## Precision electroweak capabilities of ILC

LCWS 2019

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## Based on material of a number of distinguished colleagues

Sendai Japan – October/November 2019





- ILC is more than a Higgs Factory
- Many new physics models have impact on electroweak processes e.g. 2f processes
- Z pole is "pure" Z => Therefore new physics (or not) due to Z has to be pinned down
- Many questions at Grenada to ILC capabilities on the pole
  - Some answers were at hand (arXiv: 1905.00220)







- $0.23159 \pm 0.00041$  $0.23098 \pm 0.00026$
- $0.23221 \pm 0.00029$
- $0.23220 \pm 0.00081$ 
  - $0.2324 \pm 0.0012$
- $0.23153 \pm 0.00016$



## e+e- Physics program



- All Standard Model particles within reach of planned e+e- colliders
- High precision tests of Standard Model over wide range to detect onset of New Physics
- Machine settings can be "tailored" for specific processes
  - Centre-of-Mass energy
  - Beam polarisation (straightforward at linear colliders)

$$\sigma_{P,P'} = \frac{1}{4} \left[ (1 - PP')(\sigma_{LR} + \sigma_{RL}) + (P - P')(\sigma_{RL} - \sigma_{LR}) \right]$$

• **Background free** searches for BSM through beam polarisation





# **ILC Running Scenarios**



## In 2019 – Revision of capabilities to run on the Z Pole - GigaZ

	sgr				
	(-,+)	(+,-)	(-,-)	(+,+)	sum
luminosity $[fb^{-1}]$	40	40	10	10	
$\sigma(P_{e^-}, P_{e^+}) \text{ [nb]}$	83.5	63.7	50.0	40.6	
$Z$ events $[10^9]$	2.4	1.8	0.36	0.29	4.9
hadronic Z events $[10^9]$	1.7	1.3	0.25	0.21	3.4

- luminosity upgrade
- Further details see arxiv: 1908.08212





## arXiv:1506.07830

## • Pole running can happen before and after the







- High energies ~above tt-threshold Domain of linear colliders
- Low energies e.g. Z-pole Domain of circular machines
- Transition region, i.e. HZ threshold Comparable numbers for all proposals
- Linear colliders are more versatile to test chiral theory due to polarised
- Detailed design parameters see backup



## **W** - Parameters

## W Mass from ...:

- Constrained WW reconstruction
- Hadronic mass from hadronic W decays
- Lepton endpoints:  $m_W^2 = E_l(E_b E_l), \ E_l = E_b(1 \pm \beta_W)/2$
- Dilepton pseudo mass from constrained fit
- Polarised W scan

 $\Delta m_W(MeV) = 2.4(stat.) \oplus 3.2(syst.) \oplus 0.8(\sqrt{s}) \oplus \text{theory}$ 

## **Branching ratios**

From simultaneous fit to all 10 decay combinations

=> 
$$\sigma_{tot}$$
 and  $B_{e,\mu,\tau}$  and  $B_{had}$  = 1 –  $B_e$  –  $B_\mu$  -  $B_\tau$ 

W width:  $\Delta \Gamma_{W} = 3.2 \text{ MeV}$ 

See talks by G. Wilson and J.L. Singer-Anguiano on newest re









# **Anomalous Triple Gauge Couplings**



## Limits on Triple Gauge Couplings@250 GeV









## • Sensitivity to triple and quartic gauge Boson couplings

## • Observables depend strongly on beam polarisation

# $W^- =>$ in situ measurement of beam polarisation (and luminosity)



# **Two fermion processes**



Differential cross sections for (relativistic) di-fermion production\*:  $\frac{d\sigma}{d\cos\theta}(e_L^- e_R^+ \to f\bar{f}) = \Sigma_{LL}(1+\cos\theta)^2 + \Sigma_{LR}(1-\cos\theta)^2$ 

$$\frac{d\sigma}{d\cos\theta}(e_R^- e_L^+ \to f\bar{f}) = \Sigma_{RL}(1 - \frac{d\sigma}{d\cos\theta})$$

\*add term  $\sim sin^2 \theta$  in case of non-relativistic fermions e.g. top close to threshold

- $\Sigma_{\mu}$  are helicity amplitudes that contain couplings  $g_{\mu}$ ,  $g_{R}$  (or  $g_{\nu}$ ,  $g_{A}$ )
- $\Sigma_{\mu} \neq \Sigma_{\mu}' =>$  (characteristic) asymmetries for each fermion
- Forward-backward in angle, general left-right in cross section
- All four helicity amplitudes for all fermions only available with polarised beams



# $(1 + \cos \theta)^2 + \Sigma_{RR} (1 - \cos \theta)^2$



Helicity amplitudes can be analysed in several ways (not mutually exclusive):

**Oblique Parameters W, Z:** 

$$Q_{e_i f_j} = Q_e^{\gamma} Q_f^{\gamma} + rac{g_{e_i}^Z g_{f_j}^Z}{\sin^2 heta_W \cos^2 heta_W} rac{s}{s - M_Z^2 + \mathrm{i}\Gamma_Z M_Z} + rac{s}{m_W^2} f_{i,j}(W,Y)$$

Contact interactions with e.g. compositeness scale  $\Lambda$ :

$$Q_{e_i f_j} = Q_e^{\gamma} Q_f^{\gamma} + \frac{g_{e_i}^Z g_{f_j}^Z}{\sin^2 \theta_W \cos^2 \theta_W} \frac{s}{s - M_Z^2 + i\Gamma_Z M_Z} + \frac{g_{contact}^2}{2\Lambda^2} \eta_{e_i f_j}$$

New propagators in concrete models of new physics:

$$Q_{e_{i}f_{j}} = Q_{e}^{\gamma}Q_{f}^{\gamma} + \frac{g_{e_{i}}^{Z}g_{f_{j}}^{Z}}{\sin^{2}\theta_{W}\cos^{2}\theta_{W}} \frac{s}{s - M_{Z}^{2} + i\Gamma_{Z}M_{Z}} + \sum \frac{g_{e_{i}}^{Z'}g_{f_{j}}^{Z'}}{\sin^{2}\theta_{W}\cos^{2}\theta_{W}} \frac{s}{s - M_{Z'}^{2} + i\Gamma_{Z}M_{Z}} + \sum \frac{g_{e_{i}}^{Z'}g_{W}^{Z'}}{\sin^{2}\theta_{W}\cos^{2}\theta_{W}} \frac{s}{s - M_{Z'}^{2} + i\Gamma_{Z}M_{Z}} + \sum \frac{g_{e_{i}}^{Z'}g_{W}^{Z'}}{\sin^{2}\theta_{W}} \frac{s}{s - M_{Z'}^{2} + i\Gamma_{Z}M_{Z}} + \sum \frac{g_{e_{i}}^{Z'}g_{W}^{Z'}}{\sin^{2}\theta_{W}\cos^{2}\theta_{W}} \frac{s}{s - M_{Z'}^{2} + i\Gamma_{Z}M_{Z}} + \sum \frac{g_{e_{i}}^{Z'}g_{W}^{Z'}}{\sin^{2}\theta_{W}} \frac{s}{s - M_{Z}^{2} + i\Gamma_{Z}M_{Z}} + \sum \frac{g_{e_{i}}^{Z'}g_{W}^{Z'}}{\sin^{2}\theta_{W}\cos^{2}\theta_{W}} \frac{s}{s - M_{Z}^{2} + i\Gamma_{Z}M_{Z}} + \sum \frac{g_{e_{i}}^{Z'}g_{W}^{Z'}}{\sin^{2}\theta_{W}} \frac{s}{s - M_{Z}^{2} + i\Gamma_{Z}M_{Z}} + \sum \frac{g_{e_{i}}^{Z'}g_{W}^{Z'}}{\sin^{2}\theta_{W}} \frac{s}{s - M_{Z}^{2} + i\Gamma_{Z}M_{Z}} + \sum \frac{g_{e_{i}}^{Z'}g_{W}^{Z'}}}{\sin^{2}\theta_{W}} \frac{s}{s - M$$

Always with I,j being the helicities of the initial state electron e and the final state fermion f

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Partial fermion width:

$$R_f = \frac{N_f}{N_{had}} = \frac{(g_f^L)^2 + (g_f^R)^2}{\sum_{i=1}^{n_q} [(g_i^L)^2 + (g_i^R)^2]}$$

Left-right asymmetry:

$$A_{LR} = \frac{1}{|\mathcal{P}_{eff.}|} \frac{\sigma_L - \sigma_R}{\sigma_L + \sigma_R} = \mathcal{A}_e = \frac{(g_f^L)^2 - (g_f^R)^2}{(g_i^L)^2 + (g_i^R)^2} \sim 1 - 4 \sin^2 \theta_{eff.}^{\ell}$$

Forward-backward asymmetry:

$$A_{FB}^{f} = \frac{\sigma_{F} - \sigma_{B}}{\sigma_{F} + \sigma_{B}} = \frac{3}{4} \mathcal{A}_{e} \mathcal{A}_{f} \text{ for } \mathcal{P}_{e} = 0.$$

Left-right-forward-backward asymmetry:

$$A_{FB,LR}^f = \frac{(\sigma_F - \sigma_B)_L - (\sigma_F - \sigma_B)_R}{(\sigma_F + \sigma_B)_L + (\sigma_L + \sigma_l)_R} = -\frac{3}{4}\mathcal{A}_f$$

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- Sensitive to sum of coupling constants
- Available at linear and circular colliders

- Direct sensitivity to Zee vertex

• e.g. 
$$P_{_{_{7}}} \sim A_{_{e}}$$

- "Classical" observable to study P-violating effects in ee->ff
- Available at circular and linear colliders
- Without beam polarisation interpretation is always model dependent
  - Combination of asymmetries above
  - Only available linear colliders due to beam polarisation
  - Direct and model independent measurement of A<sub>r</sub>



## • Only available at linear colliders due to beam polarisation • Circular colliders need auxiliary measurement



## **Oblique parameters**



$\sqrt{s}$	
HL-LHC	1
ILC250	3.
ILC500	1.
ILC1000	0.3
500 GeV, no beam pol.	2.

- ILC250 outperforms LHC
- ILC500 and above outperforms e+e- machines w/o polarisation (at 4ab<sup>-1</sup>)





• Beam polarisation essential to disentangle effects from W and Y





- SSM is "carbon" copy of SM Z and used as common metric in generic Z' searches
- ALR introduces an "ad hoc" SU(2)<sub>R</sub> and a Z' with orthogonal couplings to the fermions
- X,  $\psi$ ,  $\eta$  are linear combinations of bosons appearing in Grand Unified Theories with couplings orthogonal to the SM Z

## **Typical mass reach 5-10 TeV**

- Reach shown for  $e_1 \square$ ,  $\square$
- Adding quarks would improve limits







# **Decomposing ee->bb – Differential cross section**



Full simulation study (with ILD concept), Benchmark reaction

- Experimental challenge: Measurement of b-quark charge on event-by-event basis
- Long lever arm in  $\cos \theta_{h}$  to extract from factors or couplings  $\frac{d\sigma^{I}}{d\cos\theta} = S^{I}(1+\cos^{2}\theta) + A^{I}\cos\theta \qquad I = L, R \quad \frac{\text{Form factors/couplings}}{\text{from S and A}}$







- ILC/GigaZ with ~10<sup>9</sup> Z
- Sensitivity to Z/Z' mixing
- Sensitivity to vector (and tensor) couplings of the Z
  - the photon does not "disturb"

- Sensitivity to interference effects of Z and photon!!
- Measured couplings of photon and Z can be influenced by new physics effects
- Interpretation of result is greatly supported by precise input from Z pole











# Precision on couplings and helicity amplitudes in ee->bb







- Couplings are order of magnitude better than at LEP
  - In particular right handed couplings are much better constrained
- New physics can also influence the Zee vertex
  - in 'non top-philic' models
- Full disentangling of helicity structure for all fermions only possible with polarised beams!!





## New resonances



- ALR is "simple counting" measurement
- Errors?
  - On Z-Pole
    - Energy dependency  $(dA_{IR}/d\sqrt{s} \sim 2x10^{-5}/MeV)$  due to  $\gamma/Z$  interference
      - Need excellent calibration of  $\sqrt{s}$ , 1 MeV seems possible
    - Beam polarisation (Blondel scheme and polarimeters):
      - Residual uncertainty of  $\Delta A_{IR} = 0.5 \times 10^{-4}$  seems possible
    - Details see talk on Thursday in Track 1 session
    - Precision  $\Delta A_{\mu} = 1 \times 10^{-4}$  is a realistic assumption for GigaZ

$$\delta {
m sin}^2 heta_{
m eff.}^\ell \sim 1.3 \cdot 10^{-5}$$

- Radiative return
  - Mainly limited by statistics  $\Delta A_{\mu} = 1.4 \times 10^{-4}$
  - Beam polarisation  $\Delta A_{IR} = 0.5 \times 10^{-4}$  (More processes available)
  - Energy dependence 1000 x weaker than on Z-pole





## **Precision on Z-pole**



- · Precise measurement of  $\sin^2 \theta_{\text{eff}}^{\ell}$ 
  - Ten times better than LEP/SLD and competitive with FCC

  - Polarisation compensates for ~30 times luminosity • ... and  $A_{IR}$  at LC can benefit from hadronic Z decays
  - No assumption on lepton universality at LC
- Complete test of lepton universality
  - Precisions of order 0.05%
- Note excellent measurement of quark asymmetries See above for ee->bb at 250 GeV • More details in talks by A. Irles and R.P. in

  - parallel sessions





## Example: b couplings and helicity amplitudes



N.B.: ee->cc is new kid on the block See talk in parallel session by A. Irles

- Spectacular sensitivity to new physics in Randall Sundrum Models with warped extra dimensions
  - Complete tests only possible at LC
  - Discovery reach O(10 TeV)@250 GeV and O(20 TeV)@500 GeV
- Pole measurements critical input
  - Only poorly constrained by LEP
- Pole measurements will (most likely) influence also top electroweak precision program
  - (t,b) doublet







# What about the Higgs?





# Fitting Higgs Couplings – Kappa and EFT

## Couplings to Higgs Boson in Standard Model





## Analysis using Kappa-fit:

- Simple scaling of SM-couplings
- Implies that Higgs coupling to Z in production and decay are identical
- No new operators

## Analysis using EFT-fit:

- Introducing set of SU(2)xU(1) compatible operators
- e.g. breaks simple relation between Higgs production and decay
- Total width and Higgs to invisible as free parameters
- Receives additional input from e.g. ee->WW and EWPO

$$\frac{\Gamma(h\to ZZ^*)}{SM} = \kappa_Z^2 \ ,$$

$$\Gamma(h \to ZZ^*)/SN$$
  
 $\sigma(e^+e^- \to Zh)/SN$ 







 $\frac{\sigma(e^+e^- \rightarrow Zh)}{SM}$  $=\kappa_z^2$ 





# **EFT Framework and EWPO**

## Corrections to Zee-vertex due to additional terms in EFT





- Model independent, clean  $A_{_e}$  from  $A_{_{LR}}$  and  $\varGamma_{_e}$  from  $R_{_e}$  to constrain EFT fit
  - (again) No assumption of Lepton Universality
- Mild but visible improvement on some Higgs couplings at 250 GeV
  - Effect stronger in fit presented in 1905.03764 (see backup and talk by G. Durieux)











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# • EFT adds additional spin structure to ZH

## • Precision for 2ab<sup>-1</sup> polarised = 5ab<sup>-1</sup> unpolarised



- ILC is electroweak precision machine
  - Most of the electroweak parameters are limited by systematics, not statistics
- ILC can (should) be run on the Z-pole
  - Electroweak precision observables deliver decisive input for interpretation at higher energies
- Full exploitation of physics potential by large energy coverage and polarised beams
  - Clean model independent measurements due to beam polarisation
    - => Superior to circular colliders due to larger set of observables
    - Tests of lepton universality
  - Measurement of patterns for indirect discovery of new physics
    - Spectacular mass reach for new physics already art 250 GeV demonstrated
    - Flexibility of beam energy allows for systematic tracing of the the onset of new physics
- Energy expandability opens access to
  - Top quark precision studies including tth (see talk by M. Perello)
  - Access to HHH coupling (see talk by G. Durieux)
  - Flexible response to produce directly new particles (to not get stucked just before the "new" Higgs)





## Heavy Higgs decays at LHC



Plot by F. Maltoni, Seminar at LAL, Comment by R.P.

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# Backup











- SM does not provides no explanation for mass spectrum of fermions (and gauge bosons)

- Fermion mass generation closely related to the origin electroweak symmetry breaking

- Expect residual effects for particles with masses closest to symmetry breaking scale

Strong motivation to study chiral structure of heavy quark vertices in high energy e+e- collisions





# New physics below tt threshold? - Example b quark couplings



- High precision e+e- collider will give final word on anomaly
- In case it will persist polarised beams will allow for discrimination between effects on left and right handed couplings
- Randall Sundrum Models generate basically automatically a symmetry group of type SU(2)





Randall Sundrum Models Djouadi/Richard '06



	$\sqrt{s}$	beam polarisation	∫Ldt for Higgs	R&D ph
ILC	0.1 - 1 TeV	e-: 80% e+: 30%	2000 fb-1 @ 250 GeV 200 fb-1 @ 350 GeV 4000 fb-1 @ 500 GeV	TDR comple in 20 <sup>-</sup>
CLIC	0.35 - 3 TeV	e-: (80%) e+: 0%	1000 fb-1 @ 380 GeV 2500 fb-1 @ 1.5 TeV 5000 fb-1 @ 3 TeV	CDR compl in 20 <sup>-</sup>
CEPC	90 - 240 GeV	e-: 0% e+: 0%	5600 fb-1 @ 240 GeV	CDR compl in 20 <sup>-</sup>
FCC-ee	90 - 350 GeV	e-: 0% e+: 0%	5000 fb-1 @ 250 GeV 1700 fb-1 @ 350 GeV	CDR compl in Jan 2

## Table courtesy of J. Brau

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# **Open questions**

TRA DIMENSIONS? OARK MATTER? H1665 CIDARK ENERGY? SUPERSYMMETRY? UNIFICATION ? OURNTUM UNIVERSE?





# The Standard Model is complete



- We know that there exists at least one fundamental scalar with a non-vanishing expectation value
- We don't know what shapes the potential and whether the potential is the footprint of a larger mass scale







# **Two fermion production and asymmetries**



- SU(2), xU(1), symmetry of Standard Model introduces forward backward asymmetry and Left-Right asymmetry, i.e.  $A_{i1} \neq A_{iR} = >$  Observables highly dependent on beam polarisation
- New physics implying **new vector bosons** will modify coefficients and asymmetries
- Discovery potential in e+e- is supported best by polarised beams





# **Feebly interacting particles – A summary**

Light scalar may be missing piece to trigger first order 1<sup>st</sup> phase transition and/or being the radion in extra dimension theories





- - Statistics helps at lowest masses
- better than ILC
  - Backgrounds taken correctly into account?
  - Similar at stable particle level





e+e- colliders extend limits considerably w.r.t. LHC

• CEPC, FCCee (>Z pole) limits order of magnitude

# **Circular Electron-Positron Colliders**





- ~100 km storage rings
- Coupled to hadron collider proposal
- 90 350 GeV cms energy
- No long. beam polarisation
- CDR completed January 2019 http://fcc-cdr.web.cern.ch



- ~100 km storage rings
- Coupled to hadron collider proposal
- 90 240 GeV cms energy
- No long. beam polarisation
- CDR completed September 2018
- Arxiv:1809.00285





## **Linear Electron-Positron Colliders**



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## Energy: 0.1 - 1 TeV Electron (and positron) polarisation TDR in 2013 + DBD for detectors Footprint 31 km

## Initial Energy 250 GeV – Footprint ~20km

## Energy: 0.4 - 3 TeV

## **CDR in 2012**

- Footprint 48km
- Initial Energy 380 GeV



# **New physics?**

EFT: Two distinct observations

Observables at fixed mass m (e.g. Z pole of Higgs decays)

$$\frac{\sigma}{\sigma_{SM}}\approx |1+\frac{c_6m^2}{\Lambda^2}|^2$$

Increasing UV scales probed in EFT achieved solely by increasing the measurement precision  $c_{e} \sim (g^{*})^{2}$ Typical experimental precision 0.1-1% High energy tails of distributions (e.g. Drell-Yan Productions

 $\frac{\sigma}{\sigma_{SM}} \approx |1 + \frac{c_6 E^2}{\Lambda^2}|^2$ 

Increasing UV scales probed in EFT achieved solely by increasing the energy scale of measurement precision

Typical experimental precision 10%





# **New physics?**

Polarized beams play a crucial role in disentangling the two spin structures

$$\sigma = \frac{2}{3} \frac{\pi \alpha_w^2}{c_w^4} \frac{m_Z^2}{(s - m_Z^2)} \frac{2k_Z}{\sqrt{s}} \left(2 + \frac{E_Z^2}{m_Z^2}\right) \cdot Q_Z^2 \cdot \left[1 + 2a + 2\frac{3}{(2a)}\right]$$

The a and b coefficients depend on beam polarization:

$$e_{L}^{-}e_{R}^{+} \qquad Q_{ZL} = \left(\frac{1}{2} - s_{w}^{2}\right), \qquad a_{L} = -c_{H}$$

$$b_{L} = c_{w}^{2}\left(1 + \frac{s_{w}^{2}}{1/2 - s_{w}^{2}}\frac{s - m_{Z}^{2}}{s}\right)(s)$$

$$e_{R}^{-}e_{L}^{+} \qquad Q_{ZR} = \left(-s_{w}^{2}\right), \qquad a_{R} = -c_{H}$$

$$b_{R} = c_{w}^{2}\left(1 - \frac{s - m_{Z}^{2}}{s}\right)(sc_{WW})$$

• Angular distributions in  $e^+e^- \rightarrow hZ$  can also be used, but have weaker analyzing power and require more luminosity to achieve the same result

M. Perelstein: AWLC2017



 $\left[\frac{3\sqrt{s}E_Z/m_Z^2}{2+E_Z^2/m_Z^2}\right] b$ 

 $8c_{WW}$ 





Higgs Recoil Mass:

$$M_{h}^{2} = M_{recoil}^{2} = s + M_{Z}^{2} - 2E_{Z}\sqrt{s}$$

- from e+e- colliders

DE L'ACCÉLÉRATEUR L I N É A I R E



• Clean and sharp peak in Z recoil spectrum

• Illustrates precision that can be expected



# **Higgs couplings – Impact of TGC**









## **Higgs production at e+e- colliders**



two important thresholds:  $\sqrt{s}$  ~ 250 GeV for ZH, ~500 GeV for ZHH and ttH









# **Precision on Higgs Physics – Kappa framework**



- Assumption: HL-LHC basically completed before e+e- machine starts
- ILC250 already powerful program (needs however e.g. top-Yukawa as input)
- Higher energies beneficial for total width and top-Yukawa couplings (fit constraints and H->γγ)





# **Top Yukawa Coupling**



- Coupling of Higgs to heaviest particle known today
- Up to eight final state jets



	····il(	n ,	clc
√s[GeV]	550	1000	1400
L[ab-1]	4	8	2
δyt/yt[%]	2.8	2.0	2.7





# **The Higgs Potential**





Perfect (electroweak) symmetry and massless particles

Broken (electroweak) symmetry and massive particles

Two questions:

• Shape of "today's" Higgs Potential?

$$V(\eta) = \frac{1}{2}m^2\eta^2 + \lambda \eta^3 + \frac{1}{4}\lambda \eta^4 =>$$
 Triple Higgs-self coupling

• Transition from symmetric, unbroken to broken phase?















- Coexistence Two minima at 0 and v at T

=> 1<sup>st</sup> order phase transition and development into "today's" shape at T=0

The discovered Higgs is too heavy to provoke a 1<sup>st</sup> order phase transition

=> New physics needed





## - No coexistence of two minima at 0 and v

## => Cross over into "today's" shape at T=0





- New (bosonic) particle may modify  $\lambda$  and enable 1<sup>st</sup> order phase transition

- Impact on measurements and achievable precisions of  $\lambda$  ?



## Deviations of $\lambda$ from **SM Value**





- Remarkable sensitivity of 500 GeV machine in case of large upward deviation
- 1 TeV machine superior for large upward and downward deviations







## **Science drivers**



Elementary Scalar?



- Higgs and top quark are intimately coupled!
   Top Yukawa coupling O(1) !
   Top mass important SM Parameter
- New physics by compositeness? Higgs <u>and</u> top composite objects?





- e+e- collider perfectly suited to decipher both particles







- Precise Top (and W) mass crucial to test compatibility of measured Higgs mass
- SM might not be sufficient to explain Higgs mass
- LHC may not reach sufficient discriminative power
- A lepton collider will for sure





# **Top pair production at threshold**



- Decay of top quark smears out resonances in a well defined way





# **Top threshold scans at different e+e- colliders**







Top-Higgs couplings in "presence" of heavy particles



- Heavy particles, e.g. (Kaluza Klein) "duplicas" of SM particles provoke sizable effects
- Sensitivity to CP Violation !?







## Accuracy on CP conserving couplings



- e+e- collider might be up to two orders of magnitude more precise than LHC ( $\sqrt{s} = 14 \text{ TeV}$ )
- Large disentangling of couplings for ILC thanks to polarised beams
- Final state analysis at FCCee
  - Also possible at LC => Redundancy
- Note
  - Maximal Lumi scenario for FCCee
  - Minimal Lumi scenario for ILC (~factor 4 possible with increased lumi and improved selection)

Arxiv:1503.01325 corrected for ILC values published in 1505.06020

> LC promises to be high precision machine for electroweak top couplings EFT Analysis for CLIC predicts mass reaches well above 10 TeV





# Light scalar study in ILD

Light scalar may be missing piece to trigger first order 1<sup>st</sup> transition and/or the being the radion in extra dimension theories



- New resonances cleanly dinstiguishable for large range of masses
- Sensitivity to mixing angle  $\theta$ h down to  $10^{-2}$  (taking all relevant backgrounds into account)
- <sup>L</sup>new scalar would count as "Feebly interacting Particle" (FIPS)









## ILC 500 GeV, 4 ab-1 & 1 TeV, 8 ab-1 $\delta \lambda = 10\%$

## CLIC 1.4 TeV, 1.5 ab-1 & 3 TeV, 2 ab-1 $\delta \lambda = 10\%$



# **Electroweak top couplings**

Top is primary candidate to be a messenger new physics in many BSM models



Precision expected for top quark couplings will allow to distinguish between models Remark: All presented models are compatible with LEP elw. precision data



Statistical error:  $\sqrt{s} \sim 500 \text{ GeV}$ L = 500 fb<sup>-1</sup>



## htautau









ILC is the only machine that can be built now
European XFEL gives credbility for construction





## **ILC Parameters**

-			TDR		New
Center-of-mass energy	ECM	GeV	250	500	250
Bunch population	N	e10	2	2	2
Bunch separation		ns	554	554	554
Beam current		mA	5.78	5.78	5.78
Number of bunches per pulse	Nb		1312	1312	1312
Collision frequency		Hz	5	5	5
Electron linac rep rate		Hz	10	5	5
Beam power (2 beams)	PB	MW	5.26	10.5	5.26
r.m.s. bunch length at IP	σ	mm	0.3	0.3	0.3
relative energy spread at IP (e-)	$\sigma_E/E$	%	0.188	0.124	0.188
relative energy spread at IP (e+)	$\sigma_{E}/E$	%	0.15	0.07	0.15
Normalized horizontal emittance at					
IP	Enx	μm	10	10	5
Normalized vertical emittance at IP	Eny	nm	35	35	35
Beam polarization (e-)		%	80	80	80
Beam polarization (e+)		%	30	30	30
Beta function at IP (x)	βx	mm	13	11	13
Beta function at IP (y)	β	mm	0.41	0.48	0.41
r.m.s. beam size at IP (x)	σ	nm	729	474	516
r.m.s. beam size at IP (y)	σ	nm	7.66	5.86	7.66
r.m.s. beam angle spread at IP (x)	θ	μr	56.1	43.1	39.7
r.m.s. beam angle spread at IP (y)	θγ	μr	18.7	12.2	18.7
Disruption parameter (x)	Dx		0.26	0.26	0.51
Disruption parameter (y)	Dy		24.5	24.6	34.5
Upsilon (average)	Y		0.020	0.062	0.028
Number of beamstrahlung photons	ny		1.21	1.82	1.91
Energy loss by beamstrahlung	δ <sub>BS</sub>	%	0.97	4.50	2.62
Geometric luminosity	Lgeo	e34/cm <sup>2</sup> s	0.374	0.751	0.529
Luminosity	L	e34/cm <sup>2</sup> s	0.82	1.79	1.35





## **FCC-ee Parameters**

		Z	$W^{\pm}$	Zh	t	t
Circumference	[km]			97.756		
Bending radius	[km]			10.760		
Free length to IP $\ell^*$	[m]			2.2		
Solenoid field at IP	[T]			2.0		
Full crossing angle at IP	[mrad]			30		
SR power / beam	[MW]			50		
Beam energy	[GeV]	45.6	80	120	175	182.5
Beam current	[mA]	1390	147	29	6.4	5.4
Bunches / beam	200 - 200 C 100 - 200 200	16640	2000	328	59	48
verage bunch spacing	[ns]	19.6	163	994	$2763^{1}$	3396??
Sunch population	[10 <sup>11</sup> ]	1.7	1.5	1.8	2.2	2.3
Iorizontal emittance $\varepsilon_x$	nm	0.27	0.84	0.63	1.34	1.46
Vertical emittance $\varepsilon_y$	[pm]	1.0	1.7	1.3	2.7	2.9
Arc cell phase advances	deg	60/60	60/60		90/90	
fomentum compaction	$[10^{-6}]$	14.8	14.8		7.3	
rc sextupole families		20	08		292	
orizontal $\beta_{\pi}^{*}$	m	0.15	0.2	0.3	1	.0
Vertical $\beta_{*}^{*}$	[mm]	0.8	1.0	1.0	1	.6
lorizontal size at IP $\sigma_{\pi}^{*}$	[µm]	6.4	13.0	13.7	36.7	38.2
ertical size at IP $\sigma_{u}^{*}$	[nm]	28	41	36	66	68
nergy spread (SR/BS)	[%]	0.038/0.132	0.066/0.131	0.099/0.165	0.144/0.196	0.150/0.192
unch length (SR/BS)	mm	3.5/12.1	3.0/6.0	3.15/5.3	2.75/3.82	1.97/2.54
rab sextupole ratio	[%]	97	87	80	50	50
nergy loss / turn	[GeV]	0.036	0.34	1.72	7.8	9.2
F frequency	[MHz]		400		400	/ 800
F voltage	[GV]	0.1	0.75	2.0	4.0 / 5.4	4.0 / 6.9
ong. damping time	[turns]	1273	236	70.3	23.1	20.4
RF acceptance	[%]	1.9	2.3	2.3	3.5	3.36
Energy acceptance (DA)	1%	$\pm 1.3$	$\pm 1.3$	$\pm 1.7$	-2.8	+2.4
Synchrotron tune $Q_z$		-0.0250	-0.0506	-0.0358	-0.0818	-0.0872
uminosity / IP	$[10^{34}/cm^{2}s]$	230	28	8.5	1.8	1.55
lorizontal tune $Q_x$		269.139	269.124	389.129	389	.104
Vertical tune $Q_y$		269.219	269.199	389.199	389	.175
Beam-beam $\xi_x/\xi_y$		0.004/0.133	0.010/0.115	0.016/0.118	0.088/0.148	0.099/0.126
lifetime by rad. Bhabha	[min]	68	59	38	37	40
Actual lifetime by BS	min	> 200	> 200	18	24	18

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## **CEPC** Parameters

	Higgs	W	Z (3T)	Z (2T)			
Number of IPs	2						
Beam energy (GeV)	120	80	45.5				
Circumference (km)		100					
Synchrotron radiation loss/turn (GeV)	1.73	0.34	0.0	0.036			
Crossing angle at IP (mrad)		16.5×	2				
Piwinski angle	2.58	7.0	23	3.8			
Number of particles/bunch $N_e$ (10 <sup>10</sup> )	15.0	12.0	8	.0			
Bunch number (bunch spacing)	242 (0.68µs)	1524 (0.21µs)	12000 (25n	s+10%gap)			
Beam current (mA)	17.4	87.9	46	1.0			
Synchrotron radiation power /beam (MW)	30	30	16	5.5			
Bending radius (km)		10.7					
Momentum compact (10 <sup>-5</sup> )		1.11					
$\beta$ function at IP $\beta_x * / \beta_v * (m)$	0.36/0.0015	0.36/0.0015	0.2/0.0015	0.2/0.001			
Emittance $\varepsilon_r / \varepsilon_v$ (nm)	1.21/0.0031	0.54/0.0016	0.18/0.004	0.18/0.0016			
Beam size at IP $\sigma_r / \sigma_v (\mu m)$	20.9/0.068	13.9/0.049	6.0/0.078	6.0/0.04			
Beam-beam parameters $\xi_{\nu}/\xi_{\nu}$	0.031/0.109	0.013/0.106	0.0041/0.056	0.0041/0.072			
RF voltage $V_{RF}$ (GV)	2.17	0.47	0.	0.10			
RF frequency $f_{RF}$ (MHz) (harmonic)		650 (216	816)				
Natural bunch length $\sigma_{z}$ (mm)	2.72	2.98	2	2.42			
Bunch length $\sigma_{z}$ (mm)	3.26	5.9	8	.5			
Betatron tune $v_x/v_y$		363.10 / 3	65.22				
Synchrotron tune $v_s$	0.065	0.0395	0.0	0.028			
HOM power/cavity (2 cell) (kw)	0.54	0.75	1.94				
Natural energy spread (%)	0.1	0.066	0.038				
Energy acceptance requirement (%)	1.35	0.4	0.23				
Energy acceptance by RF (%)	2.06	1.47	1.7				
Photon number due to beamstrahlung	0.29	0.35	0.55				
Lifetime simulation (min)	100						
Lifetime (hour)	0.67	1.4	4.0	2.1			
F (hour glass)	0.89	0.94	0.	99			
Luminosity/IP L (10 <sup>34</sup> cm <sup>-2</sup> s <sup>-1</sup> )	2.93	10.1	16.6 32.1				

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