Tau reconstruction in $e^+e^- \rightarrow \tau^+\tau^-$ at the ILC250





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Motivation 1 At the ILC, forward-backward asymmetry $A_{FB} = \frac{3}{4}A_e \cdot A_f$ can be measured

Left- and right-handed coupling g_R , g_L to Z boson are different

Thanks to ILC's polarised beams, A_{ρ} can be measured

By measuring A_{FR} precisely and looking for deviations from SM predictions, it is possible to search for new physics, such as heavy gauge boson Z'

-->Left- and right-handed polarisation asymmetry is expected.

$$A_f = \frac{g_R^2 - g_L^2}{g_R^2 + g_L^2}$$

- $\Rightarrow A_f$ can be extracted from A_{FB}

Motivation 2

Tau has extra information

We can also directly measure A_{τ} by using tau polarisation $P(\tau)$

$$\frac{dP(\tau)}{d\cos\theta} = \frac{3}{8}A_{\tau}(1+\cos^2\theta) + \frac{3}{4}A_e\cos\theta$$

The aim of this study -The reconstruction of tau spin orientation ("Polarimeter") in order to measure polarisation to investigate new physics.

tau is the only particle that can measure the polarisation of the final state in the ILC250





Polarimeter

Reconstruction of tau polarisation $P(\tau)$ depends on tau decay mode.

Polarimeter vectors of $\tau \rightarrow \pi \nu$ in τ rest frame

$$h(\tau^{\pm} \to \pi^{\pm} \nu) \propto p_{\pi^{\pm}}$$

Polarimeter vectors of $\tau \rightarrow \rho \nu$ in τ rest frame

$$h(\tau^{\pm} \to \pi^{\pm} \pi^0 \nu) \propto m_{\tau} (E_{\pi^{\pm}} - E_{\pi^{\pm}})$$

"Polarimeter"

The cosine of the angle this polarimeter vector makes to the tau flight direction



Previous study eutrino information

Extract polarimeter without using neutrino information

"Approximate" polarimeters based only on the momenta of visible tau decay products "Optimal" polarimeters including the neutrino component



We explicitly extract the neutrino momentum and reconstruct polarimeters

arXiv:1912.08403

Simulation setup

- WHIZARD ver 2.8.5.



τ reconstruction method



from these assumptions, τ direction must make an angle β to the visible τ momentum

$$\cos\beta = f(\overrightarrow{P}_{\text{vis}}^{\tau}, m_{\tau}, E_{\tau})$$

 P_{vis}^{τ} : tau visible daughter momentum $\overrightarrow{P_{\nu}}$: neutrino momentum

: tau momentum

The same for the other tau

τ reconstruction method

We further assume

• two taus are <u>back-to-back</u> To reconstruct tau momentum, flip one of the cones and find the intersections.



The intersection of the cones are the candidate τ momentum directions.

We call this "Cone method"

If at least one intersection point was found, there is a solution.



Entries

Cone method efficiency is ~ 80 % for events with $m_{\tau\tau} \sim 250$ GeV

Find solutions











For events for which "Cone Method" cannot find a solution



Midpoint method

take a midpoint of the closest approach points of the two cone edges

and use this new vector as a solution

We call this "Midpoint method"

Various levels of "cheating" and methods

Two levels of cheating

- 1. Using true neutrino momentum from MC.
- 2. Using true MC visible tau daughters.
 - 2.1 "Cone method" to estimate the neutrino momentum.
 - 2.2 If Cone method fails, "Midpoint method"



Polarimeter using reconstructed ν is in reasonable agreement with MC one. Cone method works better than Midpoint method.



Polarimeter vectors of $\tau \rightarrow \rho \nu$ in τ rest frame $h(\tau^{\pm} \to \pi^{\pm} \pi^{0} \nu) \propto m_{\tau} (E_{\pi^{\pm}} - E_{\pi^{0}}) (p_{\pi^{\pm}} - p_{\pi^{0}}) + \frac{1}{2} (p_{\pi^{\pm}} + p_{\pi^{0}})^{2} p_{\nu}$ true vs Cone method

Cone method rho 0 0 0.5 -0.5 0.5 0 MC rho pol

Polarimeter: rho decay





Extracted polarimeter is less precise than $\tau \rightarrow \pi \nu$

Tau Polarisation Accuracy



Tau Polarisation Accuracy

Scaled to the luminosity of 1000 fb^{-1} Sample with $100 \% e_L^- e_R^+$ beam polarisations

 N_{τ} : the expected total number of taus,

$\tau \to \pi \nu$	$N_{ au}$	σ_P	$\tau \to \rho \nu$	$N_{ au}$	σ_P
MC	0.58 M	0.27 %	MC	1.31 M	0.18 %
Cone	0.36 M	0.35 %	Cone	0.70 M	0.28 %
Mid	0.22 M	0.55 %	Mid	0.59 M	0.42 %
Combined	0.58 M	0.30 %	Combined	1.29 M	0.23 %

Precision on the polarisation σ_P of "Cone method" + "Midpoint method"

 σ_P : the expected polarisation uncertainty

- $\tau \rightarrow \pi \nu :\sim 0.30\%, \quad \tau \rightarrow \rho \nu :\sim 0.23\%$

- The reconstruction of neutrino momentum at ILC250 was investigated.
- For events with $m_{\tau\tau} \sim 250$ GeV, "Cone method" efficiency is $\sim 80\%$.

o"Midpoint method" is used if "Cone method" fails.

- Polarimeters were reconstructed in the $\tau \to \pi \nu$ and $\tau \to \rho \nu$ decay modes, and used to estimate the tau polarisation.
- Reasonable agreement between MC truth polarimeter value and the one from "Cone method" for both $\tau \to \pi \nu$ and $\tau \to \rho \nu$ decay were found.
- The experimental sensitivity to the tau polarisation of "Cone method" and "Midpoint method" is around 0.18%, assuming 1000 fb⁻¹ of 100% $e_L^- e_R^+$ data at 250 GeV.

Summary

- Investigate search for new physics by using the tau polarisation.
- Apply method to radiative return events with a visible photon.
- Add impact parameter information to improve tau and polarisation reconstruction.
- Estimate the tau polarisation precision for a realistic beam polarisation and detector resolution.

Future Plan