Micromegas TPC Analysis Status

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The EUDET/AIDA test beam facility at DESY provide a 6 GeV electron beam

- ☞ Consists of a field cage equipped with an endplate with 7 windows to receive up to 7 fully equipped identical modules
- Last beam test of 7 MicroMegas (MM) TPC modules at DESY (Feb. 17– Mar. 2, 2014)
- ☞ Principal goals of 2014 test beam
	- $\blacksquare\blacktriangleright$ test of the $CO₂$ cooling system
	- ➠ combined test of 5 MM with
		- 2 Timepix modules

Prehistory of beam tests with MM modules:

- \mathbb{R} Mar 2010: 1 module, simple cuts to enrich the "one track" event content; analysis with FTPC framework
- \mathbb{R} May 2011: cross-talk problem; start using Marlin framework
- ☞ Jul 2012: multimodule setup with 6 fully operated modules; coherent noise
- ☞ Jan-Feb 2013: multimodule setup with 7 fully operated modules; many disconnected pads; first complete analysis with MarlinTPC framework
- \mathbb{R} Feb 2014: same as in 2013 with some pads' connection problem; analysis with MarlinTPC framework

Most studies was done with a multi-module setup of Most data were taken with the LP Micromegas TPC detector using beam test data at DESY facility $B=0$, 1 T and $E=140$, 230 V/cm at $\Delta z = 5$ cm

One-Module setup analyzed with FTPC framework and deployed simple selections to enrich "single track" event content

- ☞ Relaxed selections do not bias the resolution
	- ➠ reject multiple-track events
	- ➠ require less than 5 hits with more than 40 ADC counts outside 10 central pad lines

Consistent results are obtained for z>30 and $z<30$ fitted ranges Meet stable results with relaxed cuts which satisfy ILD TPC requirements

Coherent analysis of 2013/14 data is performed in MarlinTPC framework

- ☞ Dataflow has two major steps: DAQ and Analysis
	- ➠ DAQ software store data in raw format (calib. view, event dispay, slow control)
	- $\blacksquare\blacktriangleright$ High level analysis with $\mathrm{MarlinTPC}$
		- \rightarrow subtract pedestals
		- \rightarrow build hits from pulses
		- → reconstruct tracks (KalmanFit)
		- → analysis (resolution, distortion, etc)

Determine resolution from residuals of the whole 3D track fit, e.g. Kalman algorithm (Disclamer: triplet finder is being used often since it is a faster algorithm and gives comparable results)

- ☞ The TPC acts as a 3D camera taking a snapshot of the passing particle
- \sqrt{w} Z resolution is its major characteristic
	- ➠ measure time between ionization and detection multiply by drift velocity
	- **■■ ILD TPC requirements:** $\sigma_z \sim 400 \mu m$
- ☞ Each pad readout provide charge (ADC) as a function of time with 40 ns intervals
- \mathbb{F} It is possible to determine arrival time (T_{max}) and amplitude (A) for each pad
	- **IIII** best estimation if pulse shape is known
	- ➠ build one hit per row by grouping pulses
	- ➠ fit a Pad Response Function (PRF) to the pulse amplitude A to find XY position of the hit

Several time estimators were tested and compared

- ☞ We put forward 2 new methods based on pulse shape
	- ➠ gaussian inflexion point
	- ➠ pulse shape fit

Met a significant improvement toward ILD TPC requirement

☞ Readout electronics shapes the pulse in a Gaussian-like form

- **INSPARENTIFY 11** in the 3 floated param-
 $\frac{3}{2}$ find the set of the set o eters: amplitude (A), mean (T_{max}) , sigma (σ)
- \blacksquare fit is done in the range $+5$ and -5 samples around the maximum bin
- ☞ Determine gaussian inflexion point as

Also test Gaussian mean as alternative approach for arrival time determination

An example of the gaussian fit: 2013 data, Module=3, Row=2, $B=1T$

☞ Pulse shape is determined from electronics shaping (also for GEM)

$$
f(t) = A \cdot e^{\alpha} \cdot \left(\tfrac{t-T_0}{T_{rise}}\right)^{\alpha} \! e^{-\alpha \frac{t-T_0}{T_{rise}}} \! \theta(t-T_0)
$$

 \bf{A} - amplitude \bf{T}_0 - offset, \bf{T}_{rise} - risetime, α - pulse width,

^{■■} There is strong correlation between $\mathrm{T_{0}}$ and $\mathrm{T_{rise}}$ (limited fit range)

☞ Modify function in such a way that both A and T_{max} are direct fit parameters

$$
\rm f(t) = A \cdot \big[\frac{\rm t-(T_{max}-T_{rise})}{T_{rise}}\big]^{\alpha} e^{-\alpha \frac{\rm t-T_{max}}{T_{rise}}} \theta(t-T_{max}-T_{rise})
$$

☞ Modify parametric form according to transfromation $T_{\text{rise}} = \alpha \beta$ so that $\beta \simeq 1$ at $\alpha = 5$ and define $\Delta t = t - T_{\text{max}}$

$$
\mathrm{f(t)} = \mathrm{A} \cdot \big(1 + \tfrac{\Delta \mathrm{t}}{\alpha \beta}\big)^\alpha \mathrm{e}^{-\tfrac{\Delta \mathrm{t}}{\beta}} \cdot \theta (\Delta \mathrm{t} + \alpha \beta)
$$

Single pulse fit with 3 floated parameters ($\alpha = 5$): restricted the fit range to $+3$ and -2 time samples around the maximum bin

Impact on Pad Response

☞ Pulse variations

- ➠ channel-by-channel (electronics, shaping)
- ➠ leading and subleading

☞ Hit Finding Procedure

- ➠ group adjacent pulses
- ➠ fit PRF to the pulse amplitudes

Currently focuses on the leading pulse time reconstruciton only and use the maximum time bin for the amplitude estimate

- \sqrt{w} Improved estimtion of amplitude A of the group of adjacend pulses can go beyond the current precision for XY position
	- ➠ deserves special study (foreseen to be implemented in the future)
		- \rightarrow subleading pulses have quite different shape

- \sqrt{w} Fit each individual (leading) pulse with f(t)
	- \blacksquare normalize amplitude to $\rm A_{max}$ pulse-by-pulse
	- ➠ force pulse maximum at zero
	- ➠ reasonable stability of the pulse shape
		- \rightarrow difference is minimal around the peak
		- \rightarrow sizable uncertainty around T_0
		- → large variation in tails (can be negative)

Shoulders indicate possible T_{rise} variation from channel-by-channel (event-by-event)

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Direct study of arrival time stability is troublesome with current setup

- Jitter of T_{max} takes place due to
	- ➠ absolute variation of the start bin
	- $\blacksquare\blacktriangleright$ finite size of the beam (absolute time)
- ☞ Direct stability test is feasible with facility upgrade
	- ➠ includes a few silicon layers for precision beam position determination

However, it is not a problem for the resolution, which can be determined from residuals of the track fit

Z resolution has been measured with the triplet finder algorithm

- ☞ Significant improment is achieved with respect to the box method
	- \blacksquare about 25% at short drift distance with a pulse peak estimators
	- \blacksquare about 50% at short drift distance with an inflection point estimator
	- **■■ slightly reduces the improvement at long** distance due to diffusion contribution
	- ➠ precision functional form inspired from the electronic shaping accounts possible imperfections of the gaussian approach
	- ➠ in general the inflection point approach offers smaller residuals than a peak position

Estimate with inflection point of the precision functional form is foreseen

 Z-Resolution (mm) Z-Resolution (mm) $1 -$ 0.8 Preliminary 0.6 $0.4 \, \vert \cdot$ **Maximum Bin Half-Max Bin** 0.2 **Inflexion Point "Box" Method Weighted Mean Gamma5 Fit Gaussian Mean Gaussian Inflexion Point** Ω 100 200 300 400 500 Drift Distance (mm) **2014 Z-Resolution Comparison (best row), B=1T** Z-Resolution (mm) Z-Resolution (mm) $1 -$ 0.8 $\begin{array}{c|cccccc} \text{H} & \text{H} & \text{I} &$ 0.6 0.4 **Maximum Bin Half-Max Bin** 0.2 **Inflexion Point "Box" Method Weighted Mean Gamma5 Fit Gaussian Mean Gaussian Inflexion Point** Ω 100 200 300 400 500

Drift Distance (mm)

2014 Z-Resolution Comparison (mean of all rows), B=1T

- ☞ New estimators account possible channel-bychannel shape variation and offers homogeneous z resolution accross the module
	- \blacksquare reach about $\sigma_z = 0.2(0.4)$ mm for short (long) drift distance
	- ➠ absolute z position calibration has to be done separately
	- ➠ pulse shape channel-by-channel calibration has to be considered
		- \rightarrow only 2 parameters amplitude and arrival time would remain for data reconstruciton

Worth a combination of efforts between MM and GEM groups for further study and elaboration of strategy

Non-uniform E-field near module boundaries induces ExB effects

 \mathbb{R} At B=0 T: distortions about 200 μ m are due to E only

■ can be easily pinned down to 20 μ **m (see P. Colas Novosibirsk talk)**

 \mathbb{R} At B=1 T: distortions about 1 mm are observed

Better than 50 μ m distortions remain after corrections at B=1 T

Distortions in z (2014)

 E At B=1 T: distortions about 1 mm are observed

Better than $100 \mu m$ distortions remain after corrections in z coordinate

Transverse Resolution 2013

☞ Significantly larger distortions were observed in 2013 multi-module setup (see backup), specially for the inner and the outer most rings

- ➠ improvement after corrections is sizeable
- ➠ difference between best and overall resolution is small

Transverse resolution for 2013 dataset is a bit worse with respect to the ILD TPC requirements possibly due to many disconnected pads and worse distortion

Transverse resolution for 2014 dataset meets the ILD TPC requirements and in good agreement with 2010 dataset analysis performed in FTPC framework (there is a room for further improvement, work is still going on)

Charge sharing between adjacent pads is not linear (well-known S-curve effect)

 \sqrt{w} About 400 μ m residual oscillation occurs

IIIII if weighted mean is used for x-hit

$$
x_{hit} = \tfrac{x-x_{pad}}{d+\Delta},\; [-0.5,0.5]
$$

- \blacksquare it is stable with drift distance
- ➠ PRF takes into account real charge distribution and addresses this bias
- ☞ PRF imperfections are also possible
	- ➠ inhomogeneity in the resistive coating
	- ➠ non accounted charge in outliers possibly introduces the dependence of shower position from the pad center

Weighted mean position estimator **2014 BiasBefore Comparison, Module 3, Row 11, B=1T, 1Module Fit**

Remnant oscillation about $100 \ \mu m$ occurs in some rows periodically (possibly due to inhomogeneity in the resistive coating)

☞ Vast analysis program of the test beam data is carring out

- ➠ study of multi-module effects includes the field distortions
- \blacksquare coherent analysis of 2013 and 2014 data exploit the official MarlinTPC
- ➠ resolutions become overlaping with previous one-module setup study with FTPC
- ☞ Longitudinal resolution has been significantly improved using the pulse shape fit methods: functional fit and Gaussian inflection point
	- \blacksquare reach about $\sigma_{\rm z}=0.2(0.4)$ mm for 6(56) cm of the drift distance
	- ➠ accounts channel-by-channel pulse shape variation and offers homogeneous resolution accross the module
- ☞ Other vital studies are foreseen in the futures
	- **implement alignment of the multi-module setup**
	- **investigate possible inhomogeneity of resistive coating (bias study)**
	- ➠ improve amplitude estimation including subleading pads
	- ➠ coherent implementation of new algorithms into MarlinTPC

Study of time reconstruction with pulse shape method for GEM was reported by F . Müller

☞ The following analytic function was proposed:

$$
f(t) = A \cdot e^\alpha \cdot \big(\frac{t-T_0}{T_{\mathrm{rise}}}\big)^\alpha e^{-\alpha \frac{t-T_0}{T_{\mathrm{rise}}}} \theta(t-T_0)
$$

A - amplitude
$$
T_0
$$
 - offset, T_{rise} - rise time, α - pulse width,

☞ Two major obeservations with simulation study: **■ dependency of** T_{rise} and T_0 on the pulse charge ➠ inconsistency with drift distances and B-field

Due to such an instability of the fit parameters steek to barycenter and inflection point methods

https://agenda.linearcollider.org/getFile.py/access?contribId=1&resId=0&materialId=slides&confId=6375

- D[®] Z resolution study with the Kalman fitter has been performed with the functional shape method
	- ➠ TrackFitterKalmanProcessor is deploed for the track finding
	- **IIIIA** ResolutionPerformanceRrocessor is used for the resolution calculations

Results obtained with Kalman and triplet finder fits are in good agreement

Distortions in rφ (2013)

Non-uniform E-field near module boundaries induces ExB effects

☞ Significantly larger multi-module effects take place in 2013 data

 E At B=1 T: distortions about 2 mm are observed

Better than 200 μ m distortions remain after corrections at B=1 T

 \sqrt{w} At B=1 T: distortions about a few mm are observed

Better than $100 \mu m$ distortions remain after corrections in z coordinate

