

Systematic studies for high precision heavy quark analyses

Adrian Irlles, François Richard, Roman Pöschl

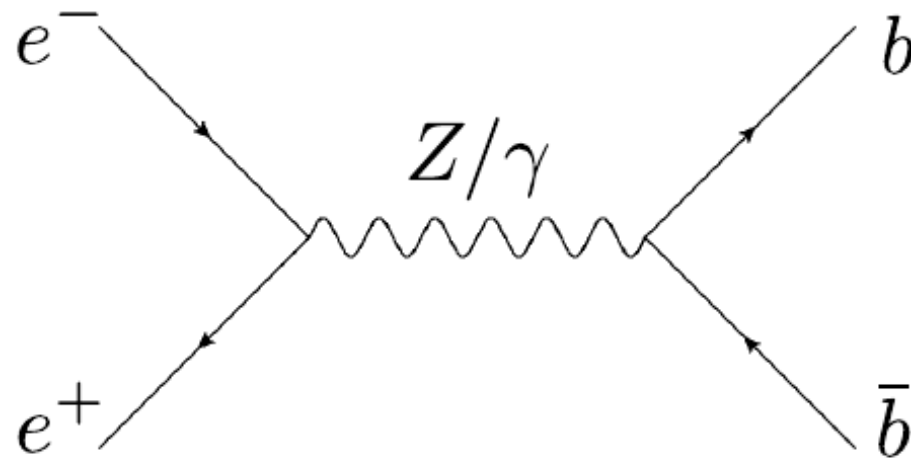


On behalf of the  Collaboration

LCWS 2019 October/November 2019, Sendai Japan

$$R_b^0 = \Gamma_{b\bar{b}} / \Gamma_{\text{had}}$$

b-quark identification. No need to measure an angular distribution, a priori.



$$\frac{d\sigma}{d\cos\theta}$$

The angular distribution relies on the jet charge measurement

$$A_{FB} = \frac{N_F - N_B}{N_F + N_B}$$

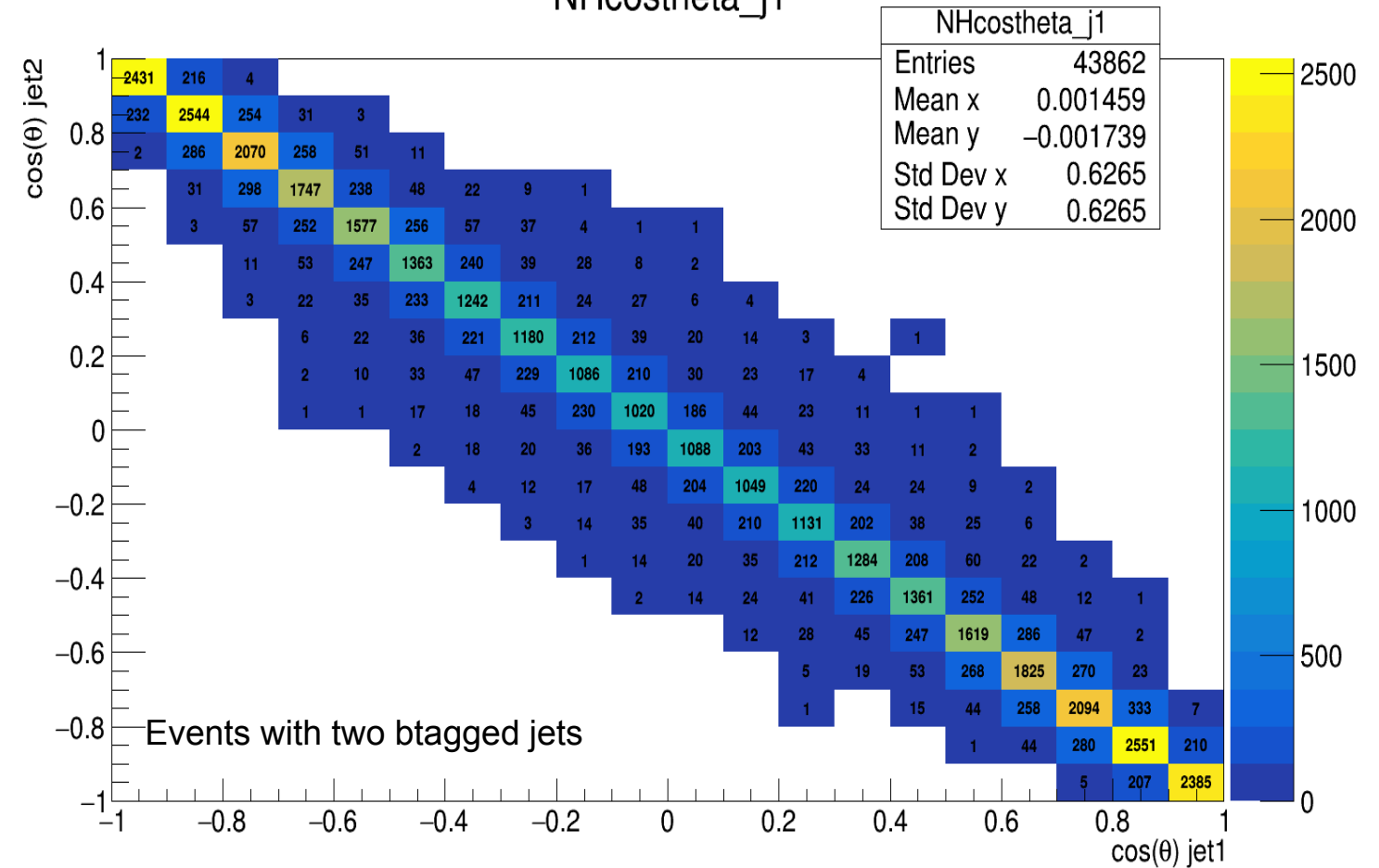
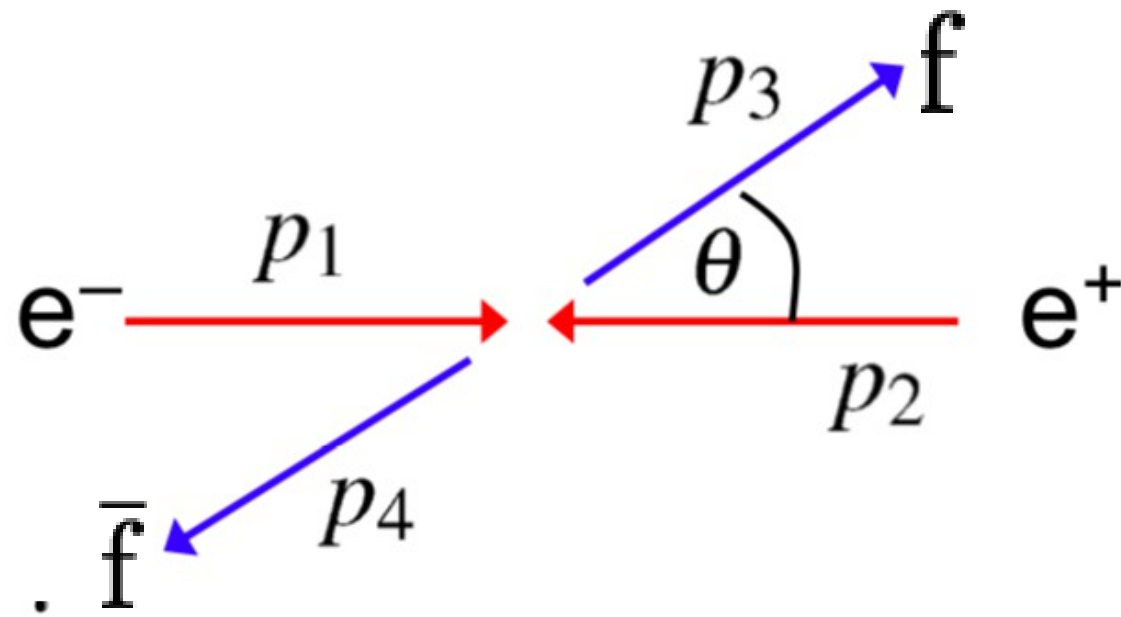
The b-quark polar angle is defined as a polar angle of the vector

$$\vec{p}_{b\bar{b}} = \vec{p}_b - \vec{p}_{\bar{b}},$$

N.B.: Will focus on b-quarks but same arguments hold of course for c-quarks and other quarks

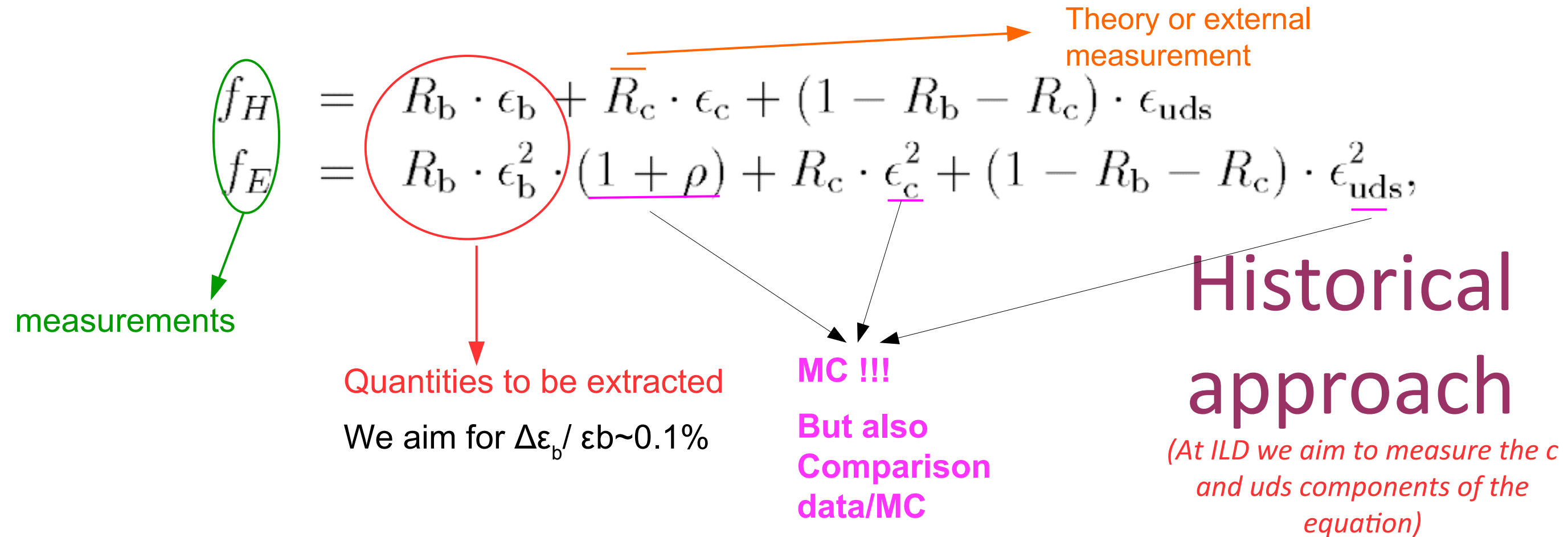
$$\cos(\theta_{\vec{p}_{b\bar{b}}}) = \cos(\theta_{b\bar{b}}) \approx \frac{\cos(\theta_b) - \cos(\theta_{\bar{b}})}{2} \approx \cos(\theta_b) \approx -\cos(\theta_{\bar{b}})$$

NHcostheta_j1



- Jets in different hemispheres of (a priori) symmetric detector
- Jets maximally separated from each other
- Starting point for all correlation studies at LEP/SLC
 - => Safe ground to resume corresponding studies for Linear Collider

- To start with we reproduce LEP/SLD (i.e. Eur.Phys.J. C10 (1999) 415-442)
- We compare single vs double tagged topologies.
 - fH = fraction of events in which we had at least one hemisphere b-tagged
 - fE = fraction of events in which we both hemispheres b-tagged



Correlation function used by SLC: arxiv:0503005

$$C = \sum_i \epsilon(\cos \theta_i) \cdot \epsilon(-\cos \theta_i) f(\cos \theta_i) / \bar{\epsilon}^2$$

Correlation function used by DELPHI

Eur.Phys.J. C10 (1999) 415-442

$$\rho_\theta = \frac{2 \int_0^{z_{max}} dz f(z) \epsilon_b(z) \cdot \epsilon_b(-z)}{\left(\int_{-z_{max}}^{z_{max}} dz f(z) \epsilon_b(z) \right)^2} - 1, \quad z = \cos \theta.$$

- It is easy to see that both functions are completely equivalent
- Correlation functions measure inhomogeneities in the detector
- Procedure exploits that the value of the test variable is correlated between detector hemispheres
 - i.e. One jet at $\cos\theta$ means the other at $-\cos\theta$

	LEP	SLD
	<i>Eur.Phys.J. C10 (1999) 415-442</i>	<i>Phys.Rev. D71 (2005) 112004</i>
ϵ_b	$29.5 \pm 0.18 \%$ (data) 28.2% (MC)	$62.01 \pm 0.24 \%$ (data) $61.78 \pm 0.03 \%$ (MC)
ρ	$3.4 \pm 0.5 \%$ (MC, analysis1) $2.0 \pm 0.3 \%$ (MC, analysis2)	$0.6 \pm 0.4 \%$ (MC, analysis1) $-0.02 \pm 0.3 \%$ (MC, analysis2)
ϵ_c	$0.38 \pm 0.03 \%$ (MC)	$1.19 \pm 0.01 \%$ (MC)
ϵ_{uds}	$0.052 \pm 0.008 \%$ (MC)	$0.134 \pm 0.003 \%$ (MC)

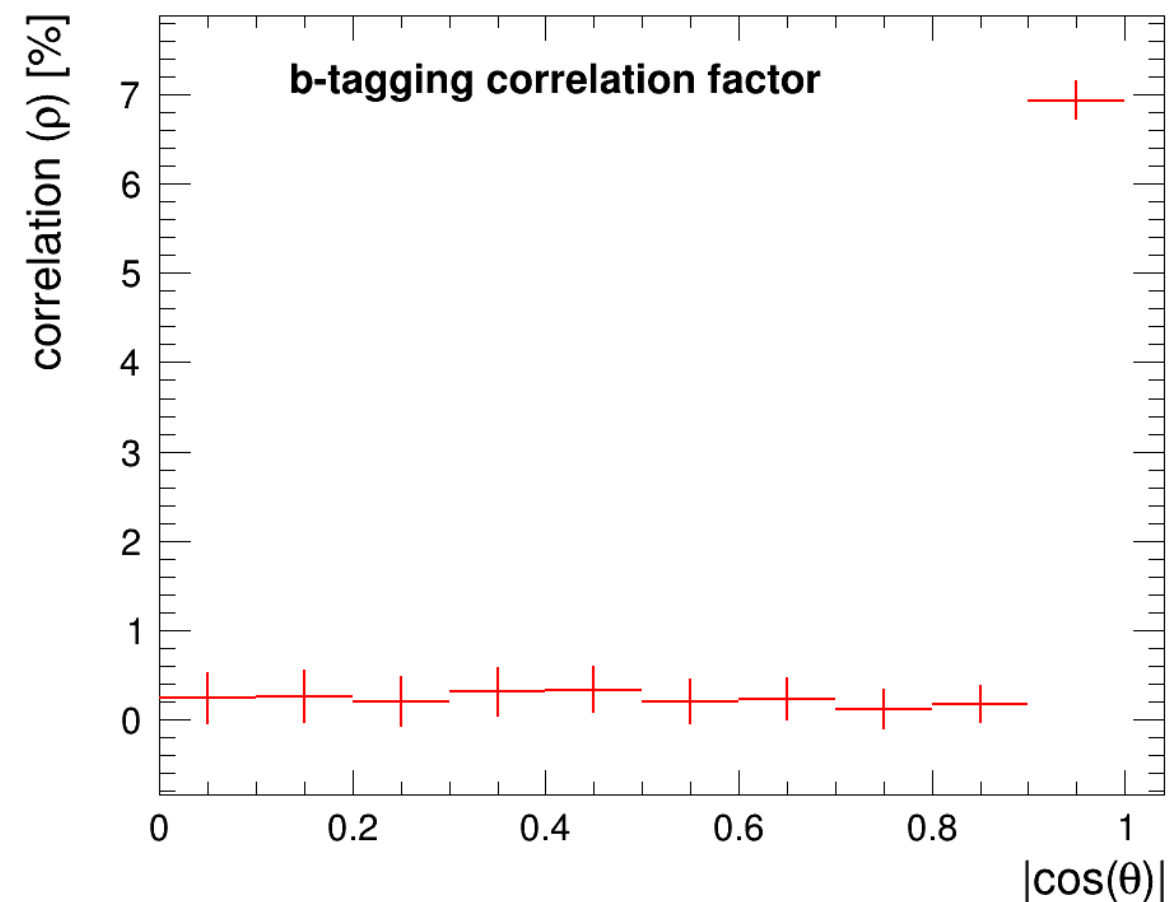
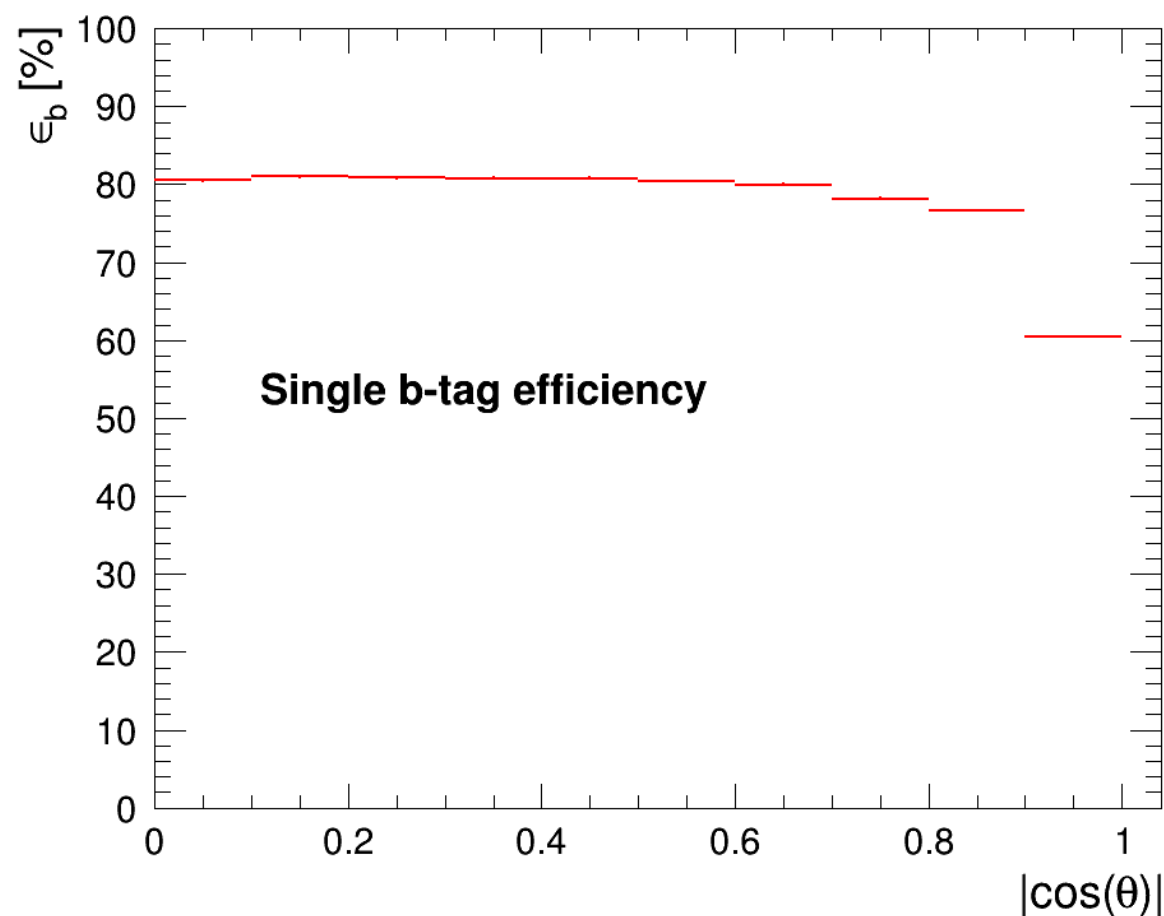
$|\epsilon_b(\text{data}) - \epsilon_b(\text{MC})|/\epsilon_b \approx 1\% !!$ while
our goal is

- $\Delta\epsilon_b/\epsilon_b \sim 0.1\%$

- ρ plays a main role in the determination of R_b i.e. to correct ϵ_b for detector inhomogeneities
- Main sources of correlations
 - **Angular correlations: beam spot shape (primary vertex determination!),** loss of acceptance of the detector, detector inhomogeneities...
 - **QCD effects: gluon emission** that modifies the energy of both quarks.

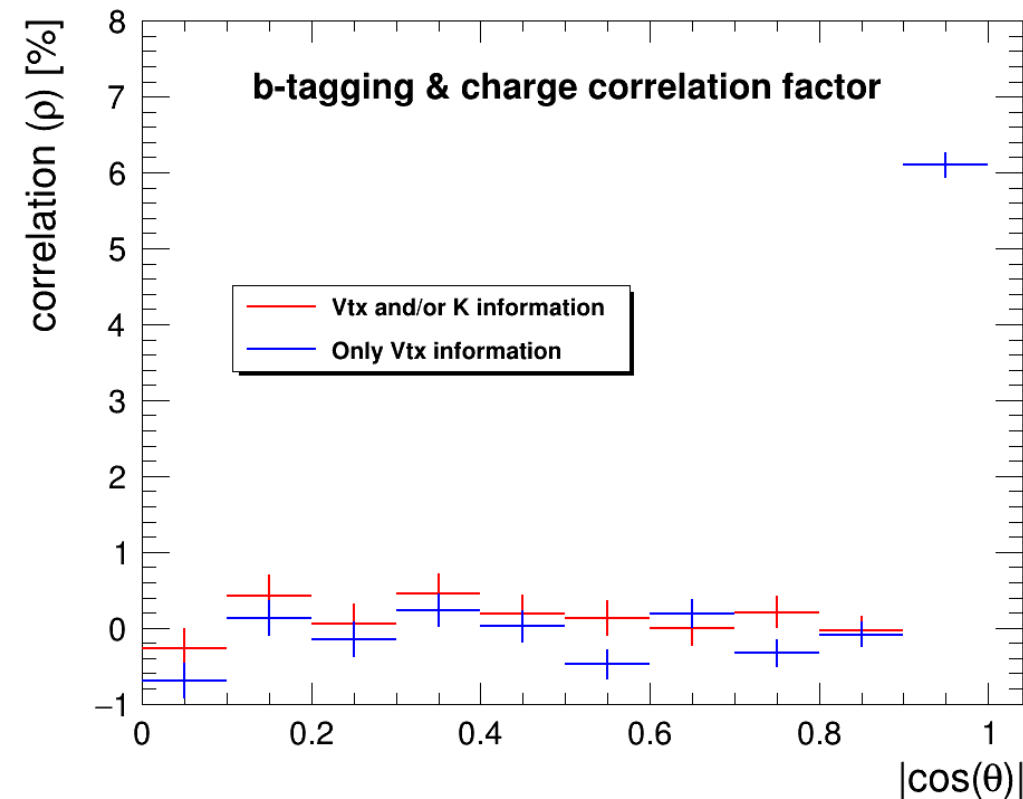
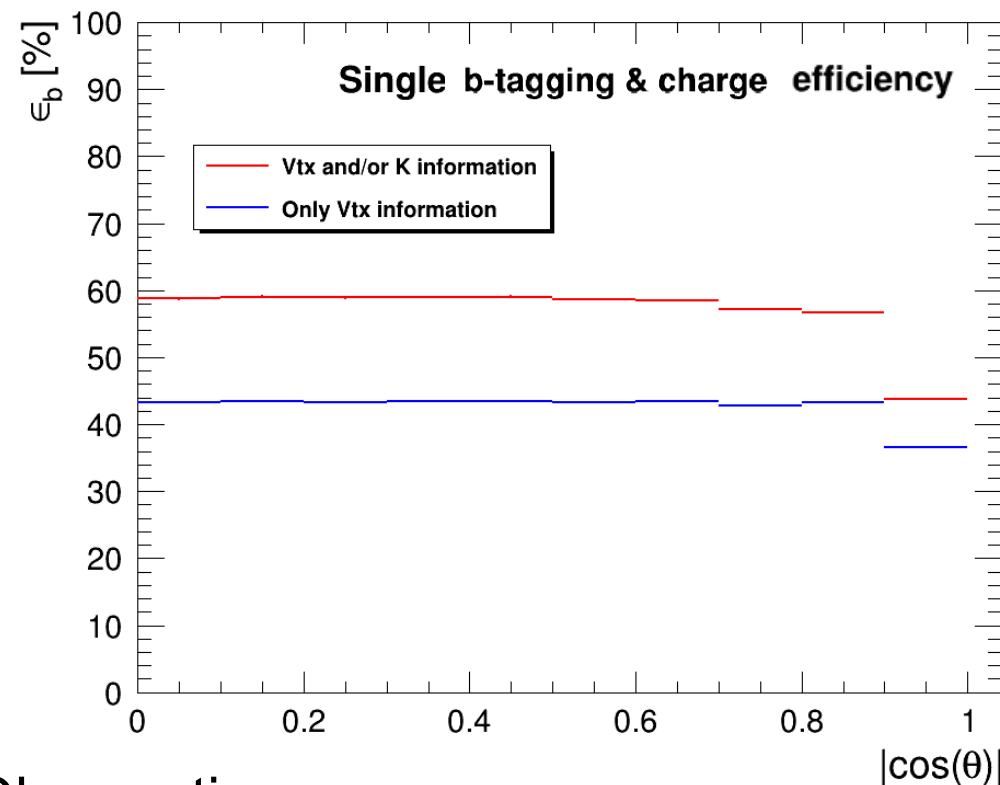
- LEP (large beam spot): $\rho \approx 2\% \rightarrow \Delta R_b \approx 0.2\%$
- SLC (smaller beam spot): $\rho < 1\% \rightarrow \Delta R_b \approx 0.07\%$
- ILD (tiny beam spot): $\rho \sim 0?$

- As a function of $\cos\theta$, removing the c and uds components



- There is no angular dependence of the correlation factor below $\cos\theta=0.9$

- LEP & SLD were not able to fully exploit the double tagging potential:
 - Due to the smaller efficiency (w.r.t. ILC) and lack of statistics.
- ILC will also be able to exploit the **double charge measurements** to measure angular spectra.
- Extension of introduced procedure but now also the charge measurement (i.e. using the Vertex charge measurement).



- Observations:
 - About stable efficiency in central region (=full detector acceptance)
 - Small dependence on angle of correlation.

	LEP	SLD	ILC (only b-tag)	ILC (btag & charge)
	<i>Eur.Phys.J. C10 (1999) 415-442</i>	<i>Phys.Rev. D71 (2005) 112004</i>	<i>MC (250fb-1 left + 250 fb-1 right)</i>	<i>MC (250fb-1 left + 250 fb-1 right)</i>
ϵ_b	$29.5 \pm 0.18 \%$ (data) 28.2% (MC)	$62.01 \pm 0.24 \%$ (data) $61.78 \pm 0.03 \%$ (MC)	$77.94 \pm 0.13 \%$ (« data »)	$58.55 \pm 0.12 \%$ (« data »)
ρ	$3.4 \pm 0.5 \%$ (MC, analysis1) $2.0 \pm 0.3 \%$ (MC, analysis2)	$0.6 \pm 0.4 \%$ (MC, analysis1) $-0.02 \pm 0.3 \%$ (MC, analysis2)	$0.2 \pm 0.1 \%$ (MC)	$0.12 \pm 0.1 \%$ (MC)
ϵ_c	$0.38 \pm 0.03 \%$ (MC)	$1.19 \pm 0.01 \%$ (MC)	$2.158 \pm 0.007 \%$ (MC)	$1.584 \pm 0.007 \%$ (MC)
ϵ_{uds}	$0.052 \pm 0.008 \%$ (MC)	$0.134 \pm 0.003 \%$ (MC)	$0.216 \pm 0.002 \%$ (MC)	$0.146 \pm 0.001 \%$ (MC)

Integrating for all angles smaller than $\cos(\theta)=0.8$

- **ρ is very small !!**
- Negligible angular dependence of the correlation factor.
- First look at QCD effects seem to be well under control due to the cuts applied against radiation

With 2000fb^{-1} , we can achieve the $\Delta\epsilon_b / \epsilon_b \sim 0.1\%$!!

The uncertainties associated to ρ will have minimal impact in the final observable

$$\begin{aligned} f_H &= R_b \cdot \epsilon_b + \bar{R}_c \cdot \epsilon_c + (1 - R_b - R_c) \cdot \epsilon_{uds} \\ f_E &= R_b \cdot \epsilon_b^2 \cdot (1 + \rho) + R_c \cdot \epsilon_c^2 + (1 - R_b - R_c) \cdot \epsilon_{uds}^2, \end{aligned}$$

With standard b-tagging cuts, we get:

$$\epsilon_b = 58.55 \pm 0.06 \% \text{ (MC)}$$

$$\rho = 0.15 \pm 0.1 \% \text{ (MC stats, similar than in SLD/LEP in which were dominant)}$$

mistagging c's:

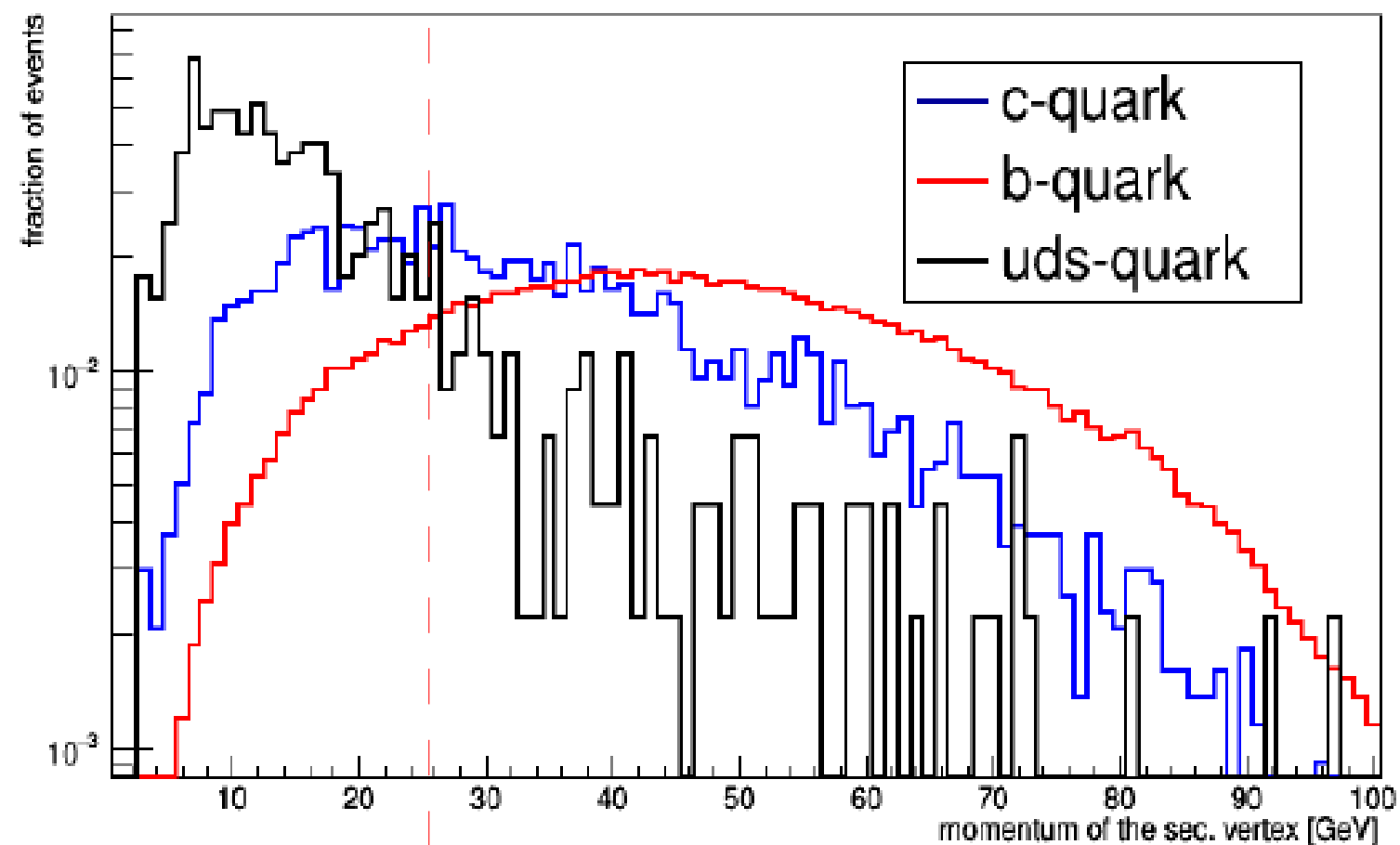
$$\epsilon_c = 1.584 \pm 0.007 \% \text{ (MC stat, but } \Delta\epsilon_c / \epsilon_c \text{ syst } \sim 1\text{-}10\% \text{ if measured with MC)}$$

See talk by A. Irlès on ee→cc (shows at least that we start to control cc production)

mistagging uds's:

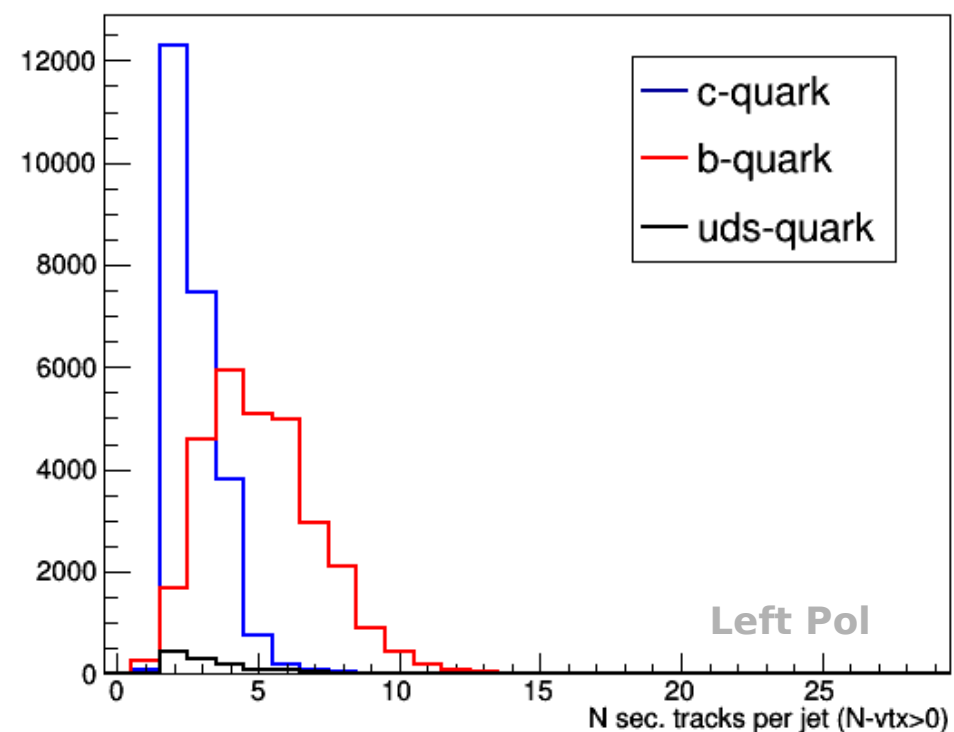
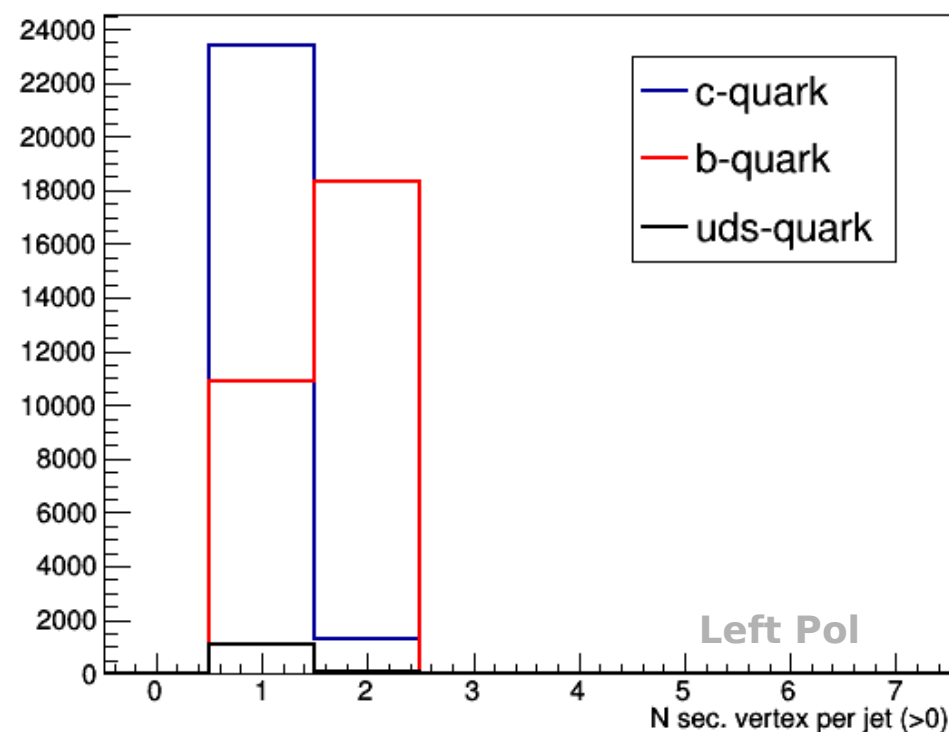
$$\epsilon_{uds} = 0.153 \pm 0.002 \% \text{ (MC stat but the error associated to } (g \rightarrow bb) \text{ is } \Delta\epsilon_c / \epsilon_c \sim 10\%)$$

Excellent b-uds separation required



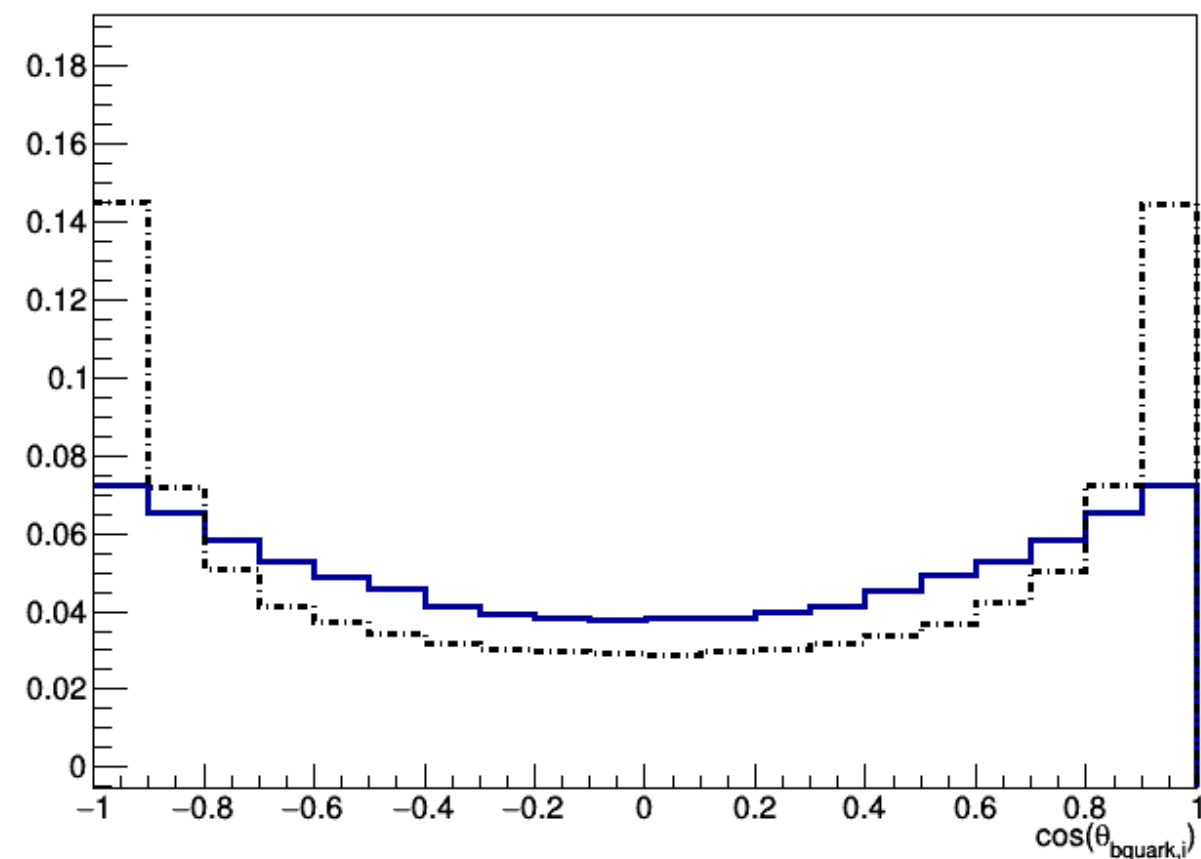
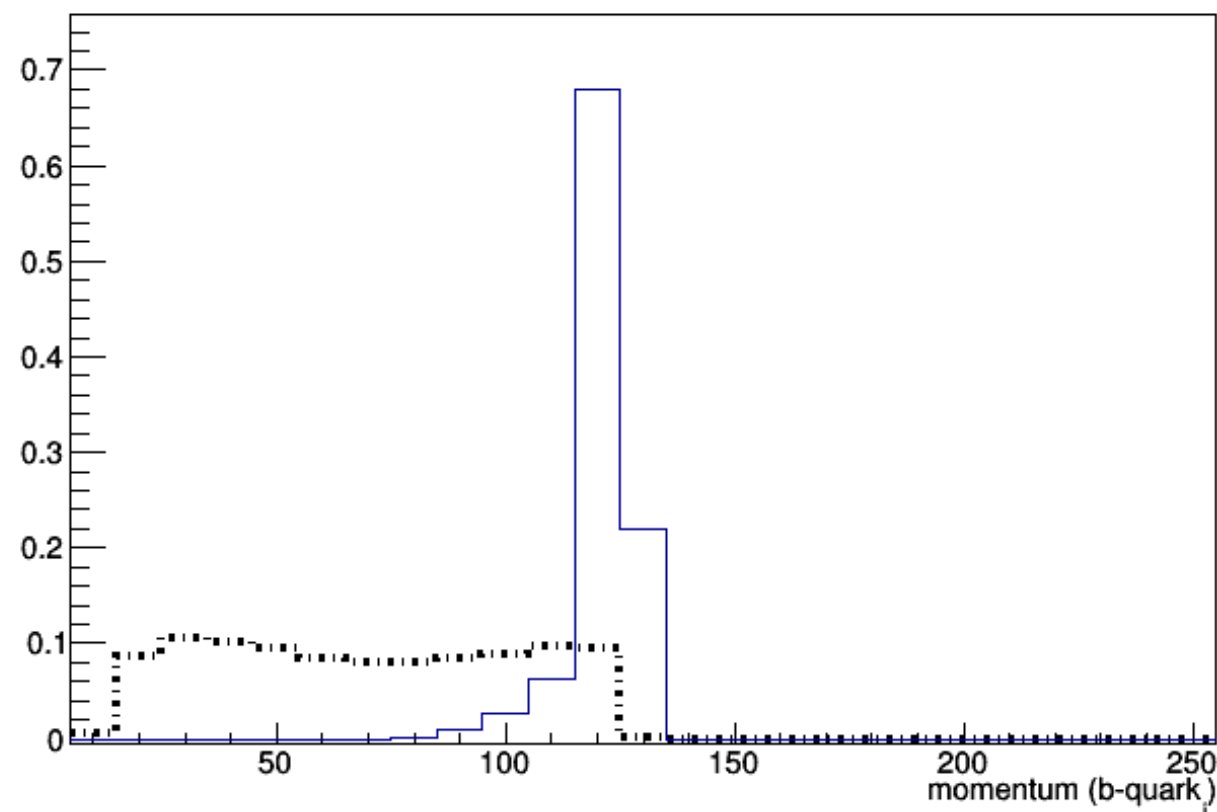
- Vertex momentum seems to be efficient cut against uds w/o sacrificing too much signal

- Vertex tracks?

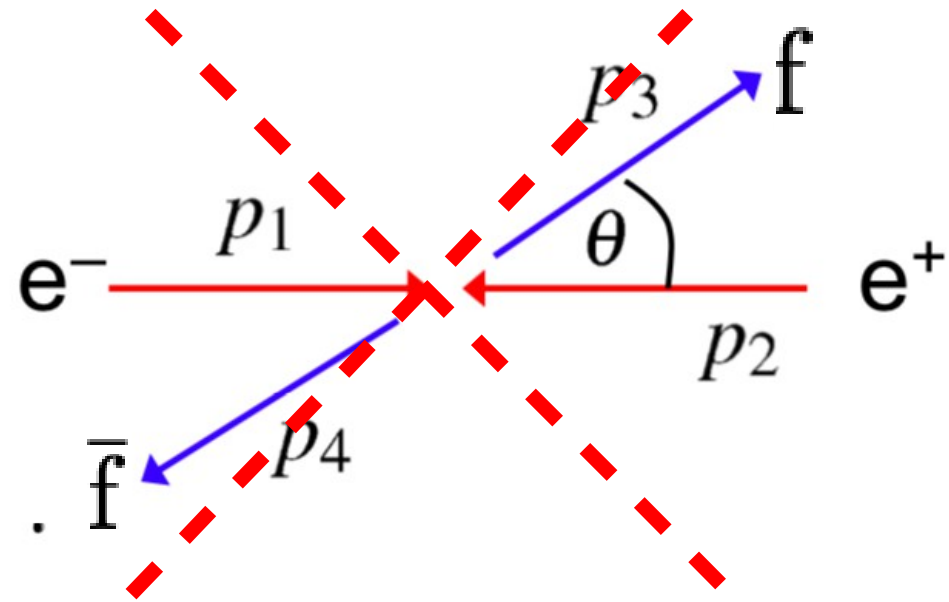


- **Requiring at least 1 secondary vertex mostly suppresses all uds background.**
- Requiring less than 2 secondary vertexes will kill 60% of the b-quark background.

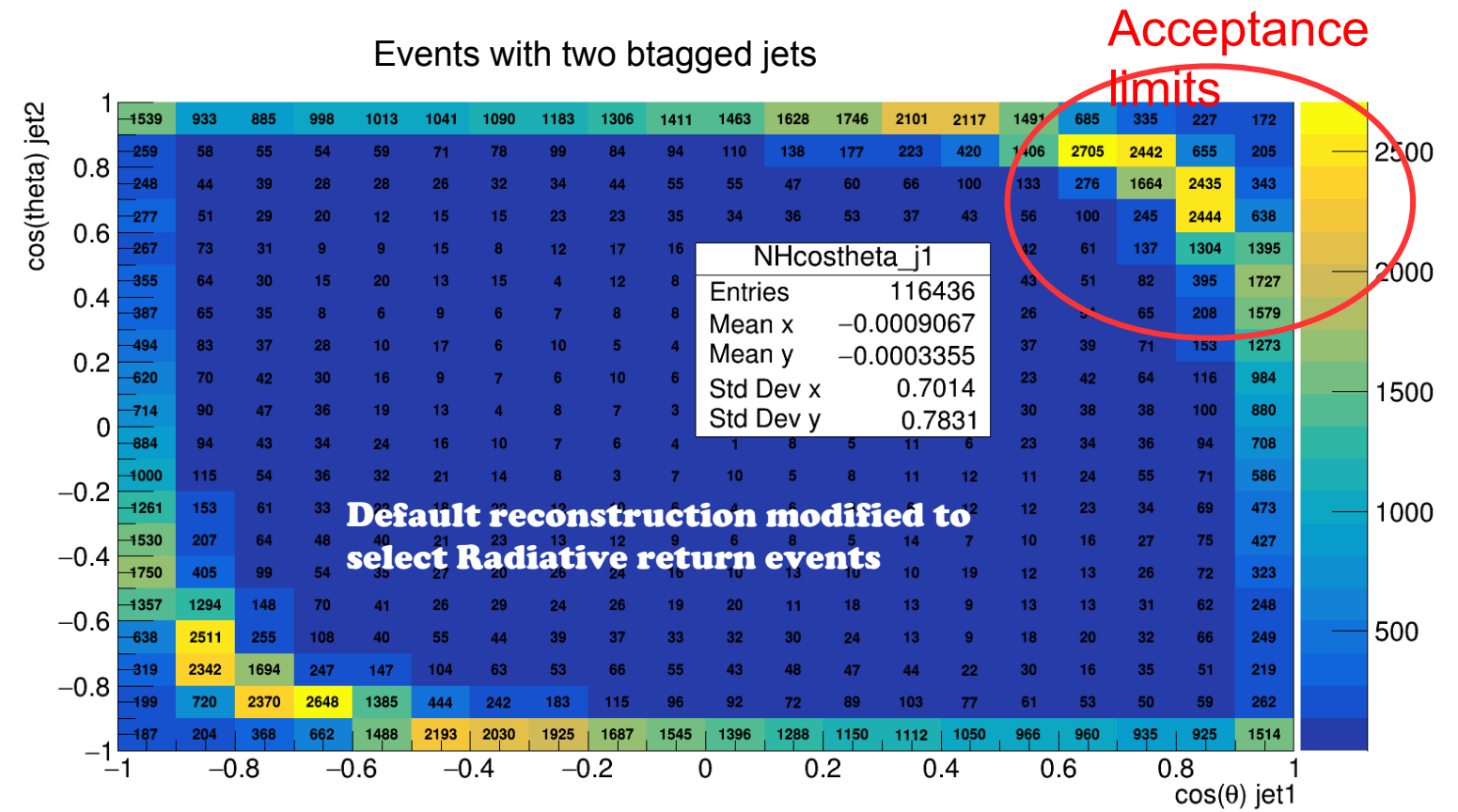
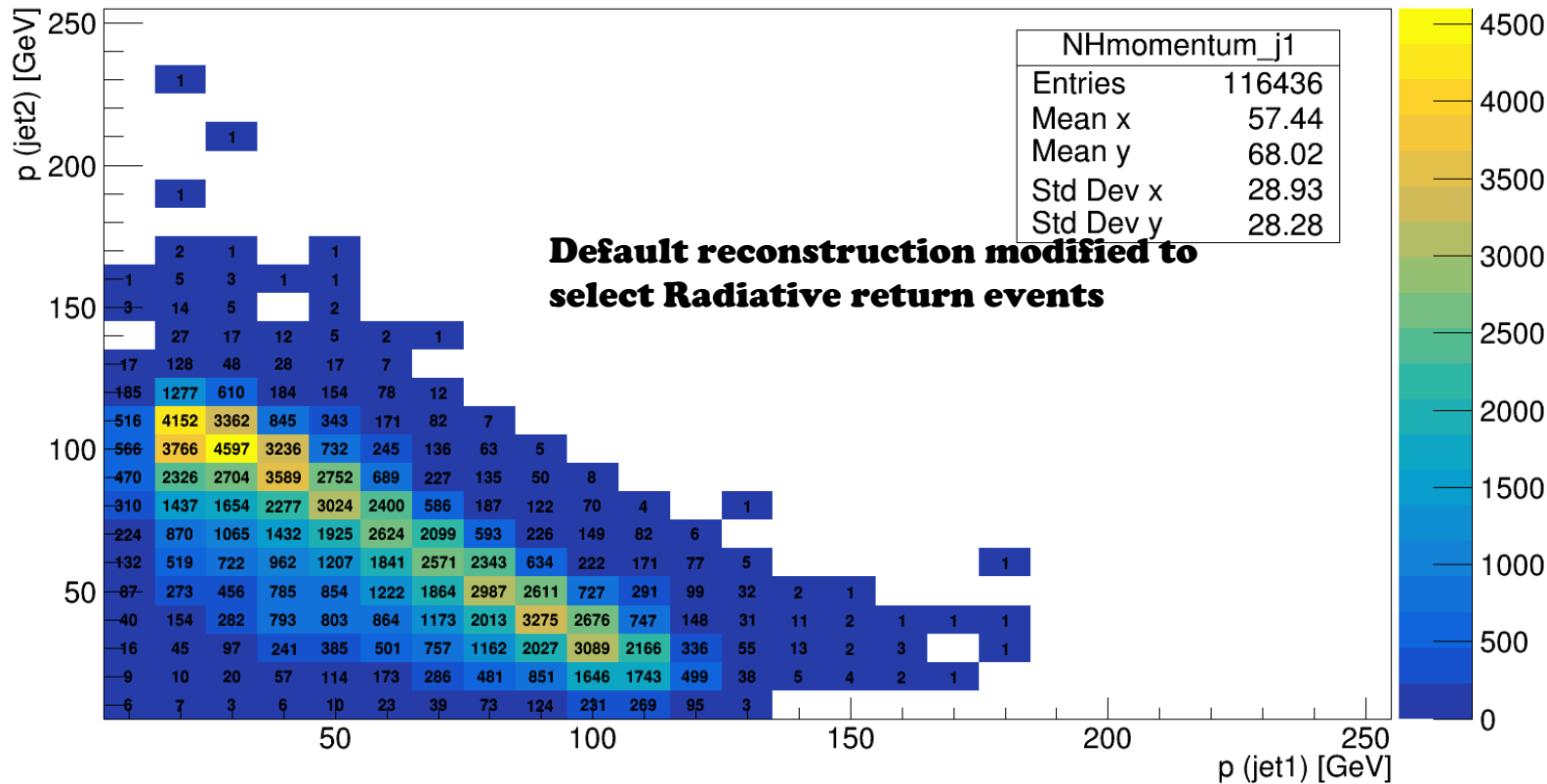
- **Black = radiative**
- **Blue = non radiative**



- Sizeable differences in event topology
- Events are more pushed towards detector limits of acceptance
- No monochromatic b energy peak



Events with two btaged jets



- Present topologies:
 - Back to back jets, for $|\cos\theta| > 0.9$
 - Two forward jets “together” for $|\cos\theta| > 0.7$
 - One jet very forward and the other in the barrel.
- LEP/SLC Strategy cannot be applied for determination of efficiencies

- First steps towards systematic study of error sources for high precision heavy quark measurements
- Starting with reanimation of LEP/SLC Methods
 - Jet correlation one main source of uncertainties at LEP/SLC
 - Introduction of jet correlation parameter ρ
 - Methods rely on back-to-back topologies
 - ILD should think to use ρ as figure of merit for detector optimisation
- Need to control flavor tagging/separation to the utmost precision
 - Strategies proposed
- This is just the beginning on the quest to control systematics of the 1‰

Backup