

S O K E N D A I



Study of $H \gamma Z$ coupling using $e^+e^- \rightarrow \gamma H$ at the ILC

Yumi Aoki(SOKENDAI)

Tian Junping, Keisuke Fujii, Sunghoon Jung,
Junghwan Lee, Hiroshi Yokoya

2018.10.25(Thu)

LCWS2018@Arlinton

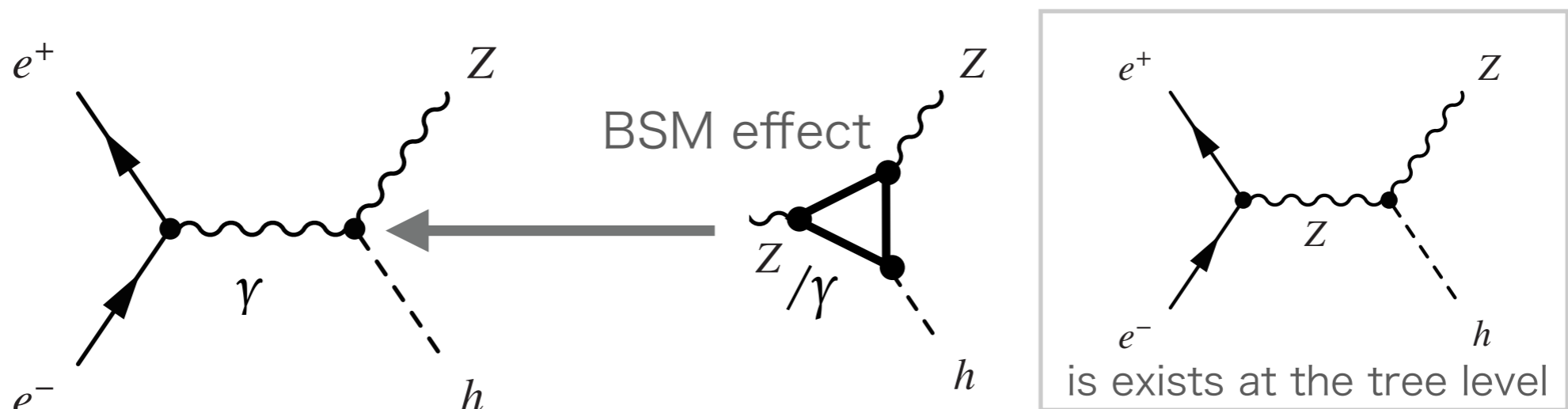
Outline

1. Motivation
2. Theoretical framework
3. Experimental method
4. Simulation framework
5. Event selection
6. Result
7. Summery

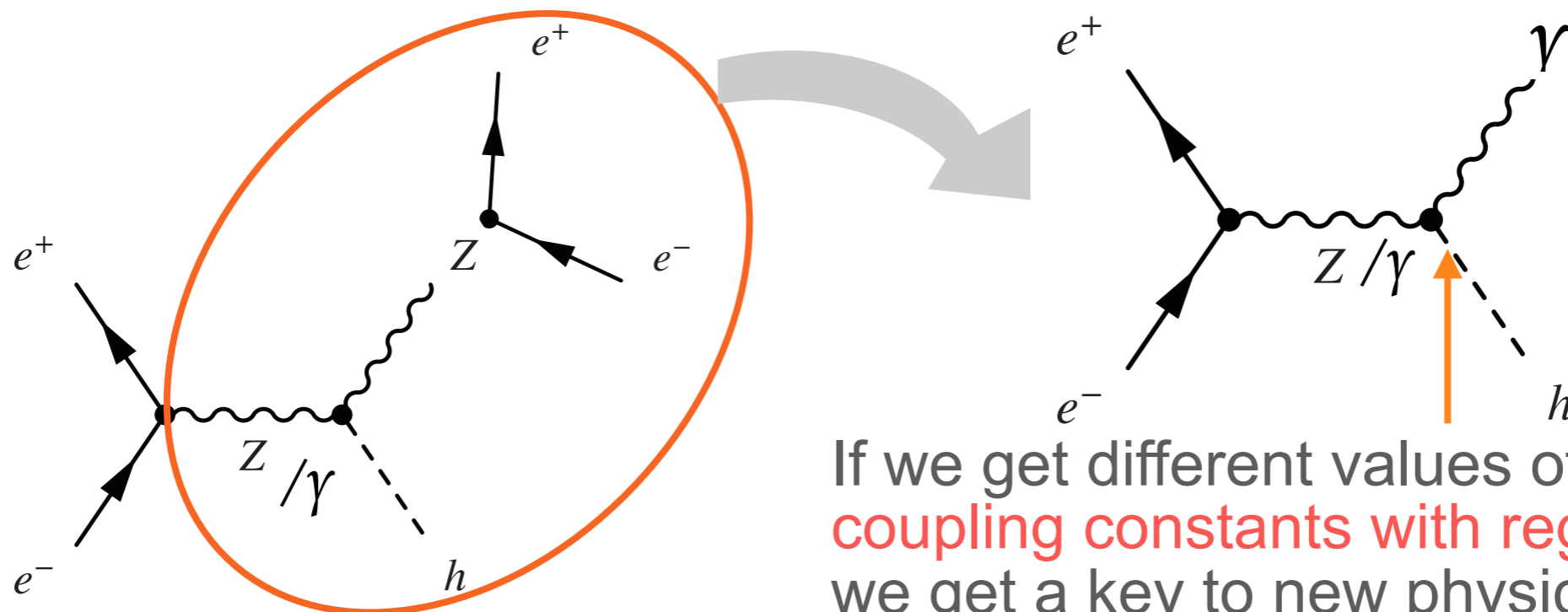
1. Motivation

Find new physics via $H\gamma\gamma$ and $H\gamma Z$ couplings

Higgs to γZ coupling in the Standard Model (SM) is a loop induced coupling.



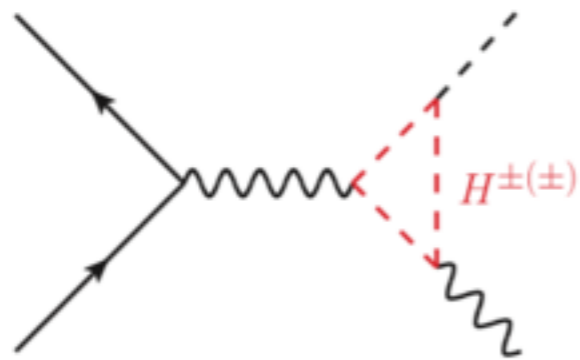
However we can't notice which particle is in the loop.



If we get different values of coupling constants with regard to SM, we get a key to new physics.

Example of new physics : Inert Doublet Model

In this Inert Doublet Model, there is charged higgs which can modify this h gamma Z vertex

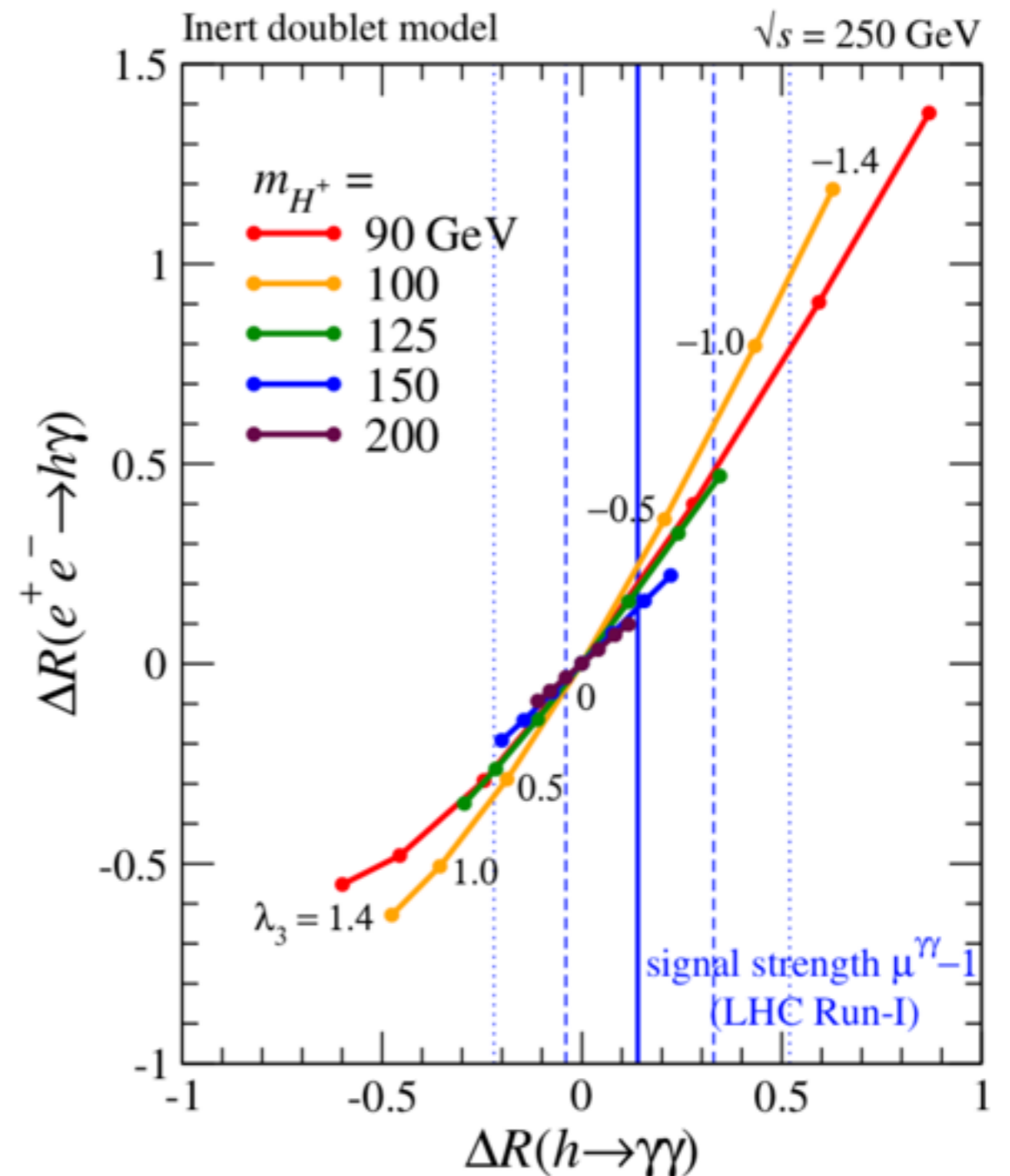


(d)

This plot shows the relative deviations of the e^+e^- to $h\gamma$ cross section and the h to $\gamma\gamma$ decay rate from the Standard Model values.

Depending on model parameters, the deviation can be as large as 100%.

$$\Delta R(e^+e^- \rightarrow h\gamma) = \sigma_{h\gamma}/\sigma_{SM} - 1$$



2. Theoretical framework for our analysis

The effective Lagrangian to include new physics contributions to the e^+e^- to $h\gamma$ cross section model-independently

$$L_{\gamma H} = L_{\text{SM}} + \frac{\zeta_{AZ}}{v} A_{\mu\nu} Z^{\mu\nu} H + \frac{\zeta_A}{2v} A_{\mu\nu} A^{\mu\nu} H$$

ζ_{AZ} : effective coupling between Higgs and γZ

ζ_A : effective coupling between Higgs and $\gamma\gamma$

$A_{\mu\nu}, Z_{\mu\nu}$: field strength tensors

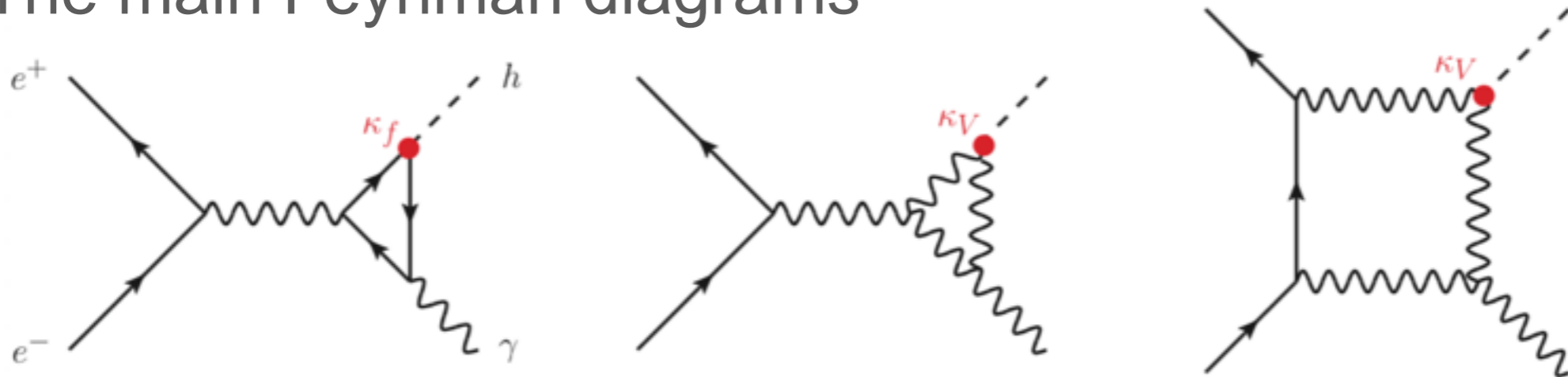
v : vacuum expectation value

SM one-loop predictions

$e^+e^- \rightarrow h \gamma$ is a loop induced process in SM

The main Feynman diagrams

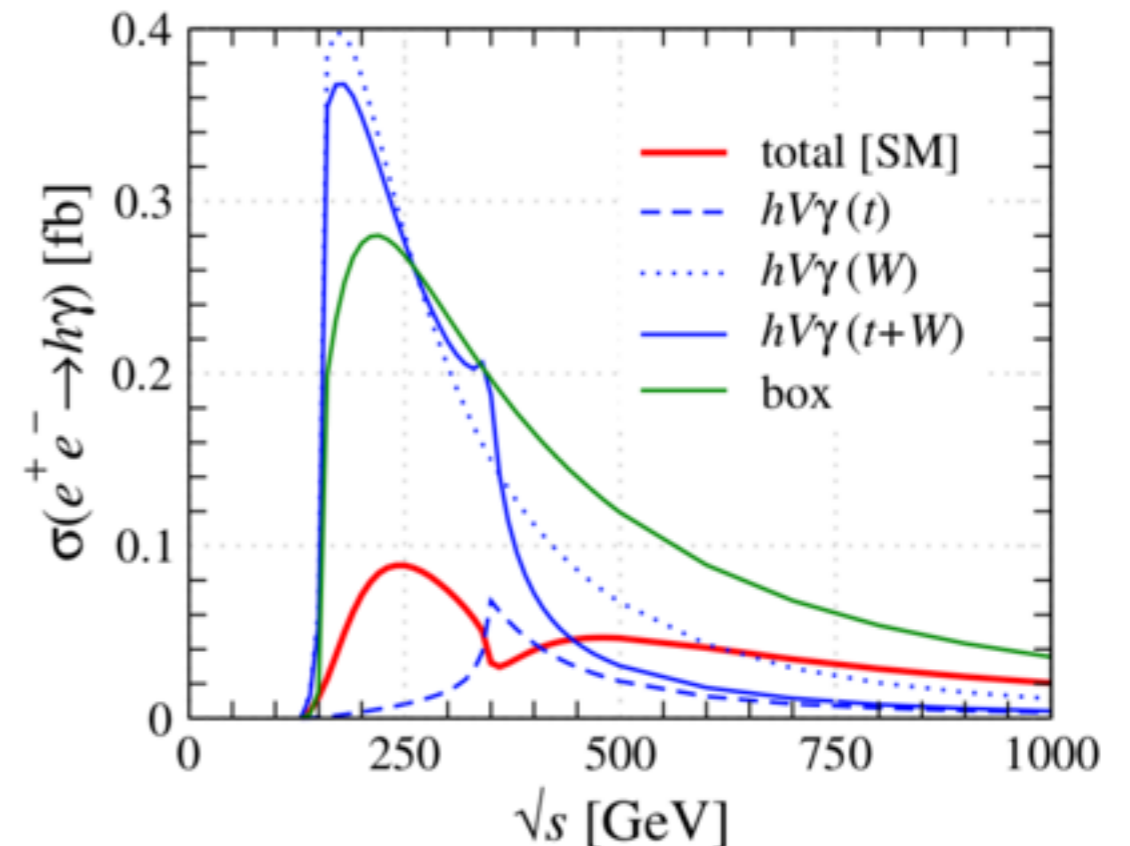
Mawatari, et al, arXiv:1808.10268



The cross sections by one loop calculation

$e^- \quad e^+$
 $\sigma_{\text{SM}} = 0.35 \text{ fb}$ for (-100%, +100%)
 $\sigma_{\text{SM}} = 0.016 \text{ fb}$ for (+100%, -100%)
 $\sigma_{\text{SM}} = 0.20 \text{ fb}$ for (-80%, +30%)

$\sqrt{s} = 250 \text{ GeV}$



* For not polarized beam
 Destructive interferences

3. Experimental Method

Coupling constant

$$L_{\gamma H} = L_{\text{SM}} + \boxed{\frac{\zeta_{AZ}}{v}} A_{\mu\nu} Z^{\mu\nu} H + \boxed{\frac{\zeta_A}{2v}} A_{\mu\nu} A^{\mu\nu} H$$

measure this 2 parameters

- ① Measure the cross sections of $e^+e^- \rightarrow \gamma h$
for two different beam polarizations
So that ζ_{AZ} and ζ_A can be determined separately

- ② Since ζ_A can be constrained already by measurement of $h \rightarrow \gamma\gamma$
branching ratio at LHC, we can extract ζ_{AZ} parameter by just
measuring cross section for a single polarization.

3. Experimental Method (Continued)

The total cross section in EFT is calculated by full loop SM amplitude and interference between SM and EFT operators

→The cross section normalized to SM can be written as below

interference between one-loop SM amplitude and EFT

$$\frac{\sigma_{\gamma H}}{\sigma_{SM}} = 1 - 201\zeta_A - 273\zeta_{AZ} \quad (\text{eLpR})$$

$$\frac{\sigma_{\gamma H}}{\sigma_{SM}} = 1 + 492\zeta_A - 311\zeta_{AZ} \quad (\text{eRpL})$$

4. Simulation framework

Event generation

- Physsim $\sqrt{s}=250$ GeV
Integrated Luminosity: 2000 fb^{-1}
back ground : DBD sample

Detector simulation

- ILD full simulation (Mokka)

Event reconstruction

- iLCSoft v01-16-02
MarlinReco, PandoraPFA,
LCFI+, Isolated photon finder, jet clustering

Pre selection

Final selection

5. Event selection

Signal: $e^+e^- \rightarrow \gamma H \rightarrow \gamma(b\bar{b})$

Signal signatures

1. Isolated monochromatic photon with energy 93 GeV
2. 2 b jets
3. $m(bb)$ (invariant mass) = higgs mass

Main backgrounds

$e^+e^- \rightarrow \gamma qq(\bar{q})$ dominated by $e^+e^- \rightarrow \gamma Z$ (radiative return)

5. Event selection

① Pre-selection

- Isolated photon

- Photon ID
- $E_\gamma > 50 \text{ GeV}$

※The split photon clusters within a small cone are recovered

→Left events except photon

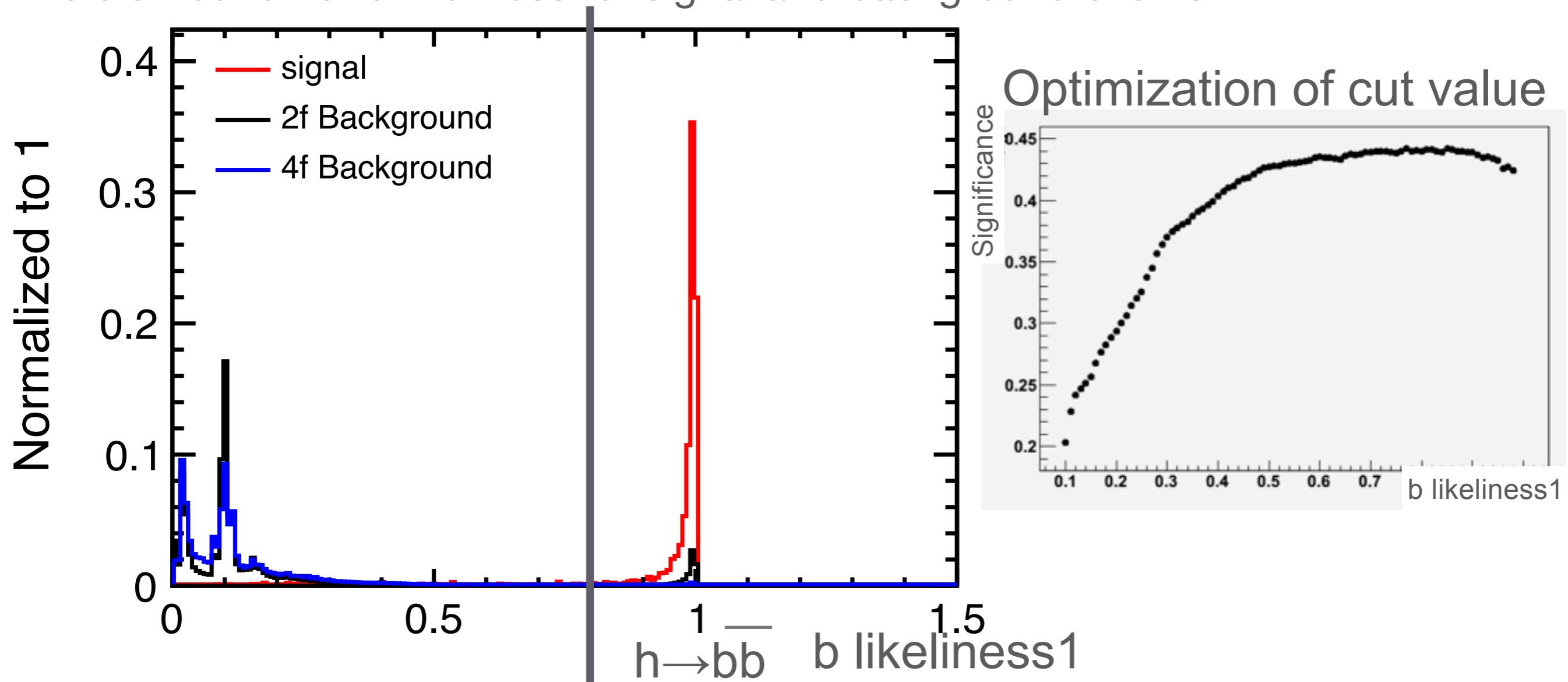
- 2jet clustering (Durham)
- Flavor tagged (LCFI+)

5. Event selection

② Final selection

-Cut 1: b likelihood > 0.77 → Suppress light flavor γqq

The distribution of b likelihood for signal and background events

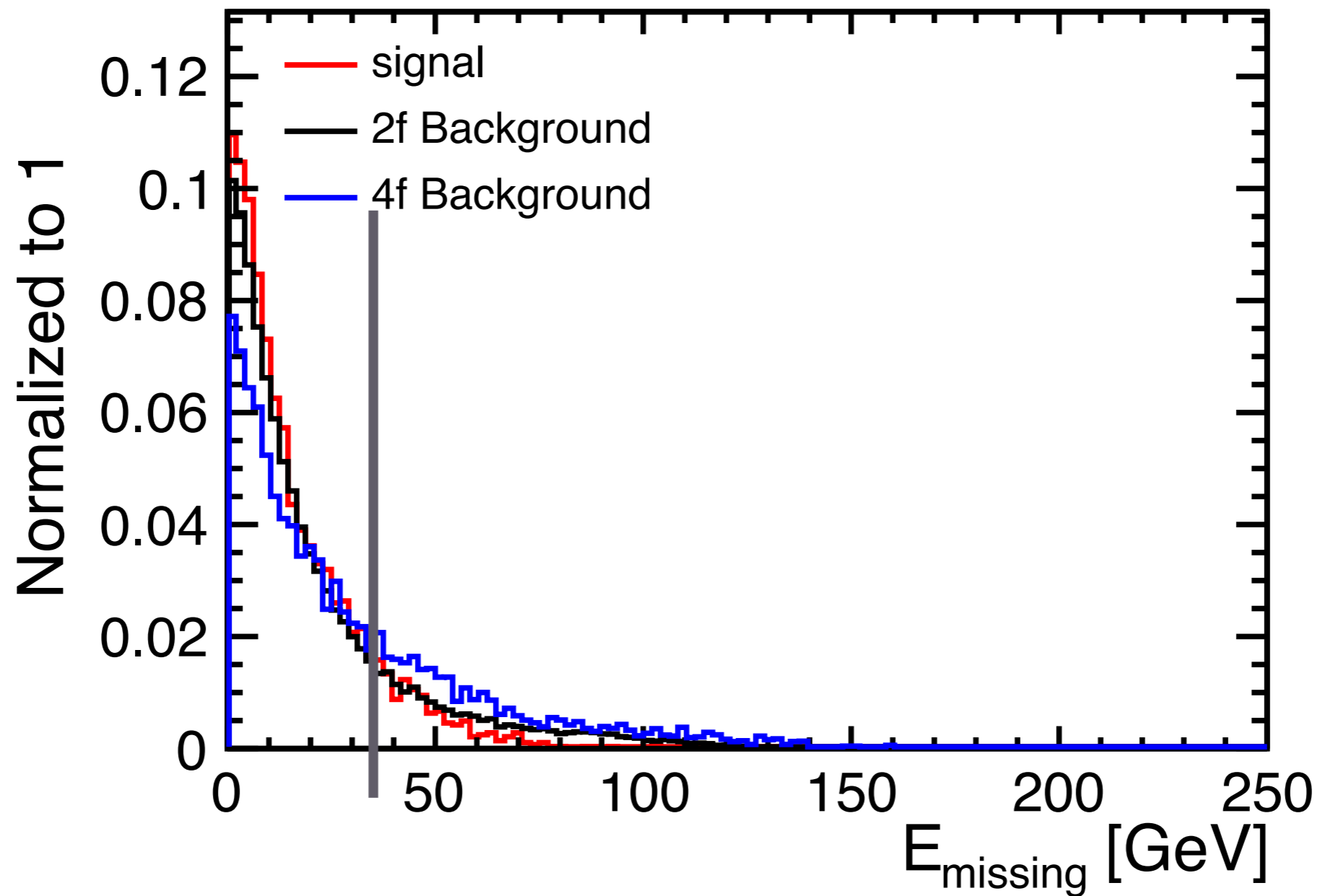


※ This plot is for events after the pre selection

5. Event selection

② Final selection

-Cut 2: missing energy < 35 GeV



Separation by using TMVA

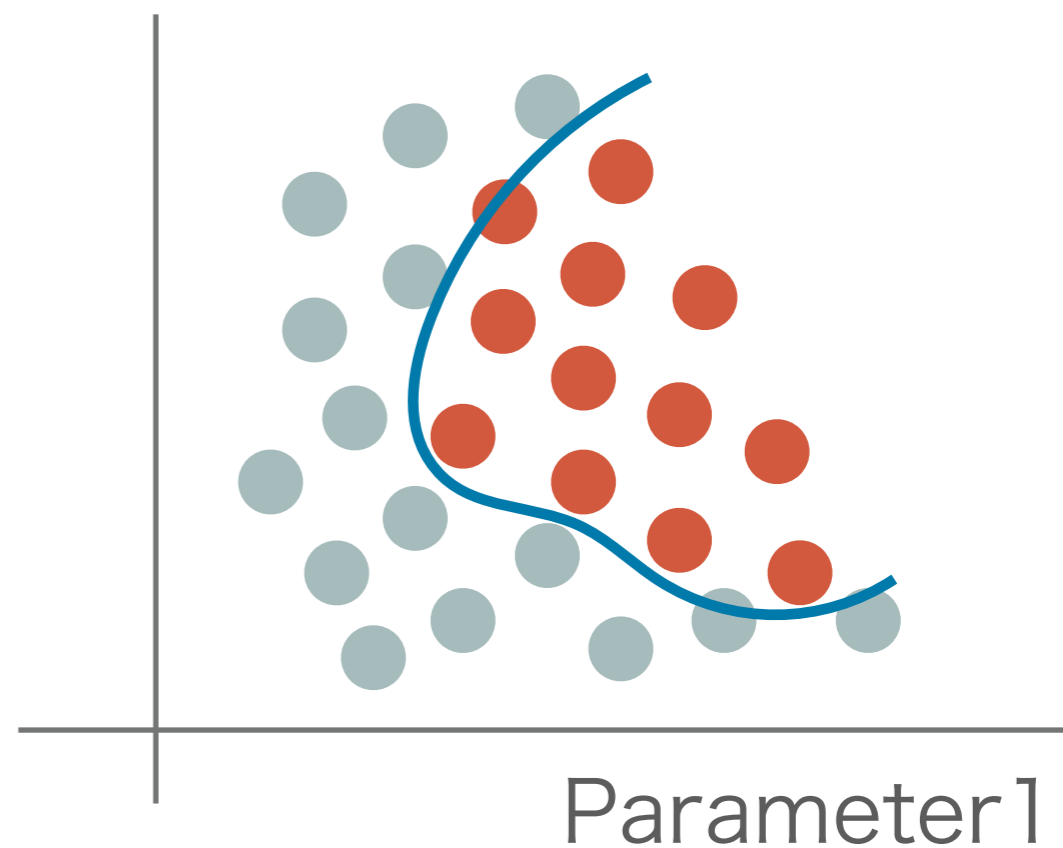
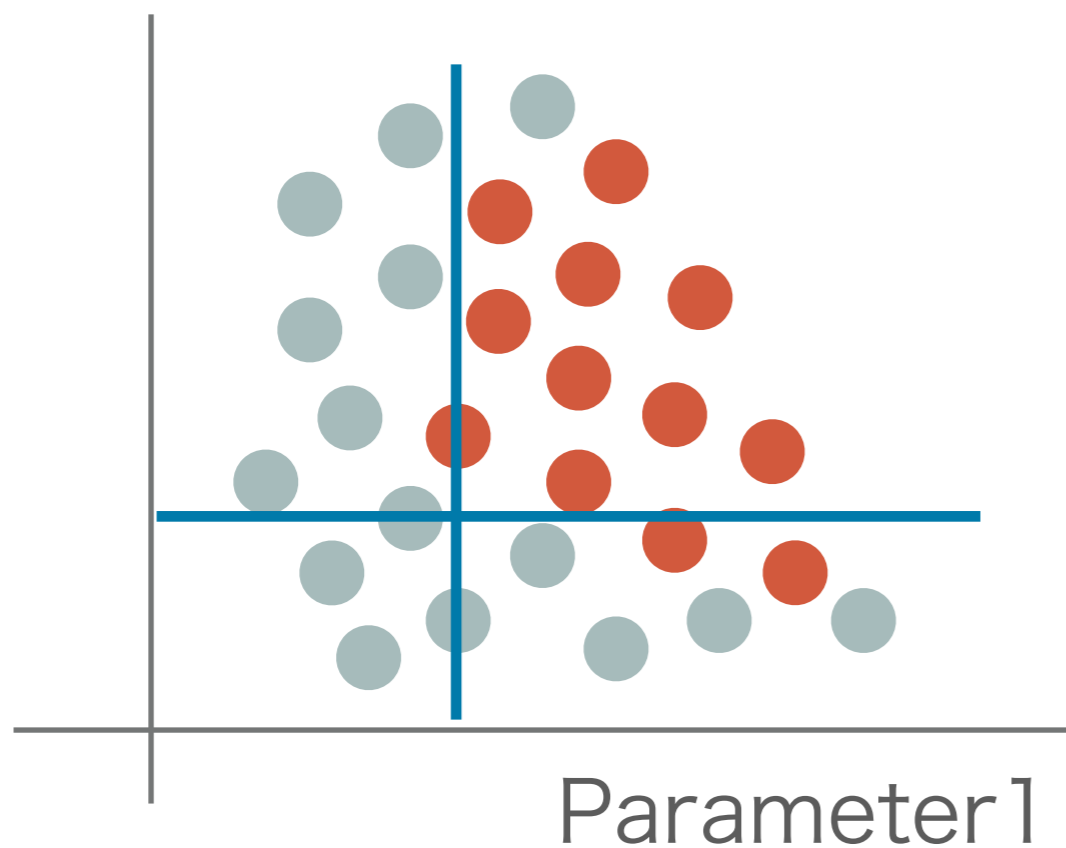
Multivariate Data Analysis

The cut based analysis

The multivariate data analysis

Parameter2

Parameter2



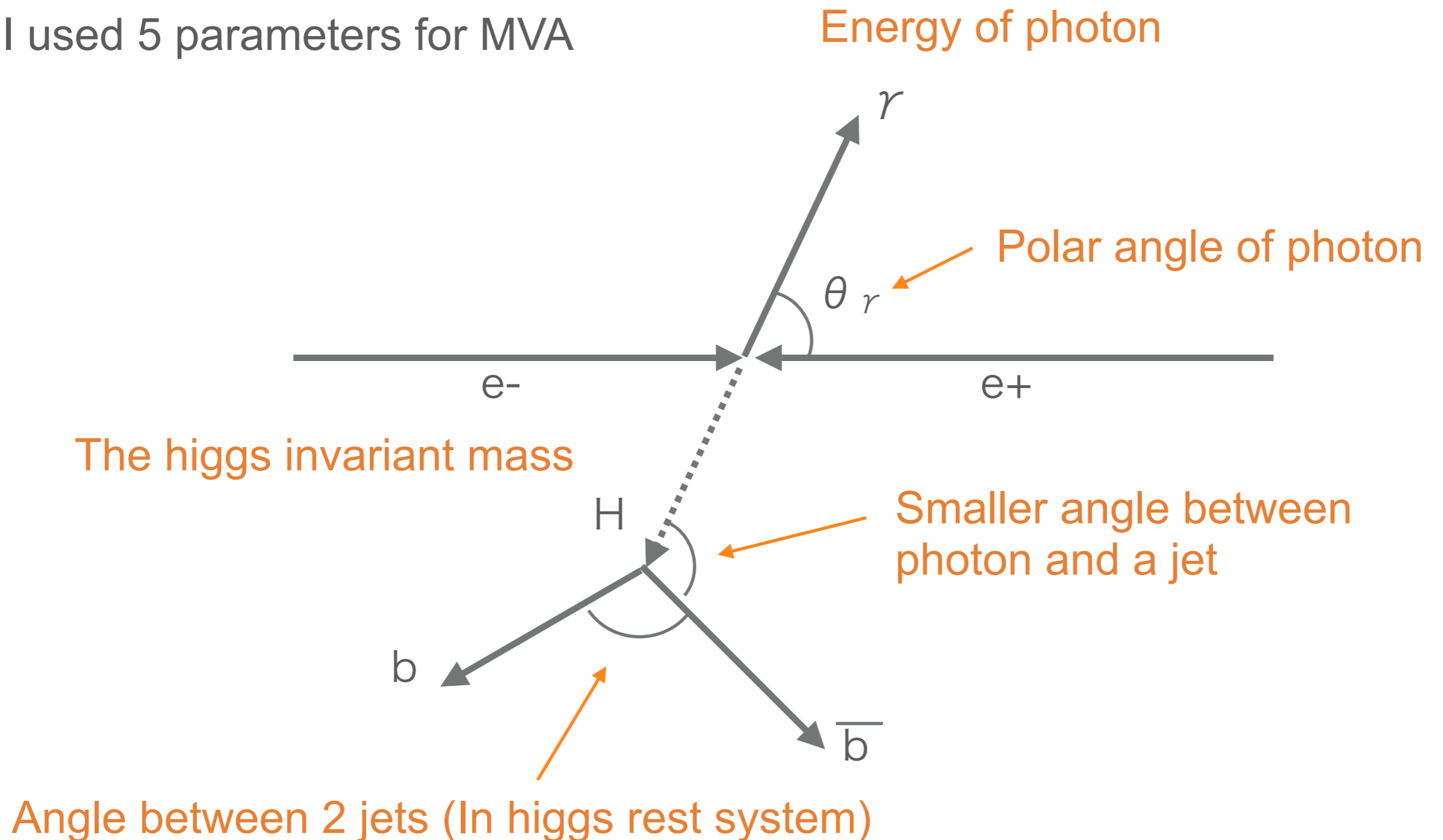
● Background ● Signal

The cut based analysis has its limitation.

→ TMVA describes signal-background boundary more flexibly

Input variables for MVA

I used 5 parameters for MVA



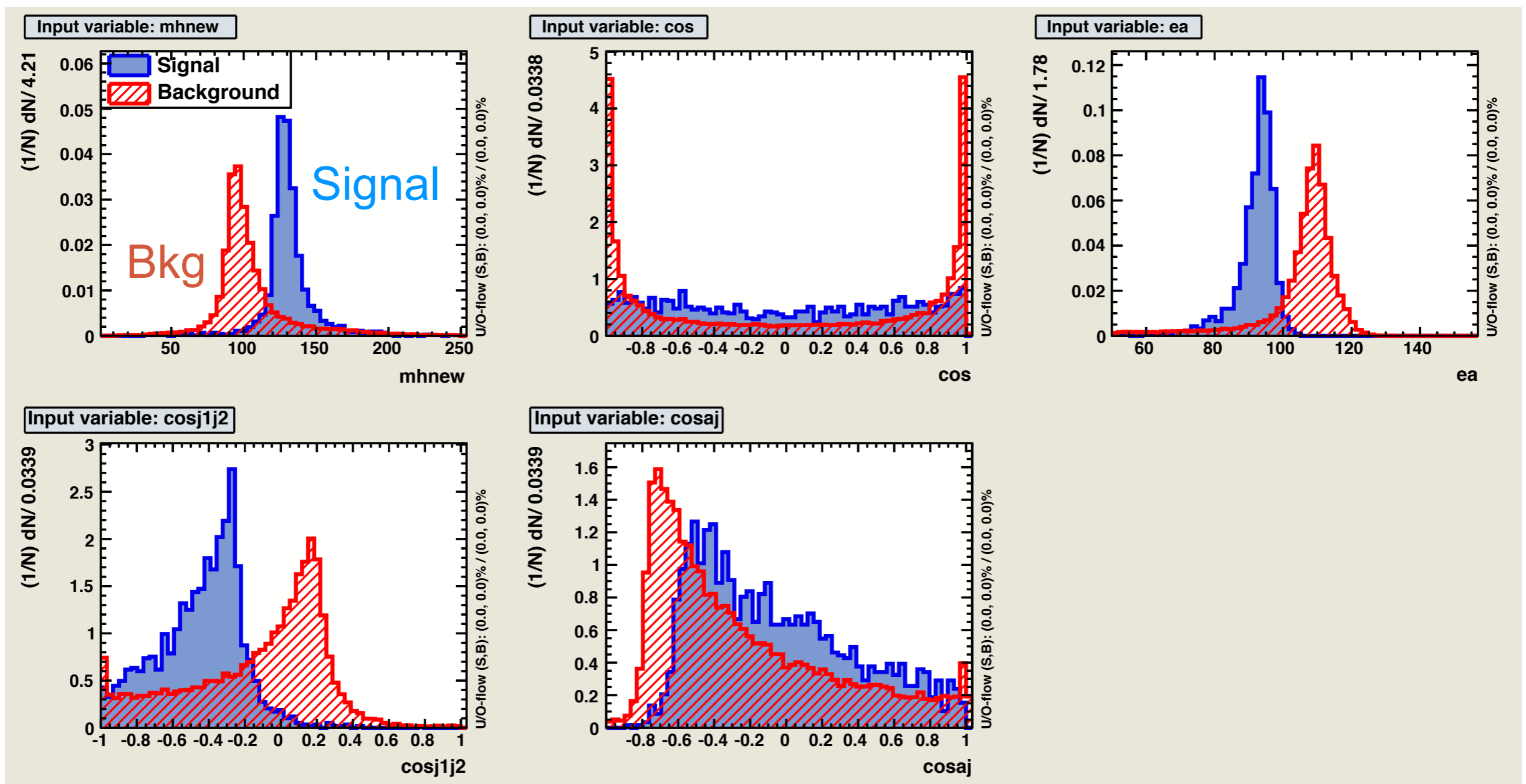
Input variables for MVA

The distributions of each variable for signal and background

The higgs invariant mass

Polar angle of photon

Energy of photon



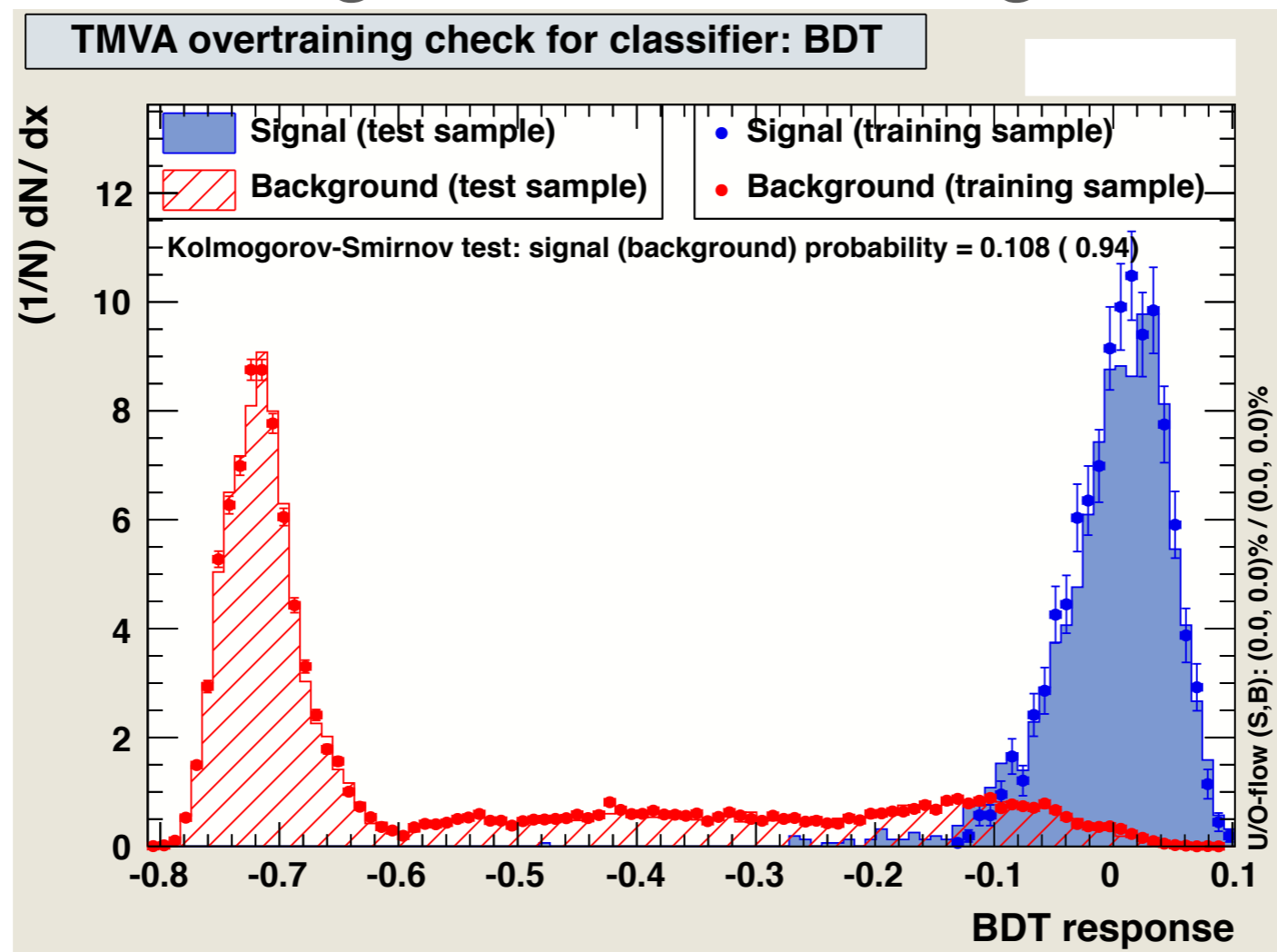
Angle between 2 jets

Smaller angle between photon and a jet

Separation by using TMVA

TMVA analysis procedure

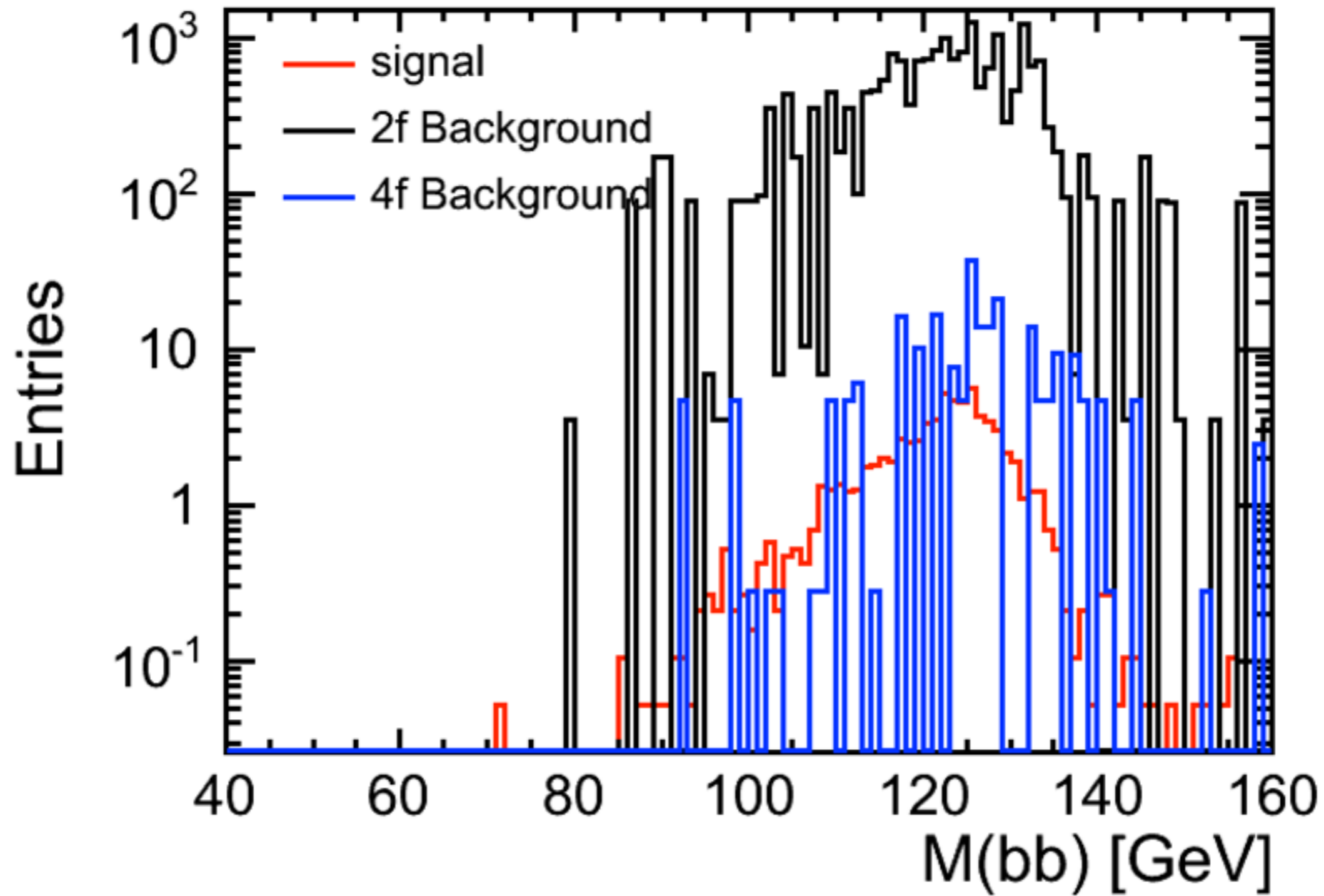
1. [Training step] Teach TMVA the characteristics of signal using signal and background training samples
2. Apply the training result to real signal and background



Make sure over training is exist or not.

Separation by using TMVA

The distribution of $m(bb)$ after all the other cuts, normalized to
Integrated Luminosity: 2000 fb^{-1}



6. Result

$$significance = \frac{N_s}{\sqrt{N_s + N_B}}$$

Reduction table

Preliminary

N_s:Number of signalN_B:Number of back ground

	Signal	background	Significance
Expected	196	314,154,000	0.01
Pre selection	184	68,287,700	0.02
btag>0.8	164	4,914,990	0.07
E _{mis} <35	150	4,268,840	0.07
75<E _γ <98	135	415,621	0.21
-0.9<cosθ _γ <0.9	126	290,768	0.23
106<M(b,b)<145	108	129,259	0.30

6. Result

$$significance = \frac{N_s}{\sqrt{N_s + N_B}}$$

Reduction table

Preliminary

N_s :Number of signal

N_B :Number of back ground

	Signal	background	Significance
Expected	237	3.14×10^8	0.01
Pre selection	222	6.54×10^7	0.02
btag>0.8	200	4.96×10^6	0.09
$E_{mis} < 35$	182	4.30×10^6	0.09
mvabdt > 0.0126	75	1.98×10^4	0.53

6. Result

$$\begin{aligned} \rightarrow 95\% \text{ C.L upper limit } \sigma &= \frac{1.64}{\text{significance}} \sigma_{SM} \\ &= 3.09 \times 0.35 \text{ [fb]} \\ &= 1.08 \text{ [fb]} \quad (\text{Left handed}) \end{aligned} \quad \text{Significance} = 0.53 \text{ for SM}$$

$$3.09 > \frac{\sigma_{\gamma H}}{\sigma_{SM}} = 1 - 201\zeta_A - 273\zeta_{AZ} > 0$$

assume $\zeta_A = 0$

$$-0.0077 > \zeta_{AZ} > 0.0037$$

7. Summary

- I simulated and analyzed $e^+e^- \rightarrow h$ gamma process
- TMVA
- Significance for $e^+e^- \rightarrow h\gamma$ process
 $\sim 0.53\sigma$ for SM at $\sqrt{s}=250$ GeV, 2000 fb^{-1}
- model independent upper limit for cross section : $\sigma_{\gamma H} < 1.08 \text{ fb}$ (95% C.L.)
- Corresponding bounds : $-0.0077 > \zeta_{AZ} > 0.0037$

Next step

- try $h \rightarrow WW^*$ channel
- Understand the role of this measurement in one global EFT analysis

Back up

Input variables for MVA

The higgs invariant mass

$$p_{x1} = |p1| \sin \theta_1 \cos \phi_1$$

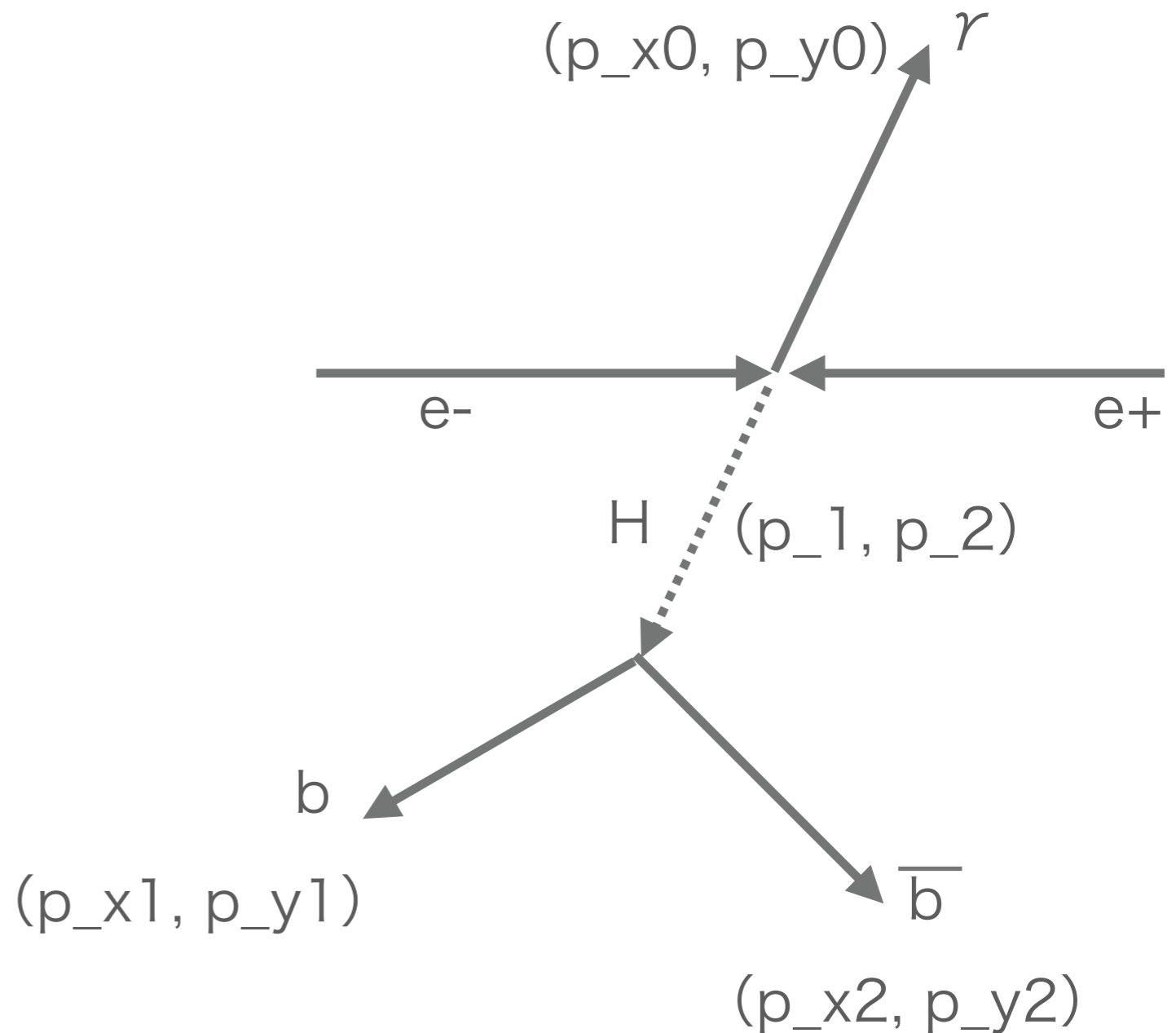
$$p_{y1} = |p1| \sin \theta_1 \sin \phi_1$$

$$p_{x2} = |p2| \sin \theta_2 \cos \phi_2$$

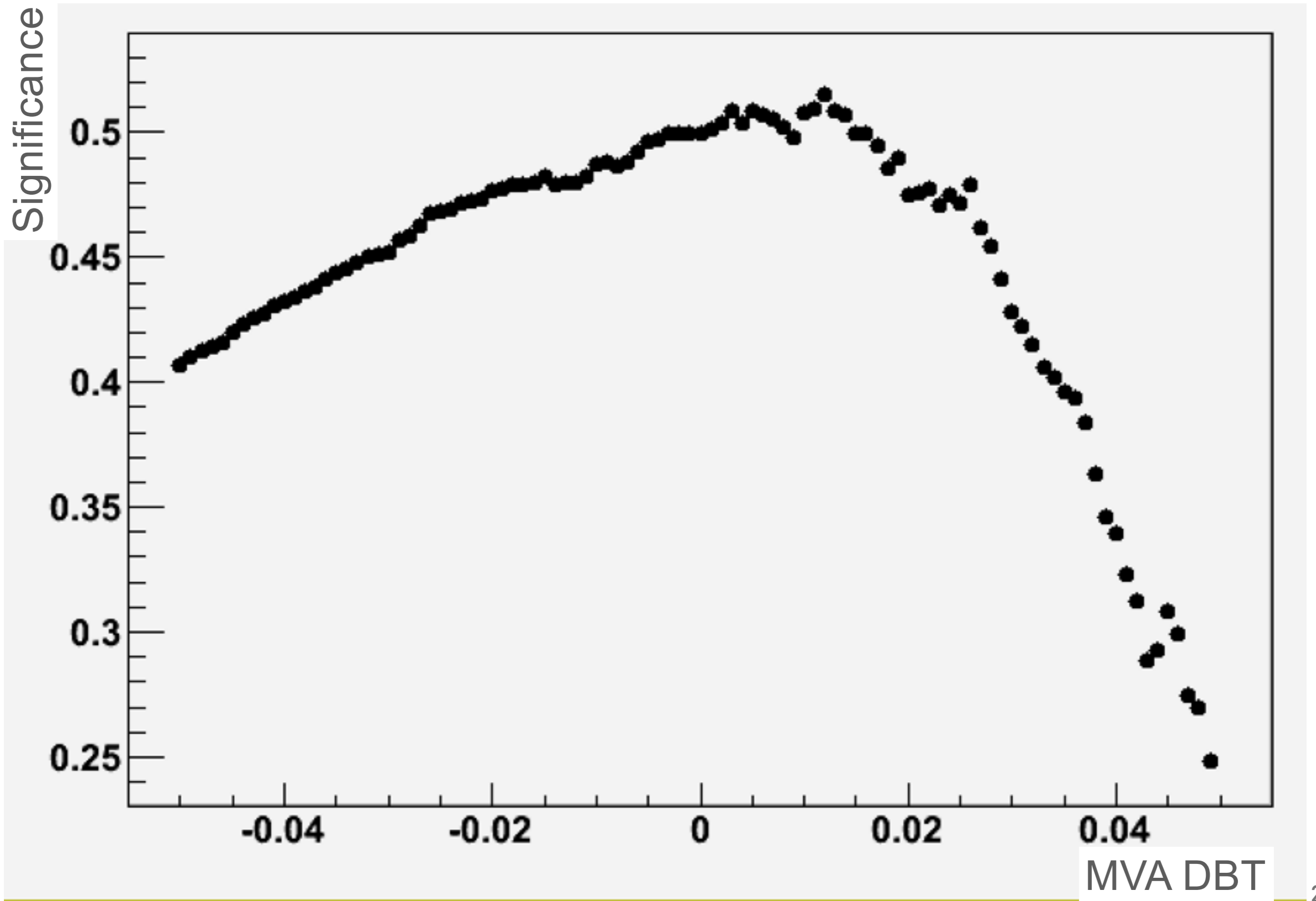
$$p_{y2} = |p2| \sin \theta_2 \sin \phi_2$$

$$p_{x1} + p_{x2} = -p_{x0}$$

$$p_{y1} + p_{y2} = -p_{y0}$$

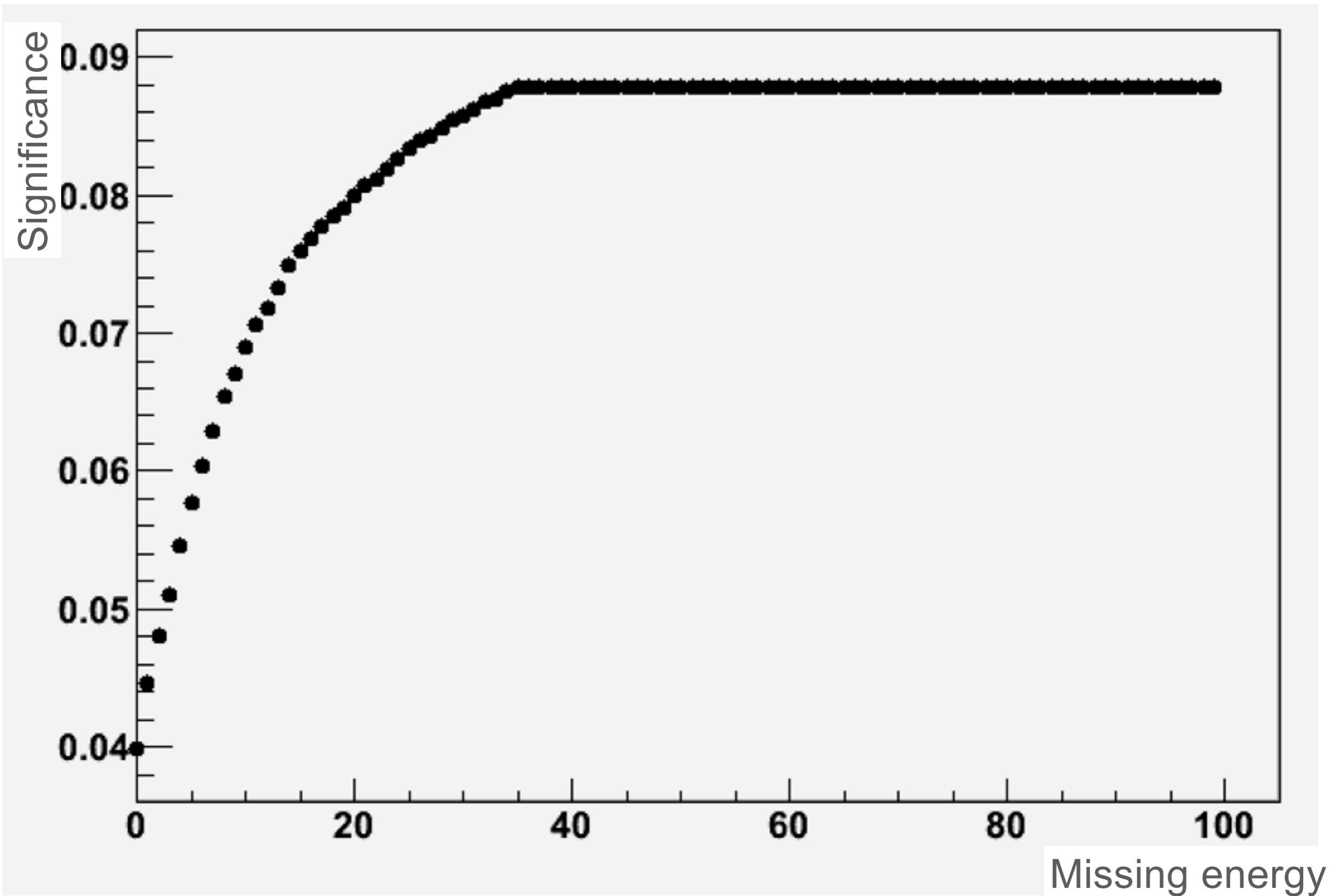


Optimization of mva

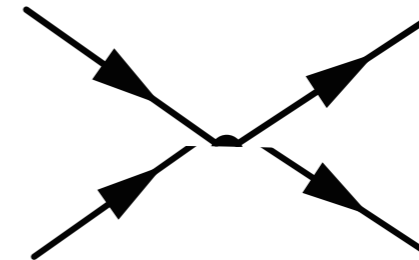
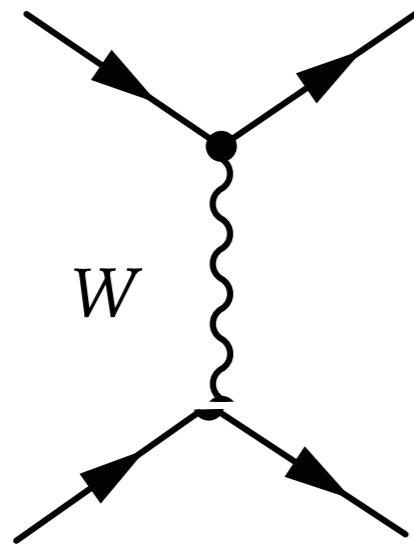


MVA DBT

Optimization of missing energy

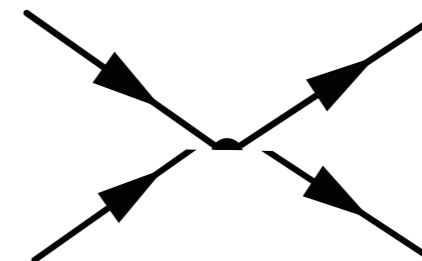
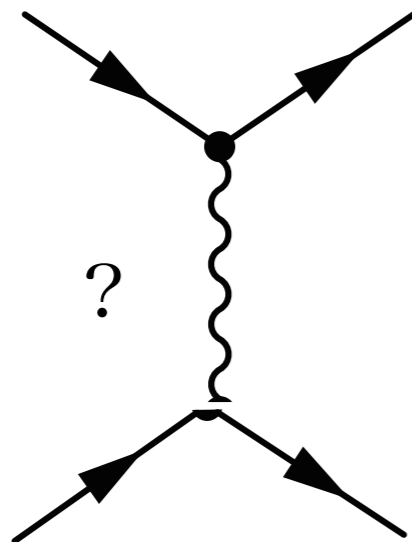


Effective field theory



Higher energy scale rather than W

Lower energy scale rather than W



Higher energy scale rather than new physics

Looking at ILC250 GeV

5. Event selection

.....
 Back ground

		characteristic	How to remove
ff		back to back	$\cos\theta_{2f}$
$\gamma Z \rightarrow \gamma(ff)$	γll	few track number	nTrack
	$\gamma qq, \gamma cc$	no b	b-tag
	γbb	different angular distribution	$E_\gamma, \cos\theta_\gamma$
	common	$m(bb) \sim m(Z)$	$m(ff)$
Z^+Z^- $W^+W^- \rightarrow 4f$	4j	4 jet	$Y_{3 \rightarrow 2}, E_\gamma$
	2j+2l	$N_{\text{isolep}}=2$	$N_{\text{isolep}}=0, E_\gamma$
	2j+vv	large missing energy	$E_{\text{miss}}, E_\gamma$
	2j+lv	missing energy	$N_{\text{isolep}}=0, E_{\text{miss}}$
	common	$m(ff)=m(W)$	b-tag, $m(ff)$

l:lepton

q:quark

j:jet

v:neutrino