

Higgs Bosons in SBRP: production modes and invisible decays

Albert Villanova del Moral

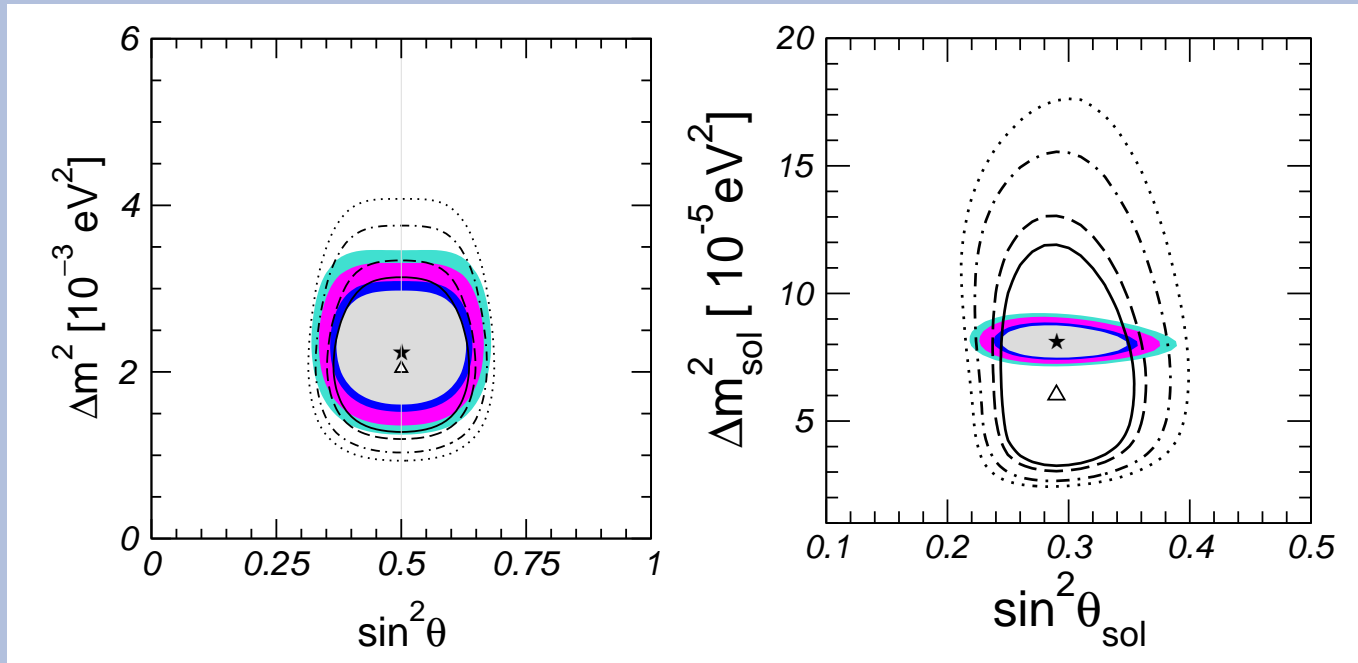
Based on papers:

M. Hirsch, J. Romão, J. W. F. Valle and A. Villanova del Moral,
Phys. Rev. D 70 (2004) 073012;
and other work in preparation



Neutrino Physics Data

- ★ Neutrinos are massive
- ▶ Allowed parameter region from all neutrino experimental data:



M. Maltoni, T. Schwetz, M. A. Tortola and J. W. F. Valle, New J. Phys. 6, 122 (2004).

Standard Model

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⇒ SM must be extended in some sector:

- ⊙ Particles
- ⊙ Symmetries
- ⊙ or both

SUSY extension of the SM

- ▶ The most general renormalizable and gauge invariant superpotential with minimal particle content is

$$W = W_{\text{MSSM}} + W_{\cancel{L}} + W_{\cancel{B}}$$

where

$$W_{\text{MSSM}} = \varepsilon_{ab} \left[h_U^{ij} \hat{Q}_i^a \hat{U}_j \hat{H}_u^b + h_D^{ij} \hat{Q}_i^b \hat{D}_j \hat{H}_d^a + h_E^{ij} \hat{L}_i^b \hat{E}_j \hat{H}_d^a - \mu \hat{H}_d^a \hat{H}_u^b \right]$$

$$W_{\cancel{L}} = \varepsilon_{ab} \left[\epsilon_i \hat{L}_i^a \hat{H}_u^b + \lambda_{ijk} \hat{L}_i^a \hat{L}_j^b \hat{E}_k + \lambda'_{ijk} \hat{L}_i^a \hat{Q}_j^b \hat{D}_k \right]$$

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- ▶ It allows L and B violation \Rightarrow Proton decay!!

Possible Solutions

- ▶ *Ad hoc* postulation of R-parity conservation
⇒ **MSSM**

$$R_P = (-1)^{3B+L+2s}$$

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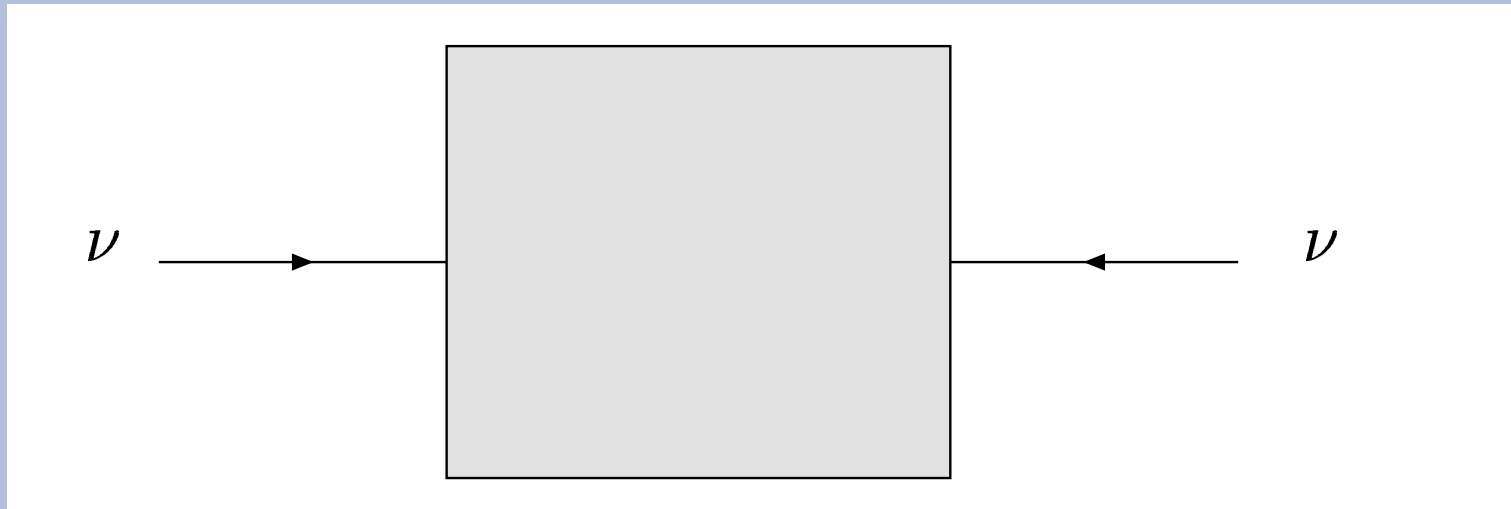
- Neutrinos remain massless

★ Postulation of R_P conservation is not inevitable!

- Postulation of R_P as an exact symmetry of the W , but which is spontaneously violated
⇒ SBRPM

L Breaking

- ▶ Neutrinos are electrically neutral particles
- ▶ They can have Majorana mass terms



- ▶ Lepton number would be violated
- ▶ How can L be broken?
 - ▶ Explicitly
 - ▶ Spontaneously

The majoron

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- The majoron cannot be mainly **doublet** or **triplet**
 - ⇐ Ruled out by LEP measurement of Z **invisible decay**

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 - ⇒ Associated massless Nambu-Goldstone boson: J (the **majoron**)
- ▶ The majoron must be mainly **singlet**
- ▶ New **invisible Higgs boson decay** channels

$$H_i \rightarrow JJ$$

$$A_i \rightarrow H_j J$$

$$A_i \rightarrow JJJ$$

Spontaneously Broken R-Parity Model

- ▶ The Model
 - ⌚ Particle Content
 - ⌚ Superpotential
 - ⌚ Non-Zero Vacuum Expectation Values
- ▶ Neutral Fermion Sector
- ▶ Neutral Higgs Boson Sector
 - ⌚ Mass eigenstates
 - ⌚ Production modes
 - ⌚ Invisible decays

Particle Content

MSSM superfields

+

3 Isosinglets

$$L = \begin{array}{cccc} & \hat{\nu}^c & \hat{S} & \hat{\Phi} \\ & -1 & +1 & 0 \end{array}$$

$\hat{\nu}^c \Rightarrow$ neutrino Dirac mass term

$\hat{S} \Rightarrow$ large mass for $\hat{\nu}^c$

$\hat{\Phi} \Rightarrow$ it enlarges invisible Higgs boson decay

\Rightarrow possible solution to the μ problem

Superpotential

$$\begin{aligned}
 W = & \varepsilon_{ab} \left[h_{U}^{ij} \widehat{Q}_i^a \widehat{U}_j \widehat{H}_u^b + h_{D}^{ij} \widehat{Q}_i^b \widehat{D}_j \widehat{H}_d^a + h_{E}^{ij} \widehat{L}_i^b \widehat{E}_j \widehat{H}_d^a - \right. \\
 & \left. - \mu \widehat{H}_d^a \widehat{H}_u^b \right] + \\
 & + \varepsilon_{ab} h_0 \widehat{H}_d^a \widehat{H}_u^b \widehat{\Phi} - \delta^2 \widehat{\Phi} + \\
 & + \varepsilon_{ab} h_{\nu}^i \widehat{L}_i^a \widehat{\nu}^c \widehat{H}_u^b + h \widehat{S} \widehat{\nu}^c \widehat{\Phi} + \\
 & + M_R \widehat{S} \widehat{\nu}^c + \frac{1}{2} M_{\Phi} \widehat{\Phi} \widehat{\Phi} + \frac{1}{3!} \lambda \widehat{\Phi}^3
 \end{aligned}$$

Superpotential

$$\begin{aligned} W = & \varepsilon_{ab} \left[h_{U}^{ij} \widehat{Q}_i^a \widehat{U}_j \widehat{H}_u^b + h_{D}^{ij} \widehat{Q}_i^b \widehat{D}_j \widehat{H}_d^a + h_{E}^{ij} \widehat{L}_i^b \widehat{E}_j \widehat{H}_d^a \right] + \\ & + \varepsilon_{ab} h_0 \widehat{H}_d^a \widehat{H}_u^b \widehat{\Phi} + \\ & + \varepsilon_{ab} h_{\nu}^i \widehat{L}_i^a \widehat{\nu}^c \widehat{H}_u^b + h \widehat{S} \widehat{\nu}^c \widehat{\Phi} + \\ & + \frac{1}{3!} \lambda \widehat{\Phi}^3 \end{aligned}$$

Solution to the μ problem

Vacuum Expectation Values

$$\langle H_u^0 \rangle \equiv v_u / \sqrt{2}, \quad \langle H_d^0 \rangle \equiv v_d / \sqrt{2},$$

$$\langle \tilde{\nu}_i \rangle \equiv v_{Li} / \sqrt{2} \quad (i =, 1 \dots, 3),$$

$$\langle \tilde{\nu}^c \rangle \equiv v_R / \sqrt{2}, \quad \langle \tilde{S} \rangle \equiv v_S / \sqrt{2}, \quad \langle \Phi \rangle \equiv v_\Phi / \sqrt{2}$$

$$v_{Li} \ll v_d, v_u \ll v_R, v_S, v_\Phi$$

Neutral Fermion Sector

Non-zero VEVs \Rightarrow

\Rightarrow mixing of $\left\{ \begin{array}{l} \bullet \text{ neutrinos} \\ \bullet \text{ gauginos} \\ \bullet \text{ higgsinos} \\ \bullet \text{ singlet fermions} \end{array} \right.$

In the basis

$$(\psi^0)^T = (\nu_1, \nu_2, \nu_3, -i\lambda', -i\lambda^3, \tilde{H}_d^0, \tilde{H}_u^0, \nu^c, S, \tilde{\Phi})$$

$$\mathcal{L} \supset -\frac{1}{2}(\psi^0)^T \mathbf{M}_N (\psi^0)$$

Neutral Fermion Mass Matrix

$$\mathbf{M}_N = \begin{pmatrix} \vec{\mathbf{0}}_{3 \times 3} & \mathbf{m}_{\nu\chi^0} & \mathbf{m}_{\nu\nu^c} & \vec{\mathbf{0}}_{3 \times 1} & \vec{\mathbf{0}}_{3 \times 1} \\ \mathbf{m}_{\nu\chi^0}^T & \mathbf{M}_{\chi^0} & \mathbf{m}_{\chi^0\nu^c} & \vec{\mathbf{0}}_{4 \times 1} & \mathbf{m}_{\chi^0\Phi} \\ \mathbf{m}_{\nu\nu^c}^T & \mathbf{m}_{\chi^0\nu^c}^T & 0 & m_{\nu^c S} & m_{\nu^c\Phi} \\ \vec{\mathbf{0}}_{1 \times 3} & \vec{\mathbf{0}}_{1 \times 4} & m_{\nu^c S} & 0 & m_{S\Phi} \\ \vec{\mathbf{0}}_{1 \times 3} & \mathbf{m}_{\chi^0\Phi}^T & m_{\nu^c\Phi} & m_{S\Phi} & M'_\Phi \end{pmatrix}$$

Mixing of the 10 neutral fermions

Effective Neutrino Mass Matrix

$$\mathbf{m}_{\nu\nu}^{\text{eff}} = -\mathbf{m}_{3\times 7} \cdot \mathbf{M}_7^{-1} \cdot \mathbf{m}_{3\times 7}^T$$

Matrix elements:

$$(\mathbf{m}_{\nu\nu}^{\text{eff}})_{ij} = F^{\Lambda\Lambda} \Lambda_i \Lambda_j + F^{\epsilon\epsilon} \epsilon_i \epsilon_j + F^{\Lambda\epsilon} (\Lambda_i \epsilon_j + \Lambda_j \epsilon_i)$$

where

$$\Lambda_i \equiv \epsilon_i v_d + \mu v_{Li}$$

$$\epsilon_i \equiv \frac{1}{\sqrt{2}} h_i^\nu v_R$$

Mass Eigenstates

$$m_{\nu_1} = 0$$

$$m_{\nu_2} = \min(|m'_{\nu_2}|, |m'_{\nu_3}|) \Rightarrow \text{SOL scale}$$

$$m_{\nu_3} = \max(|m'_{\nu_2}|, |m'_{\nu_3}|) \Rightarrow \text{ATM scale}$$

where, approximately,

$$m'_{\nu_2} \propto |\vec{\Lambda}|^2$$

$$m'_{\nu_3} \propto |\vec{\epsilon}|^2$$

Neutral CP-even Higgs Boson Sector

$$(H'^0)^T = (H_d^{0R}, H_u^{0R}, \tilde{\nu}_1^R, \tilde{\nu}_2^R, \tilde{\nu}_3^R, \tilde{\nu}^{cR}, \tilde{S}^R, \Phi^R)$$

$$\mathcal{L} \supset \frac{1}{2} (H'^0)^T \cdot M_{H^0}^2 \cdot H'^0$$

Mass eigenstates are

$$H^0 = R^{H^0} \cdot H'^0$$

with the following mass eigenvalues

$$\text{diag}(m_{H_1}^2, \dots, m_{H_8}^2) = R^{H^0} \cdot M_{H^0}^2 \cdot (R^{H^0})^T$$

Neutral CP-odd Higgs Boson Sector

$$(\mathbf{P}'^0)^T = (H_d^{0I}, H_u^{0I}, \tilde{\nu}_1^I, \tilde{\nu}_2^I, \tilde{\nu}_3^I, \tilde{\nu}^{cI}, \tilde{S}^I, \Phi^I)$$

$$\mathcal{L} \supset \frac{1}{2} (\mathbf{P}'^0)^T \cdot \mathbf{M}_{P^0}^2 \cdot \mathbf{P}'^0$$

Mass eigenstates are P_i^0 , where

$$(\mathbf{P}^0)^T = (J, G^0, A_1, A_2, A_3, A_4, A_5, A_6)$$

$$\mathbf{P}^0 = \mathbf{R}^{P^0} \cdot \mathbf{P}'^0$$

with the following mass eigenvalues

$$\text{diag}(0, 0, m_{A_1}^2, \dots, m_{A_6}^2) = \mathbf{R}^{P^0} \cdot \mathbf{M}_{P^0}^2 \cdot (\mathbf{R}^{P^0})^T$$

Majoron Components

▶ For

$$v_{Li} \ll v_d, v_u \ll v_R, v_S, v_\Phi$$

the **majoron** is given by the imaginary part of

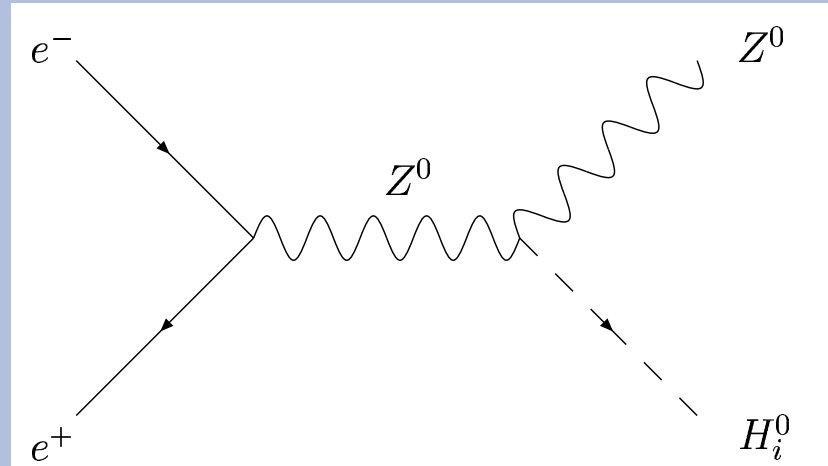
$$\frac{\sum_i v_{Li}^2}{V v^2} (v_u H_u - v_d H_d) + \sum_i \frac{v_{Li}}{V} \tilde{\nu}_i + \frac{v_S}{V} \tilde{S} - \frac{v_R}{V} \tilde{\nu}^c$$

▶ **Majoron** is mainly **singlet**

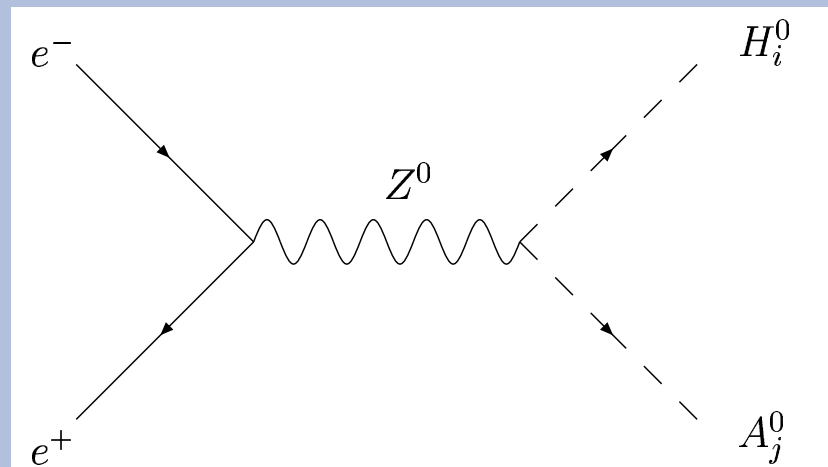
$$\frac{1}{V} (v_S \tilde{S} - v_R \tilde{\nu}^c)$$

Neutral Higgs Boson Production

Direct Production (Bjorken process)



Associated production



Direct Production

$$\mathcal{L}_{ZZH} = \sum_{i=1}^8 (\sqrt{2}G_F)^{1/2} M_Z^2 Z_\mu Z^\mu \eta_i H_i^0$$

Direct production parameter

$$\eta_i \equiv \frac{g_{ZZH_i^0}}{g_{ZZH_i^0}^{\text{SM}}} = \frac{v_d}{v} R_{i1}^{H^0} + \frac{v_u}{v} R_{i2}^{H^0} + \sum_{j=1}^3 \frac{v_{Lj}}{v} R_{ij+2}^{H^0}$$

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- ▶ If $\eta_i \sim 0 \Rightarrow H_i^0$ mainly isosinglet
- ▶ If $\eta_i \sim 1 \Rightarrow H_i^0$ mainly isodoublet (like MSSM)

Direct Production of H_1^0

- ▶ Upper bound on $m_{H_1^0}$

$$m_{H_1^0} \leq 150 \text{ GeV}, \quad \eta_1 \in [0, 1]$$

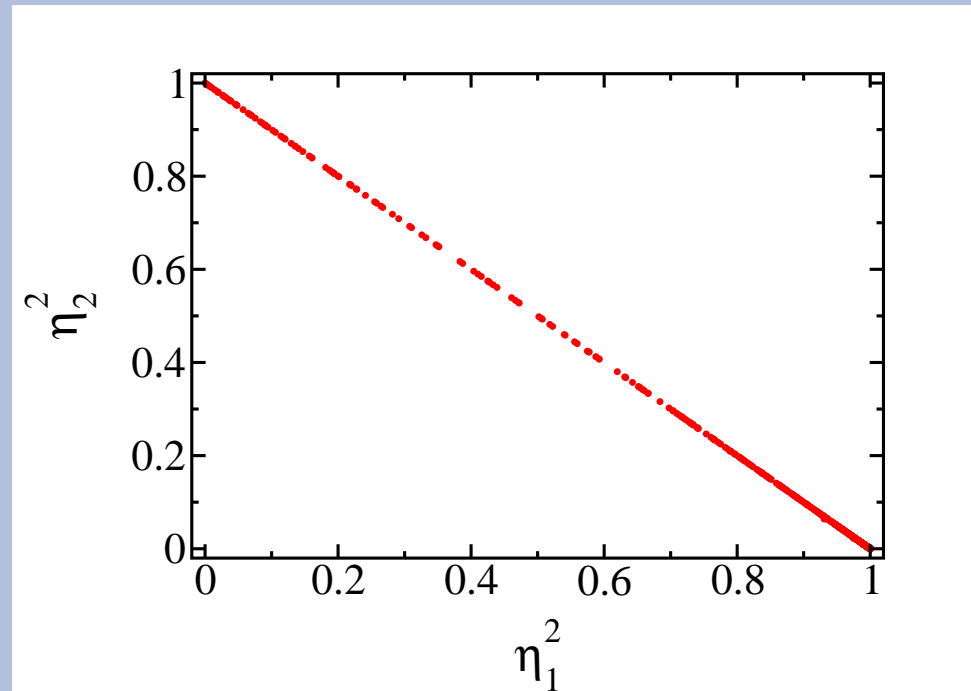
- ▶ If $\eta_1 \sim 0 \Rightarrow H_1^0$ is NOT produced!
- ▶ What about H_2^0 ?

Direct Production of H_2^0

▶ If $\eta_1 \sim 0 \Rightarrow$ What about η_2 ?

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Direct Production of H_2^0

▶ If $\eta_1 \sim 0 \Rightarrow \eta_2 \sim 1$

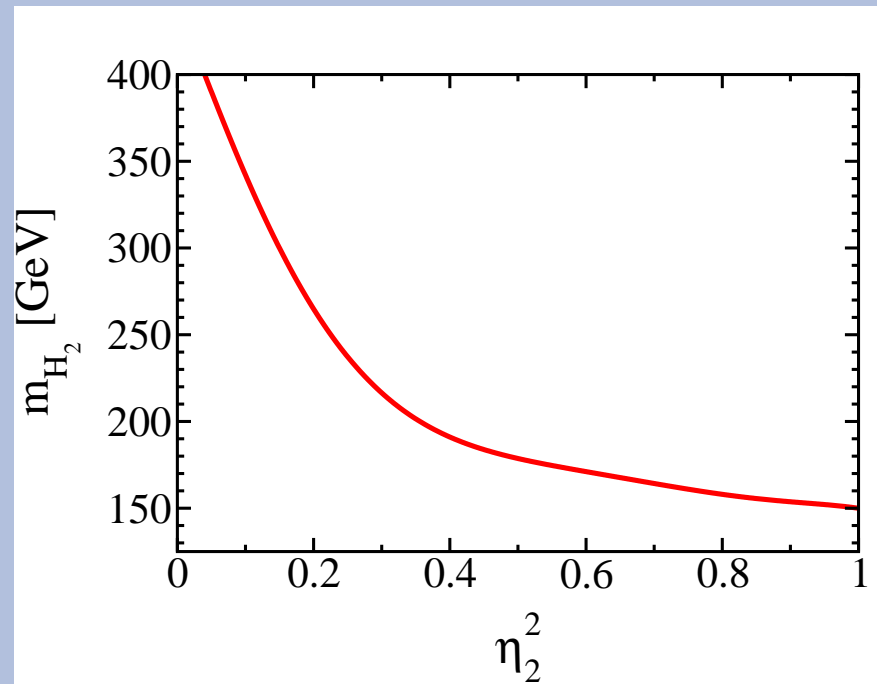
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i.e., for H_2^0 largely produced, its mass is bounded from above

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i.e., for H_2^0 largely produced, its mass is bounded from above

★ One Higgs boson, whose mass is bounded from above at around 150 GeV, will be produced, independently of whether this boson is the lightest or the next-to-lightest one

Associated Production

$$\mathcal{L}_{ZHA} = \sum_{i,j=1}^8 (\sqrt{2}G_F)^{1/2} M_Z \zeta_{ij} \left(Z^\mu H_i^0 \overleftrightarrow{\partial}_\mu P_j^0 \right)$$

Associated production parameter

$$\zeta_{ij} \equiv R_{i1}^{S^0} R_{j1}^{P^0} - R_{i2}^{S^0} R_{j2}^{P^0} + \sum_{k=1}^3 R_{ik+2}^{S^0} R_{jk+2}^{P^0}$$

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- Like in the MSSM, here we have an analogous but more complicated **sum rule**, which depends on the Higgs mass spectrum

★ At least one state will be produced

CP-even Higgs Boson Decays

- ▶ Main decay channels for either H_1^0 or H_2^0

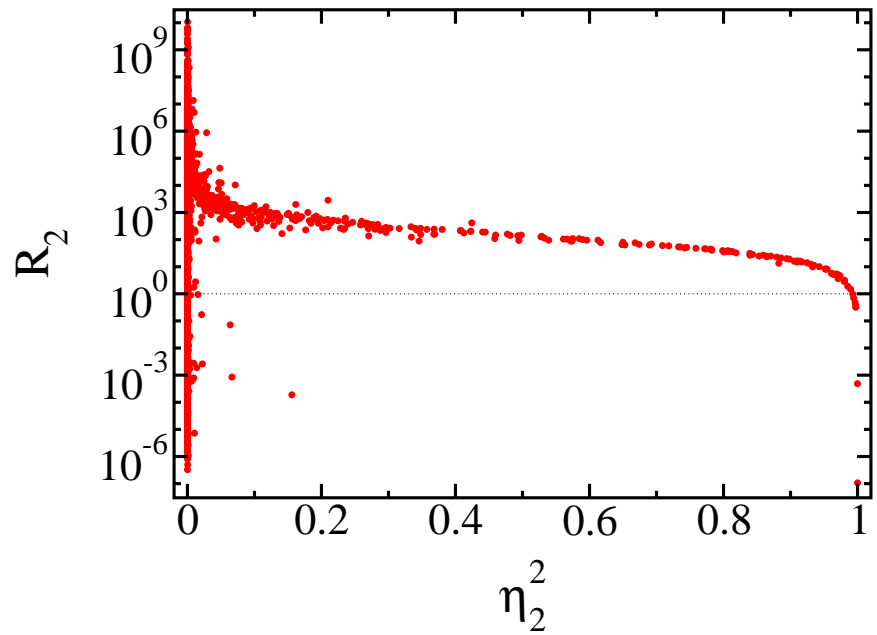
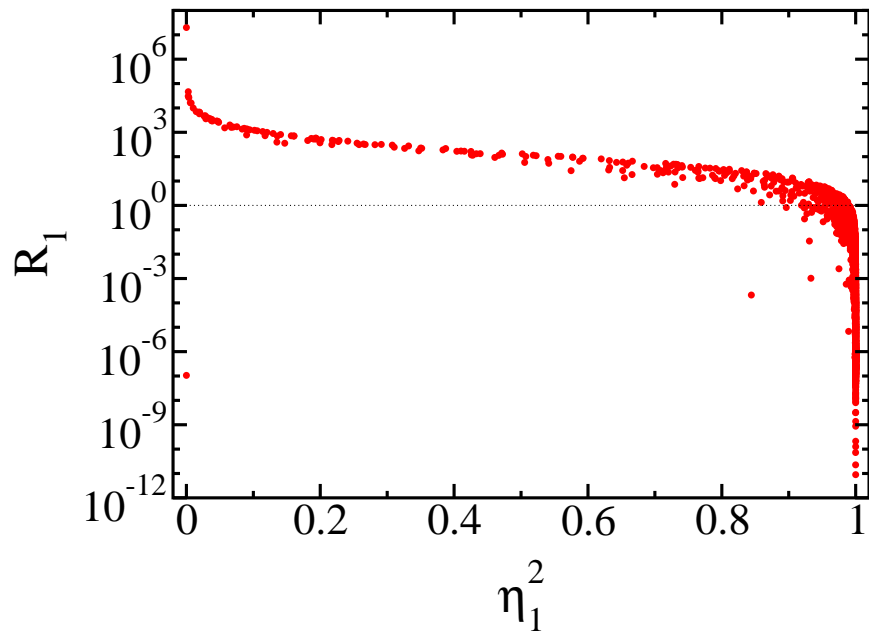
$$H_{1,2}^0 \rightarrow f_i \bar{f}_i \quad \text{if} \quad m_{H_{1,2}^0} > 2m_{f_i}$$

$$H_{1,2}^0 \rightarrow JJ$$

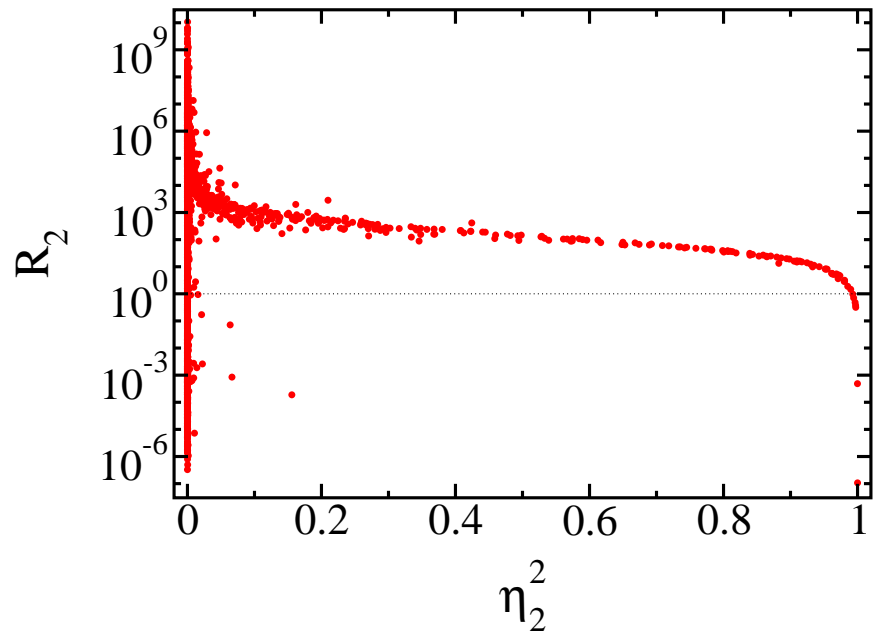
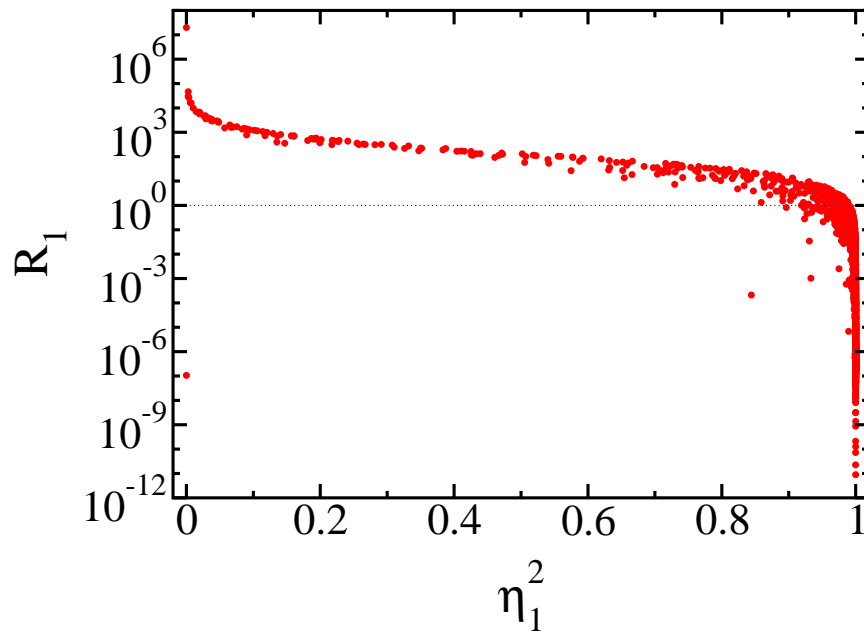
- ▶ Ratio between the invisible decay width and the visible one as

$$R_{1,2} \equiv \frac{\Gamma(H_{1,2}^0 \rightarrow JJ)}{\sum_j \Gamma(H_{1,2}^0 \rightarrow f_j \bar{f}_j)}$$

CP-even Higgs Boson Decays



CP-even Higgs Boson Decays



- ★ Both can have dominant invisible decay for large values of their direct production parameters

CP-odd Higgs Boson Decays

- ▶ Main decay channels for A_1^0

$$A_1^0 \rightarrow f_i \bar{f}_i \quad \text{if} \quad m_{A_1^0} > 2m_{f_i}$$

$$A_1^0 \rightarrow H_j^0 J \quad \text{if} \quad m_{A_1^0} > m_{H_j^0}$$

$$A_1^0 \rightarrow JJJ$$

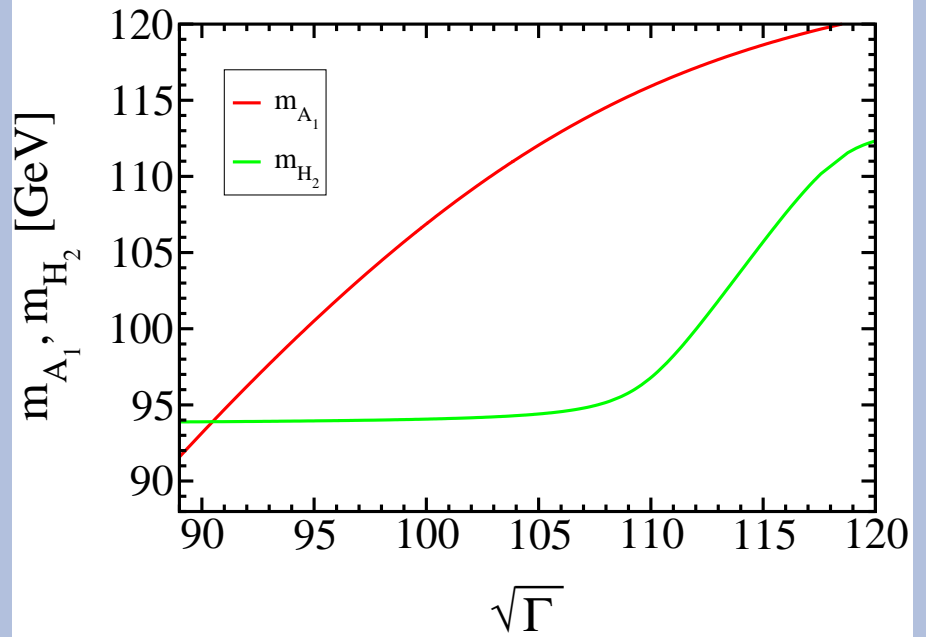
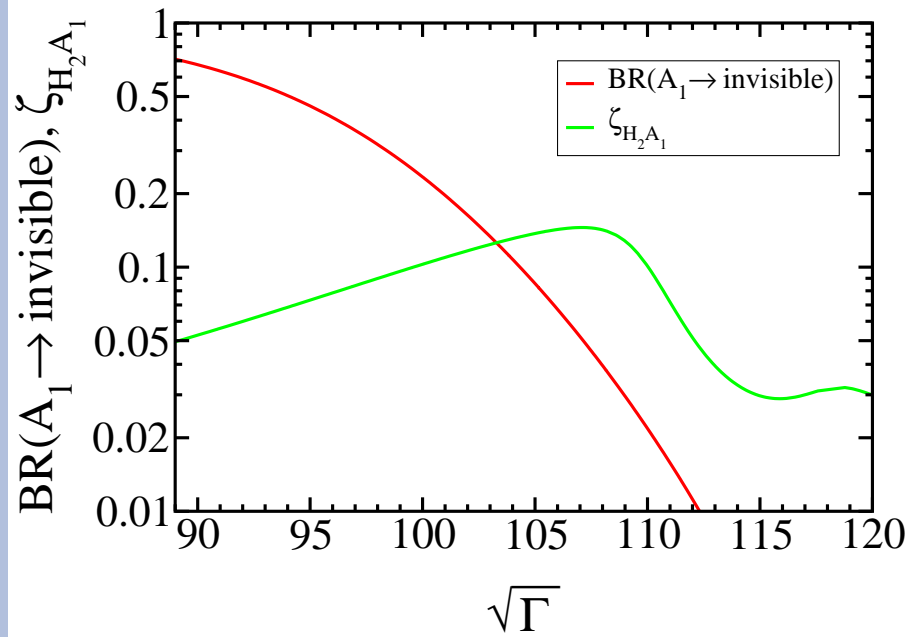
CP-odd Higgs Boson Decays

- **Problem:** in most of the parameter space the lightest CP-odd Higgs boson that is largely produced via the associated production mechanism will have these invisible decay channels suppressed

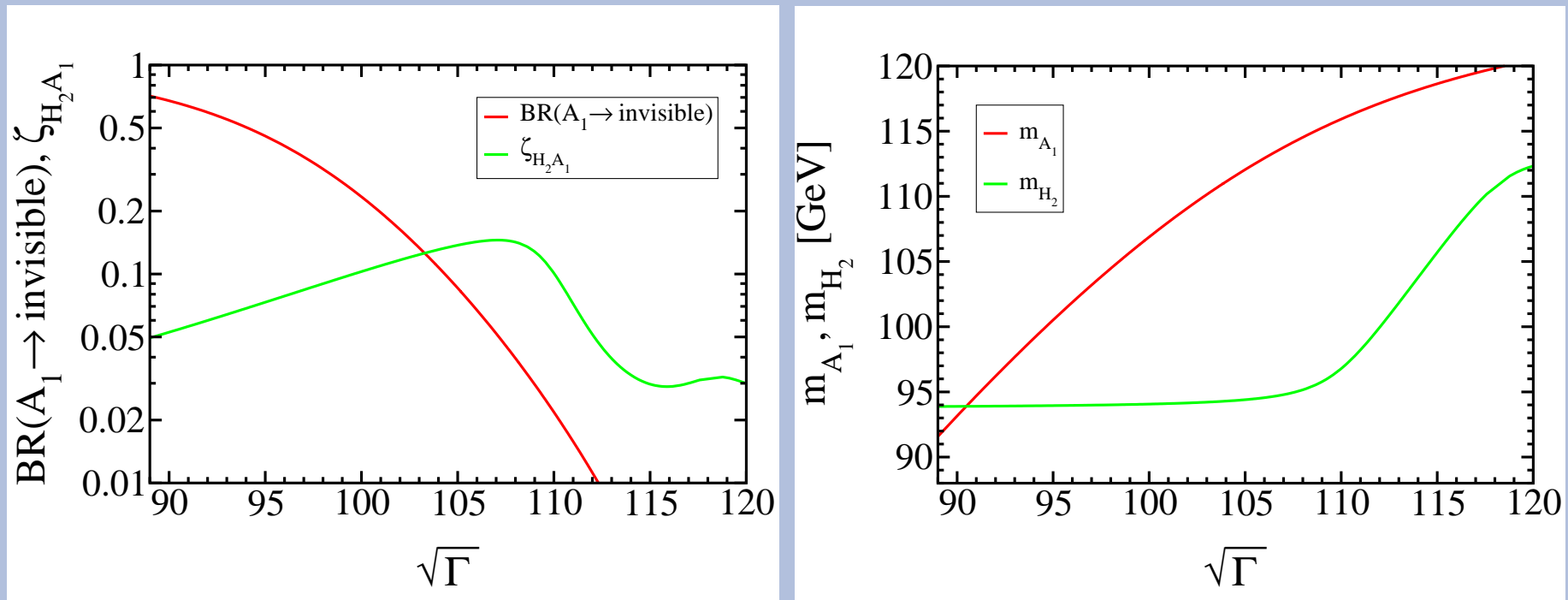
CP-odd Higgs Boson Decays

- **Problem:** in most of the parameter space the lightest CP-odd Higgs boson that is **largely produced** via the associated production mechanism will have these **invisible decay channels suppressed**
- **Solution:** to find a **compromise** between its degree of “**doublettness**” (so that it will be produced) and “**singlettness**” (so that it has a sizable invisible decay through majorons)

CP-odd Higgs Boson Decays

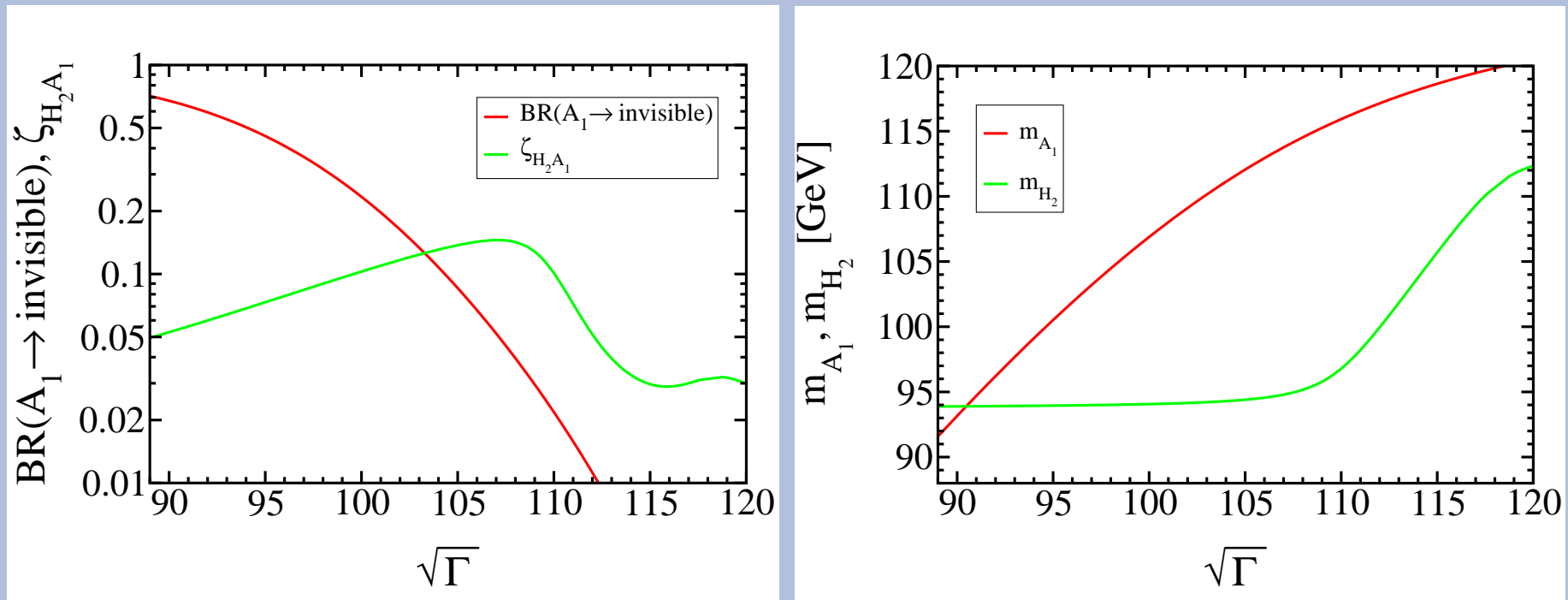


CP-odd Higgs Boson Decays



- ★ We can get a compromise of **10% invisible branching ratio** and **0.1 associated production parameter**

CP-odd Higgs Boson Decays



- ★ We can get a compromise of **10% invisible branching ratio** and **0.1 associated production parameter**
- ★ Masses are accessible for the next generation of colliders

Conclusions

- Experimental data: Neutrino oscillations
 - ⇒ Neutrinos are massive
 - ⇒ SM must be extended

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- The Spontaneously Broken R-Parity Model:

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 - ◉ Explains **neutrino properties**
 - Masses
 - Mixing angles

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- ▶ The Spontaneously Broken R-Parity Model:
 - ◉ Explains **neutrino properties**
 - Masses
 - Mixing angles
 - ◉ Can give a solution to the **μ problem**

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 - ⊙ It is possible to have **sizeable** both **production** and **invisible decay** for the **CP-odd** Higgs boson

The End



g_{hJJ} Coupling

For

$$v_{Li} \ll v_d, v_u \ll v_R, v_S, v_\Phi$$

$$g_{H_d^{0R}JJ} = hh_0 v_u \frac{v_S v_R}{V^2}$$

$$g_{H_u^{0R}JJ} = hh_0 v_d \frac{v_S v_R}{V^2} - \frac{2v_u}{V^2} \sum_i \epsilon_i^2$$

where

$$V^2 = v_R^2 + v_S^2$$

-
- ★ For large h and $h_0 \Rightarrow$ Large $g_{H_i^0 JJ}$ coupling for H_i^0 mainly H_d^{0R} and H_u^{0R} (MSSM-like h)

Three-neutrino Oscillation Parameters

➤ Neutrino mass squared differences:

$$\Delta m_{\text{SOL}}^2 \equiv \Delta m_{21}^2 \equiv m_2^2 - m_1^2$$

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- ▶ Neutrino mixing angles:

$$\theta_{\text{SOL}} \equiv \theta_{12}$$

$$\theta_{\text{ATM}} \equiv \theta_{23}$$

$$\theta_{\text{CHOOZ}} \equiv \theta_{13}$$

Experimental Values of the Parameters

Allowed intervals (at 3σ C.L.) for the 3-flavour neutrino oscillation parameters from global data (except LSND):

$$\Delta m_{21}^2 = [7.2, 9.1] \times 10^{-5} \text{eV}^2$$

$$\Delta m_{31}^2 = [1.4, 3.3] \times 10^{-3} \text{eV}^2$$

$$\sin^2 \theta_{12} = [0.23, 0.38]$$

$$\sin^2 \theta_{23} = [0.34, 0.68]$$

$$\sin^2 \theta_{13} \leq 0.047$$

Possible Solutions

- ▶ Postulation of L and B conservation
 - ⌚ Disadvantage respect to the SM
 - ⌚ They are violated by non-perturbative EW effects
-

- ▶ Postulation of R-parity conservation:

$$R_P = (-1)^{3B+L+2s}$$

- ⌚ It can be an exact symmetry
 - ⌚ Stable LSP \Rightarrow candidate to dark matter
 - \Rightarrow MSSM
 - ⌚ Neutrinos remain massless
-

Postulation of R_P conservation is not inevitable

Possible Solutions

- ▶ Postulation of baryonic parity conservation:

$$Z_3^B = e^{\frac{2\pi i}{3}(B-2Y)}$$

-
- ▶ Postulation of R_P as an exact symmetry of the W , but which is spontaneously violated
 \Rightarrow SBRP

-
- ★ Z_3^B and SBRP let L violation
 \Rightarrow open door to massive neutrinos