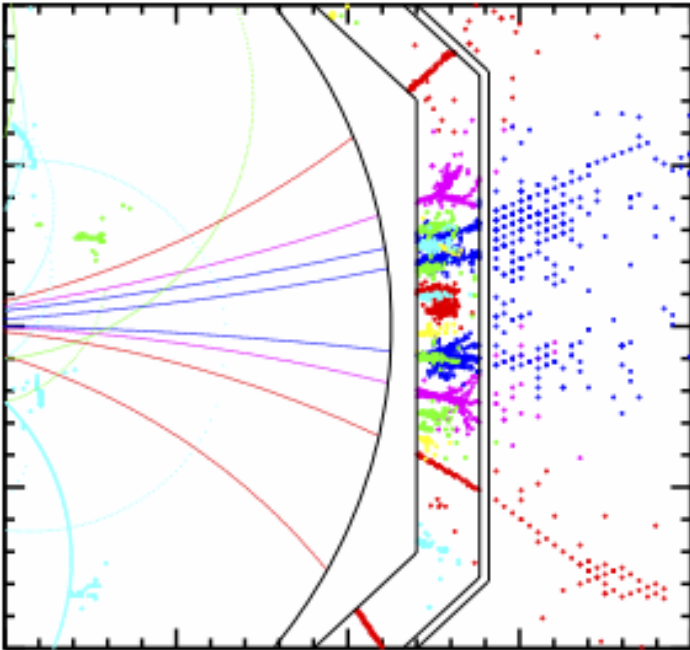


AHCAL Optimisation in ILD



Huong Lan Tran

*CALICE AHCAL main meeting
10-11 December 2015*

Outlines

- Efforts for AHCAL optimisation are converging
 - Fruitful collaboration with Munich and Cambridge group concerning software compensation and its implementation
 - Good results achieved

In this talk: Software compensation for AHCAL optimisation

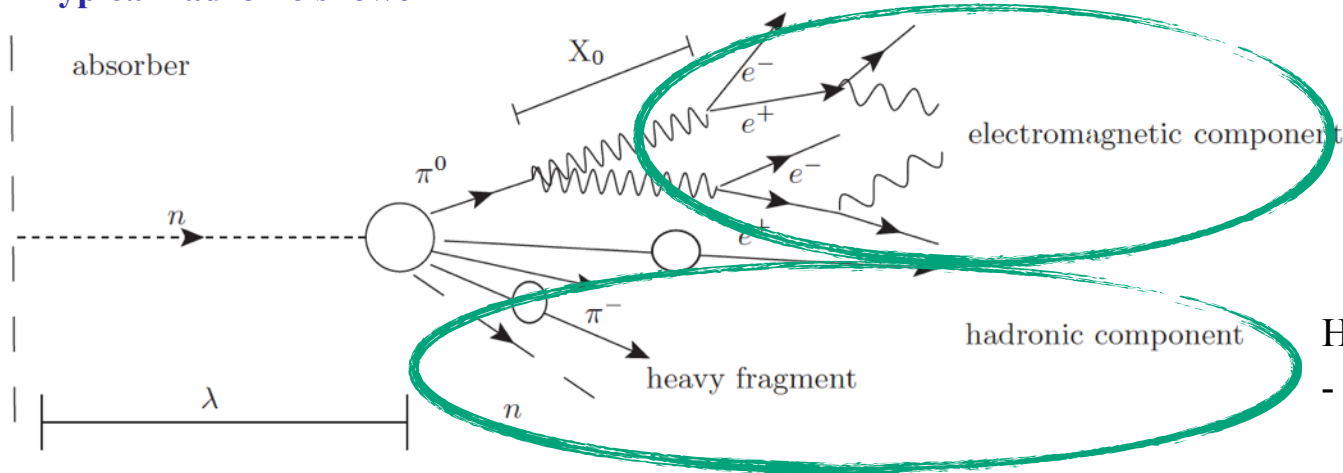
- Motivation
- Updates on fitting procedure
- Towards a common SC technique for different types of HCAL
- Bonus: Implementation in Particle Flow Algorithm



Why Compensation?

- ILD calorimeters are *non-compensating*

Typical hadronic shower



Detected via energy loss of electrons and photons in active medium

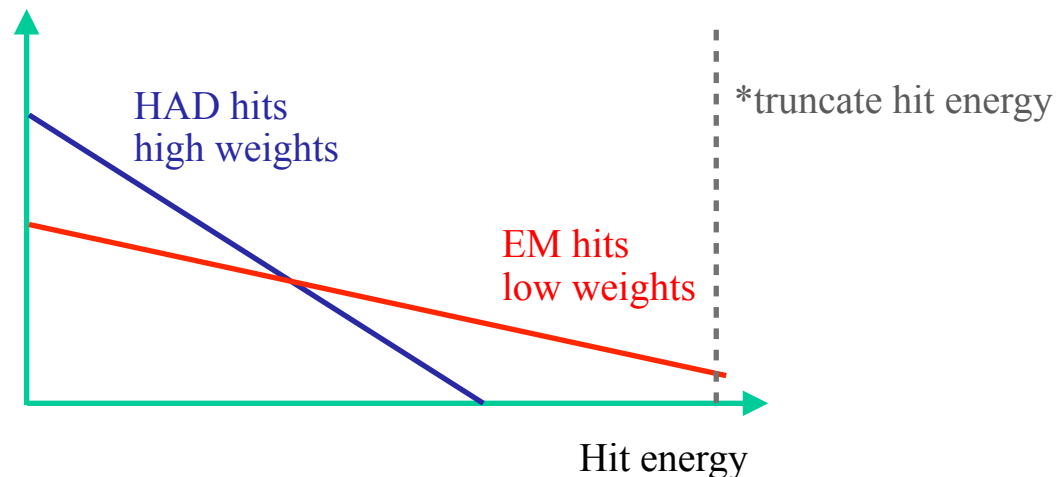
- Hadronic components:
- Energy loss of charged hadrons, photons, neutrons...
 - *Invisible energy*: nuclear binding energy or target recoil
- ⇒ Smaller calorimeter response for this part

➤ Consequences:

- Higher detector response for electromagnetic compared to hadronic showers $\frac{e}{h} > 1$
- Non-linearity for hadronic calorimeter response
- Degradation of energy resolution

Methods to achieve Compensation

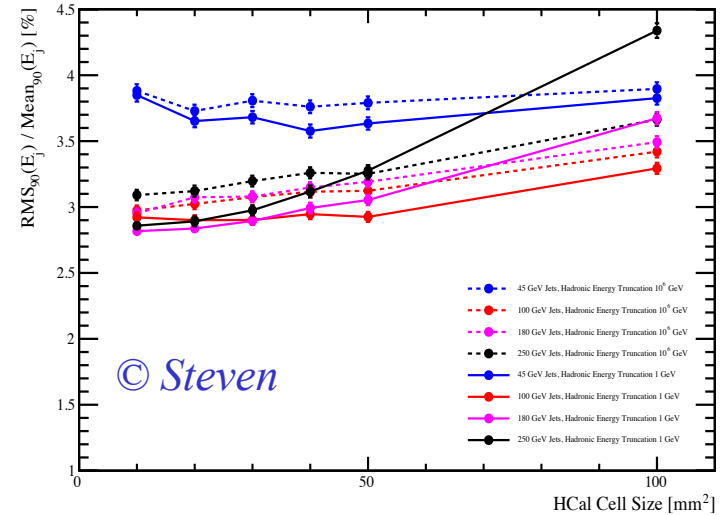
- Reducing electromagnetic response
- Increasing hadronic response
- “Offline” compensation: **Software Compensation**
 - Electromagnetic showers denser than hadronic showers \Rightarrow energy of hits inside electromagnetic sub-showers are typically higher compared to hits inside hadronic sub-showers.
 - \Rightarrow Cut out high energy hits to reduce EM response *
 - \Rightarrow Applying different weights for hits of different energy densities



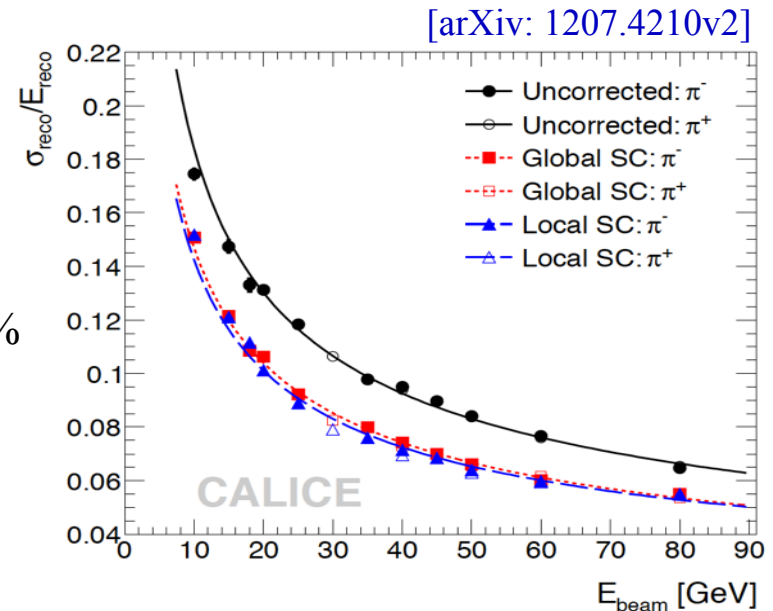
Software Compensation in AHCAL optimisation

- Dependence of jet energy resolution on HCAL cell size apparently reduced compared to results from LoI:
 - HCAL cell energy truncation degrades resolution at high energy for higher cell size
 - But: improve energy resolution at smaller cell sizes

- Cell energy truncation mimics software compensation
- Software compensation can do better and must be applied properly



- Software compensation applied to test beam data from CALICE-AHCAL physics prototype:
 - Improvement of hadronic energy resolution by 20% for single hadrons from 10 to 80 GeV



Software Compensation in AHCAL optimisation

- **Idea:** Applying different weights for hits of different energy densities
- **Weight** defined as:

$$\omega(\rho) = p_1 \cdot \exp(p_2 \cdot \rho) + p_3$$

where ρ is hit energy density, p_1, p_2, p_3 are *beam energy dependent parameters*

- Energy of cluster then computed in software compensation method as:

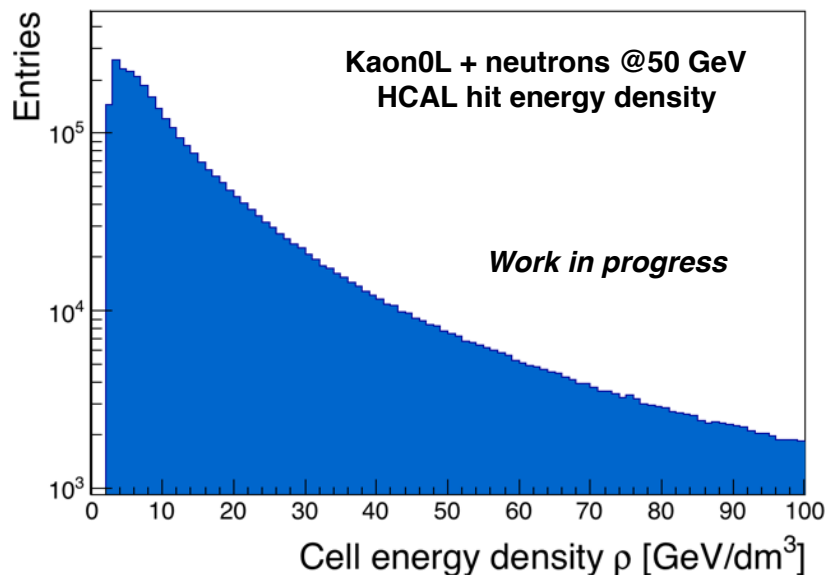
$$E_{SC} = \sum_{hits} E_{ECAL} + \sum_{hits} (E_{HCAL} \cdot \omega(\rho))$$

- Weights determined through minimising a χ^2 function:

$$\chi^2 = \sum_{events} (E_{SC} - E_{beam})^2$$



Hit Energy Density and Weights



Weight determination:

- Through χ^2 minimisation
- For each beam energy weights are defined with three parameters p_1, p_2, p_3

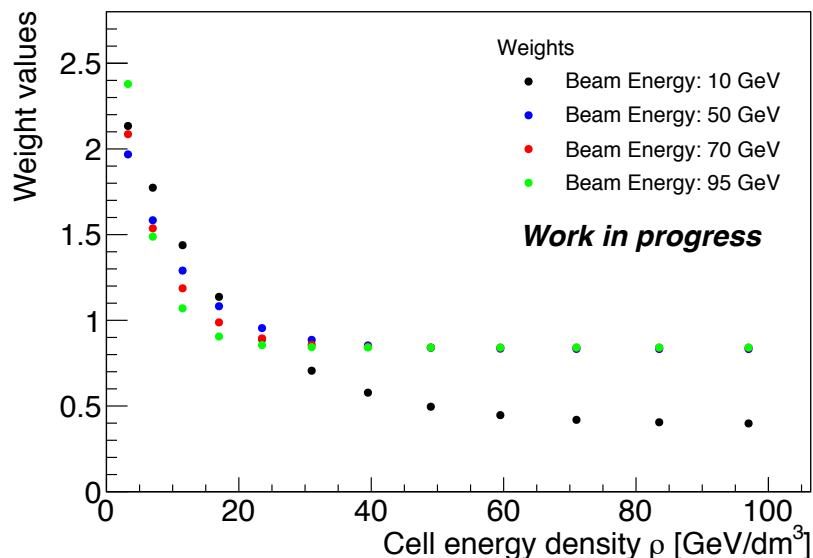
$$\omega(\rho) = p_1 \cdot \exp(p_2 \cdot \rho) + p_3$$

where p_1, p_2, p_3 are energy dependent parameter (defined directly in χ^2)

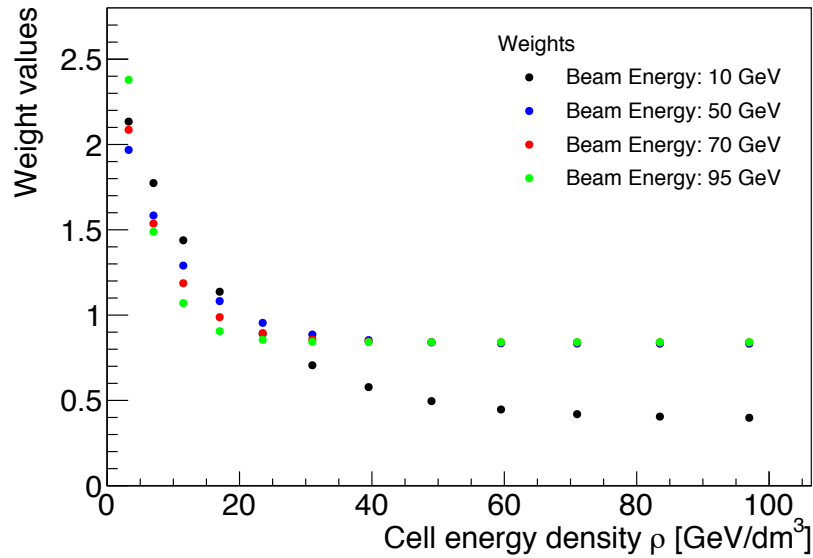
$$p_1 = p_{10} + p_{11} \times E_{ini} + p_{12} \times E_{ini}^2$$

$$p_2 = p_{20} + p_{21} \times E_{ini} + p_{22} \times E_{ini}^2$$

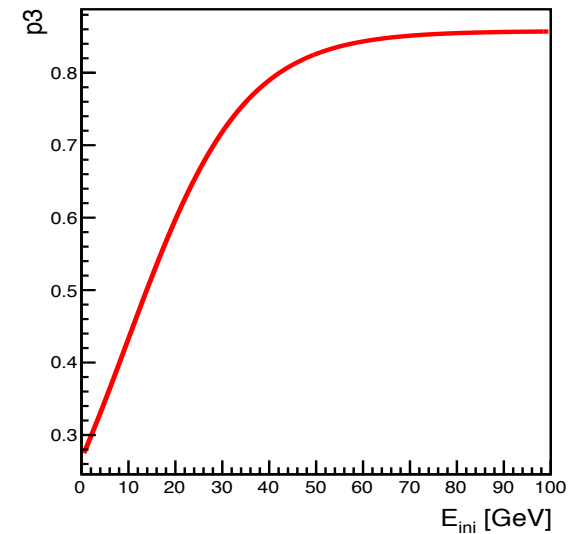
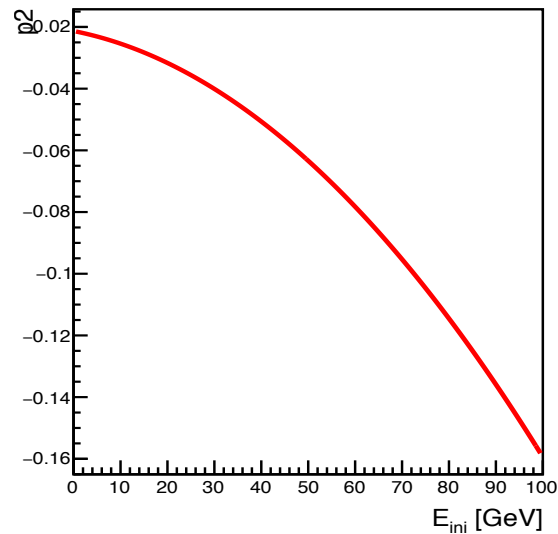
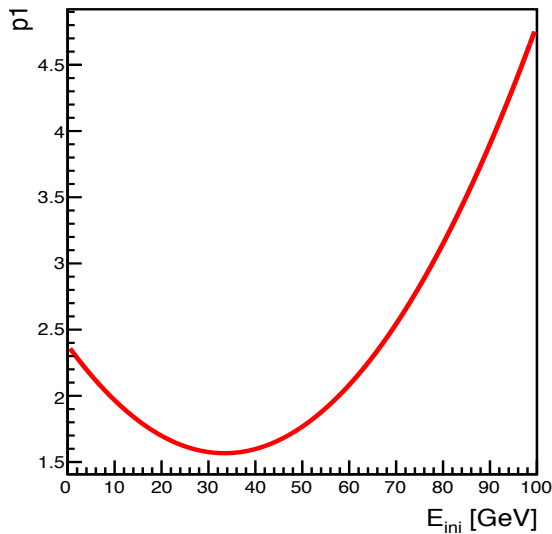
$$p_3 = \frac{p_{30}}{p_{31} + e^{p_{32} \times E_{ini}}}$$



Weight parameters

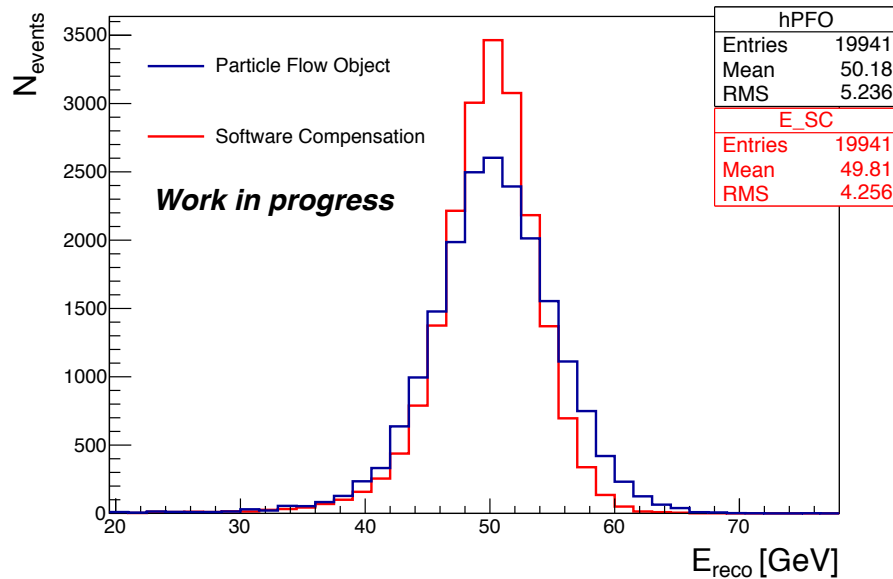


$$\omega(\rho) = p_1 \cdot \exp(p_2 \cdot \rho) + p_3$$



Single Particle Energy Reconstruction

- Correction of neutral hadron PFOs energy
- Initial estimation of cluster's energy used for determination of weights
- Apply to set of Kaon0L and neutron samples from 10 to 95 GeV

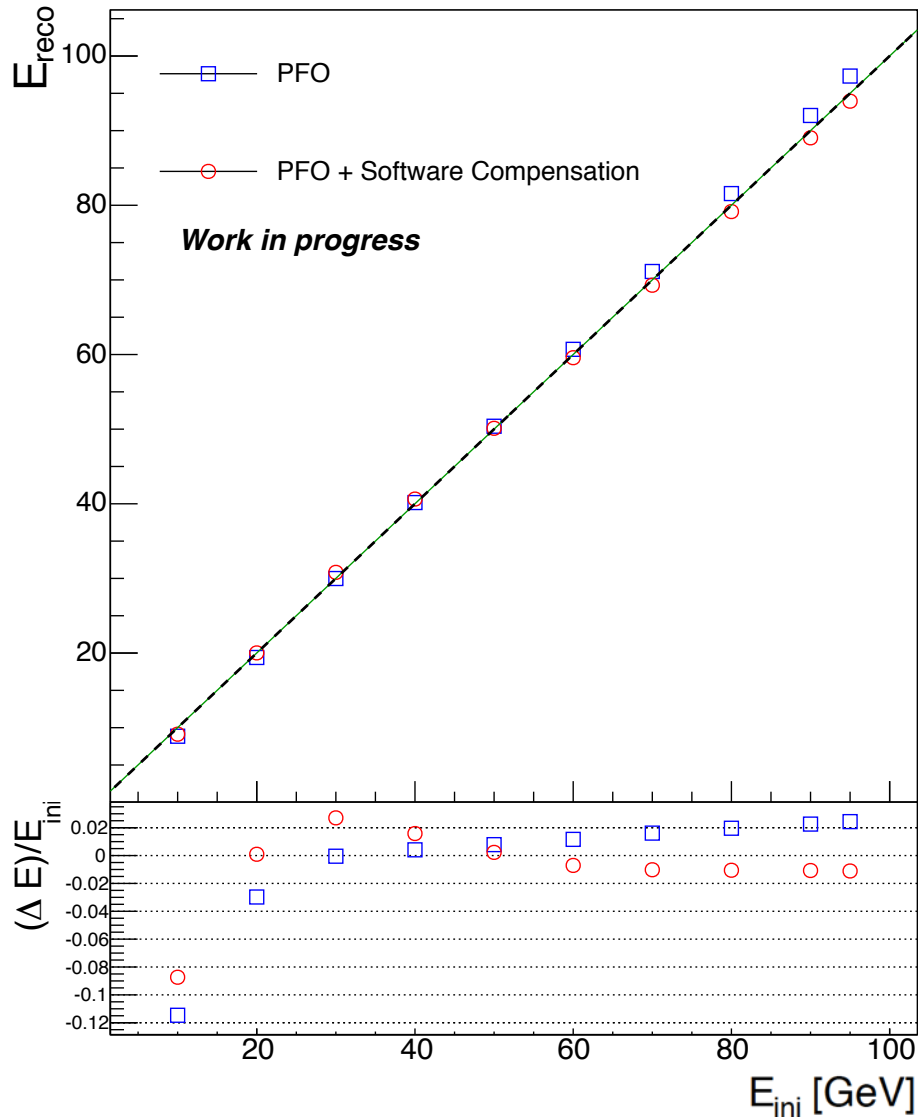


50 GeV Kaon0L

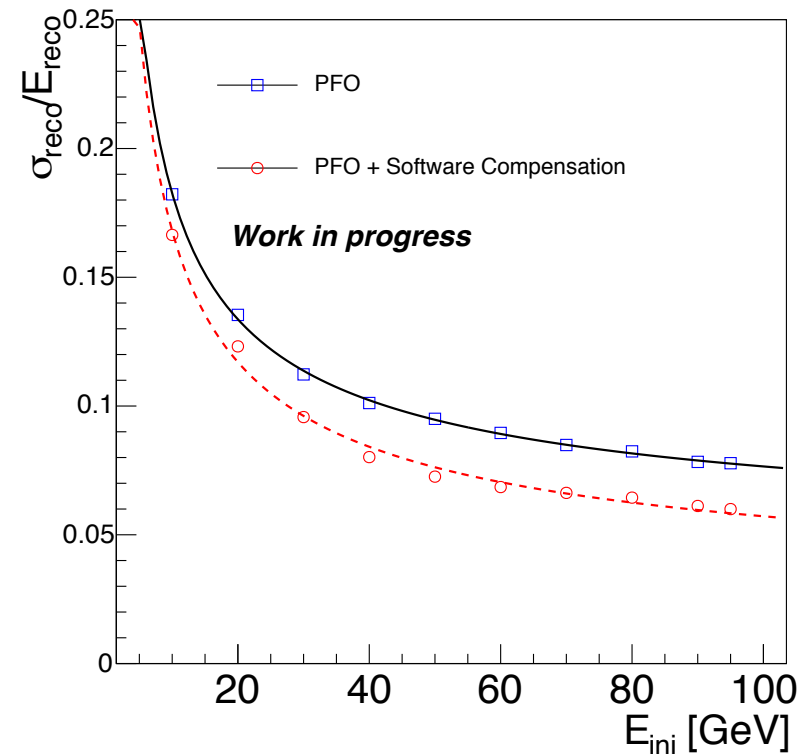
- Improvement of mean reconstructed energy
- RMS significantly reduced



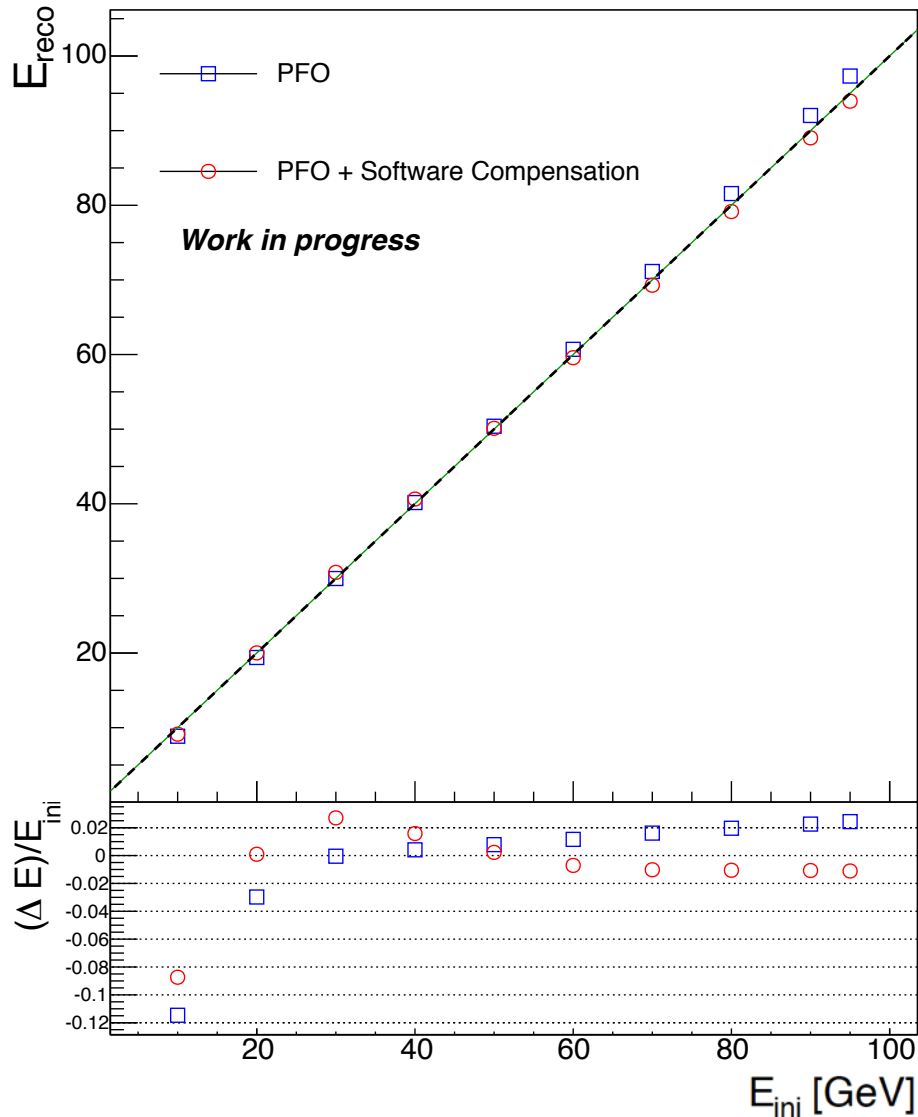
Single Particle Energy Reconstruction



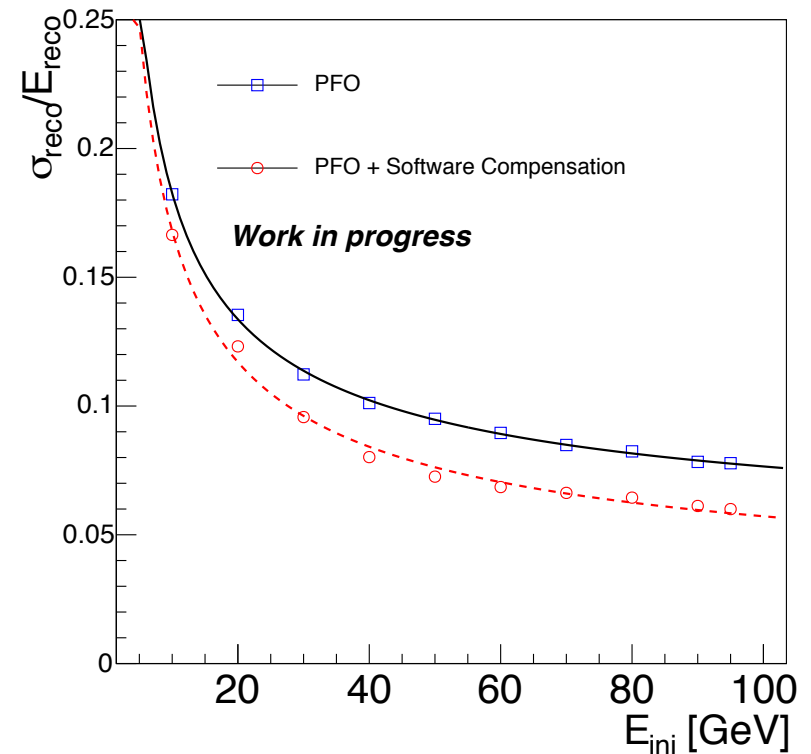
- Improves linearity in whole range
- Improves resolution by $\sim 20\%$ (similar to results obtained for physics prototype)



Single Particle Energy Reconstruction



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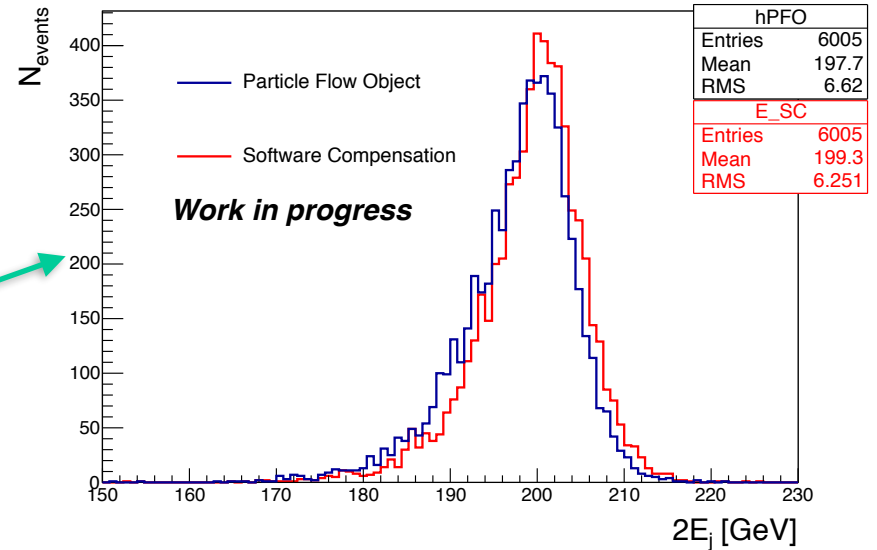
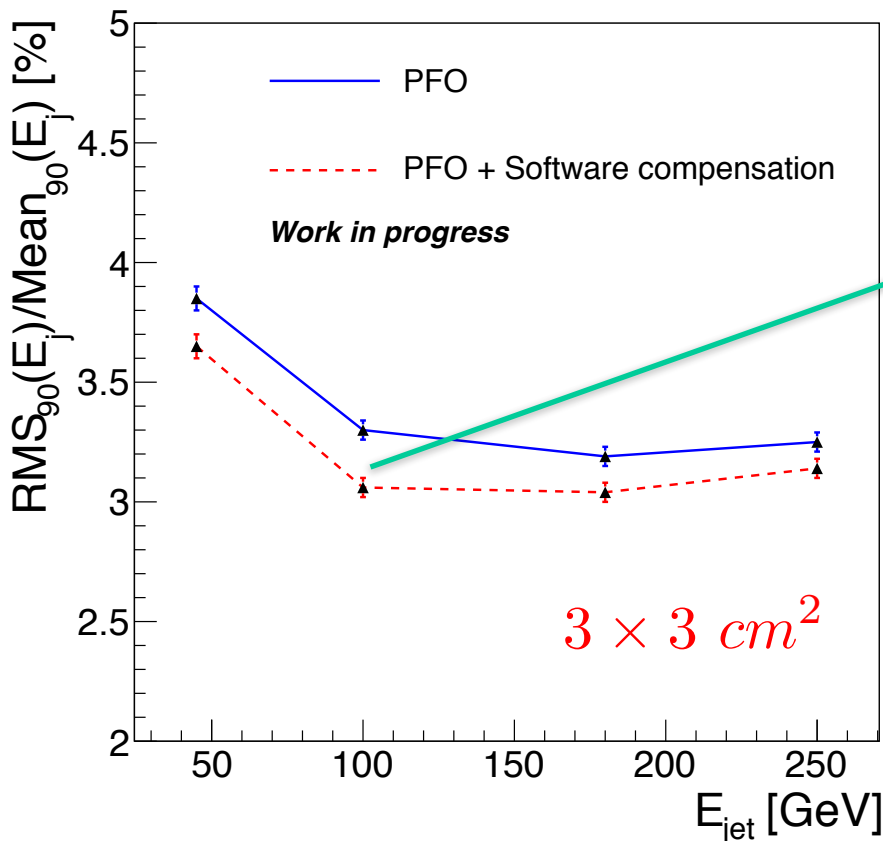


- Testbeam results reproduced
- Overall slightly worse because of missing tail catcher



Jet Energy Resolution

- Software compensation applied for jets
 - Only for neutral hadrons, after clustering and re-clustering step
 - Only hits in HCAL are weighted as explained previously



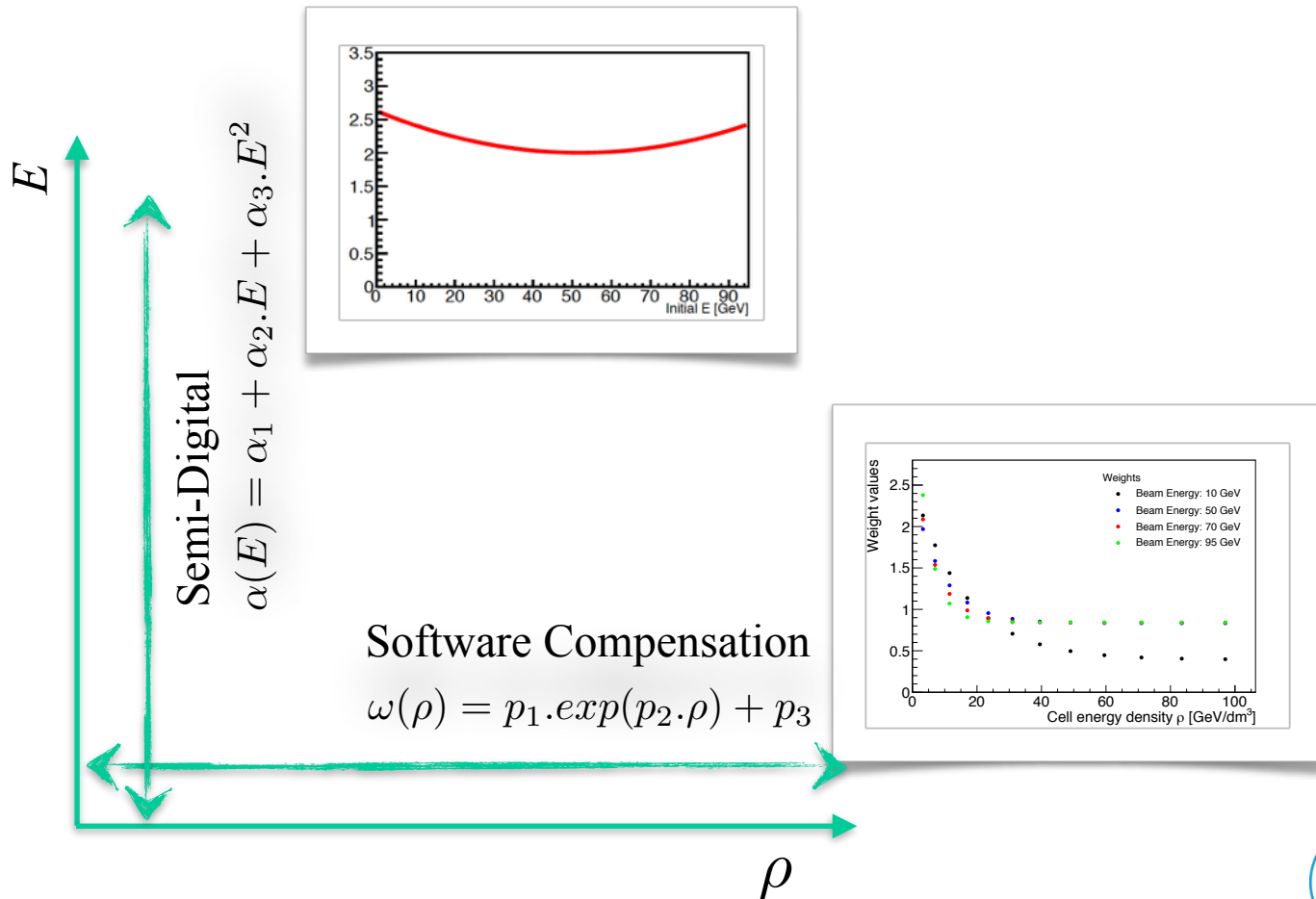
- Reconstructed energy distribution closer to simulated energy and width of distribution smaller
- Improves jet energy resolution in whole range



Towards a common SC technique for different types of HCAL

Semi-Digital and Software Compensation

- Software Compensation: weight optimised as a function of *hit energy density* ρ
- Semi-Digital: weight optimised as a function of *particle energy* E

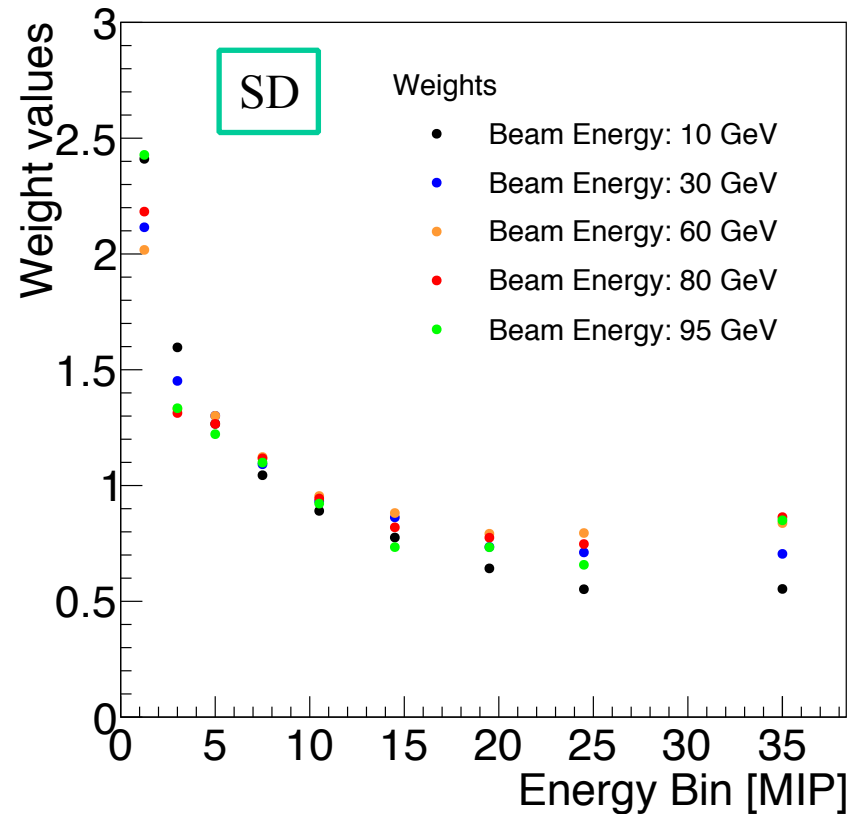
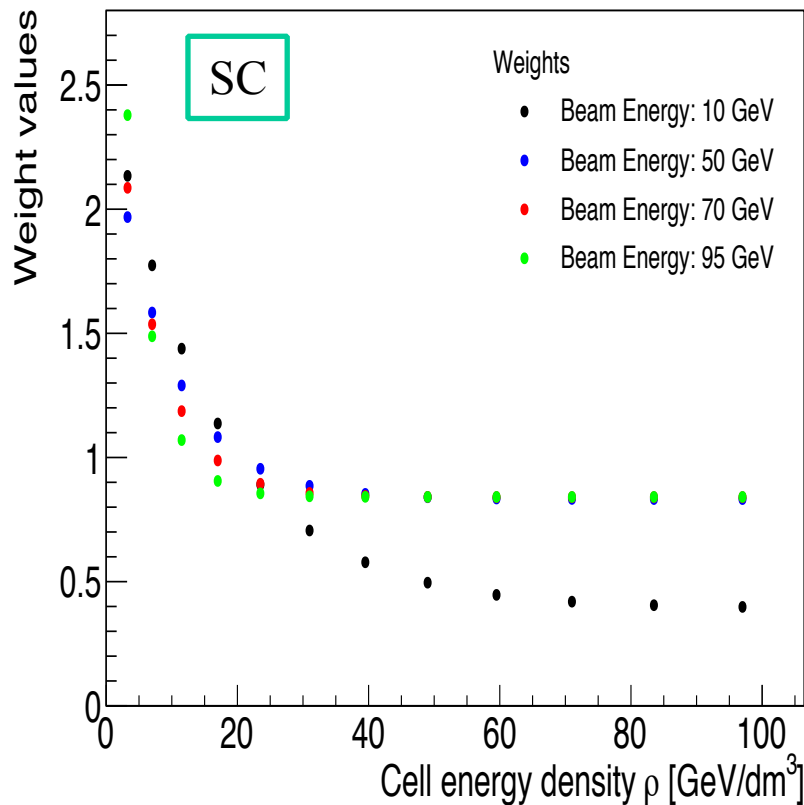


Software Compensation in S-D style

- New procedure defined:

- No longer enforce weight to follow exponential behaviour
- Weights determined for each bin of hit energy as a function of beam energy (all-at-one fit)

$$\omega(\rho) = p_1 \exp(p_2 \cdot \rho) + p_3$$

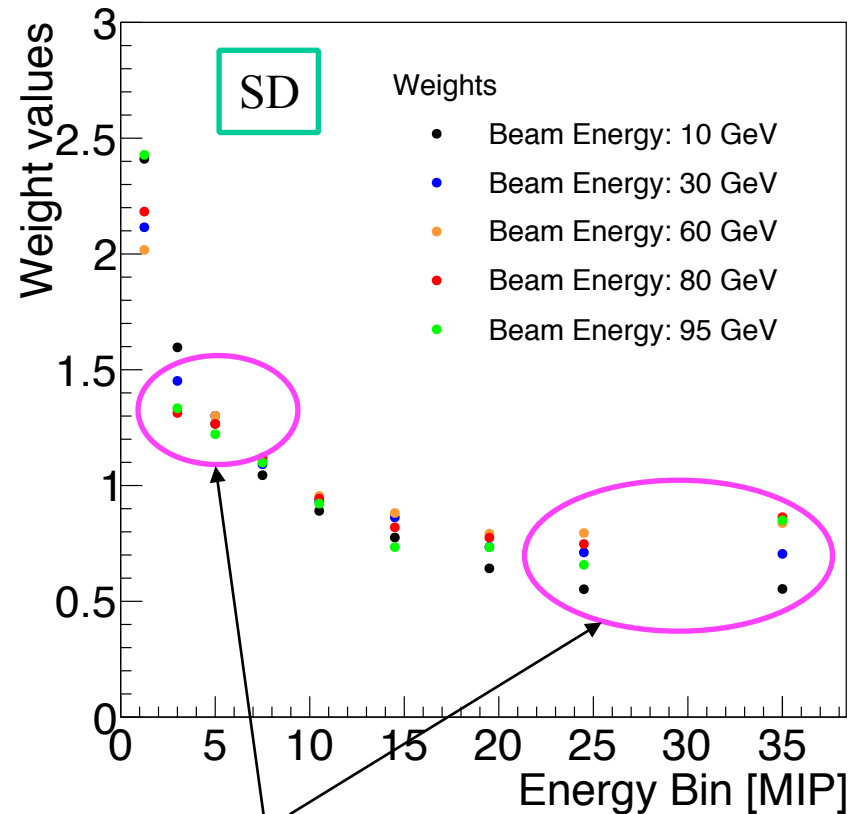
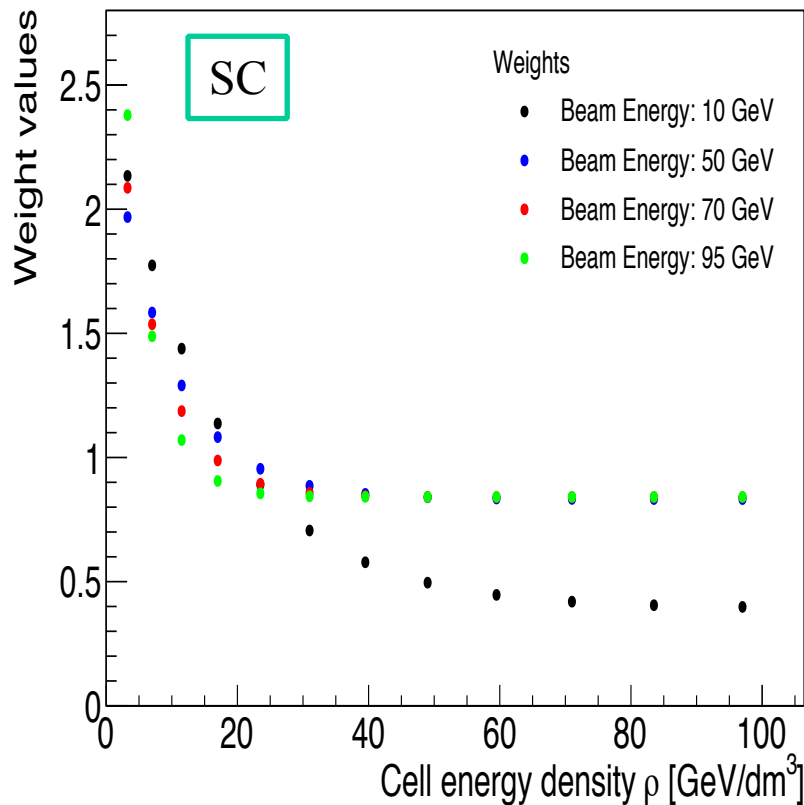


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Different behaviour

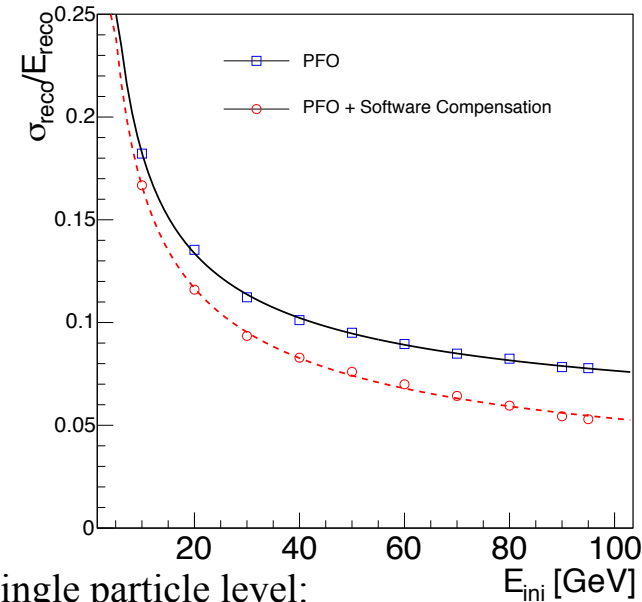
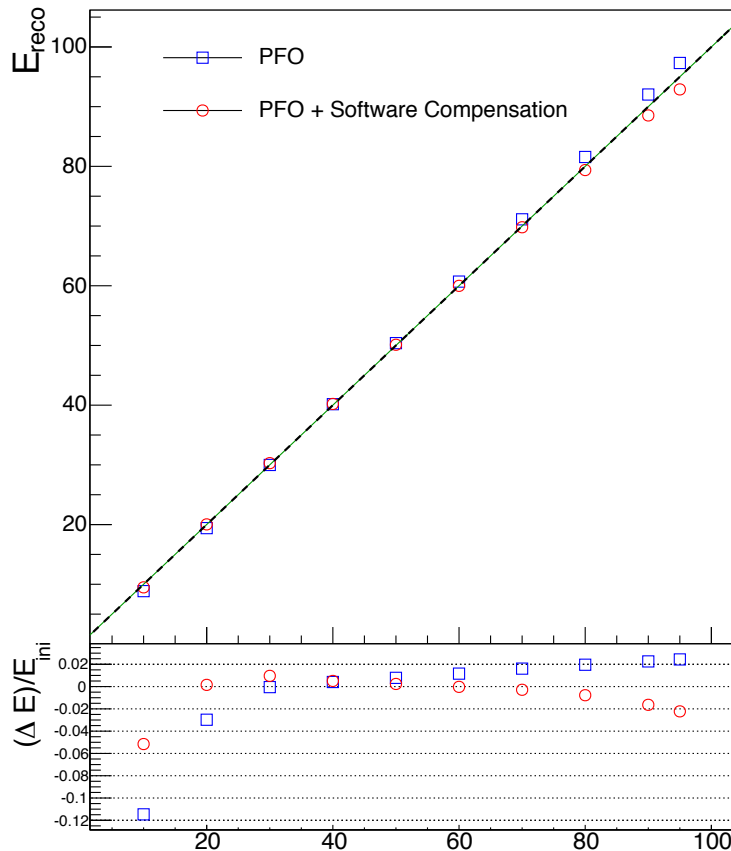


Software Compensation in S-D style

- New procedure defined:

- No longer enforce weight to follow exponential behaviour
- Weights determined for each bin of hit energy as a function of beam energy (all-at-one fit)
- Correction for neutral hadrons energy, after clustering and re-clustering step

$$\omega(\rho) = p_1 \exp(p_2 \cdot \rho) + p_3$$



Single particle level:

- Better compared to previous results
 - Improves linearity in whole range
 - Improves resolution $\sim 20\%$
- For higher energies $\sim 30\%$

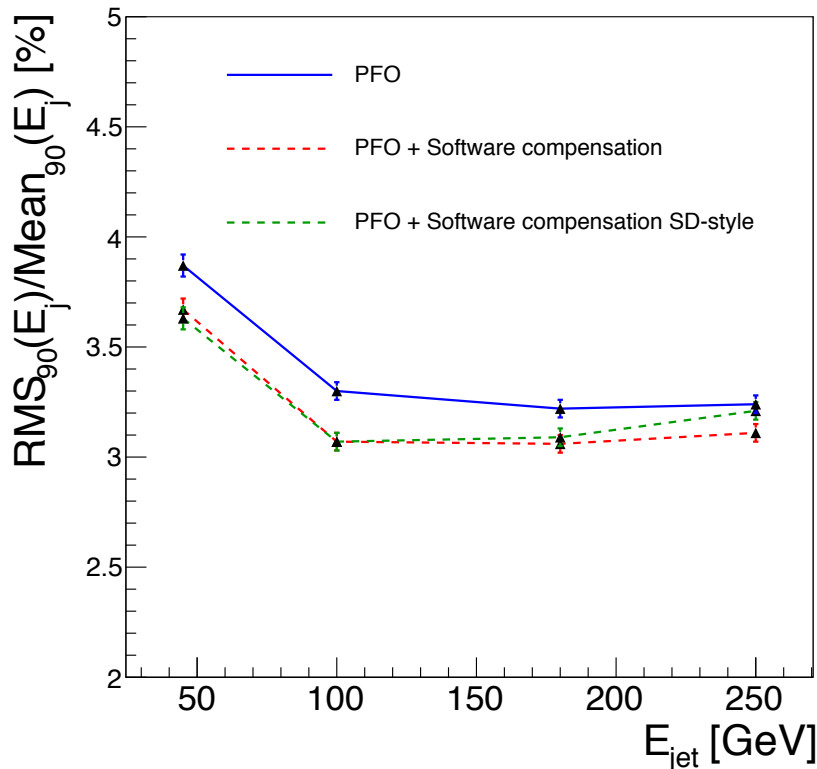


Software Compensation in S-D style

- New procedure defined:

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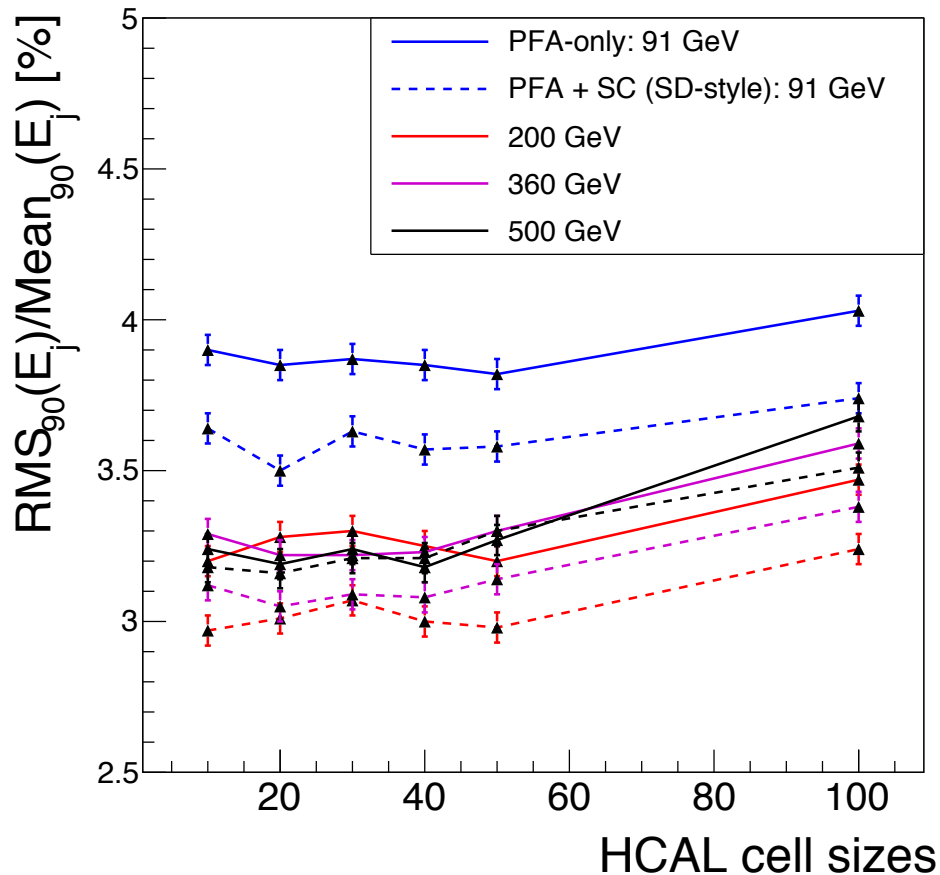
$$\omega(\rho) = p_1 \exp(p_2 \cdot \rho) + p_3$$



- At jet level gives more or less the same result as previously



JER vs cell size



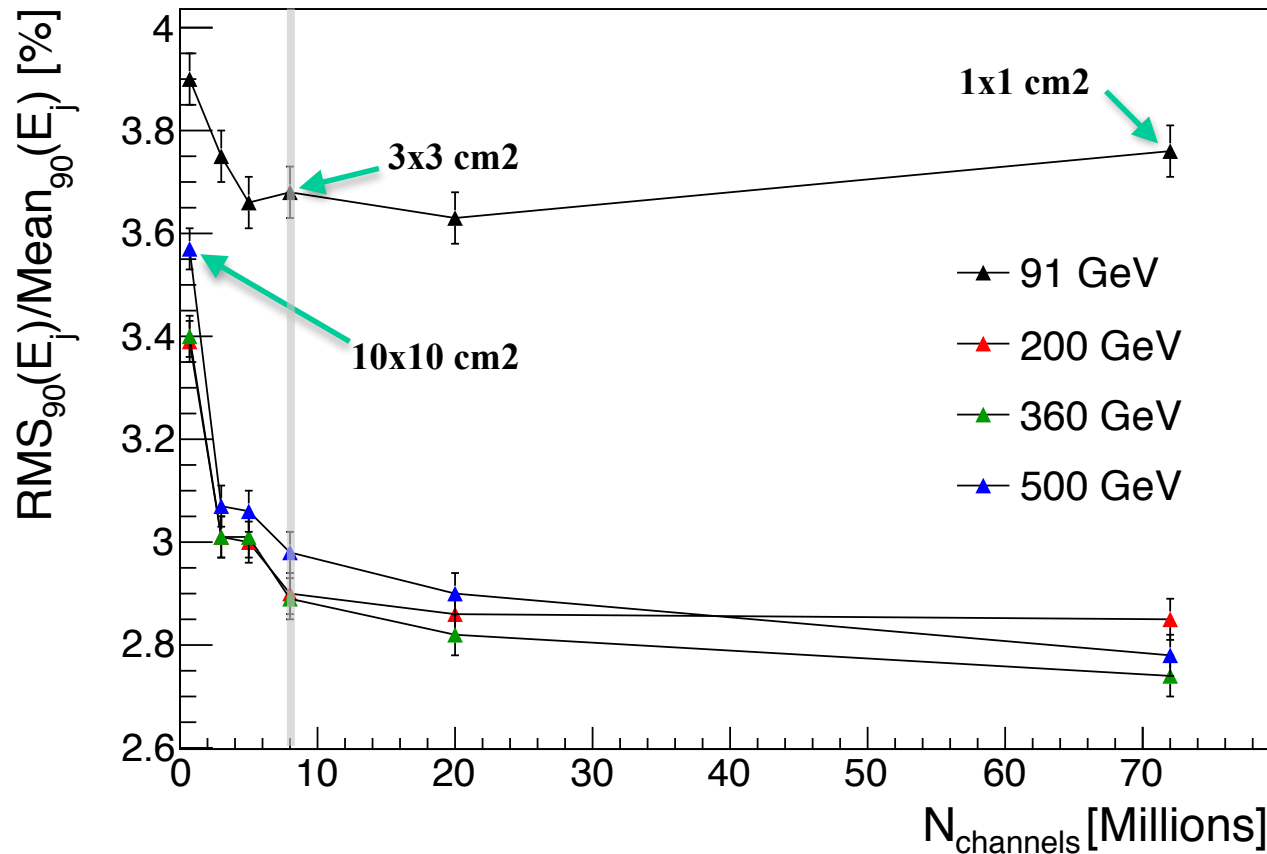
- Over all improvement
- At high energy slightly worse compared to Steve's numbers using truncation cut
 - HCAL truncation cut takes effect already at clustering step: for higher energy jets (large confusion) this is expected



Towards cost optimisation

- Look at jet energy resolution as a function of number of channels
- Plot shows that 3x3 cm² cell size is still a very reasonable choice with latest Pandora
- Software compensation to be applied

© Steven

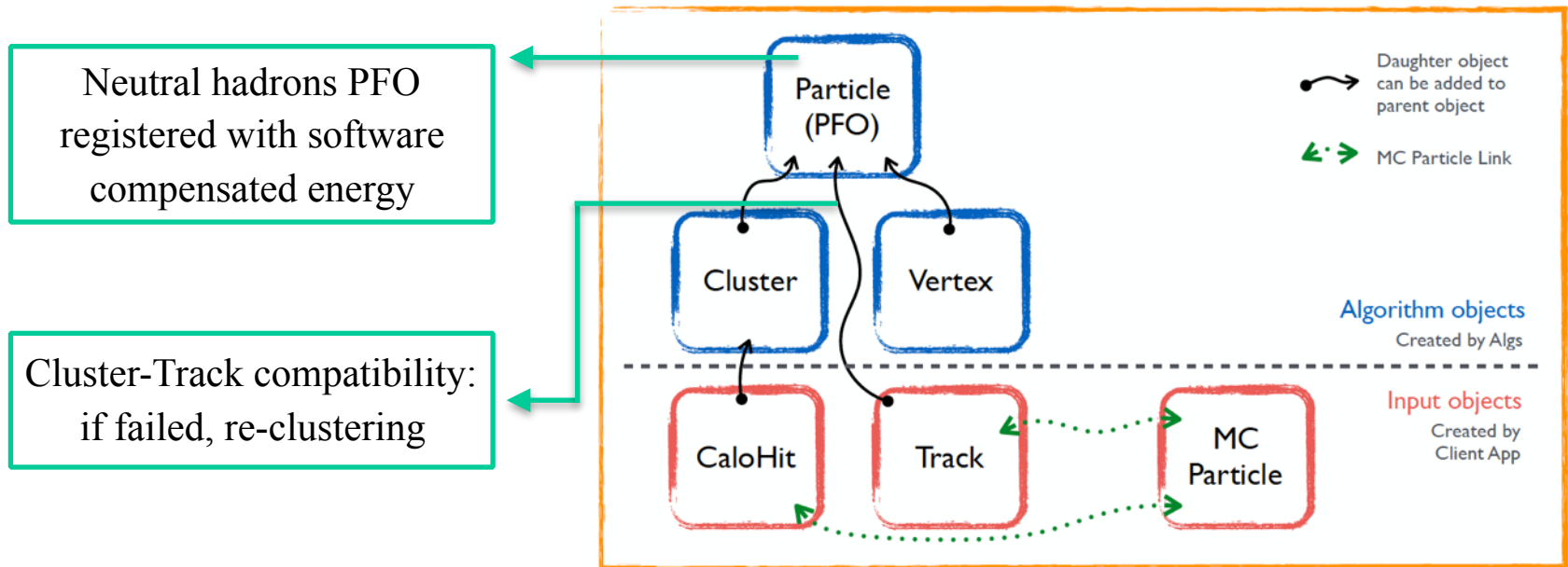


Latest results from Steven
To be updated with
software compensation



Implementation into Pandora

- Software compensation can help at different stages of Particle Flow Algorithm:
 - Re-clustering: Cluster-Track compatibility
 - Partile Flow Object creation: **Correction of neutral hadrons energy**



- Flag in MarlinPandora steering to apply software compensation:

```
<parameter name="ApplySoftwareCompensation" type="bool"> false </parameter>  
<parameter name="SoftwareCompensationParameters" type="FloatVec"> 2.54231 -0.0470912 ...  
</processor>
```

NEW



Summary & Outlook

- *Software compensation and cell size optimisation:*
 - Software compensation *implemented in Pandora*
 - To be made official
 - *Improves* single particle and jet energy resolution
 - Re-clustering step to be done
- Common SC technique for different types of HCAL developed
- Final goal: HCAL cell size and sampling optimisation (3D granularity) as a function of depth and for different detector radii
- One week in Cambridge (whenever my visa makes it way back)



Back-up slides

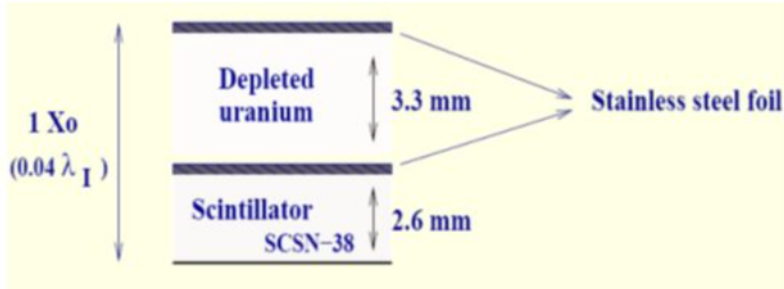


Methods to achieve Compensation

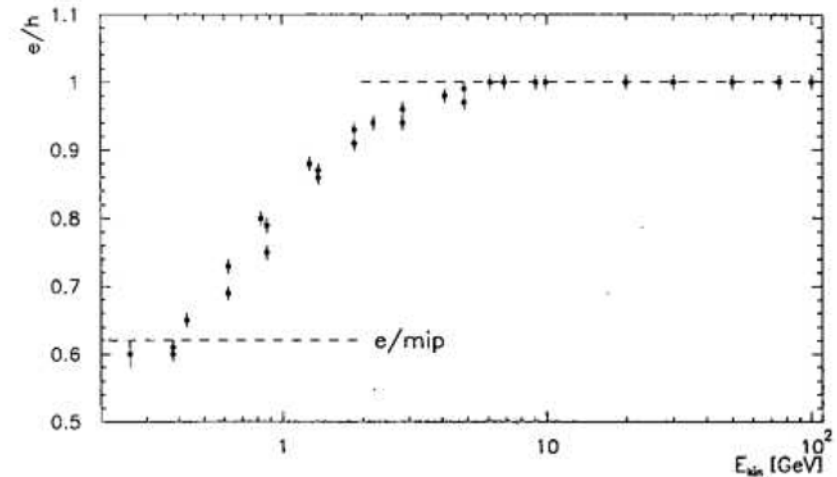
- Reducing electromagnetic response
- Increasing hadronic response

Achievable with detector design

- Increase nuclear fission with absorber material
 - Example: ZEUS detector using ^{238}U
- Manipulating response to (slow) neutrons
- Sampling fractions
- ...



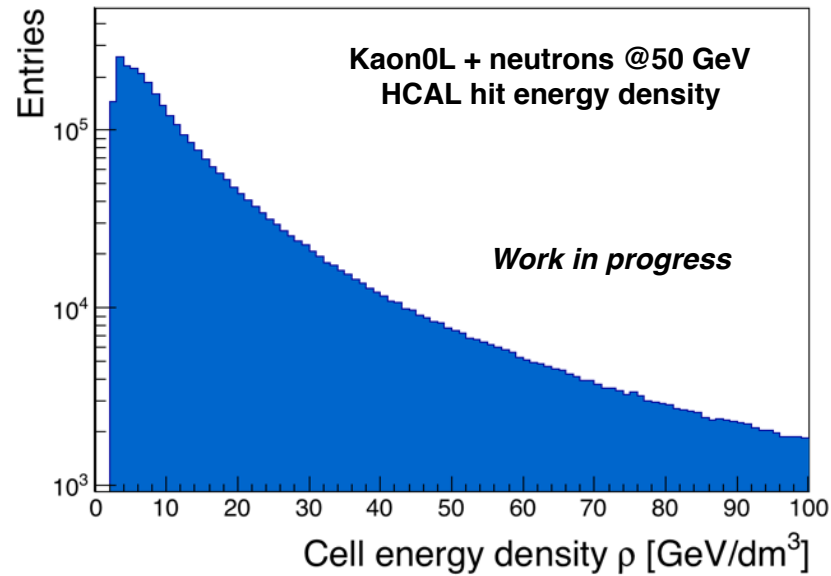
ZEUS Uranium-Scintillator calorimeter



ZEUS e/h response ratio
= 1 within 1% for $E > 3\text{GeV}$



Reminder: Hit Energy Density and Weights



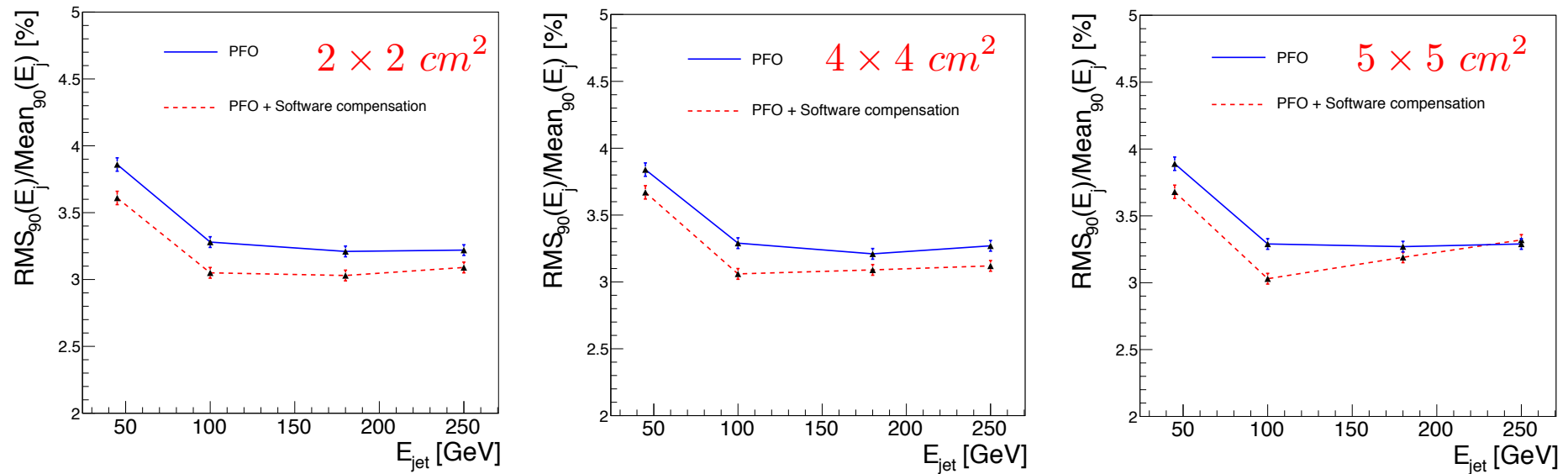
Samples:

- Kaon0L and neutrons from 10 to 95 GeV generated from IP, targeted only to barrel part
- Select only events with 1 cluster
 - Events where hadronic showers started already in EM calorimeter: only HCAL hits are weighted
 - Cluster with no hit in muon chamber



Jet Energy Resolution for Different Cell Sizes

- For similar cell sizes still expect improvement using weights defined with $3 \times 3 \text{ cm}^2$



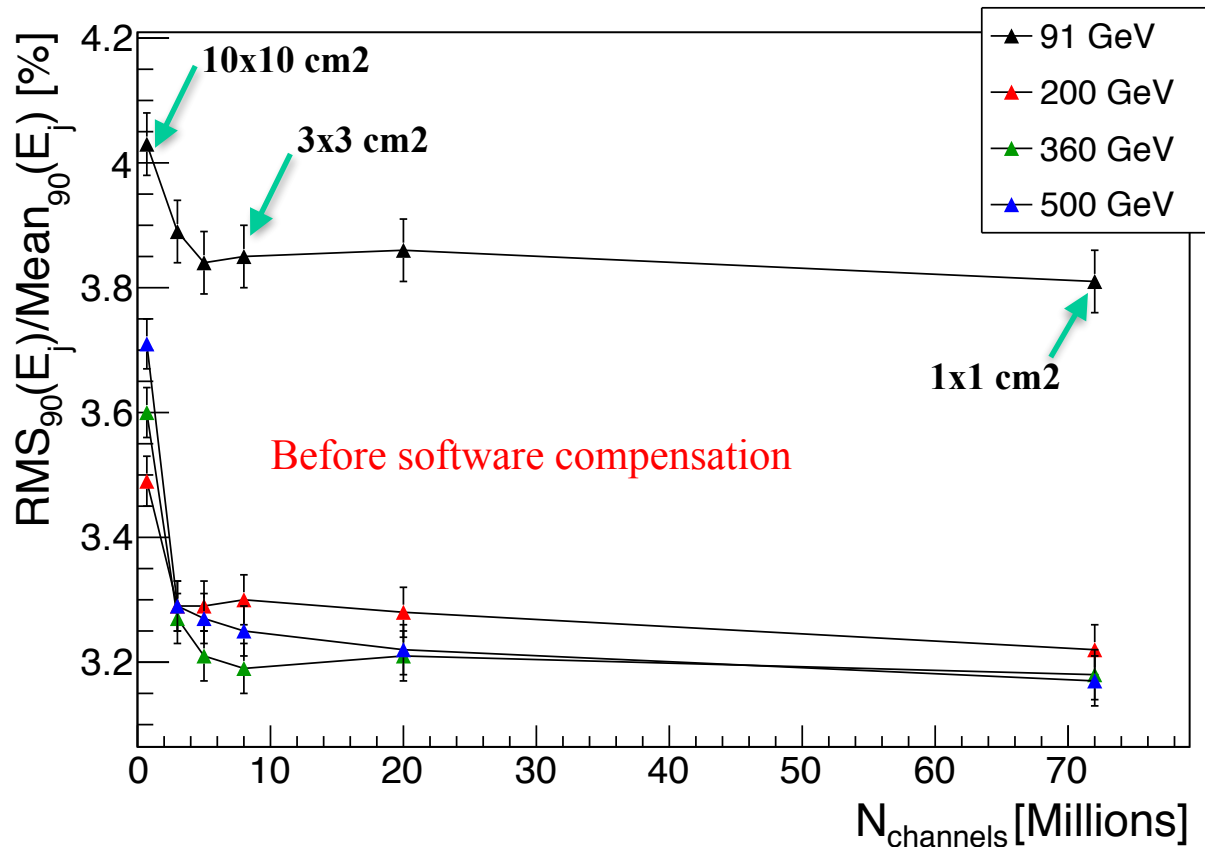
- Proper weights to be done, especially for very small or very large granularities
- SC could also help at re-clustering stage of Pandora
 - At the moment degrades JER, under investigation



Outlook - Using my numbers

Towards cost optimisation

- Look at jet energy resolution as a function of number of channels
- Plot shows clear preference for 3x3 cm² cell size
- Software compensation to be applied



Semi-digital Reconstruction

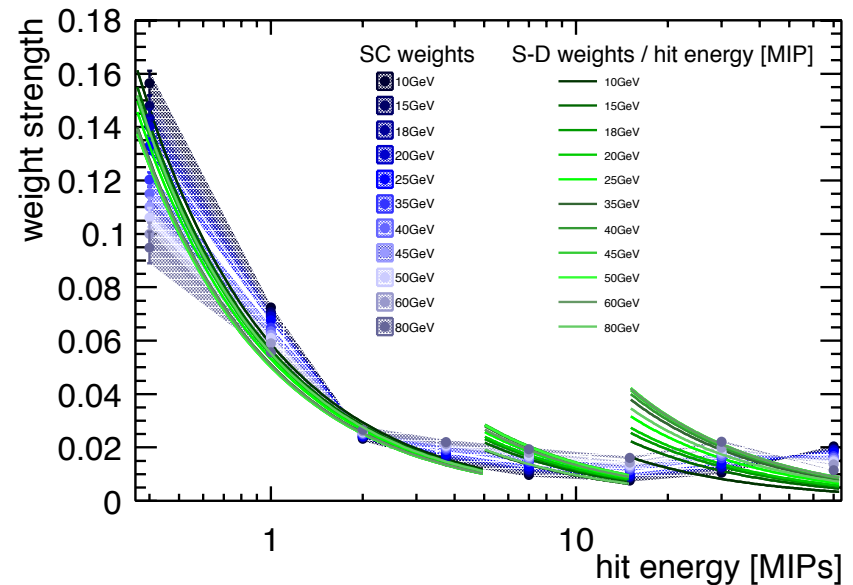
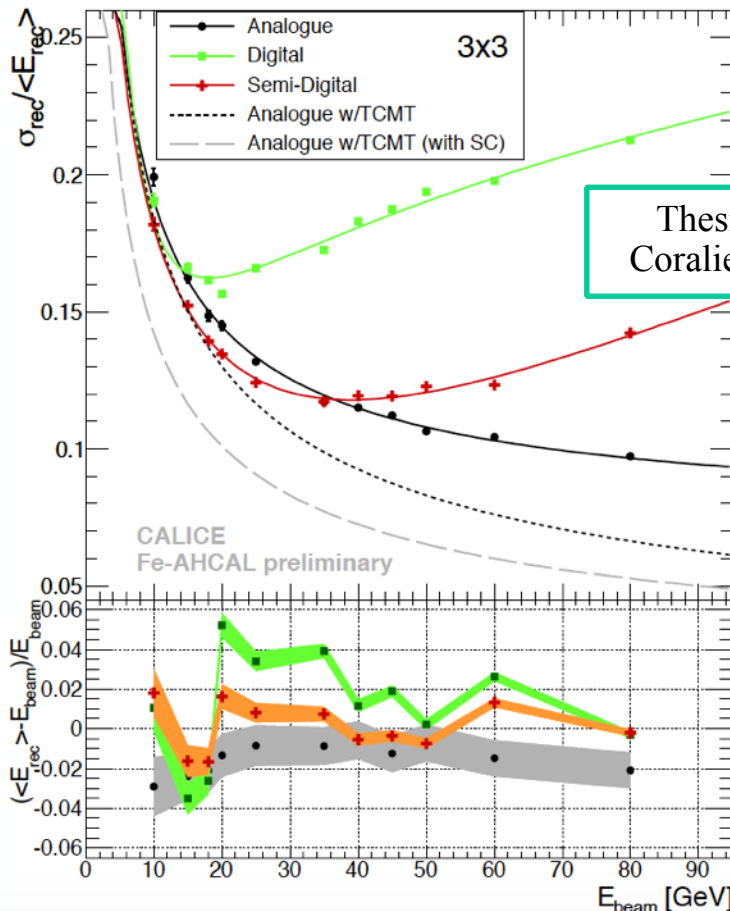
- Semi-digital reconstruction is particularly successful at low energies
 - Counting hits at 3 thresholds N_1, N_2, N_3

- Reconstructed energy: $E_{SD} = \sum_{bins} \alpha_i \cdot N_i$

or

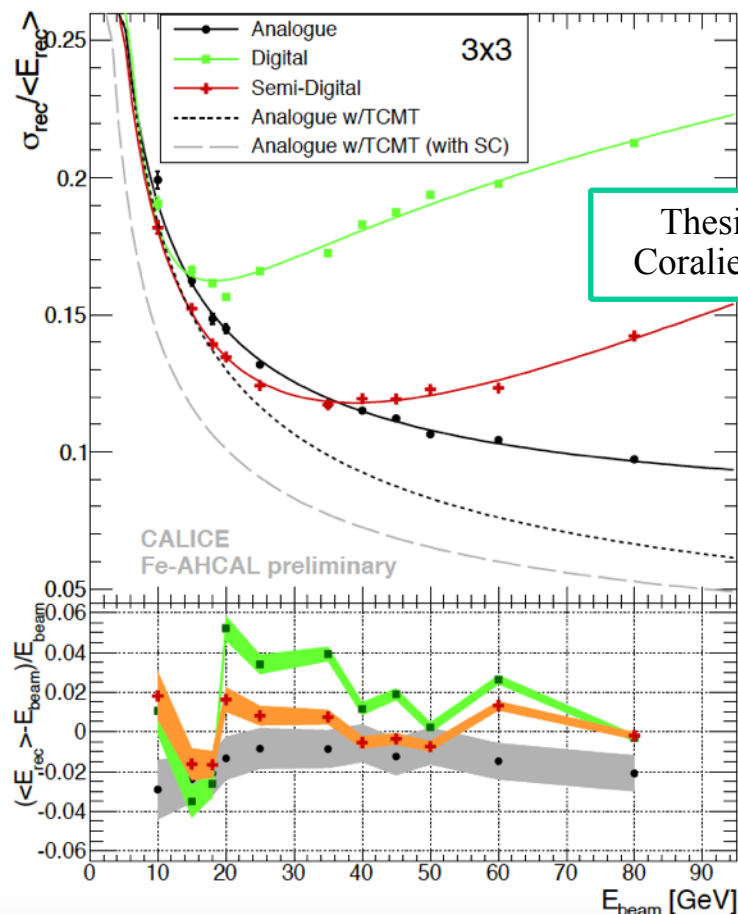
$$E_{SD} = \sum_{hits} \alpha_j \cdot \frac{E_j}{E_j} = \sum_{hits} \omega_j \cdot E_j \text{ with } \omega_j = \frac{\alpha_j}{E_j}$$

- Both reconstruction methods in same formalism
- Understand differences and learn from each other



Semi-digital Reconstruction

- Semi-digital reconstruction is particularly successful at low energies
 - Counting hits at 3 thresholds N_1, N_2, N_3



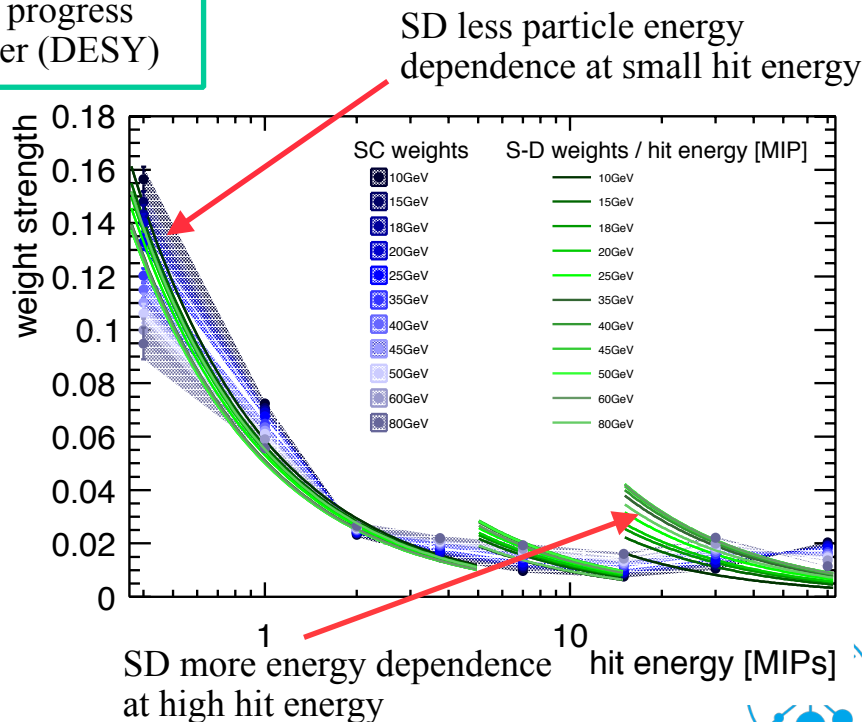
Thesis work in progress
Coralie Neubueser (DESY)

- Reconstructed energy: $E_{SD} = \sum_{bins} \alpha_i \cdot N_i$

or

$$E_{SD} = \sum_{hits} \alpha_j \cdot \frac{E_j}{E_j} = \sum_{hits} \omega_j \cdot E_j \text{ with } \omega_j = \frac{\alpha_j}{E_j}$$

- Both reconstruction methods in same formalism
- Understand differences and learn from each other



Semi-digital Reconstruction

- Semi-digital reconstruction:
 - Counting hits at 3 thresholds N_1, N_2, N_3
 - $N_{\text{tot}} = N_1 + N_2 + N_3$
 - $\text{EnergySD} = \alpha * N_1 + \beta * N_2 + \gamma * N_3$

where:

$$\alpha = \alpha_1 + \alpha_2 * N + \alpha_3 * N * N$$

$$\beta = \beta_1 + \beta_2 * N + \beta_3 * N * N$$

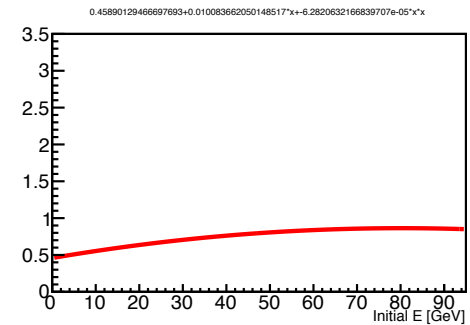
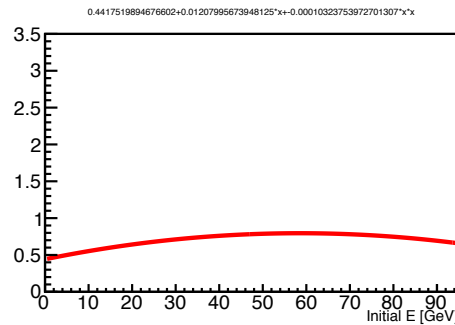
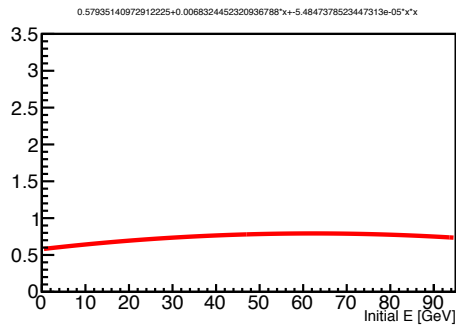
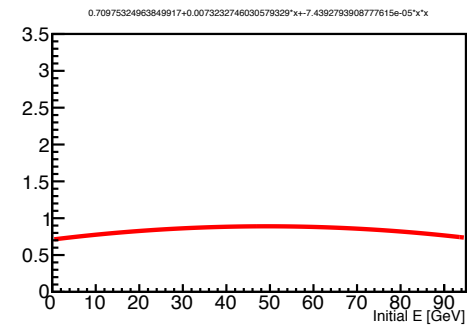
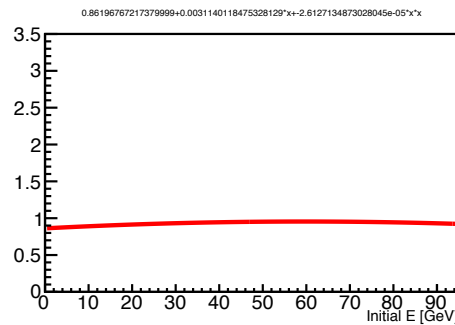
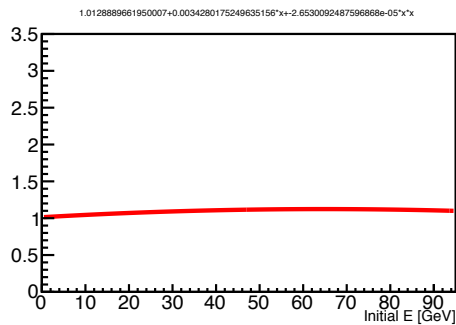
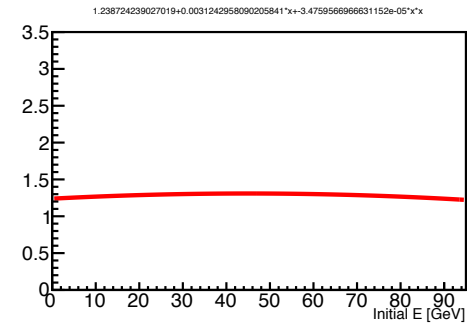
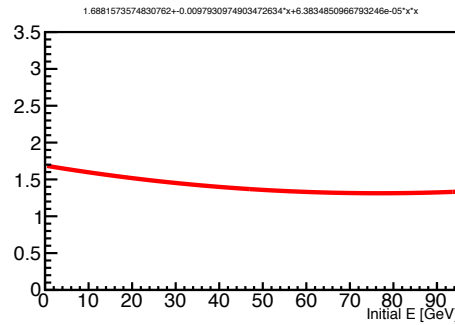
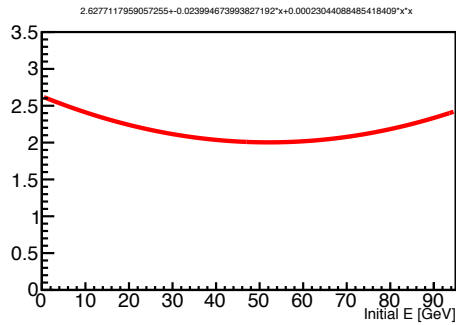
$$\gamma = \gamma_1 + \gamma_2 * N + \gamma_3 * N * N$$

Software compensation mimics Semi-Digital:

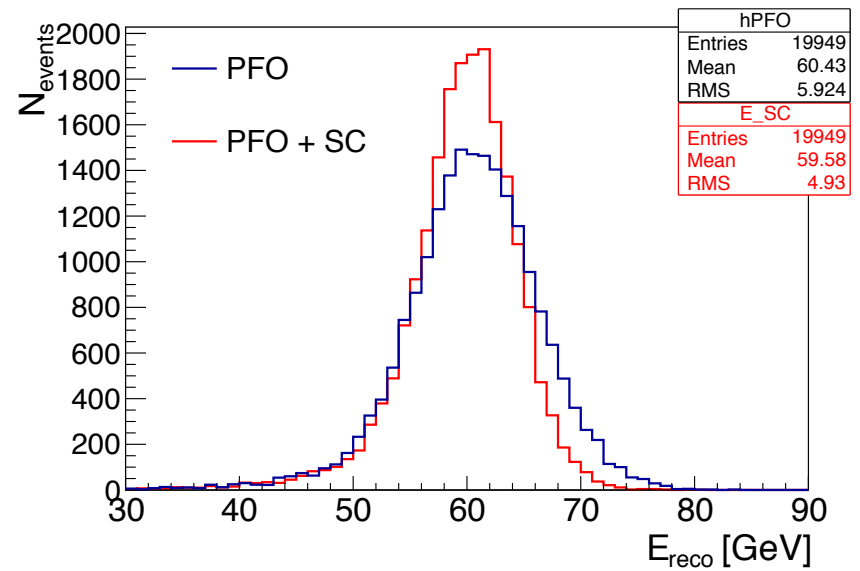
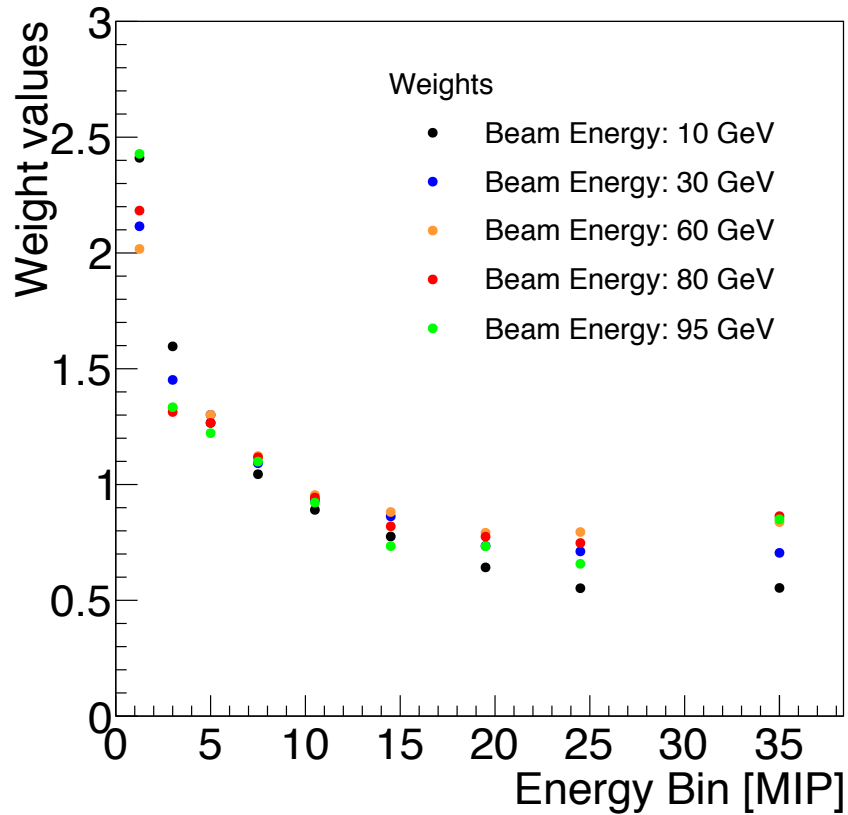
- Define bin
- $\text{Energy total} = \text{Sum_bin} (\text{weight_bin} * \text{SumEnergy_bin})$
- $\text{weight_bin} = a + b * E + c * E * E$



Semi-digital Reconstruction



Semi-digital Reconstruction



JER vs cell size

