

Plans : Matrix Element Approach for ZZH

$$e^+e^- \rightarrow ZH \rightarrow \mu^+\mu^-H \text{ at } 250 \text{ GeV}$$

$$\chi^2 = -2 \log \Delta \mathcal{L} = -2 \log(\mathcal{L}(\vec{a}_V) - \mathcal{L}_{SM})$$

likelihood function $\mathcal{L}(\vec{a}_V) = \mathcal{L}_{\text{shape}}(\vec{a}_V) \cdot \mathcal{L}_{\text{norm}}(\vec{a}_V)$

$= \prod_{i=1}^{\text{events}} P_{\text{shape}}(\vec{p}_i^\mu; \vec{a}_V) \cdot P_{\text{norm}}(\vec{a}_V)$

anomalous parameters

momenta: μ, μ, h

Probability function for testing ZZH couplings

Integration over phase space for four momenta

$$P_{\text{shape}}(\vec{p}^\mu; \vec{a}_V) = \frac{1}{\sigma(\vec{a}_V)} \int d\vec{\Phi} |\mathcal{M}(\vec{p}^\mu; \vec{a}_V)|^2 T(\vec{p}^\mu \rightarrow \vec{p}^\mu)$$

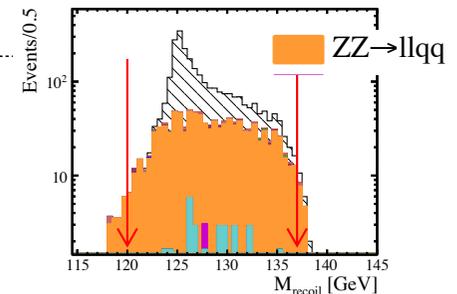
Normalization Matrix Element Transfer function (detector resolution)

(Softwares by Junping, Keisuke)

$$T(\vec{p}^\mu; \vec{p}^\mu) = \delta(\vec{p}^\mu - \vec{p}^\mu) \quad \text{The transfer is delta : (at least good assumption for } \mu\mu)$$

Background contributions (irreducible ZZ)

$$P_{\text{shape}}(\vec{p}^\mu; \vec{a}_V) = \frac{\int d\vec{\Phi} |\mathcal{M}_{Zh}(\vec{p}^\mu; \vec{a}_V)|^2 T(\vec{p}^\mu; \vec{p}^\mu) + \int d\vec{\Phi} |\mathcal{M}_{ZZ}(\vec{p}^\mu)|^2 T(\vec{p}^\mu; \vec{p}^\mu)}{\sigma_{Zh}(\vec{a}_V) + \sigma_{ZZ}}$$



→ reports from next meetings