Higgs off-shell decay at ILC & new jet-clustering studies

Junping Tian, Keisuke Fujii (KEK)

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Higgs off-shell decay @ LHC: H*->VV

$$\mu_{\text{off-shell}}(\hat{s}) \equiv \frac{\sigma_{\text{off-shell}}^{gg \to H^* \to VV}(\hat{s})}{\sigma_{\text{off-shell}}^{gg \to H^* \to VV}(\hat{s})} = \kappa_{g,\text{off-shell}}^2(\hat{s}) \cdot \kappa_{V,\text{off-shell}}^2(\hat{s})$$

$$\mu_{\text{on-shell}} \equiv \frac{\sigma_{\text{on-shell}}^{gg \to H \to VV}}{\sigma_{\text{on-shell}}^{gg \to H \to VV}} = \frac{\kappa_{g,\text{on-shell}}^2 \cdot \kappa_{V,\text{on-shell}}^2}{\Gamma_H / \Gamma_H^{\text{SM}}}$$



ATLAS, arxiv:1503.01060

but: κ is q² dependent —> model dependence

Higgs off-shell decay @ LHC: H*->ZZ->41



Higgs off-shell contribution

destructive interference, as well known in VV scattering to save unitarity

what would Higgs off-shell decay look like at ILC? Any impact/usage to other measurement?

Higgs off-shell decay @ ILC: ZH*->ZWW

generator by physsim (thanks to Fujii-san for solving some potential bugs)



off-shell contribution / on-shell ~ 3%

Higgs off-shell decay @ ILC: ZH*->ZWW



Higgs off-shell decay @ ILC

- contribution of Higgs off-shell decay seems rather small in ZH* process
- from the VV—>VV scattering study, Higgs diagram contribution is only large at high q²—> take a look at vvH (WW-fusion) process
- another question, would H*—>tt be accessible? If so, it might be another place to look at the top-Yukawa coupling?

x-section / fb	250 GeV	500 GeV	1000 GeV
ZH*—>ZWW		0.73	0.78
$\nu\nu H^* \longrightarrow \nu\nu WW$	0.0046	0.59	6.2
vvH*—>vvtt	-	0.0017	0.60

P(e-,e+) = (-1,+1); by whizard; assuming SM couplings.

to be done: need also give interference contribution in each process

what's the impact to recoil mass measurement?



in recoil mass, off-shell contribution is completely buried by the tail from beam-strahlung and ISR; but, what if non-SM coupling?

summary of Higgs off-shell decay @ ILC

- for SM coupling, Higgs off-shell decay only becomes important in WW-fusion channel at 1 TeV
- it's not surprising —> exactly part of the important study of VV —>VV scattering at 1 TeV
- would be interesting to take a look at possibility of measuring top-Yukawa coupling using H*—>tt at 1 TeV
- impact on recoil mass depends on model, possible strategy:
 - ▶ what to measure is separate σ_{ZH} (on-shell) and σ_{ZH^*} (off-shell)
 - to measure σ_{ZH} (on-shell), we need understand BG perfectly, which means we need measure / constrain H*—>WW anyhow because ZH* here is actually one of the background
 - ▶ use direct measurement H*—>WW, e.g. in vvH process

towards new jet-clustering algorithms

- learned from past studies, clearly two places we need better jet-clustering: overlay removal & Higgs self-coupling analysis
- for overlay removal, it's somewhat less challenging, seed particle-/vertex-based clustering seems a promising approach for this special purpose
- for general purpose jet-clustering, or namely color-singlet jetclustering (e.g. in λHHH analysis), it's a real open challenge, definitely ambitious to do better than what experts have been doing for decades

seed particle-/vertex- based clustering for overlay removal

(there are also beam jets existing at ILC)



as a first step, MVA seed particle tagging already gives better performance in H—>WW* analysis; need generalize to clustering algorithm and add vertex seeds, and check whether it's better in other channels; ongoing

general purpose jet-clustering

what we know is really a little

color singlet jet clustering can improve λ_{HHH} measurement by 40%



general purpose jet-clustering

what we know is really a little

Durham jet clustering starts to have major mis-clustering when remaining #mini-jet ~ 20



existing jet-clustering algorithms

Algorithm		resolution scale	comment
JADE	J	$2E_iE_j(1-\cos heta_{ij})$	
Durham	D	$2\min(E_i^2,E_j^2)(1-\cos heta_{ij})$	
DURHAM (LUCLUS k_{\perp}) (Also DURHAM/Lu)	DL	$rac{2 {f p}_i ^2 {f p}_j ^2(1{-}\cos heta_{ij})}{({f p}_i {+} {f p}_j)^2}$	LUCLUS without reassign- ment and preclustering
LUCLUS	L	$rac{2 {f p}_i ^2 {f p}_j ^2(1{-}\cos heta_{ij})}{({f p}_i {+} {f p}_j)^2}$	
Geneva	G	$\frac{8}{9}E_{\mathrm{vis}}^2 \frac{E_i E_j (1-\cos\theta_{ij})}{(E_i+E_j)^2}$	
Angular-Ordered Durham	Α	$2\min(E_i^2,E_j^2)(1-\cos heta_{ij})$	CAMBRIDGE without soft-freezing
CAMBRIDGE	С	$2\min(E_i^2,E_j^2)(1-\cos heta_{ij})$	
$egin{array}{c} { m CAMBRIDGE} \ ({ m Luclus}\;k_{ot}) \end{array}$	CL	$rac{2 {f p}_i ^2 {f p}_j ^2(1{-}\cos heta_{ij})}{({f p}_i {+} {f p}_j)^2}$	
DICLUS mode 0	Di0	$rac{(s_{ji}-(m_i+m_j)^2)(s_{ik}-(m_i+m_k)^2)}{s_{ijk}}$	$3 \rightarrow 2$ clustering
DICLUS mode 1	Di1	$rac{(s_{ji}-(m_i+m_j)^2)(s_{ik}-(m_i+m_k)^2)}{s_{ijk}}$	largest initial cluster retains its direction
DICLUS mode 2	Di2	$rac{s_{ji}s_{ik}}{s_{ijk}}$	largest initial cluster retains its direction

S. Morreti, et al., JHEP08 (1988) 001

algorithms evolve as new requirements appear

- when jet structure was first studied to establish the spin of quark, no clustering algorithm is actually need —> reconstruct the direction of jet axis by thrust already meets the requirement.
- then even when gluon jet was searched / discovered, only need generalize thrust to triplicity.
- for *α*_S study, we really need know the precise rate / angles of 2- or 3- jets events, JADE and LUCLUS clustering algorithm become necessary.
- mostly the later algorithms are proposed to cure some aspects of existing one
 - Durham algorithm is to cure the tendency in JADE that two soft jets joint has higher probability —> attach first soft jet to hard jet
 - Angular-Ordered Durham tries to help further reduce tendency of counter-intuitive soft jets

S. Morreti, et al., JHEP08 (1988) 001

algorithms evolve as new requirements appear

- Durham worked well at LEP/LEP2, where usually up to 4 jets are concerned
- it might be reasonable to have new standard to match the jets study at ILC, where 6-/8- jets events will be interested; and higher q² produces more complicated parton shower
- computing power is another factor that limited some new algorithms, most of existing ones are 2—>1 sequential, #combination ~ n²; DICLUS is 3—>2, #combination ~ n³; since computing power grows rather quickly, more ideas can be thought about, such as what we have tested, 20—>1, where #combination ~ milions, is certainly within current reach.

personal ideas about new jet clustering algorithm

- most of existing algorithms all work well at the beginning of clustering —> distances are small in any pre-clustering stage (i.e. mini-jets); but at later stage, the physical parton shower indeed can appear large distance, where we need more information then traditional two jets distance
- new idea is not very surprising, the most physical information at that mini-jets stage would be the likelihood of that parton shower
- possible algorithms: arrange the mini-jets to a tree based on angular ordering (earlier branching, larger angles) which is required by coherent QCD perturbative process; then assign each branching with a proper branching probability, and multiply them as the likelihood of that parton shower

$$\begin{array}{rcl} P_{\mathbf{q} \to \mathbf{qg}}(z) &=& C_F \, \frac{1+z^2}{1-z} \;, \\ P_{\mathbf{g} \to \mathbf{gg}}(z) &=& N_C \, \frac{(1-z(1-z))^2}{z(1-z)} \\ P_{\mathbf{g} \to \mathbf{q}\overline{\mathbf{q}}}(z) &=& T_R \, (z^2+(1-z)^2) \;, \\ P_{\mathbf{q} \to \mathbf{q}\gamma}(z) &=& e_{\mathbf{q}}^2 \, \frac{1+z^2}{1-z} \;, \\ P_{\ell \to \ell\gamma}(z) &=& e_{\ell}^2 \, \frac{1+z^2}{1-z} \;, \end{array}$$

$$\frac{(-z))^2}{(z)^2},$$

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backup

a new idea of Jet-Clustering: Georgi Algorithm

Jet function:

$$J_{eta}(P_{lpha})\equiv E_{lpha}-etarac{P_{lpha}^2}{E_{lpha}}=E_{lpha}\left[(1-eta)+eta v_{lpha}^2
ight]\,,$$

- one interesting feature: jet-clustering can be done globally
- main procedure: find the set of particles with maximum jet function
- ▶ number of combinations = 2^{N} , where N is number of particles to be clustered
- in most jet processes, it almost impossible to start with this algorithm at the beginning, based on N= 100~150
- Iuckily, now we more or less know the real starting point, ~ 20 mini-jets, which means ~ 1 million combinations
- most interestingly, Jet function *= Likelihood of color-singlet system

implementation of Georgi Jet-Clustering

- a test version of GeorgiClustering has been implemented, with #mini-jet = 25. (kekcc:~tianjp/analysis/PostDBD/ GeorgiClustering)
- ▶ number of combinations = $2^{25} \sim 32M$, CPU time ~ 10s / event.
- several bugs in SatoruJetFinder have been found and fixed when we need more then 20 mini-jets. (kekcc:~tianjp/soft/ MarlinReco/v01-10)
- surprisingly found that FastJetClustering(Processor) in current ilcsoft only supports kt type clustering; need a few efforts to support Durham (some one interested welcome to go ahead).

Jet function:

$$J_{eta}(P_{lpha}) \equiv E_{lpha} - eta rac{P_{lpha}^2}{E_{lpha}} = E_{lpha} \left[(1-eta) + eta v_{lpha}^2
ight] \, .$$

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a first look at new GeorgiClustering

original $J_{\beta}(P_{\alpha}) \equiv E_{\alpha} - \beta \frac{P_{\alpha}^{2}}{E_{\alpha}} = E_{\alpha} \left[(1 - \beta) + \beta v_{\alpha}^{2} \right]$ generalized $J_{\beta}^{(n)}(P_{\alpha}) \equiv E_{\alpha}^{(n)} \left[(1 - \beta) + \beta v_{\alpha}^{2} \right]$

- a practical issue is to decide value of β, which is essentially a degree of penalty to jet virtuality.
- I started with constant β from 1 to N..., found 1 may be too small, would be somewhere between 3~4, still working on that.
- I found most probably the β needs be tuned, to reflect different jet sub-structure; one variant is being investigated.
- I'm now looking at some benchmark, purity of jet, color singlet, etc...

see following slides