

Status on $e^+e^- \rightarrow \gamma Z$ process Jet Energy Calibration



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Recent Progress

Jet energy calibration using 250 GeV DBD sample

1

**Consideration of cut to exclude
the wrong photon choice events**

2

**Establishment of the new
jet energy reconstruction method
“Method 4A” & “Method 4B”**

1

Consideration of cut to exclude the wrong photon choice events

**Full simulation to reconstruct the jet energies
-> It turned out that signal photon selection is failed in (38122 events) / 311675.**

**We need to consider the cut to exclude the wrong photon choice events
Not noly “MCcut” **but also “Realistic cut”****

1. Previous Result

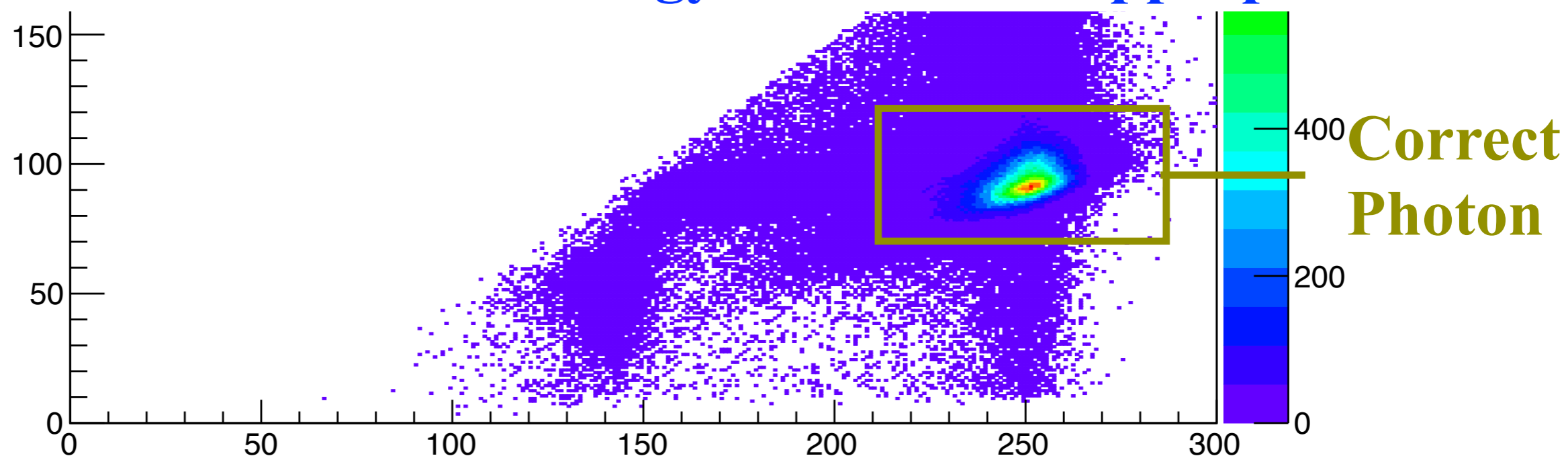
Mz vs. Visible Energy (=Ej1+Ej2+E γ)

mz:(j1 EAnI+j2EAnI+photonEAnI)

**Mz
(GeV)**



“Mz<125 && Visible Energy>200” seems appropriate.

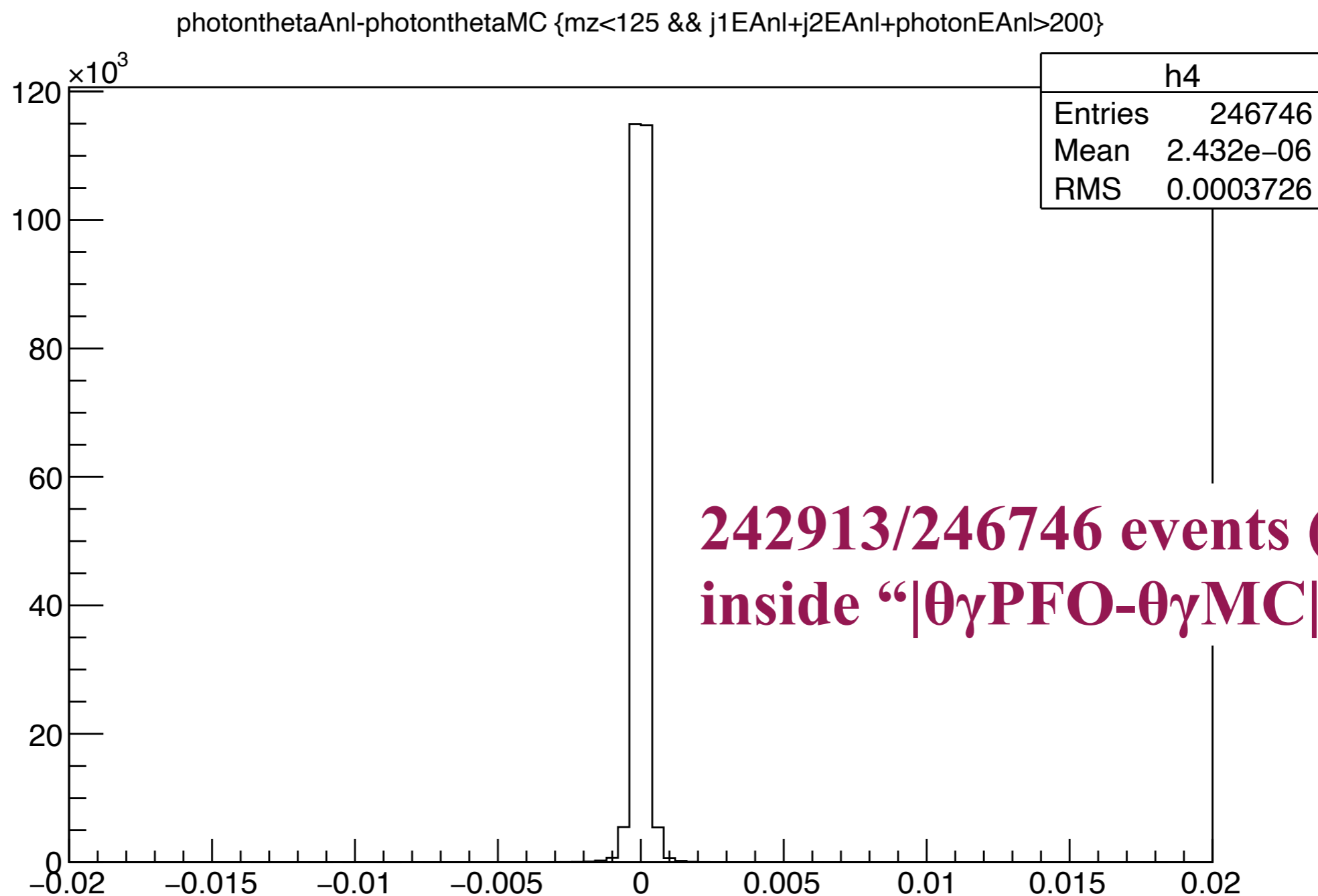


**Visible Energy
(GeV)**

1. Previous Result

“Mz<125 && Visible Energy>200”

θ difference (rad)

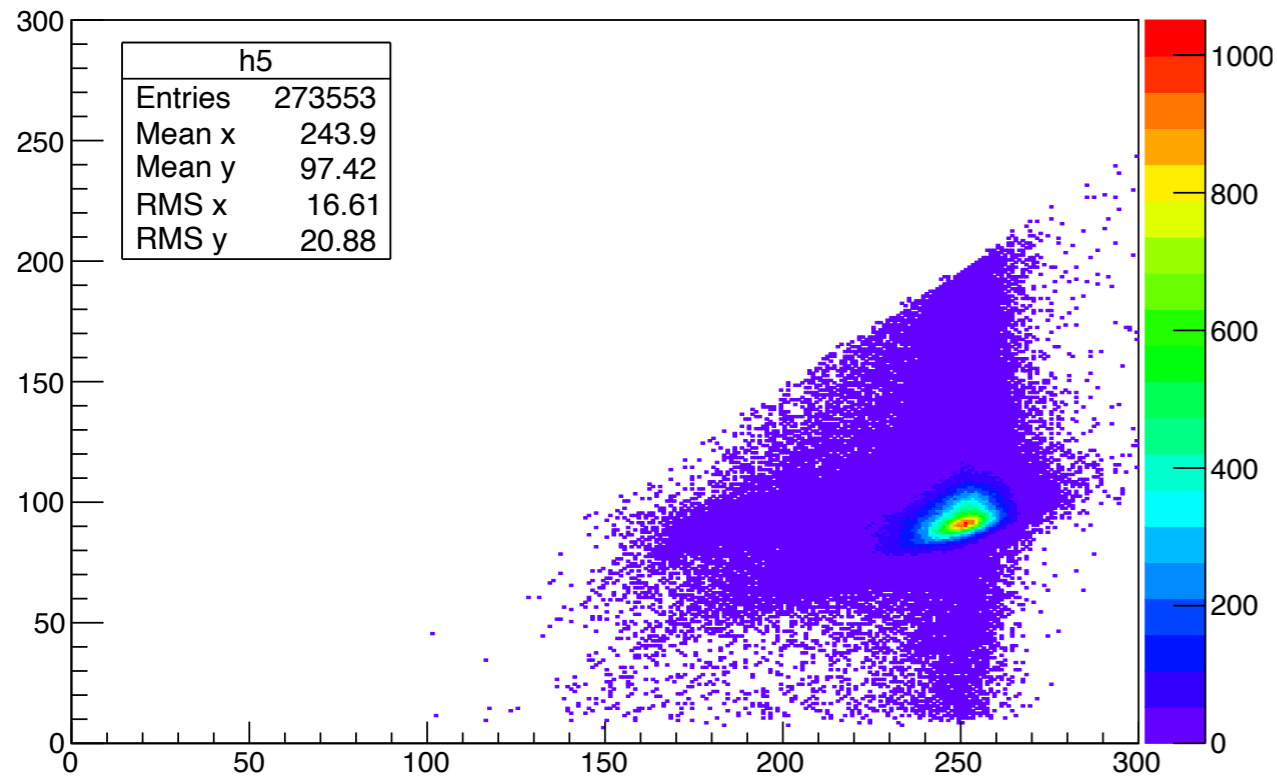


1. Realistic Cut

Mz vs. Visible Energy (=Ej1+Ej2+E γ)

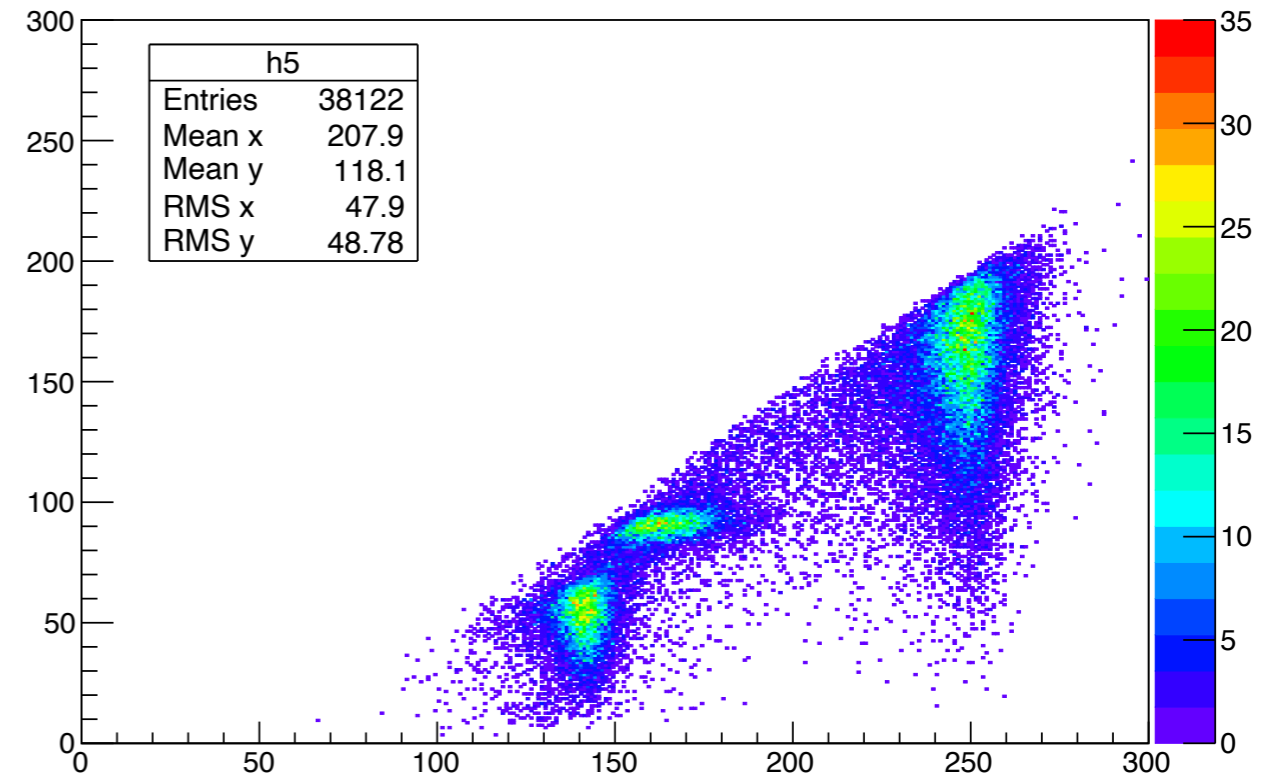
Mz (GeV) **correct photon case**

mz:(j1EAnl+j2EAnl+photonEAnl) {abs(photonthetaAnl-photonthetaMC)<0.01}



wrong photon case

mz:(j1EAnl+j2EAnl+photonEAnl) {abs(photonthetaAnl-photonthetaMC)>0.01}

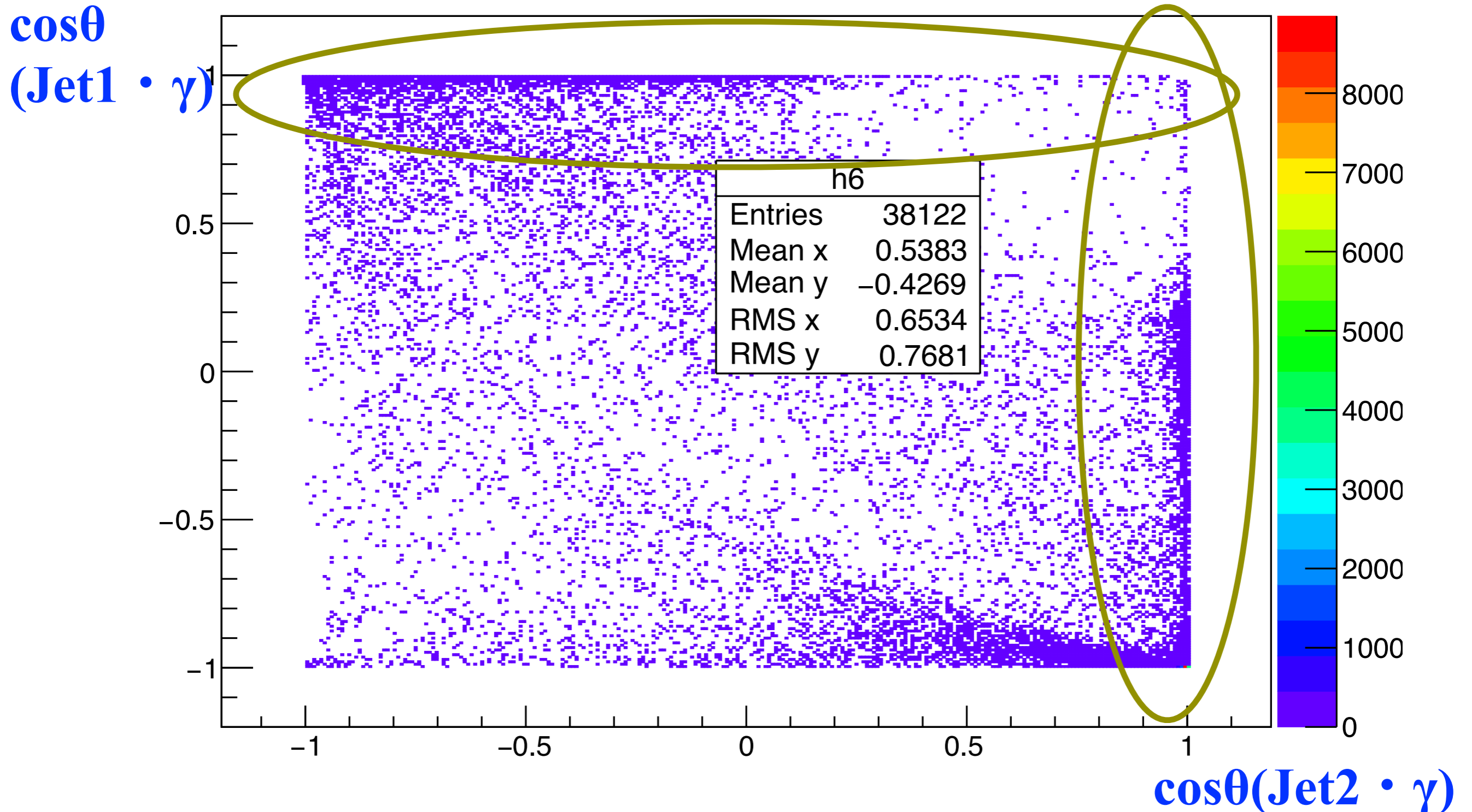


Visible Energy (GeV)

**It seems useless to add lower bound cut “Mz>aa”
in addition to cut “Mz<125 && Visible Energy>200”.**

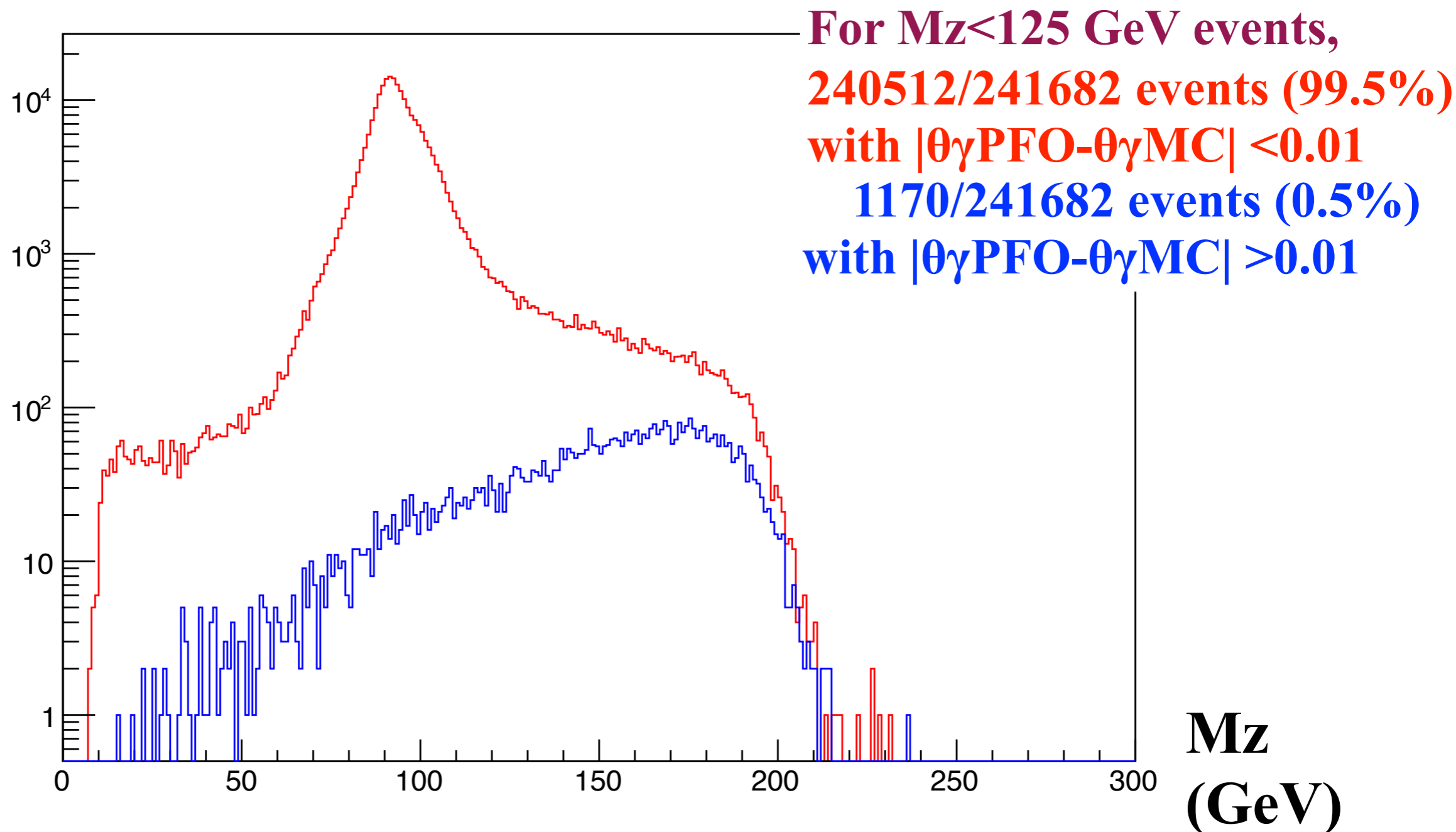
1. Realistic Cut

Normalized inner product of measured jet and measured photon for wrong photon selection events



1. Realistic Cut

Mz for “Visible Energy > 200 && $\cos\theta(\text{Jet}_{1,2} \cdot \gamma) < 0.95$ ” events
“ $|\theta_{\gamma\text{PFO}} - \theta_{\gamma\text{MC}}| < 0.01$ ” and “ $|\theta_{\gamma\text{PFO}} - \theta_{\gamma\text{MC}}| > 0.01$ ” events



1. Realistic Cut

Cut “ $M_z < 125 \ \&\& \text{Visible Energy} > 200$ ”: 242913/246746 are correct.

Cut “ $M_z < 125 \ \&\& \text{Visible Energy} > 200 \ \&\& \cos\theta(\text{Jet1} \cdot \gamma) < 0.95$
 $\ \&\& \cos\theta(\text{Jet2} \cdot \gamma) < 0.95$ ”: 240512/241682 are correct.

	MC Level Cut	Realistic Cut
In all case	“Method 3 has answer” “ $ \theta_{\gamma\text{PFO}} - \theta_{\gamma\text{MC}} < 0.01$ ”	“Method 3 has answer” “ $M_z < 125 \ \&\& \text{Visible Energy} > 200$ ” “ $\cos\theta(\text{Jet1} \cdot \gamma) < 0.95$ ” “ $\cos\theta(\text{Jet2} \cdot \gamma) < 0.95$ ”
To narrow the phase space	“ $\theta_{J1\text{MC}} < \dots$ ” “ $E_{J1\text{MC}} < \dots$ ” ...	“ $\theta_{J1\text{Measured}} < \dots$ ” “ $E_{J1\text{Measured}} < \dots$ ” ...

2

Establishment of the new jet energy reconstruction method “Method 4A” & “Method 4B”

Method 3: Consider ISR and solve the full equation

Using $(\theta_{J1}, \theta_{J2}, \theta_\gamma, \phi_{J1}, \phi_{J2}, \phi_\gamma, m_{J1}, m_{J2}) \rightarrow$ Determine $(P_{J1}, P_{J2}, P_\gamma, P_{ISR})$

$$\left\{ \begin{array}{l} \sqrt{P_{J1}^2 + m_{J1}^2} + \sqrt{P_{J2}^2 + m_{J2}^2} + |P_\gamma| + |P_{ISR}| = E_{CM} \quad \textcircled{1} \\ \begin{pmatrix} \sin\theta_{J1}\cos\phi_{J1} & \sin\theta_{J2}\cos\phi_{J2} & \sin\theta_\gamma\cos\phi_\gamma \\ \sin\theta_{J1}\sin\phi_{J1} & \sin\theta_{J2}\sin\phi_{J2} & \sin\theta_\gamma\sin\phi_\gamma \\ \cos\theta_{J1} & \cos\theta_{J2} & \cos\theta_\gamma \end{pmatrix} \begin{pmatrix} P_{J1} \\ P_{J2} \\ P_\gamma \end{pmatrix} = \begin{pmatrix} (E_{CM} - |P_{ISR}|)\sin\alpha \\ 0 \\ \pm|P_{ISR}|\cos\alpha \end{pmatrix} \end{array} \right.$$

Matrix A Inverse

**Had to solve two quartic equations and choose the best answer!
-> Are there any easier expression?**

2

Establishment of the new jet energy reconstruction method “Method 4A” & “Method 4B”

Jet mass “m” can be expressed as “P/γβ” (P: momentum of the jet)

-> Irrational equation ① is reduced to be a linear equation!

$$\sqrt{P_{J1}^2 + m_{J1}^2} + \sqrt{P_{J2}^2 + m_{J2}^2} + P_\gamma + |P_{ISR}| = E_{CM}$$

$$\Rightarrow |P_{J1}| \sqrt{1 + \frac{1}{(\gamma\beta)_{J1}^2}} + |P_{J2}| \sqrt{1 + \frac{1}{(\gamma\beta)_{J2}^2}} + P_\gamma + |P_{ISR}| = E_{CM}$$

-> Use measured γβ as inputs

Method 4: Consider ISR and solve the full equation

Using $(\theta_{J1}, \theta_{J2}, \theta_\gamma, \varphi_{J1}, \varphi_{J2}, \varphi_\gamma, \gamma\beta_{J1}, \gamma\beta_{J2})$ -> Determine $(P_{J1}, P_{J2}, P_\gamma, P_{ISR})$

Method 4A: Represent the equation with P_{ISR}

Using $(\theta_{J1}, \theta_{J2}, \theta_\gamma, \phi_{J1}, \phi_{J2}, \phi_\gamma, \gamma\beta_{J1}, \gamma\beta_{J2}) \rightarrow$ Determine $(P_{J1}, P_{J2}, P_\gamma, P_{ISR})$

$$\left\{ \begin{array}{l} |P_{J1}| \sqrt{1 + \frac{1}{(\gamma\beta)_{J1}^2}} + |P_{J2}| \sqrt{1 + \frac{1}{(\gamma\beta)_{J2}^2}} + P_\gamma + |P_{ISR}| = E_{CM} \quad \textcircled{1} \\ \begin{pmatrix} \sin\theta_{J1}\cos\phi_{J1} & \sin\theta_{J2}\cos\phi_{J2} & \sin\theta_\gamma\cos\phi_\gamma \\ \sin\theta_{J1}\sin\phi_{J1} & \sin\theta_{J2}\sin\phi_{J2} & \sin\theta_\gamma\sin\phi_\gamma \\ \cos\theta_{J1} & \cos\theta_{J2} & \cos\theta_\gamma \end{pmatrix} \begin{pmatrix} P_{J1} \\ P_{J2} \\ P_\gamma \end{pmatrix} = \begin{pmatrix} (E_{CM} - |P_{ISR}|)\sin\alpha \\ 0 \\ \pm|P_{ISR}|\cos\alpha \end{pmatrix} \end{array} \right.$$

Choose the solution with solved P_γ closest to the measured P_γ

Method 4B: Represent the equation with P_γ

Using $(\theta_{J1}, \theta_{J2}, \theta_\gamma, \phi_{J1}, \phi_{J2}, \phi_\gamma, \gamma\beta_{J1}, \gamma\beta_{J2}) \rightarrow$ Determine $(P_{J1}, P_{J2}, P_\gamma, P_{ISR})$

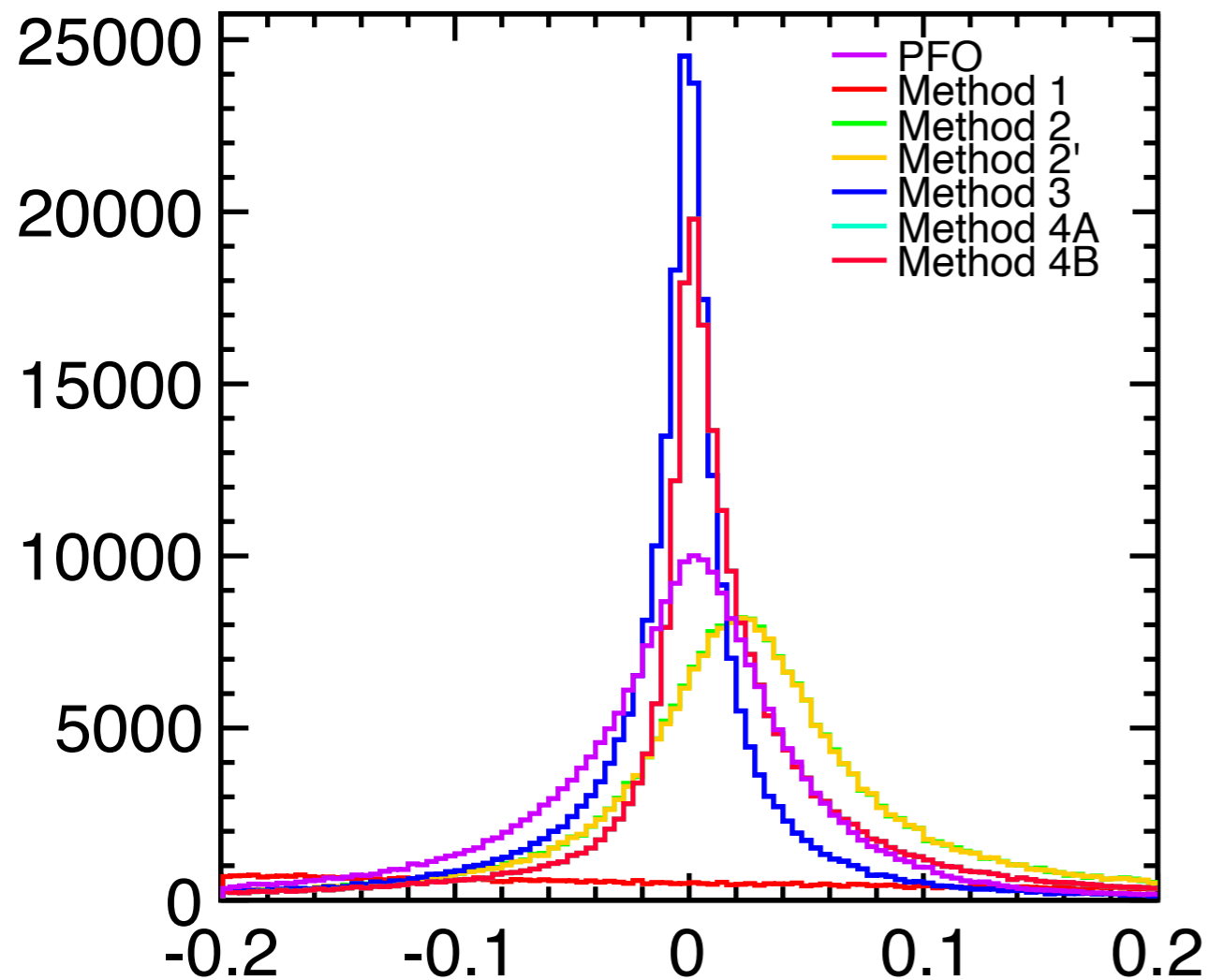
$$\left\{ \begin{array}{l} |P_{J1}| \sqrt{1 + \frac{1}{(\gamma\beta)_{J1}^2}} + |P_{J2}| \sqrt{1 + \frac{1}{(\gamma\beta)_{J2}^2}} + P_\gamma + |P_{ISR}| = E_{CM} \quad \textcircled{1} \\ \begin{pmatrix} \sin\theta_{J1}\cos\phi_{J1} & \sin\theta_{J2}\cos\phi_{J2} & \sin\alpha \\ \sin\theta_{J1}\sin\phi_{J1} & \sin\theta_{J2}\sin\phi_{J2} & 0 \\ \cos\theta_{J1} & \cos\theta_{J2} & \pm\cos\alpha \end{pmatrix} \begin{pmatrix} P_{J1} \\ P_{J2} \\ |P_{ISR}| \end{pmatrix} = \begin{pmatrix} E_{CM}\sin\alpha - \sin\theta_\gamma\cos\phi_\gamma P_\gamma \\ -\sin\theta_\gamma\sin\phi_\gamma P_\gamma \\ -\cos\theta_\gamma P_\gamma \end{pmatrix} \end{array} \right.$$

Choose the solution with solved P_γ closest to the measured P_γ

Method Comparison Result

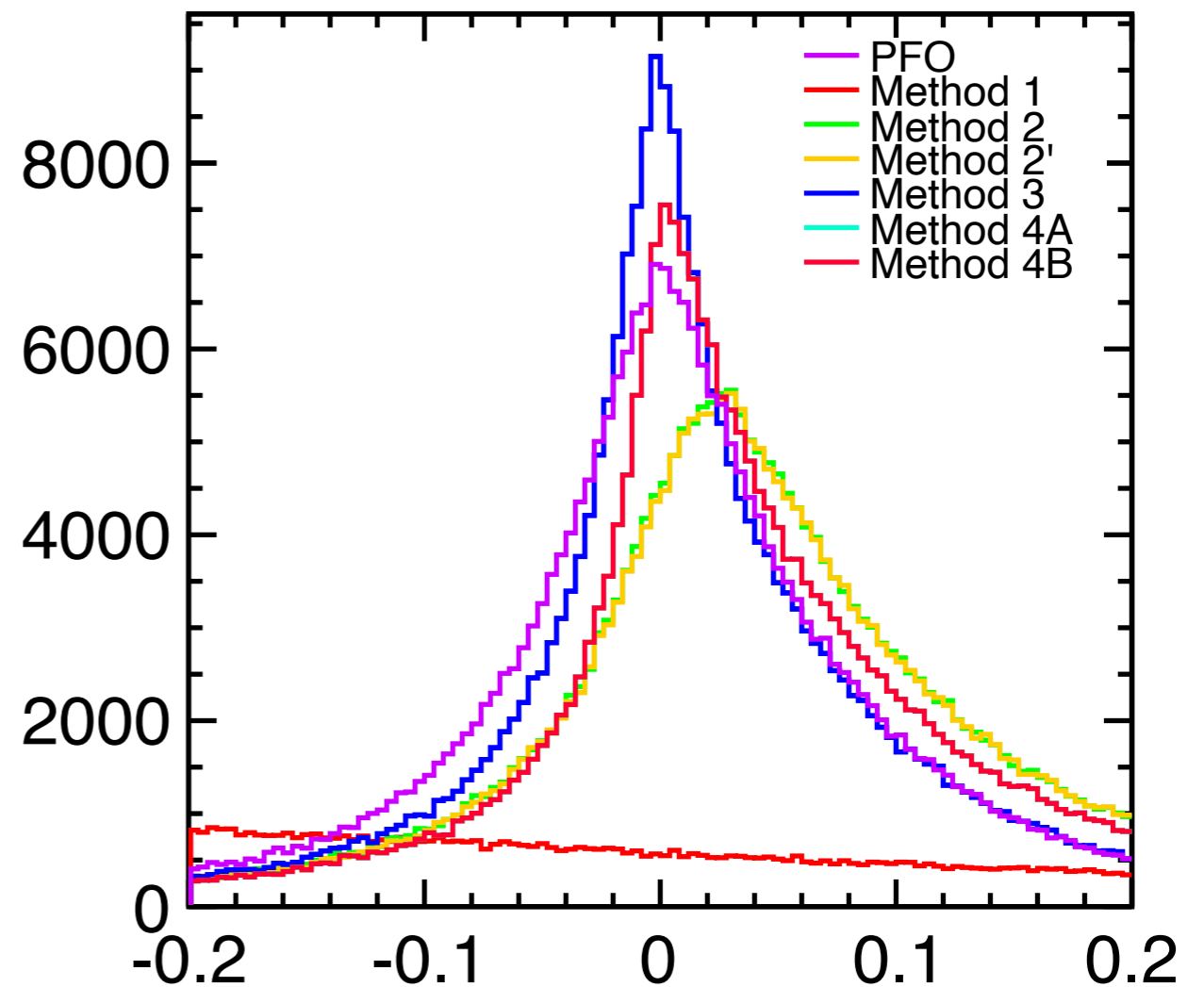
Jet 1

$$\frac{E_{JRec} - E_{JTrue}}{E_{JTrue}}$$



Jet 2

$$\frac{E_{JRec} - E_{JTrue}}{E_{JTrue}}$$



Method 4A and 4B are exactly same (because equations are very simple and only sign ambiguity exists).

Method 3 is the best judging from peak height and symmetry.

Conclusion

■ New realistic cut “ $M_z < 125$ && Visible Energy > 200 && $\cos\theta(\text{Jet1} \cdot \gamma) < 0.95$ && $\cos\theta(\text{Jet2} \cdot \gamma) < 0.95$ ” seems to be better than previous one.

In this cut, **99.5% of events are correct photon selection case** while 98.4% for the previous cut.

■ Method 4A and 4B using measured $\gamma\beta$ as inputs are established so as to avoid the irrational equation in Method 3.

However, Method 3 is the best judging from peak height and symmetry.

■ I would like to get a final conclusion for the JES calibration before the JPS meeting.



Thank you for your attention!