

# Heavy Quark cross section and forward backward asymmetries at ILC250

**Adrián Irles\*** on behalf of the ILD collaboration

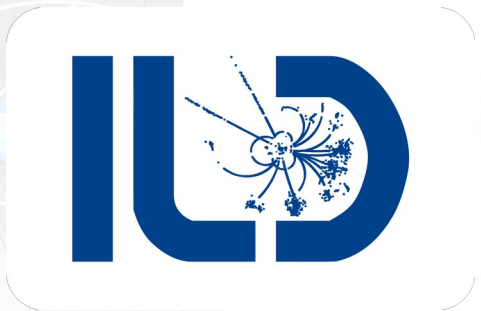


and the IJCLab/Tohoku U./IFIC HQ-ILC team

*\*AITANA group at IFIC - CSIC/UV*

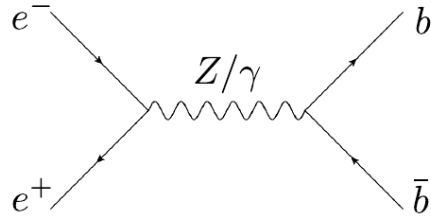


M A T T E R   A N D   T E C H N O L O G Y



**Updated results with the newest and more realistic mc2020 simulations**

- ▶ Differential cross section for (relativistic) di-fermion production



$$\frac{d\sigma}{d\cos\theta}(e_L^- e_R^+ \rightarrow f \bar{f}) = Q_{LL}(1+\cos\theta)^2 + Q_{LR}(1-\cos\theta)^2$$

$$\frac{d\sigma}{d\cos\theta}(e_R^- e_L^+ \rightarrow f \bar{f}) = Q_{RR}(1+\cos\theta)^2 + Q_{RL}(1-\cos\theta)^2$$

- The helicity amplitudes  $\Sigma_{ij}$ , contain the couplings  $g_L/g_R$  (or Form factors or EFT factors)
- Left $\neq$ right (characteristic for each fermion)

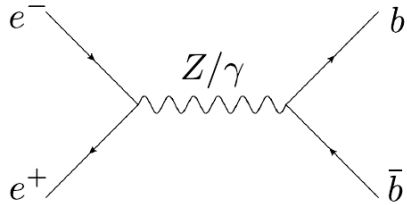
- ▶ **Only beam polarisation allows inspection of the 4 helicity amplitudes for all fermions**

- ▶ Quark (fermion) **electroweak couplings** can be **inferred from cross section,  $R_q$**  and forward backward asymmetry  **$A_{FB}$**  observables.

$$R_q^0 = \Gamma_{q\bar{q}} / \Gamma_{had} (Z\text{-pole})$$

$$\rightarrow R_q^{cont.} = \sigma_{q\bar{q}} / \sigma_{had} (s > Z\text{-pole})$$

Quark identification. No need to measure an angular distribution (but possible)



$$\frac{d\sigma}{d\cos\theta}$$

$$A_{FB} = \frac{N_F - N_B}{N_F + N_B}$$

Angular Distribution.

Quark ID + charge measurement (quark – antiquark disentangling)

Gives access to all left/right couplings.

**Normalized quantities are highly preferred:  
to control (remove) systematic uncertainties**



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# Measuring $R_b$ and $R_q$

► Assuming that:

- Minimal contribution from the backgrounds
- the preselection efficiency is the same for all flavours

$\varepsilon_c = c$ -tagging eff.

$\tilde{\varepsilon}_x = x$ -quark mis-tagging effi. (prob of tagging  $x$  as  $c$ -quark)

$(1+\rho)$ =angular correl.term

$$\begin{aligned} \overline{f_{1tag}} &= \varepsilon_c R_c + \tilde{\varepsilon}_b R_b + \tilde{\varepsilon}_{uds} (1 - R_b - R_c) \\ \overline{f_{2tag}} &= \varepsilon_c^2 (1 + \rho) R_c + \tilde{\varepsilon}_b^2 R_b + \tilde{\varepsilon}_{uds}^2 (1 - R_b - R_c) \end{aligned}$$

Measured  
quantities

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Measured  
quantities

Inputs (MC or  
independent  
measurements)

► Assuming that:

- Minimal contribution from the backgrounds
- the preselection efficiency is the same for all flavours

$$f_{1tag} = \epsilon_c \overline{R_c} + \widetilde{\epsilon}_b R_b + \widetilde{\epsilon}_{uds} (1 - R_b - \overline{R_c})$$
$$f_{2tag} = \epsilon_c^2 (1 + \rho) \overline{R_c} + \widetilde{\epsilon}_b^2 R_b + \widetilde{\epsilon}_{uds}^2 (1 - R_b - \overline{R_c})$$

Measured quantities

PHYSICS!

Inputs (MC or independent measurements)



► Assuming that:

- Minimal contribution from the backgrounds
- the preselection efficiency is the same for all flavours

$$f_{1tag} = \varepsilon_c R_c + \widetilde{\varepsilon}_b R_b + \widetilde{\varepsilon}_{uds} (1 - R_b - R_c)$$
$$f_{2tag} = \varepsilon_c^2 (1 + \rho) R_c + \widetilde{\varepsilon}_b^2 R_b + \widetilde{\varepsilon}_{uds}^2 (1 - R_b - R_c)$$

► We are interested in  $R_c / \varepsilon_{c}$  (or  $b$ )

ideally

$$f_{1tag} \simeq \varepsilon_c R_c$$
$$f_{2tag} \simeq \varepsilon_c^2 R_c$$

with

$$BKG \simeq 0$$
$$\varepsilon_b^{pres} \simeq \varepsilon_c^{pres} \simeq \varepsilon_{uds}^{pres}$$

What about the backgrounds ?  
Not a problem at Z-Pole runs  
ILC250 ?

► Event selection → backgrounds **from radiative return (x10 signal)** events and WW/ZZ/HZ

Polarization	Signal			Rad return bkg		
	$\sigma_{e^-e^+ \rightarrow q\bar{q}}(E_\gamma < 35 \text{ GeV})[\text{fb}]$			$\sigma_{e^-e^+ \rightarrow q\bar{q}}(E_\gamma > 35 \text{ GeV})[\text{fb}]$		
	$b\bar{b}$	$c\bar{c}$	$q\bar{q} (q = uds)$	$b\bar{b}$	$c\bar{c}$	$q\bar{q} (q = uds)$
$e_L^-e_R^+$	5677.2	8518.1	18407.3	20531.4	18363.8	57651.3
$e_R^-e_L^+$	1283.2	3565.0	5643.5	12790.8	11810.8	36179.5

### Diboson bkg

Channel	$\sigma_{e_L^-e_R^+ \rightarrow X} [\text{fb}]$	$\sigma_{e_R^-e_L^+ \rightarrow X} [\text{fb}]$
$X = WW \rightarrow q_1\bar{q}_2q_3\bar{q}_4$	14874.4	136.4
$X = ZZ \rightarrow a_1\bar{a}_1a_2\bar{a}_2$	1402.1	605.0
$X = HZ \rightarrow q_1q_2H$	346.0	222.0

► **Event selection → backgrounds from radiative return (x10 signal) events and WW/ZZ/HZ**

► **Cuts**

- **C1-2:** Energy\_photon Kreco < 35 GeV & 2jet inv\_mass > 140GeV  
(Cuts for events with ISR escaping the reconstruction)
- **C3-5:** photon removal cuts  
(veto events with reconstructed ISR photons)
- **C6:** y23 < 0.015 --> y23=2 vs 3 jet likeness  
(cut against dibosons)

$$|\vec{k}| \approx K_{reco} = \frac{250 \text{ GeV}}{\sin \Psi_{acol} + \sin \theta_1 + \sin \theta_2}$$

eLpR  
CUT 1  
CUT 2  
CUT 3  
CUT 4  
CUT 5  
CUT 6

Signal Efficiency (%)				B/S (%)			
bb	cc	qq (uds)	RadRet	WW	ZZ	qqH	
100.0	100.0	100.0	287.0	44.9	4.3	1.0	
81.1	80.9	81.0	20.3	6.2	0.6	0.2	
80.8	80.9	81.0	18.6	5.8	0.6	0.2	
80.8	80.5	80.0	10.4	5.8	0.6	0.2	
80.8	80.5	79.9	10.3	5.8	0.6	0.2	
77.7	77.2	75.9	4.8	6.0	0.6	0.2	
64.0	64.1	63.3	3.8	1.5	0.2	0.1	

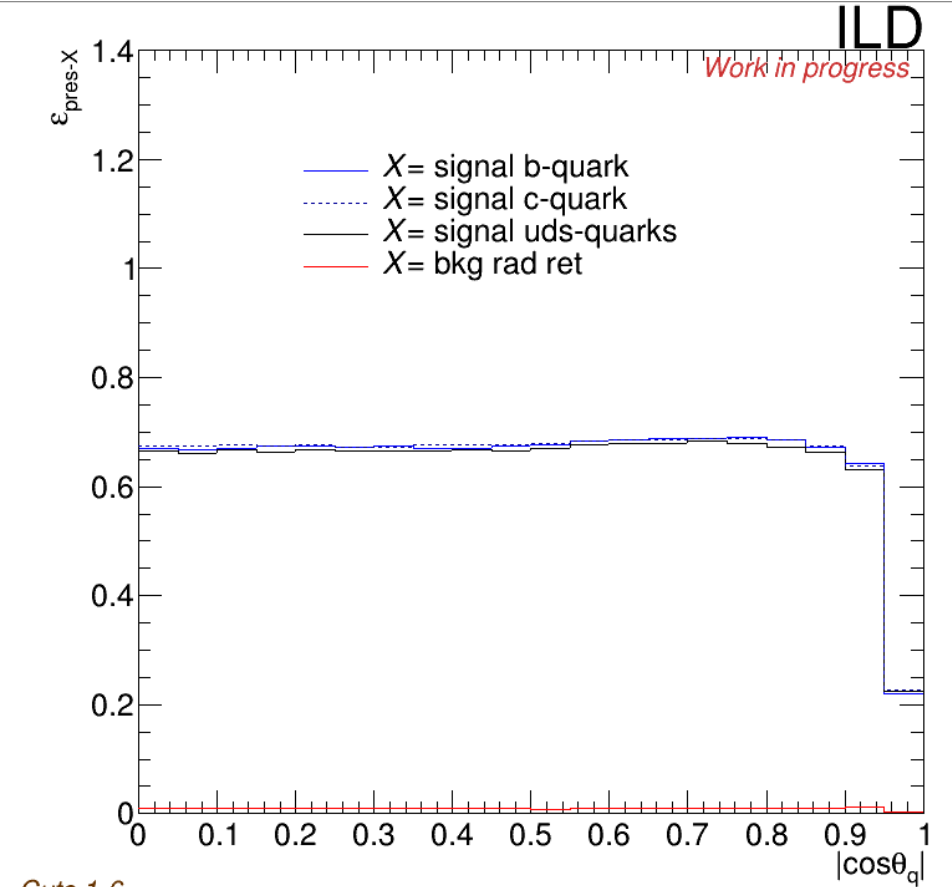
eRpL  
CUT 1  
CUT 2  
CUT 3  
CUT 4  
CUT 5  
CUT 6

Signal Efficiency (%)				B/S (%)			
bb	cc	qq (uds)	RadRet	WW	ZZ	qqH	
100.0	100.0	100.0	562.0	1.3	5.7	2.1	
81.0	81.0	81.2	41.4	0.2	0.9	0.3	
80.8	80.9	81.2	38.0	0.2	0.8	0.3	
80.7	80.6	80.2	17.6	0.2	0.8	0.3	
80.7	80.6	80.1	17.4	0.2	0.8	0.3	
77.5	77.2	76.2	6.9	0.2	0.8	0.3	
64.0	64.1	63.6	5.8	0.0	0.3	0.1	

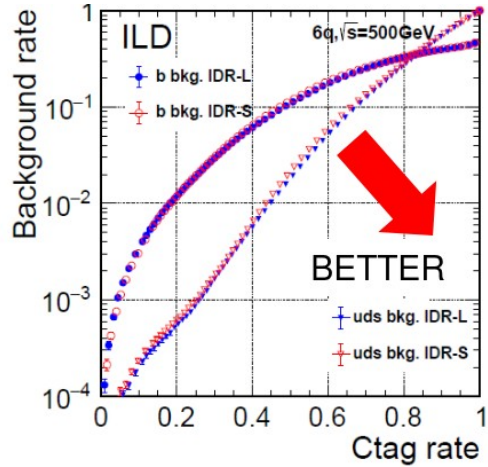
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Cuts 1-6

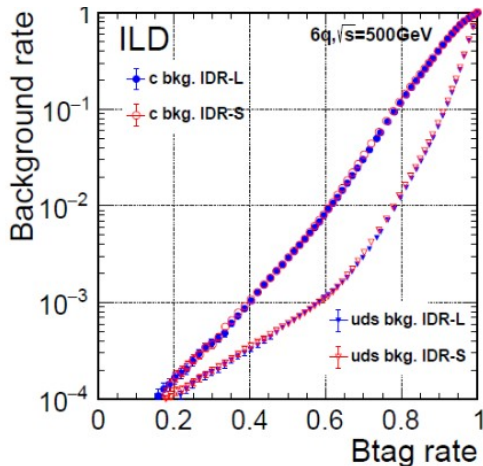


## ► Dedicated tools for vertexing and flavour tagging: LCFIPlus (for lepton colliders)

- A high-purity secondary vertex finder based on build-up vertex clustering,
- a jet clustering algorithm using vertex information
- and multivariate jet flavor tagging for the separation of b and c jet

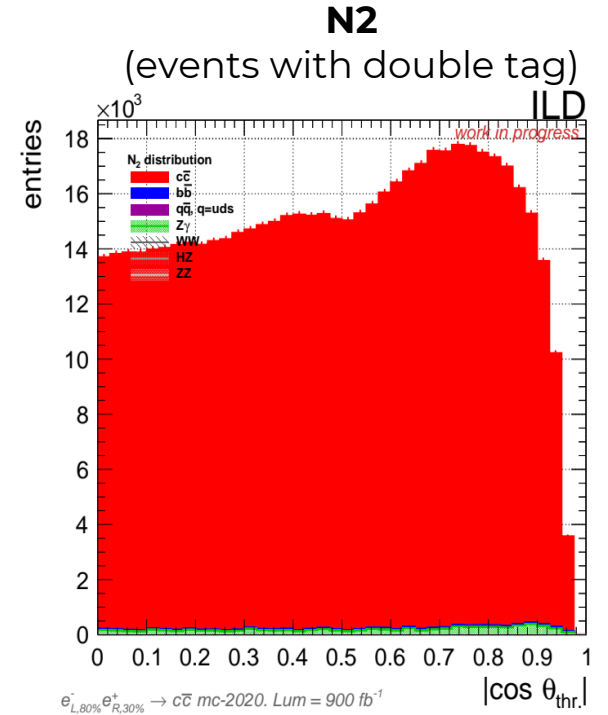
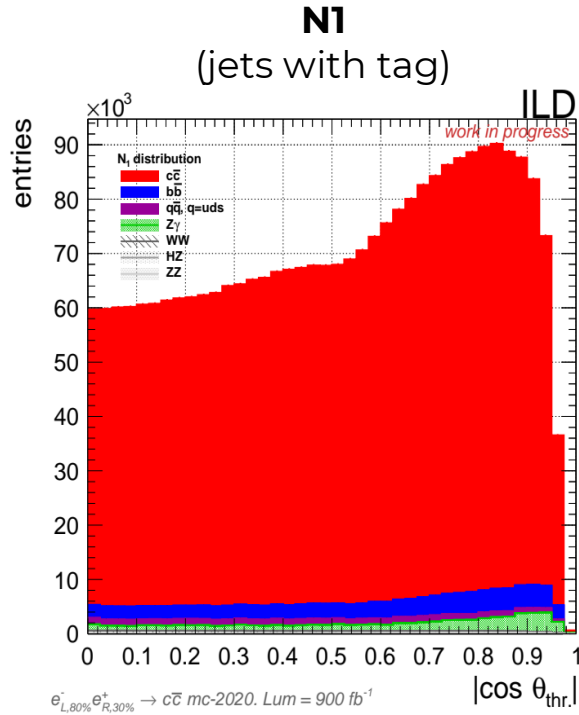
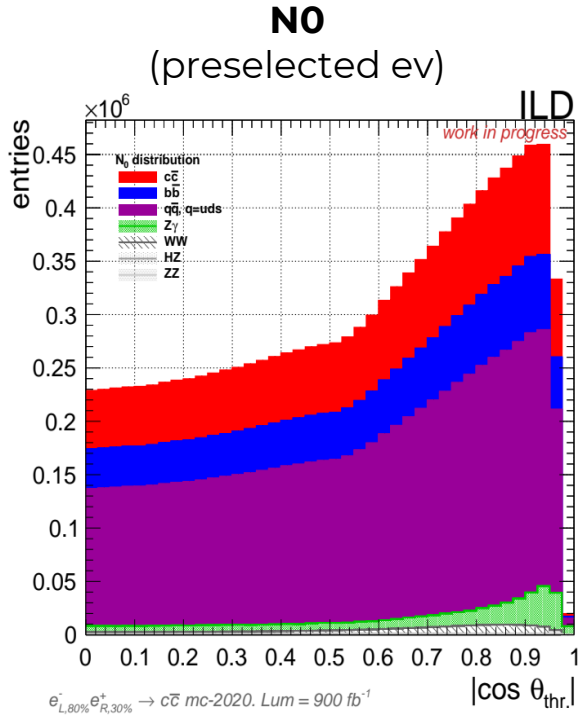
## Design goals

- Impact parameter resolution  
 $\sigma(d_0) < 5 \oplus 10 / (p[\text{GeV}] \sin^{3/2}\theta) \mu\text{m}$
- Transverse momentum resolution  
 $\sigma(1/p_T) = 2 \times 10^{-5} \text{ GeV}^{-1} \oplus 1 \times 10^{-3} / (p_T \sin^{1/2}\theta)$



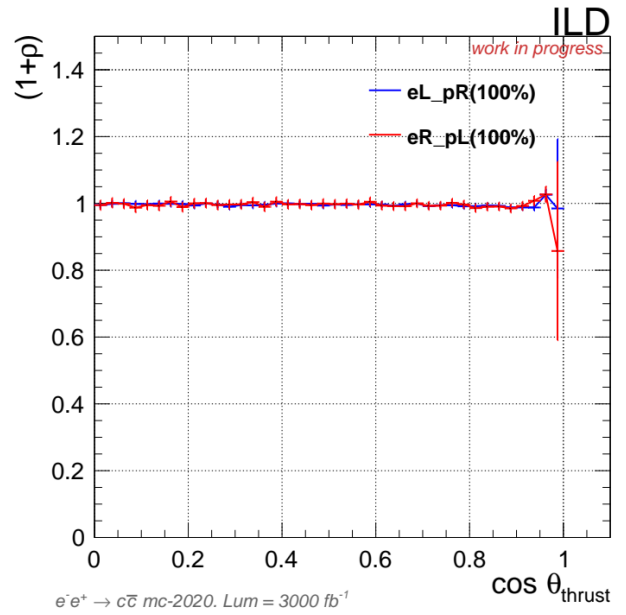
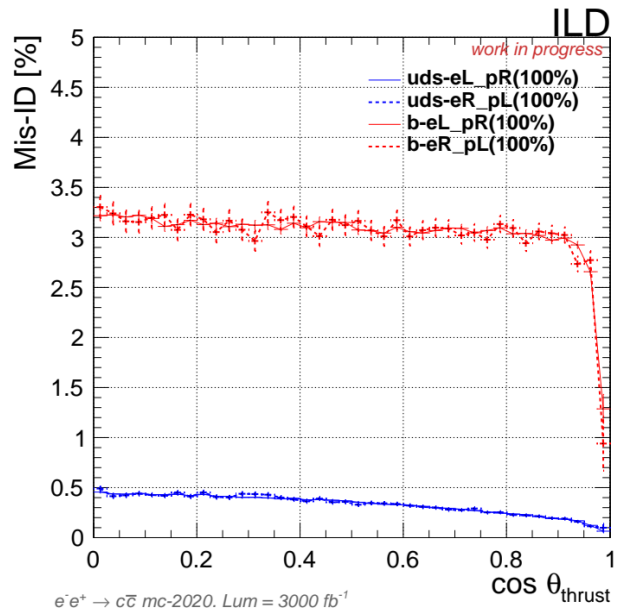
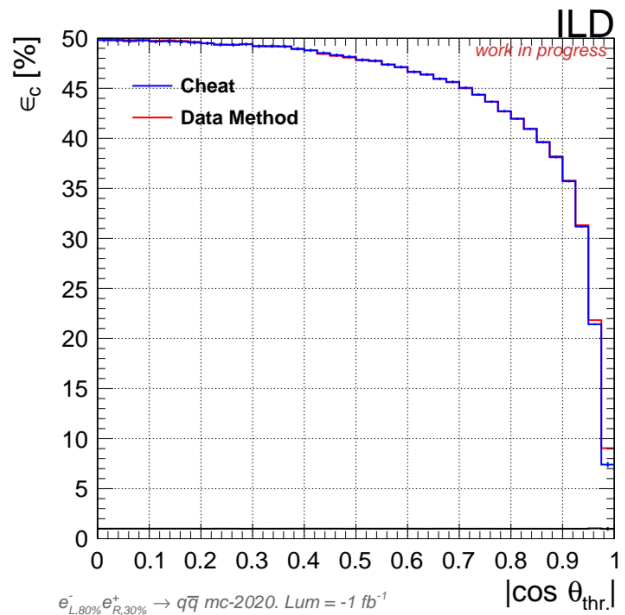
# Double Tag Method

eLpR (80,30)

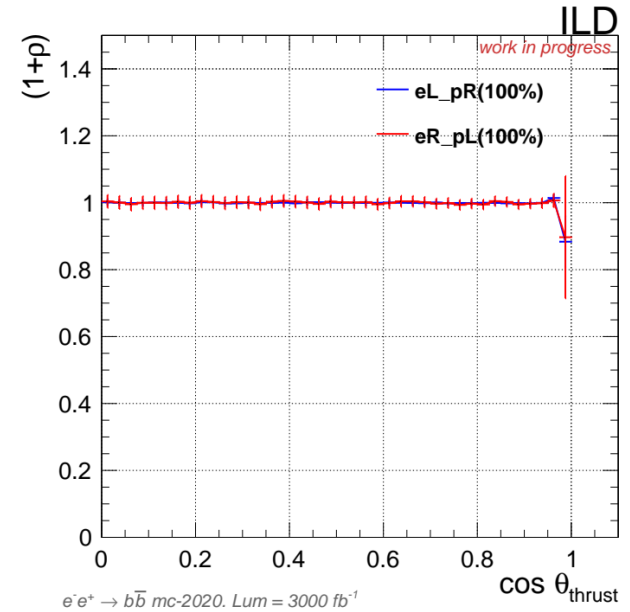
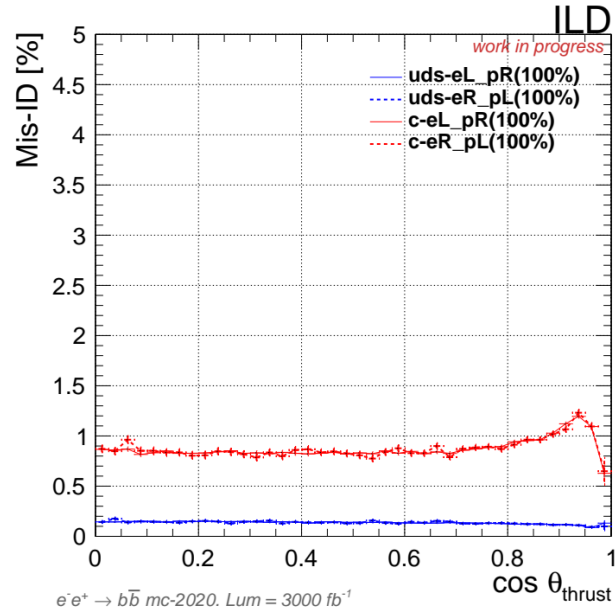
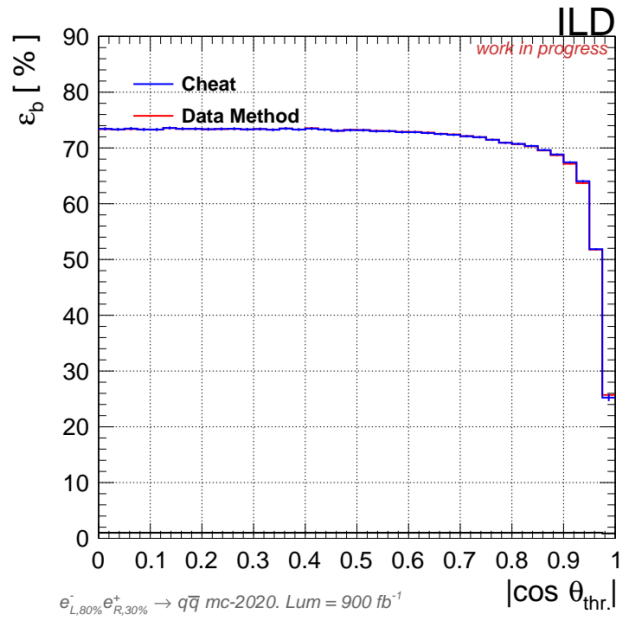


$$f_{1tag} = \frac{(N1 - Bkg)}{2(N0 - Bkg)} = (N \text{ jets with 1 } c\text{-tag}) / (N \text{ preselected jets})$$

$$f_{2tag} = \frac{(N2 - Bkg)}{(N0 - Bkg)} = (N \text{ events double tag}) / (N \text{ preselected events})$$



**Excellent flavour tagging capabilities expected**  
**Small angular correlations ~0% (similar to SLD, smaller than LEP – 1-2%)**



Excellent flavour tagging capabilities expected  
 Small angular correlations ~0% (similar to SLD, smaller than LEP – 1-2%)



## Beam spot size



	FCCee	ILC	SLC	LEP
$\sigma_x$ [nm]	13700	516	1500	200000
$\sigma_y$ [nm]	36	7.7	500	2500

Source SLC, LEP, PDG

©R. Poeschl

LEP

>>

SLC

>>

ILC

▶ **Rc=0.248915.** I quote all the estimated relative uncertainties.

▶ Statistical uncertainties (2000 fb-1 of shared luminosity)

- Only **stats: Delta → 0.13%**

▶ Preselection uncertainties

- The preselection is MC dependent.... Assume 10% level accuracy
- The flavour selection gives differences of ~1% between flavours. We take this as a total uncertainty .
- **Delta → 0.1%**

▶ Can we know the mistagging efficiencies at the 10% level

- LEP estimated with at similar accuracy hep-ex/0503005
- If yes → **Delta ~ 0.05%**
- Using or not the MC prediction of **rho** gives us: **Delta → 0.06%**

▶ Can we know the **backgrounds** at the 10% accuracy ?

- If yes → **Delta ~ 0.08%**

▶ What about **polarization**?

- Using the estimates from 10.3204/PUBDB-2019-03013 we estimate: **Delta → 0.003%**

▶ Assuming 1% **precision in Rb: Delta → 0.04%**

$$R_c(e_L p_R, 80, 30) = 0.2489 (SM - LO) \pm 0.14\% (stat) \pm 0.16\% (syst.)$$

$$R_c(e_R p_L, 80, 30) = 0.3144 (SM - LO) \pm 0.20\% (stat) \pm 0.17\% (syst.)$$

C-quark case: systematics are dominated by the flavour selection estimations

$$R_b(e_L p_R, 80, 30) = 0.1694 (SM - LO) \pm 0.12\% (stat) \pm 0.15\% (syst.)$$

$$R_b(e_R p_L, 80, 30) = 0.1251 (SM - LO) \pm 0.22\% (stat) \pm 0.17\% (syst.)$$

B-quark case: systematics are dominated by the background estimation (assumed to be known only at 10% level)

**Conservative estimation of the  
systematic unc. in both cases**

**Key Message: we reduce the usage of MC  
Tools for systematic control to the minimum**

**We want to measure observables  
at 0.1% level accuracy**

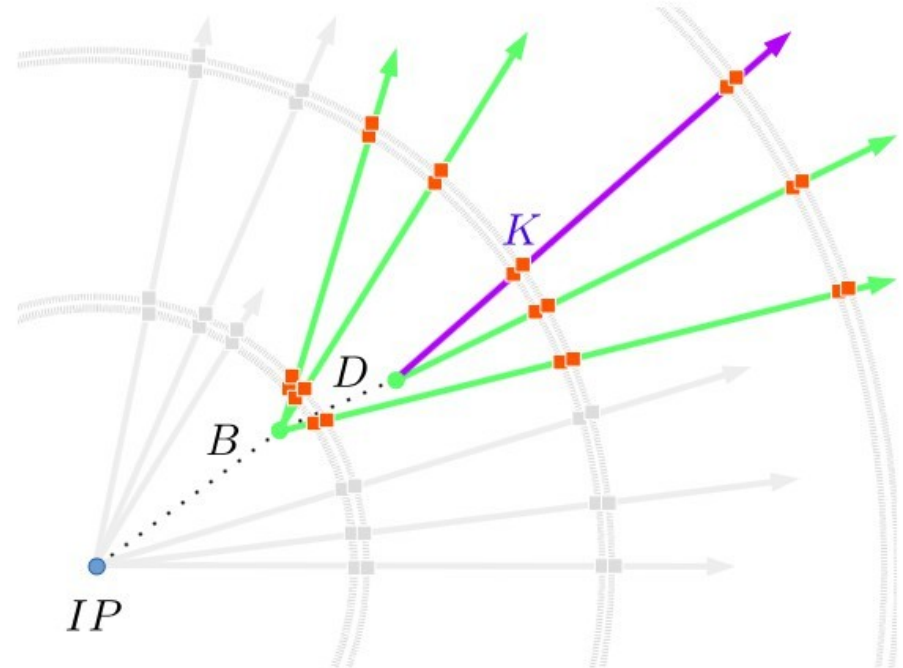


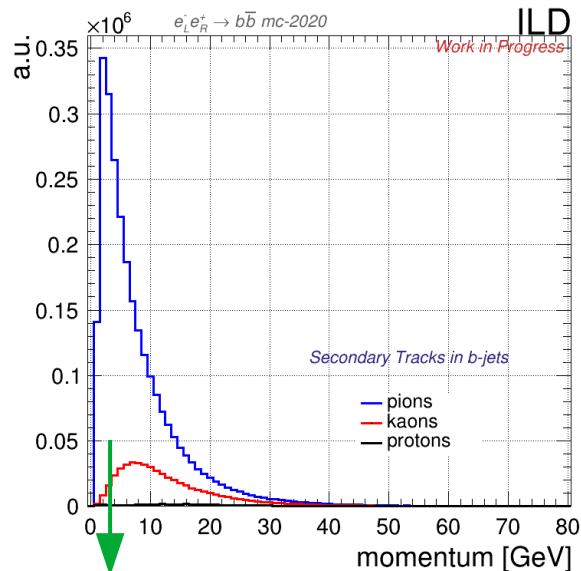
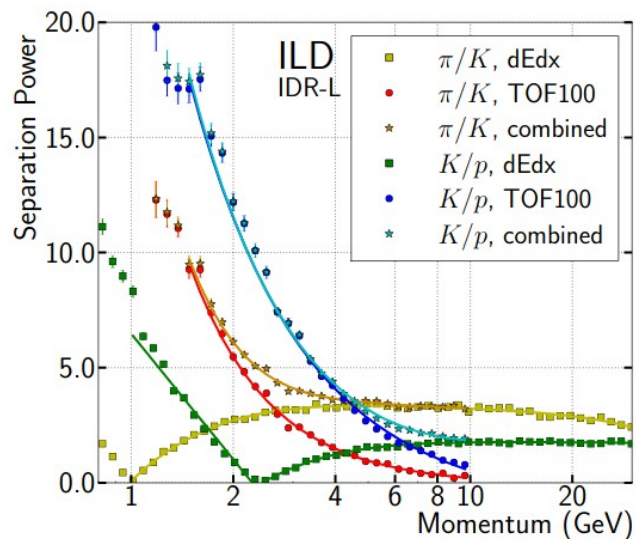


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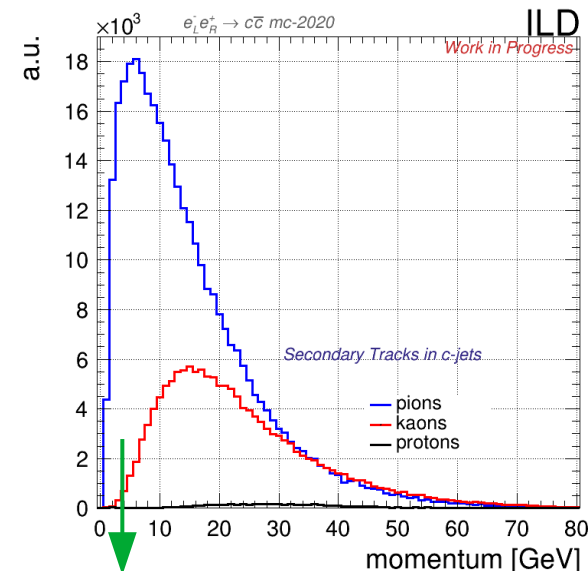
# Measuring AFB

- ▶ We are required to **measure the jet charge**
  - Using K-ID and/or full Vtx charge measurement
  - K-ID is better suited for the C-quark (Vtx is better suited for b-quark)
- ▶ Ideally we would use the **double charge** measurements
  - To control / reduce the systematic uncertainties
- ▶ **Today I give only a taste on the K-method**
  - **Results on b/c AFB are being updated**
  - **Coming soon**



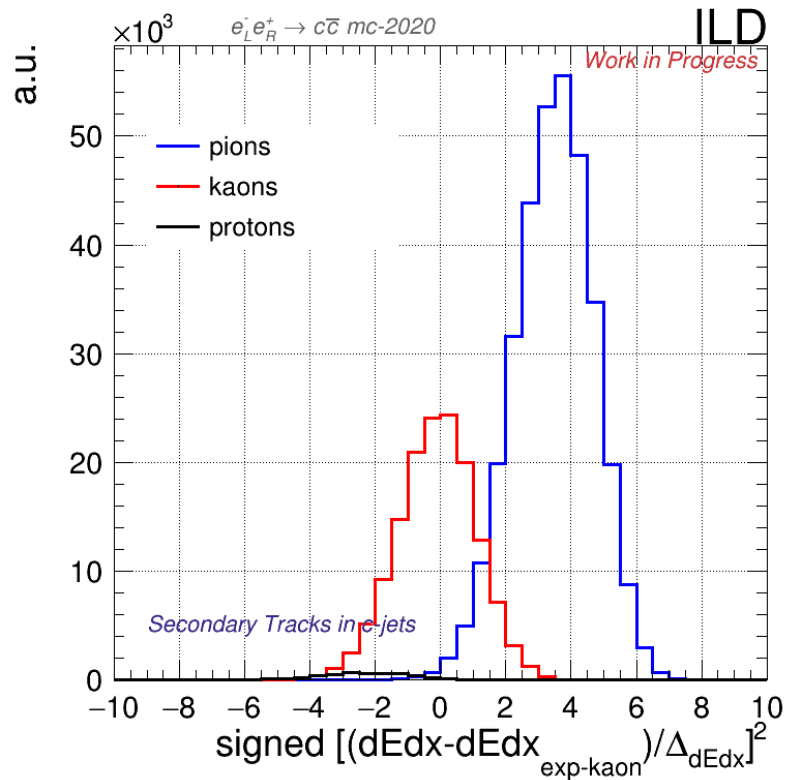


TOF or dEdx  
(left) (right)



TOF or dEdx  
(left) (right)

- ▶ For AFB measurements we are required to measure the jet-charge
- ▶ Therefore we are interested in a high power of K/pion separation
- ▶ Possible solutions: using dEdx and/or TOF → Yellow points

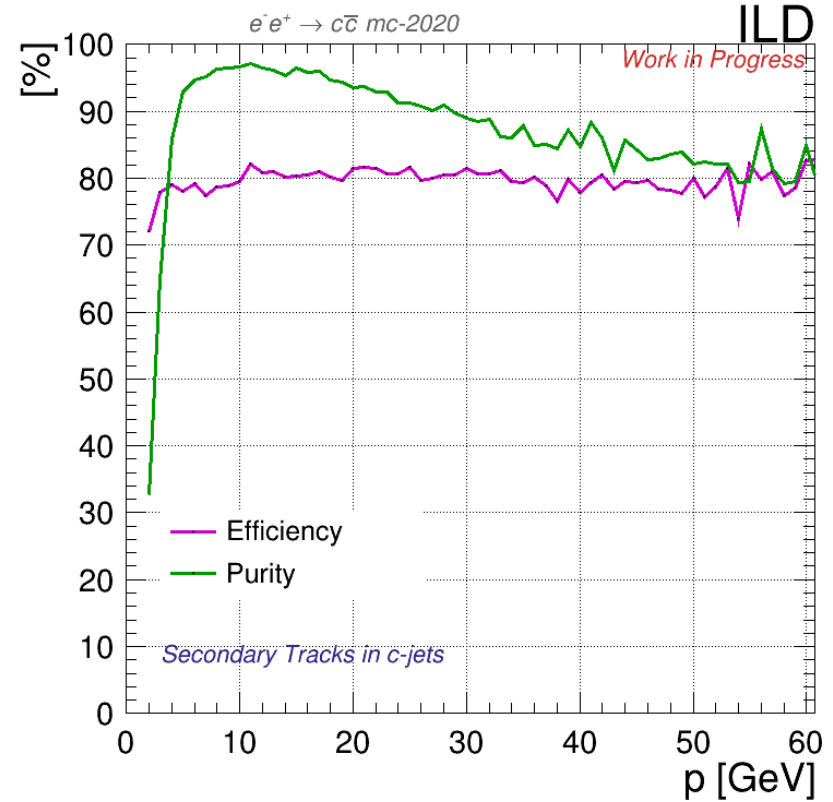
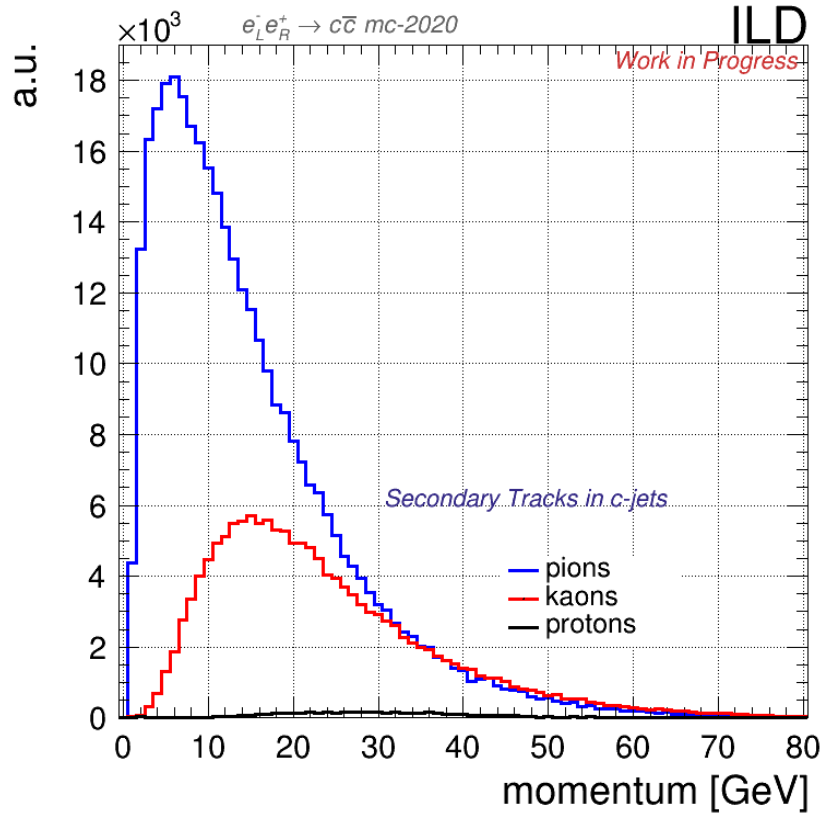


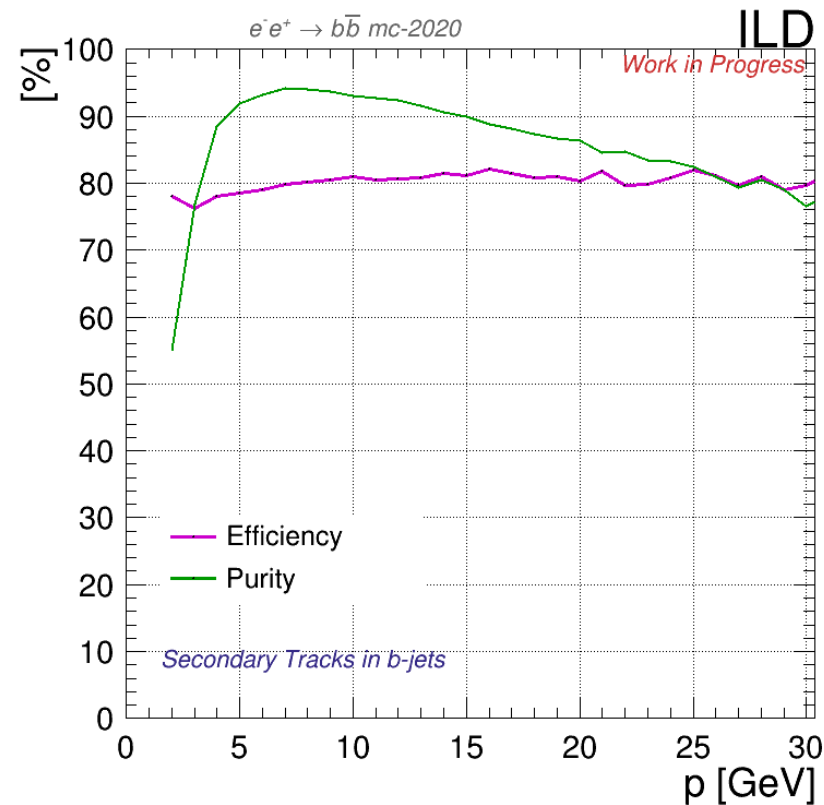
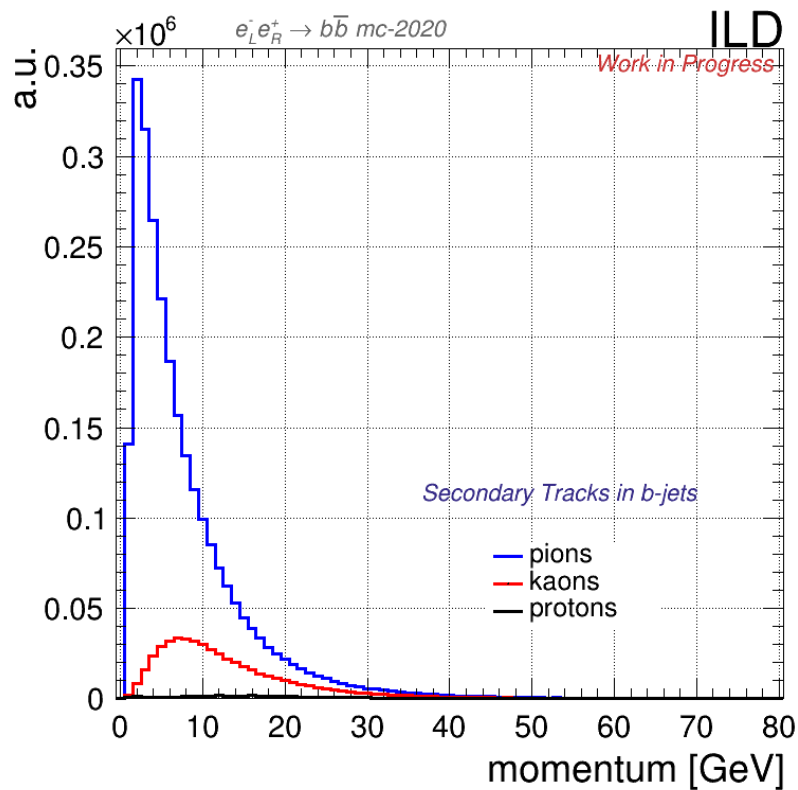
► Using **dEdx separation power:**

$$\text{signed } [(dEdx - dEdx_{\text{exp-kaon}}) / \Delta_{dEdx}]^2$$

- $dEdx_{\text{exp-kaon}}$  = theoretical curve (B.Bloch)
- Delta dEdX = experimental uncertainty
- Zero worries about protons







b-quark

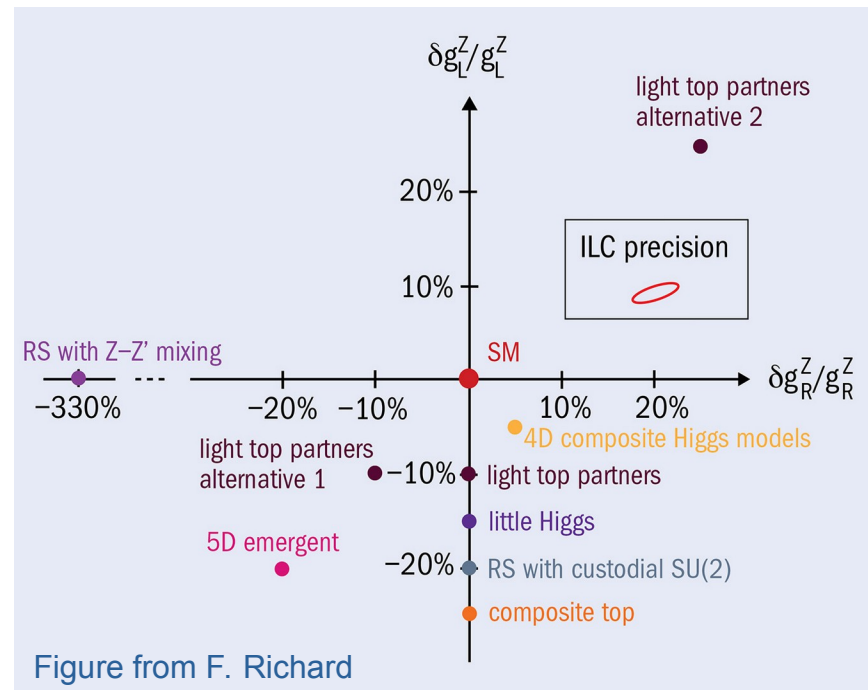


- ▶ We show updated results for b/c R-observable and AFB-observable
- ▶ **ILC offers a unique framework for** these studies to reach the maximal experimental precision
  - Tiny beam spot
  - Excellent vertexing capabilities
  - Kaon identification thanks to the TPC
  - **Beam polarisation**
- ▶ Comprehensive assessment of systematic uncertainties
  - To be updated for the AFB studies
- ▶ Experimental per mile level accuracy reachable
  - Avoiding MC for efficiency estimations
  - Un-sensitive to luminosity systematics



**thanks**

- ▶ Many **BSM scenarios** (i.e. Randal Sundrum, compositeness, Higgs unification models...) predict heavy resonances coupling to the (t,b) doublet and also lighter fermions (i.e. c/s quarks)
  - **BSM resonances** tend to **couple** to the **right components**.
  - Only coupling to (t,b) doublet
    - Peskin, Yoon arxiv:1811.07877
    - Djouadi et al arxiv:hep-ph/0610173
  - Coupling also to lighter fermions
    - Hosotani et al arxiv:1705.05282 arxiv:2006.02157



## Detector Technologies

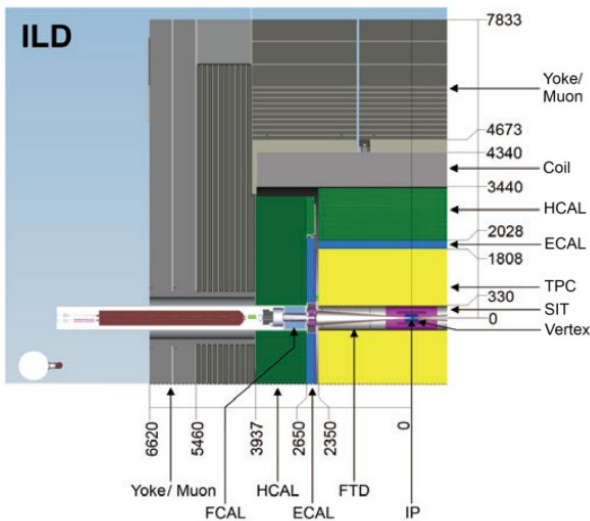
Vertex: CMOS, DEPFET, FPCCD, ...

Tracker:  
TPC (GEM, micromegas, pixel)  
+ silicon pixels/strips

ECAL:  
Silicon (5x5mm<sup>2</sup>) or  
Scintillator (5x45mm<sup>2</sup>)  
with Tungsten absorber

HCAL:  
Scintillator tile (3x3 cm<sup>2</sup>)  
or Gas RPC (1x1 cm<sup>2</sup>)  
with Steel absorber

All inside solenoidal coil of 3-4 T



## ILD Design Goals

Features of ILC:

low backgrounds, low radiation, low collision rate (5-10 Hz)

These allow us to pursue aggressive detector design:

### Detector Requirements

### Physics

- Impact parameter resolution  
 $\sigma(d_0) < 5 \oplus 10 / (p[\text{GeV}] \sin^{3/2}\theta) \mu\text{m}$   
H → bb, cc, gg, ττ
- Transverse momentum resolution  
 $\sigma(1/p_T) = 2 \times 10^{-5} \text{ GeV}^{-1} \oplus 1 \times 10^{-3} / (p_T \sin^{1/2}\theta)$   
Total e+e- → ZH cross section
- Jet energy resolution  
3-4% (around E<sub>jet</sub> ~ 100 GeV)  
H → invisible
- Hermeticity  
 $\theta_{\text{min}} = 5 \text{ mrad}$   
H → invisible; BSM

Detector R&D collaborations:



R. Ete: "The ILD Software Tools and Detector Performance"

- ▶ Method used to remove modeling dependence on the efficiency of b-tagging → aiming to the per mil precision
- ▶ The sample consisted on events made of two hadronic jets (qqbar)
  - The LEP/SLC preselection consisted on a “simple” veto of Z→ leptons events
- ▶ The method is based on the comparison of **single vs double tagged samples**

$$N_0 = N_{\text{presel}} = [\varepsilon_{\text{pres-signal}} \sigma_{q\bar{q}} + \varepsilon_{\text{pres-bkg}} \sigma_{\text{bkg}}] \cdot Lum$$
$$N_{1\text{tag},c} = [\varepsilon_{\text{pres-signal}} (\varepsilon_c \sigma_{c\bar{c}} + \varepsilon_b \sigma_{b\bar{b}} + \varepsilon_q \sigma_{q\bar{q}}) + \varepsilon_c \varepsilon_{\text{bkg}} \sigma_{\text{bkg}}] \cdot Lum$$
$$N_{2\text{tag},c} = [\varepsilon_{\text{pres-signal}} (\varepsilon_c^2 (1 + \rho_c) \sigma_{c\bar{c}} + \varepsilon_b^2 \sigma_{b\bar{b}} + \varepsilon_q^2 \sigma_{q\bar{q}}) + \varepsilon_c^2 \varepsilon_{\text{bkg}} \sigma_{\text{bkg}}] \cdot Lum$$



- ▶ **Method used to remove modeling dependence on the efficiency of b-tagging → aiming to the per mil precision**
- ▶ The sample consisted on events made of two hadronic jets (qqbar)
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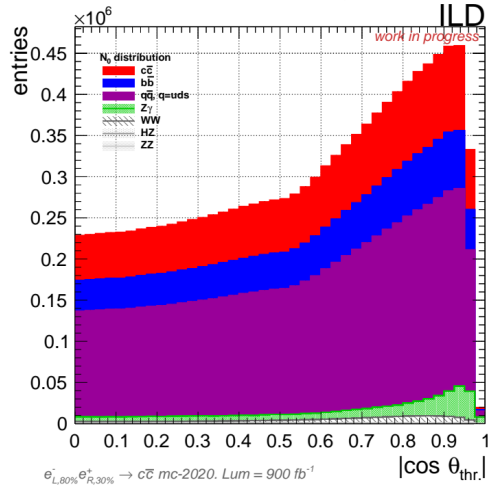
$$N_0^{signal} = N_{presel} = [\varepsilon_{pres-signal} \sigma_{q\bar{q}}] \cdot Lum$$
$$N_{1tag,c}^{signal} = [\varepsilon_{pres-signal} (\varepsilon_c \sigma_{c\bar{c}} + \varepsilon_b \sigma_{b\bar{b}} + \varepsilon_q \sigma_{q\bar{q}})] \cdot Lum$$
$$N_{2tag,c}^{signal} = [\varepsilon_{pres-signal} (\varepsilon_c^2 (1 + \rho_c) \sigma_{c\bar{c}} + \varepsilon_b^2 \sigma_{b\bar{b}} + \varepsilon_q^2 \sigma_{q\bar{q}})] \cdot Lum$$

- ▶ For the moment, let's assume that **we know the bkg contribution with perfect accuracy**
  - We remove the bkg contribution from the equations

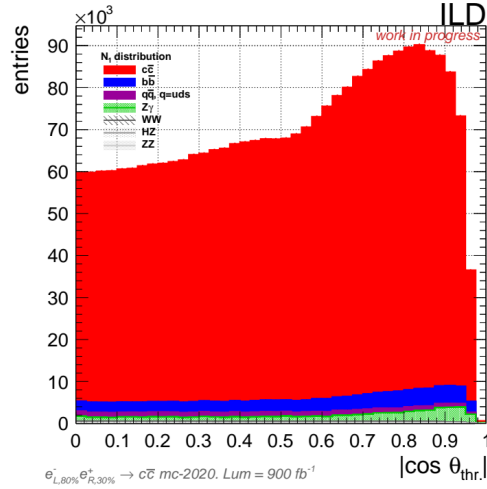
# Double Tag Method

eLpR (80,30)

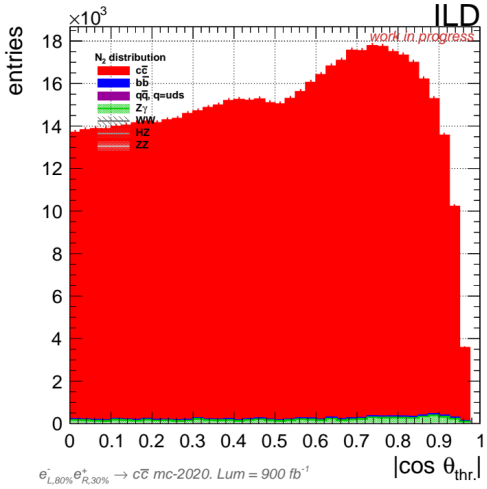
N0



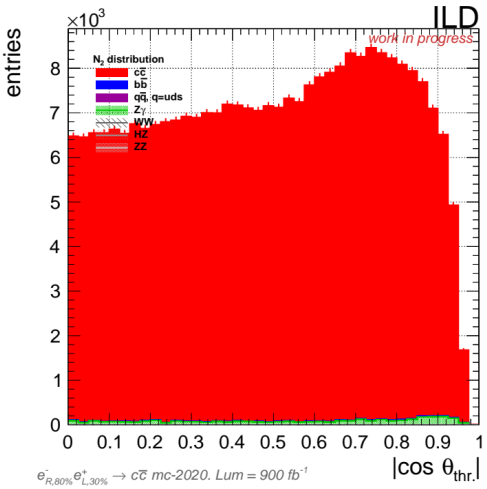
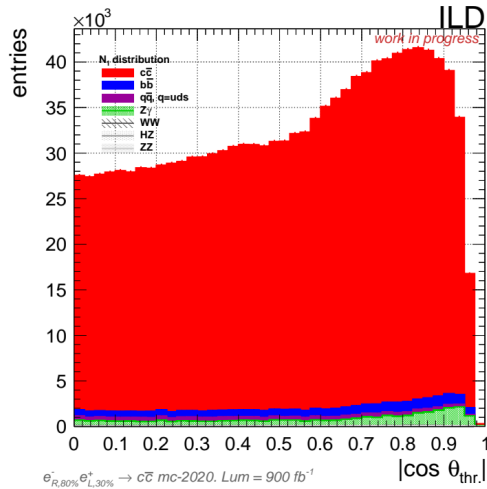
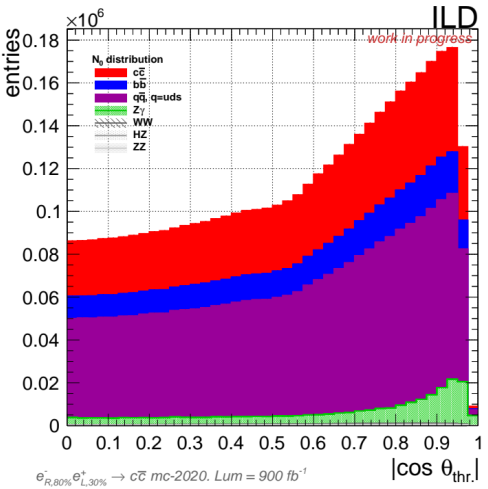
N1



N2



eRpL (80,30)



- ▶ Mistakes in the charge calculation due to loss tracks (acceptance issues, mis reconstruction etc) have to be corrected and estimated using data → Mistakes produce migrations (flip of the  $\cos(\theta)$ )
- ▶ The **migrations are restored** by determining the purity of the charge calculation using double charge measurements
  - Accepted events,  $N_{acc}$ , with (-,+ ) compatible charges
  - Rejected events,  $N_{rej}$ , non compatible (-,++) charges

**pq-equation**  
Incognitas: pq and N.

$$\begin{aligned}N_{acc} &= Np^2 + Nq^2 \\N_{rej} &= 2Npq \\1 &= p + q\end{aligned}$$

The **pq-equation** allows for correcting for migrations (finding the correct N) and in particular for the last and ultimate migration (dilution) due to B0 oscillations

- ▶ Alternatives to  $m(2\text{jets})$  ?
- ▶ Estimator of the energy of the photon ISR using only the two reconstructed jets.
  - From momentum conservation (if the photon/s are emitted parallel to the beam pipe):

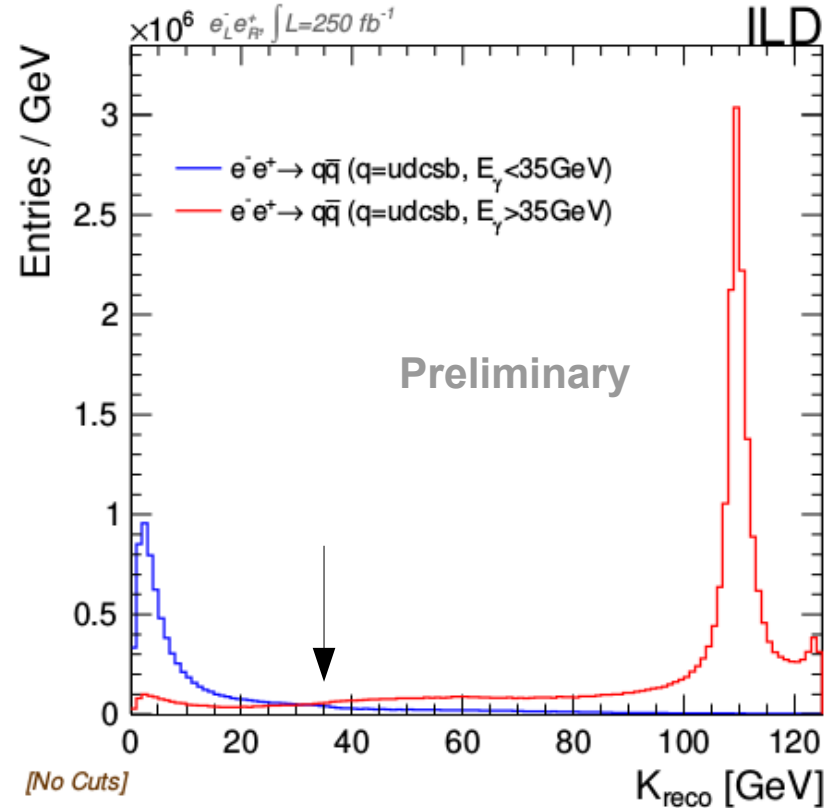
$$|\vec{k}| \approx K_{reco} = \frac{250 \text{ GeV}}{\sin \Psi_{acol} + \sin \theta_1 + \sin \theta_2}$$

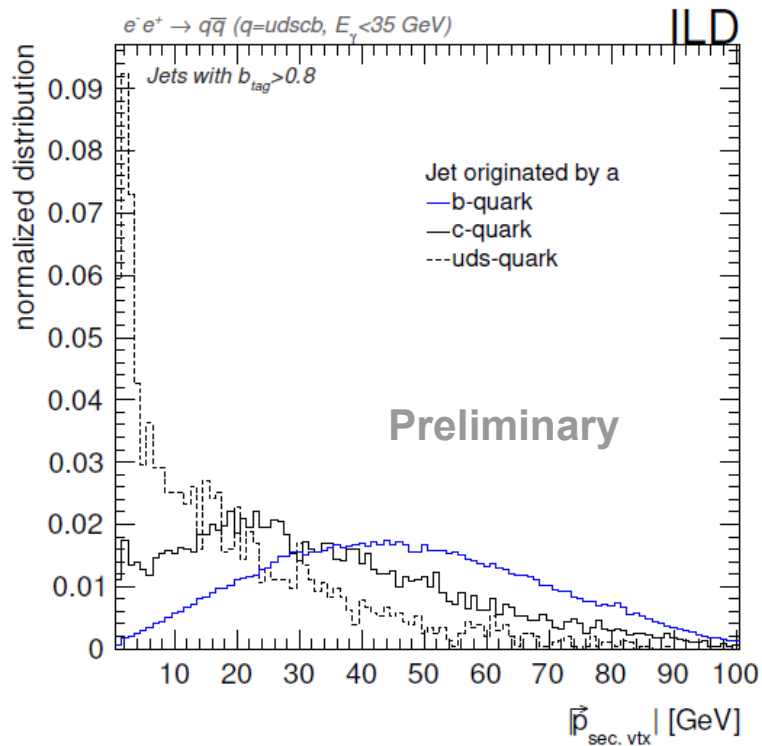
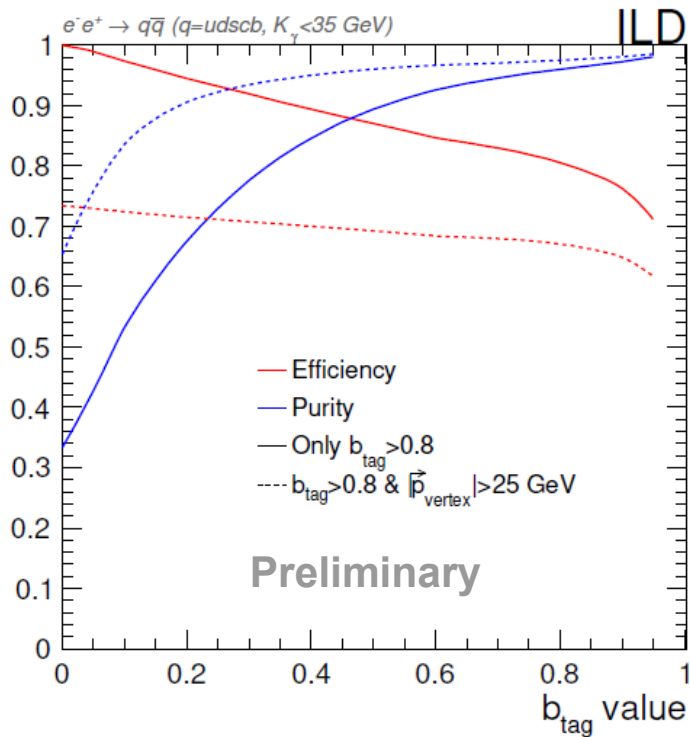
Two jet acolinearity

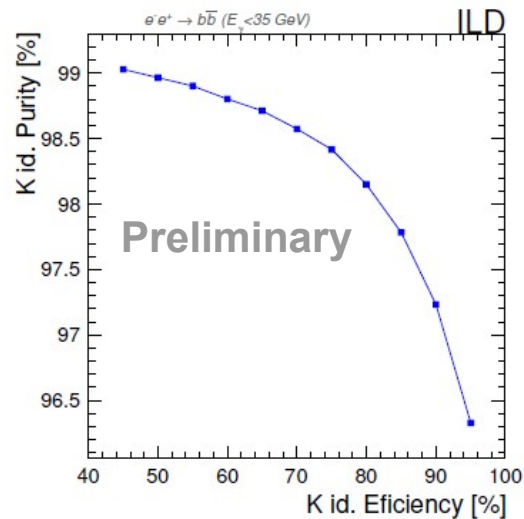
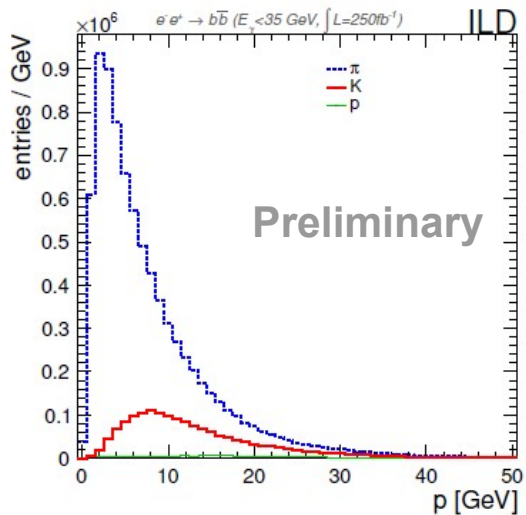
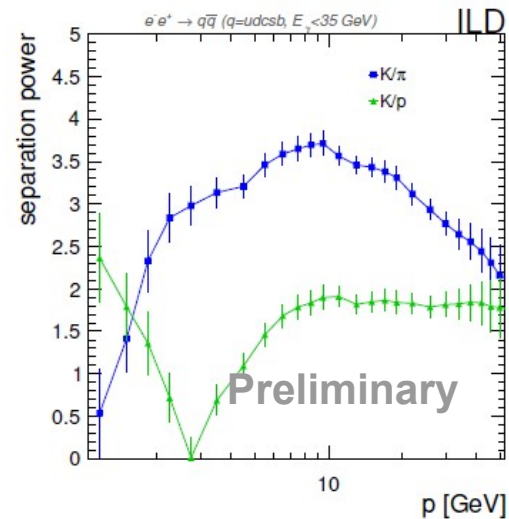
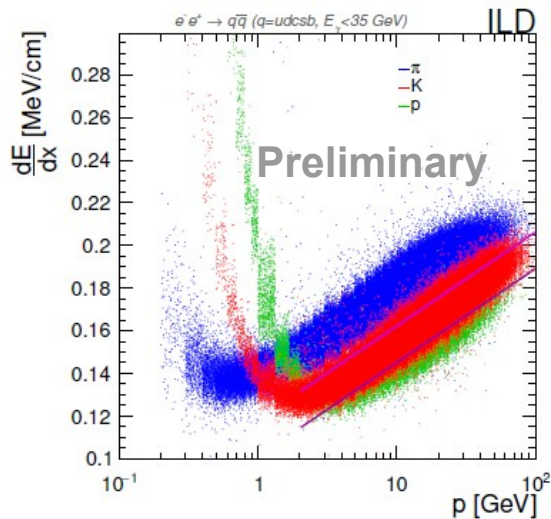
$$\sin \Psi_{acol} = \frac{|\vec{p}_{j_1} \times \vec{p}_{j_2}|}{|\vec{p}_{j_1}| \cdot |\vec{p}_{j_2}|}$$

Jet angular variables (w.r.t. detector frame)

- ▶ Estimator of the energy of the photon ISR
- ▶ We apply a cut of  $K_{reco} < 35$  GeV
- ▶ Some signal events have larger  $K_{reco}$  (~15%)
  - Because of detector resolution and double photon ISR
- ▶ Some radiative return events have  $K_{reco} < 35$  GeV (~7%)
  - Because the photon(s) has not escaped through the beam pipe
- ▶ Can we identify the photon clustered in one or both jets and veto these events?

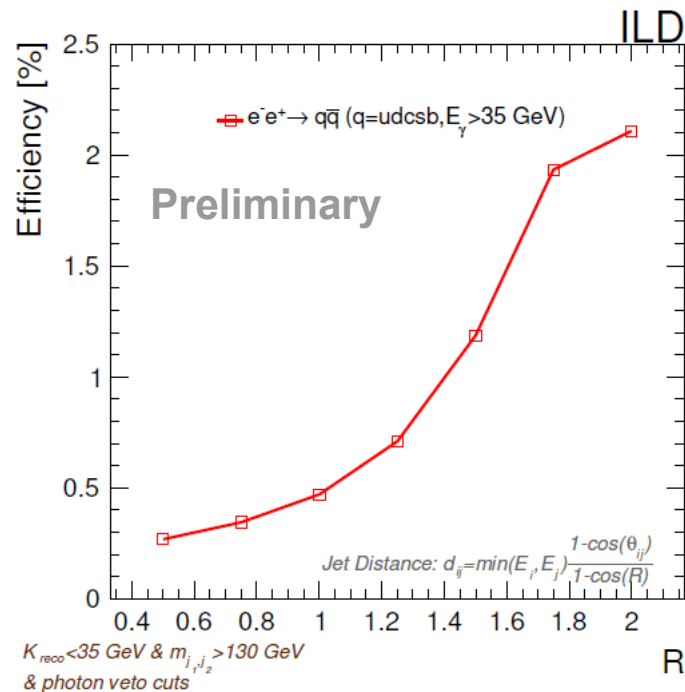
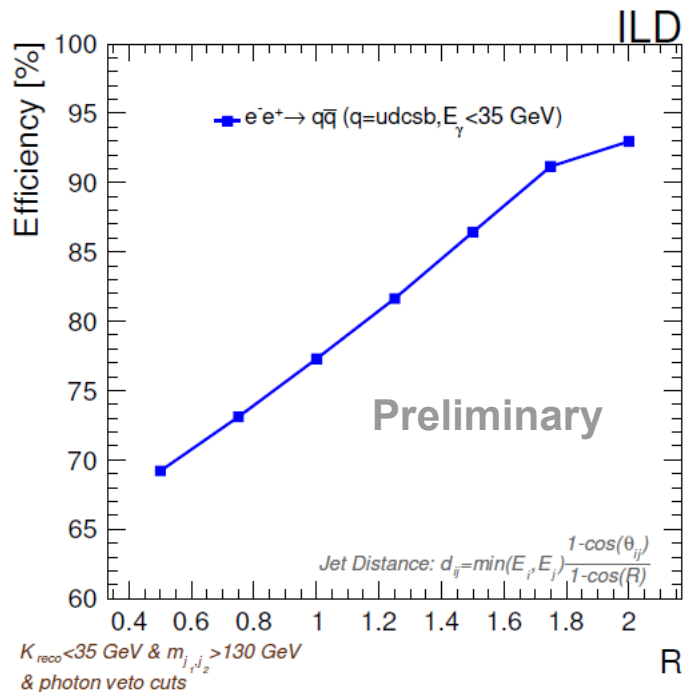






$$d_{ij} = \min(E_i^{2p}, E_j^{2p}) \frac{1 - \cos(\theta_{ij})}{1 - \cos(R)}$$

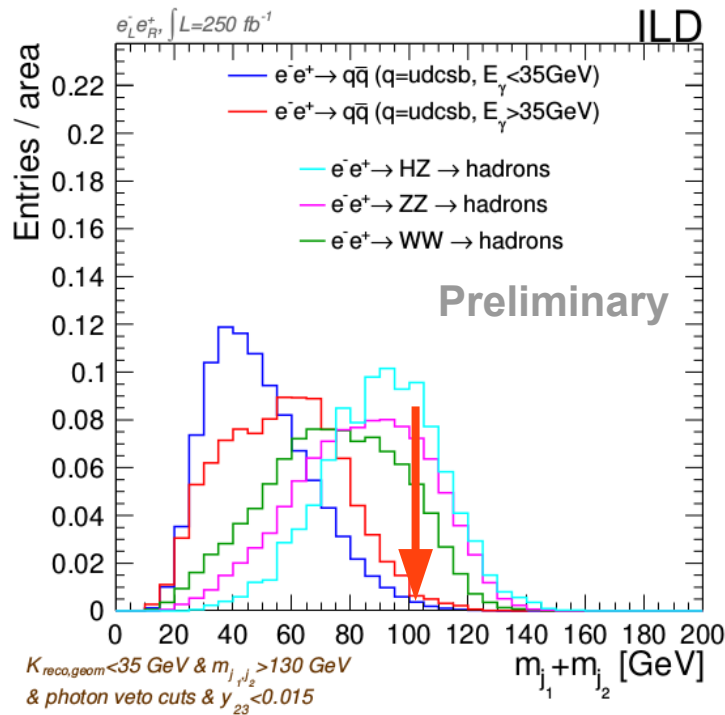
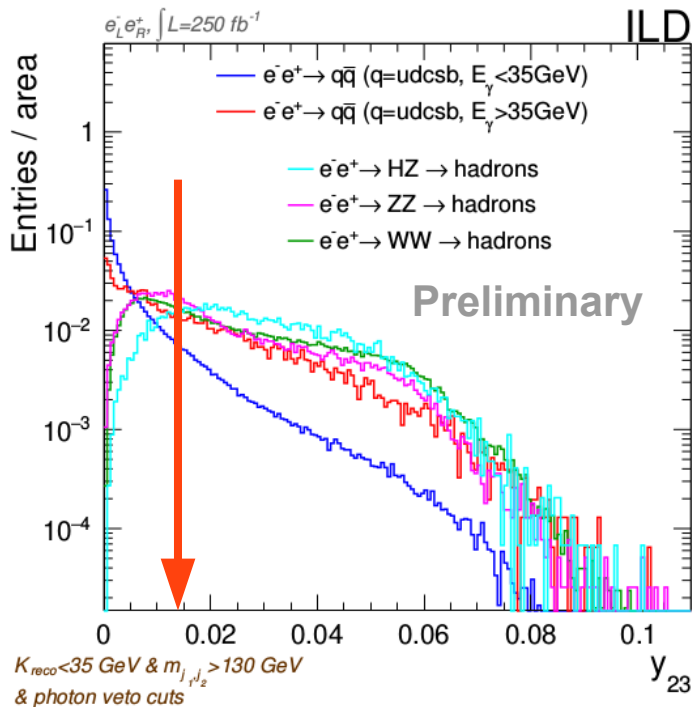
$$d_{iB} = E_i^{2p}$$



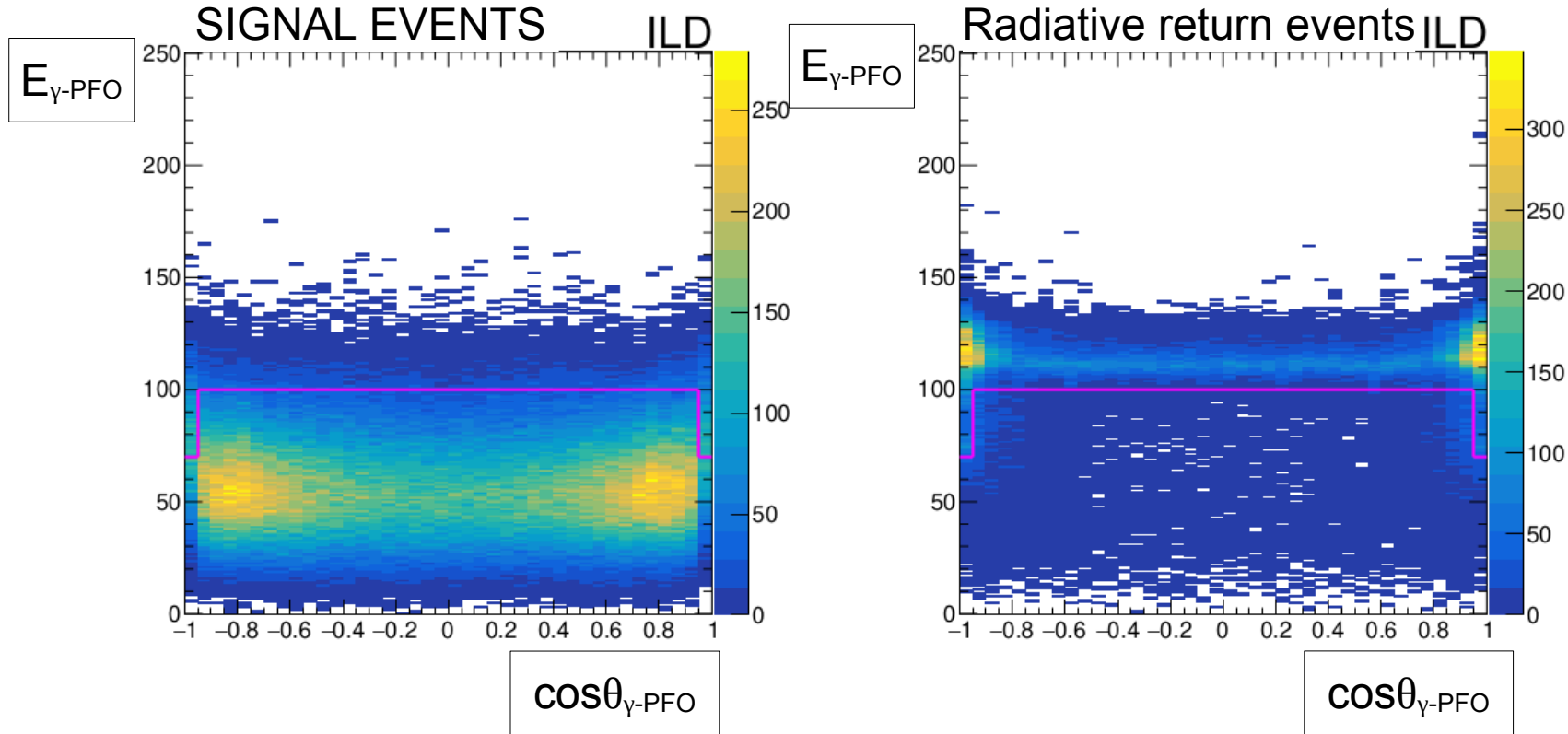


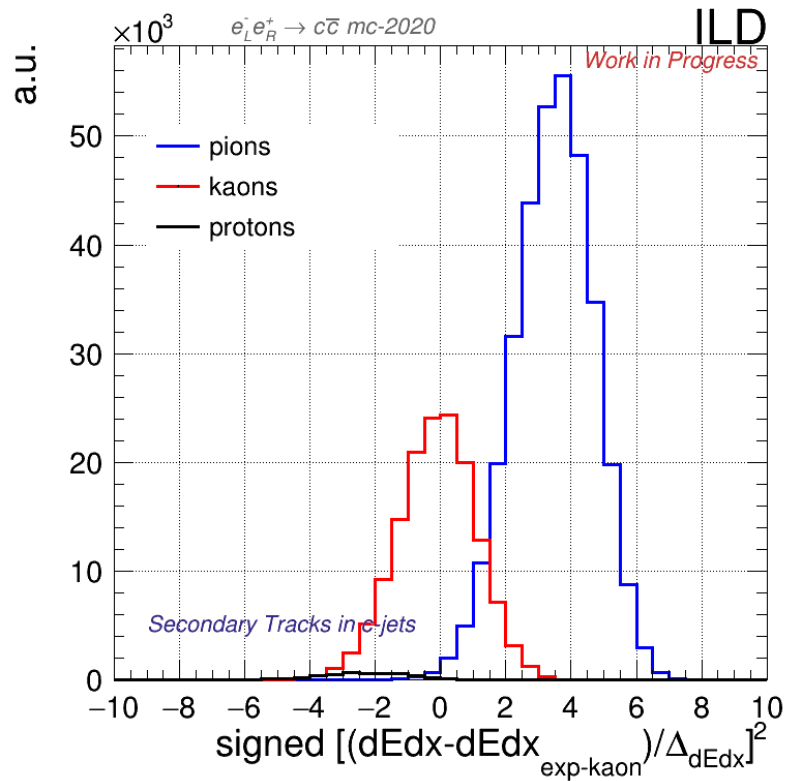
# Final steps of the preselection

- ▶ Cut on  $y_{23} < 0.015$  (jet distance at which the 2 jet event would be clustered in 3 jets)
- ▶ Cut on  $m_{j1} + m_{j2} < 100$  GeV



- ▶ Cut 2: veto of events in which the ISR photon was reconstructed and identified inside the detector



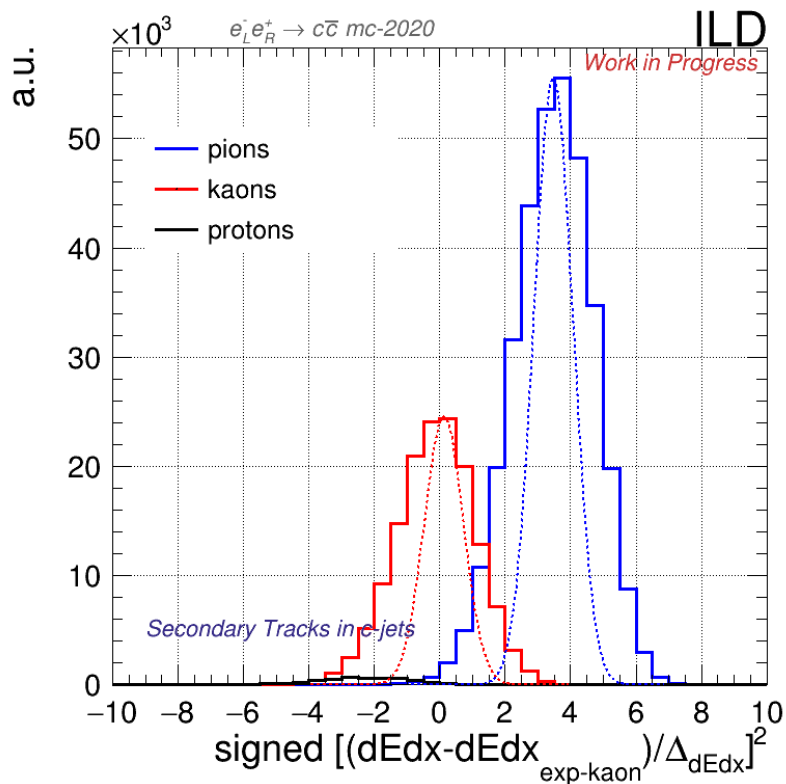


► Using **dEdx separation power:**

$$\text{signed } [(dEdx - dEdx_{\text{exp-kaon}}) / \Delta_{dEdx}]^2$$

- $dEdx_{\text{exp-kaon}}$  = theoretical curve (B.Bloch)
- Delta dEdX = experimental uncertainty
- Zero worries about protons

► Could we imagine a factor 2 improvement in the power separation ? (i.e. cluster counting)



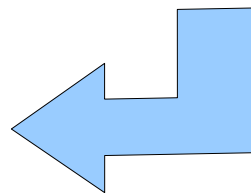
► Using **dEdx separation power:**

$$\text{signed } [(dEdx - dEdx_{\text{exp-kaon}}) / \Delta_{dEdx}]^2$$

- $dEdx_{\text{exp-kaon}}$  = theoretical curve (B.Bloch)
- Delta dEdX = experimental uncertainty
- Zero worries about protons

► Could we imagine a factor 2 improvement in the power separation ? (i.e. cluster counting)

- Then the kaon ID performance will be almost perfect



Factor 1.3-1.4 seems more realistic than a factor 2

With current TPC testbeam prototypes