

Request for More MC Statistics of vvh at 350 GeV

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Software and Analysis meeting
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LOI Likelihood Template Fit

- Determination of the accuracy of the Higg's hadronic branching ratio measurements
- Create 3D-Templates with b,c and bc likeness of the events
- LOI study used the fit function:

$$N_{ijk}^{Data} = \sum_{x=b,c,g,other} \frac{\sigma \cdot BR(h \rightarrow x)}{(\sigma \cdot BR(h \rightarrow x))^{SM}} \cdot N_{ijk}^{h \rightarrow x} + N_{ijk}^{bkg}$$

with N_{ijk} the number of events in the bin ijk

- $h \rightarrow other$ was fixed
- σ includes Higgs Strahlung and WW-fusion
 - Disentangling both processes done by hand
- Binned log likelihood fit ignoring zero entry bins
 - Bias of the fit results (Output not consistent with Input)
- 60x60x60 bins with only ~1000 mc events for cc

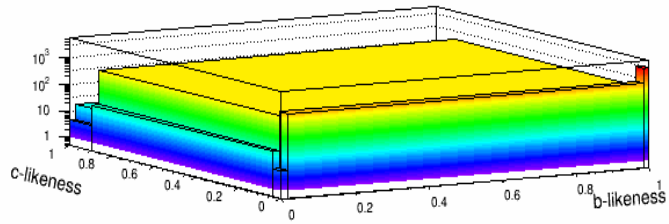


Template Fit

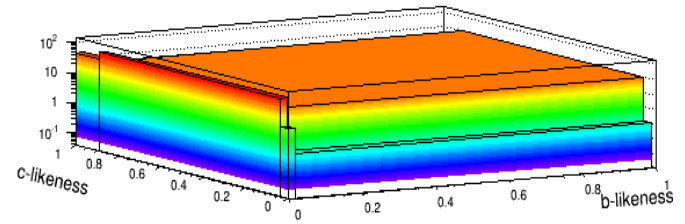
- Task: 3D template fit of b-likeness, c-likeness and missing mass to extract the Higg's hadronic branching ratios
- Previously shown results were greatly biased due to using too many bins in each dimension
- Redo the fit with fewer number of bins
- Junpin's/Jenny's suggestion: use a variable binning with only three bins in the flavor likeness dimensions (65% signal):
 - A small bin at a likeness of 0
 - A small bin at a likeness of 1
 - And the rest in another bin



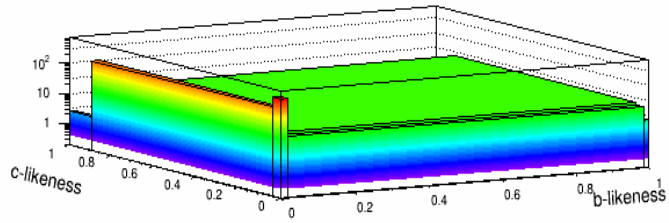
Zh → $\nu\nu b\bar{b}$



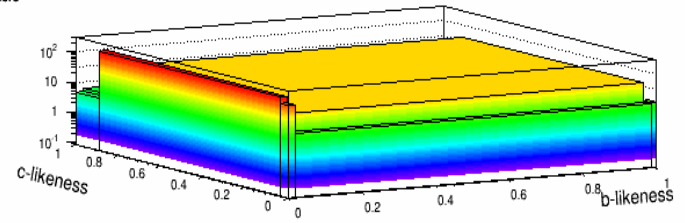
Zh → $\nu\nu c\bar{c}$



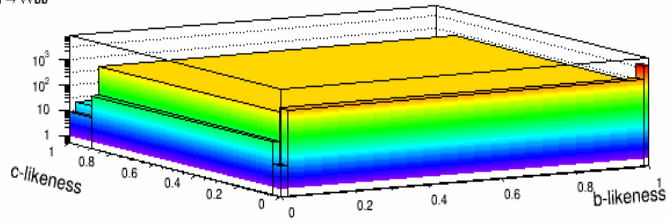
Zh → $\nu\nu gg$



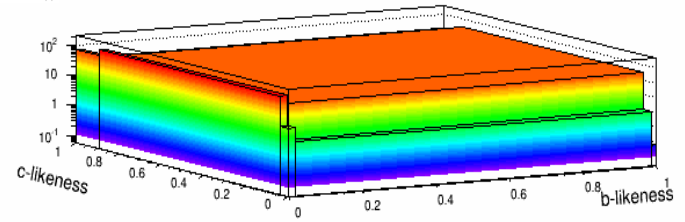
Zh → $\nu\nu$ others



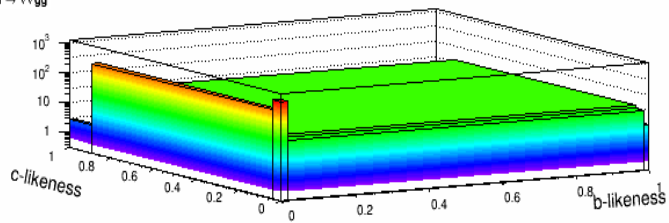
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu b\bar{b}$



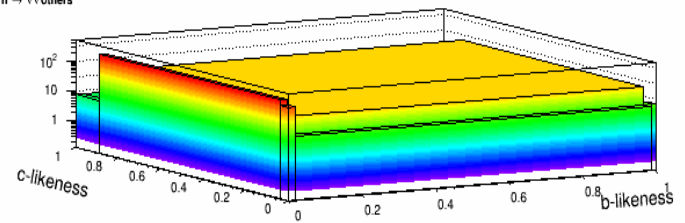
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu c\bar{c}$



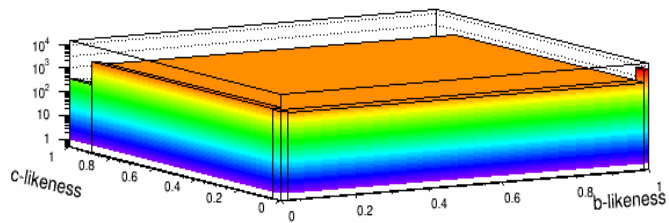
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu gg$



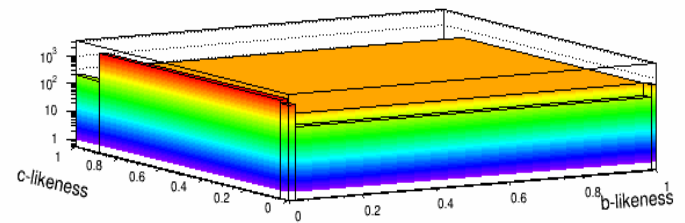
$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu$ others



Data

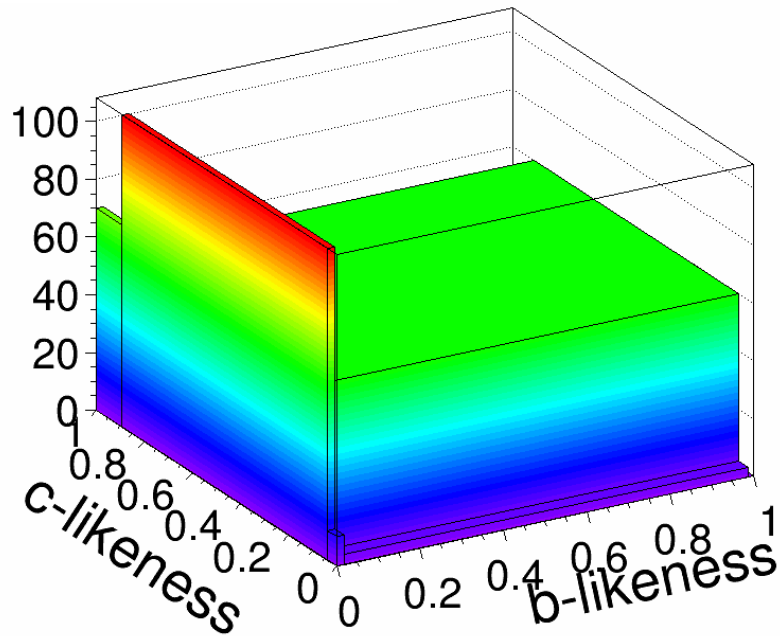


SM BKG

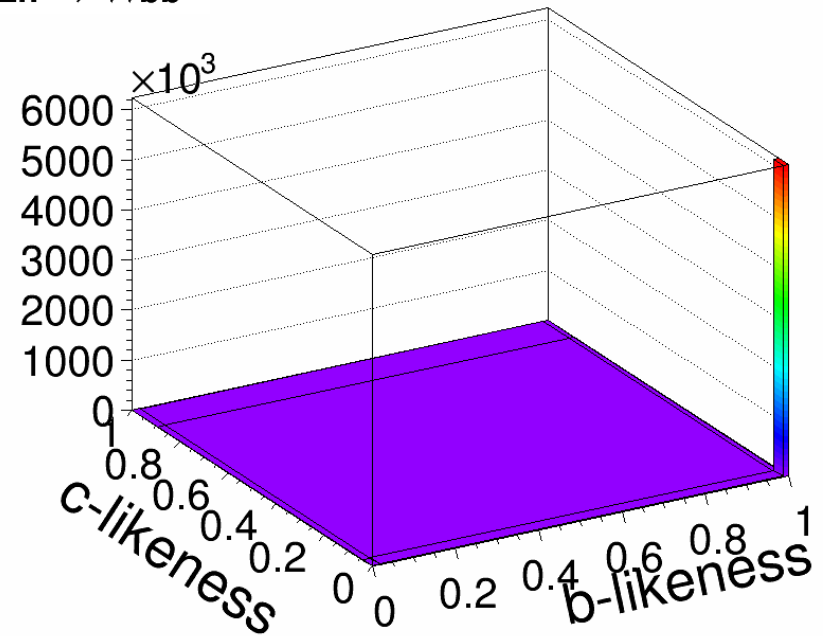


Template Histograms

$\nu\nu WW \rightarrow \nu\nu h \rightarrow \nu\nu c\bar{c}$



$Zh \rightarrow \nu\nu b\bar{b}$



Results

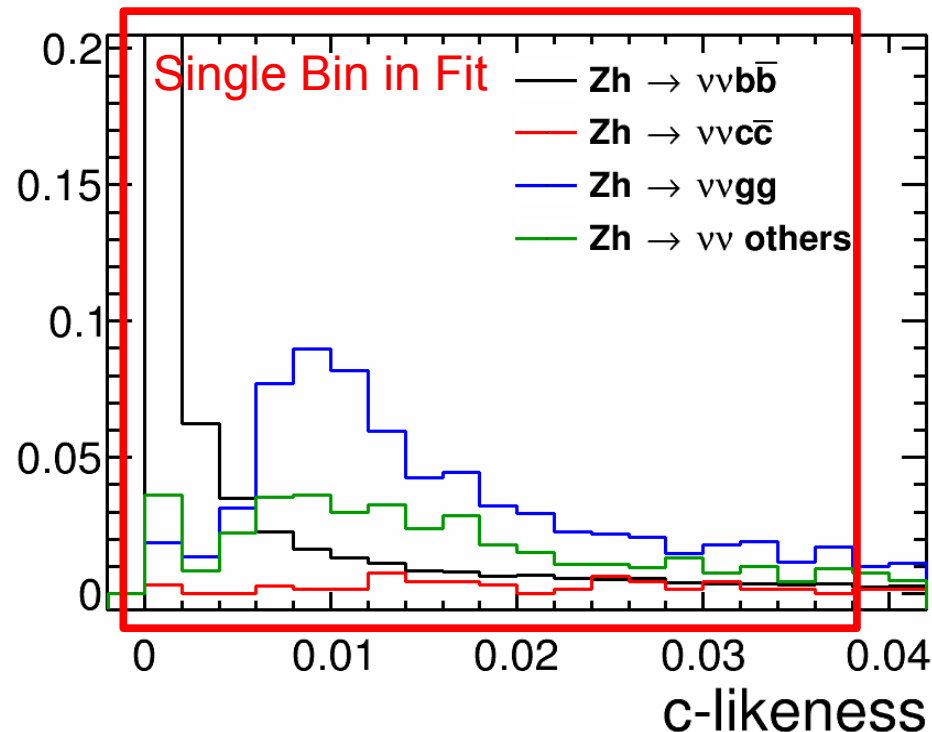
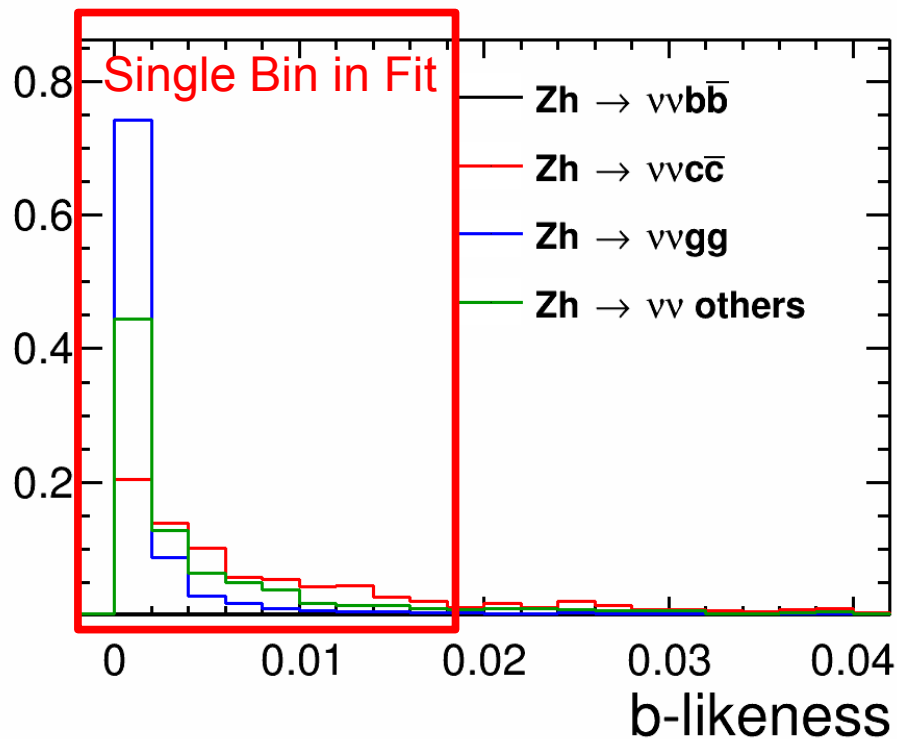
- Same data set for the toy MC histogram (Data histogram) and the Template histograms
- Splitting the MC events into two subsets, the SM could not be reproduced for cc and other (fit values deviated from 1)

	Pol (e ⁻ ;e ⁺) = (-0.8;0.3) preliminary			LOI
	previously shown	with minimal binning	with minimal binning	
$\sigma(\text{ZH})\text{BR}(h \rightarrow \text{bb})$	1.7	2.3	2.3	1.4
$\sigma(\text{ZH})\text{BR}(h \rightarrow \text{cc})$	7.5	26.9	24.1	8.6
$\sigma(\text{ZH})\text{BR}(h \rightarrow \text{gg})$	4.7	16.2	9.2	9.2
$\sigma(\text{ZH})\text{BR}(h \rightarrow \text{other})$	5.9	38.5	fix	
$\sigma(\text{WW})\text{BR}(h \rightarrow \text{bb})$	1.3	1.8	1.8	
$\sigma(\text{WW})\text{BR}(h \rightarrow \text{cc})$	6.0	21.7	18.8	
$\sigma(\text{WW})\text{BR}(h \rightarrow \text{gg})$	3.7	14.1	7.5	
$\sigma(\text{WW})\text{BR}(h \rightarrow \text{other})$	4.8	32.7	fix	



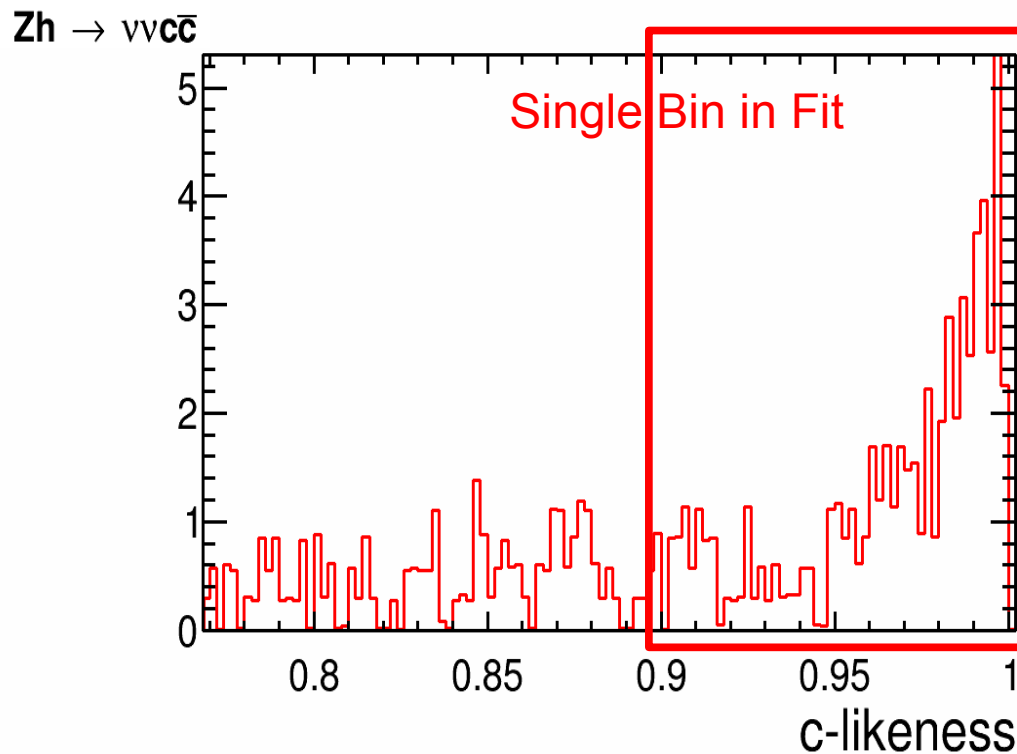
More Bins

- Using a single bin for the main part of the data means losing information
 - Especially in the region for low flavor likeness (gluons)
- Different slopes for the single contributions visible in b-likeness
- bb separated from the rest for small c likeness



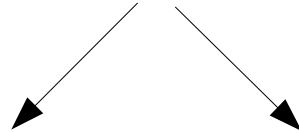
Limited MC Statistics

- Splitting the MC events into two subsets, the SM could not be reproduced for cc and other (fit values deviated from 1)
- Large fluctuations visible in the peak of the c-likeness due to limited MC statistics (also with coarser binning, trust me)
- Reminder: this is smeared in two more dimensions for the fit



Limited MC Statistics

	Number of MC events ($L=1/\text{ab}$) $P(e-e^+)=(-1,1)$
nnH	166000
H -> g,b,c	115000



	30 % for TMVA	70% for Fit	$L=330/\text{fb}$ $P(e-e^+)=(-0.8,0.3)$
H -> g,b,c	34500	80500	22300
H->bb	28950	67500	18700
H->cc	1300	3050	850
H->gg	4300	10000	2750
ZH->nnbb	10500	24500	6850
ZH->nncc	500	1100	320
ZH->nngg	1550	3600	1000
WW->H->bb	18400	43000	11800
WW->H->cc	850	1950	550
WW->H->gg	2700	6400	1750

~50% further reduction by event selection



Request for more statistics

- Every template should contain $\sim 10^4$ entries
- Selection efficiency $\sim 50\%$ $\rightarrow 2 \cdot 10^4$ events
- From BR: $2 \cdot 10^4$ H \rightarrow cc events would mean $42 \cdot 10^4$ H \rightarrow bb events
 - Even worse: I would like to have $2 \cdot 10^4$ events for h \rightarrow cc from higgs strahlung and WW-fusion
- Suggestion: production of the single Higgs decays
 - e $^+$ e $^-$ \rightarrow nnH \rightarrow nnbb Pol(e $^+$,e $^-$)=(-1,1) 20000 events
 - e $^+$ e $^-$ \rightarrow nnH \rightarrow nncc Pol(e $^+$,e $^-$)=(-1,1) 20000 events
 - e $^+$ e $^-$ \rightarrow nnH \rightarrow nngg Pol(e $^+$,e $^-$)=(-1,1) 20000 events
 - e $^+$ e $^-$ \rightarrow nnH \rightarrow nnbb Pol(e $^+$,e $^-$)=(1,-1) 40000 events
 - e $^+$ e $^-$ \rightarrow nnH \rightarrow nncc Pol(e $^+$,e $^-$)=(1,-1) 40000 events
 - e $^+$ e $^-$ \rightarrow nnH \rightarrow nngg Pol(e $^+$,e $^-$)=(1,-1) 40000 events
 - Total 180000 events
- Either way: new generator files needed



BACKUP



Results

- As a consistency check: Branching ratio from event counting of single processes (SID)

$$\sigma(H \rightarrow ff) = \frac{\sqrt{N_{\text{Signal}} + N_{\text{BKG}}}}{N_{\text{signal}}}$$
- The results are gained using the same data set for the toy MC histogram and the Template histograms
- Splitting the MC events into two subsets, the SM could not be reproduced for cc and other (fit values deviated from 1)

	Pol (e-;e+) = (-0.8;0.3)		preliminary		LOI
	previously shown	with minmal binning	with minmal binning	with single BDT	
$\sigma(\text{ZH})\text{BR}(\text{h}\rightarrow\text{bb})$	1.7	2.3	2.3	2.0	1.4
$\sigma(\text{ZH})\text{BR}(\text{h}\rightarrow\text{cc})$	7.5	26.9	24.1	21.0	8.6
$\sigma(\text{ZH})\text{BR}(\text{h}\rightarrow\text{gg})$	4.7	16.2	9.2	8.2	9.2
$\sigma(\text{ZH})\text{BR}(\text{h}\rightarrow\text{other})$	5.9	38.5	fix		
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$\sigma(\text{WW})\text{BR}(\text{h}\rightarrow\text{gg})$	3.7	14.1	7.5	5.7	
$\sigma(\text{WW})\text{BR}(\text{h}\rightarrow\text{other})$	4.8	32.7	fix		

