# EFT correspondence of new physics models

Keisuke Fujii (KEK), Junping Tian (U' of Tokyo) Asian Physics & Software Meeting, January 26, 2018

## motivation

what is the corresponding effective field theory for a certain model

how do the EFT operators depend on the mass of new particles

how would the EFT break down

what would be the strategy if EFT is invalid

### a first step

look at effective hZZ coupling in models: SM, HSM, 2HDM



renormalized hZZ vertex can be decomposed into 3 form factors

$$\hat{\Gamma}^{\mu\nu}_{hVV}(p_1^2, p_2^2, q^2) = g^{\mu\nu}\hat{\Gamma}^1_{hVV} + \frac{p_1^{\mu}p_2^{\nu}}{m_V^2}\hat{\Gamma}^2_{hVV} + i\epsilon^{\mu\nu\rho\sigma}\frac{p_{1\rho}p_{2\sigma}}{m_V^2}\hat{\Gamma}^3_{hVV},$$

the three  $\Gamma$ s, which are usually functions of (p\_i^2,q^2), can be calculated numerically by H-Coup (arXiv:1710.04603)

#### a first step

if we start from EFT Lagrangian for hZZ coupling

$$\delta \mathcal{L} = (1+a)\frac{m_Z^2}{v}hZ_{\mu}Z^{\mu} + b\frac{h}{2v}Z_{\mu\nu}Z^{\mu\nu} + \tilde{b}\frac{h}{2v}Z_{\mu\nu}\tilde{Z}^{\mu\nu} \qquad Z_{\mu\nu} = \partial_{\mu}Z_{\nu} - \partial_{\nu}Z_{\mu}$$
$$\tilde{Z}_{\mu\nu} = \frac{1}{2}\epsilon_{\mu\nu\rho\sigma}Z^{\rho\sigma}$$

let's focus on CP-even terms for now

vertex from a-term:

$$g^{\mu\nu}\frac{2m_Z^2}{v}(1+a)$$

vertex from b-term: 
$$(g^{\mu\nu}p_1 \cdot p_2 - p_1^{\mu}p_2^{\nu})\frac{2b}{v}$$

#### a first step

by comparing the vertices in two approaches:

$$\hat{\Gamma}_{hZZ}^{1} = \frac{2m_{Z}^{2}}{v}(1+a) + p_{1} \cdot p_{2}\frac{2b}{v}$$







$$a = \frac{v}{2m_Z^2}\hat{\Gamma}^1 + \frac{\sqrt{s}E_Z v}{2m_Z^4}\hat{\Gamma}^2 - 1$$
$$b = -\frac{v}{2m_Z^2}\hat{\Gamma}^2$$

(first EFT correspondence...)

### questions to theorists

1. is there any problem in this naive correspondence?

2. how to deal with the imaginary part of  $\Gamma^{i}$  (in H-Coup)?

3. if we add s-channel photon diagram, can we obtain the similar decomposed hyZ vertices in H-Coup? (there seems now only partial width for h-> $\gamma$ Z)

