

Sensitivity to Long-Lived Dark Photons at the ILC



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with help from David Curtin

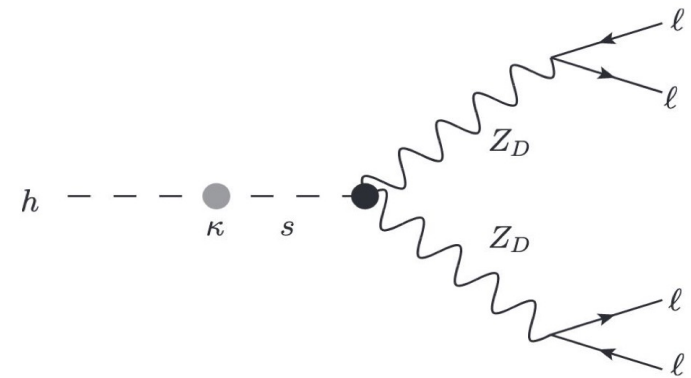
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Introduction

- Our project seeks to study the production of long-lived dark photons at the ILC, to provide a benchmark for long-lived studies at the ILC
- Because of the clean environment found in linear colliders, and the high rate of Higgs production, we would expect the ILC to be a good environment for studying low mass long-lived weakly coupled particles
- [Link to our LOI](#)

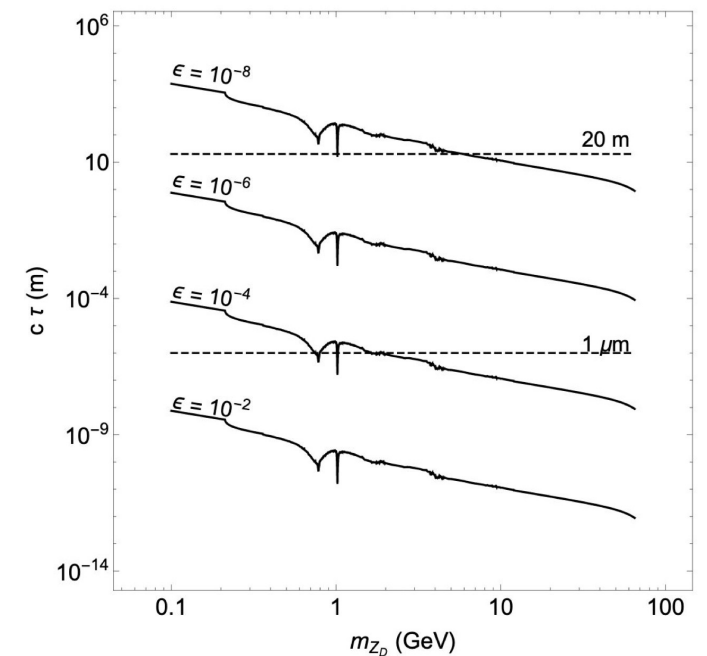
Dark Photons (Z_D)

- Mediators of a broken dark U(1) gauge theory that mixes kinematically with the standard model hypercharge, with mixing ϵ
- Dark sector could have a dark Higgs, which can mix with the SM Higgs with mixing κ
- We're studying production via exotic Higgs decay: $H \rightarrow Z_D Z_D$
 - Z_D can decay either hadronically or leptonically
- If $\epsilon < \sim 10^{-5}$, the dark photons will be long-lived



Above: Dark photon production mechanism

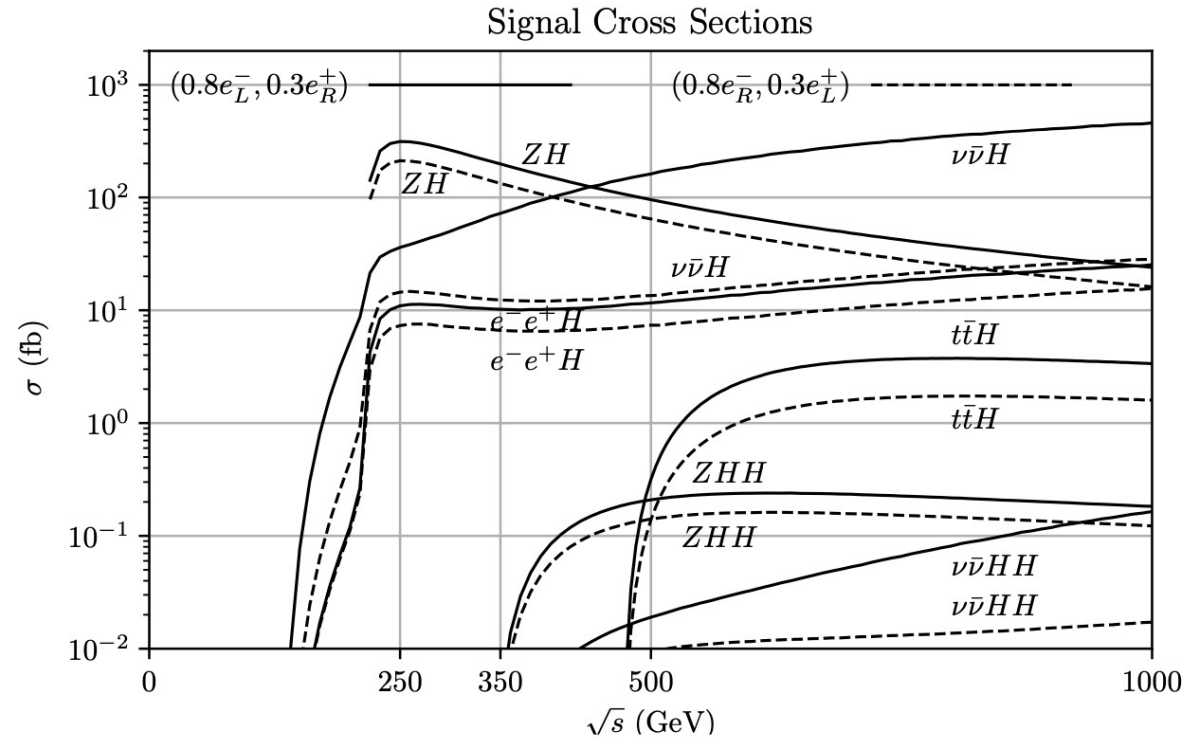
Right:
Relationship
between ϵ , $c\tau$,
and dark
photon mass



[Curtin, Essig, Gori, & Shelton, arXiv:1412.0018](#)

Dark Photons at the ILC

- The proposed ILC should generate a large number of Higgs, so dark photon production via the Higgs could be observable
- Relative to hadron colliders, the clean environment of a linear collider should be favorable for reconstructing low mass displaced vertices
- Targeting a dataset with a luminosity of 2 ab^{-1} at $\sqrt{s} = 250 \text{ GeV}$
- This energy is tuned for studying the Higgstrahlung process ($e^+e^- \rightarrow ZH$)

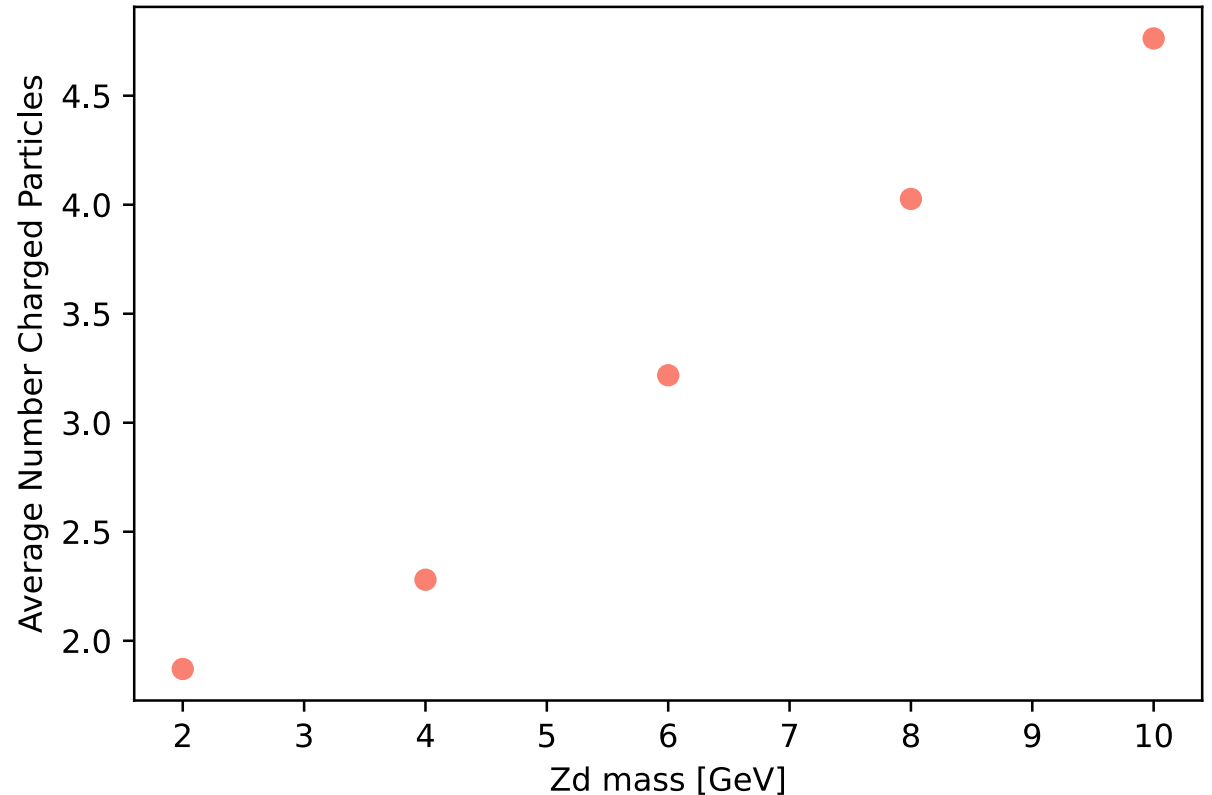


Cross section of Higgstrahlung process at different \sqrt{s} energies

[Potter, arXiv:2002.02399](https://arxiv.org/abs/2002.02399)

Benefits of ILC - Hadronic Decays

- The background to a low mass hadronic decay is greatly reduced in ILC compared to hadron colliders because of the clean environment
- Opens sensitivity to a type of decay that we might not be able to study as well at a hadron collider
- Because of this, studying $Z_D \rightarrow q\bar{q}$ in addition to $Z_D \rightarrow 2l$ at low mass



Average number of final state charged particles from each dark photon as a function of dark photon mass

Dark Photon Studies At Other Experiments

HL-LHC sensitivity to this model

- Prompt decays of dark photons from exotic Higgs production in HL-LHC

Sensitivity at CEPC and FCC-ee

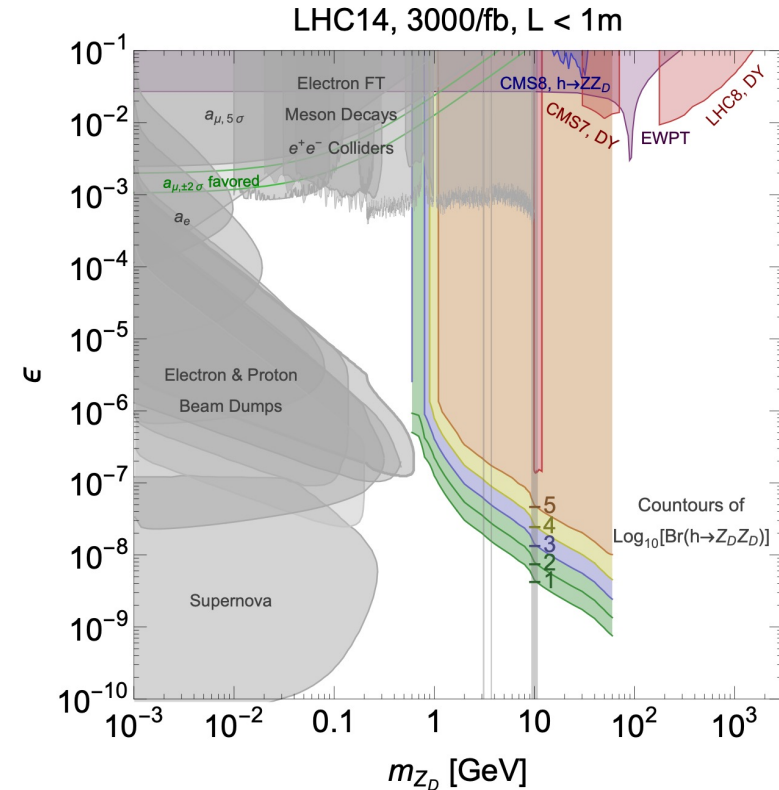
- Hadronic decays of LLPs from exotic Higgs decays in future e^+e^- colliders

Sensitivity via $H \rightarrow \text{inv}$

- Studying Higgs decays at future colliders

Sensitivity of dark Higgs via direct decay

European Strategy Report 2020



Sensitivity to dark photon production for different dark photon masses, branching ratios of $H \rightarrow Z_D Z_D$, and epsilons

Goals of our study

- Determine ILC sensitivity to long-lived dark photon production for our particular signal ($H \rightarrow Z_D Z_D$), Z_D mass in 1 to 10s of GeV
 - Calculate sensitivity as a function of the Z_D mass, lifetime, and ϵ as well as the branching ratio of Higgs to Z_D for different fiducial requirements
- Provide a benchmark for future SiD long-lived particle performance studies
- Study truth level acceptance
- Study default signal reconstruction efficiency and potential background sources in full simulation

Our Samples

- MC Generation
 - Using MG5@NLO + Pythia8
 - Using this [model](#): from arXiv:1412.0018
- Fast Simulation w/Delphes for prompt decays and truth-level
- Full Simulation w/ILCSoft

Our signature:

$$e^+e^- \rightarrow ZH \rightarrow ZZ_D Z_D \quad ; Z_D \rightarrow 2l \text{ or } Z_D \rightarrow q\bar{q}$$

- Created samples of different lifetimes by setting epsilon and the width
- Validated samples at truth-level

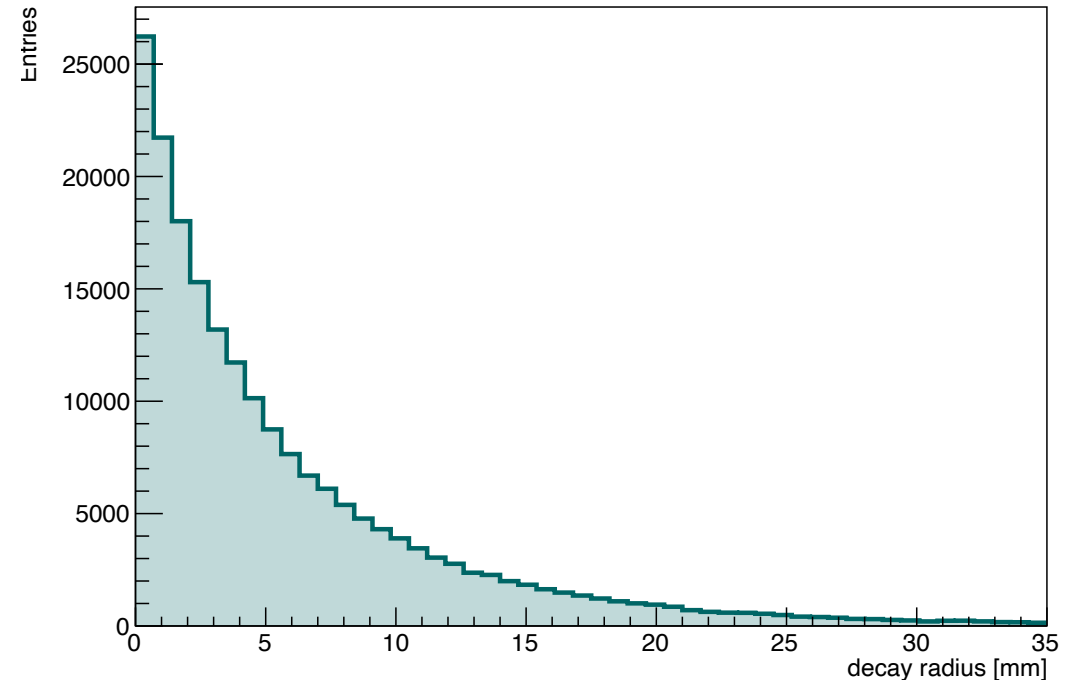
Model Parameters:

- Z_D Mass
- ε and Z_D width
- Higgs Branching ratio
 - Dark Higgs mass
 - Higgs/Dark Higgs mixing (κ)

Dark Photon Decay Distance

- At truth-level
- Taken as the distance from the IP to the production vertex of the Z_D decay products
- Fits initial calculations using $\beta\gamma$ and $c\tau$

	Decay constant from exponential [mm]
$M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-6}$	6.16
$M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-7}$	608
$M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-5}$	24.0
$M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-6}$	2400



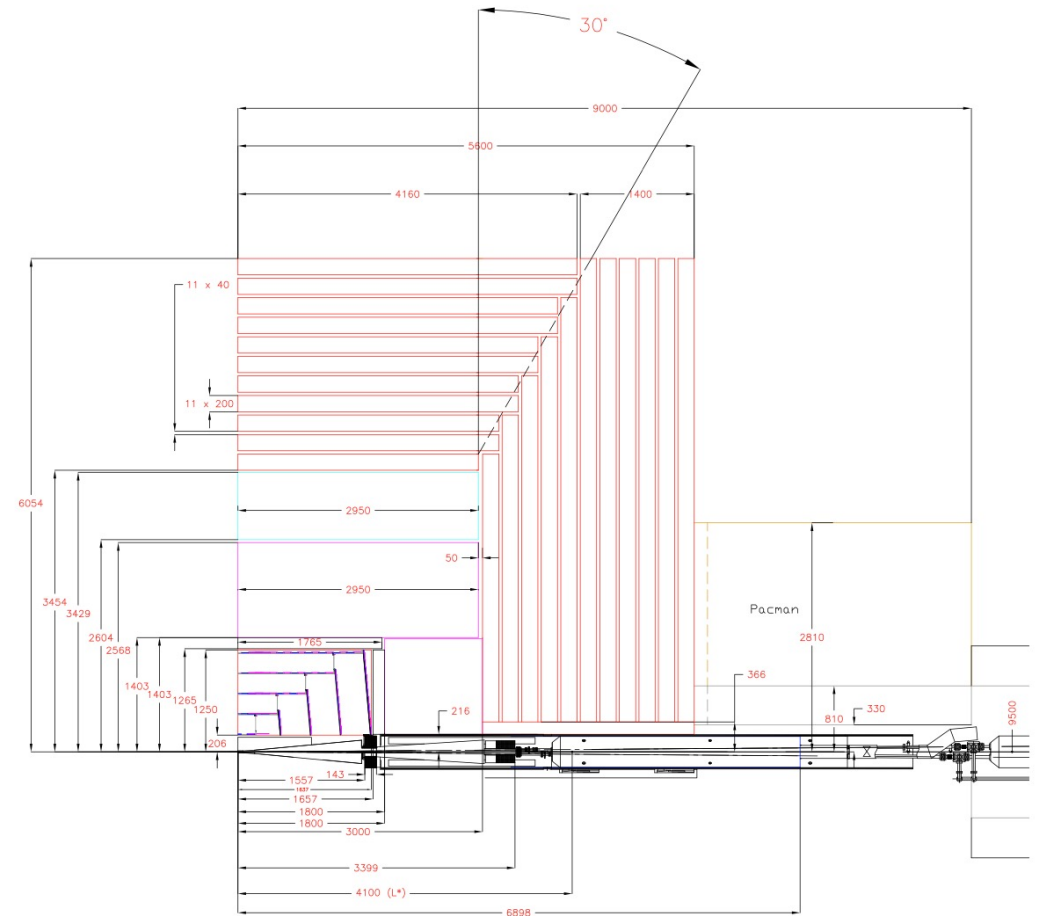
*Decay radius of 10 GeV dark photon with $\epsilon = 1 * 10^{-6}$
(Decay constant 6)*

Dark Photon Acceptance

- Look at how the dark photon acceptance varies throughout the detector systems
 - Looking separately at hadronic and leptonic acceptance
- Select fiducial volumes that restrict dark photon decays to specific detector regions
 - Decaying within the vertex detector to study tracker performance
 - Decaying before the calorimeters – includes decays that don't get reconstructed in the inner tracker
- Only require one dark photon in each event to pass the requirements for the regions

Defining Acceptance Regions

- Region 1:
 - Dark photon decaying within the vertex detector
 - $2 \text{ mm} < \text{Decay Radius} < 60 \text{ mm}$
 - Minimum radius is much higher than the lowest possible radius, but choosing a larger minimum will help eliminate b quark backgrounds
- Region 2:
 - Dark photon decaying before the calorimeters
 - $2 \text{ mm} < \text{Decay Radius} < 1250 \text{ mm}$
- General Requirements for both regions:
 - Both decay products need to have:
 - $p > .3 \text{ MeV}$ for Region 1, $p > 1 \text{ GeV}$ for Region 2
 - $\theta > 20 \text{ degrees}$
 - $d_0 > 2 \text{ mm}$
 - For hadronic decays, each event needs a certain min. number of charged particles to pass requirements
 - Acceptances calculated for min. 3 and min. 4 charged



Acceptance values

- Acceptance values for the two fiducial regions

- Region 1 – Before end of vertex detector
- Region 2 – Before beginning of calorimeters

$$Z_D \rightarrow l^+l^-$$

	Region 1	Region 2
$M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-6}$	86.7%	86.7%
$M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-7}$	20.9%	98.1%
$M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-5}$	95.0%	98.7%
$M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-6}$	4.76%	61.7%

$$Z_D \rightarrow q\bar{q}, 3 \text{ pass reqs.}$$

	Region 1	Region 2
$M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-6}$	66.3%	69.6%
$M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-7}$	23.6%	88.5%
$M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-5}$	12.0%	14.0%
$M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-6}$	1.03%	8.92%

$$Z_D \rightarrow q\bar{q}, 4 \text{ pass reqs.}$$

	Region 1	Region 2
$M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-6}$	59.1%	63.0%
$M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-7}$	20.3%	82.1%
$M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-5}$	11.8%	14.0%
$M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-6}$	1.01%	8.92%

Back of the Envelope Max. Sensitivity

- From the acceptance values, we can calculate the minimum branching ratio of $H \rightarrow Z_D Z_D$ in order to have sensitivity to a signal
- Assuming zero background and 100% efficiency
- If we expect zero background, we'll have sensitivity to signals that predict 3 or more dark photons
- $BR(Z_D \rightarrow ll)$ depends on the Z_D mass
- Cross section of Higgs production controlled by higgstrahlung (~ 310 fb)

$$N_{events_signal_exp} = Lumi \times \sigma_H \times BR_{H \rightarrow Z_D Z_D} \times (BR_{Z_D \rightarrow ll})^2 \times A \times E$$

Sensitivity Results

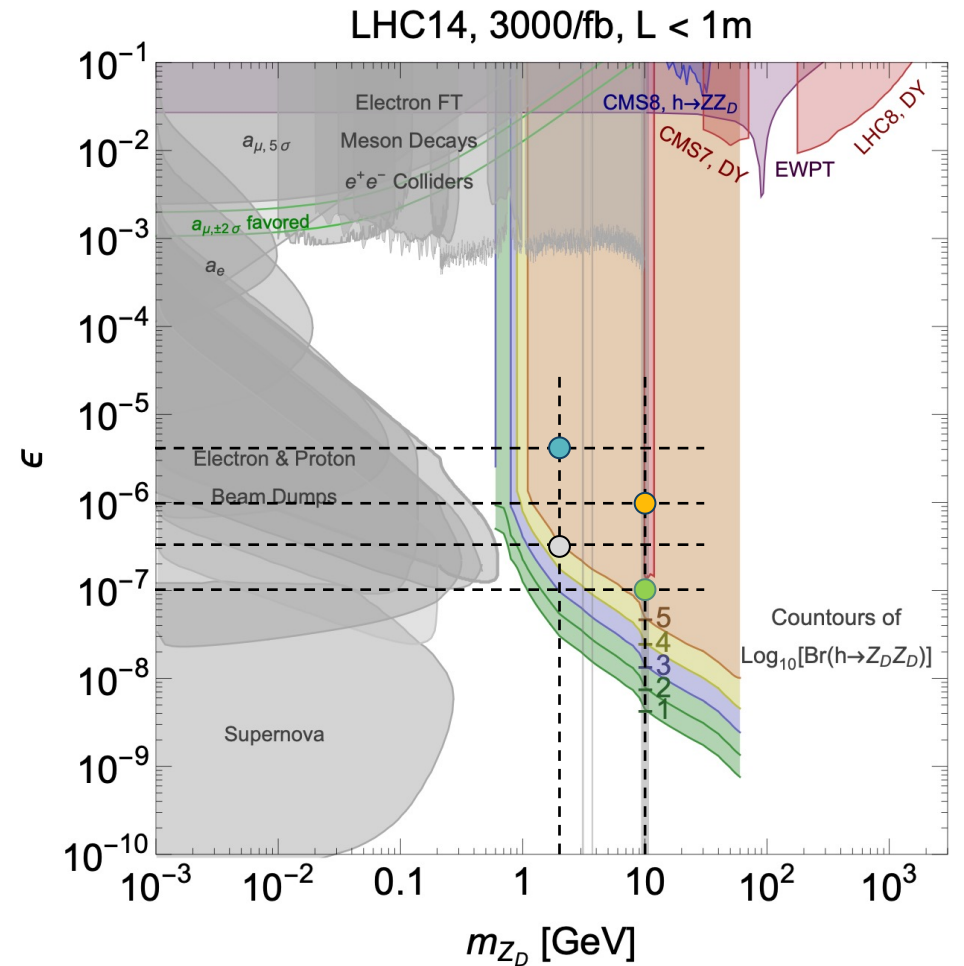
- Minimum branching ratio of Higgs to $Z_D Z_D$ for us to be able to detect the dark photons

$$Z_D \rightarrow l^+ l^-$$

$Z_D \rightarrow l^+ l^-$	Min. BR($H \rightarrow Z_D Z_D$) Region 1	Min. BR($H \rightarrow Z_D Z_D$) Region 2
● $M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-6}$	$6.20 * 10^{-5}$	$6.20 * 10^{-5}$
● $M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-7}$	$2.58 * 10^{-4}$	$5.48 * 10^{-5}$
● $M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-5}$	$2.23 * 10^{-4}$	$2.14 * 10^{-4}$
● $M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-6}$	$6.20 * 10^{-3}$	$3.24 * 10^{-4}$

$Z_D \rightarrow q\bar{q}$, 3 charged pass reqs.

● $M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-6}$	$4.19 * 10^{-5}$	$1.11 * 10^{-5}$
● $M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-7}$	$1.49 * 10^{-5}$	$1.42 * 10^{-5}$
● $M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-5}$	$5.60 * 10^{-5}$	$4.79 * 10^{-5}$
● $M(Z_D) = 2 \text{ GeV}, \epsilon = 3.16 * 10^{-6}$	$6.53 * 10^{-4}$	$7.53 * 10^{-5}$



[Curtin, Essig, Gori, & Shelton, arXiv:1412.0018](https://arxiv.org/abs/1412.0018)

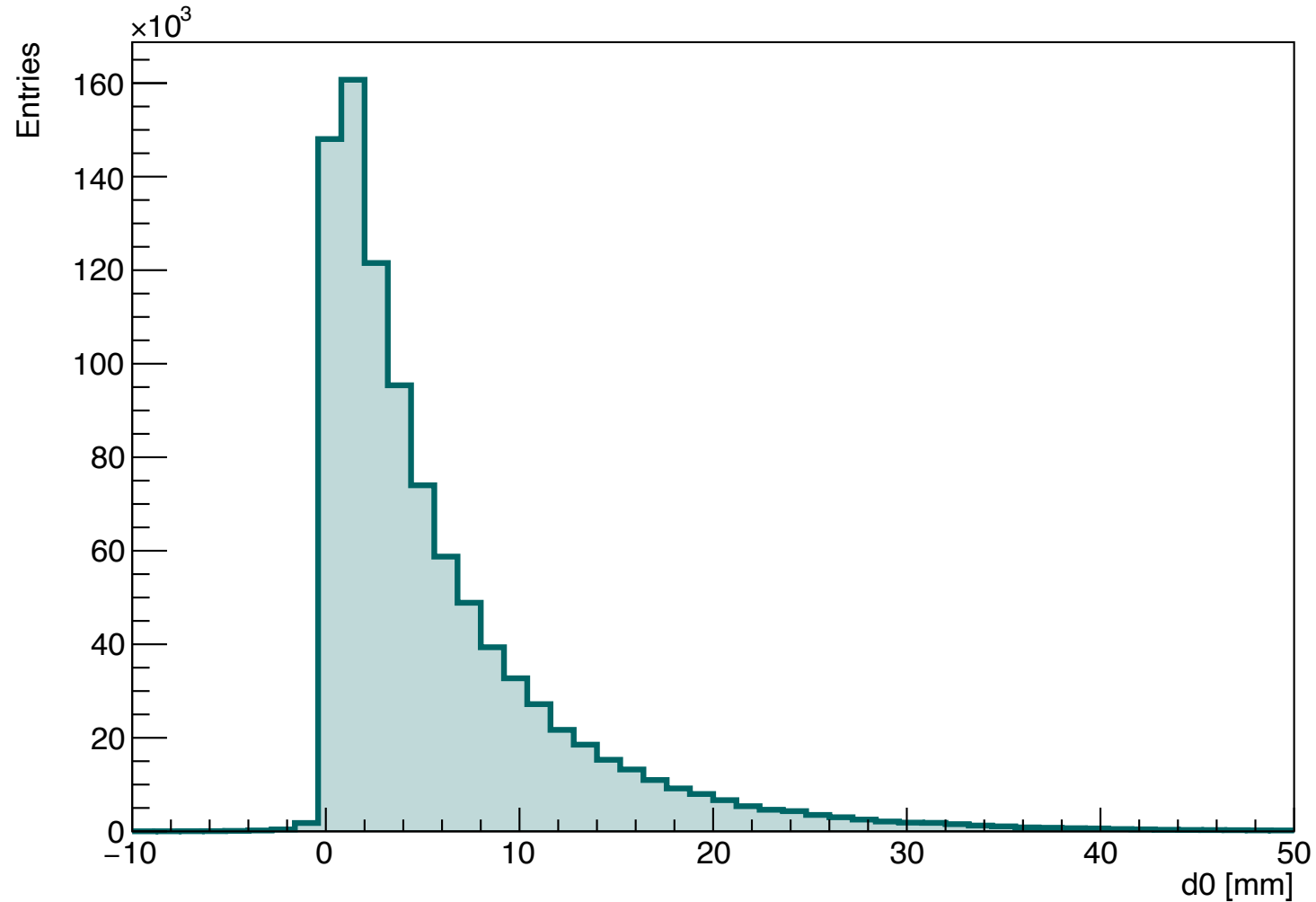
Outlook

- Look at the signal in full simulation
- Look at full simulation to study the effects from backgrounds
 - $ZH, ZZ, Ze^+e^- (Z \rightarrow bb, K_s)$ possible backgrounds

Thank you!

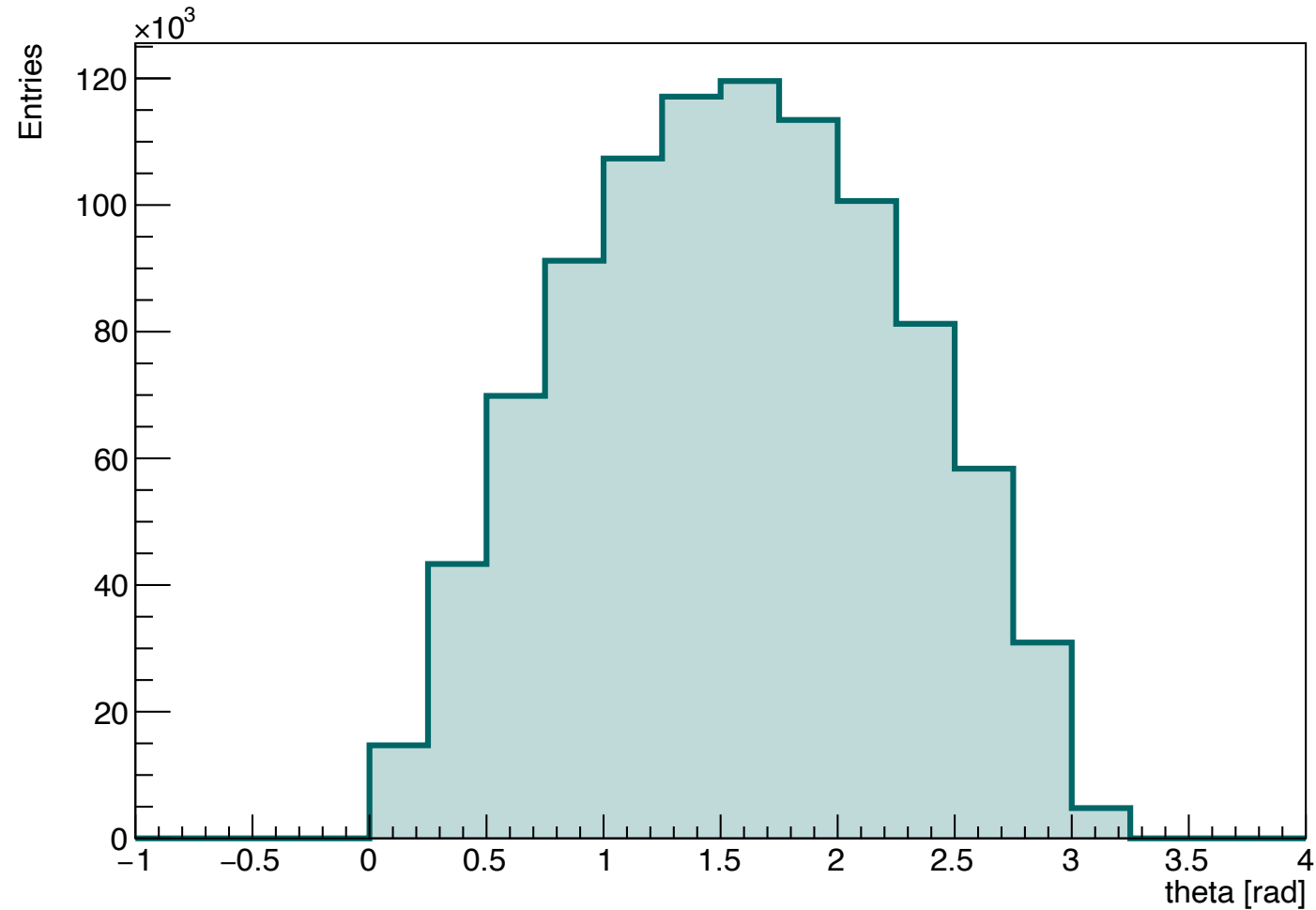
Backup Slides

$|d_0|$ of charged final state from Z_D



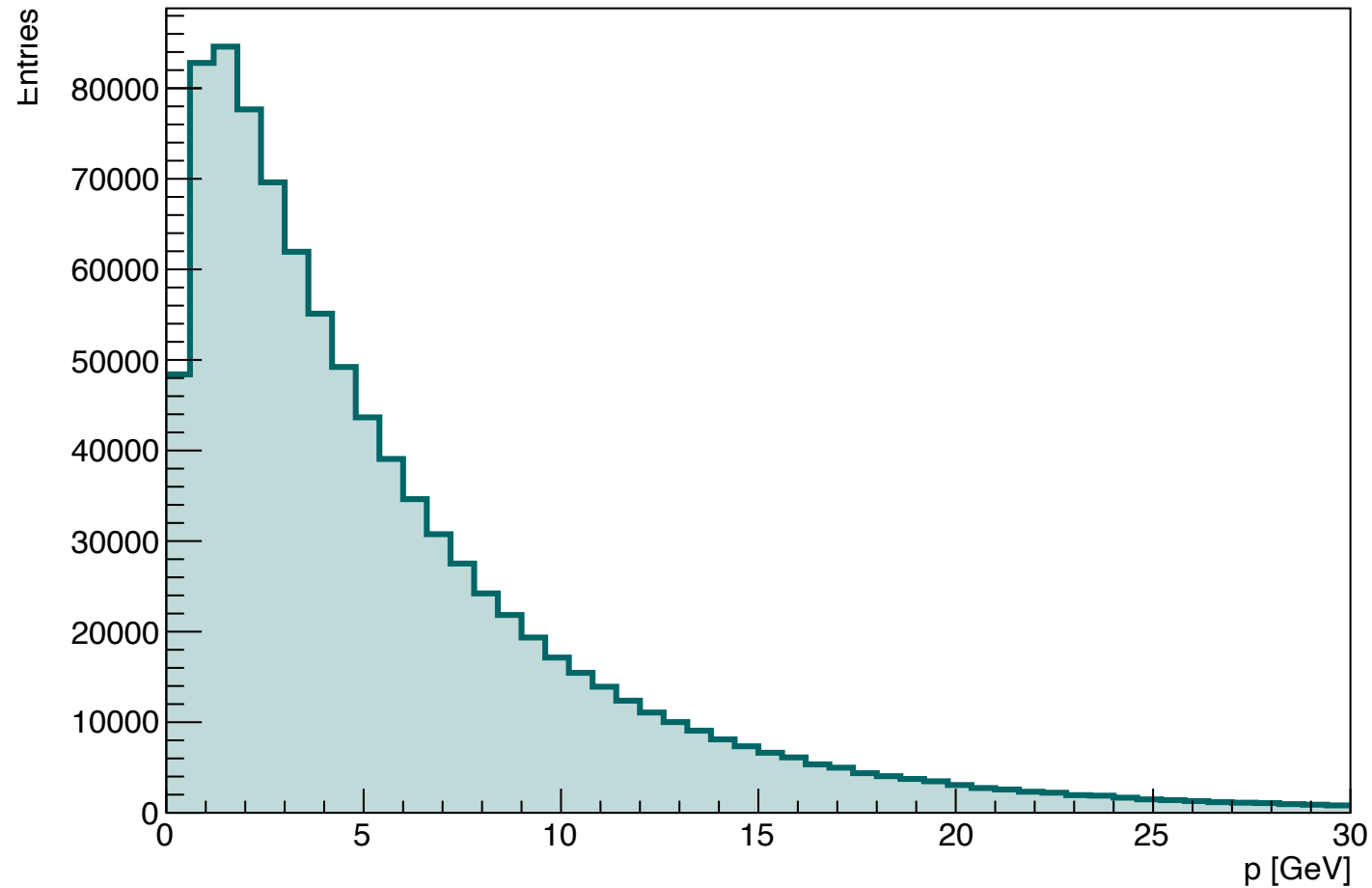
*10 GeV dark photon with $\varepsilon = 1 * 10^{-6}$; $Z_D \rightarrow q\bar{q}$*

Theta of charged final state from Z_D



*10 GeV dark photon with $\varepsilon = 1 * 10^{-6}$; $Z_D \rightarrow q\bar{q}$*

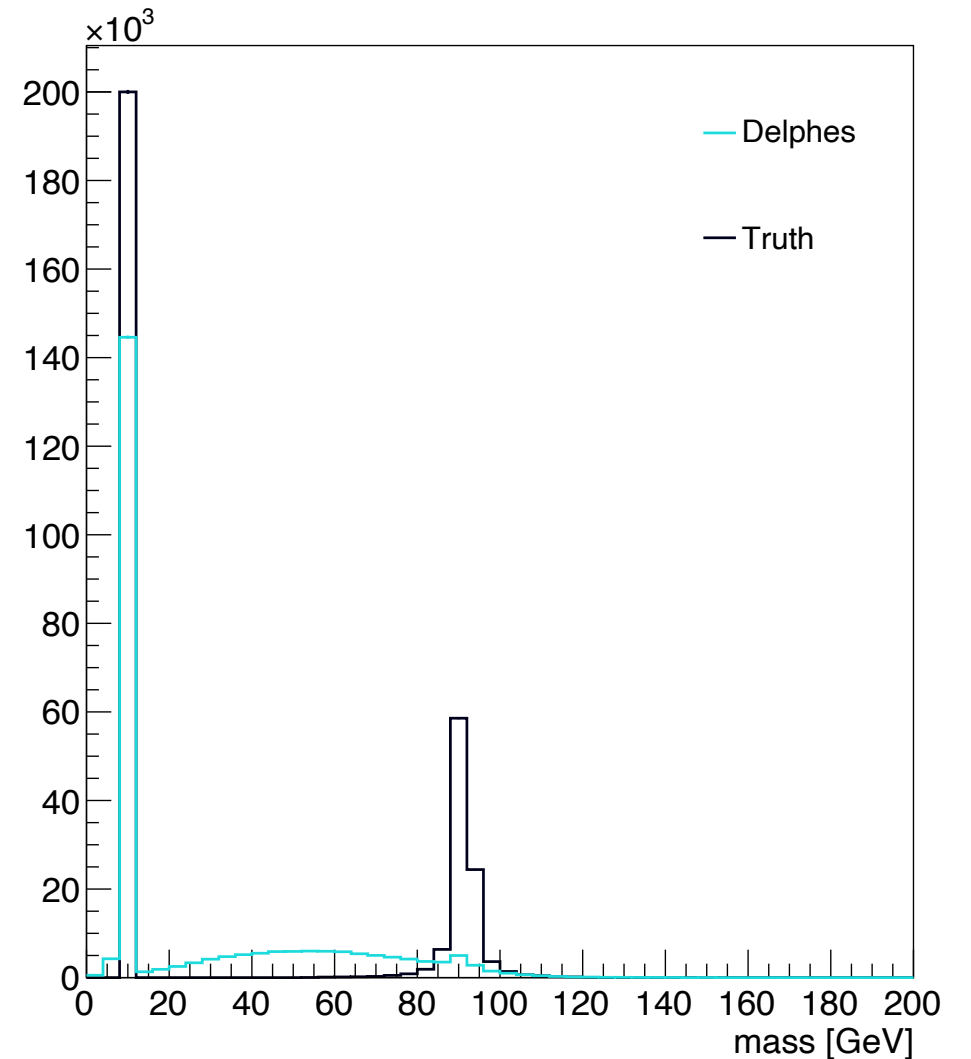
p of charged final state from Z_D



*10 GeV dark photon with $\varepsilon = 1 * 10^{-6}$; $Z_D \rightarrow q\bar{q}$*

Truth-level Validation: Invariant mass; $Z_D \rightarrow l^+ l^-$

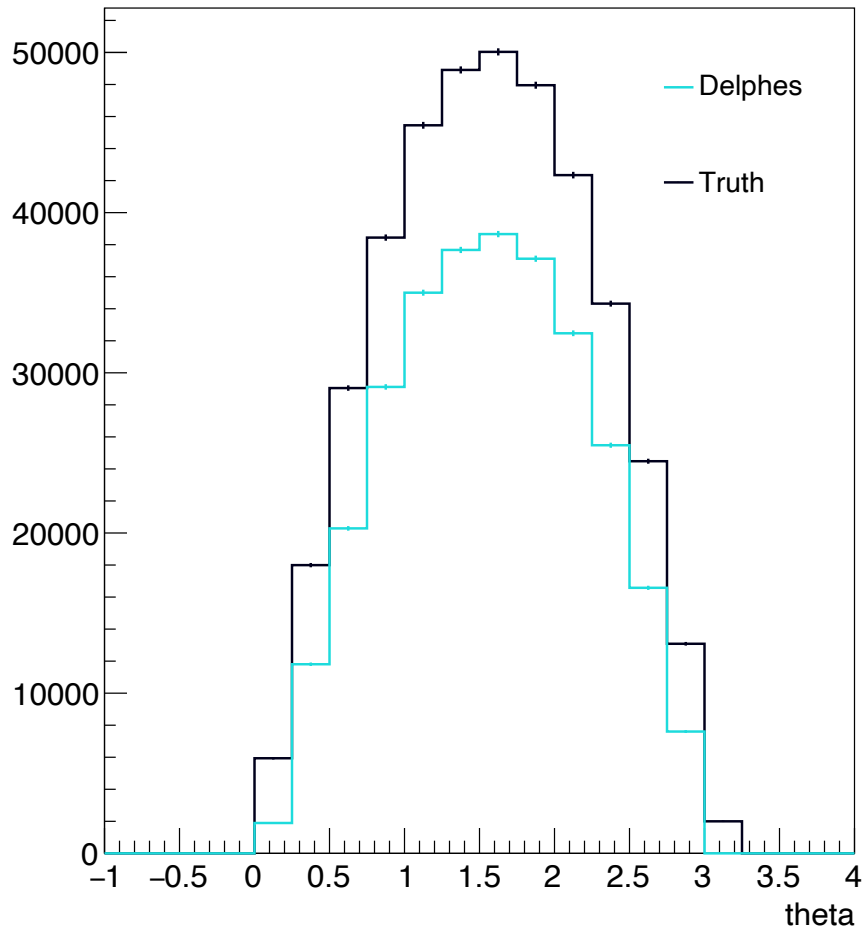
- Comparison of invariant mass at truth level and in fast simulation (Delphes)
 - Delphes treats displaced decays as prompt
- Truth level: Mass of dark photons and Z bosons
- Reconstruction: Invariant mass of all $l^+ l^-$ pairs for $p > 5$ GeV
 - Leptons are mainly from Z decays and dark photon decays, most Z decay products are hadronic, so we see a small peak in reconstruction at the Z mass from leptons



$$M(Z_D) = 10 \text{ GeV}, \epsilon = 1 * 10^{-6}$$

100,000 events

Truth Level Validation: Z_D Decay Product θ , p



- Reasonable coverage in theta, momentum centered around half the Z_D momentum as expected
- $Z_D \rightarrow l^+ l^-$

$M(Z_D) = 10$
 $GeV, \epsilon =$
 $1 * 10^{-6}$
 $100,000$ events

