



# *Common SiWECal – SDHCAL TB data analysis*

**Héctor García Cabrera**

on behalf of the SDHCAL group

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GOBIERNO  
DE ESPAÑA

MINISTERIO  
DE CIENCIA  
E INNOVACIÓN

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Centro de Investigaciones  
Energéticas, Medioambientales  
y Tecnológicas



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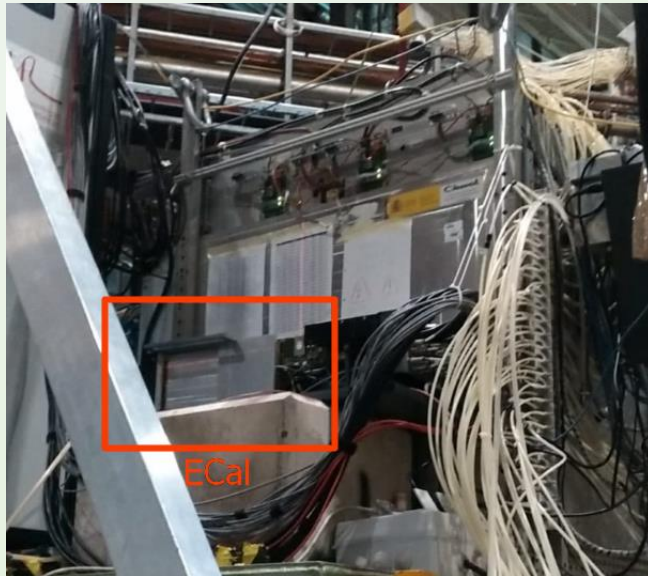
# Test Beam setup

CERN H4 SPS. October 2018

- Muon (200 GeV),  $\Pi^+$  (40 – 80 GeV) and electron (40 GeV) runs.

## SiWECAL:

- 9 working layers, 10 installed.



## SDHCAL:

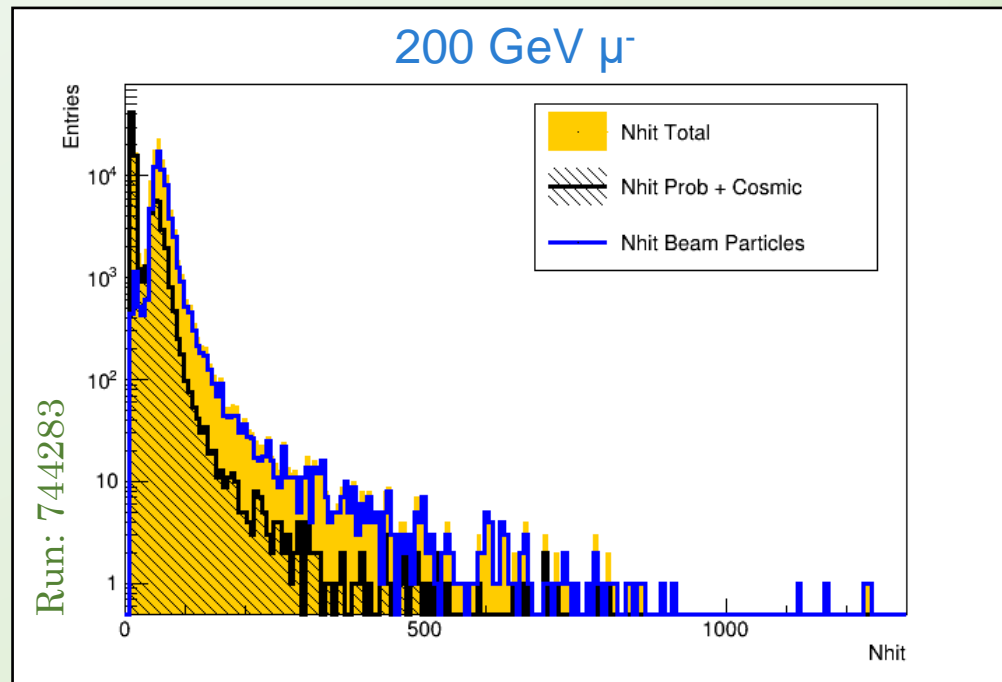
- 37 out of 48 layers present in the prototype. There may be leakage at high energies.
- SiWECal placed in front of the SDHCAL:  
 $\{0, 0\} \equiv$  SDHCAL's bottom left corner

$$X_{ECal}^0 = 225 \text{ mm}$$

$$Y_{ECal}^0 = 377 \text{ mm}$$

# Particles selection. SDHCal beam cuts

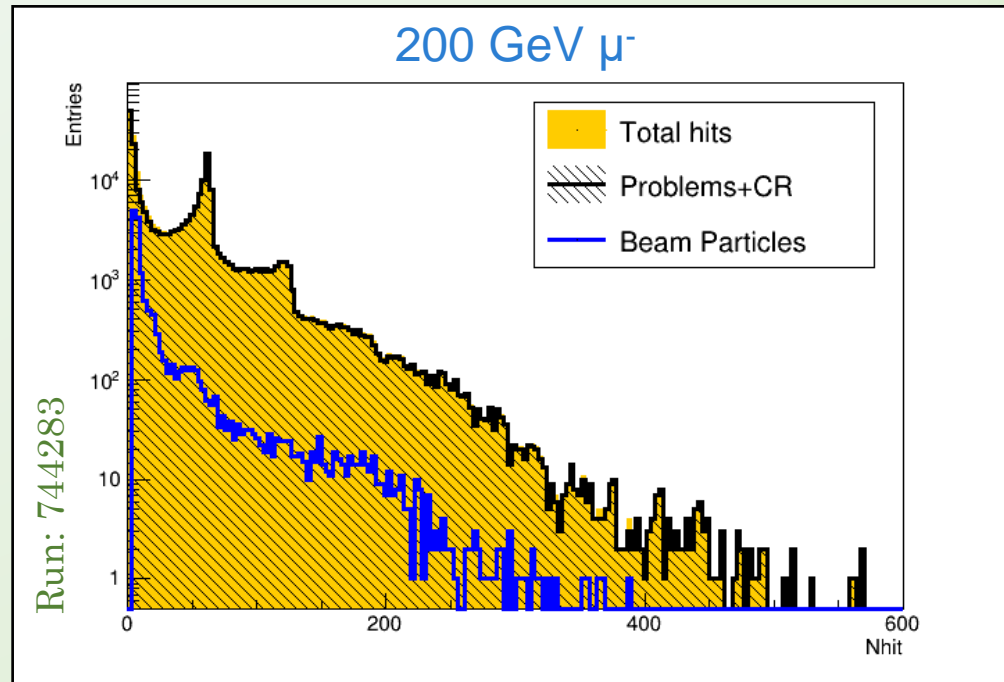
- To separate a physical process from electronic noise:  $N_{hits} > 7$ .
- We require that there is signal in the first 2 layers.
- It is required 4 layers with signal between the first 10 and 3 among the first 6.
- To reconstruct the trace we require at least 5 close (less than 3 layers without signal in between) GRPCs with signal.
- Only one set of close RPCs with signal in the whole prototype.



# Particles selection. SiWECal beam cuts

Following a similar procedure than the SDHCal:

- Signal in the first 2 layers required.
- At least 3 close layers with signal.



# Particles selection. Muon selection variables

**Density:**  $\rho = \frac{nHit}{nLayers}$        $nHit \rightarrow$  total number of hits in the detector.  
 $nLayers \rightarrow$  number of layers with signal.

**Second maximum of hits in a single layer:**  $Hit_{Max2}$

**Penetrability Condition (P.C.):**

## SDHCal

- Layers 01-08: at least 6 with signal.
- Layers 09-16: at least 6 with signal.
- Layers 17-28: at least 7 with signal.
- Layers 29-37: at least 6 with signal.

## ECal

- Signal in the first half. Layers 01- 05
- Signal in the second half. Layers 06 – 10

# Particles selection. SDHCal muon cuts

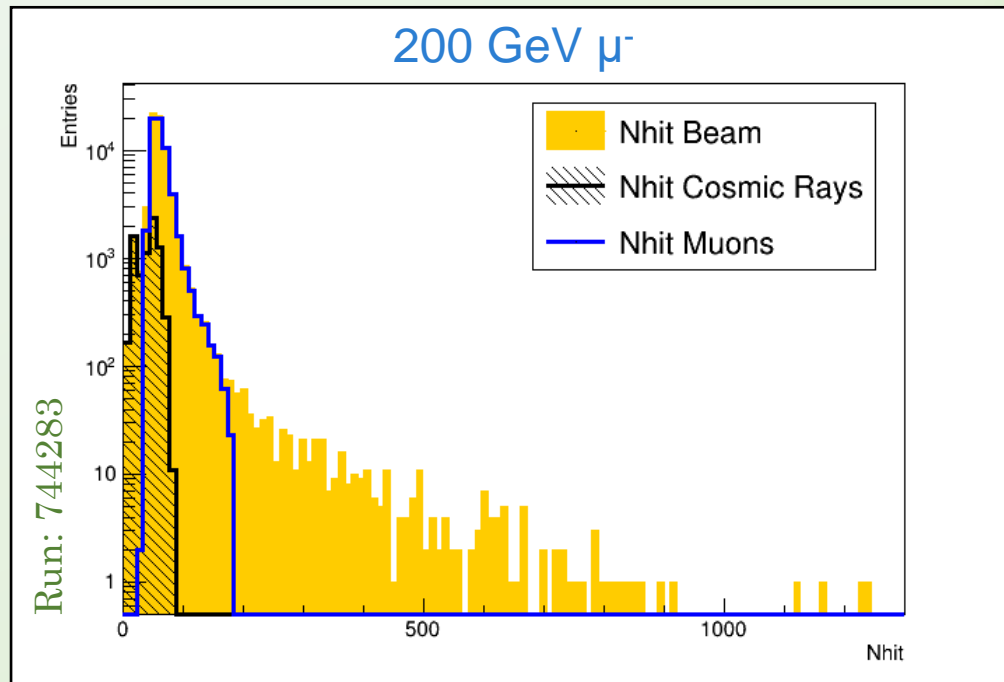
Density:  $\rho$

Second nHit maximum in a single layer:  $Hit_{Max2}$

Penetrability condition:  $P.C.$

Muons  $\rightarrow (\rho < 2.2 \text{ or } Hit_{Max2} < 5) + P.C.$

Muons with shower  $\rightarrow \rho < 5 + P.C.$



# Particles selection. SiWECal muon cuts

Density:  $\rho$

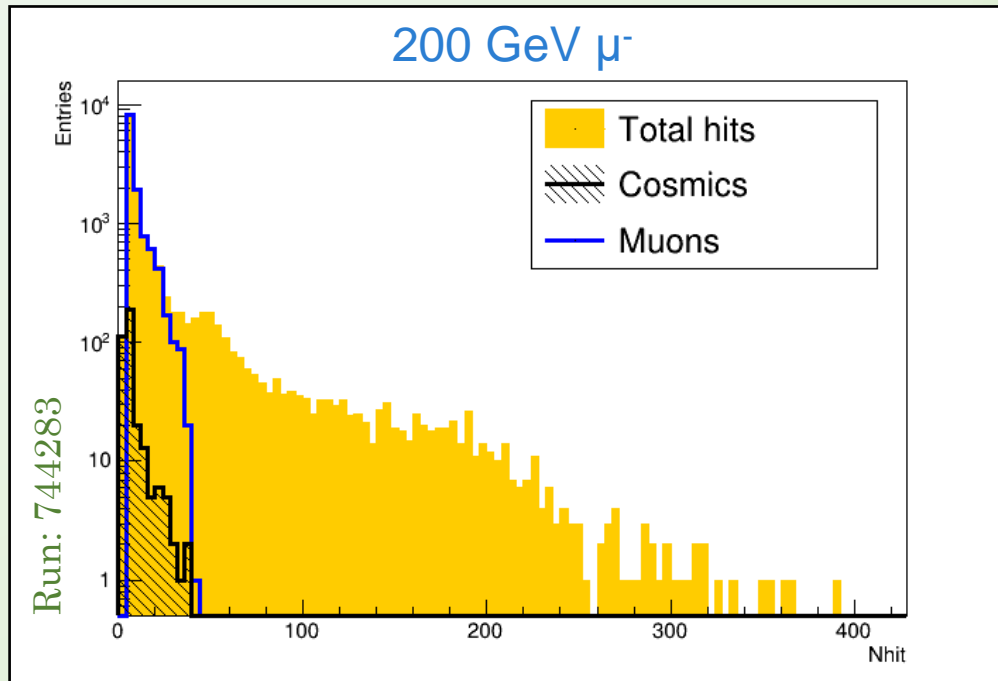
nHit maximum in a single layer (To remove noisy channels):  $Hit_{Max}$

Second nHit maximum in a single layer:  $Hit_{Max2}$

Penetrability condition:  $P.C.$

Muons  $\rightarrow (\rho < 2.5 \text{ or } (Hit_{Max2} < 5 \ \& \ Hit_{Max} < 32)) + P.C.$

Muons with shower  $\rightarrow \rho < 5 + P.C.$





# Tracks reconstruction

The process of track reconstruction is made in a few steps:

- A first approximation by taking the mean value of all clusters in each layer
- This approximation is fitted to a straight line.
- Then the closest cluster with a distance less than 20.8 mm in X and Y to the previous approximation is selected for each layer. *(It is possible that a layer has no cluster selected)*
- The final track is the set of selected clusters fitted to a straight line.

Finally the following cuts are applied to select the tracks:

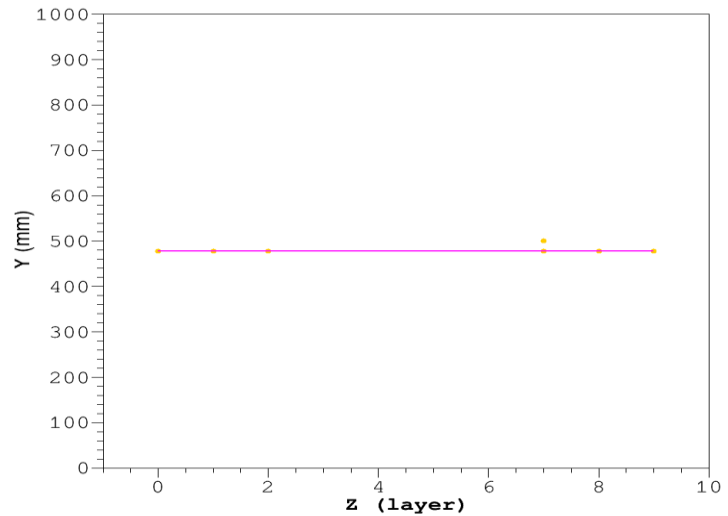
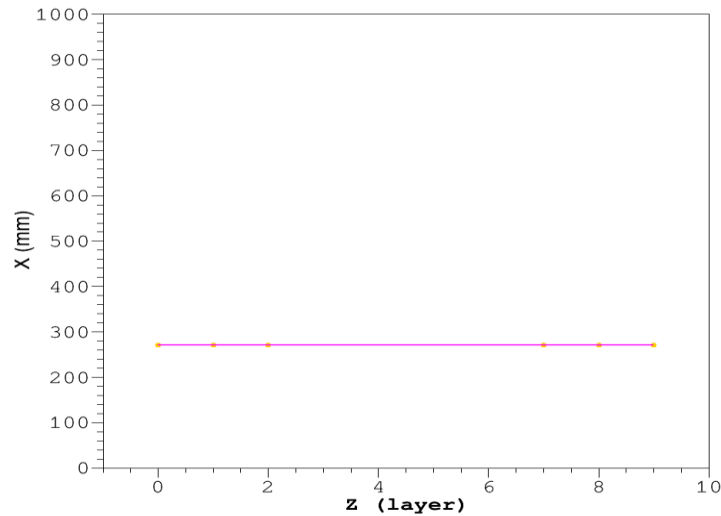
$$|\alpha_X| < 0.2 \ \& \ |\alpha_Y| < 0.2$$

Where  $\alpha_X$  and  $\alpha_Y$  are the slopes of the tracks

No less than 5 layers with clusters selected

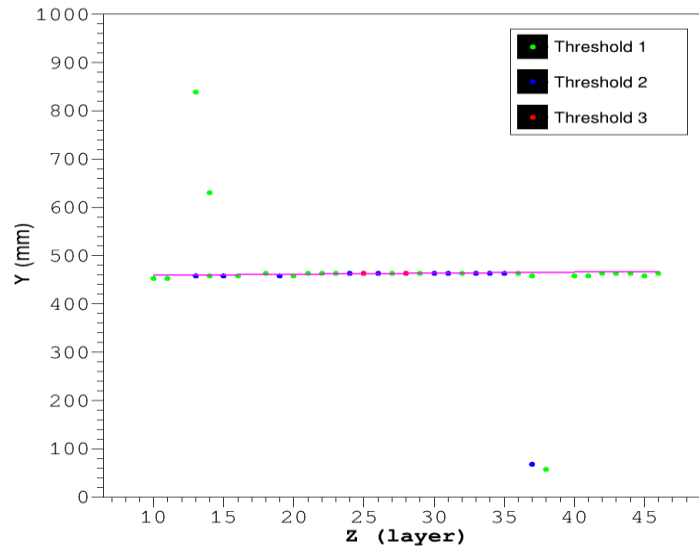
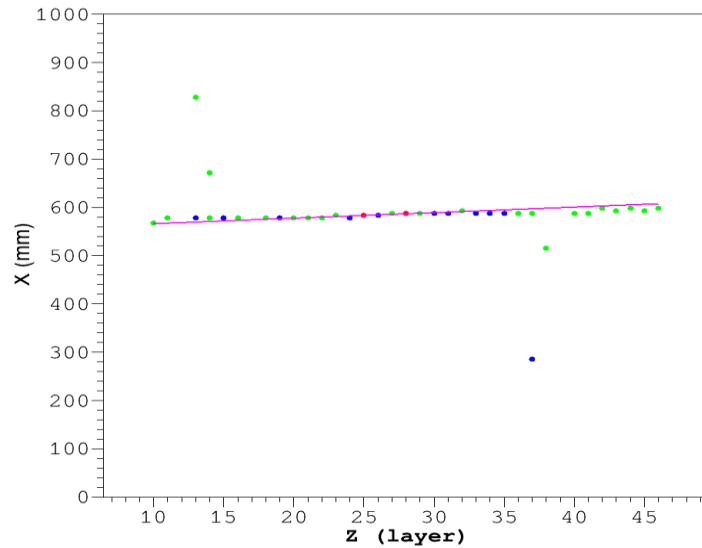
# Tracks reconstruction. Muon example

SiWECal track



Run: 744283

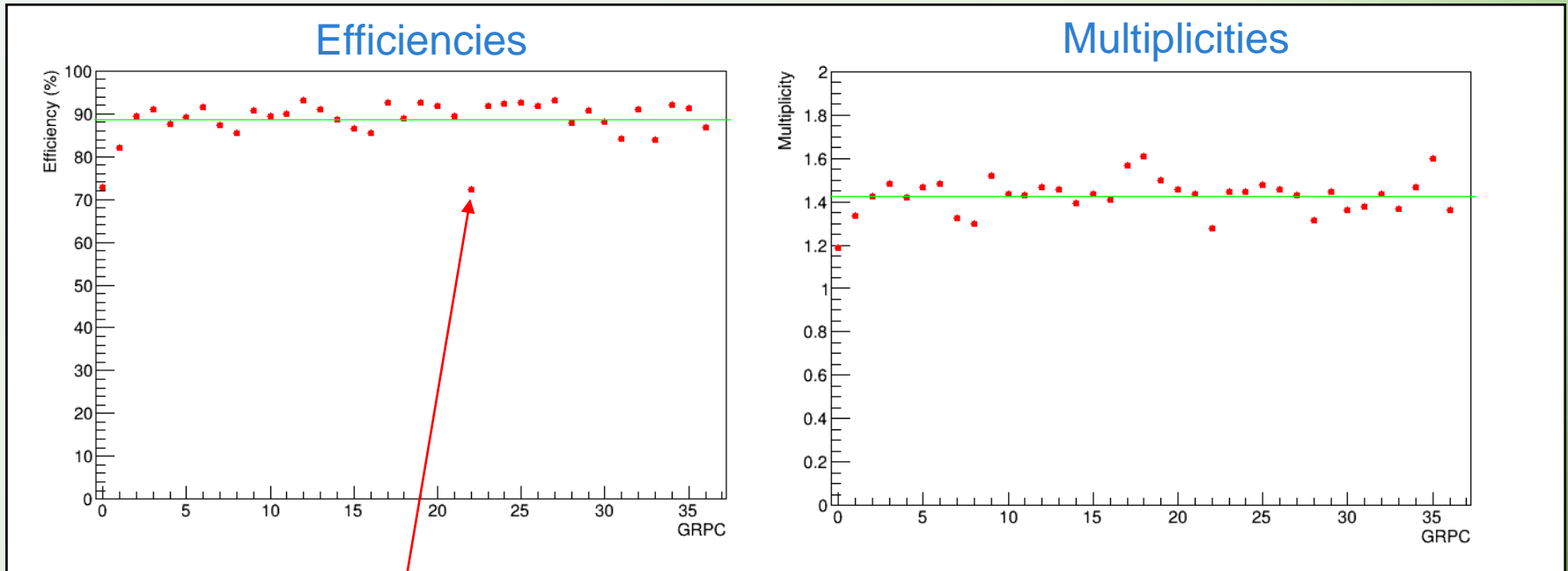
SDHCAL track



# Efficiencies and multiplicities. SDHCal

**Efficiencies:** A layer is said to be efficient if there is a cluster in the track of a reconstructed muon in such layer.

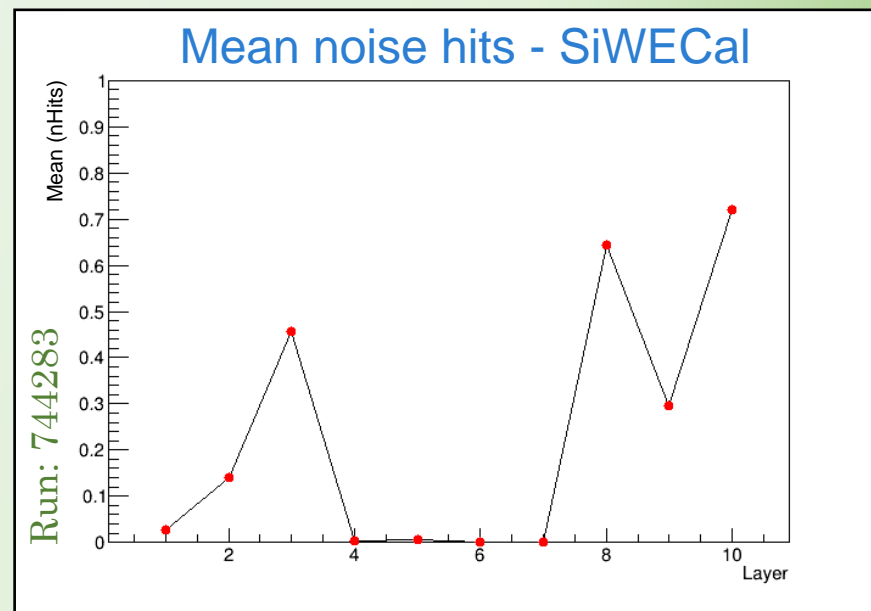
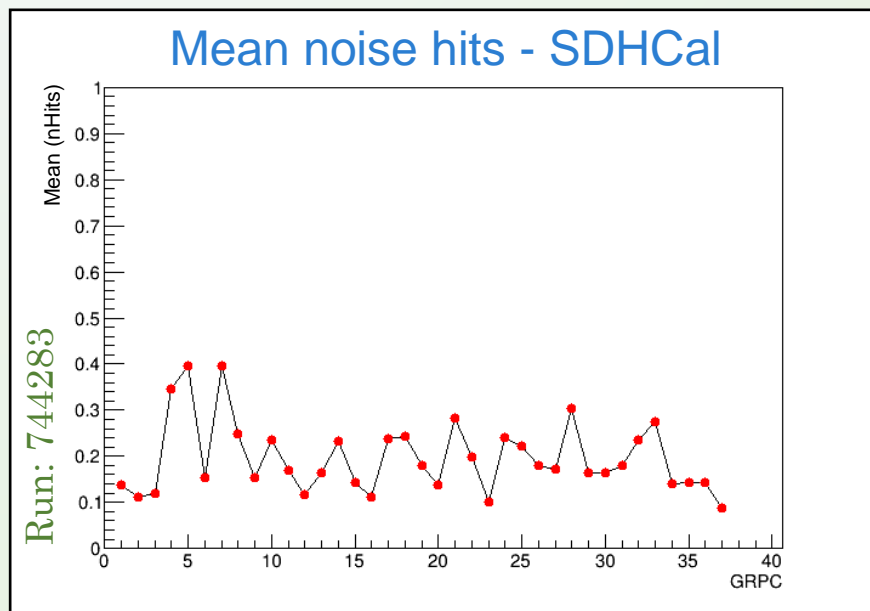
**Multiplicities:** If a layer is efficient the multiplicity is defined as the size (in number of pads) of the cluster associated to that layer.



A third of the electronics was out of order

# Mean noise hits

**Noise hit:** Defined as a hit which is not associated to a muon track.



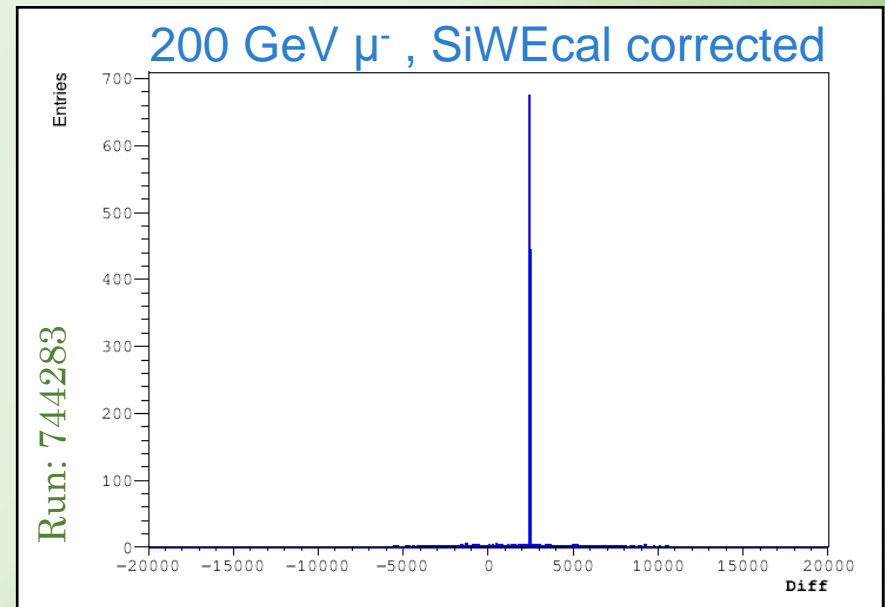
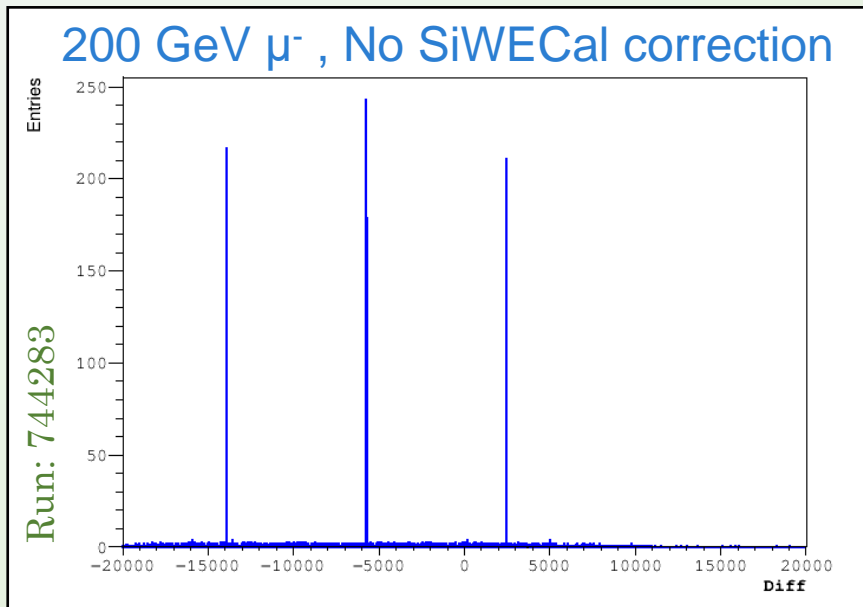
# *SiWECal – SDHCal synchronization*

- Events must share the same run and spill.
- SDHCal tracks must go through the SiWECal boundaries:

$$227.75 \text{ mm} < x < 397.75 \text{ mm}$$

$$379.75 \text{ mm} < y < 550.25 \text{ mm}$$

- The two tracks with the closest set of parameters are selected as a match.



# SiWECal – SDHCAL geometrical alignment

Using muon tracks it is possible to try to find a correction to the SDHCAL position by fitting to a sum of Gaussians the differences of the tracks from both detectors.

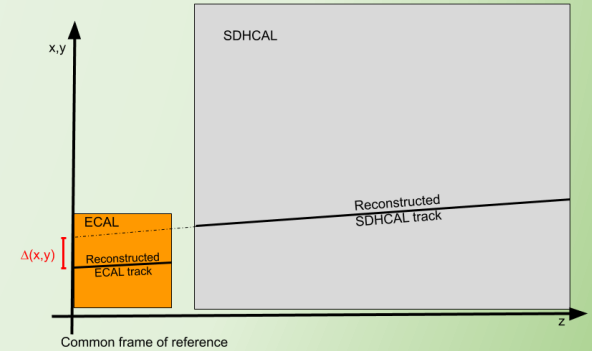
Single Gaussian fit:

$$X'_{HCal} = X_{HCal}^H - \mu_X$$

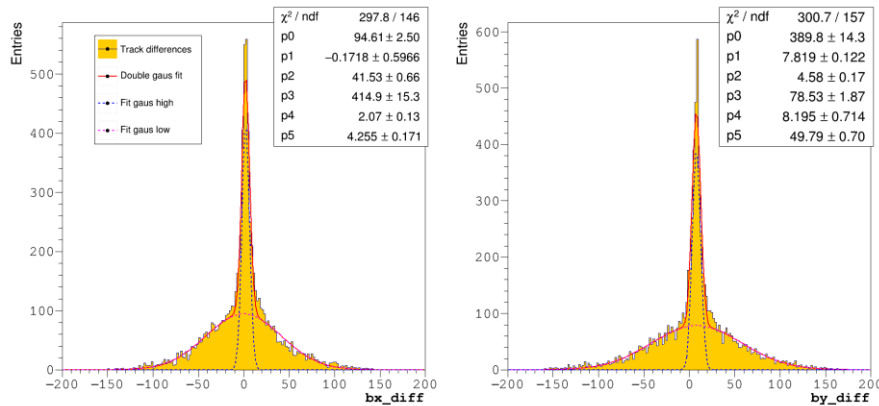
$$Y'_{HCal} = Y_{HCal}^H - \mu_Y$$

$$X: \mu_X^H = 2.07 \pm 0.13 ; \sigma_X = 4.255 \pm 0.171$$

$$Y: \mu_Y^H = 7.819 \pm 0.122 ; \sigma_Y = 4.58 \pm 0.17$$

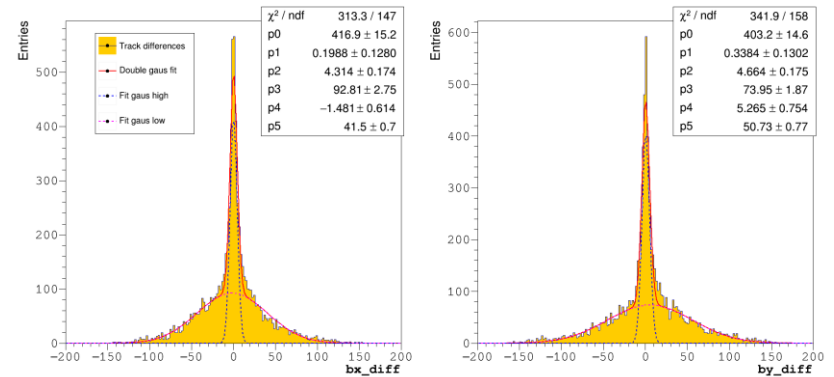


200 GeV  $\mu^-$



Run: 744283

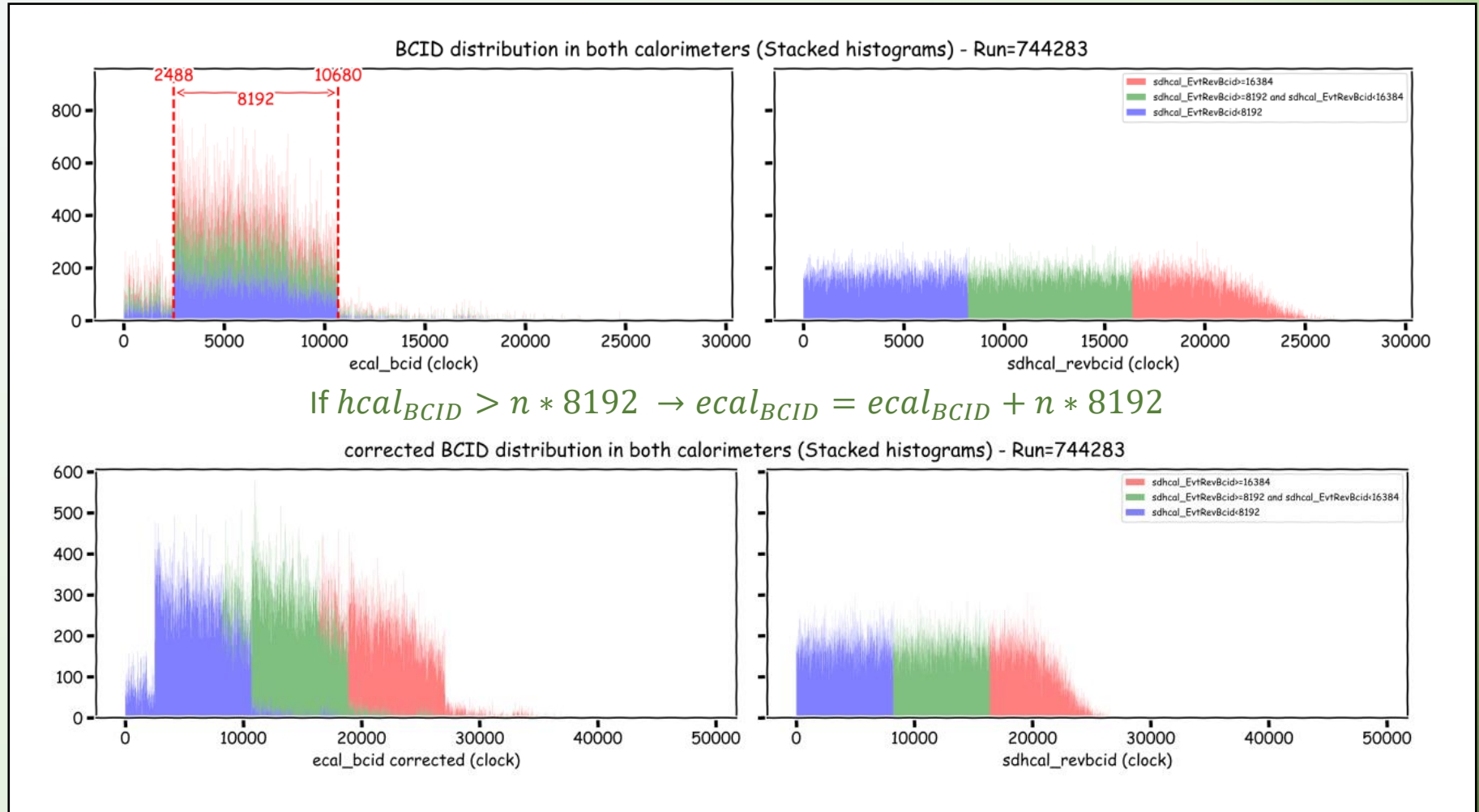
200 GeV  $\mu^-$  (After rematching)



Run: 744283

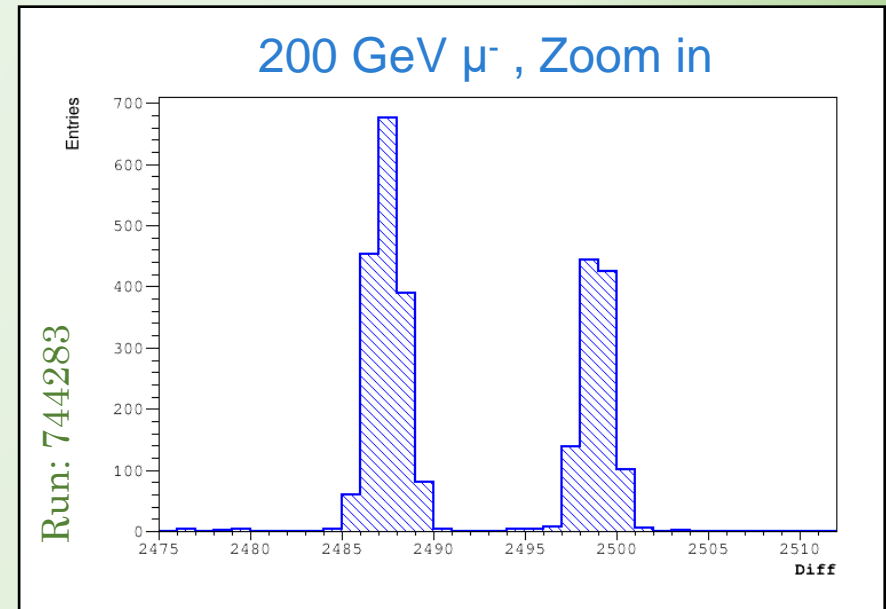
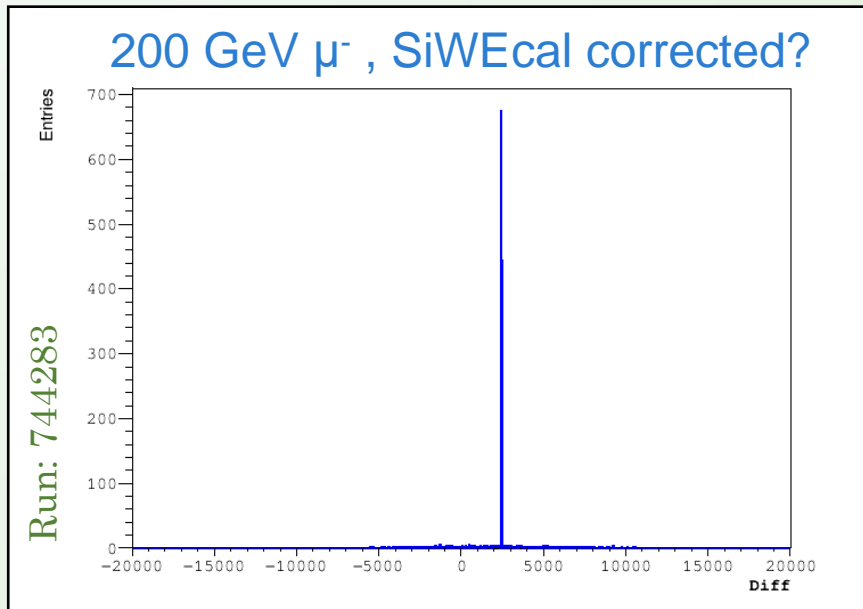
# *SiWECal – SDHCal synchronization. SiWECal<sub>BCID</sub> correction*

The BCID of the SiWECal gets overrun due to large acquisition times and requires correction.



# *SiWECal – SDHCal synchronization*

Once the BCID is “corrected” if we take a look with more precision we find two peaks:





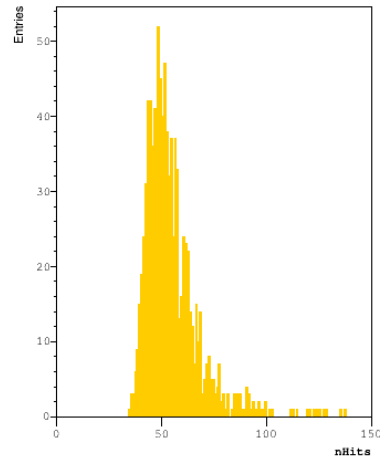
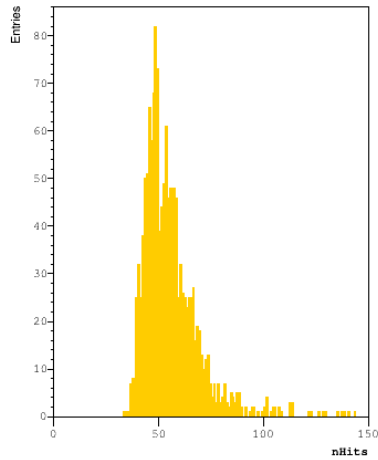
# SiWECal – SDHCal synchronization. Peaks validation

## SDHCal NHit

Peak BCID [2485, 2489]

Peak BCID [2496,2500]

Run: 744283

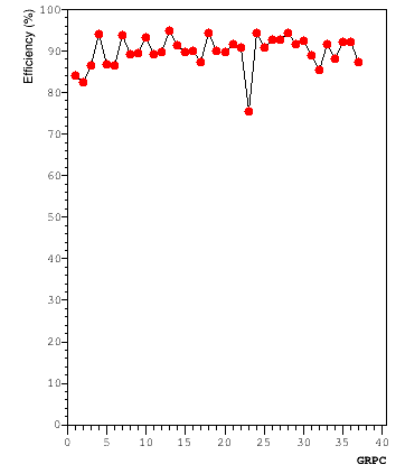
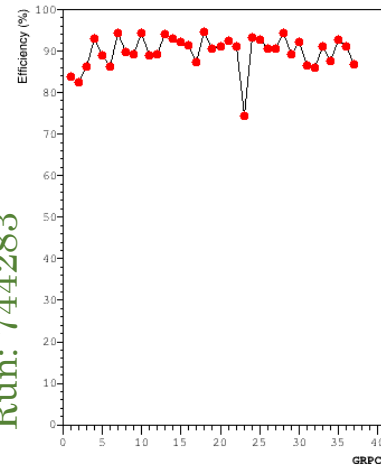


## SDHCal Efficiency

Peak BCID [2485, 2489]

Peak BCID [2496,2500]

Run: 744283

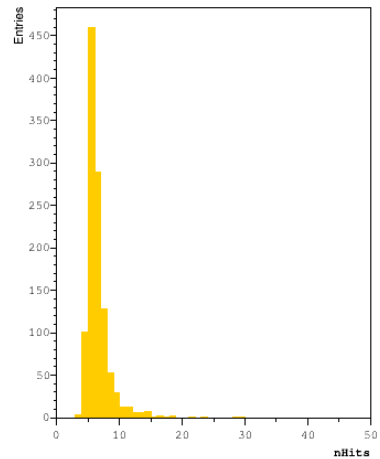
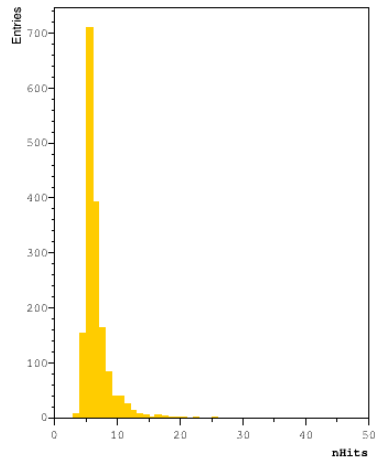


## SiWECal NHit

Peak BCID [2485, 2489]

Peak BCID [2496,2500]

Run: 744283

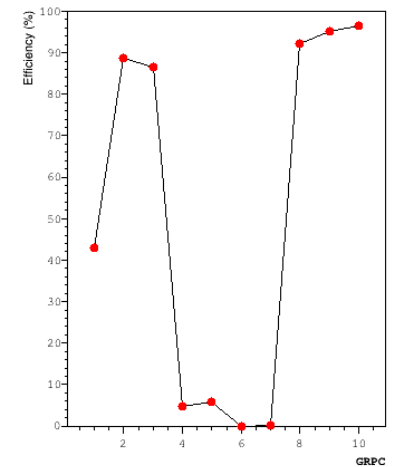
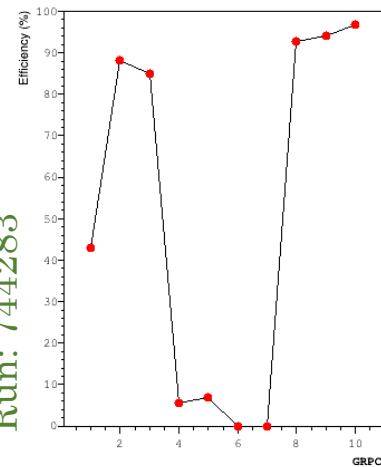


## SiWECal Efficiency

Peak BCID [2485, 2489]

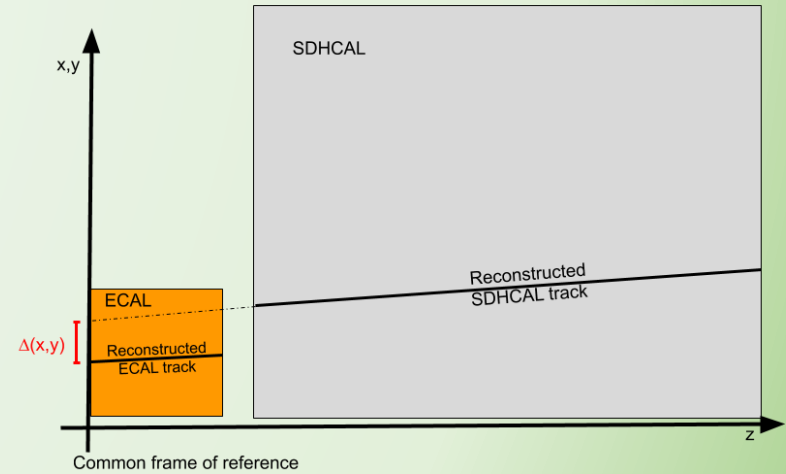
Peak BCID [2496,2500]

Run: 744283

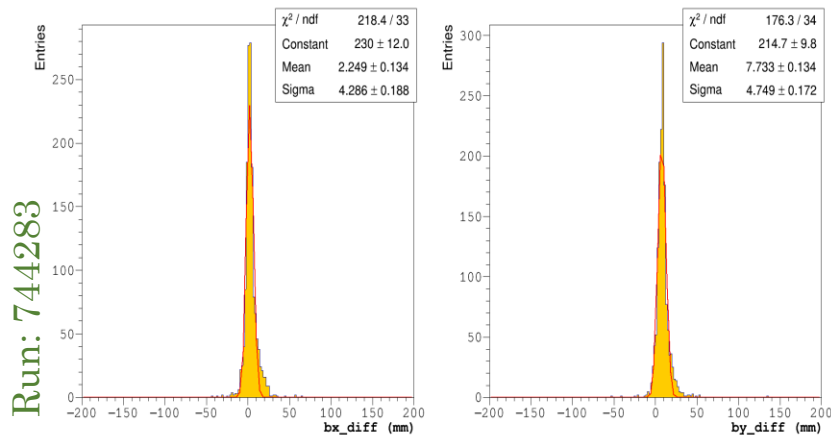


# *SiWECal – SDHCAL synchronization. Peaks track differences*

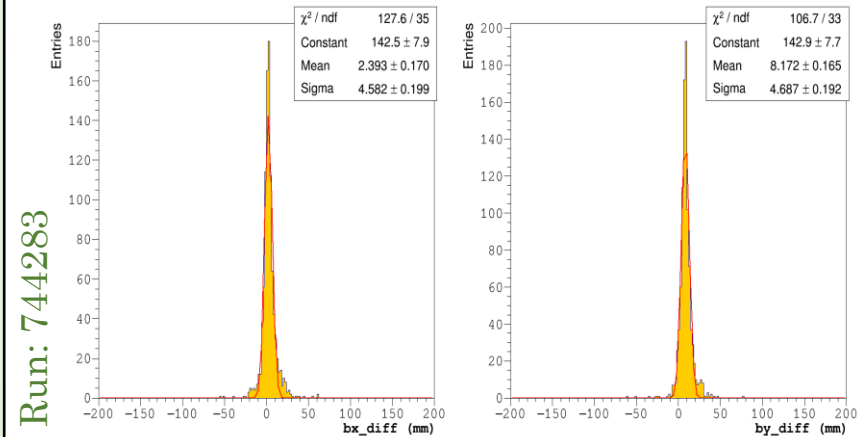
Trying to find a correlation between the track differences and any of the two synchronization peaks have been unfruitful.



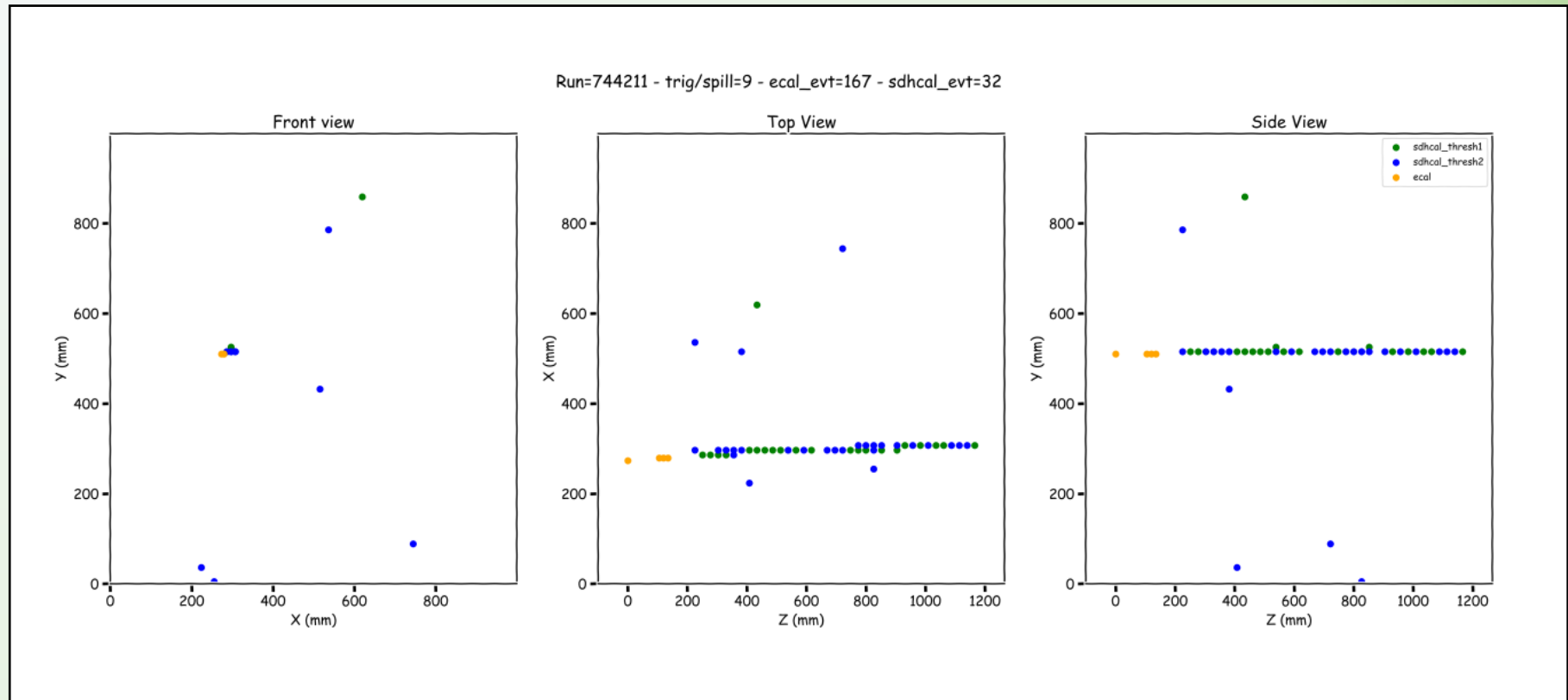
Peak BCID [2485, 2489]



Peak BCID [2496,2500]



# Common events visualizer. 200 GeV Muon



# Contained Pions selection

Selection for the set of Pions:

- No real  $e^-$  contamination observed in the data so we will assume it to be negligible.
- Events inside the SiW-ECal must behave like a MIP.
- Compute the layer in which the shower starts  $ipStart$  in the SDHCal:
  - First consider a region  $X_{10} = 10 \times 10 \text{ pads}$  around the axis of the shower (approximated as the mean value of all hits in the detector).
  - Then count the hits inside  $X_{10}$  for each layer.
  - Finally  $ipStart$  will be the first layer in a set of 3 layers with more than 4 hits in  $X_{10}$ .
  - In the case that the start of the shower is not found  $ipStart = -1$

# Contained Pions selection

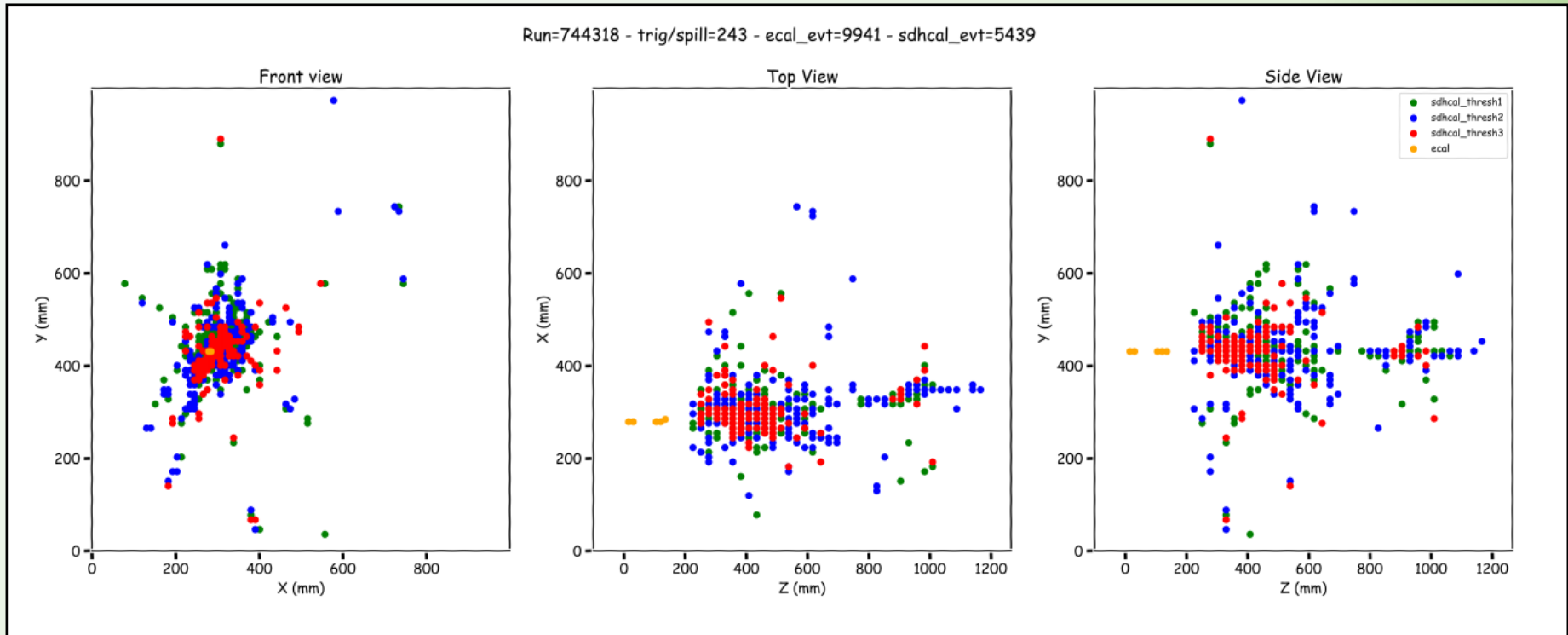
We want showers that are contained inside the SDHCal then adapting the cuts from 2012 taking into account the presence of the SiW-ECal we make the selection:

$$ipStart < 10 \quad \& \quad ipStart > 0$$

We end with the final selection of Pions with the following statistics:

Run type	Nº Matched Events	Nº runs analyzed
200 GeV Muons	37900	18
40 GeV Pions	1110	4
50 GeV Pions	490	4
60 GeV Pions	1561	5
70 GeV Pions	1549	4
80 GeV Pions	282	2

# Common events visualizer. 70 GeV Pion



# Crystal-Ball function

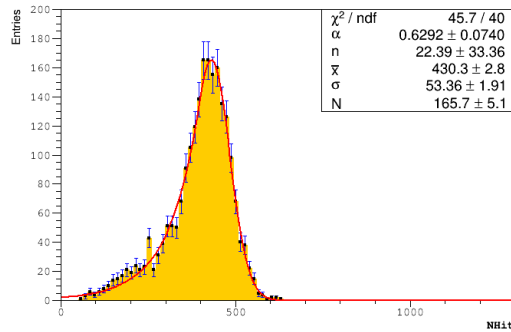
The distribution of nHit are fitted using the Crystal-Ball function defined as:

$$f(x; \alpha, n, \bar{x}, \sigma) = N \cdot \begin{cases} \exp\left(-\frac{(x - \bar{x})^2}{2\sigma^2}\right) & \text{if } \frac{x - \bar{x}}{\sigma} > -\alpha \\ A \cdot \left(B - \frac{x - \bar{x}}{\sigma}\right)^{-n} & \text{if } \frac{x - \bar{x}}{\sigma} \leq -\alpha \end{cases}$$

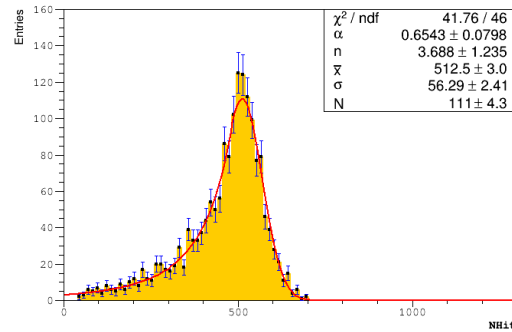
$$A = \left(\frac{n}{|\alpha|}\right)^n \cdot \exp\left(-\frac{|\alpha|^2}{2}\right) \quad \text{and} \quad B = \frac{n}{|\alpha|} - |\alpha|$$

# *EReco. Digital mode. nHit distributions*

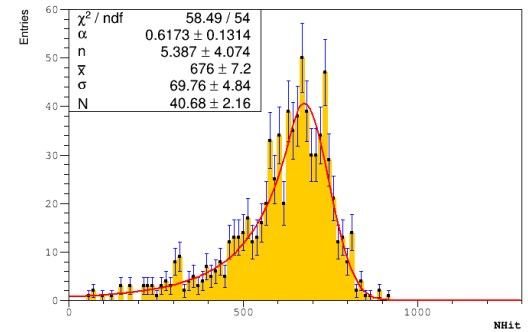
40 GeV Pions



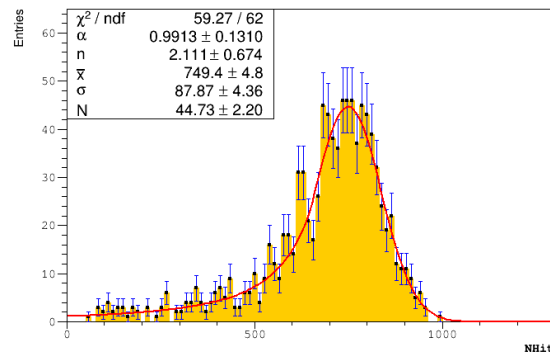
50 GeV Pions



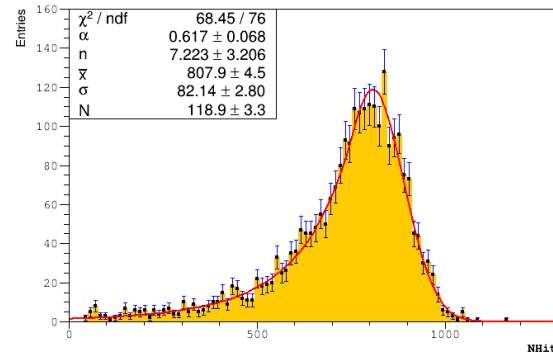
60 GeV Pions



70 GeV Pions



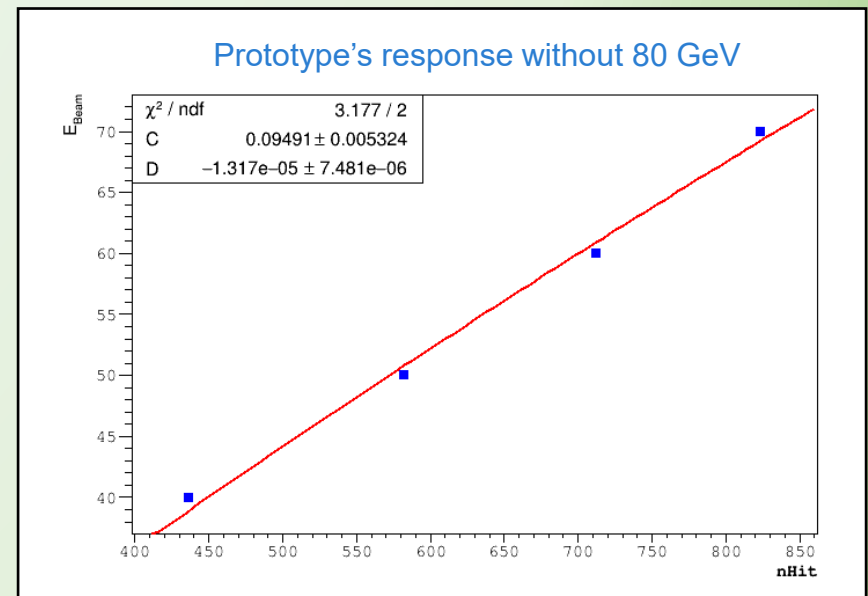
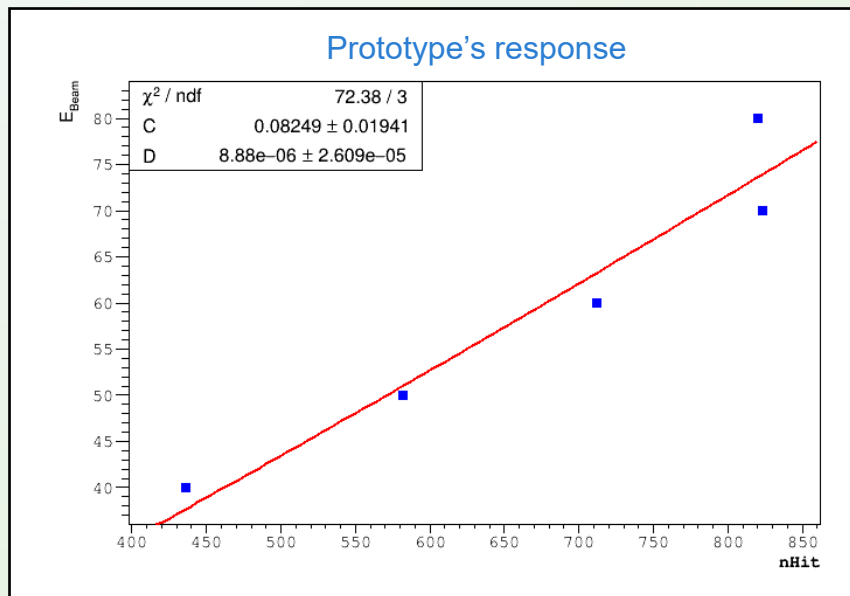
80 GeV Pions



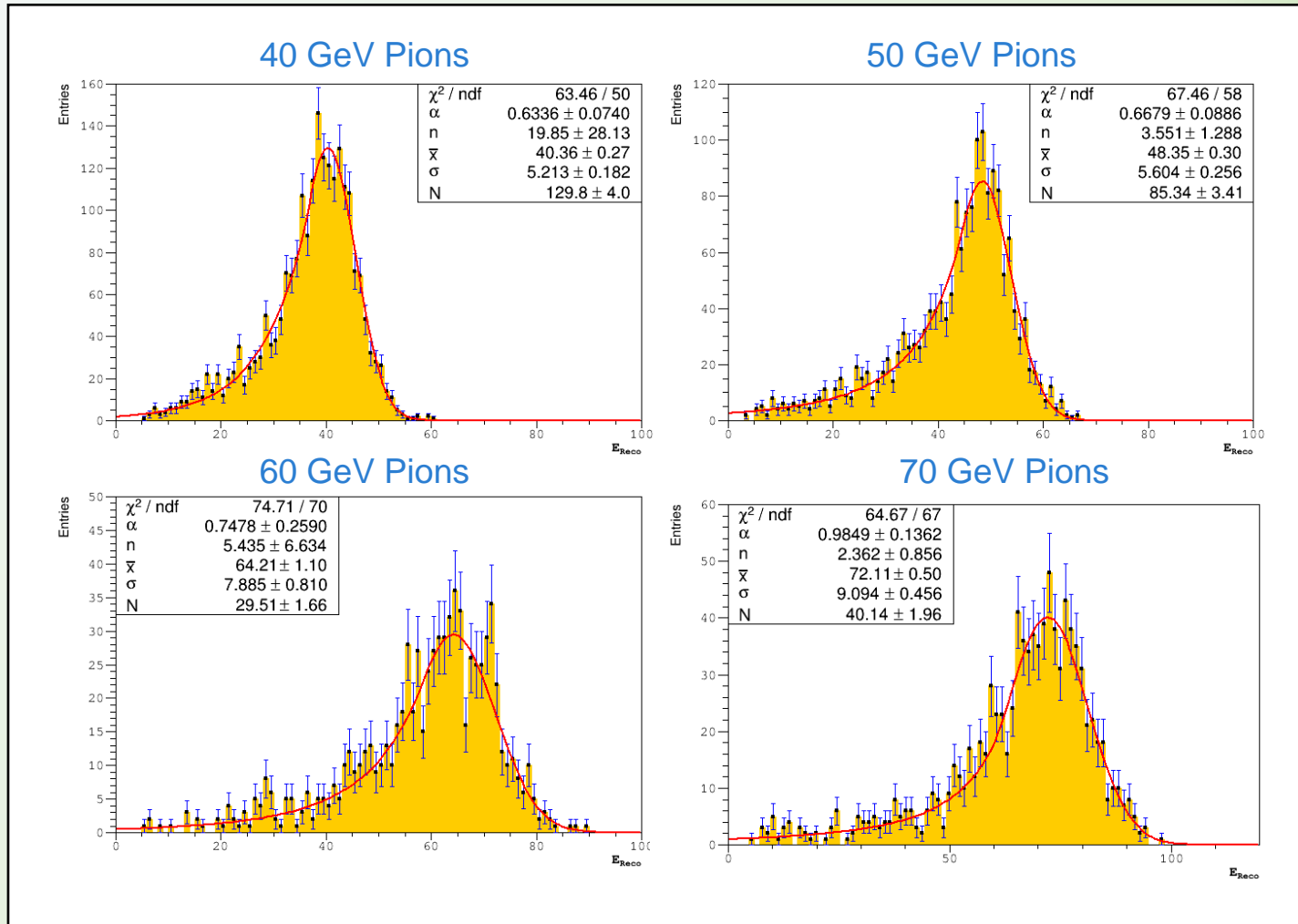


# *EReco. Digital mode. SDHCal response for pions*

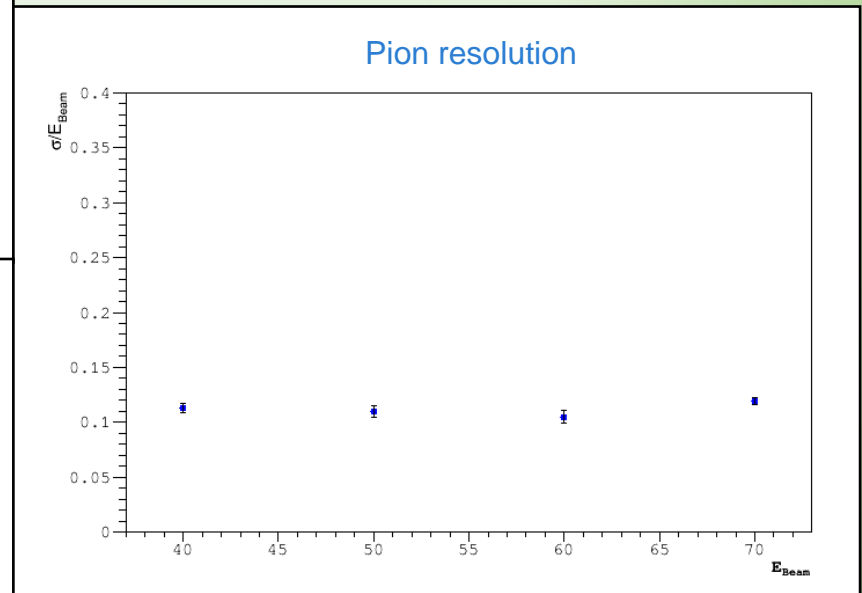
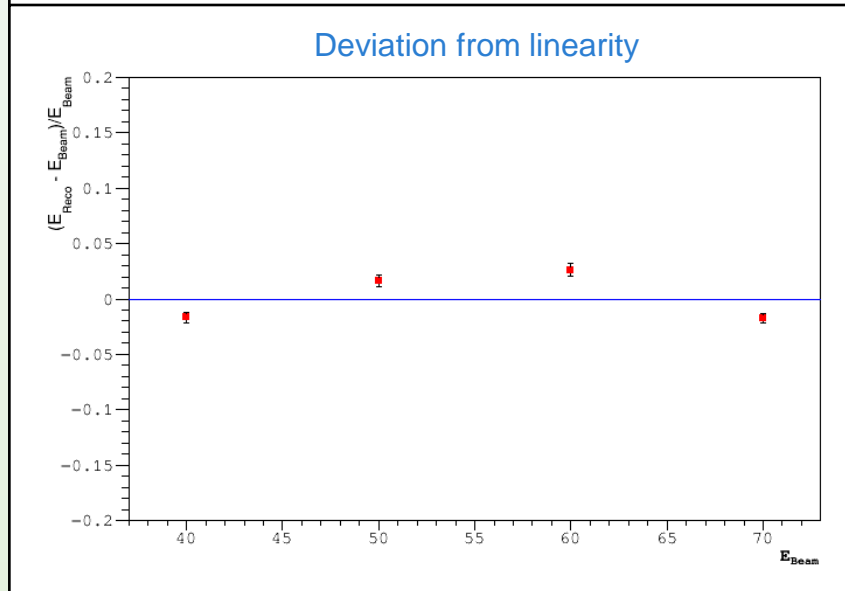
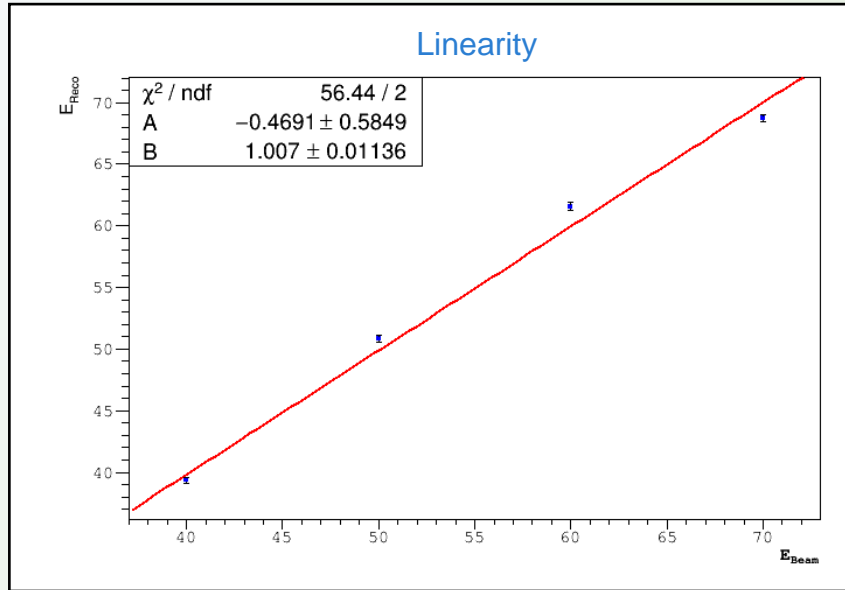
With the mean values from the previous fits we have the response of the prototype for pions and we fit it to:  $E_{reco} = (C + D \cdot N_{hit}) \cdot N_{hit}$



# *EReco. Digital mode. Reconstructed energy*



# *EReco. Digital mode. Linearity and resolution*



# *Summary*

- The analysis for 2018 data was based on the ones performed with the 2012 data, finding similar results for efficiencies and multiplicities.
- Synchronized events between the ECal and SDHCal have been found. Common muon tracks allowed for geometrical alignment corrections.
- It was possible to reconstruct the energy of common pion showers contained inside the SDHCal in the digital mode of operation, despite the low statistics.

***Back-up***

# *ROOT Files production*

Raw data as produced by the DAQ can be found locally in:

eos: [/eos/project/s/sdhcal/data/SPS\\_09\\_2018/Raw/](#)  
gaeuicali1 (Ciemat): [/pool/calice/carrillo/TB2018/](#)

ROOT Files produced with Gerald's code are stored in:

eos: [/eos/project/s/sdhcal/ROOT/](#)  
gaeuicali1 (Ciemat): [/pool/calice/hectorgc/Data/](#)

In both folders there is a [RunsList.txt](#) with comments about the runs processed, bad data, etc.

ROOT File names: [run\\_](#) + run number + [\\_TriventSplit.root](#)

Each ROOT File has a *README* object that explains the variables in the TTree.  
Additional information can be found in: [gitlab.cern.ch/carrillo/calice](https://gitlab.cern.ch/carrillo/calice)

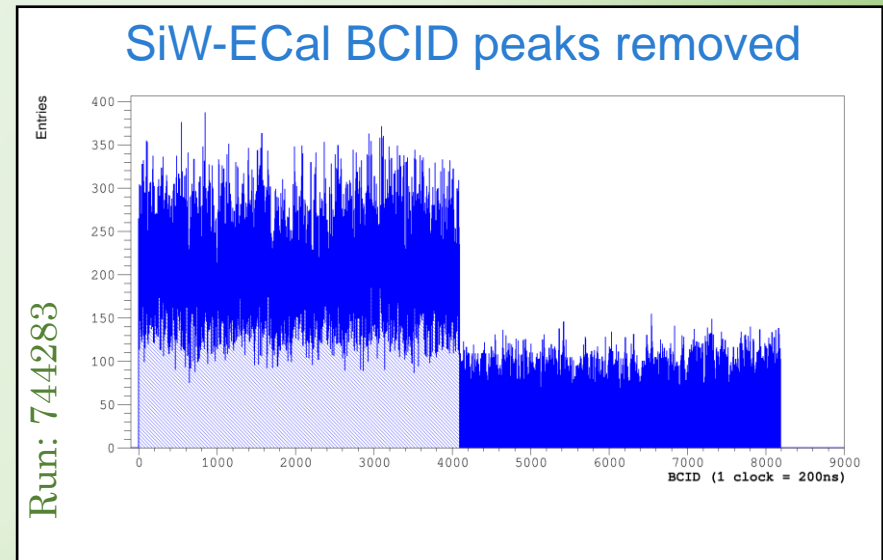
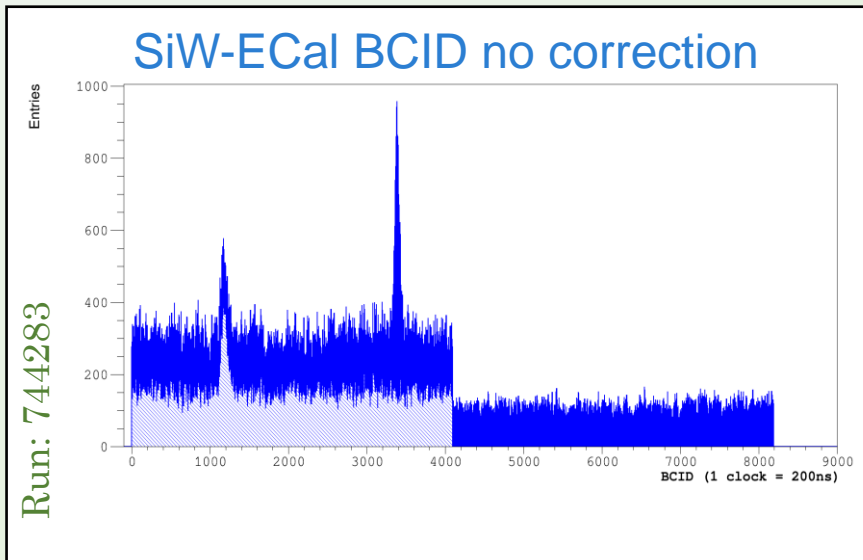
# SiW-Ecal BCID distribution

Scripts for production of ROOT files in the SiW-ECal can be found in:

[https://github.com/SiWECAL-TestBeam/SiWECAL-TB-analysis/tree/TB201809\\_10slabs](https://github.com/SiWECAL-TestBeam/SiWECAL-TB-analysis/tree/TB201809_10slabs)

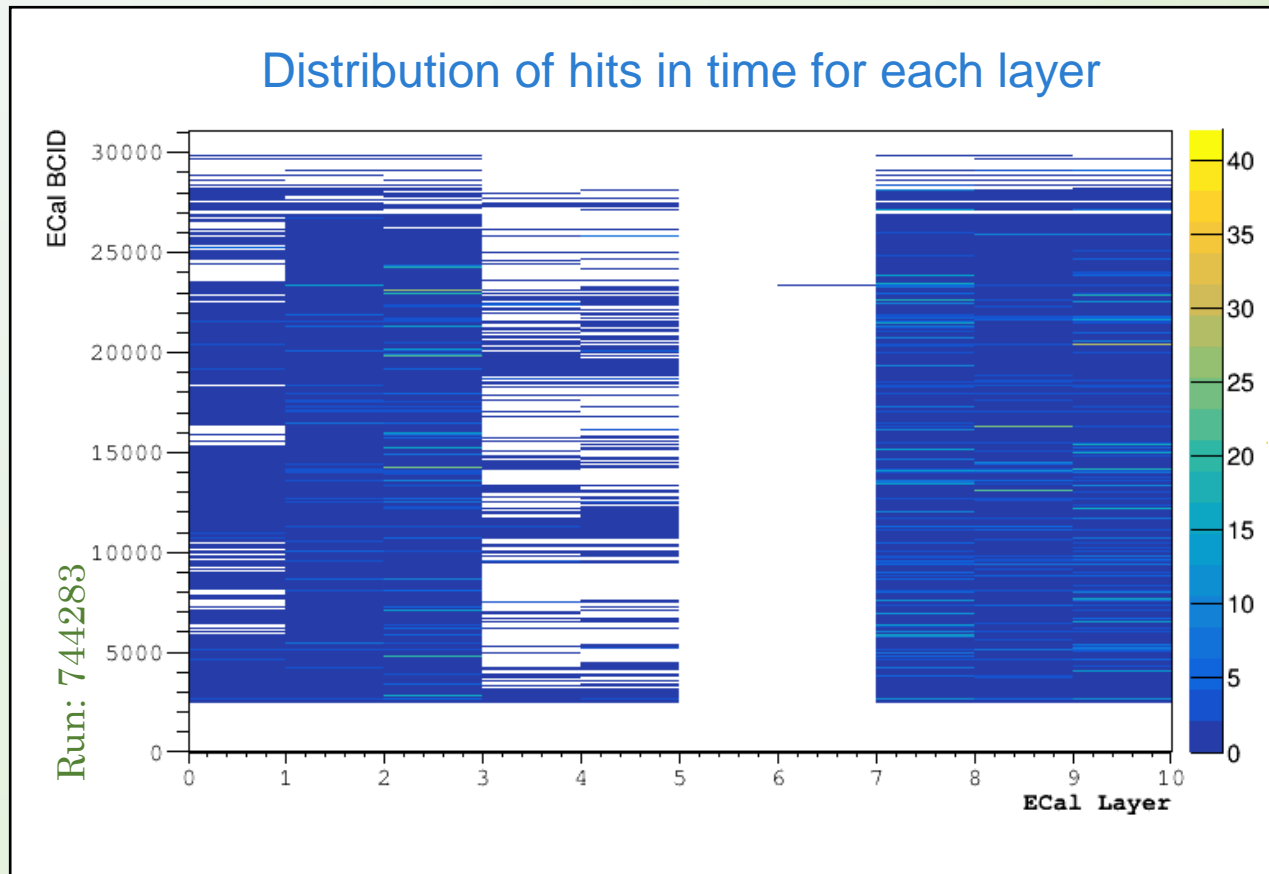
The BCID overrun correction is made without an external clock before time clustering in *mergeRootFiles.py*. However, layers with different frequency of operation could lead to mismatched hits.

Seems to be two different channels producing retriggers and multiple consecutive events with a single hit in layers 0 and 1, each with a different faulty channel.



# *SiW-ECal BCID*

Taking a look to the distribution of the hits in time for each layer shows that maybe the events are not properly reconstructed between slabs.





# *Longitudinal analysis of showers*

We identify as a selection of particles showering in the detector the events that remain from the muon selection cuts. We now can make a longitudinal analysis of the showers by defining the following variable:

$$Longitudinal(N) = \frac{nHit(N)}{nHit}$$

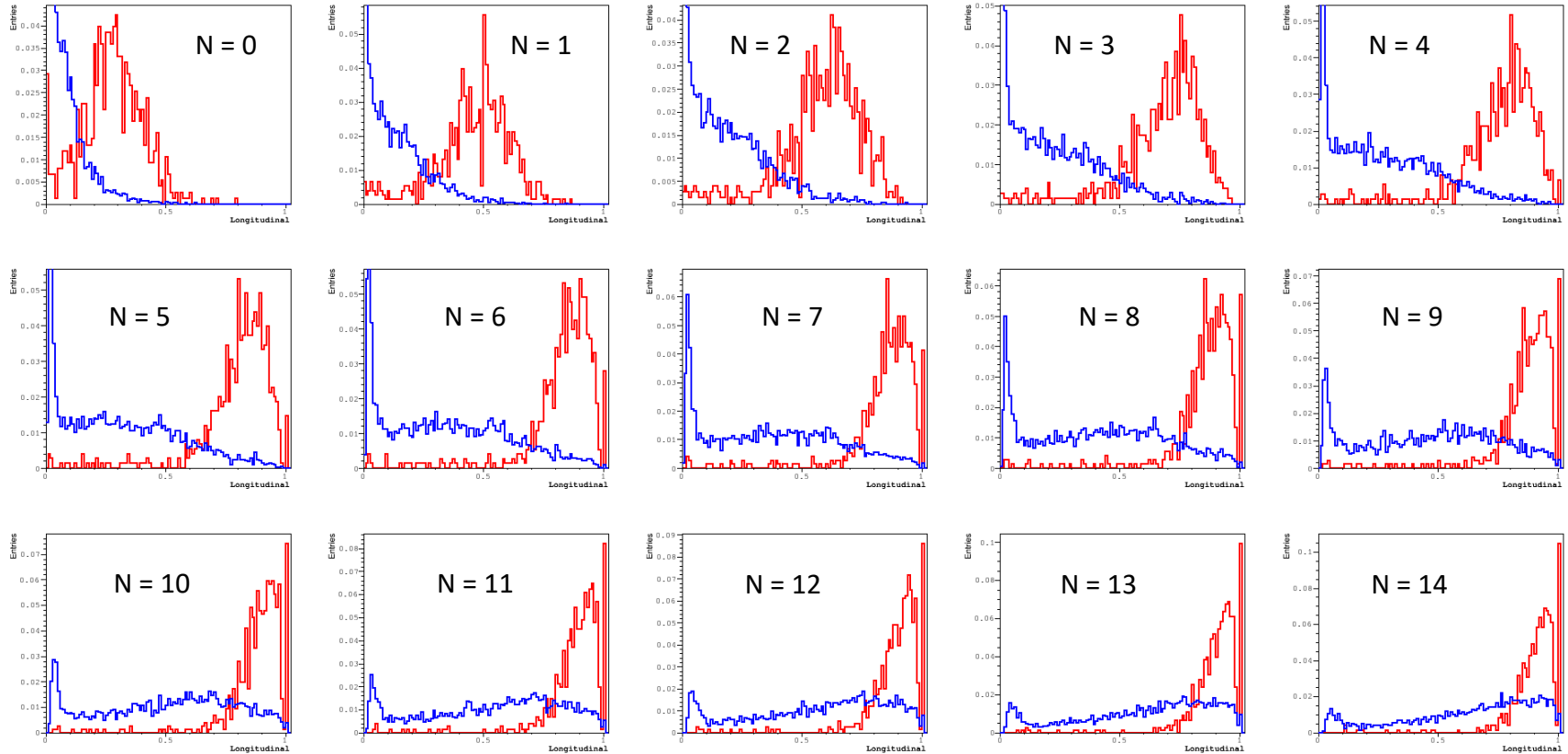
Where  $nHit(N)$  is the number of hits up to the layer N, included.

Then we can compute the value of  $Longitudinal(N)$  for different values of N using Pion and electron runs and compare the distributions.

# Longitudinal analysis of showers

N = 0 is the first layer

40 GeV **Electrons**/Pions



Electrons Run: 744307 Pions Run: 744124

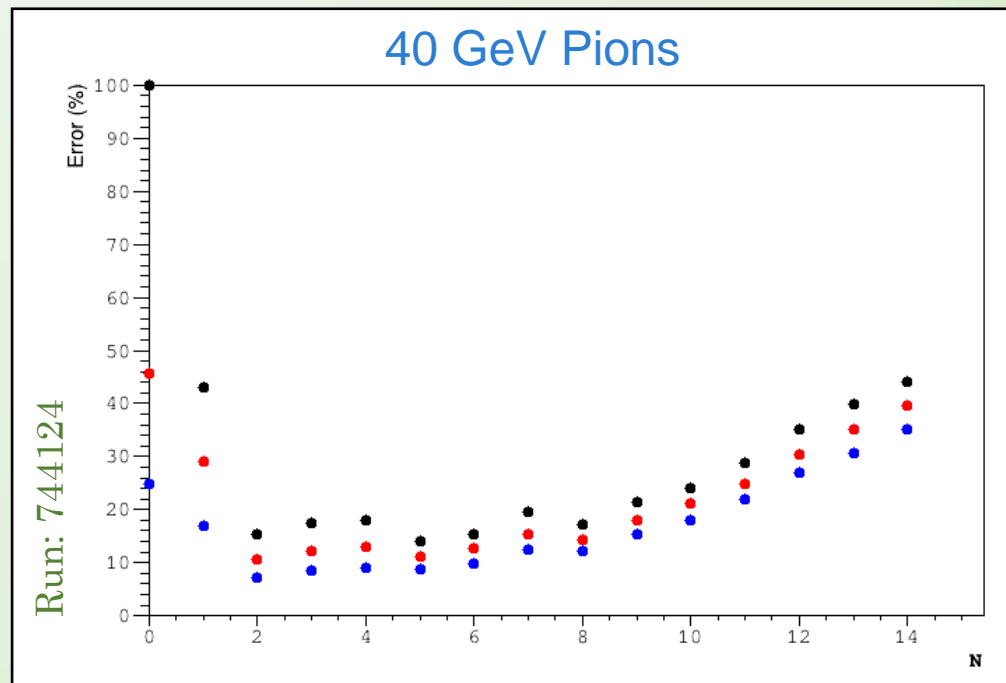
# Longitudinal analysis of showers

Fitting to a Gaussian the Electrons distribution we can compute for each value of  $N$  the following variable:

$$Cut(N) = \langle Longitudinal(N) \rangle - n\sigma$$

Where  $\langle Longitudinal(N) \rangle$  and  $\sigma$  are the mean and width of the fit and  $n$  is a testing value with three possibilities: 2, 2.5 and 3.

If  $Longitudinal(N) \geq Cut(N)$  then the event is assigned as an electron. Using the Pion run we can compute the percentage of wrongly assigned events and find the optimal value of  $N$  minimizing the error.



# SiWECal-SDHCAL geometrical alignment

Using the matched tracks it is possible to try to find a correction to the SDHCAL position by fitting to a Gaussian the differences of the tracks from both detectors.

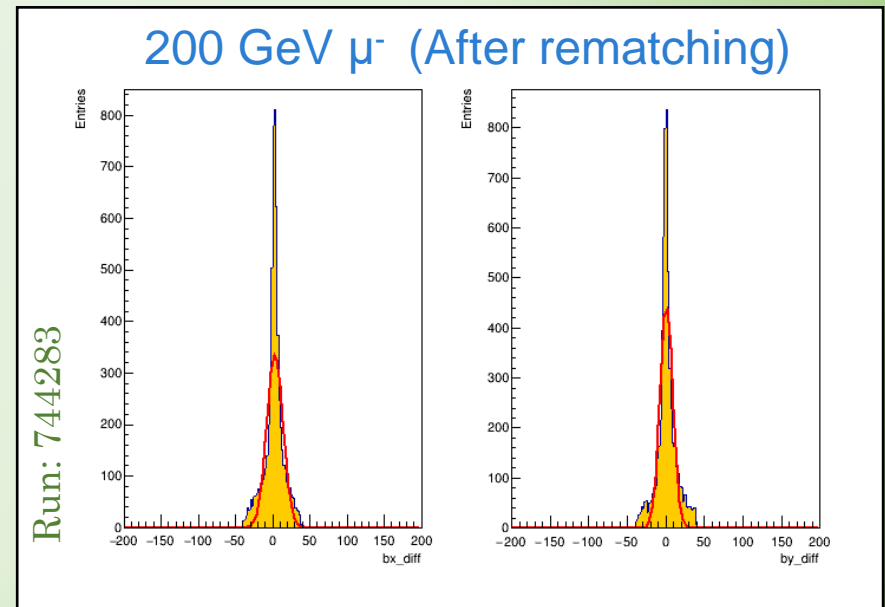
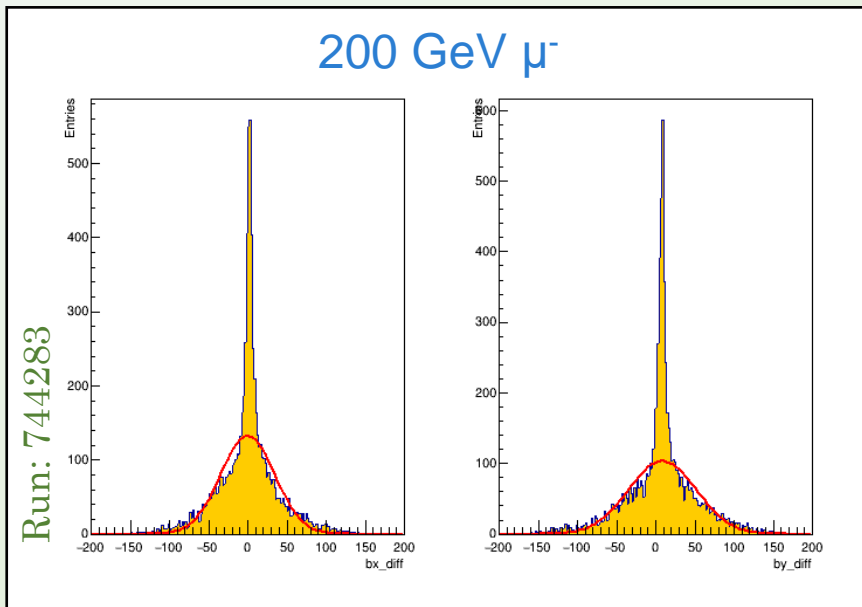
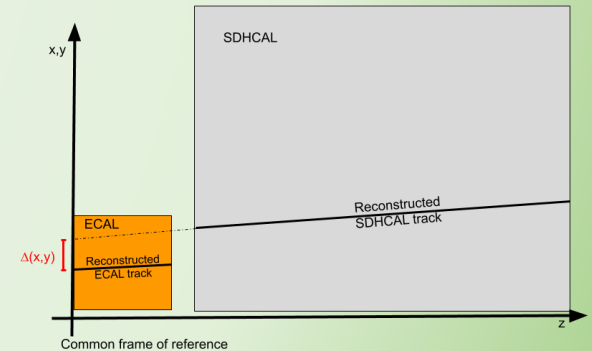
Single Gaussian fit:

$$X'_{HCal} = X_{HCal} - \mu_X$$

$$Y'_{HCal} = Y_{HCal} - \mu_Y$$

$$X: \mu_X = -0.305 \pm 0.467 ; \sigma_X = 35.67 \pm 0.61$$

$$Y: \mu_Y = 8.104 \pm 0.508 ; \sigma_Y = 44.0 \pm 0.7$$



# *EReco. Semi-digital mode. Preliminary*

In this mode of operation we now know for each hit the value of the threshold crossed. In this case the energy is reconstructed with the following function:

$$E_{reco} = \alpha N_1 + \beta N_2 + \gamma N_3$$

$$N_{hit} = N_1 + N_2 + N_3$$

$$\alpha(N_{hit}) = \alpha_0 + \alpha_1 N_{hit} + \alpha_2 N_{hit}^2$$

$$\beta(N_{hit}) = \beta_0 + \beta_1 N_{hit} + \beta_2 N_{hit}^2$$

$$\gamma(N_{hit}) = \gamma_0 + \gamma_1 N_{hit} + \gamma_2 N_{hit}^2$$

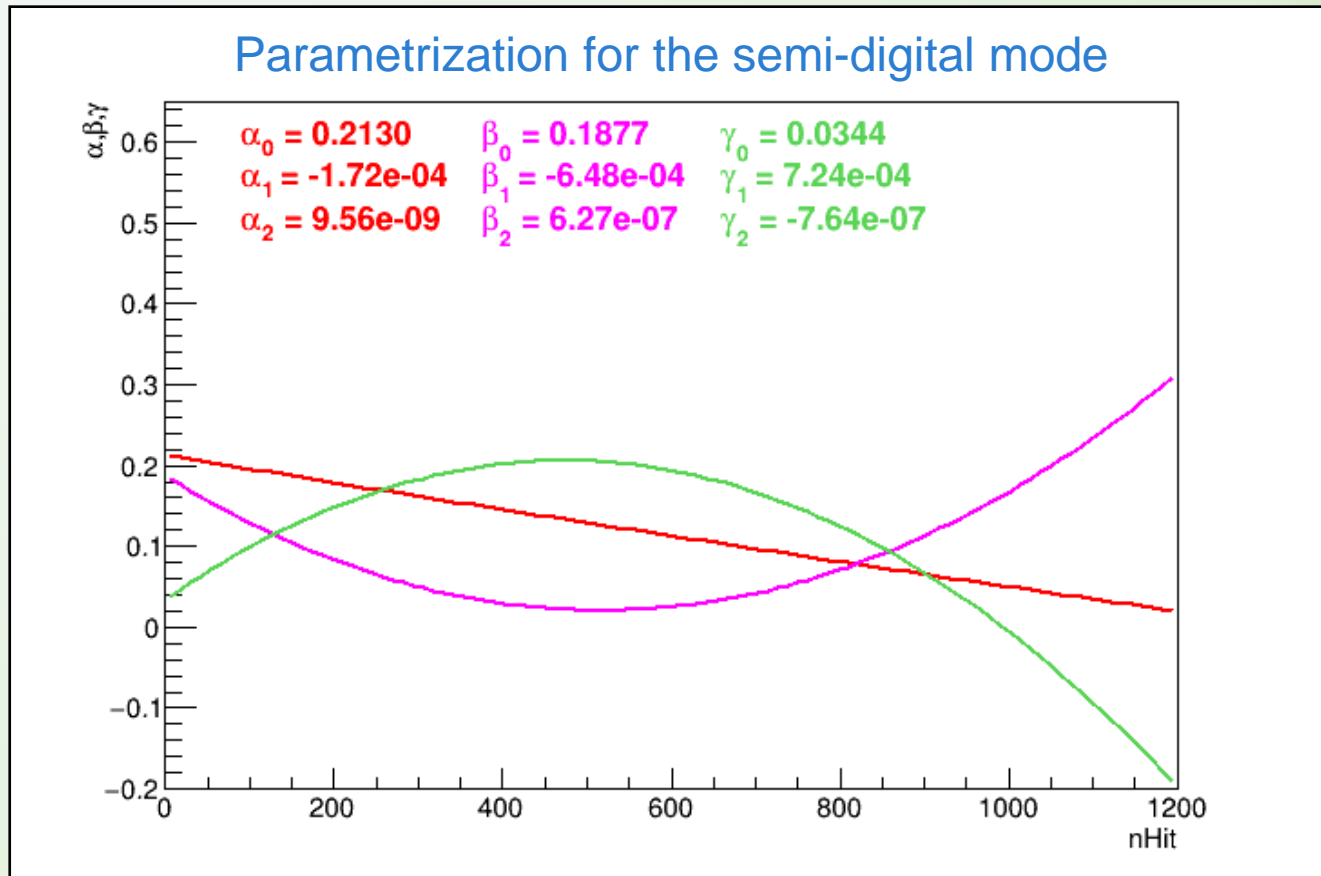
$N_a$  is the number of hit that crossed the threshold  $a$ .

The optimal values of the parameters is found using the whole data set ( $N$  events) through the minimization of the following  $\chi^2$ :

$$\chi^2 = \frac{1}{N} \sum_{i=0}^N \frac{(E_{beam} - E_{rec}^i)^2}{E_{beam}}$$

# *EReco. Semi-Digital mode. $\chi^2$ minimization. Preliminary*

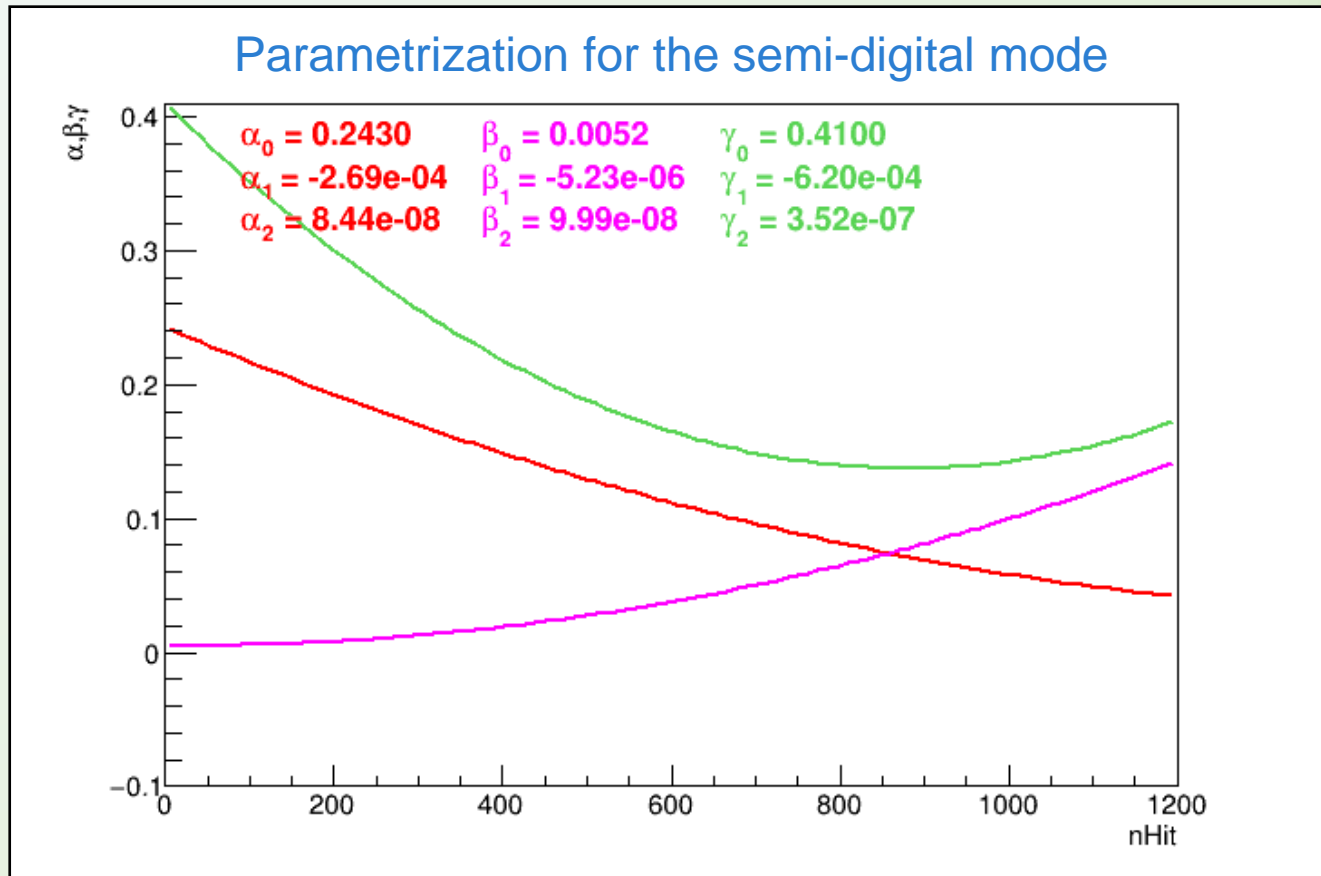
Using the sets of data from the common events we obtain the following parameters:



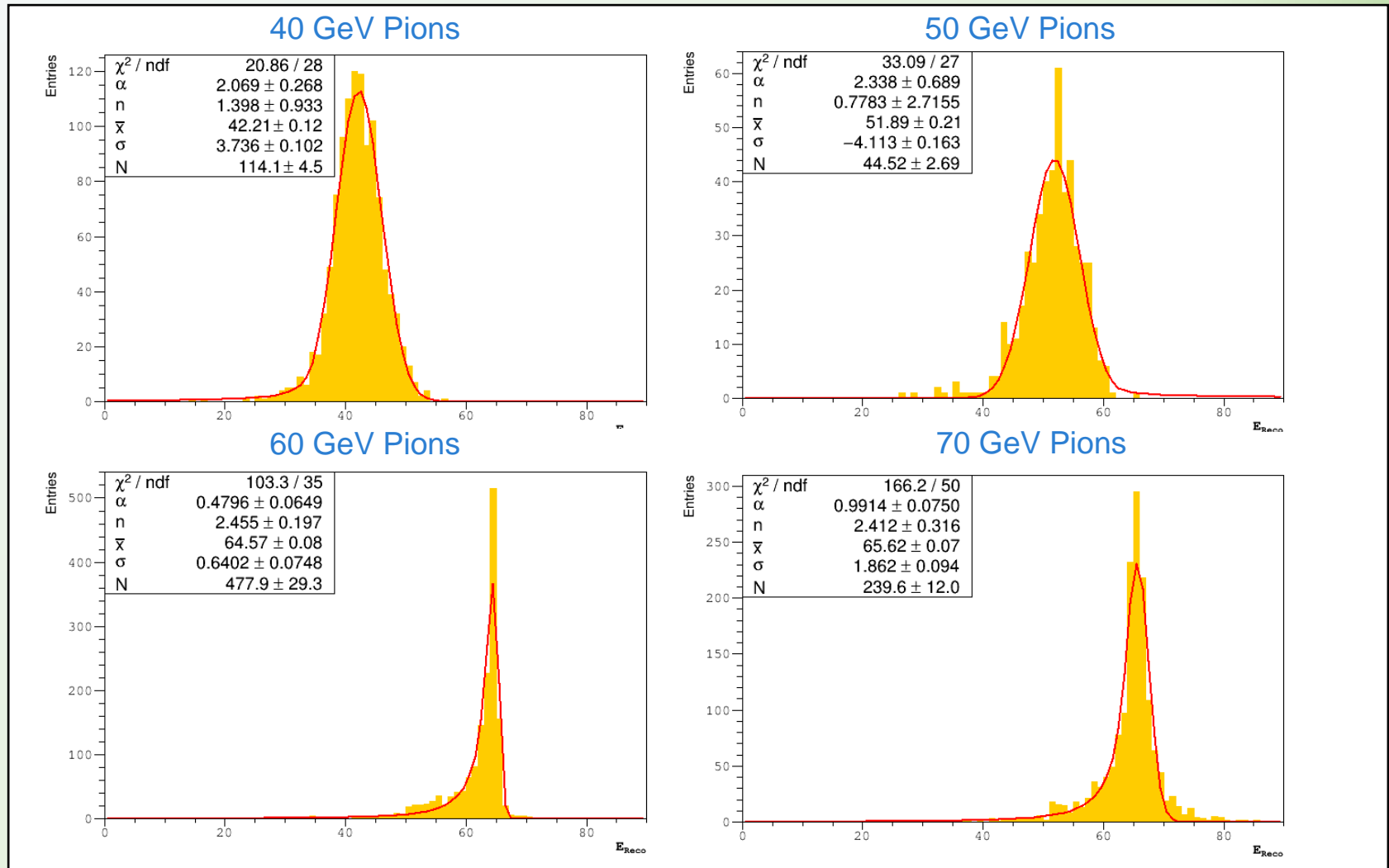
# *EReco. Semi-Digital mode. Constrained $\chi^2$ minimization.*

## *Preliminary*

Now we apply constraints to the parameters to avoid unphysical results:



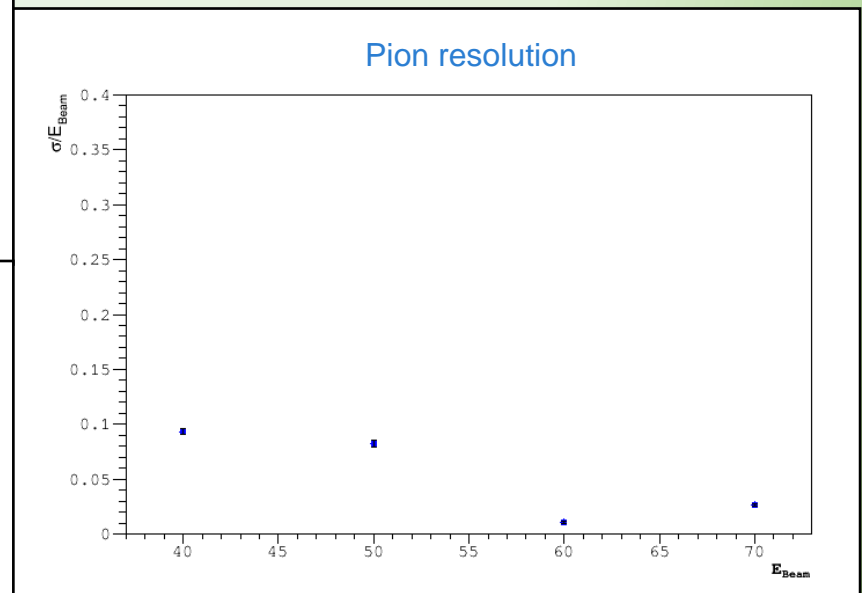
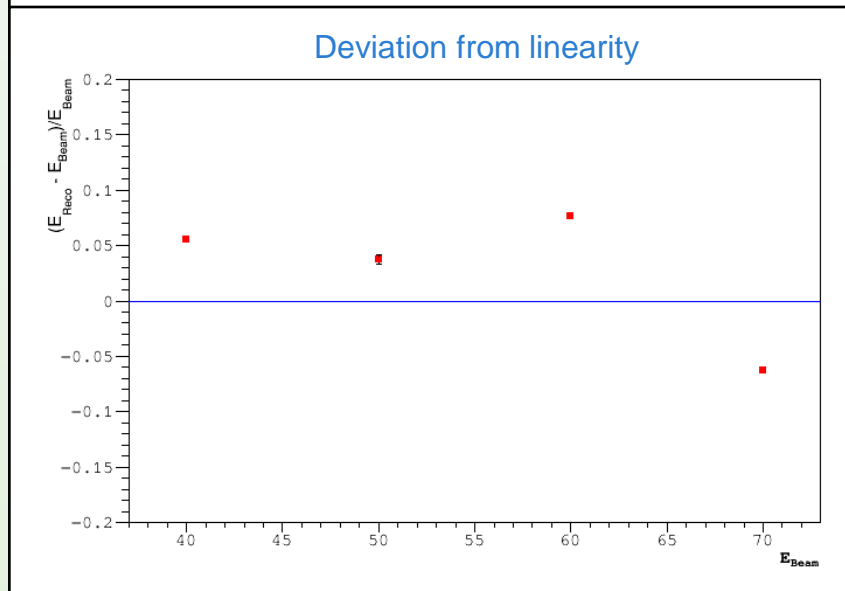
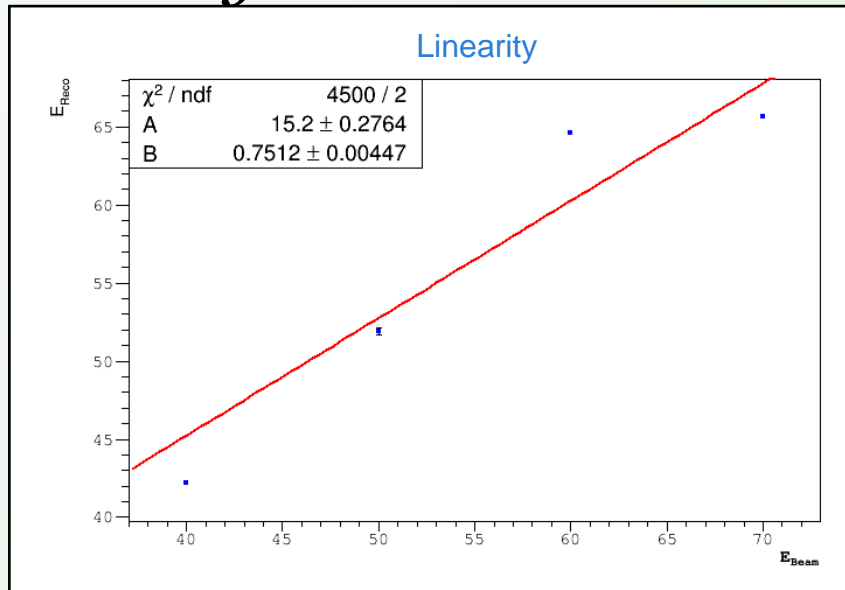
# *EReco. Semi-Digital mode. Reconstructed energy. Preliminary*





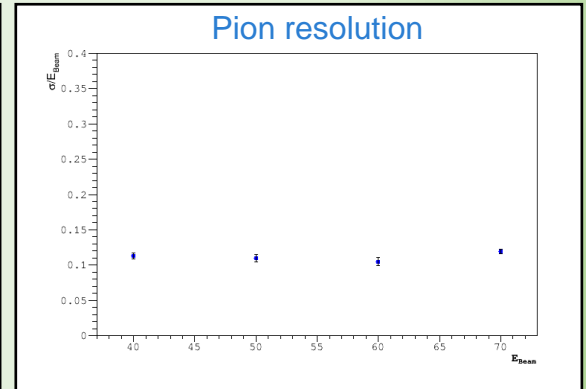
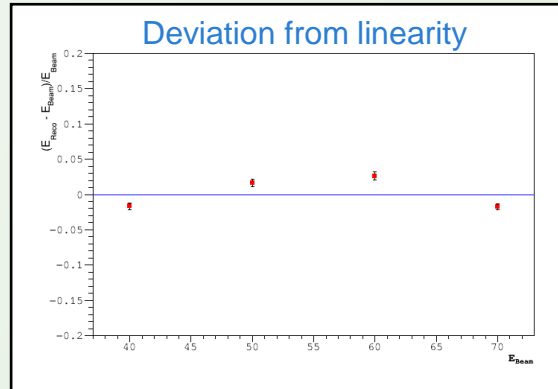
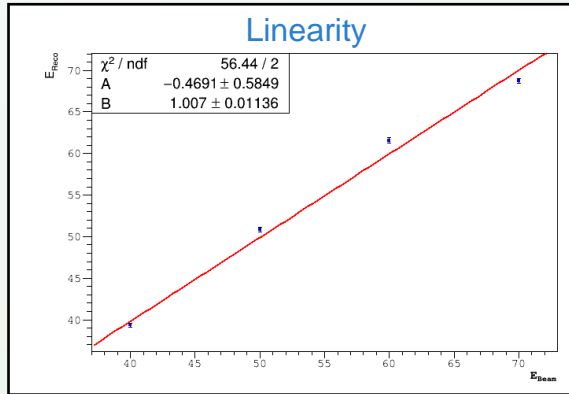
# *EReco. Semi-Digital mode. Linearity and resolution.*

## *Preliminary*



# Comparison of modes. Preliminary

Digital mode:



Semi-Digital mode:

