Studying Exotic Gauge Bosons Using ILC Beam Dump

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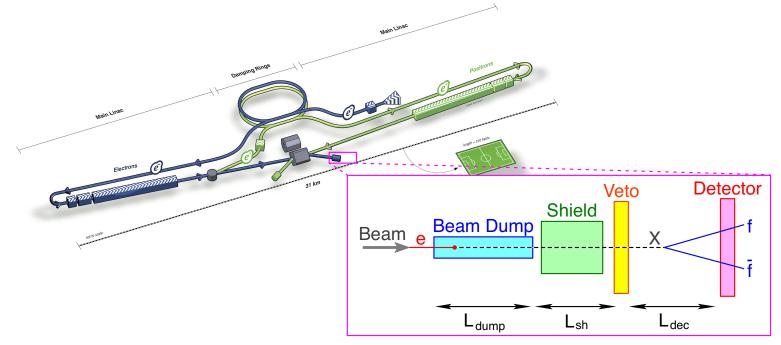
Refs:

Kanemura, TM and Tanabe, PLB751 (2015) 25 [arXiv:1507.02809] Asai, TM and Niki, PLB818 (2021) 136374 [arXiv:2104.00888] TM and Niki, work in progress

2021.10.28, ILC-X @ on-line

1. Introduction

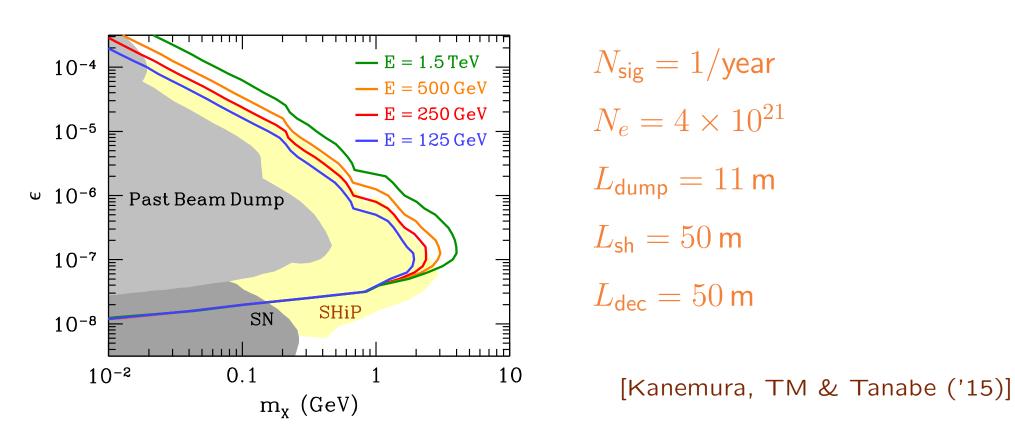
- "Hidden particles" are hardly studied at the ILC
- ⇒ An idea: Beam-dump experiment at the ILC (ILC-BD) [Kanemura, TM & Tanabe ('15)]



⇒ Hidden particles may be produced and detected if a detector is installed behind the dump
 [Kanemura, TM & Tanabe ('15); Sakaki & Ueda ('21); Asai, TM & Niki ('21);
 Asai, Iwamoto, Sakaki & Ueda ('21); Araki, Asai & Shimomura ('21)]

Dark photon search (assuming no SM background)

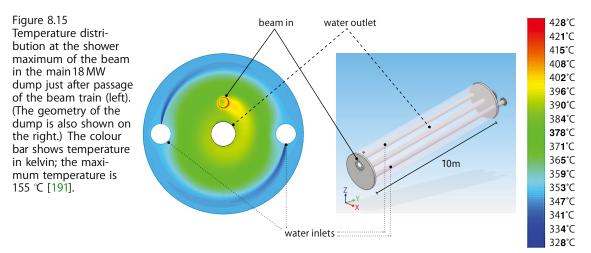
$$\mathcal{L} = \mathcal{L}_{\rm SM} - \frac{1}{4} X_{\mu\nu} X^{\mu\nu} - \frac{\epsilon}{2} F^{(\rm em)}_{\mu\nu} X^{\mu\nu} + \frac{m_X^2}{2} X_{\mu} X^{\mu}$$



 \Rightarrow ILC-BD can explore models which are currently viable

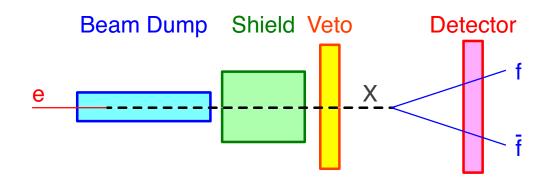
ILC beam dump: Target = H_2O

$\sim 4\times 10^{21}$ electrons and positrons are dumped per year



[ILC TDR vol. 3.II]

Signal of "hidden" particle X

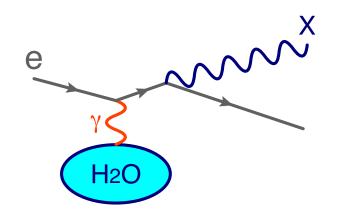


2. Leptophilic Gauge Bosons

 $U(1)_{e-\mu}$ or $U(1)_{e-\tau}$ model

 $\mathcal{L} \ni g_X(\bar{e}\gamma^\mu e - \bar{\ell}\gamma^\mu \ell) X_\mu \quad (\ell = \mu \text{ or } \tau)$

Dominant production processes of X_{μ} :

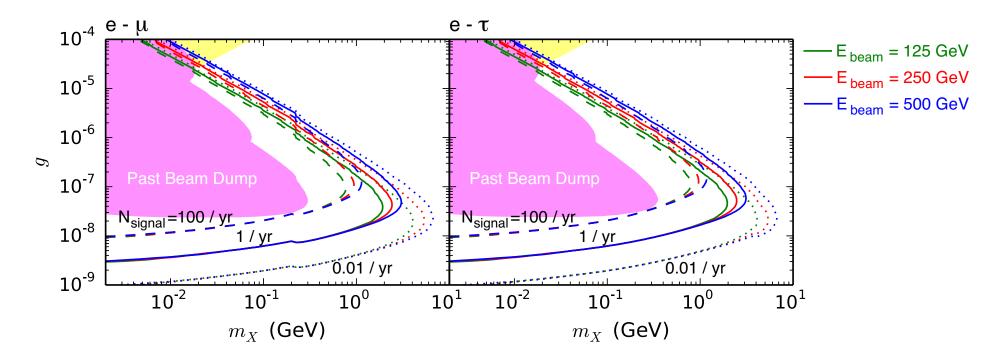


 X_{μ} decays into charged lepton pair (as well as into $\bar{\nu}\nu$)

$$X^{(e-\mu)}_{\mu} \rightarrow e^+e^- \text{ and } \mu^+\mu^-$$

 $X^{(e-\tau)}_{\mu} \rightarrow e^+e^- \text{ (for } m_X < 2m_{\tau}$

Cases with $U(1)_{e-\mu}$ and $U(1)_{e-\tau}$ [Asai, TM & Niki ('21)]



- ILC-BD can access parameter regions which have not been explored yet
- After the discovery, we may distinguish models if a good particle identification is possible (see the next slide)

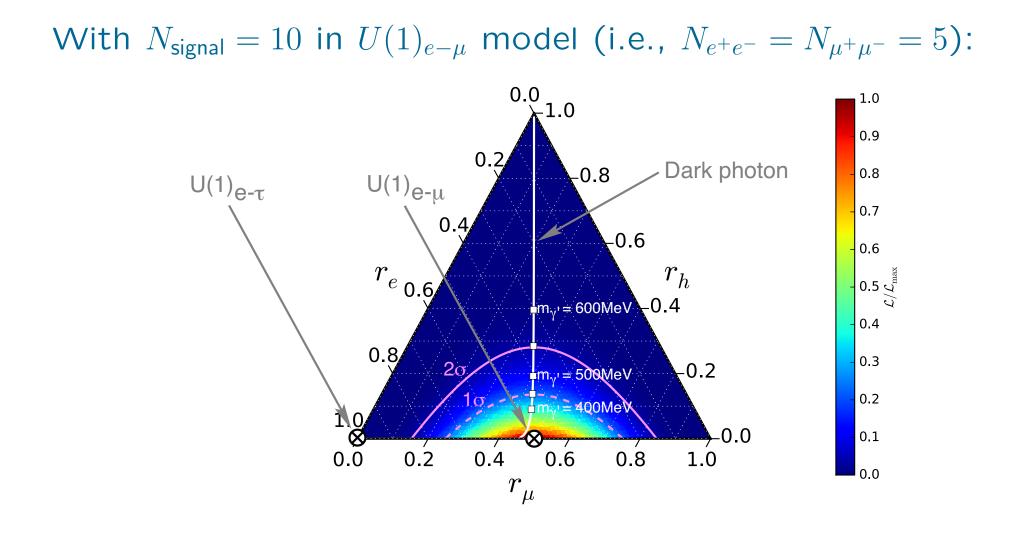
Decay pattern of hidden particle is model-dependent

$$\begin{split} r_e &\equiv \frac{\Gamma_{X \to e^+ e^-}}{\Gamma_X^{(\text{vis})}}, \quad r_\mu \equiv \frac{\Gamma_{X \to \mu^+ \mu^-}}{\Gamma_X^{(\text{vis})}}, \quad r_h \equiv \frac{\Gamma_{X \to \text{had}}}{\Gamma_X^{(\text{vis})}} \\ \Gamma_X^{(\text{vis})} &= \Gamma_{X \to e^+ e^-} + \Gamma_{X \to \mu^+ \mu^-} + \Gamma_{X \to \text{had}} \quad \Rightarrow \quad r_e + r_\mu + r_h = 1 \end{split}$$

For $2m_{\mu} \lesssim m_X \lesssim 2m_{\tau}$:

	r_e	r_{μ}	r_h
$U(1)_{e-\mu}$	~ 0.5	~ 0.5	~ 0
$U(1)_{e-\tau}$	~ 1	~ 0	~ 0
Dark photon	1/(2+R)	1/(2+R)	R/(2+R)

R = R-ratio @ $\sqrt{s} = m_X$

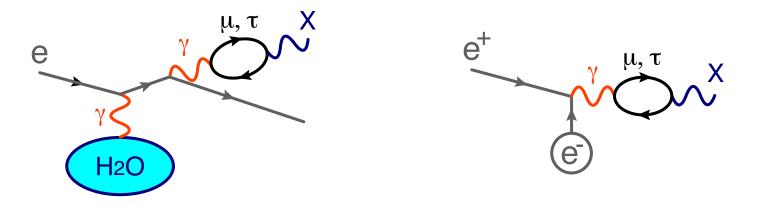


 \Rightarrow Various models can be distinguished if N_{signal} is sizable

 $U(1)_{\mu- au}$ model

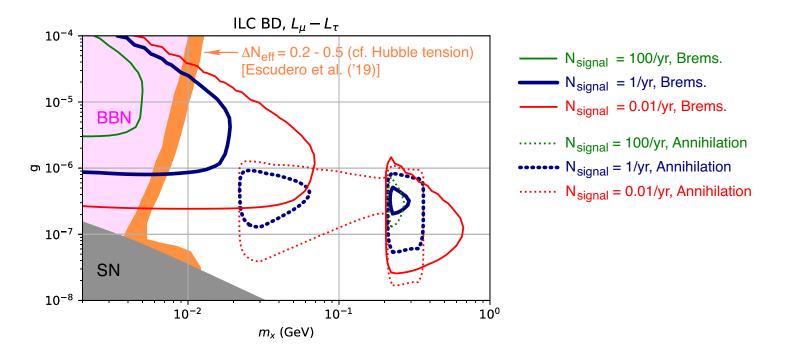
 $\mathcal{L} \ni g_X(\bar{\mu}\gamma^\mu\mu - \bar{\tau}\gamma^\mu\tau)X_\mu$

Coupling to e^{\pm} is via the loop-induced kinetic mixing



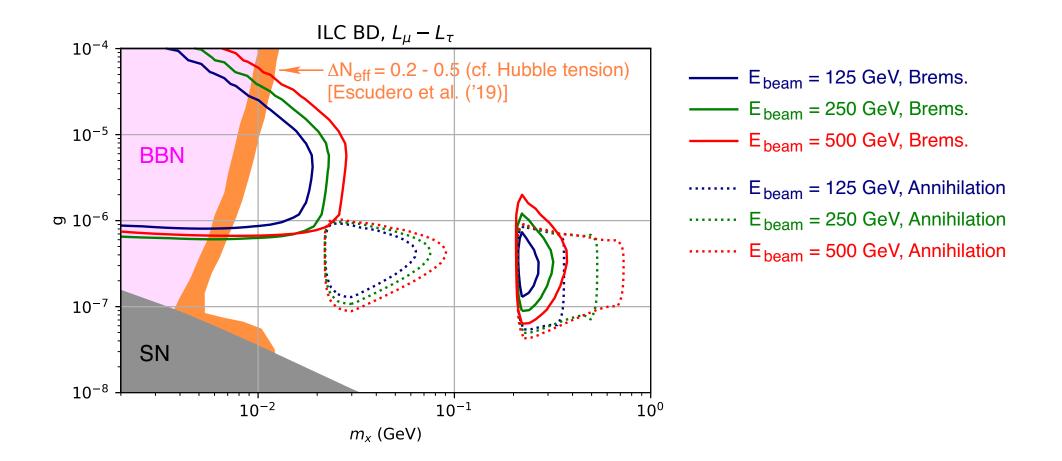
- Signal rate is suppressed when $m_X \lesssim 2m_\mu$, because X dominantly decays into $\bar{\nu}\nu$
- The pair annihilation process ($e^+e^- \to X)$ enlarges the accessible region

Results for $U(1)_{\mu-\tau}$ model (preliminary) [TM & Niki, in preparation]

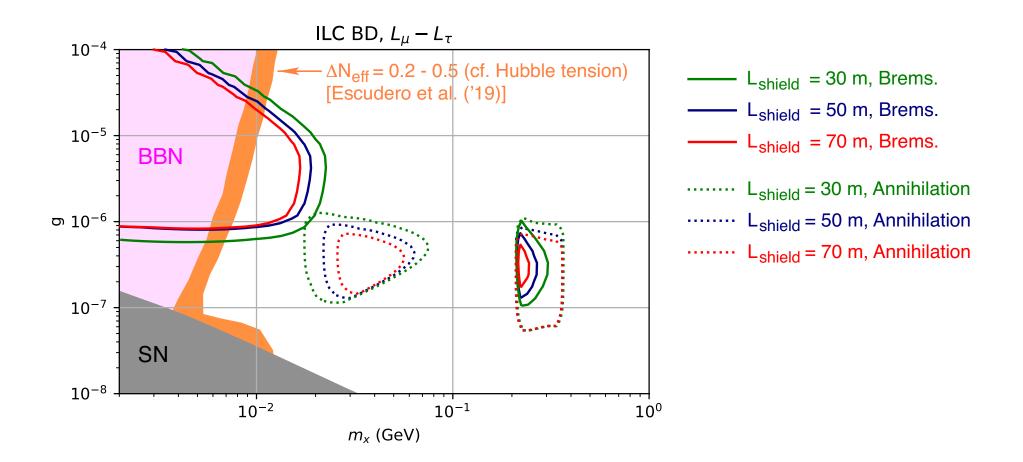


- \Rightarrow With e^+ beam, accessible region is enlarged because of the pair annihilation process
- ⇒ Parameter region favored by the Hubble tension can be accessed

$U(1)_{\mu-\tau}$ model: Dependence on the beam energy (preliminary)



 $U(1)_{\mu-\tau}$ model: Dependence on the shield length (preliminary)



\Rightarrow Shorter shield is better

3. Summary

ILC beam dump experiment is an interesting possibility:

- Discovery of exotic particles
- Discrimination of the model behind the exotic particles

Discovery reaches depend on the design:

- Compact shield & large decay volume are preferred
- With e⁺ beam, e⁺e⁻ annihilation processes become available

[For ALPs, see Sakaki & Ueda ('21)]

Good particle identification is desired to distinguish various models

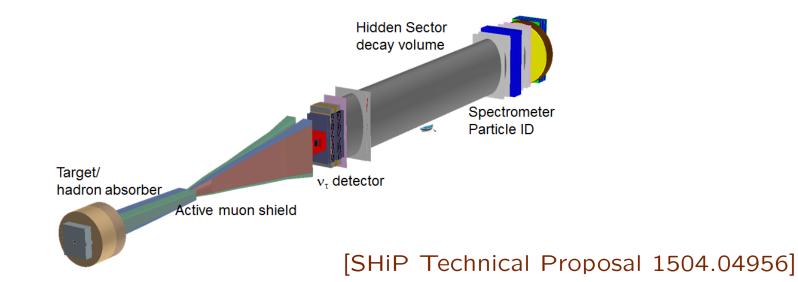
Backups

SM background (in particular, muons) should be removed

 \Rightarrow Shield is necessary

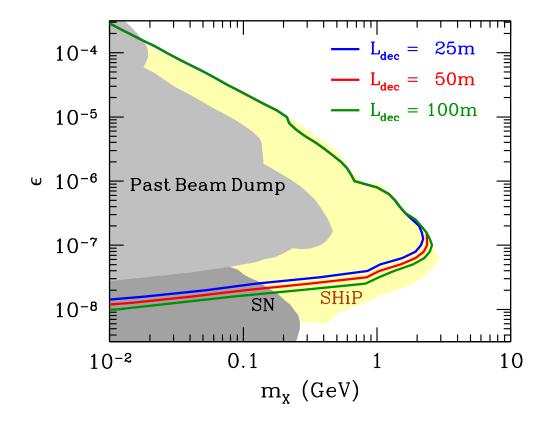
One idea to remove the muon background (SHiP's proposal)

- Carefully designed magnetic field to bend the muons away
- With the magnetic field of $O(1\,{\rm T})$, $L_{\rm sh}\sim 50\,{\rm m}$ is needed



 \Rightarrow We assume that all the SM backgrounds can be removed

Dependence on the decay-volume size (dark photon case)

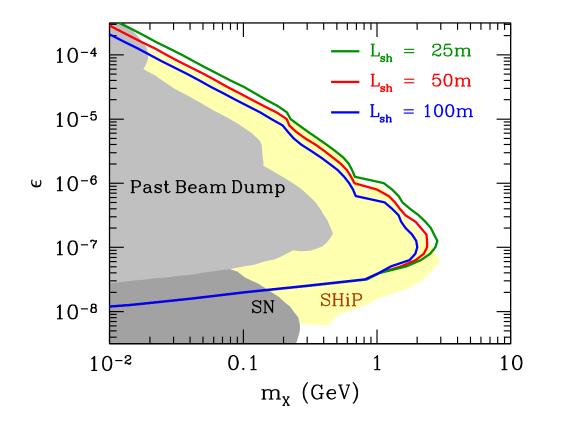


$$N_{
m sig}=1/{
m year}$$

 $N_e=4 imes10^{21}$
 $L_{
m dump}=11\,{
m m}$
 $L_{
m sh}=50\,{
m m}$
 $L_{
m dec}=25,~50~{
m and}~100\,{
m m}$

 \Rightarrow Longer L_{dec} gives better discovery reach

Dependence on the shield length (dark photon case)



$$N_{
m sig} = 1/{
m year}$$

 $N_e = 4 imes 10^{21}$
 $L_{
m dump} = 11 \,{
m m}$
 $L_{
m sh} = 25$, 50 and 100 m
 $L_{
m dec} = 50 \,{
m m}$

 \Rightarrow Shorter L_{sh} gives better discovery reach

Assuming 10 signal events:

- Left: $U(1)_{e-\mu}$ ($N_{e^+e^-} = 5$, $N_{\mu^+\mu^-} = 5$)
- Right: $U(1)_{e-\tau}$ ($N_{e^+e^-} = 10$, $N_{\mu^+\mu^-} = 0$)

