Status report

Matrix Element application for A-ZZH coupling study

$$
e^{+} e^{-} \rightarrow Z H \rightarrow \mu^{+} \mu^{-} H \text { at } 250 \mathrm{GeV}
$$

## Fitting function

$$
\chi^{2}=-2 \log \Delta \mathcal{L}=-2\left(\ln \mathcal{L}\left(\vec{a}_{V}\right)-\log \mathcal{L}_{S M}\right)
$$

## Likelihood function

$$
\begin{aligned}
\mathcal{L}\left(\vec{a}_{V}\right) & =\mathcal{L}_{\text {shape }}\left(\vec{a}_{V}\right) \cdot \mathcal{L}_{\text {norm }}\left(\vec{a}_{V}\right)
\end{aligned} \text { anomalous parameters }
$$

Event probability
based on diff. cross-section

Integration over phase-space for four momenta

Acceptance function
$P_{\text {shape }}\left(\vec{p}^{\mu} ; \vec{a}_{V}\right)=\frac{1}{A_{c c} \sigma\left(\vec{a}_{V}\right)} \int^{\boldsymbol{\Delta}} d \bar{\Phi}\left|\mathcal{M}\left(\vec{p}^{\mu} ; \vec{a}_{V}\right)\right|^{2} \underset{\nabla}{T\left(\vec{p}^{\mu} \rightarrow \vec{p}^{\mu}\right)} A_{c c}\left(\vec{p}^{\mu}\right)$
Normalization
Matrix Element Transfer function (detector resolution)

Matrix Element using $e^{+} e^{-} \rightarrow Z H \rightarrow \mu^{+} \mu^{-} H$ at 250 GeV

$$
T\left(\vec{p}^{\mu} ; \vec{p}^{\mu}\right)=\delta\left(\vec{p}^{\mu}-\vec{p}^{\mu}\right)
$$

The transfer is perfectly delta

: ATLAS, CMS also are assuming this

## Acceptance (function) <br> $$
f(\cos Z, \cos \mathrm{Fh}, \mathrm{dPhi})
$$ <br> $$
5 \times 5 \times 5
$$

## Signal part

Bkgs. part

$$
\begin{aligned}
& \text { Event probability } \\
& \qquad P_{\text {shape }}\left(\vec{p}^{\mu} ; \vec{a}_{V}\right)=\frac{A_{c c}^{\mu \mu H}(\overrightarrow{\mathcal{O}})\left|\mathcal{M}_{\mu \mu H}\left(\vec{p}^{\mu} ; \vec{a}_{V}\right)\right|^{2}}{A_{c c}^{\mu \mu H}\left(\vec{a}_{V}\right) \sigma_{Z H \rightarrow \mu \mu H}\left(\vec{a}_{V}\right)}
\end{aligned}
$$


if the ave.(fixed) of the acceptance is used,

Acceptance (fix)
$\sim 0.6$

$$
\begin{aligned}
& \text { Analytic calculation } \\
& =\left|A_{0}+a A_{a}+b A_{b}+b t A_{b t}\right|^{2}
\end{aligned}
$$



Matrix Element using $e^{+} e^{-} \rightarrow Z H \rightarrow \mu^{+} \mu^{-} H$ at 250 GeV

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\end{aligned}
$$

Binned analysis w/ shape

is given by integrating remaining
, where Acc is
automatically included


Matrix Element using $e^{+} e^{-} \rightarrow Z H \rightarrow \mu^{+} \mu^{-} H$ at 250 GeV

The Background :
dominant ZZ_sl (DBD name) $\rightarrow \mu \mu+\mathrm{qq}$

| Cut variables | $\mu \mu H$ | $\epsilon$ | $2 f$ | $4 f$ | $S_{\text {sig }^{4}}$ |
| :--- | :---: | :---: | :---: | :---: | :---: |
| No cut | 2603 | 100 | $2.9 \cdot 10^{7}$ | $1.0 \cdot 10^{7}$ | $-{ }^{4}$ |
| $\mu^{+} \mu^{-}$ID | 2433 | 93.5 | $4.3 \cdot 10^{5}$ | $8.3 \cdot 10^{4}$ | $3.4^{4}$ |
| $N_{\text {tracks }} \in[6,60]$ | 2246 | 86.3 | 6771 | $2.4 \cdot 10^{4}$ | $12.3^{4}$ |
| $E_{Z \in[14.6,111.7] ~ \mathrm{GeV}}$ | 1740 | 66.8 | 156 | 1470 | 30.0 |
| $M_{Z} \in[83.0,96.4] \mathrm{GeV}$ | 1673 | 64.3 | 104 | 995 | 31.6 |
| $E_{\text {sub } \in[60.0,168.5] ~ \mathrm{GeV}}$ | 1628 | 62.5 | 34 | 954 | 31.7 |
| $M_{\text {rec }} \in[120,137] \mathrm{GeV}$ | 1624 | 62.4 | 34 | 923 | $31.8^{4}$ |



MarlinPhysisim - LCMEZZ :
can handle ZZ process


Check Response of MarlinPhysisim - LCMEZZ :
Events are weighted with $1 / \operatorname{ME} 2$ (weighted with diff. cross-section => flat)
MarlinPhysisim - LCMEZZ :
the settings is $Z Z \rightarrow \mu \mu+Z$ decay

## - selection terms of Events

 ( just test with loose cuts )$\mu$-pair ID
recoil > 10
input $\mu, \mu$, and its recoil
a histogram is weighted with $1 / \mid \mathrm{MEl} 2$


Production angle of $\mu$ -

## Check Response of MarlinPhysisim - LCMEZZ :

Events are weighted with $1 / \operatorname{IME} 2$ (weighted with diff. cross-section => flat)
MarlinPhysisim - LCMEZZ :
the settings is $\mathrm{ZZ} \rightarrow \mu \mu+\mathrm{Z}$ decay

- selection terms of Events


## ( full cuts :

 same with the shape study)MC truth dist. have spikes?
a histogram is weighted with $1 /$ |MEl2


Production angle of $\mu$ -

Matrix Element using $e^{+} e^{-} \rightarrow Z H \rightarrow \mu^{+} \mu^{-} H$ at 250 GeV

## Come back to $\mathbf{P}$

Acceptance (function)

$$
f(\cos Z, \cos \mathrm{Fh}, \mathrm{dPhi})
$$

Consistency b/w Physsim and Whizard
(Physsim)
ן

$$
\begin{aligned}
& \text { Event probability } \\
& \qquad P_{\text {shape }}\left(\vec{p}^{\mu} ; \vec{a}_{V}\right)=\frac{A_{c c}^{\mu \mu H}(\overrightarrow{\mathcal{O}})\left|\mathcal{M}_{\mu \mu H}\left(\vec{p}^{\mu} ; \vec{a}_{V}\right)\right|^{2}+A_{c c}^{\mu \mu Z}\left|\mathcal{M}_{\mu \mu Z}\left(\vec{p}^{\mu}\right)\right|^{2}}{A_{c c}^{\mu \mu H}\left(\vec{a}_{V}\right) \sigma_{Z H \rightarrow \mu \mu H}\left(\vec{a}_{V}\right)+A_{c c}^{\mu \mu Z} \sigma_{Z Z \rightarrow \mu \mu Z}}
\end{aligned}
$$

$$
A_{c c}^{\mu \mu Z}=\frac{Z Z \rightarrow \mu \mu Z^{\text {accpt }}}{Z Z \rightarrow \mu \mu Z^{\text {gene }}}=7.744 \mathrm{e}-03
$$

X_ZZ_LR * BR_Zmu (Whizard)

I counted \#of generated samples

| DBD: ZZ_sl | DBD: ZZ_1 |
| :---: | :---: |
| $\mu \quad+\mathrm{q}$, | $\mu \quad+\mu$, |
| $\nu \mu+\mathrm{q}$, | $\boldsymbol{\mu}+\tau$, |
| $\tau+\mathrm{q}$, | $\mu+\boldsymbol{\nu}$ |
| $v \tau+\mathrm{q}$, | $\begin{aligned} & \tau+\tau, \\ & \tau+v \mu \end{aligned}$ |
|  | $\mu+e / v e / \nu \mu$ |



Event probability

$$
\begin{aligned}
& P_{\text {shape peb }}\left(\vec{p}^{\mu} ; \vec{a}_{V}\right)=\frac{A_{c c}^{\mu \mu H}(\overrightarrow{\mathcal{O}})\left|\mathcal{M}_{\mu \mu H}\left(\vec{p}^{\mu} ; \vec{a}_{V}\right)\right|^{2}+A_{c c}^{\mu Z}\left|\mathcal{M}_{\mu \mu Z}\left(\vec{p}^{\mu}\right)\right|^{2}}{A_{c c}^{\mu \mu H}\left(\vec{a}_{V}\right) \sigma_{Z H \rightarrow \mu \mu H}\left(\vec{a}_{V}\right)+A_{c c}^{\mu \mu Z} \sigma_{Z Z \rightarrow \mu \mu Z}}
\end{aligned}
$$

I'm thinking
should be a function which gives the acceptance depending on P
should be given by integrating
how to handle 2 f backgrounds



