

S O K E N D A I



Study of $H \gamma Z$ coupling using $e^+e^- \rightarrow \gamma H$ at the ILC

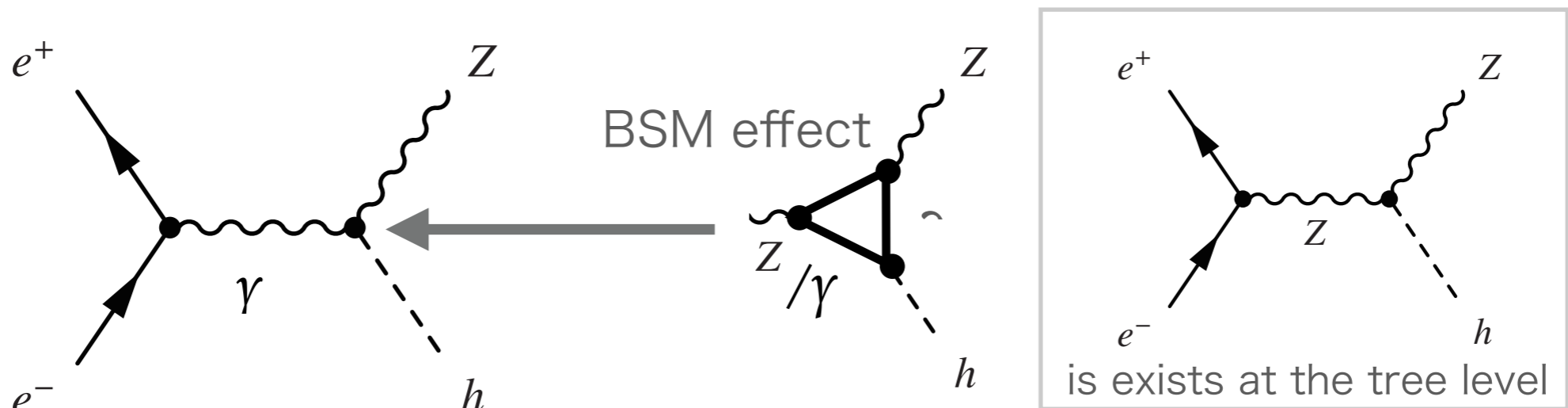
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Junghwan Lee, Hiroshi Yokoya
2019.9.26(Thu)

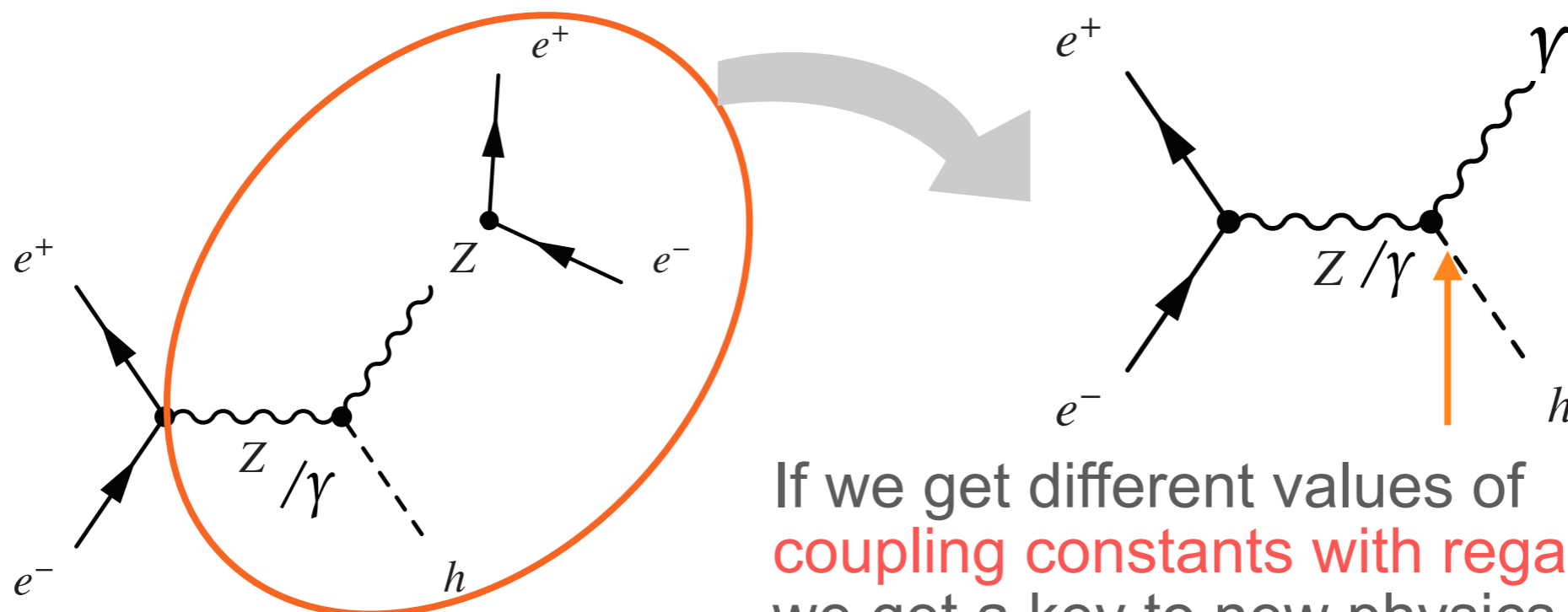
1. Motivation

Find new physics via $H\gamma\gamma$ and $H\gamma Z$ couplings

Higgs to γZ coupling in the Standard Model (SM) is a loop induced coupling.

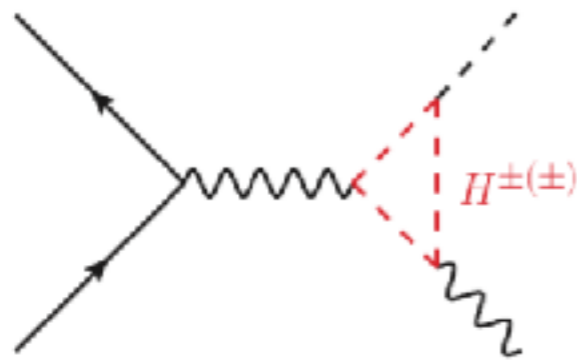


However we can't notice which particle is in the loop.



Example of new physics : Inert Doublet Model

In this Inert Doublet Model, there is charged higgs which can modify this h gamma Z vertex

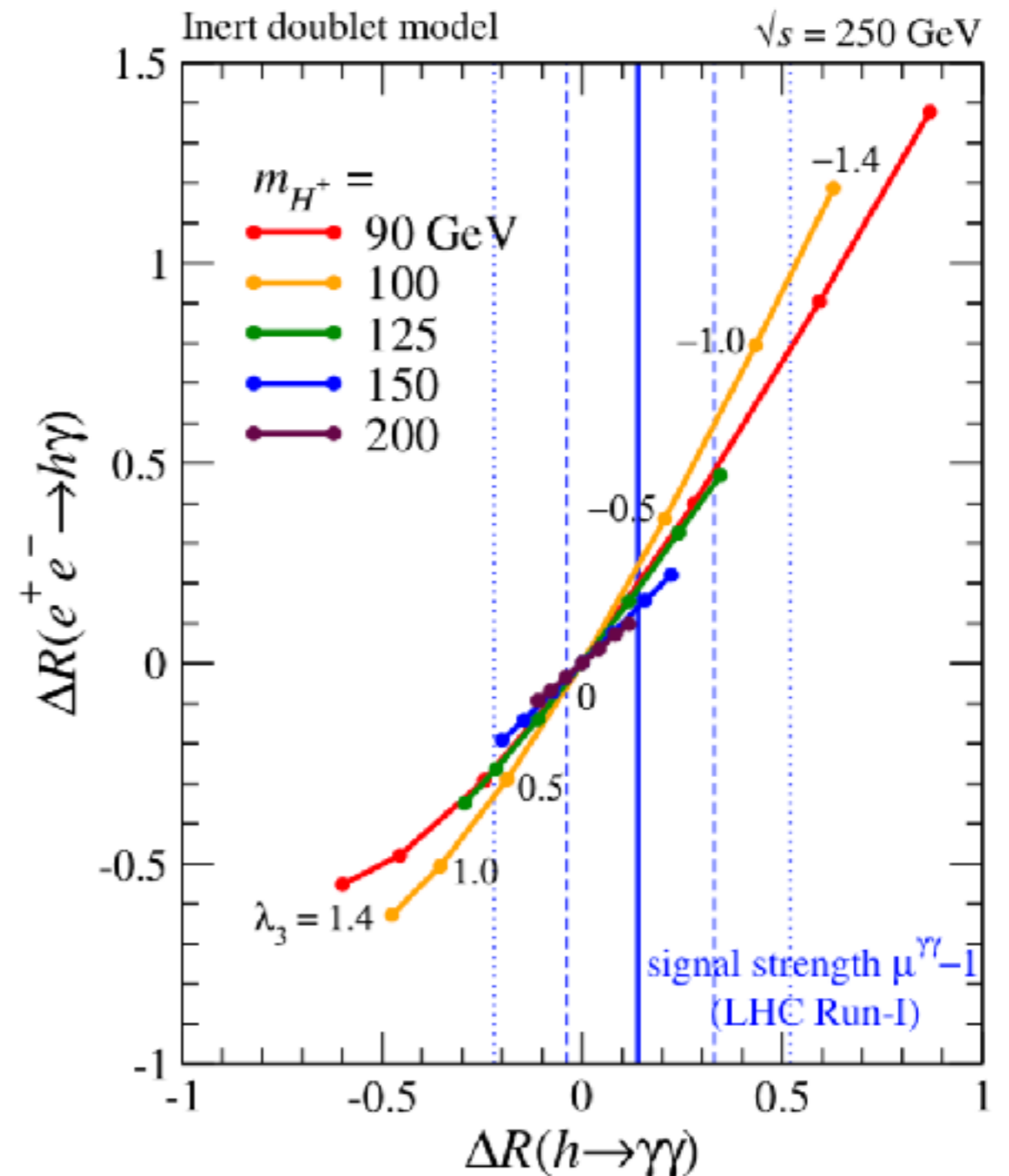


(d)

This plot shows the relative deviations of the e^+e^- to $h\gamma$ cross section and the h to $\gamma\gamma$ decay rate from the Standard Model values.

Depending on model parameters, the deviation can be as large as 100%.

$$\Delta R(e^+e^- \rightarrow h\gamma) = \sigma_{h\gamma}/\sigma_{SM} - 1$$



2. Theoretical framework for our analysis

The effective Lagrangian to include new physics contributions to the e^+e^- to $h\gamma$ cross section model-independently

$$L_{\gamma H} = L_{\text{SM}} + \frac{\zeta_{AZ}}{v} A_{\mu\nu} Z^{\mu\nu} H + \frac{\zeta_A}{2v} A_{\mu\nu} A^{\mu\nu} H$$

effective $h\gamma Z$ coupling effective $h\gamma\gamma$ coupling

ζ_{AZ} : effective coupling between Higgs and γZ

ζ_A : effective coupling between Higgs and $\gamma\gamma$

$A_{\mu\nu}, Z_{\mu\nu}$: field strength tensors

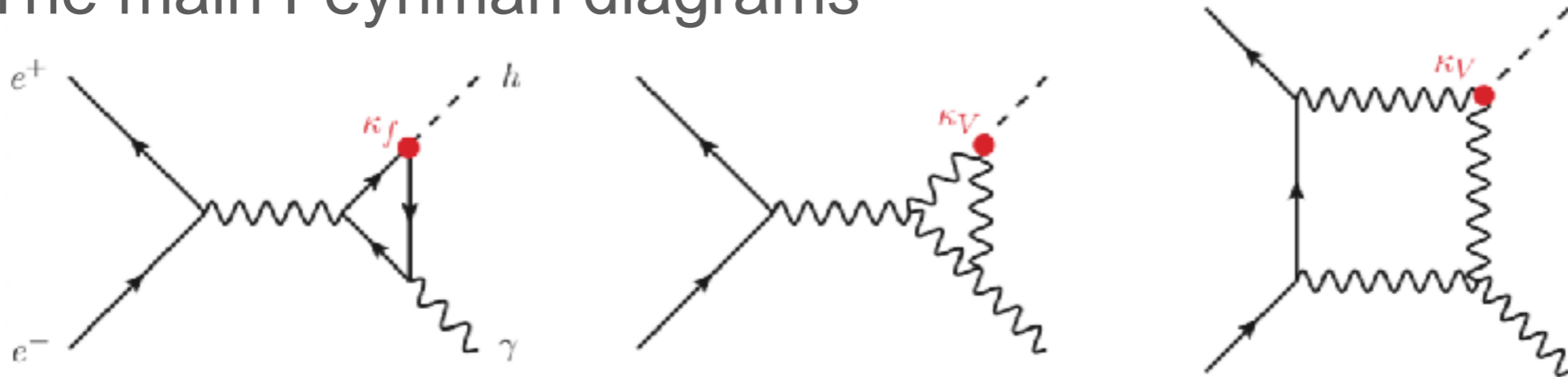
v : vacuum expectation value

SM one-loop predictions

$e^+e^- \rightarrow h \gamma$ is a loop induced process in SM

The main Feynman diagrams

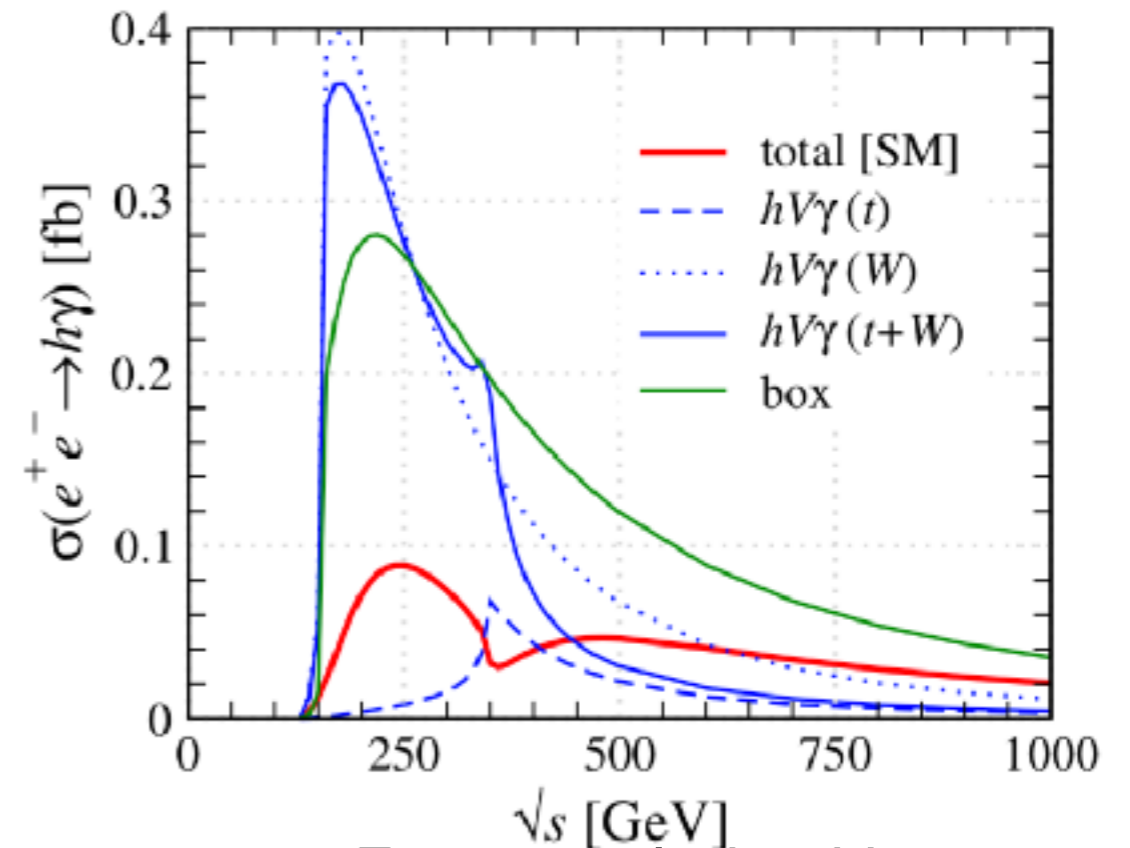
Mawatari, et al, arXiv:1808.10268



The cross sections by one loop calculation

$e^- \quad e^+$
 $\sigma_{SM} = 0.35 \text{ fb for } (-100\%, +100\%)$
 $\sigma_{SM} = 0.016 \text{ fb for } (+100\%, -100\%)$
 $\sigma_{SM} = 0.20 \text{ fb for } (-80\%, +30\%)$

$\sqrt{s} = 250 \text{ GeV}$



\times For not polarized beam
 Destructive interferences

3. Experimental Method

Coupling constant

$$L_{\gamma H} = L_{\text{SM}} + \frac{\zeta_{AZ}}{v} A_{\mu\nu} Z^{\mu\nu} H + \frac{\zeta_A}{2v} A_{\mu\nu} A^{\mu\nu} H$$

measure this 2 parameters

- ① Measure the cross sections of $e^+e^- \rightarrow \gamma h$
for two different beam polarizations
So that ζ_{AZ} and ζ_A can be determined separately

- ② Since ζ_A can be constrained already by measurement of $h \rightarrow \gamma\gamma$ branching ratio at LHC, we can extract ζ_{AZ} parameter by just measuring cross section for a single polarization.

3. Experimental Method (Continued)

The total cross section in EFT is calculated by full loop SM amplitude and interference between SM and EFT operators

→The cross section normalized to SM can be written as below

interference between one-loop SM amplitude and EFT

$$\frac{\sigma_{\gamma H}}{\sigma_{SM}} = 1 - 201\zeta_A - 273\zeta_{AZ} \quad (\text{eLpR})$$

$$\frac{\sigma_{\gamma H}}{\sigma_{SM}} = 1 + 492\zeta_A - 311\zeta_{AZ} \quad (\text{eRpL})$$

4. Simulation framework

Event generation

- Physsim $\sqrt{s}=250$ GeV
Integrated Luminosity: 2000 fb⁻¹
back ground : DBD sample

Detector simulation

- ILD full simulation (Mokka)

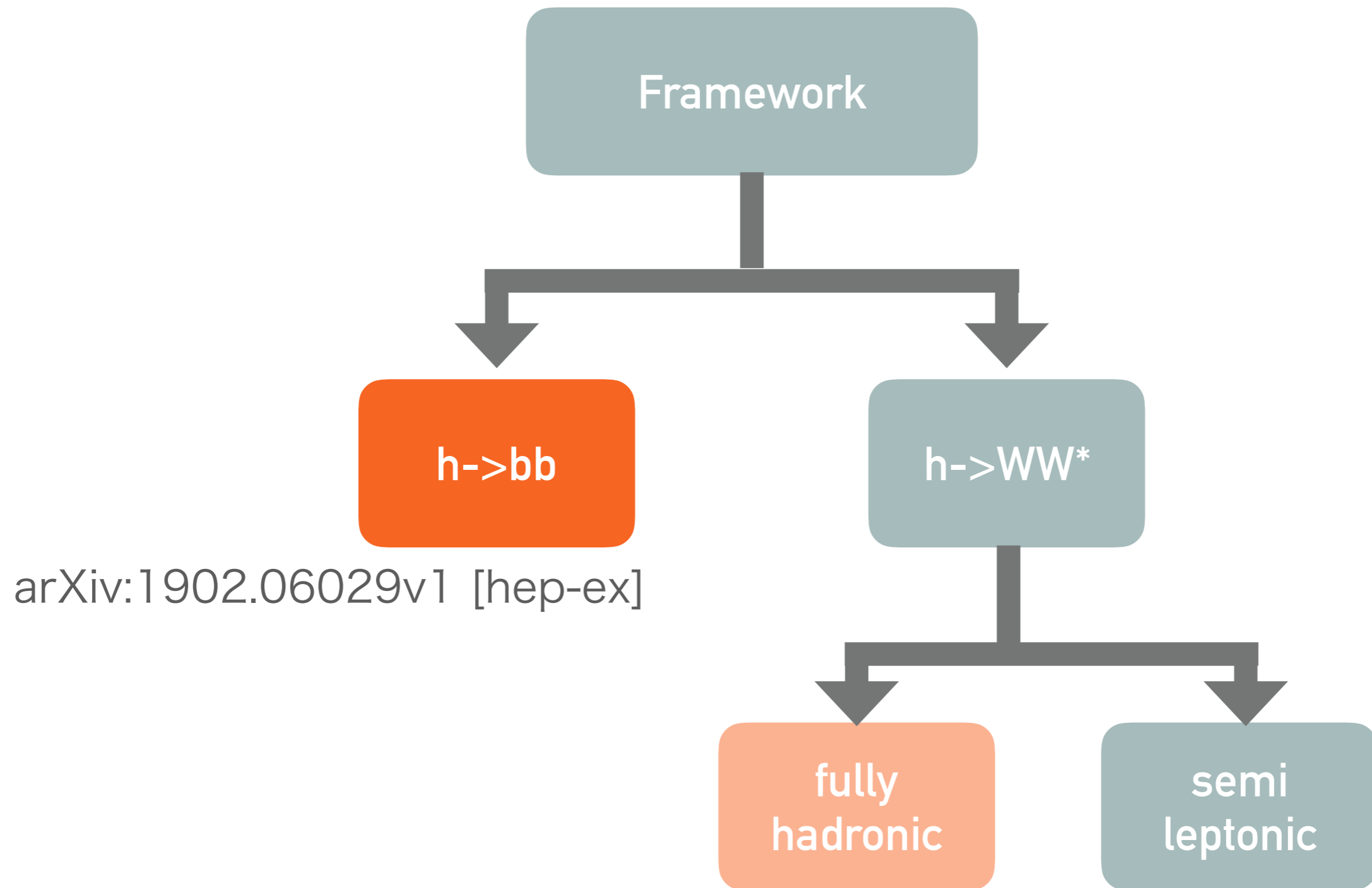
Event reconstruction

- iLCSoft v01-16-02
MarlinReco, PandoraPFA,
LCFI+, Isolated photon finder, jet clustering

Pre selection

Final selection

Strategy



5. Event selection

Signal: $e^+e^- \rightarrow \gamma H \rightarrow \gamma(b\bar{b})$

Signal signatures

1. Isolated monochromatic photon with energy 93 GeV
2. 2 b jets
3. $m(bb)$ (invariant mass) = higgs mass

Main backgrounds

$e^+e^- \rightarrow \gamma qq(\bar{q})$ dominated by $e^+e^- \rightarrow \gamma Z$ (radiative return)

6. Result

h->bb

$$significance = \frac{N_s}{\sqrt{N_s + N_B}}$$

Reduction table

Preliminary

N_s:Number of signal

N_B:Number of back ground

	Signal	background	Significance
Expected	237	3.14×10 ⁸	0.01
Pre selection	222	6.54×10 ⁷	0.02
btag>0.8	200	4.96×10 ⁶	0.09
E _{mis} <35	182	4.30×10 ⁶	0.09
mvabdt > 0.0126	75	1.98×10 ⁴	0.53

5. Event selection

① Pre selection

Signal: $e^+e^- \rightarrow \gamma h \rightarrow \gamma(WW^*) \rightarrow \gamma$ (4f)

Signal signatures

1. Isolated monochromatic photon with energy 93 GeV
2. 4 jets (fully hadronic)
3. $m(4jet) = \text{higgs mass}$
4. one of $m(2jet) = W \text{ mass}$

Main backgrounds

$$e^+e^- \rightarrow W^+W^-(\gamma)$$

5. Event selection

① Pre-selection

- Isolated photon

- Photon ID
- $E_\gamma > 50 \text{ GeV}$

※The split photon clusters within a small cone are recovered

→Left events except photon

- 4jet clustering (Durham)
- Flavor tagged (LCFI+)

For signal

number of decay w to qq=2

Strategy

$$e^+e^- \rightarrow \gamma h \rightarrow \gamma(WW^*)$$

$$e^+e^- \rightarrow 2f$$

number of particles in jet

→many

number of particles in jet

→(l,v)One

of particle > 5

number of charged particles in jet

→many

number of charged particles in jet

→One

of charged particle > 1

$y_{43}, y_{32} \rightarrow$ large

y_{43}, y_{32}

$y_{43}, y_{32} \rightarrow$ relatively small

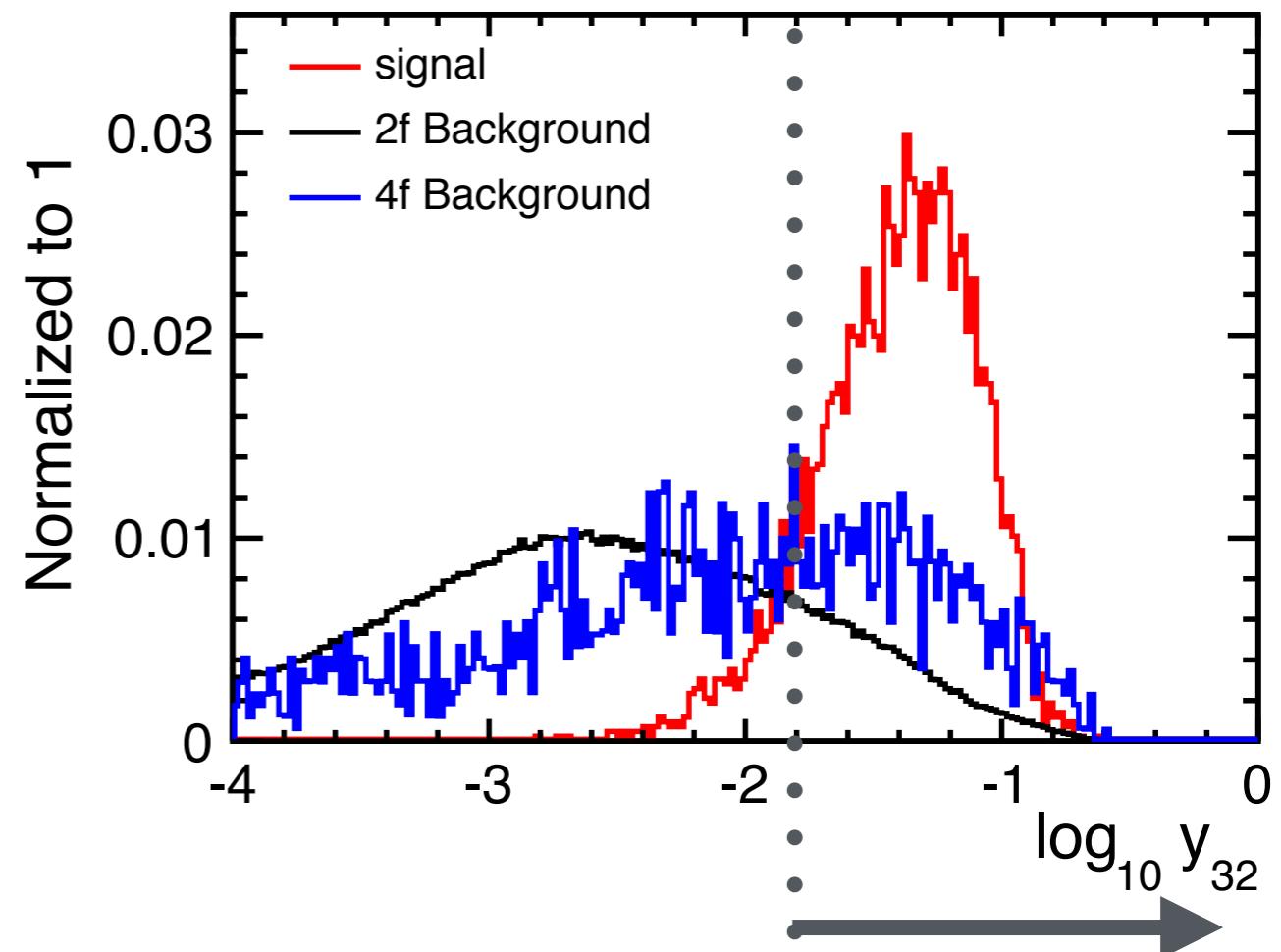
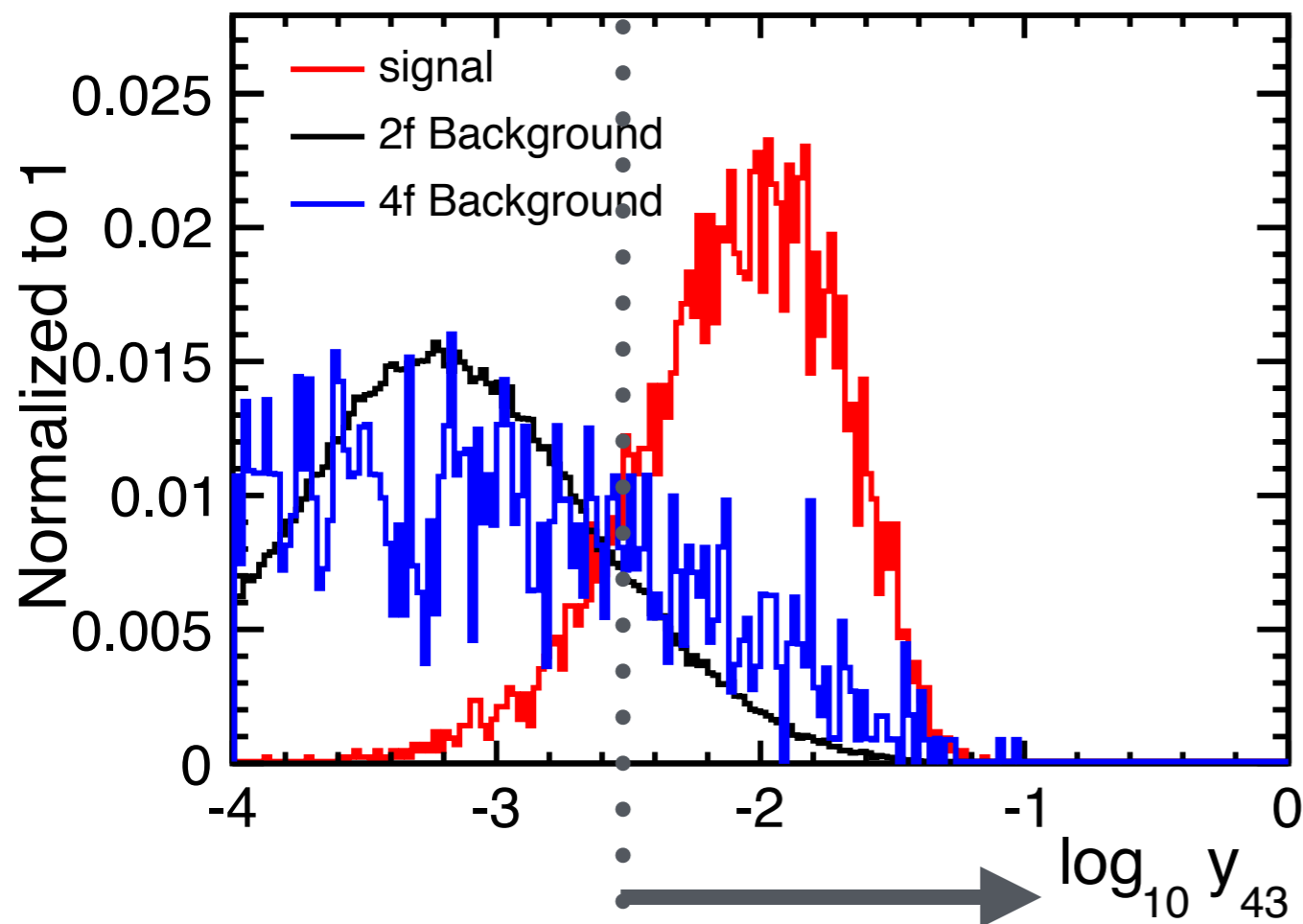
5. Event selection



The distribution of y_{43} and y_{32} for signal and background events

$\log_{10}(y_{43}) > -2.5$

$\log_{10}(y_{32}) > -1.8$



※ This plot is for events after the pre selection

Strategy

$$e^+e^- \rightarrow \gamma h \rightarrow \gamma(WW^*)$$

$$e^+e^- \rightarrow W^+W^-(\gamma)$$

mass other than real W
< 50 GeV

$m(W2)$

mass other than real W
~80 GeV

$m(4jets) = \text{higgs mass}$

$m(4jets)$

$m(4jets) = \text{center mass energy}$

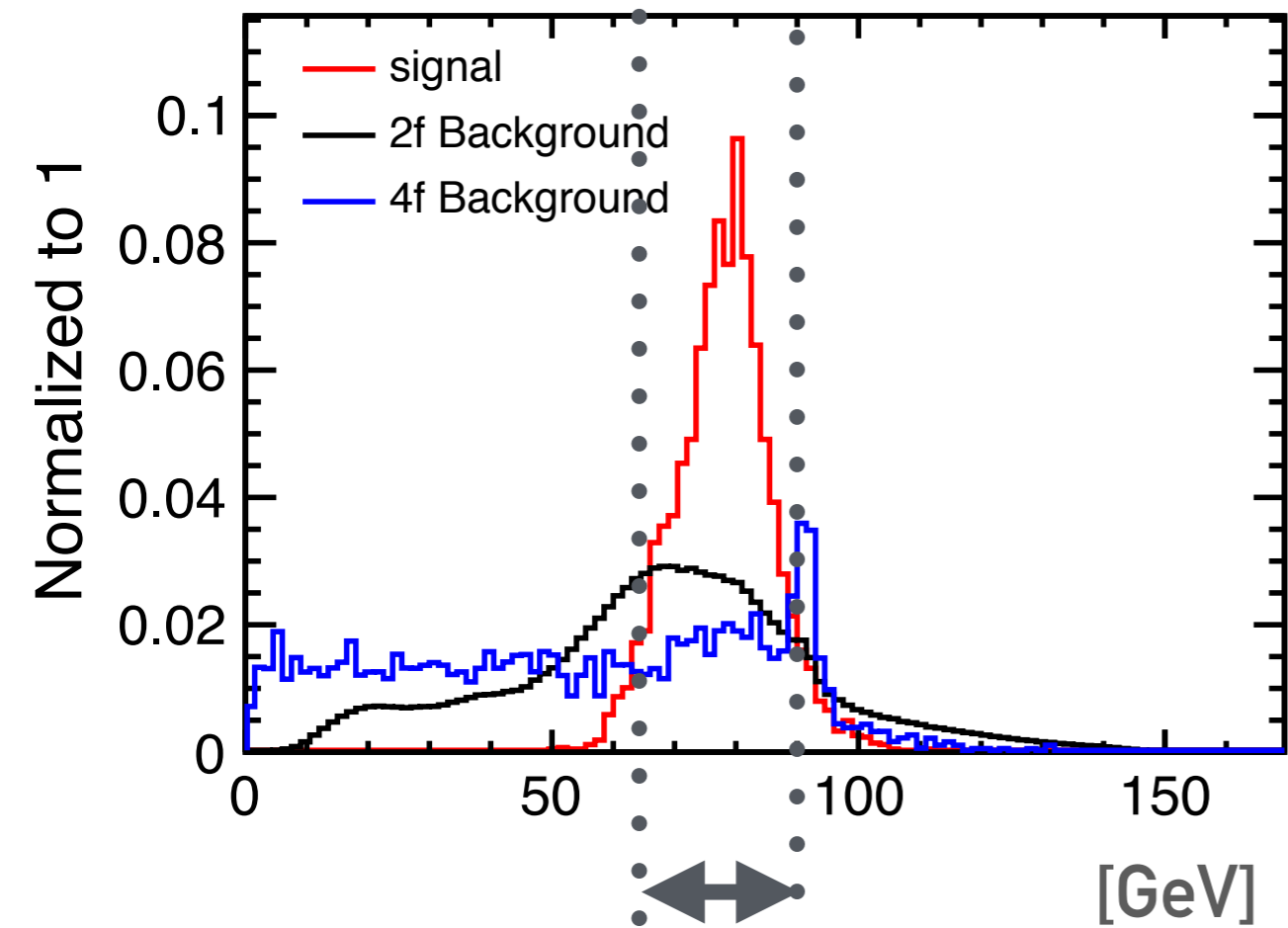
Energy of isolated
monochromatic photon
~93 GeV

m_γ

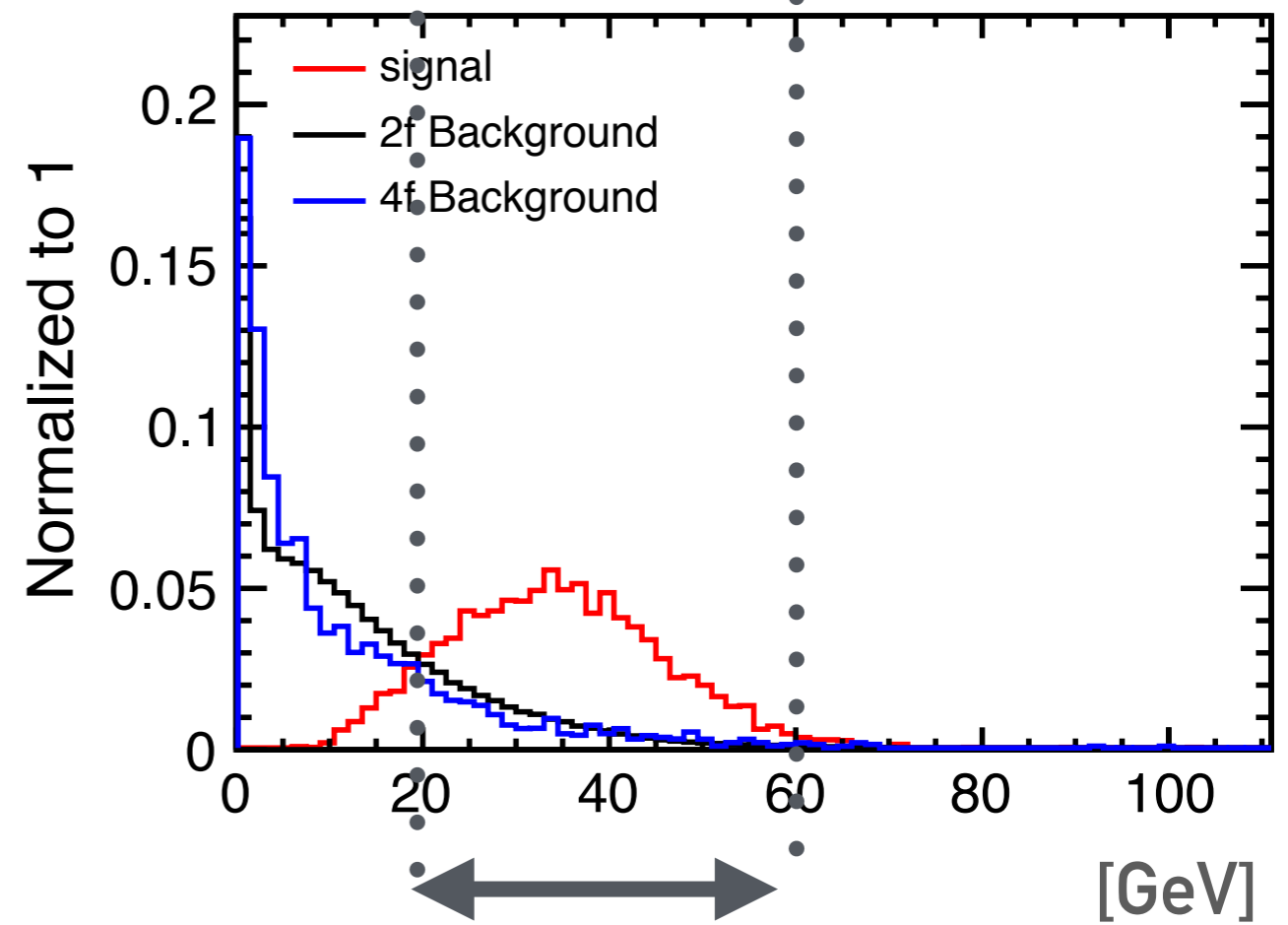
Energy of photon
~small

5. Event selection

$65 < m_{w1} < 90$

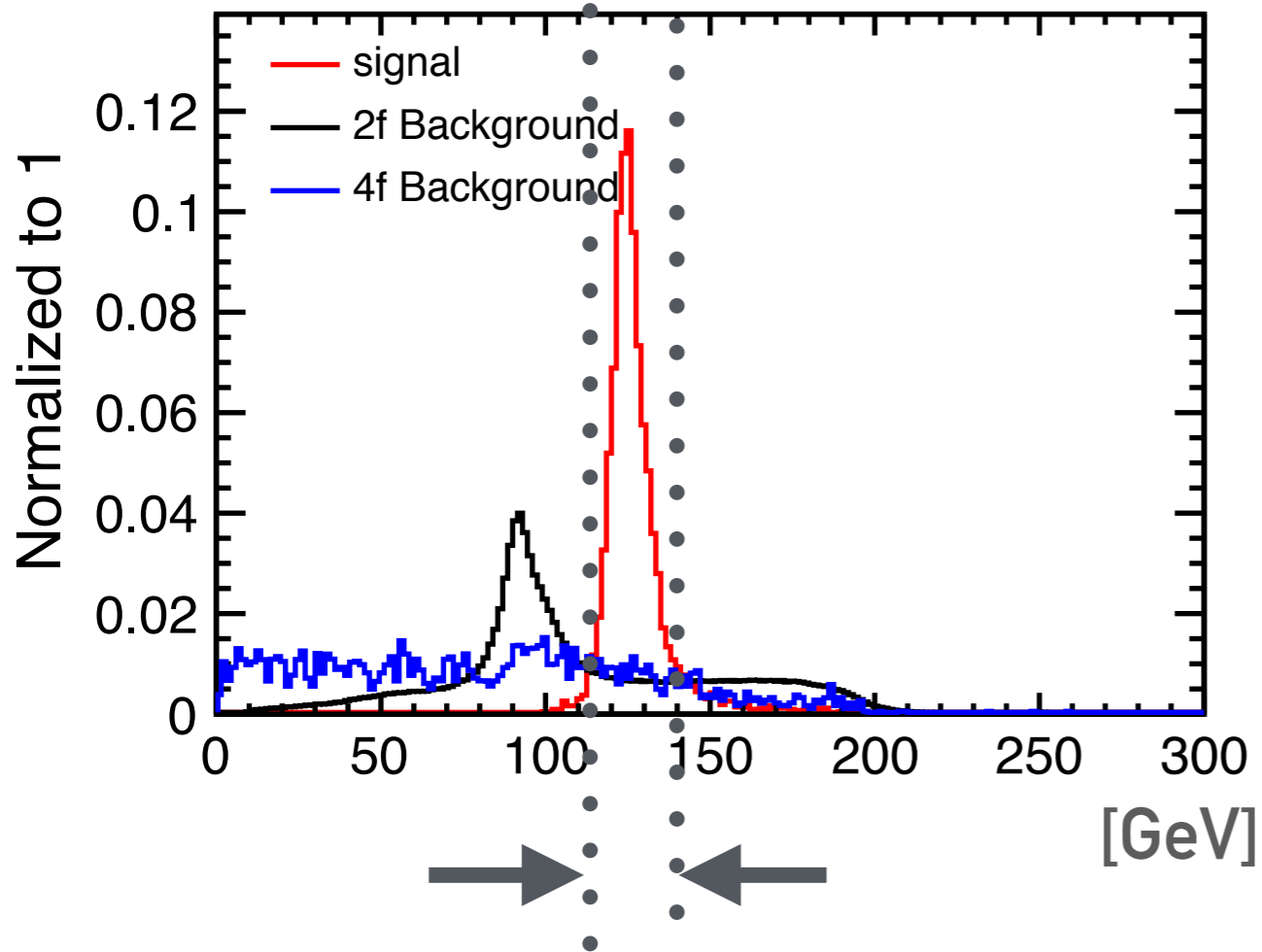


$20 < m_{w2} < 60$

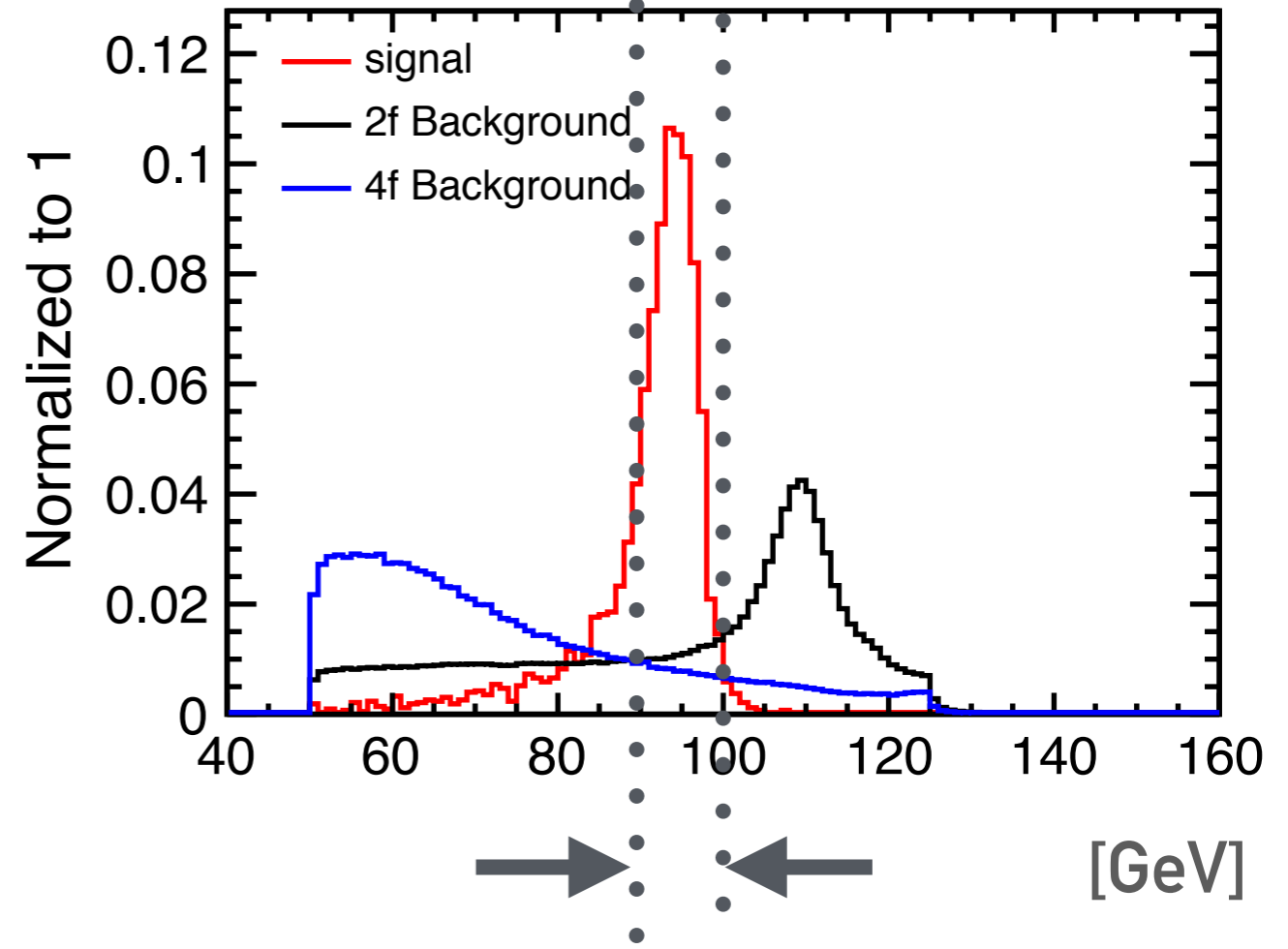


5. Event selection

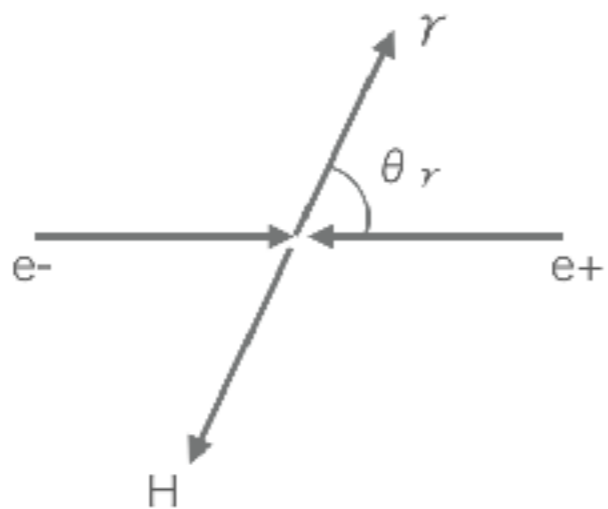
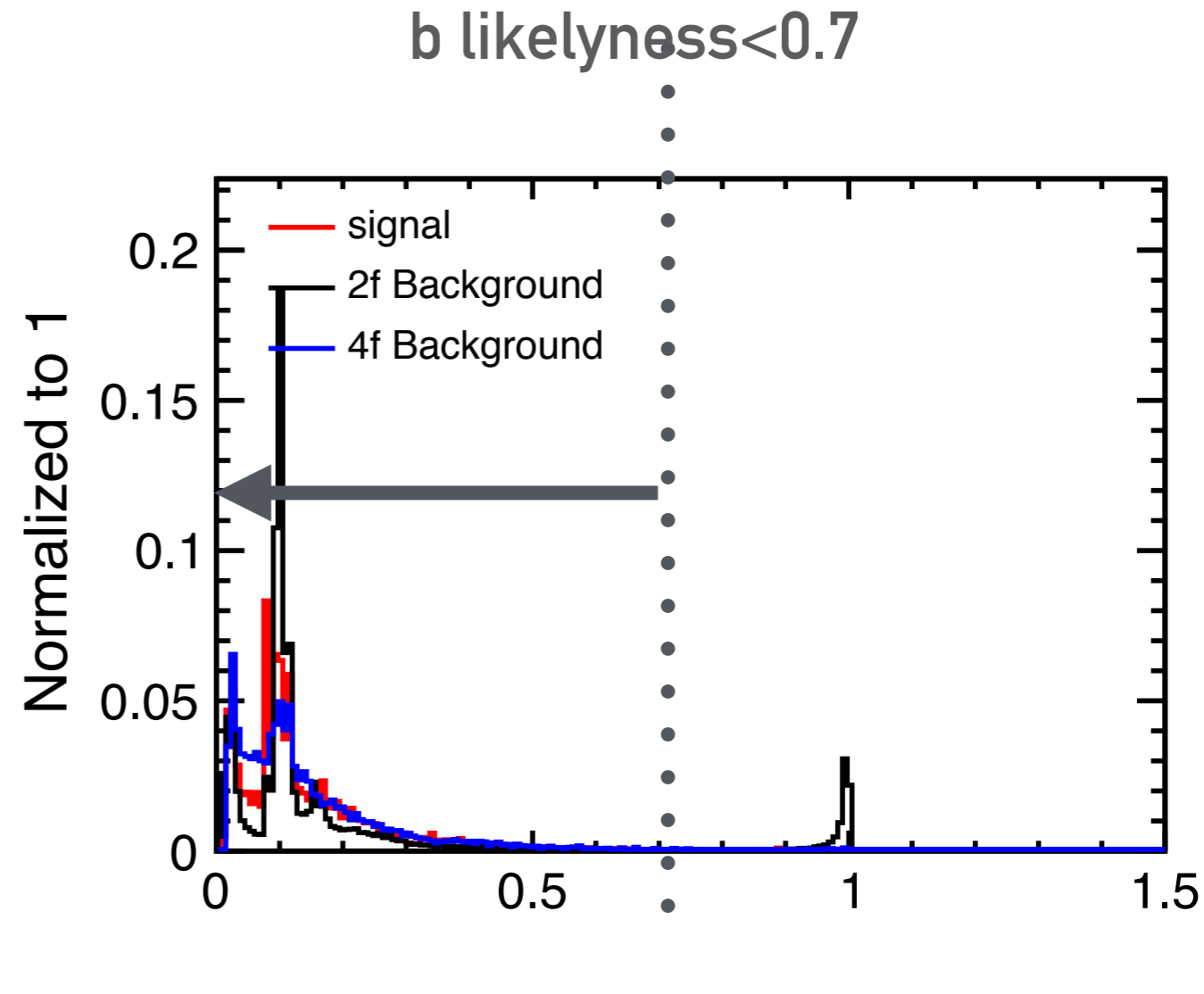
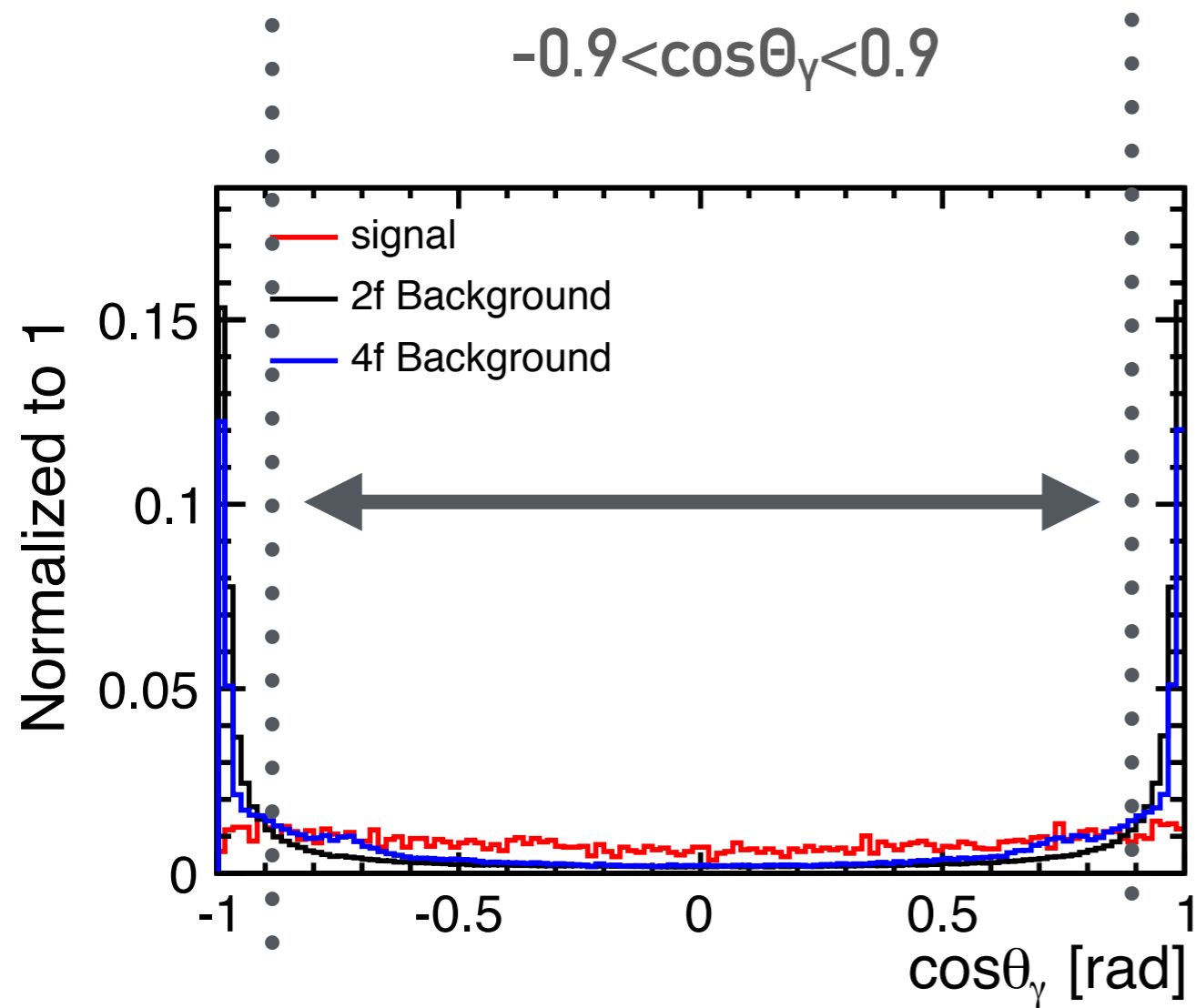
$115 < m(4\text{jets}) < 135$



$90 < E_\gamma < 100$



5. Event selection



$$\text{significance} = \frac{N_s}{\sqrt{N_s + N_B}}$$

6. Reduction table

	2f_h	4f_h	total bg	Signal	Signal hadronic	Significance
Expected	156093000	33599400	314154000	88.5	40.2	0.005
Pre selection	27978300	760090	61010200	80.5	37.7	0.01
# of particle>5	10295600	681904	11233500	36.5	32.0	0.01
# of charged particle >1	5940470	591493	6646540	28.0	25.9	0.01
log10(y43)>-2.5 log10(y32)>-1.8	951914	527681	1515780	21.8	20.9	0.02
65<mw1<90	348875	495465	860262	19.2	18.9	0.02
20<mw2<60	235286	311623	559275	17.6	17.4	0.02
115<mx<135	53738	15634	74447	15.7	15.6	0.06
90<Ey<100	21447	5494	27290	11.8	11.8	0.07
-0.9<cosθ<0.9	10636	3758	14525	10.3	10.3	0.09
bmax1<0.7	9746	3696	13558	10.0	10.0	0.09

6. Result

$$\begin{aligned} \rightarrow 95\% \text{ C.L upper limit } \sigma &= \frac{1.64}{\textit{significance}} \sigma_{SM} \\ &= 18.2 \times 0.35 \text{ [fb]} \\ &= 6.37 \text{ [fb]} \quad (\text{Left handed}) \end{aligned} \quad \text{Significance} = 0.09 \text{ for SM}$$

$$18.2 > \frac{\sigma_{\gamma H}}{\sigma_{SM}} = 1 - 201\zeta_A - 273\zeta_{AZ} > 0$$

assume $\zeta_A = 0$

$$-0.063 > \zeta_{AZ} > 0.0037$$

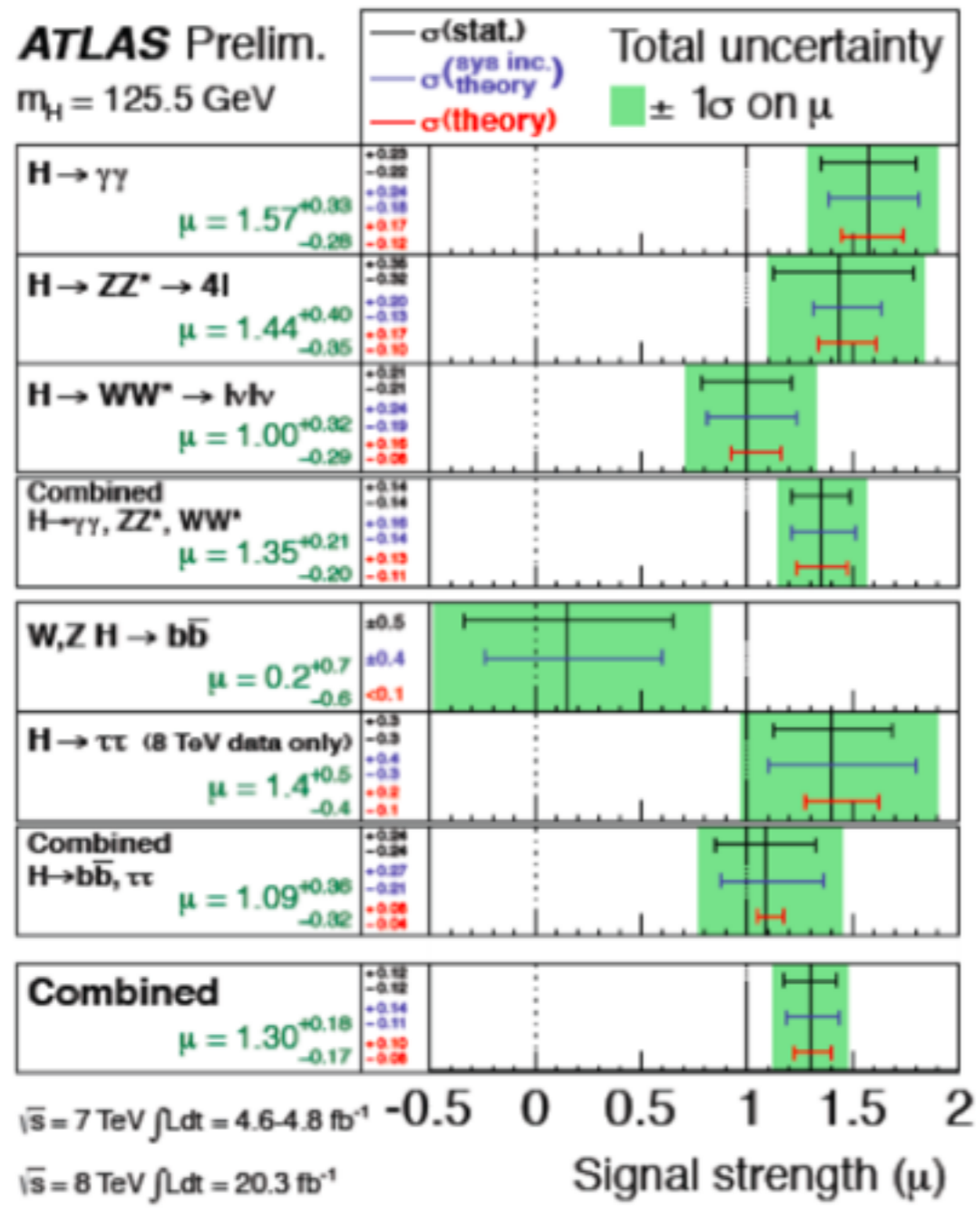
7. Summary

- I simulated and analyzed $e^+e^- \rightarrow h$ gamma process
- Significance for $e^+e^- \rightarrow h\gamma$ process ($h \rightarrow WW^*$)
 - $\sim 0.09\sigma$ for SM at $\sqrt{s}=250$ GeV, 2000 fb^{-1}
- model independent upper limit for cross section : $\sigma_{\gamma H} < 6.78 \text{ fb}$ (95% C.L.)
- Corresponding bounds : $-0.0077 > \zeta_{AZ} > 0.0037$

Next step

- Fully hadronic
 - TMVA
 - Semi leptonic (lvqq)
-

Understand the role of this measurement in one global EFT analysis



The Beautiful Physics of LHC Run 2

arXiv:1412.2666v1 [hep-ph] 8 Dec 2014