



# Study of $H \rightarrow Z\gamma$ branching ratio at the ILC

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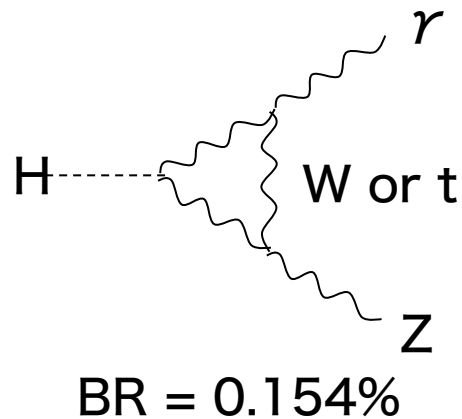
# Outline

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- Analysis process
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  - Explain reconstruct methods and MVA methods
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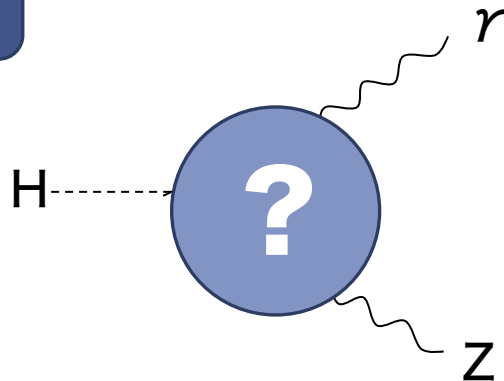
# Motivation

SM



+

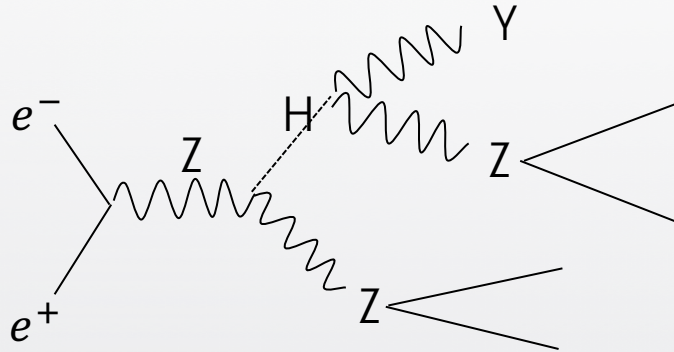
BSM



- In the SM, the BR of  $H \rightarrow Z\gamma$  is about 0.154%.
- If the Higgs decay in non-SM process, the BR of  $H \rightarrow Z\gamma$  would exceed the SM prediction.
- Deviation between observation and prediction is an indication of new physics (BSM).
- Establish the BR of Higgs  $\rightarrow Z\gamma$  process at the ILC 250 GeV and analyze the process of  $Z \rightarrow HZ \rightarrow \gamma ZZ$  at ILC.

$$\text{Significance} = \frac{N_S}{\sqrt{N_S + N_B}}$$

# Introduce analysis process



Feynman diagram on the left side is the process used this time.

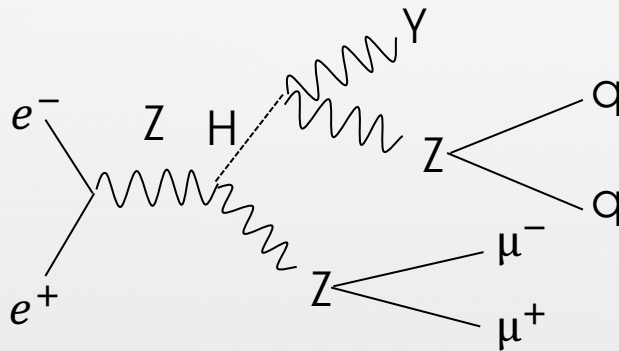
Cross section of this process is thought to be about 0.5 fb in SM and it is a rare phenomenon.

Final state	Branching ratio
$\mu\mu q q \gamma$	2.3%
$e e q q \gamma$	2.3%
$\nu \nu q q \gamma$	14.0%
$q q q q \gamma$	49.0%
others	32.3%

The table on the right shows the process for each final state, and we will talk about  $\mu\mu q q \gamma$  process red painted part in this presentation. For the yellow part, it means the one that analyzes with priority next.

We sum these processes and aimed for Significance to exceed 3.0.

# Event rate & Beam Condition



The reason why I choosed this process for first analysis is that it is easy to distinguish signal event from background due to .

## Cross section

$$\sigma_{LR} = 35.7 \text{ ab}$$

$$\sigma_{RL} = 22.9 \text{ ab}$$

$$\text{At } (P_{e^-}, P_{e^+}) = (-0.8, +0.3)$$

$$\text{Luminosity} = 1000 \text{ fb}^{-1}$$

**Expected 22 events**

$$\text{At } (P_{e^-}, P_{e^+}) = (+0.8, -0.3)$$

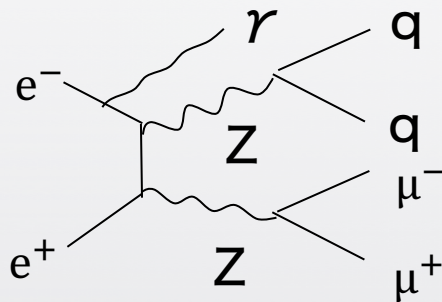
$$\text{Luminosity} = 1000 \text{ fb}^{-1}$$

**Expected 15 events**

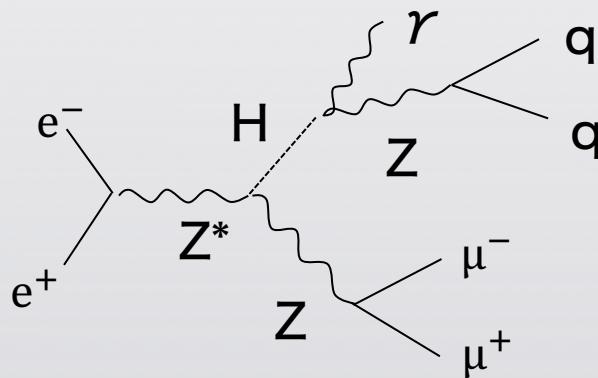


# Background process

## Main Background



## One of Signal



- The left is a signal event and the right is a main background event.
- This is 4f\_zz\_sl process with ISR.
- Most of the processes other than 4f\_zz\_sl can be removed by Precut explained earlier.
- However, it was difficult to divide these two living things, and event selection was done by using MVA.





# Setting

- ▶ Simulation set up
  - ▶ iLCSoft : v1\_16\_02
  - ▶ Generator : WHIZARD 1.95
  - ▶ Samples: DBD sample
    - + Signal sample( $e^+e^- \rightarrow ZH, Z \rightarrow \mu\mu$  or  $qq, H \rightarrow Z\gamma$ )
    - + Main background sample (4f\_zz\_sl process)
- ▶ Detector: ILD full simulation
- ▶  $E_{\text{cm}} = 250 \text{ GeV}$ ,
- ▶  $\int L dt = 1000 \text{ fb}^{-1}$  ,  $(P_{e^-}, P_{e^+}) = (-0.8, +0.3)$
- ▶  $\int L dt = 1000 \text{ fb}^{-1}$  ,  $(P_{e^-}, P_{e^+}) = (+0.8, -0.3)$

# Flow of analysis

1. Particle Flow Algorithm “PandoraPFA”
2. Isolated lepton pair selection
3. Isolated photon selection
4. 2 jets clustering : Durham(LCFIPlus)
5. Z selection (compare 4 methods)
6. Event selection
  - I. Pre-cut
    - ① lepton pair =  $\mu\mu$
    - ②  $80 \text{ GeV} < M_{zll} < 100 \text{ GeV}$ ,  $70 \text{ GeV} < M_{Zqq} < 110 \text{ GeV}$ ,  $M_\gamma < 0.1 \text{ GeV}$
    - ③ Number of charged particles in each jet  $> 2$
  - II. MVA cut (compare 3 methods)
    - Toolkit for Multivariate Analysis for Root (TMVA)
    - Use  $M_H$ ,  $M_{Zrecoil}$ ,  $\cos\theta_{Zrecoil}$ ,  $\cos\theta_\gamma$ ,  $E_\gamma$



# Introduce each methods

## ● Reconstructed method

1.  $\mu\mu\gamma$  or  $qq\gamma$  mass  $\doteq 125\text{GeV}$
2. Recoil mass  $\doteq 125\text{GeV}$
3.  $\mu\mu$  or  $qq$  momentum  $\doteq 60\text{GeV}$
4.  $\mu\mu$  or  $qq$  momentum in stationary system of  $qq\gamma$  or  $\mu\mu\gamma$   $\doteq 30\text{GeV}$

## ● MVA method

1. Multi Layer Perceptron (MLP)
2. Boosted-Decision Tree with Gradient boosting (BDTG)

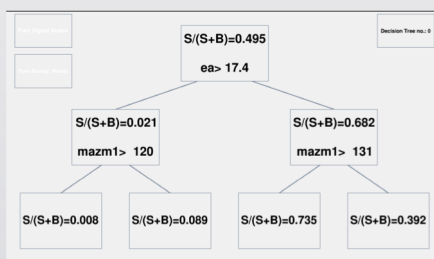
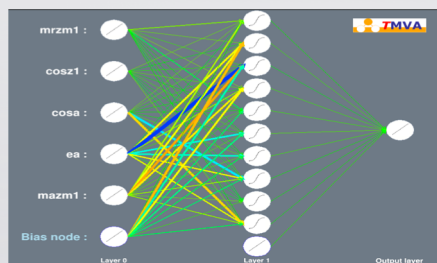
1 and 2:

mass is calculated and more suitable one is regarded H.

3 and 4:

Using momentum in two-body collapse.

- Regarding the MVA method, we compared systems using MLP and BDTG which are also used in ILC analysis.





# Analysis result

$\ln(P_{e^-}, P_{e^+}) = (-0.8, +0.3)$

Significance	MLP	BDTG
method1	$0.62 \pm 0.02$	$0.74 \pm 0.03$
method2	$0.60 \pm 0.02$	$0.72 \pm 0.03$
method3	$0.60 \pm 0.02$	$0.71 \pm 0.03$
method4	$0.51 \pm 0.01$	$0.72 \pm 0.03$

$\ln(P_{e^-}, P_{e^+}) = (+0.8, -0.3)$

Significance	MLP	BDTG
method1	Not converge	$0.76 \pm 0.03$
method2	$0.69 \pm 0.04$	$0.72 \pm 0.03$
method3	$0.43 \pm 0.2$	$0.72 \pm 0.03$
method4	$0.59 \pm 0.02$	$0.71 \pm 0.06$

$$\text{Significance} = \frac{N_S}{\sqrt{N_S + N_B}}$$

- It is the result when using each method separately.
- We found that Significance is the best when using method 1 for both right and left polarizations.
- Considering a method in which these methods are summed up and the reconstruction success rate is higher.



# Analysis result2

## Success rate of reconstructing(LR)

combine	method1	method2	method3	method4
88.9%	88.8%	79.8%	81.3%	82.6%

$\ln(P_{e-}, P_{e+}) = (-0.8, +0.3)$

Significance	MLP	BDTG
method1	$0.62 \pm 0.02$	$0.74 \pm 0.03$
combine	$0.62 \pm 0.02$	$0.74 \pm 0.02$

$\ln(P_{e-}, P_{e+}) = (+0.8, -0.3)$

Significance	MLP	BDTG
method1	Not converge	$0.76 \pm 0.03$
combine	$0.61 \pm 0.03$	$0.75 \pm 0.04$

$$Significance = \frac{N_S}{\sqrt{N_S + N_B}}$$

- I made a combined method that maximizes the probability with left polarization.
- The contribution of method 1 for the selection is large, so Significance did not change much.
- About the right polarization, significance decreases and it is necessary to optimize again.

# Evaluate UL of BR

- UL was calculated based on the process analyzed this time.
- The maximum Significance obtained with only this process is calculated from the combined method at the left polarization, method 1 in the right polarization.

$$\begin{aligned} \text{Significance} &= \sqrt{0.74^2 + 0.76^2} \\ &= 1.06 \end{aligned}$$

$$\begin{aligned} 95\% \text{ UL of BR} &= \frac{1.65}{\text{significance}} BR_{SM} \\ &= 0.24\% \end{aligned}$$



# Summary

- In order to evaluate the sensitivity of ILC to  $H \rightarrow Z\gamma$ , we analyzed the final state  $\gamma\mu\mu qq$  events including this process.
- We have developed a selection method with higher precision using multiple simple reconstruction methods and confirmed its effect.
- We showed that it is possible to observe 1.6 times BR of  $H \rightarrow Z\gamma$  of about compared to SM with only one type of final state event.

# Plan

- Since the  $\gamma ee qq$  process is very similar in this process, we will proceed with the analysis first.
- We will analyze other processes and aim for significance > 3.0.

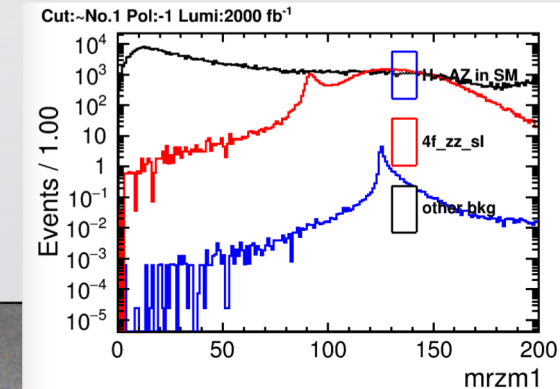
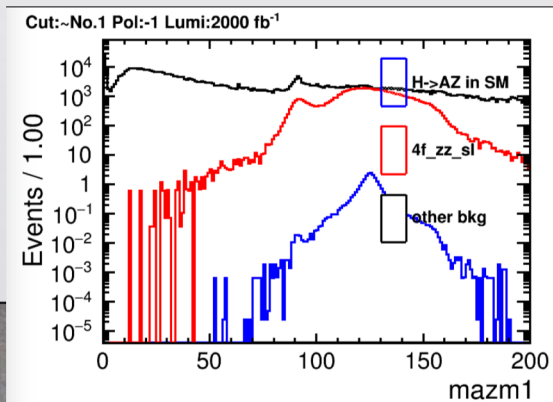
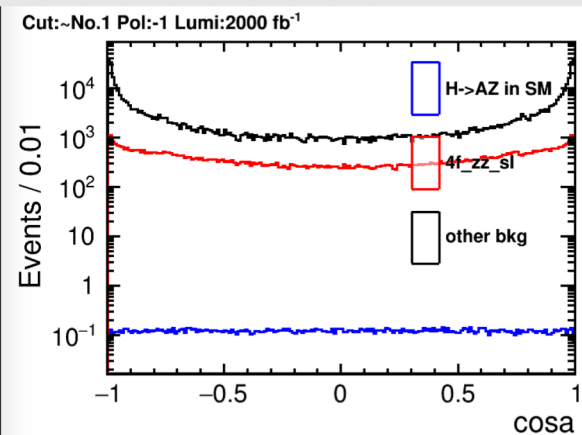
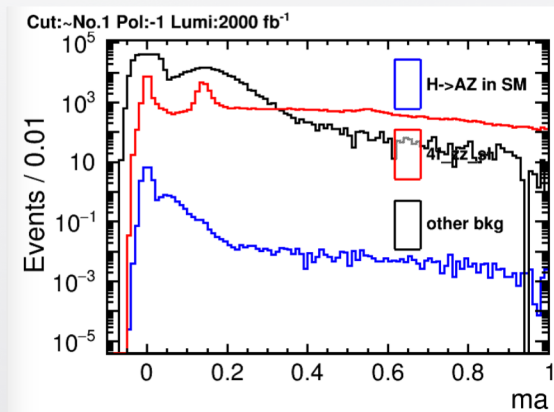
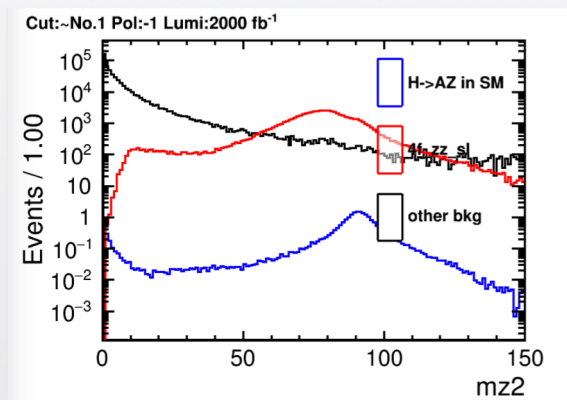
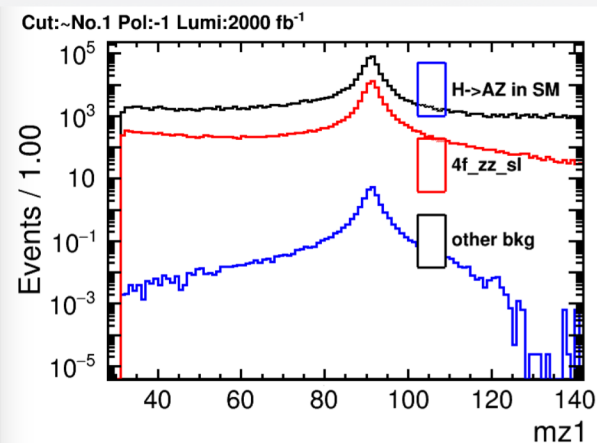
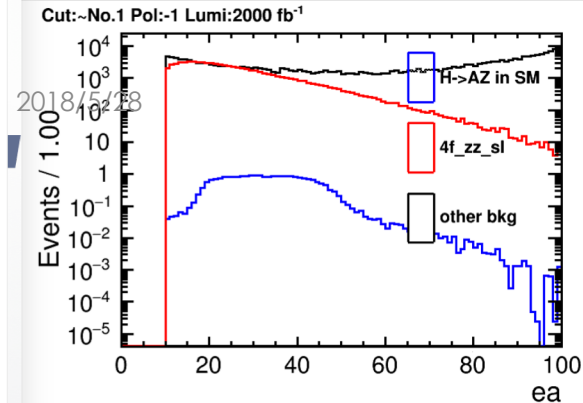
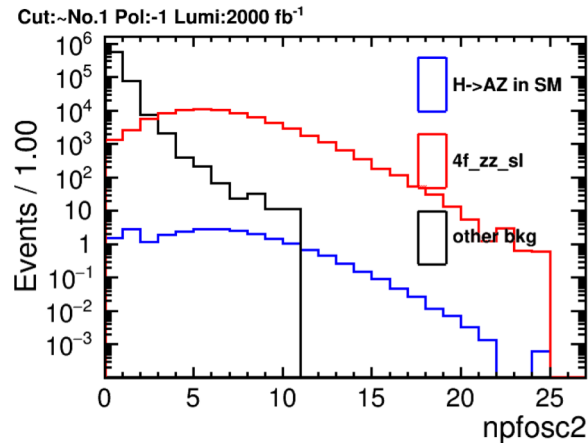


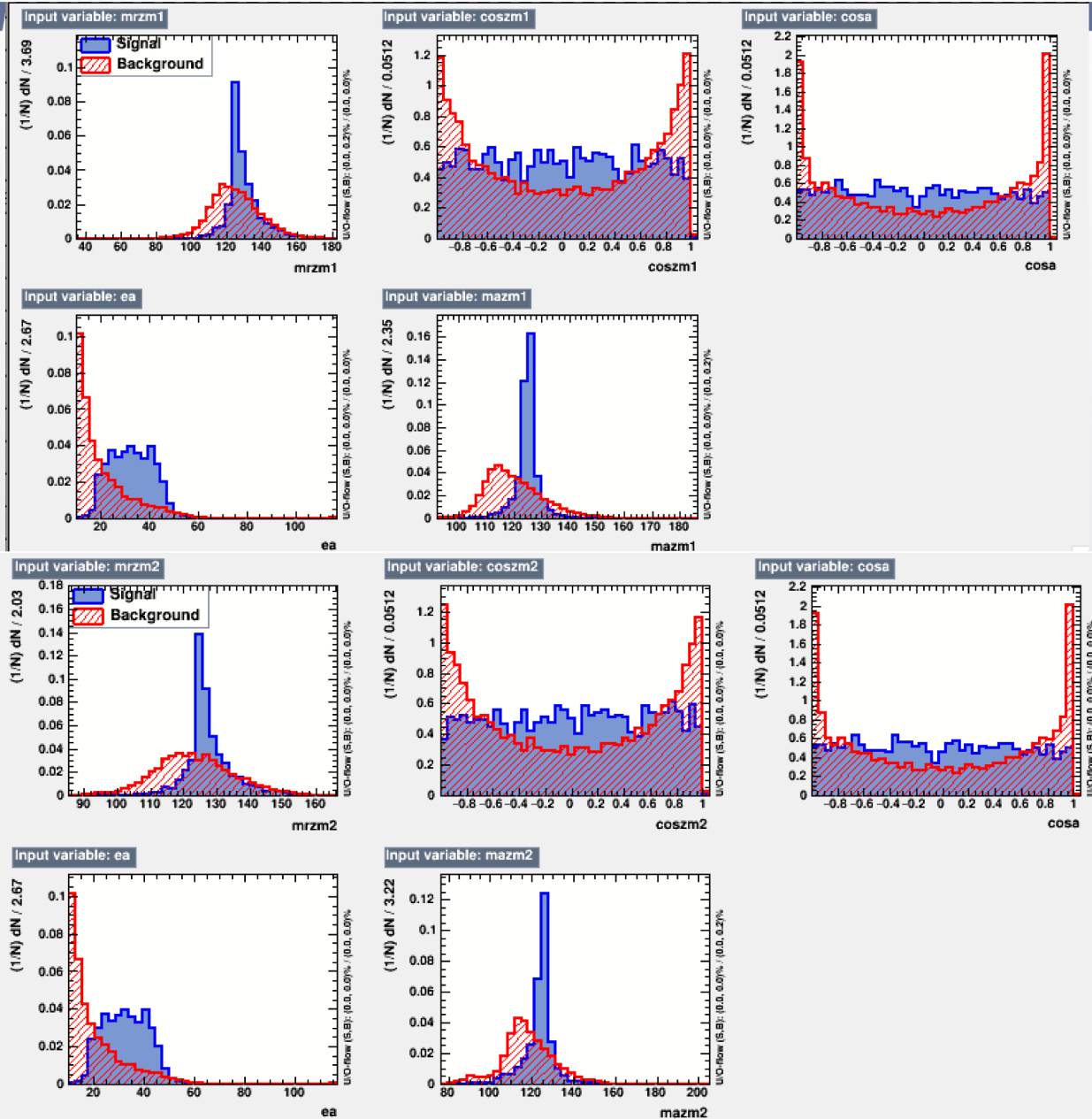


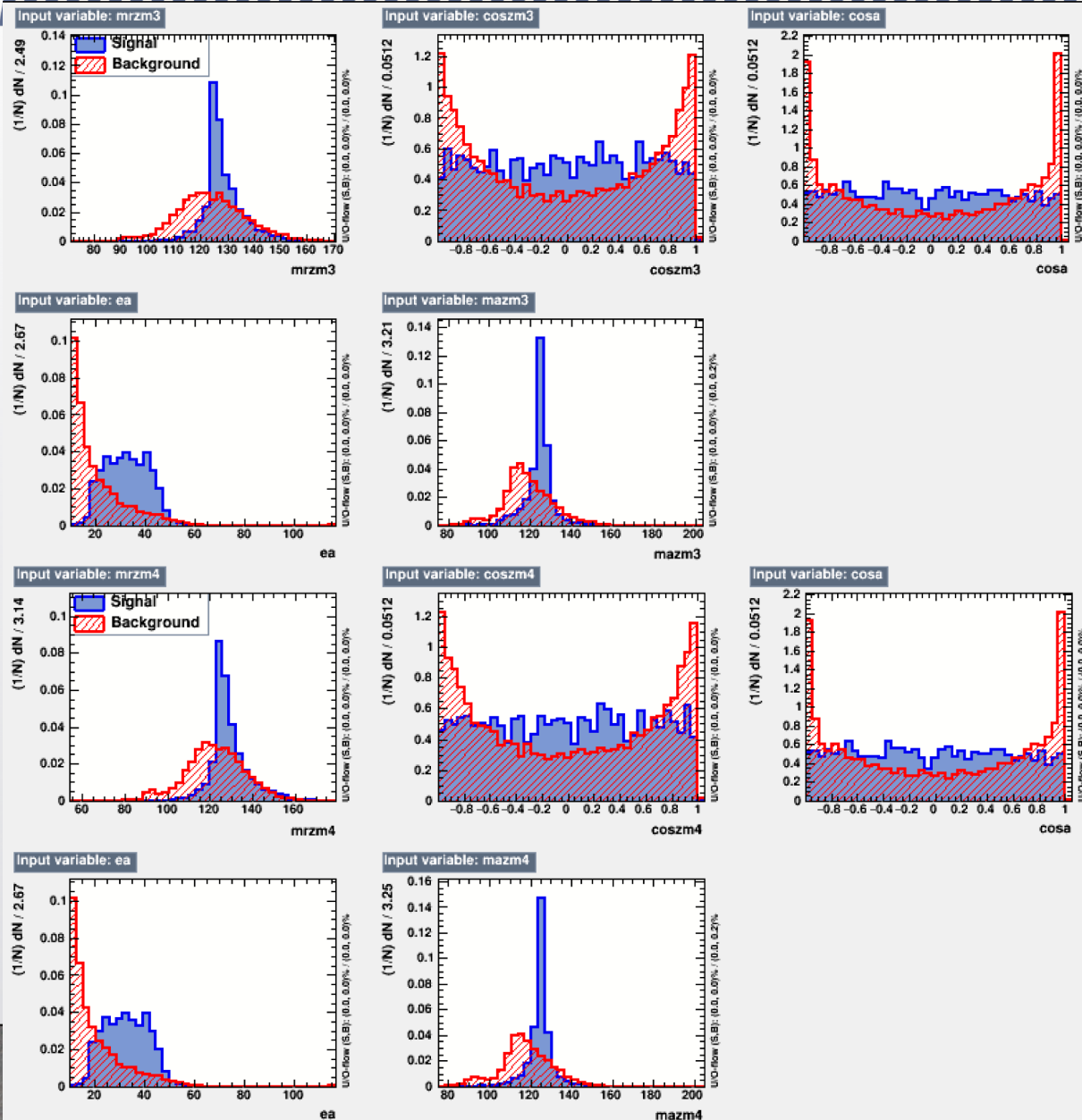
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# Variables











# Convined method of Z selection

- When four match, the result is used.
- When three match, When three matches, method 1 obeys if  $\mu$  comes from Hicks, otherwise majority vote
- When two match, adopt method1