

# Production and electroweak couplings of 3rd generation quarks at the ILC

Adrián Irles\*, on behalf the ILD collaboration



EPS-HEP 2019, Gent.  
13/07/2019



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# Outline of the talk

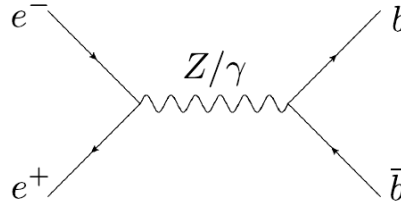
- What do we want to measure and why?
- Where? International Linear Collider, **ILC250**, and the International Large Detector **ILD**
- **b-quark electroweak couplings** extracted from **differential cross section** measurements
- Few words about the t-quark



# Motivation

- Quark (fermion) **electroweak couplings** can be **inferred from cross section** and forward backward asymmetry (**AFB**) observables.

$$\frac{d\sigma^I}{d\cos\theta}$$



The b-quark polar angle is defined as a polar angle of the vector

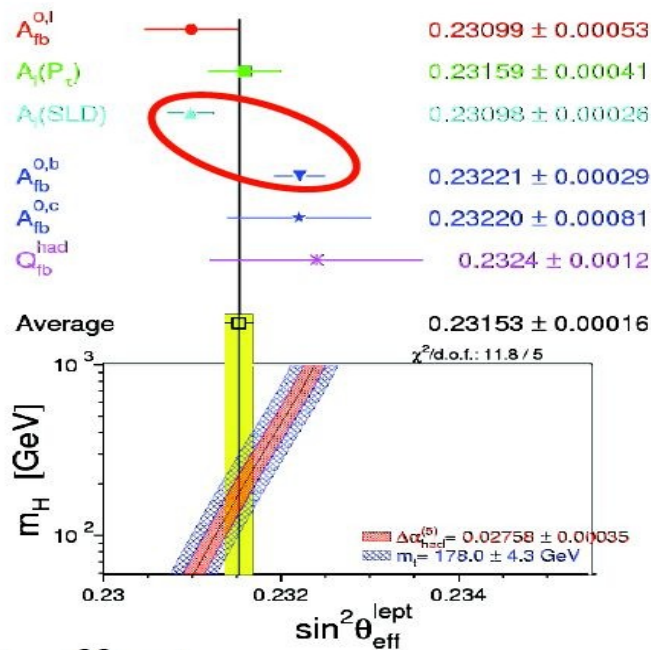
A diagram illustrating the definition of the b-quark polar angle. A vertical dashed line represents the beam axis. An electron ( $e^-$ ) and a positron ( $e^+$ ) are shown colliding at the center. The electron's direction is labeled 'forward' and the positron's 'backward'. A bottom quark ( $b$ ) is produced at an angle  $\theta$  relative to the forward direction. The vector  $\vec{p}_{b\bar{b}}$  is defined as the difference between the b-quark and anti-b-quark momenta:  $\vec{p}_{b\bar{b}} = \vec{p}_b - \vec{p}_{\bar{b}}$ .

$$A_{FB} = \frac{N_F - N_B}{N_F + N_B}$$

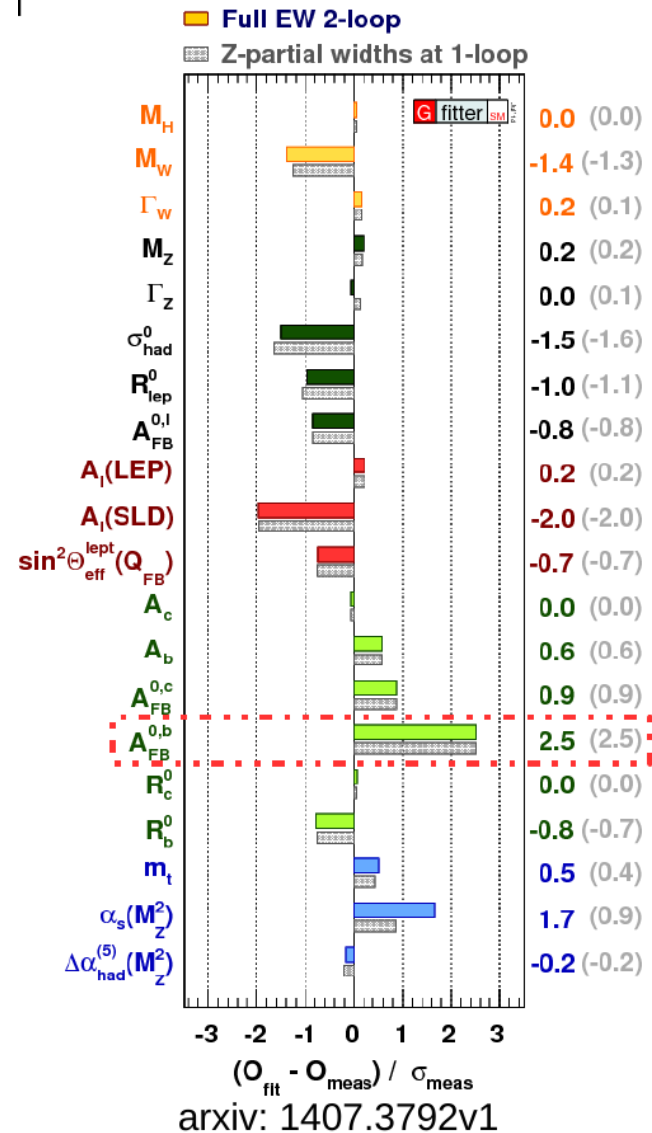
- These observables have been measured at LEP/SLC at the Z-pole (no access to the  $\gamma$  or  $Z/\gamma$  interferences)

# Motivation

- Current LEP & SLC **measurements** show **tension** between their **AFB** (b-quark) measurement
- This measurement is the one with **largest tension with the SM fit**.

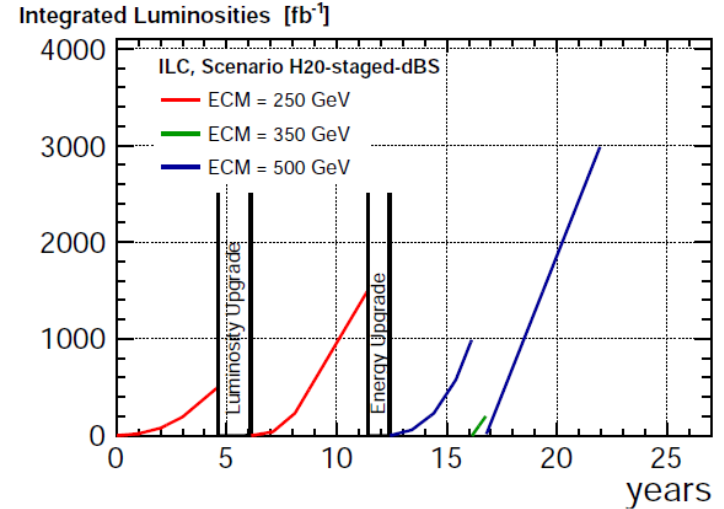
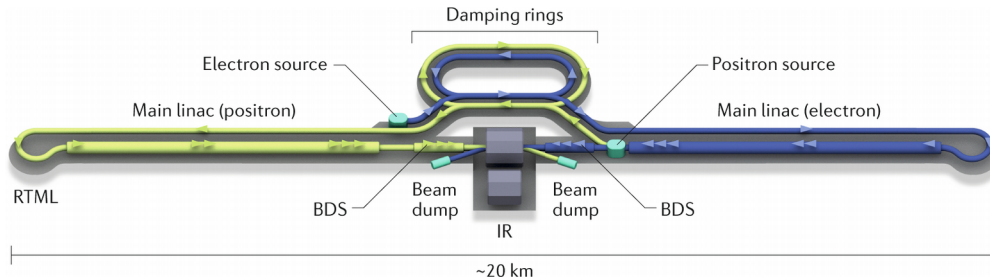


LEP1 effect



# The International Linear Collider, ILC 250GeV

- It is a Linear Collider Project, to be hosted in Japan.
  - Matured technology: TDR (accelerator + detectors) since 2013.
- e<sup>+</sup>e<sup>-</sup> collider with both beams polarized
  - (30%,80%) respectively at 250GeV
- Stage 250GeV:
  - 2000fb<sup>-1</sup> in 10-15 years,
  - luminosity shared among different polarization configurations.
- Proposed detector concepts: ILD and SiD.

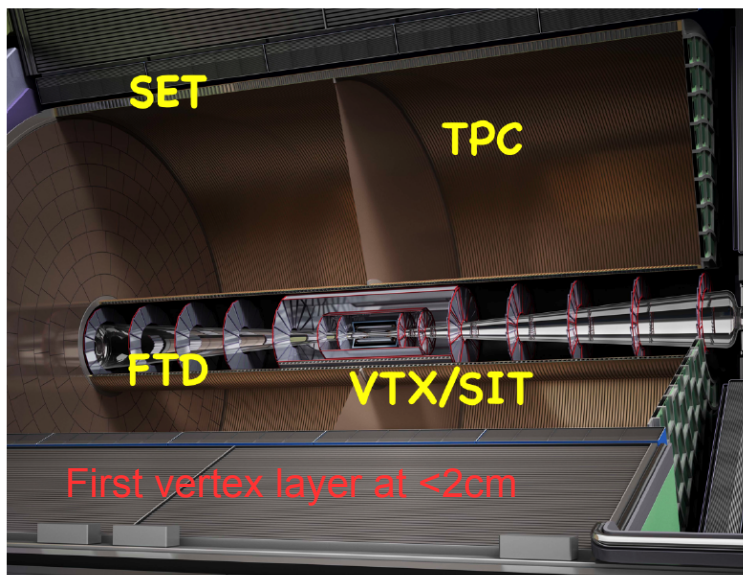


- One of the proposed running scenarios for a staged ILC starting at 250GeV

\*GigaZ (running at Z-pole) is a serious option for ILC and the results shown here are the backbone for the estimation of the physics potential in terms of heavy quarks.

# Measuring heavy quark jets with the ILD

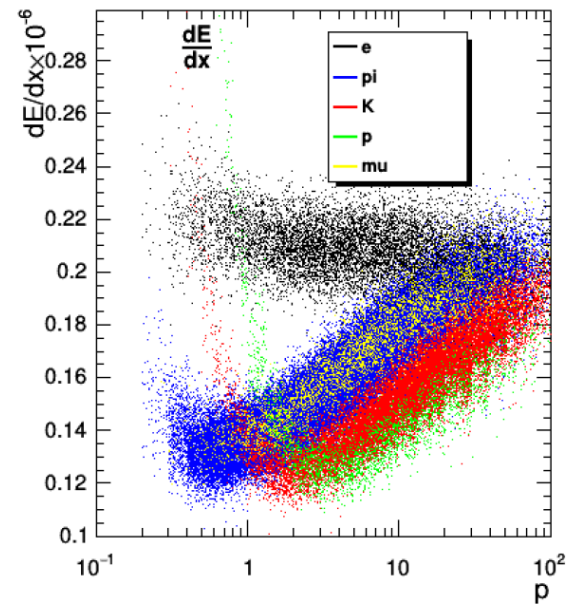
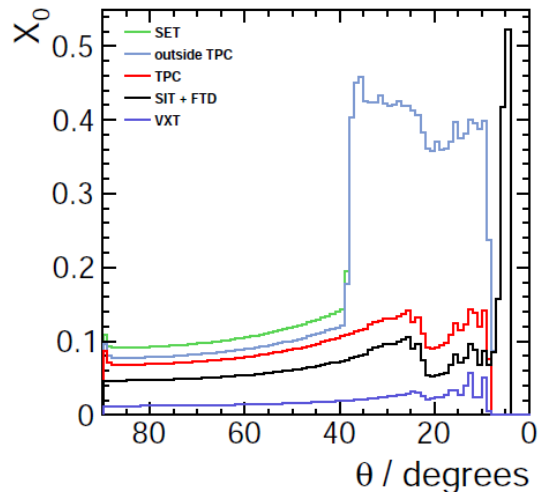
➤ The goal is to measure the asymmetry basically by measuring the **direction and charge** of the two final state jets. **How?**



➤ **High angular coverage with minimum material budget and PID (TPC)**

➤ ILC experiments, as the **ILD**, will provide excellent:

- Beam IP constraint
- **Secondary vertex separation and flavour tagging**
- Tracking **efficiency** (>99%)

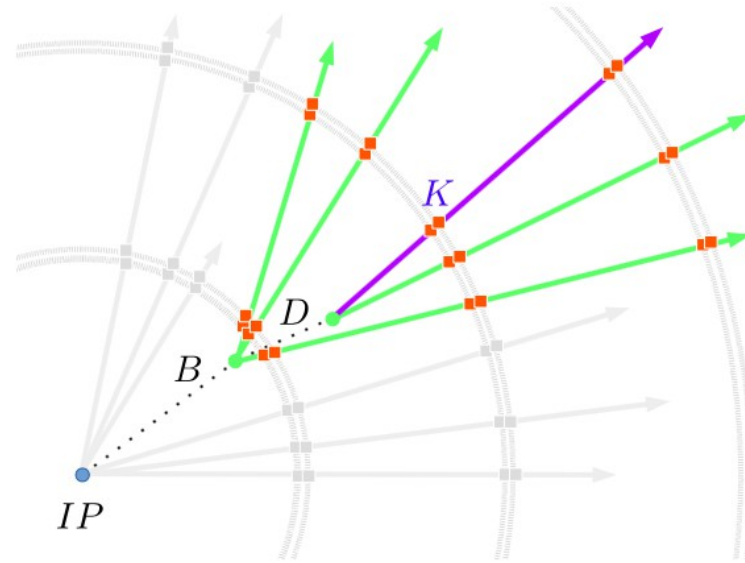
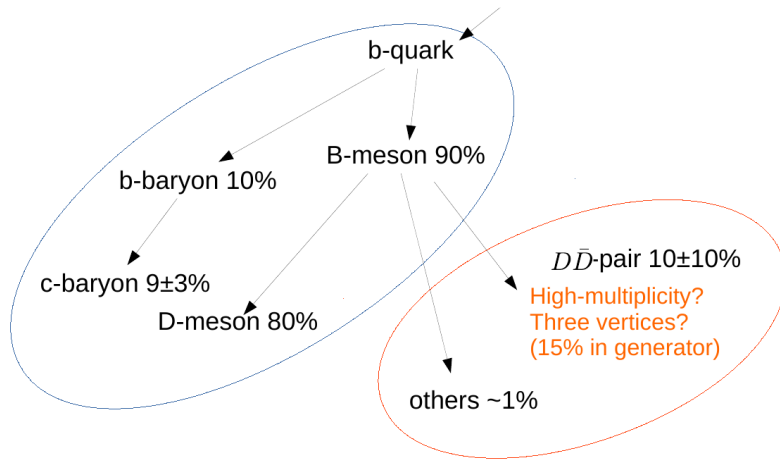


# Measuring two b-quark jets with the ILD

- Direct measurement of the charge of charged B-hadrons decay products produced by the b-quark hadronization by measuring the charge of the secondary vertices.

## Process overview

- Hadronization and decay modes of b-quark:



Only the kaon identification (~85% eff and 90% purity) allows to measure the b-quark charge when it decays in neutral B<sub>0</sub> or D<sub>0</sub>

# Event Pre-Selection

- Event pre-selection is based in the **double b-tagging**.
- Additional kinematic cuts are applied to reduce background and QCD effects
  - Cut 1: Radiative return removal cut 1 (reject events with  $m(j_1j_2) < 180\text{GeV}$ )
  - Cut 2: Radiative return removal cut 2 (reject events with a photon with  $E > 40\text{GeV}$ )
  - Cut 3: Against QCD FSR and “fat jets” in ZZ signatures ( $m(j_1)+m(j_2) < 120\text{ GeV}$ )

Pure left polarization, 250GeV							
	Signal	Backgrounds (B/S) %					
	bb	Lighter qq	Radiative Z	WW	ZZ	HZ	Total
Full sample	100.0%	541.0%	14.9%	259.6%	24.6%	2.1%	842.2%
Double btag	73.5%	0.6%	11.0%	0.2%	5.0%	1.1%	18.0%
+Cut 1	70.4%	0.5%	4.5%	0.1%	2.0%	0.5%	7.7%
+Cut 2	63.4%	0.5%	1.6%	0.1%	2.0%	0.5%	4.8%
+Cut 3	62.1%	0.5%	1.5%	0.1%	1.1%	0.2%	3.4%

- $O(10^6)$  of b-quark pairs (excluding rad. return) are going to be produced by ILC250 !



# Double charge measurements

- Not all b-jets provide b-quark charge information and also **mis-measurmenets** on the **charge** lead to **large migrations** in the final distribution.
- The **migrations are restored** by determining the purity of the charge calculation using double charge measurements
  - Accepted events,  $N_{acc}$ , with  $(-,+)$  compatible charges
  - Rejected events,  $N_{rej}$ , non compatible  $(-,++)$  charges

**pq-equation**  
Incognitas:  $pq$  and  $N$ .

$$\begin{aligned}N_{acc} &= Np^2 + Nq^2 \\N_{rej} &= 2Npq \\1 &= p + q\end{aligned}$$

The **pq-equation** allows for correcting for migrations (findinf the correct  $N$ ) and in particular for the last and ultimate migration (dilution) due to  $B_0$  oscillations

**Final selection after double charge measurements is still very large. ~30%**

# b-quark EW couplings determination

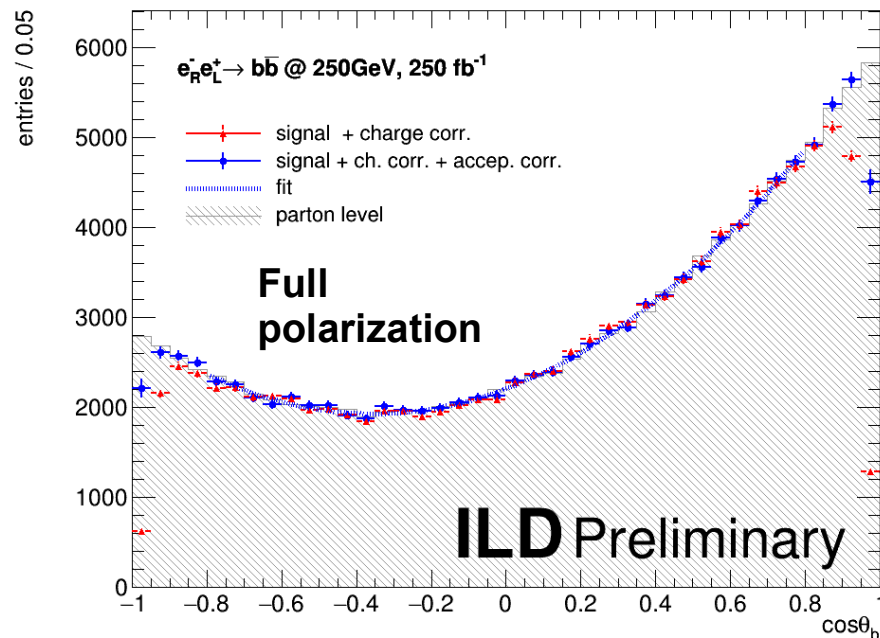
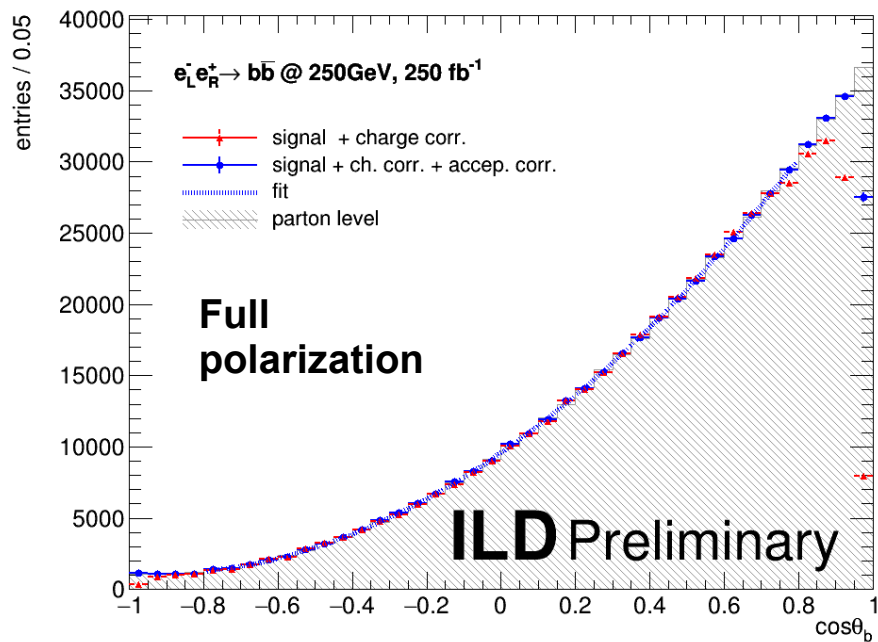
$$\frac{d\sigma}{d\cos\theta}(e_L^- e_R^+ \rightarrow b\bar{b}) = L_e L_b (1 + \cos\theta)^2 + L_e R_b (1 - \cos\theta)^2$$

$$\frac{d\sigma}{d\cos\theta}(e_R^- e_L^+ \rightarrow b\bar{b}) = R_e L_b (1 + \cos\theta)^2 + R_e R_b (1 - \cos\theta)^2$$

- $L_e L_b$ ,  $L_e R_b$  are associated with the production of  $b_L \bar{b}_R$ ; Similar for  $R_e L_b$ ,  $R_e R_b$ .
- At a linear collider with polarized beams and using vertex charge to distinguish  $b$  and  $\bar{b}$ , **all four of these functions** can be measured independently at a fixed c.m.e.
- Also, traditionally, these helicity terms can be rearranged in 'simpler' ways, i.e.

$$f_{LR/RL}(S, A) = S_{LR/RL} (1 + \cos^2\theta) + A_{LR/RL} \cos\theta$$

# b-quark EW couplings determination



➤ Long lever arm to extract the relevant quantities (i.e. S,A)

➤ 2000 fb<sup>-1</sup>,

➤ assuming no new resonances.

Polarizations (e-, e+)	(-80,+30) %	(+80,-30) %
Selection Eff (%)	30	30
L (fb-1)	900	900
$\epsilon S$ (syst + stat) %	0.095+0.15	0.20+0.17
$\epsilon A$ (syst + stat) %	0.13+0.15	0.77+0.26

# Interpreting the results in the context of new RS resonances

- Closer look to the helicity amplitudes.
- The origin of new resonances is sustained by RS models.

- Top-philics

Djouadi, Moreau and Richard (hep-ph/0610173)

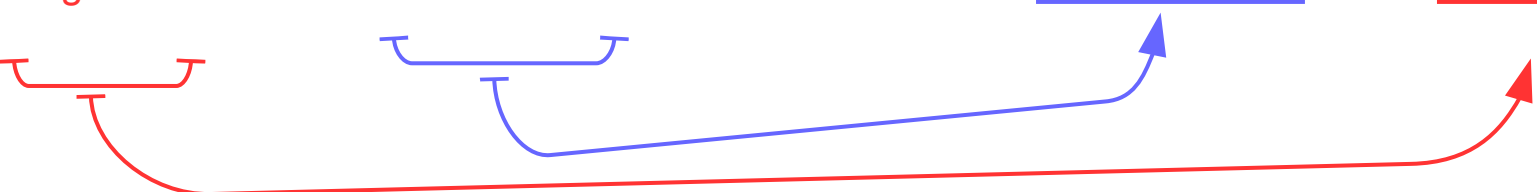
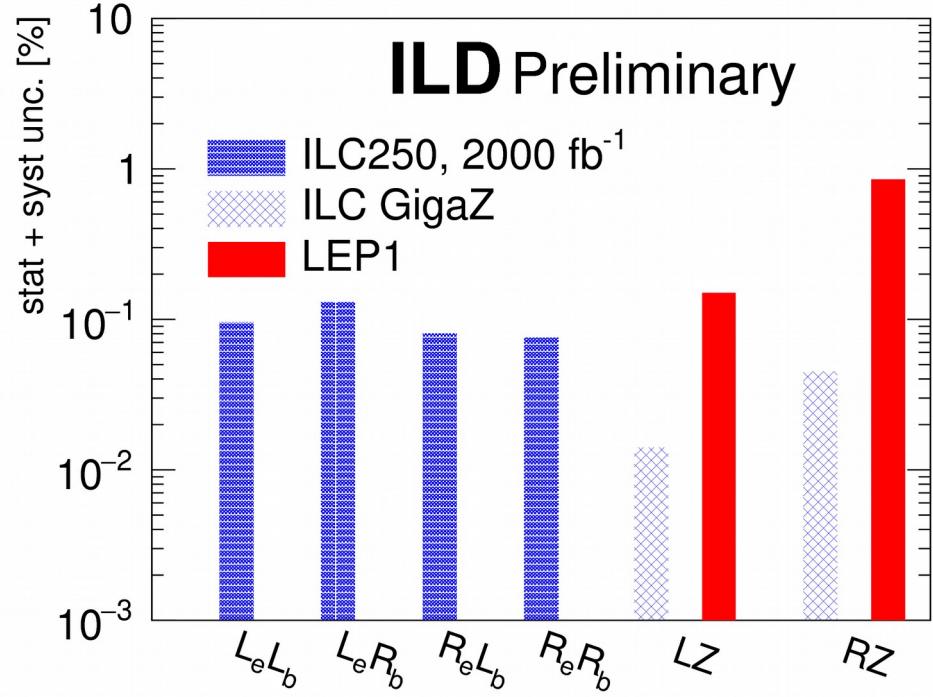
Yoon and Peskin (arXiv:1811.07877 )

- Predict deviations for all fermion species

Hosotani et al (Phys.Lett. B775 (2017) 297-302)

$$LeLb = QeQb + \frac{LeZLbZ}{s^2wc^2w} BWZ + \sum_{Z'} \frac{LeZ'LbZ'}{s^2wc^2w} BWZ'$$

ILC250      SM      GigaZ      New Resonances



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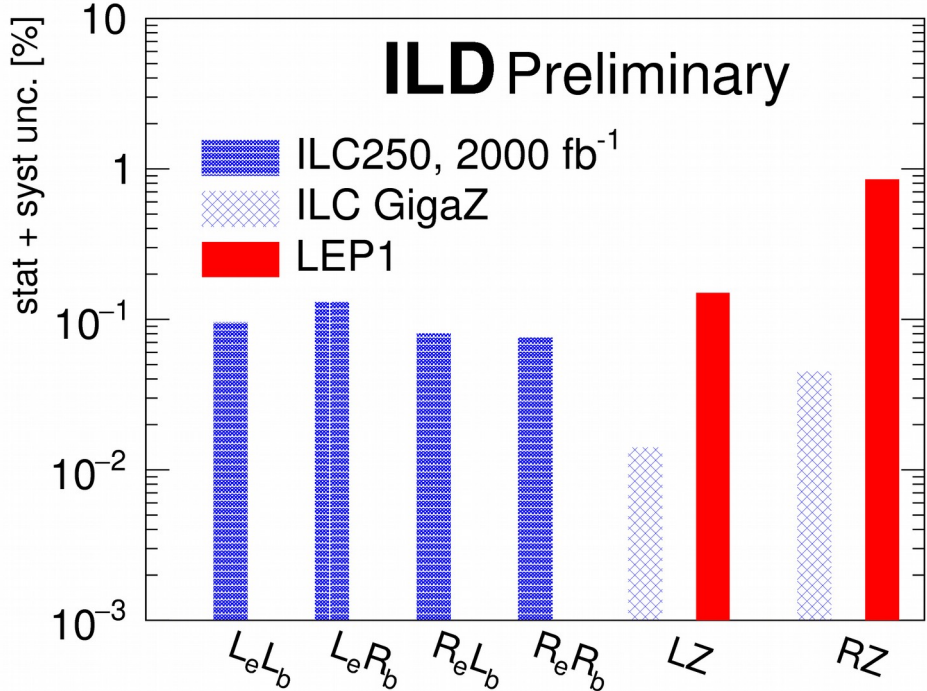
- Predict deviations for all fermion species

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$$\text{LeLb} = Q_e Q_b + \frac{LeZLbZ}{s^2 w c^2 w} BWZ + \sum_{Z'} \frac{LeZ'LbZ'}{s^2 w c^2 w} BWZ'$$

↓
↓
↘
↓

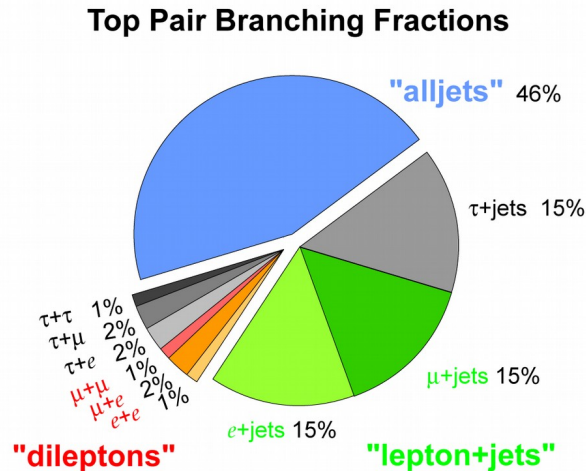
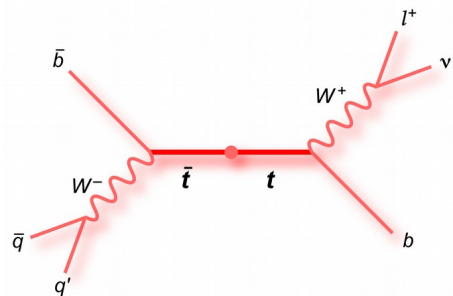
ILC250
SM
GigaZ
New Resonances



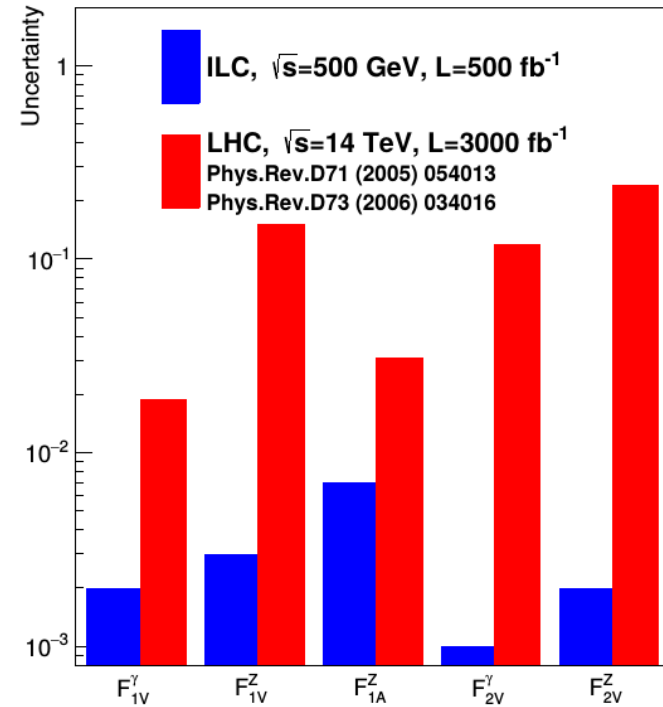
➤ **ILC250 + GigaZ can discover RS signals and distinguish between models that predict Z-Z' mixing or not.**

# t-quark EW couplings determination

- Potential upgrades of ILC250 are: Z-pole, tt-threshold, **500GeV**, 1TeV
- For tt: at 500 GeV one works in a theoretically safe domain that is free from threshold effects with particular sensitivity to axial couplings.
- **Tops decay** before hadronizing: Analysis based on lepton & b-quark selection and charge measurement.
- **Current prospects** are based on the analysis of the **semileptonic decay modes**. The major uncertainty is still the statistical one.

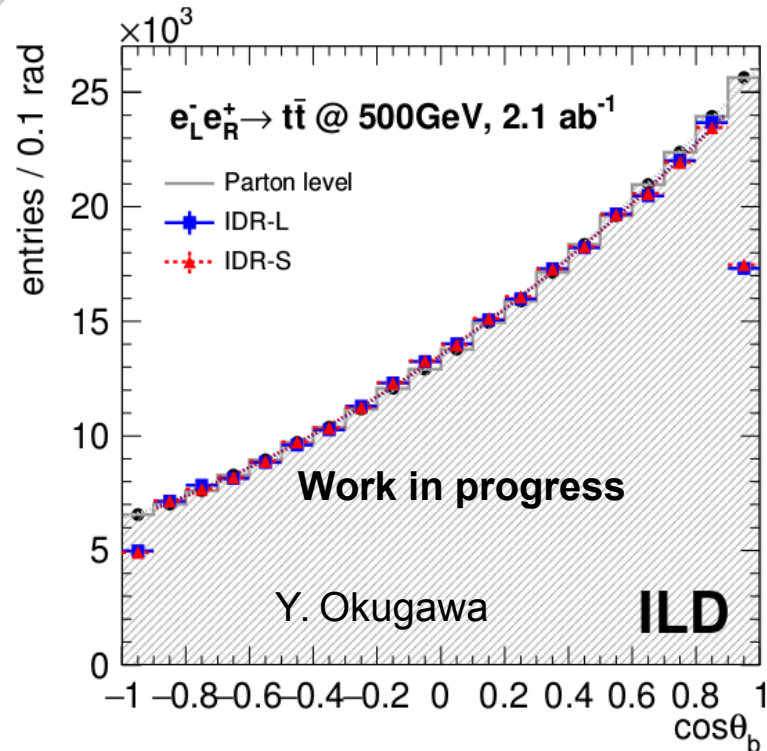
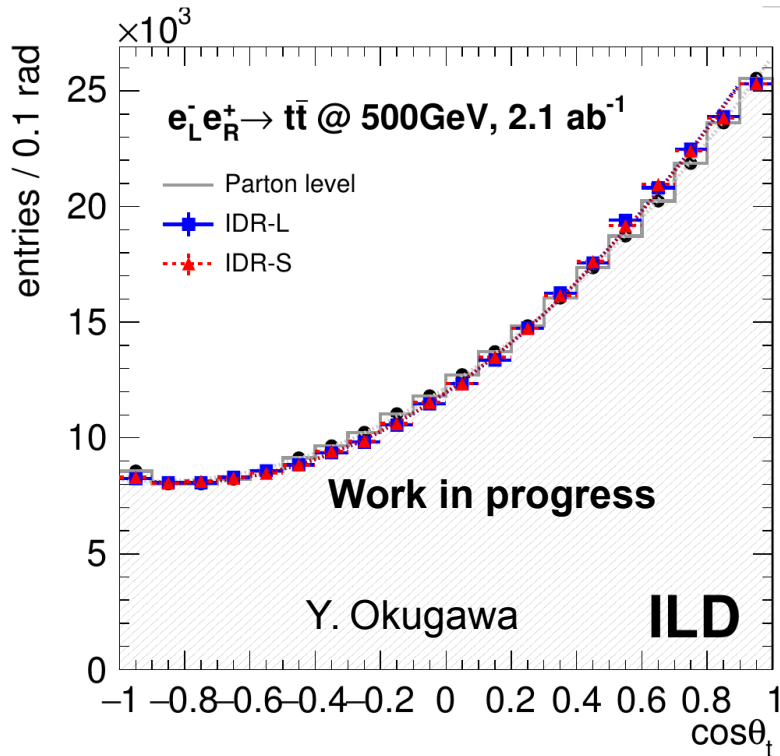


arxiv:1505.06020



# t-quark EW couplings determination

- We are working on an **update** of the published analysis with **2000 fb-1**.
- **The improvements on the measurement of the b-quark charge** will soon allow us to take the **fully hadronic** decay modes into account.



# Conclusions & Prospects

- **Two fermion final states** are an important ingredient to the **physics program at the ILC**.
- **ILC** will fully **solve the LEP1 effect** and the LEP/SLC disagreements.
- **Heavy quarks are sensitive to new physics effects**, as for example those inspired by **RS** models
  - Heavy quarks are at the cross roads between top-philic models and those that predict deviations for all fermions species.
- These measurements constitute important **benchmarks** for **detector optimization**
  - Clean measurement requires double tagging and vertex charge measurement both is possible with ILD
- Full exploitation of physics potential require adequate experimental setup: **polarised beams, reach in energy (Z-pole to 1 TeV)**
- Stay tuned for more results of EW couplings (b, t) for different running scenarios and also for the second generation of quarks.



# Back-up slides

# The ILD Concept

Jenny List, talk at LCWS2018

From key requirements from **physics**:

- **$p_t$  resolution** (total ZH x-section)

$$\sigma(1/p_t) = 2 \times 10^{-5} \text{ GeV}^{-1} \oplus 1 \times 10^{-3} / (p_t \sin^{1/2} \theta)$$

≈ CMS / 40

- **vertexing** ( $H \rightarrow bb/cc/\tau\tau$ )

$$\sigma(d_0) < 5 \oplus 10 / (p[\text{GeV}] \sin^{3/2} \theta) \mu\text{m}$$

≈ CMS / 4

- **jet energy resolution** 3-4%  
( $H \rightarrow \text{invisible}$ )

≈ ATLAS / 2

- **hermeticity**  $\theta_{\min} = 5 \text{ mrad}$   
( $H \rightarrow \text{invis, BSM}$ )

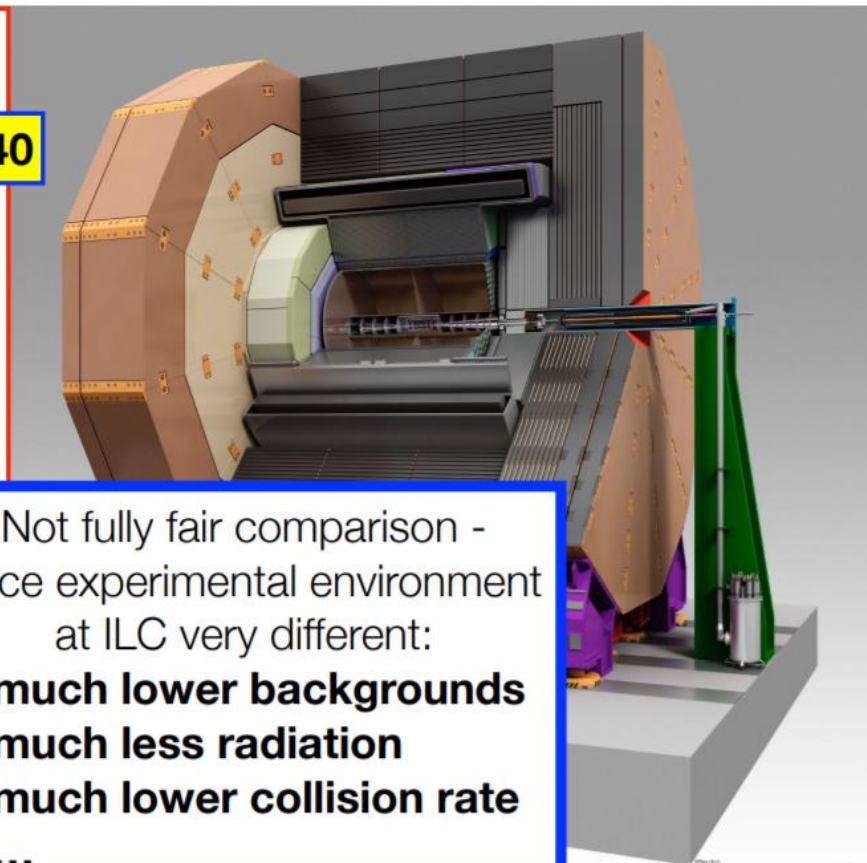
≈ ATLAS / 3

To key features of the **detector**:

- **low mass tracker**:
  - main device: **Time Projection Chamber** (dE/dx !)
  - add. silicon: eg VTX: 0.15% rad. length / layer)
- **high granularity calorimeters**  
optimised for particle flow

Not fully fair comparison -  
since experimental environment  
at ILC very different:

- **much lower backgrounds**
- **much less radiation**
- **much lower collision rate**
- ...

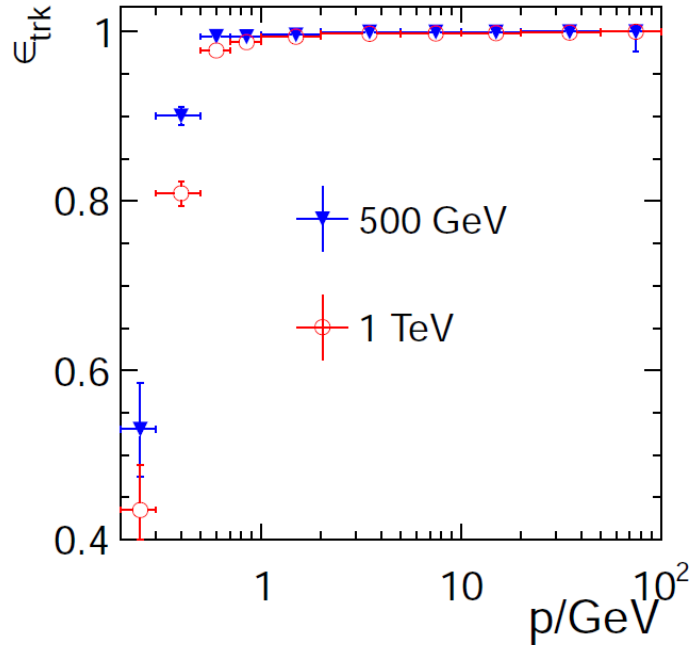


# Tracking at ILD

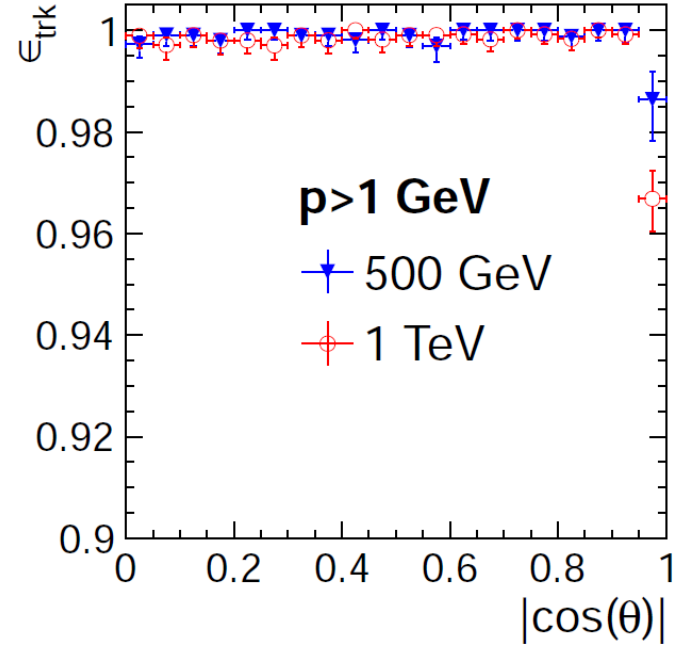
Table 1. The ILD tracking detectors and their key parameters [2].

detector	geometry	description	single point resolution
VTX	$r_{in} = 16$ mm $r_{out} = 60$ mm $z = 125$ mm	3 double layers Si-pixel sensors	$\sigma_{r\phi,z} = 2.8\mu\text{m}$ (layer 1) $\sigma_{r\phi,z} = 6.0\mu\text{m}$ (layer 2) $\sigma_{r\phi,z} = 4.0\mu\text{m}$ (layers 3-6)
SIT	$r_{in} = 153$ mm $r_{out} = 300$ mm $z = 644$ mm	2 double layers Si-strip sensors	$\sigma_{\alpha_z} = 7.0\mu\text{m}$ $\alpha_z = \pm 7.0^\circ$ (angle with z-axis)
SET	$r = 1811$ mm $z = 2300$ mm	1 double layer Si-strip sensors	$\sigma_{\alpha_z} = 7.0\mu\text{m}$ $\alpha_z = \pm 7.0^\circ$ (angle with z-axis)
FTD <sub>pixel</sub>	$z_{min} = 230$ mm $z_{max} = 371$ mm	2 disks Si-pixel sensors	$\sigma_r = 3.0\mu\text{m}$ $\sigma_{r\perp} = 3.0\mu\text{m}$
FTD <sub>strip</sub>	$z_{min} = 644$ mm $z_{max} = 2249$ mm	5 disks - double Si-strip sensors	$\sigma_{\alpha_r} = 7.0\mu\text{m}$ $\alpha_r = \pm 5.0^\circ$ (angle with radial direction)
TPC	$r_{in} = 330$ mm $r_{out} = 1808$ mm $z = 2350$ mm	MPGD readout > 220 layers 1 x 6 mm <sup>2</sup> pads	$\sigma_{r\phi}^2 = (50^2 + 900^2 \sin^2 \phi + ((25^2/22) \times (4T/B)^2 \sin \theta) (z/\text{cm})) \mu\text{m}^2$ $\sigma_z^2 = (400^2 + 80^2 \times (z/\text{cm})) \mu\text{m}^2$ where $\phi$ and $\theta$ are the azimuthal and polar angle of the track direction

# Tracking at ILD



**Figure 5.** Tracking Efficiency for  $t\bar{t} \rightarrow 6$  jets at 500 GeV and 1 TeV versus momentum in the presence of beam background.



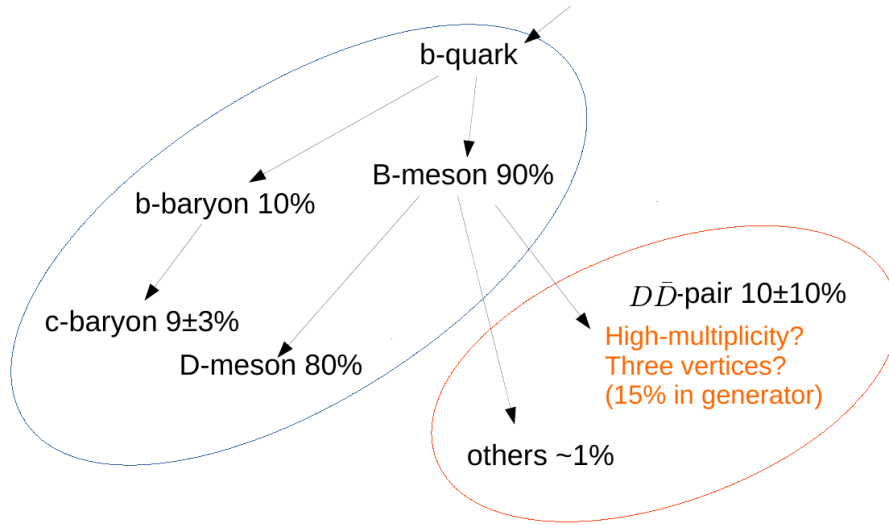
**Figure 6.** Tracking Efficiency for  $t\bar{t} \rightarrow 6$  jets at 500 GeV and 1 TeV versus  $|\cos(\theta)|$  for particles with  $p > 1\text{GeV}$  in the presence of beam background

# Process overview

- The goal is to measure the asymmetry basically by measuring the **direction** of the two final state jets and their **charge**. **How?**

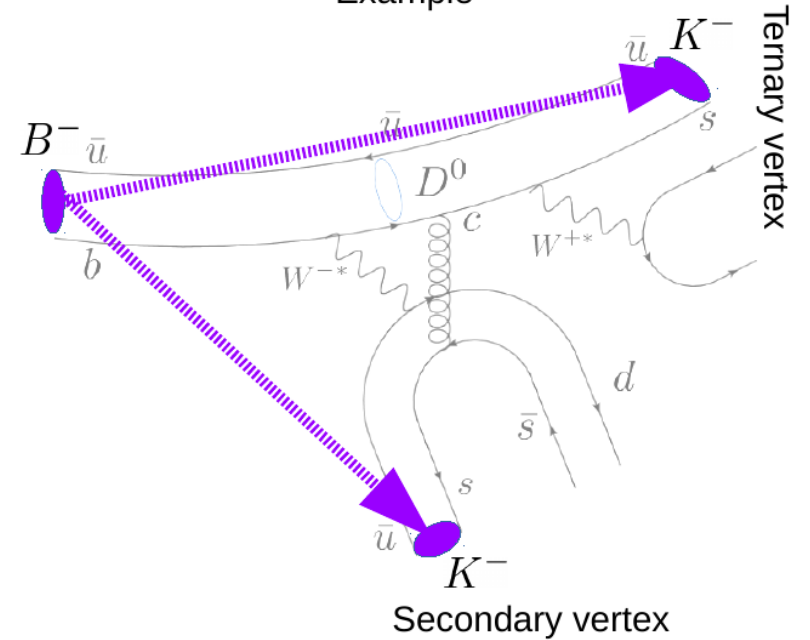
## Process overview

- Hadronization and decay modes of b-quark:



Bilokin S.

## Example

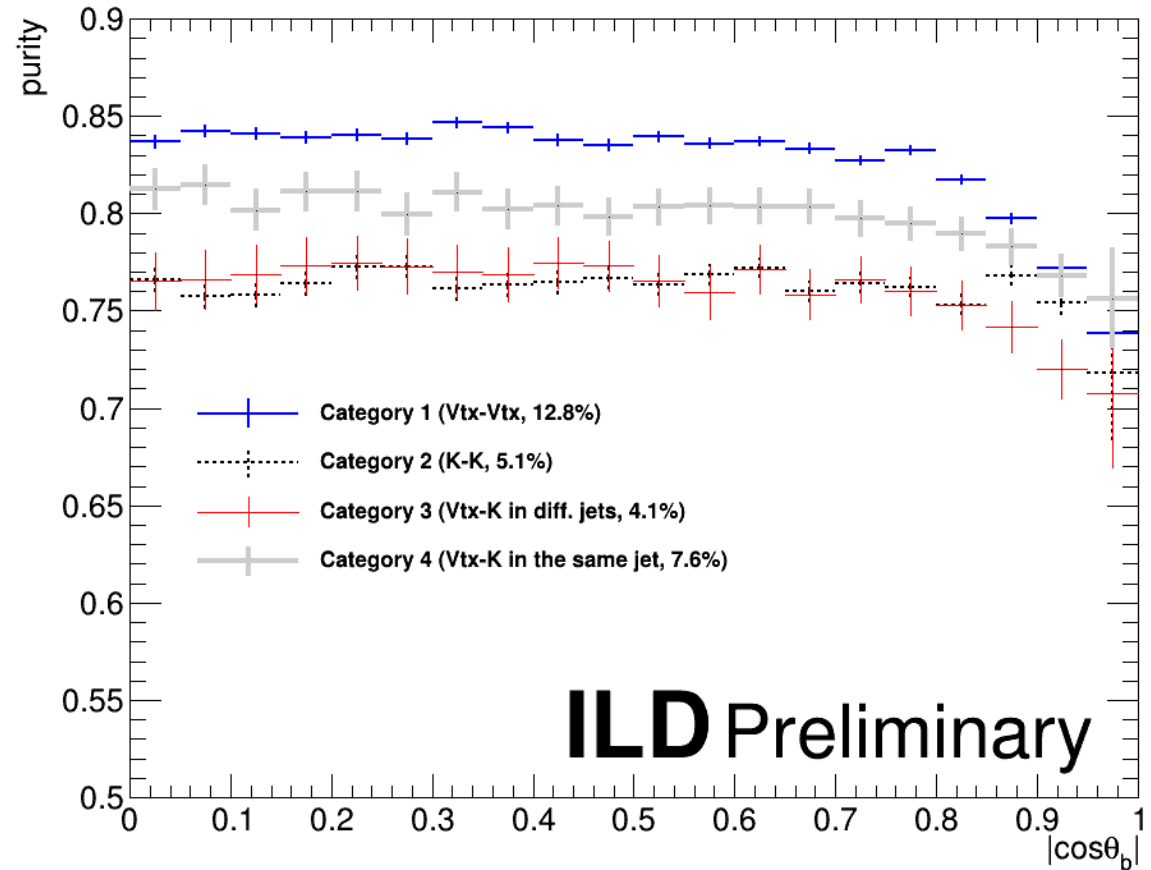


ECFA LC Workshop 04/06/16

# Double charge measurements

➤ Final selection after double charge measurements is still very large.

- ~30%

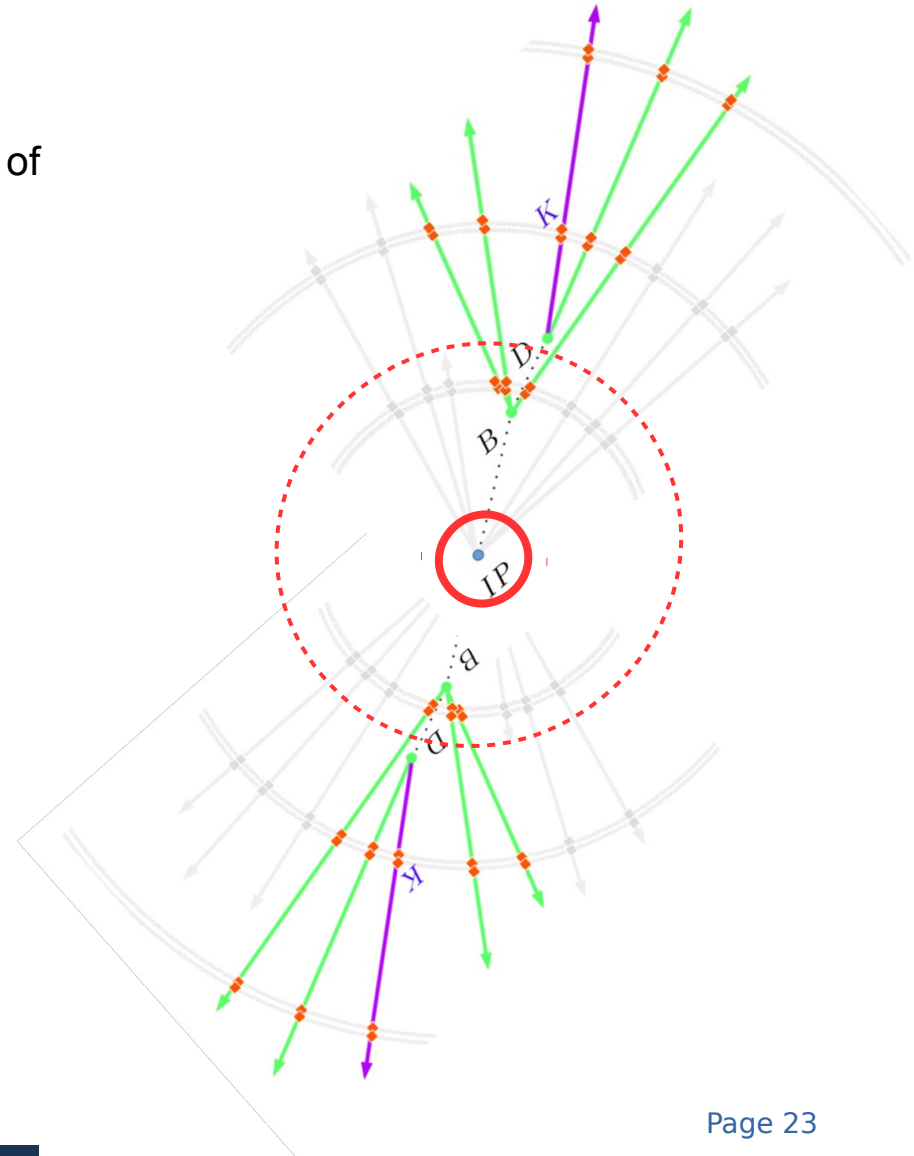


# Double tagging

- Important systematic error is associated to the knowledge of tagging efficiency  $\epsilon_q$
- Can be derived from data if tagging is independent in two hemispheres, i.e. if

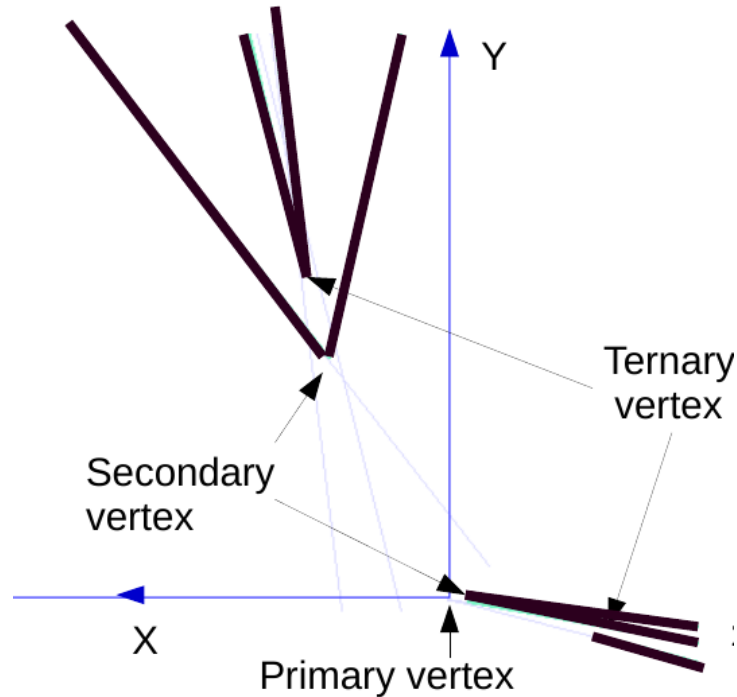
$$C_q = \frac{\epsilon_{double}}{\epsilon_q^2} \approx 1$$

- If  $C_q \neq 1 \rightarrow$  Hemisphere correlations  $\rightarrow$  systematic error
- For example:
  - LEP (large beam spot):  $C_q - 1 \approx 3\% \rightarrow \Delta R_b \approx 0.2\%$
  - SLC (smaller beam spot):  $C_q - 1 < 1\% \rightarrow \Delta R_b \approx 0.07\%$
  - ILC (tiny beam spot): Expect  $C_q - 1 \approx 0 \rightarrow \Delta R_b \approx 0$   
*to be verified however*



# b-asymmetry measurement

- The goal is to measure the asymmetry basically by measuring the direction of the two final state jets and their charge. **How?**



- We have two methods to identify b-jet charge:
- With the charge of the b-quark, calculated as a sum of the charges of secondary and tertiary vertex
    - we call this method the **Bc method (or vtx method)**
  - With the charge of K-mesons, from B-decays, in secondary and tertiary vertexes
    - we call this method the **Kc method (or kaon method)**

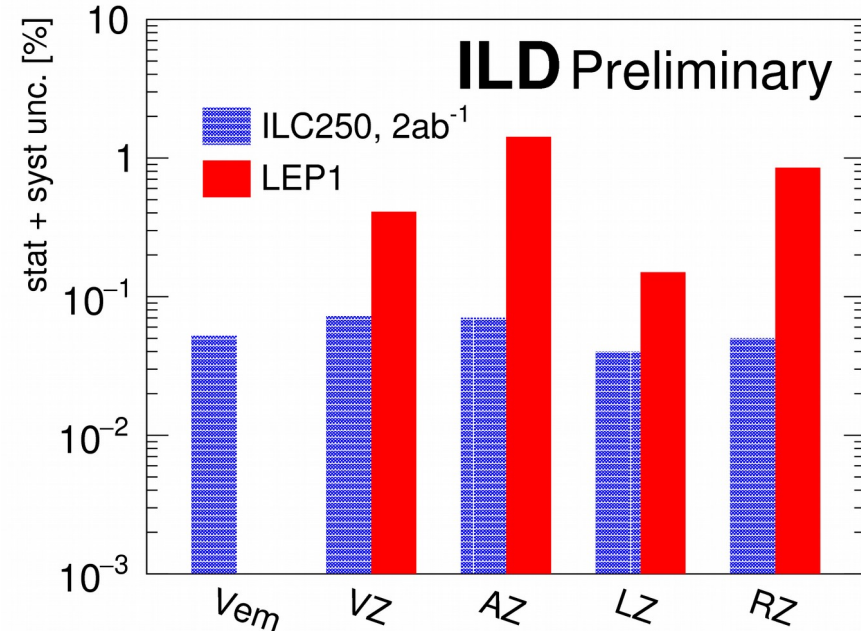


# b-quark EW couplings determination

➤ For 2000 fb<sup>-1</sup>, the measurements are already systematics limited.

Polarisations P P'	-80% +30%	+80% -30%
Efficiency %	30	30
Luminosity fb <sup>-1</sup>	900	900
Cross section fb	3342	1012
Background(S) %	1.5	5
Syst for S % L+eff+Pol+back	0.1+0.1+0.0+0.0	0.1+0.1+0.08+0.05
S stat+syst %	0.095+0.15	0.20+0.17
Syst for A % L+eff+Pol+back	0.1+0.1+0.0+0.0	0.1+0.1+0.2+0.1
A stat+syst %	0.13+0.15	0.77+0.26

- The **LEP1 anomalies** measured in RZ and LZ (~3σ away of SM) will be completely confirmed or discarded
- These results are obtained assuming no **new resonances**. If so, assuming, improved measurements at Z-pole, **ILC250GeV** will **have access to Z' of ~20TeV**.



- EW b-quark form factors and couplings

$$LeLb = QeQb + \frac{LeZLbZ}{s^2wc^2w} BWZ + \sum_{Z'} \frac{LeZ'LbZ'}{s^2wc^2w} BWZ'$$

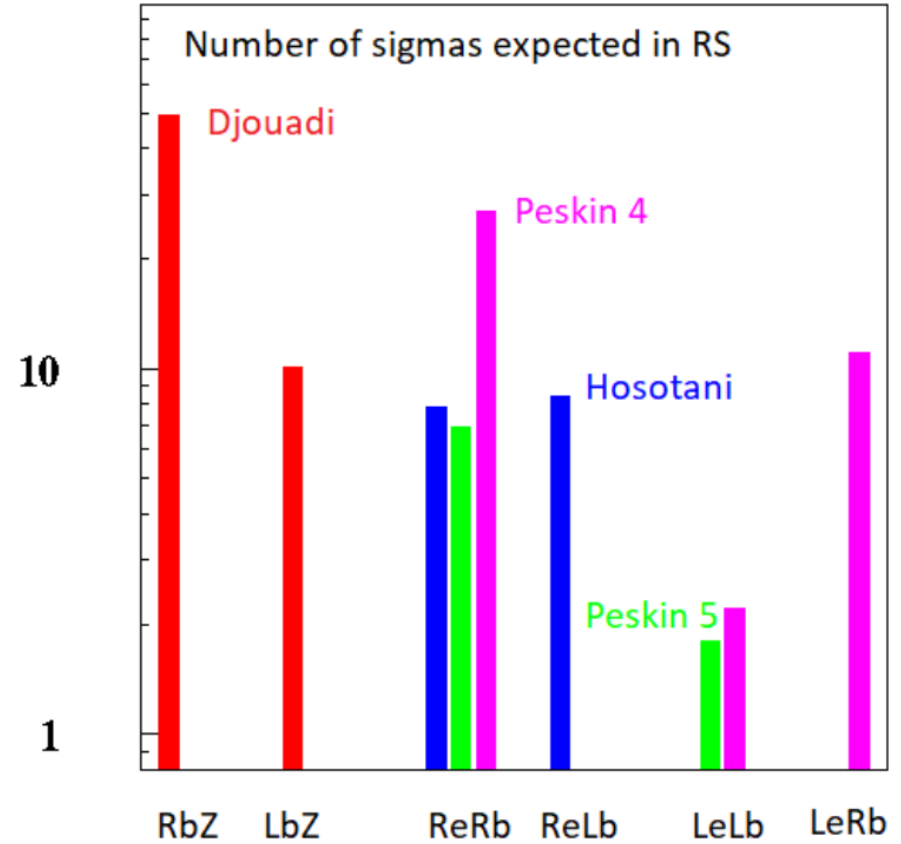
ILC250      SM      GigaZ      New resonances

**Couplings to Z'**

$\frac{g_w}{\cos \theta_W} Z'_\mu \{ \hat{g}_L \bar{f}_L \gamma^\mu f_L + \hat{g}_R \bar{f}_R \gamma^\mu f_R \}$ 
 $\theta_H = 0.0917$

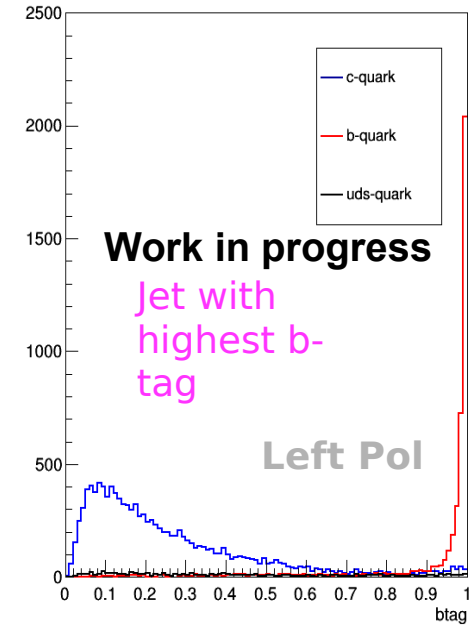
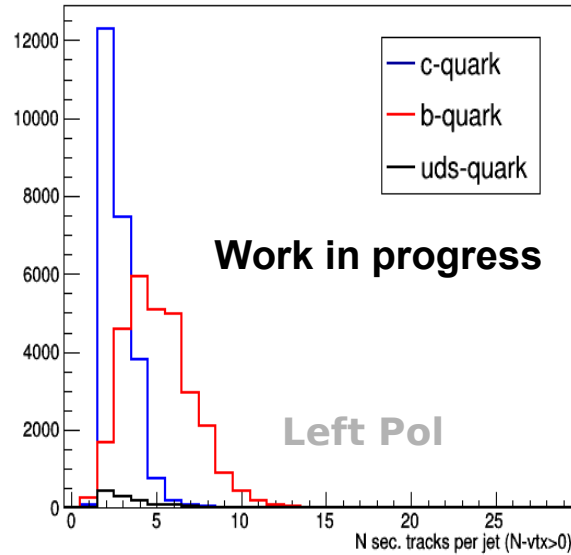
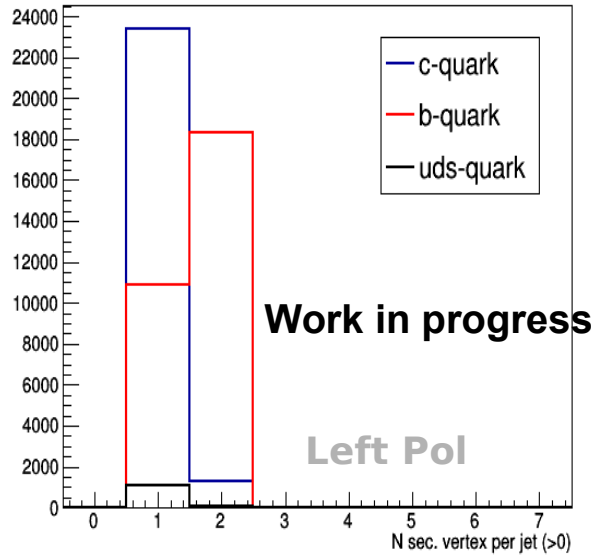
	SM: Z		Z <sup>(1)</sup>		Z <sub>R</sub> <sup>(1)</sup>		γ <sup>(1)</sup>	
	Left	Right	Left	Right	Left	Right	Left	Right
ν <sub>e</sub>			-0.183	0	0	0	0	0
ν <sub>μ</sub>	0.5	0	-0.183	0	0	0	0	0
ν <sub>τ</sub>			-0.183	0	0	0	0	0
e			0.099	0.916	0	-1.261	0.155	-1.665
μ	-0.2688	0.2312	0.099	0.860	0	-1.193	0.155	-1.563
τ			0.099	0.814	0	-1.136	0.155	-1.479
u			-0.127	-0.600	0	0.828	-0.103	1.090
c	0.3458	-0.1541	-0.130	-0.555	0	0.773	-0.103	1.009
t			0.494	-0.372	0.985	0.549	0.404	0.678
d			0.155	0.300	0	-0.414	0.052	-0.545
s	-0.4229	0.0771	0.155	0.277	0	-0.387	0.052	-0.504
b			-0.610	0.186	0.984	-0.274	-0.202	-0.339

Figure 9: Predictions of the Z' couplings from the Hosotani et al. model [12].



# What about lighter quarks ? c-quark

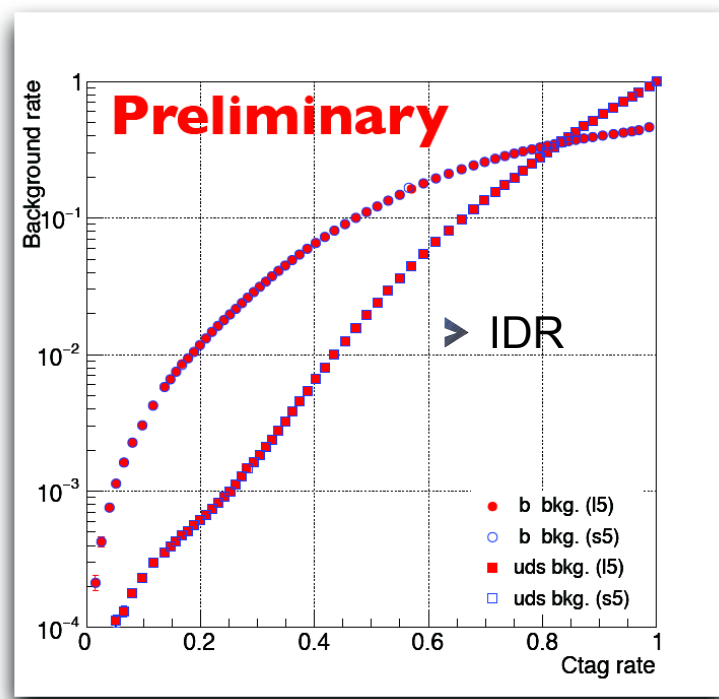
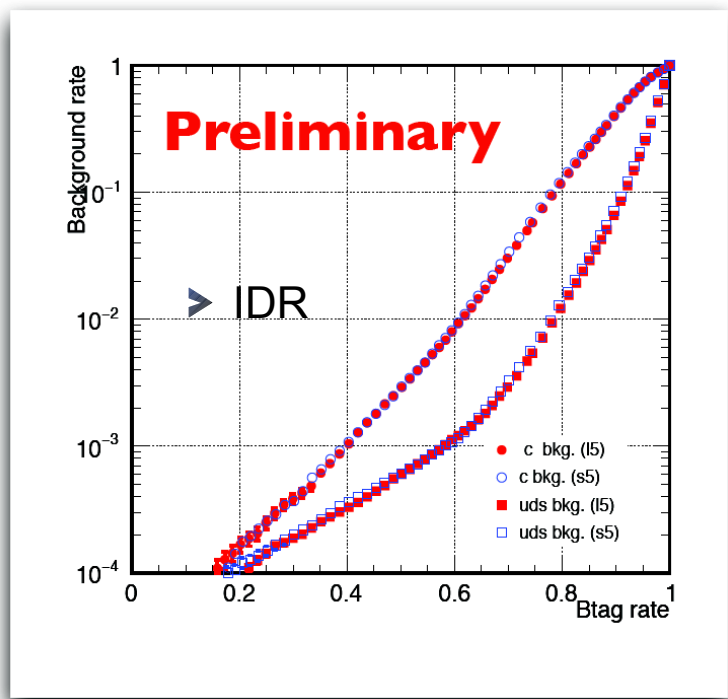
- We started to explore the c-tagging capabilities following first principles and exploiting the tools developed for the b-bbar analysis
- C-tagging (and anti uds and b tagging) seems feasible in jet per jet basis.



- Studies just started and show the potential of reaching  $\sim 20\%$  efficiency of selection using double tagged events

- Similar efficiency than SLC but they were using only single tagged events.!

# LCFIPlus C-tagging

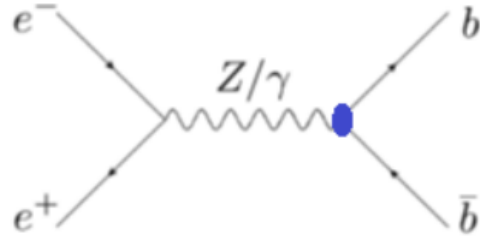


➤ R. Yonamine's slides, ILD benchmarking days 2019.

**6b, 500 GeV, w/ beam bkg.**

# b-quark EW couplings determination

- The Zbb vertex can be interpreted as a function of the F form factors, which enter in the S & A fit parameters



$$\Gamma_{\mu}^{Z/\gamma} = e[\gamma_{\mu}(F_{1V}^{Z/\gamma} + \gamma_5 F_{1A}^{Z/\gamma}) + \frac{i\sigma_{\mu\nu}q^{\nu}}{2m_b}(F_{2V}^{Z/\gamma} + \gamma_5 F_{2A}^{Z/\gamma})]$$

➤