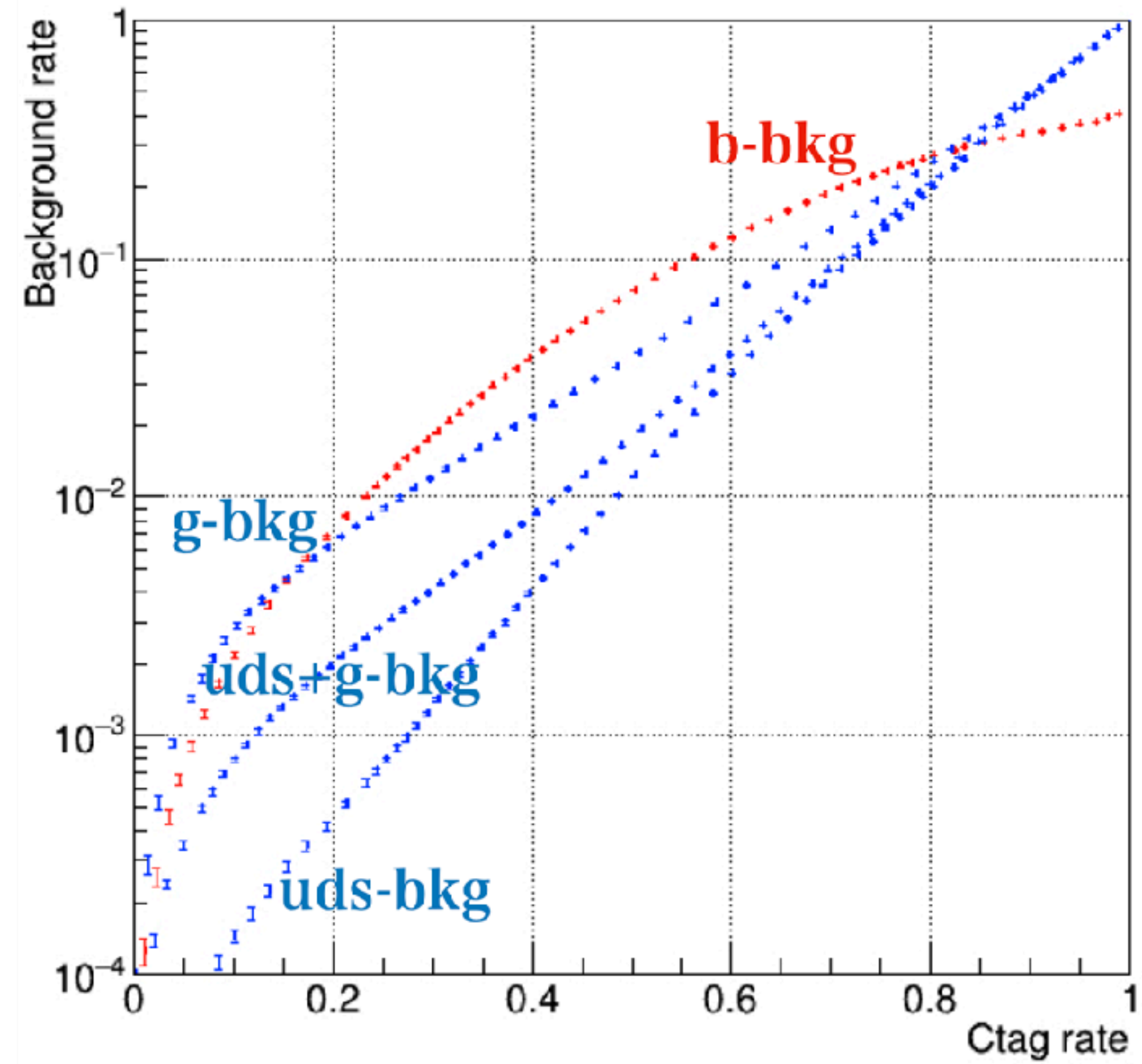
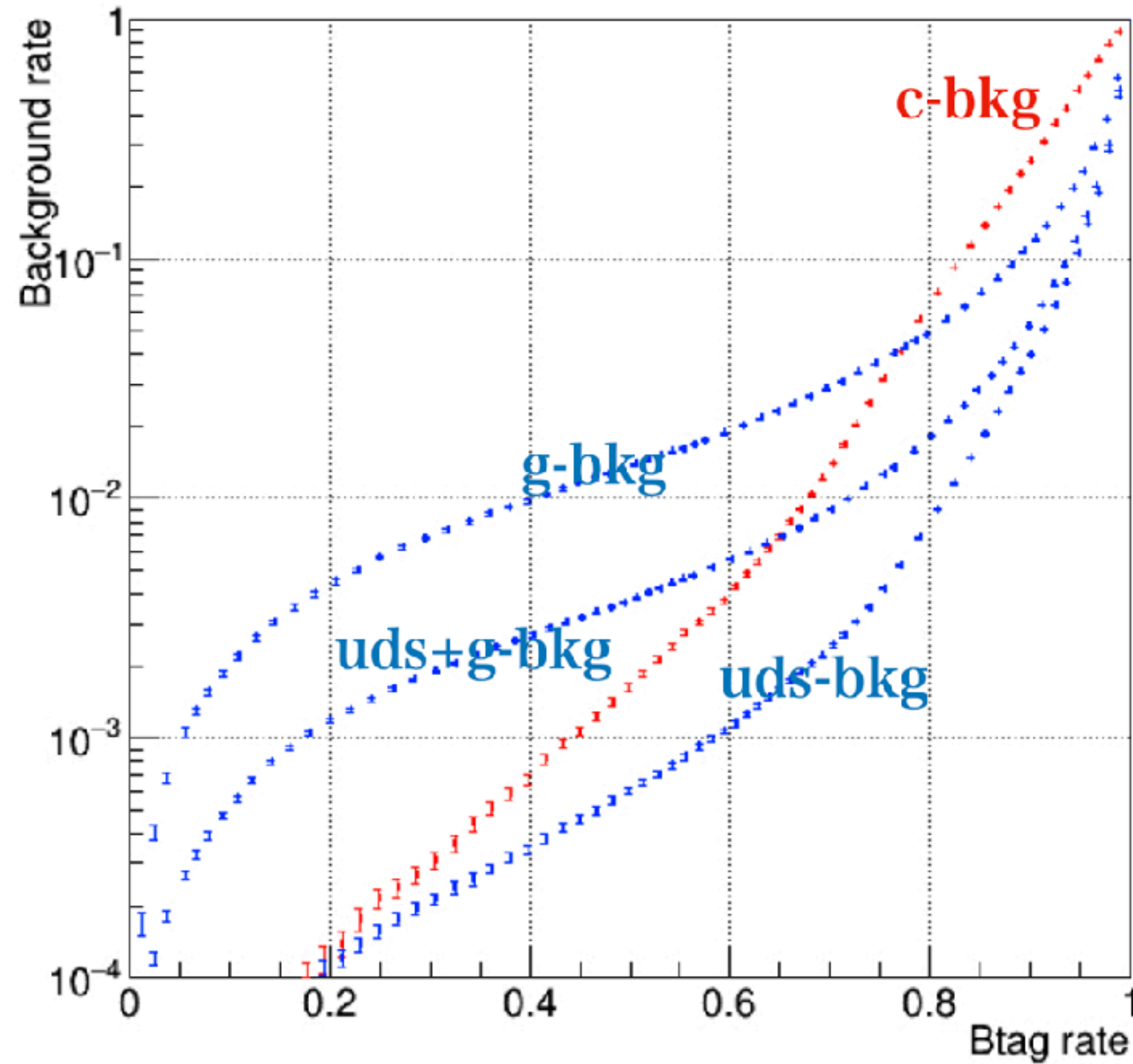
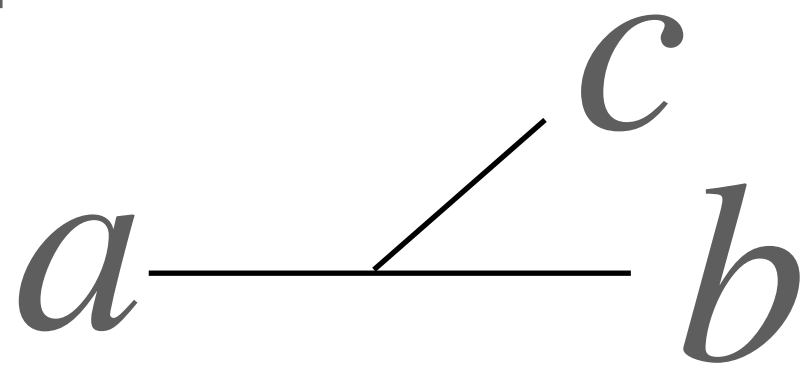


flavor tagging performance: some preliminary understanding together with Ryo



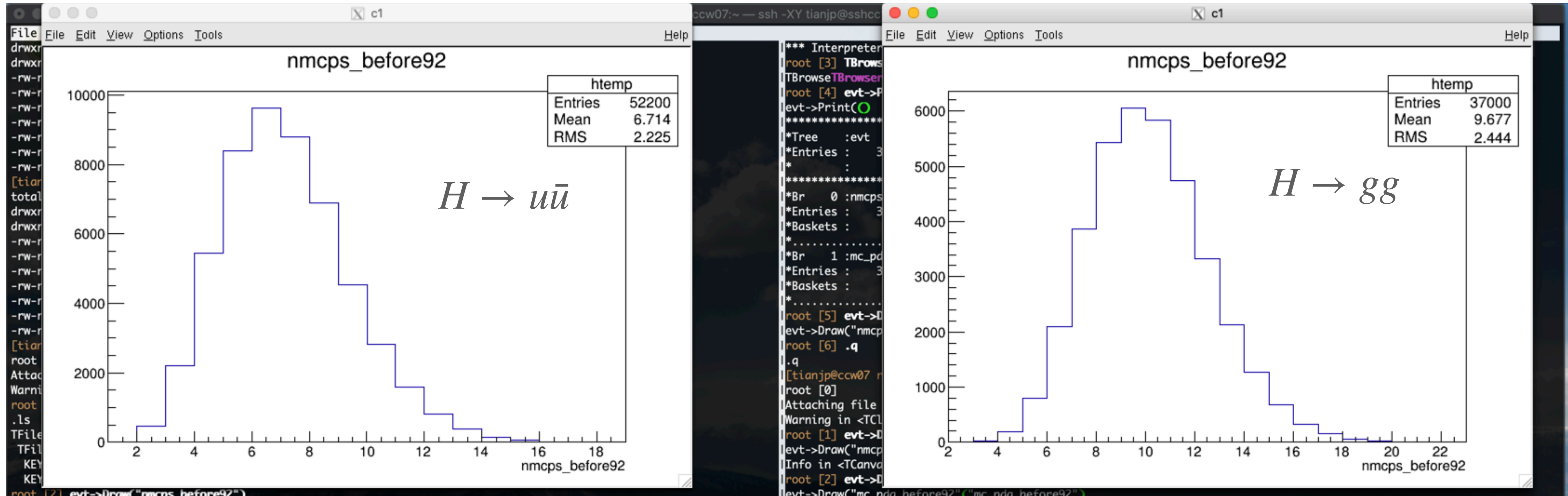
DGLAP



$$d\mathcal{P}_a = \sum_{b,c} \frac{\alpha_{abc}}{2\pi} P_{a \rightarrow bc}(z) dt dz$$

$$dt = d \ln(Q^2) = \frac{dQ^2}{Q^2}$$

number of partons (Np): gluon jet is much “fatter”



observed $\frac{N_p^g}{N_p^u} = 1.6$

expected ~ 2

$$P_{q \rightarrow qg}(z) = C_F \frac{1+z^2}{1-z}$$

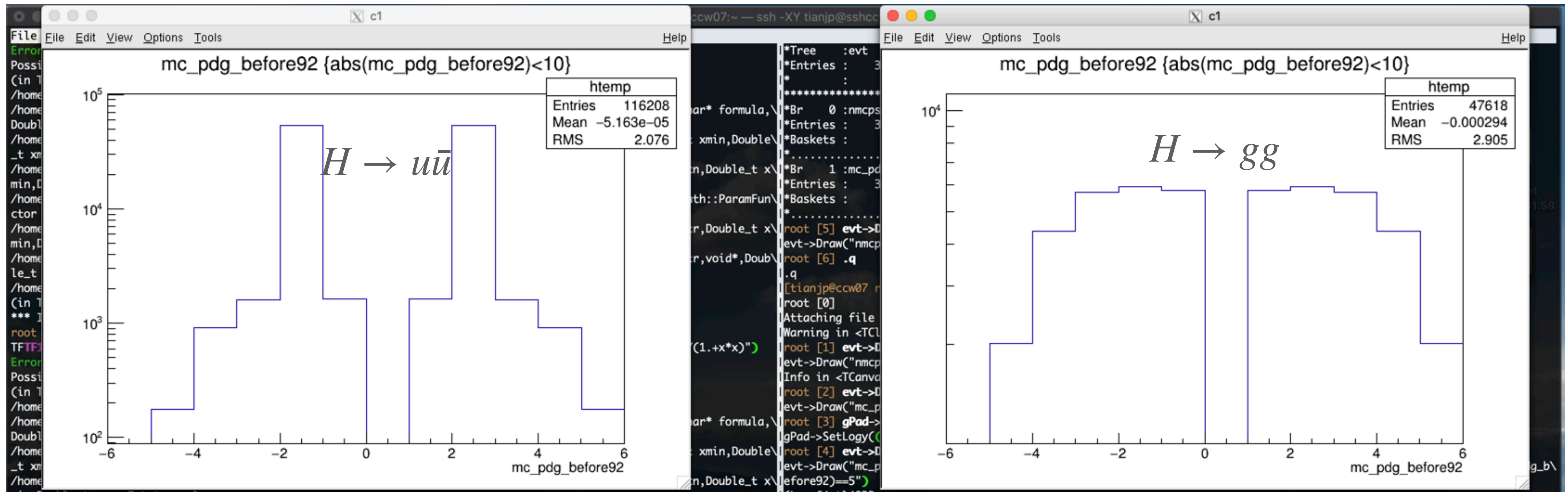
$$P_{g \rightarrow gg}(z) = N_C \frac{(1-z(1-z))^2}{z(1-z)}$$

(average, taken out initial partons)

(from splitting kernel; dominated by $z \sim 1$;
more accurately, has to add Sudakov form factor, proper cut-off, etc., analytically hard)

all dominated by gluon splitting

quark mass effect in g->qq



$$N_d : N_c : N_b = 9.2 : 5.2 : 1$$

$$N_d : N_c : N_b = 2.9 : 2.2 : 1$$

qualitatively reasonable, since the gluons in H->uu samples have to come from splitting, carrying much lower Q², which leads to larger effects from different quark masses

probability of getting heavy flavor partons

$$H \rightarrow u\bar{u}$$

$$\frac{N_b}{N_p} = 0.10 \%$$

$$\frac{N_c}{N_p} = 0.52 \%$$

$$H \rightarrow gg$$

$$\frac{N_b}{N_p} = 1.1 \%$$

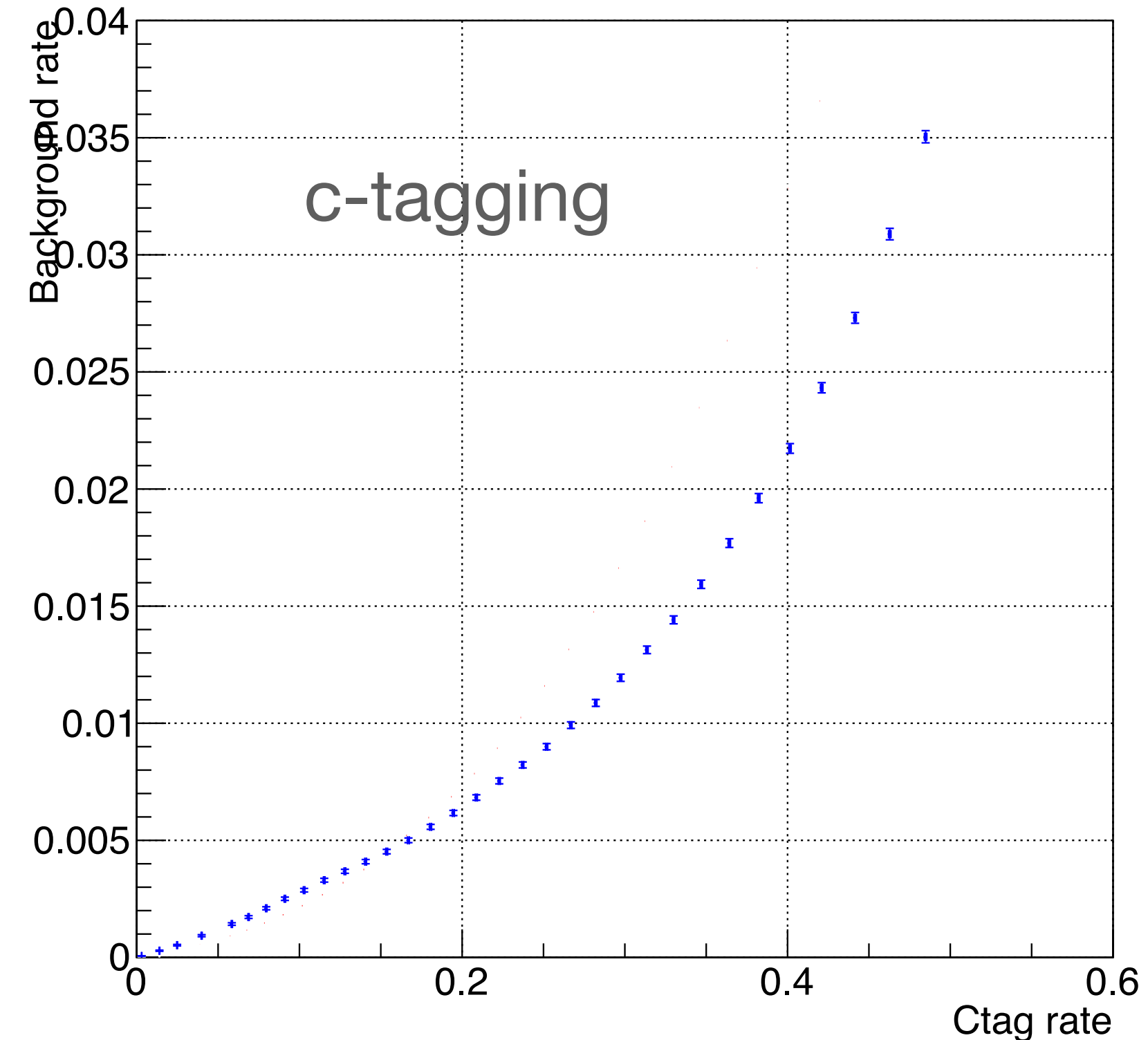
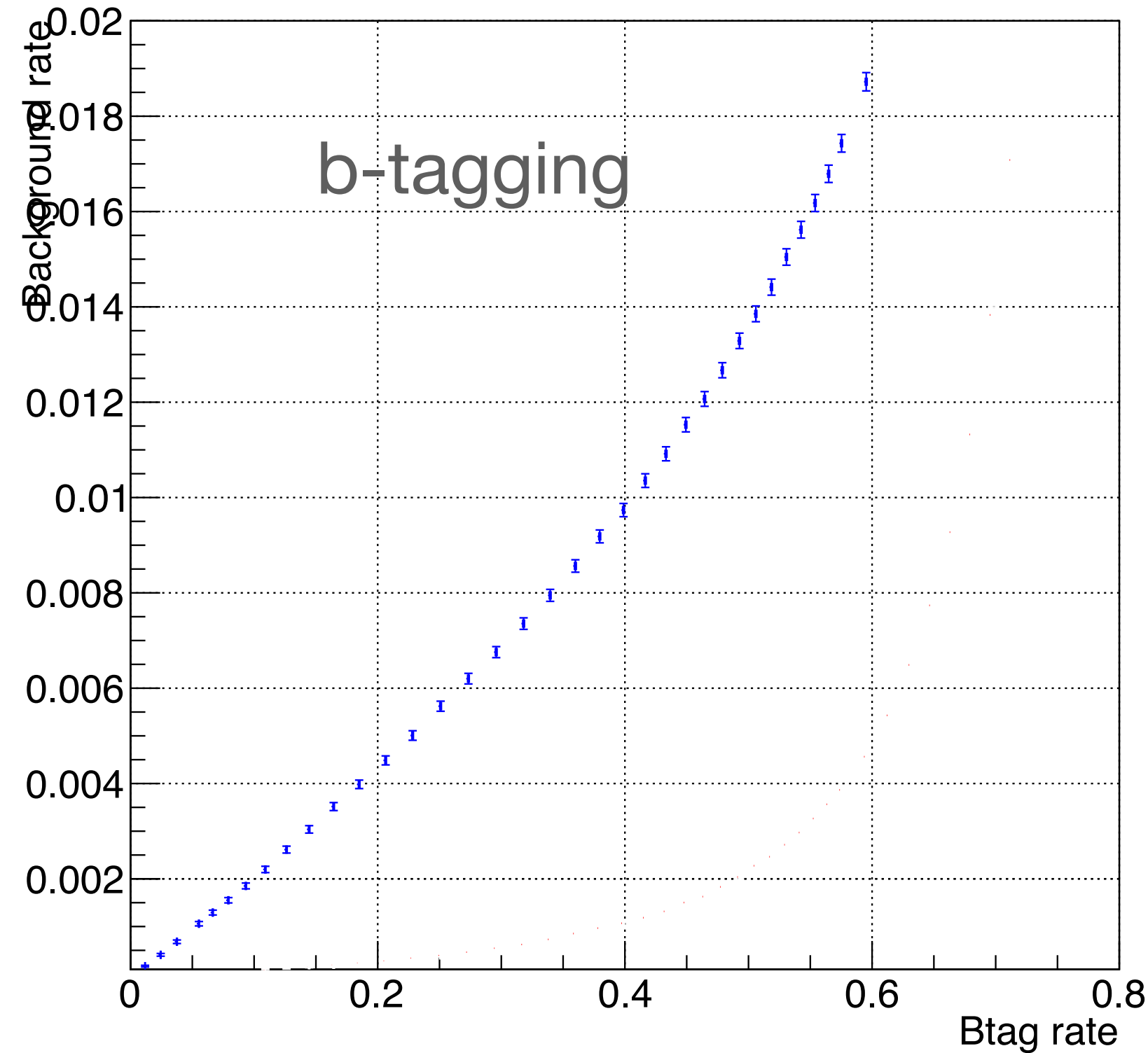
$$\frac{N_c}{N_p} = 2.4 \%$$

implication for gluon jet:

when b-tag efficiency is $< \sim 1\%$, it will scale linearly as a true b-jet does;
when c-tag efficiency is $< \sim 2\%$, it will scale linearly as a true c-jet does

probability of getting heavy flavor partons

$$H \rightarrow gg$$



implication for gluon jet:

- when b-tag efficiency is $< \sim 1\%$, it will scale linearly as a true b-jet does;
- when c-tag efficiency is $< \sim 2\%$, it will scale linearly as a true c-jet does