

# Forward backward asymmetry measurements in $e^-e^+ \rightarrow b\bar{b}$ at ILC@250GeV

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LCWS18 at UTA, Texas

<http://www.uta.edu/physics/lcws18>

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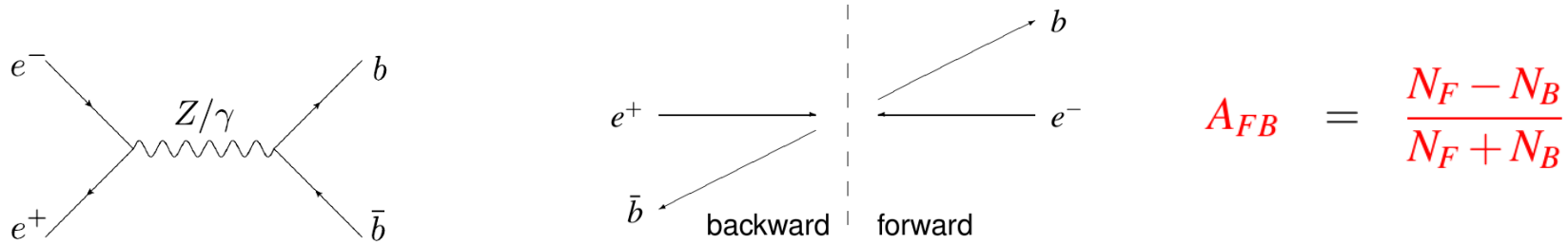
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- B-quark electroweak couplings can be inferred from cross section and forward backward asymmetry (Afb) observables.



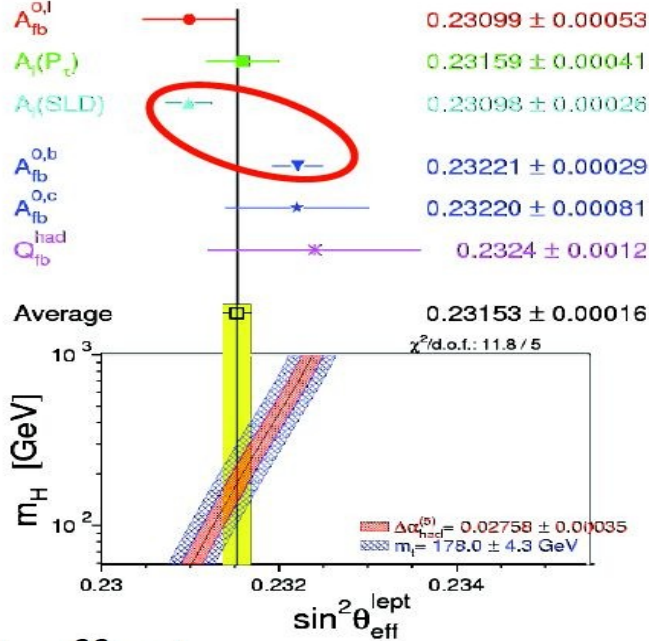
$$\frac{d\sigma^I}{d\cos\theta} = A^I(1 + \cos^2\theta) + B^I \cos\theta + C^I \sin^2\theta \quad I = L, R$$

where the  $A B C$  are

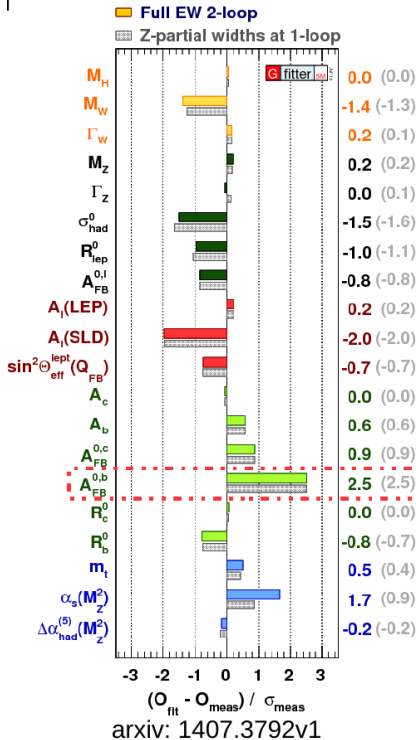
$A^I$  cross section magnitude  $\propto \mathcal{F}_{1V}^I, \mathcal{F}_{2V}^I, \mathcal{F}_{1A}^I$   
 $B^I$  asymmetry magnitude  $\propto \mathcal{F}_{1A}^I, \mathcal{F}_{1V}^I, \mathcal{F}_{2V}^I$   
 $C^I$  spin flip  $\propto \gamma^{-1} \mathcal{F}_{1V}^I, \gamma \mathcal{F}_{2V}^I$

- Afb has been measured in SLC and LEP at the Z-pole

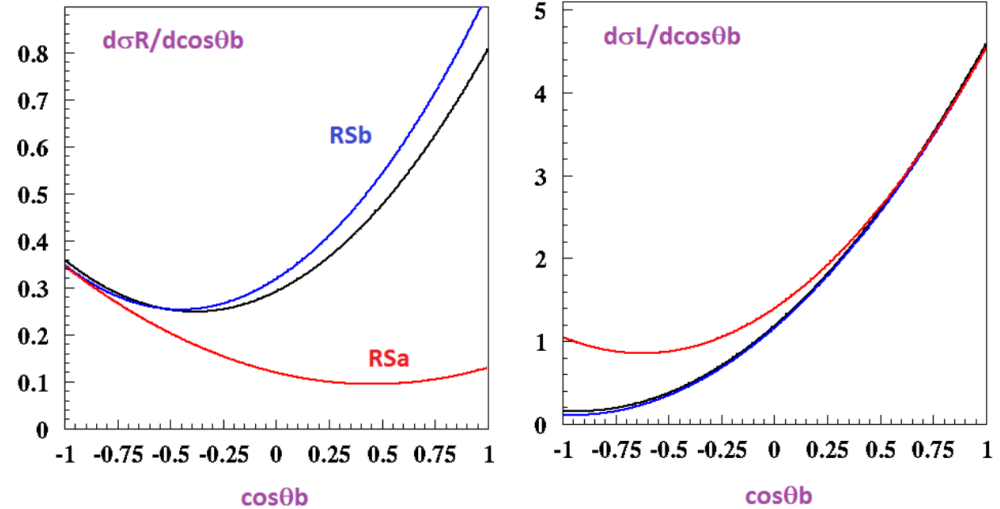
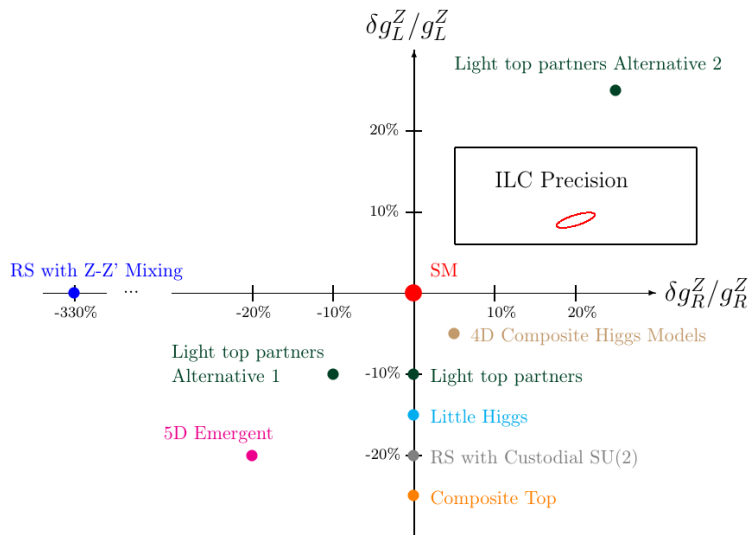
- Current LEP & SLC **measurements** show **tension** between their **A<sub>fb</sub>** measurement
- Even more, current A<sub>fb</sub> measurement is the one with largest tension with the SM fit.



LEP1 effect



- Many composite models predict deviations in the fermion electroweak couplings (specially in the heavy flavors)
  - can be observed in the cross sections and  $A_{fb}$  measurements if measured at the % level
  - See M. Peskin's talk from yesterday.
- ILC provides  $bb$  events produced at the Z-pole and and far of it with polarized beams.



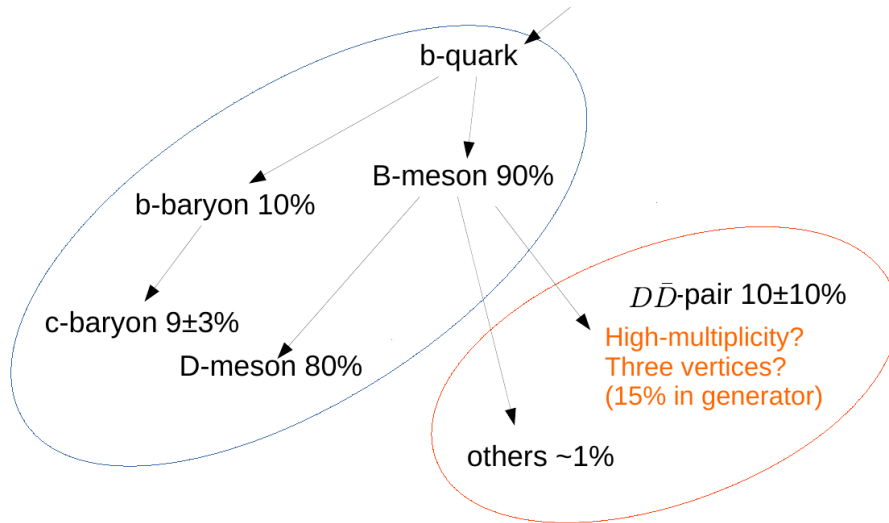
Example of Randal Sundrum extra dimension models prediction for b-quark asymmetry.

(F. Richard et al)

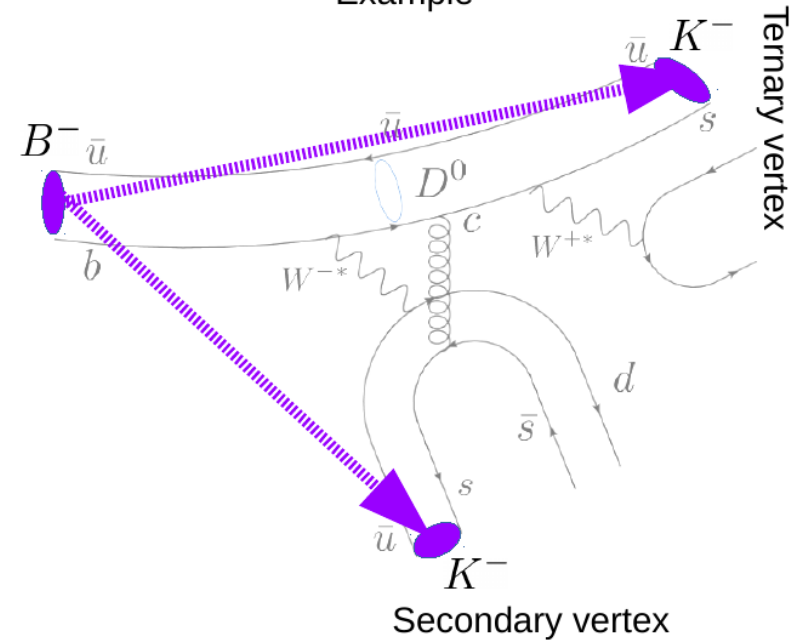
- The goal is to measure the asymmetry basically by measuring the **direction** of the two final state jets and their **charge**. **How?**

## Process overview

- Hadronization and decay modes of b-quark:



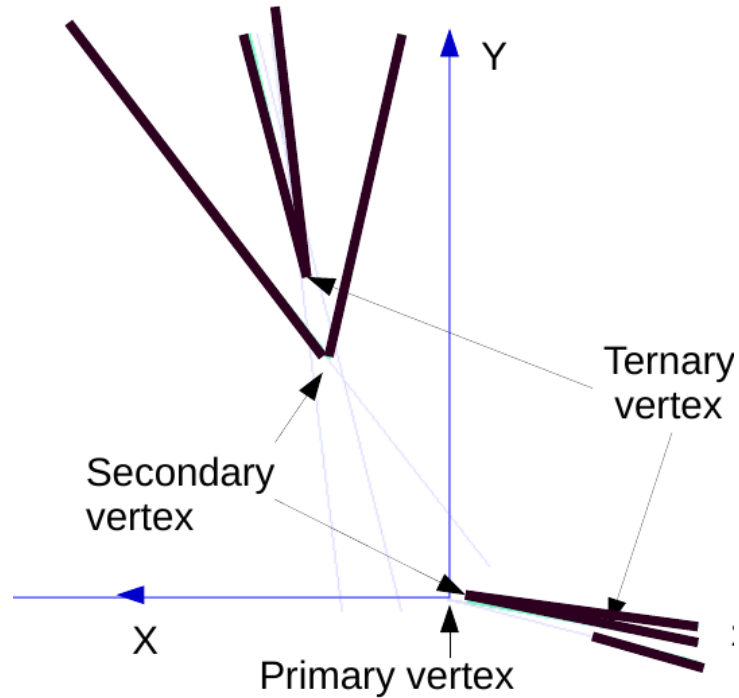
## Example



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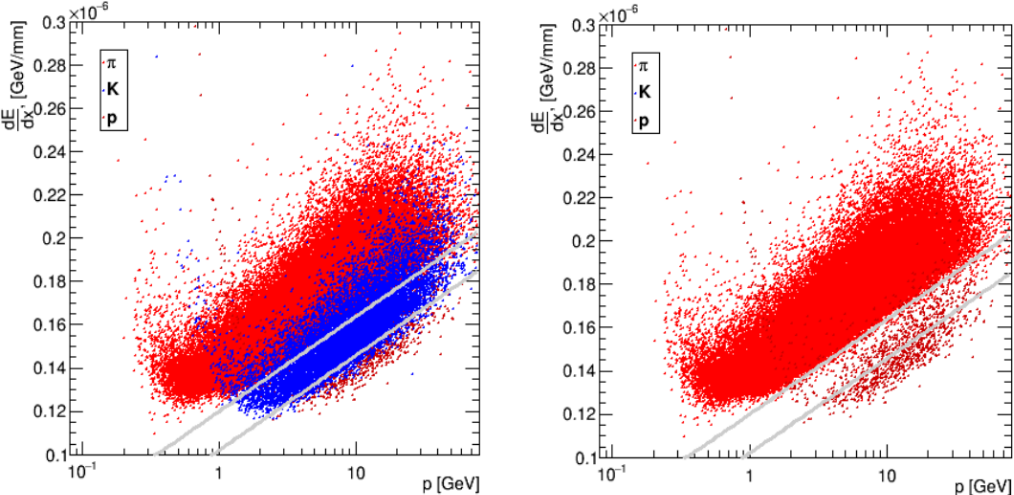
- The goal is to measure the asymmetry basically by measuring the direction of the two final state jets and their charge. **How?**



- We have two methods to identify b-jet charge:
  - With the charge of the b-quark, calculated as a sum of the charges of secondary and tertiary vertex
    - we call this method the **Bc method (or vtx method)**
  - With the charge of K-mesons, from B-decays, in secondary and tertiary vertexes
    - we call this method the **Kc method (or kaon method)**

## Kaon identification

dE/dx as function of a track momentum for different types of particles from secondary and ternary vertices



- Kaon identification
  - 88% eff
  - 95% purity

- It is possible to identify kaons with high purity
- In current analysis kaons are selected using generator information for ternary tracks with TPC hits  $> 60$  and  $|\cos\theta| < 0.95$

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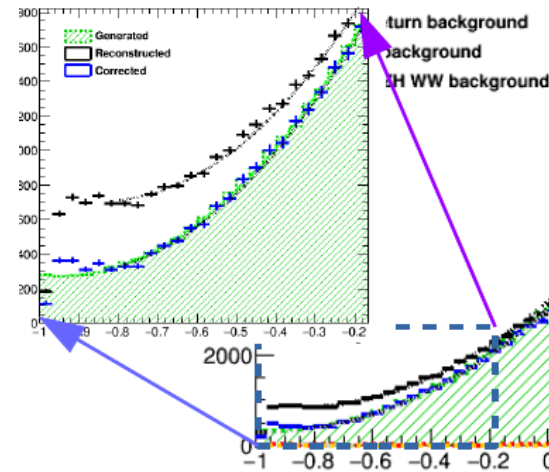
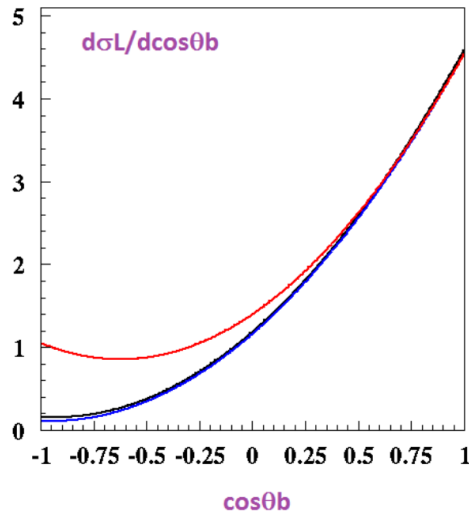


- All results shown here are for the  $b\bar{b}$  asymmetry measurement ( $\cos\theta$ ) using  $e^+e^- \rightarrow b\bar{b}$ , 250 GeV, for pure left and right handed polarizations.
  - `/ilc/prod/ilc/mc-dbd/ild/dst-merged/250-TDR_ws/2f-highM_Z_hadronic + ILCsoft v01-17-06`
  - Each sample has  $\sim 250 \text{ fb}^{-1}$  (reweighting to be done)
- **Preselection**
  - **Durham with 2 exclusive jets**
  - $B_{\text{tag}}(j_1) > 0.9$  &  $B_{\text{tag}}(j_2) > 0.2$
  - Recoil cut (events with a photon with  $E > 40 \text{ GeV}$  or  $m(j_1 j_2) < 180 \text{ GeV}$  rejected)
  - $m(j_1) + m(j_2) < 120$



# $\bar{b}b$ -asymmetry measurement

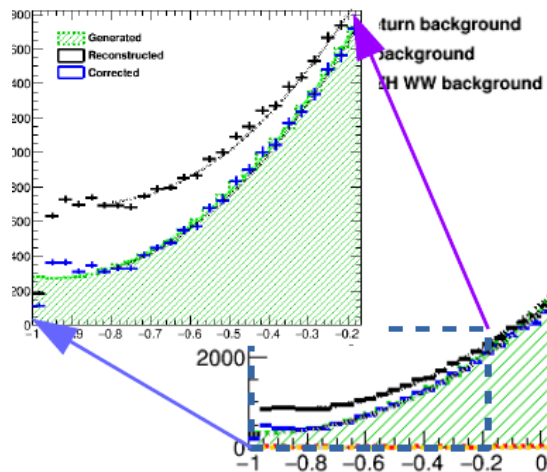
- The  $\frac{d\sigma^I}{d\cos\theta}$  distribution is very asymmetric specially for the electron left-handed polarization case.
- If the charge calculation is not perfect, events from positive angles will be counted as negative in some cases (or the opposite). As the distribution is very stiff, this effect will be asymmetric



- The migration effect can be corrected using the data (next slide)

# $\bar{b}b$ -asymmetry measurement

- The migrations are fixed by determining the purity of the charge calculation using double tagged events with compatible and incompatible charges



- with the assumption of only 2 quarks produced in the hard interaction.

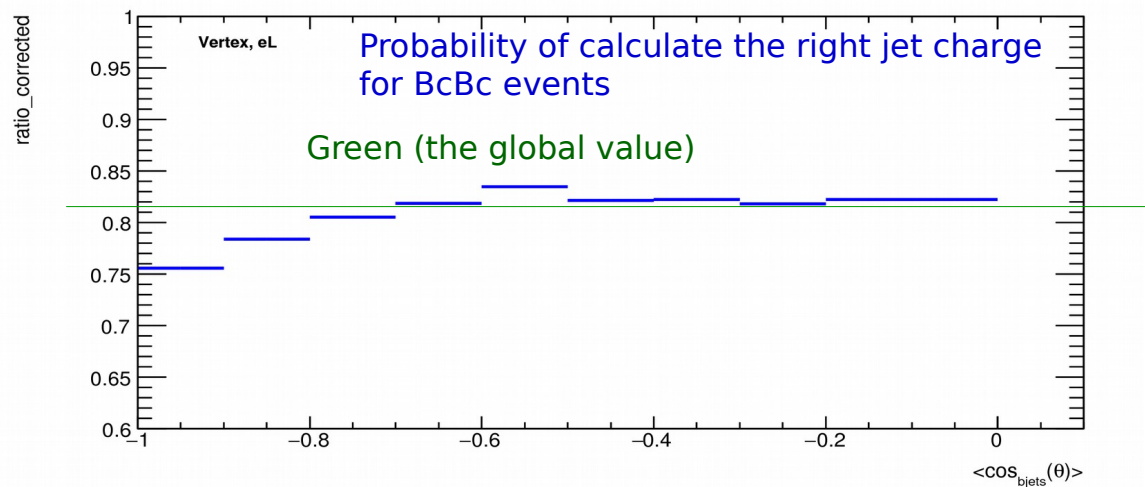
- Assume that around a certain value  $|\cos\theta_b|$  we have rejected  $N_r$  events as being contradictory, selected  $N_a^+$  events as having  $|\cos\theta_b| > 0$  and  $N_a^-$  events with  $|\cos\theta_b| < 0$

- Then one can write

$$N_a = N_a^+ + N_a^- = p^2 N + q^2 N$$

- Where  $p$  is a charge purity,  $q=1-p$
- We can find  $p$  by solving these equations.

- The migration feature limits the efficiency: we can only use events with double charge measurement (double tagged)
  - In the first attempt, we only considered pure & exclusive double tagged events using one or the other method (so both jets charge measured with the Bc or the Kc methods)
  - Also, we were only considering measurements in different jets.
  - The reason for those limitations is that the correction was not working for “crossed” combinations.
  - This is solved by using a differential correction, instead of a global value for the purity..



# Charge calculation categories

- 6 categories are defined.

- BcBc **opposite** jets and I do not care about Kc. **Category 1** (non exclusive)
- KcKc **opposite jets**, and again I don not care about Bc, **Category 2** (non exclusive but not category 1)
- BcKc in the **same** jet (the one with higher b-tag) with the other jet Kc and Bc =0. **Category 3** (not category 1-2)
- the **same**, but in the jet with smaller btag. **Category 4** (not category 1-3)
- BcKc, **opposite** jets, with the other Kc and Bc =0. **Category 5** (not category 1-4)
- KcBc, **opposite** jets, with the other Bc and Kc =0. **Category 6** (not category 1-5)

- Similar to the old approach, although before we consider only exclusive combinations
  
- 4 new categories defined now

# Charge calculation categories

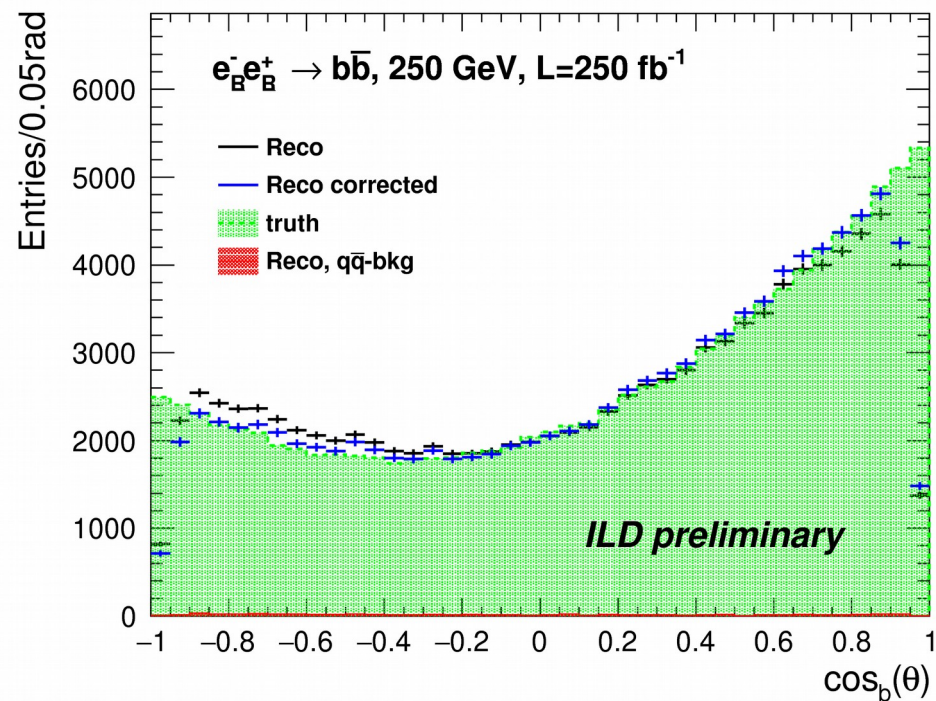
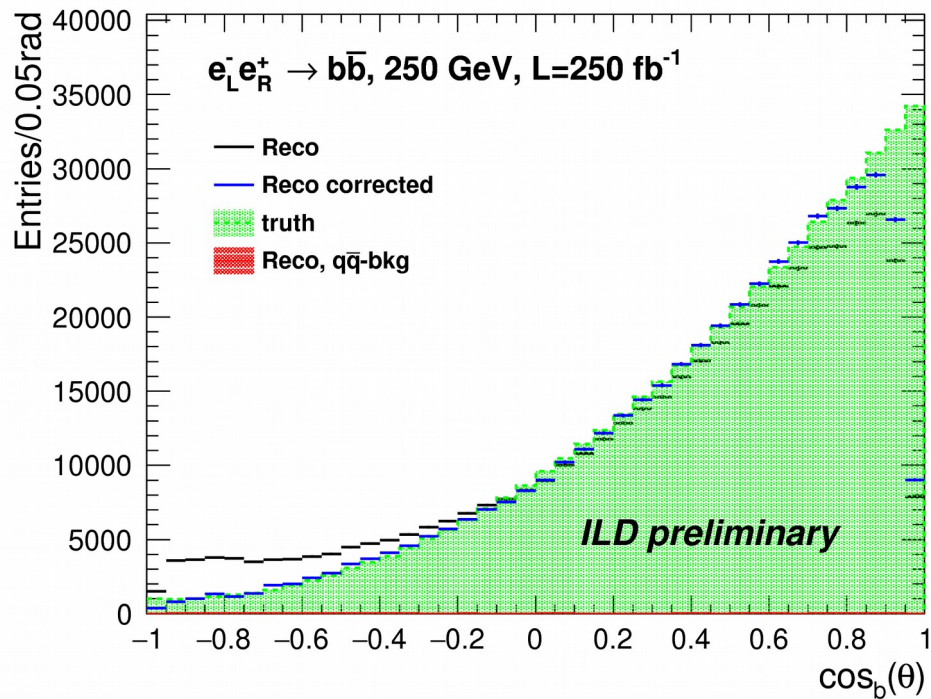
## 250GeV, eL, DBD

Step	Eff	Bkg(qq)
Preselection:	62,9 %	0,5 %
BcBc:	12,8 %	0,2 %
KcKc:	4,7 %	0,1 %
BcKc(jet1):	4,4 %	0,1 %
BcKc(jet2):	2,4 %	0,0 %
BcKc:	1,5 %	0,0 %
KcBc:	2,4 %	0,0 %
<b>total</b>	<b>28,2 %</b>	<b>0,4 %</b>

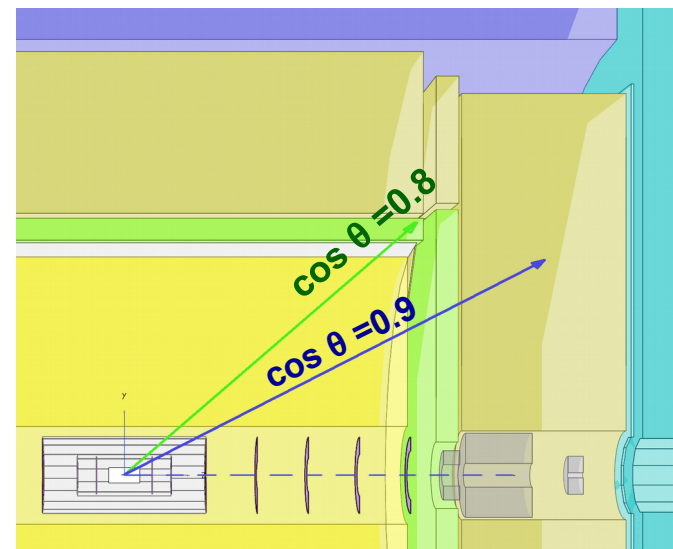
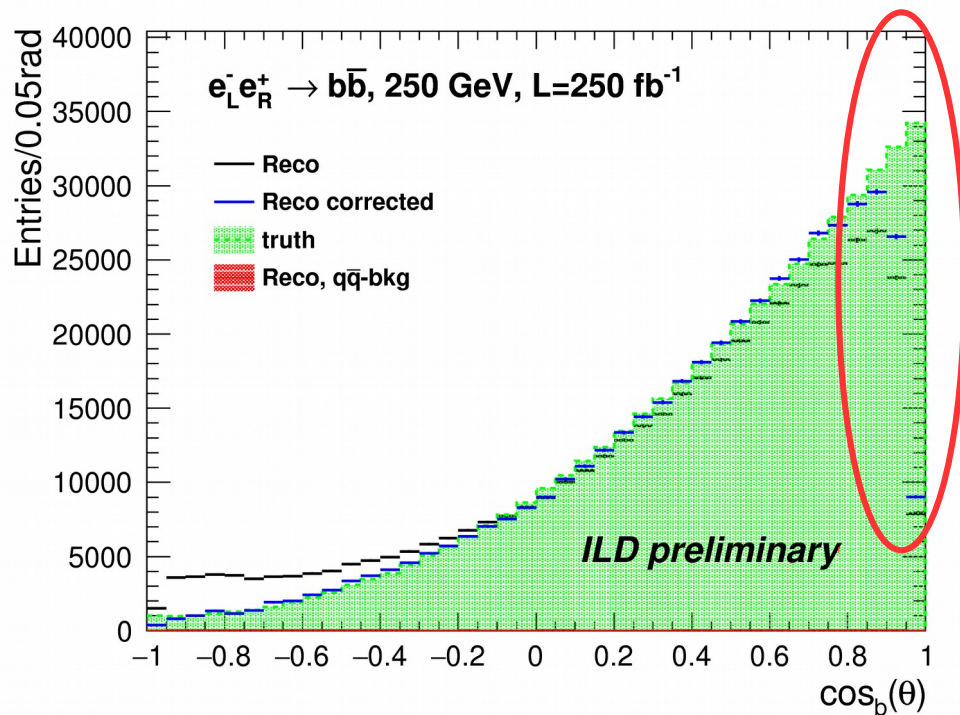
## 250GeV, eR, DBD

Step	Eff	Bkg(qq)
Preselection:	63,1 %	0,9 %
BcBc:	12,9 %	0,3 %
KcKc:	4,6 %	0,1 %
BcKc(jet1):	4,4 %	0,1 %
BcKc(jet2):	2,4 %	0,0 %
BcKc:	1,5 %	0,1 %
KcBc:	2,4 %	0,0 %
<b>total</b>	<b>28,2 %</b>	<b>0,7 %</b>

- The use of dE/dX allows to multiply the efficiency by 2.2



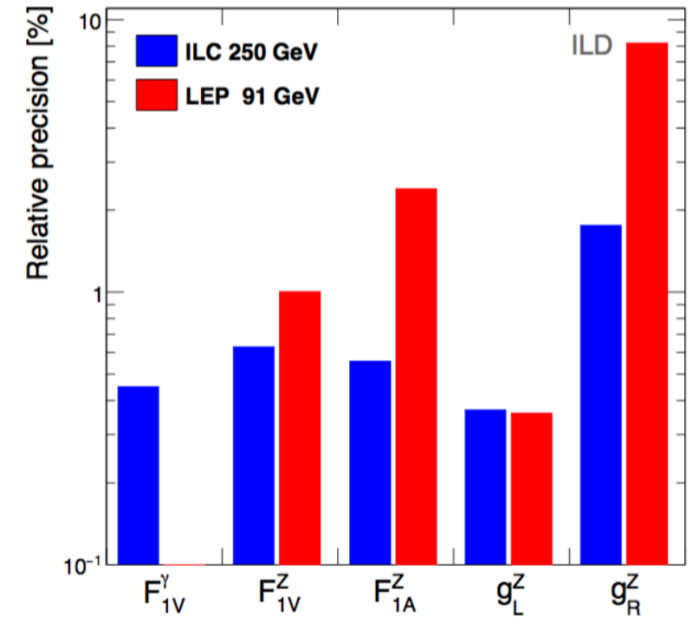




- Defficiency in vertexing for  $\cos \theta > 0.9$  (and 0.8)
  - Gap between VTX barrel and first FTD disk



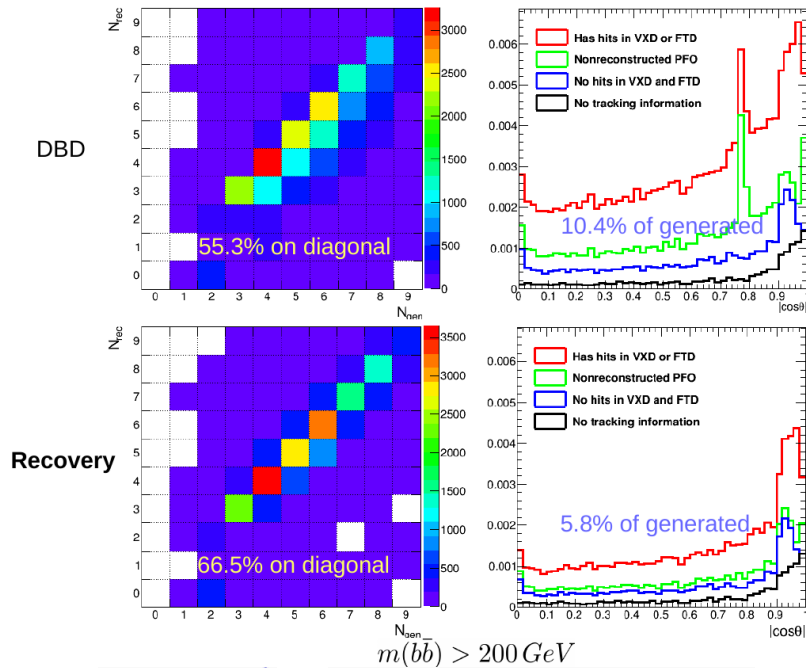
- Two fermion final states are an excellent probe for new physics:
  - i.e. compositeness models as Randall Sundrum models.
  - See M. Peskin's talk for a short introduction.
- Cross sections and Afb observables measurement with high precision are needed.
- ILC will be able to do these measurements with high precision
  - unprecedented &, competing with current levels of theoretical predictions
- In addition, Afb(b) has been proven to be a very suitable observable for detector optimization and benchmarking.
  - It uses information from all subdetectors (including dE/dX)
  - It reveals some detector limitations



- Experimental precision for  $500 \text{ fb}^{-1}$  with 13% efficiency assumed
  - Including full bkg estimations
  - Results to be updated with the new efficiencies



## Reconstruction quality DBD vs Recovery



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- Method developed in S. Bilokin thesis to recover lost vertexes.
- Tested in bb and tt (semileptonic) final states.
- Manages to recover  $\sim 50\%$  of the lost vertexes.
- Used in all results shown here (except in the ttbar fully hadronic)
- Processor is in <https://github.com/qqbaranalysis/VertexRestorer>
- To be checked, updated and pushed to the ILCsoft repository... where?

## B polar angle correction

- To cope with 'migration' effect, we have used the large sample of events with contradictory charges
- Assume that around a certain value  $|\cos\theta_b|$  we have rejected  $N_r$  events as being contradictory, selected  $N_a^+$  events as having  $|\cos\theta_b| > 0$  and  $N_a^-$  events with  $|\cos\theta_b| < 0$
- Then one can write
 
$$N_a = N_a^+ + N_a^- = p^2 N + q^2 N$$
- Where  $p$  is a charge purity,  $q=1-p$
- We can find  $p$  by solving these equations.

## B polar angle correction

- One is left with the following equations:

$$\begin{cases} N_a^+ = p^2 N_{true}^+ + q^2 N_{true}^- \\ N_a^- = p^2 N_{true}^- + q^2 N_{true}^+ \end{cases}$$

Migration terms

- Where  $N_{true}^\pm$  are the two unknown number of events with positive and negative polar angles
- Corrected values:
 
$$\begin{cases} N_a^{+'} = p^2 N_{true}^+ \\ N_a^{-'} = p^2 N_{true}^- \end{cases}$$
- Errors on corrected values can be computed
- We are not using generator information for correction