

# Bfield at DESY testbeam and simulation

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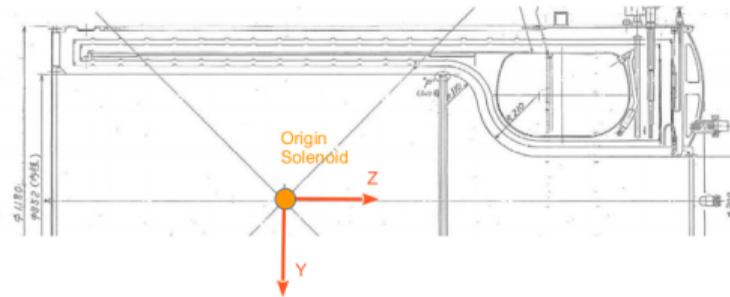
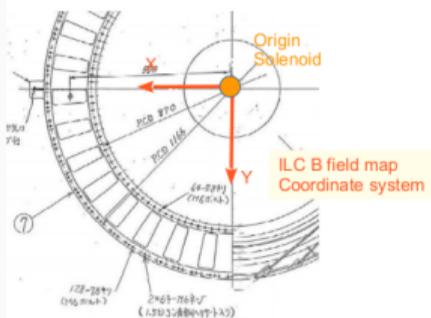
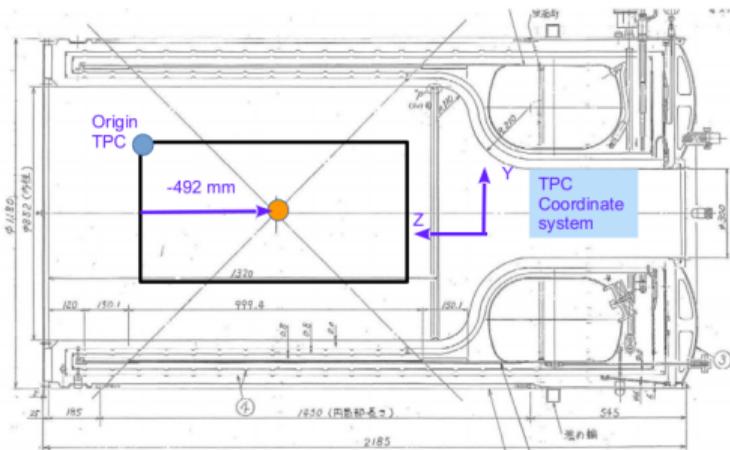
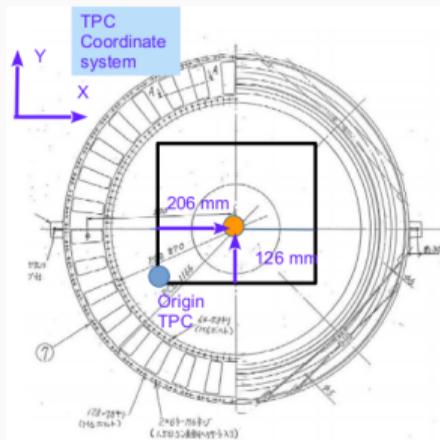
Pierre Granger - *Accelerator neutrino group CEA*

November 18, 2021



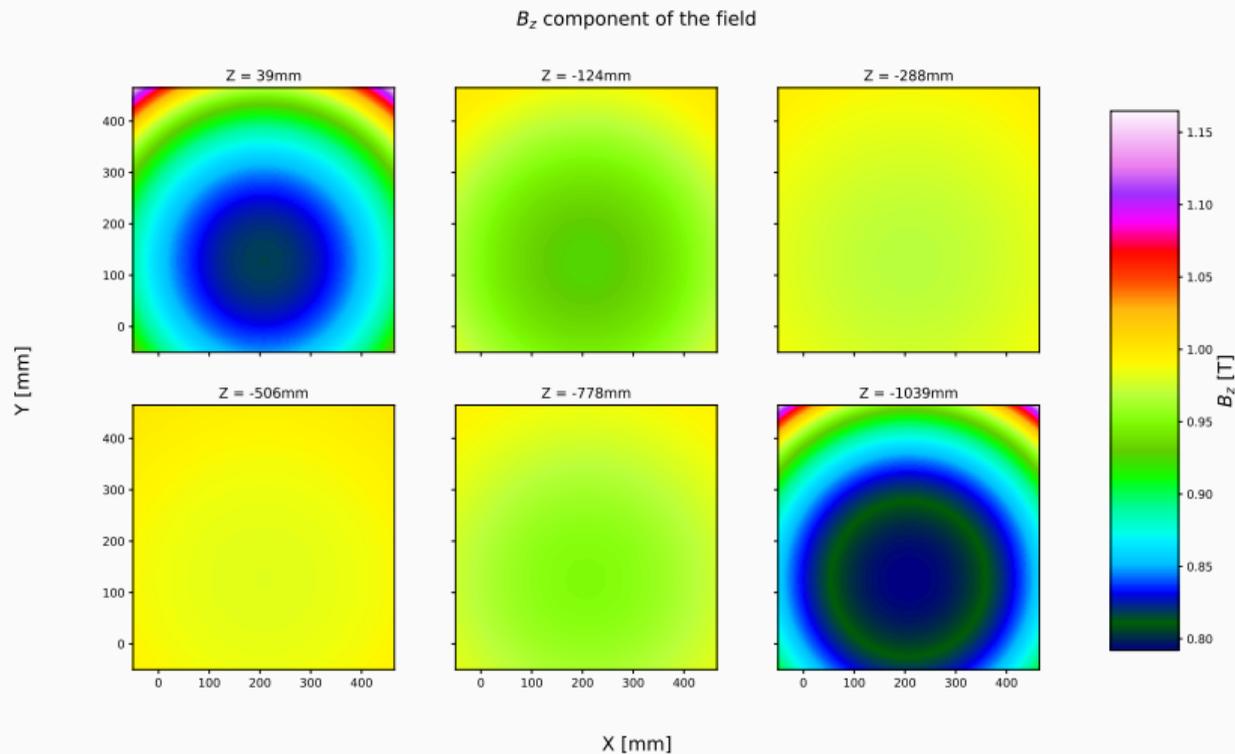
Irfu - CEA Saclay

# TPC geometry

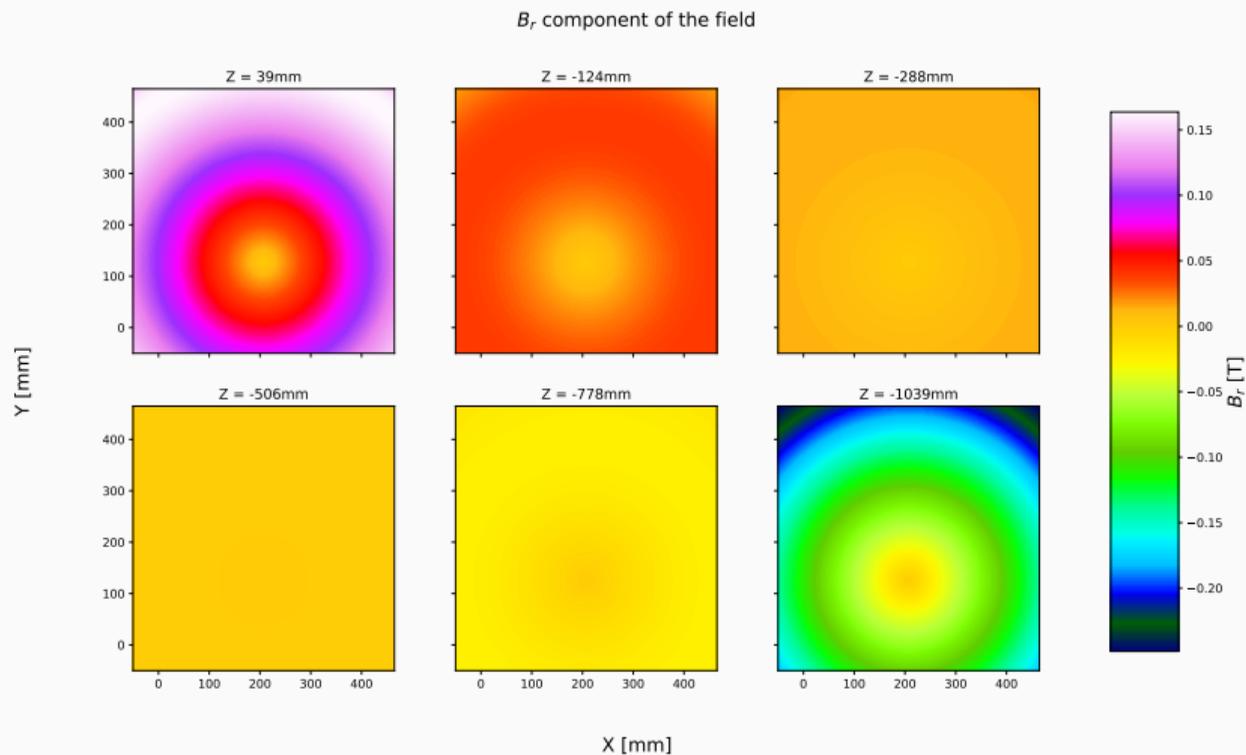


- $\vec{E}$  and  $\vec{B}$  along Z
- Beam entering along X
- The TPC Y center is not aligned with solenoid axis

# Longitudinal component of $\vec{B}$



# Radial component of the $\vec{B}$



## The $\vec{E} \times \vec{B}$ effect

Langevin equation for an  $e^-$ :

$$\vec{v}_D = \frac{\mu}{1 + (\omega\tau)^2} \left( \vec{E} - \omega\tau \frac{\vec{E} \times \vec{B}}{\|\vec{B}\|} + (\omega\tau)^2 \frac{\vec{B} (\vec{E} \cdot \vec{B})}{B^2} \right)$$

where:

- $\mu = \frac{e\tau}{m}$  is the electron mobility
- $\omega = \frac{eB}{m}$  is the cyclotron frequency
- $\tau$  is the mean drift time between two collisions with gas molecules
- $\mu$  is approximated as  $2.85 \text{ m}^2 \text{ V}^{-1} \text{ s}^{-1}$  in the following (with  $E = 275 \text{ V/cm}$ )

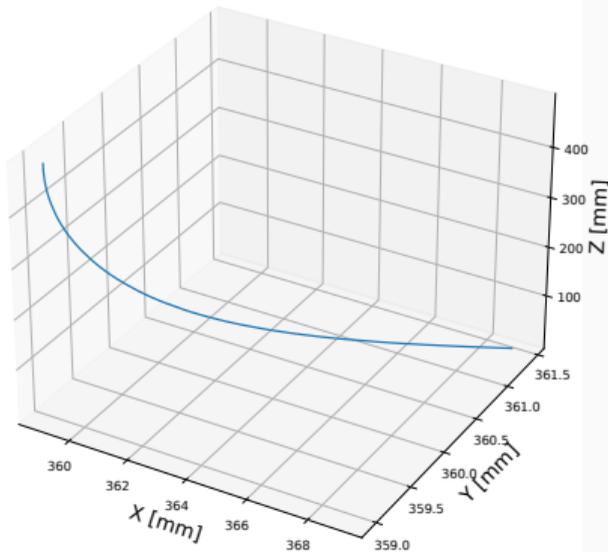
$\Rightarrow$  The two last terms introduce an angle in the drift direction with respect to the normal to the readout plane. Their relative importance depends on  $\omega\tau$  and thus  $\|\vec{B}\|$

# Simulating the effect

## Numerical integration

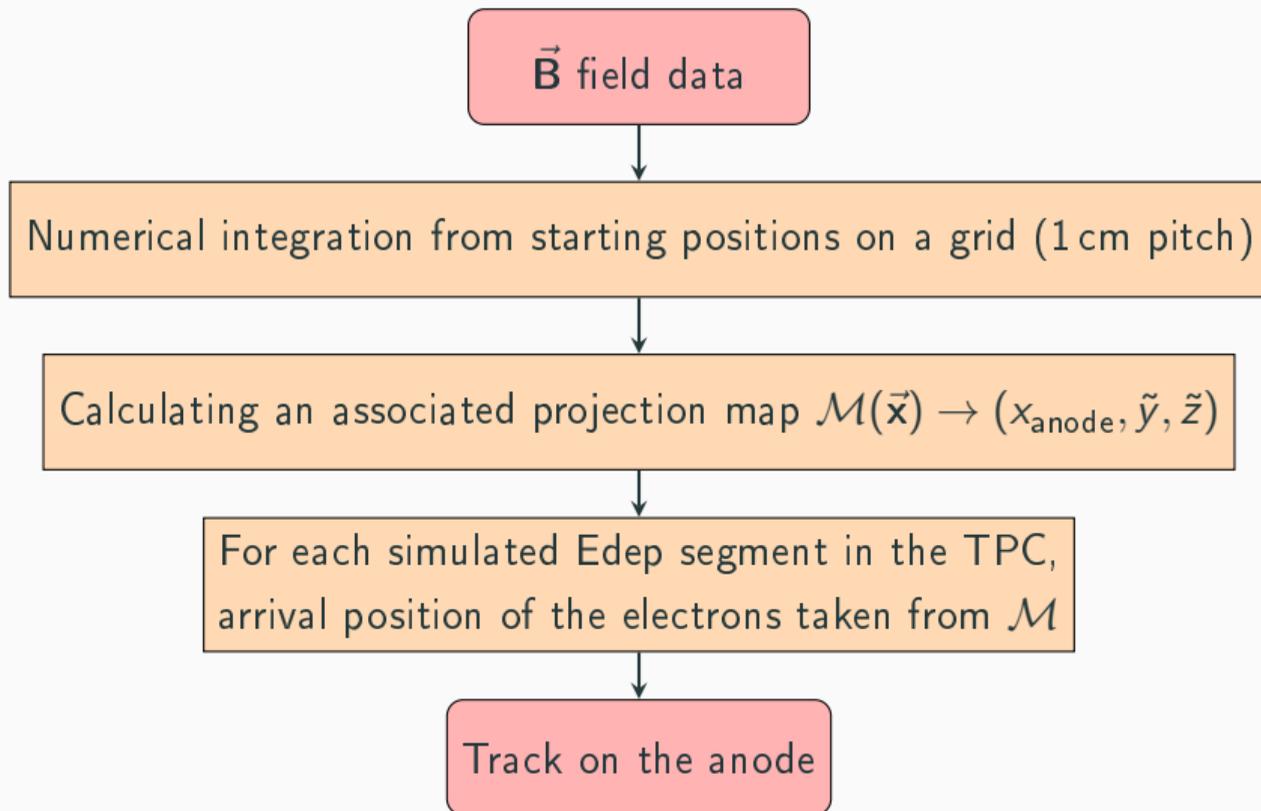
The  $\vec{E} \times \vec{B}$  effect is simulated by integrating the Langevin equation numerically for ionisation electrons. The method used for numerical integration is Runge-Kutta 4.

Trajectory of electron emitted at (36, 36, 500) cm



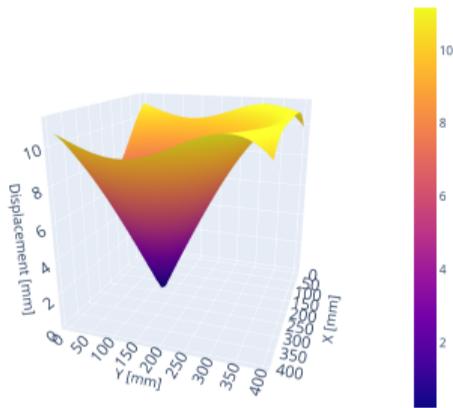
- Integration step size of  $0.01 \mu\text{s} \sim 0.8 \text{ mm}$
- The displacement  $d$  is defined as the euclidean distance on the anode plane between the energy deposit with and without  $\vec{B}$  field.

## Using the simulation

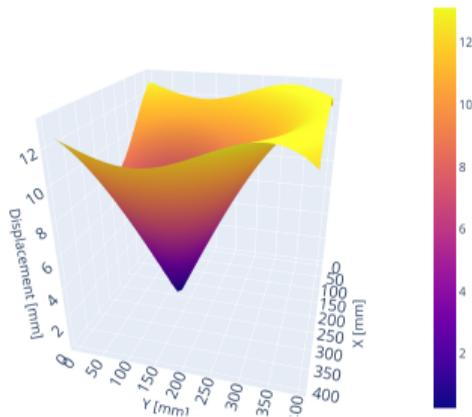


# Displacements

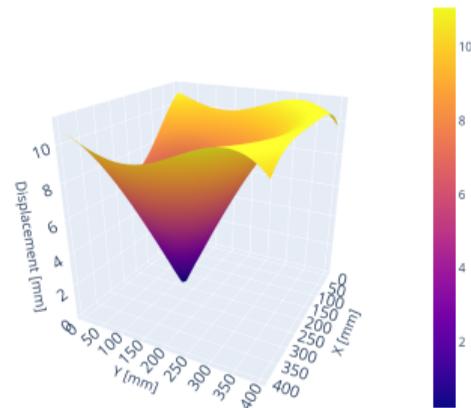
Displacement on anode for 75cm drift distance



Displacement on anode for 50cm drift distance



Displacement on anode for 25cm drift distance

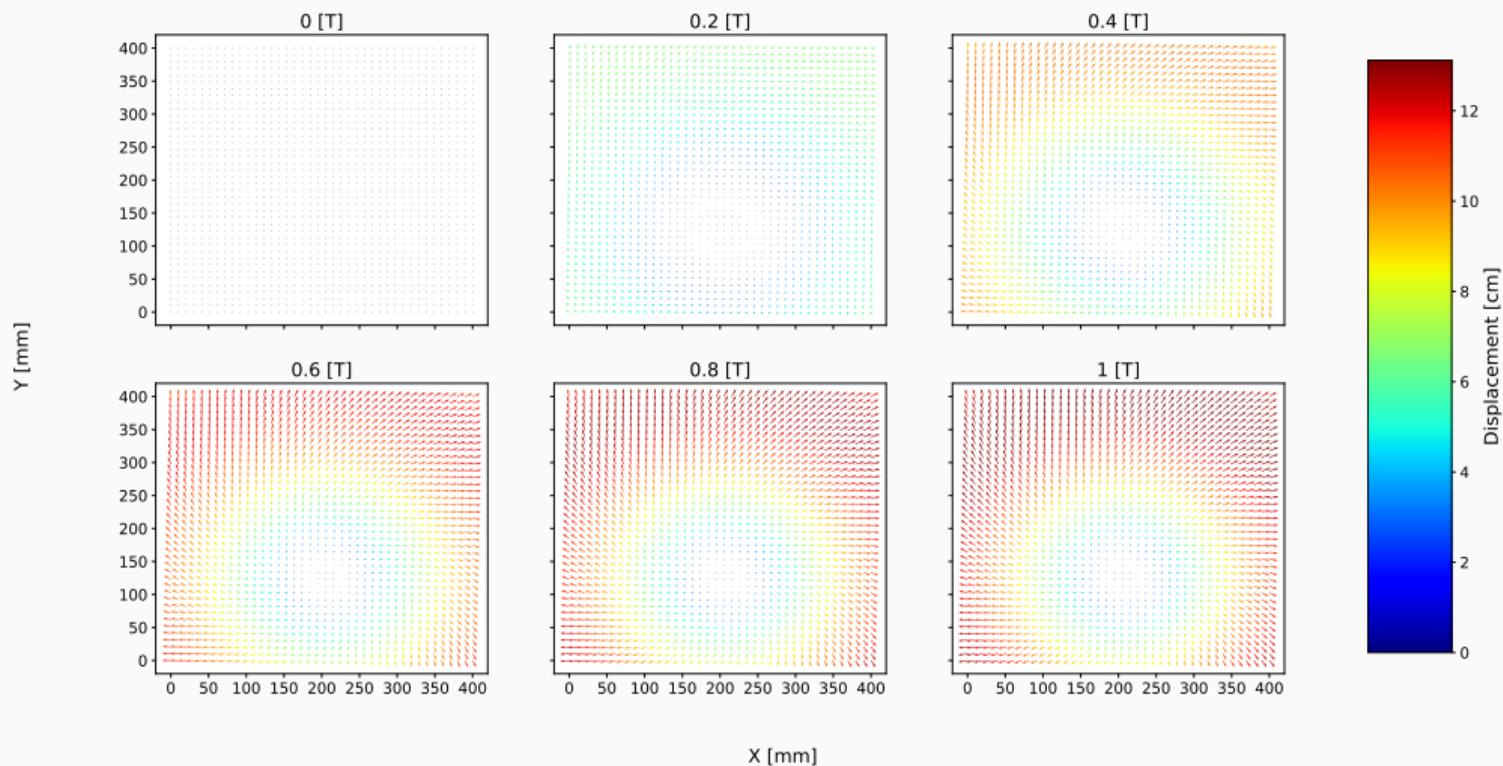


Displacements with respect to the no B field case for 1 T field.

The apparent displacement is maximum for tracks passing at half the TPC distance. Explainable by the cancellation of effects ( $B_r$  of opposite sign in the 2 TPC halves)

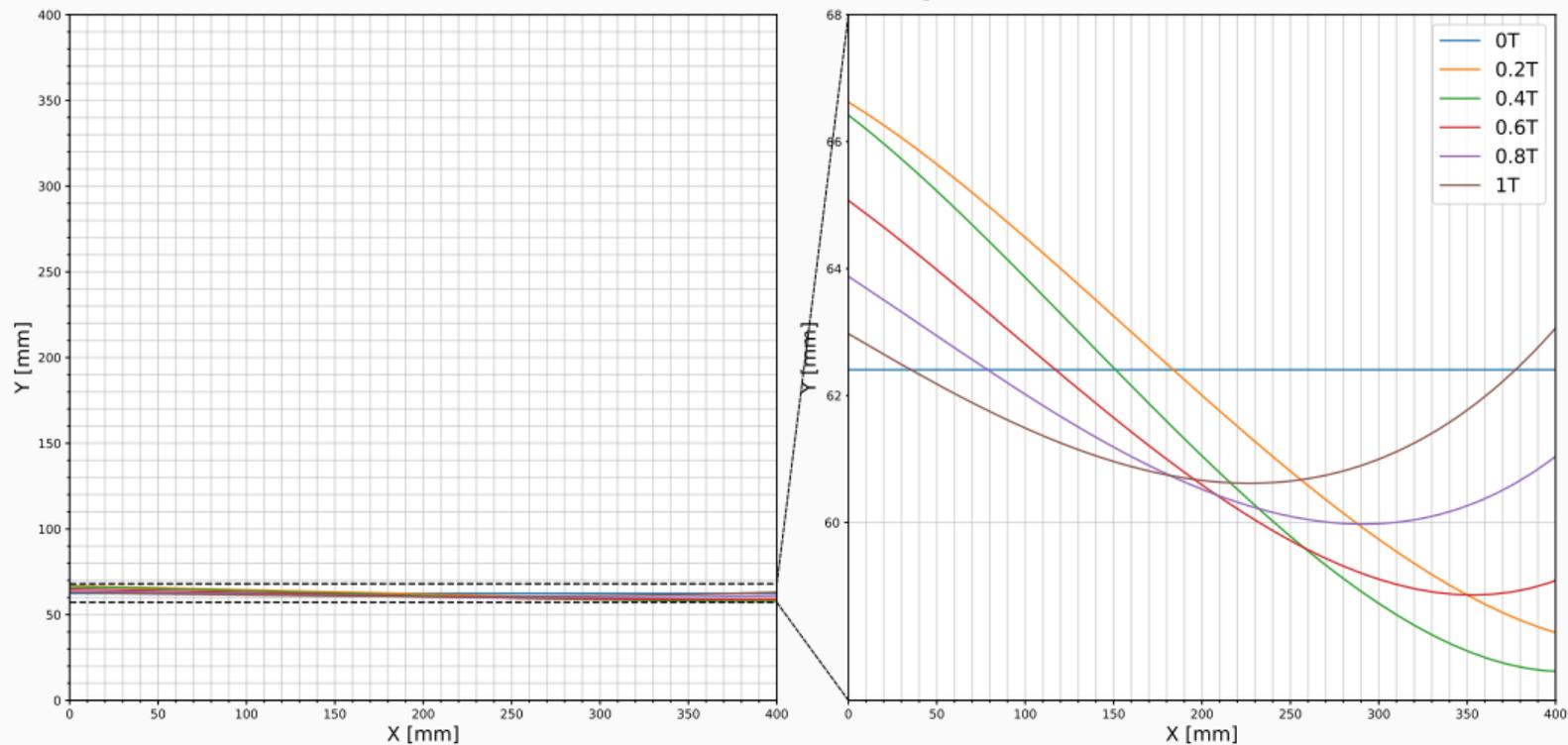
# Displacements

Displacement maps for half a TPC drift distance



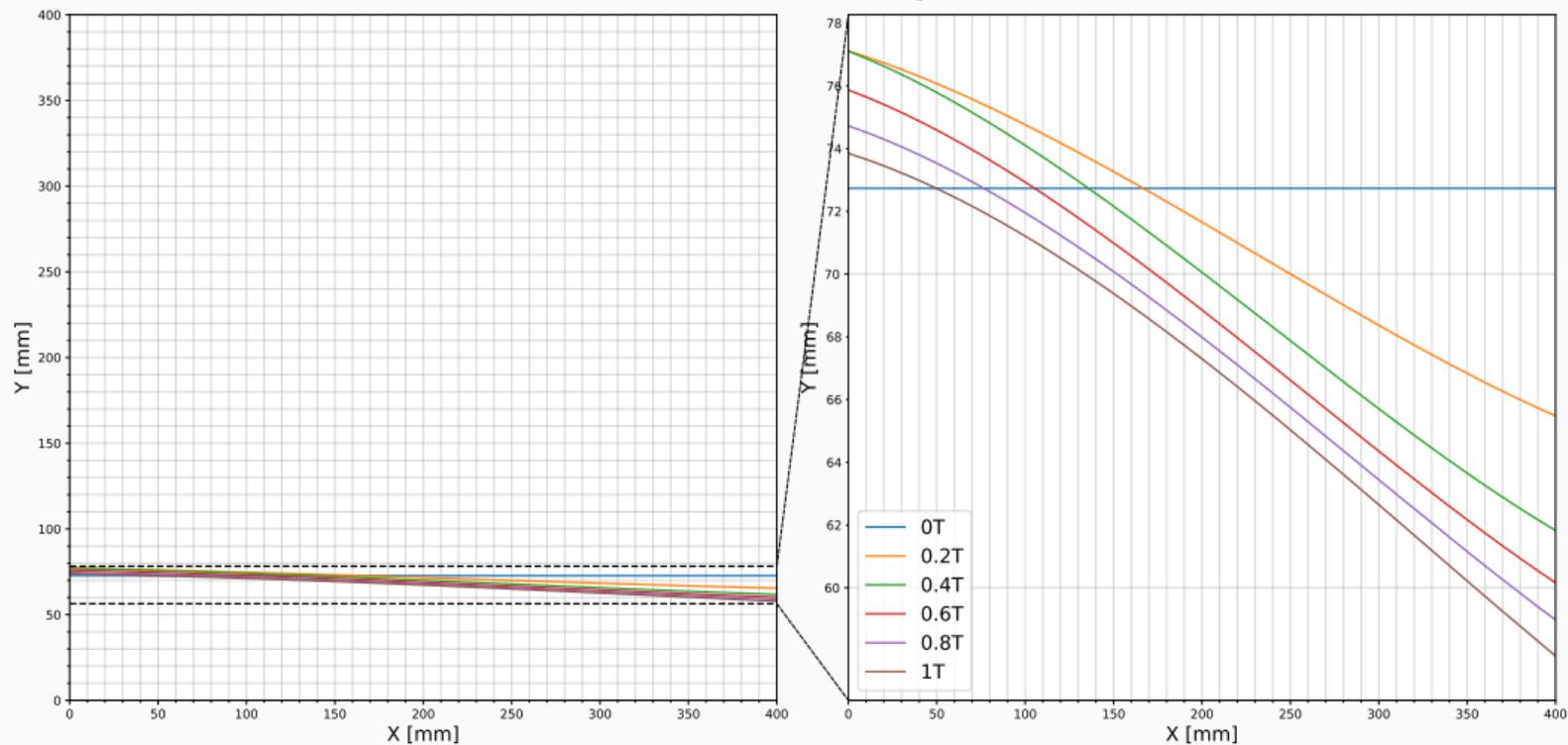
# Track example

3.0 GeV momentum ; Charge: -1



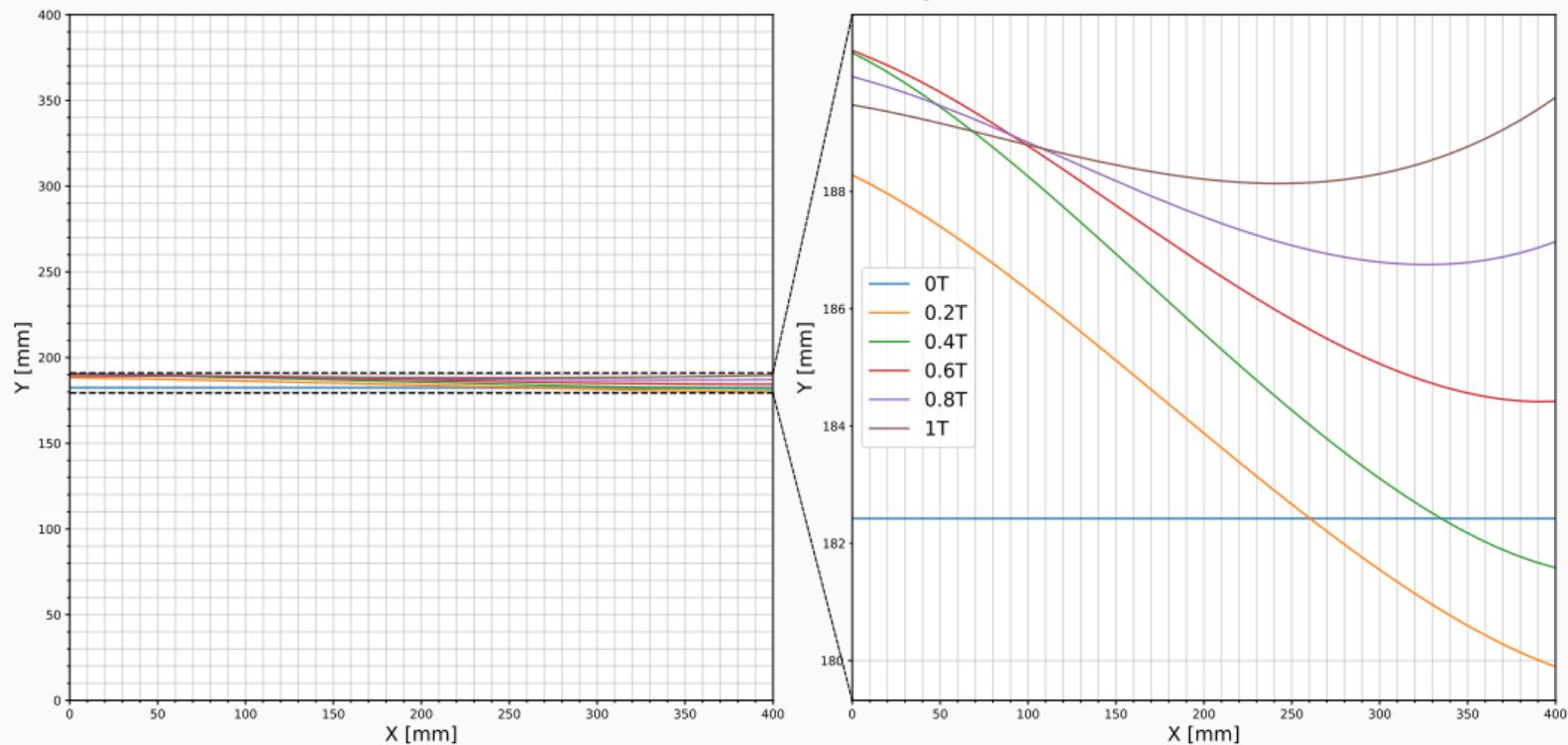
# Track example

3.0 GeV momentum ; Charge: +1



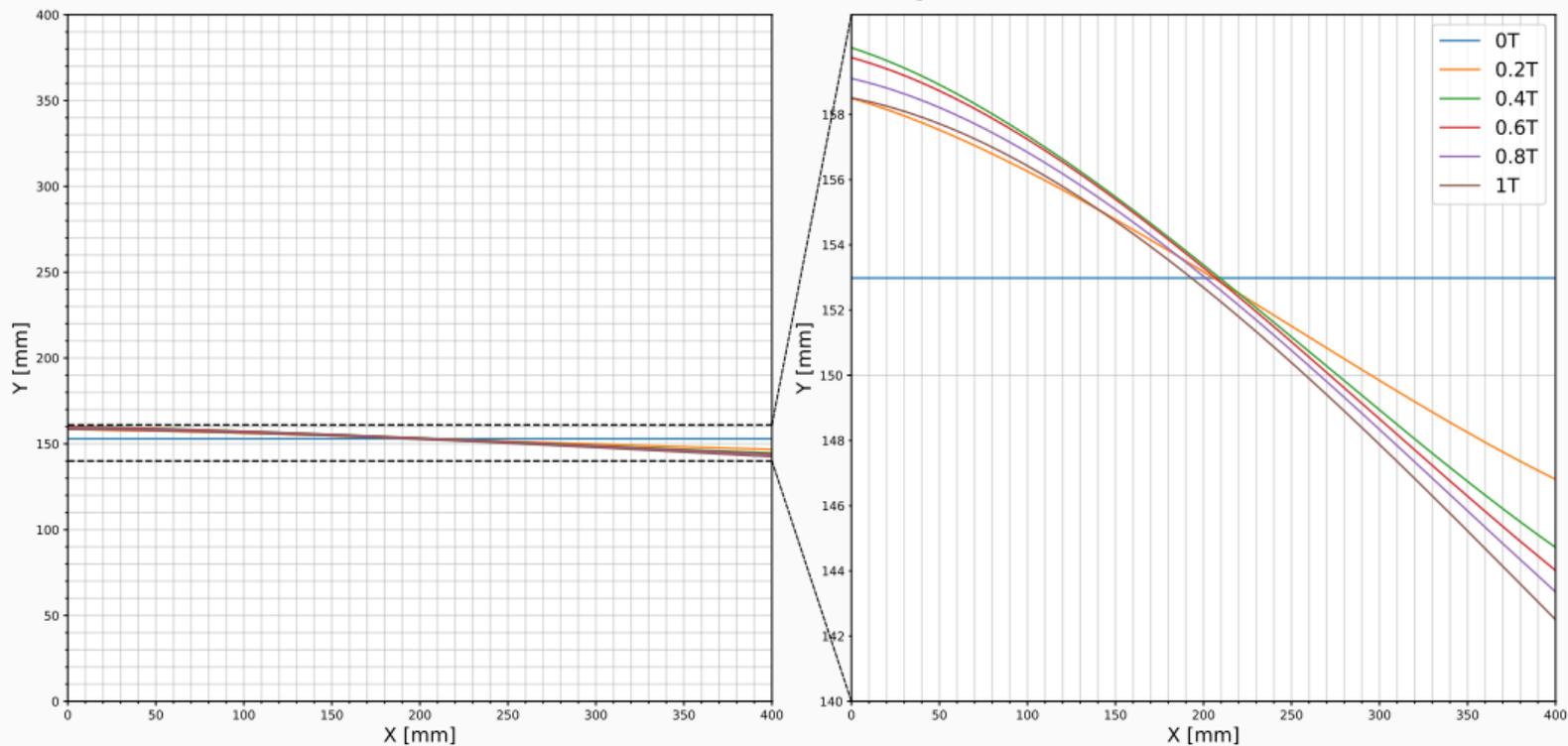
# Track example

3.0 GeV momentum ; Charge: -1



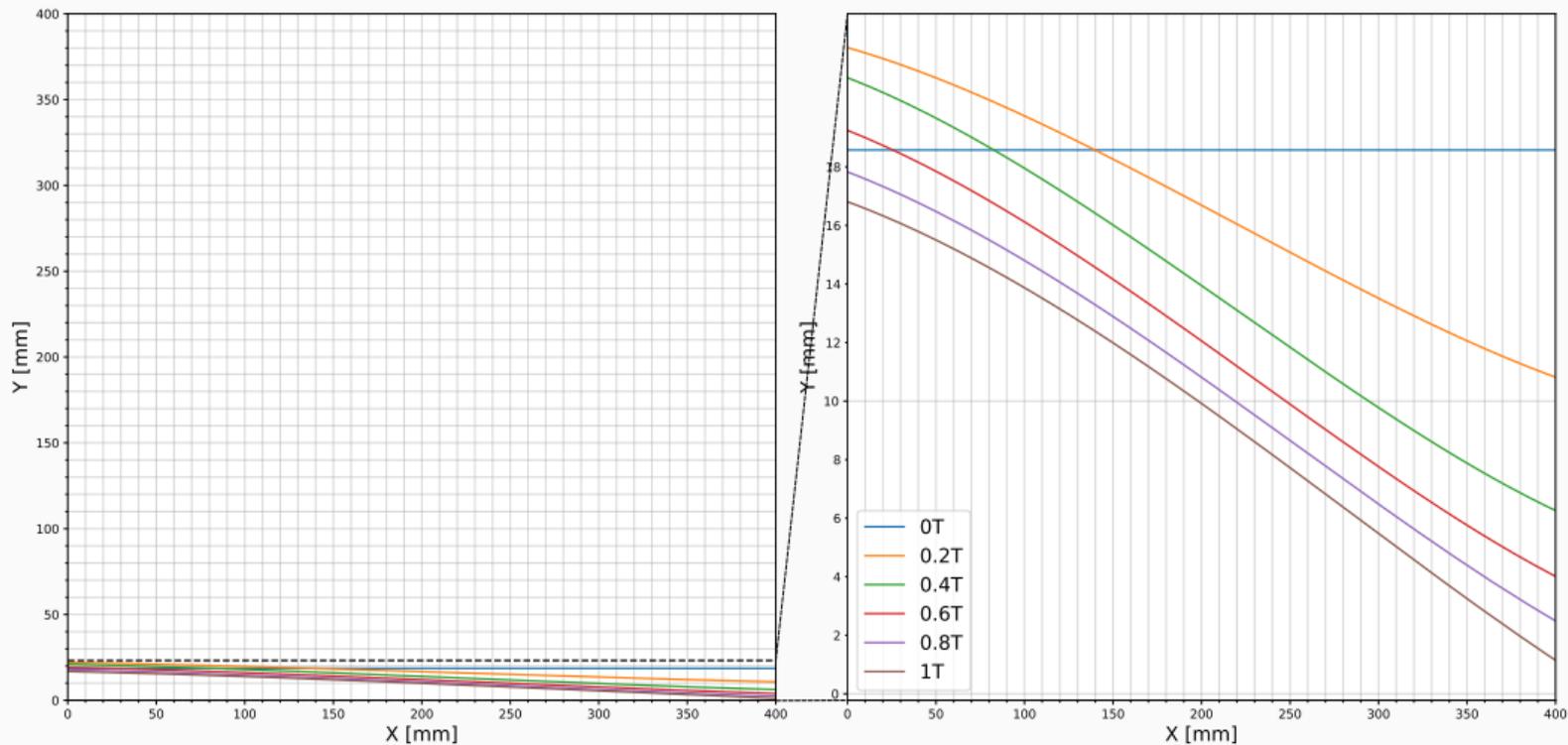
# Track example

3.0 GeV momentum ; Charge: +1



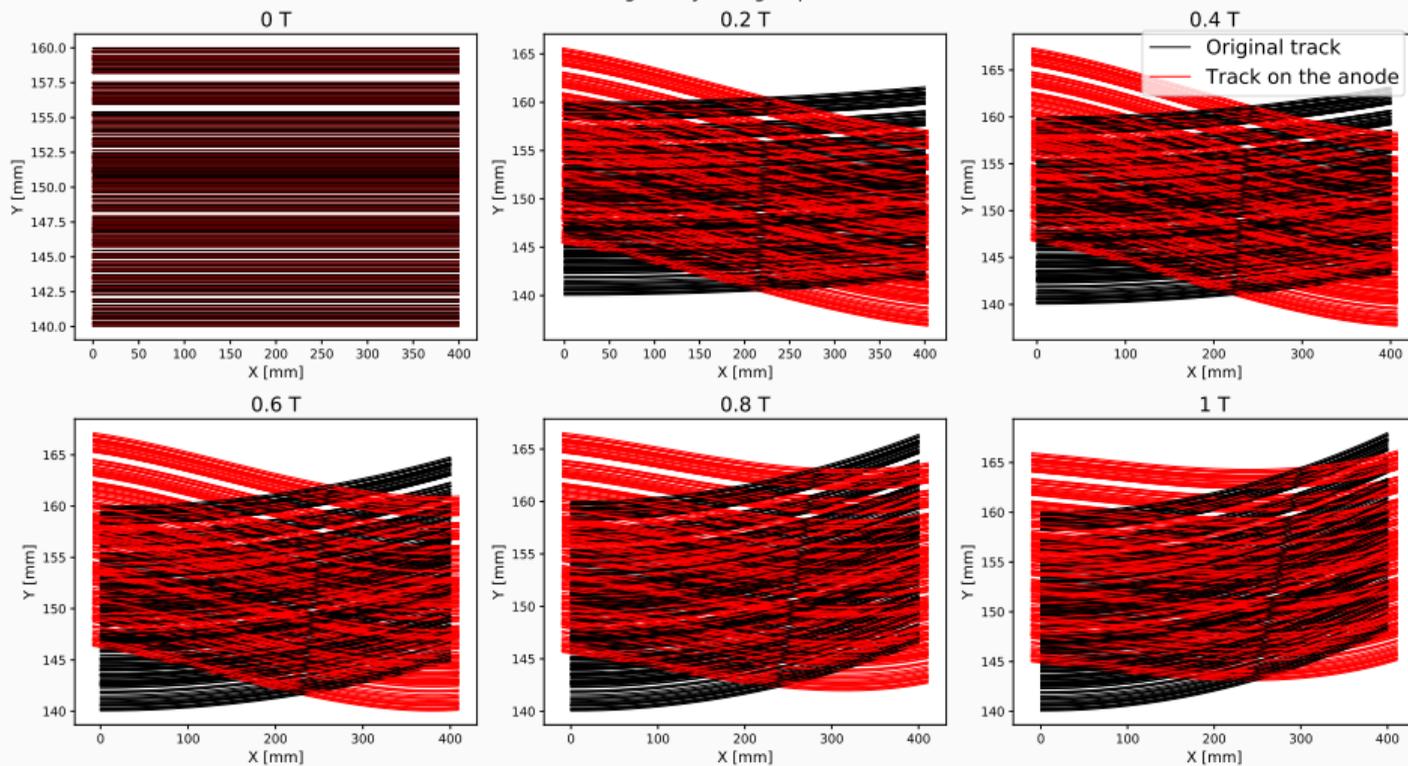
# Track example

3.0 GeV momentum ; Charge: +1



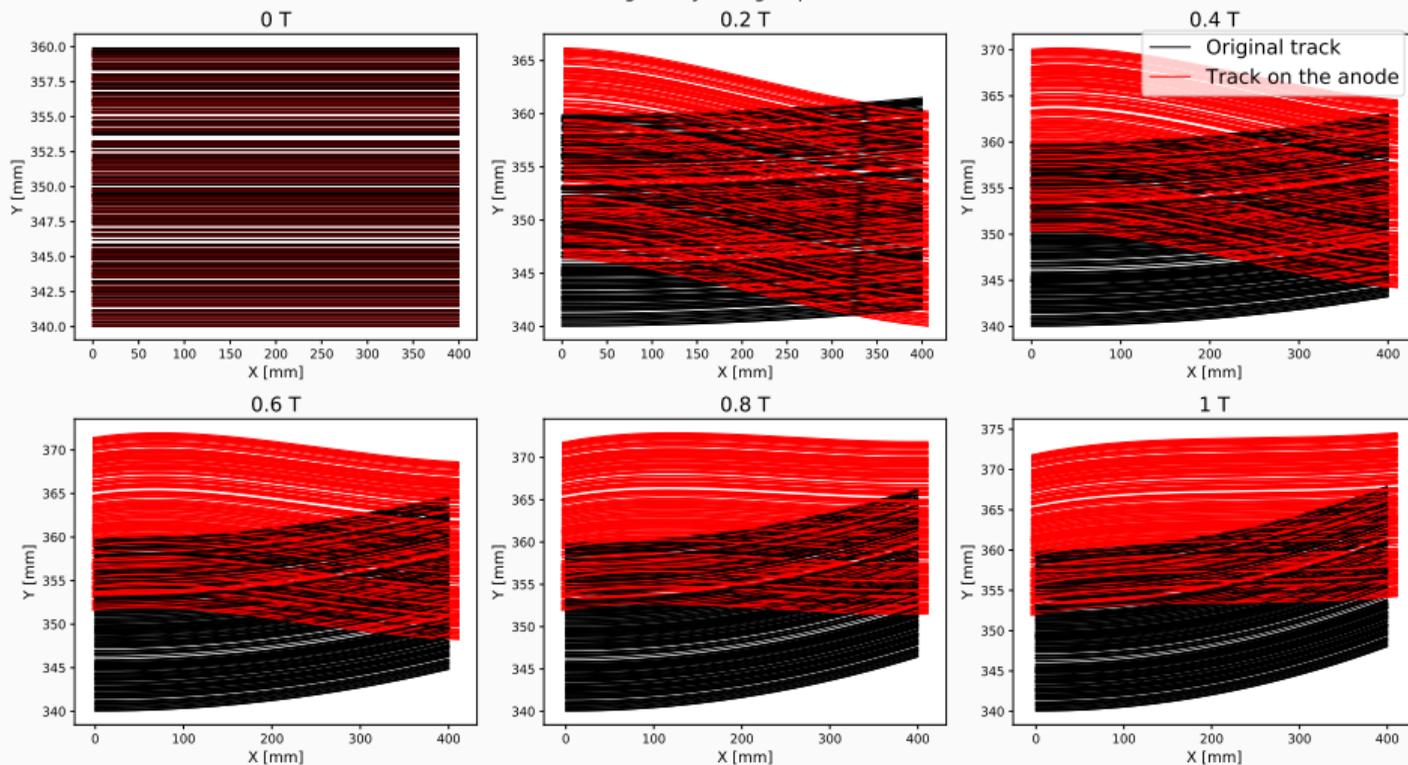
# Simulated tracks

Effect of distortion for negatively charged particles around  $Y=15\text{cm}$

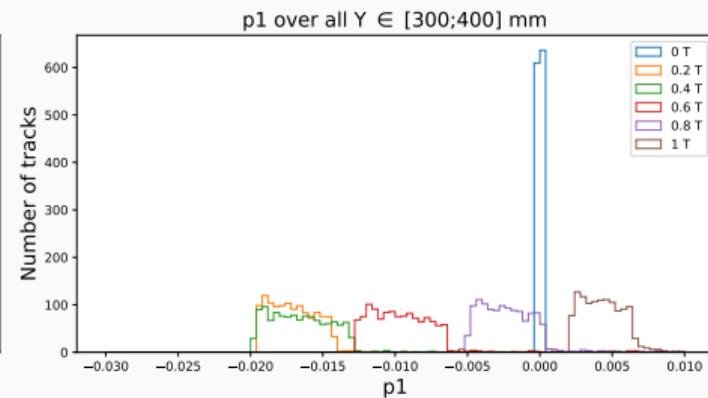
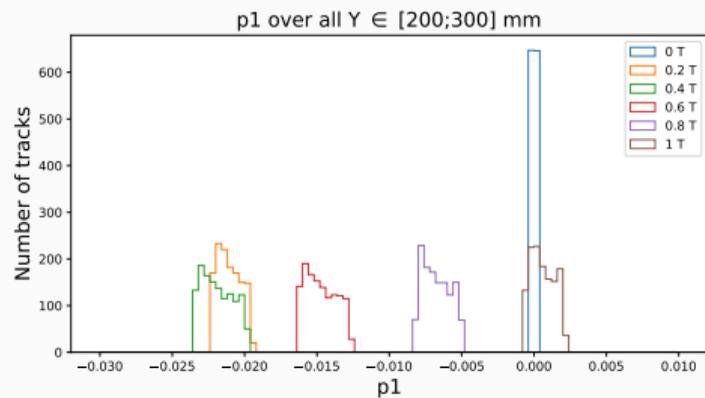
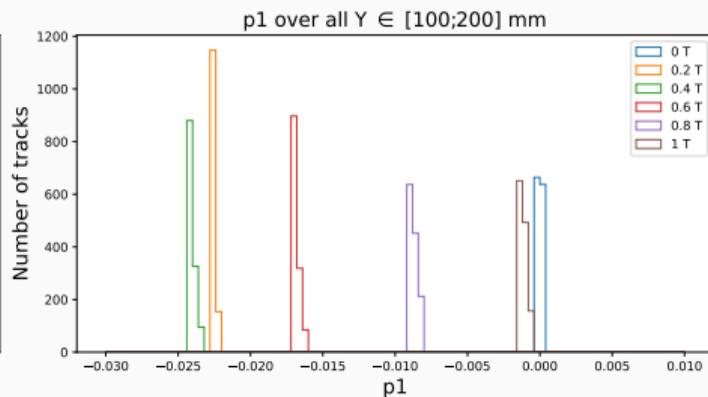
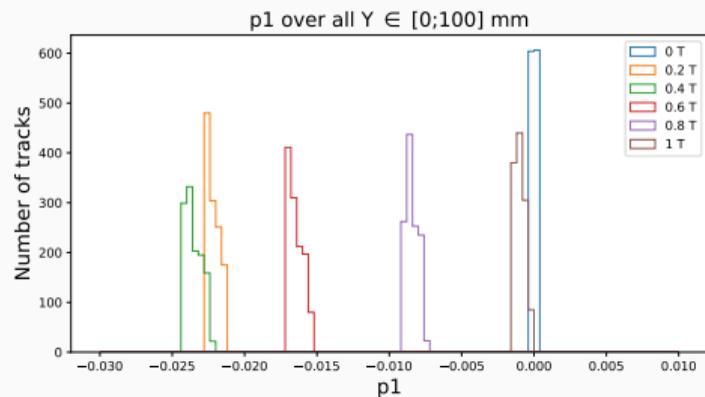


# Simulated tracks

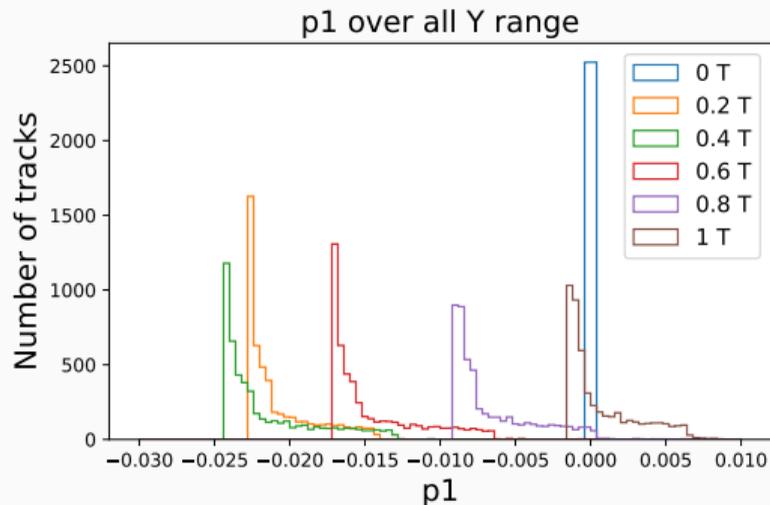
Effect of distortion for negatively charged particles around  $Y=35\text{cm}$



# Fitting the tracks with a line



# Summary



- First steps of trying to simulate the effect in order to take it into account in the reconstruction
- Results seem to be qualitatively in agreement with the data
- Still some parameters to better control as *WT*