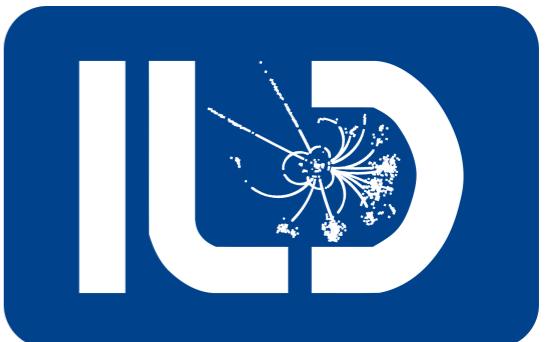


# Recent progress on e+e- $\rightarrow$ gammaZ analysis

Takahiro Mizuno

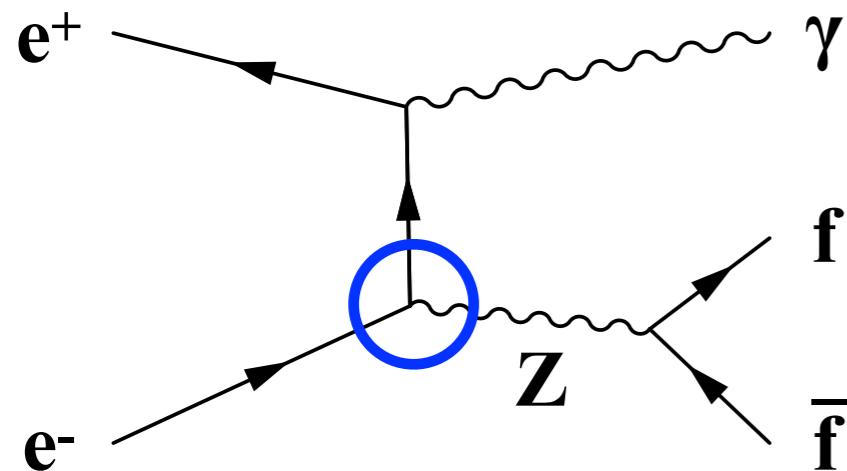


# Introduction (1)

Primary Target of ILC 250: to precisely measure *the coupling constants between Higgs boson and various other particles*

## SMEFT

- Model-independent analysis of BSM effects
- $SU(2) \times U(1)$  gauge invariant
- Need to combine various processes **including the process without Higgs**



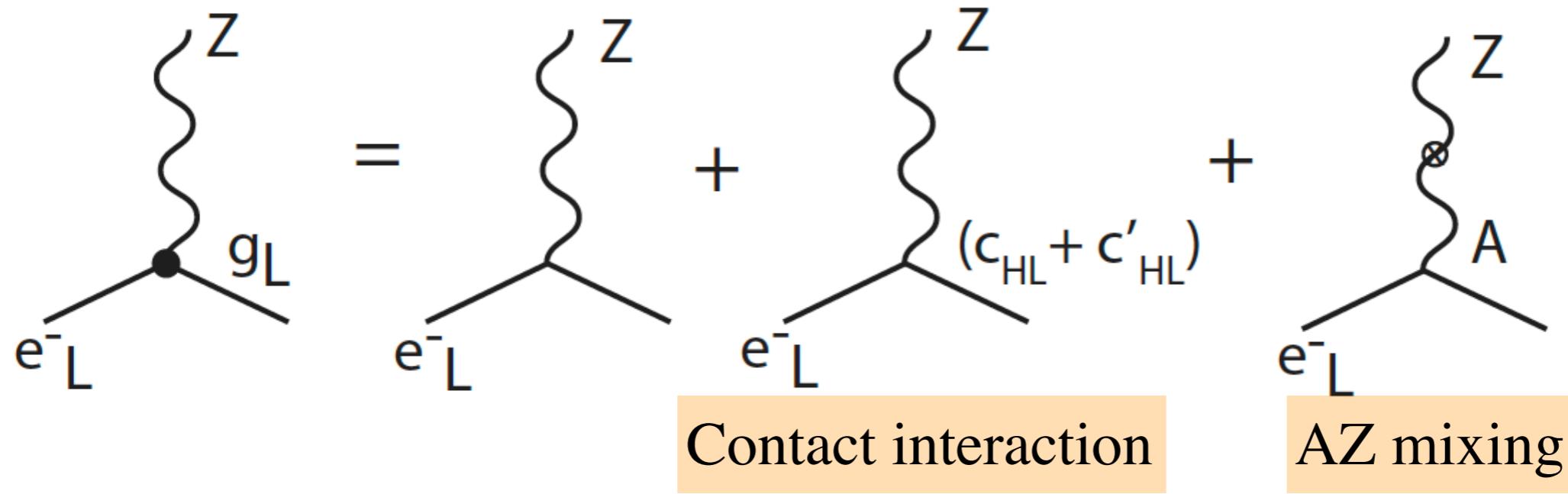
**$e^+e^- \rightarrow \text{gamma } Z \text{ process}$**

Asymmetry in left- and right-handed **eeZ coupling** is very powerful to improve the constraints on SMEFT operators

# Introduction (2)

eeZ coupling contains BSM effect

$$\Delta L = i \frac{c_{HL}}{v^2} (\Phi^\dagger \overleftrightarrow{D}^\mu \Phi) (\bar{L} \gamma_\mu L) + 4i \frac{c_{HL}}{v^2} (\Phi^\dagger t^a \overleftrightarrow{D}^\mu \Phi) (\bar{L} \gamma_\mu t^a L) + i \frac{c_{HE}}{v^2} (\Phi^\dagger \overleftrightarrow{D}^\mu \Phi) (\bar{e} \gamma_\mu e)$$



Contribution to the deviation in the eeZ couplings is **different for each polarization**

$$g_L = \frac{g}{c_w} \left[ \left( -\frac{1}{2} + s_w^2 \right) \left( 1 + \frac{1}{2} \delta Z_Z \right) - \frac{1}{2} (\underline{c_{HL}} + \underline{c'_{HL}}) - s_w c_w \delta Z_{AZ} \right]$$

$$g_R = \frac{g}{c_w} \left[ (+s_w^2) \left( 1 + \frac{1}{2} \delta Z_Z \right) - \frac{1}{2} \underline{c_{HE}} - s_w c_w \delta Z_{AZ} \right]$$

$$\delta Z_{AZ} = s_w c_w \left( (8c_{WW}) - \left( 1 - \frac{s_w^2}{c_w^2} \right) (8c_{WB}) - \frac{s_w^2}{c_w^2} (8c_{BB}) \right)$$

# Introduction (3)

## Left-right asymmetry in the cross section

$$A_{LR} = \frac{\sigma_L - \sigma_R}{\sigma_L + \sigma_R} \frac{1}{\langle |\mathcal{P}_e| \rangle}$$

$$P_e = \frac{P_e^- - P_e^+}{1 - P_e^- P_e^+}$$

$P_e^\pm$ :  $e^\pm$  polarisation (respectively)

**A<sub>LR</sub> Measurement** -> determination of eeZ coupling for e<sub>L</sub> and e<sub>R</sub>  
-> constraint SMEFT operators

## Current best measurement

**A<sub>LR</sub>= 0.1514 ± 0.0019 (statistic error) ± 0.0011(systematic error)**

LEP: **17 million** Z decays (ALEPH + DELPHI + L3+ OPAL, LEP-I, 1989-1995)

SLC: **600 thousand** Z decays (SLD, 1992-1998, polarization of e<sup>-</sup>)

ILC250: **90 million** radiative return events

# Introduction (3)

How much we can improve the systematic errors?

Need full detector simulation of radiative return events  
-> detailed study of background events

$A_{LR}$  Measurement -> determination of eeZ coupling for  $e_L$  and  $e_R$   
-> constraint SMEFT operators

Current best measurement

$A_{LR} = 0.1514 \pm 0.0019$  (statistic error)  $\pm 0.0011$  (systematic error)

LEP: **17 million** Z decays (ALEPH + DELPHI + L3+ OPAL, LEP-I, 1989-1995)

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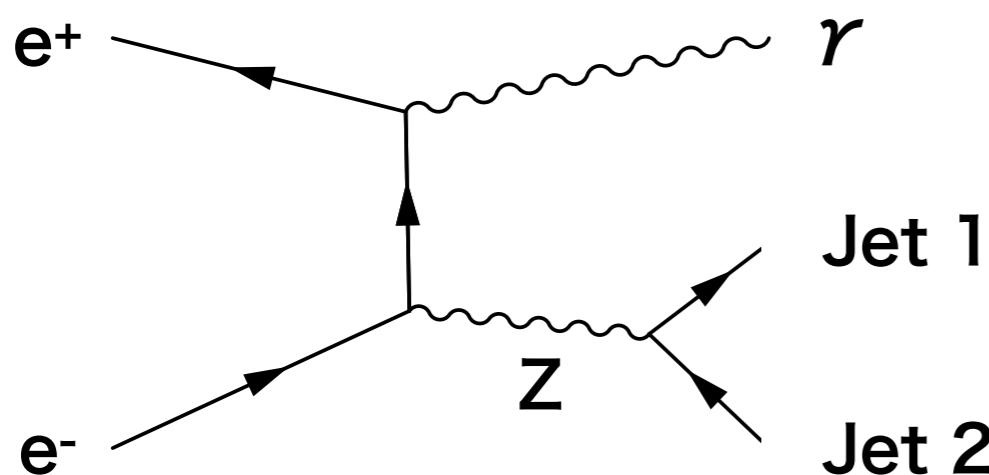
ILC250: **90 million** radiative return events

# Simulation Setup

## Full simulation

- event generator: Whizard2
- Geant4 based full simulation of realistic detector model
- realistic event reconstruction from detector signals
- $E_{CM} = 250 \text{ GeV}$  & 2 beam polarizations:  $(P_{e^-}, P_{e^+}) = (-0.8, +0.3), (+0.8, -0.3)$

Signal:  $e^+e^- \rightarrow Z\gamma \rightarrow 2 \text{ jets} + \gamma$



Background (e.g.  $e^+e^- \rightarrow Z$   $e^+e^- \rightarrow 2 \text{ jets} + e^+e^-$

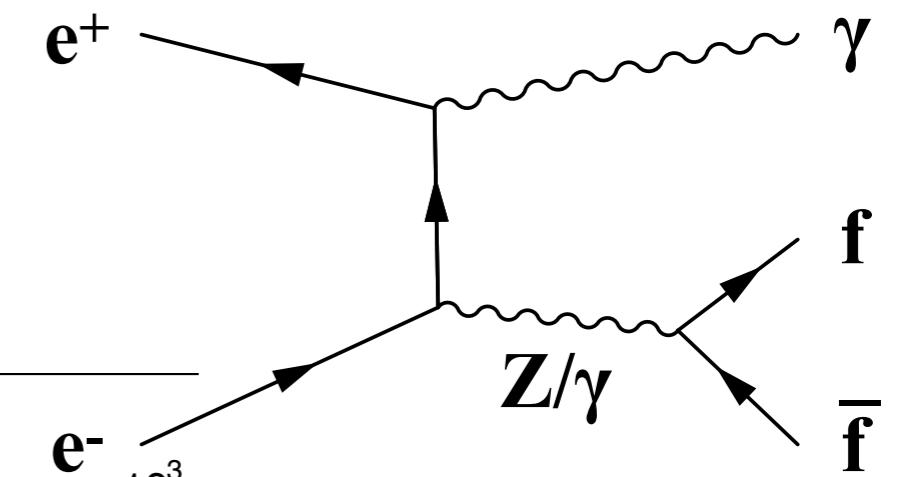
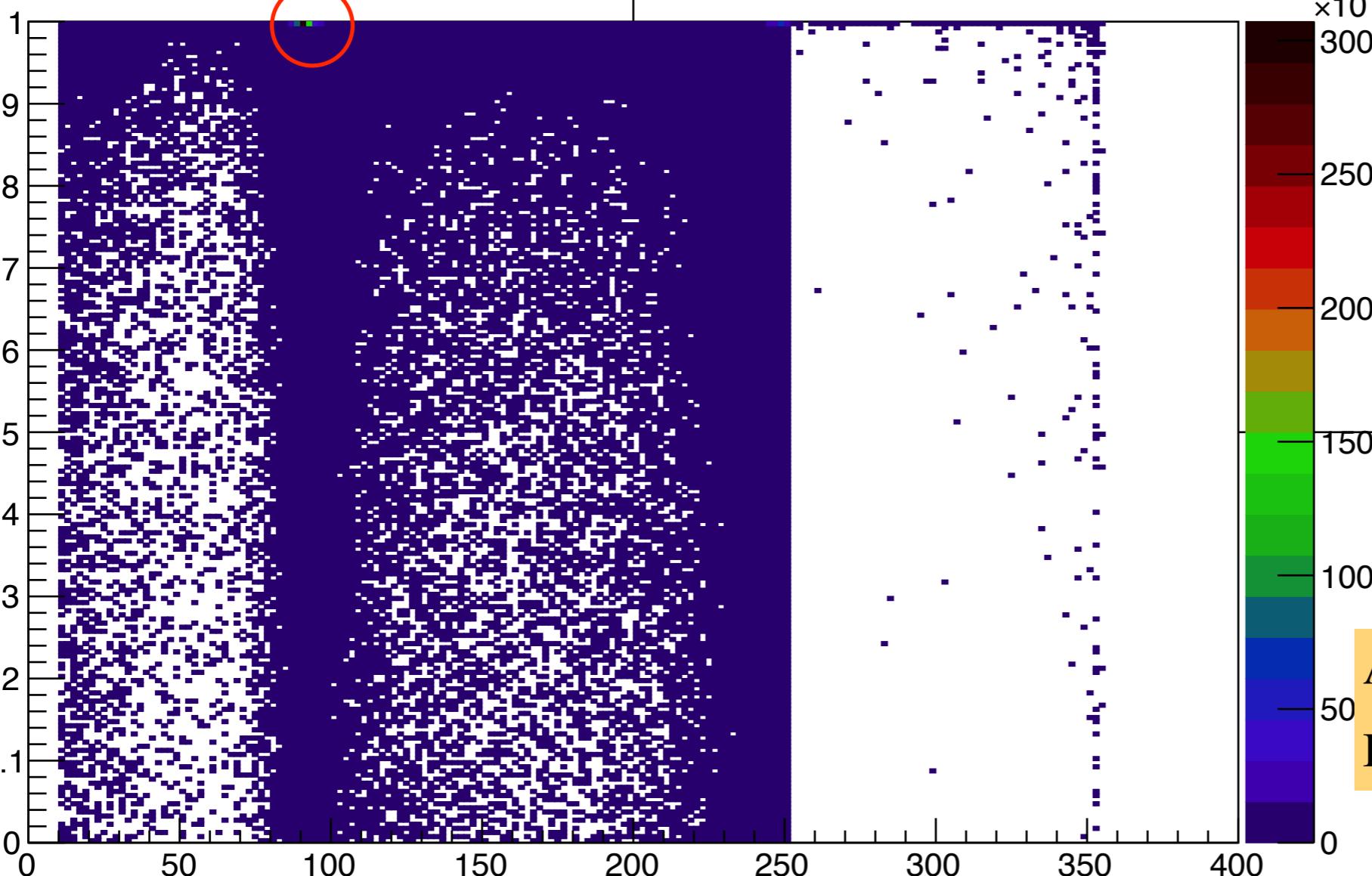
$e^+e^- \rightarrow Z$   $\nu^+\nu^- \rightarrow 2 \text{ jets} + \nu^+\nu^-$ )

# Signal event definition

Signal event: radiative return

eLpR events

$|\cos \theta_\gamma|$



A.  $80 \text{ GeV} < M_z(\text{truth}) < 100 \text{ GeV}$

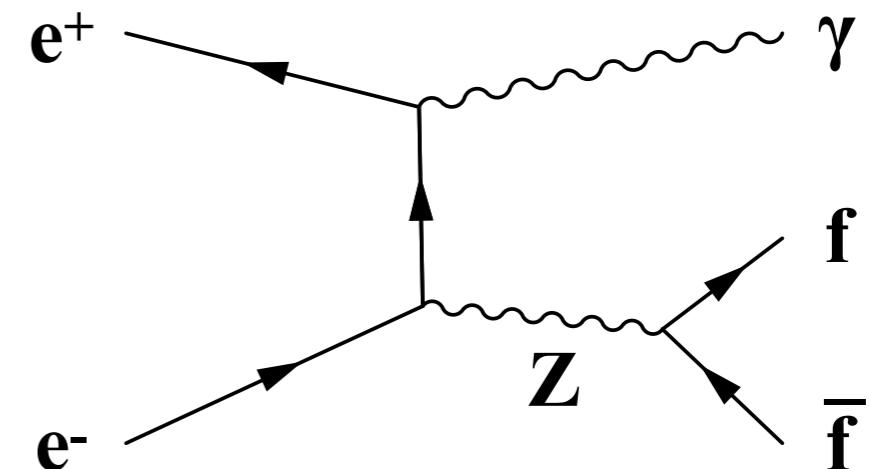
B.  $|\cos \theta_{\gamma(\text{truth})}| > 0.999$

# Signal event definition

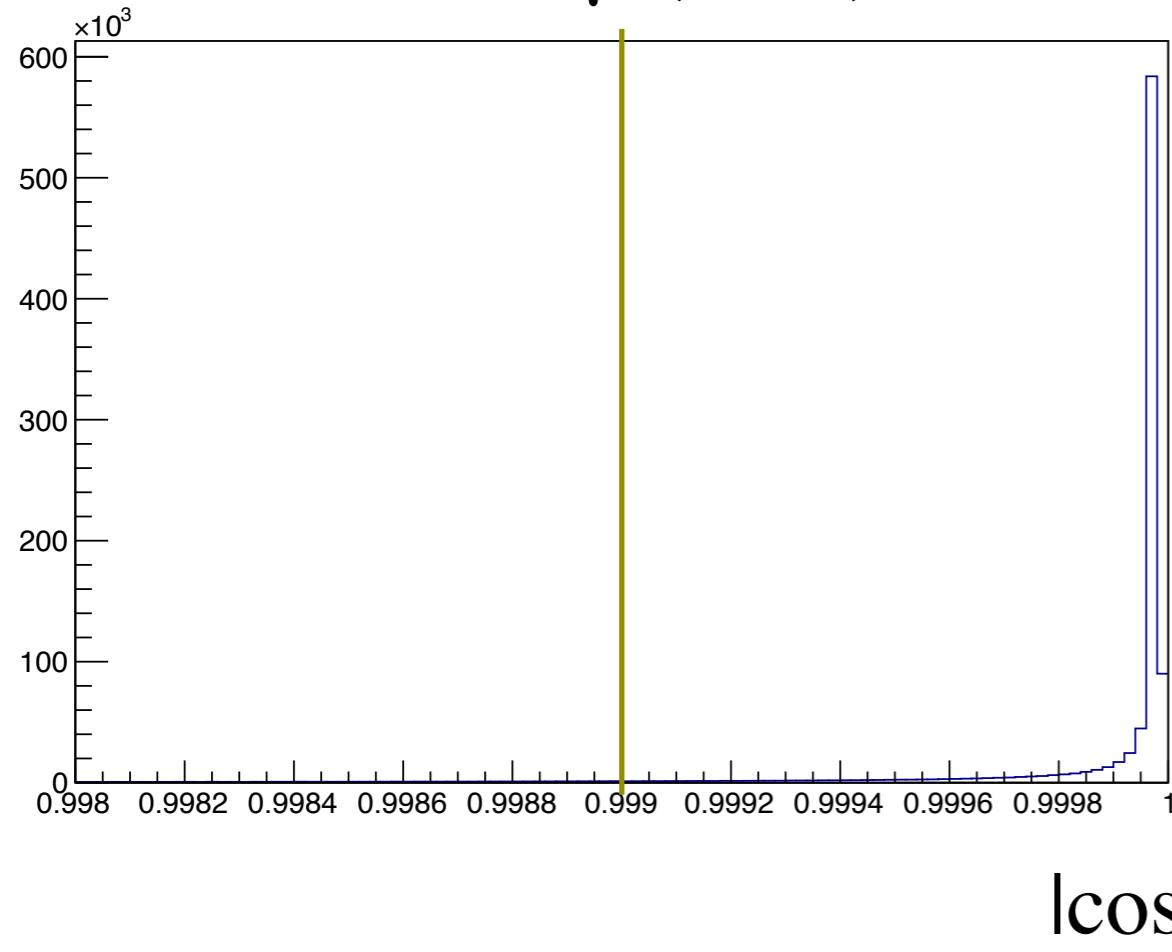
Signal event ( $e^+e^- \rightarrow \gamma Z$ ):

A.  $80 \text{ GeV} < M_{Z(\text{truth})} < 100 \text{ GeV}$

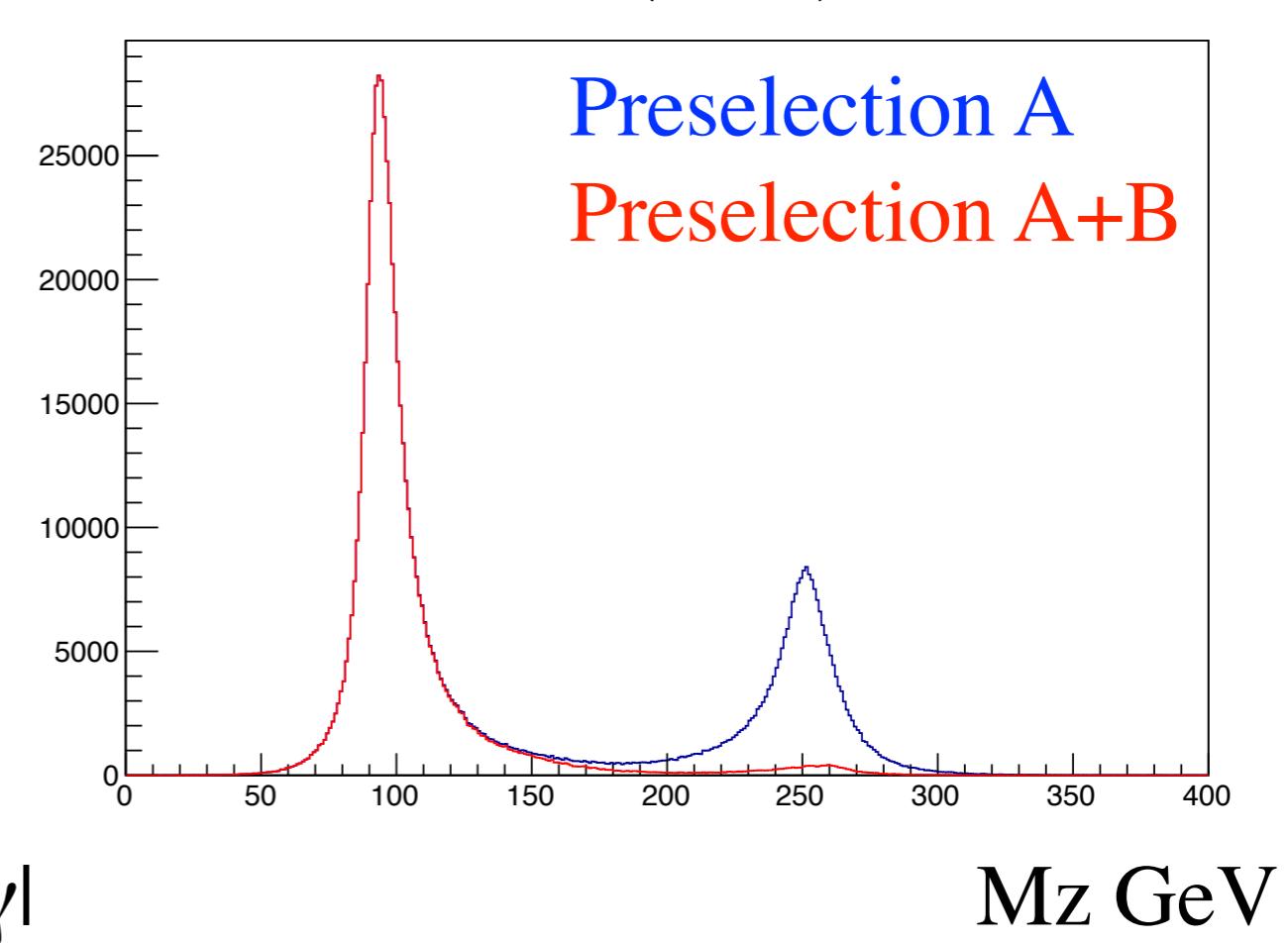
B.  $|\cos\theta\gamma_{(\text{truth})}| > 0.999$



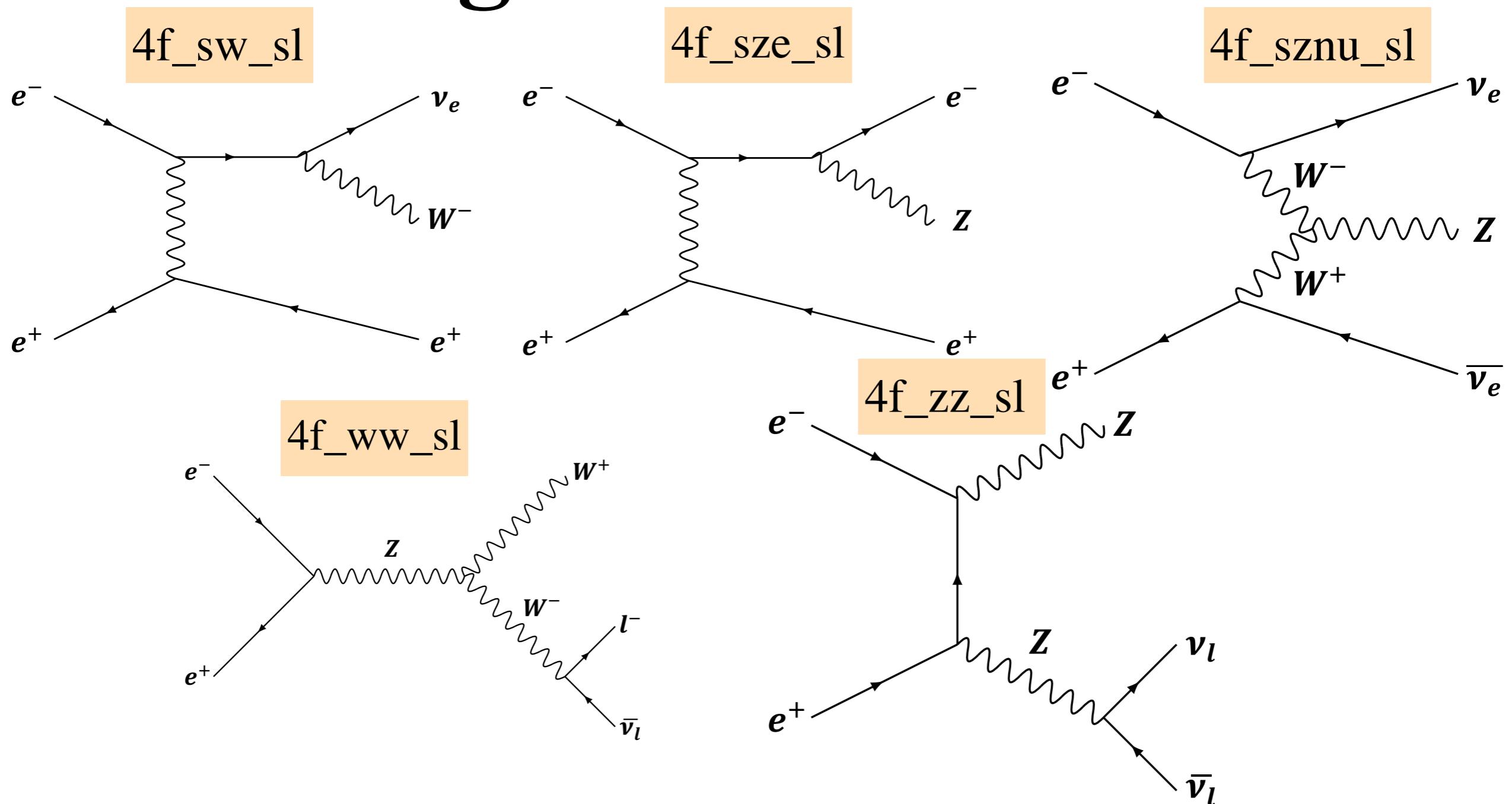
$|\cos\theta\gamma| (\text{truth})$



$M_z (\text{PFO})$



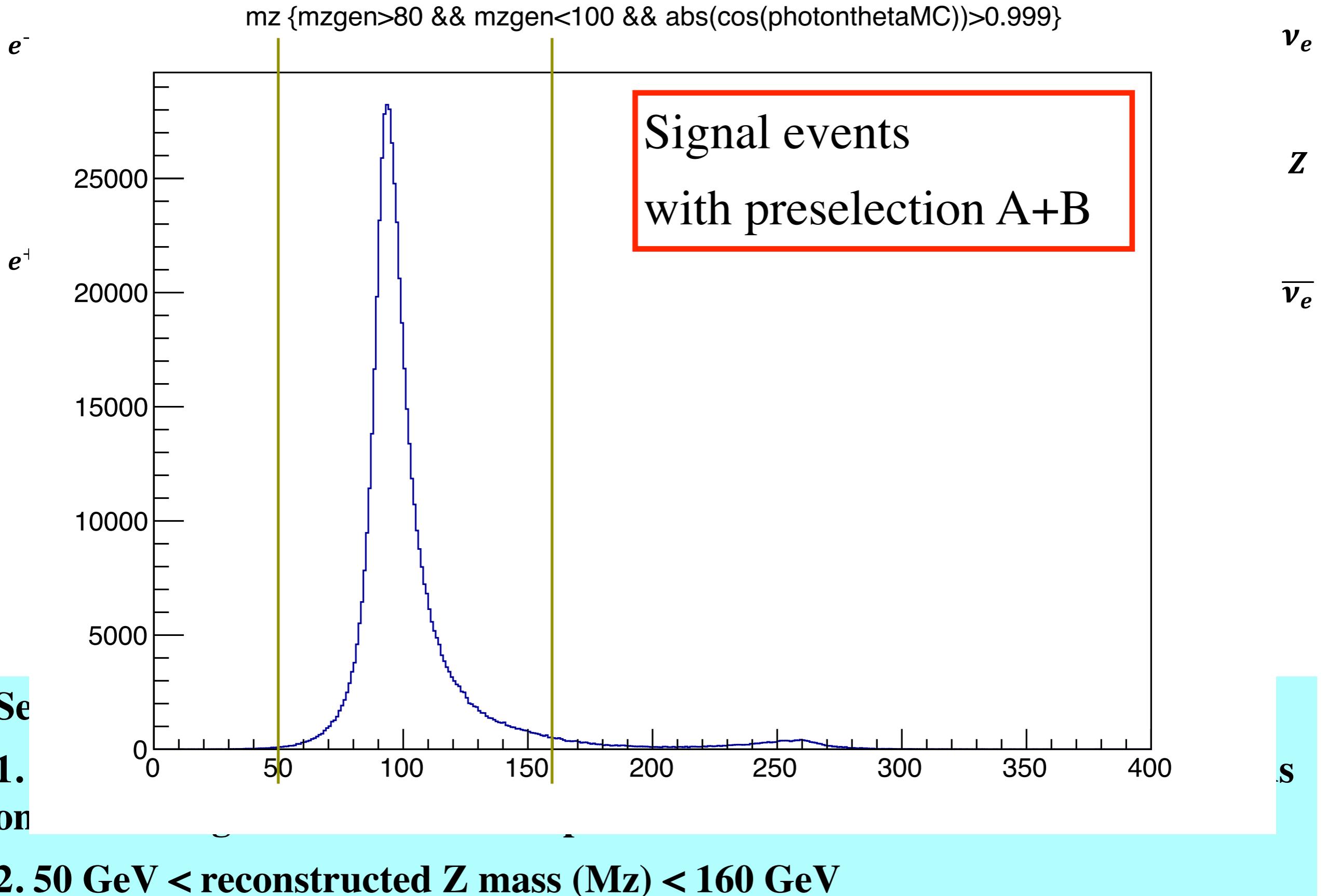
# Background exclusion



## Selection cuts:

1. **veto events which have energetic photons (>50 GeV) detected, since we focus on first the signal events in which photon is collinear in the beam direction**
2. **50 GeV < reconstructed Z mass (Mz) < 160 GeV**

# Background exclusion



# Efficiency Table

## Signal & Background efficiencies

	2f_z_h e <sub>L</sub> P <sub>R</sub>	2f_z_h e <sub>R</sub> P <sub>L</sub>
<b>Before selection</b>	3.74299E+07	1.23229E+06
<b>#Photon = 0</b>	2.92246E+07	928022
<b>50 GeV &lt; M<sub>Z</sub> &lt; 160 GeV</b>	1.74413E+07	662753

Signal event ( $e^+e^- \rightarrow \gamma Z$ ):  
A.  $80 \text{ GeV} < M_Z(\text{truth}) < 100 \text{ GeV}$   
B.  $|\cos\theta\gamma_{(\text{truth})}| > 0.999$

	4f_ww_sl e <sub>L</sub> P <sub>R</sub>	4f_ww_sl e <sub>R</sub> P <sub>L</sub>	4f_zz_sL e <sub>L</sub> P <sub>R</sub>	4f_zz_sL e <sub>R</sub> P <sub>L</sub>
<b>Before selection</b>	5.4929E+06	3035.7	245138	8169.29
<b>#Photon = 0</b>	5.35789E+06	2982.24	232818	7715.97
<b>50 GeV &lt; M<sub>Z</sub> &lt; 160</b>	2.03951E+06	1548.43	60315.1	2249.75

	4f_sw_sl e <sub>L</sub> P <sub>L</sub>	4f_sw_sl e <sub>L</sub> P <sub>R</sub>	4f_sw_sl e <sub>R</sub> P <sub>L</sub>	4f_sw_sl e <sub>R</sub> P <sub>R</sub>	4f_sze_sl e <sub>L</sub> P <sub>L</sub>	4f_sze_sl e <sub>L</sub> P <sub>R</sub>	4f_sze_sl e <sub>R</sub> P <sub>L</sub>	4f_sze_sl e <sub>R</sub> P <sub>R</sub>	4f_sznu_sl e <sub>L</sub> P <sub>R</sub>	4f_sznu_sl e <sub>R</sub> P <sub>L</sub>
<b>Before selection</b>	30008.7	3.00222E+06	1517.18	6195.72	182044	416318	21339.4	37609	132757	2296.34
<b>#Photon = 0</b>	24949.9	2.80253E+06	1460.55	5140.18	72698.8	199971	9153.62	15031.6	131744	2271.7
<b>50 &lt; M<sub>Z</sub> &lt; 160 GeV</b>	19565.9	599082	480.956	4022.26	7986.61	16586.8	942.256	1656.89	124115	2154.86

# Future Plan

Use new cut criteria

- . nPhoton
  1. Visible energy e.g. 120 to 160 GeV
  2. Visible particles direction e.g.  $|\cos z| > 0.95$
  3. ycut
- . Mz

