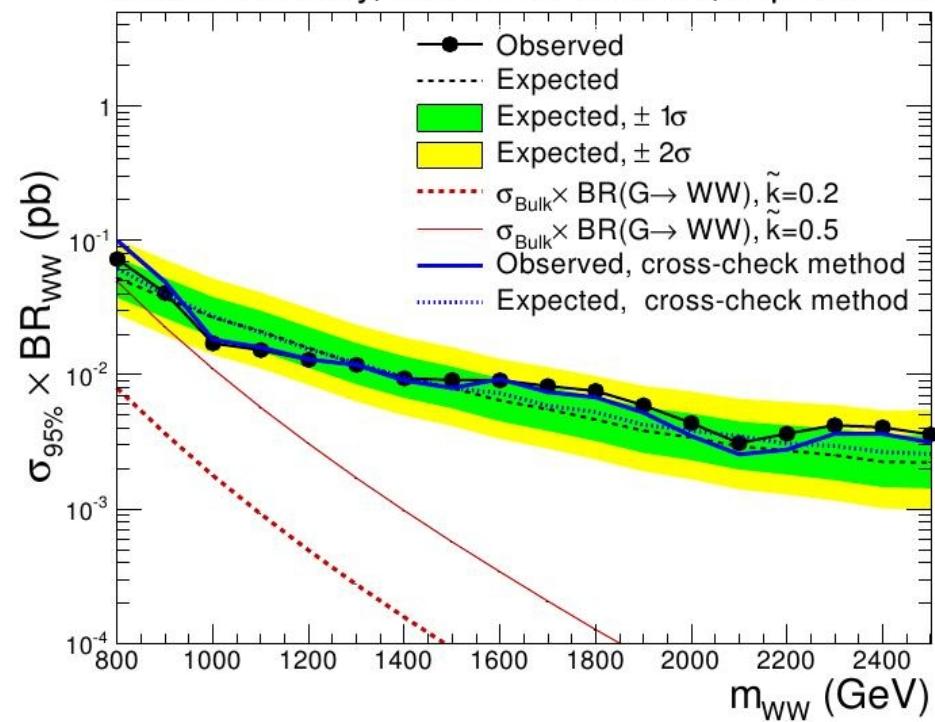
CMS-EXO-12-021



aiming at $G_{KK}^{\text{RS}} \rightarrow WW$



CMS Preliminary, 19.5 fb^{-1} at $\sqrt{s}=8\text{TeV}$, $e+\mu$ combined



$\sigma \cdot BR < 70 \text{ fb} - 3 \text{ fb}$

for $m_{G_{KK}^{(1)}}$ in the $0.8 - 2.5 \text{ TeV}$ range